

Simulation of the effect of the laser beam profile on the overlap function of lidar systems

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Our focus

- Gaussian beams: common assumption when simulating the overlap function of a lidar system
- Which errors are expected when the laser beam profile is assumed to be:
 - Gaussian (00 TEM – best fitted circle)
 - Elliptical (Best fitted ellipse – D4σ method)

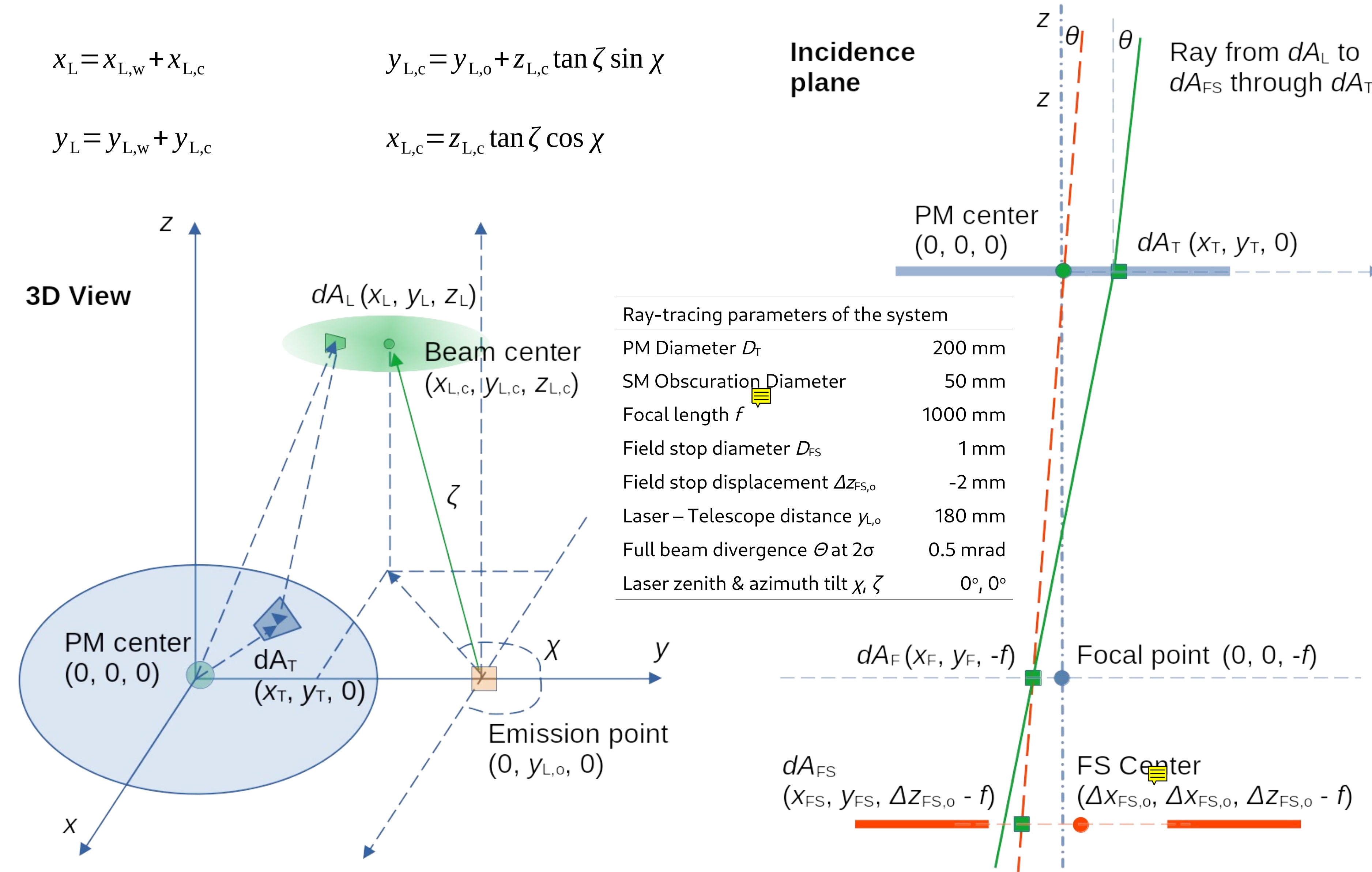
How we did it

- Ray-tracing is used to simulate the overlap function/telecover test
- "Real beams": Multi-modal beams (mixing up to 3rd order TEMs)
- The beam waist is adjusted to scale all laser beam profiles to the same beam divergence
- Comparison of the overlap function/telecover test among the "real" and "assumed" beams

What did we find?

- Rel. errors up to ~20%/7% of the overlap function at $O(z) \geq 0.3$ are expected if a Gaussian/elliptical beam profile is assumed
- Beam profile: Accurate overlap calculations cannot be achieved without a priori knowledge of the laser beam profile
- Telecover test: distance of full overlap at ±5% sector deviation might not correspond to $O(z) = 0.95$

Ray-tracing geometry



Related Equations & Assumptions

$$x_{FS} = \frac{x_T - x_L}{z_L} (f - \Delta z_{FS,o}) + x_T \frac{\Delta z_{FS,o}}{f}$$

$$y_{FS} = \frac{y_T - y_L}{z_L} (f - \Delta z_{FS,o}) + y_T \frac{\Delta z_{FS,o}}{f}$$

$$(x_{FS} - \Delta x_{FS,o})^2 + (y_{FS} - \Delta y_{FS,o})^2 \leq \left(\frac{D_{FS}}{2}\right)^2$$

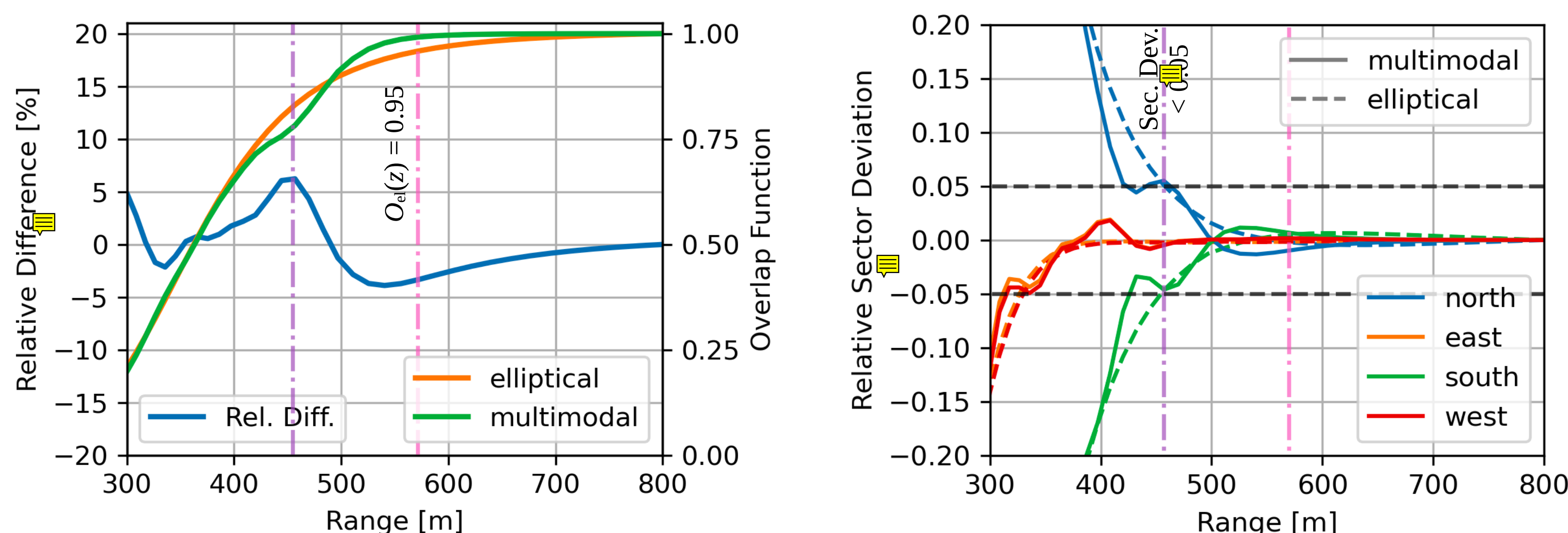
$$O(z) = \iint_{A_L} \iint_{A_T} \eta T_O f_{FS} f_T B_{air} E_L dA_T dA_L$$

- PM/SM: Primary/Secondary mirror
- FS: Field stop
- Coordinates of the laser beam part dA_L
 - x_L, y_L, z_L in the PM ref. system
 - $x_{L,w}, y_{L,w}$ in the beam center ref. system
 - $x_{L,c}, y_{L,c}$: coord. of the beam center
- x_T, y_T : coord. of the PM surface part dA_T
- x_{FS}, y_{FS} : coord. of the FS surface part dA_T
- $\Delta x_{FS,o}, \Delta y_{FS,o}, \Delta z_{FS,o}$: field stop displacement
- D_{FS} : field stop diameter
- $y_{L,o}$: y coordinate of the laser
- f : telescope focal length
- $f_{FS} (x_T, y_T, z_T)$: obscuration of the FS
- $f_T (x_T, y_T, z_T)$: obscuration of the PM
- T_O : transmission of the receiver optics
- $E_L (x_L, y_L, z_L)$: average pulse irradiance
- $B_{air} (x_L, y_L, z_L)$: attenuated backscatter
- $O(z)$: Overlap function
- ζ, χ : Zenith and azimuth tilt of the laser

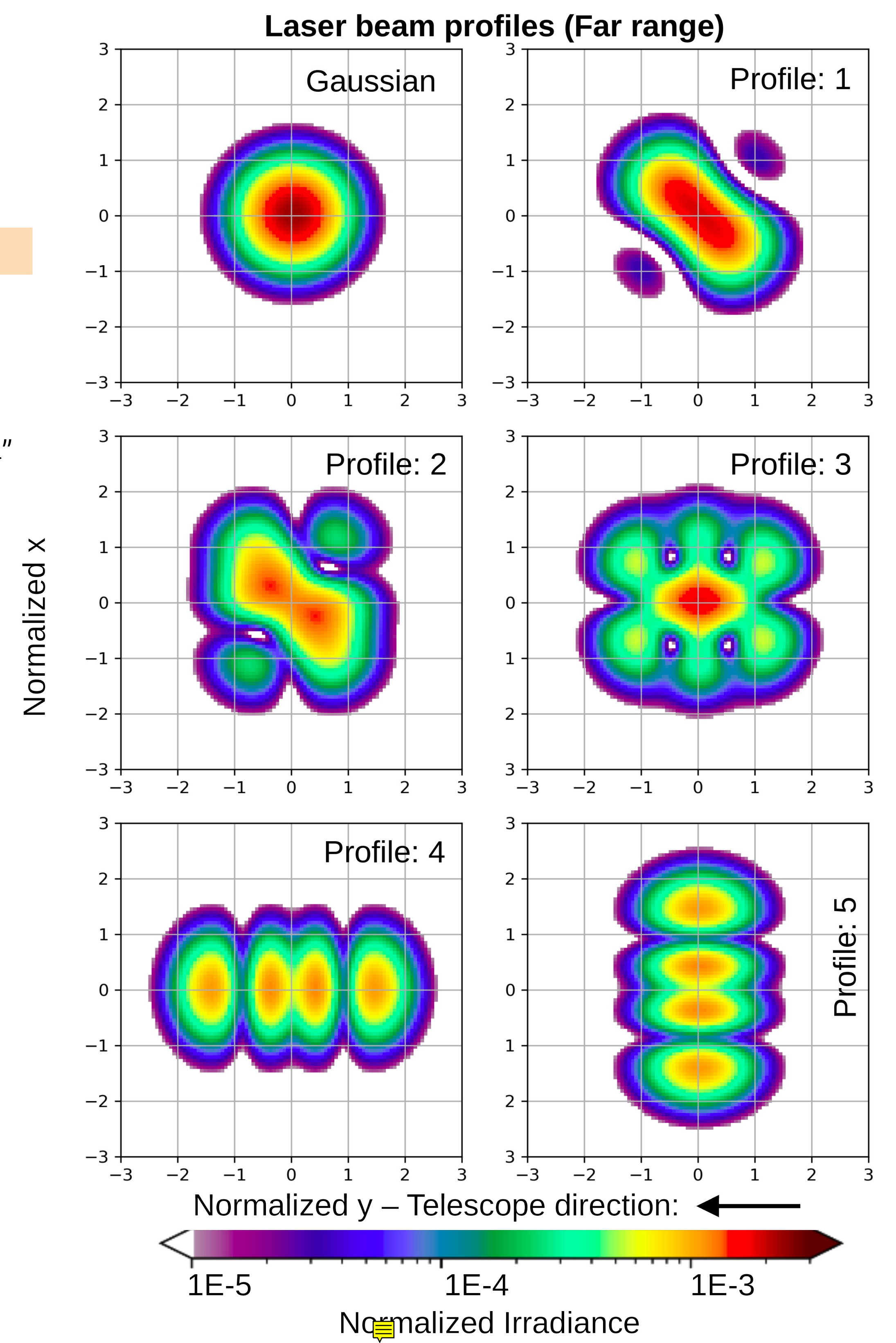
Assumptions:

- telescope aberrations are negligible
- the FS is the limiting aperture
- negligible spatial inhomogeneities of the detector's gain
- negligible spatial inhomogeneities of the receiving optics transmission
- negligible angle of incidence effects on the interference filters

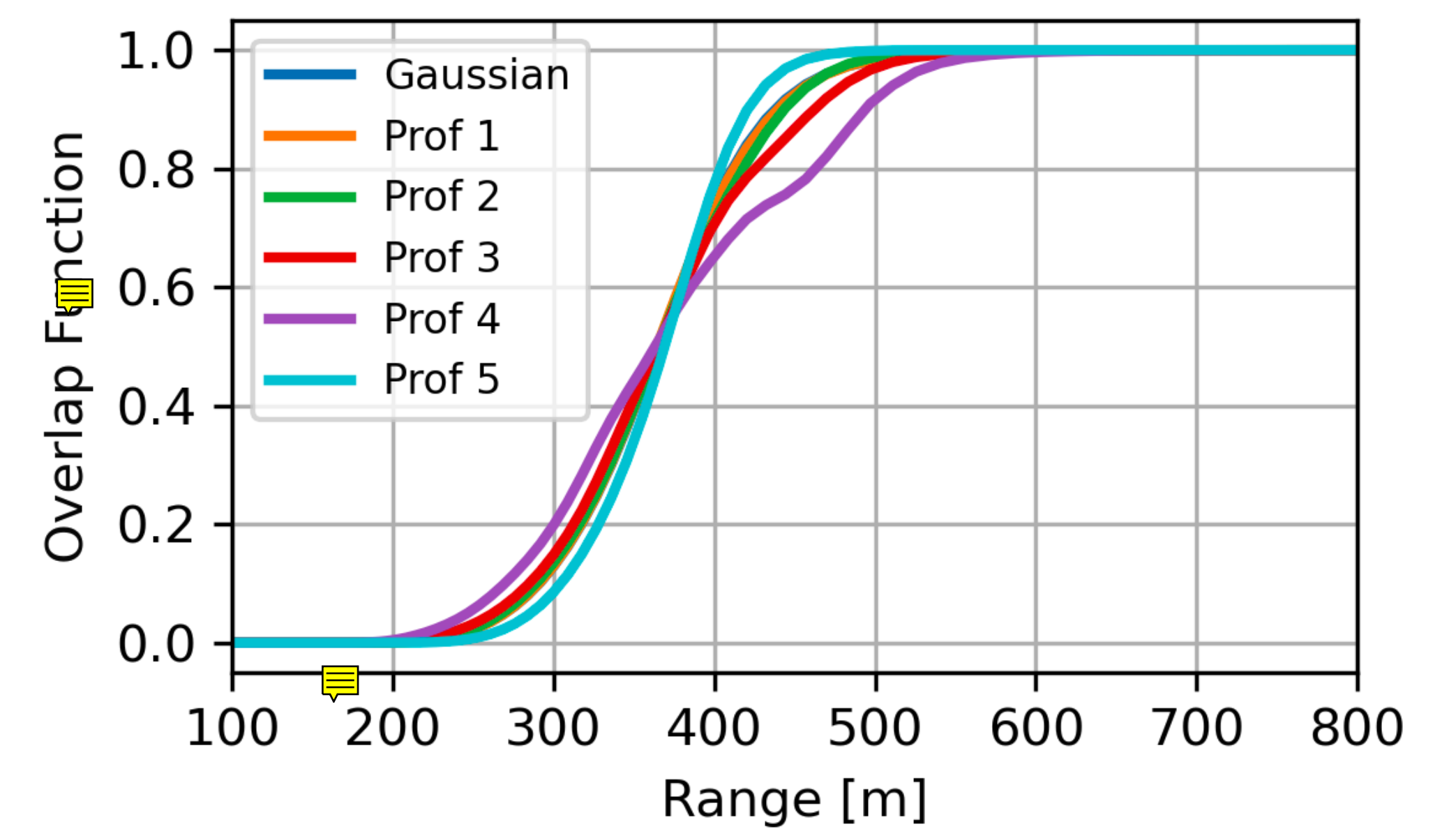
Overlap function & Telecover test of Profile 4: Elliptical vs Multi-modal



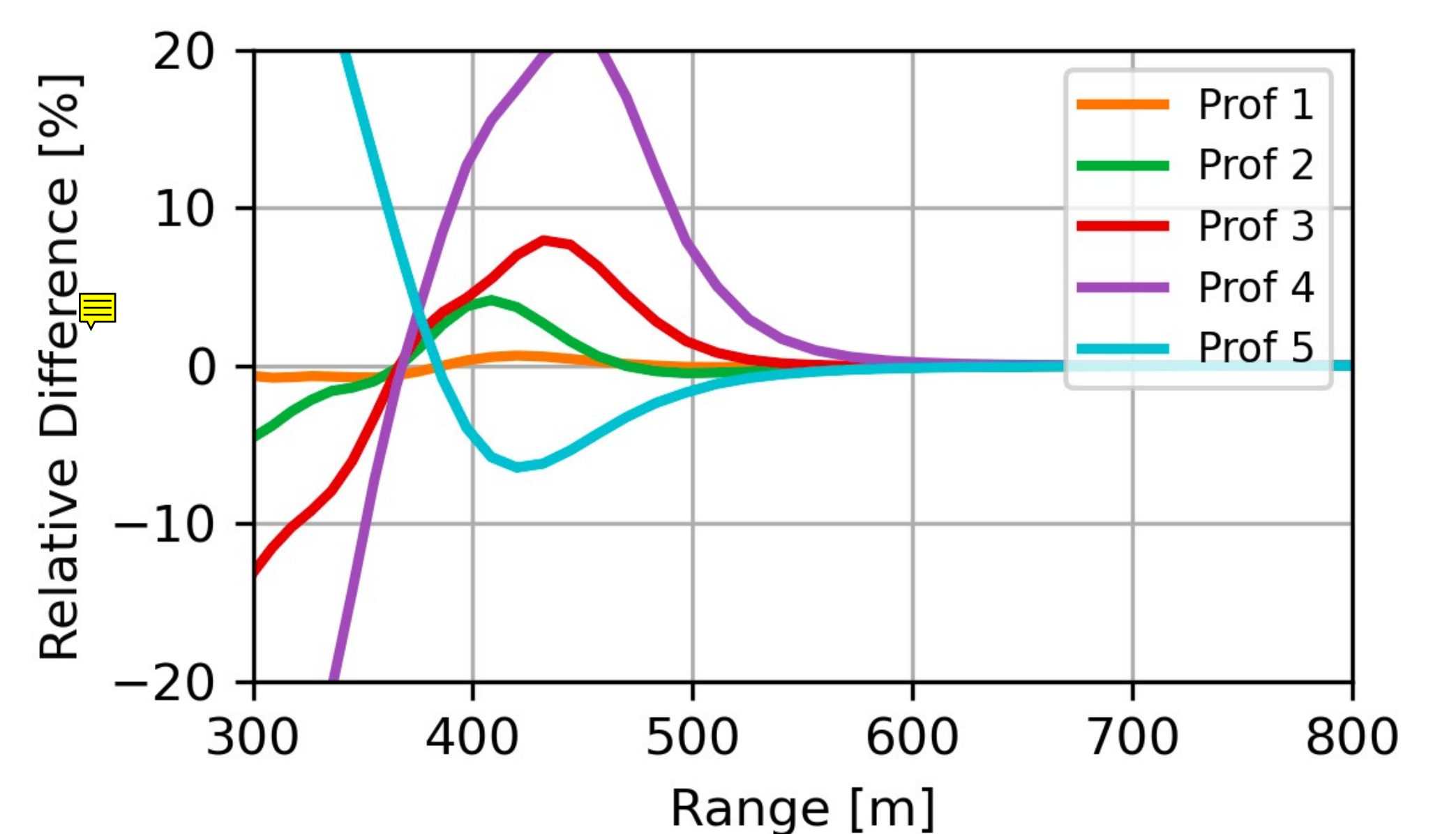
Simulated multi-modal beam profiles (far range)



Simulated overlap function per beam profile



Relative differences of the overlap function Gaussian vs Multi-modal



Acknowledgments

This project/ receives funding from the European Union's Horizon 2020 research and innovation programme under grant agreements No 871115. ACTRIS-D is funded by the German Federal Ministry for Education and Research (BMBF) under grant agreements 01LK2001A-K & 01LK2002A-G.

References

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