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# MULTIMEDIA APPLICATIONS OF THREE-DIMENSIONAL 

## DIGITAL FILTERS

by
Steven B. McFadden

## A Thesis <br> Submitted to the College of Graduate Studies and Research through Electrical Engineering in Partial Fulfillment of the Requirements for the Degree of Master of Applied Science at the University of Windsor

Windsor, Ontario, Canada

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#### Abstract

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#### Abstract

Digital signal processing has long been an extremely important field of study. Onedimensional and two-dimensional filters have applications in areas such as audio filtering or image processing respectively. As VLSI technology continues to increase, higherdimensional digital filters are becoming more practical. This thesis investigates the application of Three-Dimensional (3-D) Digital Filters to the area of multimedia. Specifically, it investigates the use of 3-D Interpolation filters to increase the horizontal, vertical, and temporal resolution, or frame rate, of a moving image sequence.

The thesis begins by presenting the theory of digital interpolation in one dimension, and then extends that theory to three dimensions. Next the theory is presented for the design of a filter with appropriate characteristics for filtering a video image; i.e. near-linear phase and a steep transition band. After the basic theory is presented, a plan for implementing the filtering of a video image in software is presented along with the relevant file format information. Results from this implementation are shown next, and the thesis ends with a summary and conclusions


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## Chapter 1: Introduction

### 1.1 Introduction

The purpose of this thesis is to investigate the multimedia application of three-dimensional (3-D) digital filters. Specifically, a digital 3-D interpolation filter is to be designed which performs inter-pixel and inter-frame interpolation, resulting in increased horizontal resolution, vertical resolution, and temporal resolution (frame rate) of a moving image sequence.

Digital video is a very common example of a moving digital image sequence, with each frame of video representing a separate two-dimensional (2-D) digital image. These images change as a function of time, and it is this temporal variation which represents the third dimension in digital video. This representation of digital video is depicted in Figure 1.1. In this figure, ' $x$ ' represents the horizontal axis, ' $y$ ' represents the vertical axis, and ' $t$ ' represents the time axis. The term dt represents the inverse of the frame rate. The axis is drawn for the purpose of clarity, and the directions of positive and negative are arbitrary.

Though digital video signals such as the one shown in Figure 1.1 are inherently threedimensional, 2-D digital filters are often used to filter such signals by processing each frame separately. This method is very practical since 2-D filters are less complex and require much less hardware than equivalent order 3-D filters. This complexity and hardware saving becomes more pronounced as the order of the filter increases. With


Figure 1.1: Representation of moving images
improvements in digital technology, 3-D filters are becoming more reasonable in terms of cost, and their benefits over 2-D filters are becoming more attractive. The particular benefit of interest in this thesis is the 3-D filter's ability to process temporal information in a moving picture sequence.

### 1.2 Digital Interpolation

Digital interpolation is a process by which a digital signal with a specific sampling rate is altered such that the frequency content of the signal remains unchanged while the sampling rate is increased. Subject to limitations specified in the Sampling Theorem, presented in Chapter 2, the sampling rate of a digital signal can be increased to any desired degree. This means that the original continuous signal is recoverable from the sampled signal.

Interpolation has many applications in one-dimensional (1-D), 2-D, and 3-D digital signal processing. For example, it can be used as a method of data compression or used to improve the resolution of a signal. It may also be used to change the sampling rate of a signal for the purpose of scaling[1]. It is the improvement of signal resolution that this thesis is concerned with.

For an application such as digital audio, a 1-D digital interpolator can be used to increase the resolution of the signal, making it more closely represent the original continuous signal. In image processing applications, a 2-D digital interpolator can be used to increase the pixel resolution of a digital image in either, or both of, the horizontal and vertical directions (inter-pixel interpolation)[1]. This has the effect of making a digital image more
closely approximate the original image. The process of using digital interpolators to increase signal resolution can be extended to three dimensions. In the case of a digital video signal, the resolution of each frame can be increased in the ' $x$ ' and ' $y$ ' directions just as if it was processed using a 2-D interpolator. The 3-D interpolator has the added advantage of being capable of increasing the resolution along the time axis (the third dimension). This means that in addition to increased resolution in each frame of video, a 3D interpolator can also increase the number of frames present in a video sequence (interframe interpolation). This three-dimensional interpolation of digital video is the primary goal of this thesis.

### 1.3 Three-Dimensional Digital Filters

A digital filter is a system that, when given a sequence of input numbers, produces a sequence of output numbers subject to a specified set of rules. Accordingly, a 3-D digital filter produces a three-dimensional array of numbers when given a three-dimensional input array. For example, when a 3-D filter is given the luminance values of a digital video sequence as an input, the output is usually an altered form of that digital video sequence. Filters of any dimension are traditionally divided into two categories: non-recursive filters and recursive filters. Non-recursive filters, also known as Finite Impulse Response (FIR) filters, produce an output which is a weighted average of present and previous input values. Recursive filters, also known as Infinite Impulse Response (IIR) filters, produce an output that is a weighted average of present and past input values as well as past output values. Each type of filter has its own advantages and disadvantages and these must be
weighed according to the individual application.

### 1.3.1 Three-Dimemsional FIR Filters

If a causal 3-D FIR filter of order NxNxN is given an input $x\left(n_{1}, n_{2}, n_{3}\right)$, the output
$y\left(n_{1}, n_{2}, n_{3}\right)$ can be expressed as

$$
\begin{equation*}
y\left(n_{1}, n_{2}, n_{3}\right)=\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} h\left(n_{1}, n_{2}, n_{3}\right) x\left(n_{1}-i, n_{2}-j, n_{3}-k\right) \tag{1.1}
\end{equation*}
$$

Examination of Equation 1.1 shows that the filter's output is a weighted function of past input values. The term $h\left(n_{1}, n_{2}, n_{3}\right)$ is known as the impulse response of the filter. The transfer function of the above filter is obtained by taking the z-transform of Equation 1.1 and is given as

$$
\begin{equation*}
H\left(z_{1}, z_{2}, z_{3}\right)=\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} h\left(n_{1}, n_{2}, n_{3}\right) z_{1}^{-i} z_{2}^{-j} z_{3}^{-k} \tag{1.2}
\end{equation*}
$$

Equation 1.2 can also be written as

$$
\begin{equation*}
H\left(z_{1}, z_{2}, z_{3}\right)=\frac{\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} h\left(n_{1}, n_{2}, n_{3}\right) z_{1}^{N-i} z_{2}^{N-j} z_{3}^{N-k}}{z_{1}{ }^{N} z_{2}{ }^{N} z_{3}^{N}} \tag{1.3}
\end{equation*}
$$

Equation 1.3 shows that all poles of this filter are located at the origin. As a result of this constraint on pole placement the stability of the filter is guaranteed. Therefore, no design
effort is required to ensure the stability of an FIR filter.
Another advantage of FIR filters is the ease with which they can be designed to have linear phase response, and therefore constant group delays, over the entire baseband[2].

The main disadvantage of FIR filters is directly related to their inherent stability. As mentioned, non-recursive filters are always stable because the poles are constrained to the origin. However, this constraint also reduces the possible steepness of the transition band. As a result, higher order filters are required to obtain specified transition specifications. These higher order translate into a higher implementation cost for the filter.

### 1.3.2 Three-Dimensional IIR Filters

If a causal 3-D IIR filter of order NxNxN is given an input $x\left(n_{1}, n_{2}, n_{3}\right)$, the output $y\left(n_{1}, n_{2}, n_{3}\right)$ can be expressed as

$$
\begin{gather*}
y\left(n_{1}, n_{2}, n_{3}\right)=\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} a(i, j, k) x\left(n_{1}-i, n_{2}-j, n_{3}-k\right)  \tag{1.4}\\
- \\
-\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} b(i, j, k) y\left(n_{1}-i, n_{2}-j, n_{3}-k\right) \\
(i+j+k) \neq 0
\end{gather*}
$$

As Equation 1.4 shows, the present value of the output is a function of the present and past values of the input, as well as past values of the output. Note that FIR filters are actually a subset of IIR filters where all $b(i, j, k)$ coefficients are equal to zero. By taking the $z$-transform of Equation 1.4 and setting $\boldsymbol{b}(\mathbf{0}, 0,0)$ equal to one, the transfer function of a 3-D IIR digital filter is obtained as

$$
\begin{equation*}
H\left(z_{1}, z_{2}, z_{3}\right)=\frac{\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} a(i, j, k) z_{1}^{-i} z_{2}^{-j} z_{3}^{-k}}{1+\sum_{\substack{i=0 \\(i+j+k)=0}}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} b(i, j, k) z_{1}^{-i} z_{2}^{-j} z_{3}^{-k}} \tag{1.5}
\end{equation*}
$$

As Equation 1.5 shows, 3-D IIR filters do not have their poles constrained to the origin. This gives IIR filters a degree of design flexibility not available in FIR filters. A transition band specification that requires a high order FIR filter can be obtained using a much lower order IIR filter. The required order of an FIR design can be as much as five to ten times higher than that of an IIR filter satisfying the same specifications[3]. These lower orders can translate into lower implementation costs, and the cost difference is even more pronounced in the design of 3-D filters. This extra cost difference is a result of the fact that the number of coefficients in a 3-D filter is exponentially (by a power of three) higher than the number of coefficients in a 1-D filter design.

Despite its advantages, the IIR filter has a significant disadvantage compared to the FIR filter. This disadvantage is the IIR filter's lack of inherent stability. Since the filter output is dependent on past output values, it can grow to infinity even though the filter is given finite input values. This presents a challenge in designing these filters to be stable.

Another disadvantage of recursive filters is their inherent non-linear phase response. Designing a filter with a constant delay and prescribed loss specifications is usually very difficult to do[3]. In general, if an application requires constant delay characteristics, these
characteristics are achieved by cascading a filter that satisfies the magnitude response with a delay equalizer. In some applications, linear phase may not be of great importance. In image processing however, two-dimensional images are very sensitive to phase distortion[3]. By extension, since each frame of a video sequence can be look upon as a two-dimensional image, linear phase is very important in video processing.

### 1.3.3 3-D FIR Filter Design Methods

### 1.3.3.1 Design Using Integration

The design of 3-D FIR filters using integration is very simple and straight-forward. Given the filter's frequency response $H\left(\omega_{1}, \omega_{2}, \omega_{3}\right)$, the impulse response $h\left(n_{1}, n_{2}, n_{3}\right)$ can be obtained as
$h\left(n_{1}, n_{2}, n_{3}\right)=\frac{1}{8 \pi^{3}} \int_{-\pi-\pi-\pi}^{\pi} \int^{\pi} H\left(\omega_{1}, \omega_{2}, \omega_{3}\right) e^{j\left(\omega_{1} n_{1}+\omega_{2} n_{2}+\omega_{3} n_{3}\right)} d \omega_{1} d \omega_{2} d \omega_{3}$
In general, calculation of this triple integral may be very difficult analytically. Therefore, Equation 1.6 is often calculated using numerical integration. This eliminates the need for an analytical solution, and it lends itself well to computer-aided analysis[1].

### 1.3.3.2 Design Using FFT and Window Functions

This design method is very similar to the one given in Section 1.3.3.1. Given a desired frequency response of a filter, the impulse response $h\left(n_{1}, n_{2}, n_{3}\right)$ can be obtained by use of the Three-Dimensional Inverse Discrete Fourier Transform (IDFT). The IDFT is discussed in Chapter 3. While simple and straight-forward, this design method is sub-
optimal due to the occurrence of Gibb's Oscillations in which ripples appear in the passband and stop-band of the filter's magnitude response. These ripples can be reduced by applying a window function to the impulse response. The most common window functions are Hann and Hamming windows, Blackman windows, and Kaiser windows. These are 1-D windows that can easily be extended to two and three dimensions for application to two- and three-dimensional impulse responses [1][4][5][6].

### 1.3.3.3 McClellan Transformation

Another technique for designing 3-D FIR filters is obtained by extending the McClellan Transformation to three dimensions. This technique involves determining transformation coefficients, and then designing a 1-D FIR filter to be transformed using these coefficients. A large number of coefficients may result from this method, but this number can be reduced by imposing symmetry constraints[6].

### 1.3.3.4 Linear Programming

Linear Programming is a popular method for designing multidimensional filters. It is an iterative process that measures the difference between the desired and designed frequency responses, often as a sum-of-square-error, and minimizes this difference. Linear programming is a computationally expensive design method, but is becoming more practical as processing power becomes more easily available. More is said about linear programming in the next section.

### 1.3.4 3-D IIR Filter Design Methods

### 1.3.4.1 Linear Programming [2][6][9]

The design of 3-D IIR filters using linear programming involves calculation of the filter's numerator coefficients $a(i, j, k)$ and denominator coefficients $b(i, j, k)$ such that the magnitude response and/or phase response of the designed filter approximates a desired response while maintaining stability in the filter. The transfer function given in Equation 1.5 can involve two subclasses: the separable product transfer function and the separable denominator, non-separable numerator transfer function. These transfer functions are given in Equation 1.7 and 1.8 respectively.

$$
\begin{align*}
H\left(z_{1}, z_{2}, z_{3}\right) & =H_{1}\left(z_{1}\right) H_{2}\left(z_{2}\right) H_{3}\left(z_{3}\right) \\
& =\left(\frac{\sum_{i=0}^{N} a_{1}(i) z_{1}^{-i}}{\sum_{i=0}^{N} b_{1}(i) z_{1}^{-i}}\right)\left(\frac{\sum_{j=0}^{N} a_{2}(j) z_{2}^{-j}}{\sum_{j=0}^{N} b_{2}(j) z_{2}^{-j}}\right)\left(\frac{\sum_{k=0}^{N} a_{3}(k) z_{3}^{-k}}{\sum_{k=0}^{N} b_{3}(k) z_{3}^{-k}}\right) \tag{1.7}
\end{align*}
$$

The separable product transfer function allows the filter to be designed as a cascade arrangement of three 1-D filters. In this way, stability is guaranteed by designing the 1-D filters to be stable. The major drawback of this design method lies in the fact that a spherical-symmetric specification cannot be obtained. A filter with a separable product transfer function will always have a cubic shaped magnitude response.

$$
\begin{equation*}
H\left(z_{1}, z_{2}, z_{3}\right)=\frac{\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} a(i, j, k) z_{1}^{-i} z_{2}^{-j} z_{3}^{-k}}{\left(\sum_{i=0}^{N} b_{1}(i) z^{-i}\right)\left(\sum_{j=0}^{N} b_{2}(j) z^{-j}\right)\left(\sum_{k=0}^{N} b_{3}(k) z^{-k}\right)} \tag{1.8}
\end{equation*}
$$

The separable denominator, non-separable numerator transfer function has a denominator
like that of the separable product transfer function. As a result of this, the stability problem is reduced to that of the 1-D case. A filter having this transfer function can be designed by cascading a 3-D FIR filter with three 1-D all-pole IIR filters. The separable denominator, non-separable numerator transfer function is more flexible than the separable product transfer function and can be used to design filters with spherical-symmetric specifications[7][8].

The general transfer function of Equation 1.5 gives the most flexible results since the constraints of Equation 1.7 and 1.8 are removed. Unfortunately this design method does not share the ease in designing for stability that the other methods do.

### 1.3.4.2 Bilinear Transformation

Another method of designing 3-D digital IIR filters involves assigning a stable 3-variable polynomial in the denominator of an analog transfer function and applying the triple bilinear transformation. Unfortunately, not all analog filters will yield a stable digital filter upon application of the bilinear transformation[10]. There is a specific class of analog filters that will yield stable digital filters, and these analog filters have Very Strictly Hurwitz Polynomials (VSHP) as their denominators[11]. The use of VSHP denominators is used in the design of both 2-D filters and 3-D filters[6]

### 1.3.4.3 Modified Shank's Method

The final design method to be discussed here is another extension of a 2-D method. This

2-D method is known as Shank's Method[12] and is modified in [1] to provide a nearlinear phase response. It uses a weighted error function that measures the difference between the desired magnitude response and the designed magnitude response. This error function is then minimized by taking the derivative with respect to each of the $\{a\}$ and $\{b\}$ coefficients and equating to zero. The resulting linear equations are then solved to obtain an ideal impulse response. This ideal impulse response is utilized in such a manner as to obtain a near-linear phase response for the filter. As a result of the advantages of IIR filters over FIR filters, and the obtainable near-linear phase characteristic, the Modified Shank's Method is used in this thesis. It is discussed in detail in Chapter 3.

### 1.4 Video Formats

The moving image sequences used in this thesis are found in digital video files. This section briefly discusses some of the digital video formats in common use today.

### 1.4.1 H. 263 Video Standard

The H. 263 standard is a video coding standard published by the International Telecom Union (ITU). It is specifically designed to accommodate low bit-rate applications where bandwidth is limited. In particular, this video format has become standard in the field of video telephony. The coding algorithm is a hybrid of inter-picture prediction, transform coding, and motion compensation. In essence, this standard is primarily a compression algorithm designed to allow higher frame rate video to be sent over low-bandwidth channels. The ITU H. 263 Recommendation is available from the International Telecom Union.

### 1.4.2 MPEG Video Standard

The MPEG-1 video standard is officially known as ISO/IEC Standard, Coded Representation of Picture, Audio and Multimedia/hypermedia Information, ISO 11172. MPEG-2 is a related standard and since this discussion relates equally to both, they will be commonly referred to as the MPEG video standard. The MPEG video standard is the adopted standard for the emerging application of High Definition TeleVision (HDTV). It has three types of frames: I-Frames, P-Frames, and B-Frames. I-Frames, or Intra-picture frames, are coded only using information present in the picture itself. P-Frames, or Predicted frames, are coded using the nearest previous I-Frame or P-Frame. B-Frames, or Bidirectional frames, are frames that use both a past and future frame as a reference. [http://www.c-cube.com/technology/mpeg.html\#MPEG Overview] Like the H. 263 standard, MPEG is primarily a compression algorithm. The MPEG standards are available from the International Standards Organization.

### 1.4.3 Microsoft Windows AVI Standard

The Microsoft Windows Audio Video Interleaved (AVI) format is a common video file format used to hold video sequences on Personal Computers (PCs) running the Microsoft Windows operating system. Unlike the H. 263 and MPEG formats, the AVI is unsuitable for transmitting video data, and is not used in applications such as video-telephony or HDTV. It is a very simple video format which can often be found in an uncompressed form. The Microsoft Windows Application Program Interface (API) contains numerous functions for the manipulation of AVI files, and is well documented, allowing easy access
and manipulation of the raw video data.

### 1.4.4 Comparison

Since this thesis is concerned with applications of 3-D filters, one may at first assume that either the H. 263 or MPEG standards would be an appropriate choice to use, since both are commonly used in real-world applications. However, as mentioned earlier, these formats are essentially compression standards. The application of using 3-D filters to increase video resolution is concerned not with compressed data, but rather with raw data. Any filtering algorithms developed to work on the raw data should also work with compressed formats. One need only decompress the data before filtering. For this reason, plus the wide availability of AVI files and AVI tools, the AVI format is preferable for the purposes of this thesis, since the raw data is more easily accessible than in the other formats. An added advantage to using this format arises from the fact that any PC running Microsoft Windows is capable of playing an AVI file.

### 1.5 Current Applications of 3-D Filters

Digital filters are widely used in the processing of 1-D and multidimensional signals. 1-D digital filters are commonly used in the area of speech or music processing. Other examples can be found in[13][14]. Due to the increased complexity and hardware cost of 2-D filters, they are not used as often as 1-D filters. Some applications of 2-D filters include image processing and seismic signal processing[15]. Three-dimensional filters are even more complex and expensive than 2-D filters, and are therefore even less used. Their
use is becoming more practical as VLSI technology continues to improve. These filters are currently used in the field of geophysics[6].

### 1.6 Thesis Organization

This thesis is divided into six chapters. Chapter 2 discusses the process of digital interpolation. It begins with an introduction to the sampling theorem, and then gives an explanation of interpolation in one dimension. Two methods of interpolation are discussed: interpolation using zero-padding, and interpolation using sample replication. These methods are then extended to three dimensions.

In Chapter 3 of this thesis, recursive filter design using the Modified Shank's method is discussed in detail. The three-dimensional Fast Fourier Transform is also developed.

The theory discussed in chapters two and three is tied together in Chapter 4 to outline the process used to create a three-dimensional digital interpolator (in software). The process of using this interpolator to increase the horizontal resolution, vertical resolution, and frame rate of an AVI video file is also given. Relevant details of the AVI format and the related BMP file format are provided.

The results of the thesis are given in Chapter 5. Plots are provided showing the characteristics of the designed 3-D filter, and frames of the filtered AVI file are shown side-by-side with frames from the original file to compare the resolution and quality.

A summary and conclusions are provided in the final chapter. A computer program written in Microsoft Visual C++ was used to test the theory of this thesis and produce the results found in Chapter 5. The source code for this thesis is found in Appendix A.

## Chapter 2: Digital Interpolation

### 2.1 The Sampling Theorem

The sampling theorem states that any bandlimited continuous signal $\mathbf{x}(\mathbf{t})$ with frequency spectrum $X(j \omega)=0$ for $|\omega| \geq \omega_{s} / 2$, where $\omega_{s}=2 \pi / T$ and $T$ is the sampling period, can be uniquely determined from its discrete values $\mathbf{x ( n T )}$, where n is an integer[3]. This means that any signal sampled at greater than twice its highest frequency component can be reconstructed to any desired degree of accuracy.

A graphical description of the sampling theorem is given in Figure 2.1 and Figure 2.2.


Figure 2.1(a): Continuous time signal $x(t)$
Figure 2.1(a) shows a one-dimensional continuous time signal denoted as $x(t)$. If this signal is now sampled by multiplying it with the unit pulse train p(nT) shown in Figure 2.1(b), then the discrete time signal $\mathrm{x}(\mathrm{nT})$ shown in Figure 2.1(c) is obtained.


Figure 2.1(b): Unit pulse train $\mathbf{p}(\mathrm{nT})$


Figure 2.1(c): Discrete time signal $x(n T)$


Figure 2.2(a): Frequency spectrum of continuous time signal $x(t)$


Figure 2.2(b): Frequency spectrum of unit pulse train $p(t)$


Figure 2.2(c): Frequency spectrum of discrete time signal $x(n T)$
Figure 2.2 illustrates this process in the frequency domain. Figure 2.2(a) shows the frequency spectrum $X(j \omega)$ of the continuous time signal $X(t)$. Figure $2.2(b)$ shows the frequency spectrum $P\left(e^{j \omega T}\right)$ of the unit pulse train $p(n T)$. The frequency spectrum $X\left(e^{j \omega T}\right)$ of the discrete time signal $x(n T)$ is shown in Figure 2.2(c). The spectrum $X\left(e^{j \omega T}\right)$ is obtained by convolving $X(j \omega)$ with $P\left(e^{j \omega T}\right)$, since multiplication in the time domain is equivalent to convolution in the frequency domain. By examination of Figure 2.2(c), it can be seen that as long as $\omega_{\mathrm{s}}$ is greater than twice $\omega_{\mathrm{b}}$ there will be no overlap between the frequency spectrum "images". Therefore the original spectrum of the continuous time signal has not been distorted by sampling, and all the information about the signal is retained.

### 2.2 One-Dimensional Interpolation

Digital interpolation in one dimension can be achieved by combining an upsampler with a


## Upsampler - inserts L-1 samples between each pair of samples $\mathrm{x}[\mathrm{nT}]$ and $\mathrm{x}[\mathrm{nT}+1]$

## $\longrightarrow \mathbf{H}\left(\mathrm{e}^{\mathrm{j} \omega \mathrm{T} / \mathrm{L}}\right) \longrightarrow$

Low Pass Filter - transition band centered about $\pi / L$

Figure 2.3: Block diagram of digital interpolation system
lowpass filter as shown in Figure 2.3. [3][16] First consider the operation of the upsampler. If an upsampler using zero-padding is given an input $\mathbf{x}(\mathbf{n T})$, then its output $x_{n}\left(n T^{\prime}\right)$ can be expressed as

$$
x_{u}\left(n T^{\prime}\right)=\left\{\begin{array}{cl}
x(n T / L) & \text { for } n=0, \pm L, \pm 2 L, \ldots  \tag{2.1}\\
0 & \text { otherwise }
\end{array} \quad \text { where } T^{\prime}=T / L\right.
$$

which can also be written as

$$
\begin{equation*}
x_{u}(n T)=\sum_{k=-\infty}^{\infty} x(k T) \delta(n T-k L T) \tag{2.2}
\end{equation*}
$$

By applying the $z$-transform to Equation 2.2 and substituting $z=e^{j \omega T^{\prime}}$, Equation 2.3 is obtained.

$$
\begin{align*}
X_{u}\left(e^{j \omega T^{\prime}}\right) & =\sum_{n=-\infty}^{\infty}\left[\sum_{k=-\infty}^{\infty} x(k T) \delta(n T-k L T)\right] e^{-j \omega n T} \\
& =\sum_{k=-\infty}^{\infty} \sum_{n=-\infty}^{\infty} x(k T)\left[\delta(n T-k L T) e^{-j \frac{a n T}{L}}\right] \\
& =\sum_{k=-\infty}^{\infty} x(k T) e^{-j \omega k T} \\
& =X\left(e^{j \omega T}\right) \tag{2.3}
\end{align*}
$$

Equation 2.3 shows that the frequency spectrum of $x_{z}\left(n T^{\prime}\right)$ is identical to the frequency spectrum of $x(n T)$. Since $T^{\prime}=T / L, \omega_{s}^{\prime}=L \omega_{s}$ and therefore the location of the sampling frequency has been changed. Now in the range $-\omega i / 2 \leq \omega \leq \omega i / 2$ there are $L$


Figure 2.4(a): Discrete time signal $x(n T)$
images of $X\left(e^{j \omega T}\right)$. An interpolated signal $x_{i}\left(n T^{\prime}\right)$ with an increased sampling rate can be obtained from $x_{n}\left(n T^{\prime}\right)$ by using a lowpass filter to remove the extra images. The


Figure 2.4(b): Discrete time signal $\mathrm{x}(\mathrm{nT})$ with zero padding


Figure 2.4(c): Interpolator output $\mathbf{y}(\mathrm{nT})$
combination of the upsampler with the lowpass filter is called an interpolator. The interpolation process is shown graphically in Figure 2.4.

The method presented above will theoretically yield a perfect reconstruction of the original signal, assuming an ideal low-pass filter is used. There is a variation of the above method which does not yield a perfect reconstruction, but is better suited to a hardware implementation. In this variation, the upsampler uses sample replication instead of zero padding. Now if the upsampler is given an input $\mathbf{x}(\mathrm{nT})$, and L is assumed to be equal to two, then the output $X_{u}\left(\mathrm{nT}^{\prime}\right)$ can be expressed as

$$
\begin{equation*}
x_{u}\left(n T^{*}\right)=\sum_{k=-\infty}^{\infty} x(k T) \delta(n T-2 k T)+\sum_{k=-\infty}^{\infty} x(k T) \delta(n T-(2 k+1) T) \tag{2.4}
\end{equation*}
$$

Examination of Equation 2.4 shows that the upsampled signal consists of the original signal added to a time-shifted image of itself. Application of the z-transform to the original and time-shifted signals gives

$$
\begin{equation*}
X_{u}\left(e^{j \omega \tau}\right)=X\left(e^{j \omega T}\right)+e^{-j \omega \frac{T}{2}} X\left(e^{j \omega T}\right) \tag{2.5}
\end{equation*}
$$

By evaluating Equation 2.5 at various values of $\omega$, it can be noted that this modified upsampler using sample replication has a slight low-pass filtering effect on the signal. The justification for this slight distortion lies in the hardware implementation of the upsampler. To use the zero- padding method, the original signal must be fed into the upsampler and a zero sample must be explicitly inserted between each sample. With the sample replication, the upsampling process is much easier as it only requires the filter to run at twice the speed, or sample rate, of the incoming signal.

### 2.3 Three-Dimensional Interpolation

The procedure described in Section 2.2 will interpolate a one-dimensional signal such as an audio signal. To interpolate a three-dimensional video file, the procedure must be extended to three dimensions. Following the same method as before, the output of the upsampler $x_{\mu}\left(n_{1} T_{1}^{\prime}, n_{2} T_{2}^{\prime}, n_{3} T_{3}^{\prime}\right)$ can be expressed as

$$
\begin{equation*}
x_{u}\left(n_{1} T_{1}^{\prime}, n_{2} T_{2}^{\prime}, n_{3} T_{3}^{\prime}\right)=\sum_{k_{1}=-\infty}^{\infty} \sum_{k_{2}=-\infty}^{\infty} \sum_{k_{3}=-\infty}^{\infty} x\left(k_{1} T_{1}, k_{2} T_{2}, k_{3} T_{3}\right) \delta\left(n_{1} T_{1}-k_{1} L_{1} T_{1}, n_{2} T_{2}-k_{2} L_{2} T_{2}, n_{3} T_{3}-k_{3} L_{3} T_{3}\right) \tag{2.6}
\end{equation*}
$$

For simplicity, let $\mathrm{L}=\mathrm{L}_{1}=\mathrm{L}_{2}=\mathrm{L}_{3}$ and $\mathrm{T}=\mathrm{T}_{1}=\mathrm{T}_{2}=\mathrm{T}_{3}$. Application of the z-transform and substitution of $z_{1}=e^{j \omega_{1} T}, z_{2}=e^{j \omega_{2} T^{*}}, z_{3}=e^{j \omega_{3} T}$ gives

$$
\begin{aligned}
& =X\left(e^{\operatorname{mon}}, e^{e, r}, e^{\mu, r}, r\right)
\end{aligned}
$$

As in the one-dimensional case, the frequency spectrum of the upsampled signal is identical to that of the original signal, while the sampling rates have been increased in each of the three dimensions. Now in the range
$\left(-\omega_{1} / 2 \leq \omega_{1} \leq \omega_{11} / 2\right),\left(-\alpha_{32} / 2 \leq \omega_{2} \leq \omega_{3} / 2\right),\left(-\omega_{3} / 2 \leq \omega_{3} \leq \omega_{3} / 2\right)$ there are $L^{3}$ images of the
original spectrum. The three-dimensional interpolated signal $x_{i}\left(n_{1} T^{\prime}, n_{2} T^{\prime}, n_{3} T^{\prime}\right)$ with an increased sampling rate in each dimension can be recovered by applying a lowpass filter with a cubic response to remove the unnecessary images.

As in the one dimensional case, there is the option of using sample (pixel) replication instead of zero-padding. In this case, the output of the upsampler will be

$$
\begin{align*}
& x_{4}\left(n_{1} T_{1}^{\prime}, n_{2} T_{2}^{\prime}, n_{3} T_{3}\right)=\sum_{k_{1}=-\infty}^{\infty} \sum_{k_{2}=-\infty}^{\infty} \sum_{k_{3}=-\infty}^{\in} x\left(k_{1} T_{1}, k_{2} T_{2}, k_{3} T_{3}\right) \delta\left(n_{1} T_{1}-2 k_{1} T_{1}, n_{2} T_{2}-2 k_{2} T_{2}, n_{3} T_{3}-2 k_{3} T_{3}\right) \tag{2.8}
\end{align*}
$$

$$
\begin{aligned}
& { }^{4}+\sum \sum \sum \sum x\left(k_{1} T_{1}, k_{2} T_{2}, k_{3} T_{3}\right) \delta\left(n_{1} T_{1}-\left(2 k_{1}+1\right) T_{1}, n_{2} T_{2}-\left(2 k_{2}+1\right) T_{2}, n_{3} T_{3}-\left(2 k_{3}+1\right) T_{3}\right)
\end{aligned}
$$

The output of the three-dimensional upsampler is the input added to a shifted version of itself. Transforming Equation 2.8 to the frequency domain gives

$$
\begin{align*}
X_{u}\left(e^{j \omega_{1} T_{1}^{\prime}}, e^{j \omega_{2} T_{2}^{\prime}}, e^{j \omega_{3} T_{3}^{\prime}}\right)= & X\left(e^{j \omega_{1} T_{1}}, e^{j \omega_{2} T_{2}}, e^{j \omega_{3} T_{3}}\right) \\
& +e^{-j\left(\frac{\omega_{1} T_{1}}{2}+\frac{\omega_{2} T_{2}}{2}+\frac{\omega_{3} T_{3}}{2}\right)} X\left(e^{j \omega_{1} T_{1}}, e^{j \omega_{2} T_{2}}, e^{j \omega_{3} T_{3}}\right) \tag{2.9}
\end{align*}
$$

The result of Equation 2.9 shows that there is again a slight low-pass filtering effect on the signal when pixel replication is used. The justification for this method again lies in the hardware implementation. By using pixel replication, there is no zero-insertion required between each pixel, line, and frame. Instead, the result can be obtained by running the filter at eight times the original speed (a factor of two for each dimension).

## Chapter 3: Filter Design

### 3.1 Introduction

As mentioned in the introduction, one of the goals of this thesis involves the design of a stable recursive filter with a near-linear phase response. A method for designing such filters already exists in two dimensions. This method will now be extended to three dimensions.

### 3.2 Modified Shank's Method for 2-D Filter Design[1]

The following three-dimensional method for designing stable recursive filters with nearlinear phase response is based on the filter design technique known as Shank's Method[12]. Although this method is a spatial design method, or a space-time design method once extended to three dimensions, the derivation is given in the frequency domain for purposes of clarity.

As given in Chapter 1, the transfer function of a three-dimensional recursive filter is described by

$$
\begin{equation*}
H\left(z_{1}, z_{2}, z_{3}\right)=\frac{\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} a_{i j k} z_{1}^{-i} z_{2}^{-j} z_{3}^{-k}}{1+\sum_{\substack{i=0 \\(i+j+k) \neq 0}}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} b_{i j k} z_{1}^{-i} z_{2}^{-j} z_{3}^{-k}} \tag{3.1}
\end{equation*}
$$

Note that $b_{000}$ is arbitrarily set to equal 1. By substituting $z_{1}=e^{j \omega_{1} T}, z_{2}=e^{j \omega_{2} T}$,
and $z_{3}=e^{j \omega_{3} T}$, the frequency response of the filter is obtained as

$$
\begin{equation*}
H\left(\omega_{1}, \omega_{2}, \omega_{3}\right)=\frac{A\left(\omega_{1}, \omega_{2}, \omega_{3}\right)}{B\left(\omega_{1}, \omega_{2}, \omega_{3}\right)} \tag{3.2}
\end{equation*}
$$

where

$$
\begin{equation*}
A\left(\omega_{1}, \omega_{2}, \omega_{3}\right)=\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} a_{i j k} e^{j \omega_{1} T T} e^{j \omega_{2} j T} e^{j \omega_{3} k T} \tag{3.3}
\end{equation*}
$$

and

$$
\begin{equation*}
B\left(\omega_{1}, \omega_{2}, \omega_{3}\right)=1+\sum_{\substack{i=0 \\(i+j, k)}}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} b_{i j k} e^{j \omega_{1} i T} e^{j \omega_{2} j T} e^{j \omega_{3} k T} \tag{3.4}
\end{equation*}
$$

By now letting $H^{d}\left(\omega_{1}, \omega_{2}, \omega_{3}\right)$ represent the desired frequency response of the filter, an error function can be defined as

$$
\begin{equation*}
\varepsilon\left(\omega_{1}, \omega_{2}, \omega_{3}\right)=H^{d}\left(\omega_{1}, \omega_{2}, \omega_{3}\right)-\frac{A\left(\omega_{1}, \omega_{2}, \omega_{3}\right)}{B\left(\omega_{1}, \omega_{2}, \omega_{3}\right)} \tag{3.5}
\end{equation*}
$$

When transformed back to the space-time domain, Equation 3.5 becomes

$$
\begin{equation*}
\varepsilon\left(n_{1}, n_{2}, n_{3}\right)=h^{d}\left(n_{1}, n_{2}, n_{3}\right)-h\left(n_{1}, n_{2}, n_{3}\right) \tag{3.6}
\end{equation*}
$$

where $h^{d}\left(n_{1}, n_{2}, n_{3}\right)$ is the desired impulse response and $h\left(n_{1}, n_{2}, n_{3}\right)$ represents the
impulse response of the designed filter. $h\left(n_{1}, n_{2}, n_{3}\right)$ is described by

$$
\begin{equation*}
h\left(n_{1}, n_{2}, n_{3}\right)=\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} a_{j k} \delta\left(n_{1}-i, n_{2}-j, n_{3}-k\right)-\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} b_{j k k} h\left(n_{1}-i, n_{2}-j, n_{3}-k\right)( \tag{3.7}
\end{equation*}
$$

Forming the $L_{2}$ norm using the error function in Equation 3.6 gives

$$
\begin{equation*}
Q=\sum_{n_{1}=0}^{M-1} \sum_{n_{2}=0}^{M-1} \sum_{n_{j}=0}^{M-1} \varepsilon^{2}\left(n_{1}, n_{2}, n_{3}\right) \tag{3.8}
\end{equation*}
$$

where $M \times M \times M$ points are taken from the impulse response for this computation. The design of the filter now consists of determining the values of the $\{a\}$ and $\{b\}$ coefficients such that the expression in Equation 3.8 is minimized. This is done by taking the derivative of $\boldsymbol{Q}$ with respect to each coefficient and equating the resulting equations to zero. This results in Equation 3.9 and Equation 3.10.

$$
\begin{align*}
& \frac{\partial Q}{\partial a_{x y z}}=2 \sum_{n_{1}=0}^{M-1} \sum_{n_{2}=0}^{M-1} \sum_{n_{1}=0}^{M-1} \varepsilon\left(n_{1}, n_{2}, n_{3}\right) \frac{\partial \varepsilon\left(n_{1}, n_{2}, n_{3}\right)}{\partial a_{x y z}}  \tag{3.9}\\
& x, y, z=0,1,2, \ldots, N
\end{align*}
$$

and

$$
\begin{align*}
& \frac{\partial Q}{\partial b_{x y z}}=2 \sum_{n_{1}=0}^{M-1} \sum_{n_{2}=0}^{M-1} \sum_{n_{3}=0}^{M-1} \varepsilon\left(n_{1}, n_{2}, n_{3}\right) \frac{\partial \varepsilon\left(n_{1}, n_{2}, n_{3}\right)}{\partial b_{x y}}  \tag{3.10}\\
& x, y, z=0,1,2, \ldots, N \quad(x+y+z) \neq 0
\end{align*}
$$

Equation 3.9 generates $(N+1) \times(N+1) \times(N+1)$ nonlinear equations in $\{a\}$, while

Equation 3.10 generates $(N+1) \times(N+1) \times(N+1)-1$ nonlinear equations in $\{b\}$.

There are $2(N+1) \times(N+1) \times(N+1)-1$ filter coefficients, and these generated
equations form a complete set from which the coefficients can be solved.
While solvable, the above system of equations is highly nonlinear. To avoid this nonlinearity, reconsider the error equation of Equation 3.5 in the following form

$$
\begin{equation*}
\hat{\varepsilon}\left(\omega_{1}, \omega_{2}, \omega_{3}\right)=B\left(\omega_{1}, \omega_{2}, \omega_{3}\right) H^{d}\left(\omega_{1}, \omega_{2}, \omega_{3}\right)-A\left(\omega_{1}, \omega_{2}, \omega_{3}\right) \tag{3.11}
\end{equation*}
$$

where $\varepsilon\left(\omega_{1}, \omega_{2}, \omega_{3}\right) B\left(\omega_{1}, \omega_{2}, \omega_{3}\right)$ has been replace by a "weighted" error term $\hat{\varepsilon}\left(\omega_{1}, \omega_{2}, \omega_{3}\right)$. Now transformation of Equation 3.11 to the space-time domain results in the error equation

$$
\begin{equation*}
\hat{\varepsilon}\left(n_{1}, n_{2}, n_{3}\right)=\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} b_{i j k} h^{d}\left(n_{1}-i, n_{2}-j, n_{3}-k\right)-\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} a_{i j k} \delta\left(n_{1}-i, n_{2}-j, n_{3}-k\right) \tag{3.12}
\end{equation*}
$$

Forming the $L_{2}$ norm again, but now using the modified error term results in

$$
\begin{equation*}
Q=\sum_{n_{1}=0}^{M-1} \sum_{n_{2}=0}^{M-1} \sum_{n_{3}=0}^{M-1} \hat{\varepsilon}^{2}\left(n_{1}, n_{2}, n_{3}\right) \tag{3.13}
\end{equation*}
$$

It should now be clear why this derivation began in the frequency domain, despite the fact that it is a space-time design method. By beginning the derivation in the frequency domain, it is clearly shown that the error being minimized in Equation 3.13 is a "weighted" error,
and not the true error.
This new error $Q$ can be minimized by differentiating with respect to each of the filter coefficients, and setting the resulting equations equal to zero. Differentiating $\boldsymbol{Q}$ with respect to the $\{a\}$ coefficients gives

$$
\begin{align*}
& x, y, z=0,1,2, \ldots, N \tag{3.14}
\end{align*}
$$

This reduces to

$$
\begin{align*}
& a_{n_{1} n_{2} n_{3}}=\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} b_{i j k} h^{d}\left(n_{1}-i, n_{2}-j, n_{3}-k\right)  \tag{3.15}\\
& n 1, n 2, n 3=0,1,2, \ldots, N
\end{align*}
$$

As a result of Equation 3.15, Equation 3.13 can be rewritten as

$$
\begin{equation*}
Q=\sum_{n 1=N+1}^{M-1} \sum_{n 2=N+1}^{M-1} \sum_{n=N+1}^{M-1}\left[\sum_{i=0}^{N} \sum_{j=0}^{N} \sum_{k=0}^{N} b_{i j k} h^{d}\left(n_{1}-i, n_{2}-j, n_{3}-k\right)\right]^{2} \tag{3.16}
\end{equation*}
$$

since $a_{n_{1} n_{2} n_{3}}=0$ for $N+1 \leq n_{1}, n_{2}, n_{3} \leq M-1$. Now minimize $Q$ by differentiating with respect to the $\{b\}$ coefficients and equating the resulting equations to zero. This gives
$\frac{\partial Q}{\partial D_{x y}}=2 \sum_{m_{2}=N+1}^{M-1} \sum_{m_{2}=N+1}^{M-1} \sum_{m} \sum_{N+1}^{M-1}\left[\sum_{n=0}^{N} \sum_{j=0}^{N} \sum_{i=0}^{N} b_{y j t} h^{d}\left(n_{1}-i, n_{2}-j, n_{3}-k\right)\right] h^{d}\left(n_{1}-x, n_{2}-y, n_{3}-z\right)=0$
$x, y, z=0,1,2, \ldots, N$
which reduces to


These equations generate $(N+1) \times(N+1) \times(N+1)$ linear equations in $\{a\}$ and
$(N+1) \times(N+1) \times(N+1)-1$ linear equations in $\{b\}$. This set of linear equations can easily be solved for the filter coefficients.

### 3.3 Designing the 3-D Recursive Filter[1]

Once the desired impulse response is generated, a decision must be made as to how this response should be utilized. There are four possible options for the utilization of the impulse response:

1. Use the eight cubes of the impulse response (entire large cube shown in Figure 3.1) with the origin being at the center of the array.
2. Shift the axis such that the entire impulse response is in the cube where

$$
n_{1}, n_{2}, n_{3} \geq 0
$$

3. Take the impulse response from only one cube of the array where $n_{1}, n_{2}, n_{3} \geq 0$ (only utilize 1/8 of the impulse response). This option is depicted by the dotted

## cube in Figure 3.1.



Figure 3.1: Utilization of Impulse Response
4. Shift the axes by an amount that is large enough to include the largest components of the impulse response in the cube $n_{1}, n_{2}, n_{3} \geq 0$ and use this cube. This option is depicted by the dashed line in Figure 3.1.

The first option cannot be used since a filter's impulse response must be zero in the range $\left(n_{1}<0\right),\left(n_{2}<0\right)$, and $\left(n_{3}<0\right)$ for the filter to be causal.

The second option will provide a causal filter, but the order of the filter will need to be at least $(M / 2 \times M / 2 \times M / 2)$. The need for such a high order is a result of the large delay of the
impulse response in all directions. The third option will also provide a causal filter since values of $h\left(n_{1}, n_{2}, n_{3}\right)$ are only used when $\left(n_{1} \geq 0\right),\left(n_{2} \geq 0\right)$, and $\left(n_{3} \geq 0\right)$. Due to symmetry, the complete magnitude spectrum can be obtained by using only the one cube. However, while the magnitude spectrum will be preserved, the phase characteristic will not be preserved. Since linear phase is very important in video processing applications, this method is unsatisfactory.

In the fourth option, two characteristics of the impulse response are made use of :
i) The impulse response decays rapidly away from the origin.
ii) A shift in the impulse response in the space-time domain corresponds to the addition of a linear phase to the frequency domain.

Since the larger values of the impulse response (shown as the sphere in the middle of cube of Figure 3.1) are being used (which have the largest influence on the magnitude and phase response), and a linear shift is being added to a filter originally specified as zerophase, this method can be used to design filters with near-linear phase characteristics. By using this method, most of the characteristics of the original desired frequency response are preserved without the large delay that would exist if the entire impulse response were used. It has been found[1] that the "shift" specified in Option 4 is best set to $\mathrm{N}-1$ in each dimension.

### 3.4 Three-Dimensional Inverse Fast Fourier Transform

Since the method discussed above is spatio-temporal, it requires the ideal impulse response before the error function can be formed. Usually however, a filter's specification
is given in terms of its frequency response. Therefore a method of transforming the frequency response into the impulse response is required. The most straight-forward way of doing this is through the use of the Three-Dimensional Inverse Discrete Fourier Transform (IDFT), given by

$$
\begin{equation*}
X\left(k_{1}, k_{2}, k_{3}\right)=\frac{1}{N_{1} N_{2} N_{3}} \sum_{n_{1}=0}^{N_{1}-1} \sum_{n_{2}=0}^{N_{2}-1 N_{3}-1} \sum_{n_{3}=0} x\left(n_{1}, n_{2}, n_{3}\right) e^{j \frac{2 x}{N_{1}}\left(n_{1} k_{1}+n_{2} k_{2}+n_{3} k_{3}\right)} \tag{3.19}
\end{equation*}
$$

If a filter with a cubic response is used, then the assignment $\mathrm{N}_{1}=\mathrm{N}_{2}=\mathrm{N}_{3}=\mathrm{N}$ can be made for simplicity and Equation 3.19 can be rewritten as

$$
\begin{equation*}
X\left(k_{1}, k_{2}, k_{3}\right)=\frac{1}{N^{2}} \sum_{n_{1}=0}^{N-1} \sum_{n_{2}=0}^{N-1}\left[\frac{1}{N} \sum_{n_{3}=0}^{N-1} x\left(n_{1}, n_{2}, n_{3}\right) e^{j \frac{2 \pi}{N} n_{3} k_{3}}\right] e^{j \frac{2 x}{N}\left(n_{2} k_{2}+n_{3} k_{3}\right)} \tag{3.20}
\end{equation*}
$$

Now let

$$
\begin{align*}
& G\left(n_{1}, n_{2}, k_{3}\right)=\frac{1}{N} \sum_{n_{3}=0}^{N-1} x\left(n_{1}, n_{2}, n_{3}\right) e^{j \frac{2 \pi}{N} n_{3} k_{3}}  \tag{3.21}\\
& \quad \text { for } n_{1}, n_{2}=0,1,2, \cdots, N-1
\end{align*}
$$

Equation 3.21 is essentially the one-dimensional IDFT of the $\mathbf{n}_{\mathbf{2}}^{\text {th }}$ row of the $\mathbf{n}_{1}^{\text {th }}$ "frame". This is shown graphically in Figure 3.2(a). Using Equation 3.21, the following can be stated

$$
\begin{align*}
H\left(n_{1}, k_{2}, k_{3}\right) & =\frac{1}{N} \sum_{n_{2}=0}^{N-1} G\left(n_{1}, n_{2}, k_{3}\right) e^{j^{2 \pi} n_{2} k_{2}}  \tag{3.22}\\
\text { for } n_{1}, k_{3} & =0,1,2, \cdots, N-1
\end{align*}
$$

Equation 3.22 is the one-dimensional IDFT of the resulting $k_{3}{ }^{\text {th }}$ column of the $n_{1}{ }^{\text {th }}$ "frame". This is shown graphically in Figure 3.2(b). Now consider the following

$$
\begin{align*}
X\left(k_{1}, k_{2}, k_{3}\right) & =\frac{1}{N} \sum_{n_{1}=0}^{N-1} H\left(n_{1}, k_{2}, k_{3}\right) e^{j \frac{2 \pi}{N} n_{1} k_{1}}  \tag{3.23}\\
\text { for } k_{2}, k_{3} & =0,1,2, \cdots, N-1
\end{align*}
$$

Equation 3.23 is essentially the one-dimensional IDFT of each resulting "depth vector" of the array. This is shown graphically in Figure 3.2(c). What has been accomplished above is the breakdown of the Three-Dimensional Inverse Discrete Fourier Transform into multiple One-Dimensional Inverse Discrete Fourier Transforms. This method can be used to take advantage of the computational efficiency of the One-Dimensional Fast Fourier Transform when the desired impulse response is formed for the modified Shank's method presented earlier.


Figure 3.2: Three-Dimensional Fast Fourier Transform

## Chapter 4: Implementation

### 4.1 Introduction

With the basic theory presented, the actual process of using a three-dimensional filter to improve video resolution is now tested. This is done by extracting the raw data from the video file, filtering it, and reconstructing the file for playback comparison. This process is illustrated in Figure 4.1. As mentioned in the introduction of this thesis, there are many functions available in the Microsoft SDK to modify AVI files. These functions are grouped under the AVIFile library. One particular function of interest extracts an individual frame of video as a Microsoft BMP bitmap image. Since four of the six steps (as outlined in Figure 4.1) involve AVI or BMP file manipulation, this chapter begins with an overview of the AVI and BMP file formats. The rest of the chapter discusses each step of the flowchart in Figure 4.1. Code snippets used in the Filter3D program dealing with the AVI codec are given at the end of the chapter, and described throughout the chapter.

### 4.2 AVI and BMP File Formats

### 4.2.1 AVI File Format

The AVI format is a sub-format of the Microsoft Resource Interchange File Format (RIFF). This format is based on the Electronic Arts Interchange File Format (IFF)[17] which is a general purpose data storage format for associating and storing multiple types of data. As the name implies, an Audio Visual Interleaved (AVI) file can contain both Audio and Video data.


Figure 4.1: Implementation

While the IFF format uses tagged blocks of data called chunks, the AVI format handles its information as data streams. Data streams broadly refer to the components of a time-based file, either audio or video in the case of AVI files. This thesis is concerned only with the video stream of a file, and audio streams are ignored when reading the AVI files. Each AVI file consists of one file header, one or more stream headers, and the file data. The structures AVIFILEINFO and AVISTREAMINFO hold the file header and stream header respectively. The following structure definitions are taken directly from the Microsoft

Developer Studio help files.
The AVIFILEINFO structure contains global information for an entire AVI file.

```
typedef struct {
        DWORD dwMaxBytesPerSec;
        DWORD dwFlags;
        DWORD dwCaps;
        DWORD dwStreams;
        DWORD dwSuggestedBufferSize;
        DWORD dwWidth;
        DWORD dwHeight;
        DWORD dwScale;
        DWORD dwRate;
        DWORD dwLength;
        DWORD dwEditCount:
        char szFileType[64];
} AVIFILEINEO:
```


## Members

dwMaxBytesPerSec
Approximate maximum data rate of the AVI file.
dwFlags
Applicable flags. The following flags are defined:
AVIFILENFO_HASINDEX
The AVI file has an index at the end of the file. For good performance, all AVI files should contain an index.

## AVIFILEINFO_MUSTUSEINDEX

The file index contains the playback order for the chunks in the file. Use the index rather than the physical ordering of the chunks when playing back the data. This could be used for creating a list of frames for editing.

## AVIFILEINFO_ISINTERLEAVED

The AVI file is interleaved.

## AVIFILEINFO_WASCAPTUREFILE

The AVI file is a specially allocated file used for capturing real-time video.
Applications should warn the user before writing over a file with this flag set because the user probably defragmented this file.

## AVIFILEINFO_COPYRIGHTED

The AVI file contains copyrighted data and software. When this flag is used, software should not permit the data to be duplicated.

## dwCaps

Capability flags. The following flags are defined:

## AVIFILECAPS_CANREAD

An application can open the AVI file with with the read privilege.

## AVIFILECAPS_CANWRITE

An application can open the AVI file with the write privilege.

## AVIFILECAPS_ALLKEYFRAMES

Every frame in the AVI file is a key frame.

## AVIFILECAPS_NOCOMPRESSION

The AVI file does not use a compression method.

## dwStreams

Number of streams in the file. For example, a file with audio and video has at least two streams.

## dwSuggestedBufferSize

Suggested buffer size, in bytes, for reading the file. Generally, this size
should be large enough to contain the largest chunk in the file. For an interleaved file, this size should be large enough to read an entire record, not just a chunk.

If the buffer size is too small or is set to zero, the playback software will have to reallocate memory during playback, reducing performance.
dwWidth
Width, in pixels, of the AVI file.
dwHeight
Height, in pixels, of the AVI file.

## dwScale

Time scale applicable for the entire file. Dividing dwRate by dwSeale gives the number of samples per second.

Any stream can define its own time scale to supersede the file time scale.

## dwLength

Length of the AVI file. The units are defined by dwRate and dwScale.
dwEditCount
Number of streams that have been added to or deleted from the AVI file.

## szFileType

Null-terminated string containing descriptive information for the file type.

The AVISTREAMINFO structure contains information for a single stream.

```
typedef struct {
    DWORD fccType;
    DWORD fccHandler:
    DWORD dwFlags;
    DWORD dwCaps;
    WORD wPriority;
    WORD wLanguage;
    DWORD dwScale;
    DWORD dwRate;
    DWORD dwStart;
    DWORD dwLength;
    DWORD dwInitialFrames;
    DWORD dwSuggestedBufferSize;
```

```
    DWORD dwQuality:
    DWORD dwSampleSize;
    RECT rcFrame;
    DWORD dwEditCount;
    DWORD dwFOrmatChangeCount:
    char szName[64]:
} AVISTREAMINEO;
```


## Members

## fceType

Four-character code indicating the stream type. The following constants have been defined for the data commonly found in AVI streams:

| streamtypeAUDIO | Indicates an audio stream. |
| :--- | :--- |
| streamtypeMIDI | Indicates a MIDI stream. |
| streamtypeTEXT | Indicates a text stream. |
| streamtypeVIDEO | Indicates a video stream. |

## fecHandler

Four-character code of the compressor handler that will compress this video stream when it is saved (for example, mmioFOURCC('M','S','V','C')). This member is not used for audio streams.

## dwFlags

Applicable flags for the stream. The bits in the high-order word of these flags are specific to the type of data contained in the stream. The following flags are defined:

## AVISTREAMINFO_DISABLED

Indicates this stream should be rendered when explicitly enabled by the user.

## AVISTREAMINFO_FORMATCHANGES

Indicates this video stream contains palette changes. This flag warns the playback software that it will need to animate the palette.
dwCaps
Capability flags; currently unused.

## wPriority

Priority of the stream.

## wLanguage

Language of the stream.

## dwScale

Time scale applicable for the stream. Dividing dwRate by dwScale gives the playback rate in number of samples per second.

For video streams, this rate should be the frame rate. For audio streams, this rate should correspond to the audio block size (the nBlockAlign member of the WAVEFORMAT or PCMWAVEFORMAT structure), which for PCM (Pulse Code Modulation) audio reduces to the sample rate.
dwRate
See dwScale.

## dwStart

Sample number of the first frame of the AVI file. The units are defined by dwRate and dwScale. Normally, this is zero, but it can specify a delay time for a stream that does not start concurrently with the file.

The 1.0 release of the AVI tools does not support a nonzero starting time.

## dwLength

Length of this stream. The units are defined by dwRate and dwSeale.

## dwInitialFrames

Audio skew. This member specifies how much to skew the audio data ahead of the video frames in interleaved files. Typically, this is about 0.75 seconds.

## dwSuggestedBufferSize

Recommended buffer size, in bytes, for the stream. Typically, this member contains a value corresponding to the largest chunk in the stream. Using the correct buffer size makes playback more efficient. Use zero if you do not know the correct buffer size.

## dwQuality

Quality indicator of the video data in the stream. Quality is represented as a number between 0 and 10,000. For compressed data, this typically represents the value of the quality parameter passed to the compression software. If set to -1 , drivers use the default quality value.

## dwSampleSize

Size, in bytes, of a single data sample. If the value of this member is zero, the samples can vary in size and each data sample (such as a video frame) must be in a separate chunk. A nonzero value indicates that multiple samples of data can be grouped into a single chunk within the file.

For video streams, this number is typically zero, although it can be nonzero if all video frames are the same size. For audio streams, this number should be the same as the nBlockAlign member of the WAVEFORMAT or WAVEFORMATEX structure describing the audio.

## reFrame

Dimensions of the video destination rectangle. The values represent the coordinates of upper left comer, the height, and the width of the rectangle.

## dwEditCount

Number of times the stream has been edited. The stream handler maintains this count.

## dwFormatChangeCount

Number of times the stream format has changed. The stream handler maintains this count.
szName
Null-terminated string containing a description of the stream.

### 4.2.2 BMP File Format

The Microsoft BMP file format is the native bitmap format of the Microsoft Windows operating environment and is used to store virtually any type of bitmap data[17]. BMP
files consist of a file header, bitmap header, optional colour palette, and the bitmap data.
All BMP files contain a file header and bitmap header (older bitmap files may only contain a file header, but those older formats are not discussed here). The colour palette exists if the number of bits constituting each pixel is eight or less ( $<=\mathbf{8 b p p}$ ). Since greyscale images are 8bpp, the BMP files examined here all have a colour palette. The structures BITMAPFILEHEADER and BITMAPNFOHEADER hold the file header and bitmap header respectively. The following definitions are taken directly from the Microsoft Developer Studio help files.

The BITMAPFILEHEADER structure contains information about the type, size, and layout of a file that contains a device-independent bitmap (DIB).
typedef struct tagBITMAPFILEHEADER f // bmfh
WORD bftype;
DWORD bfSize;
WORD bfReservedl:
WORD bfReserved2;
DWORD bfoffBits:
\} BITMAPEILEHEADER;

## Members

brType
Specifies the file type. It must be BM.
bisize
Specifies the size, in bytes, of the bitmap file.
bfReserved1
Reserved; must be zero.
biReserved2
Reserved; must be zero.
bfOfibits

Specifies the offset, in bytes, from the BITMAPFILEHEADER structure to the bitmap bits.

The BITMAPINFOHIEADER structure contains information about the dimensions and color format of a device-independent bitmap (DIB).

```
typedef struct tagBITMAPINFOHEADER{ // bmih
    DWORD biSize:
    LONG biWidth;
    LONG biHeight;
    WORD biPlanes;
    WORD biBitCount
    DWORD biCompression;
    DWORD biSizeImage;
    LONG biXPelsPerMeter:
    LONG biYPelsPerMeter;
    DWORD biClrUsed:
    DWORD biClrImportant;
} BITMAPINFOHEADER;
```


## Members

biSize
Specifies the number of bytes required by the structure.
biWidth
Specifies the width of the bitmap, in pixels.

## biHeight

Specifies the height of the bitmap, in pixels. If biHeight is positive, the bitmap is a bottom-up DIB and its origin is the lower left corner. If biHeight is negative, the bitmap is a top-down DIB and its origin is the upper left corner.
biPlanes
Specifies the number of planes for the target device. This value must be set to 1 .

## biBitCount

Specifies the number of bits per pixel. This value must be $1,4,8,16,24$, or 32.

## biCompression

Specifies the type of compression for a compressed bottom-up bitmap (top-down DIBs cannot be compressed). It can be one of the following values:

## biXPelsPerMeter

Specifies the horizontal resolution, in pixels per meter, of the target device for the bitmap. An application can use this value to select a bitmap from a resource group that best matches the characteristics of the current device.

## biYPelsPerMeter

Specifies the vertical resolution, in pixels per meter, of the target device for the bitmap.

## biCIrUsed

Specifies the number of color indices in the color table that are actually used by the bitmap. If this value is zero, the bitmap uses the maximum number of colors corresponding to the value of the biBitCount member for the compression mode specified by biCompression.

If biClrUsed is nonzero and the biBitCount member is less than 16, the biClirUsed member specifies the actual number of colors the graphics engine or device driver accesses. If biBitCount is $\mathbf{1 6}$ or greater, then biClrUsed member specifies the size of the color table used to optimize performance of Windows color palettes. If biBitCount equals 16 or 32, the optimal color palette starts immediately following the three doubleword masks.

If the bitmap is a packed bitmap (a bitmap in which the bitmap array immediately follows the BITMAPINFO header and which is referenced by a single pointer), the biClrUsed member must be either 0 or the actual size of the color table.

## biCIrImportant

Specifies the number of color indices that are considered important for displaying the bitmap. If this value is zero, all colors are important.

### 4.3 Obtain Standard AVI File

The first step of the flowchart, obtaining a standard AVI file, is very simple. There are many AVI files readily available on the Internet. For this thesis, certain considerations are made in the selection of suitable AVI files. First, to simulate the type of video typical of a common application such as video-telephony, AVI files with frame rates of approximately 10-15 frames per second are selected. Another consideration that must be made in the selection of AVI files for the "Proof-of-Concept" in this thesis involves the subject of colour. Only grayscale video files are used in this thesis. The reasoning behind this relates to the fact that filtering pixels with colour is a straight-forward extension of the method used to grayscale pixels. There are two methods for performing this filtering: filtering the three primaries separately, and filtering only the luminance values. Both of the methods are discussed in detail in [1].

### 4.4 Extract Individual Frames

The next step in the implementation involves extracting each frame of video from the file. Refer to the code supplied at the end of this chapter for the actual code used in this and subsequent AVI-related steps. As mentioned in the introduction, the Microsoft SDK has many functions for manipulating AVI files. To use these functions, the AVIFile library must be initialized using AVIFileInit. The AVI file is then opened using AVIFileOpen. This function can also be used to create new AVI files for writing. The next step is to obtain the video stream using AVIFileGetStream. As mentioned, AVI files can contain multiple streams, where one stream may be video and the others audio. The audio stream
is ignored in this step. With the video stream extracted, the original AVI file can now be closed using AVIFileClose. By using the functions AVIStreamStart and AVIStreamEnd, the original number of frames can be calculated. The use of AVIStreamGetFrameOpen is used to prepare for the extraction of a frame from the stream. Then the function AVIStreamGetFrame is called. This function returns a pointer to a specified frame of video as a Device Independent Bitmap (DIB). The DIB format is also commonly known as the Microsoft Bitmap (BMP) format, which was discussed in the introduction of this chapter.

### 4.5 Extract Raw Pixel Data from Frames

The BMP file format is a very simple format to extract data from. Since only grayscale (8bpp) images are used, each entry in the bitmap data is an index to the Red-Green-Blue (RGB) value stored in the palette. The fact that the images are grayscale means that $\mathrm{R}=\mathrm{G}=\mathrm{B}$. If the images were not grayscale, luminance (grayscale) values could still be obtained from the RGB colour values using the following equation[1].

$$
\begin{equation*}
Y=0.3 R+0.59 G+0.11 B \tag{5.1}
\end{equation*}
$$

Equation 5.1 is based on the relative sensitivity of the human eye to the different primary colours. By using Equation 5.1, pixel data can be extracted from either a colour or grayscale palette.

### 4.6 Apply 3-D Filter to Raw Data

This section comprises the central part of the thesis. The previous steps in the implementation are primarily for the purpose of accessing the raw video data. The following algorithm explains the process involved in filtering a sequence of images with a three-dimensional filter. Refer to Figure 4.2 for a graphical representation of the process.

```
Clear wx and wy
For n=0,1,2,...,image_depth-1
{
    Transfer nth frame of video to 1>
    wx[0][j][k] = video[n][j][k] for j=0,1,2,..,image_height-1,
                        k=0,1,2,...,image_width-1
    For ml=0,1,2,...,image_height-1
    {
        For m2=0,1,2,...,image_width-1
            {
            wy[0][\mp@subsup{m}{1}{}][\mp@subsup{m}{2}{}]=\mp@subsup{\sum}{i=0}{N}\mp@subsup{\sum}{j=0}{N}\mp@subsup{\sum}{k=0}{N}\mp@subsup{a}{ijk}{}wx[i][\mp@subsup{m}{1}{}-j][\mp@subsup{m}{2}{}-k]
                - }\mp@subsup{\sum}{\begin{subarray}{c}{i=0}\\{(i+j+k=0}\end{subarray}}{N}\mp@subsup{\sum}{j=0}{N}\mp@subsup{\sum}{\begin{subarray}{c}{k=0}\\{N}\end{subarray}}{N}\mp@subsup{b}{ijk}{}wy[i][\mp@subsup{m}{1}{}-j][\mp@subsup{m}{2}{}-k
            }
    }
    Transfer 1* frame of wy into output video
    Output[n][j][k]=wy[0][j][k] for j=0,1,2,...,image_height-1,
                        k=0,1,2,\ldots,image_width-1
    Shift frames of wx and wy
    frame i+1 = frame i
}
```


### 4.7 Reconstruct Frames

With the data filtered, each frame is placed back in BMP format to prepare for insertion into the AVI format. This is a simple task which involves re-attaching the file and bitmap headers to the new raw data. Since the data is entirely 8 -bit luminance values, they already act as indexes into a linear colour palette ranging from zero to 255 with each $R, G$, and $B$ entry equal. If the original image was grayscale, this palette already exists. If the original image had been colour and was converted to grayscale for processing then the old colour palette must be replaced with the linear grayscale palette mentioned above. The original file header remains unchanged, while the only fields of the original bitmap header that differ after the filtering are biWidth, biHeight, and biSizeImage. The width and height fields will each be double the original value, while the image-size field will be four times larger.

### 4.8 Reconstruct AVI File

The final step of the flowchart of Figure 4.1 is the reconstruction of the AVI file. Like the extraction of frames from the file, this step involves using specific functions in the AVIFile library. Similar to the reconstruction of the BMP frames where the original headers are reused with only slight modifications, much of the stream header information can be reused from the original. In this case, the following fields of the header are changed: dwRate is doubled, dwLength is doubled, dwSuggestedBufferSize is quadrupled, and the length and width of rcFrame are each doubled. Using the modified header, a new stream can be created by using the function AVIFileCreateStream. The format of the stream is
then set using AVIStreamSetFormat. With this done, the stream is now ready to have a filtered frame inserted by using AVIStreamWrite. These steps are required for writing the first frame of filtered video data to the file. Now as each subsequent frame of filtered video is obtained, it can be added to the stream using AVIStreamWrite. The resources from decompressing the frame then need to be released by using AVIStreamGetFrameClose. Both streams, old and new, are closed using AVIStreamClose, and AVIFileClose is used to close the new AVI file. The function AVIFileExit is then used to exit the AVIFile library.


Figure 4.2(a): Original moving image sequence.


Figure 4.2(b): Wx image buffer.


Figure 4.2(c): Wy image buffer.


Figure 4.2(d): Filtered moving image sequence.

### 4.9 Sample AVI Code

```
;
// Initialize AVIFile library
AVIFileInit0;
// Open AVI file for reading
hr = AVIFileOpen(&pFile,m_IpstrFileName,OF_READ,NULL);
if(hr!=A VIERR_OK)
{
    AfxMessageBox("An Error Occurred Opening the Input File.");
    return FALSE;
}
// Create new AVI file for writing
hr = AVIFileOpen(&pFileNew,m_lpstrNewFileName,OF_WRITE|OF_CREATE,NULL);
if(hr!=AVIERR_OK)
{
    AfxMessageBox("An Error Occurred Creating the Output File.");
        return FALSE;
}
// Open AVI stream for reading
hr = AVIFileGetStream(pFile,&pStream,streamtypeVIDEO,0);
if(hr!=AVIERR_OK)
{
    AfxMessageBox("An Error Occurred Opening the Input Stream.");
    return FALSE;
}
// Close original AVI file
AVIFileClose(pFile);
// Calculate number of frames in stream
numFrames = A VIStreamEnd(pStream)-A VIStreamStart(pStream);
// Prepare to decompress video frames from stream
getFrameObj = A VIStreamGetFrameOpen(pStream,NULL);
// Obtain address of first decompressed video frame
tempFramePtr = (BYTE *)A VIStreamGetFrame(getFrameObj,0);
// Get header from old stream
hr = A VIStreaminfo( pStream, &strHdrOld, sizeof(strHdrOld) );
```

```
if(hr != AVIERR_OK)
{
    AfxMessageBox("An Error Occurred Reading Old Stream Header.");
    reumm FALSE;
}
// Fill in the header for the new video stream
memset(&strHdrNew,0,sizeof(strHdrNew);// Set strHdrNew to zero
strHdrNew.fceType = streamtypeVIDEO; // stream type
strHdrNew.fecHandler = 0; // Compressor Code
strHdrNew.dwScale = strHdrOld.dwScale; // Time Scale
strHdrNew.dwRate = 2*strHdrOld.dwRate; // Frames per second
strHdrNew.dwLength = 2*strHdrOld.dwLength; // Number of frames
strHdrNew.dwSuggestedBufferSize = 4*bmiHeader.biSizelmage; // buffer size
SetRect(&strHdrNew.rcFrame,0,0,2*bmiHeader.biWidth,2*bmiHeader.biHeight); // rectangle for
stream
// Create the new stream
hr = AVIFileCreateStream(pFileNew,&pStreamNew,&strHdrNew);
if(hr != AVIERR_OK)
{
    AfxMessageBox("An Error Occurred Creating the Output Stream.");
    return FALSE;
}
// Set format of new stream
hr = AVIStreamSetFormat(pStreamNew,0,framePtr,
                                    bmiHeader.biSize +
                                    bmiHeader.biClrUsed*sizeof(RGBQUAD));
if(hr != AVIERR_OK)
{
    AfxMessageBox("An Error Occurred Setting the Output Stream Format.");
    return FALSE;
}
// Write frame to new stream
hr = A VIStreamWrite(pStreamNew,0,1,
                                    framePtr + imageOffset,
                                    4*bmiHeader.biSizelmage,
                                    AVIIF_KEYFRAME,NULL,NULL);
if(hr != AVIERR_OK)
{
    AfxMessageBox("An Error Occurred Writing to the Output Stream.");
    retum FALSE;
}
// Write frame to new stream hr = AVIStreamWrite(pStreamNew,frame, 1,
```

```
                                    framePtr + imageOffset,
                                    4*bmiHeader.biSizeImage,
                                    AVIIF_KEYFRAME,NULL,NULL);
if(hr != AVIERR_OK)
{
    AfxMessageBox("An Error Occurred Writing to the Output Stream.");
    return FALSE;
}
```

// Close the files and streams AVIStreamGetFrameClose(getFrameObj); AVIStreamClose(pStream); AVIStreamClose(pStreamNew); AVIFileClose(pFileNew);

AVIFileExit(; return TRUE; // function completed successfully

## Chapter 5: Results

### 5.1 Introduction

All results given in this chapter except plotting, which is done using MATLAB, are generated using a computer program developed using Microsoft Visual $\mathrm{C}++$. This program designs a 3-D IIR filter using the Modified Shank's Method of Chapter 3, and uses it to perform filtering of an AVI file using the process given in Chapter 4. This software implementation of a 3-D filter provides a basis for forming conclusions about the validity of the theory given in the preceding chapters. These conclusions are provided in Chapter 6.

### 5.2 Filter Design Results

After starting the program Filter3D, selecting 'New' from the toolbar or the File menu presents a dialog box requesting parameters for the design of the 3D filter. Figure 5.1 shows this dialog box. The values given in Figure 5.1 are the default values for the filter. The results in this chapter are generated using a value of 32 as the number of samples. The default values are used for the other design options. By clicking the OK button, the filter is designed using the Modified Shank's Method discussed earlier in the thesis. The resulting filter coefficients are given in Figure 5.2.


Figure 5.1: Filter Settings Dialog Box


Figure 5.2: Coefficients of designed 3-D filter

## 60

Figure 5.3 shows the magnitude response of the designed filter when $\omega 1$ is held constant at zero radians/sec. Note that $\omega 1$ is within the passband of the filter, and the characteristics of the filter are acceptable. Figure 5.4 shows the magnitude response when $\omega l$ is held constant at 0.98 radians $/ \mathrm{sec}$. The value of $\omega 1$ is still within the passband of the filter and the characteristics are again acceptable. Figure 5.5 shows the magnitude response when $\omega 1$ is held constant at 2.16 radians $/ \mathrm{sec}$. This value of $\omega 1$ is outside the passband, and therefore the magnitude response is very nearly zero. Figure 5.6 shows the magnitude response when $\omega 1$ is held constant at pi radians/sec. The value of $\omega 1$ is again outside the passband, and the magnitude response is again very nearly zero.



Figure 5.5: Magnitude response with $\omega_{1}=2.16 \mathrm{rad} / \mathrm{sec}$


Figure 5.6: Magnitude response with $\omega_{1}=\pi \mathrm{rad} / \mathrm{sec}$

The plots of Figures 5.3 through 5.6 show that the filter design method used yields an acceptable magnitude response. However, as stated earlier in the thesis, it is also very important to have linear or near-linear phase in the passband of the filter. Figure 5.7 shows the phase response of the filter when $\omega 1=0 \mathrm{rad} / \mathrm{sec}$. Note that the response appears moderately flat within the passband region. Figure 5.8 shows an approximation to the group delay of the filter with respect to $\omega 3$. It is only an approximation since the resolution between points is finite, but it is sufficient to give an idea of the linearity of the phase response. Note that for values of $\omega 3$ within the passband, there is very little deviation in the phase response. All significant deviation lies outside the passband, so any distortion is attenuated. Figure 5.9 and 5.10 show the same thing except with $\omega 1$ at a value of $0.98 \mathrm{rad} / \mathrm{sec}$. Figure 5.11 shows the phase response of the filter when $\omega 1$ is fixed at $2.16 \mathrm{rad} / \mathrm{sec}$. Note that the phase response at this value of $\omega 1$ is non-linear. However, by examination of Figure 5.12 it can be seen that the non-linearity occurs outside the passband of the filter. Therefore, any resulting phase distortion will be attenuated.


Figure 5.7: Phase response with $\omega_{1}=0 \mathrm{rad} / \mathrm{sec}$


Figure 5.8: Group delay with $\omega_{1}=0 \mathrm{rad} / \mathrm{sec}$


Figure 5.9: Phase response with $\omega_{1}=0.98 \mathrm{rad} / \mathrm{sec}$


Figure 5.10: Group delay with $\omega_{1}=0.98 \mathrm{rad} / \mathrm{sec}$


Figure 5.11: Phase response with $\omega_{1}=2.16 \mathrm{rad} / \mathrm{sec}$


Figure 5.12: Group delay with $\boldsymbol{\omega}_{1}=2.16 \mathrm{rad} / \mathrm{sec}$

### 5.3 Video Filtering Results

While it is gratifying to see that the 3D filter design method given in this thesis is effective, it is not the primary goal of this investigation. The main purpose is to verify that these filters can be effectively used to increase the resolution of moving images. By following the implementation algorithm given in the previous chapter, various AVI video files were interpolated using the above 3D filter. The following figures show the results from one of these files.

First let us demonstrate that the number of samples has been increased. Figure 5.13 shows the file properties of the original AVI file compared with the file properties of the filtered AVI file. Note that the width and height are both doubled, and the number of frames is


Figure 5.13: Comparison of File Properties dialog boxes.
also doubled. This shows that there is indeed eight times more samples in the filtered video than in the original, but it gives no indication of the quality of this new video.

Figure 5.14 shows a frame of the original video file compared with its equivalent filtered frame. Note that the filtered image is double the width and height of the original.


Figure 5.14: Video single frame comparison.
Now examine Figure 5.15. It also shows a frame of the original video sequence compared with a frame from the filtered video sequence, but this time both frames are zoomed in to show the resolution difference.


Figure 5.15: Video single frame zoomed comparison.

The filtered frame is on the left, and the original frame is on the right. Note that for every one pixel in the original image, the filtered image has four pixels. Also note the improved definition of features such as the nose, eyes, and ears. The pixelation effect along the edge of the collar is also greatly reduced.

While Figure 5.14 and Figure 5.15 show an impressive increase of resolution in the individual frames of the video sequence, these results could have been obtained by using a 2D filter. The advantage of the 3D filter in this application lies in its ability to also increase the resolution along the time axis by interpolating frames. The result of this can be seen in Figure 5.16. The top two images are equivalent frames from the original and filtered video
sequences respectively (left to right). The bottom left image is the next frame of the original sequence, and the frame to its right is the equivalent frame of the filtered sequence. The frame between the two filtered frames is an interpolated frame that does not exist in the original sequence. Note the mouth is open in the first frame, and is closed in the next frame of the original sequence. Now examine the filtered sequence and note that the mouth is first open (as in the original), then the mouth is partially open, and then the mouth is closed (as in the original). The frame with the mouth partially open did not exist in the original sequence. This frame was successfully interpolated and shows detail that is not visible in the original sequence. These results show that the 3D filter successfully increased the resolution of the video sequence in all three dimensions.


Figure 5.16(a): Original Sequence (time = T) (Mouth is open)


Finare 5.1G(e): Interpolated Sequence (time $=\mathbf{T}$ ) (Mouth is open)


Fizure 5.1G(d): Interpolated Sequence (time $=\mathbf{T}+\mathrm{dt} / 2$ ) (Mouth is pertially open)


Fizere 5.16(e): Interpolated Sequence (time = T+dt) (Mouth is closed)

## Chapter 6: Summary and Conclusions

### 6.1 Summary

Chapter 1 of this thesis began by introducing the concept of moving images and giving an overview of various types of digital filters and their design methodologies. It finished by comparing some popular video formats, and giving some examples of the current applications of digital filters.

Chapter 2 began by discussing the Sampling Theorem, which is central to the understanding of digital interpolation. It then explored two methods of one-dimensional interpolation: zero-padding and sample replication. The chapter concluded by extending these concepts to three dimensions for use with three-dimensional digital signals.

The procedure of designing three-dimensional IIR filters using the Modified Shank's Method was presented in detail in Chapter 3. The two-dimensional spatial method was extended to the three-dimensional space-time domain. The chapter concluded by deriving the three-dimensional Fast Fourier Transform (FFT).

Chapter 4 tied all the theory together from the previous chapters to provide an implementation method by which a moving image sequence could be interpolated with a three-dimensional digital filter. It began by giving a description of the AVI and BMP file formats, and then describing how the raw pixel data could be extracted from these
formats. A scheme for applying the 3-D filter was given next, followed by a method to reinsert the raw filtered data back into an AVI file.

Chapter 5 provided results to demonstrate the validity of the theory in Chapter 2 and Chapter 3, and the validity of the implementation method in Chapter 4.

### 6.2 Conclusions

This thesis is concerned with the use of 3-D digital filters in multimedia applications. Specifically, it is interested in using three-dimensional digital interpolation filters to increase the resolution of moving image sequences in three dimensions. By examination of the results given in Chapter 5, it is clear that both the theory and the proposed implementation given in the thesis are sound. The designed 3-D IIR filter possesses a steep transition band and has near-linear phase response in the passband. After applying the filtering algorithm given in Chapter 4, the video file's resolution is increased by a factor of two in each dimension for a total resolution improvement by a factor of eight. In Chapter 1, the purpose of the thesis was given as: "... a digital 3-D interpolation filter is to be designed which performs inter-pixel and inter-frame interpolation, resulting in increased horizontal resolution, vertical resolution, and temporal resolution (frame rate) of a moving image sequence." The results of Chapter 5 clearly demonstrate that the goal of this thesis has been achieved, and that 3-D filters have application to the field of multimedia.

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## Appendix A

## Source Code for Filter3D Program

```
// ChildFrm.cpp : implementation of the CChildFrame class
//
#include "stdafx.h"
#include "Filter3D.h"
#include "ChildFrm.h"
#ifdef_DEBUG
#define new DEBUG_NEW
#undef THIS_FILE
static char THIS_FILE\ = __FILE__;
#endif
```



```
// CChildFrame
IMPLEMENT_DYNCREATE(CChildFrame, CMDIChildWnd)
BEGIN_MESSAGE_MAP(CChildFrame, CMDIChildWnd)
    //{{AFX_MSG_MAP(CChildFrame)
        // NOTE - the ClassWizard will add and remove mapping macros here.
        // DO NOT EDIT what you see in these blocks of generated code !
    //}}AFX_MSG_MAP
END_MESSAGE_MAPO
/I/I/IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
// CChildFrame construction/destruction
CChildFrame::CChildFrame()
{
    // TODO: add member initialization code here
}
CChildFrame::-CChildFrame()
{
}
BOOL CChildFrame::PreCreateWindow(CREATESTRUCT& cs)
{
    // TODO: Modify the Window class or styles here by modifying
    // the CREATESTRUCT cs
    return CMDIChildWnd::PreCreateWindow(cs);
}
```



```
// CChildFrame diagnostics
#ifdef_DEBUG
void CChildFrame::AssertValidO const
{
    CMDIChildWnd::AssertValid();
}
void CChildFrame::Dump(CDumpContext& dc) const
```

```
{
    CMDIChildWnd::Dump(dc);
}
#endif/I_DEBUG
```



```
// CChildFrame message handlers
```



```
// Complex.cpp : implementation of the COMPLEX class
//
#include "stdafx.h"
#include "Filter3D.h"
#include "Complex.h"
COMPLEX::COMPLEX0
{
    Real =0.0;
    Imag = 0.0;
}
COMPLEX::COMPLEX(double real, double imag)
{
    Real = real;
    Imag = imag:
}
double COMPLEX::GetReal(void) const
{
    return Real;
}
double COMPLEX::GetImag(void) const
{
}
double COMPLEX::Magnitude(void)
{
    retum(sqrt(Real*Real + Imag*Imag));
}
double COMPLEX::Phase(void)
{
return(atan2(Imag,Real));
}
COMPLEX operator+( COMPLEX A. COMPLEX B )
{
        retum COMPLEX( A.Real + B.Real,
        A.Imag + B.Imag );
}
COMPLEX operator-( COMPLEX A, COMPLEX B )
{
        retum COMPLEX( A.Real - B.Real,
        A.Imag - B.Imag );
}
COMPLEX operator*( COMPLEX A, COMPLEX B )
{
        return COMPLEX( A.Real * B.Real - A.Imag * B.Imag,
```

A.Real * B.Imag + A.Imag * B.Real );)
COMPLEX operator* ( COMPLEX A, double B ) ..... ( return COMPLEX( A.Real * B , A.Imag * B );

\}

## COMPLEX operator/( COMPLEX A, double B )

\{ return COMPLEX( A.Real / B , A.Imag / B ); \}

```
// Filter3D.cpp : Defines the class behaviors for the application.
//
#include "stdafx.h"
#include "Filter3D.h"
#include "MainFrm.h"
#include "ChildFrm.h"
#include "Filter3DDoc.h"
#include "Filter3DView.h"
#ifdef_DEBUG
#define new DEBUG_NEW
#undef THIS_FILE
static char THIS_FILE\ = __FILE_;
#endif
//I/IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
// CFilter3DApp
BEGIN_MESSAGE_MAP(CFilter3DApp, CWinApp)
    //{{AFX_MSG_MAP(CFilter3DAPp)
    ON_COMMAND(ID_APP_ABOUT, OnAppAbout)
            // NOTE - the ClassWizard will add and remove mapping macros here.
            // DO NOT EDIT what you see in these blocks of generated code!
    //\}AFX_MSG_MAP
    // Standard file based document commands
    ON_COMMAND(ID_FILE_NEW, CWinApp::OnFileNew)
    ON_COMMAND(ID_FILE_OPEN, CWinApp::OnFiteOpen)
    // Standard print setup command
    ON_COMMAND(ID_FILE_PRINT_SETUP, CWinApp:OnFilePrintSetup)
END_MESSÄGE_MAPO
```



```
// CFilter3DAPp construction
CFilter3DApp::CFilter3DApp0
{
    // TODO: add construction code here,
    // Place all significant initialization in Initlnstance
}
```



```
// The one and only CFilter3DApp object
CFilter3DApp theApp;
```



```
// CFilter3DApp initialization
BOOL CFilter3DApp:Initlnstance0
{
// Standard initialization
// If you are not using these features and wish to reduce the size // of your final executable, you should remove from the following // the specific initialization routines you do not need.
```

```
#ifdef_AFXDLL
    Enable3dControls(0; // Call this when using MFC in a shared DLL
#else
    Enable3dControlsStatic0; // Call this when linking to MFC statically
#endif
    // Change the registry key under which our settings are stored.
    // You should modify this string to be something appropriate
    // such as the name of your company or organization.
    SetRegistryKey(T("Steve McFadden - 1998"));
    LoadStdProfileSettings(;)// Load standard INI file options (including MRU)
    // Register the application's document templates. Document templates
    // serve as the connection between documents, frame windows and views.
    CMultiDocTemplate* pDocTemplate;
    pDocTemplate = new CMultiDocTemplate(
        IDR_FILTERTYPE,
        RUNTIME_CLASS(CFilter3DDoc),
        RUNTIME_CLASS(CChildFrame), // custom MDI child frame
        RUNTIME_CLASS(CFilter3DView));
    AddDocTemplate(pDocTemplate);
    // create main MDI Frame window
    CMainFrame* pMainFrame = new CMainFrame;
    if(!pMainFrame->LoadFrame(IDR_MAINFRAME))
        return FALSE;
    m_pMainWnd = pMainFrame;
    // Parse command line for standard shell commands, DDE. file open
    CCommandLinelnfo cmdinfo;
    ParseCommandLine(cmdInfo);
    // Dispatch commands specified on the command line
// if(!ProcessShellCommand(cmdInfo))
// retum FALSE;
    // The main window has been initialized, so show and update it.
    pMainFrame->ShowWindow(m_nCmdShow);
    pMainFrame->UpdateWindow();
    return TRUE;
}
/IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
// CAboutDlg dialog used for App About
class CAboutDlg : public CDialog
{
public:
    CAboutDIg0;
// Dialog Data
    //{{AFX_DATA(CAboutDlg)
    enum { IDD = IDD_ABOUTBOX };
    //}}AFX_DATA
```

```
    // ClassWizard generated virtual function overrides
    //{{AFX_VIRTUAL(CAboutDlg)
    protected:
    virtual void DoDataExchange(CDataExchange* pDX); // DDX/DDV support
    //}}AFX_VIRTUAL
// Implementation
prorected:
    //{(AFX_MSG(CAboutDlg)
        // No message handlers
    //}}AFX_MSG
    DECLAR्RE_MESSAGE_MAPO
};
CAboutDlg::CAboutDIg0 : CDialog(CAboutDlg:IDD)
{
    //{{AFX_DATA_INIT(CAboutDIg)
    //}}AFX_DATA_INIT
}
void CAbourDlg::DoDataExchange(CDataExchange* pDX)
{
    CDialog::DoDataExchange(pDX);
    //{{AFX_DATA_MAP(CAboutDIg)
    //}}AFX_DATA_MAP
}
BEGIN_MESSAGE_MAP(CAboutDlg, CDialog)
    //{{AFX_MSG_MAP(CAboutDIg)
        // No message handiers
    //}}AFX_MSG_MAP
END_MESSAGE_MAPO
// App command to run the dialog
void CFilter3DAPp::OnAppAbout()
{
    CAboutDlg aboutDlg;
    aboutDlg.DoModal(%;
}
|/I/IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII // CFilter3DApp commands
```

// Filter3DDoc.cpp : implementation of the CFilter3DDoc class
//

```
#include "stdafx.h"
#include "Fiher3D.h"
#include "Filter3DDoc.h"
#include "Filter3DSettingsDlg.h"
#include "ProcessingDlg.h"
#include <fstream.h>
#include "vfw.h"
#ifdef_DEBUG
#define new DEBUG_NEW
#undef THIS FILE
static char THIS_FILED = __FILE _;
#endif
|/IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII'
// CFilter3DDoc
IMPLEMENT_DYNCREATE(CFilter3DDoc, CDocument)
BEGIN_MESSAGE_MAP(CFilter3DDoc, CDocument)
    //{{AFX_MSG_MAP(CFilter3DDoc)
// ON_COMMAND(ID_VIDEO_PLAY,OnVideoPlay)
// ON_COMMAND(ID_VIDEO_FILTER, OnVideoFilter)
    //}}AFX_MSG_MAP
END_MESSAGE_MAPO
//IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
// CFilter3DDoc construction/destruction
CFilter3DDoc::CFiter3DDoc0
{
    pi=4.0*
    m_dCutofiFreq = 1.5708;
    m_nNumSamples = 16;
    m_nOrder = 2;
    m_nOffset =m_nOrder-1;
}
CFilter3DDoc::-CFilter3DDoc()
l
}
BOOL CFilter3DDoc::OnNewDocument()
{
    if (!CDocument:OnNewDocument(0)
    return FALSE;
unsigned i,j;
// Obrain filher settings
CFilter3DSettingsDlg dlg;
dig.m_dCutoftFreq = m_dCutoffFreq;
dlg.m_nNumSamples =m_nNumSampies;
```

```
dlg_m_nOrder =m_nOrder;
dlg_m_nOffset = m_nOffset;
if( dlg.DoModalO = IDOK )
{
    m_dCutofiFreq = dlg.m_dCutofiFreq;
    m_nNumSamples = dlg_m_nNumSamples;
    m_nOrder = dlg.m_nOrder,
    m_nOfiset = dlg.m_nOffset;
    // Allocate memory for impulse response
    m_plmpulseResponse = new double **[m_nNumSamples/2 +m_nOffset];
    for(i=0;i<(m_nNumSamples/2+m_nOffser);i++)
    {
        m_pImpulseResponse[i] = new double *[m_nNumSamples/2 + m_nOfiset];
    for(j=0;j<(m_nNumSamples/2 + m_nOffset);j++)
        m_pImpulseResponse[i][\overline{j}}=\mp@code{new double [m_nNumSamples/2 + m_nOffset];
    }
    // Allocate memory for magnitude and phase response
    m_pMagnitudeResponse = new double **[m_nNumSamples+1];
    m_pPhaseResponse = new double *"[m_nNumSamples+1];
    for(i=0;i<(m_nNumSamples+1);i++)
    {
    m_pMagnitudeResponse[i] = new double *[m_nNumSamples+1];
    m_pPhaseResponse[i] = new double *[m_nNumSamples+1];
    for(j=0;j<(m_nNumSamples+l);}\mp@subsup{\textrm{i}}{}{+++
    {
        m_pMagnitudeResponse[i][i] = new double [m_nNumSamples+1];
        m_pPhaseResponse[i][j] = new double [m_nNumSamples+1];
    }
    }
    // Allocate memory for frequency axis
    m_pdFreqAxis = new double [m_nNumSamples+1];
    // Allocate memory for impulse axis
    m_pdImpulseAxis = new double [m_nNumSamples/2+m_nOffset];
    // Allocate memory for {a} and {b} coefficients
    m_pACoeffArray = new double **[m_nOrder+1];
    m_pBCoeffArray = new double **[m_nOrder+1];
    for(i=0;i<(m_nOrder+1);i++)
    {
        m_pACoeffArray[i] = new double *[m_nOrder+1];
        m_pBCoeffArray[i] = new double *[m_nOrder+1];
        for(j=0;i<(m_nOrder+1);j++)
        l
            m_pACoeffArray[i][i] = new double [m_nOrder+1];
            m_pBCoeffArray[i][j] = new double [m_nOrder+1];
        }
}
    ComputeCoefficients();
}
else
{
return FALSE;
```



```
// CFilter3DDoc serialization
void CFilter3DDoc::Serialize(CArchive& ar)
{
    unsigned i,j,k;
    if(ar.IsStoring0)
    {
        ar << m_nNumSamples << m_dCutoffFreq << m_nOrder << m_nOffset:
        for(i=0;i<(m_nOrder+1);i++)
        for(j=0;j<(m_nOrder+1);j++)
            for(k=0;k<(m_nOrder+1);k++)
                ar<< m_pACoeffArray[i][j][k];
        for(i=0;i<(m_nOTder+l);i++)
        for(j=0;j<(m_nOrder+1);i++)
            for(k=0;k<(m_nOrder+1);k++)
                ar << m_pBCoef[Array[i][j][k];
for(i=0;i<(m_nNumSamples/2+m_nOffset);i++)
    for(j=0;j<(m_nNumSamples/2+m_nOffset);j++)
        for(k=0;k<(m_nNumSamples/2+m_nOfiset);k++)
                        ar <<m_pImpulseResponse[i][j][k];
        for(i=0;i<(m_nNumSamples+1);i++)
    for(j=0;j<(m_nNumSamples+1);}\mp@subsup{j}{++}{\prime+
        for(k=0;k<(m_nNumSamples+1);k++)
            ar << m_pMagnitudeResponse[i][j][k];
        for(i=0;i<(m_nNumSamples+1);i++)
        for(j=0;j<(m_nNumSamples+1);}\mp@subsup{\textrm{j}}{}{+++
            for(k=0;k<(m_nNumSamples+1);k++)
                        ar<< m_pPhaseResponse[i][j][k];
        for(i=0;i<(m_nNumSamples+1);i++)
        ar}<<\mathrm{ m_pdFreqAxis[i];
        for(i=0;i<(m_nNumSamples/2+m_nOffset);i++)
    ar << m_pdImpulseAxis[i];
}
else
{
ar >> m_nNumSamples >> m_dCutoffFreq >> m_nOrder >> m_nOffset;
// Allocate memory for impulse response
m_pimpulseResponse = new double **[m_nNumSamples/2 + m_nOffiset];
for(i=0;i<(m_nNumSamples/2+m_nOffset); }1++\mathrm{ )
l
    m_plmpulseResponse[i] = new double *[m_nNumSamples/2 +m_nOffset];
            for(j=0;j< (m_nNumSamples/2 + m_nOffset); j++)
            m_pImpulseResponse[i][j] = new double [m_nNumSamples/2 + m_nOffset];
```

```
}
// Allocate memory for magnitude and phase response
m_pMagnitudeResponse = new double **[m_nNumSamples+1];
m_pPhaseResponse = new double **[m_nNumSamples+1];
for(i=0;i<(m_nNumSamples+1);i++)
l
    m_pMagnitudeResponse[i] = new double *[m_nNumSamples+1];
    m_pPhaseResponse[i] = new double *[m_nNumSamples+1];
    for(j=0;j<(m_nNumSamples+1);j++)
    {
        m_pMagnitudeResponse[i][j] = new double [m_nNumSamples+1];
        m_pPhaseResponse[i][j] = new double [m_nNumSamples+l];
    }
}
// Allocate memory for frequency axis
m_pdFreqAxis = new double [m_nNumSamples+1];
// Allocate memory for impulse axis
m_pdImpulseAxis = new double [m_nNumSamples/2+m_nOffset];
// Allocate memory for {a} and {b} coefficients
m_pACocffArray = new double *P[m_nOrder+1];
m_pBCoeffArray = new double **[m_nOrder+1];
for(i=0;i<(m_nOrder+1);i++)
{
        m_pACoeffArray[i] = new double *[m_nOrder+1];
        m_pBCoeffArray[i] = new double "[m_nOrder+1];
        for(j=0;j<(m_nOrder+1);j++)
        {
        m_pACoeffArray[i][] = new double [m_nOrder+1 ];
        m_pBCoeffArray[i][i] = new double [m_nOrder+1];
    }
}
for(i=0;i<(m_nOrder+1);i++)
        for(j=0;j<(m_nOrder+1);j++)
            for(k=0;k<(m_nOrder+i);k++)
                ar >> m_pACoeffArray[i][j][k];
for(i=0;i<(m_nOrder+1);i++)
        for(j=0;j<(m_nOrder+1);j++)
            for(k=0;k<(m_nOrder+1);k++)
                                    ar >> m_pBCoeffArray[i][i][k];
for(i=0;i<(m_nNumSamples/2+m_nOffset);i++)
        for(j=0;j<(m_nNumSamples/2+m_nOffset);j++)
            for(k=0;k<(m_nNumSamples/2+m_nOffset);k++)
                        ar >> m_pimpulseResponse[i][i][k];
for(i=0;i<(m_nNumSamples+1);i++)
        for(j=0;j<(m_nNumSamples+1);j++)
            for(k=0;k<(m_nNumSamples+1);k++)
                            ar >> m_pMagnitudeResponse[i][j][k];
for(i=0;i<(m_nNumSamples+1);i++)
```

```
for(j=0;j<(m_nNumSamples+1);j++)
    for(k=0;k<(m_nNumSamples+1);k++)
                ar >> m_pPhaseResponse[i][j][k];
            for(i=0;i<(m_nNumSamples+1);i++)
            ar >>m_pdFreqAxis[i];
            for(i=0;i<(m_nNumSamples/2+m_nOfiset);i++)
                        ar >> m_pdimpulseAxis[i];
    }
}
```



```
// CFilter3DDoc diagnostics
#ifdef_DEBUG
void CFilter3DDoc::AssertValid) const
{
    CDocument::AssertValid0;
}
void CFilter3DDoc::Dump(CDumpContext& dc) const
{
    CDocument::Dump(dc):
}
#endif //_DEBUG
//I/I/I/IIIIIIIIIII/IIIIIIIIIIIIIIIIIIIIIIII/IIIIIIIIIIIIIIIIIIIIIII
// CFilter3DDoc commands
BOOL CFitter3DDoc::Simq(double **matrix, unsigned nEquations)
{
    unsigned i,j,k,l;
    double Big.temp;
    for(j=0;j<nEquations;j++) // pass #
    {
        // Find Big
        Big = fabs(matrix[j][j]);
        l=j;
        for(i=j+1;i<nEquations;i++)
        l
        if(Big<fabs(matrix[i][i]))
            {
                Big= fabs(matrix[i][j]);
                l=i;
            }
        }
        // Check that Big not equal to zero
        if(Big < 1.0e-7)
        {
        AfxMessageBox("Unable to Solve Set of Equations");
        return FALSE;
        }
            // Switch Rows
            if(l:= j)
```

```
    {
        for(k=0;k<nEquations+1;k++)
            I
        temp = matrix[j][k];
        matrix[j][k] = marrix[l][k];
                                matrix[l][k] = temp;
            }
        }
        // Normalization
        for(k-j+l;k<nEquations+1;k++)
            matrix[i][k]/= matrix[i][i];
        matrix[j][j] = 1.0;
        // Elimination
        for(i=0;i<nEquations;i++)
        {
            if(i=j) continue;
            for(k-j+1;k<nEquations+1;k++)
            matrix[i][k] = matrix[j][k] * matrix[i][j];
            matrix[i][j] = 0.0;
        }
    } // End of Pass
    retum TRUE;
}
void CFilter3DDoc::BitReversal(unsigned *L, unsigned N)
{
    // Sub-program developed by M.A. Sid-Ahmed
    // Routine for generating LUT for bit reversal.
    // Note: N=(2 to the power of m).
    // LUT will reside in LD
    unsigned MASK,C,A,j,k,i,m;
    m=(int)(log10((double)N)/log10(2.0));
    for(k=0;k<N;k++)
    I
        MASK=1;
        C=0;
        for(i=0,j=m-1;i<m;i++j-)
        {
            A=(k&MASK)>>i;
            A<<<j;
            C=A;
            MASK=MASK<<l;
        }
        L[k] = C;
    }
}
void CFilter3DDoc::FFT3D(COMPLEX ***X, unsigned N, unsigned fft)
(
        unsigned i,j.k;
```

```
COMPLEX temp;
for(i=0;i<N;i++)
|
    for(j=0;j<N;j++)
    l
    }
}
// Take transpose of each frame of X array
for(i=0;i<N;i++)
{
    for(j=0;j<N;j++)
    l
        for(k=0;k<N;k++)
        {
                                if(j=-k) break;
                temp = X[i][j][k];
                    X[i][i][k]=X[i][k][j];
                    X[i][k][j] = temp;
        }
    }
}
for(i=0;i<N;i++)
{
    for(j=0;i<N:j++)
    {
        FFTID(X[i][j],N,ff); // FFT of each row (of each frame) after transpose
    }
}
// Take transpose of each 'row' of X matrix
for(j=0;j<N;j++) // for each row
l
    for(i=0;i<N;i++)
    l
            for(k=0;k<N;k++)
            {
                                if(i=k) break;
                <emp = X[i][j][k];
                                X[i][j][k] = X[k][j][i];
                        X[k][j][i] = temp;
            }
    }
}
for(i=0;i<N;i++)
{
    for(j=0;j<N;j++)
    l
        FFTID(X[i][j],N,fft); // FFT of each row (of each frame) after 2nd transpose
    }
}
// Take transpose of each 'row' of X matrix
```

```
    for(i=0;j<N;j++) // for each row
    {
    for(i=0;i<N;i++)
    {
        for(k=0;k<N;k++)
        {
            if(i=k) break;
            temp = X[i][j][k];
            X[i][j][k]= X[k][j][i];
            X[k][j][i] = remp;
        }
    }
}
// Take transpose of each frame of X matrix
// Take transpose of each frame of X array
for(i=0;i<N;i++)
{
        for(j=0;j<N; j++)
        {
        for(k=0;k<N;k++)
            {
                if(j==k) break;
                temp = X[i][j][k];
                X[i][j][k]= X[i][k][j];
                X[i][k][j] = temp;
            }
        }
}
}
// computes the onc-dimensional ff of an array of values
// X[] holds the values of the array
// N is number of values
// ff= 1 }->\textrm{ff
// ff= 2 --> ifft
// W[] holds the twiddle factors
void CFilter3DDoc::FFT1D(COMPLEX*X, unsigned N, unsigned fft)
{
    unsigned i,j,k;
    unsigned incr,n,ip,group,stage,m;
    unsigned int "L;
    COMPLEX T,*W,*Temp;
    m}=(\mathrm{ int)(log10(double)N)/log10(2.0));
    incr = 2; // distance between groups
    n=(int)pow(2,(m-1));
    ip = incr/2; // distance between butterfly inputs
    // Allocate memory for twiddle factors
    W = new COMPLEX [N/2];
    // Allocate memory for bit-reversed LUT
    L}=\mathrm{ new unsigned int [N];
    // Allocate memory for temporary array
Temp = new COMPLEX [N];
```

```
// Generate bit-reversed LUT
BitReversal(L,N);
// Rearrenge order in FFT input amray
for(i=0;i<N;i++)
    Temp[i] = X[i];
for(i=0;i<N;i++)
    X[L[i]] = Temp[i];
delete Temp;
// Generate twiddle factor LUT
for(i=0;i<N/2;i++)
{
        if(fft = 1)
            W[i] = COMPLEX( cos((2.0}\mp@subsup{}{}{*}\textrm{pi}/(\mathrm{ float )N)*double(i)),
                                    -sin((2.0* pi/(float)N)*double(i)) );
            else
                W[i] = COMPLEX( }\operatorname{cos}((2.\mp@subsup{0}{}{*}\textrm{pi}/(\mathrm{ float )N N**ouble(i)),
                                    sin((2.0* pi/(float)N)*double(i)) );
}
// Algorithm for first stage with all weights equal to I
/I
for(group=0;group<N;group += incr)
{
    j=group +ip;
    T=X[j];
    X[j] = X[group] - T;
    X[group] = X[group] + T;
}
incr = incr *2;
n=n/2;
ip = incr/2;
// Algorithm for remaining stages with weights not always equal to I
// 
for(stage=1;stage<m;stage++) // N = 2 to the power (m)
(
    for(group=0;group<N;groupt=incr)
    {
            for(k=0;k<(N/(2*n));k++)
            {
                j = k+ip;
                T=X[group +j] * W[n*k];
                X[group + j] = X[group +k] - T;
                X[group +k] = X[group + k] + T;
            }
        }
        incr = incr * 2;
        n= n/2;
    ip = incr/2;
}
if(ft = 2 )
        for(i=0;i<N;i++)
```

```
                l
                                    X[i] = X[i] / double[N);
                                    }
}
void CFilter3DDoc::ComputeCoefficients0
l
    unsigned iji,k;
    unsigned kl,k2,k3,N1;
    COMPLEX ***H;
    Nl =m_nNumSamples/2;
    // Convert cutoff frequency to samples number
    m_dCutoffFreq *= double(m_nNumSamples)(2.0* pi);
    // Allocate memory for Desired Magnitude Response
    H = new COMPLEX **[m_nNumSamples];
    for(i=0;i<m_nNumSamples;i++)
    }
        H[i] = new COMPLEX *[m_nNumSamples];
        for(j=0;j<m_nNumSamples;}\mp@subsup{j}{}{+}+\mathrm{ )
        H[i][j] = new COMPLEX [m_nNumSamples];
    }
// Form Desired Magnitude Response
for(kl=0;kl<m_nNumSamples;kl++)
|
        for(k2=0;k2<m_nNumSamples;k2++)
        {
            for(k3=0;k3<m_nNumSamples;k3++)
            {
if((abs(kl-NI)<m_dCutoffFreq)&&(abs(k2-NI)<m_dCutoffFreq)&&(abs(k3-NI)<m_dCutoffFreq))
                                    H[kl][k2][k3] = COMPLEX(1.0,0.0);
                                    else
                                    H[k1][k2][k3] = COMPLEX(0.0,0.0);
            }
    }
}
// Apply shift in Frequency Domain
for(kl=0;kl<m_nNumSamples;kl++)
{
    for(k2=0;k2<m_nNumSamples;k2++)
    {
        for(k3=0;k3<m_nNurnSamples;k3++)
                H[kl][k2][k3] = H[kl][k2][k3] * pow(-1,(kl+k2+k3));
    }
}
FFT3D(H,m_nNumSamples,2);
                                // 3-D IFFT of Desired Magnitude Response
// Apply shift in Time Domain
for(kl=0;kl<m_nNumSamples;kl++)
{
```

```
        for(k2=0;k2<m_nNumSamples;k2++)
        {
            for(k3=0;k3<m_nNumSamples;k3++)
                H[k1][k2][k3] = H[kl][k2][k3] * pow(-1,(kl+k2+k3));
    }
    }
    //
    // Shank's method begins here
    //
    unsigned x,y,z,n1,n2,n3,M,M1;
    double **A;
    M=m_nNumSamples/2 + m_nOffset;
    M1 =m_nNumSamples/2-m_nOftset;
    // Trim impulse response
    for(i=M1;i<m_nNumSamples;i++)
    {
        for(j=M1;j<m_nNumSamples;j++)
        {
        for(k=M1;k<m_nNumSamples;k++)
                m_pImpulseResponse[i-Ml][j-MI][k-MI] = H[i][j][k].GetReal(O;
            }
    )
    // Set values of Impulse Axis
    for(i=0;i<(m_nNumSamples/2+m_nOffset);i++)
        m_pdImpulseAxis[i] = double(i);
#ifdef_DEBUG
```



```
    // Write impulse response to file for debugging
    fstream impulse("Impuise.dbg",ios::out);
    for(nl=0;nl<M;nl++)
    {
        for(n2=0;n2<M;n2++)
        {
            for(n3=0;n3<M;n3++)
                            impulse << m_plmpulseResponse[n1][n2][n3] << "t";
                            impulse << end;;
            }
            impulse << endl << endi;
        }
        impulse.close();
        //********************************************
#endif
    // De-allocate memory for Desired Magnitude Response
    for(i=0;i<m_nNumSamples;i++)
    {
        for(j=0;j<m_nNumSamples;j++)
            delete [] H[i][j]:
            delete [] H[i];
}
delete [] H;
```

```
    // Allocate memory for A mstrix
    A = new double "[(m_nOrder+1)*(m_nOrder+1)*(m_nOrder+1)-l];
    for(i=0;i<((m_nOrder+l)}\mp@subsup{)}{}{e}(m_nOrder+1)*(m_nOrder+1)-1);i++
            A[i] = new double [(m_nOrder+1)*}(\mp@subsup{m}{_}{\prime}nOrder+1)*(m_nOrder+1)]
    // Forming the A matrix
    unsigned row,col;
    row =0;
    for(x=0;x<=m_nOrder;x++)
    {
        for(y=0;y<=m_nOrder;y++)
        {
            for(z=0;z<=-1m_nOrder;2++)
            {
                    if( }(x+y+z)=0)\mathrm{ continue;
                    col = 0;
                    for(i=0;i<=m_nOrder;i++)
            {
                for(j=0;j<=m_nOTder;j++)
                    {
                    for(k=0;k<=m_nOrder,k++)
                    {
                                    if(i+j+k)=0) continue;
                                    A[row][coll] = 0.0;
                                    for(nl=(m_nOrder+1);ni<M;nl++)
                                    {
                                    for(n2=(m_nOrder+1);n2<M;n2++)
                                    {
                                    for(n3=(m_nOrder+1);n3<M;n3++)
                                    A[row][col] +=
m_plmpulseResponse[n1-i][n2-j][n3-k] *
    m_pImpulseResponse[n1-x][n2-y][n3-z];
                                    }
                                    }
                                    col++;
                                    }
                                    }
            }
            .ow++;
                }
    l
}
now=0;
for(x=0;x<=m_nOrder;x++)
{
    for(y=0;y<=m_nOrder;y++)
    f
        for(z=0;z<=m_nOrder;z++)
            l
                            if((x+y+z)==0) continuc;
                            A[row][{(m_nOrder+1)*(m_nOrder+1)*(m_nOrder+1)-1)]=0.0;
                for(nl=(m_nOrder+1);nl<M;nl++)
                    {
                    for(n2=(m_nOrder+1);n2<M;n2++)
                            {
```

$=$
m_plmpulseResponse[n1-x][n2-y][n3-z];

```
                    }
                    }
                        row++;
                    }
    }
}
Simq(A,(m_nOrder+1)*(m_nOrder+1)*(m_nOrder+1)-1);
row=0:
m_pBCoeffArray[0][0][0] = 1.0;
for(i=0;i<=m_nOrder;};\mathbf{i}++
{
        for(j=0;j<=m_nOrderj++)
    {
        for(k=0;k<=m_nOrder;k++)
        {
            if((i+j+k)=0) continue;
            m_pBCoeffArray[i][]][k]=A[row][(m_nOrder+1)*(m_nOrder+1)*(m_nOrder+1)-1];
            row++;
        }
    }
}
for(nl=0;nl<=m_nOrder;nl++)
{
    for(n2=0;n2<=m_nOrder;n2++)
    l
        for(n3=0;n3<=m_nOrder;n3++)
        {
                                m_pACoeffArray[n1][n2][n3]=0.0;
                for(i=0;i<=m_nOrder;i++)
                {
                if(int(nl-i)<0) continuc;
                for(j=0;j<=m_nOrder; j++)
                {
                                    if(int(n2-j)<0) continue;
                                    for(k=0;k<-m_nOrder;k++)
                                    l
                                    if(int(n3-k)<0) continue;
                                    m_pACoeffArray[n1][n2][n3] += m_pBCoeffArray[i][j][k]
                                    m_pImpulseResponse[nl-i][n2-j][n3-k];
                                    }
                                }
                }
            }
    }
}
// De-allocate memory for A matrix
for(i=0;i<((m_nOrder+1)*(m_nOrder+1)*(m_nOrder+1)-1);i++)
```

```
                    delete [] A[i];
    delete[] A;
#ifdef _DEBUG
```



```
    // Write coefficients to file for debugging
    fstream coefi("Coefficients.dbg",ios::out);
    for( }i=0;i<=m_nOrder;i++
    {
        for(j=0;j<=m_nOrder,j++)
        {
            for(k=0;k<=m_nOrder;k++)
                coeff}<<< m_pBCoeffArray[i][j][k]<<"ln
            coeff << endl;
        }
        coeff << endl << endl;
    }
    coeff << endl << endl;
    for(i=0;i<=m_nOrder;i++)
    {
        for(j=0;j<=m_nOrder;j++)
        {
            for(k=0;k<=m_nOrder;k++)
                                    coeff << m_pACoeffArray[i][j][k] << mt";
            coeff << endl;
            }
            coeff << endl << enci;
    }
    coeff.close();
```



```
#endif
    // Computing Magnitude and Phase Response
    double dW;
    COMPLEX num,den;
    // Compute frequency arrays
    m_pdFreqAxis[0] = -pi;
    dW}=2.0^\mathbf{N
    for(i=1;i<(m_nNumSamples+1);i++)
            m_pdFreqAxis[i] = m_pdFreqAxis[i-1] + dW;
    for(nl=0;nl<(m_nNumSamples+1);nl++)
    {
        for(n2=0;n2<(m_nNumSamples+1);n2++)
        {
            for(n3=0;n3<(m_nNumSamples+1);n3++)
            {
                num = COMPLEX(0.0,0.0);
                    den = COMPLEX(0.0,0.0);
                    for(i=0;i<=m_nOrder;i++)
                            l
                for(j=0;j<=m_nOrder; j++)
                {
                            for(k=0;k<=m_nOrder;k++)
                        {
```

 $s[n 2]+k^{\text {© }} \mathrm{m}$ _pdFreqAxis[n3]));

$$
\text { den }=\text { den }+ \text { COMPLEX (m_pBCoeffArray }[i][j][k], 0.0) \text { * }
$$

 $\mathbf{s}[\mathrm{n} 2]+\mathrm{k}^{\boldsymbol{+}} \mathrm{m}$ _pdFreqAxis[n3]);

## \}

)
m_pMagnitudeResponse[n1][n2][n3] = num.Magnitude()/den.Magnitude();
m_pPhaseResponse[nI][n2][n3] = num.Phase0 - den.Phase();
\}
\}
1
\#ifdef_DEBUG

// Write magnitude and phase response to file for debugging fstream magnitude("Magnitude.dbg",ios::out); fstream phase("Phase.dbg",ios::out);
for(nl=0;nl<(m_nNumSamples+1);nl++)
f
magnitude $\ll \boldsymbol{m}$. pdFreqAxis[n1] $\ll$ " $\mathbf{n H}=[$ ";
phase $\ll$ m_pdFreqAxis $[n I] \ll{ }^{\prime} n P=[" ;$
for $\left(\mathrm{n} 2=0 ; \mathrm{n} 2<\left(m \_n N u m S a m p l e s+1\right) ; \mathrm{n} 2++\right)$
\{
for $\left(\mathrm{n} 3=0 ; \mathrm{n} 3<(\mathrm{m}\right.$ _nNumSamples +1$) ; \mathrm{n}^{+}++$)
(
magnitude << m_pMagnitudeResponse[n1][n2][n3] << min;
phase $\ll$ m_pPhaseResponse[n1][n2][n3] << "n";
1
magnitude << ';' << endl;
phase << ';' << endl;
\}
magnitude << endl << endl;
phase << endl << endl;
$\}$
magnitude.close0;
phase.close();

\#endif
\}
double** CFilter3DDoc::GetACoefficients0
\{ return m_pACoeffArray; \}
double*** CFiker3DDoc::GetBCoefficients0
\{ return m_pBCoeffArray; \}
unsigned CFilter3DDoc::GetNumCoefficients()
( return (m_nOrdertl); \}

```
double*** CFiter3DDoc::GetImpulseResponse()
{ return m_pImpulseResponse; }
unsigned CFilter3DDoc::GetImpulseResponseSize0
{ return (m_nNumSamples/2 + m_nOfiset); }
double*** CFilter3DDoc::GetMagnitudeResponse()
{ return m_pMagnitudeResponse; }
unsigned CFiter3DDoc::GetMagnitudeResponseSize0
{ return (m_nNumSamples + 1); }
double*** CFilter3DDoc::GetPhaseResponse()
{ return m_pPhaseResponse; }
unsigned CFilter3DDoc::GetPhaseResponseSize0
{ return (m_nNumSamples + 1); }
double* CFilter3DDoc::GetFreqAxis0
{ return m_pdFreqAxis; }
double* CFilter3DDoc::GetimpulseAxis()
{ retum m_pdImpulseAxis; }
BOOL CFilter3DDoc::FilterMovie()
{
unsigned i,j,k,n2,n3,frame;
A VISTREAMINFO strHdrOld, strHdrNew;
PAVIFILE pFile=NULL,pFileNew=NULL;
PAVISTREAM pStream=NULL,pStreamNew=NULL;
HRESULT hr, // handle for error checking
BITMAPINFOHEADER bmiHeader;
unsigned numFrames;
IGetFrame* getFrameObj = NULL;
BYTE 'tempFramePtr = NULL;
BYTE *framePtr = NULL;
DWORD imageOffset,paletteOffset;
BYTE *palette = NULL, pixelValue;
double maxVal,minVal;
double **aviFrame;
// Check to ensure version of Video for Windows is up-to-date
WORD wVer = HIWORD(VideoForWindowsVersion(0);
if(wVer < Ox010a)
    {
        AfxMessageBox("Video for Windows version is too old.");
        return FALSE:
    }
```

```
// Initialize AVIFile library
AVIFilelnit0;
// Open AVI file for reading
hr = AVIFileOpen(&pFile,m_\pstrFileName,OF_READ,NULL);
if(hr!=AVIERR_OK)
{
    AfxMessageBox("An Error Occurred Opening the Input File.");
    return FALSE;
}
// Create new AVI file for writing
hr = AVIFileOpen(&pFileNew,m_lpstrNewFileName,OF_WRITE!OF_CREATE,NULL);
if(hr!=AVIERR_OK)
{
    AfxMessageBox("An Error Occurred Creating the Output File.");
    return FALSE;
}
// Open A Vl stream for reading
hr = AVIFileGetStream(pFile.&pStream,streamtypeVIDEO,0);
if(hr!=AVIERR_OK)
{
    AfxMessageBox("An Error Occurred Opening the Input Stream.");
    return FALSE;
}
// Close original AVI file
A VIFileClose(pFiic);
// Calculare number of frames in stream
numFrames = A VIStreamEnd(pStream)-A VIStreamStart(pStream);
// Create modeless Processing Dialog Box and display to user
CProcessingDlg dig;
dig.m_progressCtrl.SetRange(0,int(2*numFrames));
dlg.m_progressCtrl.SetStep(1);
// Prepare to decompress video frames from stream
getFrameObj = A VIStreamGetFrameOpen(pStream,NULL);
// Obrain address of first decompressed video frame
tempFramePtr = (BYTE *)A VIStreamGetFrame(getFrameObj,0);
// Extract BITMAPINFOHEADER from first decompressed video frame
ExtractBMPHeader(bmiHeader,tempFramePtr);
// Calculate paletue offset and image offset
paletteOffset = bmiHeader.biSize;
imageOffset = bmiHeader.biSize+bmiHeader.biClrUsed*sizeof(RGBQUAD);
// Allocate memory for input buffer
inputBuffer = new BYTE **[m_nOrder+1];
for(i=0;i<(m_nOrder+1);i++)
{
    inputBuffer[i] = new BYTE *[(2*bmiHeader.biHeight)];
    for(j=0;j<(unsigned)(2*bmiHeader.biHeight);}\mp@subsup{}{}{+}++
```

```
    inputBuffer[i][j] = new BYTE [(2*bmiHeader.biWidth)];
}
// Allocate memory for output buffer
outputBuffer = new double **[m_nOrder+1];
for(i=0;i<(m_nOrder+1);i++)
{
    outputBuffer[i] = new double *[(2*bmiHeader.biHeight)];
    for(j=0;j<(unsigned)(2* bmiHeader.biHeight)}\mp@subsup{j}{}{\prime}++
        outputBuffer[i][j] = new double [(2*bmiHeader.biWidth)]:
}
// Allocate memory for aviFrame
aviFrame = new double *[(2* bmiHeader.biHeight)];
for(i=0;i<(unsigned)(2*bmiHeader.biHeight);i++)
    aviFrame[i] = new double [(2*bmiHeader.biWidth)];
// Allocate memory for framePtr
framePtr = new BYTE [bmiHeader.biSize+bmiHeader.biClrUsed`sizeof(RGBQUAD)+4*bmiHeader.biSizelmage];
// Clear input and output buffers
for(i=0;i<=m_nOrder;i++)
l
    for(j=0;j<(unsigned)(2*bmiHeader.biHeight);}\mp@subsup{}{}{+++}
    l
        for(k=0;k<(unsigned)(2*bmiHeader.biWidth);k++)
        l
        inputBuffer[i][j][k]=0;
        outputBuffer[i][j][k]=0.0;
    }
    }
}
// Allocate memory for palette and fill it in
palette = new BYTE [bmiHeader.biClrUsed*sizeof(RGBQUAD)];
for(i=0;i<(bmiHeader.biClrUsed}\mp@subsup{}{}{*}\mathrm{ sizeof(RGBQUAD));i++)
    palette[i] = tempFramePtr[paletteOffset+i];
// Get header from old stream
hr = AVIStreamInfo( pStream, &strHdrOld, sizeof(strHdrOld) );
if(hr != AVIERR_OK)
{
    AfxMessageBox("An Error Occurred Reading Old Stream Header.");
    return FALSE;
}
// Fill in the header for the new video stream memset(\&strHdrNew,0,sizeof(strHdrNew)); strHdrNew.fccType = streamtypeVIDEO;
// Set strHdrNew to zero
// stream type
strHdrNew.fecHandler \(=0\); // Compressor Code strHdrNew.dwScale \(=\) strHdrOld.dwScale: // Time Scale strHdrNew.dwRate \(=\mathbf{2 *}^{*}\) strHdrOld.dwRate; // Frames per second strHdrNew.dwLength \(=2^{*}\) strHdrOld.dwLength; // Number of frames strHdrNew.dwSuggestedBufferSize \(=\) 4* \(^{*}\) bmiHeader. . iSizelmage; // buffer size
SetRect(\&strHdrNew.rcFrame, \(0,0, \mathbf{2}^{*}\) bmiHeader.biWidth, \(\mathbf{2}^{*}\) bmiHeader.biHeight); // rectangle for stream
// Create the new stream
```

```
    hr = AVIFileCreateStream(pFileNew,&pStreamNew,&strHdrNew);
    if(hr != AVIERR_OK)
    {
        AfxMessageBox("An Error Occurred Creating the Output Stream.");
        return FALSE;
    l
    bool zero pad;
    if(bmiHeader.biWidth%2)!=0)zero_pad=wue;
    else zero_pad=false;
    int }x=0,y=1,z=2
    // transfer first decompressed frame (BMP) to input buffer (RAW)
    for(j=0;j<(unsigned)(2*bmiHeader.biHeight);j++)
    {
        for(k=0;k<(unsigned)(2*bmiHeacer.biWidth);k++)
        {
        if(j%2)!=0) // Odd row => Copy pixel from previous row
                inputBuffer[0][j][k] = inputBuffer[0][j-1][k];
        else if((k%2)!=0) // Odd pixel => Copy pixel from previous column
                        inputBuffer[0][j][k] = inpu&Buffer[0][j][k-1];
        else
        }
            // Even row, Even pixel => Transfer new pixel
```



```
                                    imageOffset + k/2];
        inputBuffer[0][j][k] = (unsigned
char)(0.3*(double)palette[pixelValue*sizeof(RGBQUAD)+x]
                                    +0.59*(double)palette[pixelValuc*sizeof(RGBQUAD)+y]
                                    +0.11*(double)palette[pixelValuc*sizeof(RGBQUAD)+z])+0.5);
        }
    }
}
// initialize max and min values for scaling \(\operatorname{maxVal}=-10000.0\); \(\operatorname{minVal}=10000.0 ;\)
// filter input buffer and store result in output buffer (RAW) for \(\left(\mathrm{n} 2=0 ; \mathrm{n} 2<\right.\) (unsigned) \(\left(\mathbf{2}^{*}\right.\) bmiHeader.biHeight); \(\mathbf{2}^{2++}\) ) (
        for(n3=0;n3<(unsigned)(2*bmiHeader.biWidth);n3++)
        {
            outputBuffer[0][n2][n3] = 0.0;
            for(i=0;i<=m_nOrder;};++
            l
            for(j=0;j<=m_nOrder;j++)
            {
                        for(k=0;k<=m_nOrder;k++)
                        {
if( \((\) int \((n 2-j)<0) \mid(\operatorname{int}(n 3-k)<0))\) continue:
                                    outpuBBuffer[0][n2][n3] +=
m_pACoeffArray[i][j][k]*inputBuffer[i][n2-j][n3-k];
```

if $(i+j+k)=0)$ continue; outputBuffer[0][n2][n3]

## m_pBCoefIArray[i][j][k]*outputBuffer[i][n2-j][n3-k];

// Store max and min values for scaling
// Exclude edges from consideration
if( $\left(n_{2}>=\left(m_{n}\right.\right.$ nOrder+1))\&\&(n2<=2*bmiHeader.biHeight-(m_nOrder+1)))
\{
if( $\left(\mathrm{n} 3>-\left(\mathrm{m} \_\right.\right.$nOrder +1$\left.)\right) \& \&\left(\mathrm{n} 3<=2^{*}\right.$ bmiHeader.biWidth-( $\mathrm{m} \_$nOrder +1$)$ )
\{
$\operatorname{maxVal}=\max (\operatorname{maxVal}$, outputBuffer[0][n2][n3]);
$\min \mathrm{Val}=\min (\min V a l, o u t p u B u f f e r[0][n 2][n 3]) ;$
\}
\}
// Fill frame that will be converted back to BMP format
aviFrame[n2][n3] = outputBuffer[0][n2][n3];
$\}$
\}
// Scale Frame so values lie between 0 and 255
for( $\mathbf{i = 0 ;} \mathbf{i <}$ (unsigned)( $\mathbf{2}^{*}$ bmiHeader.biHeight); ${ }^{+++}$)
(
for $\left(\mathbf{j}=0 ;{ }^{j}<(\right.$ unsigned $)\left(2^{*} b\right.$ miHeader.biWidth $\left.) j^{+++}\right)$
\{
aviFrame[i][j] = (aviFrame[i][j]-minVal) $255.0 /($ maxVal-minVal $)+0.5$;
if(aviFrame[i][j]>255.0) aviFrame[i][j] = 255.0;
if(aviFrame $[i][j]<0.0$ ) aviFrame $[i][j]=0.0$;
\}
\}
// Insert header into framePtr
InsertHeader(bmiHeader,framePtr,tempFramePtr);
// Create new palette
InsertPalette(bmiHeader,framePtr,paletteOffset):
// Insert image data
for( $\mathrm{i}=0 ; \mathrm{i}<$ (unsigned)( $2^{\text {² }} \mathrm{bmiHeader}$.biHeight); ${ }^{+++ \text {) }) ~}$
(

framePtr[bmiHeader.biSize+bmiHeader.biCIrUsed*sizeof(RGBQUAD)+

$\}$
// Set format of new stream
hr = AVIStreamSetFormat(pStreamNew,0,framePtr,
bmiHeader.biSize + bmiHeader.biClrUsed*sizeof(RGBQUAD));

## if(hr != AVIERR_OK)

\{
AfxMessageBox("An Error Occurred Setting the Output Suream Format."); return FALSE;
\}
// Write frame to new stream
$\mathbf{h r}=$ AVIStream Write(pStreamNew,0,1,

```
                                    framePtr + imageOffset,
                                    4%bmiHeader.biSizelmage
                                    AVIIF_KEYFRAME,NULL,NULL);
    if(hr != AVIERR_OK)
    f
        AfxMessageBox("An Error Occurred Writing to the Output Stream.");
        return FALSE;
    }
    // Shift Frames in Input and Output Buffer
    for(i=0;i<m_nOrder;i++)
    l
        for(j=0;j<(unsigned)(2*bmiHeader.biHeight);j++)
        {
        for(k=0;k<(unsigned)(2*bmiHeader.biWidth);k++)
        {
        inputBuffer[m_nOrder-i][j][k]= inputBuffer[m_nOrder-i-i][j][k];
        outputBuffer[m_nOrder-i][i][k] = outputBuffer[m_nOrder-1-i][j][k];
    }
    }
    }
// Advance the current position of the progress bar
dlg.m_progressCtri.StepitO;
// Main Frame filtering loop
for(frame=1;frame<(2*numFrames);frame++)
{
    if(frame%2)!=0) // Obtain address of first decompressed video frame
                                    tempFramePur = (BYTE *)AVIStreamGetFrame(getFrameObj,frame/2);
    // transfer decompressed frame (BMP) to input buffer (RAW)
    for(j=0;j<(unsigned)(2*bmiHeader.biHeight);}\mp@subsup{j}{}{+++
    {
        for(k=0;k<(unsigned)(2*bmiHeader.biWidth);k++)
        {
            if(frame%2)!=0) // Odd frame => Copy pixel from previous frame
                        inputBuffer[0][j][k] = inputBuffer[1][j][k];
                    else if(j%2)!=0) // Odd line => Copy pixel from previous line
                        inputBuffer[0][j][k] = inputBuffer[0][j-1][k];
                    else if((k%2)!=0) // Odd pixel => Copy pixel from previous column
                        inputBuffer[0][j][k] = inputBuffer[0][j][k-1];
            else
            {
                                // Even frame, Even line, Even pixel => Transfer new pixel
                                pixelValue =tempFramePtr[bmiHeader.biWidth*j/2 + imageOffset + k/2];
                                inputBuffer[0][j][k] = (unsigned
char)((0.3*(double)palette[pixelValue*sizeof(RGBQUAD)+x]
                                    +0.59*(double)palette[pixelValuc*sizeof(RGBQUAD)+y]
                                    +0.11*(double)palete[pixelValue*sizeo(RGBQUAD)+z])+0.5);
                                    }
    }
    }
```

```
    // filer input buffer and store result in output buffer (RAW)
    for(n2=0;n2<(unsigned) (2*bmilleader.biHeight);n2++)
    {
        for(n3=0;n3<(unsigned)(2`bmiHeader.biWidth);n3++)
        {
    ourputBuffer[0][n2][n3] = 0.0;
    for(i=0;i<=m_nOrder,i++)
    {
        for(j=0;j<=m_nOrder;j++)
        {
        for(k=0;k<=m_nOrder,k++)
        {
        if((int(n2-j)<0)|(int(n3-k)<0)) continue;
                outpurBuffer[0][[n][{n3] +=
                if((i+j+k)=0) continuc;
                ourputBuffer[0][n2][n3] =
m_pBCoeffArray[i][j][k]*outputBuffer[i][n2-j][n3-k];
```

m_pACoeffirray[i][j][k]*inputBuffer[i][n2-j][n3-k];
m_pBCoeffArray[i][j][k]*ourputBufferij][n2-j][n3-k];
for $\left(k=0 ; k<=m_{-}\right.$nOrder; $k++$ ) \{
if( $\left(\operatorname{int}\left(n^{2}-\mathrm{j}\right)<0\right) \mid\left(\operatorname{int}\left(\mathrm{n}^{3}-\mathrm{k}\right)<0\right)$ ) continue; outpurBuffer[0][ $\mathrm{n} \mathbf{2}][\mathrm{n} 3]+=$
if $(i+j+k)=0)$ continue: outputBuffer $[0][\mathrm{n} 2][\mathrm{n} 3]=$

```
)
\}
\}
// Store max and min values for scaling
// Exclude edges from consideration
if \(\left(\mathrm{n}_{2}>=\mathbf{2}^{*}\left(\mathrm{~m}_{-} \mathrm{nO}\right.\right.\) rder +1\(\left.)\right) \mathbf{k \&}\left(\mathrm{n}^{2}<=\mathbf{2}^{*}\right.\) bmiHeader.biHeight- \(2^{*}\left(\mathrm{~m}_{-} \mathrm{nO}\right.\) rder +1\(\left.)\right)\) )
(
```



```
\{
\(\operatorname{maxVal}=\boldsymbol{\operatorname { m a x }}(\operatorname{maxVal}\), outputBuffer[0][n2][n31]);
\(\operatorname{minVal}=\min (\min V a l, o u t p u r B u f f e r[0][n 2][n 3])\);
\}
\}
// Fill frame that will be converted back to BMP format aviFrame[n2][n3] = outpunBuffer[0][n2][n3];
;
\}
// Scale Frame so values lie between 0 and 255
for( \(\mathrm{i}=0\); \(\mathrm{i}^{\text {( }}\) (unsigned) \(\left(2^{\text {² }}\right.\) bmiHeader.biHeight); \(i^{++}\))
!
for \(\mathbf{j = 0} \mathbf{0} \mathbf{j}\) <(unsigned)(2*bmiHeader.biWidth) \(\mathbf{j}^{\boldsymbol{j}++}\) )
\{
aviFrame[i][j] = (aviFrame[i][i]-minVal) \({ }^{*} 255.0 /(\) maxVal-minVal \()+0.5\);
if(aviFrame \([i][j]>255.0\) ) aviFrame \([i][j]=255.0\);
if(aviFrame \([i][j]<0.0\) ) aviFrame \([i][\mathrm{i}]=0.0\);
)
)
/I Insert header into framePtr
InsertHeader(bmiHeader,framePtr,tempFramePtr);
// Create new paletue
InsertPalette(bmiHeader,framePtr,paletteOffset);
// Insert image data
for( \(\mathrm{i}=0\); \(\mathrm{i}<\) (unsigned)(2*bmiHeader.biHeight); \({ }^{+++}\))
f
for( \(\mathbf{j = 0} 0\); \(<\) (unsigned) \(\left(2^{*}\right.\) bmiHeader.biWidth) \(\mathbf{j}^{++}\))
framePtrfbmiHeader.biSize+bmiHeader.biClrUsed*sizeof(RGBQUAD)+
```

```
(BYTE)aviFrame[i][]];
    }
    // Write frame to new stream
    hr = AVIStreamWrite(pStreamNew,frame,1,
                                    framePtr + imageOffset,
                                    4*bmiHeader.biSizelmage.
                                    AVIIF_KEYFRAME, NULL,NULL);
    if(hr != AVIERR_OK)
    {
        AfxMessageBox("An Error Occurred Writing to the Output Stream.");
        return FALSE;
    }
    // Shit Frames in Input and Output Buffer
    for(i=0;i<m_nOrder;i++)
    {
        for(j=0;j<(unsigned)(2*bmiHeader.biHeight); j++)
        {
            for(k=0;k<(unsigned)(2"bmiHeader.biWidth);k++)
            {
                inputBuffer[m_nOrder-i][j][k] = inputBuffer[m_nOrder-1-i][j][k];
                outputBuffer[m_nOrder-i][j][k] = outputBuffer[m_nOrder-1-i][j][k];
            }
        }
}
// Advance the current position of the progress bar
dlg.m_progressCtri.StepItO;
} // End of main Frame filtering loop
// Close dialog box dlg.DestroyWindow();
// Close the files and streams
AVIStreamGefFrameClose(getFrameObj);
AVIStreamClose(pStream);
AVISureamClose(pStreamNew);
AVIFileClose(pFileNew);
AVIFileExit0;
return TRUE; // function completed successfully
void CFilter3DDoc::ExtractBMPHeader(BITMAPINFOHEADER \&bmpHdr, BYTE *empFramePtr)
f
// Store BITMAPINFOHEADER information
bmpHdr.biSize \(=\) tempFramePur[0x00]+(tempFramePur[0x01]<<8)+
(tempFramePur[0x02]<<16)+(tempFramePur[0x03]<<24);
bmpHdr.biWidth \(=\) tempFramePtr \([0 \times 04]+\) (tempFramePtu[0x05]<<8)+ (tempFramePu[0x06]<<16) + (tempFramePu[0x07]<<24);
bmpHdr.biHeight \(=\) tempFramePtr[0x08] \(+(\) tempFramePtu[0x09]<<8) + (tempFramePu \(\{0 \times 0 A] \ll 16\) ) \(+(\) tempFramePur \(0 \times 0 B] \ll 24\) );
bmpHdr. biPlanes \(=\mathbf{1}\);
bmpHdr.biBitCount = tempFramePtr[0x0E]+(tempFramePur[0xOF]<<8);
```

```
    bmpHdr.biCompression = tempFramePtr[0x10]+(tempFramePur[0x|l]<<8)+
                            (tempFramePtr[0x 12]<<16)+(tempFramePur[0x13]<<24);
bmpHdr.biSizeImage = tempFramePur[0x14]+(tempFramePtr[0x15]<<8)+
                            (tempFramePur[0x16]<<16)+(tempFramePur[0x17]<<24);
bmpHdr.biXPelsPerMeter = tempFramePtr[0x18]+(tempFramePur[0x19]<<8)+
    (tempFrameP!r{Ox|A]<<16)+(tempFramePu{Ox|B}<<24);
bmpHdr.biYPelsPerMeter = tempFramePur[0x1C]+(tempFramePtr[0x1D]<<8)+
                            (tempFramePur{0xIE]<<16)+(tempFramePur{Ox1F]<<<24);
bmpHdr.biClrUsed = tempFramePtr{0\times20]+(tempFramePtr[0\times21]<<8)+
                (tempFramePur[0x22]<<16)+(tempFramePur[0x23]<<24);
bmpHdr.biClrImportant = tempFramePur[0\times24]+(tempFramePt[0\times25]<<8)+
                                    (tempFramePtr[0\times26]<<16)+(tempFramePur[0x27]<<24);
// Done Storing BITMAPINFOHEADER info
}
```

BOOL CFiter3DDoc::OnOpenDocument(LPCTSTR IpszPathName)
\{
if (!CDocument::OnOpenDocument(lpszPathName))
retum FALSE:
return TRUE;
)
void CFilter3DDoc::InsertHeader(BITMAPINFOHEADER bmiHeader,
unsigned $i$;
for $(i=0 ; i<b m i H e a d e r . b i S i z e ; i++)$
\{
framePtr[i] = tempFramePtr[i]; $\quad$ // Copy Header
framePtr[0x04] $=($ BYTE $)\left(2^{\dagger}\right.$ bmiHeader.biWidth $)$;
// double Width
framePur[0x05] $=($ BYTE $)\left(\left(2^{*}\right.\right.$ bmiHeader.biWidth $\left.) \gg 8\right)$;
framePtr[0x06] = (BYTE) $\left(2^{*}\right.$ bmiHeader.biWidth $\left.) \gg 16\right)$;
framePtr[0x07] = (BYTE) $\left(\mathbf{2}^{*}\right.$ bmiHeader.biWidth $\left.) \gg 24\right)$;
framePtr\{0x08] $=($ BYTE $)\left(2^{*}\right.$ bmiHeader.biHeight); $\quad / /$ double Height
frame $\operatorname{Pu}[0 \times 09]=($ BYTE $)\left(\left(2^{*}\right.\right.$ bmiHeader.biHeight $\left.) \gg 8\right)$;
framePtr[0x0A] $=($ BYTE $)\left(\left(2^{*}\right.\right.$ bmiHeader.biHeight $\left.) \gg 16\right)$;
framePtr[0x0B] $=($ BYTE $)\left(2^{*}\right.$ bmiHeader.biHeight $\left.) \gg 24\right)$;
framePtr[0x14] $=($ BYTE $)\left(4^{*}\right.$ bmiHeader.biSizelmage); $/ /$ change size
framePtr[0x15] =(BYTE) $\left(4^{*}\right.$ bmiHeader.biSizelmage $\left.) \gg 8\right)$;
framePtr[0x16] = (BYTE)((4*bmiHeader.biSizelmage)>>16);
framePtr[0x17] $=($ BYTE $)\left(4^{*}\right.$ bmiHeader.biSizelmage $\left.) \gg 24\right)$;
\}
1
void CFilter3DDoc::InsertPalette(BITMAPINFOHEADER bmiHeader,
BYTE *framePtr,DWORD paletteOffset )
1

```
unsigned i;
for(i=0;i<bmiHeader.biClrUsed;i++)
l
        framePu[paletteOffset+4*i] = (BYTE)i;
```

```
                                    framePur[paletteOffisel+4*i+1] = (BYTE)i;
                                    framePtr[paletteOffiset+4*i+2] = (BYTE)i;
                                    framePu[paletteOffset+4*i+3] = (BYTE)O;
    l
}
void CFilter3DDoc::SetOpenFileName(LPTSTR IpstrFile)
{
        m_lpstrFileName = lpstrFile;
}
void CFilter3DDoc::SetSaveFileName(LPTSTR IpstrFile)
{
        m_lpstrNewFileName = IpstrFile;
}
```

```
// Filter3dSettingsDlg.cpp : implementation file
//
#include "stdafx.h"
#include "Filere3D.h"
#include "Filter3dSeningsDlg.h"
#ifdef_DEBUG
#define new DEBUG_NEW
#undef THIS FILE
static char THIS_FILE| = _FILE
#endif
```



```
// CFilter3DSettingsDlg dialog
CFilter3DSettingsDlg:CFiter3DSettingsDIg(CWnd* pParent/*=NULL*)
    : CDialog(CFilter3DSettingsDig:IDD, pParent)
{
    //{{AFX_DATA_INIT(CFilter3DSettingsDlg)
    m_dCutoffFreq=0.0;
    m_nOfiset = 0;
    m_nOrder =0;
    m_nNumSamples = 0;
    //}{AFX_DATA_INIT
}
void CFiter3DSettingsDig::DoDataExchange(CDataExchange* pDX)
{
    CDialog::DoDataExchange(pDX);
    //{{AFX_DATA_MAP(CFilter3DSettingsDlg)
    DDX_Text(pDX, IDC_CUTOFF, m_dCutoffFreq);
    DDX_Text(pDX, IDC_OFFSET, m_nOffset);
    DDX_Text(pDX, IDC_ORDER, m_nOTder);
    DDX_Texu(pDX, IDC_SAMPLES, m_nNumSamples);
    //}AFX_DATA_MAP
}
BEGIN_MESSAGE_MAP(CFilter3DSetingsDlg, CDialog)
    //{(AFX_MSG_MAP(CFilter3DSettingsDlg)
        // NOTE: the ClassWizard will add message map macros here
    //}}AFX_MSG_MAP
END_MESSAGE_MAP()
```


// CFiher3DSettingsDlg message handlers

```
// Filker3DView.cpp : implementation of the CFilter3DView class
//
#include "stdafx.h"
#include "Filter3D.h"
#include "Filter3DDoc.h"
#include "Filler3DView.h"
#include "vfw.h"
#include <{stream.h> // For debugging purposes
//#include <commdIg.h> // For open and save dialog boxes
#define IMPULSE 0
#define MAGNITUDE I
#define PHASE 2
#define COEFFICIENTS 3
#define VIDEO 4
#ifdef_DEBUG
#define new DEBUG_NEW
#undef THIS_FILE
static char THIS_FILE[| = __FILE__;
#endif
|IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
// CFilter3DView
IMPLEMENT_DYNCREATE(CFilter3DView, CView)
BEGIN_MESSAGE_MAP(CFilter3DView, CView)
    //{{AFX_MSG_MAP(CFiher3DView)
    ON_COMMAND(ID_DISPLAY_COEFFICIENTS,OnDisplayCoefficients)
    ON_COMMAND(ID_DISPLAY_IMPULSE, OnDisplaylmpulse)
    ON_COMMAND(ID_DISPLAY_MAGNITUDE, OnDisplayMagnitude)
    ON_COMMAND(ID_DISPLAY PHASE, OnDisplayPhase)
    ON_COMMAND(ID_VIDEO_OPPEN, OnVideoOpen)
    ON_COMMAND(ID_VIDEO_PLAY,OnVideoPlay)
    ON_COMMAND(ID_VIDEO_FILTER,OnVideoFilter)
    ON_COMMAND(ID_VIDEO_OPENOUTPUT, OnVideoOpenOutput)
    //}}AFX_MSG_MAP
    // Standard printing commands
    ON_COMMAND(ID_FILE_PRINT, CView::OnFilePrint)
    ON_COMMAND(ID_FILE_PRINT_DIRECT, CView::OnFilePrint)
    ON_COMMAND(ID_FILE_PRINT_PREVIEW, CView::OnFilePrintPreview)
END_MESSAGE_MAPO
```



```
// CFilter3DView construction/destruction
CFilter3DView::CFilter3DView()
I
```

```
    \(\mathrm{pi}=4.0^{*} \tan (1.0)\);
```

    \(\mathrm{pi}=4.0^{*} \tan (1.0)\);
    m_nNumDataPoints \(=0\);
    m_nNumDataPoints \(=0\);
    m_nDisplay \(=\) COEFFICIENTS;
    m_nDisplay \(=\) COEFFICIENTS;
    m_dRotationX \(=0.0\);
    m_dRotationX \(=0.0\);
    m_dRotation \(Y=-38.0^{*}(p i / 180)\);
    ```
    m_dRotation \(Y=-38.0^{*}(p i / 180)\);
```

```
    m_dRotationZ = 0.0;
    m_hwndOriginalA VI = NULL;
    m_hwndFilteredAVI = NULL;
}
CFilter3DView::-CFilter3DView0
{
}
BOOL CFilter3DView::PreCreateWindow(CREATESTRUCT& cs)
{
    // TODO: Modify the Window class or styles here by modifying
    // the CREATESTRUCT cs
    return CView::PreCreateWindow(cs);
}
```



```
// CFilter3DView drawing
void CFilter3DView::OnDraw(CDC* pDC)
{
    CFilter3DDoc* pDoc = GetDocumemt(;
    ASSERT_VALID(pDoc);
    switch(m_nDisplay)
    {
    case COEFFICIENTS:
    DrawCoefficients(pDC);
    break;
    case IMPULSE:
    case MAGNITUDE:
    case PHASE:
        PlotPoints(pDC);
        break;
        case VIDEO:
        break;
    }
}
```



```
// CFilter3DView printing
BOOL CFilter3DView::OnPreparePrinting(CPrintInfo* pInfo)
{
    // default preparation
    returm DoPreparePrinting(pinfo);
}
void CFilter3DView::OnBeginPrinting(CDC*/*pDC*/, CPrintinfo*/*pInfo*)
|
    // TODO: add extra initialization before printing
```

```
void CFitter3DView::OnEndPrinting(CDC*/*pDC*/, CPrintinfo*/*pinfo*)
{
    // TODO: add cleanup after printing
}
//IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
// CFilter3DView diagnostics
#ifdef_DEBUG
void CFilter3DView::AssertValid() const
{
    CView::AsserTValidO;
}
void CFilter3DView::Dump(CDumpContext& dc) const
{
}
```


## CFilter3DDoc* CFilter3DView::GetDocument() // non-debug version is inline

 \{ASSERT(m_pDocument->IsKindOf(RUNTIME_CLASS(CFiiter3DDoc))); return (CFilter3DDoc*)m_pDocument;
\}
\#endif //_DEBUG
/III/I/IIIIIIIIIIIIII/I/IIIIIIIIIIIIIIIIIIIIIII/IIIIIIIIIII/IIIIIIIIIIIIIIII
// CFilter3DView message handlers
void CFilter3DView::OnUpdate(CView* pSender, LPARAM IHint, CObject* pHint) \{

CFilter3DDoc* pDoc = GetDocument0;
ASSERT_VALID(pDoc);
unsigned $\mathrm{i}, \mathrm{j}, \mathrm{k}$;
switch(m_nDisplay)
\{
case VIDEO:
break;
case IMPULSE:
// If MCI windows exist, remove them if(m_hwndOriginalA VI!=NULL)
\{
MCIWndDestroy(m_hwndOriginalA VI);
m_hwndOriginalAVI = NULL;
if(m_hwndFilteredAVI!=NULL)
\{
MCIWndDestroy(m_hwndFilteredAVI); m_hwndFilteredA VI = NULL;
\}

```
    }
    if(m_nNumDataPoints) // if array already exists, de-allocate
    l
        for(i=0;i<m_nNumDataPoints;i++)
            delete [] m_pDisplayPointArray[i]:
    delete [] m_pDisplayPointArray;
}
m_pDataPointArray = pDoc->GetImpulseResponse0;
m_nNumDataPoints = pDoc->GetImpulseResponseSize();
    // Allocate display point memory
    m_pDisplayPointArray = new CPoint *[m_nNumDataPoints];
    for(i=0;i<m_nNumDataPoints;i++)
        m_pDisplayPointArray[i] = new CPoint [m_nNumDataPoints];
    m_pdAxisX = pDoc->GetImpulseAxis(0;
    m_pdAxisZ = pDoc->GetImpulseAxis(;
    for(j=0;j<m_nNumDataPoints;j++)
    {
        for(k=0;k<m_nNumDataPoints;k++)
                            m_pDisplayPointArray[j][k] = ConvertToScreen(m_pdAxisX[k],m_pDataPointArray[S
/*(unsigned)m_dConstAxisFreq */][j][k],m_pdAxisZ[j]);
}
MakePlotFitWindow();
break;
case MAGNITUDE:
// If MCl windows exist, remove them
if(m_hwndOriginalAVI!=NULL)
{
    MCIWndDestroy(m_hwndOriginalA VI);
    m_hwndOriginalAVI = NULL;
    if(m_hwndFilteredAVI!=NULL)
    {
        MCIWndDestroy(m_hwndFilteredAVI);
        m_hwndFilteredAVI = NULL;
    }
}
if(m_nNumDataPoints) // if array already exists, de-allocate
{
    for(i=0;i<m_nNumDataPoints;i++)
            delete []m_pDisplayPointArray[i];
    delete [ m_pDisplayPointArray;
}
m_pDataPointArray = pDoc->GetMagnitudeResponse();
m_nNumDataPoints = pDoc->GetMagnitudeResponseSize();
m_pDisplayPointArray = new CPoint *[m_nNumDataPoints];
for(i=0;i<m_nNumDataPoints;i++)
    m_pDisplayPointArray[i] = new CPoint [m_nNumDataPoints];
m_pdAxisX = pDoc->GetFreqAxis0;
m_pdAxisZ = pDoc->GetFreqAxis();
for(j=0;j<m_nNumDataPointsi++)
```

```
        for(k=0;k<m_nNumDataPoints;k++)
                            m_pDisplayPointArray[j][k] = ConvertToScreen(m_pdAxisX[k]_m_pDataPointArray[8
/*(unsigned)m_dConstAxisFreq %|[j][k],m_pdAxisZ[j]);
    }
    MakePlotFitWindow(0;
    break;
    case PHASE:
    // If MCI windows exist, remove them
    if(m_hwndOriginalA VI!=NULL)
    l
        MCIWndDestroy(m_hwndOriginalAVI);
        m_hwndOriginalAVI = NULL;
        if(m_hwndFilteredAVI!=NULL)
        {
            MCIWndDestroy(m_hwndFilteredAVI);
            m_hwndFiteredAVI = NULL;
        }
    }
    if(m_nNumDataPoints) // if array already exists, de-allocate
(
        for(i=0;i<m_nNumDataPoints;i++)
                            delete [] m_pDisplayPointArray[i];
        delete [| m_pDisplayPointArray;
}
m_pDataPointArray = pDoc->GetPhaseResponse0;
m_nNumDataPoints = pDoc->GetPhaseResponseSize0;
m_pDisplayPointArray = new CPoint "[m_nNumDataPoints];
for(i=0;i<m_nNumDataPoints;i++)
    m_pDisplayPointArray[i] = new CPoint [m_nNumDataPoints];
m_pdAxisX = pDoc->GetFreqAxis();
m_pdAxisZ = pDoc->GetFreqAxis();
for(j=0;j<m_nNumDataPoints;j++)
{
    for(k=0;k<m_nNumDataPoints;k++)
                            m_pDisplayPointArray[j][k] = ConvertToScreen(m_pdAxisX[k],m_pDataPointArray[8
/*(unsigned)m_dConstAxisFreq*/][j][k],m_pdAxisZ[j]);
    }
    MakePlotFitWindow();
    break;
case COEFFICIENTS:
// If MCI windows exist, remove them
if(m_hwndOriginalA VI!=NULL)
    {
            MCIWndDestroy(m_hwndOriginalAVI);
            m_hwndOriginalAVI = NULL;
            if(m_hwndFilteredAVI!=NULL)
            {
            MCIWndDestroy(m_hwndFilteredAVI);
            m_hwndFilteredAVI = NULL;
            }
```

```
            }
            m_pACoeffArray = pDoc->GetACoefficients(0;
            m_pBCoeffArray = pDoc }>\mathrm{ CetBCoefficients0;
            m_nNumCoefficients = pDoc->GetNumCoefficients();
            break;
            }
    RedrawWindow0;
l
void CFilter3DView::DrawCoefficients(CDC *pDC)
{
CFont fontCur;
if(fontCur.CreatePointFont(100, "Roman", pDC))
{
    CFont* pOldFont = pDC->SelectObject(&fontCur);
char ch_buffer[10];
unsigned i,j,k;
CRect IRect;
CString A_coeff = "{a} Coefficients:In";
CString B_coeff = "{b} Coefficients:\n";
GetClientRect(IRect);
IRect.right /= 2;
for(i=0;i<m_nNumCoefficients;i++)
{
    for(j=0;j<m_nNumCoefficients;j++)
    {
        for(k=0;k<m_nNumCoefficients;k++)
            l
                sprintf(ch_buffer,"%.5f",m_pACoeffArray[i][i][k]);
                    A_coeff += ch buffer:
                            A_coeff+=" ";
            }
            A_coeff += "\n";
    }
    A coeff += "\n\n";
}
pDC->DrawText(A_coeff, IRect, DT_CENTER);
for(i=0;i<m_nNumCoefficients;i++)
{
    for(j=0;i<m_nNumCoefficients;}\mp@subsup{j}{}{++}
    {
        for(k=0;k<m_nNumCoefficients;k++)
            {
                sprintf(ch_buffer,"%.5f",m_pBCoeffArray[i][j][k]);
                B_coeff+= ch butfer;
                B_coeff += " ";
            }
            B_coeff += " n";
        }
    B_coeff += "\nln";
}
```

```
        IRectleft = IRect.right;
        |Rectright *=2;
        pDC->DrawText(B_coeff, lRect, DT_CENTER);
        pDC->SelectObject(POldFont);
    }
    fontCur.DeletcObject0;
}
void CFilter3DView::PlotPoints(CDC *pDC)
{
    int ij;
    CPoint points[4];
    for(i=m_nNumDataPoints-1;i>0;i-)
    {
        for(j=0;(unsigned)j<m_nNumDataPoints-1;j++)
        {
        points[0] = CPoint(long(m_pDisplayPointArray[i][i].x),long(m_pDisplayPointArray[i][j].y));
        points[1] = CPoint(long(m_pDisplayPointArray[i][j+1].x),long(m_pDisplayPointArray[i][j+1]-y));
        points[2]=
CPoint(long(m_pDisplayPointArray[i-1][j+1].x),long(m_pDisplayPointArray[i-1][j+1].y));
                points[3] = CPoint(long(m_pDisplayPointArray[i-1][i].x),long(m_pDisplayPointArray[i-1][j].y));
                pDC->Polygon(points,4);
            }
    }
}
void CFitter3DView::OnDisplayCoefficients0
{ m_nDisplay = COEFFICIENTS;
    OnUPdate(NULL, OL, NULL); }
void CFilter3DView::OnDisplayImpulse()
( m_nDisplay = IMPULSE;
    OnUpdate(NULL,0L,NULL); }
void CFitter3DView::OnDisplayMagnitude0
( m_nDisplay = MAGNITUDE;
    OnUpdate(NULL, OL, NULL); }
void CFilter3DView::OnDisplayPhase0
( m_nDisplay = PHASE;
    OnUpdate(NULL, OL,NULL); }
PONNT CFilter3DView::ConverTToScreen(double x, double y, double z)
{
    PONNT point;
    float xp = 0,yp=0.5, zp = 1; // Perspective vector
    TransformPoints(x,y,z);
```

```
    x*=1000
    z*=1000;
    switch(m_nDisplay)
    {
    case IMPULSE:
        y*=7000000;
        break;
    case MAGNITUDE:
        y*=300000;
        break;
case PHASE:
        y*=1000;
        break;
    }
point.x = long((4.0/3.0)*(x+z**(xp/4p)));
point.y = long(-(y+z*(yp/zp)));
return point;
}
void CFilter3DView::MakePlotFitWindow()
{
// Scale and center the plor so it fits the window
// with a margin on all sides
unsigned ij;
int max_x =m_pDisplayPointArray[0][0].x;
int min_x = m_pDisplayPointArray[0][0].x;
int max y =m_pDisplayPointArray[0][0].y;
int min_y=m_pDisplayPointArray[0][0].y;
int margin = 50;
CRect IpRect;
// Get max and min values of points
for(i=0;i<m_nNumDataPoints;i++)
{
    for(j=0;j<m_nNumDataPoints;j++)
    {
        max_x = max(max_x,m_pDisplayPointArray[i][j].x);
        max y = max(max y,m pDisplayPointArray[i][j].y);
        min_x = min(min_x,m_pDisplayPointArray[i][j].x);
        min_y = min(min_y,m_pDisplayPointArray[i][j].y);
    }
}
GetClientRect( lpRect );
if( (lpRect.right < (2*margin+50)) |( (lpRect.bottom < (2*margin+50)))
    lpRect = CRect(0,0,(2*margin+50),(2*margin+50));
IpRect.DeflateRect(margin,margin);
double xScale = double(lpRect_right-lpRect.left)/double(max_x-min_x);
double yScale = double(lpRect.bottom-lpRect.top)/double(max_y-min_y);
for(i=0;i<m_nNumDataPoints;i++)
l
    for(j=0;j<m_nNumDataPoints;j++)
```

```
        {
        m_pDisplayPointArray[i][]].x = long((double)m_pDisplayPointArray[i][i] x * xScale);
        m_pDisplayPointArray[i][D].y = long((double)m_pDisplayPointArray[i][j].y * yScale);
    }
    }
    // adjust minimums and maximums to reflect scaling effects
    min_x = long(min_x x xScale);
    max_x = long(max_x}\mp@subsup{x}{}{+}x\mathrm{ Scale);
    min y = long(min_y*yScale);
    max y = long(max yeyScale);
    // Center plot in window
    int dx = lpRect.left - min_x;
    int dy = lpRect.botom - max_y;
    for(i=0;i<m_nNumDataPoints;i++)
    {
        for(j=0;i<m_nNumDataPoints;j++)
        {
        m_pDisplayPointArray[i][i].Offset(dx.dy);
    }
    }
}
void CFilter3DView::TransformPoints(double &x, double &y, double &z)
{
    double xtemp = x;
        double ytemp = y;
        double ztemp = zi
    // Rotation about x-axis
    y = float(ytemp*cos(m_dRotationX) - ztemp*sin(m_dRotationX));
    z= floar(ytemp*sin(m_dRotationX) + ztemp* cos(m_dRotationX));
        xtemp = x;
        ytemp = y;
        zemp = z;
        // Rotation about y-axis
        x = float(xtemp*cos(m_dRotationY) + ztemp*sin(m_dRotationY));
        z = float(-xtemp* sin(m_dRotationY) + ztemp*cos(m_dRotationY));
        xtemp = x;
        ytemp = y;
        ztemp = z;
        // Rotation about z-axis
        x = float(xtemp*cos(m_dRotationZ) - ytemp*sin(m_dRotationZ));
        y = float(xtemp*sin(m_dRotationZ) + ytemp*cos(m_dRotationZ));
}
void CFilter3DView::OnVideoOpen0
{
    m_nDisplay = VIDEO;
```

```
OnUpdate(NULL., OL,, NULL);
CFiter3DDoc* pDoc = GetDocument0;
ASSERT_VALID(pDoc);
char buffer[256];
buffer[0] = NULL;
OPENFILENAME opfn;
opfin.IStructSize = sizeof(OPENFILENAME);
Opfn.hwndOwner = m_hWnd;
opfin.hlnstance = 0;
opfn.IpstrFitter = NULL;
opfn.lpstrCustomFilter = NULL;
opfn.nMaxCustFilter =0;
opfn.nFilterindex = 0;
opfn.lpstrFile = buffer; // File name to open
opfn.nMaxFile = 256;
opfin.lpstrFileTitle = NULL;
opfn.nMaxFileTitle = 0;
Opfn.lpstrinitialDir = NULL;
opfn.lpstrTitle = NULL;
opfn.Flags = OFN_FILEMUSTEXIST |OFN_HIDEREADONLY |
                                    OFN_NONETWORKBUTTON |OFN_PATHMUSTEXIST;
opfn.nFileOffset = 0;
opfn_nFileExtension = 0;
opfn.lpstrDefExt = NULL;
opfn.lCustData = 0;
opfn.lpfnHook = 0;
opfn.lpTemplateName = 0;
BOOL error = GetOpenFileName(&opfn);
if(*opfn.lpstrFile=NULL) // // If the user did not specify a file name
    return;
if(m_hwndOriginalA VI!=NULL)
    {
                MCIWndDestroy(m_hwndOriginalAVI);
                m_hwndOriginalAVI = NULL;
    }
pDoc->SetOpenFileName(opfn.lpstrFile); // Set file to open
if(*opfn.lpstrFile!=NULL) // If the user specified a file name
{
    if((m_hwndOriginalAVI=NULL))
        // If no MCI window exists create it and open file
        m_hwndOriginalAVI = MCIWndCreate(m_hWnd,AfxGetInstanceHandle(),
                                    MCIWNDF_SHOWNAME |
                                    MCIWNDF_SHOWMODE 
                WS VISIBLE
                WS_BORDER
                WS CHILD,
                    opfñ.lpstrFile);
}
```

\}

```
void CFiher3DView::OnVideoPlay0
{
    MCIWndPlay(m_hwndOriginalAVI);
    MCIWndPlay(m_hwndFitteredA VI);
}
void CFilter3DView::OnVideoFilter()
l
    CFitter3DDoc* pDoc = GetDocument0;
    ASSERT_VALID(pDoc);
    char buffer[256], dlgTitle[] = "Save Fittered Movie As";
buffer[0] = NULL;
OPENFILENAME opfn;
opfn.IStructSize = sizeof(OPENFILENAME);
opfn.hwndOwner = m_hWnd;
opfn.hinstance =0;
opfn.lpstrFilter = NULL;
opfn.IpstrCustomFilter = NULL;
opfn.nMaxCustFilter = 0;
opfn.nFilterindex =0;
opfn.lpstrFile = buffer; // File name to open
opfn.nMaxFile = 256;
opfn.lpstrFileTitle = NULL;
opfn.nMaxFileTitle = 0;
opfn.lpstrinitialDir = NULL;
opfin.lpstrTitle = dlgTitle;
opfn.Flags = OFN_HIDEREADONLY OFN_NONETWORKBUTTON;
opfn_nFileOffset =0;
opfn.nFileExtension = 0;
opfn.lpstrDefExt = NULL;
opfn.lCustData = 0;
opfn.lpfnHook=0;
opfn.lpTemplateName = 0;
BOOL error = GetSaveFileName(&opfn);
pDoc->SetSaveFileName(opfn.lpstrFile); // Set filename to save as
if(*opfn.lpstrfile=NULL) // If the user did not specify a file name
{
    RedrawWindow(;)// Redraw MCIWindow toolbar
    return;
}
pDoc->FilterMovie(); // Filter AVI file
if(m_hwndFilteredA VI!=NULL)
|
    MCIWndDestroy(m hwndOriginalAVI);
    m_hwndFiteredAVI = NULL;
}
m_hwndFilteredAVI = MCIWndCreate(m_hWnd,AfxGetInstanceHandle().
    MCIWNDF_SHOWNAME |
```

```
MCIWNDF_SHOWMODE |
WS_VISIBLE
WS_BORDER
WS_CHILD,
opfin.ipstrfile);
```


## RECT rCurrent;

``` ::GetWindowRect(m_hwndFitheredAVI,\&rCurrent); ::MoveWindow(m_hwndFilteredA VI,rCurrent.right. \(0 /\) / r Current.top*/, (rCurrent.right-rCurrent.left), (rCurrent.bottom-rCurrent.top), TRUE);
}
void CFilter3DView::OnVideoOpenOutput()
{
```

```
char buffer[256],digTitle[] = "Open Filtered Movie";
```

char buffer[256],digTitle[] = "Open Filtered Movie";
buffer[0] = NULL;
buffer[0] = NULL;
OPENFILENAME opfn;
OPENFILENAME opfn;
opfn.IStructSize = sizeof(OPENFILENAME);
opfn.IStructSize = sizeof(OPENFILENAME);
Opfn.hwndOwner = m_hWnd;
Opfn.hwndOwner = m_hWnd;
opfn.hInstance = 0;
opfn.hInstance = 0;
opfn.lpstrFilter = NULL;
opfn.lpstrFilter = NULL;
opfn.lpstrCustomFilter = NULL;
opfn.lpstrCustomFilter = NULL;
opfn.nMaxCustFilter =0;
opfn.nMaxCustFilter =0;
opfn.nFilterindex =0;
opfn.nFilterindex =0;
opfn.lpstrFile = buffer; // File name to open
opfn.lpstrFile = buffer; // File name to open
opfn.nMaxFile = 256;
opfn.nMaxFile = 256;
opfn.lpstrFileTitle = NULL;
opfn.lpstrFileTitle = NULL;
opfn.nMaxFileTitle = 0;
opfn.nMaxFileTitle = 0;
opfn.lpstrinitialDir = NULL;
opfn.lpstrinitialDir = NULL;
opfn.lpstrTitle = dlgTitle;
opfn.lpstrTitle = dlgTitle;
Opfn.Flags = OFN_FILEMUSTEXIST | OFN_HIDEREADONLY |
Opfn.Flags = OFN_FILEMUSTEXIST | OFN_HIDEREADONLY |
OFN_NONETWORKBUTTON|OFN_PATHMUSTEXIST;
OFN_NONETWORKBUTTON|OFN_PATHMUSTEXIST;
opfn.nFileOffset = 0;
opfn.nFileOffset = 0;
opfn.nFileExtension = 0;
opfn.nFileExtension = 0;
opfn.lpstrDefExt = NULL;
opfn.lpstrDefExt = NULL;
opfn.lCustData = 0;
opfn.lCustData = 0;
opfn.lpfnHook=0;
opfn.lpfnHook=0;
opfn.lpTemplateName = 0;
opfn.lpTemplateName = 0;
BOOL error = GetOpenFileName(\&zopfn);
BOOL error = GetOpenFileName(\&zopfn);
if(*Opfn.lpstrFile=NULL) // // If the user did not specify a file name
if(*Opfn.lpstrFile=NULL) // // If the user did not specify a file name
return;
return;
if(m_hwndFilteredAVI!=NULL)
if(m_hwndFilteredAVI!=NULL)
{
{
MCIWndDestroy(m_hwndFilteredAVI):
MCIWndDestroy(m_hwndFilteredAVI):
m_hwndFilteredA VI = NULL;
m_hwndFilteredA VI = NULL;
}
}
if*opfn.lpstrFile!=NULL) // If the user specified a file name
if*opfn.lpstrFile!=NULL) // If the user specified a file name
l
l
if((m_hwndFiteredAVI=NULL))
if((m_hwndFiteredAVI=NULL))
// If no MCI window exists create it and open file

```
        // If no MCI window exists create it and open file
```

```
        m_hwndFilteredAVI = MCIWndCreate(m_hWnd,AfxGetInstanceHandle(), MCIWNDF_SHOWNAME ! MCIWNDF SHOWMODE | WS_VISIBLE WS_BORDER 1 WS_CHILD, opfn.lpstrfile);
```


## \}

```
RECT rCurrent; ::GetWindowRect(m_hwndFitteredAV1,\&rCurrent);
::MoveWindow(m_hwndFilteredA VL_rCurrent.right,0/"rCurrent.top*/, (rCurrent.right-rCurrent.left), (rCurrent.botom-rCurrent.top), TRUE);
```

```
// MainFrm.cpp : implementation of the CMainFrame class
//
#include "stdafx.h"
#include "Filter3D.h"
#include "MainFrm.h"
#ifdef_DEBUG
#define new DEBUG_NEW
#undef THIS_FILE
static char THIS_FILE[ = __FILE_;
#endif
```


## 

```
// CMainFrame
IMPLEMENT_DYNAMIC(CMainFrame, CMDIFrameWnd)
BEGIN_MESSAGE_MAP(CMainFrame, CMDIFrameWnd)
    //{{AFX_MSG_MAP(CMainFrame)
            // NOTE - the ClassWizard will add and remove mapping macros here.
            // DO NOT EDIT what you see in these blocks of generated code !
    ON_WM_CREATEO
    //};AFX_MSG_MAP
END_MESSAGE_MAPO
static UINT indicators[] =
{
    ID SEPARATOR. // status line indicator
    ID_INDICATOR_CAPS,
    ID_INDICATOR_NUM,
    ID_INDICATOR_SCRL,
;
//IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
// CMainFrame construction/destruction
CMainFrame::CMainFrame()
{
    // TODO: add member initialization code here
}
CMainFrame::-CMainFrame0
{
}
int CMainFrame::OnCreate(LPCREATESTRUCT IpCreateStruct)
{
    if (CMDIFrameWnd::OnCreate(lpCreateStruct) =>-1)
            return-1;
    if (!m_wndToolBar.Create(this) ||
        !m_wndToolBar.LoadToolBar(IDR_MAINFRAME))
    {
        TRACEO("Failed to create toolbarln");
```

```
    return-1; // fail to create
    }
    if (!m_wndStatusBar.Creatc(this)|
        !m_wndStatusBar.SetIndicators(indicators,
                sizeo(indicators)/sizeo(UINT)))
    {
        TRACEO("Failed to create status barin");
        retum-1; // fail to create
    }
    // TODO: Remove this if you don't want tool tips or a resizeable toolbar
    m_wndToolBar.SetBarStyle(m_wndToolBar.GetBarStyle()|
        CBRS_TOOLTIPS|CBRS_FLYBY|CBRS_SIZE_DYNAMIC);
    // TODO: Delete these three lines if you don't want the toolbar to
    // be dockable
    m_wndToolBar.EnableDocking(CBRS_ALIGN_ANY);
    EnableDocking(CBRS_ALIGN_ANY);
    DockControlBar(&m_wndToolBar);
    return 0;
}
BOOL CMainFrame::PreCreateWindow(CREATESTRUCT& cs)
{
    // TODO: Modify the Window class or styles here by modifying
    // the CREATESTRUCT es
    cs.x = 0;
    cs.y = 0;
    cs.cy = ::GetSystemMetrics(SM_CYSCREEN)-30;
    cs.cx = ::GetSystemMetrics(SM_CXSCREEN);
    retum CMDIFrameWnd::PreCreateWindow(es);
}
|IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
// CMainFrame diagnostics
#ifdef_DEBUG
void CMainFrame::AssertValid() const
{
    CMDIFrameWnd::AssertValid(0;
}
void CMainFrame::Dump(CDumpContext& dc) const
{
    CMDIFrameWnd::Dump(dc);
}
#endif//_DEBUG
```



```
// CMainFrame message handiers
```

```
// ProcessingDlg.cpp : implementation file
//
#include "stdafx.h"
#include "Filter3D.h"
#include "ProcessingDlg.h"
#ifdef DEBUG
#define new DEBUG_NEW
#undef THIS FILE
static char THIS_FILE[] = FILE_;
#endif
```



```
// CProcessingDlg dialog
CProcessingDIg::CProcessingDlg(CWnd* pParent/*=NULL*)
    : CDialog(CProcessingDlg:IDD, pParent)
{
    // Create a modeless dialog box
    Create(IDD_PROCESSING,NULL);
    //{{AFX_DATA_INIT(CProcessingDlg)
            // NOTE: the ClassWizard will add member initialization here
    //}}AFX_DATA_INIT
}
void CProcessingDlg::DoDataExchange(CDataExchange* pDX)
{
    CDialog::DoDataExchange(pDX);
    //{{AFX_DATA_MAP(CProcessingDlg)
    DDX Control(pDX, IDC_PROGRESS, m_progressCtrr);
    //}AFX_DATA_MAP
}
BEGIN_MESSAGE_MAP(CProcessingDlg.CDialog)
            //{{AFX_MMSG_MAP(CProcessingDlg)
            // NOTE: the ClassWizard will add message map macros here
        //}}AFX_MSG_MAP
END_MESSAGE_MAP(-
```



```
// CProcessingDlg message handlers
```

// ChildFrm.h : interface of the CChildFrame class //
||IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
\#if !defined(AFX_CHILDFRM_H_C8CEC46B_8DFA_11D2_9E39_0020AFDA97B0__INCLUDED_) \#define AFX_CHILDFRM_H_C8CEC46B_8DFA_1ID2_9E39_0020AFDA97B0_INCLUDED_
\#if_MSC_VER $>1000$
"pragma once
\#endif // _MSC_VER $>=1000$
class CChildFrame : public CMDIChildWnd
\{
public:
DECLARE_DYNCREATE(CChildFrame)
CChildFrame();
// Autributes
public:
// Operations
public:
// Overrides
// ClassWizard generated virtual function overrides
//\{ (AFX_VIRTUAL(CChildFrame)
virtual BOOL PreCreateWindow(CREATESTRUCT\& es); //\}\}AFX_VIRTUAL
// Implementation
public:
virtual -CChildFrame();
\#ifdef_DEBUG
virtual void AssertValid() const;
virtual void Dump(CDumpContext\& dc) const;
\#endif
// Generated message map functions
protected:
//(\{AFX_MSG(CChildFrame)
// NOTE - the ClassWizard will add and remove member functions here.
// DO NOT EDIT what you see in these blocks of generated code!
//\}]AFX_MSG
DECLARE_MESSAGE_MAPO
;

//\{(AFX_INSERT_LOCATION\}\}
// Microsoft Developer Studio will insert additional declarations immediately before the previous line.
\#endif // !defined(AFX_CHILDFRM_H_C8CEC46B_8DFA_11D2_9E39_0020AFDA97B0__INCLUDED_)


```
// Complex.h : interface of the Complex class
//
#if MSC_VER >= 1000
#pragma once
#endif//_MSC_VER >= 1000
#include<math.h>
class COMPLEX
|
protected:
    double Real,Imag;
public:
    COMPLEX(0;
    COMPLEX(double,double);
    double GetReal(void) const;
    double GetImag(void) const;
    double Magnitude(void);
    double Phase(void);
    friend COMPLEX operator+( COMPLEX, COMPLEX );
    friend COMPLEX operator-( COMPLEX, COMPLEX );
    friend COMPLEX operator*( COMPLEX, COMPLEX );
    friend COMPLEX operator*( COMPLEX, double );
    friend COMPLEX operator/( COMPLEX, double );
};
```

```
// Fiter3D.h : main header file for the FILTER3D application
//
#if !defined(AFX_FILTER3D_H_C8CEC465_8DFA_11D2_9E39_0020AFDA97B0_INCLUDED_)
#define AFX_FILTER3D_H_C8CEC465_8DFA_11D2_9E39_0020AFDA97B0__INCLUDED_
#if_MSC_VER > = 1000
#pragma once
#endif // _MSC_VER >=1000
#ifndef_AFXWIN_H
    #error include 'stdafx.h' before including this file for PCH
#endif
#include "resource.h" // main symbois
```



```
// CFiher3DApp:
// See Filter3D.cpp for the implementation of this class
//
class CFilter3DApp : public CWinApp
{
public:
    CFilter3DApp0;
// Overrides
    // ClassWizard gencrated virtual function overrides
    //{{AFX_VIRTUAL(CFiter3DApp)
    public:
    virtual BOOL InitInstance();
    /I}{AFX_VIRTUAL
// Implementation
    //{(AFX_MSG(CFilter3DApp)
    afx_msg void OnAppAbout0;
            // NOTE - the ClassWizard will add and remove member functions here.
            // DO NOT EDIT what you see in these blocks of generated code !
    //}}AFX MSG
    DECLARE_MESSAGE_MAP()
};
```

||IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
//\{\{AFX_INSERT_LOCATION\}\}
// Microsoft Developer Studio will insert additional declarations immediately before the previous line.
Hendif // !defined(AFX_FILTER3D_H_C8CEC465_8DFA_IID2_9E39_0020AFDA97B0__INCLUDED_)

```
// Filter3DDoc.h : interface of the CFilter3DDoc class
//
```



```
#if!defined(AFX_FILTER3DDOC_H_C8CEC46D_8DFA_11D2_9E39_0020AFDA97B0_INCLUDED_)
#if _MSC_VER >= 1000
#pragma once
#endif// _MSC_VER >= 1000
#include "Complex.h"
class CFilter3DDoc : public CDocument
{
protected: // create from serialization only
                CFilter3DDoc();
                DECLARE_DYNCREATE(CFilter3DDoc)
// Attributes
public:
```


## // Operations

``` public:
```


## // Overrides

```
// ClassWizard generated virtual function overrides //\{\{AFX_VIRTUAL(CFilter3DDoc) public:
virtual BOOL OnNewDocument();
virtual void Serialize(CArchive\& ar); virtual BOOL OnOpenDocument(LPCTSTR IpszPathName); //\}\}AFX_VIRTUAL
// Implementation public:
void SetSaveFileName(LPTSTR);
void SetOpenFileName(LPTSTR);
double* GetImpuiseAxis(void);
double* GetFreqAxis(void);
unsigned GetPhaseResponseSize( void );
double \({ }^{* * *}\) GetPhaseResponse( void );
unsigned GetMagnitudeResponseSize( void);
double*** GetMagnitudeResponse( void );
unsigned GetImpulseResponseSize( void);
double*** GetimpulseResponse( void);
unsigned GetNumCoefficients( void ):
double \({ }^{* * *}\) GetBCoefficients( void);
double *** GetACoefficients( void );
BOOL FilterMovie(void);
virtual -CFilter3DDoc();
\#ifdef_DEBUG
virtual void AssertValid() const;
virtual void Dump(CDumpContext\& dc) const;
\#endif
protected:
```

```
// Generated message map functions
protected:
    CString m_IpstrNewFileName;
    CString m_lpstrFileName;
    void InsertPalette(BITMAPINFOHEADER,BYTE *,DWORD);
    void InsertHeader(BITMAPINFOHEADER,BYTE *,BYTE *);
    double *** outputBuffer;
    BYTE *** inputBuffer;
    void ExtractBMPHeader(BITMAPINFOHEADER &. BYTE *);
    double* m_pdImpulseAxis;
    double* m_pdFreqAxis;
    double pi;
    void FFTID(COMPLEX *,unsigned,unsigned);
    void FFT3D(COMPLEX ***,unsigned,unsigned);
    void BitReversal( unsigned*,unsigned);
    BOOL Simq(double **, unsigned);
    void ComputeCoefficients(void);
    double*** m_pBCoeffArray;
    double*** m_pACoeffArray;
    double*** m.pPhaseResponse;
    double*** m_pMagnitudeResponse;
    double*** m_pimpulseResponse;
    unsigned m_nOffset;
    unsigned m_nOrder,
    unsigned m_nNumSamples;
    double m_dCutoffFreq;
    //{{AFX_MSG(CFilter3DDoc)
    //}}AFX_MSG
    DECLARE_MESSAGE_MAPO
};
```



```
//\{\{AFX_INSERT_LOCATION\}\}
// Microsoft Developer Studio will insert additional declarations immediately before the previous line.
\#endif // !defined(AFX_FILTER3DDOC_H_C8CEC46D_8DFA_IID2_9E39_0020AFDA97B0__INCLUDED_)
```

```
#if !defined(AFX_FILTER3DSETTINGSDLG_H_C6B545E1_8E8C_1ID2_9E39_0020AFDA97B0__INCLUDED_)
#define AFX_FILTER3DSETTINGSDLG_H_C6B545E1_8E8C_IID2_9E39_0020AFDA97B0__INCLUDED_
#if_MSC_VER >= 1000
#pragma once
#endif// MSC VER > = 1000
// Filter3\overline{DSexingsDlg.h : header file}
//
|/IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII'
// CFilter3DSettingsDlg dialog
class CFilter3DSettingsDIg : public CDialog
|
// Construction
public:
                            CFilter3DSettingsDlg(CWnd* pParent = NULL); // standard constructor
// Dialog Data
    //({AFX_DATA(CFilter3DSettingsDlg)
    enum { IDD = IDD_SETTINGS };
    doubic m_dCutoffFreq;
    UINT m_nOffset;
    UINT m nOrder;
    UINT m_nNumSamples;
    //}}AFX_DATA
// Overrides
    // ClassWizard gencrated virtual function overrides
    //{{AFX_VIRTUAL(CFiler3DSettingsDlg)
    protected:
    virtual void DoDataExchange(CDataExchange* pDX); // DDX/DDV support
    //}}AFX_VIRTUAL
// Implementation
protected:
    // Generated message map functions
    //{{AFX_MSG(CFilter3DSettingsDIg)
            // NOTE: the ClassWizard will add member functions here
    //}}AFX_MSG
    DECLARE_MESSAGE_MAPO
};
//{{AFX_INSERT_LOCATION}}
// Microsoft Deveioper Studio will insert additional declarations immediately before the previous line.
#endif // !defined(AFX_FILTER3DSETTTNGSDLG_H_C6B545E1_8E8C_11D2_9E39_0020AFDA97B0__INCLUDED_)
```

```
#if !defined(AFX_FILTER3DVIEW_H_C8CEC46F_8DFA_lID2_9E39_0020AFDA97B0__INCLUDED_)
```

\#define AFX_FILTER3DVIEW_H_C8CEC46F_8DFA_1ID2_9E39_0020AFDA97B0__INCLUDED_
\#if_MSC_VER >= $\mathbf{1 0 0 0}$
\#pragma once
\#endif // _MSC_VER $>=1000$
class CFilter3DView : public CView
\{
protected: // create from serialization only
CFiter3DView0;
DECLARE_DYNCREATE(CFilter3DView)
// Attributes
public:
CFilter3DDoc* GetDocument();
// Operations
public:
// Overrides
// ClassWizard generated virtual function overrides //\{\{AFX_VIRTUAL(CFilter3DView)
public:
virtual void OnDraw(CDC* pDC); // overridden to draw this view virtual BOOL PreCreateWindow(CREATESTRUCT\& cs); protected: virtual BOOL OnPreparePrinting(CPrintinfo ${ }^{*}$ pinfo); virtual void OnBeginPrinting(CDC* pDC, CPrintlnfo ${ }^{*}$ pInfo); virtual void OnEndPrinting(CDC* pDC, CPrintinfo* pinfo); virtual void OnUpdate(CView* pSender, LPARAM IHint, CObject* pHint); //\})AFX_VIRTUAL
// Implementation
public:
virtual -CFilter3DView():
\#ifdef _DEBUG
virtual void Assert Valid) const:
virtual void Dump(CDumpContext\& dc) const;
\#endif
protected:
// Generated message map functions protected:

HWND m_hwndFilteredA VI;
HWND m_hwndOriginalAVI;
double m_dRotation :
double m -dRotation Y ;
double m_dRotationX;
void TransformPoints( double \&,double \&,double \& );
void MakePlotFitWindow):
POINT ConvertToScreen( double,double,double );

```
    double pi;
    double m_dConstAxisFreq;
    double* m_pdAxisZ;
    double* m_pdAxisX;
    unsigned m_nNumDataPoints;
    CPoint* m_pDisplayPointArray;
    double*** m_pDataPointArray;
    unsigned m_nNumCoefficients;
    double*** m_pBCoeffArray;
    double*** m_pACoeffArray;
    unsigned m_nDisplay;
    void PlotPoints( CDC * );
    void DrawCoefficients( CDC * );
    //{{AFX_MSG(CFitter3DView)
    afx_msg void OnDisplayCoefficients(;
    afx_msg void OnDisplaylmpulse();
    afx_msg void OnDisplayMagnitude();
    afx_msg void OnDisplayPhase(;
    afx_msg void OnVideoOpen(%;
    afx_msg void OnVideoPlay();
    afx_msg void OnVideoFilter0;
    afx msg void OnVideoOpenOutput();
    //})AFX_MSG
    DECLARE_MESSAGE_MAPO
};
#ifndef_DEBUG // debug version in Filter3DView.cpp
inline CFiler3DDoc* CFiter3DView::GetDocument0
    { return (CFiter3DDoc*)m_pDocument; }
#endif
|/IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
//{{AFX_INSERT_LOCATION}}
// Microsoft Developer Studio will insert additional declarations immediately before the previous line.
#endif // !defined(AFX_FILTER3DVIEW_H_C8CEC46F_8DFA_11D2_9E39_0020AFDA97B0__INCLUDED_)
```

```
*if !defined(AFX_MANFRM_H__C8CEC469_8DFA_11D2_9E39_0020AFDA97B0_INCLUDED_)
#define AFX_MÄNFRM_H_C8CEC469_8DFA_IID2_9E39_0020AFDA97B0__INCLUDED_
#if_MSC_VER >= 1000
#pragma once
#endif //_MSC_VER >= 1000
class CMainFrame : public CMDIFrameWnd
{
    DECLARE_DYNAMIC(CMainFrame)
public:
    CMainFrame();
```

// Atributes
public:
// Operations
public:
// Overrides
// ClassWizard generated virtual function overrides
/I(IAFX_VIRTUAL(CMainFrame)
virtual BOOL PreCreateWindow(CREATESTRUCT\& cs);
//3\}AFX_VIRTUAL
// Implementation
public:
virtual -CMainFrame();
\#ifdef _DEBUG
virtual void AssertValidO const;
virtual void Dump(CDumpContext\& dc) const;
\#endif
protected: // control bar embedded members
CStatusBar m_wndStatusBar;
CToolBar m_wndToolBar,
// Generated message map functions
protected:
/I\{ (AFX_MSG(CMainFrame)
afx_msg int OnCreate(LPCREATESTRUCT IpCreateStruct);
// NOTE - the ClassWizard will add and remove member functions here.
// DO NOT EDIT what you see in these blocks of generated code!
II\}\}AFX_MSG
DECLARE_MESSAGE_MAPO
3:
|IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII!
//\{\{AFX_INSERT_LOCATION\}\}
// Microsoft Developer Studio will insert additional deciarations immediately before the previous line.
\#endif // !defined(AFX_MAINFRM_H_C8CEC469_8DFA_11D2_9E39_0020AFDA97B0_INCLUDED)

```
#if!defined(AFX_PROCESSINGDLG_H_C49A1C01_94F8_11D2_9E39_0020AFDA97B0_INCLUDED_)
#define AFX_PROCESSINGDLG_H__C49AIC01_94F8_IID2_9E39_0020AFDA97B0__INCLUDED_
#if_MSC_VER >= 1000
#pragma once
"endif// MSC VER >= 1000
// ProcessingDlg.h : header file
//
```



```
// CProcessingDlg dialog
class CProcessingDlg : public CDialog
!
// Construction
public:
    CProcessingDig(CWnd* pParent = NULL); // standard constructor
// Dialog Data
    //{{AFX_DATA(CProcessingDlg)
    enum { IDD = IDD_PROCESSING };
    CProgressCtrl m_progressCtri;
    //}}AFX_DATA
// Overrides
    // ClassWizard generated virtual function overrides
    //{{AFX_VIRTUAL(CProcessingDlg)
    protected:
    virtual void DoDataExchange(CDataExchange* pDX); // DDX/DDV support
    //}}AFX_VIRTUAL
// Implementation
protected:
```

```
    // Generated message map functions
```

    // Generated message map functions
    //{{AFX_MSG(CProcessingDlg)
    //{{AFX_MSG(CProcessingDlg)
        // NOTE: the ClassWizard will add member functions here
        // NOTE: the ClassWizard will add member functions here
    //}}AFX_MSG
    //}}AFX_MSG
    DECLARE_MESSAGE_MAPO
    DECLARE_MESSAGE_MAPO
    ;;
;;
//{{AFX_INSERT_LOCATION}}
//{{AFX_INSERT_LOCATION}}
// Microsoft Developer Studio will insert additional declarations immediately before the previous line.
// Microsoft Developer Studio will insert additional declarations immediately before the previous line.
\#endif// !defined(AFX_PROCESSINGDLG_H_C49A1C01_94F8_lID2_9E39_0020AFDA97B0__INCLUDED_)

```
#endif// !defined(AFX_PROCESSINGDLG_H_C49A1C01_94F8_lID2_9E39_0020AFDA97B0__INCLUDED_)
```

```
//{{NO_DEPENDENCIES}}
// Microsof Developer Sudio generated include file.
// Used by Filter3D.rc
//
#define IDD_ABOUTBOX 100
#define IDR_MAINFRAME 128
#define IDR_FILTERTYPE 129
#define IDD_SETTINGS 131
#define IDD_PROCESSING 133
#define IDC_SAMPLES 1000
#define IDC_CUTOFF 1001
#define IDC_PROGRESS 1001
#define IDC_ORDER 1002
#define IDC_OFFSET 1003
#define ID_DISPLAY_IMPULSE 32771
#define ID_DISPLAY_MAGNITUDE 32772
#define ID_DISPLAY_PHASE 32773
#define ID_DISPLAY_COEFFICIENTS 32774
#define ID_VIDEO_OPEN 32776
#define ID_VIDEO_FILTER 32777
#define ID_VIDEO_PLAY 32779
#define ID_VIDEO_OPENOUTPUTDEMO 32783
#define ID_VIDEO_OPENOUTPUT 32784
// Next default values for new objects
//
\#ifdef APSTUDIO_INVOKED
\#ifndef APSTUDIO_READONLY_SYMBOLS
\#define_APS_3D_CONTROLS 1
\#define_APS_NEXT_RESOURCE_VALUE 134
\#define_APS_NEXT_COMMAND_VALUE 32786
\#define_APS_NEXT_CONTROL_VALUE 1002
\#define_APS_NEXT_SYMED_VALUE 101
\#endif
\#endif
```

```
//Microsoft Developer Studio generated resource script.
|
#include "resource.h"
#define APSTUDIO_READONLY SYMBOLS
```



```
|
// Generated from the TEXTINCLUDE 2 resource.
|
#include "afxres.h"
|/IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII/
#undef APSTUDIO_READONLY_SYMBOLS
|/I/IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
// English (U.S.) resources
#if !defined(AFX_RESOURCE_DLL)|| defined(AFX_TARG_ENU)
#ifdef_WIN32
LANGUAGE LANG_ENGLISH, SUBLANG_ENGLISH_US
#pragma code_page(1252)
#endif //_WIN32
#ifdef APSTUDIO_INVOKED
/IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
//
// TEXTINCLUDE
//
1 TEXTINCLUDE DISCARDABLE
BEGIN
    "resource.hlo"
END
2 TEXTINCLUDE DISCARDABLE
BEGIN
    "#include "nafxres.h"mrln"
    "0"
END
3 TEXTINCLUDE DISCARDABLE
BEGIN
    "#define _AFX_NO_SPLITTER_RESOURCESITin"
    "#define_AFX_NO_OLE_RESOURCESTrn"
    "#define_AFX_NO_TRACKER_RESOURCES\\\n"
    "#define_AFX_NO_PROPERTY_RESOURCES\In"
    "rln"
    "#if !defined(AFX_RESOURCE_DLL)|| defined(AFX_TARG_ENU)\rin"
    "#ifdef_WIN32v\n"
    "LANGUAGE 9, IVIn"
    "#pragma code_page( 1252)\inn"
    "#endiftrin"
    "#include ""res\\Filter3D.rc2"" // non-Microsoft Visual C++ edited resources\r\n"
    "#include ""afxres.rc"" // Standard componentsirln"
    "#include "nafxprint.rc"n // printing/print preview resourceslrin"
    "#endifl0"
END
```

```
#endif // APSTUDIO_INVOKED
```



```
//
// Icon
//
// Icon with lowest ID value placed first to ensure application icon
// remains consistent on all systems.
IDR_MANFRAME ICON DISCARDABLE "resllFilter3D.ico"
IDR_FILTERTYPE ICON DISCARDABLE "res\Filter3DDoc.ico"
|/III/IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII/IIIIIIIIIIIIIIIIIIIIIIIIIIII
|
// Bitmap
//
IDR_MAINFRAME BITMAP MOVEABLE PURE "resImainfram.bmp"
```



```
//
// Toolbar
//
IDR_MAINFRAME TOOLBAR DISCARDABLE 16,15
BEGIN
        BUTTON ID_FILE_NEW
        BUTTON ID_FILE_SAVE
        SEPARATOR
        BUTTON ID_EDIT_CUT
        BUTTON ID_EDIT_COPY
        BUTTON ID_EDIT_PASTE
        SEPARATOR
        BUTTON ID_FILE_PRINT
        BUTTON ID_APP_ABOUT
        SEPARATOR
        BUTTON ID_DISPLAY_IMPULSE
        BUTTON ID_DISPLAY_MAGNITUDE
        BUTTON ID_DISPLAY_PHASE
        BUTTON ID_DISPLAY_COEFFICIENTS
        SEPARATOR
        BUTTON ID_VIDEO_OPEN
        BUTTON ID_VIDEO-FILTER
        BUTTON ID_VIDEO_PLAY
END
```


## 

```
//
// Menu
//
```

```
IDR_MAINFRAME MENU PRELOAD DISCARDABLE
```

IDR_MAINFRAME MENU PRELOAD DISCARDABLE
BEGIN
BEGIN
POPUP "\&File"

```
    POPUP "&File"
```

```
    BEGIN
        MENUITEM "&NewlrCtrl+N", ID_FILE_NEW
        MENUITEM "&Open...LCCri+O",
        MENUITEM SEPARATOR
        MENUITEM "P&rint Setup...", ID_FILE_PRINT_SETUP
        MENUITEM SEPARATOR
        MENUITEM "Recent File", ID_FILE_MRU_FILEI. GRAYED
        MENUITEM SEPARATOR
        MENUITEM "E&xit",
                ID_APP_EXIT
    END
    POPUP "&View"
    BEGIN
        MENUITEM "&Tolbar", ID_VIEW_TOOLBAR
        MENUITEM "&Status Bar", ID_VIEW_STATUS_BAR
    END
    POPUP "&Help"
    BEGIN
        MENUITEM "&About Filter3D...", ID_APP_ABOUT
    END
END
IDR_FILTERTYPE MENU PRELOAD DISCARDABLE
BEGIN
    POPUP "&File"
    BEGIN
        MENUITEM "&NewlCGTI+N", ID FILE NEW
        MENUITEM "&Open...lCTrI+O", ID_FILE_OPEN
        MENUITEM "&Close", ID FILE CLOSE
        MENUITEM "&SaveliCirl+S", ID_FILE SAVE
        MENUITEM "Save&As...", ID_FILE_SAVE_AS
        MENUITEM SEPARATOR
        MENUITEM "&Print...tCOTrl+P", ID_FILE_PRINT
        MENUITEM "Print Pre&view", ID_FILE_PRINT_PREVIEW
        MENUITEM "P&rint Setup...", ID_FILE_PRINT_SETUP
        MENUITEM SEPARATOR
        MENUITEM "Recent File",
        MENUITEM SEPARATOR
        MENUITEM "E&xit",
        ID_APP_EXIT
    END
    POPUP "&Edit"
    BEGIN
        MENUITEM "&UndolCTri+Z", ID_EDIT_UNDO
        MENUITEM SEPARATOR
        MENUITEM "Cu&&HCITI+X", ID_EDIT_CUT
        MENUITEM "&CopyICOTrl+C", ID_EDIT_COPY
        MENUITEM "&PastelICTrI+V", ID_EDIT_PASTE
    END
    POPUP "&View"
    BEGIN
        MENUITEM "&Toolbar", ID VIEW TOOLBAR
        MENUITEM "&Status Bar", ID_VIEW_STATUS_BAR
    END
    POPUP "&Window"
    BEGIN
        MENUITEM "&New Window", ID_WINDOW_NEW
        MENUITEM "&Cascade", ID_WINDOW_CĀSCADE
        MENUITEM "&Tile", ID_WINDOW_TILE_HORZ
```

```
        MENUITEM "&Arrange Icons", [D_WINDOW_ARRANGE
    END
    POPUP "&Help"
    BEGIN
        MENUITEM "&About Filter3D...". ID_APP_ABOUT
    END
    POPUP "&Display"
    BEGIN
        MENUITEM "&Impulse", ID_DISPLAY_IMPULSE
        MENUITEM "&Magnitude", ID_DISPLAY_MAGNITUDE
        MENUITEM "&Phase", ID_DISPLAY_PHASE
        MENUITEM "&Coefficients", [D_DISPLAYY_COEFFICIENTS
    END
    POPUP "&Video"
    BEGIN
        MENUITEM "&Open", ID_VIDEO_OPEN
        MENUITEM "&Fitter", ID_VIDEO_FILTER
        MENUITEM "&Play Both", ID_VIDEO_PLAY
        MENUITEM SEPARATOR
        MENUITEM "O&pen Output (Demo)", ID_VIDEO_OPENOUTPUT
    END
END
```



```
|/
// Accelerator
//
IDR_MAINFRAME ACCELERATORS PRELOAD MOVEABLE PURE
BEGIN
    "N". ID_FILE_NEW, VIRTKEY, CONTROL
    "O", ID_FILE_OPEN, VIRTKEY,CONTROL
    "S", ID_FILE_SAVE, VIRTKEY,CONTROL
    "P". ID_FILE_PRINT, VIRTKEY, CONTROL
    "Z", ID_EDIT_UNDO, VIRTKEY, CONTROL
    "X", ID_EDIT_CUT, VIRTKEY,CONTROL
    "C", ID_EDIT_COPY, VIRTKEY, CONTROL
    "V", ID_EDIT_PASTE, VIRTKEY, CONTROL
    VK_BACK, ID_EDIT_UNDO, VIRTKEY, ALT
    VK_DELETE, ID_EDIT`_CUT, VIRTKEY, SHIFT
    VK_INSERT, ID_EDIT_COPY. VIRTKEY,CONTROL
    VK_INSERT, ID_EDIT_PASTE, VIRTKEY,SHIFT
    VK_F6, ID_NEXT_PANE, VIRTKEY
    VK_F6, ID_PREV_PANE, VIRTKEY,SHIFT
END
```


## ||IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII

```
/l
// Dialog
|
IDD_ABOUTBOX DIALOG DISCARDABLE \(0,0,217,55\)
STYLE DS_MODALFRAME | WS_POPUP | WS_CAPTION | WS_SYSMENU
CAPTION "About Filter3D"
FONT 8, "MS Sans Serif"
```

```
BEGIN
    ICON IDR_MAINFRAME,IDC_STATIC,11,17,20,20
    LTEXT "Fiher3D Version 1.0".IDC_STATIC,40,10,119,8.
        SS_NOPREFIX
    LTEXT "Copyright (C) 1998",IDC_STATIC,40,25,1 19,8
    DEFPUSHBUTTON "OK",IDOK,178,7,32,14,WS_GROUP
END
IDD SETTINGS DIALOG DISCARDABLE 0,0,174,72
STYLE DS_MODALFRAME | WS_POPUP | WS_CAPTION | WS_SYSMENU
CAPTION "Settings"
FONT 8, "MS Sans Serif"
BEGIN
    EDITTEXT IDC_SAMPLES,45,5,35,12,ES_AUTOHSCROLL
    EDITTEXT IDC_CUTOFF,45,20,35,12,ES_AUTOHSCROLL
    EDITTEXT IDC_ORDER,45,35,35,12.ES_AUTOHSCROLL
    EDITTEXT IDC_OFFSET,45,50,35,12,ES_AUTOHSCROLL
    DEFPUSHBUTTON ' "OK",IDOK,112,11,50,14
    PUSHBUTTON "Cancel",IDCANCEL,112,28,50,14
    LTEXT "Samples:",IDC_STATIC,9,7,35,10
    LTEXT "Cutoff:".IDC_STATIC,9,22,35,10
    LTEXT "Order:",IDC STATIC,9,37,35,10
    LTEXT "Offset:",IDC_STATIC,9,52,35,10
END
IDD_PROCESSING DIALOG DISCARDABLE 0,0,137,46
STYLE DS_MODALFRAME|DS_3DLOOK|DS_CENTER|WS_POPUP|WS_VISIBLE
FONT 8, "MS Sans Serif"
BEGIN
    CONTROL "Progress1",IDC_PROGRESS,"msctls_progress32",WS_BORDER,
        12,25,113,14
    CTEXT "Processing...",IDC_STATIC,45,7,48,10
END
#ifndef MAC
```



```
//
// Version
//
VS_VERSION_INFO VERSIONINFO
FILEVERSION 1,0,0,1
PRODUCTVERSION 1,0,0,1
FILEFLAGSMASK Ox3fL
#ifdef DEBUG
    FILEFLAGS 0xIL
#else
FILEFLAGS 0x0L
#endif
FILEOS 0x4L
FILETYPE 0x1L
FILESUBTYPE 0x0L
BEGIN
    BLOCK "StringFileInfo"
    BEGIN
        BLOCK "040904BO"
```

```
        BEGIN
            VALUE "CompanyName", "10"
            VALUE "FileDescription","Filter3D MFC Application10"
            VALUE "FileVersion","1,0,0,110"
            VALUE "IntemalName", "Fiter3D\0"
            VALUE "LegalCopyright", "Copyright (C) 199810"
            VALUE "LegalTrademarks", "\0"
            VALUE "OriginalFilename", "Filter3D.EXEl0"
            VALUE "ProductName", "Filter3D Application10"
            VALUE "ProductVersion", "1, 0, 0, 110"
        END
    END
    BLOCK "VarFileInfo"
    BEGIN
        VALUE "Transiation", 0x409, 1200
    END
END
#endif |!!_MAC
```



```
//
// DESIGNINFO
//
#ifdef APSTUDIO_INVOKED
GUIDELINES DESIGNINFO DISCARDABLE
BEGIN
    IDD_ABOUTBOX, DIALOG
    BEGIN
        LEFTMARGNN, }
        RIGHTMARGIN, }21
        TOPMARGIN, }
        BOTTOMMARGIN, 48
    END
    IDD_SETTINGS, DIALOG
    BEGIN
        LEFTMARGIN, }
        RIGHTMARGIN, }16
        TOPMARGIN, }
        BOTTOMMARGIN, }6
    END
    IDD_PROCESSING, DIALOG
    BEGIN
        LEFTMARGIN. }
        RIGHTMARGIN, 130
        TOPMARGIN, }
        BOTTOMMARGIN, 39
    END
END
#endif // APSTUDIO_INVOKED
```



```
//
// String Table
//
STRINGTABLE PRELOAD DISCARDABLE
BEGIN
    IDR_MAINFRAME "Filter3D"
    IDR_FILTERTYPE "nFilterinFilterinFilter Files (*.f3d)\n._3d|FFiter3D.Document\nFilter Document"
END
STRINGTABLE PRELOAD DISCARDABLE
BEGIN
    AFX_IDS_APP_TITLE "Fiter3D"
    AFX_IDS_IDLEMESSAGE "Ready"
END
STRINGTABLE DISCARDABLE
BEGIN
\begin{tabular}{ll} 
ID_INDICATOR_EXT & "EXT" \\
ID_INDICATOR_CAPS & "CAP" \\
ID_INDICATOR_NUM & "NUM" \\
ID_INDICATOR_SCRL & "SCRL" \\
ID_INDICATOR_OVR & "OVR" \\
ID_INDICATOR_REC & "REC" \\
END
\end{tabular}
STRINGTABLE DISCARDABLE
BEGIN
    ID_FILE_NEW "Create a new documentnNew"
    ID_FILE_OPEN "Open an existing documenthOpen"
    ID_FILE_CLOSE "Close the active documentnClose"
    ID FILE SAVE "Save the active document\SSave"
    ID_FILE_SAVE_AS "Save the active document with a new namelnSave As"
    ID_FILE_PAGE_SETUP "Change the printing optionsinPage Setup"
    ID_FILE_PRINT_SETUP "Change the printer and printing optionslnPrint Setup"
    ID_FILE_PRINT "Print the active documentlnPrint"
    ID_FILE_PRINT_PREVIEW "Display full pagesInPrint Preview"
END
STRINGTABLE DISCARDABLE
BEGIN
    ID_APP_ABOUT "Display program information, version number and copyright\AAbout"
    ID_APP_EXIT "Quit the application; prompts to save documentsinExit"
END
STRINGTABLE DISCARDABLE
BEGIN
```

ID_FILE_MRU_FILEI "Open this document"
ID_FILE_MRU_FILE2
ID_FILE_MRU_FILE3
ID_FILE_MRU_FILE4
ID_FILEMRU_FILES
ID_FILE_MRU_FILE6
ID_FILE_MRU_FILE7
ID_FILEMRU_FILE8
[D_FILE_MRU_FILE9
ID_FILE_MRU_FILEIO
"Open this document" "Open this document" "Open this document" "Open this document" "Open this document" "Open this document" "Open this document" "Open this document" "Open this document"

```
    ID_FILE_MRU_FILEII
    ID_FILE_MRU FILEI2
    ID_FILE_MRU_FILE13
    ID_FILE_MRU_FILEI4
    ID_FILE_MRUFILEIS
    ID_FILE_MRU_FILE16
END
```

    "Open this document"
    "Open this document"
    "Open this document"
    "Open this document"
    "Open this document"
    "Open this document"
    STRINGTABLE DISCARDABLE
BEGIN
ID_NEXT_PANE "Switch to the next window panelniNext Panc"
ID_PREV_PANE "Switch back to the previous window panelnPrevious Pane"
END

## STRINGTABLE DISCARDABLE

## BEGIN

ID_WINDOW_NEW "Open another window for the active documentinNew Window" ID_WINDOW_ARRANGE "Arrange icons at the bonom of the windowinArrange Icons" ID_WINDOW_CASCADE "Arrange windows so they overlaplnCascade Windows"
ID_WINDOW_TILE_HORZ "Arrange windows as non-overlapping tilesinTile Windows" ID_WINDOW_TILE_VERT "Arrange windows as non-overlapping tileslnTile Windows" ID_WINDOW_SPLIT "Split the active window into panesinSplit"
END

STRINGTABLE DISCARDABLE
BEGIN

| ID_EDIT_CLEAR | "Erase the selection\nErase" |
| :---: | :---: |
| ID_EDIT_CLEAR_ALL | "Erase everythinginErase All" |
| ID_EDIT_COPY | "Copy the selection and put it on the ClipboardnCopy" |
| ID_EDIT_CUT "C | "Cut the selection and put it on the ClipboardlnCut" |
| ID_EDIT_FIND "F | "Find the specified textlnFind" |
| ID_EDIT_PASTE | "Insert Clipboard contentsinPaste" |
| ID_EDIT_REPEAT | "Repeat the last actionlnRepeat" |
| ID_EDIT_REPLACE | "Replace specific text with different texturReplace" |
| ID_EDIT_SELECT_ALL | L "Select the entire documentinSelect All" |
| ID_EDIT_UNDO | "Undo the last actionlnUndo" |
| ID_EDIT_REDO | "Redo the previously undone actioninRedo" |
|  |  |

## STRINGTABLE DISCARDABLE

BEGIN
ID_VIEW_TOOLBAR "Show or hide the toolbarinToggle ToolBar" ID_VIEW_STATUS_BAR "Show or hide the status barnnToggle StatusBar"
END

## STRINGTABLE DISCARDABLE

## BEGIN

AFX_IDS_SCSIZE "Change the window size"
AFX_IDS_SCMOVE "Change the window position"
AFX_IDS_SCMINIMIZE "Reduce the window to an icon"
AFX_IDS_SCMAXIMIZE "Enlarge the window to full size"
AFX_IDS_SCNEXTWINDOW "Switch to the next document window"
AFX_IDS_SCPREVWINDOW "Switch to the previous document window"
AFX_IDS_SCCLOSE "Close the active window and prompts to save the documents"
END
STRINGTABLE DISCARDABLE

```
BEGIN
    AFX_IDS_SCRESTORE "Restore the window to normal size"
    AFX_IDS_SCTASKLIST "Activate Task List"
    AFX_IDS_MDICHILD "Activate this window"
END
STRINGTABLE DISCARDABLE
BEGIN
    AFX_IDS_PREVIEW_CLOSE "Close print preview modelnCancel Preview"
END
STRINGTABLE DISCARDABLE
BEGIN
    ID_DISPLAY_IMPULSE "Plot Impulse ResponselnImpuiseResponse"
    ID_DISPLAY_MAGNITUDE "Plot Magnitude ResponselnMagnitude Response"
    ID_DISPLAY_PHASE "Plot Phase ResponseInPhase Response"
    ID_DISPLAY_COEFFICIENTS "Display CoefficientsInCoefficients"
    ID_VIDEO_OPEN "Open a Video File for Filtering\nOpen Movie"
    ID_VIDEO_FILTER "Filter Video CliplnFitter Movie"
    ID_VIDEO_PLAY "Play Both Video Clips at the Same Time\nPlay Both Clips"
    ID_VIDEO_OPENOUTPUTDEMO "Open a Second Video Clip for ComparisonlnOpen Output"
END
#endif // English (U.S.) resources
//IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII
```


## \#ifndef APSTUDIO_INVOKED



```
//
// Generated from the TEXTINCLUDE 3 resource.
/"
\#define_AFX_NO_SPLITTER_RESOURCES
\#define AFX_NO_OLE_RESOURCES
\#define_AFX_NO_TRACKER_RESOURCES
\#define_AFX_NO_PROPERTY_RESOURCES
\#if !defined(AFX_RESOURCE_DLL) || defined(AFX_TARG_ENU)
\#ifdef_WIN32
LANGUAGE 9,1
\#pragma code_page(1252)
\#endif
\#include "resLFilter3D.rc2" // non-Microsoft Visual C++ edited resources
\#include "afxres.rc" // Standard components
\#include "afxprint.re" // printing/print preview resources
\#endif
```



```
\#endif // not APSTUDIO_INVOKED
```

```
// stdafi.h : include file for standard system include files,
// or project specific include files that are used frequently, but
// are changed infrequently
//
#if !defined(AFX_STDAFX_H_C8CEC467_8DFA_1ID2_9E39_0020AFDA97B0__INCLUDED)
#define AFX_STDAFX_H_C8CEC467_8DFA_I1D2_9E39_0020AFDA97B0__INCLUDED_
#if_MSC_VER >= 1000
#pragma once
#endif /I _MSC_VER >= 1000
#define VC_EXTRALEAN // Exclude rarely-used stuff from Windows headers
#include <afxwin.h> // MFC core and standard components
#include <afxext.h> // MFC extensions
#ifndef_AFX_NO_AFXCMN_SUPPORT
#include <afxcmn.h> // MFC support for Windows Common Controls
#endif/| _AFX_NO_AFXCMN_SUPPORT
//{{AFX_INSERT_LOCATION}}
// Microsoft Developer Studio will insert additional declarations immediately before the previous line.
#endif // !defined(AFX_STDAFX_H_C8CEC467_8DFA_11D2_9E39_0020AFDA97B0__INCLUDED_)
```


## Appendix B

## Matlab Source Code for Generating Magnitude Response, Phase Response, and Group Delay Plots

```
% thesis_magnitude.m - Generates plots of 3-D filter magnitude response
        not included due to excessive length
% w3 = 0.0
H=[ ... ];
[w1,w2] = freqspace(length(H));
w1 = wl.*pi;
w2 = w1;
figure
mesh(w1,w2,H),rotate3d on
title('Low-Pass Filter with Cutoff = pi/2 (wl = 0 rad/sec)')
xlabel('w2 (rad/unit)'), ylabel('w3 (rad/unit)'), zlabel('Magnitude Response')
axis([-4 4 -4 4 0 1.2])
% w3 = 0.98
H=[ ... ];
figure
mesh(w1,w2,H),rotate3d on
title('LOw-Pass Filter with Cutoff = pi/2 (wl = 0.98 rad/sec)')
xlabel('w2 (rad/unit)'), ylabel('w3 (rad/unit)'), zlabel('Magnitude Response')
axis([-4 4 -4 4 0 1.2])
% w3 = 2.16
H=[ ... ];
figure
mesh(w1,w2,H), rotate3d on
title('Low-Pass Filter with Cutoff = pi/2 (wl = 2.16 rad/sec)')
xlabel('w2 (rad/unit)'), ylabel('w3 (rad/unit)'), zlabel('Magnitude Response')
axis([-4 4 -4 4 0 1.2])
% w3 = pi
H=[ ...];
figure,
mesh(w1,w2,H),rotate3d on
title('Low-Pass Filter with Cutoff = pi/2 (wl = pi rad/sec)')
xlabel('w2 (rad/unit)'), ylabel('w3 (rad/unit)'), zlabel('Magnitude Response')
axis([-4 4 -4 4 0 1.2])
```

```
% thesis_phase.m - Generates plots of 3-D filter phase response
%
%
%
% w3 = 0.0
P=[ ... ];
[w1,w2] = freqspace(length(P)):
w1 = w1.*pi;
w2 = wl;
winc = w2(2)-w2(1);
P = unwrap(P);
figure
mesh(w1,w2,P), rotate3d on
title('Low-Pass Eilter with Cutoff = pi/2 (w3 = 0 radians/sec)')
xlabel('wl (radians/unit)'), ylabel('w2 (radians/unit)'), zlabel('Phase
Response (radians)')
view(-20,60)
for l=1:length(P)
    for k=1:length(P)-1
        if abs(P(l,k+1)-P(l,k)) < 5
            Gd(1,k)= -(P(1,k+1)-P(1,k))/winc:
        else
            if P(1,k+1)-P(1,k)<0
                Gd(1,k)=-(P(1,k+1)-(P(1,k)-2*pi))/winc;
            else
                Gd(l,k) = -(P(l,k+1)-(P(l,k)+2*pi))/winc;
            end
        end
    end
    Gd(l, length(P)) = - (P(1, length(P))-P(l,length(P)-1))/winc;
end
figure,
mesh(w1,w2,Gd), rotate3d on
title('Low-Pass Filter with Cutoff = pi/2 (w3=0 radians/sec)')
xlabel('wl (radians/unit)'), ylabel('w2 (radians/unit)')
zlabel('Group Delay with Respect to w2')
view(0,0)
% w3 = 0.98
P=[ ... ];
P = unwrap (P);
figure
mesh(w1,w2,P), rotate3d on
title('Low-Pass Filter with Cutoff = pi/2 (w3 = 0.98 radians/sec)')
xlabel('wl (radians/unit)'), ylabel('w2 (radians/unit)')
zlabel('Group Delay with Respect to w2')
view(-20,60)
```

```
for l=1:length(P)
    for k=1:1ength(P)-1
        if abs(P(l,k+1)-P(l,k)) < 5
            Gd(l,k) = - (P(l,k+1)-P(l,k))/winc;
        else
                if P(1,k+1)-P(l,k)<0
                Gd(l,k) = - (P(l,k+l)-(P(l,k)-2*pi))/winc;
                else
                Gd(l,k) = - (P(l,k+l)-(P(l,k)+2*pi))/winc;
            end
        end
    end
    Gd(1, length(P)) = - (P(1, length(P))-P(1,length(P)-1))/winc;
end
figure
mesh(w1,w2,Gd), rotate3d on
title('Low-Pass Eilter with Cutoff = pi/2 (w3=0.98 radians/sec)')
xlabel('w1 (radians/unit)'), ylabel('w2 (radians/unit)')
zlabel('Group Delay with Respect to w1')
view(0,0)
% w3 = 2.16
P=[ ... ];
P = unwrap(P);
figure
mesh(w1,w2, P), rotate3d on
title('Low-Pass Eilter with Cutoff = pi/2 (w3 = 2.16 radians/sec)')
xlabel('wl (radians/unit)'), ylabel('w2 (radians/unit)')
zlabel('Group Delay with Respect to w2')
view(-20,60)
for l=1:length(P)
    for k=1:length(P)-1
        if abs(P(l,k+1)-P(l,k))< < 
            Gd(1,k) = -(P(1,k+1)-P(l,k))/winc;
        else
            if P(1,k+1)-P(1,k)<0
                    Gd(l,k) = -(P(l,k+l)-(P(l,k)-2*pi))/winc;
                else
                    Gd(l,k) = -(P(l,k+1)-(P(l,k)+2*pi))/winc;
                end
        end
    end
    if abs(P(l, length(P))-P(1, length(P)-1))< < 
        Gd(1, length (P))=-(P(1, length (P))-P(1, length (P) -1))/winc;
    end
end
figure
mesh(w1,w2,Gd), rotate3d on
title('Low-Pass Filter with Cutoff = pi/2 (w3 = 2.16 radians/sec)')
xlabel('w1 (radians/unit)'), ylabel('w2 (radians/unit)')
zlabel('Group Delay with Respect to wl')
view(0,0)
```

```
% w3 = pi
P=[ ... ];
P = unwrap (P);
figure
mesh(w1,w2, P), rotate3d on
title('Low-Pass Eilter with Cutoff = pi/2 (w3 = pi radians/sec)')
xlabel('w1 (radians/unit)'), ylabel('w2 (radians/unit)')
zlabel('Group Delay with Respect to w2')
view(-20,60)
for l=1:length(P)
    for k=1:length(P)-1
        if abs(P(l,k+1)-P(l,k))< < 5
            Gd(l,k)=-(P(l,k+1)-P(l,k))/winc;
        else
            if P(l,k+l)-P(l,k)<0
                Gd(1,k) = - (P(1,k+1)-(P(1,k)-2*pi))/winc:
            else
                    Gd(1,k) = - (P(1,k+1)-(P(1,k)+2*pi))/winc;
            end
        end
    end
    if abs(P(l, length(P))-P(1,length(P)-1)) < 5
        Gd(l,length(P)) = -(P(1, length(P))-P(l,length (P)-1))/winc;
    end
end
figure
mesh(w1,w2,Gd), rotate3d on
title('Low-Pass Filter with Cutoff = pi/2 (w3 = pi radians/sec)')
xlabel('w1 (radians/unit)'), ylabel('w2 (radians/unit)')
zlabel('Group Delay with Respect to w1')
view(0,0)
```

Vita Auctoris
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1993 High School Diploma from I. E. Weldon Secondary School, Lindsay, Ontario, Canada
1997 Bachelor of Applied Science in Electrical Engineering from University of Windsor, Windsor, Ontario, Canada
2000 Candidate for Master of Applied Science in Electrical Engineering from University of Windsor, Windsor, Ontario, Canada

