# Effect of Plan Configuration on Seismic Performance of Single-Story, Wood-Frame Dwellings 

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#### Abstract

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A numerical investigation is presented on effects of plan configuration on seismic responses of single-story, wood-frame dwellings. 151 models were developed using observations of 412 dwellings of rectangular, L, T, U, and Z shapes in Oregon. A nonlinear, time-history program, Seismic Analysis Package for Woodframe Structures, was the analysis platform. Models were analyzed for 10 pairs of biaxial ground motions (spectral accelerations from 0.1 g to 2.0 g ) for Seattle. Configuration comparisons were made using median shear wall maximum drifts and occurrences of maximum drifts exceeding the $3 \%$ collapse prevention limit. Plan configuration significantly affects performance through building mass, lateral stiffnesses and eccentricities. Irregular configuration tends to induce eccentricity and cause one wall to exceed the allowable drift limit, and fail, earlier than others. Square-like buildings usually perform better than long, thin rectangles. Classification of single-story dwellings based on shape parameters, including size and overall aspect ratio, plan shape, and percent cutoff area, can organize a building population into groups having similar performance, and be a basis for including plan configuration in rapid visual screening.


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## INTRODUCTION

Wood-frame construction is the most common structural type for houses in North America. It is relatively light weight, flexible and inherently redundant in its force resisting systems, all beneficial properties for buildings subjected to earthquakes. However, the Northridge earthquake (Schierle 2003) has shown that small woodframe dwellings are seismically vulnerable to earthquake damage at different levels from minor non-structural damage, i.e., gypsum wall board (GWB) cracking to an uninhabitable level. Approximately, $\$ 20 \mathrm{~B}$ of the $\$ 40 \mathrm{~B}$ in losses caused by the Northridge earthquake were the result of wood frame building damage, virtually all residential.

Vulnerability assessment of wood-frame dwellings can be initiated by performing a rapid visual screening (RVS) to obtain preliminary information on whether an engineering evaluation and/or structural rehabilitation are needed. Examples of currently available RVS tools are the second edition of FEMA 154 (FEMA 2002a), its supporting document FEMA 155 (FEMA 2002b), and ATC 50 (ATC 2007). In ATC 50, some features such as foundation connections, cripple walls, and unreinforced chimneys are relatively easy to identify and decide to rehabilitate as they are obviously potential sources of damage. This is, however, not the case for features like plan configuration (shape, including aspect ratio) and irregularity, where the effect varies from case to case and depends on the type (re-entrant corner, door/window opening, etc.) and degree of irregularity (size of door/window opening, offset ratio of re-entrant corner, etc.). This limitation, found in both FEMA 154 and ATC 50, has become our study motivation.

Inclusion of plan configuration and irregularity in an RVS procedure is a challenging task, as wood-frame houses vary widely in layout. A numerical model is needed to capture the complexity of building plan irregularities, and to provide realistic predictions for a large number of analyses. Plan irregularity is approximately addressed in FEMA 154 by simply increasing the input spectral acceleration response values by 50\%. Here, the Seismic Analysis Package for Woodframe Structures (SAPWood) (Pei 2007, Pei and van de Lindt 2007) is used to directly handle effects of plan configuration and irregularity.

This study initiates an approach to include plan configuration and irregularity in RVS. The objectives are (i) to propose a way to classify single-story, wood-frame dwellings into groups based on a set of shape parameters and (ii) to numerically investigate the effect of plan irregularity, resulting from plan configuration, on seismic performance. Other sources of plan irregularities such as unbalanced stiffnesses caused by large openings (windows and garage doors) are not included at this stage, but will be a part of the next study. Models for case study are all singlestory buildings. The state of Oregon is the focus area for the study. Comparisons of performance are based on maximum shear wall drifts.

## PLAN CONFIGURATION OBSERVATION

There are numerous plan configurations possible for residential buildings but not all of them are commonly used in design.. Therefore, the first step was to determine commonly used plan configurations (shapes) for single-story existing dwellings. While reviewing construction drawings or an on-site survey of buildings would
provide more accurate data, a different approach was used to save time and cost for the large number of houses throughout the state. Thus, Google Earth and Google SketchUp were used. Google Earth displays satellite images of the earth's surface while Google SketchUp is a 3D modeling program capable of working together with Google Earth

The observation process was a two-step task: city selection and pin point (specific coordinates within a selected city) selection. City selection was based on 241 Oregon cities and their population obtained from the Census Bureau's Population Estimates Program (U.S. Census Bureau 2009), Vintage 2007. Based on their estimate, there are 168 cities ( $70 \%$ ) that have population less than 5,000 , but only 26 cities ( $11 \%$ ) having population over 20,000 . To ensure that samples were collected from different size cities, this study organized cities into: group A ( $0<$ population $\leq$ 5,000 ), group B (5000< population $\leq 20,000$ ), and group C (population> 20,000). Ten cities were then randomly selected from each group as shown in Table 1. Five simple geometries commonly used for wood-frame dwellings were selected for the study, including rectangle, $\mathrm{L}, \mathrm{T}, \mathrm{U}$, and Z shapes.

Before selection of pin points could be made from within a city, boundaries of the city were established with two pairs of latitude and longitude lines embracing most of the buildings in the city. This excluded lakes, forest, or agricultural lands with few residential buildings. Pin points, located within that city boundary, were then randomly generated in terms of latitude-longitude pairs. Guidelines for pin points and sample selection were:

1. Each pin point represents the center of an observational area.
2. Houses that have shapes of interest, located within a $76.2 \mathrm{~m} .(250 \mathrm{ft}$.$) radius$ from the pin point, and within a residential area, are sample candidates.
3. Plan area of a sample house did not exceed $464 \mathrm{~m}^{2}\left(5,000 \mathrm{ft}^{2}\right)$.
4. A reentrant corner is considered to exist if it is at least $1.22 \times 1.22 \mathrm{~m} .(4 \times 4 \mathrm{ft}$.)
5. As many dwellings were assessed as possible for each pin point. However, dwellings with exactly the same configuration were assessed only once.
6. Twenty pin points was the overall limit for each city.

The number of samples (for each plan shape) from each group was determined based on the relative population among groups (A: B: C) which is approximately $1: 2: 7$ (Table 2). With a limit of 20 pin points per city, total numbers of actual observed samples were $95,100,84,61$, and 72 for rectangular, $L, T, U$, and $Z$ shapes, respectively. Figure 1 shows the details and notation for the observed parameters for 5 shapes of interest (rectangle, L, T, U, and Z shapes). Table 3 shows a summary of observed parameters for these actual houses. These were used to determine the range of parameters for model houses as shown in Table 3 as well.

## CASE STUDY CONFIGURATIONS

Dimensions of all observed buildings were transformed into two groups of parameters as shown in Figure 1. The first group of "key parameters" are those used in the case study matrix including (i) overall shape ratio, $R$, (ii) percent cutoff, $\mathrm{C}_{\mathrm{p}}$, (iii) cutoff shape ratio, $\mathrm{R}_{\mathrm{c}}$, and (iv) cutoff ratio, $\mathrm{C}_{\mathrm{r}}$ (for $\mathrm{T}, \mathrm{U}$ and Z shapes). The R and $\mathrm{C}_{\mathrm{p}}$ parameters are related to overall floor proportions and the reduction in area cut off
from the base rectangle ( $\mathrm{a} \times \mathrm{b}$ ) that encloses the entire plan area. $\mathrm{R}_{\mathrm{c}}$ reflects the shapes of the cutoff areas while $\mathrm{C}_{\mathrm{r}}$ indicates distribution of cutoff areas in a floor plan. For a given set of $R$ and $C_{p}$ values, variation of $R_{c}$ and $C_{r}$ yields different plan shapes, locations of exterior shear walls and, consequently, eccentricities between the center of rigidity and center of mass of buildings. This is based on the assumption that unit shear strength is the same for all wall lines. Different nail spacings for wall lines with large openings should also be investigated. The second group of "supporting parameters" defines the geometries of reentrant corners. Key parameters varied within the most extreme values, with limits constrained by the supporting parameters. A summary of all parameters is shown in Figure 1, with values in Table 3.

This study classifies buildings into 3 configuration levels: index level, subindex level, and sub-sub-index level. The index level classifies buildings by their shapes: rectangles, $L, T, U$, and $Z$ shapes, with overall box area ( $\mathrm{a} x \mathrm{~b}$ ) of 139 sq.m. (1,500 sq.ft.). The sub-index level includes index level buildings with a specific set of $R$ and $C_{p}$ values. Three selected values of $R$ and $C_{p}$, determined based on the observed mean $\pm 2^{*}$ Standard Deviation (SD) range and the corresponding maximum and minimum values, for each index level building are shown in the "Selected range" column in Table 3. For example, for L-shape index buildings, the selected values are: $\mathrm{R}=0.5,0.75,1.00$, and $\mathrm{C}_{\mathrm{p}}=10 \%, 20 \%$, and $30 \%$; thus, nine L - shape sub-index groups with different combinations of R and $\mathrm{C}_{\mathrm{p}}$, can be developed. Finally, each of the sub-index level buildings was assigned $\mathrm{R}_{\mathrm{c}}$ and $\mathrm{C}_{\mathrm{r}}$, based on the selected ranges shown in Table 3, to yield the final building shapes as follows:

- L shape: Three different values of $\mathrm{R}_{\mathrm{c}}$ were assigned to each sub-index to represent the minimum and maximum cutoff shape ratios and a square cutoff.
- T shape: For each sub-index, offset distances, f and d, were assumed equal. Two cutoff ratios (1.0 and minimum) representing equal and unequal cutoffs were included.
- Equal cutoffs $\left(\mathrm{C}_{\mathrm{r}}=1.0\right)$ : Three values of $\mathrm{R}_{\mathrm{cl}}$ were assigned to each sub-index for minimum and maximum cutoff shape ratios and square cutoffs. Since the offset distance f was assumed to equal d, $\mathrm{Rc}_{1}=\mathrm{Rc}_{2}$.
- Unequal cutoffs (minimum $\mathrm{C}_{\mathrm{r}}$ ): Each of the sub-sub index buildings developed earlier for equal cutoffs was used as a basis for the unequal cutoffs case. With the distance f (and d) kept constant, the distances c and e were varied to achieve the smallest $\mathrm{C}_{\mathrm{r}}$ that kept the supporting parameters within their ranges. For example, buildings T1 and T4 are a pair, and their f and d distances are equal. The c and e distances are equal for building T 1 , but not T 4 .
- U shape: Equal leg lengths $(\mathrm{e}=\mathrm{g})$ were assumed, i.e. the cutoff ratio $\left(\mathrm{C}_{\mathrm{r}}\right)$ is zero, and there are equal widths $\left(\mathrm{R}_{\mathrm{l}}=1.0\right)$. Three values of $\mathrm{R}_{\mathrm{c}}$ were assigned to each sub-index building to represent the minimum and maximum cutoff shape ratios and a square cutoff
- Z shape: Two cutoff ratios $\left(\mathrm{C}_{\mathrm{r}}=1.0\right.$ and minimum $\left.\mathrm{C}_{\mathrm{r}}\right)$ representing equal cutoffs and unequal cutoffs were included. For each $\mathrm{C}_{\mathrm{r}}$, five combinations of cutoff shape ratios were used including: (i) [min. $\mathrm{R}_{\mathrm{c} 1}$, min. $\mathrm{R}_{\mathrm{c} 2}$ ], (ii) [min. $\mathrm{R}_{\mathrm{c} 1}$, $\max . \mathrm{R}_{\mathrm{c} 2}$ ] (iii) [max. $\mathrm{R}_{\mathrm{cl} 1}$, min. $\mathrm{R}_{\mathrm{c} 2}$ ], (iv) [max. $\mathrm{R}_{\mathrm{c} 1}$, max. $\mathrm{R}_{\mathrm{c} 2}$ ], and (v) [ $\mathrm{R}_{\mathrm{cl}}=$
$1.0, \mathrm{R}_{\mathrm{c} 2}=1.0$ ]. The values of $\mathrm{C}_{\mathrm{r}}, \mathrm{R}_{\mathrm{c} 1}$, and $\mathrm{R}_{\mathrm{c} 2}$ are determined so the related supporting parameters are still within their ranges.

Cases where the values of either $\mathrm{R}_{\mathrm{c}}$ or $\mathrm{C}_{\mathrm{r}}$ do not keep all supporting parameters in their ranges were excluded. As a result, 151 sample models (Figure 2) are developed: 4 rectangles, 21 L - shapes, 35 T - shapes, 18 U - shapes, and 73 Z - shapes.

## STRUCTURAL MODELING

Buildings were modeled to represent typical wood-frame, single-story dwellings in North America. Vertical elements consist of interior gypsum wallboard (GWB) partition walls and exterior structural shear walls, all assumed to be 2.44 m . ( 8 ft .) in height. $50 \%$ of each side of the building perimeter was assumed to consist of shear walls, contributing to the lateral force resisting system. This $50 \%$ shear walls assumption was selected to conservatively satisfy the residential codes adopted by the state of Oregon over different periods of time, such as CABO $(1989,1995)$ and the International Residential Code (ICC 2000). The requirements from CABO (1989, 1995) and ICC (2000) (for seismic design category A, B, and C) are to provide a minimum of 1.22 m . (48 in) structural sheathing wall located at each end and at least every 25 feet of wall length, but not less than $16 \%$ of braced wall line. For buildings with seismic design category $\mathrm{D}_{1}$ or $\mathrm{D}_{2}$ (ICC 2000), a similar requirement is applied but with the minimum wall lengths of $20 \%$ and $25 \%$ of braced wall line, respectively.

A pilot study was also performed in regards to percent openings in existing buildings. Focusing on rectangular, L, T, U, and Z plan shapes, observations were
made of 98 single-story dwellings in Corvallis, Oregon. It was found that the average percent openings (resulting from doors and windows) along the long and short sides are $50 \%($ S.D. $=11 \%)$ and $20 \%($ S.D. $=17 \%)$, respectively. The overall ranges are 20$75 \%$ on the long side and $0-60 \%$ on the short side. Since most houses in Oregon have structural sheathing around the entire perimeter with the same nailing schedule, the $50 \%$ assumption is thus considered a reasonable and conservative value for this comparative study of plan shapes. The seismic performance of existing houses designed with different amounts of openings will obviously vary, i.e. the more openings, the less the stiffness and the greater the lateral drift. So, different percentages of shear walls in braced wall lines and different wall design details will be included in future work to further develop a rapid visual screening tool that supports different levels of design and ages of construction across the existing building inventory.

Lateral force resistance from gypsum wallboard partition walls was not included, but will be taken into account in the next phase of the study. Horizontal elements consist of the roof and ceiling. Seismic masses are lumped at the roof level with a uniform distribution over the roof area, including roof, ceiling, partition wall, and shear wall weight. Roof and ceiling dead loads are assumed to be $478 \mathrm{~N} / \mathrm{m}^{2}(10$ psf) and $191 \mathrm{~N} / \mathrm{m}^{2}$ ( 4 psf ), respectively. Wall dead loads are transferred to the roof diaphragm based on tributary height. Magnitudes of shear wall and partition wall dead loads are based on ASCE 7-05 (ASCE 2005) with a dead load of $527 \mathrm{~N} / \mathrm{m}^{2}$ (11 psf) for exterior shear walls and a uniformly distributed load per floor area of 718 $\mathrm{N} / \mathrm{m}^{2}$ (15 psf) for partition walls.

Structural modeling and analysis was performed using SAPWood v1.0 which incorporates the "pancake" model (Folz and Filiatrault 2002), the Evolutionary Parameter Hysteretic Model (EPHM) (Pei 2007), and a feature to perform multi-case incremental dynamic analysis. In general, the pancake model degenerates an actual 3dimensional building into a 2- dimensional planar model. Diaphragms (floors and roof) are connected by zero-height shear wall spring elements (Figure 3). All diaphragms are assumed rigid with infinite in-plane stiffness, so the dynamic responses of buildings can be defined by only 3 degrees of freedom per floor. With this assumption, the model will only be able to capture the effect of torsional moment due to eccentricity but not the stress concentration at reentrant corners.

An Evolutionary Parameter Hysteretic Model (EPHM) (Pang et al. 2007) was selected to represent the nonlinear force-deformation relationship of shear walls. The model uses exponential functions to trace the descending backbone and hysteresis loop. Incorporated degradation rules for hysteretic parameters allow it to track stiffness and strength degradation. Given appropriate parameters, the EPHM model provides a better simulation of the post-peak envelope behavior than a linearly decaying backbone model, and greater flexibility to represent the actual shear wall hysteresis behavior.

Values of EPHM parameters are from a SAPWood database, generated at the connector level using the SAPWood-NP program, where nail hysteresis data, obtained from cyclic loading tests of nailed sheathing to stud connections (Pei 2007), were used to determine average shear wall parameters. Within the database, parameters for standard shear wall lengths (e.g. 2 ft , 4 ft , and 8 ft ) were calculated
based on nail connection behavior. Linear interpolation was used to obtain parameters for different wall lengths. Since shear wall configurations of the screened buildings can be different, it is considered conservative and appropriate to use minimum values in the database for other ductility- related parameters. Nail spacings for edge and field are 15 mm (6 in.) and 30 mm ( 12 in .), respectively, with a stud spacing of 406 mm (16 in.). EPHM parameters for this specific wall configuration are described in the SAPWood software and user's manual (Pei and van de Lindt 2007).

Dynamic energy dissipation behavior in wood-frame buildings results from both viscous and hysteretic damping. Wood-frame buildings subjected to strong motion are estimated to have an average damping ratio of 10\%-20\% (Camelo et al. 2001; Folz and Filiatrault 2002), with more damping for larger displacements. For this study, the majority of the damping will be accounted for by nonlinear hysteresis damping in the EPHM springs. A viscous damping ratio of 0.01 was used based on SAPWood model verification (Pei and van de Lindt 2009, van de Lindt et al., 2010), where analyses with a very small viscous damping ratio (usually 0.01 ) yielded good agreement with shake table test results.

## GROUND MOTIONS AND STRUCTURAL ANALYSIS

All 151 models were analyzed to determine the maximum lateral drifts in any of the walls. Ten pairs of ground motion time histories developed for Seattle (Somerville et al. 1997), having probabilities of exceedance of $2 \%$ in 50 years (typically associated with collapse prevention performance), were used. These ground motions were developed considering 3 types of seismic sources including (i) shallow Seattle crustal
faults (at depths less than 10 km ), (ii) subducting Juan de Fuca plate (at depths of about 60 km ), and (iii) plate interface at the Cascadia subduction zone (about 100 km west of Seattle). This suite of ground motions includes the 1992 Mendocino, 1992 Erzincan, 1949 Olympia, 1965 Seattle, 1985 Valpariso, 1978 Miyagi-oki, and several simulated ground motions representing deep and shallow interplate earthquakes. Detailed information on these ground motions and their reference numbers which are specified as SE21 to SE40, can be found on the website <nisee.berkeley.edu/data/strong_motion/sacsteel/motions/se2in50yr.html>.

From Baker (2007), it was observed that "if the records were selected to account for the peaked spectral shape of 'rare' ground motions, then the records could be safely scaled up to represent rare (i.e., high $S_{a}$ ) ground motions while still producing the same structural response values as unscaled ground motions." The selected suite involves 'rare' ground motions, and response spectra for these ground motions (5\% damping) are shown in Figure 4. A similar suite of ground motions was applied to a wide variety of building types and natural frequencies in FEMA (2008), and the selected suite is used for the short period, single story houses in this study.

The scaling used is unbiased and implemented with the intention to fix the intensity in one excitation direction while keeping the intensity ratio between the two components from the original record, partially because building damage is often driven by excitation in one direction. However, although a common procedure in many situations including shake table testing, this scaling is not as robust as some other possible methods (such as using the geometric means of the two horizontal components).

Each of these ground motions was scaled based on the spectral acceleration $\left(\mathrm{S}_{\mathrm{a}}\right)$ of a single degree of freedom system with a damping ratio of 0.05 and a natural period of 0.2 seconds before being applied to the structural models. Twenty $\mathrm{S}_{\mathrm{a}}$ targets were used in the study ranging from 0.1 g to 2.0 g at 0.1 g steps. Ground motion scaling was performed so that when the first component of ground motion reached the specified $\mathrm{S}_{\mathrm{a}}$, the same scaling factor was used for the second component. Each orthogonal pair of ground motions was applied twice (rotated 90 degrees) on each model.

A total of 60,400 analyses were conducted with 151 models, 10 ground motions each applied twice, and ground motions scaled to 20 different levels. Two different measures of seismic response were determined for each model at each $\mathrm{S}_{\mathrm{a}}$ target: (i) median of maximum drifts of shear walls and (ii) number of drifts exceeding the $3 \%$ collapse prevention limit. Each scaled ground motion pair was applied to the structure twice, thus resulting in 2 sets of outputs. Maximum wall drift from both applications of the ground motion pair was considered the maximum drift for that ground motion, thus giving 10 maximum drifts from 10 ground motion pair inputs. All ten maximum drifts were used to determine the "median maximum drift". Mean maximum drift was not used here since some impractical large drifts are obtained from the numerical analyses. Total number of times that maximum drifts exceeded 3\% for a particular spectral acceleration is called "number of drifts exceeding 3\%." While not directly related to the probability of collapse, the number of drifts exceeding $3 \%$ quantifies the number of events causing severe
damage/collapse using the suite of ten ground motions selected for this study, and allows one to compare extreme performance for different configurations.

## RESULTS AND DISCUSSION

The overall box area ( $\mathrm{a} x \mathrm{~b}$ ), overall shape ratio, and percent cutoff are parameters that affect the dynamic characteristics of buildings as they relate to the overall mass and stiffness along both major axes of a floor plan. In this study, the fundamental periods of vibration for all models were found to range from 0.135 sec to 0.219 sec . Natural periods of the first 3 modes of vibration for each of the worst-case-scenario models (explained later in this section) are displayed on top of each model in Figure 5. In general, the longest natural period corresponds to one of the lateral displacement modes, usually parallel to the short side of the building. The second mode is often the lateral displacement mode in the perpendicular direction. The third mode is typically the torsional mode. Accordingly, the following results can be observed:

- A square shape $(\mathrm{R}=1.0)$ better distributes the external shear walls along both major directions, i.e. providing similar stiffnesses. On the other hand, those with long, thin shapes $(\mathrm{R} \neq 1.0)$ are stiffer in the long direction but more flexible in the short. The square shapes thus tend to have shorter fundamental periods than the more rectangular shapes. For example, the fundamental periods for rectangular shape models (R1, R2, R3, and R4 in Figure 5) with overall shape ratios of $0.35,0.50,0.75$, and 1.0 are $0.219 \mathrm{sec}, 0.200 \mathrm{sec}, 0.180$ sec , and 0.168 sec , respectively.
- The spacing of the natural periods is also affected by the overall shape of the building. The more slender the plan shape, the larger the spacing between mode 1 and mode 2 periods. Square-like buildings tend to have approximately the same natural periods in modes 1 and 2, except for $U$-shapes which have increased lateral stiffness in one direction from the walls forming the cutoff area. Natural periods for mode 3 were found to slightly increase as the plan shapes become more slender. For all of these worst-case-scenario models, the average natural periods for the first, second, and third modes are 0.169 sec $($ S.D. $=0.015), 0.139 \sec (S . D .=0.012)$, and $0.100 \sec (S . D .=0.005)$, respectively.
- For plan shapes with a particular combination of overall box area and shape ratio, the larger the percent cutoff area, the shorter the fundamental period. This is because the total seismic mass is reduced while the total lateral stiffness in both directions remains the same. For example, for L-shape models (Figure 5) with $\mathrm{R}=0.5$, the fundamental periods are $0.191 \mathrm{sec}, 0.182$ sec , and 0.173 sec for 10,20 , and 30 percent cutoff areas, respectively.

For the same box area, the $\mathrm{L}, \mathrm{T}, \mathrm{U}$ and Z -shapes have reduced seismic mass compared to the R-shape. Only the U-shape has increased wall mass and increased stiffness. The R-shape thus tends to have the longest fundamental period while the Ushape tends to have the shortest. For example, for worst-case-scenario models (Figure 5) with $R=0.50$ and $C_{p}=10 \%$, the fundamental periods for rectangle $\left(C_{p}=0 \%\right), L, T$,

U , and Z shapes are $0.200 \mathrm{sec}, 0.191 \mathrm{sec}, 0.191 \mathrm{sec},-0.169 \mathrm{sec}$, and 0.191 sec , respectively.

The results and discussion above are for the initial dynamic properties of models. Figure 6 shows the observed variations in seismic performance when the degradation of shear wall stiffness is included. Figure 6 is a plot of median maximum drifts versus spectral acceleration for all 151 models. Any median maximum drift that exceeds the $3 \%$ collapse prevention limit ( $73 \mathrm{~mm}(2.88 \mathrm{in}$.) ) is displayed as 73 mm . This figure shows that, at low $\mathrm{S}_{\mathrm{a}}$ (e.g. $\mathrm{Sa} \approx 0.0 \mathrm{~g}-0.5 \mathrm{~g}$ ), the variation of median maximum drifts is small with the small ground excitations. The middle range ( $\mathrm{Sa} \approx$ $0.5 \mathrm{~g}-1.3 \mathrm{~g}$ ) is where the effect of shape parameters becomes obvious. Median maximum drifts are highly scattered. In this range, $U$ shapes have the lowest variation partly due to the smaller number of case study samples $(\mathrm{N}=18)$. As can be seen from Figure 2 that the total numbers of samples for rectangle, $L, T, U$, and $Z$ shapes are 4 , $21,35,18$, and 73 , respectively. Another reason is due to the assumption that the cutoff area for the U shape is center-located (as explained earlier). Thus, the eccentricity is developed on one axis only. This is contrast to Z-shape samples with a larger variation, where the total number of models is 73 and, in addition, changes in the two cutoff areas cause different levels of eccentricity along two major axes. Similarly, large gaps in drifts of the rectangular models are due to the nonlinearity and small number of samples $(\mathrm{N}=4)$. For the upper range $\left(\mathrm{S}_{\mathrm{a}}>1.3 \mathrm{~g}\right)$, most of the median drifts tend to exceed 75 mm ,. thus the plots converge to this drift limit.

## Effect of Overall Shape Ratio

Figures 7 a to 7 d show examples of the correlation between overall shape (aspect) ratio R and median maximum drifts at $\mathrm{S}_{\mathrm{a}}=0.5 \mathrm{~g}$ for L - shapes (percent cutoff $\mathrm{C}_{\mathrm{p}}=$ $30 \%)$, T- shapes $\left(C_{p}=20 \%\right)$, $U$ - shapes $\left(C_{p}=15 \%\right)$, and $Z$ - shapes $\left(C_{p}=20 \%\right)$, respectively. These examples show trends in results over a range of different shapes with different percent cutoffs. For the same total floor area, buildings tend to perform better (smaller drift) as their shape ratios approach 1.0, or as the overall shapes become more square-like. This trend is consistent for all except some $U$ - shapes where performance is observed to be similar or even better at shape ratios less than 1.0. This improvement in lateral load resistance is because extra lengths of shear wall are added on the short side due to the cutoff area in the U - shape. While this additional wall length enhances the performance for $U$ - shapes with a smaller shape ratio (e.g. $\mathrm{R}=0.5$ ), it does not appear to benefit larger shape ratios (e.g. $\mathrm{R}=1.0,1.3$ ), since lateral load resistance in the other major direction has become more critical.

Figure 8 shows how overall building shape ratio affects the seismic performance in terms of number of incidences where maximum drifts exceed the $3 \%$ collapse prevention limit when excited by the 10 different ground motions. Plots include five levels of $\mathrm{S}_{\mathrm{a}}: 0.1 \mathrm{~g}, 0.5 \mathrm{~g}, 1.0 \mathrm{~g}, 1.5 \mathrm{~g}$, and 2.0 g . Comparisons are made among buildings with the same shape and total floor area (same percent cutoff). In this comparison, no model exceeded the $3 \%$ limit at $S_{a}=0.1 \mathrm{~g}$. For $S_{a}=0.5 \mathrm{~g}$, number of drifts exceeding $3 \%$ ranges from 1 to 2 times. At this level, effect of shape ratio is not clearly visible since the spectral acceleration is relatively low. Most ground motions did not cause excessive drifts except for two: the 1992 Mendocino and 1978

Miyagi-oki. Effect of shape ratio (lower number of drifts exceeding 3\% as R approaches 1.0) is more obvious for the intermediate range, i.e. $\mathrm{S}_{\mathrm{a}}=1.0 \mathrm{~g}$ and 1.5 g , while most models exceeded the $3 \%$ drift limit from all 10 ground motions when $\mathrm{S}_{\mathrm{a}}=$ 2.0 g .

## Effect of Percent Cutoff

For buildings with the same base rectangle ( $\mathrm{a} \times \mathrm{b}$ ), variation in percent cutoff (from the base rectangle) directly affects at least two factors that influence seismic performance of buildings: eccentricity and seismic mass. By increasing the percent cutoff, the size of reentrant corners increase, and this produces larger eccentricity between centers of rigidity and mass. For example, for L -shape models with $\mathrm{R}=0.5$, the eccentricities along the length and width $\left(e_{x}, e_{y}\right)$ for $L 1\left(C_{p}=10 \%\right), L 4\left(C_{p}=20 \%\right)$, and $L 5\left(C_{p}=30 \%\right)$ are $(0.37 \mathrm{~m}, 0.05 \mathrm{~m}),(0.79 \mathrm{~m}, 0.15 \mathrm{~m})$, and $(1.11 \mathrm{~m}, 0.34 \mathrm{~m})$, respectively. However, increasing the percent cutoff also reduces seismic mass which, in turn, often leads to smaller drift. Results from this study have shown that for buildings with the same base rectangle, maximum drift decreases as percent cutoff increases (Figure 9). Thus, within the study range, the effect of mass reduction overrides the effect of eccentricity. Examples of this correlation between percent cutoff and median maximum drifts at $\mathrm{S}_{\mathrm{a}}=0.5 \mathrm{~g}$ for L - shapes $(\mathrm{R}=0.50)$ and Z - shapes $(\mathrm{R}=0.75)$ are shown in Figures 9a and 9b, respectively.

## Effect of Cutoff Shape Ratio

Although cutoff shape ratio (aspect ratio of area cutoff from base rectangle) affects eccentricities along both major axes of a building, within the range studied, it does not cause a major difference in seismic performance for buildings of the same overall shape and total floor area. Figure 10 shows seismic response in terms of median maximum drifts compared among buildings of the same sub-index group (i.e. same shape, overall shape ratio, and percent cutoff), so, differences in drifts result from the variation of cutoff ratio and cutoff shape ratio. Figure 10a shows that, for T- shape models with $\mathrm{R}=1.00, \mathrm{C}_{\mathrm{p}}=20 \%$, and $\mathrm{S}_{\mathrm{a}}=1.0 \mathrm{~g}$, median maximum drift varies over a narrow range from 28-34 mm. For $Z$-shapes with $R=0.75, C_{p}=30 \%, S_{a}=1.0 \mathrm{~g}$ (Figure 10b), median maximum drift similarly ranges from $28-35 \mathrm{~mm}$. Comparisons of these two groups are shown again in terms of number of drifts exceeding 3\% in Figures 11a and 11 b , where the plots show that, within the range of cutoff area shape ratios and cutoff ratios examined, performances of buildings with the same overall shape, R , and percent cutoff, $\mathrm{C}_{\mathrm{p}}$, are usually identical. Thus, use of one worst-case-scenario model (for example, L1) from each group of sub-sub-index buildings (L1, L2, L3) to represent the seismic performance of its corresponding sub-index buildings of the same shape, $R$, and $C_{p}(L-$ shape, $R=0.5$ and $C p=10 \%)$ is reasonable.

Selection of a worst-case-scenario model for each sub-index level was thus performed by comparison of median maximum drifts over a range of spectral accelerations. The lower bound for comparison is assumed to be the $S_{a}$ value that induces approximately 12.7 mm ( 0.5 in .) median maximum drift, while the upper bound is that producing 73.1 mm ( 2.88 in .) median maximum drift ( $3 \%$ ). The
comparison generally covers approximately a 0.5 g range. The model that has the largest median maximum drift (over the range of spectral accelerations) is considered the worst-case-scenario model for that particular sub-index group. Figure 5 shows a summary of worst-case-scenario models. Comparison of seismic responses in terms of number of drifts exceeding the $3 \%$ limit for the selected worst-case-scenario models at $S_{a}=1.0 \mathrm{~g}$ is shown in Table 4. In general, the number of simulations with drifts exceeding 3\% ranges from 2 to 7 , showing building performance differences with changes in plan configuration.

In addition, an unsymmetrical plan tends to cause maximum drift to occur on a particular wall side more often than the others. Generally, the wall located farthest away from the center of rigidity tends to have the maximum drift most frequently. For each worst-case-scenario model, the percentage of times a wall side has either the maximum drift or exceeds $3 \%$ drift, resulting from all 400 analyses ( 10 ground motions pairs applied in 2 orthogonal directions, and 20 spectral acceleration scalings) is summarized in Figure 5.

## CONCLUSIONS

Effect of plan configuration on seismic performance of single-story wood-frame dwellings has been examined by (i) establishing a practical configuration range for small, wood-frame dwellings, and proposing an appropriate set of shape parameters, and (ii) utilizing a recently developed and verified numerical model for wood-frame building and shear walls for the analyses.

Seismic performance of small, wood-frame dwellings has been shown (for example, in Table 4) to strongly depend on the overall plan proportions (shape ratio, $R$ ) and amount of reduction in area from the base rectangle (percent cutoff, $\mathrm{C}_{\mathrm{p}}$ ). For buildings with the same floor area, those with square-like base rectangles perform relatively better than those with long, thin base rectangles. For a particular size base rectangle ( $\mathrm{a} \times \mathrm{b}$ ), maximum shear wall drifts generally decrease as the percent cutoff area $\left(\mathrm{C}_{\mathrm{p}}\right)$ increases because of reduced mass. Variation of the proportions in cutoff area (cutoff shape ratio $\mathrm{R}_{\mathrm{c}}$ ), considered within a practical range, has a relatively smaller effect on seismic performance than R and $\mathrm{C}_{\mathrm{p}}$. U-shape buildings with small shape ratio (e.g., $\mathrm{R}=0.5$ ) can benefit from extra wall length (i.e., increased total stiffness) in the short direction. Such benefits do not occur for U-shapes with shape ratio closer to 1.0 since the critical load resistance direction has changed.

This study reveals the importance of plan configuration identification in efforts such as rapid visual screening. Classification of single-story wood-frame dwellings by shape, size $\left(a^{*} b\right)$, shape ratio $(R)$, and percent cutoff $\left(C_{p}\right)$ has been shown to be capable of organizing a large population of buildings into a definite number of building groups with similar seismic performance. Plan configuration screening of existing buildings can thus be made by assuming them to perform similarly to the analyzed worst-case scenario models of the same shape, size, R , and $\mathrm{C}_{\mathrm{p}}$.

This approach will be used as a basis for the development of an improved rapid visual screening method considering the complexity of different combinations of configuration, base-rectangular area, numbers of stories, windows and doors
openings, and garage doors. Comparison of results between this approach and the simpler, current FEMA 154 (which simply increases the input spectral acceleration by $50 \%$ for a plan irregularity) will be made.

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## TABLE CAPTIONS

Table 1. Randomly selected cities in each group
Table 2. Determination of population weights among city groups
Table 3. Summary of observed parameters and selected ranges for modeling
Table 4. Comparison of seismic responses in terms of number of drifts exceeding the $3 \%$ limit based on the selected worst-case-scenario models at $\mathrm{S}_{\mathrm{a}}=1.0 \mathrm{~g}$.

Table 1. Randomly selected cities in each group

| Group A |  |  |  | Group B |  |  |  | Group C |  |  |
| :--- | :--- | ---: | ---: | :--- | ---: | ---: | ---: | ---: | :---: | :---: |
| No. | City | Population* | No. | City | Population* | No. | City | Population* |  |  |
| A-1 | Nyssa | 3,026 | B-1 | Canby | 15,602 | C-1 | Corvallis | 51,125 |  |  |
| A-2 | Shady Cove | 2,299 | B-2 | Molalla | 7,115 | C-2 | Redmond | 23,769 |  |  |
| A-3 | Gervais | 2,416 | B-3 | Sutherlin | 7,201 | C-3 | Beaverton | 90,704 |  |  |
| A-4 | Coburg | 1,021 | B-4 | Wilsonville | 18,814 | C-4 | Albany | 47,239 |  |  |
| A-5 | Yoncalla | 1,047 | B-5 | Talent | 6,150 | C-5 | Keizer | 35,312 |  |  |
| A-6 | North Plains | 1,813 | B-6 | Central Point | 16,447 | C-6 | Medford | 72,186 |  |  |
| A-7 | Heppner | 1,371 | B-7 | Lebanon | 14,836 | C-7 | Springfield | 56,666 |  |  |
| A-8 | Brownsville | 1,620 | B-8 | North Bend | 9,672 | C-8 | Woodburn | 22,044 |  |  |
| A-9 | Siletz | 1,098 | B-9 | Happy Valley | 11,599 | C-9 | Newberg | 22,193 |  |  |
| A-10 | Joseph | 959 | B-10 | Troutdale | 15,366 | C-10 | Salem | 151,913 |  |  |

*Source: U.S. Census Bureau, 2009

Table 2. Determination of population weights among city groups

|  | Group |  |  | Total* |
| :---: | :---: | :---: | :---: | :---: |
|  | A | B | C |  |
| Population | $0-5,000$ | $5,001-20,000$ | $>20,000$ |  |
| No. of cities | 168 | 47 | 26 | 241 |
| Total population | 219,894 | 492,927 | $1,854,266$ | $2,567,087$ |
| Relative <br> population | $8.6 \%$ | $19.2 \%$ | $72.2 \%$ | $100.0 \%$ |
| Sample weight | 1 | 2 | 7 | 10 |

*Source: U.S. Census Bureau, 2009

Table 3. Summary of observed parameters and selected ranges for modeling

| Shapes | Parameters | Observed ranges | Mean $\pm 2 \mathrm{SD}$ | Selected ranges |
| :---: | :---: | :---: | :---: | :---: |
| $\begin{gathered} \text { Rect. } \\ \mathrm{N}=95 \end{gathered}$ | R | 0.29 to 1.00 | 0.36 to 0.98 | $0.35,0.50,0.75,1.00$ |
| LShape $\mathrm{N}=$ 100 | R | 0.48 to 1.00 | 0.57 to 1.08 | 0.50, 0.75, 1.00 |
|  | $\mathrm{C}_{\mathrm{p}}$ | $3 \%$ to $31 \%$ | $3 \%$ to $34 \%$ | 10\%, 20\%, 30\% |
|  | $\mathrm{R}_{\mathrm{c}}$ | 0.13 to 3.00 | -0.19 to 1.68 | 0.20, 1.00, 1.60 |
|  | c/a | 0.12 to 0.70 | 0.20 to 0.70 | 0.20 to 0.70 |
|  | d/b | 0.11 to 0.63 | 0.12 to 0.59 | 0.20 to 0.60 |
| T-Shape$\mathrm{N}=84$ | R | 0.43 to 1.47 | 0.44 to 1.27 | 0.50, 1.00, 1.30 |
|  | $\mathrm{C}_{\mathrm{p}}$ | $8 \%$ to $38 \%$ | 6\% to 33\% | 10\%, 20\%, 30\% |
|  | $\mathrm{C}_{\mathrm{r}}$ | 0.14 to 1.00 | 0.07 to 1.16 | 0.20, 1.00 |
|  | $\mathrm{R}_{\mathrm{cl} 1}$ | 0.21 to 6.00 | -0.75 to 3.62 | 0.30, 1.00, 3.60 |
|  | $\mathrm{R}_{\mathrm{c} 2}$ | 0.23 to 11.25 | -0.96 to 5.74 | 0.30, 1.00, 5.80 |
|  | e/c | 0.14 to 2.00 | 0.01 to 1.29 | 0.20 to 1.30 |
|  | d/f | 0.60 to 2.12 | 0.6 to 1.52 | 1.00 |
|  | c/a | 0.13 to 0.61 | 0.12 to 0.49 |  |
|  | e/a | 0.07 to 0.36 | 0.04 to 0.33 | 0.10 to 0.50 |
|  | d/b | 0.15 to 0.71 | 0.14 to 0.70 | 0.20 to 0.70 |
|  | f/b | 0.13 to 0.73 | 0.12 to 0.69 | . 20 to 0. |
| $\begin{aligned} & \text { U- } \\ & \text { Shape } \\ & \mathrm{N}=61 \end{aligned}$ | R | 0.36 to 1.35 | 0.44 to 1.27 | 0.5, 1.0, 1.3 |
|  | $\mathrm{C}_{\mathrm{p}}$ | $3 \%$ to $27 \%$ | $1 \%$ to $20 \%$ | 5\%, 10\%, 15\% |
|  | $\mathrm{C}_{\mathrm{r}}$ | 0 to 4.67 | -0.87 to 2.66 | 0 |
|  | $\mathrm{R}_{1}$ | 0.47 to 1.38 | 0.52 to 1.25 | 1.00 |
|  | $\mathrm{R}_{\mathrm{c}}$ | 0.17 to 3.25 | -0.59 to 2.29 | 0.20, 1.00, 2.30 |
|  | c/b | 0.62 to 1.00 | 0.67 to 1.09 | 1.0 |
|  | e/b | 0.14 to 0.62 | 0.14 to 0.52 | 0.20 to 0.60 |
|  | h/a | 0.06 to 0.48 | 0.03 to 0.34 | 0.10 to 0.40 |
| Z- Shape <br> $\mathrm{N}=72$ | R | 0.54 to 1.00 | 0.59 to 1.01 | 0.50, 0.75, 1.00 |
|  | Cp | 9\% to $39 \%$ | 10\% to $34 \%$ | 10\%, 20\%, 30\% |
|  | $\mathrm{R}_{\mathrm{cl} 1}$ | 0.14 to 3.50 | -0.24 to 2.21 | 0.20, 1.00, 2.20 |
|  | $\mathrm{R}_{\mathrm{c} 2}$ | 0.14 to 6.00 | -1.05 to 4.81 | 0.20, 1.00, 4.80 |
|  | $\mathrm{C}_{\mathrm{r}}$ | 0.20 to 1.00 | 0.13 to 1.03 | 0.30, 1.00 |
|  | c/a | 0.15 to 0.71 | 0.13 to 0.63 | 0.20 to 0.70 |
|  | e/a | 0.07 to 0.65 | -0.05 to 0.55 | 0.10 to 0.60 |
|  | d/b | 0.12 to 0.70 | 0.15 to 0.64 | 0.20 to 0.60 |
|  | f/b | 0.08 to 0.65 | 0.09 to 0.67 | 0.10 to 0.60 |
|  | e/c | 0.17 to 2.00 | -0.086 to 1.46 | 0.20 to 1.50 |
|  | f/d | 0.25 to 2.01 | 0.29 to 1.68 | 0.30 to 1.60 |

Table 4. Comparison of seismic responses in terms of number of drifts exceeding the $3 \%$ limit based on the selected worst-case-scenario models at $\mathrm{S}_{\mathrm{a}}=1.0 \mathrm{~g}$

| Shape Ratio | $\mathrm{C}_{\mathrm{p}}(\%)$ | Rect | L | T | U | Z |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0.35 | 0 | 7 | N/A | N/A | N/A | N/A |
| 0.5 | 0 | 7 | N/A | N/A | N/A | N/A |
|  | 5 | N/A | N/A | N/A | 6 | N/A |
|  | 10 | N/A | 7 | 7 | 5 | 7 |
|  | 15 | N/A | N/A | N/A | 4 | N/A |
|  | 20 | N/A | 7 | 7 | N/A | 7 |
|  | 30 | N/A | 5 | 5 | N/A | 5 |
| 0.75 | 0 | 6 | N/A | N/A | N/A | N/A |
|  | 5 | N/A | N/A | N/A | N/A | N/A |
|  | 10 | N/A | 6 | N/A | N/A | 6 |
|  | 15 | N/A | N/A | N/A | N/A | N/A |
|  | 20 | N/A | 3 | N/A | N/A | 3 |
|  | 30 | N/A | 3 | N/A | N/A | 3 |
| 1.0 | 0 | 5 | N/A | N/A | N/A | N/A |
|  | 5 | N/A | N/A | N/A | 3 | N/A |
|  | 10 | N/A | 3 | 3 | 3 | 3 |
|  | 15 | N/A | N/A | N/A | 3 | N/A |
|  | 20 | N/A | 3 | 3 | N/A | 3 |
|  | 30 | N/A | 2 | 2 | N/A | 2 |
| $1.3$ | 5 | N/A | N/A | N/A | 6 | N/A |
|  | 10 | N/A | N/A | 6 | 5 | N/A |
|  | 15 | N/A | N/A | N/A | 5 | N/A |
|  | 20 | N/A | N/A | 3 | N/A | N/A |
|  | 30 | N/A | N/A | 2 | N/A | N/A |

Note: N/A= Not Analyzed configurations

## FIGURE CAPTIONS

Figure 1. Plan shape properties and notation

Note: For T and Z shapes, $(\mathrm{c} * \mathrm{~d})>(\mathrm{e}$ * f$)$

Figure 2. Summary of configurations based on observations of existing buildings

Figure 3. Rectangular wood-frame house and its pancake model
Figure 4. Response spectra of ground motion records (5\% damping)
Figure 5. Summary of selected worst-case-scenario models, percentage of times maximum drifts occur on each wall side, natural periods of first 3 modes of vibration $\mathrm{T}_{1}, \mathrm{~T}_{2}, \mathrm{~T}_{3}$ (displayed on top of each model)

Figure 6. Median maximum drifts at $\mathrm{S}_{\mathrm{a}}=0.1 \mathrm{~g}-2.0 \mathrm{~g}$ for all case study models
Figure 7. Effect of shape ratio in terms of median maximum drifts at $\mathrm{S}_{\mathrm{a}}=0.5 \mathrm{~g}$
Figure 8. Effect of shape ratio in terms of number of drifts exceeding 3\%
Figure 9. Effect of percent cutoff in terms of median maximum drifts at $\mathrm{S}_{\mathrm{a}}=0.5 \mathrm{~g}$

Figure 10. Effect of cutoff shape ratio and cutoff ratio on median maximum drifts:
(a) T- shape, $\mathrm{R}=1.00, \mathrm{C}_{\mathrm{p}}=20 \%, \mathrm{~S}_{\mathrm{a}}=1.0 \mathrm{~g}$; (b) Z - shape, $\mathrm{R}=0.75, \mathrm{C}_{\mathrm{p}}=30 \%, \mathrm{~S}_{\mathrm{a}}=1.0 \mathrm{~g}$

Figure 11. Effect of cutoff shape ratio and cutoff ratio in terms of number of drifts exceeding $3 \%$ (a) T- shape, $\mathrm{R}=1.00, \mathrm{C}_{\mathrm{p}}=20 \%, \mathrm{~S}_{\mathrm{a}}=1.0 \mathrm{~g}$ (b) Z - shape $\mathrm{R}=0.75, \mathrm{C}_{\mathrm{p}}=$ $30 \%, \mathrm{~S}_{\mathrm{a}}=1.0 \mathrm{~g}$


| Plan Shape | Properties |
| :---: | :---: |
| Rectangle | Key parameters: <br> Overall shape ratio: $R=\frac{b}{a}$ <br> Supporting parameters: N/A |
| L-Shape | Key parameters: <br> Overall shape ratio: $R=\frac{b}{a}$ <br> Percent cutoff: $C_{p}=\left(\frac{c * d}{a * b}\right) * 100$ <br> Cutoff shape ratio: $R_{c}=\frac{d}{c}$ <br> Supporting parameters: $\mathrm{c} / \mathrm{a}, \mathrm{d} / \mathrm{b}$ |
| T-Shape | Key parameters: <br> Overall shape ratio: $R=\frac{b}{a}$ <br> Percent cutoff: $C_{p}=\left(\frac{(c * d)+(e * f)}{a * b}\right) * 100$ <br> Cutoff shape ratio: $R_{c 1}=\frac{d}{c}$ <br> Cutoff shape ratio: $R_{c 2}=\frac{f}{e}$ <br> Cutoff ratio: $C_{r}=\frac{(e * f)}{(c * d)}$ <br> Supporting parameters: e/c, d/f, c/a, e/a, d/b, f/b |
| U-Shape | Key parameters: <br> Overall shape ratio: $R=\frac{b}{a}$ <br> Percent cutoff: $C_{p}=\left(\frac{(h * e)+(f * i)}{a * b}\right) * 100$ <br> Cutoff shape ratio: $R_{c}=\frac{h}{e}$ <br> Width ratio of legs: $R_{l}=\frac{f}{d}$ <br> Cutoff ratio: $C_{r}=\frac{(f * i)}{(h * e)}$ <br> Supporting parameters: c/b, e/b, h/a |
| Z-Shape | Key parameters: <br> Overall shape ratio: $R=\frac{b}{a}$ <br> Percent cutoff: $C_{p}=\left(\frac{(c * d)+(e * f)}{a * b}\right) * 100$ <br> Cutoff shape ratio: $R_{c l}=\frac{d}{c}$ <br> Cutoff shape ratio: $R_{c 2}=\frac{f}{e}$ <br> Cutoff ratio: $C_{r}=\frac{(e * f)}{(c * d)}$ <br> Supporting parameters: $\mathrm{c} / \mathrm{a}, \mathrm{e} / \mathrm{a}, \mathrm{d} / \mathrm{b}, \mathrm{f} / \mathrm{b}, \mathrm{e} / \mathrm{c}, \mathrm{f} / \mathrm{d}$ |

Figure 1. Plan shape parameters and notation

Note: For T and Z shapes, $(\mathrm{c} * \mathrm{~d})>\left(\mathrm{e}^{*} \mathrm{f}\right)$

| $\mathbf{R}=\mathbf{0 . 3 5}$ | $\mathrm{R}=\mathbf{0 . 5 0}$ | $\mathrm{R}=\mathbf{0 . 7 5}$ | $\mathrm{R}=1.00$ | $\mathrm{R}=1.30$ |
| :--- | :--- | :--- | :--- | :--- |



Figure 2. Summary of configurations based on observations of existing buildings


Figure 3. Rectangular wood-frame house and its pancake model


Figure 4. Response spectra of ground motion records (5\% damping)


Figure 5. Summary of the selected worst-case-scenario models, percentage of times maximum drifts occur on each wall side, natural periods of first 3 modes of vibration $\mathrm{T}_{1}, \mathrm{~T}_{2}, \mathrm{~T}_{3}$ (displayed on top of each model)


Figure 5. (continued) Summary of selected worst-case-scenario models, percentage of times maximum drifts occur on each wall side, natural periods of first 3 modes of vibration $T_{1}, T_{2}, T_{3}$ (displayed on top of each model)


Figure 6. Median maximum drifts at $\mathrm{S}_{\mathrm{a}}=0.1 \mathrm{~g}-2.0 \mathrm{~g}$ for all case study models


Figure 7. Effect of shape ratio in terms of median maximum drifts at $\mathrm{S}_{\mathrm{a}}=0.5 \mathrm{~g}$
(a) Rectangular shape

(b) L- shape, $\mathrm{C}_{\mathrm{p}} 30 \%$

(c) Z- shape, $\mathrm{C}_{\mathrm{p}} 10 \%$

Figure 8. Effect of shape ratio in terms of number of drifts exceeding 3\%


Figure 9. Effect of percent cutoff in terms of median maximum drifts at $S_{a}=0.5 \mathrm{~g}$


Figure 10. Effect of cutoff shape ratio and cutoff ratio on median maximum drifts:
(a) T- shape, $\mathrm{R}=1.00, \mathrm{C}_{\mathrm{p}}=20 \%, \mathrm{~S}_{\mathrm{a}}=1.0 \mathrm{~g}$; (b) Z - shape, $\mathrm{R}=0.75, \mathrm{C}_{\mathrm{p}}=30 \%, \mathrm{~S}_{\mathrm{a}}=1.0 \mathrm{~g}$


Figure 11. Effect of cutoff shape ratio and cutoff ratio in terms of number of drifts exceeding $3 \%$ (a) $T$ - shape, $\mathrm{R}=1.00, \mathrm{C}_{\mathrm{p}}=20 \%, \mathrm{~S}_{\mathrm{a}}=1.0 \mathrm{~g}$ (b) Z - shape $\mathrm{R}=0.75, \mathrm{C}_{\mathrm{p}}=$ $30 \%, \mathrm{~S}_{\mathrm{a}}=1.0 \mathrm{~g}$

