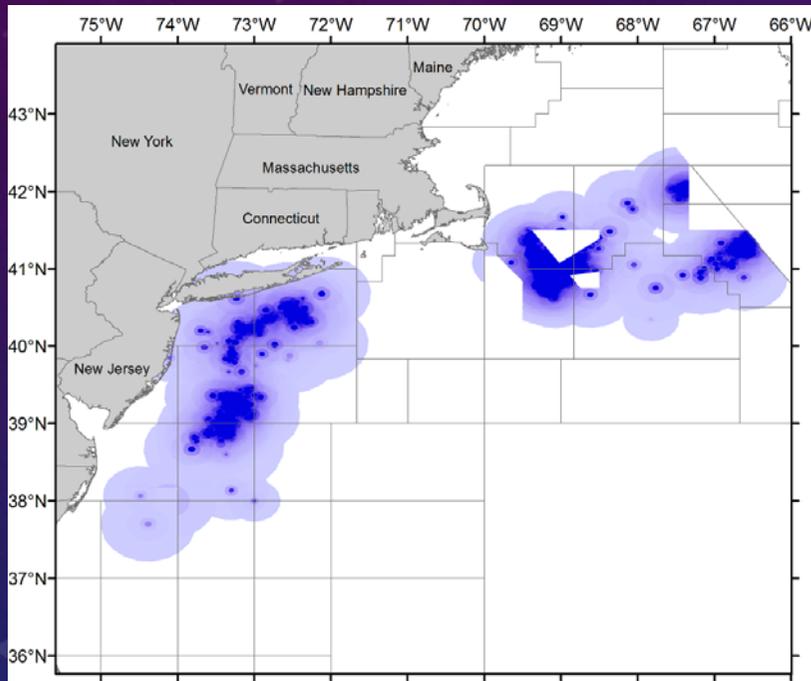
The background features a dark blue gradient with faint, light blue circular patterns and a scale. The scale is a semi-circular arc with tick marks and numbers ranging from 140 to 260. The circular patterns consist of concentric circles and dashed lines, some with arrows indicating direction. The overall aesthetic is technical and scientific.

HOW TO ASSESS THE SPATIAL REPRESENTATION OF FISHERY'S REVENUES? A METHOD COMPARISON

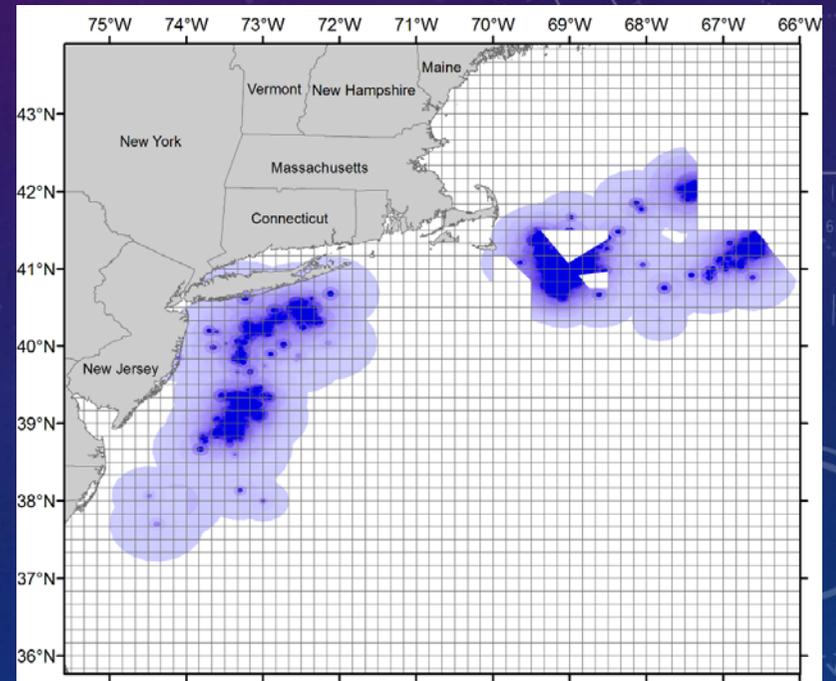
ANGELA MUENCH & GERET S. DEPIPER

NOAA NORTHEAST FISHERIES SCIENCE CENTER, SOCIAL SCIENCE BRANCH

MOTIVATION



To highlight the differences in the spatial distribution of generated revenues created by the method applied



Example: Scallop revenues 2012

METHOD

- Data
 - Scallop Limited Access Category trips – FY2000-2014 – Scallop dredges
 - Only observed trips (3,228 trips)
 - Metrics: Scallop Revenues
- Method: Transferring revenues into (1) statistical areas and (2) 10'-square grid (TMSQ) based on:
Baseline: Fishing time spend in the area – Observer data
 1. Aggregation of fishing location – logbook data (single lat/lon per gear & statistical area)
 2. Probabilistic distribution of fishing revenues– logbook data (CDF of single lat/lon per gear & statistical area)
 3. Aggregation of VMS predicted location & weighted fishing time

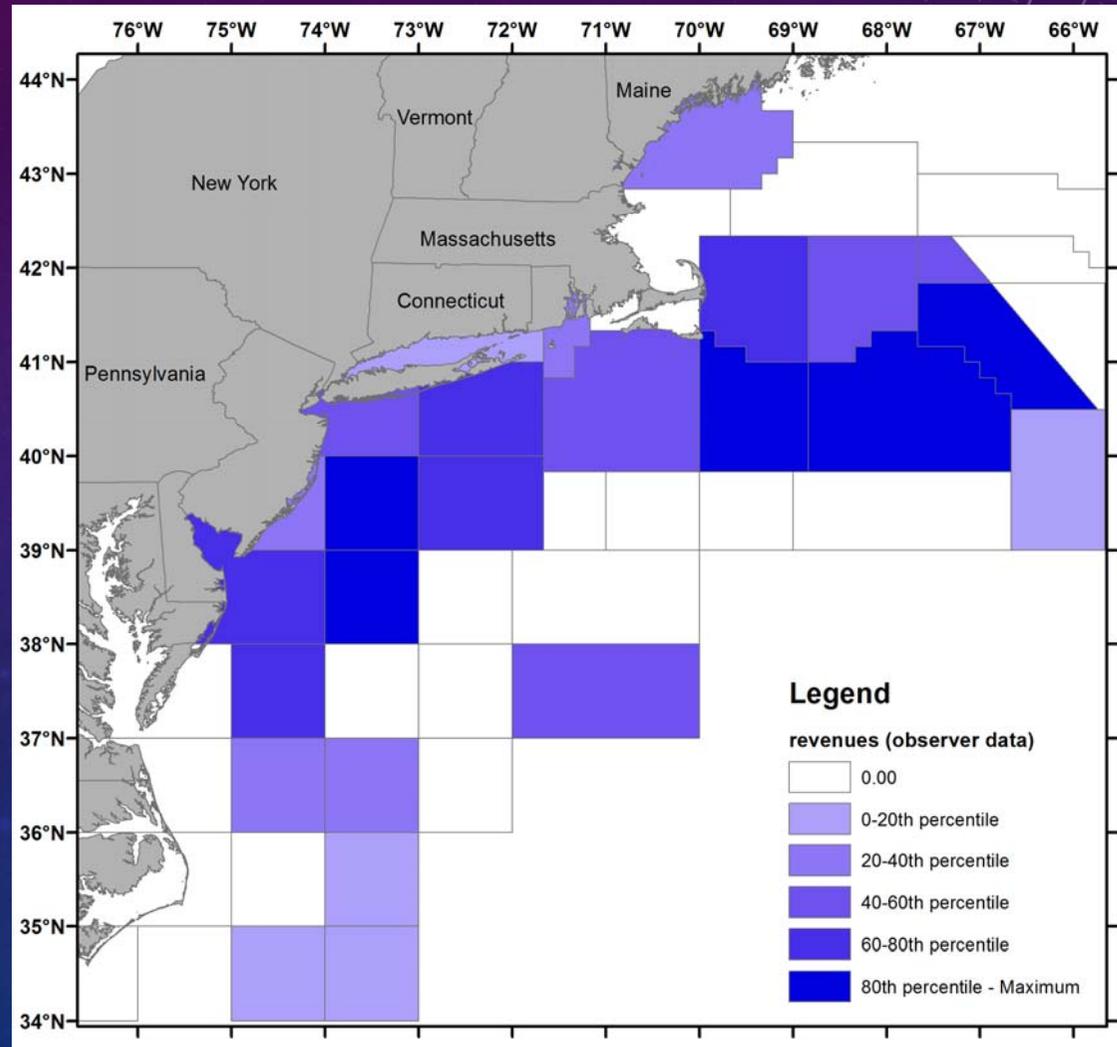
VMS - AGGREGATION

- $\Pr(Y = 1 | x) = F(x, \beta) = \frac{e^{x'\beta}}{1+e^{x'\beta}}$
- $Y=1 \rightarrow$ observed fishing at VMS poll
- x - covariates including: speed, speed range, seabed depth, time,
- $E(\Pr(Y=1))$ if $\Pr(V_i) \geq \Pr(\bar{V}_t)$ with V_i -VMS poll i and V_t all VMS polls belonging to a trip
- $w_i = \Pr(V_i) / \sum_{t_n=1}^N \Pr(V_i)$ if $\Pr(V_i) \geq \Pr(\bar{V}_t)$
- Weighted fishing time: $w_i(t_{V_i} - t_{V_{i-1}}) / \sum_{t_n=1}^N t_{V_i}$ if $\Pr(V_i) \geq \Pr(\bar{V}_t)$ with $t_{V_i} - t_{V_{i-1}}$ - lag time of VMS fishing poll i
- Fraction of weighted fishing time as base to distribute revenues of the trip

RESULTS

STATISTICAL AREAS

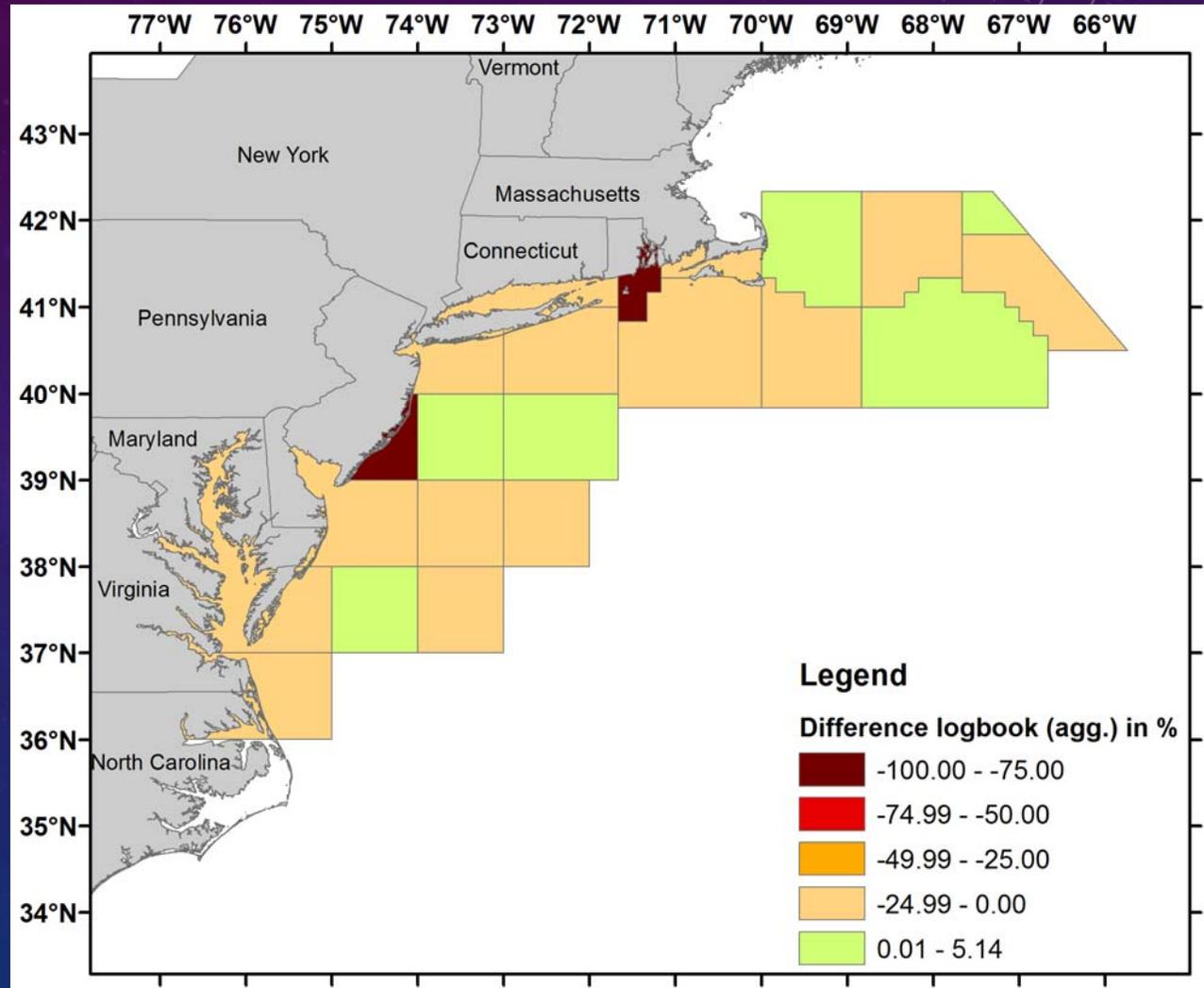
- Spatial distribution of revenues according to observed fishing time (median for FY2000-14)



RESULTS

STATISTICAL AREAS

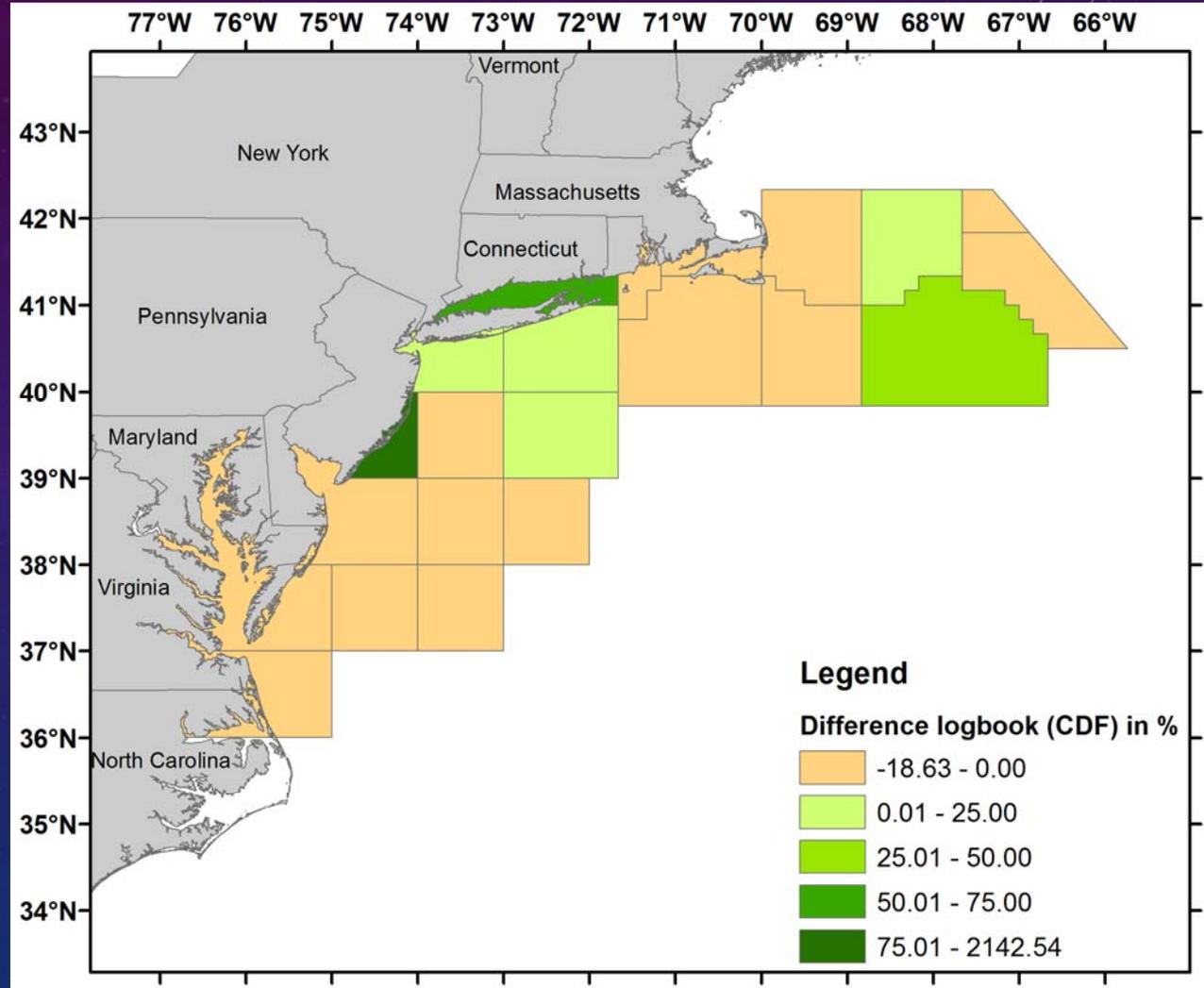
- Spatial distribution of difference between logbook (agg.) and observer data (median for FY2000-14)
- 10-90% of CDF between -100-24.8 %



RESULTS

STATISTICAL AREAS

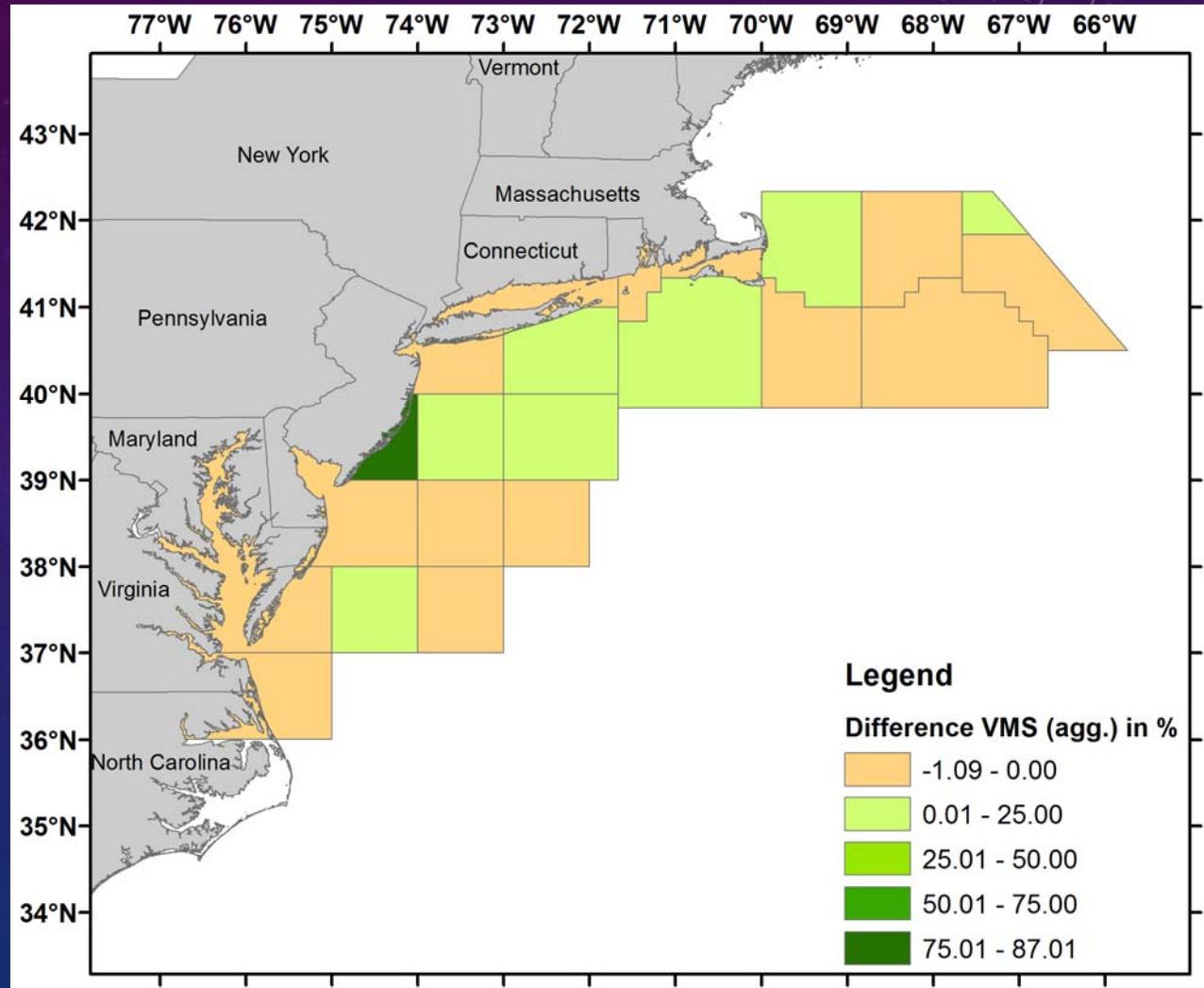
- Spatial distribution of difference between logbook (CDF) and observer data (median for FY2000-14)
- 10-90% of CDF between -33.8-158.9 %



RESULTS

STATISTICAL AREAS

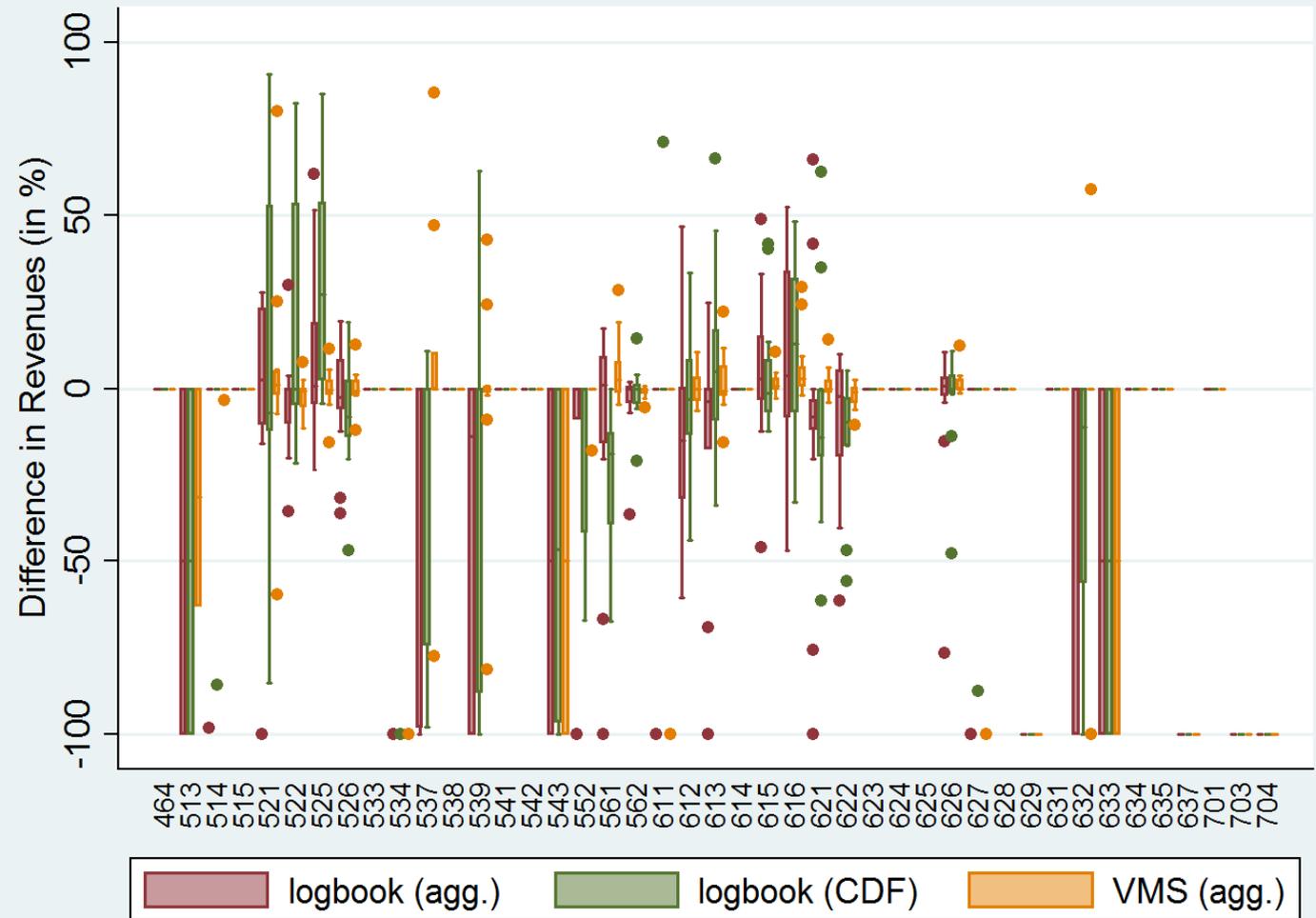
- Spatial distribution of difference between VMS (agg.) and observer data (median for FY2000-14)
- 10-90% of CDF between -7.1-16.6 %



RESULTS

STATISTICAL AREAS

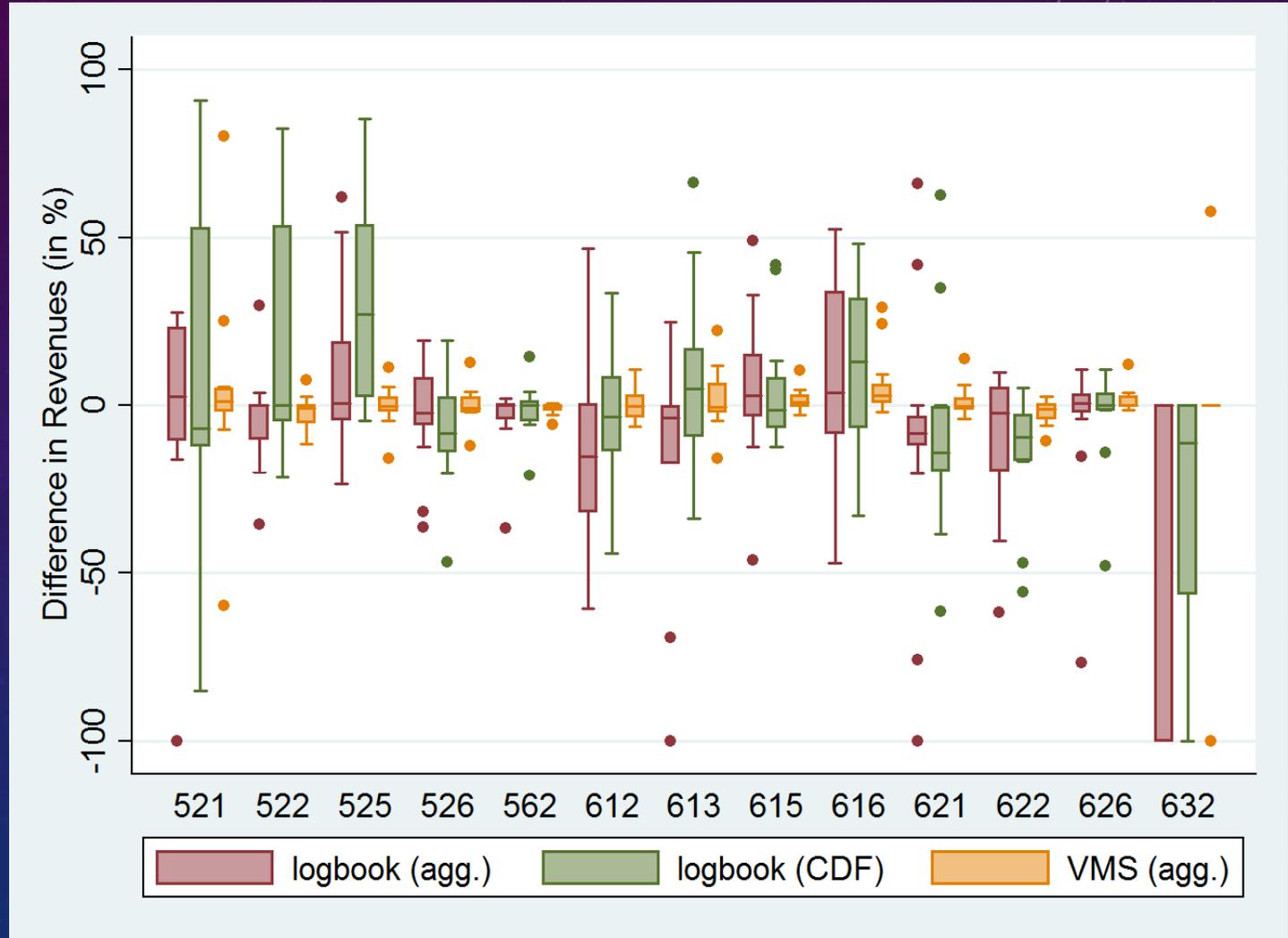
- Difference in spatial distribution of revenues
- All statistical areas FY2000-14
- Baseline: observer data



RESULTS

STATISTICAL AREAS

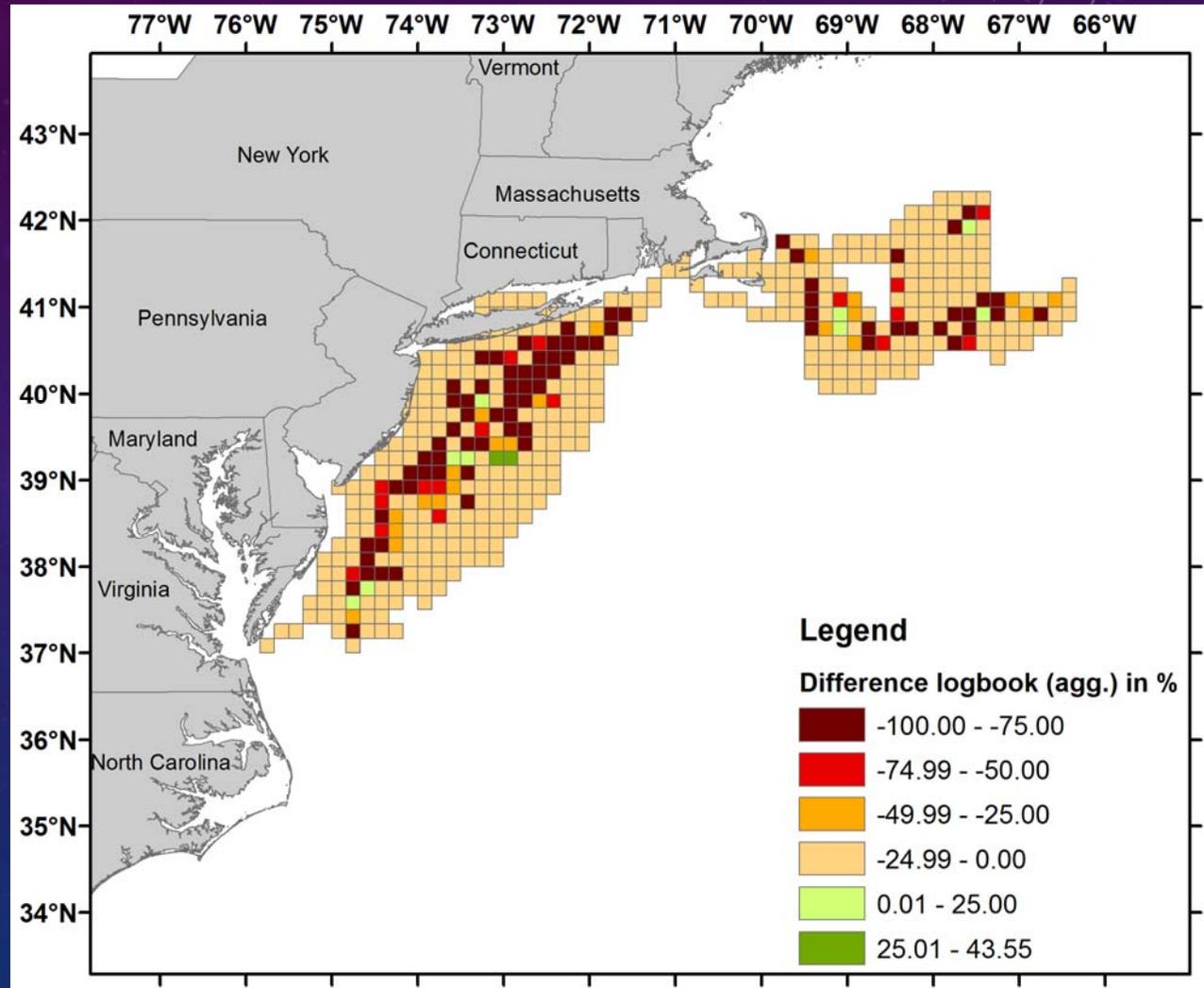
- Difference in spatial distribution of revenues
- Top5 statistical areas in the respective FY2000-14 (75 % of the revenues)
- Baseline: observer data



RESULTS

TMSQ

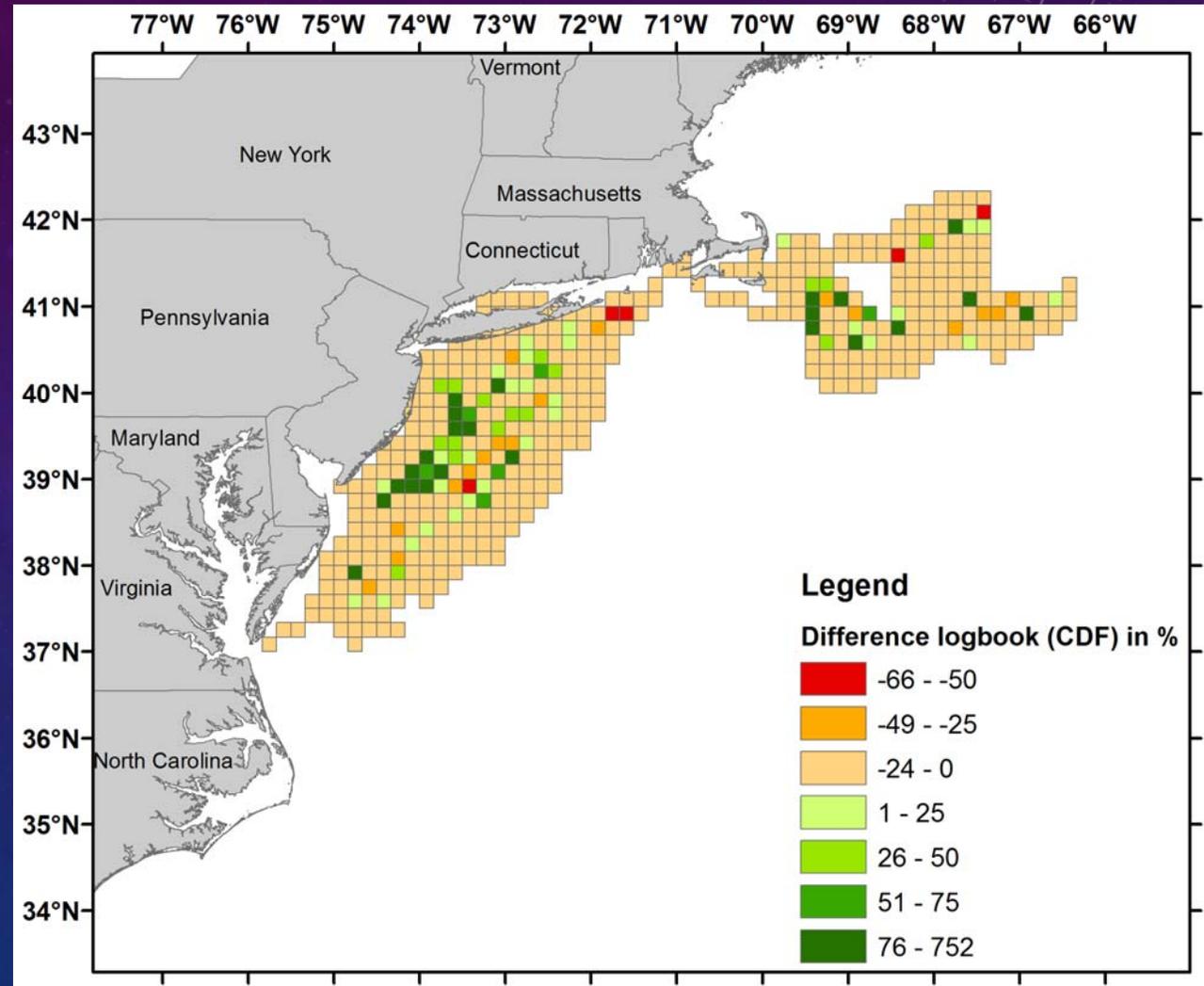
- Spatial distribution of difference between logbook (agg.) and observer data (median for FY2000-14)
- 10-90% of CDF between -100-0 %



RESULTS

TMSQ

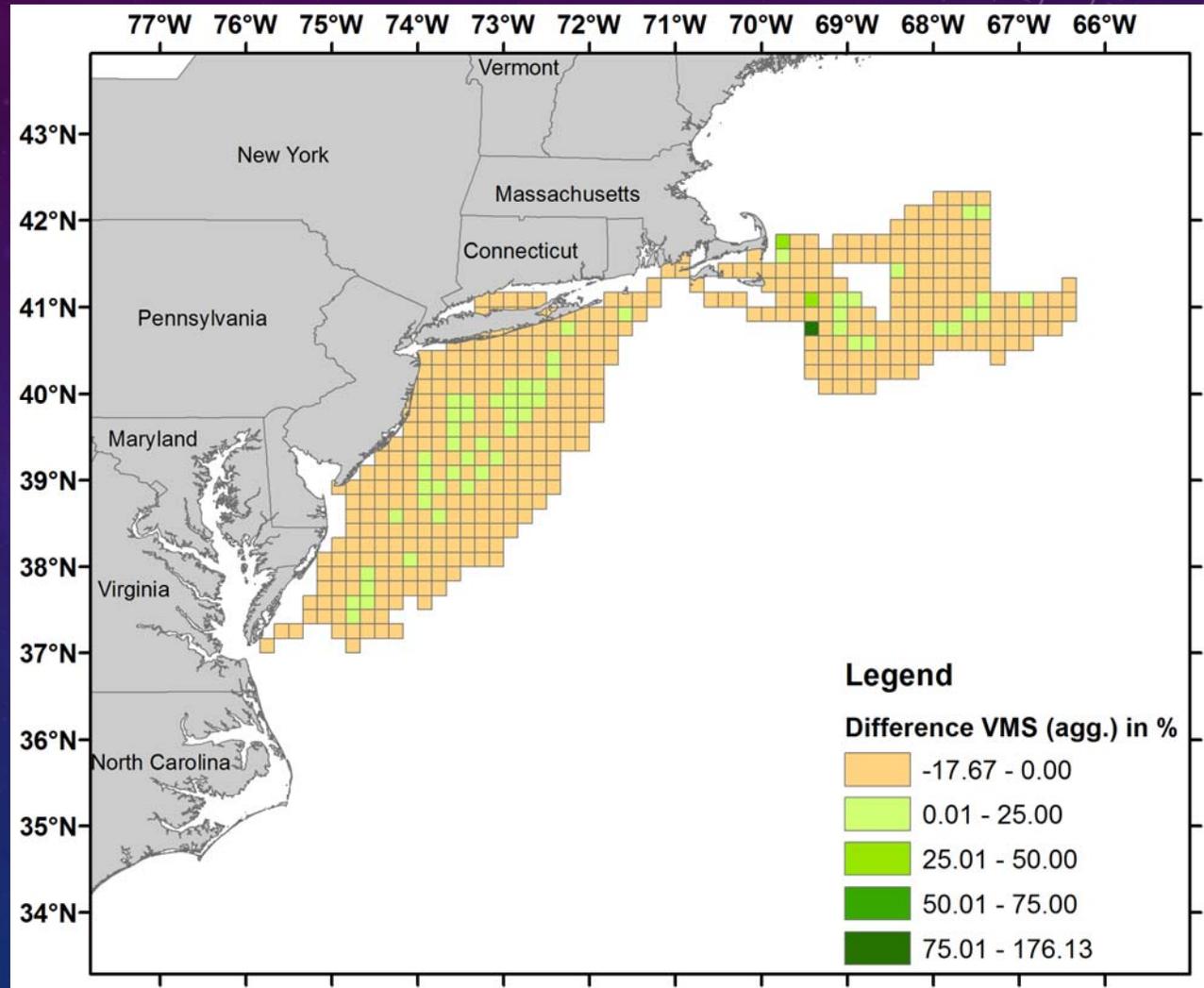
- Spatial distribution of difference between logbook (CDF) and observer data (median for FY2000-14)
- 10-90% of CDF between -26.7-189.7 %



RESULTS

TMSQ

- Spatial distribution of difference between VMS (agg.) and observer data (median for FY2000-14)
- 10-90% of CDF between -15.2-7.8 %



CONCLUSION

Statistical Area

- VMS approach comes closest to observer data
- VTR approaches (agg. & CDF) – mixed results

TMSQ

- VMS seems to be the most accurate prediction
- VTR (CDF) tends to over-predict slightly, while VTR (agg.) rather heavily under-predicts the generated revenues