Tracking Considerations

G. Dell

BNL

November 26, 1986

TRACKING CONSIDERATIONS

DO WE INTERPRET OUR INITIAL CONDITIONS CORRECTLY ? CONSIDER A BEAM HAVING AN ELLIPTICAL PROFILE WITH HALF AXES X AND Y $A=(\hat{x},\hat{Y})$ FIGURE 1 WE STATE THAT THE BEAM HAS EQUAL EMITTANCES IN THE X AND Y DIRECTIONS. USING THE NOTATION OF FIGURE 1, $\mathcal{E}_{x_0} = \frac{\hat{\chi}^2}{\hat{\chi}^2} = \mathcal{E}_0 = \frac{\hat{\chi}^2}{\hat{\chi}^2} = \mathcal{E}_{y_0}$ TRADITIONALLY WE TRACK WITH INITIAL CONDITIONS Ex: = Ey: BUT IGNORE THE FACT THAT X: AND Y: ARE CORRELATED BY: WITH a= X AND b= Y.

WHEN WE SELECT THE INITIAL VALUE OF X
AS $X_i = \hat{X}$, THE VALUE OF Y $(Y_i = \hat{Y})$ THAT
SATISFIES Ex: = Ey: GIVES AN INITIAL STARTING
POINT "A" THAT DOES NOT LIE ON THE BEAM
PROFILE ELLIPSE OF FIGURE 1 IN OTHER WORDS,
WE ARE TRACKING A PARTICLE THAT LIES
OUTSIDE OF THE BEAM AND HAS AN
EMITTANCE LARGER THAN WE THINK!
2 DETERMINE VI
2. DETERMINE X: WHEN $E_{X:}=E_{y:}$, X:= \hat{X} = α = $(E_{o}\beta_{x})^{1/2}$ = 18 mm, AND \hat{Y} = b = $(E_{o}\beta_{y})^{1/2}$
7= Λ- (E o Px) = 18 mm, AND Y= b=(E o βy)
FOR: V^2 , V^2 C C V^2 2
FOR: $\frac{\chi^2}{a^2} + \frac{\chi^2}{b^2} = 1$, $E_{\chi_i} = E_{g_i}$, AND $\frac{\chi_i^2}{a} = \frac{\gamma_i^2}{a}$,
PX Pg
$X_{i}^{2} \perp U_{i}^{2} - X_{i}^{2} \perp R_{i} \times X_{i}^{2} V_{i}^{2} Q_{i}^{2} \qquad Q_{i}^{2$
$\frac{\chi_{i}^{z} + y_{i}^{z} - \chi_{i}^{z} + \beta_{y} \chi_{i}^{z} - \chi_{i}^{z} + \beta_{x} \chi_{i}^{z} - 1}{a^{2} + b^{2} + a^{2} + \beta_{x} \lambda_{i}^{z} - 1}$
THUS $2x^2 - $ AND $X_i = 0 = 12.7mm$,
a^2 $\sqrt{2}$
AND WITH Bx=50m AND By=8.5m, Y:=5.2mm.
HENCE WHEN EX: = Ey:, IT SEEMS WE DON'T
NEED STABILITY TO X = 18 mm FOR RHIC AND
THAT WE CURRENTLY SATISFY THE REQUIREMENT
$A_{i}^{\mu\nu} = A_{i}A_{i}A_{i}A_{i}A_{i}A_{i}A_{i}A_{i}$

OF ACCOMODATING A BEAM OF 60x.

	3 CONSIDER INITIAL TRACKING VALUES
	WHEN $E_{x} \neq E_{y}$
	$X_i = \left(\mathbb{E}_{x_i}\beta_x\right)^{1/2}$, $Y_i = \left(\mathbb{E}_{y_i}\beta_y\right)^{1/2}$, AND $\frac{X^2}{a^2} + \frac{y^2}{b^2} = 1$.
	$a^2 b^2$
	$X_i^2/\beta x + y_i^2/\beta y = Exi + Eyi = 1$
	$\frac{X_{i}^{z}/\beta x + y_{i}^{z}/\beta y}{\alpha^{z}/\beta x + b^{z}/\beta y} = \frac{E \times i + E y = 1}{E_{o}}$
	//Sx //Sa
	THUS Ex: + Ey:= E. , AND ANY POINT ON THE
	BEAM ELLIPSE IS A VALID STARTING POINT
	FOR TRACKING.
	·
	•
1	NOTE: THE TRACKING PROGRAM RACETRACK
\ .	ADJUSTS THE RELATION BETWEEN X AND Y
	INTERNALLY SO THAT ALL STARTING POINTS
	SATISFY THE CONDITION THAT Ext Ey: = E.
	·