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# A novel electrochemical system with adiabatic pre-charging and pre-discharging processes for efficient refrigeration

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# ABSTRACT

The extraordinary thermal-to-electricity conversion efficiency of thermally regenerative electrochemical cycle triggers interest in its reverse counterpart, namely thermally regenerative electrochemical refrigerator (TRER), a promising alternative to conventional cooling devices. Nevertheless, due to three fundamental obstacles, the practically feasible TRER model is still absent, which hinders the development of follow-up research. To break this bottleneck, heating by discharging and cooling by charging effects are innovatively utilized to construct TRER models where the electrochemical counterparts of traditional adiabatic compression and expansion processes, namely adiabatic pre-charging and pre-discharging processes, are proposed and introduced. Significantly, the maximum coefficient of performance (COP) and the COP at maximum cooling power are predicted to achieve up to 40% and 5% of Carnot COP, respectively for the given values of parameters. Moreover, the great potential for efficient refrigeration is highlighted by comparing the obtained results with various refrigeration systems. This work lays the foundation for further experimental investigations and opens a new avenue for constructing other novel electrochemical cycles.

#### 1. Introduction

The widely used vapor-compression refrigeration systems consume approximately 10% of the electricity generated worldwide [1] and represent a significant fraction of the gas emission contributing to ozone depletion and global warming [2], which fuels the global energy crisis and environmental problems. Regarding this concern, various novel refrigeration technologies, such as adsorption refrigeration [3], thermoelectric cooling [4,5], magnetic refrigeration [6], barocaloric refrigeration [7], thermal Brownian refrigeration [8], thermionic refrigeration [9], and energy selective electron cooling [10] have been continually proposed and extensively studied. Although the fundamental understanding and practical improvement have been remarkable, these alternatives are still facing the challenges in efficiency, cost, and system complexity to compete with conventional refrigerators. Consequently, it is of great significance to further explore better refrigeration technologies.

Recently, based on the thermogalvanic effect and the temperature dependence of electrode potential, a novel thermally regenerative electrochemical cycle (TREC) employing highly reversible electrode materials with low polarization has been put forward for efficiently harvesting low-grade thermal energy [11]. Notably, a high thermal-toelectricity conversion efficiency of 5.7%, corresponding to approximately 38% of Carnot efficiency, is achieved when the system is operated between 10 and 60 °C [11]. The extraordinary conversion efficiency in both high and low temperature applications, along with the merits of reliability, quietness, and environmental friendliness, has triggered the heated researches about TERC once again. Considerable efforts have been dedicated to exploring materials with larger temperature coefficient [12-15] and lower resistance [16]. To minimize costs, simplify the system, and achieve continuous power output, membranefree [17], charging-free [18,19], and continuous [19-24] TREC systems have been proposed, respectively. Besides, several objective functions [24,25] have been adopted to provide more comprehensive operation criteria. In addition, various electrochemical cycle configurations, such as electrochemical Carnot cycle [26] and electrochemical Brayton cycle [27], have been presented, analyzed, and compared. Moreover, with the superiority of wide adaptability, various TREC-based hybrid systems [28–30] have been presented and investigated.

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Nomenclature		$\varepsilon_{rep}$	reported coefficient of performance			
		η	efficiency			
Latin letters		$\eta_{re}$	regenerative efficiency			
$C_p$	heat capacity $(J/K)$	τ	overall cycle time (s)			
$C_q$	charge capacity (C)	C. 1				
$c_p$	specific heat capacity $(J/(K \cdot kg))$	Subscript	1			
$c_q$	specific charge capacity $(C/kg)$	C	low temperature neat source			
F	Faraday constant ( <i>C</i> / <i>mol</i> )	C 1	low cell temperature in the isothermal process			
Ι	electric current (A)	ch 1:	charging process			
Κ	heat transfer coefficient $(W/K)$	dis	discharging process			
$K_L$	heat leakage coefficient $(W/K)$	H	high temperature heat source			
Μ	number of cells in one cell pack	h ·	high cell temperature in the isothermal process			
Ν	total number of cells adopted	J	the <i>j</i> th chemical involved			
n <sub>e</sub>	number of electrons transferred	max	maximum			
Р	power input (W)	0C	open circuit state			
Q	heat (J)	pcn	pre-charging process			
$Q_{ad}$	additional heat required to attain objective temperatures	pais	pre-discharging process			
	(J)	Кт	maximum cooling power state			
$Q_e$	electrode charge (C)	εm	maximum coefficient of performance sate			
$Q_L$	heat leakage $(J)$	Abbreviations				
$Q_{re}$	regeneration heat (J)	COP	coefficient of performance			
R	cooling power (W)	Cu	copper			
R <sub>int</sub>	internal resistance ( $\Omega$ )	Cu2+	cupric			
S	entropy (J/K)	CuHCF	copper hexacyanoferrate			
\$	partial molar entropy $(J/(K \cdot mol))$	Gd	gadolinium			
Т	temperature (K)	HC	high-current operating mode			
$T_c^{\prime}$	cell temperature after the cooling regeneration process (K)	LC	low-current operating mode			
$T_{h}$	cell temperature after the heating regeneration process (K)	ROB	reflection over the barrier			
ť	time (s)	R1234yf	2,3,3,3-tetrafuoropropene			
V	voltage (V)	R1234ze	R1234ze(E) trans-1,3,3,3-tetrafluoroprop-1-ene			
ν	stoichiometric number	R290	propane			
		TREC	thermally regenerative electrochemical cycle			
Greek letters		TRER	thermally regenerative electrochemical refrigerator			
$\alpha_c$	temperature coefficient $(V/K)$	TRERs	thermally regenerative electrochemical refrigerator with			
ε	coefficient of performance		multiple cells			
€ <sub>Car</sub>	Carnot coefficient of performance					

The remarkable performance of a thermodynamic system usually implies its promising reverse counterpart. Hence, it is natural to come up with the idea of reversing TREC for cooling purpose. Surprisingly, the literature review shows that compared to the tremendous theoretical and experimental research progress of TREC, the studies on its reversed system, i.e., thermally regenerative electrochemical refrigerator (TRER), are hardly developed. Insightful inspections reveal that the underlying reason for this little progress is the absence of a practically feasible TRER model serving as the cornerstone for further development. After scrutinizing the thermally regenerative electrochemical system, it turns out to be impossible to achieve independent refrigeration in practice by simply reversing TREC. Three major obstacles encountered are as follows: (1) the unavoidable regeneration losses; (2) heat cannot flow from a cold object to a hot one spontaneously; (3) the temperature of the thermogalvanic cell cannot be changed by compression and expansion, a feature well different from the gaseous working substance.

Attending the above comments, breaking through the bottleneck of the thermodynamic modeling and investigating the performance characteristics of TRER are of theoretical and practical significance. In the present work, a TRER model with practical feasibility is established for the first time by innovatively introducing the counterparts of traditional adiabatic compression and expansion processes in electrochemical systems, i.e., the adiabatic pre-charging and pre-discharging processes. Moreover, to achieve continuous refrigeration, the thermally regenerative electrochemical refrigerator model with multiple thermogalvanic cells (TRERs) is further constructed. Based on the proposed TRERs

model, the cooling power, coefficient of performance (COP), and continuous refrigeration criterion are analytically derived. The main performance characteristics and optimally operating region are obtained and discussed. In addition, the COPs of various refrigeration systems reported in previous research are collected to highlight the competitive performance of the proposed TRERs. The present work not only lays the foundation for the experimental investigations and further developments of TRER but also paves the way for the construction of other novel thermally regenerative electrochemical cycle systems.

# 2. Materials and methods

# 2.1. Electrode materials

The thermogalvanic cell with highly reversible electrode materials proposed in Ref. [11] is employed to construct TRER in the present work. Specifically, copper hexacyanoferrate (CuHCF) and copper/cupric  $(Cu/Cu^{2+})$ , with the benefits of low heat capacity, high charge capacity, and high absolute value of temperature coefficient, are selected as the active materials of cathode and anode, respectively. Consequently, the values of internal resistance, temperature coefficient, specific heat capacity, and specific charge capacity of the thermogalvanic cell can be determined [11].

# 2.2. TRER(s) model construction and operation

The TRER model constructed by simply reversing TREC is schematically depicted in Fig. 1, where 1-2 and 3-4 are two isothermal processes with constant temperatures  $T_c$  and  $T_h$ , respectively; 2–3 and 4–1 are two regenerative processes;  $T_H$  and  $T_C$  are the temperatures of the hot and cold heat reservoirs, respectively. Nevertheless, after scrutinizing the details of the TRER shown in Fig. 1, it turns out to be practically infeasible to complete a refrigeration cycle due to the following reasons: 1. the regeneration loss is inevitable in practice; 2. heat cannot flow from a cold object to a hot one spontaneously. Consequently, considering the non-ideal regeneration and the facts  $T_h > T_H$  and  $T_c < T_C$ , the objective temperatures of the cell (i.e.,  $T_h$  and  $T_c$ ) are not attainable without the support of auxiliary heating and cooling devices [31]. In other words, the four processes shown in Fig. 1 are not enough to form a proper and feasible TRER device. Additionally, different from the gaseous working substance, the temperature of the cell cannot be changed by compression and expansion, which makes trouble for the thermodynamic modeling of TRER.

In order to overcome the abovementioned flaws and bottlenecks, a novel TRER model is proposed in this work, as shown in Fig. 2a. Specifically, the thermogalvanic cell undergoes six processes to complete a refrigeration cycle. In process 1-2, the cell is charged at a constant temperature  $T_c$  while absorbing heat from the cooled space with temperature  $T_C$  resulting from the electrochemical reaction. After being charged, the cell is heated up from  $T_c$  to  $T'_h$  at open circuit condition in process 2-3 by means of the absorbed regeneration heat Qre. To attain the objective temperature  $T_h$ , an additional process 3–4 named predischarging process is introduced, during which the cell is discharged adiabatically. Accordingly, the cell temperature is raised in this process by absorbing the Joule heat and electrochemical reaction heat. And then the cell is discharged at constant temperature  $T_h$  by delivering heat into the environment with temperature  $T_H$  in process 4–5. Process 5–6 is just opposite to process 2–3, so the cell temperature decreases from  $T_h$  to  $T_c$ by releasing the regenerative heat. At the end, another additional process 6-1 is essential for the cell to go back to the initial state with temperature  $T_c$ . In such process, named as pre-charging process, the cell is charged adiabatically and cooled down from  $T_c$  to  $T_c$  due to thermogalvanic effect. Additionally,  $Q_L$  in Fig. 2a stands for the external heat leakage between two reservoirs. The absorbed and released heat in the abovementioned six processes will be given in detail in the next subsection. Moreover, it is worth mentioning that the rise and fall of the cell temperature in the pre-charging and pre-discharging processes can be partly replaced by adding another two heat exchanging processes between the cell and two heat reservoirs. Whereas, the complexities of the system will be greatly enhanced by constructing such an eight-process TRER model.



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It is interesting to point out that the proposed adiabatic pre-charging and pre-discharging processes can be regarded as the counterparts of traditional adiabatic compression and expansion processes since the temperatures of working substances are all changed by the input or output work in these processes. However, the temperature variations of the cell due to the input and output work are just opposite to the traditional adiabatic compression and expansion processes because of the negative temperature coefficient in the present case.

Owning to the negative temperature coefficient, the voltages of the charging and pre-charging processes are higher than the corresponding voltages of the discharging and pre-discharging processes. As a consequence, the TRER is driven by external power to fulfill refrigeration after going through the aforementioned six processes.

Nevertheless, the reciprocating operation of the abovementioned TRER cycle implies intermittent refrigeration. Moreover, the thermal energy storage device is necessary for the regeneration. Regarding this issue, a TRER system with continuous refrigeration is further established by employing more cells, which is denoted by TRERs and shown in Fig. 2b. Specifically, N identical thermogalvanic cells divided into identical N/M cell packs are used to construct the TRERs model. The M thermogalvanic cells packed together experience the charging, discharging, pre-charging, and pre-discharging processes simultaneously. Note in Fig. 2b that there are always *M* thermogalvanic cells contacting and absorbing heat from the cooled space during an overall cycle. Accordingly, continuous refrigeration can be achieved.

# 2.3. Main performance parameters and continuous refrigeration condition

In this subsection, the analytical expressions of cooling power and COP are derived based on the established TRERs model.

By considering thermogalvanic and Joule heat effects, the net heat released into the environment and absorbed from cooled space by one cell pack in a cycle are given by [20,21,25]

$$Q_{dis} = M(|\alpha_c|T_h I_{dis} t_{dis} + I_{dis}^2 R_{int} t_{dis})$$
<sup>(1)</sup>

and

$$Q_{ch} = M(|\alpha_c|T_c I_{ch} t_{ch} - I_{ch}^2 R_{int} t_{ch})$$
<sup>(2)</sup>

respectively, where  $t_{ch}$  and  $t_{dis}$  are the time durations of charging and discharging processes for one cell pack, respectively, Ich and Idis denote the corresponding currents, and R<sub>int</sub> indicates the internal resistance of one cell. Additionally, in Eqs. (1) and (2),  $\alpha_c$  is the temperature coefficient, which is assumed to be a constant and can be expressed as [11,25]

$$\alpha_c = \frac{\partial V_{oc}}{\partial T} = \frac{\sum v_j s_j}{n_e F}$$
(3)

where  $V_{oc}$  is the open circuit voltage of one cell,  $n_e$  denotes the number of electrons transferred in the reaction, F stands for Faraday constant,  $v_i$ and  $s_i$  are the stoichiometric number and partial molar entropy of the *j*th chemical involved.

Moreover, the heat transferred between the cell pack and two heat sources are assumed to obey linear heat transfer law, namely,

$$Q_{dis} = MK_h(T_h - T_H)t_{dis} \tag{4}$$

and

$$Q_{ch} = MK_c (T_C - T_c) t_{ch}$$
<sup>(5)</sup>

where  $K_h$  and  $K_c$  are the associated heat transfer coefficients. The cell temperatures in the charging and discharging processes can be deduced based on Eqs. (1), (2), (4), and (5), namely,

$$T_h = \frac{K_h T_H + I_{dis}^2 R_{int}}{K_h - |\alpha_c| I_{dis}}$$
(6)





Fig. 2. (a) The T-S and schematic diagrams of the proposed six-process TRER and (b) the schematic diagram of a continuous refrigeration TRER with N thermogalvanic cells (TRERs), where  $Q_{re}$  and  $Q_L$  denote the regeneration heat and the external heat leakage in one cycle.

and

$$T_c = \frac{K_c T_C + I_{ch}^2 R_{int}}{K_c + |\alpha_c| I_{ch}}$$
<sup>(7)</sup>

respectively.

As shown in Fig. 2, the charging (discharging) process is followed by the regenerative heating (cooling) process. Nevertheless, ideal regeneration can be only achieved with infinite regenerative time and infinite cell packs, which implies practical infeasibility. Accordingly, the nonideal regeneration should be considered, and the corresponding regenerative efficiency is defined as [20,21]

$$\eta_{re} = \frac{2t_{re}}{\tau} \tag{8}$$

where  $t_{re}$  and  $\tau$  are the regenerative time and overall cycle time, respectively.

Due to non-ideal regeneration, the temperatures of the cell packs after regeneration are

$$T_h = T_c + (T_h - T_c)\eta_{re}$$
<sup>(9)</sup>

and

$$T'_c = T_h - (T_h - T_c)\eta_{re} \tag{10}$$

respectively. To reach the objective temperatures  $T_h$  and  $T_c$ , the additional thermal energy

$$Q_{ad} = MC_p(1 - \eta_{re})(T_h - T_c) \tag{11}$$

is required to be absorbed and released by the cell pack, respectively. In Eq. (11),  $C_p$  is the heat capacity of one cell. Note in Eq. (11) that  $Q_{ad} = 0$  when  $\eta_{re} = 1$ . Nevertheless, this part of thermal energy cannot be compensated by the heat exchanging processes with two heat reservoirs due to  $T_h > T_H$  and  $T_c < T_C$ . Moreover, the traditional approach for the gaseous working substance by compression and expansion is not suitable in the present case. Consequently, the effects of heating by discharging and cooling by charging are the key notion for the construction of the TRER(s). Specifically, the adiabatic pre-charging and pre-discharging processes are innovatively introduced to lower and raise the temperature of the cell, respectively.

At reversible condition, the dependence of the temperature variation on the amount of charge transferred can be deduced by using the adiabatic condition, isobaric condition, and Maxwell relation, namely

$$dT = \left(\frac{\partial S}{\partial T}\right)_{Q_e}^{-1} \left(\frac{\partial V}{\partial T}\right)_{Q_e} dQ_e = \frac{T}{C_p} \alpha_c dQ_e$$
(12)

where  $Q_e$  is the electrode charge,  $dQ_e$  is the amount of charge transferred from negative electrode to positive electrode, *S* and *V* are the entropy and voltage of one cell, respectively. In order to take the irreversibility into account while rendering more feasible calculations, the average temperatures  $(T_c + T'_c)/2$  and  $(T_h + T'_h)/2$  are adopted, respectively, to calculate the net thermal energies consumed and generated by one cell pack during the pre-charging and pre-discharging processes approximatively, i.e.,

$$Q_{pch} = \frac{1}{2}M|\alpha_{c}|I_{pch}t_{pch}(T_{c} + T_{c}) - MI_{pch}^{2}R_{int}t_{pch}$$
(13)

and

$$Q_{pdis} = \frac{1}{2}M|\alpha_c|I_{pdis}t_{pdis}(T_h + T_h^{'}) + MI_{pdis}^2R_{int}t_{pdis}$$
(14)

where  $t_{pch}$  and  $t_{pdis}$  are the time durations of the pre-charging and predischarging processes for one cell pack; and  $I_{pch}$  and  $I_{pdis}$  denote the corresponding currents. In Eqs. (13) and (14), the first terms are the thermal energies consumed and generated due to thermogalvanic effect, while the second terms correspond to the associated Joule heat.

By considering the adiabatic condition, the generated and consumed thermal energies lead to the rise and fall of the cell temperature, respectively. To reach the objective temperatures  $T_h$  and  $T_c$ , the relation

$$Q_{pch} = Q_{pdis} = Q_{ad} \tag{15}$$

should be satisfied.

Additionally, steady and continuous operation requires that  $t_{ch} = t_{dis} = t_{pch} = t_{pdis} \equiv t$ . Besides, noting that all the cell packs inside the TRERs are equivalent and there are *M* cells experiencing the charging, discharging, pre-charging, and pre-discharging processes simultaneously, one has

$$t = \frac{M}{N}\tau \tag{16}$$

and

 $\tau = 4t + 2t_{re}$ 

The substitution of Eqs. (16) and (17) into Eq. (8) yields

$$\eta_{re} = 1 - \frac{4M}{N} \tag{18}$$

It can be realized from Eq. (18) that the regenerative efficiency approaches 1 at the condition  $M/N \rightarrow 0$ , as expected. In contrast, Eq. (18) also indicates that the minimum value of N/M is 4 with corresponding regenerative efficiency  $\eta_{re} = 0$ . In this case, the six-process cycle degenerates into a four-process cycle. In addition, the following relation

$$N - 4M = 2kM \ (k = 0, 1, 2...) \tag{19}$$

can be deduced by considering the continuous refrigeration operation and the regenerative symmetry of the system. In Eq. (19), 2kM denotes the cells going through the regenerative processes, while 4M represents the 4 cell packs experiencing the charging, discharging, pre-charging, and pre-discharging processes simultaneously.

Besides, it is necessary to further consider the external heat leakage loss between the environment and the cooled space existing inevitably in practice. By assuming Newton's law, the external heal leakage in one cycle can be expressed as

$$Q_L = K_L (T_H - T_C) \tau \tag{20}$$

where  $K_L$  is the associated heat leakage coefficient.

Based on the above discussions, three important performance indicators, namely, the cooling power, power input, and COP of the TRERs, can be obtained as

$$R = \frac{Q_{ch}}{t} - \frac{Q_L}{\tau} = M(|\alpha_c|T_c I_{ch} - I_{ch}^2 R_{int}) - K_L(T_H - T_C)$$
(21)

$$P = \frac{Q_{dis} - Q_{ch}}{t} = M[|\alpha_c|(T_h I_{dis} - T_c I_{ch}) + (I_{dis}^2 + I_{ch}^2)R_{int}]$$
(22)

and

$$\varepsilon = \frac{R}{P} = \frac{M(|\alpha_c|T_c I_{ch} - I_{ch}^2 R_{int}) - K_L(T_H - T_C)}{M[|\alpha_c|(T_h I_{dis} - T_c I_{ch}) + (I_{dis}^2 + I_{ch}^2) R_{int}]}$$
(23)

respectively.

### 3. Results and discussion

#### 3.1. Constraints between four currents

Note in Eqs. (6), (7), and (21)–(23) that  $I_{ch}$  and  $I_{dis}$  are two control parameters for a given TRERs. Whereas,  $I_{ch}$  and  $I_{dis}$  are constrained by the law of charge conservation, i.e.,

$$C_q/t = I_{ch} + I_{pch} = I_{dis} + I_{pdis}$$
<sup>(24)</sup>

where  $C_q$  is the charge capacity of one cell.

Substituting Eqs. (9)-(11), (13), (14), (16), and (24) into Eq. (15), one has

$$(1 - \eta_{re})\frac{c_p}{c_q}(T_h - T_c)(I_{dis} + I_{pdis}) = \frac{1}{2}|\alpha_c|I_{pdis}[T_h + T_c + (T_h - T_c)\eta_{re}] + I_{pdis}^2 R_{int}$$
(25)

and

$$(1 - \eta_{re})\frac{c_p}{c_q}(T_h - T_c)(I_{ch} + I_{pch}) = \frac{1}{2}|\alpha_c|I_{pch}[T_h + T_c - (T_h - T_c)\eta_{re}] - I_{pch}^2 R_{int}$$
(26)

where  $c_p$  and  $c_q$  are the specific heat and charge capacity of the cell, respectively. Notably, Eqs. (24)-(26) imply only one independent current for a given TRERs. More specifically, all parameters of the system will be determined if only one of the four currents is given.

In the following discussions,  $I_{ch}$  is selected as the control parameter since Eqs. (7) and (21) indicate that the cooling power can be uniquely determined by  $I_{ch}$  for a given TRERs. Unfortunately, the analytical solutions of  $I_{pch}$ ,  $I_{dis}$ , and  $I_{pdis}$  as the functions of  $I_{ch}$  are not analytically available. In consequence, numerical calculation is used to analyze the performance characteristics of the TRERs.

By using Eqs. (6), (7), (18), (24)-(26), and conservation of charge, the dependences of  $I_{pch}$ ,  $I_{dis}$ , and  $I_{pdis}$  on  $I_{ch}$  are numerically generated, as shown in Fig. 3. It can be seen from Fig. 3 that there exists a maximum value of charging current  $I_{ch,max}$  corresponding to the unique solutions of  $I_{pch}$ ,  $I_{dis}$ , and  $I_{pdis}$ . Nevertheless, for other values of  $I_{ch} < I_{ch,max}$  there are two possible solutions of  $I_{pch}$ ,  $I_{dis}$ , and  $I_{pdis}$  corresponding to high-current (HC) and low-current (LC) operating modes, respectively. Moreover, when  $I_{ch} > I_{ch,max}$  the physically acceptable solutions of  $I_{pch}$ ,  $I_{dis}$ , and  $I_{pdis}$ cannot be found, which implies the TRERs is disabled.

#### 3.2. $R - I_{ch} - \eta_{re}$ performance characteristics

The behaviors of *R* varying with  $I_{ch}$  and  $\eta_{re}$  are presented in Fig. 4 by using Eqs. (6), (7), (18), (21), (24)-(26). It is shown by Fig. 4 that for a given value of  $K_L$ , *R* is fully determined by  $I_{ch}$  and independent of  $\eta_{re}$ . This behavior is consistent with Eqs. (7) and (21). Nevertheless, the value of  $I_{ch,max}$  increases as  $\eta_{re}$  grows, which can be explained as follows. With the decrease of  $\eta_{re}$ , more capacity of the cell needs to be distributed to the pre-charging and pre-discharging processes to achieve the objective temperatures. In consequence, the value of  $I_{ch}$  is limited in the light of Eqs. (24) and (26).

Moreover, Fig. 4a indicates that when the value of  $I_{ch,max}$  ( $\eta_{re}$ ) is small, R is a monotonically increasing function of  $I_{ch}$ . In this case,  $I_{ch,max}$  is just the charging current making R maximum, namely  $I_{ch,max} = I_{ch,Rm}$ . Note that with the increase of  $I_{ch,max}$  ( $\eta_{re}$ ), the curves of  $R - I_{ch}$  become gradually parabolic-like, as expected. The parabolic-like behaviors result from the competition between thermogalvanic and Joule heat effects shown by Eq. (21). Besides, the parabolic-like curves of  $R - I_{ch}$  imply the optimal charging current  $I_{ch,Rm}$  at which R attains its maximum value. Note that  $I_{ch,max}$  is different from  $I_{ch,Rm}$  in this situation. In addition, it can be realized from Fig. 4b that for the parabolic-like curves of  $R - I_{ch}$ ,  $R_{max}$  and the corresponding  $I_{ch,Rm}$  are practically independent on  $\eta_{re}$ .

#### 3.3. $R - I_{ch} - \varepsilon$ performance characteristics

With regard to the influence of  $I_{ch}$  on  $\varepsilon$ , the three-dimensional graphs of *R* varying with  $I_{ch}$  and  $\varepsilon$  are plotted based on Eqs. (6), (7), (18), (21), (23)-(26), which are shown by Fig. 5. It can be clearly seen from Fig. 5 that the variations of *R* with  $I_{ch}$  and  $\varepsilon$  depend on both the values of  $K_L$ and  $\eta_{re}$ . For the convenience of discussion, the three-dimension curves of *R* varying with  $I_{ch}$  and  $\varepsilon$  with different values of  $K_L$  and  $\eta_{re}$  are projected onto the  $R - \varepsilon$  plane, which are depicted in Fig. 6.

Inspection of Figs. 5 and 6 shows that when the value of  $\eta_{re}$  is small ( $\eta_{re} = 0.8$ ), the behaviors of *R* varying with  $\varepsilon$  are parabolic ( $K_L = 0$ ) and loop-shaped ( $K_L > 0$ ), respectively. Whereas the corresponding



Fig. 3. Variations of  $I_{dis}$ ,  $I_{pch}$  and  $I_{pdis}$  with  $I_{ch}$ , where HC and LC denote high-current and low-current modes, respectively. The values of parameters:  $T_H = 303.15K$ ,  $T_C = 283.15K$ ,  $|\alpha_c| = 0.0012V/K$ ,  $R_{int} = 0.015\Omega$ ,  $c_p = 2048J/(K \cdot kg)$ ,  $K_h = K_c = 0.1W/K$ ,  $c_q = 116748C/kg$ ,  $\eta_{re} = 0.8$  (M = 1, N = 20).





**Fig. 4.** 3-D plots of *R* varying with  $I_{ch}$  and  $\eta_{re}$ , where  $K_L = 0.002W/K$ . The other parameters have the same values as those adopted in Fig. 3.

Ich.max

 $I_{ch}(A)$ 

variations become more complicated with high enough regenerative efficiency ( $\eta_{re} = 0.973$ ), which is shown by Figs. 5b and 6c, d. Despite the various behaviors, all the graphs in Fig. 5 indicate that there are two corresponding values of  $\varepsilon$  for a given value of  $I_{ch}$ . These two  $\varepsilon$  values just correspond to the high-current mode and low-current mode mentioned in Fig. 3. To explicitly illustrate the difference, the two operating modes are presented by different line styles in Fig. 6. Figs. 5 and 6 indicate that for a given value of  $I_{ch}$ , the system operating in the low-current mode possesses the same value of R but a higher value of  $\varepsilon$  regardless of the values of  $K_L$  and  $\eta_{re}$ . Accordingly, the TRERs should be always operated in the low-current mode.

On the basis of the above analyses, the optimally operating region of the TRERs at four different cases can be further determined from Figs. 5 and 6, respectively. Specifically, the solid  $R - \varepsilon$  curve in Fig. 6a denotes that there exist an optimal COP  $\varepsilon_{Rm}$  leading to the maximum cooling power  $R_{max}$  and a maximum COP  $\varepsilon_{max}$  with zero cooling power. Notably, the optimally operating region of the TRERs system in this case can be determined, namely  $\varepsilon_{Rm} < \varepsilon < \varepsilon_{max}$  and  $0 < R < R_{max}$ , which is literally

**Fig. 5.** 3-D plots of *R* varying with  $I_{ch}$  and e for different values of  $K_L$  and  $\eta_{re}$ . The other parameters have the same values as those adopted in Fig. 3.

the operating region of low-current mode. In this region, the point with the same value of cooling power but a higher value of COP can be found compared to the corresponding point outside. In addition, the associated operating values of  $I_{ch}$  can be further deduced from Figs. 5 and 6, i.e.,  $0 < I_{ch} < I_{ch,max}$ .

Similar discussions about the solid  $R - \varepsilon$  curves in Fig. 6b–d can give rise to the optimally operating regions and the corresponding  $I_{ch}$  for the other three cases, which are directly listed as follows for saving the length.  $\varepsilon_{Rm} < \varepsilon < \varepsilon_{max}$  and  $R_{em} < R < R_{max}$  is the optimally operating region for Fig. 6b, c, while  $\varepsilon_{Rm} < \varepsilon < \varepsilon_{max}$  and  $0 < R < R_{max}$  is the one for Fig. 6d. The associated optimal values for the charging current are  $I_{ch,em} < I_{ch} < I_{ch,max}$  ( $I_{ch,max} = I_{ch,Rm}$  in this case) for Fig. 6b,  $I_{ch,em} < I_{ch} < I_{ch,Rm}$  for Fig. 6c, and  $0 < I_{ch} < I_{ch,Rm}$  for Fig. 6d.

# 3.4. Influence of parameter M

The above discussions concentrate on the situation with M = 1. Whereas the derivations and the expressions of performance indicators indicate that the number of cells inside one cell pack has great impact on the performance of the TRERs. Using the similar approach to Fig. 6, one can obtain the behaviors of *R* varying with  $\varepsilon$  for the different values of *M*,

<sup>1.0</sup> R (W)

0.5

-0.0 0.978

 $\eta_{re}$ 

0.973

0.964

20.96



Fig. 6. The behaviors of *R* varying with  $\varepsilon$  for different values of  $K_L$  and  $\eta_{re}$ , where HC and LC denote high-current and low-current operating modes, respectively. The other parameters have the same values as those adopted in Fig. 3.

which is shown by Fig. 7. It can be realized from Fig. 7 that for the same value of  $\eta_{re}$  (i.e., the same value of M/N),  $R_{max}$ ,  $\varepsilon_{max}$ ,  $R_{\varepsilon m}$ , and  $\varepsilon_{Rm}$  all increase with M. In other words, the performance of the TRERs can be further enhanced by employing more cells for a given value of  $\eta_{re}$  (i.e., a



**Fig. 7.** The behaviors of *R* varying with  $\varepsilon$  for different values of *N* and *M*, where  $K_L = 0.002W/K$ . The other parameters have the same values as those adopted in Fig. 3.

given value of M/N). Notably, this result is consistent with Eqs. (21) and (23) but may slightly deviate from the practical case since  $K_L$  is assumed to be a constant and independent of the size of the system (the value of N) for the convenience of discussion in the present study.

# 3.5. Influence of $\eta_{re}$ on $R_{max}$ , $\varepsilon_{max}$ , $R_{\varepsilon m}$ , and $\varepsilon_{Rm}$

On the basis of the above analyses, the variations of  $R_{\text{max}}$ ,  $\varepsilon_{\text{max}}$ ,  $R_{\varepsilon m}$ , and  $\varepsilon_{Rm}$  with  $\eta_{re}$  can be further generated by using Eqs. (6), (7), (18), (21), (23)-(26). This is shown in Fig. 8. Note that not all the values of  $\eta_{re}$ are feasible due to the limitation of Eq. (19). Besides, it can be seen from Fig. 8a,b that the behaviors of  $R_{\text{max}}$  and  $\varepsilon_{Rm}$  varying with  $\eta_{re}$  are quite different in the regions of  $\eta_{re} < 0.964$  and  $\eta_{re} > 0.964.$  Specifically, when  $\eta_{re} < 0.964$ , the allowed maximum charging current  $I_{ch,max}$  $(I_{ch,max} = I_{ch,Rm}$  in this case) grows with the increasing of  $\eta_{re}$  (see Fig. 4), which leads to the prominent rise of  $R_{max}$ . Whereas, the growing of  $I_{ch,max}$ also gives rise to a higher Joule heat effect. The parabolic variation of  $\varepsilon_{Rm}$  with  $\eta_{re}$  results from the competition between the regenerative efficiency and Joule heat effect. On the other hand, when  $\eta_{re} > 0.964$ , the associated charging current for maximum cooling power is no longer  $I_{ch,\max}$  but  $I_{ch,Rm}$  ( $I_{ch,\max} \neq I_{ch,Rm}$  in this case) whose variation with  $\eta_{r_{P}}$  is negligible (Fig. 4b). Hence, the variation of  $R_{\text{max}}$  with  $\eta_{re}$  becomes imperceptible and  $\varepsilon_{Rm}$  increases with  $\eta_{re}$  due to the reduction of irreversibility. Besides, Fig. 8c shows that both  $\varepsilon_{max}$  and  $R_{\varepsilon m}$  increase with the increasing of  $\eta_{re}$ .



**Fig. 8.** The variations of (a and b)  $R_{max}$  and  $e_{Rm}$  with  $\eta_{re}$  and (c)  $e_{max}$  and  $R_{em}$  with  $\eta_{re}$ , where M = 1. The other parameters have the same values as those adopted in Fig. 3.

# 3.6. Comparison with various refrigeration systems

To highlight the performance of the proposed TRERs more visible, the variations of  $\varepsilon_{max}/\varepsilon_{Car}$  and  $\varepsilon_{Rm}/\varepsilon_{Car}$  with  $\varepsilon_{Car}$  are further presented in Fig. 9, where  $\varepsilon_{Car} = T_C/(T_H - T_C)$  stands for the corresponding Carnot COP for the given temperatures. It can be seen from Fig. 9 that  $\varepsilon_{max}/\varepsilon_{Car}$ decreases with the decline of  $\varepsilon_{Car}$  while  $\varepsilon_{Rm}/\varepsilon_{Car}$  grows with it. According to the discussions on Fig. 6, one can realize that the shadow area corresponds to the optimal region of the TRERs. In particular, Fig. 9 indicates that  $\varepsilon_{Rm}$  can exceed 5% of the Carnot COP, while  $\varepsilon_{max}$  can achieve up to 40% of the Carnot COP for the given values of parameters.



**Fig. 9.** The variations of  $\varepsilon_{max}/\varepsilon_{Car}$  and  $\varepsilon_{Rm}/\varepsilon_{Car}$  with  $\varepsilon_{Car}$  and the reported COPs listed in Table 1, where  $K_L = 0.002W/K$  and  $\eta_{re} = 0.8$  (M = 1, N = 20). The other parameters have the same values as those adopted in Fig. 3.

Moreover, several COPs of various refrigeration systems reported in previous experimental and simulated research are collected to highlight the attractive performance of the TRERs, which are listed in Table 1 and marked by the various symbols in Fig. 9. Notably, the comparisons in Fig. 9 further illustrate the great potential of the proposed TRERs for efficient refrigeration.

# 3.7. Influence of electrode materials

Additionally, to discuss the influence of electrode materials on the performance of the TRERs, the behaviors of *R* varying with  $\varepsilon$  for the different values of  $\alpha_c$ ,  $R_{int}$ ,  $c_p$ , and  $c_q$  are generated by using Eqs. (6), (7), (18), (21), (23)-(26), as shown in Fig. 10 a–d. It can be realized from Fig. 10 a–d that the performance of the TRERs can be improved by increasing the values of  $|\alpha_c|$  and  $c_q$  or by decreasing the values of  $R_{int}$  and  $c_p$ . Consequently, it is of great significance for the performance improvement of the TRER(s) system to explore material with larger  $|\alpha_c|$  and  $c_q$  and lower  $R_{int}$  and  $c_p$ . This result is similar to the conclusions in terms of TREC systems [42,43].

# 4. Conclusions

In summary, a novel strategy to overcome the three fundamental obstacles in constructing TRER model is proposed. Accordingly, the reciprocating TRER model followed by the TRERs model with continuous refrigeration were presented for the first time. Based on the proposed TRERs model, the expressions of the main performance indicators are analytically derived. In addition, two operating models (LC and HC) and four distinct behaviors of cooling power varying with COP of the TRERs (Fig. 6a-d) are indicated by numerical analyses. On this basis, the optimal operating model and optimal operating region along with the associated values of charging current were discussed and determined. Significantly, the COP at maximum cooling power and the maximum COP are predicted to achieve up to 5% and 40% of Carnot COP for the given values of parameters. Moreover, the comparison between the predicted results and the reported COPs of various refrigeration systems reveal the great potential of the TRERs for efficient refrigeration. Our work will hopefully serve as the cornerstone for further theoretical and experimental investigations and open a new avenue for the construction of other novel electrochemical cycles.

#### Table 1

Reported COPs of various refrigerators and the ratio to corresponding Carnot COPs.

Type of refrigerator	refrigerant	Type of analysis	Reported COP ( $\varepsilon_{rep}$ )	Corresponding Carnot COP $\epsilon_{Car}$	$\varepsilon_{\rm rep}/\varepsilon_{\rm Car}$
Vapor compression refrigerator [32]	R1234yf	Simulated	5.63	18.83	0.299
Absorption refrigerator [33]	R1234ze(E)	Simulated	0.17*	7.557**	0.0225
Adsorption refrigerator [34]	Water	Simulated	0.8715	11.81**	0.0738
Compression-ejection hybrid refrigerator	R290	Simulated	1.8*	7.826	0.23
[35]					
Thermoelectric refrigerator [36]	N/A	Simulated	0.69	23.98	0.0288
Thermoelectric refrigerator [37]	CP2-127 Peltier modules	Experimental	0.79	22.69	0.0348
Thermoelectric refrigerator [37]	CP2-127 Peltier modules	Experimental	1.16	29.53	0.0393
Thermionic-thermoelectric refrigerator [38]	Ideal materials	Simulated	1.4*	9.667	0.145
Thermionic refrigerator [39]	Single barrier structure with ROB	Simulated	1.9*	10.00	0.190
Thermionic refrigerator [39]	Single barrier structure without ROB	Simulated	2.1*	10.00	0.210
Magnetic regenerator [40]	Gd, Gd-based alloys, and their composites	Experimental	3.1	27.43	0.113
Magnetic regenerator [41]	Gd	Experimental	0.54	46.55	0.0116

\* Data read from the figures in associated references approximately.

\*\* The Carnot COPs are calculated by using the temperatures of working fluid due to the lack of the temperatures of heat reservoirs.



**Fig. 10.** The behaviors of *R* varying with  $\varepsilon$  for different values of (a)  $|\alpha_c|$ , (b)  $R_{int}$ , (c)  $c_p$ , and (d)  $c_q$ , where  $K_L = 0.002W/K$ . The other parameters have the same values as those adopted in Fig. 3.

# CRediT authorship contribution statement

**Bo Chen:** Methodology, Software, Validation, Formal analysis, Investigation, Writing – original draft. **Julian Gonzalez-Ayala:** Methodology, Validation, Writing – review & editing. **A. Calvo Hernández:** Methodology, Validation, Writing – review & editing. **Rongxiang Luo:** Software, Validation, Writing – review & editing. **Hanxin Yang:**  Software, Validation, Writing – review & editing. Juncheng Guo: Conceptualization, Methodology, Validation, Formal analysis, Writing – review & editing, Supervision, Project administration, Funding acquisition.

# **Declaration of Competing Interest**

The authors declare that they have no known competing financial interests or personal relationships that could have appeared to influence the work reported in this paper.

#### Data availability

Data will be made available on request.

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