## §38. Comparison of Neoclassical Flow Calculations by the Moment Method with CXRS Measurement on Heliotron J

Nishimura, S.,

Nishioka, K., Nakamura, Y., Lee, H.Y., Kobayashi, S. (Kyoto Univ.)

Numerical and experimental analyses of neoclassical flows are one of the important issues in fusion plasma studies. Experiments for investigating a configuration dependence of the neoclassical flows are now actively performed in Heliotron-J [1]. In a previous report [2], a comparison of theoretical calculations of the NB- (neutral beam) driven ion flows and the CXRS measurement is shown.

However, spontaneous flows driven by the radial gradient force  $\partial p_a / \partial r$ ,  $\partial T_a / \partial r$ ,  $\partial \Phi / \partial r$  were not discussed in detail. When applying the theory in Refs.[3], an important issue in this radial gradient force effect is the non-diagonal coupling between parallel flows and radial transport included in the full Onsager symmetric transport matrix

$$\begin{bmatrix} \langle \mathbf{\Gamma}_{a}^{\mathrm{bn}} \cdot \nabla s \rangle \\ \langle \mathbf{q}_{a}^{\mathrm{bn}} \cdot \nabla s \rangle / \langle T_{a} \rangle \end{bmatrix} = \sum_{b} \begin{bmatrix} L_{11}^{ab} & L_{12}^{ab} \\ L_{21}^{ab} & L_{22}^{ab} \end{bmatrix} \begin{bmatrix} X_{b1} \\ X_{b2} \end{bmatrix} \\ + \begin{bmatrix} L_{1E}^{a} \\ L_{2E}^{a} \end{bmatrix} \frac{\langle \mathbf{B} \cdot \mathbf{E}^{(\mathbf{A})} \rangle}{\langle B^{2} \rangle^{1/2}} + \begin{bmatrix} L_{1F}^{a} \\ L_{2F}^{a} \end{bmatrix} \frac{\langle \mathbf{B} \cdot \mathbf{F}_{f1} \rangle}{\langle B^{2} \rangle^{1/2}}$$

When the NB-driven flows of ions and electrons are generated, they change the radial particle and heat fluxes and thus there will be a minor correction on the ambipolar radial electric field. In the present analyses on the Heliotron-J experiments, this determination mechanism of the radial electric field is consistently included in the parallel flow calculations. Figure 1 shows the calculated parallel velocities of the target plasma ions in co- and counter-NB(*E*=30keV, H<sup>+</sup>) injection shots. Here, used target plasma parameters are  $n_{\rm e}(r)=1.5\times10^{19}[1-(r/a)^2]{\rm m}^{-3}$ ,  $T_{\rm e}(r)=300[1-(r/a)^2]{\rm eV}$ ,  $T_{\rm i}(r)=175[1-(r/a)^{1.57}]^{1.11}{\rm eV}$ , and the target particles' density ratio is e<sup>-</sup>:D<sup>+</sup>:C<sup>6+</sup>=1:0.82:0.03 (*Z*<sub>eff</sub>=1.9). The total external momentum input is calculated by applying the HFREYA and MCNBI included in the FIT3D code[4]. Various energy components of the beam (E, E/2, E/3) generated in the positive ion source injector are taken into account. The Laguerre expansion coefficients  $\int v\xi L_j^{(3/2)}(x_a^2)C_{af}(f_{aM}, f_f)d^3\mathbf{v} \text{ of the RMJ operator for}$ collisions between thermalized particles' Maxwellian  $f_{aM}$ and the tangentially injected fast ions' velocity distribution  $f_{\rm f}$  are added to the simultaneous parallel force balance equations, which are previously generalized to cases with multiple ion species [5]. It can be seen that the NB-driven flow component is dominant at core region in the Heliotron-J experimental condition. Figure 2 shows calculated ambipolar potential in these shots. This direction of the

correction by the NB-driven radial particle fluxes is consistent with a qualitative prediction by the well-known mechanism of so-called Ware pinch.

A next step improvement of the numerical code is to implement the eigen function method [6] for taking account the fast ion trapping effect in the friction collision term  $C_{af}(f_{aM}, f_{f})$ . A poloidal CXRS measurement to investigate this radial electric field experimentally is also planed in near future.

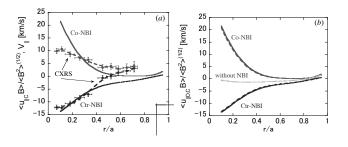


Fig.1 (a) Measured and calculated flow velocities  $\langle Bu_{\parallel a} \rangle / B$  [km/s] of C<sup>6+</sup> ions. (b) calculated flow velocities of D<sup>+</sup> (dashed lines) and C<sup>6+</sup> (solid lines) ions. The co- and counter-injection shots and a case without the external momentum input are compared.

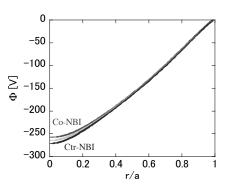


Fig.2 Calculated ambipolar potentials for co- and counterinjection shots.

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