

# 1 Energy balance and evaporation loss of an agricultural 2 reservoir in a semiarid climate (South-Eastern Spain)

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## 8 Abstract

9  
10 A typical agricultural water reservoir (AWR) of 2400 m<sup>2</sup> area and 5 m depth, located in  
11 a semiarid area (southern Spain), was surveyed on a daily basis for one year. The annual  
12 evaporation flux was 102.7 W m<sup>-2</sup>, equivalent to an evaporated water depth of 1310 mm  
13 year<sup>-1</sup>. The heat storage rate  $G$  exhibited a clear annual cycle with a peak gain in April  
14 ( $G \sim 45$  W m<sup>-2</sup>) and a loss peak in November ( $G \sim 40$  W m<sup>-2</sup>), leading to a marked  
15 annual hysteretic trend when evaporation ( $\lambda E$ ) was related to net radiation ( $R_n$ ).  $\lambda E$  was  
16 strongly correlated with the available energy,  $A$ , representing 91% of the annual AWR  
17 energy loss. The sensible heat flux,  $H$ , accounted for the remaining 9%, leading to an  
18 annual Bowen ratio in the order of 0.10. The equilibrium and advective evaporation  
19 terms of the Penman formula represented 76% and 24%, respectively, of the total  
20 evaporation, corresponding to a annual value of the Priestley-Taylor (P-T) coefficient  
21 ( $\alpha$ ) of 1.32. The P-T coefficient presented a clear seasonal pattern, with a minimum of  
22 1.23 (July) and a maximum of 1.65 (December), indicating that, during periods of  
23 limited available energy, AWR evaporation increased above the potential evaporation as  
24 a result of the advection process. Overall, the results stressed that accurate prediction of  
25 monthly evaporation by means of the P-T formula requires accounting for both the  
26 annual cycle of storage and the advective component. Some alternative approaches to  
27 estimating  $R_n$ ,  $G$  and  $\alpha$  are proposed and discussed.

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29 KEY WORDS: Heat storage, energy partitioning, Bowen ratio, Priestley-Taylor  
30 formula.

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## INTRODUCTION

Free water surface evaporation is a major component of the hydrological cycle and needs to be evaluated for many issues related with irrigation management and water resources planning. Small water storages for livestock, fishing, irrigation or recreational activities are estimated to cover about 77,000 km<sup>2</sup> worldwide (Downing *et al.*, 2006). In dry regions, where water availability varies seasonally, agricultural water reservoirs for irrigation (AWR) are commonly used to guarantee water supplies throughout the irrigation season (Ali *et al.*, 2008; Martinez *et al.*, 2006; Daigo and Phaovattana, 1999). Typical AWRs are characterized by a large area-to-volume ratio that implies substantial loss through evaporation, often representing a significant fraction of the total water managed during the irrigation season, especially in areas with a high evaporative demand (Hudson, 1987; Martinez *et al.*, 2007). Craig *et al.* (2005) estimated that in many areas of Australia up to 40% of the stored water in on-farm storages might be lost through evaporation. By means of a physically-based model coupled to a geographical information system, Martínez *et al.* (2008) simulated the regional evaporation loss of AWRs in the Segura Basin (south-eastern Spain). The annual losses were estimated to be 58 hm<sup>3</sup>, which represents 8.3% of the total agricultural water resources. These figures underline the importance of accurately estimating free water evaporation (*E*) from AWRs for assessing storage efficiency and for evaluating the use of mitigation measures, such as shade-cloth covers, which have been shown to substantially increase storage efficiency, with reductions in water loss of more than 80% (Martinez *et al.*, 2006).

However, in spite of the increasing interest in optimising storage efficiency in irrigation districts, detailed evaporation studies of small water bodies are scarce and often based on sparse or remotely collected data (Rosenberry *et al.*, 2007). To our knowledge, there are very few studies that provide a detailed insight into the dynamics of the energy balance components and evaporation loss of on-farm water reservoirs. Obviously, there is a need to better understand and for modelling evaporation processes from storage reservoirs or small dams. In particular, knowledge of the thermal storage in the water body and advection from surroundings is required to improve the prediction of evaporation (Finch, 2001; Finch and Gash, 2002; Gianniou and Antonopoulos, 2007; Sacks *et al.*, 1994). These factors are especially relevant when applying physically-based evaporation models, such as the well-known Penman combination equation

1 (Penman, 1948) or its truncated version, the Priestley-Taylor formula (Priestley and  
2 Taylor, 1972). Both methods require estimating (i) the available energy at the water  
3 surface (i.e. net radiation plus heat storage rate) and (ii) the relative importance of the  
4 advective component. The latter is quantified through the product of a wind function  
5 and vapour pressure deficit in the combination method, and by an advection coefficient  
6 in the Priestley-Taylor (P-T) equation. Thus, a thorough quantification and analysis of  
7 the components of the energy balance of a typical AWR based on detailed  
8 experimentation will provide a sound basis for assessing the performance of evaporation  
9 prediction methods, and particularly of the P-T formula, which is widely-used by  
10 hydrologists, climatologists and agronomists (McAneney and Itier, 1993).

## 11 12 **PURPOSE OF THE STUDY**

13  
14 (i) To provide a complete description and quantification of the evaporation loss and the  
15 components of the surface energy balance from a typical on-farm AWR used in south  
16 eastern Spain through a one year survey carried out on a daily basis, (ii) to study the  
17 monthly energy partitioning, focusing on the evolution of the storage term, the  
18 advective component, the Bowen ratio and the available energy, and (iii) to analyse the  
19 implications of applying the P-T formula to agricultural reservoirs and to propose a  
20 simplified way to determine the different terms of the formula (i.e., net radiation, heat  
21 storage rate and advection coefficient).

## 22 23 **STUDY AREA AND MEASUREMENTS**

### 24 25 *Site and AWR description*

26  
27 The monitored AWR is located at the Experimental Station of the University of  
28 Cartagena (south-eastern Spain, 37°35'N, 00°59'W). The Segura River Basin (SRB),  
29 within which the facilities lie, is characterized by a Mediterranean semiarid climate,  
30 with warm dry summers and mild winters. Climatic data registered at a nearby weather  
31 station (Murcia, 38°01'N, 01°10'W) of the Spanish Meteorological Agency (AEMET)  
32 provided annual mean values over the period 1985-2007 of  $198.1 \pm 8.2 \text{ W m}^{-2}$  for solar  
33 radiation ( $S$ ),  $18.5 \pm 0.85 \text{ }^\circ\text{C}$  for air temperature ( $T_a$ ) and  $2.16 \pm 0.32 \text{ m s}^{-1}$  for wind

1 speed ( $U$ ). Annual rainfall is typically around 350 mm with high seasonal and inter-  
2 annual variability; most rain falls during the autumn and winter months (Martinez et al.,  
3 2007). The year corresponding to the present study (2007) can be considered  
4 representative of the average climate conditions in SRB (annual mean in 2007:  $S=194.2$   
5  $\text{W m}^{-2}$ ,  $T_a = 17.8 \text{ }^\circ\text{C}$ ,  $U=2.10 \text{ m s}^{-1}$ , annual rainfall = 420 mm).

6  
7 Typical AWRs in South-Eastern Spain are characterized by moderate surface area (from  
8 0.1 to 3 ha), low depth (from 5 to 10m) and waterproof membranes to prevent seepage  
9 loss. A detailed description of the characteristics and distribution of irrigation reservoirs  
10 in SRB can be found in Martinez *et al.* 2008. The monitored AWR is a small waterproof  
11 reservoir, with a maximum depth of 5 m and a surface of 2400  $\text{m}^2$ , which can be  
12 considered representative of the AWRs commonly used in the region SRB. Evaporation  
13 from the AWR water surface was assumed to be the only one uncontrolled water output  
14 since seepage was prevented by means of waterproof membranes. The reservoir was  
15 filled in January 2007 (initial depth 4.5 m). During the year 2007, there were only small  
16 outflows ( $\approx 0.2 \text{ m}$ ) for irrigation purposes. These losses and those due to evaporation  
17 were partially compensated by rainfall (0.42 m) and a refill (0.50 m) on September 13,  
18 performed between 12h and 18 h, when the mean temperature over the water depth (3.5  
19 m) was 23.5  $^\circ\text{C}$ . The latter inflow did not affect significantly the temperature of the  
20 water body since the water added for refilling, coming from an underground pipe  
21 distribution network connected to the main irrigation canal, was close to 25  $^\circ\text{C}$ .

### 22 23 *Climate and evaporation measurements*

24  
25 An automated meteorological station in the vicinity of the AWR provided the climate  
26 data for the study. The station is equipped with high quality weather sensors which  
27 measure the following meteorological variables 2 m aboveground: air temperature,  $T_a$ ,  
28 and relative humidity,  $RH$  (Vaisala HMP45C probe), wind speed,  $U$ , (Vector  
29 Instruments A100R anemometer), incoming solar radiation,  $S$ , (Kipp & Zonen CMP 11  
30 pyranometer) and downward atmospheric radiation,  $L_a$  (Kipp & Zonen CGR 3  
31 pyrgeometer). Rainfall was measured by means of a tipping bucket gauge (Young  
32 52203).

33 The AWR evaporation rate,  $E$  ( $\text{mm day}^{-1}$ ) was determined from measurements of the  
34 reservoir water level by means of a pressure sensitive transducer (Druck PDCR1830,

1 accuracy =  $\pm 0.06\%$  over a 75 mbar range). The sensor was placed in a vessel-connected  
2 pipe to facilitate maintenance operations (Figure 1). Data corresponding to days with  
3 outflows, rainfall or refilling were discarded from the data analysis, due to the  
4 imprecision in measuring or estimating these components. For such days, it was  
5 assumed that  $E$  was equal to the net radiation of the water surface, expressed in  
6 equivalent  $\text{mm day}^{-1}$ .

7 Water temperature profiles were obtained by means of six temperature sensors  
8 (Campbell T-107) immersed in the water from a floating raft and equidistant 1 m  
9 between the water surface and the bottom. An inverted pyranometer (Kipp & Zonen  
10 CMP 6) mounted on a steel structure in the raft provided the reflected shortwave  
11 radiation,  $S_r$ , from which the albedo ( $a = S_r/S$ ) of the water surface was determined. All  
12 sensors were scanned at 10 s intervals, hourly averaged and registered by two  
13 dataloggers (CR1000 Campbell). The sensors were periodically calibrated. The period  
14 of data acquisition covered the whole year 2007.

15  
16 Figure 1. Dimensions and experimental layout of the monitored AWR

## 17 18 **THEORY AND FORMULAE**

### 19 20 *AWR surface radiative balance*

21  
22 Based on the fundamental physical laws of energy conservation, the radiative balance at  
23 the surface of a water body can be expressed as:

$$24 \quad R_n = (1 - a) S + L_a - L_w = S_n + L_n \quad (1)$$

25  
26  
27 where  $R_n$  is the net radiation (or available energy) at the water surface, which includes:  
28  $S_n (= (1 - a) S)$ , the net short-wave radiation,  $S$  being the solar radiation and  $a$  the albedo  
29 of the water, and  $L_n (= L_a - L_w)$  the net long-wave radiation, while  $L_a$  and  $L_w$  are  
30 downward and upward long-wave radiation, respectively.

31 All fluxes, expressed in  $\text{W m}^{-2}$ , were measured directly, except  $L_w$ , which was  
32 derived from the data of the temperature sensor located near the surface,  $T_w$ , by means  
33 of the Stefan-Boltzmann law:

34

$$L_w = \varepsilon_w \sigma (T_w + 273.2)^4 \quad (2)$$

where  $\varepsilon_w$  is the water emissivity, considered to be 0.97 (Ali *et al.*, 2008; Gianniou and Antonopoulos, 2007; Rosenberry *et al.*, 2007), and  $\sigma$  the Stefan-Boltzmann constant ( $= 5.68 \cdot 10^{-8} \text{ W m}^{-2} \text{ K}^{-4}$ ).

#### *AWR surface energy balance*

The energy balance at the surface of a water body can be expressed as the balance of energy gains and losses in a time step (day, month) as follows:

$$R_n + \lambda E + G + H = 0 \quad (3)$$

where  $\lambda E$  is the latent heat flux of evaporation,  $\lambda$  the latent heat of vaporization, where  $\lambda E$  is the latent heat flux of evaporation,  $\lambda$  the latent heat of vaporization,  $G$  is the heat flux into the underlying water body and  $H$  the sensible heat exchanged between the air and the water surface (Brutsaert, 1982). In what follows, both  $G$  and  $H$  are considered positive when directed towards the surface, and negative when leaving the surface. The available energy is defined as  $A = R_n + G$ . All daily fluxes are expressed in  $\text{W m}^{-2}$ , if not mentioned otherwise.

$G$  plays a major role in the changes in stored energy. It can be used as a proxy for the heat storage rate provided that the contribution of the other terms affecting energy storage (heat transfer to substrate and retaining materials, inflows, outflows...) is small and negligible (Gianniou and Antonopoulos, 2007; Rosenberry *et al.*, 2007). Assuming the assumption to hold for the AWR under study,  $G$  can be considered equal to the heat storage rate and termed as such in the following.

In our study, daily  $E$  was obtained directly from water level measurements and  $R_n$  was derived from Equation (1). The sensible heat exchange at the reservoir air–water interface,  $H$ , was derived from an analogy between sensible and latent heat transfer. We used the daily mass transfer coefficient  $h_m$  ( $\text{mm day}^{-1} \text{ kPa}^{-1}$ ), defined as:

$$E = h_m (e_w - e_a) \quad (4)$$

1 where  $e_w$  (kPa) is the saturation vapour pressure at the temperature of the water  
2 surface,  $T_w$  ( $^{\circ}\text{C}$ ), and  $e_a$  (kPa) is the vapour pressure of the ambient air. The coefficient  
3  $h_m$  was previously calibrated for the studied AWR (Gallego-Elvira *et al.*, 2008). After  
4 the required unit conversion, the heat transfer coefficient for sensible heat,  $h_s$  ( $\text{W m}^{-2} \text{K}^{-1}$ )  
5 was found to be:

$$6 \quad h_s = 1.88 + 1.48 U \quad (5)$$

8  
9 and the daily value of  $H$  ( $\text{W m}^{-2}$ ) was calculated as

$$10 \quad H = h_s(T_a - T_w) \quad (6)$$

12  
13 The daily Bowen ratio,  $\beta = H/\lambda E$ , was calculated using the measured values of  $E$   
14 and the estimates of  $H$  by means of Equation (6).

15 The heat storage rate,  $G$ , was calculated in two different ways: (i) retrieved from  
16 Equation (3) as the residual term, once the other terms were known, and (ii) calculated  
17 from the daily change in the mean water temperature,  $T_w$  (= average of the five  
18 temperature sensors) by means of the equation:

$$19 \quad G = C_w z \frac{\Delta T_w}{\Delta t} \quad (7)$$

21  
22 where  $C_w$  ( $\text{J m}^{-3} \text{ }^{\circ}\text{C}^{-1}$ ) is the volumetric heat capacity of water at the temperature  
23  $T_w$ ,  $z$  (m) stands for the reservoir depth and  $\Delta T_w$  is the change in water temperature ( $^{\circ}\text{C}$ )  
24 occurring during a time step ( $\Delta t = 1 \text{ day}$ ).

25  
26 *Evaporation formulae used in the study*

### 27 The Penman equation

28 The Penman equation (Penman, 1948), which is based on the combination of the  
29 surface energy balance and an aerodynamic formula, supplies the evaporation rate of a  
30 freely evaporating surface by means of the following relationship:  
31  
32

$$\lambda E = \frac{\Delta(R_n + G) + \gamma \lambda E_a}{\Delta + \gamma} = wA + (1 - w) \lambda E_a = \lambda E_{eq} + \lambda E_{adv} \quad (8)$$

where  $\Delta$  and  $\gamma$  (kPa K<sup>-1</sup>) are the slope of the saturated vapour pressure curve at the air temperature and the psychrometric constant, respectively,  $w$  stands for the ratio  $\Delta/(\Delta + \gamma)$ .  $E_a$  is the drying power of the air, expressed as the product of a wind function and air vapour pressure deficit. The term  $\lambda E_{eq} = wA$  is usually referred to as the *equilibrium* evaporation, or radiative component of the Penman equation. The term  $\lambda E_{adv} = (1-w) \lambda E_a$  is generally named the *advective*, or aerodynamic component (Brutsaert, 1982). In this study,  $\lambda E_{adv}$  was derived from the difference between  $\lambda E$  and  $\lambda E_{eq}$ .

### The Priestley-Taylor formula

The Priestley-Taylor equation (1972) is formulated as a truncated version of the Penman equation:

$$\lambda E = \alpha \frac{\Delta}{\Delta + \gamma} (R_n + G) = \alpha wA = \alpha \lambda E_{eq} \quad (9)$$

with

$$\alpha = 1 + E_{adv}/E_{eq} \quad (10)$$

The coefficient  $\alpha$ , or advection coefficient, reflects the importance of the advective component with respect to the radiative one.  $\alpha$  can be considered as a lumped parameter, which includes the aerodynamic term of the Penman equation and, consequently, integrates the effects of several climatic and surface-related factors, such as the vapour pressure deficit, the wind speed, surface roughness and water body characteristics.

## RESULTS AND DISCUSSION

The yearly evolution and the annual characteristics (annual mean, maximum, and minimum values and range of the monthly values of the AWR radiative balance terms (Equation (1)) are given in Figure 2 and Table I. They indicate that downward long



1 wave radiation,  $L_a$ , was the main energy input ( $394.4 \text{ W m}^{-2}$ ), doubling the influx from  
 2 solar radiation ( $194.2 \text{ W m}^{-2}$ ). However, the amplitude in the annual variation of  $S$  (=  $218 \text{ W m}^{-2}$ ) was more than twice that of  $L_a$  ( $= 94 \text{ W m}^{-2}$ ) (Figure 2). As regards heat  
 3 losses, the upward long wave radiation,  $L_w$ , was the main energy output ( $=412.6 \text{ W m}^{-2}$ ),  
 4 accounting for 97% of the total loss ( $424.6 \text{ W m}^{-2}$ ), while the reflected solar radiation  
 5 only accounted for 3% ( $12 \text{ W m}^{-2}$ ). The latter exhibited a smother seasonal variation  
 6 than  $S$ , since periods with higher solar radiation months coincided with those of lower  
 7 albedo values. A clear cyclic pattern of albedo was observed (Figure 3), with a  
 8 minimum of 0.04 around the summer solstice (June) and a maximum of 0.11 at the  
 9 winter solstice (December). This behaviour can be logically ascribed to the variation of  
 10 the solar elevation angle. The albedo values were fitted (minimum MAE) to the  
 11 following simple sinusoidal function of the month of the year,  $M$  ( $= 1, \dots, 12$ ), with a  
 12 fairly good result (Figure 2, MAE = 0.0024, RMSE = 0.0033):  
 13

$$14 \quad a = a_o + b \sin(2\pi(M + c)/12) \quad (11)$$

15  
 16  
 17 being  $a_o$ ,  $b$  and  $c$  constants with the following values:  $a_o = 0.0718$  (unitless).  $b$   
 18  $= 0.0325$  (unitless) and  $c = 3.08$  (month unit).  
 19  
 20

21 Table I. Annual mean, minimum, maximum and range of the monthly values of the components of the  
 22 AWR radiative balance (Units= $\text{W m}^{-2}$ )  
 23

24 Figure 2. Annual evolution of the components of the radiative balance (monthly values). Positive and  
 25 negative values correspond to energy inputs and outputs to the AWR, respectively. Vertical bars are  
 26 standard deviations of the daily values.  
 27

28 Figure 3. Annual cycle of the surface albedo (monthly values). Points represent the ratio of the monthly  
 29 means of reflected and incoming solar radiation, the dotted curve is the sinusoidal function described by  
 30 Equation (11). The dashed line is the constant  $a_o = 0.0718$ , representative of the mean annual albedo.  
 31

32 The respective peaks of  $L_a$  and  $L_w$  occurred in August, with a delay of about 1 to 2  
 33 months with respect to the maximum of  $S$  (Figure 2). The net long wave radiation  $L_n$   
 34 presented a small annual variation range ( $- 82.2 \text{ W m}^{-2} < L_n < -26.4 \text{ W m}^{-2}$ ) (Table I).  
 35 Conversely, the net short-wave radiation  $S_n$  presented a rather wide range of variation  
 36 ( $85.6 \text{ W m}^{-2} < S_n < 300.0 \text{ W m}^{-2}$ ), with an annual pattern very close to  $S$  ( $94.7 \text{ W m}^{-2} < S$

1 < 313.1 W m<sup>-2</sup>) because of the small and quite constant values of the reflected solar  
2 radiation,  $aS$  (Table I). The net radiation  $R_n$  ranged from 20.0 W m<sup>-2</sup> (Dec) to 217.8 W  
3 m<sup>-2</sup> (July), with an annual amplitude of 197.8 W m<sup>-2</sup>, close to the annual amplitude of  $S$   
4 (218.4 Wm<sup>-2</sup>) (Table I). Note that the ratio  $r = R_n/S$  was 0.61 on an annual basis, with a  
5 sharp difference between June and July ( $r \approx 0.70$ ) and December ( $r \approx 0.20$ ). There was a  
6 close relationship between  $R_n$  and  $S$  ( $R_n = 0.86 S - 48.13$ ,  $R^2 = 0.97$ ), with a hysteretic  
7 trend for the period from October to March. The latter can be explained by the  
8 asymmetrical pattern of the long wave radiative components,  $L_a$  and  $L_w$  (Figure 2).

### 9 10 *Energy balance*

11  
12 The annual mean, minimum, maximum and amplitude of the monthly values of the  
13 components of the AWR energy balance (Equation (3)) are given in Table II. The  
14 annual pattern of the monthly mean is presented in Figure 4 for each component.

### 15 16 Evaporation rate

17  
18 For the year of observation, the annual latent heat flux of the studied AWR was 102.7  
19 W m<sup>-2</sup>, equivalent to an evaporated water depth of 1310 mm year<sup>-1</sup>. The evaporation rate  
20 peaked in July, with a value of 183.7 W m<sup>-2</sup>, while the lowest monthly value (= 35.3  
21 Wm<sup>-2</sup>) was observed in December (Figure 4). Note that evaporation loss for March was  
22 higher than that registered for April, due to the particularly windy weather prevailing in  
23 March. In fact, the two highest evaporation values were observed on 8 March (13.3 mm  
24 day<sup>-1</sup>) and on 20 March (10.7 mm day<sup>-1</sup>), both substantially higher than the maximum  
25 value (9.7 mm day<sup>-1</sup>) of the summer period, observed on 24 August.

26  
27 Table II. Annual mean, minimum, maximum and amplitude of the monthly values of the components of  
28 the AWR energy balance ( $\lambda E$ ,  $H$ ,  $G$ ,  $R_n$ ,  $A$ ), evaporative fraction (EF), Bowen ratio ( $\beta$ ), equilibrium and  
29 advective components ( $\lambda E_{eq}$  and  $\lambda E_{adv}$ ) and advection coefficient ( $\alpha$ ). Values of  $G$  correspond to the  
30 residual of the energy balance ( $G_{EB}$ )

31  
32 Figure 4. Annual evolution of the components of the energy balance (monthly average). Values of  $G$   
33 correspond to those retrieved from the surface energy balance (residual value). Vertical bars are standard  
34 deviations of the daily values.

35

## Sensible heat flux and Bowen ratio

The sensible heat flux was relatively small compared with the other components (annual mean =  $10.6 \text{ W m}^{-2}$ , Table II), with a maximum in July ( $17.1 \text{ W m}^{-2}$ ) and a minimum in February ( $-0.1 \text{ W m}^{-2}$ ). Except for the last value, the Bowen ratio was quite stable throughout the year, varying in the range  $0.10 - 0.20$  (Figure 5).  $\beta$  was close to  $0.10$  during the warm season, with only very small variations, while greater variability was observed in the winter months. This was due to the occurrence of negative values for  $\beta$ , corresponding to very cloudy conditions and low available energy. The order of magnitude of  $\beta$  agreed well with previous published estimations for  $\beta$  in small water storages in semiarid locations and flooded fields. The annual mean of  $\beta$  was found to be  $0.07$  for a small pond in Badakhra watershed in India ( $4700 \text{ m}^2$ , depth  $2.75 \text{ m}$ ) (Ali *et al.*, 2008). For larger and deeper water bodies under different climatic conditions, higher annual values of  $\beta$  have been documented:  $0.19$  for Lake Ikeda in Japan ( $10.62 \text{ km}^2$ , mean depth  $125 \text{ m}$ ) (Momii and Ito, 2008),  $0.21$  for Lake Titicaca in South America ( $8560 \text{ km}^2$ , mean depth  $105 \text{ m}$ ) (Delclaux *et al.*, 2007) and  $0.23$  for Sparkling Lake in USA ( $0.64 \text{ km}^2$ , mean depth  $10.9 \text{ m}$ ) (Lenters *et al.*, 2005). These higher values were generally associated with a wider range of monthly  $\beta$  as, for instance, in lake Ikeda ( $-0.1 < \beta < 0.4$ ) and Sparkling Lake ( $0.09 < \beta < 0.85$ ).

Figure 5. Annual evolution of the Bowen ratio (monthly values). Vertical bars are standard deviation of the daily values

Our results highlight the fact that the reservoir heated the surrounding atmosphere during the whole year, except in February. It appears that the water reservoir acted in the same way as a solar collector with a notable capacity of seasonal storage, absorbing energy during the spring and summer season and releasing it during the fall season to reach an equilibrium state with the atmosphere ( $T_w \approx T_a$ ) in February. This month therefore corresponds to the time of year when the energy buffer due to the heat stored during the previous spring and summer became completely exhausted and to the start for a new annual cycle of heat storage. Note also that February was the only

1 month for which the evaporative fraction  $EF (= \lambda E/A)$  was equal to 1, i.e. all the  
2 available energy was used for the evaporation process.

### 3 4 Heat storage rate, $G$

5  
6 The evolution of  $G$  was characterized by an annual cycle (Figure 4), with a 6-month  
7 period of storage (from February to July) followed by another 6-month period of release  
8 (from August to January). The peak of  $G$ , calculated as the residual term of the energy  
9 balance equation,  $G_{EB}$ , was observed in April ( $\approx 50 \text{ W m}^{-2}$ ) while the maximum release  
10 rate ( $\approx 40 \text{ W m}^{-2}$ ) occurred during the months of October and November. The annual  
11 cycle of  $G$  can be described by a sinusoidal function (Figure 6). Note the relatively large  
12 deviation from the sinusoidal trend occurring in March, when strong winds notably  
13 increased the evaporation rate and led to a low magnitude of stored energy compared  
14 with February and April.

15  
16 Figure 6. Annual cycle of the heat storage rate,  $G_{EB}$ , derived from the energy balance (monthly values).  
17 Negative values correspond to heat storage rate. The dotted line is the best fit to the sinusoidal function:  
18  $G_{EB} = a_w + b_w (\sin(2\pi(M + c_w)/12)$ , with  $a_w = -6.95 \text{ W m}^{-2}$  (dashed line),  $b_w = 42.98 \text{ W m}^{-2}$  and  $c_w = 4.62$   
19  $(MAE = 7.76 \text{ W m}^{-2}, RMSE = 12.18 \text{ W m}^{-2})$

20  
21 The comparison between  $G_{EB}$  and the estimates of  $G$  deduced from the vertical  
22 temperature profile,  $G_{WT}$  (Equation (7)), indicated fairly good agreement between the  
23 two methods ( $G_{WT} = 0.94 G_{EB} + 6.39, R^2 = 0.97$ ).

### 24 25 Partitioning of available energy

26  
27 As regards the annual energy balance values (Table II), the available energy ( $A = 113.3$   
28  $\text{W m}^{-2}$ ) was close to and slightly lower than the net radiation ( $R_n = 118.9 \text{ W m}^{-2}$ ), the  
29 difference ( $-5.6 \text{ W m}^{-2}$ ) being partly due to the small value of residual heat storage rate  
30 observed in December ( $T_w = 12.5 \text{ }^\circ\text{C}$ ) with respect to that observed in January ( $T_w =$   
31  $12.2 \text{ }^\circ\text{C}$ ). The annual evaporative fraction was equal to 0.91 (Table II), and the ratio  $H/A$   
32 to 0.09.

33 At the monthly scale, there was a very close correlation between  $\lambda E$  and  $A$   
34 (Figure 7a,  $\lambda E = 0.909 A, R^2 = 0.997$ , for the regression forced to the origin) and also a

1 significant linear relationship between  $H$  and  $A$  (Figure 7b,  $H = 0.091 A$ ,  $R^2 = 0.72$ ). The  
2 heat accumulated by the water body during the spring and the beginning of summer was  
3 released in the autumn, increasing the energy available for evaporation. As a  
4 consequence, the net radiation and the evaporation rate are somewhat decoupled and  
5 show a clear hysteretic trend (Figure 8).

6  
7 Figure 7. Relationship between available energy,  $A$ , and (a)  $\lambda E$ , (b)  $H$  (monthly values). The line  
8 corresponds to the regression forced to the origin (a)  $\lambda E = 0.909 A$ ,  $R^2 = 0.997$  (b)  $H = 0.091 A$ ,  $R^2 = 0.72$

9  
10 Figure 8. Hysteresis between evaporation,  $\lambda E$ , and net radiation,  $R_n$  (monthly values). The line  
11 corresponds to the regression:  $\lambda E = 0.72 R_n + 19.7$ ,  $R^2 = 0.83$

12  
13 The hysteresis loop between  $\lambda E$  and  $R_n$  could lead to systematic errors if the heat  
14 storage term in radiation based formulae that aim to estimate evaporation from climatic  
15 data is not considered.

#### 16 17 18 Partitioning between equilibrium and advective evaporation

19  
20 There was a clear predominance of the equilibrium term,  $\lambda E_{eq}$ , over the advective term,  
21  $\lambda E_{adv}$  during the warm period of the year when  $\lambda E_{eq}$  represented approximately 80% of  
22  $\lambda E$  (Figure 9). During the winter months, the advective term reached about one third of  
23 the total evaporation, with a maximum of 40% in February. This maximum coincided  
24 with a Bowen ratio near 0.

25  
26 Figure 9. Annual evolution of evaporation flux, equilibrium and advective evaporation terms of the  
27 Penman formula and available energy (monthly values).

#### 28 29 *Implications for evaporation estimates with the P-T formula*

#### 30 31 Advection coefficient, $\alpha$

32  
33 On a yearly scale, the equilibrium,  $\lambda E_e$ , and advective,  $\lambda E_{adv}$ , evaporation terms of the  
34 Penman formula (Equation (8)) represented 76% and 24%, respectively, of the total

1 evaporation (Table II), leading to an annual value for  $\alpha$  (Equation (10)) of 1.32. This is  
 2 within the range (1.15 to 1.45) reported in the literature (Debruin and Keijman, 1979);  
 3 Morton 1983; Pereira and Villa Nova, 1992; McAneney and Itier, 1996; Hobbins *et al.*,  
 4 2001), and close to the standard value of 1.26. Values proposed by Doorenboos and  
 5 Pruitt (1977) for irrigated crops ranged between 1.33 and 1.46, while higher values of  
 6 up to 1.74 (Jensen *et al.*, 1990) were reported for arid and warm countries.

7 On a monthly scale, the range was quite large ( $1.23 < \alpha < 1.65$ , Table II), with  $\alpha$   
 8 showing a clear seasonal pattern (Figure 10). The lowest values were obtained for the  
 9 summer months (June-July-August), while the maximum value was observed in  
 10 February. The daily values for  $\alpha$  varied very little from May to October, but showed  
 11 high variability from December to February (Figure 10).

12 Neglecting the storage component (i.e. assuming  $A \approx R_n$ ), a  $R_n$ -based advection  
 13 coefficient,  $\alpha^*$ , was calculated. The use of such a coefficient on an annual scale  
 14 provided a value for  $\alpha^*$  of 1.25, which is close to the value of 1.32 obtained for  $\alpha$ . This  
 15 result was to be expected, as the annual value of  $R_n$  was only 5% higher than the annual  
 16 value of  $A$  (Table II). However, there were significant differences between monthly  $\alpha$   
 17 and  $\alpha^*$  (Figure 10), especially during the autumn, when the energy release rate was high  
 18 (Oct-Nov-Dec). The range of variation of  $\alpha^*$  ( $0.90 < \alpha^* < 3.26$ ) was rather unrealistic,  
 19 demonstrating the importance of accounting for  $G$  in estimating the annual evolution of  
 20  $\alpha$ .

21  
 22 Figure 10. Annual evolution of the advection coefficient,  $\alpha$ , and of its equivalent based on net radiation,  
 23  $\alpha^*$  (see text for explanation, monthly values). The dotted line is the constant value  $\alpha = 1.26$ . Vertical bars  
 24 are standard deviation of the daily values of  $\alpha$

25  
 26 One way of obtaining a plausible estimation of  $\alpha$  would be to use the direct  
 27 relationship linking  $\alpha$  to the Bowen ratio:

$$29 \quad \alpha = \frac{\Delta + \gamma}{\Delta(1 + \beta)} = \frac{1}{w(1 + \beta)} \quad (12)$$

30  
 31 As  $\beta$  was found to be relatively constant throughout the year ( $\beta = 0.103 \pm 0.051$ ,  
 32 Figure 5), we assumed  $\beta = 0.10$  in Equation (12), which then becomes:

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$$\alpha = 0.91w^{-1} \tag{13}$$

Figure 11 shows how the hyperbola corresponding to Equation (13) fits the observed monthly values of  $\alpha$ . Using Equation (13) to predict the observed values of  $\alpha$  would lead to a mean absolute error (MAE) of 0.045 and a root mean square error (RMSE) of 0.066, which could be considered rather satisfactory.

Figure 11. Experimental monthly values of  $\alpha$  and Equation 13 (dotted curve) vs.  $w = \Delta/(\Delta+\gamma)$ . RMSE = 0.066, MAE = 0.045

### Alternative to estimate $G$

The proper way of predicting  $G$  is by means of Equation (7), whose evolution can be described by the sinusoidal function presented in Figure 7. Equation (7) requires measurements of water temperature, which are often unavailable. A candidate to substitute water temperature is air temperature,  $T_a$ . In fact, in several studies, a regression equation is used to predict  $T_w$  from  $T_a$  data (Ali *et al.*, 2008; Mohseni and Stefan, 1999). In our study  $T_a$  showed a close correlation with  $T_w$  ( $R^2 = 0.99$ , data not shown). A linear regression between  $G_{WT}$  and  $\Delta T_{a,j}$  (the change in monthly temperature between two consecutive months) is proposed to derive  $G$  when  $T_w$  is not available (Figure 12).

$$G_{WT} = -7.98 \Delta T_{a,j} + 0.16 \tag{14}$$

with  $R^2 = 0.83$  and MAE = 7.42 W m<sup>-2</sup>. Correlations with other variables, such as net and solar radiation, or air vapour pressure deficit, were analysed and found to be much less satisfactory (results not shown).

Figure 12. Relationship between  $G_{WT}$  and the change in monthly air temperature between two consecutive months,  $\Delta T_{a,j}$ . Negative values of  $G_{WT}$  correspond to storage. The line is the regression  $G_{WT} = -8.55 \Delta T_{a,j} - 5.63$ ,  $R^2 = 0.84$  (Equation 14)

## 1 Alternative to estimate $R_n$

2  
3 To apply the P-T equation, a knowledge of  $R_n$  is necessary. A common option is to use  
4 the procedure recommended by the FAO (Allen *et al.*, 1998). The monthly values of  
5 albedo from Equation (11) can be applied, although the use of an average value of 0.07  
6 could be sufficient, since the reflected solar component represents only a small fraction  
7 (3%) of the total radiative losses. More critical is the use of air temperature as a proxy  
8 for water temperature in calculating long-wave radiation emitted by the surface.  
9 Differences of up to 3°C were observed between  $T_w$  and  $T_a$ , which would be equivalent  
10 to an error of 15 W m<sup>-2</sup> in the estimate of the net long wave radiation when assuming  $T_w$   
11 =  $T_a$ . Therefore, water temperature measurements are recommended if the FAO method  
12 is to be used. An alternative option would be to use a relationship between  $R_n$  and  $S$ ,  
13 such as the linear regression found in this study which could be applied for small AWRs  
14 under semi-arid climate conditions.

## 16 **CONCLUSIONS**

17  
18 Although inter-annual variability can affect to some extent the evolution of the energy  
19 balance and hence evaporation rate, the results of this study provide a good  
20 understanding of the average behaviour of small on-farm storage reservoirs under  
21 Mediterranean semiarid conditions. Overall, our results indicate that the annual  
22 evaporation loss of small irrigation reservoirs in semi-arid climates presents an order of  
23 magnitude that is close to the regional potential evaporation as defined by Priestley and  
24 Taylor (1972) for temperate and humid climates. The annual advection coefficient,  $\alpha$ ,  
25 was found to be within the range of values currently assumed for temperate regions  
26 ( $1.20 < \alpha < 1.35$ ), and similar to that reported for small ponds under semiarid weather  
27 conditions. It seems therefore that, despite its limited area (2500 m<sup>2</sup>), the AWR under  
28 study provides a proxy of the areal potential evaporation. The order of magnitude of the  
29 Bowen ratio ( $\beta \approx 0.10$ ) and its range variation ( $0 < \beta < 0.20$ ) agreed well with previous  
30 published estimations for small water storages and flooded fields in semiarid locations,  
31 confirming that evaporation is by far the main process responsible for cooling of small  
32 open water bodies.



1           On a monthly scale, our experimental study highlights the importance of  
2 considering the annual cycle of both heat storage and advection coefficient. As far as  
3 these two issues are concerned, the results of our study can be summarised as follows:  
4

5           1) For the AWR under study, heat storage led to an annual pattern of available  
6 energy quite distinct from that observed for  $R_n$ . In spring and early summer, the fraction  
7 of net radiation stored in the water mass decreased the amount of energy available to the  
8 evaporation process, while during the autumn, a significant fraction of the net radiation  
9 energy that was stored in the water body during spring and early summer **became**  
10 available to the evaporation process. Therefore, the approximation  $A = R_n$  could lead to  
11 significant errors, as stressed by Finch (2002). To properly predict the monthly  
12 evaporation rate, heat storage should be accounted for, either directly from  
13 measurements or indirectly by means of empirical relationships. When water  
14 temperature measurements are not available, we suggest estimating  $G$  by means of a  
15 relationship linking  $G$  to the air temperature difference between two consecutive months  
16 (Equation (14)).  
17

18           2) The advection coefficient of the P-T formula presented a marked annual cycle  
19 due to the hysteretic trend observed between  $R_n$  and  $\lambda E$ . The enhanced role of the  
20 advection process observed in autumn and winter could be corrected by including a  
21 seasonal variation of the advection coefficient,  $\alpha$ . Our proposal, for this type of AWR  
22 with a rather constant Bowen ratio ( $\approx 0.1$ ), is to calculate  $\alpha$  from a functional  
23 relationship linking  $\alpha$  to  $\beta$ , assuming  $\beta = 0.1$ . This appears to be a straightforward way  
24 to include the effects of seasonal changes of  $\alpha$  in the AWR evaporation loss predicted  
25 by the P-T formula.  
26

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Table I. Annual mean, minimum, maximum and range of the monthly values of the components of the AWR radiative balance (Units= $W m^{-2}$ )

	$S$	$aS$	$S_n$	$L_a$	$L_w$	$L_n$	$R_n$	$R_n/S$	$a$
Mean	194.2	12.3	181.9	349.4	412.7	-63.2	118.9	0.61	0.072
Max	313.1	9.1	300.0	396.5	368.9	-26.4	217.8	0.70	0.115
Min	94.7	14.5	85.6	302.1	460.8	-82.2	20.0	0.20	0.042
Range	218.4	5.4	214.4	94.4	91.9	55.8	197.8	0.50	0.073

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Table II. Annual mean, minimum, maximum and amplitude of the monthly values of the components of the AWR energy balance ( $\lambda E$ ,  $H$ ,  $G$ ,  $R_n$ ,  $A$ ), evaporative fraction (EF), Bowen ratio ( $\beta$ ), equilibrium and advective components ( $\lambda E_{eq}$  and  $\lambda E_{adv}$ ) and advection coefficient ( $\alpha$ ). Values of  $G$  correspond to the residual of the energy balance ( $G_{EB}$ ).

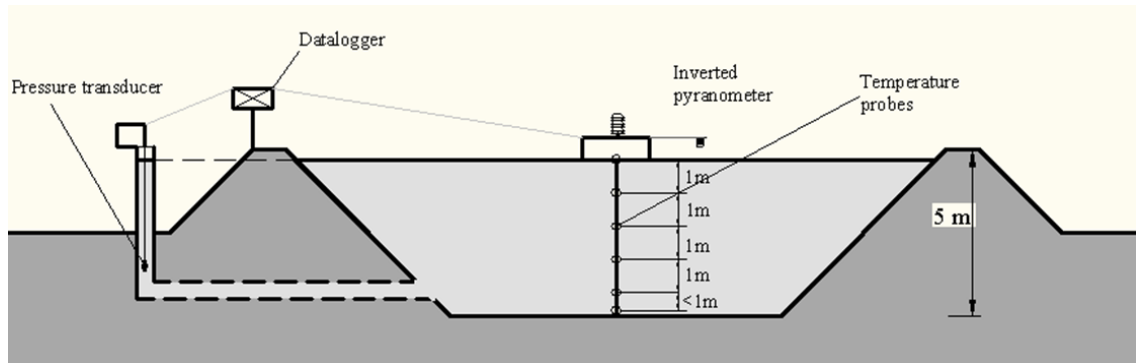
	$\lambda E$	$H$	$G$	$R_n$	$A$	EF	$\beta$	$\lambda E_{eq}$	$\lambda E_{adv}$	$\alpha$
Mean	-102.7	-10.6	-5.6	118.9	113.3	0.91	0.103	78.0	24.7	1.32
Max	-183.7	-17.1	41.1	217.8	200.1	1.00	0.203	149.2	35.8	1.65
Min	-35.3	0.1	-49.0	20.0	37.6	0.83	-0.003	21.9	12.3	1.23
Range	148.4	17.2	90.1	197.8	162.5	0.17	0.206	127.3	23.5	0.42

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1 **Figure 1**

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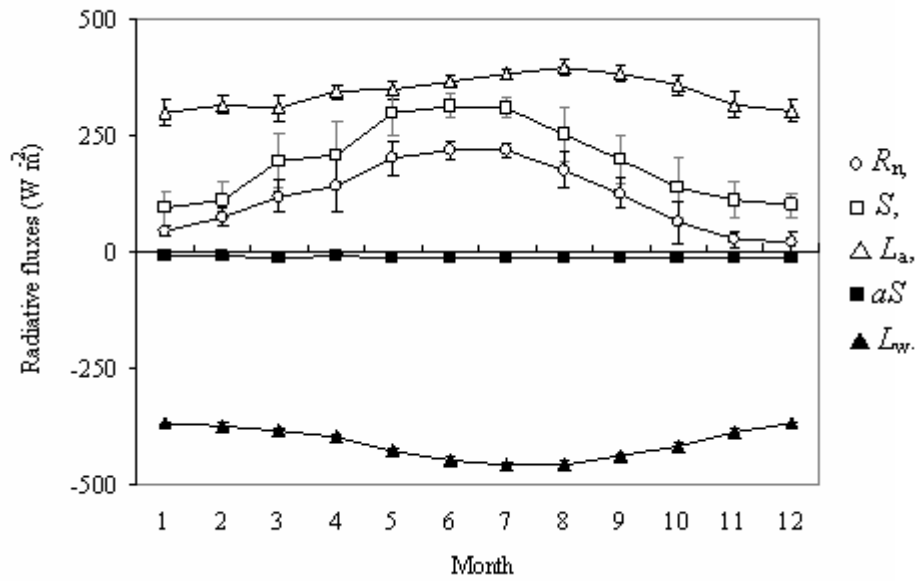
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9 **Figure 2**



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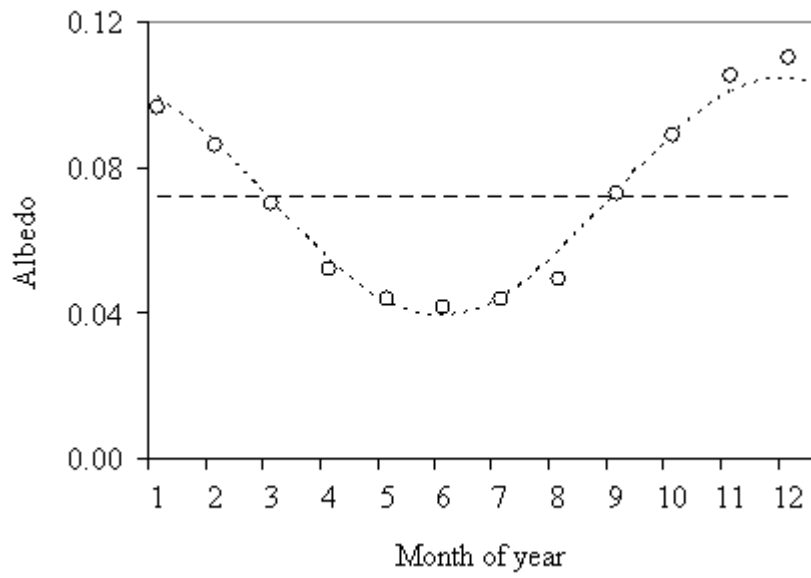
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1 **Figure 3**



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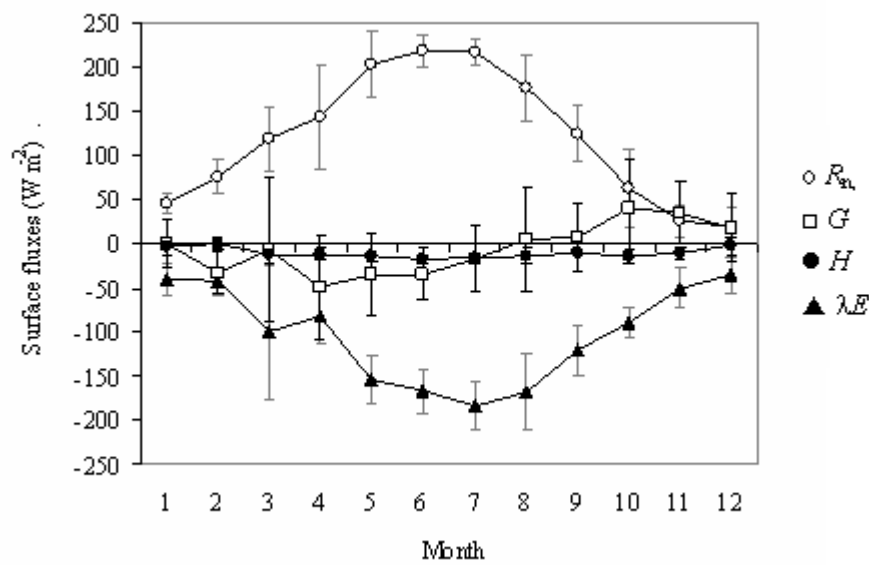
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6 **Figure 4**

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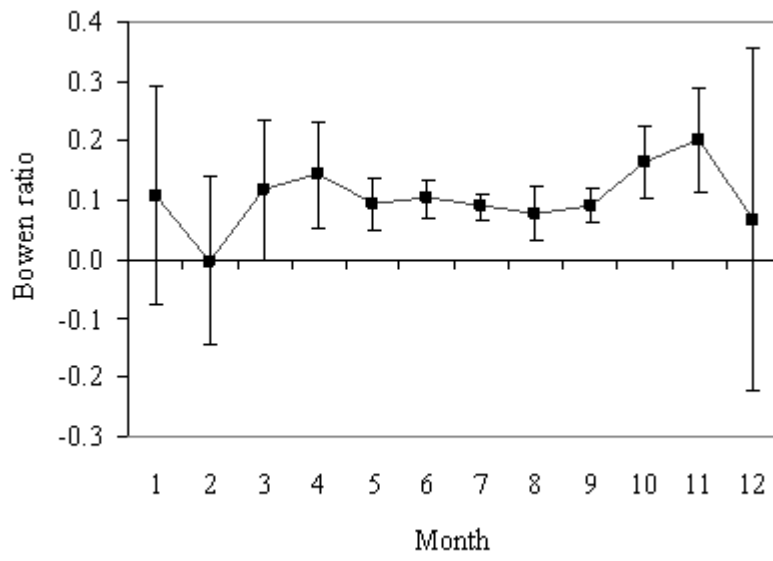
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1 **Figure 5**



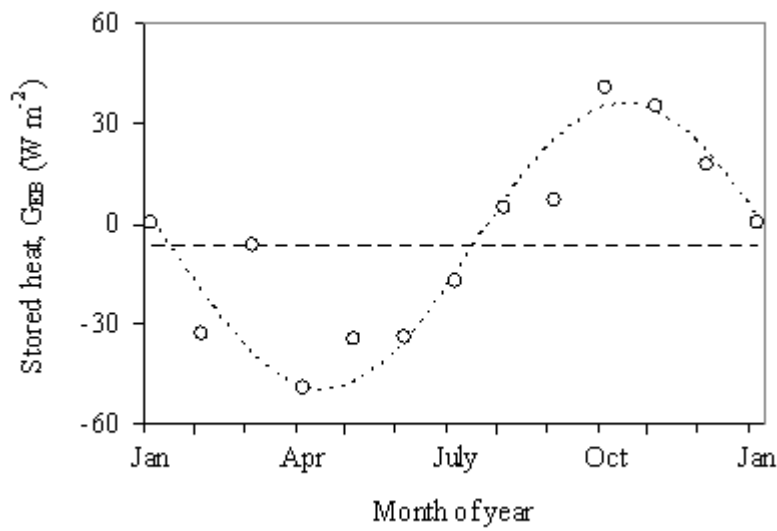
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5 **Figure 6**

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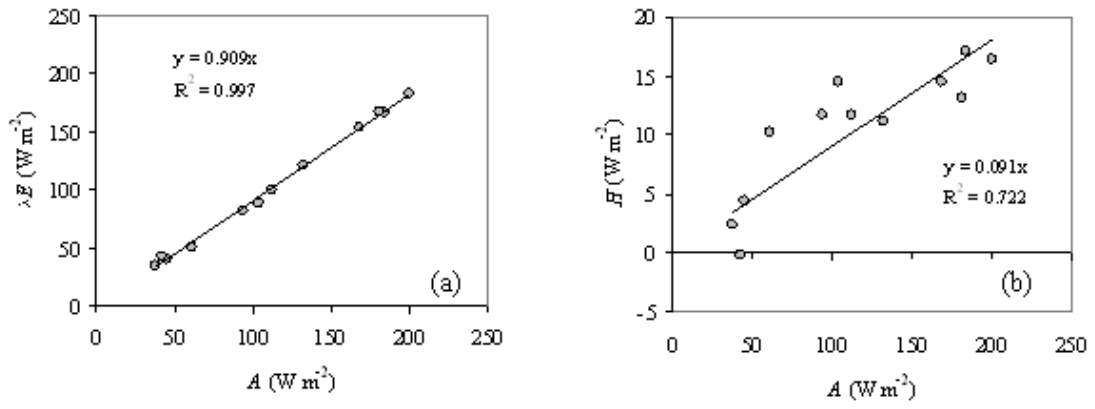
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1 **Figure 7**

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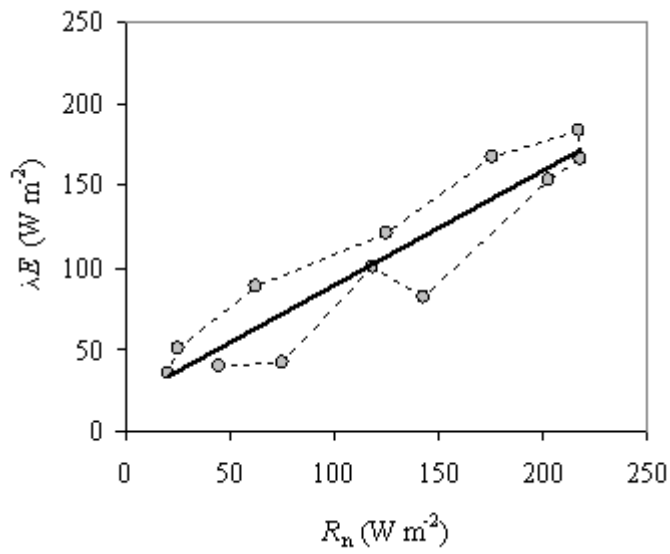
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7 **Figure 8**

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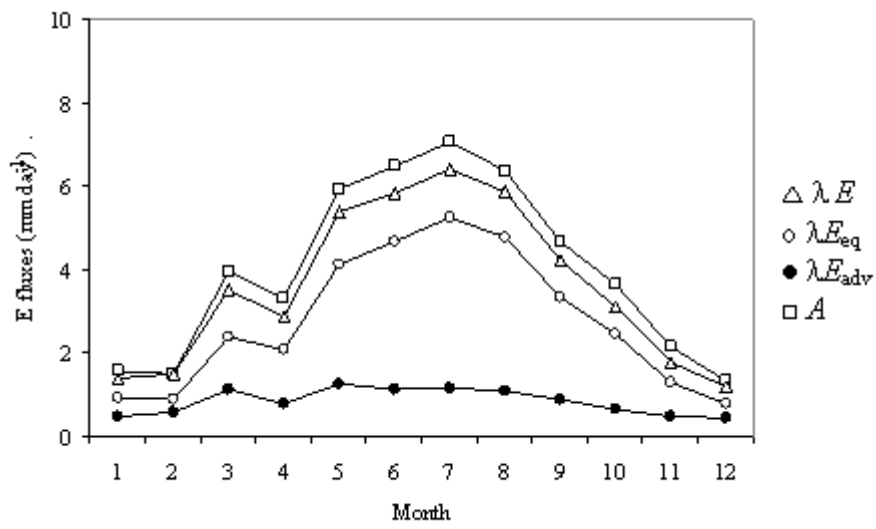
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1 **Figure 9**

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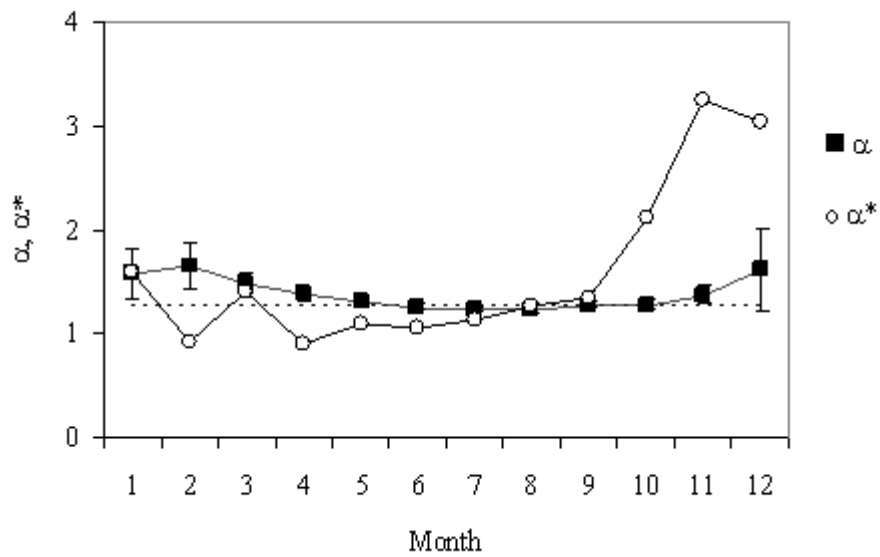
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6 **Figure 10**

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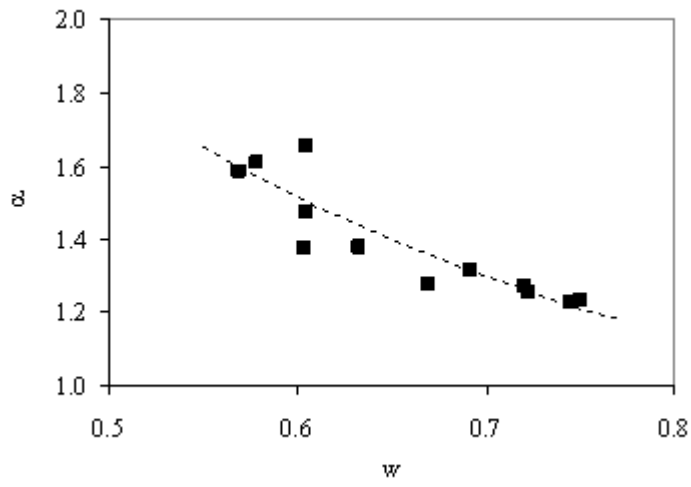
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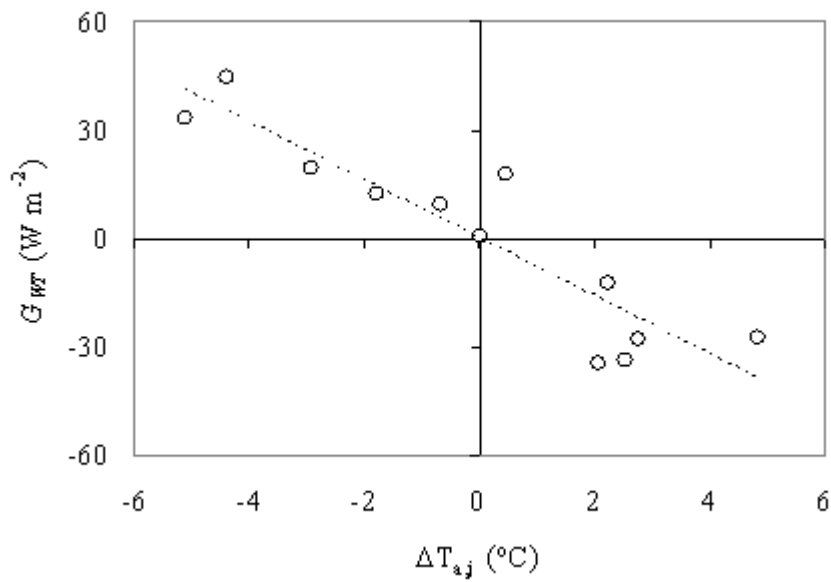
1 **Figure 11**



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6 **Figure 12**

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