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## In-Duct Measurement of Turbocharger Noise

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**IN-DUCT MEASUREMENT OF  
TURBOCHARGER NOISE**

**W. L. Krasson  
J. S. Bolton**

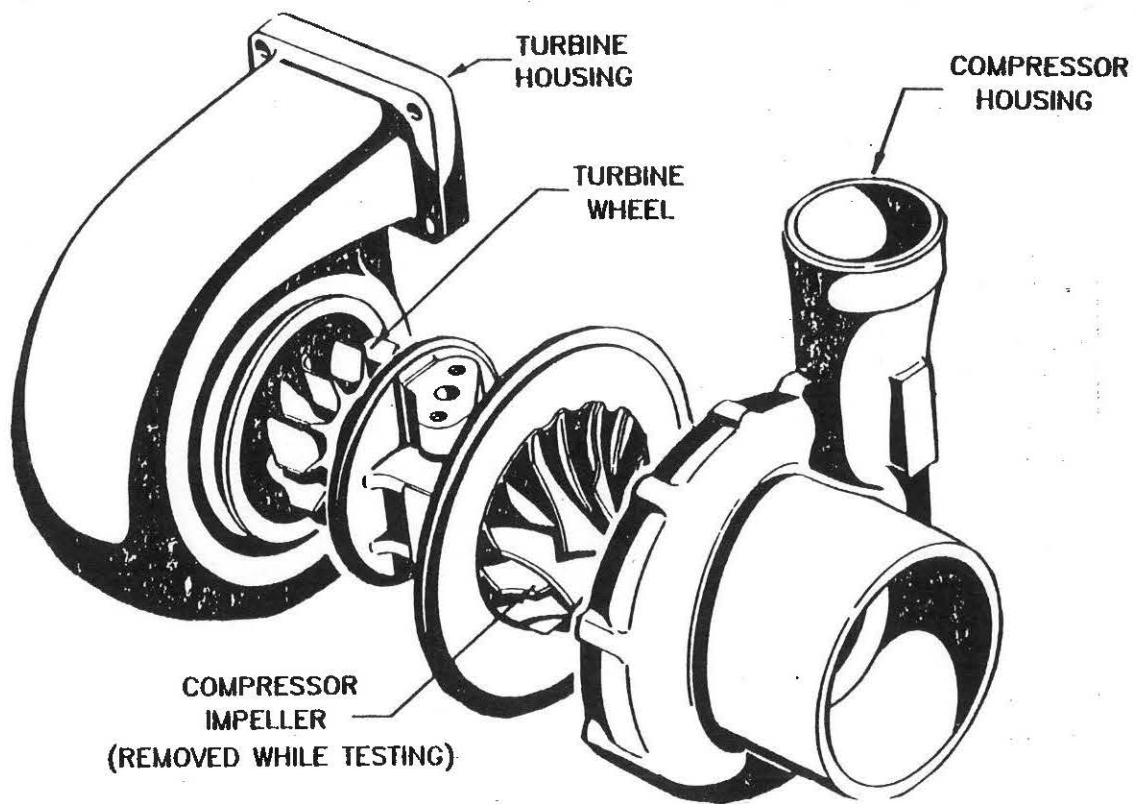
**Ray W. Herrick Laboratories,  
School of Mechanical Engineering,  
Purdue University,  
West Lafayette,  
IN 47907.**

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## INTRODUCTION

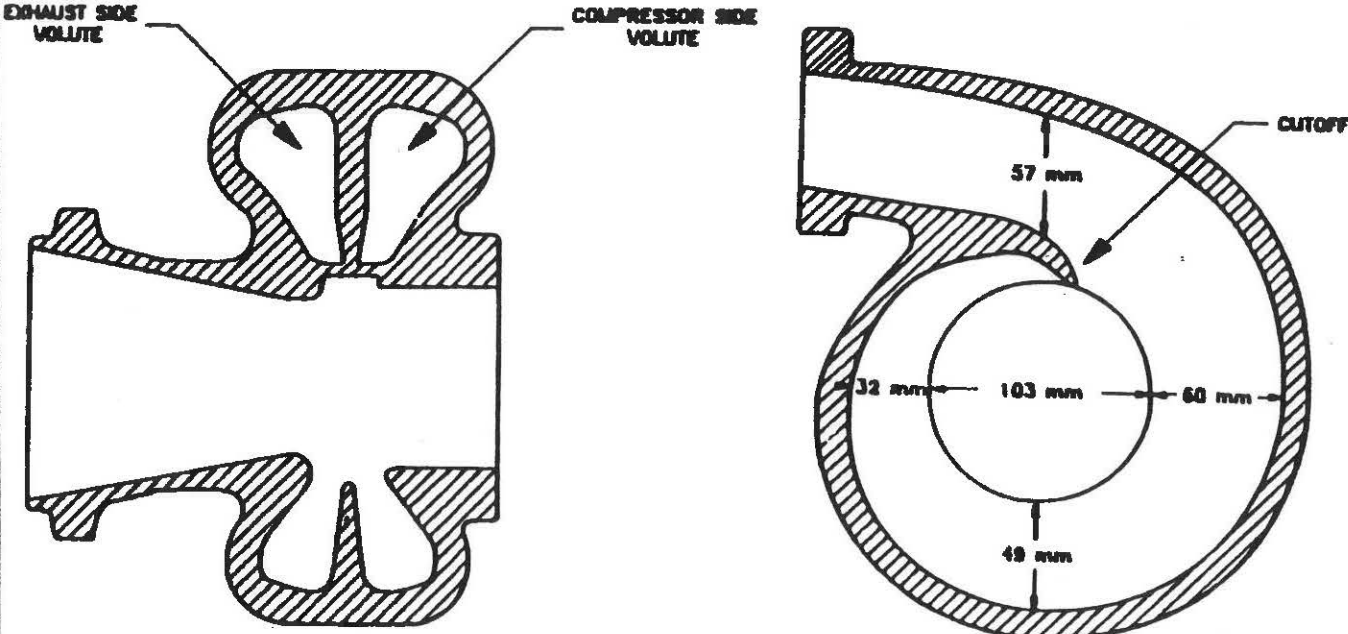
- **Turbocharger**
  - as used on large diesel truck engines
- **Noise Control**
  - noise radiated downstream from turbine side
- **Objective**
  - a measurement technique which indicates effect of modifications and is independent of precise rig geometry
- **Approach**
  - define measurement empirically
  - investigate its character theoretically

# TURBOCHARGER ASSEMBLY



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# TURBINE HOUSING SECTION



## EXPERIMENTAL PHASE

- **Centrifugal Fans**

- single mic with flow noise suppressor
- choose radial location so that  $W = p_{\text{rms}}^2 S / \rho c$  is approximately true
- technique adapted to broadband sources (uncorrelated modes)

- **Problems**

- frequency response and directivity of suppressor
- assumption that "typical point" can be found when noise is predominantly tonal and multi-modal

## EXPERIMENTAL PHASE

- **Suggested Solution**

- circumferentially average mean squared pressure measured at duct periphery

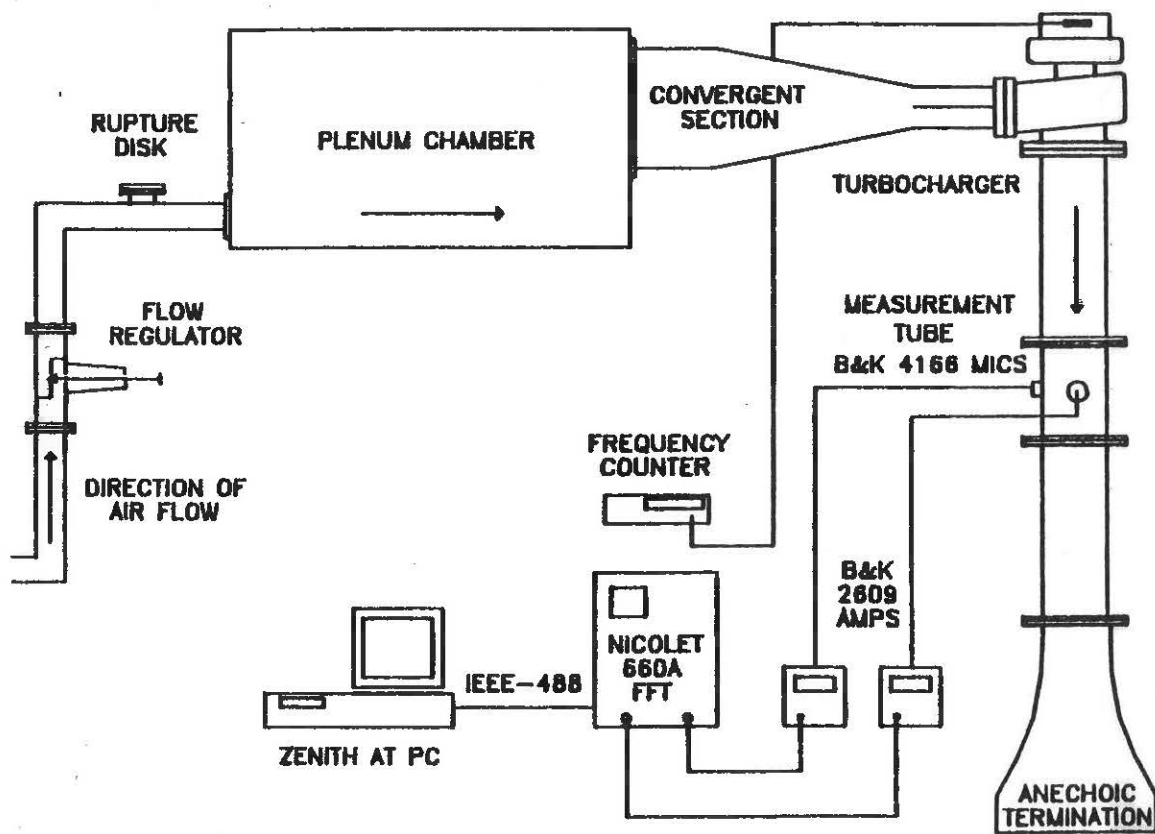
$$(p_{\text{rms}}^2)_{\text{av}} = \frac{1}{2\pi} \int_0^{2\pi} p_{\text{rms}}^2 d\theta$$

- $p_{\text{rms}}^2$  measured at duct circumference with flush mounted pressure microphone

- **Possible Problem**

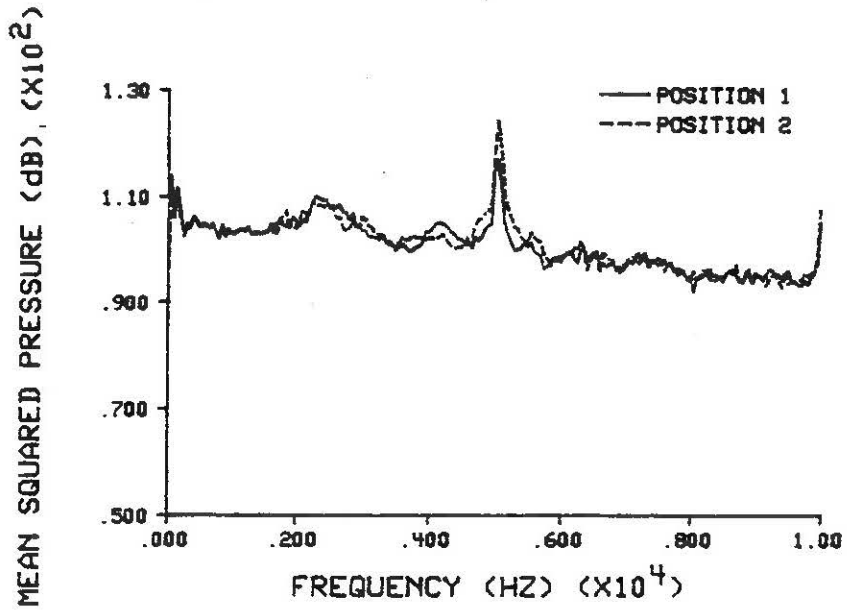
- boundary layer noise

# MEASUREMENT RIG

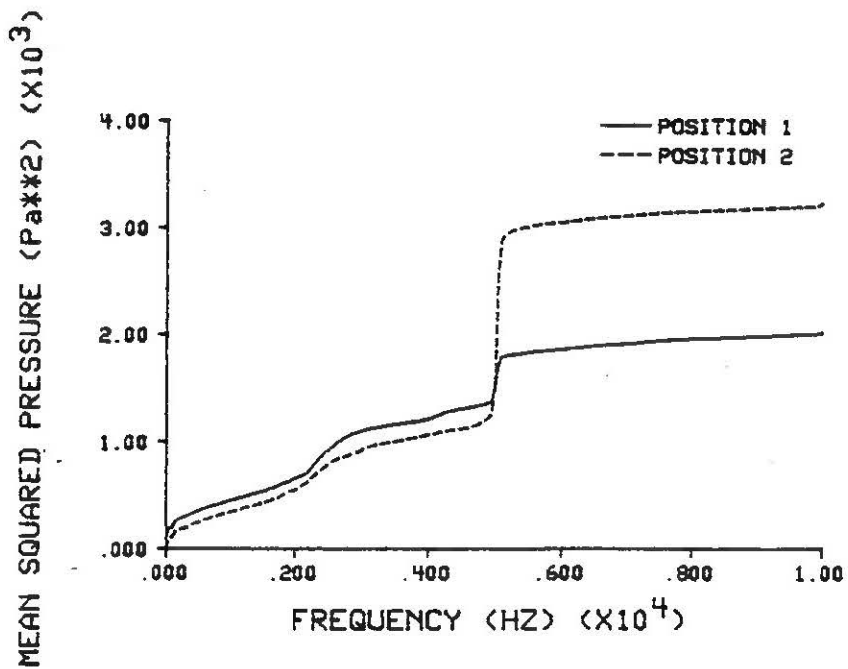


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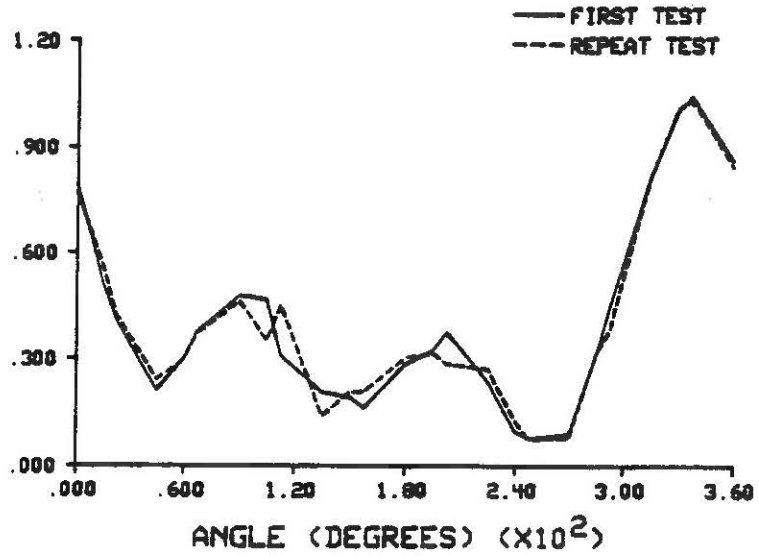


Preliminary 6-Speed Test  
Power Spectra at 25000 RPM



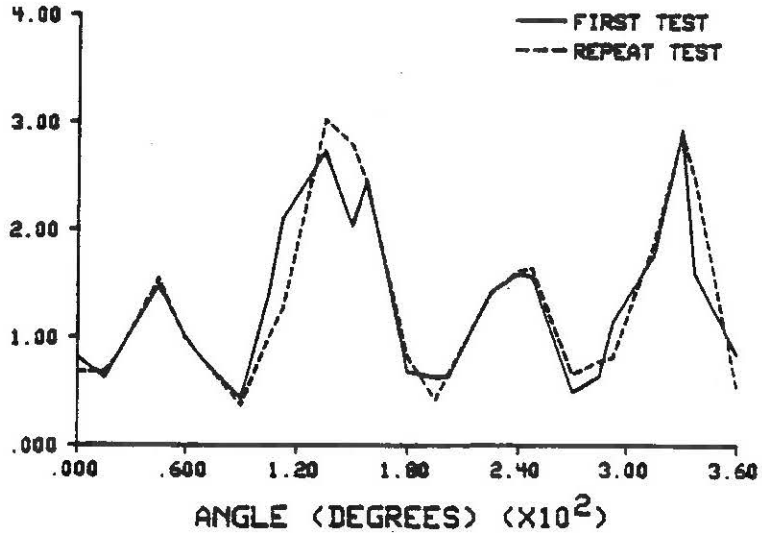
Preliminary 6-Speed Test  
Cumulative Pressure Distributions  
at 25000 RPM

MEAN SQUARED PRESSURE (Pa\*\*2) (X10<sup>3</sup>)



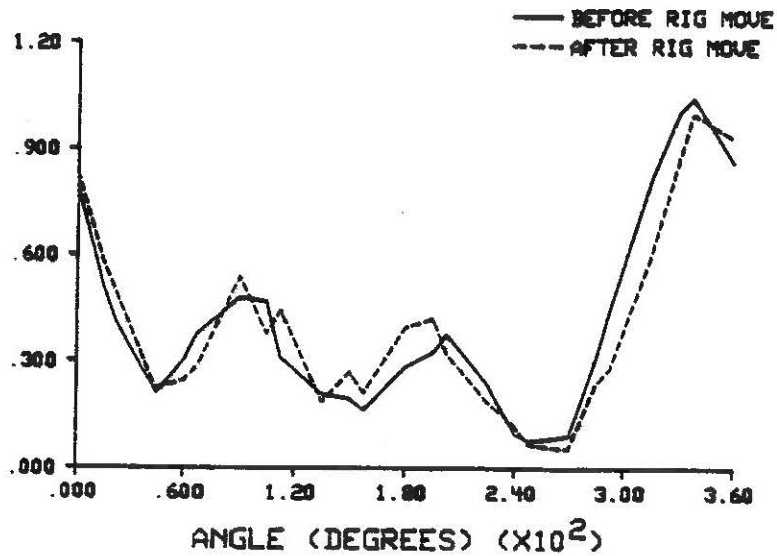
Results of Preliminary and Repeat  
25-Point Tests  
Circumferential Pressure Distributions  
at 20000 RPM

MEAN SQUARED PRESSURE (Pa\*\*2) (X10<sup>3</sup>)



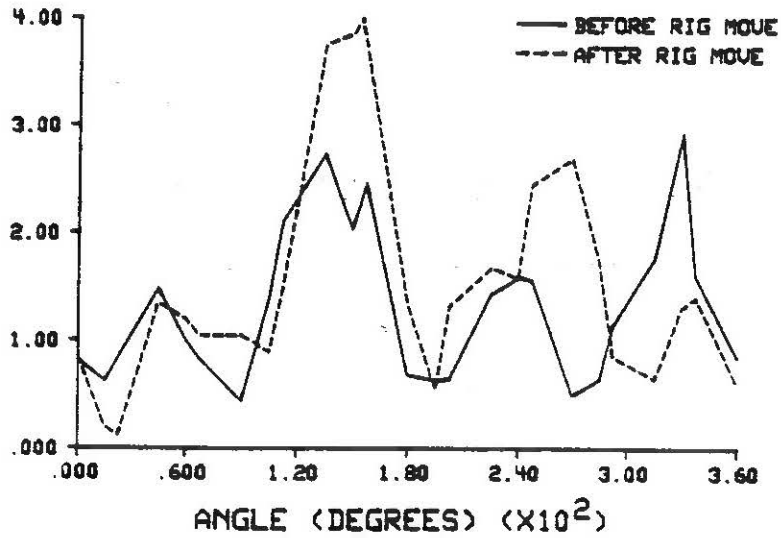
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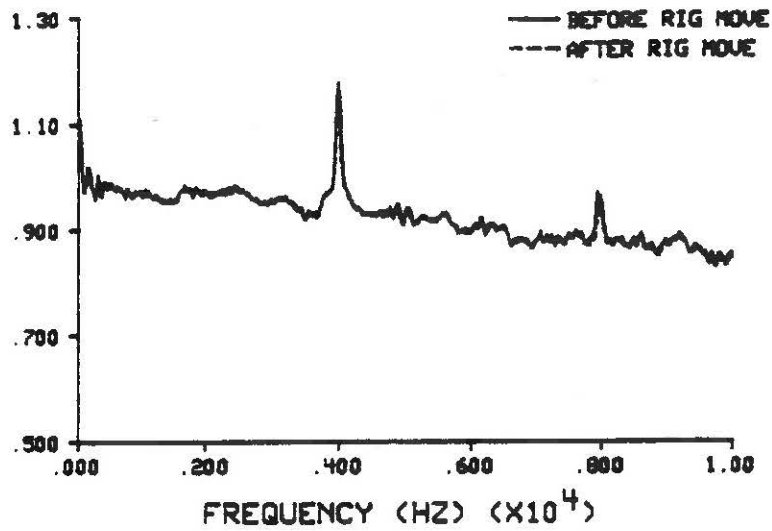
Comparison of 25-Point Tests Before and After Rig Move  
Circumferential Pressure Distributions at 20000 RPM

MEAN SQUARED PRESSURE (Pa\*\*2) (X10<sup>3</sup>)



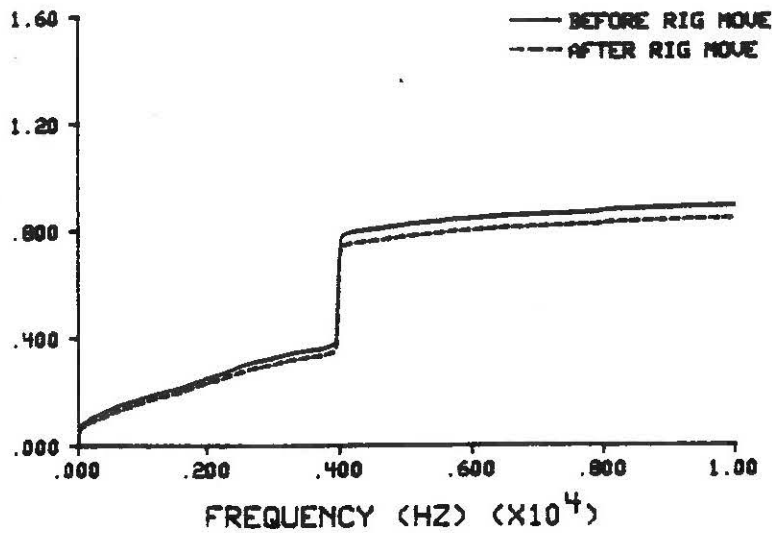
Comparison of 25-Point Tests Before and After Rig Move  
Circumferential Pressure Distributions at 25000 RPM

MEAN SQUARED PRESSURE (dB) ( $\times 10^2$ )



Comparison of Average Power Spectra at 20000 RPM

MEAN SQUARED PRESSURE (Pa\*\*2) ( $\times 10^3$ )



Comparison of Average Cumulative Pressure Distributions at 20000 RPM

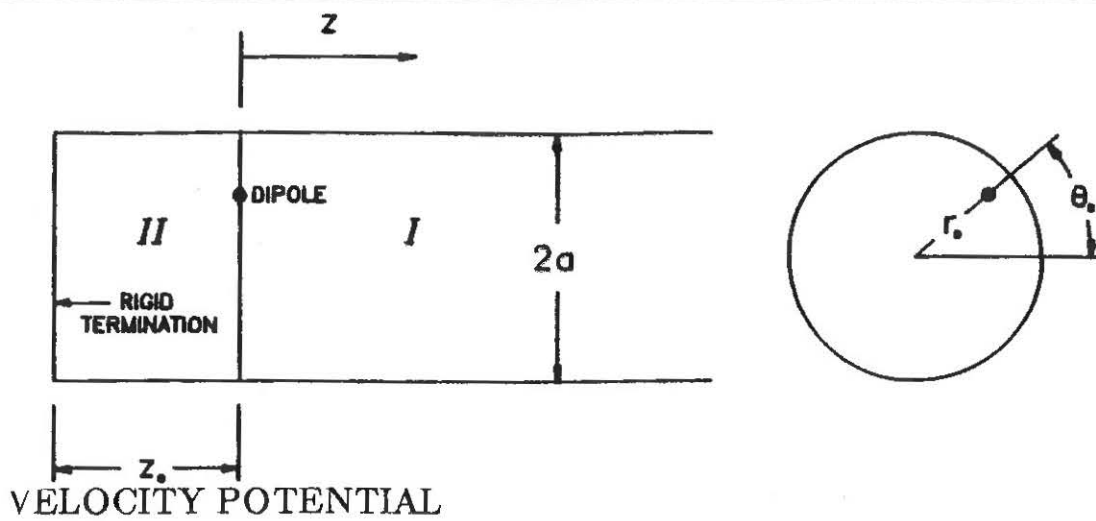
## THEORETICAL PHASE

- **Question**

- how is circumferentially averaged mean squared pressure related to downstream radiated sound power?

- **Investigate**

- sound radiation from an axial dipole located at position of cutoff
- for given source strength, calculate:
  - averaged pressure
  - sound power
  - proportionality between them



$$\Phi(r, \theta, z, t) = \sum_{m=0}^{\infty} \sum_{n=1}^{\infty} J_m(\gamma_{mn} r) [A_{mn} \cos(m\theta) + B_{mn} \sin(m\theta)] e^{-jk_{mn} z} e^{j\omega t}$$

$$p(r, \theta, z, t) = \rho \frac{\delta \Phi}{\delta t}$$

$$u_z(r, \theta, z, t) = -\frac{\delta \Phi}{\delta z}$$

$$p(r, \theta, z, t) = j\omega \sum_{m=0}^{\infty} \sum_{n=1}^{\infty} J_m(\gamma_{mn} r) [A_{mn} \cos(m\theta) + B_{mn} \sin(m\theta)] e^{-jk_{mn} z} e^{j\omega t}$$

## CASE 2 - DIPOLE NEXT TO RIGID TERMINATION

Boundary Conditions:

$$u_z^{\text{II}}(r, \theta, -z_o, t) = 0$$

$$p_1(r, \theta, 0, t) - p_2(r, \theta, 0, t) = P_o \delta(\mathbf{R} - \mathbf{R}_o) e^{j\omega t}$$

Coefficients:

$$A_{mn} = -j \frac{\beta_{mn}}{\omega \rho \Gamma_{mn}} P_o J_m(\gamma_{mn} r_o) \cos(m\theta_o)$$

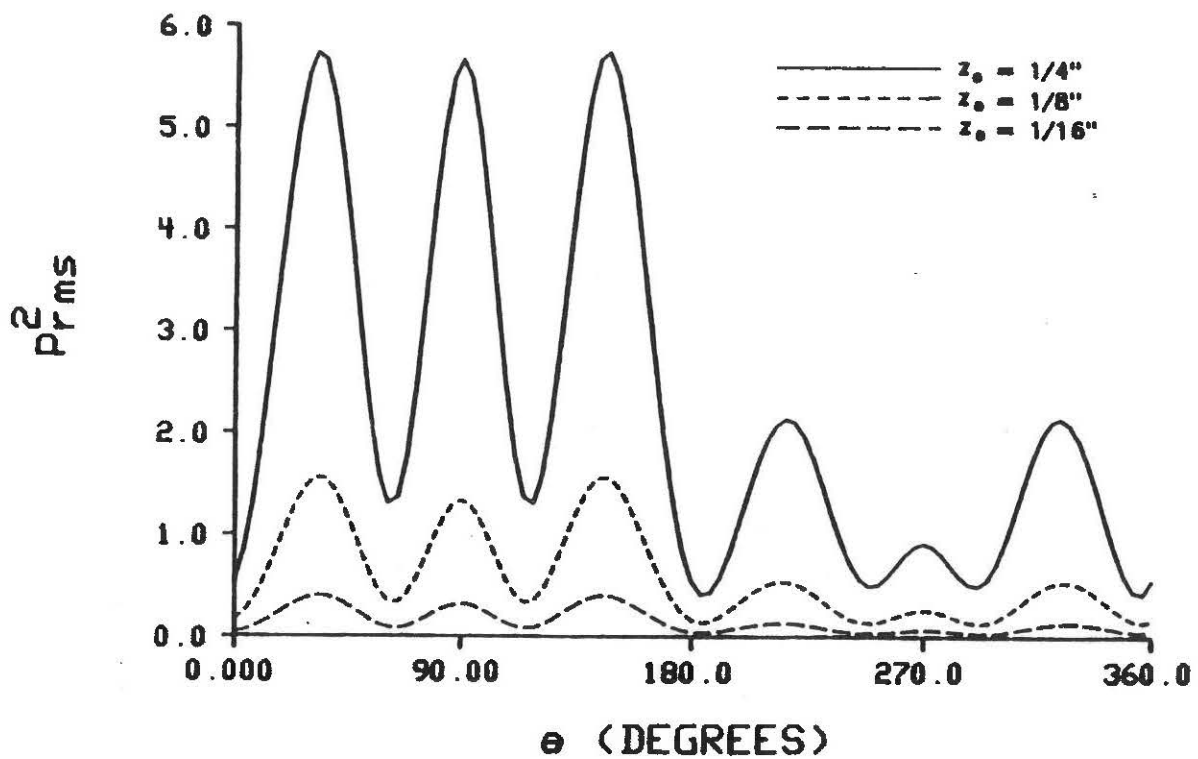
$$B_{mn} = -j \frac{\beta_{mn}}{\omega \rho \Gamma_{mn}} P_o J_m(\gamma_{mn} r_o) \sin(m\theta_o)$$

$$\beta_{mn} = \frac{j \sin(k_{mn} z_o)}{\cos(k_{mn} z_o) + j \sin(k_{mn} z_o)}$$

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# ANGULAR PRESSURE VARIATION

## ● Axial Dipole - Rigid Termination



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BASIC EXPRESSIONS: Circumferentially Averaged Mean Squared Pressure

$$\bar{p}_{\text{rms}}^2 = \frac{1}{2\pi a} \int_0^{2\pi} \frac{1}{2} p(r=a) p^*(r=a) a d\theta$$

$$\bar{p}_{\text{rms}}^2 = \frac{\omega^2 \rho^2}{2} \sum_{m=0}^{\infty} \sum_{n=1}^{\infty} \sum_{q=1}^{\infty} J_m(\gamma_{mn} a) J_m(\gamma_{mq} a) \epsilon_m$$

$$\cdot [A_{mn} A_{mq}^* + B_{mn} B_{mq}^*] e^{-j(k_{mn} - k_{mq})z}$$

BASIC EXPRESSIONS: Power

$$I_z(r, \theta, z, t) = \frac{1}{2} \operatorname{Re} (p u_z^*)$$

$$W = \int_{\theta=0}^{2\pi} \int_{r=0}^a I_z(r, \theta, z, t) r dr d\theta$$

$$W = \frac{\rho\omega}{2} \sum_{m=0}^{\infty} \sum_{n=1}^{\infty} k_{mn} \Gamma_{mn} [A_{mn}^2 + B_{mn}^2]$$

$$A_{mn}^2 = A_{mn} A_{mn}^*$$

$$B_{mn}^2 = B_{mn} B_{mn}^*$$

## SOUND POWER

$$W = \eta \frac{\bar{p}_{\text{rms}}^2 \cdot S}{\rho c}$$

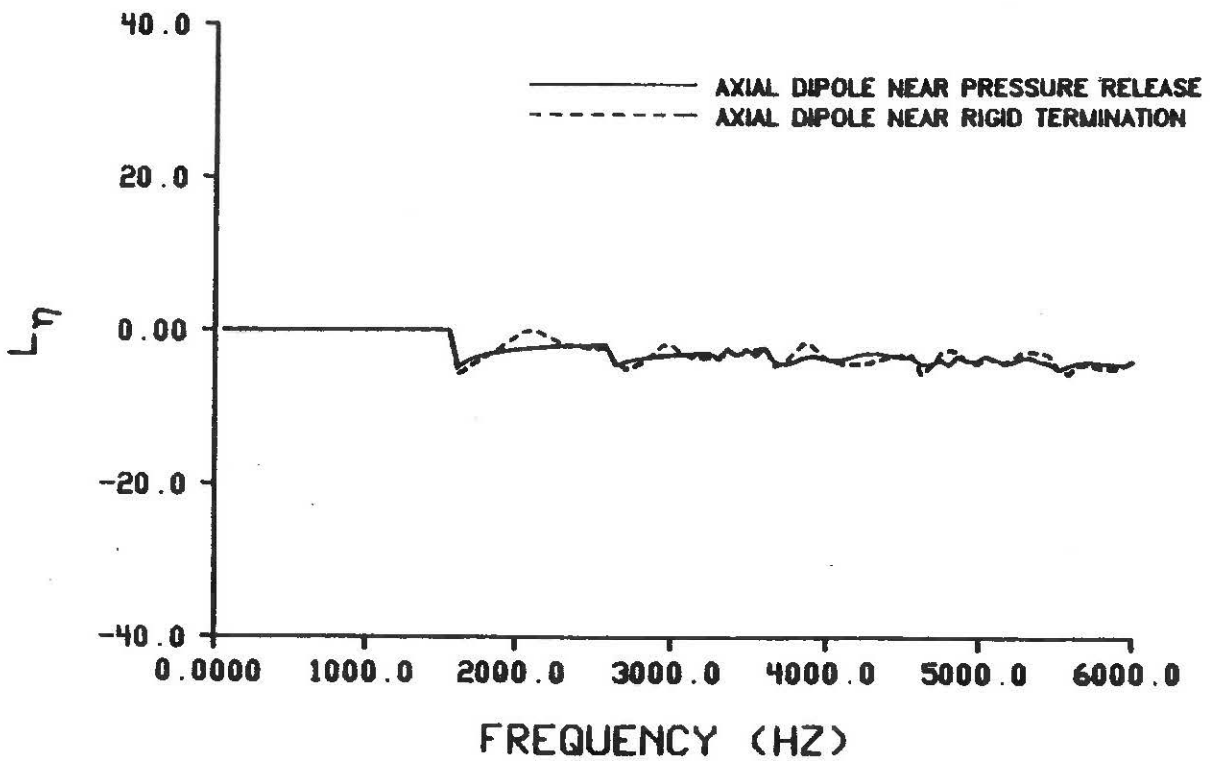
$$10 \log_{10} \left[ \frac{W}{W_{\text{ref}}} \right] = L_{\eta} + 10 \log_{10} \left[ \frac{\bar{p}_{\text{rms}}^2 \cdot S}{\rho c W_{\text{ref}}} \right]$$

where:

$$L_{\eta} = 10 \log_{10} (\eta)$$

## PROPORTIONALITY FACTOR

$$\eta = W \left[ \frac{\bar{p}_{\text{rms}}^2 S}{\rho c} \right]^{-1}, \quad L_{\eta} = 10 \log_{10} \eta$$



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LOG(MEAN SQUARED PRESSURE (Pa\*\*2))

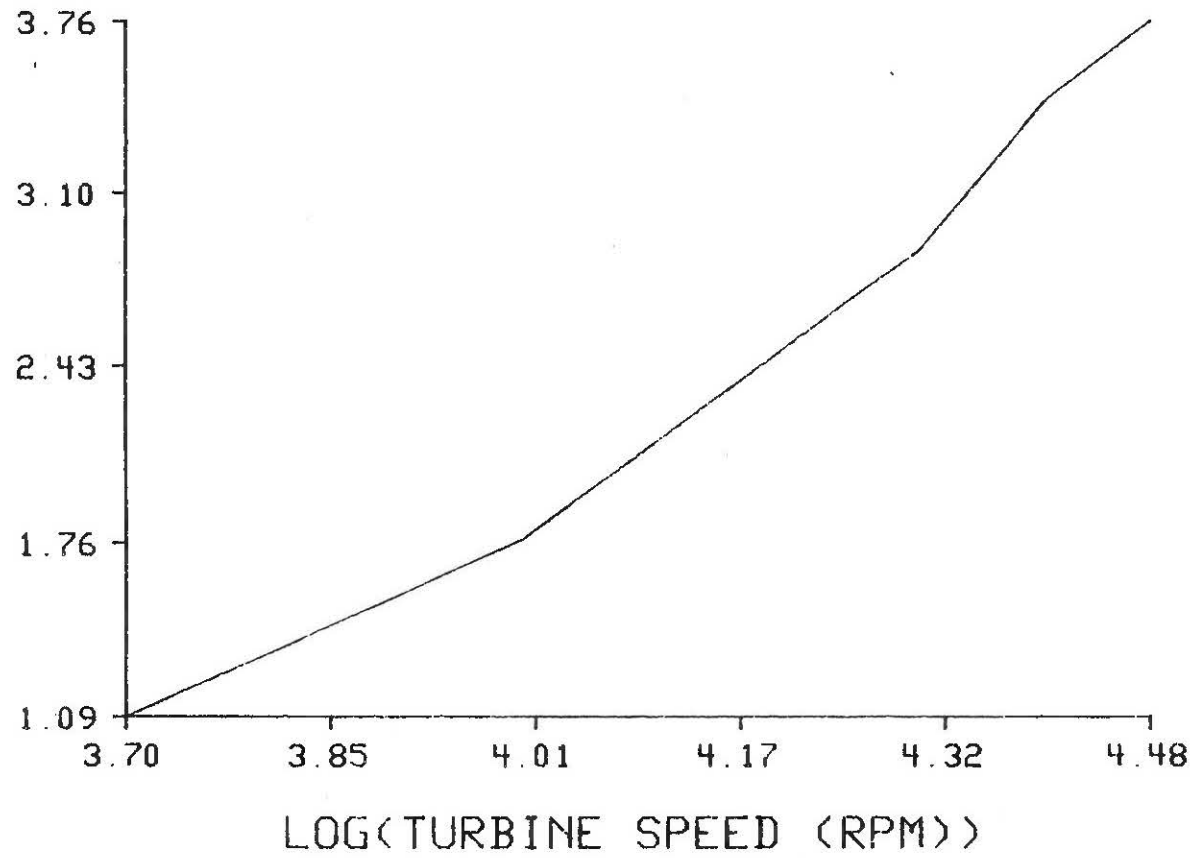


Figure 5.2.14 Logarithmic Total Pressure Distribution of Unmodified, Unsplit Turbocharger

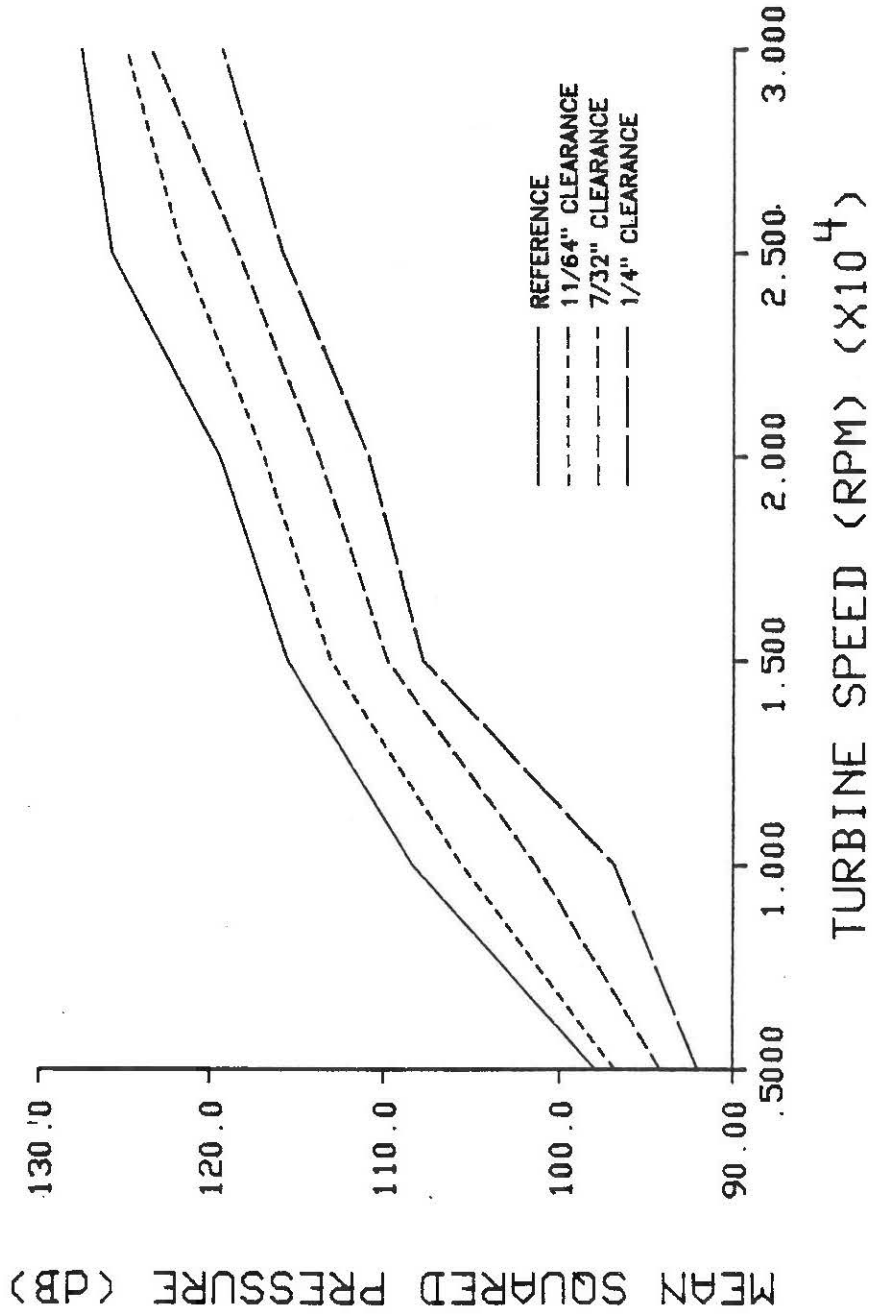
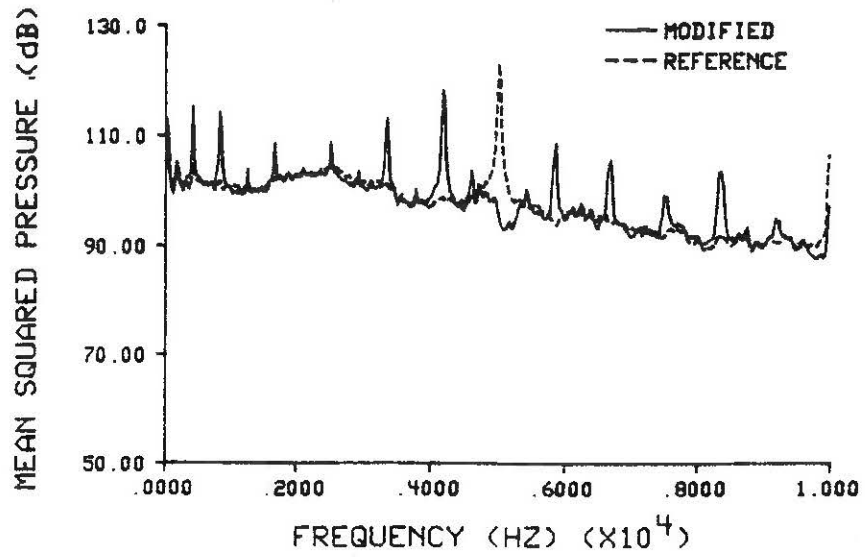
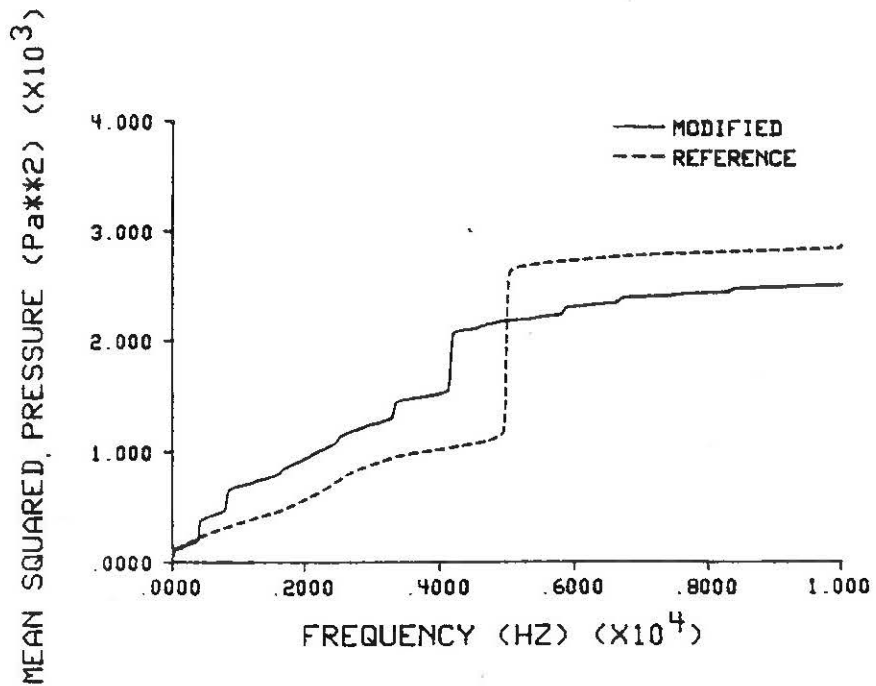


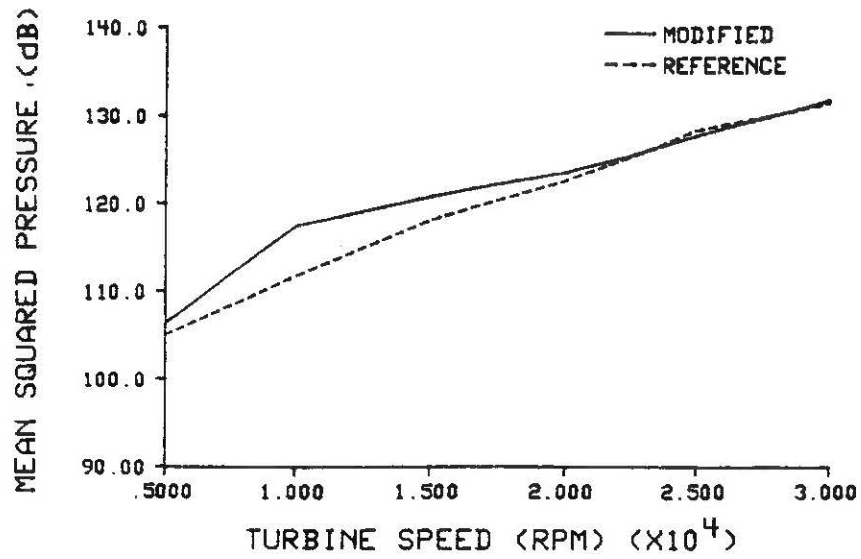
Figure 3.3. Fundamental Pressure Distributions Resulting From Increased Blade/Cutoff Clearance



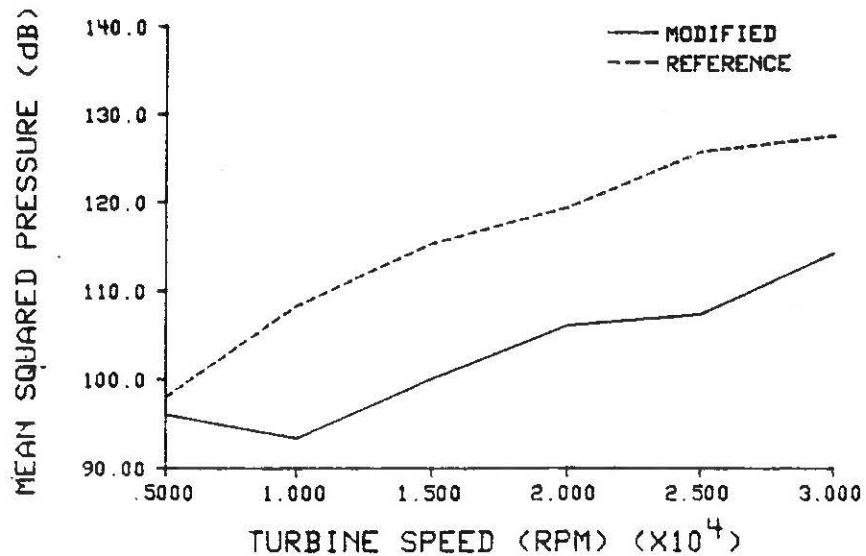
Average Power Spectrum at 25000 RPM  
Resulting from Modulated Blade  
Spacing ( $\Delta\theta=11^\circ$ )



Average Cumulative Pressure Distri-  
bution at 25000 RPM Resulting from  
Modulated Blade Spacing ( $\Delta\theta=11^\circ$ )



Total Pressure Distribution  
Resulting from Modulated Blade  
Spacing ( $\Delta\theta=11^\circ$ )



Fundamental Pressure Distribution  
Resulting from Modulated Blade  
Spacing ( $\Delta\theta=11^\circ$ )



## CONCLUSIONS

- Circumferential variation of downstream radiated sound pressure is significant
- Experimentally it has been shown that the circumferentially averaged mean squared pressure is independent of small rig changes
- Theory indicates that averaged pressure may be used to calculate sound power to accuracy of several decibels
- Circumferentially averaged mean squared pressure may be used to judge success of noise control modifications