

Prediction of Release-Etch Times for Surface-Micromachined Structures

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SUMMARY

A one-dimensional model is presented which describes the release-etch behavior of sacrificial oxides in aqueous HF. Starting from first principles and an empirical rate law, release etch kinetics are derived for primitive geometries. The behavior of complex three-dimensional structures is described by joining the solutions of constituent primitives and applying appropriate boundary conditions. The two fitting parameters, k_1 and k_2 , are determined from the simplest structure and describe the more complex structures well. Experimental validation of the model is presented with data for all of the geometries and four types of sacrificial oxides and.

MOTIVATION

A common desire in surface-micromachining is to reduce the release-etch time. Unfortunately, linear etch rates do not apply to large lateral etch distances, since diffusion limitations are encountered. Hence, a more sophisticated method of determining etch times is required.

Release-etch modeling for surface-micromachining was first examined in detail by Monk *et al.*[1-7]. They examined effects of etchant concentration, etchant pH, etchant additives, and etch channel height and width effects on etching behavior. Liu *et al.*[8] and Tai *et al.*[9] added an empirical formulation of the etch kinetics. Like Monk *et al.*, they used rectangular etch channels exclusively (Figure 2a). In this paper, the above work is extended by adding more geometric complexity to the available models. The range of structures is shown in Figure 2 and 3.

THEORY

Modeling of release etching in this work is based upon finding relationships among flux, concentration, and etch rate. Details of the model have been reported previously[10], and the method of solution is briefly discussed here. The basic equations of the model are given in Table 2, and the conventions are illustrated in Figure 1. The reader is referred to Table 1 for definitions of variables.

The oxide etch rate, δ , is presumed to be directly proportional to the flux of HF to the etch front, J_{HF} (Equation 2). The proportionality constant is inferred from the net reaction of HF with SiO_2 (Equation 1). The flux is determined from two sources: Fick's first law, and an empirical rate law, $k_1 C + k_2 C^2$. According to and Liu *et al.*[8] and Tai *et al.*[9], this is a good empirical choice

Table 1. List of variables. N geometries: P=port, B=bubble, C=concentric circles, PP=port-to-port, PB=port-to-bubble, BW=bubble-to-wedge, PBW=port-to-bubble-to-wedge.

variable	description
a	proportionality constant.
A	constant of integration.
$C(x), C(r)$	concentration of HF at position x, r .
$C(\delta)$	concentration of HF at etch front.
C_0	bulk concentration of HF.
δ_N, h_N	width, height of sac. oxide for geometry N.
δ	position of etch front.
δ_{bp}	radius above which wedge solution is valid.
D	diffusivity of HF in water.
ϕ	angle determined by number of etch ports.
γ_N	geometrical constant for etching regime N.
J_{HF}	flux of HF to etch front.
k_1, k_2	first and second order rate constants.
L	length of etch port.
MW_{SiO_2}	molecular weight of SiO_2 .
n	number of etch ports for PBW geometry.
θ_N	decreasing angle in wedge regime.
ρ_{SiO_2}	mass density of SiO_2 .
r, x	radial and linear coordinates.
s	hole-to-hole or 2x hole-to-wall spacing.
t	etch time.

for the kinetics of the reaction, since it describes etch behavior over a wide range of concentrations.

Both convective components and the instantaneous rate of change of the concentration are presumed to be small, so that Fick's second law is written as Equation 4. The concentration is C_0 at $x = 0$ or r_0 , so that solving Equation 4 yields Equations 5 and 6 for linear and polar

Table 2. Theoretical foundations of release-etch model. Details are given in reference [10]

$6\text{HF} + \text{SiO}_2 \leftrightarrow \text{H}_2\text{SiF}_6 + 2\text{H}_2\text{O}$	(1)
$\frac{d\delta}{dt} = \alpha J_{HF}, \quad \alpha = \frac{1}{6} \frac{MW_{\text{SiO}_2}}{\rho_{\text{SiO}_2}}$	(2)
$J_{HF} = -D\nabla C = k_1 C + k_2 C^2$	(3)
$\nabla^2 C = 0$	(4)
$C(x) = Ax + C_0$	(5)
$C(r) = A \ln\left(\frac{r}{r_0}\right) + C_0$	(6)

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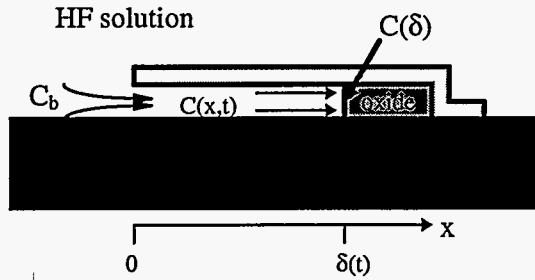


Figure 1. Conventions for coordinates and concentrations of release-etch model. After references REFS

symmetry, respectively.

In many cases solving etch front position as a function of time, $\delta(t)$, provides more insight than the etch rate, $d\delta/dt$, and therefore requires an integration. In all cases except for the rectangular etch port, numerical integrations must be used, and can be performed with commercial mathematical software, such as Mathematica™, Maple™, MathCAD™, or others. Furthermore, it is generally easier to solve for $t(\delta)$ instead of $\delta(t)$, where the integration takes the form

$$t(\delta) = \int_0^\delta \frac{d\delta}{\alpha(k_1 C + k_2 C^2)}, \quad (7)$$

where x is 0 , r_0 , δ_{bp} , or R_0 , depending on the geometry in question.

Primitive Geometries

The three primitives considered are the rectangular etch port, bubble, and concentric circles. Completed test structures are shown in Figure 2. The relevant solutions to all of the concentrations and etch times are given in Table 3. The rectangular etch port (Figure 2a) is the simplest of all geometries and consists of a rectangular box that is open at one end to HF. The bubble geometry

Table 3. Solutions for primitives. The general form for etch times is given by Equation 7.

port
$C_p(\delta) = \frac{\sqrt{(k_1\delta + D)^2 + 4k_2\delta C_0 D} - (k_1 + 2k_2 C_0)\delta - D}{2k_2\delta}$
$t_p(\delta) = \frac{k_1[k_1(\delta + D) + 2k_2 C_0 D] \sqrt{(k_1\delta + D)^2 + 4k_2 C_0 D} + (k_1 + 2k_2 C_0)(k_1^2 \delta - D^2) + 2k_1^2 \delta D}{2k_2\delta}$
$- \frac{k_2 D}{k_1^3} \ln \left(\frac{k_1 \sqrt{(k_1\delta + D)^2 + 4k_2 C_0 D} + k_1^2 [k_1(\delta + D) + 2k_2 C_0 D]}{2D(k_1 + 2k_2 C_0)} \right)$
bubble
$C_B(\delta) = \frac{\sqrt{\left(k_1 \delta \ln\left(\frac{r}{r_0}\right) + D\right)^2 + 4k_2 \delta \ln\left(\frac{r}{r_0}\right) C_0 D} - k_1 \delta \ln\left(\frac{r}{r_0}\right) D - D}{2k_2 \delta \ln\left(\frac{r}{r_0}\right)}$
concentric circles
$C_B(\delta) = \frac{\sqrt{\left(k_1 \delta \ln\left(\frac{r}{r_0}\right) - D\right)^2 - 4k_2 \delta \ln\left(\frac{r}{r_0}\right) C_0 D} - k_1 \delta \ln\left(\frac{r}{r_0}\right) D + D}{2k_2 \delta \ln\left(\frac{r}{r_0}\right)}$

(Figure 2b) is a circular or semicircular structure that is anchored at its edges and etched from an etch in its center. The concentric circles geometry (Figure 2c) is a circular structure that is anchored at its center and etched from its edges.

Complex Geometries

Complex geometries are broken up into their primitive constituents. Fabricated test structures of all of the primitive geometries are shown in Figure 3. Additional total mass flux boundary conditions are required to join primitive solutions. For example, the boundary condition for the port-to-port structure (Figure 3a), which is two rectangular etch ports joined end to end, is

$$\left(J_{1^{st}port} \right) \left(Area_{1^{st}port} \right) = \left(J_{2^{nd}port} \right) \left(Area_{2^{nd}port} \right). \quad (8)$$

In this case the flux is said to change discontinuously when the etch proceeds into the second port. However, the other solutions can be easily forced to change continuously.

The port-to-bubble geometry (Figure 3b) is a rectangular etch port joined to a semicircular region. As the etch proceeds into the bubble regime, the etch front is an ever-expanding semicircle until all of the sacrificial oxide is consumed.

The bubble-to-wedge geometry (Figure 3c) is particularly useful, since it describes the etching of surface micromachined structures from a square array of etch holes. This is the configuration used for many devices, such as accelerometers and comb drives. The etch front starts out with a circular shape until it meets a wall or a neighboring etch front. Then the etch front is broken into four wedge-shaped regions. Because of the symmetry of the problem, only one wedge needs to be examined. An angle, θ_{BW} , is constructed which accounts for the decreasing etch front area as the etch progresses. It starts at $\pi/2$ and diminishes to zero.

The port-to-bubble-to-wedge (Figure 3c) geometry describes the etching of a large, regular-polygonal area from its edges. This type of structure has been used to make diaphragms for surface-micromachined pressure sensors and flow sensors. Because of the symmetry of the structure, only one etch port needs to be tracked through the release-etch. First the rectangular etch port is etched. then as the etch proceeds underneath the diaphragm, a "bubble" forms. Once all of the adjoining etch fronts collide the etch proceeds into the wedge regime with angle θ_{PBW} .

RESULTS

The etch structures of Figure 2 and 3 were made by depositing and patterning $1 \mu m$ thick sacrificial oxides, followed by depositing and patterning $0.8 \mu m$ of low stress silicon nitride. Four types of sacrificial oxide were used: undoped LPCVD oxide, 2.6 wt% boro-silicate glass (BSG), 2.4 wt% phospho-silicate glass, and 4.8 wt%/3.7 wt% boro-phospho-silicate glass (BPSG). Six inch silicon substrates with etch structures were diced into individual die. The dice were placed in individual baskets for the etch studies. At time zero, the etch tank was filled with

Table 4. Solutions for complex structures. Etch times are given in general by Equation 7.

port-to-port *l-w-d*

$$C_{PP}(\delta) = C_P(\delta) \Big|_{C_0 \rightarrow C_{0PP}}, \quad \gamma_{PP} = \frac{d_{PP} h_{PP}}{d_p h_p} L,$$

$$C_{0PP}(\delta) = \frac{2k_2 C_0 \delta^2 - \gamma_{PP} \left[\sqrt{[k_1(\delta + \gamma_{PP}) + D]^2 + 4k_2 C_0 D(\delta + \gamma_{PP})} + (k_1 - 2k_2 C_0)\delta + k_1 \gamma_{PP} + D \right]}{2k_2(\delta + \gamma_{PP})^2}$$

port-to-bubble *l-w-d*

$$C_{PB}(\delta) = C_B(\delta) \Big|_{C_0 \rightarrow C_{0PB}}, \quad \gamma_{PB} = \frac{\pi h_{PB}}{d_p h_p},$$

$$C_{0PB}(\delta) = \frac{2k_2 C_0 \delta \left[\ln\left(\frac{\delta}{r_0}\right) \right]^2 - \gamma_{PB} \left[(k_1 - 2k_2 C_0)\delta \ln\left(\frac{\delta}{r_0}\right) + k_1 \gamma_{PB} + D - \sqrt{[k_1(\delta \ln\left(\frac{\delta}{r_0}\right) + \gamma_{PB}) + D]^2 + 4k_2 C_0 D(\delta \ln\left(\frac{\delta}{r_0}\right) + \gamma_{PB})} \right]}{2k_2 \delta \left[\gamma_{PB} + \ln\left(\frac{\delta}{r_0}\right) \right]^2}$$

bubble-to-wedge *l-w-d*

$$C_{BW}(\delta) = C_B(\delta) \Big|_{C_0 \rightarrow C_{0BW}}, \quad C_{0BW}(\delta) = C_{0PB}(\delta) \Big|_{\gamma_{PB} \rightarrow \gamma_{BW}}, \quad \gamma_{BW} = \frac{2\theta_{BW}}{\pi} \ln\left(\frac{r_0}{\delta_{bp}}\right), \quad \theta_{BW} = \frac{\pi}{2} - \cos^{-1}\left(\frac{s}{2\delta}\right).$$

port-to-bubble-to-wedge *l-w-d*

$$C_{PBW}(\delta) = C_B(\delta) \Big|_{C_0 \rightarrow C_{0PBW}}, \quad C_{0PBW}(\delta) = C_{0PB}(\delta) \Big|_{\gamma_{PB} \rightarrow \gamma_{PBW}}, \quad \gamma_{PBW} = \frac{\theta_{PBW}}{\pi} \ln\left(\frac{r_0}{\delta_{bp}}\right),$$

$$\theta_{PBW} = 4 \tan^{-1} \left(\frac{\delta \cos\left(\frac{\phi}{2}\right) - \sqrt{\delta^2 - \frac{1}{4} \sin^2 \phi (R_0^2 + \delta_{bp}^2)}}{\sin\left(\frac{\phi}{2}\right) (\delta + \cos\left(\frac{\phi}{2}\right)) \sqrt{R_0^2 + \delta_{bp}^2}} \right), \quad \phi = \frac{2\pi}{n}, \quad C_\beta = \text{Root} \left\{ \left[\gamma_{PBW} + \ln\left(\frac{\delta_{pb}}{r_0}\right) \right] C_{0PBW} - \left[\gamma_{PBW} + \ln\left(\frac{\delta}{r_0}\right) \right] C_\beta = 0, C_\beta \right\}.$$

49 wt% HF, thereby immersing the dice. Dice were then removed from the tank at regular intervals and the etch was quenched in deionized water. The quenched etch front positions were measured optically.

For all of the different oxides, the etch kinetics, k_1 and k_2 were determined from the simplest structures, the rectangular etch ports, using a nonlinear least-squares fit. These coefficients were then applied to the more complex solutions. Theoretical and experimental curves are shown in Figures XX and coefficients k_1 and k_2 are given in Table 5. A value of $1.6 \cdot 10^{-5}$ [cm²/sec] was used for the diffusivity of HF in water.

Of all of the different oxides, the undoped LPVCD oxide results had the worst fit to theory. This was due in part to the fact that the etch front shapes of the undoped oxide films were notch-shaped for the rectangular etch ports. This notch-shape evolved during the course of the etch, making specifying the location of the etch front difficult. The shape was presumed to be due to unrelieved stresses in the sidewalls of the films, causing the edges to etch faster than the bulk. The other oxides had flat etch fronts and fit much better to the theoretical model. *Die or dice?*

Table 5. Etch kinetics for all four oxides used in paper.

Sacrificial Layer	k_1 [cm/sec]	k_2 [cm ¹ /mole-sec]
undoped oxide	$3.0 \cdot 10^{-7}$	$3.1 \cdot 10^{-3}$
2.6% BSG	$4.5 \cdot 10^{-5}$	$7.0 \cdot 10^{-4}$
2.4% PSG	$1.1 \cdot 10^{-4}$	$4.6 \cdot 10^{-3}$
4.8/3.7 BPSG	$4.5 \cdot 10^{-4}$	$1.7 \cdot 10^{-2}$

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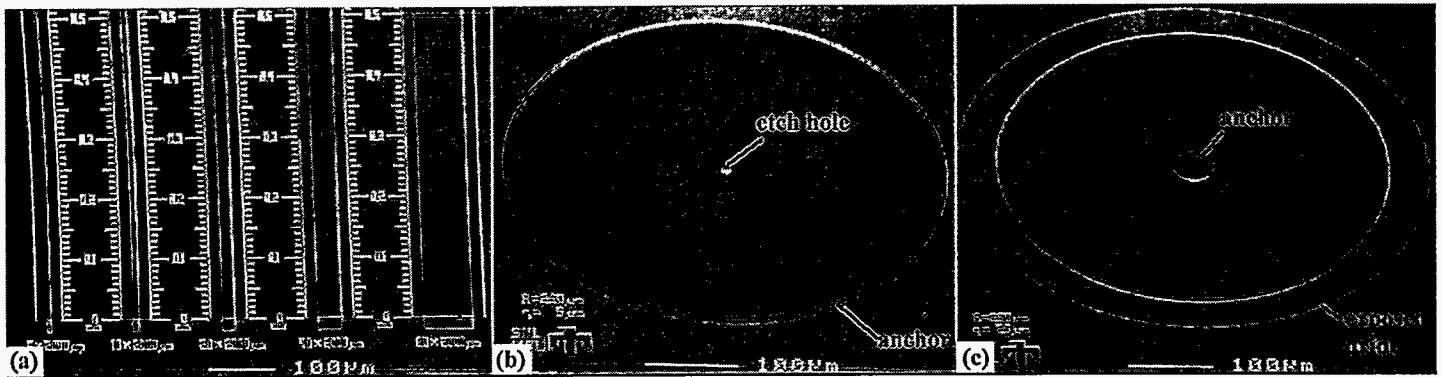


Figure 2. Scanning electron micrographs of fabricated primitives. (a) rectangular port. (b) bubble. (c) concentric circles.

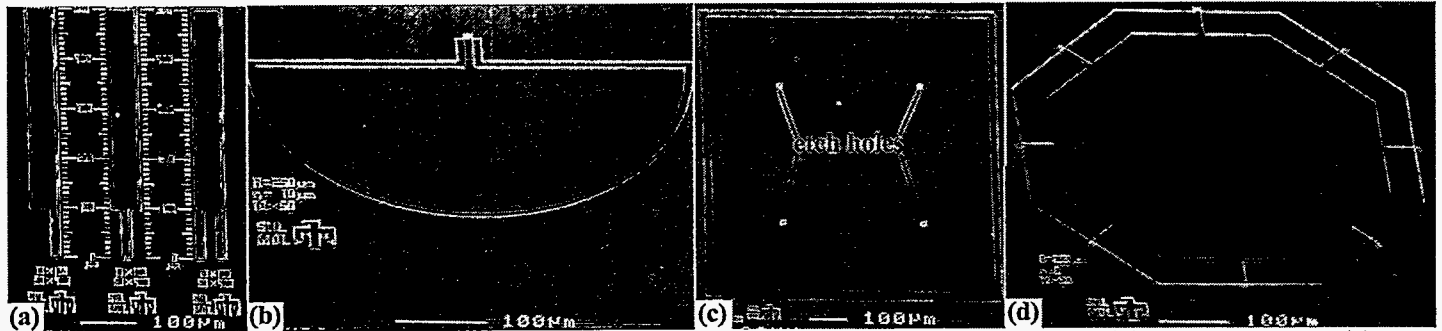


Figure 3. Scanning electron micrographs of fabricated complex structures. (a) port-to-port. (b) port-to-bubble. (c) bubble-to-wedge. (d) port-to-bubble-to-wedge.

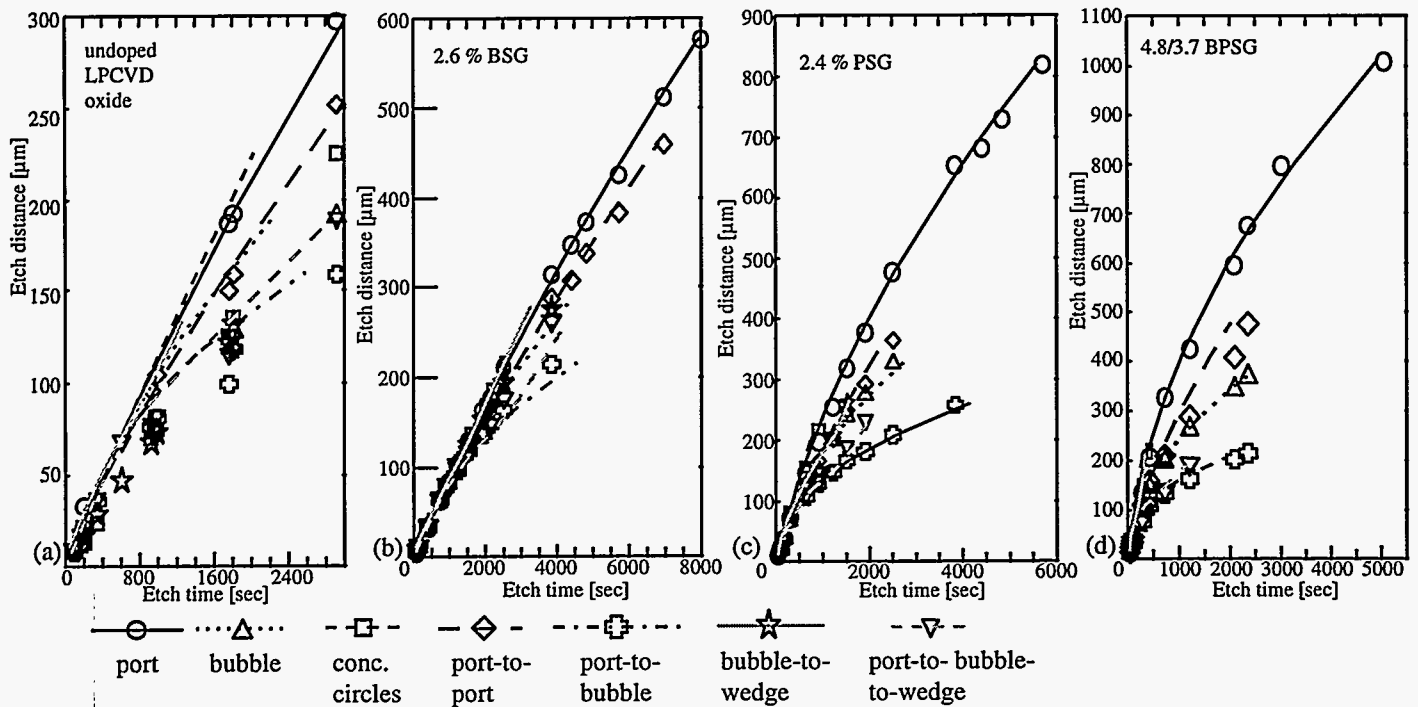


Figure 4. Etch distance [μm] vs etch time [sec] for four different sacrificial oxides and all geometries. (a) undoped LPCVD oxide. (b) 2.6% BSG. (c) 2.4% PSG. (d) 4.8/3.7 BPSG.