

Not all cities are the same: variation in animal phenotypes across cities within urban ecology studies

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R Code for the analysis of data for delBarco-Trillo and Putman (2023)

First load and view data

```
#load data
df <- read.csv("ESM_2.csv")

# Create new trait column and make sure it is coded as a factor
df$trait <- df$type.trait.1.behavioral..2.physiological..3.morphological.
df$trait <- as.factor(df$trait)
```

Create a new column for the random effect of “id” (it’s required at least for a m-a to calculate the between variance component).

```
# make effect size id column
df$id <- 1:nrow(df)
```

Calculate Effect Sizes, the standardised mean difference ('standardized' effect size, unitless), and add to datasheet

```
library(metafor)
library(dplyr)
SMD <- escalc(measure = "SMD", n1i = df$n.city2, n2i = df$n.city1, m1i =
               df$mean.city2.highest.mean, m2i = df$mean.city1.lowest.mean,
               sd1i = df$sd.city2, sd2i = df$sd.city1)

# Add the effect sizes to the original data set. Save file.
df <- bind_cols(df, SMD)

# make weights, which is 1/vi
df[, "wi"] <- 1/df$vi

names(df) # verify that these worked

## [1] "paper"
```

```

## [2] "study.id"
## [3] "sp.common.name"
## [4] "sp.scientific.name"
## [5] "phylo"
## [6] "taxon"
## [7] "City1.name"
## [8] "mean.city1.lowest.mean"
## [9] "sd.city1"
## [10] "n.city1"
## [11] "Human.population1"
## [12] "Population.density1"
## [13] "City2.name"
## [14] "mean.city2.highest.mean"
## [15] "sd.city2"
## [16] "n.city2"
## [17] "Human.population2"
## [18] "Population.density2"
## [19] "Absolute.difference.pop.size"
## [20] "Absolute.difference.pop.density"
## [21] "a.priori.difference.between.cities.stated.in.the.paper...e.g..one.larger.or.more.polluted.than."
## [22] "a.priori.diff.binary"
## [23] "dist.between.cities.km"
## [24] "phenotypic.trait"
## [25] "type trait 1 behavioral 2 physiological 3 morphological."
## [26] "Number.of.cities"
## [27] "n.total"
## [28] "full.reference"
## [29] "citation..original.format."
## [30] "full.reference..original.format."
## [31] "Entry.ID..1st.dataset."
## [32] "Notes"
## [33] "City1.name.1"
## [34] "mean.city1.lowest.mean.1"
## [35] "sd.city1.1"
## [36] "n.city1.1"
## [37] "Human.population"
## [38] "Ref..for.population.estimate"
## [39] "Population.density..individuals.km2."
## [40] "Ref..pop..density"
## [41] "City2.name.1"
## [42] "mean.city2.highest.mean.1"
## [43] "sd.city2.1"
## [44] "n.city2.1"
## [45] "Human.population.1"
## [46] "Source.for.population.estimate"
## [47] "Population.density..individuals.km2..1"
## [48] "Ref..pop..density.1"
## [49] "trait"
## [50] "id"
## [51] "yi"
## [52] "vi"
## [53] "wi"

```

```
write.csv(df, file="Dataset_with_SMD.csv") # save as a new csv file
```

Load Phylogenetic Tree

```
library(ape)
library(phytools)
library(geiger)

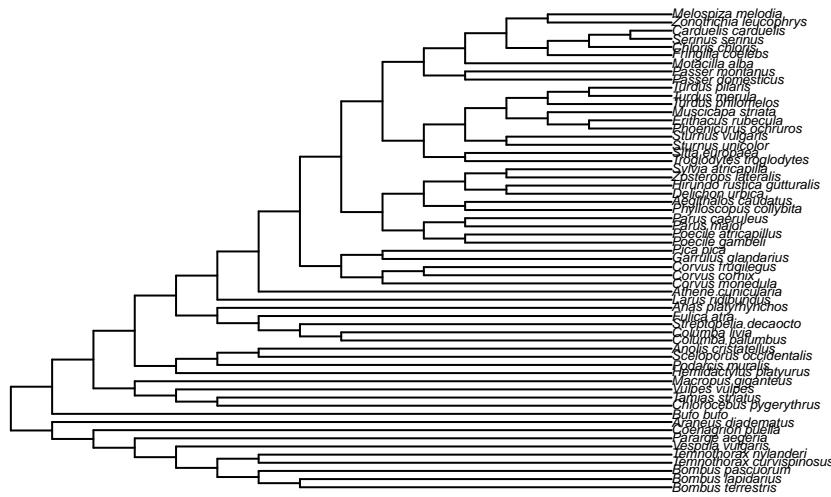
tree <- read.tree(file="Tree_Newick.txt") # load tree
tree<-force.ultrametric(tree, method = "extend")

## **** Note: ****
## * force.ultrametric does not include a formal method to *
## * ultrametricize a tree & should only be used to coerce *
## * a phylogeny that fails is.ultrametric due to rounding -- *
## * not as a substitute for formal rate-smoothing methods. *
## ****

is.ultrametric(tree) # check to see if ultrametric

## [1] TRUE

plot(tree, cex = 0.4) # view tree
```



Conduct phylogenetic meta-analytic regression

```
# First, convert the tree to a variance-covariance matrix:
varcor1 = vcv(corBrownian(1, tree), corr=TRUE)

# Run meta-analysis without any moderators
phylo_m <-
  rma.mv(
    yi = yi, # effect size
    V = vi, # variance
    W = wi, # add weights
    random = list(~ 1|phylo, ~ 1|paper, ~ 1|id), # random effects
    R = list(phylo = varcor1),
    method = "REML",
    data = df
  )

# View results
summary(phylo_m)

## 
## Multivariate Meta-Analysis Model (k = 251; method: REML)
##
```

```

##      logLik   Deviance       AIC       BIC       AICc
## -310.6935   621.3869   629.3869   643.4728   629.5502
##
## Variance Components:
##
##          estim    sqrt  nlvls  fixed factor     R
## sigma^2.1  0.2283  0.4779     59     no  phylo  yes
## sigma^2.2  0.1733  0.4163     53     no  paper   no
## sigma^2.3  0.2455  0.4954    251     no     id   no
##
## Test for Heterogeneity:
## Q(df = 250) = 1645.4443, p-val < .0001
##
## Model Results:
##
## estimate      se    zval   pval   ci.lb   ci.ub
## 0.6526  0.2584  2.5250  0.0116  0.1460  1.1591  *
## 
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

```

```

# Calculating  $I^2$  for Multilevel Models:
# http://www.metafor-project.org/doku.php/tips:i2\_multilevel\_multivariate
W <- diag(1/df$vi)
X <- model.matrix(phylo_m)
P <- W - W %*% X %*% solve(t(X) %*% W %*% X) %*% t(X) %*% W
100 * sum(phylo_m$sigma2) / (sum(phylo_m$sigma2) + (phylo_m$k-phylo_m$p)/sum(diag(P)))

```

```
## [1] 90.21653
```

```

# Calculate how much of total variance is attributed to each heterogeneity
# component separately:
100 * phylo_m$sigma2 / (sum(phylo_m$sigma2) + (phylo_m$k-phylo_m$p)/sum(diag(P)))

```

```
## [1] 31.83304 24.16500 34.21848
```

Perform Model Selection Process to see which moderators of our six are important.

Following instructions from here: http://www.metafor-project.org/doku.php/tips:model_selection_with_glmulti_and_mumin

```

library(glmulti)
library(dplyr)

# First, I renamed variables for clarity/simplicity
df <- rename(df,
              Number_of_Cities = Number.of.cities,
              Distance = dist.between.cities.km,
              Population_Density = Absolute.difference.pop.density,
              Trait = trait,

```

```

Apriori_Expectation = a.priori.diff.binary,
Population_Size = Absolute.difference.pop.size)

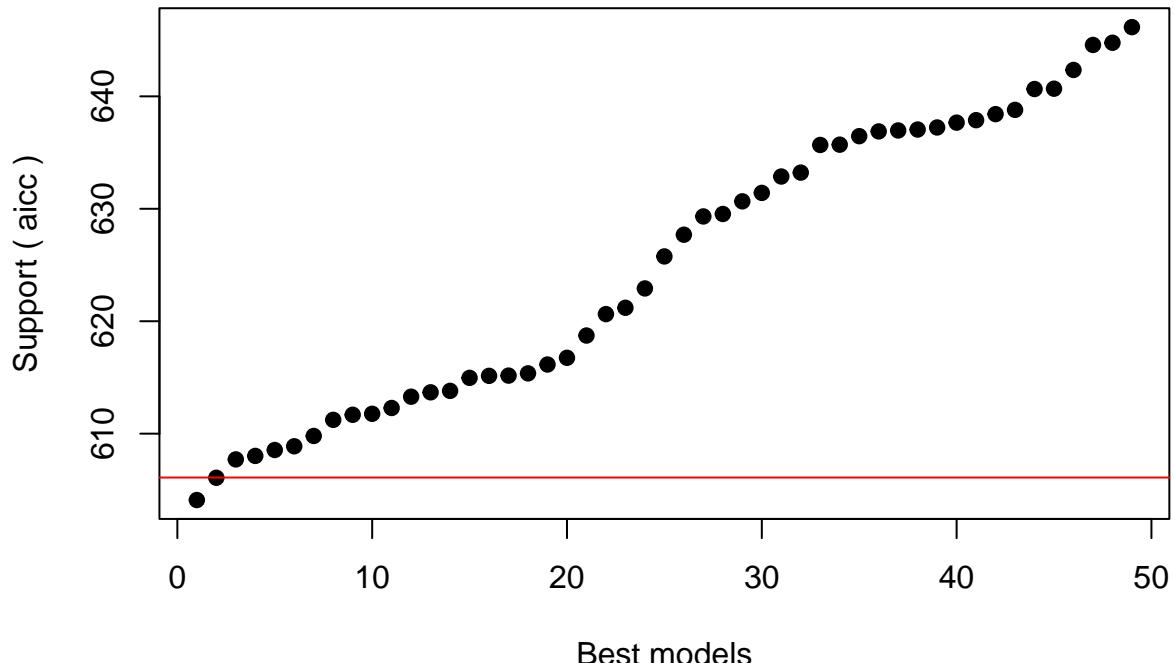
# Set up model
rma.glmulti <- function(formula, data, ...)
  rma.mv(formula, vi, wi, random = list( ~ 1|phylo, ~ 1|paper, ~ 1|id),
         data=data, method="ML", ...)

# Run model selection
res <- glmulti(yi ~ factor(Trait) + factor(Apriori_Expectation) + Number_of_Cities
                + Distance + Population_Density + Population_Size,
                data=df, level=1, fitfunction=rma.glmulti, crit="aicc", confsetsize=64)

## Initialization...
## TASK: Exhaustive screening of candidate set.
## Fitting...
##
## After 50 models:
## Best model: yi~1+factor(Trait)+Number_of_Cities+Distance+Population_Density
## Crit= 604.099051710478
## Mean crit= 625.025770810726

```

IC profile



```
## Completed.
```

```

# print results
print(res)

## glmulti.analysis
## Method: h / Fitting: rma.glmulti / IC used: aicc
## Level: 1 / Marginality: FALSE
## From 64 models:
## Best IC: 604.099051710478
## Best model:
## [1] "yi ~ 1 + factor(Trait) + Number_of_Cities + Distance + Population_Density"
## Evidence weight: 0.334730790758274
## Worst IC: 646.59948221656
## 3 models within 2 IC units.
## 10 models to reach 95% of evidence weight.

# Show top models
top <- weightable(res)
top <- top[top$aicc <= min(top$aicc) + 2,]
print(top) # the Akaike weight for a particular model can be regarded as the probability

##
## 1 yi ~ 1 + factor(Trait) + Number_of_Cities + Distance + Population_Density
## 2 yi ~ 1 + factor(Trait) + factor(Apriori_Expectation) + Number_of_Cities + Distance + Population_Density
## 3 yi ~ 1 + Number_of_Cities + Distance + Population_Density

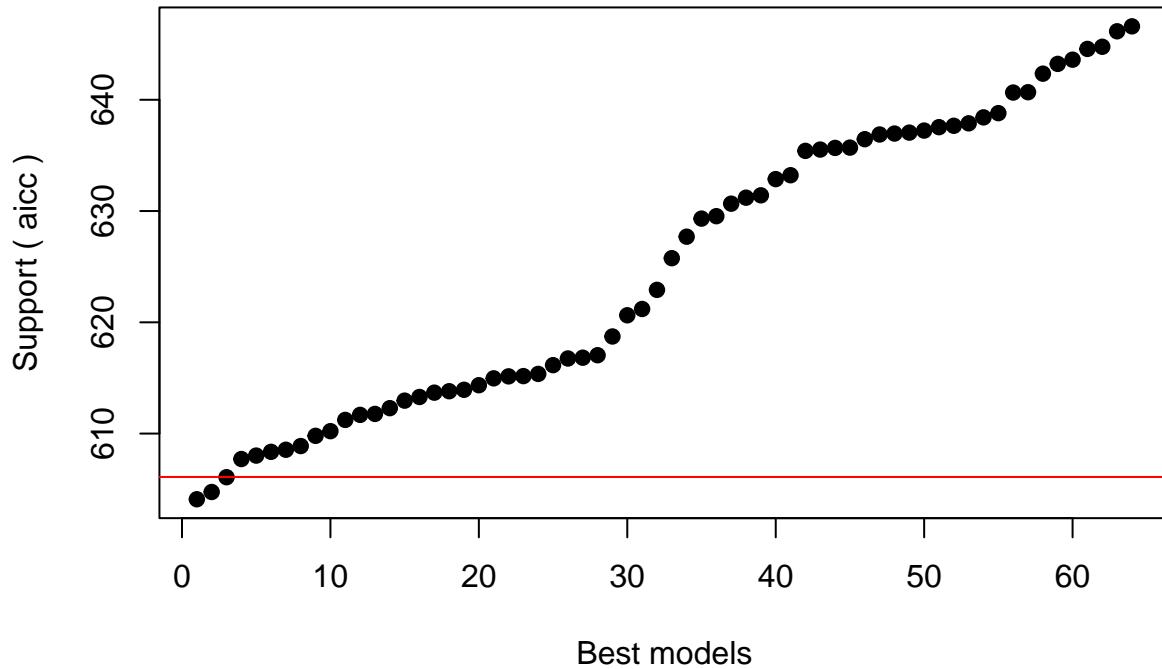
##      aicc    weights
## 1 604.0991 0.3347308
## 2 604.7496 0.2417879
## 3 606.0792 0.1243714

# that the model is the best model
write.csv(top, "Top_Models.csv") # Save results as .csv file

# Plot Information Criteria (IC) Profile Plot of all potential models
plot(res)

```

IC profile



Multimodel Inference

```

eval(metafor:::glmulti)
impt_df <- coef(res) # Dataframe with importance values

# Create our own with more informative Column Names and in Order of Importance:
mmi <- as.data.frame(coef(res))
mmi <- data.frame(Estimate=mmi$Est, SE=sqrt(mmi$Uncond), Importance=mmi$Importance,
                   row.names=row.names(mmi))
mmi$z <- mmi$Estimate / mmi$SE
mmi$p <- 2*pnorm(abs(mmi$z), lower.tail=FALSE)
names(mmi) <- c("Estimate", "Std. Error", "Importance", "z value", "Pr(>|z|)")
mmi$ci.lb <- mmi[[1]] - qnorm(.975) * mmi[[2]]
mmi$ci.ub <- mmi[[1]] + qnorm(.975) * mmi[[2]]
mmi <- mmi[order(mmi$Importance, decreasing=TRUE), c(1,2,4:7,3)]
round(mmi, 4)

```

	Estimate	Std. Error	z value	Pr(> z)	ci.lb
## intrcpt	0.4171	0.2541	1.6417	0.1007	-0.0809
## Number_of_Cities	0.1553	0.0432	3.5943	0.0003	0.0706
## Distance	0.0002	0.0001	1.7923	0.0731	0.0000
## Population_Density	-0.0001	0.0001	-1.1849	0.2361	-0.0002
## factor(Trait)2	-0.1991	0.2211	-0.9007	0.3677	-0.6325

```

## factor(Trait3)      -0.3032    0.2726 -1.1122   0.2661 -0.8375
## factor(Apriori_Expectation)1 -0.0875    0.1762 -0.4965   0.6196 -0.4329
## Population_Size      0.0000    0.0000 -0.3870   0.6988  0.0000
##                               ci.lb Importance
## intrcpt                  0.9150    1.0000
## Number_of_Cities          0.2400    1.0000
## Distance                  0.0004    0.9641
## Population_Density         0.0000    0.8473
## factor(Trait2)            0.2342    0.7355
## factor(Trait3)            0.2311    0.7355
## factor(Apriori_Expectation)1 0.2579    0.3795
## Population_Size            0.0000    0.0997

# Save factor importance values in .csv file:
write.csv(mmi, "factor_importance_renamed_ALL_Jan2022.csv")

# Plot Results
par(mar=c(3,8,3,7))
plot(res, type="s") # relative importance of the various model terms

```

Model-averaged importance of terms



Redo phylogenetic metareg (using REML) with the moderators identified in the top model(s)

Change moderators based on which model you are running.

```

phylo_m2 <-
  rma.mv(
    yi = yi,
    V = vi,
    W = wi,
    random = list(~ 1|phylo, ~ 1|paper, ~ 1|id),
    mods = ~ factor(Trait) + Number_of_Cities + Distance + Population_Density,
    R = list(phylo = varcor1),
    method = "REML",
    data = df)

# View results
summary(phylo_m2)

##
## Multivariate Meta-Analysis Model (k = 251; method: REML)
##
##      logLik   Deviance       AIC       BIC       AICc
## -288.0044   576.0089   594.0089   625.5202   594.7749
##
## Variance Components:
##
##           estim     sqrt   nlvls  fixed  factor     R
## sigma^2.1  0.0487  0.2206     59     no  phylo  yes
## sigma^2.2  0.0624  0.2497     53     no  paper   no
## sigma^2.3  0.2484  0.4984    251     no     id   no
##
## Test for Residual Heterogeneity:
## QE(df = 245) = 1012.3262, p-val < .0001
##
## Test of Moderators (coefficients 2:6):
## QM(df = 5) = 19.3291, p-val = 0.0017
##
## Model Results:
##
##           estimate      se     zval    pval    ci.lb    ci.ub
## intrcpt        0.4522  0.2210   2.0464  0.0407  0.0191  0.8854 *
## factor(Trait)2 -0.2667  0.2190  -1.2176  0.2234 -0.6960  0.1626
## factor(Trait)3 -0.4325  0.2632  -1.6432  0.1003 -0.9485  0.0834
## Number_of_Cities  0.1640  0.0480   3.4205  0.0006  0.0700  0.2580 ***
## Distance         0.0002  0.0001   1.7685  0.0770 -0.0000  0.0003 .
## Population_Density -0.0001  0.0000  -1.3891  0.1648 -0.0002  0.0000
##
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# Calculating I^2 for Multilevel Models:
# http://www.metafor-project.org/doku.php/tips:i2_multilevel_multivariate
W <- diag(1/df$vi)
X <- model.matrix(phylo_m2)
P <- W - W %*% X %*% solve(t(X) %*% W %*% X) %*% t(X) %*% W
100 * sum(phylo_m2$sigma2) / (sum(phylo_m2$sigma2) + (phylo_m2$k-phylo_m2$p)/sum(diag(P)))

```

```

## [1] 82.82203

# Calculate how much of total variance is attributed to each heterogeneity component separately:
100 * phylo_m2$sigma2 / (sum(phylo_m2$sigma2) + (phylo_m2$k-phylo_m2$p)/sum(diag(P)))

## [1] 11.21207 14.37326 57.23670

```

Test for Publication Bias

<https://stat.ethz.ch/pipermail/r-sig-meta-analysis/2018-February/000615.html>

```

# first define model without moderators (cannot handle random effects either)
metareg <- rma(yi = yi, vi = vi, weights = wi,
                 method = "REML",
                 data = df)
summary(metareg) # view model results

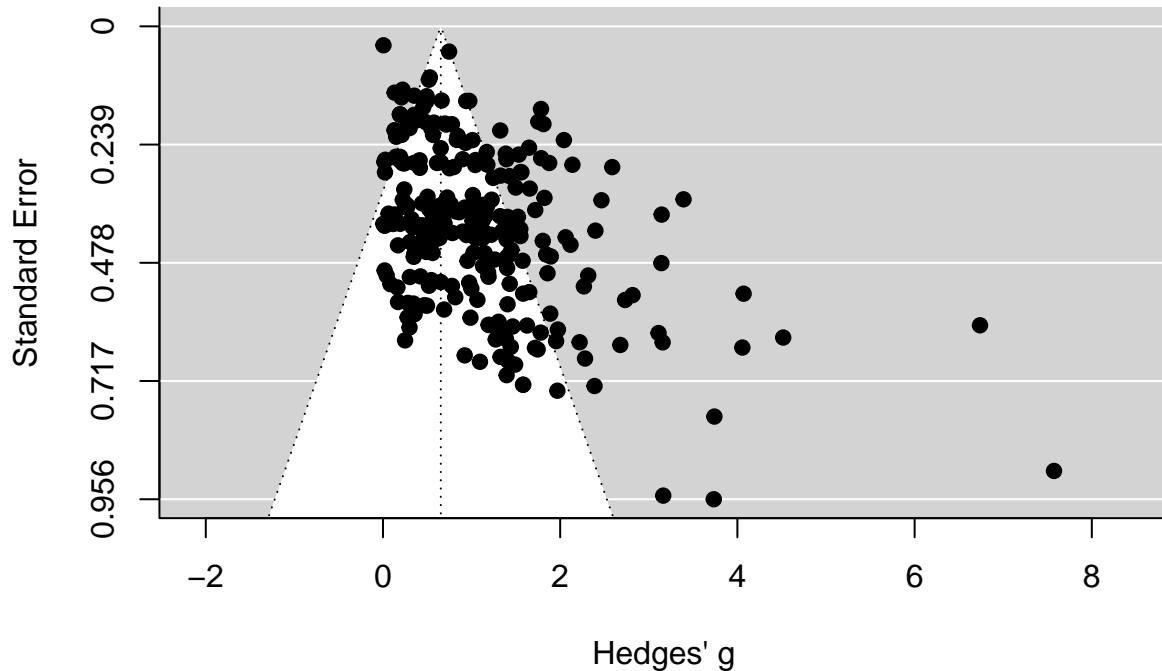
```

```

##
## Random-Effects Model (k = 251; tau^2 estimator: REML)
##
##      logLik     deviance       AIC       BIC       AICc
## -357.0731    714.1461    718.1461   725.1891    718.1947
##
## tau^2 (estimated amount of total heterogeneity): 0.5512 (SE = 0.0635)
## tau (square root of estimated tau^2 value):      0.7424
## I^2 (total heterogeneity / total variability): 88.71%
## H^2 (total variability / sampling variability): 8.85
##
## Test for Heterogeneity:
## Q(df = 250) = 1645.4443, p-val < .0001
##
## Model Results:
##
## estimate      se     zval    pval   ci.lb   ci.ub
## 0.6526  0.1646  3.9636  <.0001  0.3299  0.9753  ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# create funnel plot
funnel(metareg, xlab = "Hedges' g")

```



```
# Egger's test for asymmetry
regtest(metareg, model="rma")
```

```
##
## Regression Test for Funnel Plot Asymmetry
##
## Model: mixed-effects meta-regression model
## Predictor: standard error
##
## Test for Funnel Plot Asymmetry: z = 2.2992, p = 0.0215
## Limit Estimate (as sei -> 0): b = 0.1935 (CI: -0.4713, 0.8584)
```

```
# Trim and Fill Method
m_taf <- trimfill(metareg)
m_taf
```

```
##
## Estimated number of missing studies on the left side: 93 (SE = 9.7311)
##
## Random-Effects Model (k = 344; tau^2 estimator: REML)
##
## tau^2 (estimated amount of total heterogeneity): 1.5220 (SE = 0.1311)
## tau (square root of estimated tau^2 value): 1.2337
## I^2 (total heterogeneity / total variability): 94.89%
## H^2 (total variability / sampling variability): 19.57
```

```

## 
## Test for Heterogeneity:
## Q(df = 343) = 3308.7616, p-val < .0001
## 
## Model Results:
## 
## estimate      se    zval   pval   ci.lb   ci.ub
## 0.4278  0.2364  1.8095  0.0704 -0.0356  0.8911  .
## 
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

funnel(m_taf, xlab = "Hedges' g")

```

