



# Direct Numerical Simulations for Interface-resolving of Gas-liquid Flows in Solid Sponge Structure

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# Outline



- Motivation of Direct Numerical Simulations (DNS) for interface resolving
- Phase field method and phaseFieldFoam in OpenFOAM
  - Validation for droplet or bubble interacting with solid surface
- DNS for interface-resolving of gas-liquid flows in sponge structure
- Summary & outlooks

#### **Motivation**



Direct numerical simulation for understanding hydrodynamic interaction of gas-liquid interfacial flows with solid surface



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Direct numerical simulation for understanding hydrodynamic interaction of gas-liquid interfacial flows with solid surface



For sharp-interface method, classical paradox between:

- motion of contact line
- no-slip boundary condition

Volume fraction equation in VOF:

$$\frac{\partial F}{\partial t} + (\mathbf{u} \cdot \nabla)F = 0$$

 $\mathbf{u} = \mathbf{0}$  on wall

dynamics of moving contact line

- Common remedy is to allow for slip at wall by Navier slip BC
- Another strategy is to abandon "sharp-interface" and embrace "diffuse-interface" concept

#### **Phase Field Method**



- Phase field (C) as phase indictor
  - Smooth transition from -1 to 1 → diffuse interface
- Phase field evolution governed by Cahn-Hilliard equation  $\frac{\partial C}{\partial t} + (\mathbf{u} \cdot \nabla)C = \kappa \nabla^2 \phi(C) \qquad \phi = \frac{\lambda}{\varepsilon^2} C(C^2 - 1) - \lambda \nabla^2 C$ describes motion of contact line!
  - Wetting boundary condition for static contact angle  $\theta_e$  $\hat{n}_s \cdot \nabla C = \frac{\sqrt{2}}{2} \frac{\cos \theta_e}{\varepsilon} (1 - C^2)$   $\phi = ct$
  - Single-field Navier-Stokes equation:

$$Φ$$
 = chemical potential [J/m<sup>3</sup>]  
 $λ$  = mixing energy [J/m]  
 $ε$  = diffuse interface thickness [m]  
 $κ$  = mobility [m<sup>3</sup>s/kg]

$$\frac{\partial(\rho_{C}\mathbf{u})}{\partial t} + \nabla \cdot (\rho_{C}\mathbf{u} \otimes \mathbf{u}) = -\nabla p + \nabla \cdot \left[\mu_{C}\left(\nabla \mathbf{u} + (\nabla \mathbf{u})^{\mathsf{T}}\right)\right] + \mathbf{f}_{\sigma} + \rho_{C}\mathbf{g}$$
$$\rho_{C} = \frac{1+C}{2}\rho_{\mathsf{L}} + \frac{1-C}{2}\rho_{\mathsf{G}}, \quad \mu_{C} = \frac{1+C}{2}\mu_{\mathsf{L}} + \frac{1-C}{2}\mu_{\mathsf{G}}, \quad \mathbf{f}_{\sigma} = -C\nabla\phi$$



## Method implementation and verification



- Close cooperation with **Dr. Holger Marschall** (TU Darmstadt, Germany)
- Phase field method implemented in OpenFOAM (foam-extend-1.6 & 3.2)
  - A novel OpenFOAM solver phaseFieldFoam\*
- Verification by extensive test cases against analytical solutions\*\*
- Validation by a series of test case for dynamics of droplet or bubble interacting with solid surfaces, such as …

\* H. Marschall, X. Cai and M. Wörner. Conservative finite volume discretization of the two-phase Navier Stokes Cahn-Hilliard and Allen-Cahn equations on general grids with applications to dynamic wetting, **2016**, in preparation

<sup>\*\*</sup> X. Cai, H. Marschall, M. Wörner and O. Deutschmann, Chem. Eng. Technol. 2015, 38: 1985–1992

#### Validation on droplet wetting on flat surface





- Diameter ≈ 3 mm
- PIB solution  $\mu$  = 25 pa·s
- smooth PTFE surface ( $\theta_e = 58^\circ$ )

3D phase-field simulation with adaptive mesh refinement near interface

#### Droplet base radius (r) over time



Reference: X. Cai, H. Marschall, M. Wörner and O. Deutschmann, Chem. Eng. Technol. 2015, 38: 1985–1992

Time: 0.00

# Droplet wetting on chemically-patterned surface



time

Experiment by Jansen et al. 2013

- Glycerin droplet volume =  $3 \mu L$
- Alternating stripes made of:



Reference: X. Cai, H. Marschall, M. Wörner and O. Deutschmann, Chem. Eng. Technol. 2015, 38: 1985–1992

## Validation on cylinder-induced bubble breakup





Reference: X. Cai, M. Wörner, H. Marschall and O. Deutschmann, Catalysis Today, 2016, in press

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- Total Sponge structure
  - Height: 25 100 mm
  - Diameter: 100 mm
- Individual liquid jets
  - Approx. 1 10 mm
- Local gas-liquid interface
  - Approx. 0.1 1 mm
- Disparity of length scale up to 10<sup>2</sup> or 10<sup>3</sup>!



#### **Computational mesh for sponge geometry**



OpenFOAM's mesh generator snappyHexMesh



#### Validation for single-phase gas flow



- Apply the solver for gas flow through sponge structure
  - Compare our simulation results with experiment\* and simpleFoam simulation\*\*



Gas flow shown by velocity vector (yellow) in a  $AI_2O_3$  sponge, 80% porosity, 20 ppi



- $U_0$ : superficial gas velocity
- $\Delta p / \Delta x$  : pressure drop per unit length

- \* Dietrich et al. Chem. Eng. Sci. 64 (16), 3633-3640. 2009
- \*\* Meinicke et al., 11<sup>th</sup> Int. Conf. on CFD in the Minerals & Proc. Industries 2015



- Representative Elementary Volume  $\rightarrow$  difficult to get inlet liquid distribution from exp.
- Mirroring geometry + periodic boundary conditions



SiSiC foam, 20 ppi, 85% porosity



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- Conventionally (in experiment): inlet flow rate → pressure drop
- In current periodic domain: pressure drop → inlet/domain flow rate

$$p \equiv P - \frac{\overline{p_0} - \overline{p_{L_x}}}{L_x} \cdot \mathbf{x} = P - \mathbf{f}_x \cdot \mathbf{x}$$

$$-\nabla p = -\nabla P + \mathbf{f}_x$$

- Input to DNS:
  - liquid saturation ß
    (V<sub>liquid</sub>) / (V<sub>liquid</sub> + V<sub>gas</sub>)
  - Pressure drop  $\Delta p / \Delta x$







Liquid saturation  $\mathcal{B} = 0.2$  and  $\Delta p / \Delta x = 200$  Pa/m

Equilibrium contact angle = 90°



Effect of equilibrium contact angle  $\theta_{e}$  (i.e. solid surface wettability)







#### 19

#### **Summary and Outlook**



- Phase Field Method and phaseFieldFoam in OpenFOAM
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- DNS for interface-resolving of gas-liquid flows in sponge structure
  - Providing clear evidence that interfacial area can be increased by tuning surface wettability or interfacial tension
- Outlook for future work:
  - Further investigations on other initialization strategy
  - Derive closure relation for Euler-Euler modeling and simulation
  - Experimental study on local interface distribution is highly needed



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