
VIKTORIA: A NEW PARADIGM FOR HASH FUNCTIONS

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Abstract: Viktoria hash is a compression function that generates a set of 512 bits from an arbitrary size input (limit of 2^{480} -1 bytes). This hash function contains some internal routines clearly inspired by AES and RC4 symmetric algorithms [14]. The new paradigm presents two major innovations: a fast preprocessing that initiates an internal state of $256!^2$ permutations and a post-processing that guarantees a minimum number of executed rounds of 2^{13} . The pre-processing allows to differentiate very similar messages in the first runs of the algorithm. In the post-processing we have a safety barrier provided by a large number of rounds through a different structure of the main processing. The Viktoria algorithm seems to inaugurate a new design model in the construction of robust hash functions for some reasons, among them we highlight: the customization of the internal state according to each message, the elegance and efficiency of its main function and also a supposed high margin of safety provided by its post-processing function. Viktoria hash can also process bit oriented messages (whose last byte size is not complete) and generate larger hashes (1024, 1536, 2048 or larger) always as multiples of 512.

Key words: viktoria, compression function, collision, hash function, irreversible function, digital mapping of a message.

1. INTRODUCTION

With the increasing advent of electronic transactions, it is necessary to have alternatives of hash functions that allow the generation of reliable summaries of a document, guarantee the confirmation of knowledge between two or more parties, allow the derivation of keys and the generation of pseudo-random numbers [1].

The advancement of computer technology and cryptoanalytic attacks makes it essential to search for constant innovations in this segment of cryptography. Weaknesses are regularly discovered in the better known hash function classes such as MD5 and SHA-1 [2][3].

With this modest work we present a new hash function: Viktoria. It is based on the structure of Merkle-Damgard [5][8] but has two extra functions at the end of the algorithm processing, plus a pre-reading of the message before the main processing which helps to differentiate similar inputs quickly. Viktoria has a very

large internal state so it can behave like a pseudo-random number generator with a maximum period of $256!^2 * 2^{512}$, something around $9,86 * 10^{167}$.

In part 2 we present in detail the Viktoria hash function starting with a more general description and then moving on to the more detailed functions. In this part we present the whole logic of the algorithm highlighting its most important parts.

In part 3 we present a justification for the design of the Viktoria hash function (more precise for the mixword function). It is clear from that description why we choose the internal structure this way. The mixword function works by dividing the whole block (512 bits) into 4 sub blocks of 128 bits and uses 3 of the 4 sub blocks to change the other sub-block. This way a high data diffusion is guaranteed in each round.

In part 4 we present a logical rationale and some tests to justify the design of the three main functions of the algorithm. In this part we present the `read_block()` function that uses an intelligent mechanism to read the bytes of the message. They are read not as they are but are translated through a dynamic Sbox. We also present the diffusion mechanism of the mixword function validated by statistical tests. Finally we present the `permutation_block()` function that works with dynamic Pbox's (permutation boxes).

In part 5 some statistical tests are made using the Dieharder battery test tool. These tests try to prove that the outputs of the Viktoria hash function behave in a pseudo-random way. Reduced versions of the algorithm (with a minimum number of rounds) and the full version have been tested.

In part 6 of this work we compared the Viktoria algorithm with the SHA2-512 and SHA3-512 hash functions. The first comparison refers to the diffusion of bits in the three algorithms using the hashes of all possible 16-bit messages. The second comparison is based on a test to check the resistance to differential cryptoanalysis in the three algorithms. The XOR operations between the hashes of 16384 very similar files are analyzed. And the last comparison refers to the performance of the three algorithms.

In part 7 we present a brief description of how to compile the Viktoria algorithm and how to use it. This part shows the parameters that can be used to extract the hash from files and how to use Viktoria hash to process bit oriented files (with incomplete byte at the end of the file).

The conclusion reaffirms what was verified in the tests performed to verify the effectiveness of the Viktoria hash function. Finally we present in Annex XIX the complete source code in C language (optimized but not in its entirety).

2. DESCRIPTION OF THE ALGORITHM

The Viktoria hash algorithm works with three phases of message processing:

a) Pre-processing: at this stage the internal states of two 256-byte exchange tables¹ are exchanged according to the content of the entire message. It is important to note here that these internal states of the algorithm fully affect the reading and processing of the file data so that very similar messages are differentiated more quickly. In addition, the message size management mechanism generates a header that is processed with the `mixword()` function before reading data from the file. There is also a mechanism to fill the initial block when the message size is not a multiple of 64 and a special control to handle binary messages not byte oriented.

b) Central processing: is executed by three distinct functions: `read_block()`, `mixword()` and `permutation_block()`. These functions read 64 bytes of the message, process the contents of this block in 16 rounds and permute bytes of the whole block, respectively. Each block read from the file passes through a different Sbox¹ and at the end a different permutation is performed over the 64 bytes of the block.

c) Post-processing: this step performs an operation called `mixword_final()` and a final hash calculation function. The `mixword_final()` function is similar but more complex than the `mixword()` function and does not have a certain number of runs to perform the processing. The `finalize()` function sets the intermediate hash to the final 512-bit output. If required Viktoria hash can generate varied hash sizes with 1024, 1536, 2048 or larger, always as multiples of 512.

Graphically we can represent the entire Viktoria function in the following diagram:

¹ Non-linear and dynamic replacement box.

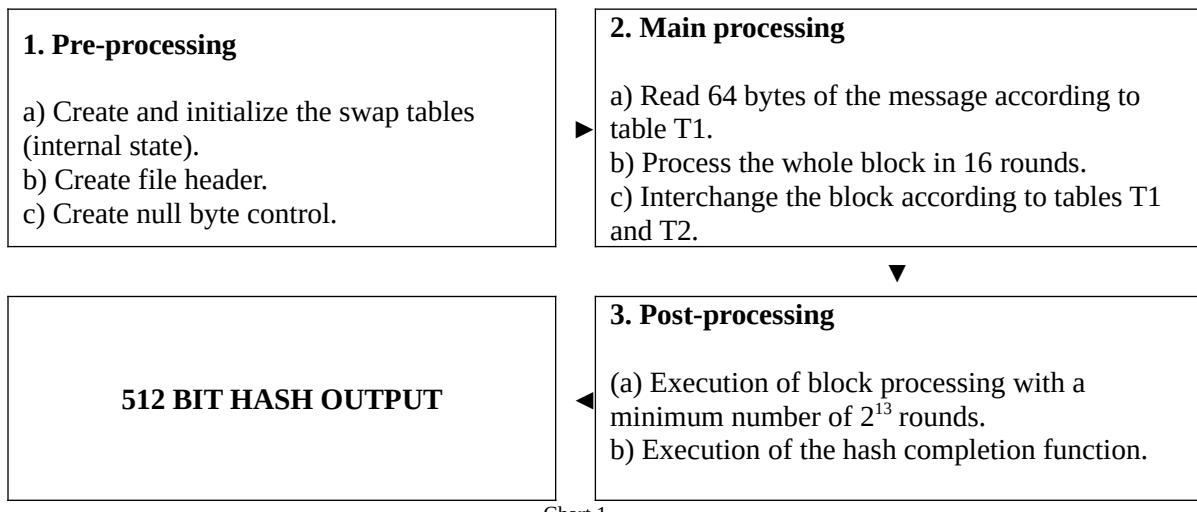


Chart 1

The Viktoria function has a very simple macro structure. First we create the interchange tables T1 and T2 (see Annex I). Then we initialize the swap tables according to the content of the message (see Annex II). Then we form the header of the file and check data regarding its size (the process is described in Annex III). At this point the pre-processing is finished and the message is prepared to be processed and generate the hash value.

2.1 The main algorithm

Viktoria hash has a core of 3 functions that together form the heart of the algorithm. At the end of processing a special routine is performed.

ALGORITHM 1

From beginning to end of the file

{

```
read_block()
mixword()
permutation_block()

word_final()
es()
```

2.2 *Read_block()* function

The `read_block()` function reads 64 bytes of the input message from table T1 and makes an XOR operation with the result of processing the previous block.

ALGORITHM 2

0 to 64 do:

`BLOCK[ct] = T1[read_block[ct]] XOR BLOCK[ct]`

2.3 Mixword function()

The mixword() function is the heart of the Viktoria algorithm. The processing of this function can be better understood through a graphical schema. The data block read from the file has 64 bytes and can be represented as follows:

SUB-BLOCK A				SUB-BLOCK B				SUB-BLOCK C				SUB-BLOCK D			
Current				T0 (without SBOX)				T1				T2			
0	1	2	3	16	17	18	19	32	33	34	35	48	49	50	51
4	5	6	7	20	21	22	23	36	37	38	39	52	53	54	55
8	9	10	11	24	25	26	27	40	41	42	43	56	57	58	59
12	13	14	15	28	29	30	31	44	45	46	47	60	61	62	63

Table 1

These 64 bytes divided into these 4 sub-blocks were read from the message. However they do not exactly represent the bytes of the message. These same bytes were changed by the **T1** table that is working in the `read_block()` function as a SBOX². The logic of the first operation of the `mixword()` function is to use the sub blocks **B**, **C**, and **D** to change the sub-block **A**. Then the sub blocks are rotated left in the next round of the `mixword()` function. This function works with 16 rounds, changing each block 4 times.

Each sub-block has 16 bytes and they will be identified individually by a hexadecimal number according to graph 3. First we will form 4 words of 32 bits as follows:

SUB-BLOCK A				SUB-BLOCK B				SUB-BLOCK C				SUB-BLOCK D			
0	1	2	3	0	1	2	3	0	1	2	3	0	1	2	3
4	5	6	7	4	5	6	7	4	5	6	7	4	5	6	7
8	9	A	B	8	9	A	B	8	9	A	B	8	9	A	B
C	D	E	F	C	D	E	F	C	D	E	F	C	D	E	F

Table 2

$$\begin{aligned} \text{word}[0] &= A_0 * 256^3 + A_4 * 256^2 + A_8 * 256^1 + A_C * 256^0 \\ \text{word}[1] &= A_1 * 256^3 + A_5 * 256^2 + A_9 * 256^1 + A_D * 256^0 \\ \text{word}[2] &= A_2 * 256^3 + A_6 * 256^2 + A_A * 256^1 + A_E * 256^0 \\ \text{word}[3] &= A_3 * 256^3 + A_7 * 256^2 + A_B * 256^1 + A_F * 256^0 \end{aligned}$$

We will use sub-blocks **B**, **C** and **D** to change sub-block **A**. Each word represents a column of sub-block A. These values are used when the number of the processing lap in module 4 is zero. This way we start with the first value of each column. If it were equal to 1 the word[0] would be equal to $A_4 * 256^3 + A_8 * 256^2 + A_C * 256^1 + A_0 * 256^0$. If the result of module 4 was equal to 2 the word[0] would be equal to $A_8 * 256^3 + A_C * 256^2 + A_0 * 256^1 + A_4 * 256^0$. If the result of module 4 were equal to 3 the word[0] would equal $A_C * 256^3 + A_0 * 256^2 + A_4 * 256^1 + A_8 * 256^0$. The same applies, analogously, to the other words.

2.3.1 Adding the elements of sub-block B

First let's do a XOR operation with the 4 words and all 16 elements of sub-block **B**:

$$\begin{aligned} \text{word}[0] &= \text{word}[0] \text{ XOR } (B_0 * 256^3 + B_5 * 256^2 + B_A * 256^1 + B_F * 256^0) \\ \text{word}[1] &= \text{word}[1] \text{ XOR } (B_1 * 256^3 + B_6 * 256^2 + B_B * 256^1 + B_C * 256^0) \\ \text{word}[2] &= \text{word}[2] \text{ XOR } (B_2 * 256^3 + B_7 * 256^2 + B_B * 256^1 + B_D * 256^0) \\ \text{word}[3] &= \text{word}[3] \text{ XOR } (B_3 * 256^3 + B_4 * 256^2 + B_9 * 256^1 + B_E * 256^0) \end{aligned}$$

We can graphically represent this operation in relation to sub-block **B** in this way:

Word 0				Word 1				Word 2				Word 3			
0	1	2	3	0	1	2	3	0	1	2	3	0	1	2	3
4	5	6	7	4	5	6	7	4	5	6	7	4	5	6	7
8	9	A	B	8	9	A	B	8	9	A	B	8	9	A	B
C	D	E	F	C	D	E	F	C	D	E	F	C	D	E	F

Table 3

² A SBOX is a non-linear replacement box. It is similar to the substitution box used by the AES algorithm but the T1 table is dynamic, that is, it changes over the time of the algorithm processing.

Note that each word is modified by parts of each of the 4 words in sub-block **B**.

2.3.2 Adding the elements of sub-block C

The next operation is a sum of each of these 4 words with others formed by the elements of sub-block **C**, only this time not a byte of the sub-block, but the mapping of this byte in table **T1** that here works as a SBOX.

$$\begin{aligned} \text{word}[0] &= \text{word}[0] + (\text{T1}[\text{C}_0] * 256^3 + \text{T1}[\text{C}_6] * 256^2 + \text{T1}[\text{C}_8] * 256^1 + \text{T1}[\text{C}_E] * 256^0) \bmod 2^{32} \\ \text{word}[1] &= \text{word}[1] + (\text{T1}[\text{C}_1] * 256^3 + \text{T1}[\text{C}_7] * 256^2 + \text{T1}[\text{C}_9] * 256^1 + \text{T1}[\text{C}_F] * 256^0) \bmod 2^{32} \\ \text{word}[2] &= \text{word}[2] + (\text{T1}[\text{C}_2] * 256^3 + \text{T1}[\text{C}_4] * 256^2 + \text{T1}[\text{C}_A] * 256^1 + \text{T1}[\text{C}_C] * 256^0) \bmod 2^{32} \\ \text{word}[3] &= \text{word}[3] + (\text{T1}[\text{C}_3] * 256^3 + \text{T1}[\text{C}_5] * 256^2 + \text{T1}[\text{C}_B] * 256^1 + \text{T1}[\text{C}_D] * 256^0) \bmod 2^{32} \end{aligned}$$

We represent it graphically this way:

Word 0				Word 1				Word 2				Word 3			
0	1	2	3	0	1	2	3	0	1	2	3	0	1	2	3
4	5	6	7	4	5	6	7	4	5	6	7	4	5	6	7
8	9	A	B	8	9	A	B	8	9	A	B	8	9	A	B
C	D	E	F	C	D	E	F	C	D	E	F	C	D	E	F

Table 4

2.3.3 Adding the elements of sub-block D

Finally we have the interaction with sub-block **D** through an operation with an element of this sub-block mapped in vector **T2**:

$$\begin{aligned} \text{word}[0] &= \text{word}[0] \text{ XOR } (\text{T2}[\text{D}_0] * 256^3 + \text{T2}[\text{D}_7] * 256^2 + \text{T2}[\text{D}_A] * 256^1 + \text{T2}[\text{D}_D] * 256^0) \\ \text{word}[1] &= \text{word}[1] \text{ XOR } (\text{T2}[\text{D}_1] * 256^3 + \text{T2}[\text{D}_4] * 256^2 + \text{T2}[\text{D}_B] * 256^1 + \text{T2}[\text{D}_E] * 256^0) \\ \text{word}[2] &= \text{word}[2] \text{ XOR } (\text{T2}[\text{D}_2] * 256^3 + \text{T2}[\text{D}_5] * 256^2 + \text{T2}[\text{D}_8] * 256^1 + \text{T2}[\text{D}_F] * 256^0) \\ \text{word}[3] &= \text{word}[3] \text{ XOR } (\text{T2}[\text{D}_3] * 256^3 + \text{T2}[\text{D}_6] * 256^2 + \text{T2}[\text{D}_9] * 256^1 + \text{T2}[\text{D}_C] * 256^0) \end{aligned}$$

Graphically this operation can be represented as such:

Word 0				Word 1				Word 2				Word 3			
0	1	2	3	0	1	2	3	0	1	2	3	0	1	2	3
4	5	6	7	4	5	6	7	4	5	6	7	4	5	6	7
8	9	A	B	8	9	A	B	8	9	A	B	8	9	A	B
C	D	E	F	C	D	E	F	C	D	E	F	C	D	E	F

Table 5

This part of the algorithm was inspired by the shiftRow() function of the AES algorithm. The difference is that here we work with a block of 512 bits divided into 4 parts. The sub blocks **B**, **C** and **D** are used to modify the sub-block **A**. Each of these sub blocks has 128 bits, totaling a block of 512 bits.

2.3.4 Modifying T1 and T2 tables

Table **T1** is dynamic. At this point 16 of its elements will be changed of position. The data used to change this vector comes from **sub-block D**. Table **T2** is also dynamic. The data used to change this vector comes from **sub-block C**. The changes are made in a simple way through the following operations.

Changes to the interchange table T1:

ALGORITHM 3

```

TMP = T1[T2[BLOCK[48]]]
T1[T2[BLOCK[48]]] = T1[T2[BLOCK[55]]]
T1[T2[BLOCK[55]]] = T1[T2[BLOCK[58]]]
T1[T2[BLOCK[58]]] = T1[T2[BLOCK[61]]]
```

$T1[T2[BLOCK[61]]] = T1[T2[BLOCK[49]]]$
 $T1[T2[BLOCK[49]]] = T1[T2[BLOCK[52]]]$
 $T1[T2[BLOCK[52]]] = T1[T2[BLOCK[59]]]$
 $T1[T2[BLOCK[59]]] = T1[T2[BLOCK[62]]]$
 $T1[T2[BLOCK[62]]] = T1[T2[BLOCK[50]]]$
 $T1[T2[BLOCK[50]]] = T1[T2[BLOCK[53]]]$
 $T1[T2[BLOCK[53]]] = T1[T2[BLOCK[56]]]$
 $T1[T2[BLOCK[56]]] = T1[T2[BLOCK[63]]]$
 $T1[T2[BLOCK[63]]] = T1[T2[BLOCK[51]]]$
 $T1[T2[BLOCK[51]]] = T1[T2[BLOCK[54]]]$
 $T1[T2[BLOCK[54]]] = T1[T2[BLOCK[57]]]$
 $T1[T2[BLOCK[57]]] = T1[T2[BLOCK[60]]]$
 $T1[T2[BLOCK[60]]] = TMP$

Changes to the **T2** exchange table:

ALGORITHM 4

$TMP = T2[T1[BLOCK[32]]]$
 $T2[T1[BLOCK[32]]] = T2[T1[BLOCK[38]]]$
 $T2[T1[BLOCK[38]]] = T2[T1[BLOCK[40]]]$
 $T2[T1[BLOCK[40]]] = T2[T1[BLOCK[46]]]$
 $T2[T1[BLOCK[46]]] = T2[T1[BLOCK[33]]]$
 $T2[T1[BLOCK[33]]] = T2[T1[BLOCK[39]]]$
 $T2[T1[BLOCK[39]]] = T2[T1[BLOCK[41]]]$
 $T2[T1[BLOCK[41]]] = T2[T1[BLOCK[47]]]$
 $T2[T1[BLOCK[47]]] = T2[T1[BLOCK[34]]]$
 $T2[T1[BLOCK[34]]] = T2[T1[BLOCK[36]]]$
 $T2[T1[BLOCK[36]]] = T2[T1[BLOCK[42]]]$
 $T2[T1[BLOCK[42]]] = T2[T1[BLOCK[44]]]$
 $T2[T1[BLOCK[44]]] = T2[T1[BLOCK[35]]]$
 $T2[T1[BLOCK[35]]] = T2[T1[BLOCK[37]]]$
 $T2[T1[BLOCK[37]]] = T2[T1[BLOCK[43]]]$
 $T2[T1[BLOCK[43]]] = T2[T1[BLOCK[45]]]$
 $T2[T1[BLOCK[45]]] = TMP$

Note that in both cases 16 elements of the swap tables are changed for each round of the mixword() function. The block indexes are fixed but as they are indexed by table **T1** or table **T2** they vary in time according to the contents of the sub blocks **D** and **C**, respectively, for table **T1** and table **T2**.

2.3.5 Mixing the basic words

After generating the words we use bit rotation operations ROTL32 (bit rotation to the left), XOR, ADD and NOT to generate new words. The process will be done as follows:

ALGORITHM 5

$word[0] = word[0] \text{ XOR } (\text{ROTL32}(\text{NOT}(word[1]), 13) \text{ XOR } \text{ROTL32}(word[2], 3)) + \text{ROTL32}(\text{NOT}(word[3]), 27);$
 $word[1] = word[1] + (\text{ROTL32}(word[0], 14) \text{ XOR } \text{ROTL32}(\text{NOT}(word[2]), 11)) + \text{ROTL32}(word[3], 26);$
 $word[2] = word[2] \text{ XOR } (\text{ROTL32}(\text{NOT}(word[0]), 9) \text{ XOR } \text{ROTL32}(word[1], 20)) + \text{ROTL32}(\text{NOT}(word[3]), 28);$
 $word[3] = word[3] + (\text{ROTL32}(word[0], 17) \text{ XOR } \text{ROTL32}(\text{NOT}(word[1]), 2)) + \text{ROTL32}(word[2], 1);$

 $word[0] = word[0] \text{ XOR } (\text{ROTL32}(\text{NOT}(word[1]), 25) \text{ XOR } \text{ROTL32}(word[2], 7)) + \text{ROTL32}(\text{NOT}(word[3]), 18);$
 $word[1] = word[1] + (\text{ROTL32}(word[0], 10) \text{ XOR } \text{ROTL32}(\text{NOT}(word[2]), 8)) + \text{ROTL32}(word[3], 23);$
 $word[2] = word[2] \text{ XOR } (\text{ROTL32}(\text{NOT}(word[0]), 15) \text{ XOR } \text{ROTL32}(word[1], 31)) + \text{ROTL32}(\text{NOT}(word[3]), 29);$
 $word[3] = word[3] + (\text{ROTL32}(word[0], 30) \text{ XOR } \text{ROTL32}(\text{NOT}(word[1]), 16)) + \text{ROTL32}(word[2], 21);$

 $word[0] = word[0] \text{ XOR } (\text{ROTL32}(\text{NOT}(word[1]), 19) \text{ XOR } \text{ROTL32}(word[2], 24)) + \text{ROTL32}(\text{NOT}(word[3]), 12);$
 $word[1] = word[1] + (\text{ROTL32}(word[0], 22) \text{ XOR } \text{ROTL32}(\text{NOT}(word[2]), 4)) + \text{ROTL32}(word[3], 6);$
 $word[2] = word[2] \text{ XOR } (\text{ROTL32}(\text{NOT}(word[0]), 5) \text{ XOR } \text{ROTL32}(word[1], 8)) + \text{ROTL32}(\text{NOT}(word[3]), 13);$
 $word[3] = word[3] + (\text{ROTL32}(word[0], 14) \text{ XOR } \text{ROTL32}(\text{NOT}(word[1]), 24)) + \text{ROTL32}(word[2], 20);$

This process causes a diffusion of **sub-block A** with itself. The words are rotated in several bits to the left. In addition, the words are exchanged in the final step preparing for the last step of the round which consists of converting the words again into bytes. These bytes will make up **sub-block D** to be processed by the next round of the mixword() function.

2.3.6 Block rotation

The sub blocks are in positions **A**, **B**, **C** and **D**. After rotation they'll be at positions **B**, **C**, **D** and **A**. See the pseudo code

ALGORITHM 6

For ct from 1 to 48 do:

BLOCK[ct] = BLOCK[ct+16]

position = 0

for ct from 0 to 3 do:

{

tmp = words[ct]
tmp1 = tmp DIV 65536
tmp2 = tmp MOD 65536
t1 = tmp1 DIV 256
t2 = tmp1 MOD 256
t3 = tmp2 DIV 256
t4 = tmp2 MOD 256

If (ct MOD 2 == 0)

BLOCK[48 + position] = T1[(t1+ position) MOD 256]
BLOCK[49 + position] = T1[(t2+ position+1) MOD 256]
BLOCK[50 + position] = T1[(t3+ position+2) MOD 256]
BLOCK[51 + position] = T1[(t4+ position+3) MOD 256]

if not

BLOCK[48 + position] = T2[(t1+ position) MOD 256]
BLOCK[49 + position] = T2[(t2+ position+1) MOD 256]
BLOCK[50 + position] = T2[(t3+ position+2) MOD 256]
BLOCK[51 + position] = T2[(t4+ position+3) MOD 256]

position = position + 4

}

Note that in this case the BLOCK vector represents all 64 bytes which are divided into 4 equal parts representing the sub blocks **A**, **B**, **C** and **D**. The complete mixword() routine is repeated 16 times.

2.3.7 Block_change function()

It is the third and last function to be processed in the main body of the Viktoria hash function. Its purpose is to perform a byte exchange, that is, to reorder the 64 bytes of the block being processed. Thus each processed block can be rearranged in $64!$ different ways ($1.268869322 \times 10^{89}$, which corresponds approximately to a 296-bit key). This permutation is dynamic so that it always changes for each block. Thus there is an extra difficulty for the cryptoanalyst to know which permutation is used since this information depends on data present in the whole file. See the pseudo code:

ALGORITHM 7

```
posic=0;

inicio = (tipo%4)*64;
fim = inicio + 64;
if (tipo < 4){
    for(ct=0;ct<256;ct++){
        if (T2[ct] >= inicio & T2[ct] < fim){
            BLOCK_TMP[posic] = BLOCK[T2[ct]%64];
            posic++;
            if (posic > 63){
                break;
            }
        }
    }
} else {
    for(ct=0;ct<256;ct++){
        if (T1[ct] >= inicio & T1[ct] < fim){
            BLOCK_TMP[posic] = BLOCK[T1[ct]%64];
            posic++;
            if (posic > 63){
                break;
            }
        }
    }
}

for (ct=0;ct<64;ct++){
    BLOCK[ct] = BLOCK_TMP[ct];
}
```

The first processing loop permutes the data block of the file according to the swap tables **T2** and **T1** (pivot tables). The second loop of this routine only transfers the data from the temporary vector to the final BLOCK that will be used together with the next block to be processed. The block size is always 512 bits.

2.3.8 Mixword_final() function

This routine is very similar to the mixword() function except that it is executed at least 8192 times and at most 16382 times per file. It is the penultimate operation to be performed before ending with hash output. More details can be found in Appendix IV.

2.3.9 End Function()

It is executed only once for each file processed. This routine performs an XOR operation after the last block swap operation in the last block of the file. It consists of doing a multiplication operation between bytes of the swapping tables **T1** and **T2**. From the result of this operation we extract one byte necessary for the final XOR operation.

See the pseudo code:

ALGORITHM 8

```
position=0
```

For ct from 1 to 64 do:

```
    tmp1 = (T1[posicao] * 256) + T2[posicao];
    tmp2 = (T2[posicao+64] * 256) + T1[posicao+64];
```

```

If tmp1 == 0
    tmp1 = 65536

If tmp2 == 0
    tmp2 = 65536

result = (tmp1 * tmp2) MOD 65537

BLOCK[ct]= BLOCK[ct] XOR (result MOD 256)
position = position + 2

```

This routine aims to make the hash analysis more difficult, protecting from a possible attack that aims to undo the last byte exchange operation. The number of permutation possibilities is $64!$, and in this multiplication we have $(256! / 128!)^2 = 4,948458079 \times 10^{582}$ which is approximately equivalent to a 1935 bit key. The number of combinations is very large but in practice it is limited to a 512-bit XOR operation which injects an uncertainty as to the content of the **T1** and **T2** interchange tables and the order in which the bytes were exchanged in the previous operation.

3. DESIGN JUSTIFICATION

The Viktoria algorithm has an elegant and efficient design. The mechanism starts differentiating messages by their size through a header and a null byte control block. Only in this step that is part of the pre-processing and in the initialization of the exchange tables T1 and T2 the algorithm already promotes positive disagreements between similar messages. Regarding the central processing of the algorithm we have a dynamic block reading where the information read from each message block is processed by a different dynamic SBOX. The processing of the mixword() function is very efficient, requiring in general only 4 of the 16 runs performed to promote non-compressiveness and randomness in the data. And the byte-switching function is also very efficient being performed dynamically for each block, always doing a different permutation. The following tables illustrate this mechanism:

Word 0															
SUB-BLOCK A				SUB-BLOCK B				SUB-BLOCK C				SUB-BLOCK D			
Current				T0 (without SBOX)				T1				T2			
P0 _A	P1 _A	P2 _A	P3 _A	16	17	18	19	32	33	34	35	48	49	50	51
P0 _B	P1 _B	P2 _B	P3 _B	20	21	22	23	36	37	38	39	52	53	54	55
P0 _C	P1 _C	P2 _C	P3 _C	24	25	26	27	40	41	42	43	56	57	58	59
P0 _D	P1 _D	P2 _D	P3 _D	28	29	30	31	44	45	46	47	60	61	62	63

Table 6

Word 1															
SUB-BLOCK A				SUB-BLOCK B				SUB-BLOCK C				SUB-BLOCK D			
Current				T0 (without SBOX)				T1				T2			
P0 _A	P1 _A	P2 _A	P3 _A	16	17	18	19	32	33	34	35	48	49	50	51
P0 _B	P1 _B	P2 _B	P3 _B	20	21	22	23	36	37	38	39	52	53	54	55
P0 _C	P1 _C	P2 _C	P3 _C	24	25	26	27	40	41	42	43	56	57	58	59
P0 _D	P1 _D	P2 _D	P3 _D	28	29	30	31	44	45	46	47	60	61	62	63

Table 7

Word 2															
SUB-BLOCK A				SUB-BLOCK B				SUB-BLOCK C				SUB-BLOCK D			
Current				T0 (without SBOX)				T1				T2			
P0 _A	P1 _A	P2 _A	P3 _A	16	17	18	19	32	33	34	35	48	49	50	51
P0 _B	P1 _B	P2 _B	P3 _B	20	21	22	23	36	37	38	39	52	53	54	55
P0 _C	P1 _C	P2 _C	P3 _C	24	25	26	27	40	41	42	43	56	57	58	59
P0 _D	P1 _D	P2 _D	P3 _D	28	29	30	31	44	45	46	47	60	61	62	63

Table 8

Word 3															
SUB-BLOCK A				SUB-BLOCK B				SUB-BLOCK C				SUB-BLOCK D			
Current				T0 (without SBOX)				T1				T2			
P0 _A	P1 _A	P2 _A	P3 _A	16	17	18	19	32	33	34	35	48	49	50	51
P0 _B	P1 _B	P2 _B	P3 _B	20	21	22	23	36	37	38	39	52	53	54	55
P0 _C	P1 _C	P2 _C	P3 _C	24	25	26	27	40	41	42	43	56	57	58	59
P0 _D	P1 _D	P2 _D	P3 _D	28	29	30	31	44	45	46	47	60	61	62	63

Table 9

Block rotation															
SUB-BLOCK B				SUB-BLOCK C				SUB-BLOCK D				SUB-BLOCK A			
Current				T0 (without SBOX)				T1				T2			
16	17	18	19	32	33	34	35	48	49	50	51	P1 _A	P1 _B	P1 _C	P1 _D
20	21	22	23	36	37	38	39	52	53	54	55	P2 _A	P2 _B	P2 _C	P2 _D
24	25	26	27	40	41	42	43	56	57	58	59	P3 _A	P3 _B	P3 _C	P3 _D
28	29	30	31	44	45	46	47	60	61	62	63	P0 _A	P0 _B	P0 _C	P0 _D

Table 10

In the main algorithm we use three sub-blocks to change the first block. An important observation in the design of the rotation function of sub-blocks is that it transforms a word that is initially represented by a **column of sub-block A** into a **row of sub-block D**. This is very useful because in the next round of the function **sub-block B** will be changed by elements of the 4 columns of **sub-block A** that originate from elements of the four words of sub-blocks **A, B, C** and **D**.

Round 1																
SUB-BLOCK A				SUB-BLOCK B				SUB-BLOCK C				SUB-BLOCK D				
Current				T0 (without SBOX)				T1				T2				
P0 _A	P1 _A	P2 _A	P3 _A	16	17	18	19	32	33	34	35	48	49	50	51	
P0 _B	P1 _B	P2 _B	P3 _B	20	21	22	23	36	37	38	39	52	53	54	55	
P0 _C	P1 _C	P2 _C	P3 _C	24	25	26	27	40	41	42	43	56	57	58	59	
P0 _D	P1 _D	P2 _D	P3 _D	28	29	30	31	31	44	45	46	47	60	61	62	63

Table 11

Note in table 12 the shift to the left of the sub-blocks with respect to table 11. This movement allows you to set the new word **P0** to:

$$\mathbf{P0} = ((\text{byte n}^{\circ} 20) * 2^{24}) + ((\text{byte n}^{\circ} 24) * 2^{16}) + ((\text{byte n}^{\circ} 28) * 2^8) + (\text{byte n}^{\circ} 16)$$

Round 2															
SUB-BLOCK B				SUB-BLOCK C				SUB-BLOCK D				SUB-BLOCK A			
Current				T0 (without SBOX)				T1				T2			
16	17	18	19	32	33	34	35	48	49	50	51	P1 _A	P1 _B	P1 _C	P1 _D
20	21	22	23	36	37	38	39	52	53	54	55	P2 _A	P2 _B	P2 _C	P2 _D
24	25	26	27	40	41	42	43	56	57	58	59	P3 _A	P3 _B	P3 _C	P3 _D
28	29	30	31	44	45	46	47	60	61	62	63	P0 _A	P0 _B	P0 _C	P0 _D

Table 12

The word **P0** will be modified by the words highlighted in sub-blocks **C, D** and **A** (see table 12). Sub-blocks **B, C** and **D** were not changed in the first round of the mixword() function. Note carefully the bytes 32 and 48. In the first round of the mixword() function they interacted with block **A** through functions T1[32] and T2[48] (in fact it's just the Sbox's). In the second round the interaction is T0[32] and T1[48]. Remember that T0 represents the raw byte (without any change by the Sbox). This way the same data provides different changes to each round of the mixword() function. This feature provides a true pseudo-random number generator taking into account that every round the swap tables are changed and consequently the Sbox's change as well. After the 16th round of the mixword() function is executed the permutation_block() function which performs a permutation of the 64 bytes of the block being processed. Then a further 64 bytes of the

message is read out and an XOR operation is performed with the previous block, repeating the processing cycle in the new block.

Regarding the two post-processing functions (mixword_final and final) we can say that they only provide an additional barrier to make statistical attacks as difficult as possible (such as differential and linear cryptoanalysis) besides guaranteeing a minimum number of execution rounds of the algorithm's main structure.

Viktoria hash can also generate other hash sizes with 1024 or 2048 bits thus ensuring versatility of the algorithm. The hashes with larger sizes are generated through the concatenation of 512-bit hashes generated through algorithm 9. While the 512-bit hash is secure the others are also secure because they are built through post-processing of the data used to generate the basic 512-bit hash.

ALGORITHM 9

```
permutation_binary_512()
mixword_final()
permutation_block()
mixword_final()
finalizes()
```

Each time Algorithm 9 is run it produces a 512 bit output that is joined to the previous hash to form the final hash value.

4. LOGICAL BASIS

Viktoria hash has in its main core 3 processes that perform different functions: read_block(), mixword() and permutation_block().

4.1 Read_block() function

The read_block() function reads 64-byte blocks of the message as a function of the T1 interchange box, which in this case functions as a SBOX interchange box. However this substitution box is dynamic and changes every 64 bytes read from the message. This makes it much more difficult to trace the content of the message (especially when it is very long) because it is being "encrypted" by a mechanism similar to a polyalphabetic substitution whose key changes every 64 bytes read. It is worth noting that the mixword() function is executed 16 times and changes the T1 table every round (depending on the block data). Another important fact is that the initial state of the swap tables T1 and T2 depend on the content of the entire message and are processed before the data blocks of the message are read.

For example, for a message with 256 concatenated letters "A" we have the readings of the 4 blocks from the following substitution boxes (the asterisks after the numbers indicate that the byte was substituted in relation to the previous table):

33	226	57	123	220	27	53	70	5	62	253	4	1	234	69	86
119	189	186	255	130	251	201	144	245	221	192	247	116	225	47	89
230	198	154	229	199	151	193	56	248	113	99	90	28	59	132	55
101	191	222	38	108	135	178	160	140	242	244	72	96	95	98	19
163	215	8	18	20	104	169	194	46	48	87	15	219	158	79	97
173	121	161	124	16	159	81	153	227	65	127	218	41	109	200	202
42	128	39	111	3	204	134	213	211	187	205	25	94	17	14	31
76	50	45	21	110	10	40	118	170	181	195	236	184	217	29	63
228	155	162	252	64	26	93	0	92	103	34	210	58	83	138	75
43	2	207	24	11	32	254	164	180	68	208	249	157	147	139	156
49	78	175	235	141	250	243	7	209	166	73	148	185	136	149	146
188	44	51	203	183	100	77	172	223	13	129	206	176	80	196	114
241	106	167	85	82	117	212	112	61	102	88	190	115	246	30	233
122	240	91	37	71	60	126	9	35	152	125	131	143	133	174	84
224	67	52	177	239	238	197	232	182	6	105	214	137	23	231	237
36	107	179	22	12	150	142	120	54	171	74	168	145	216	66	165

SBOX for block 1

126*	211*	57	123	96*	27	53	199*	5	243*	134*	35*	1	179*	215*	86
119	143*	101*	255	130	251	242*	13*	245	217*	192	237*	83*	225	177*	89
230	198	24*	154*	120*	138*	144*	26*	248	158*	99	52*	156*	66*	115*	32*
29*	17*	222	38	108	56*	178	160	3*	252*	244	72	240*	95	98	19
21*	34*	139*	116*	20	213*	104*	194	145*	212*	100*	15	167*	197*	79	97
173	111*	239*	16*	232*	159	141*	153	64*	93*	190*	186*	164*	189*	22*	202
42	36*	40*	226*	73*	78*	140*	18*	231*	161*	205	25	254*	28*	181*	31
88*	58*	45	235*	182*	253*	62*	118	48*	112*	195	85*	184	207*	127*	249*
121*	187*	39*	172*	76*	201*	30*	0	92	228*	214*	210	155*	63*	8*	75
105*	2	247*	128*	11	219*	147*	216*	148*	234*	208	37*	157	169*	59*	4*
49	94*	175	149*	250*	224*	152*	7	91*	233*	103*	55*	209*	136	10*	146
188	44	51	203	183	221*	77	180*	223	200*	185*	206	176	46*	196	114
241	33*	129*	238*	82	117	113*	43*	70*	102	87*	171*	168*	236*	41*	163*
122	69*	151*	227*	71	170*	191*	9	60*	61*	125	131	193*	133	174	84
81*	67	132*	229*	68*	12*	110*	246*	220*	6	124*	14*	137	23	166*	204*
80*	107	109*	218*	162*	150	142	106*	54	90*	47*	135*	74*	50*	65*	165

SBOX for block 2

92*	211	182*	123	206*	96*	53	119*	5	50*	134	64*	1	179	215	86
233*	143	101	255	149*	169*	242	38*	93*	150*	191*	237	83	87*	177	46*
126*	145*	24	254*	120	105*	144	26	48*	158	99	214*	69*	125*	115	32
2*	113*	222	154*	202*	198*	33*	104*	3	234*	244	72	240	58*	224*	188*
160*	6*	176*	63*	221*	89*	114*	102*	132*	136*	253*	146*	7*	197	170*	243*
173	62*	239	16	232	159	246*	153	128*	35*	190	111*	57*	192*	187*	167*
42	196*	40	226	73	217*	140	174*	161*	227*	129*	25	130*	156*	29*	31
71*	164*	45	235	28*	36*	223*	20*	155*	75*	195	85	184	207	162*	137*
121	189*	59*	108*	142*	201	91*	18*	10*	228	66*	210	17*	70*	8	185*
251*	208*	247	98*	11	168*	147	252*	110*	0*	97*	37	157	181*	152*	4
41*	248*	34*	249*	250	21*	65*	245*	61*	74*	103	139*	118*	78*	95*	141*
172*	94*	51	203	183	79*	77	180	127*	27*	219*	218*	76*	186*	225*	109*
231*	117*	112*	238	82	163*	213*	43	200*	55*	194*	171	12*	236	56*	106*
122	15*	22*	212*	88*	44*	199*	9	60	138*	151*	131	193	133	13*	84
81	67	100*	229	68	148*	178*	30*	220	209*	124	14	80*	23	166	204
52*	107	19*	230*	175*	205*	241*	116*	54	90	47	135	39*	216*	49*	165

SBOX for block 3

255*	122*	182	123	239*	159*	165*	136*	53*	184*	201*	193*	1	236*	215	86
233	143	101	43*	231*	55*	135*	153*	250*	186*	191	39*	144*	74*	177	46
126	145	150*	254	120	25*	7*	26	92*	158	99	214	69	226*	149*	32
59*	113	58*	244*	237*	132*	33	104	3	180*	77*	216*	240	82*	224	188
48*	6	176	63	54*	202*	114	168*	128*	50*	163*	11*	167*	234*	227*	91*
105*	62	152*	16	232	147*	38*	171*	49*	198*	190	138*	64*	238*	187	161*
42	175*	197*	90*	73	217	140	185*	118*	212*	235*	248*	130	87*	169*	31
174*	164	157*	4*	5*	24*	223	20	100*	75	195	85	121*	207	146*	137
18*	189	47*	108	142	36*	129*	196*	10	228	131*	210	17	103*	12*	218*
181*	208	102*	98	37*	124*	106*	148*	110	0	97	211*	40*	243*	27*	28*
41	246*	34	23*	96*	21	13*	89*	222*	194*	67*	139	61*	78	95	35*
172	94	156*	19*	183	79	242*	225*	70*	112*	127*	111*	72*	56*	65*	109
52*	117	119*	241*	115*	247*	213	160*	200	141*	45*	203*	251*	80*	29*	192*
179*	15	22	76*	88	44	199	9	60	93*	151	230*	154*	133	206*	252*
245*	162*	205*	229	2*	173*	178	30	71*	209	253*	14	84*	220*	166	204
249*	107	8*	221*	170*	125*	83*	116	51*	66*	219*	155*	57*	68*	134*	81*

SBOX for block 4

This way the read_block() function does not work exactly like a pseudo-random number generator but it helps to modify each message block with a different table. The period of the function is undetermined because it depends on the content of each read block. Since the swap tables T1 and T2 are changed every round of the mixword() function and they interact with each other we can only note here their maximum period of 256!. About 5/8 of the T1 values are changed every time the mixword() function is passed.

The 4 sbox's previously seen can be represented visually as follows:

Picture 1

4.2 Mixword function()

Here we have some notes on word formation in the mixword() function. The vector **B** represents the 64 bytes read block of the message. Vectors T1 and T2 are the interchange tables that in this case work as Sbox's:

ALGORITHM 10

```

Word 0 =
    ( B[ 0] * 2563) + ( B[ 4] * 2562) + ( B[ 8] * 256) + ( B[12] )
    xor ( B[16] * 2563) + ( B[21] * 2562) + ( B[26] * 256) + ( B[31] )
    add (T1[B[32]] * 2563) + (T1[B[38]] * 2562) + (T1[B[40]] * 256) + (T1[B[46]])
    xor (T2[B[48]] * 2563) + (T2[B[55]] * 2562) + (T2[B[58]] * 256) + (T2[B[61]])

Word 1 =
    ( B[ 1] * 2563) + ( B[ 5] * 2562) + ( B[ 9] * 256) + ( B[13] )
    xor ( B[17] * 2563) + ( B[22] * 2562) + ( B[27] * 256) + ( B[28] )
    add (T1[B[33]] * 2563) + (T1[B[39]] * 2562) + (T1[B[41]] * 256) + (T1[B[47]])
    xor (T2[B[49]] * 2563) + (T2[B[52]] * 2562) + (T2[B[59]] * 256) + (T2[B[62]])

Word 2 =
    ( B[ 2] * 2563) + ( B[ 6] * 2562) + ( B[10] * 256) + ( B[14] )
    xor ( B[18] * 2563) + ( B[23] * 2562) + ( B[24] * 256) + ( B[29] )
    add (T1[B[34]] * 2563) + (T1[B[36]] * 2562) + (T1[B[42]] * 256) + (T1[B[44]])
    xor (T2[B[50]] * 2563) + (T2[B[53]] * 2562) + (T2[B[56]] * 256) + (T2[B[63]])

Word 3 =
    ( B[ 3] * 2563) + ( B[ 7] * 2562) + ( B[11] * 256) + ( B[15] )
    xor ( B[19] * 2563) + ( B[20] * 2562) + ( B[25] * 256) + ( B[30] )
    add (T1[B[35]] * 2563) + (T1[B[37]] * 2562) + (T1[B[43]] * 256) + (T1[B[45]])
    xor (T2[B[51]] * 2563) + (T2[B[54]] * 2562) + (T2[B[57]] * 256) + (T2[B[60]))

```

Here we have the initial formations of the 4 words that represent the beginning of the processing of the mixword() function. Each word contains 128-bit information from the message block and the 4 words together condense information from the entire block. We see for example that sub-block A when receiving information from sub-blocks B, C and D retain information from the entire 512-bit block. As this operation is reversible there are no collisions and the process guarantees that given the three sub-blocks **B**, **C** and **D**, there is only one corresponding sub-block **A** with the interchange tables **T1** and **T2** in the same states.

In the next phase of the mixword() function the words interact with each other using the XOR, ADD (2^{32} module sum), NOT and ROTL32 (left bit rotation) operations. See details in algorithm 5. In table 13 we see the result of the transformations made by this code. The input is composed by 4 words of 32 bits and the output also produces 4 words of 32 bits:

ENTRY				OUT			
Word 0	Word 1	Word 2	Word 3	Word 0	Word 1	Word 2	Word 3
00 00 00 00	00 00 00 00	00 00 00 00	00 00 00 00	B1 29 BC 59	BA 3B 24 31	B4 39 81 37	9C 2B DF 2A
00 00 00 01	00 00 00 00	00 00 00 00	00 00 00 00	00 E0 77 EF	8D 21 84 03	DF B2 22 35	2C 92 FE B8
00 00 00 02	00 00 00 00	00 00 00 00	00 00 00 00	72 D1 BF AF	00 04 70 AA	99 41 F9 2A	F3 CF 9C 66
00 00 00 03	00 00 00 00	00 00 00 00	00 00 00 00	E8 F0 1F 5B	2C 25 DE 4B	33 89 09 DC	C2 9A 1A C8
00 00 00 04	00 00 00 00	00 00 00 00	00 00 00 00	2C CC 07 AD	1E 7A 16 E6	A4 FA 48 5B	06 51 E5 8E
00 00 00 05	00 00 00 00	00 00 00 00	00 00 00 00	CA E7 32 DB	39 AE 96 CD	94 9F E2 D5	AD 78 27 F3
00 00 00 06	00 00 00 00	00 00 00 00	00 00 00 00	A5 0C 06 A9	F9 20 AE 7B	EC A5 9D 6C	B0 B5 2E F5
00 00 00 07	00 00 00 00	00 00 00 00	00 00 00 00	FF C7 6E 20	FB 7E 22 11	FF FF 4B 39	87 BD 9E 2B
00 00 00 08	00 00 00 00	00 00 00 00	00 00 00 00	07 F0 E6 24	52 C9 CB 22	45 EE AB ED	DF 61 D0 1A
00 00 00 09	00 00 00 00	00 00 00 00	00 00 00 00	AF 17 04 CE	76 DC 2A 02	5E D4 E3 2A	C4 85 7C FC
00 00 00 0A	00 00 00 00	00 00 00 00	00 00 00 00	4C 42 A6 DB	51 43 8F ED	64 7F 6A FF	E0 20 75 9A
00 00 00 0B	00 00 00 00	00 00 00 00	00 00 00 00	A2 9B 6B AA	39 82 64 9B	E0 85 23 CF	D3 2C E0 C5
00 00 00 0C	00 00 00 00	00 00 00 00	00 00 00 00	40 B7 1E CC	42 C1 5F DC	CE E5 30 63	4E 04 56 B7
00 00 00 0D	00 00 00 00	00 00 00 00	00 00 00 00	0F E1 7D 76	0C E8 32 FD	1A 13 3F 27	CD A1 5E FB
00 00 00 0E	00 00 00 00	00 00 00 00	00 00 00 00	69 D1 5C F9	EA C1 1D 4F	17 07 34 EB	55 E7 3A F4
00 00 00 0F	00 00 00 00	00 00 00 00	00 00 00 00	81 95 0B DD	BA AC 69 56	D0 B2 2A 99	00 ED E7 C4

Table 13

We can graphically represent the entries and exits in this way:

Offset(h)	00	01	02	03	04	05	06	07	08	09	0A	0B	0C	0D	0E	0F	Decoded text
00000000	B1	29	BC	59	BA	3B	24	31	B4	39	81	37	9C	2B	DF	2A	Σ]Y:\$1-9ü7£+*
00000010	00	E0	77	EF	8D	21	84	03	DF	B2	22	35	2C	92	FE	B8	.awñi!äv*5,ß
00000020	72	D1	BF	AF	00	04	70	AA	99	41	F9	2A	F3	CF	9C	66	zT»•.♦p-ÖA.*≤L£f
00000030	E8	F0	1F	5B	2C	25	DE	4B	33	89	09	DC	C2	9A	1A	C8	Φ≡[,%K3ëoTÜ,L
00000040	2C	CC	07	AD	1E	7A	16	E6	A4	FA	48	5B	06	51	E5	8E	,,·;▲z-μñ·H[QoCÄ
00000050	CA	E7	32	DB	39	AE	96	CD	94	9F	E2	D5	AD	78	27	F3	1t2■9«ü=öfΓfix'≤
00000060	A5	0C	06	A9	F9	20	AE	7B	EC	A5	9D	6C	B0	B5	2E	F5	Ñ:·-. «(∞Ñ1■.)
00000070	FF	C7	6E	20	FB	7E	22	11	FF	4B	39	87	BD	9E	2B		ln V~"◀ K9ç E+
00000080	07	F0	E6	24	52	C9	CB	22	45	EE	AB	ED	DF	61	00	1A	=•ü\$F"rr"Ec+sp
00000090	AF	17	04	CE	76	DC	2A	02	5E	D4	E3	2A	C4	85	7C	FC	»1+V*^*^Eπ-^*^A-^ln
000000A0	4C	42	A6	DB	51	43	8F	ED	64	7F	6A	FF	20	75	9A	LB+QoCÄpðødα a uÜ	
000000B0	A2	9B	6B	AA	39	82	64	9B	E0	85	23	CF	D3	2C	E0	C5	ðóck-9éðoðæá#L,α
000000C0	40	B7	1E	CC	42	C1	5F	DC	CE	E5	30	63	4E	04	56	B7	θ,▲EBL■[oCn+N▼l
000000D0	0F	E1	7D	76	0C	E8	32	FD	1A	13	3F	27	CD	A1	5E	FB	Ø}v+Φ2-!!?=?i^V
000000E0	69	D1	5C	F9	EA	C1	1D	4F	17	07	34	EB	55	E7	3A	F4	i_T·ΩL-O+48Ut:[
000000F0	81	95	0B	DD	BA	AC	69	56	D0	B2	2A	99	00	ED	E7	C4	üðe iV ö.ø-

Picture 2

Using the Diehard3 test battery (see test description in Annex V) we obtained a positive result in terms of randomness by testing 12 megabytes of data of the function represented in figure 2:

```

BIRTHDAY SPACINGS TEST, M= 512 N=2**24 LAMBDA= 2.0000
    saida.bin      using bits 1 to 24 p-value= .944304
    saida.bin      using bits 2 to 25 p-value= .288732
    saida.bin      using bits 3 to 26 p-value= .138885
    saida.bin      using bits 4 to 27 p-value= .376896
    saida.bin      using bits 5 to 28 p-value= .629163
    saida.bin      using bits 6 to 29 p-value= .920090
    saida.bin      using bits 7 to 30 p-value= .372930
    saida.bin      using bits 8 to 31 p-value= .099840
    saida.bin      using bits 9 to 32 p-value= .223834
The 9 p-values were
.944304 .288732 .138885 .376896 .629163
.920090 .372930 .099840 .223834
A KTEST for the 9 p-values yields .339095
-----
OPERM5 test for file saida.bin
chisquare for 99 degrees of freedom= 87.308; p-value= .206513
OPERM5 test for file saida.bin
chisquare for 99 degrees of freedom= 53.514; p-value= .000055
-----
Binary rank test for saida.bin
  Rank test for 31x31 binary matrices:
  rows from leftmost 31 bits of each 32-bit integer
rank observed expected (o-e)^2/e sum
 28      238      211.4  3.342203  3.342
 29      5073     5134.0  .725018   4.067
 30      23218    23103.0  .571969   4.639
 31     11471     11551.5  .561327   5.201
chisquare= 5.201 for 3 d. of f.; p-value= .853601
Binary rank test for saida.bin
  Rank test for 32x32 binary matrices:
  rows from leftmost 32 bits of each 32-bit integer
rank observed expected (o-e)^2/e sum
 29      188      211.4  2.593929  2.594
 30      5227     5134.0  1.684276  4.278
 31     23181    23103.0  .263025  4.541
 32     11404     11551.5  1.884033  6.425
chisquare= 6.425 for 3 d. of f.; p-value= .912969
-----
b-rank test for bits 1 to 8 p=1-exp(-SUM/2)= .83751
b-rank test for bits 2 to 9 p=1-exp(-SUM/2)= .85710
b-rank test for bits 3 to 10 p=1-exp(-SUM/2)= .89791
b-rank test for bits 4 to 11 p=1-exp(-SUM/2)= .36146
b-rank test for bits 5 to 12 p=1-exp(-SUM/2)= .38158
b-rank test for bits 6 to 13 p=1-exp(-SUM/2)= .73410
b-rank test for bits 7 to 14 p=1-exp(-SUM/2)= .20633
b-rank test for bits 8 to 15 p=1-exp(-SUM/2)= .96461
b-rank test for bits 9 to 16 p=1-exp(-SUM/2)= .99192
b-rank test for bits 10 to 17 p=1-exp(-SUM/2)= .04526
b-rank test for bits 11 to 18 p=1-exp(-SUM/2)= .04721
b-rank test for bits 12 to 19 p=1-exp(-SUM/2)= .20809
b-rank test for bits 13 to 20 p=1-exp(-SUM/2)= .10942
b-rank test for bits 14 to 21 p=1-exp(-SUM/2)= .82995
b-rank test for bits 15 to 22 p=1-exp(-SUM/2)= .11413
b-rank test for bits 16 to 23 p=1-exp(-SUM/2)= .58813
b-rank test for bits 17 to 24 p=1-exp(-SUM/2)= .69165
b-rank test for bits 18 to 25 p=1-exp(-SUM/2)= .86054
b-rank test for bits 19 to 26 p=1-exp(-SUM/2)= .33184

```

b-rank test for bits 20 to 27 p=1-exp(-SUM/2)= .09620
 b-rank test for bits 21 to 28 p=1-exp(-SUM/2)= .86821
 b-rank test for bits 22 to 29 p=1-exp(-SUM/2)= .13135
 b-rank test for bits 23 to 30 p=1-exp(-SUM/2)= .19439
 b-rank test for bits 24 to 31 p=1-exp(-SUM/2)= .93140
 b-rank test for bits 25 to 32 p=1-exp(-SUM/2)= .89434
 TEST SUMMARY, 25 tests on 100,000 random 6x8 matrices
 These should be 25 uniform [0,1] random variables:
 .837512 .857097 .897906 .361459 .381575
 .734100 .206330 .964606 .991925 .045263
 .047208 .208091 .109424 .829950 .114130
 .588132 .691647 .860544 .331844 .096200
 .868210 .131347 .194395 .931403 .894339
 brank test summary for saida.bin
 The KS test for those 25 supposed UNI's yields
 KS p-value= .820499

No. missing words should average	141909. with sigma=428.
tst no 1:	142413 missing words, 1.18 sigmas from mean, p-value= .88036
tst no 2:	142632 missing words, 1.69 sigmas from mean, p-value= .95434
tst no 3:	141693 missing words, -.51 sigmas from mean, p-value= .30663
tst no 4:	142108 missing words, .46 sigmas from mean, p-value= .67874
tst no 5:	142941 missing words, 2.41 sigmas from mean, p-value= .99203
tst no 6:	141816 missing words, -.22 sigmas from mean, p-value= .41369
tst no 7:	142271 missing words, .85 sigmas from mean, p-value= .80095
tst no 8:	141305 missing words, -1.41 sigmas from mean, p-value= .07898
tst no 9:	141995 missing words, .20 sigmas from mean, p-value= .57933
tst no 10:	141158 missing words, -1.76 sigmas from mean, p-value= .03959
tst no 11:	142668 missing words, 1.77 sigmas from mean, p-value= .96185
tst no 12:	141586 missing words, -.76 sigmas from mean, p-value= .22499
tst no 13:	141437 missing words, -1.10 sigmas from mean, p-value= .13489
tst no 14:	141689 missing words, -.51 sigmas from mean, p-value= .30335
tst no 15:	142280 missing words, .87 sigmas from mean, p-value= .80677
tst no 16:	141039 missing words, -2.03 sigmas from mean, p-value= .02100
tst no 17:	142366 missing words, 1.07 sigmas from mean, p-value= .85701
tst no 18:	141718 missing words, -.45 sigmas from mean, p-value= .32743
tst no 19:	141867 missing words, -.10 sigmas from mean, p-value= .46061
tst no 20:	141832 missing words, -.18 sigmas from mean, p-value= .42831

OPSO for saida.bin	using bits 23 to 32	141999	.309	.6214
OPSO for saida.bin	using bits 22 to 31	142241	1.144	.8736
OPSO for saida.bin	using bits 21 to 30	141755	-.532	.2973
OPSO for saida.bin	using bits 20 to 29	141318	-2.039	.0207
OPSO for saida.bin	using bits 19 to 28	141790	-.411	.3404
OPSO for saida.bin	using bits 18 to 27	142213	1.047	.8525
OPSO for saida.bin	using bits 17 to 26	142011	.351	.6371
OPSO for saida.bin	using bits 16 to 25	142394	1.671	.9527
OPSO for saida.bin	using bits 15 to 24	142054	.499	.6911
OPSO for saida.bin	using bits 14 to 23	141475	-1.498	.0671
OPSO for saida.bin	using bits 13 to 22	141948	.133	.5530
OPSO for saida.bin	using bits 12 to 21	142219	1.068	.8572
OPSO for saida.bin	using bits 11 to 20	141704	-.708	.2395
OPSO for saida.bin	using bits 10 to 19	141819	-.311	.3777
OPSO for saida.bin	using bits 9 to 18	141996	.299	.6175
OPSO for saida.bin	using bits 8 to 17	141772	-.474	.3179
OPSO for saida.bin	using bits 7 to 16	141820	-.308	.3790
OPSO for saida.bin	using bits 6 to 15	141682	-.784	.2166
OPSO for saida.bin	using bits 5 to 14	142302	1.354	.9121
OPSO for saida.bin	using bits 4 to 13	141880	-.101	.4597
OPSO for saida.bin	using bits 3 to 12	141797	-.387	.3493
OPSO for saida.bin	using bits 2 to 11	141798	-.384	.3505
OPSO for saida.bin	using bits 1 to 10	142223	1.082	.8603
OQSO for saida.bin	using bits 28 to 32	142129	.745	.7718
OQSO for saida.bin	using bits 27 to 31	142233	1.097	.8637
OQSO for saida.bin	using bits 26 to 30	142185	.934	.8250
OQSO for saida.bin	using bits 25 to 29	141998	.301	.6181
OQSO for saida.bin	using bits 24 to 28	141896	-.045	.4820
OQSO for saida.bin	using bits 23 to 27	142335	1.443	.9255
OQSO for saida.bin	using bits 22 to 26	142174	.897	.8152
OQSO for saida.bin	using bits 21 to 25	142324	1.406	.9201
OQSO for saida.bin	using bits 20 to 24	141481	-1.452	.0733
OQSO for saida.bin	using bits 19 to 23	142004	.321	.6259
OQSO for saida.bin	using bits 18 to 22	141435	-1.608	.0539
OQSO for saida.bin	using bits 17 to 21	141723	-.632	.2638
OQSO for saida.bin	using bits 16 to 20	141654	-.866	.1934
OQSO for saida.bin	using bits 15 to 19	141393	-1.750	.0400
OQSO for saida.bin	using bits 14 to 18	141821	-.299	.3823
OQSO for saida.bin	using bits 13 to 17	141663	-.835	.2019
OQSO for saida.bin	using bits 12 to 16	141933	.080	.5320
OQSO for saida.bin	using bits 11 to 15	142344	1.473	.9297
OQSO for saida.bin	using bits 10 to 14	142085	.595	.7242
OQSO for saida.bin	using bits 9 to 13	141916	.023	.5090
OQSO for saida.bin	using bits 8 to 12	141971	.209	.5828
OQSO for saida.bin	using bits 7 to 11	141991	.277	.6091
OQSO for saida.bin	using bits 6 to 10	142638	2.470	.9932
OQSO for saida.bin	using bits 5 to 9	141954	.151	.5602
OQSO for saida.bin	using bits 4 to 8	141162	-2.533	.0056
OQSO for saida.bin	using bits 3 to 7	141994	.287	.6130
OQSO for saida.bin	using bits 2 to 6	142059	.507	.6940

OQSO for saida.bin	using bits 1 to 5	142140	.782	.7829
DNA for saida.bin	using bits 31 to 32	140969	-2.774	.0028
DNA for saida.bin	using bits 30 to 31	142173	.778	.7817
DNA for saida.bin	using bits 29 to 30	141849	-.178	.4294
DNA for saida.bin	using bits 28 to 29	142156	.728	.7666
DNA for saida.bin	using bits 27 to 28	141498	-1.213	.1125
DNA for saida.bin	using bits 26 to 27	141884	-.075	.4702
DNA for saida.bin	using bits 25 to 26	141750	-.470	.3192
DNA for saida.bin	using bits 24 to 25	142412	1.483	.9309
DNA for saida.bin	using bits 23 to 24	141977	.200	.5791
DNA for saida.bin	using bits 22 to 23	142010	.297	.6168
DNA for saida.bin	using bits 21 to 22	141645	-.780	.2178
DNA for saida.bin	using bits 20 to 21	142302	1.158	.8766
DNA for saida.bin	using bits 19 to 20	142042	.391	.6522
DNA for saida.bin	using bits 18 to 19	141401	-1.499	.0669
DNA for saida.bin	using bits 17 to 18	141574	-.989	.1613
DNA for saida.bin	using bits 16 to 17	141817	-.272	.3927
DNA for saida.bin	using bits 15 to 16	142148	.704	.7593
DNA for saida.bin	using bits 14 to 15	142169	.766	.7782
DNA for saida.bin	using bits 13 to 14	141335	-1.694	.0451
DNA for saida.bin	using bits 12 to 13	141722	-.553	.2903
DNA for saida.bin	using bits 11 to 12	142508	1.766	.9613
DNA for saida.bin	using bits 10 to 11	141642	-.789	.2152
DNA for saida.bin	using bits 9 to 10	141508	-1.184	.1182
DNA for saida.bin	using bits 8 to 9	142247	.996	.8404
DNA for saida.bin	using bits 7 to 8	141926	.049	.5196
DNA for saida.bin	using bits 6 to 7	142218	.911	.8187
DNA for saida.bin	using bits 5 to 6	142036	.374	.6457
DNA for saida.bin	using bits 4 to 5	141949	.117	.5466
DNA for saida.bin	using bits 3 to 4	141705	-.603	.2733
DNA for saida.bin	using bits 2 to 3	142267	1.055	.8543
DNA for saida.bin	using bits 1 to 2	141532	-1.113	.1328

Test results for saida.bin
Chi-square with 5^5-5^4=2500 d.of f. for sample size:2560000
chisquare equiv normal p-value

Results fo COUNT-THE-1's in successive bytes:

byte stream for saida.bin	2507.10	.100	.540019
byte stream for saida.bin	2596.27	1.361	.913321

Chi-square with 5^5-5^4=2500 d.of f. for sample size: 256000
chisquare equiv normal p value

Results for COUNT-THE-1's in specified bytes:

bits 1 to 8	2478.15	-.309	.378634
bits 2 to 9	2456.48	-.616	.269101
bits 3 to 10	2605.03	1.485	.931277
bits 4 to 11	2475.59	-.345	.364995
bits 5 to 12	2666.04	2.348	.990568
bits 6 to 13	2437.06	-.890	.186717
bits 7 to 14	2459.38	-.574	.282823
bits 8 to 15	2504.35	.062	.524520
bits 9 to 16	2456.36	-.617	.268580
bits 10 to 17	2437.80	-.880	.189510
bits 11 to 18	2623.20	1.742	.959273
bits 12 to 19	2580.91	1.144	.873747
bits 13 to 20	2487.44	-.178	.429481
bits 14 to 21	2456.20	-.619	.267822
bits 15 to 22	2458.71	-.584	.279652
bits 16 to 23	2589.98	1.273	.898404
bits 17 to 24	2463.19	-.521	.301318
bits 18 to 25	2353.40	-2.073	.019075
bits 19 to 26	2538.48	.544	.706821
bits 20 to 27	2406.35	-1.324	.092679
bits 21 to 28	2425.19	-1.058	.145031
bits 22 to 29	2410.35	-1.268	.102426
bits 23 to 30	2553.25	.753	.774291
bits 24 to 31	2547.10	.666	.747304
bits 25 to 32	2607.51	1.520	.935805

CDPARK: result of ten tests on file saida.bin
Of 12,000 tries, the average no. of successes
should be 3523 with sigma=21.9

Successes: 3535 z-score: .548 p-value: .708135
Successes: 3486 z-score: -1.689 p-value: .045562
Successes: 3533 z-score: .457 p-value: .676028
Successes: 3562 z-score: 1.781 p-value: .962529
Successes: 3538 z-score: .685 p-value: .753306
Successes: 3503 z-score: -.913 p-value: .180558
Successes: 3532 z-score: .411 p-value: .659449
Successes: 3532 z-score: .411 p-value: .659449
Successes: 3547 z-score: 1.096 p-value: .863437
Successes: 3473 z-score: -2.283 p-value: .011212

square size avg. no. parked sample sigma
100. 3524.100 26.427
KTEST for the above 10: p= .648382

This is the MINIMUM DISTANCE test
for random integers in the file saida.bin

Sample no.	d^2	avg	equiv uni
5	1.3787	1.3375	.749829
10	.0117	1.1296	.011683
15	1.4851	.9229	.775206
20	.1637	.9030	.151702
25	1.1759	.8889	.693289
30	.4955	.9591	.392263
35	.7621	.9263	.535093
40	.2903	.8923	.253050
45	.0596	.8558	.058102
50	.0394	.9355	.038793
55	.5495	.9011	.424325
60	.1112	.8655	.105701
65	.2349	.9345	.210254
70	.2236	.9194	.201255
75	.7600	.8915	.534135
80	.1740	.8856	.160427
85	.0721	.8363	.069860
90	.8988	.8717	.594758
95	.5872	.8910	.445750
100	.0885	.8640	.085103

MINIMUM DISTANCE TEST for saida.bin
 Result of KS test on 20 transformed mindist^2's:
 p-value= .852708

The 3DSPHERES test for file saida.bin

sample no: 1	r^3= 28.766	p-value= .61668
sample no: 2	r^3= 4.676	p-value= .14432
sample no: 3	r^3= 10.218	p-value= .28866
sample no: 4	r^3= 69.193	p-value= .90039
sample no: 5	r^3= 5.989	p-value= .18097
sample no: 6	r^3= 17.869	p-value= .44879
sample no: 7	r^3= 4.553	p-value= .14082
sample no: 8	r^3= 12.876	p-value= .34896
sample no: 9	r^3= 32.553	p-value= .66213
sample no: 10	r^3= 47.344	p-value= .79364
sample no: 11	r^3= 4.166	p-value= .12966
sample no: 12	r^3= 31.622	p-value= .65148
sample no: 13	r^3= 1.461	p-value= .04754
sample no: 14	r^3= 33.158	p-value= .66887
sample no: 15	r^3= 52.608	p-value= .82685
sample no: 16	r^3= 31.461	p-value= .64961
sample no: 17	r^3= 21.009	p-value= .50357
sample no: 18	r^3= 189.053	p-value= .99817
sample no: 19	r^3= 48.964	p-value= .80449
sample no: 20	r^3= 12.580	p-value= .34252

3DSPHERES test for file saida.bin p-value= .071285

RESULTS OF SQUEEZE TEST FOR saida.bin
 Table of standardized frequency counts
 $(\text{obs-exp})/\sqrt{\text{exp}}$)^2
 for j taking values <=6,7,8,...,47,>=48:

.6	-.3	-.8	-.8	-1.3	.1
-1.3	.8	-.2	-.7	-.6	1.0
.5	.4	.1	-.7	-.5	.5
1.4	.8	-.1	-.5	.1	-.3
-.6	.4	.1	-2.1	-1.7	-.1
-.3	1.1	1.6	-1.3	-1.0	1.9
-1.2	.2	-.8	-1.3	-.6	.0
1.8					

Chi-square with 42 degrees of freedom: 37.196
 z-score= -.524 p-value= .318165

Test no. 1	p-value .896175
Test no. 2	p-value .352902
Test no. 3	p-value .668301
Test no. 4	p-value .397798
Test no. 5	p-value .184775
Test no. 6	p-value .905759
Test no. 7	p-value .529621
Test no. 8	p-value .924611
Test no. 9	p-value .518276
Test no. 10	p-value .768969

Results of the OSUM test for saida.bin
 KTEST on the above 10 p-values: .656776

The RUNS test for file saida.bin
 Up and down runs in a sample of 10000

Run test for saida.bin :
runs up; ks test for 10 p's: .952766
runs down; ks test for 10 p's: .435459
Run test for saida.bin :
runs up; ks test for 10 p's: .965311
runs down; ks test for 10 p's: .219269

Results of craps test for saida.bin
 No. of wins: Observed Expected

```

99075      98585.86
Chisq= 24.38 for 20 degrees of freedom, p= .77366
          Throws Observed Expected Chisq      Sum
SUMMARY FOR saida.bin
          p-value for no. of wins: .985655
          p-value for throws/game: .773663
Test completed. File saida.bin
::::::::::::::::::

```

This test strongly indicates that the diffusion function used in the Viktoria hash algorithm is effective, this routine being a part of the mixword() function.

4.3 Block_change function()

This function is responsible for the final exchange of the block where the elements of sub-blocks **A**, **B**, **C** and **D** are exchanged and form a new data block (see algorithm 7). For a file with 1.000.000.000 bytes only filled with "0" bytes we have the following permutations:

BLOCK	PERMUTATION
1	51 56 12 11 14 5 61 58 17 22 33 49 53 23 21 55 35 47 8 63 1 29 50 0 6 36 45 20 26 39 40 37 10 62 31 24 9 4 41 15 7 16 27 30 32 59 46 54 19 38 3 13 60 57 25 34 48 52 2 43 28 42 18 44
2	13 27 9 52 7 14 4 39 51 49 26 63 20 33 25 44 57 21 36 62 23 32 38 31 50 56 0 5 61 40 15 24 1 3 12 54 41 55 28 37 18 6 60 22 35 19 30 46 47 59 2 10 16 8 42 34 48 58 53 29 11 43 17 45
3	4 28 43 40 30 50 63 59 15 55 14 27 17 45 53 22 34 24 6 39 21 35 16 7 42 3 32 37 13 62 47 38 33 41 49 12 31 54 2 25 19 0 10 61 56 20 60 52 18 5 51 48 9 11 36 46 44 23 1 57 29 26 8 58
4	18 26 50 37 61 5 16 38 1 56 57 0 32 34 2 20 35 13 59 17 30 62 48 8 39 28 4 12 25 15 24 10 9 3 58 45 7 36 44 54 55 46 41 6 23 49 63 11 22 52 51 31 27 60 53 29 40 43 14 19 21 42 33 47
5	38 31 2 3 15 16 43 18 61 42 52 34 51 35 55 25 0 9 60 37 20 50 54 5 40 6 19 49 56 57 23 4 30 33 24 59 32 7 36 22 41 11 13 62 47 27 53 45 39 21 29 48 10 17 46 12 8 58 28 14 63 44 26 1
6	35 38 59 37 5 11 62 15 60 58 54 26 48 28 63 12 27 2 23 3 10 25 4 43 52 29 41 39 13 47 18 22 20 53 33 0 17 34 8 46 49 40 7 6 57 9 51 32 42 50 16 44 55 24 14 21 19 61 36 1 31 45 56 30
7	31 22 9 36 6 16 38 44 51 56 53 1 62 57 52 7 32 46 10 26 0 54 17 14 33 27 28 63 58 30 59 50 35 47 25 45 39 48 23 3 5 40 15 20 2 19 60 11 29 18 4 24 61 8 49 41 13 34 37 43 12 42 55 21
8	12 24 36 60 55 32 51 35 33 4 49 34 23 48 20 44 8 59 13 0 43 18 31 15 27 47 38 9 63 61 1 53 52 25 62 40 17 29 42 26 21 3 54 28 16 37 22 45 11 6 57 46 10 2 58 30 41 5 39 19 7 14 56 50

Table 14

These permutations are totally dependent on the exchange tables T1 and T2 which are dynamic. Each round 64 bytes of each table are used, which makes a cycle of 8 rounds. As each block processing corresponding to 16 rounds of the mixword() function we have a very big change in the swap tables which makes the cycle not repeat easily. See table 15 for the next 8 permutations of blocks:

BLOCK	PERMUTATION
9	53 36 2 4 58 14 29 22 63 49 57 5 59 12 27 62 52 32 42 7 56 1 37 20 41 17 0 16 21 45 61 35 6 19 8 34 28 9 10 23 54 30 48 26 39 3 11 33 43 44 24 38 55 47 25 60 46 31 40 51 13 50 15 18
10	63 54 58 29 22 21 20 31 61 18 32 50 41 49 25 11 9 15 55 39 26 60 5 10 6 57 2 16 40 28 48 17 3 12 37 1 45 24 0 19 56 42 35 7 23 4 13 59 51 33 46 52 47 27 30 44 8 53 14 43 34 38 36 62
11	10 4 2 25 35 18 62 20 54 44 36 6 17 63 5 11 22 60 33 27 48 3 57 8 14 28 45 29 40 50 41 37 39 59 42 51 13 43 52 53 38 30 7 31 21 49 15 61 23 55 0 19 46 58 9 16 24 56 47 26 34 12 32 1
12	18 35 42 59 57 15 29 48 23 1 54 14 62 61 27 43 31 32 50 8 20 37 63 12 10 25 21 56 52 38 58 11 40 36 45 16 2 7 44 3 55 51 13 28 33 39 34 26 17 30 41 5 9 60 0 4 53 46 22 49 47 19 24 6
13	37 61 11 2 17 14 48 27 4 15 36 47 20 58 54 35 49 63 33 12 16 0 1 50 30 9 5 6 21 46 51 40 44 45 7 43 22 42 55 41 62 57 32 25 28 8 23 52 39 13 38 56 60 59 34 3 18 10 31 29 53 24 19 26
14	44 36 21 43 38 9 7 57 27 8 53 52 45 5 41 59 63 2 12 33 17 47 39 20 32 4 28 42 24 14 50 23 22 48 19 34 58 31 10 26 1 61 18 54 25 16 30 40 49 60 0 51 15 11 13 46 35 62 55 3 56 29 37 6
15	24 39 44 22 33 26 48 51 47 13 38 10 6 11 5 19 8 4 7 25 18 63 20 59 45 21 60 58 54 37 52 61 31 2 57 12 23 27 15 16 62 35 46 36 17 55 50 9 40 56 32 41 53 29 1 14 43 28 3 49 34 42 30 0
16	29 61 8 31 40 59 58 52 43 56 30 14 57 42 10 24 5 28 53 39 54 34 50 15 0 2 9 33 36 1 23 46 20 27 25 18 38 26 49 55 21 13 6 60 35 48 16 17 19 41 4 51 63 44 32 37 12 47 11 45 7 22 3 62

Table 15

From a 1 gigabyte file with bytes "0" we obtained positive results for this permutation routine. Each of the 64 numbers (from 0 to 63) appear in the 64 positions (position 0 to 63) a minimum of 242.347 times and a maximum of 245.820 times. The average that should appear for each number in each position is 244.154 times. It remains to be observed that the analyzed file only contains "0" bytes so that the content of the message has no great influence in this sense. Extremely redundant messages still generate balanced exchange results.

5. STATISTICAL TESTING

The Viktoria hash algorithm processes the message and produces supposedly pseudo-random outputs. To verify this hypothesis we submit the algorithm to some statistical tests that can verify the pseudo-randomness of the data. To validate the data output we use the Dieharder battery of statistical tests.

5.1 The compression test

The first and simplest randomness test is the compression test. We can safely say that if a binary sequence is compactable by some algorithm it cannot be random. However, the reverse cannot be said. There are noncompactable sequences that have no characteristics of a random sequence.

To test the mixword function (since it is the heart of the Viktoria hash function) we experimented with generating a 1 gigabyte file size containing in the first three bytes a growing code book, the other bytes were filled with "0". Then we processed each 512-bit block with the mixword function considering the interchange tables T1 and T2 in their initial states and considering each block separately (we omitted the XOR between the current and previous blocks). Then we concatenate all these blocks and generate an output file with 1 gigabyte in size (1.000.000.000 bytes). After this procedure we try to compress the output file with some of the best known compression algorithms (RAR). We used only 4 turns of the mixword() function and the block swap function. There was no compression of the information.

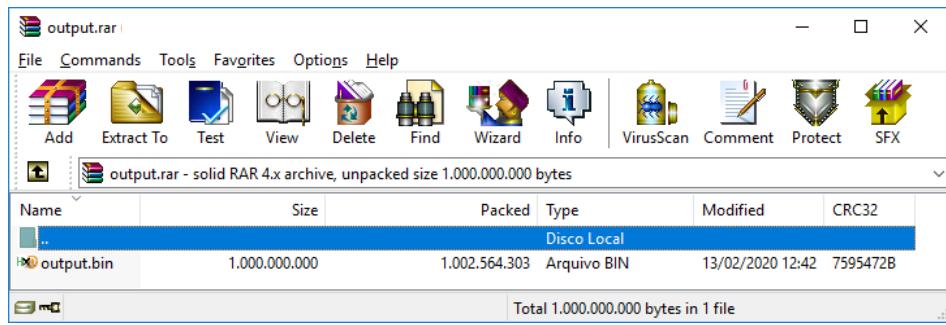


Figure 3

We also performed the Dieharder³ tests (an evolution of the Diehard test battery) with this same file and the result of the randomization was satisfactory. The complete test is shown in Annex VI.

5.2 The hash function test with 4 rounds for mixword() - version 1

To perform the test we follow these steps:

1. We generated a file with 1.000.000.000 bytes "0".
2. We divided the file into 15.625.000 blocks.
3. We calculate the hash⁴ for each block separately disregarding the pre-processing routine and the post-processing routines.
4. We concatenate the result of these hashes in a single output file with 1.000.000.000 bytes.
5. We performed the Dieharder tests on the output file.

³ The main point of dieharder (like diehard before it) is to facilitate time and test (pseudo)random number generators, both software and hardware, for a variety of research and encryption purposes. The tool is built entirely on top of the GSL random number generator interface and uses a variety of other GSL tools (e.g. sort, erfc, incomplete range, distribution generators) in its operation (<https://webhome.phy.duke.edu/~rgb/General/dieharder.php>).

⁴ In fact only the processing of the algorithm's core functions considering only 4 of the 16 rounds of the mixword() function.

The results of the Dieharder tests performed can be seen in Annex VII and are successful. The data provided from the Viktoria hash algorithm pass in almost all tests.

5.3 The hash function test with 4 rounds for mixword() - version 2

This test is similar to the previous test, however, the input file is filled with 1.000.000.000 bytes "255" instead of bytes "0" as in the previous test. The test result can be seen in Appendix VIII and corroborates the fact that the Viktoria hash function produces supposedly random data with only 4 of the 16 rounds of the mixword() function.

5.4 Bit Shift Test 1 with 4 rounds for mixword() - chained blocks

This test works to verify that changing a single bit in the input data produces large changes in the output of the hash function. In this test we consider the XOR with the previous data block when processing each block.

1. We generate a block of 512 bits whose first bit is "1", the others are zero.
 2. We generate a second block of 512 bits where the 2nd bit is "1" and the others "0". Then we generate a third block of 512 bits where the 3rd bit is "1" and the others are "0", and so on.
 3. We concatenate the 512 blocks generated in step 2 and form an input file of 32,768 bytes.
 4. The structure of the input file is (in hexadecimal, first 8 blocks):

5. Using the Viktoria hash function (read_block + mixword + permutation_block functions) disregarding the pre-processing and post-processing routines we generate the output file.
 6. The structure of the output file is (in hexadecimal, first 8 blocks):

1° block:
42E982038E0327D54E3F4D36CD15890B579DA4400615A98A98F70836CBF9F192
E6A90EA154323FEB2038B7DF0641CC55549A2FDDAA8D4D8B898124C6F1E5EEE7

2° block:
59E4B9832DA633A8739875D763350CD153DDD61F5F5FECC778F5BB8046359C17
517C6EE27D111B7B122424DA909FE5BECDEE1902C005CEC96344D08CF66BF563

3° block:
EFE60B01AF55F634E7A5C3CE32A382F33BA5BA2EE39D524CB9404FA2C43CBFF7
86A85E00A91B682EF75C4FB500B316CB90752192B6EBDE642D4F7D8E223076C8

4° block:
7ECBEDB792586C6F83CF09BBC25201EAFA781EBF1AC4645EE958545469A71C14
B1068CDA15A74738246DE83059526C032E1A976C0EA26D3703C0011A336171E7

5° block:
E2B29E669B9F4EA668FA57EA71F9EBE926E417A027DD185A069FE38398FF29B1
6216A409C231CF4157B73E13BBD4FE5482A041D129C04F646B5E9C9B4079707

6° block:
1560D33B43C563C8F500FC083B283FD5E0109D5C84225FA38B878B72EB48B2D4
255DC7997CCD379D76CD2655C9E53935E72C26BF988B2EF67C8FC8DBD84072CA

7° block:
16BF4C5F4A6005DBDC91EEC1453598BDB6966032AB4FEC2EE74274E185DC9F2B
7A06A922BBDE6CA24AE657D1331D8BDBD6CF15BF4EF511206804CCFC039F1C1F

8° block:
7E0EAF297FDD052B7822F59B5C12FA643BF8DE81DCDBEE7A1A68A4597C3B6B0
144F7E63C53F99540185C22CC20B5AA2A3637C9015033DEA8E3DCDB73F5FDBA9

7. Checking the minimum and maximum number of "1" bits in each block.

Minimum: 227

Maximum: 291

In this test we verify if the position change of a bit "1" produces the avalanche effect on the output of the hash function. In fact, according to the test performed, the bit numbers "1" and "0" are balanced.

5.5 The 0 bit shift test with 4 rounds for mixword() - chained blocks

This test is the same as the previous test, only this time we move one bit "0" in place of bit "1". The block fill bits are also "1" instead of bit "0". In this test we consider the XOR with the previous data block when processing each block.

1. We generate a block of 512 bits whose first bit is "0", the others are "1".
 2. We generate a second block of 512 bits where the 2nd bit is "0" and the others "1". Then we generate a third block of 512 bits where the 3rd bit is "0" and the others are "1", and so on.
 3. We concatenate the 512 blocks generated in step 2 and form an input file of 32.768 bytes.
 4. The structure of the input file is (in hexadecimal, first 8 blocks):

5. Using the Viktoria hash function (read_block + mixword + permutation_block functions) disregarding the pre-processing and post-processing routines we generate the output file.
 6. The structure of the output file is (in hexadecimal, first 8 blocks):

1° block:
39CAA4CD337774FD304D58BFCECB92BF523EC35830EB7F8543A0D68A359ED982
772D0CCFFD9B2B1BBE4EFCC61353FEBBA3367E9B9BC98FA4D8FFB12CCDA48539
2° block:
E383C3D09D26F74910F73621AB4BDF226AAEB3581DDA23D45AED2B2694BFA668
4DD3541D92D779C3564E3D03951F1CF7A61AB64C641857D8DF26EF399C1F4616
3° block:
2697C5DC13203380E623CA6DB405E0B9D77EF93B49588CC2D02A80720CA80A7B
D9F01DCCB8F60C65C06F4425E4B64DECBA67BB56F572D9E5180B42FA9AF650A2
4° block:
A06CFC926FE3996C2ECBF56B5E9D9E2E5D88602EEA39D09C951E6A90EECBFCA1
FC95AC9EDF5BFBE2E35EDF772F24A0E1F7826538BF0D2467DD65DE8B213C2661
5° block:
9253314F07C13FDA5B427C0EA18A34F7D8A3519C824A8E96DB0BF76BD08AA414
BFA0D2E2EE8E951F60FEDEA9CA2DE0F96BDB9D41435D2852FDD9895080DE979C
6° block:
05001430EEDB23D438EBCD48EBE6B2C05D8866CAC68C9A1A0E3906B1BAC1C105
EEE04204AF382401E33B5119BB4AFEE1CBC71D49690525B3C710AE26DF08A787
7° block:
80B641DCF29174BCBC51F7B73CD2B1A6060F3D3B6AED141C7B101AF3CF4358B0
8F940068F82E28D91A3CB94C283ABFB68CF06591FAF56941BCF7CA6EAD490DBE
8° block:
8866CCADF6AA7FD7072489C3E78DFADD2045148FDCCDB13636A7429B9320129F
545BFA603BAEE097496E38E4E06D4FE9828277CA3674A22D01D1709F2EE78F34

7. Checking the minimum and maximum number of "0" bits in each block.

Minimum: 216

Maximum: 291

5.6 Bit Shift Test 1 with 4 rounds for mixword0 - single blocks

This test is similar to the 5.4 test, except that the blocks processed by the Viktoria hash function are processed in isolation.

1. The structure of the output file is (in hexadecimal, first 8 blocks):

1° block:
C22EA1081C789FBC71CA272A57CE3809097F298E9ED3AB5599675C774C087BC2
41048D64F9A071E91DF457CEF951BE60EA56DD54E86511721B7348F6F0352C14
2° block:
0D1629C10069859EF94FAF4E8389B0A8525D88FA3BAFE4100525277E51E21F7A
005D45FB3DE2D84FB6D836C138710523A15FC0C8395EB9EDA05C79C93823C500
3° block:
9E7BC0978F3220C6C3C6C690F508B7187FA94AEBEA57AFF18C04093BEBA34242
5D20868491A72F22C17415D70F9009FDA95183B85E2442316D8DFAD67E037415
4° block:
E86FC9B959D0561C406F11BD8D2E889FCA61547C54C5BF948D376BDC7C96244F
5744C19036AB187EEC0DAF6045CE790C186C7F65910972E5FD0E40D11DC4BB70
5° block:
4C98C73263445F7916EBF36C25392DE9A0E82A61C49472E1AC42859050E3DF10
360BB41FF21B7FB577615EBA15EFF4FDD90065B89367B2C350BBA3D98F249AD
6° block:
D9C302D88E89D82E05F81DBA5999D0736971B8412CE19033B3D99775A73D6CEC
DDE09F504F71D99524E052DEBEFA0047F2087CBC28A7B41212F9E12F9A90DD15
7° block:
50E79806253E394C8455F6EEA95AFD607A7AD60799AB7F9FCDE3522B4B7D280
8BC2489B5B21CDF100B120865D0A4E118AE055BD661F99A9CA1E64A2EEFA870E
8° block:
7E5307D52EB046DEA30386DAAE280D3175B348F580193E11C8696504B0E661A5
D6083BB960233BA18FF03BF89D08AC5AD2A67DAC4FB86E159452EB00977D1CC8

2. Checking the minimum and maximum number of "1" bits in each block.

Minimum: 225

Maximum: 289

5.7 The 0 bit shift test with 4 rounds for mixword0 - single blocks

This test is similar to the 5.5 test, except that the blocks processed by the Viktoria hash function are processed in isolation.

1. The structure of the output file is (in hexadecimal, first 8 blocks):

1° block:
0606542816F93C4C134C675E49A087CA190C2DA78344FD61D258BE643FA7D4B4
21DB452B5A2DA7A618F482AB89E00CA50506B030509186AF1148B624EC92D6D0
2° block:
CAFE09C932C2A103677D1C378D8B471717087AE45B8715F9E182784D597B522A
D6C661CE29C88FB38A319CA81837C4DF0096C218350D76C83459858A6C8D65CD
3° block:
3F1FCFB79E653E2E9E48577F1DA62E3771882F87C706134D31D28B9FAB0B43E8
D001C082272E0E096EBEF2B6A7510DFDA81AFBD486637622FF1FA649A3274494
4° block:
0400C22CB9E93060E9D4FB2AFC15F7B1FDA035006AA1E4678C35268D0BB17E02
1A871F55AD752C31DE37E5C773A08D20442A02E0CE9E0A9E7BAF9420DEA38FBB
5° block:
A362D3DC58884712EA74B2FA0C01CC4927FF4A4EF3DC240690F6AD9C3A2312F2
343A4B586B23072D193D9F796E7076032FF4FDDCAA5434706E7D01B67FEDF338
6° block:

```

5ACF38386B141995965F223FE8EA327E654E659576C346E9F7DAD3B2A1514216
E978479908F9CA9597E6356F8F21D9E0B0EFAEE337DA68DCB5F214008E0E4237
7° block:
F72575D36DC73A82C245346B6B1141B7B2290A7E70508DD5447D9DFEC908F112
3948CB73F9B4C5E72FA32DD73C0449A4D6A92A6620E9057E78AA8086483BFF58
8° block:
1E947967C141DF53DC31AB5F930AEB5A5AA8FD3767B752BA5B5BB1B8F8D03328
6C19FBEA7C574BFD2B4AAFBC6B039AF15B960BA38D8A9DDFD482B68EB0EC20E5

```

2. Checking the minimum and maximum number of "0" bits in each block.

Minimum: 225

Maximum: 295

5.8 The long file test with 4 rounds for mixword() - isolated blocks

This test is executed from a file with 10.000.000.000 bytes (there are 156.250.000 blocks of 512 bits). Each 512 bit block is 64 bytes. In each block the first 4 bytes vary in this order 00-00-00, 01-00-00, 02-00-00, ..., 8D-2F-50-09, 8E-2F-50-09 and 8F-2F-50-09 (hexadecimal notations) and the others are filled with "0". We then use the mixword function (4 turns) to process each block separately, disregarding the pre-processing and post-processing routines. The result of Dieharder tests to check the supposed randomness of the data is excellent. The result is presented in Annex IX.

5.9 The long file test with 4 rounds for mixword() - chained blocks

This test is executed from a file with 10.000.000.000 bytes (there are 156.250.000 blocks of 512 bits). Each 512 bit block is 64 bytes "0". We then use the mixword function (4 loops) to process each block with sequencing, disregarding the pre-processing and post-processing routines. The result of the Dieharder test is presented in Annex X and indicates supposed randomness in the data.

5.10 The superlong file test with 4 rounds for mixword() - isolated blocks

This test is executed from a file with 50.000.000.000 bytes (there are 781.250.000 blocks of 512 bits). Each 512 bit block is 64 bytes. In each block the first 4 bytes vary in this order 00-00-00, 01-00-00, 02-00-00, ..., 8D-2F-50-09, 8E-2F-50-09 and 8F-2F-50-09 (hexadecimal notations) and the others are filled with values from "01" to "3C". We then use the mixword function (4 turns) to process each block separately, disregarding the pre-processing and post-processing routines. The result of Dieharder tests to check the supposed randomness of the data is very good. It is shown in Annex XI.

5.11 The superlong file test with 4 rounds for mixword() - chained blocks

This test is executed from a file with 50.000.000.000 bytes (there are 781.250.000 blocks of 512 bits). Unlike the previous test in this test the file is filled entirely with "FF" bytes. Once again we use the mixword function (4 loops) to process each block in a chained way, disregarding the pre-processing and post-processing routines. The result of Dieharder tests to check the supposed randomness of the data is satisfactory. It is shown in Annex XII.

5.12 Testing the super-long file with full Viktoria hash - central processing

In this test we use an input file of 100.000.000.000 bytes "0" (that's 1.562.500.000 blocks). In this case we use the Viktoria hash function almost as a whole, excluding only the pre-processing and post-processing. The results of the Dieharder tests are excellent and can be seen in Annex XIII.

5.13 Completion of tests

The statistical tests to which we submitted the Viktoria hash algorithm prove that it produces pseudo-random data already from 4 rounds of the mixword function. In the complete algorithm there are 16 runs of

the mixword function and the permutation after each block, besides the pre-processing and post-processing routines.

According to the tests performed, the Viktoria hash algorithm makes correct use of the avalanche effect in its internal structure and produces accurate pseudo-random data sets that are very important for hash algorithms. This feature helps to avoid attacks based on bit relationships such as linear and differential cryptoanalysis.

6. COMPARISON WITH OTHER HASH FUNCTIONS

In this part of the work we present some comparisons of VIKTORIA HASH with SHA2-512 and with SHA3-512.

6.1 Sequence search test on 16-bit messages

This test looks for hexadecimal number sequences in hashes produced by SHA2-512, SHA3-512 and VIKTORIA algorithms. We search the hexadecimal sequences "000000", "00000", "0000", "000", "00" and "0" for all hashes produced by the 3 functions and compare the results. Then we look for the sequences "111111", "222222", ..., up to "ffffff".

6.1.1 Searching hex "0":

Here we present the hash values for the hexadecimal "0" and its concatenations. We see in table 16 (an example for each sequence of each algorithm) that for each function the bit sequences were found within the statistical forecast. The complete results can be seen in Annex XIV. There they are detailed how many times in each position the sequences appeared for each algorithm. Also at the end of each table you can check the sum of the terms found, the term that appears most in the ratio and the average of the appearances of binary sequences for each algorithm. We analyzed 65536 hashes which correspond to all possible 16-bit messages.

Function	Hexadecimal	Hexadecimal Message	Hash
SHA2-512	000000	-	-
SHA3-512	000000	d5d4	7ff146ae9933db67846e46e1b161841197f203ca14c 28a5de4afdb4df17b5450ff50685afceed5fdc275 00 0000 4albb232a89383dc6d6864adf5f35abd6889be
VIKTORIA	000000	dfd8	5f041dcec155a77e8deffb5b4b7fb02b82fa2e5df50 47b18ccac66cfbc826582417a51203a6920f0e0b4bf 000000 cf4b049bf6f4db3bba822de870548c37ebef
SHA2-512	00000	180d	897c8bc4bcfa1446cee003dfd5cc9c4f5e03438d 000 00 a3a4b6554a16ca42d64ec943c7f0dfb8c1f8562f7 cb11f58079fefd7eb4cf187ea139222e0d6d7fa854
SHA3-512	00000	1272	d1dd2a17eaf0dbedf2260b8327f 00000 b2aa62e11b4 eecb1f40e73d0595b9f69979cb14a3038ae0ad24d6e ec3af8a3df9fa4e41d48f8dd9ba7855c4c39225f2
VIKTORIA	00000	feeb	1327c 00000 b186766373d4b9b2e2e58dff717662360 a9652b607f0df226e2ce747ee71f0fa50e416c1c4da 0029172fce9f8d2f354f685eb2dda476b2f49e2b51
SHA2-512	0000	ec72	0000 d70af47141fffcddb05761f6ea99369abc49fc97 3ab5b70a0e6174a3208fbbcdcc246da51bcfbca2ee4c 862e86ae3ad8321f2b7254268dd0ff8a4ee587c0d7
SHA3-512	0000	5c1c	0000 38d34f0b27d1604b090e6b51ff9a37cab95ee3 5a6528e8e4a5a281f1f408396b7843681aba907e065 54f827435b46a1ca3259b3c076fd01acff5b17e6cc
VIKTORIA	0000	2b5b	87c 0000 e4361b8f8476b6f23787c0e6a8366901ac45 9886259a2ef827b996a1ab125b439e45827384f1da2

			2ddb049694dcf648da2d890b1b5c68881732b09816
SHA2-512	000	0123	0004b80f21c57a47b074aaa34abc16f0a9c0a9a4580 8cdad2f267ea0bd6b8843231d55ace3b1a38b187dc0 7ea4f545b09d0575eceb635979351cc1bfdb0209a6
SHA3-512	000	17a3	000eb7599f9bf5b16cd9c220e46287ab2d43eb2024a 3b521d63a12ae1dbf8a68ea5229c43c7c3387219b2b a509a2e6d38c2485b0c4ed27b917ec0267d5b30bb5
VIKTORIA	000	1105	00094da1de5aa36b4d81163d2e74e6301e06e8505c2 76d7f380e5782f9611232bdc7f91288223a55459bcc 1d6fd665e05d3ff88964cff4a6f65dde4cdd0e87c6
SHA2-512	00	00f9	0052acb042f490c6ae205cc29b9ea875161f5866328 537de85557d15df2600b783b0b48d1c59284c14dc44 5feb2b102f8bcd467d12d0cc776d31c324dce7099c
SHA3-512	00	00dc	00fd311aed14b59fe0f6473795042a4d4cf5357574f 63a76e07f247ac1174b579033fb42789bfb065d09cc c8d5f51735d815c0d200950958090d103cc24e466c
VIKTORIA	00	7800	00a9cd79cedfe62f915ca89592aa90cb51aab990b4a 5999d14cb39b24c9102c92f89cb602599c6f3783e7d 3592a06a1a0b847295baabcd267437b911f53c2718
SHA2-512	0	0007	083c0151f931208dc4b0134762c30d1858c6caf40 eaeb4113b69717dc286ac69a890b548b7dfb489cd3b 2527903ac45236bb13af8d2c5f2f27807c6d62b6e7
SHA3-512	0	0021	024ad19e301c6bf99dbc630a1a439c3c36b8840eb 627f513d175690ba386f2fea9550d1fa9c304284f34 13e554a1b3e4858be9456edb93ce2b0ec6cc97883e
VIKTORIA	0	0f00	085a529f5878f6038455bac3d6866476dfd87c151a8 e5caab89e43f67b434bf22d49da05d4e31c9d0fffc7 12431e711fb3eb278cb6bbcc202164fb75d69f4a08

Table 16

6.1.1 Searching for hexadecimal (other values):

The results of searches for hexadecimal values for '123456789abcdef' may be followed in Annex XV.

6.1.2 Conclusion

For all the values searched, the three algorithms behaved in a very similar way, presenting on average all the occurrences of hexadecimal values searched in the 65536 hashes analyzed.

Hexadecimal value sought and concatenations	Expected average	Observed average SHA2-256	Observed average SHA3-256	Observed average Viktoria
000000	0,00390625	0	0,00813	0,00813
00000	0,0625	0,06452	0,06452	0,10484
0000	1	0,896	0,952	1,032
000	16	16,2778	15,6508	15,6429
00	256	257,331	255,039	255,173
0	4096	4100,54	4092,31	4090,92
111111	0,00390625	0	0,01626	0
11111	0,0625	0,03226	0,09677	0,01613

1111	1	0,944	1,144	0,928
111	16	16,031746031746	16,031746031746	15,8650793650794
11	256	257,1496062992	256,76377952755	255,661417322835
1	4096	4093,2890625	4097,234375	4094,03125
222222	0,00390625	0,008130081	0	0
22222	0,0625	0,096774194	0,040322581	0,024193548
2222	1	0,88	0,928	0,776
222	16	15,61904762	16,05555556	15,93650794
22	256	252,480315	259,8188976	253,6141732
2	4096	4086,695313	4104,515625	4089,5
333333	0,00390625	0,008130081	0	0
33333	0,0625	0,10483871	0,032258065	0,056451613
3333	1	1,016	0,816	1,08
333	16	15,51587302	15,35714286	16,68253968
33	256	256,488189	254,1811024	253,9370079
3	4096	4091,914063	4096,671875	4092,171875
444444	0,00390625	0,008130081	0,016260163	0,008130081
44444	0,0625	0,056451613	0,064516129	0,048387097
4444	1	0,992	0,848	0,832
444	16	16,18253968	15,17460317	15,62698413
44	256	256,1968504	254,1259843	252,480315
4	4096	4097,945313	4094,140625	4093,648438
555555	0,00390625	0	0	0
55555	0,0625	0,072580645	0,056451613	0,056451613
5555	1	0,896	1,08	0,96
555	16	16,08730159	15,82539683	16,06349206
55	256	255,3543307	257,1259843	256,9133858
5	4096	4085,976563	4112,242188	4095,617188
666666	0,00390625	0	0	0
66666	0,0625	0,064516129	0,096774194	0,048387097
6666	1	0,992	1,144	0,92
666	16	16,5	16,5	15,8015873
66	256	256,3149606	256,3149606	256,0944882
6	4096	4097,570313	4092,570313	4088,71875
777777	0,00390625	0	0	0
77777	0,0625	0,048387097	0,048387097	0,064516129
7777	1	0,936	0,848	0,928
777	16	15,41269841	15,88888889	15,48412698
77	256	254,1811024	256,3622047	256,2125984
7	4096	4102,71875	4091,992188	4110,007813

888888	0,00390625	0	0	0
88888	0,0625	0,112903226	0,040322581	0,10483871
8888	1	1,096	1,12	1,056
888	16	15,85714286	15,57936508	16,04761905
88	256	257,7322835	255,7244094	255,4724409
8	4096	4103,476563	4099,054688	4091,710938
999999	0,00390625	0	0,016260163	0,008130081
99999	0,0625	0,056451613	0,072580645	0,072580645
9999	1	1,016	0,944	0,888
999	16	15,67460317	15,9047619	16,16666667
99	256	254,7086614	257,2677165	256,3464567
9	4096	4094,242188	4096,195313	4100,445313
aaaaaa	0,00390625	0,008130081	0	0
aaaaaa	0,0625	0,064516129	0,056451613	0,056451613
aaaaa	1	1,016	1,056	0,872
aaa	16	16,03174603	15,88888889	15,68253968
aa	256	254,8503937	253,9370079	256,8582677
a	4096	4097,328125	4087,242188	4089,5625
bbbbbb	0,00390625	0,008130081	0	0,008130081
bbbbbb	0,0625	0,064516129	0,056451613	0,088709677
bbbb	1	1,216	0,856	1,144
bbb	16	15,46825397	15,87301587	16,20634921
bb	256	255,2519685	255,023622	258,0551181
b	4096	4092,398438	4101,15625	4103,789063
cccccc	0,00390625	0,016260163	0,008130081	0
cccccc	0,0625	0,072580645	0,072580645	0,040322581
cccc	1	0,864	1,024	0,96
ccc	16	15,88888889	16,29365079	15,21428571
cc	256	257,5590551	252,8188976	255,8740157
c	4096	4103,507813	4089,945313	4092,273438
ddddd	0,00390625	0	0	0,016260163
ddddd	0,0625	0,056451613	0,016129032	0,10483871
dddd	1	0,936	1	1,048
ddd	16	15,6031746	16,41269841	15,70634921
dd	256	253,9448819	256,4251969	256,6535433
d	4096	4097,40625	4102,296875	4101,164063
eeeeee	0,00390625	0	0,024390244	0,008130081
eeeeee	0,0625	0,056451613	0,10483871	0,088709677
eeee	1	0,96	0,936	1,224
eee	16	15,48412698	16,20634921	16,34920635

ee	256	253,0708661	258,8110236	257,7165354
e	4096	4095,085938	4089,484375	4101,976563
ffffff	0,00390625	0	0	0,008130081
fffff	0,0625	0,072580645	0,072580645	0,10483871
ffff	1	0,888	0,912	1,032
fff	16	16,06349206	16,23809524	15,64285714
ff	256	255,0708661	255,9370079	255,1732283
f	4096	4095,90625	4088,945313	4090,921875

Table 17

Table 17 presents the test summary and shows that the Viktoria hash algorithm has outputs comparable to SHA2-512 and SHA3-512 algorithms. According to the test performed the Viktoria algorithm produces balanced outputs and makes good use of the avalanche effect in its internal structure. These are the minimum acceptable characteristics of a good hash function.

6.2 Differential test with functions SHA2-512, SHA3-512 and VIKTORIA

One of the main cryptographic analysis tools is differential cryptoanalysis. It is generally based on the differences of two inputs or outputs of an algorithm where these inputs have peculiar differences. This test is designed to test a possible vulnerability of hash functions to differential cryptoanalysis.

In this test we generated 16384 distinct but very similar files and from them their respective hashes. To generate the test file we XORed the distinct hashes (all possible combinations of pairs). The file created has 8.589.410.304 bytes. The following pseudocode exemplifies this process:

ALGORITHM 11

```

B1 = [128,64,32,16,8,4,2,1]
b2 = [127, 191, 223, 239, 247, 251, 253, 254]
vector = array[16384]

counter = 1
for ct3 := 0 to 15
    for ct:= 1 to 64
        for ct2:= 1 to 8
            prefix = replicate(chr(ct3),ct-1)
            word = chr(b1[ct2])
            suffix = replicate(chr(ct3),64-1-(ct-1))
            vector[counter] = prefix + word + suffix
            ++counter
        next
    next
next

for ct3 := 0 to 15
    for ct:= 1 to 64
        for ct2:= 1 to 8
            prefix = replicate(chr(ct3),ct-1)
            word = chr(b2[ct2])
            suffix = replicate(chr(ct3),64-1-(ct-1))
            vector[counter] = prefix + word + suffix
            ++counter
        next
    next
next

```

The test result is very similar for the three hash algorithms. The file of 8.589.410.304 bytes is tested by the battery of Dieharder pseudo-random number tests. The complete result can be seen in Annexes XVI, XVII and XVIII.

TESTS	SHA2-512	SHA3-512	VIKTORIA
SUCCESS	95	91	91
FAIL	17	16	17
POOR PERFORMANCE	2	7	6

Table 18

The test summary is shown in table 18. The results are very similar among the three algorithms indicating that they are at a similar level when dealing with the difficulty of implementing differential attacks.

6.3 Performance review for SHA2-512, SHA3-512 and Viktoria

In this test we analyze the behavior of the three hash functions regarding their processing speed. We use different file sizes to check for possible oscillations. The tests were performed on a computer with intel Core i5 processor - 3210M, 2.5 GHZ and 6 GB of RAM.

FILE	SHA2-512	SHA3-512	VIKTORIA
1 KB	0m0,002s	0m0,027s	0m0,062s
100 KB	0m0,003s	0m0,030s	0m0,067s
500 KB	0m0,007s	0m0,034s	0m0,091s
1 MB	0m0,012s	0m0,040s	0m0,101s
100 MB	0m0,369s	0m1,114s	0m6,438s
500 MB	0m1,818s	0m5,464s	0m32,118s
1 GB	0m3,704s	0m11,163s	1m5,790s

Table 19

In table 19 we see the test result. The SHA-512 algorithm is the fastest of the three that can process a 1.073.741.824 byte file in just under 4 seconds. The SHA-512 algorithm has a good performance too and processes the same file in just over 11 seconds. Viktoria hash is by far the most expensive algorithm due to its complex structure and spends almost 66 seconds processing the same file. Table 20 shows these comparisons.

ALGORITHM	SHA2-512	SHA3-512	VIKTORIA
SHA2-512	-	3,013768898	17,76187905
SHA3-512	0,331810445	-	5,893576995
VIKTORIA	0,05630035	0,169676243	-

Table 20

In practice Viktoria hash is the slowest algorithm, being 17,8 times slower than SHA2-512 and 5.9 times slower than SHA3-512. Despite this Viktoria hash can process in a single thread 16.320.745,16 bytes per second in our reference implementation (it is not fully optimized). In a computer capable of working with 6 threads (something common nowadays) Viktoria hash can match the SHA3-512 algorithm by processing 6 files at the same time.

An important note to note is that the Viktoria hash structure is more complex than the SHA3-512 structure. Particularly due to its dynamic permutation we conjecture that the cost of cryptoanalysis may justify a waste of time in calculating hash values. As we have few hash functions available Viktoria hash presents itself with an interesting alternative mainly for its innovative design.

7. How to use the Viktoria hash function

We have made a reference implementation in the C language of the Viktoria hash function. The implementation was written in the simplest way possible (it was optimized but not entirely) to facilitate the understanding of the algorithm.

The Viktoria hash algorithm can be operated from the linux or windows command line (just compile for each platform). The compilation only requires the GCC compiler:

```
gcc (Ubuntu 7.4.0-1ubuntu1~18.04.1) 7.4.0
Copyright (C) 2017 Free Software Foundation, Inc.
This is free software; see the source for copying conditions. There is NO
warranty; not even for MERCHANTABILITY or FITNESS FOR A PARTICULAR PURPOSE.
```

To compile use the following command (the source file is vik.c):

```
gcc vik.c -o vik
```

Suppose you want to see the 512-bit hash of a file called 1kb.bin. To do this type in the linux command line (in windows just omit the "."):

```
./vik 1kb.bin 1 0 0
```

The Viktoria hash algorithm has 4 mandatory parameters:

Parameter		Significance
1	File name (string)	It's the name of the file you want to extract the hash.
2	Hash size (numeric)	It represents a number that indicates the hash size to calculate: 1 = 512 bits 2 = 1024 bits 3 = 1536 bits 4 = 2048 bits and so on.
3	Bits to insert (numeric 0 to 7)	Used to extract the hash of byte-oriented binary messages (whose last byte is incomplete). This number represents the number of bits to be added at the end of the file.
4	Byte representing the bits (numeric from 0 to 127)	Byte that represents the surplus bits that will be inserted at the end of the file for processing.

Table 21

Although the Viktoria algorithm accepts file entries of up to $2^{480}-1$ bytes the reference version is limited to $2^{64}-1$ bytes. This was done to simplify the implementation and not to need to use external libraries.

CONCLUSION

We present in this work a new hash function: Viktoria Hash. It is a function with an innovative internal design and which, according to the tests performed, seems to provide security and usability for modern times.

Some works after this one leap to our eyes: create attacks for weakened versions of Viktoria (this test is important as in the work [6] that attacks a weakened version of the BLAKE algorithm, finalist of the SHA-3 contest), try to find collisions or pseudo-collisions through various techniques as in [7][9][10][11], implement an optimized version of the algorithm among other works.

Bouillaguet [12] says there seems to have been a problem with the Merkle-Damgård construction. Is this model of hash function construction really outdated? Or is this construction model alone being "blamed" for the design flaws in the algorithms that were broken? These are important questions for further research. A note should be made that although the Viktoria algorithm is based on the Merkle-Damgård construction it does not contain its vulnerabilities because it has a huge internal state and also pre-processing and post-processing functions.

We believe that Viktoria is crash resistant, resistant to the first pre-image and resistant to the second pre-image. These requirements are absolutely indispensable for a good hash function [3][13]. In later works various tests will be applied to this new hash function but for now, according to the tests performed, we can say that Viktoria seems to be a reliable hash algorithm.

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ANNEX I - GENERATION OF THE EXCHANGE TABLES

The Viktoria hash algorithm works with an internal state of $256!^2$ which corresponds to a total of approximately 3367 bits. We know that the SHA-3 algorithm works with an internal state of 1600 bits. Our algorithm has expanded this number to a little more than double that observed in the SHA-3 algorithm.

To generate the two interchangeable tables, called here T1 and T2, we performed the following procedure:

- 1) We created a vector containing the first 690 prime numbers:

```
prime numbers = {2, 3, 5, 7, ..., 5171, 5179}
```

- 2) We put the prime numbers together and form a decimal sequence as follows:

```
23571113171923 ...
```

2) The first 2560 digits of this decimal string can be divided into two sets of 1280 digits, which in turn can be divided into two two-dimensional vectors with 256 5-digit elements. This procedure generates two numerical sequences defined as follows:

```
S1 = { (0, 23571), (1, 11317), (2, 19232), ...,
       (254, 72503), (255, 25212) }
```

```
S2 = { (0, 53125), (1, 39254), (2, 32549), ...,
       (254, 35167), (255, 51715) }
```

By sorting the sequences S1 and S2 having as key the second number of each element we will obtain the vectors T1 and T2 presented below:

T1

204	193	96	10	100	208	104	212	109	52	70	95	108	99	103	11
107	98	102	106	118	22	122	111	130	1	154	162	166	115	186	198
119	238	250	123	30	127	216	131	61	135	14	139	143	147	151	112
220	54	155	57	159	60	163	167	63	17	171	69	205	175	7	179
75	183	187	116	191	97	165	2	195	20	90	199	88	203	207	211
133	215	225	224	43	219	79	223	120	227	23	231	235	153	185	239
0	243	247	251	228	26	255	124	29	232	128	121	141	32	13	114
217	12	34	142	18	190	132	33	236	48	35	240	249	136	38	72
84	244	237	25	41	177	4	248	140	44	64	73	144	47	252	148
101	50	197	46	152	53	113	145	82	91	156	56	16	55	160	157
37	59	221	164	6	62	169	209	65	168	229	68	28	172	9	110
189	241	134	158	170	178	182	194	21	202	206	218	226	234	242	254
27	71	253	176	67	76	5	74	125	180	87	49	77	93	184	137
19	85	80	181	8	83	188	105	149	58	86	192	213	40	126	138
146	150	15	174	94	210	214	222	230	24	246	117	3	201	233	245
31	196	36	89	39	42	45	51	66	129	161	92	78	81	200	173

T2

240	49	145	148	52	244	152	193	56	248	41	229	241	156	137	157
165	252	60	6	14	50	66	21	74	77	114	118	160	222	226	234
242	250	97	109	64	164	9	69	149	185	213	68	168	129	3	72
7	172	11	15	19	23	177	27	31	35	39	43	47	176	51	55
76	59	141	63	67	71	2	10	18	26	46	75	80	62	33	79
89	121	106	83	110	126	130	142	146	87	170	174	182	186	190	194
91	206	210	214	218	95	254	99	103	180	107	111	115	84	119	61
123	127	131	135	139	1	205	143	147	151	155	184	53	88	159	101
169	163	167	171	175	81	179	233	183	187	191	188	195	199	203	92
207	211	215	197	253	219	223	227	25	231	192	235	239	243	247	96
251	245	255	196	0	161	100	4	104	45	189	200	73	113	217	37
108	225	8	13	133	181	209	204	112	208	12	93	16	116	212	20
173	120	30	34	42	85	82	153	237	98	102	134	138	150	24	158
162	166	178	202	238	216	124	28	5	220	125	105	32	128	224	57
132	36	65	17	40	228	136	29	201	22	38	140	54	58	70	78
86	90	94	232	122	154	198	230	246	44	236	117	144	221	249	48

ANNEX II - INITIALIZATION OF EXCHANGE TABLES

The Viktoria hash algorithm works with two 256 element interchange tables. These tables are generated through the process of generating the interchange tables (see Annex I). However, to promote a quick differentiation between similar messages these tables are started with an order that depends on the complete content of the message.

This process is done as follows:

1) We start two variables:

```
accumulator = 0  
control = 0
```

2) In this step we will start reading the message. If the byte of the file is in an odd position (1st, 3rd, 5th, ...) we perform the following operation:

```
readByte = Read a byte of the message  
exchange = T2[readByte]  
tmp = T1[readByte]  
position = (change + control) MOD 256  
T1[readByte] = T1[position]  
T1[position] = tmp  
accumulator = (accumulator + T1[T2[readByte]])
```

3) If the byte of the file is in an even position (2nd, 4th, 6th, ...) then we execute this operation:

```
readByte = Read a byte of the message  
exchange = T1[readByte]  
tmp = T2[readByte]  
position = (change + control) MOD 256  
T2[readByte] = T2[position]  
T2[position] = tmp  
accumulator = (accumulator + T1[T2[readByte]])
```

4) This code is executed until the end of the message. Then we change each element of the vectors **T1** and **T2** according to the code:

```
tmp1 = DIV accumulator 256  
tmp2 = MOD 256 accumulator  
FOR counter 0 TO 255 DO:  
    T1[counter] = (T1[counter] + tmp1) MOD 256  
    T2[counter] = (T2[counter] + tmp2) MOD 256
```

Note that the abbreviation **DIV** represents the entire result of a division and the abbreviation **MOD** represents the rest of a division. This algorithm allows changing the order of the **T1** and **T2** vectors according to the content of the incoming message. This way similar files will already start the processing of the 2nd phase of the algorithm with very different parameters which will contribute to make similar messages start the generation of the hash with different content.

ANNEX III - HEADING AND ZERO BYTE CONTROL

A) Generating a header for the inbound message

It is common to exist in the functions of a block to control the size of the input file. In the case of the Viktoria hash function the initial header will be a 64 byte block with the following structure:

1st byte: 255
2nd byte: File size in 64 module
3rd byte: Amount of surplus bits in the message
4th byte: Byte representing the bits in excess
5th to 64th byte: bits representing the file size in bytes

The file size is represented by a variable of 480 bits. In this example implementation we represent the file size in the last 64 bits⁵ through the following polynomial: $ax^7 + bx^6 + cx^5 + dx^4 + ex^3 + fx^2 + gx^1 + hx^0$. The coefficients **a** - **h** are in the [0,255] range. Each term of this polynomial occupies a position starting at the 57th byte and ending at the 64th byte of the file header block. All files must have a 64 byte header in this format.

B) Control for files with a size other than a multiple of 64

This control block will consist of 64 bytes with value zero for files with multiple sizes of 64. In the case of a file with a size other than a multiple of 64 we will have to read a number of bytes from the file that corresponds to its size in 64 module. These will be the first bytes of the block and the others will have a value of zero. For example, a file with 100 bytes will have this block filled with the first 36 bytes and the other 28 equal to zero, except the last byte of this block which will be filled with the number of bytes read.

```
if (file size% 64! = 0) {
    quant_bytes = (file size% 64);
    size = size - quant_bytes; // Recalculating file size

    for (ct = 0; ct <quant_bytes; ct++) {
        fread (& read_block, sizeof (read_block), 1, p1);
        BLOCK_TMP [ct] = T1 [read_block];
    }
}

BLOCK_TMP [63] = (64 - (file size% 64))% 64; // Number of null bytes considered

for (ct = 0; ct <64; ct++) {
    BLOCK [ct] = BLOCK [ct] ^ BLOCK_TMP [ct]; // XOR with previous BLOCK
}
```

The BLOCK vector represents the result of file header processing. This way, before processing the content of the file itself we have to process these 2 blocks of 512 bits.

We form an initial block of 512 bits called file header and we process this block through several operations. Then we form the 2nd block of the file according to the previous pseudocode. We will also process this block but first we will make a XOR operation with the previous block obtained through the header processing.

The main routine that does the processing of each block will be divided in 3 parts: read_block() function, mixword() function and permutation_block() function. After the last block the mixword_final() functions will be executed and finalized().

⁵ Just to avoid having to incorporate into the source code a library to work with large numbers. The main difference from other hash functions like SHA-256 is that the file size is given in bytes and not bits. The Viktoria hash function supports inputs up to $2^{480} - 1$ bytes.

ANNEX IV - DETAILS OF THE MIXWORD_FINAL() FUNCTION

This routine is very similar to the mix_word() function except that it is executed at least 8192 times and at most 16382 times per file. It is the penultimate operation to be performed before ending with hash output. To calculate how many times this routine will be executed we need all the data from the block processed up to this point:

```

limit = 0
For ct from 1 to 64 do:
    limit = limit XOR T1[BLOCK[ct]]
    limit = limit + T2[BLOCK[ct]]
    limit = (limite + ( (T1[BLOCK[ct]]+1) * (T2[BLOCK[ct]]+1) )) MOD 8191

limit = 8192 + limit

```

The number 8191 was chosen because it is the closest cousin to 8192. This routine is almost identical to the mixword() function. The differences are these:

a) before the base word mixing routine we execute the code:

```

for ct from 1 to 256 do:
    T1[ct] = (T1[ct] + T2[round MOD 256]) MOD 256

for ct from 1 to 256 do:
    T2[ct] = (T2[ct] + T1[(round + 128) MOD 256]) MOD 256

```

This routine allows you to change all the elements of the T1 and T2 exchange tables more quickly by moving the elements of one table based on an element of the other table. The variable "round" refers to the current round of the function.

b) The word mixing routine is performed 4 times per round and uses a dynamic permutation:

```

for (ct=0;ct<4;ct++) {
    p0 ^= (ROTL32(~p1,13) ^ ROTL32(p2,3)) + ROTL32(~p3,27);
    p1 += (ROTL32(p0,14) ^ ROTL32(~p2,11)) + ROTL32(p3,26);
    p2 ^= (ROTL32(~p0,9) ^ ROTL32(p1,20)) + ROTL32(~p3,28);
    p3 += (ROTL32(p0,17) ^ ROTL32(~p1,2)) + ROTL32(p2,1);

    p0 ^= (ROTL32(~p1,25) ^ ROTL32(p2,7)) + ROTL32(~p3,18);
    p1 += (ROTL32(p0,10) ^ ROTL32(~p2,8)) + ROTL32(p3,23);
    p2 ^= (ROTL32(~p0,15) ^ ROTL32(p1,31)) + ROTL32(~p3,29);
    p3 += (ROTL32(p0,30) ^ ROTL32(~p1,16)) + ROTL32(p2,21);

    p0 ^= (ROTL32(~p1,19) ^ ROTL32(p2,24)) + ROTL32(~p3,12);
    p1 += (ROTL32(p0,22) ^ ROTL32(~p2,4)) + ROTL32(p3,6);
    p2 ^= (ROTL32(~p0,5) ^ ROTL32(p1,8)) + ROTL32(~p3,13);
    p3 += (ROTL32(p0,14) ^ ROTL32(~p1,24)) + ROTL32(p2,20);
}

```

In this part apply all the permutations resulting from the combinations of the prime numbers up to 31 (are 7920 combinations)

```

tmp = (p0 % 7920);
p0 = ~(ROTL32(p0,PERMUTATION[tmp][0]));
p1 = ROTL32(p1,PERMUTATION[tmp][1]);
p2 = ~(ROTL32(p2,PERMUTATION[tmp][2]));
p3 = ROTL32(p3,PERMUTATION[tmp][3]);

tmp = p0;
p0 = p1;

```

```

    p1 = p2;
    p2 = p3;
    p3 = tmp;
}

```

The PERMUTATION matrix has 7920 x 4 elements and represents all possible permutations with 4 elements that can be obtained using the prime numbers from 2 to 31.

c) Before the function rotates_blocks() a binary permutation is performed on the first 128-bit subblock (A).

```

position=1
for ct from 1 to 256 do:
    If T1[ct] <= 128
        vector2[position] = vector[T1[ct]]
        position = position + 1

```

Considering vector[] with 128 binary elements we have that vector2[] is reordered from the dynamic table T1.

d) After the function rotates_block() every 16 laps the operation exchanges_block().

e) Finally, every 64 turns, a binary permutation of 512 bits is made with the exchange tables T1 and T2 as reordering parameter. The algorithm is similar to the one executed in item (c).

ANNEX V - DIEHARD TESTS

The description of the Diehard tests has been copied from the official documentation of this battery of tests to pseudo-random numbers.

This is the BIRTHDAY SPACINGS TEST

Choose m birthdays in a year of n days. List the spacings between the birthdays. If j is the number of values that occur more than once in that list, then j is asymptotically Poisson distributed with mean $m^3/(4n)$. Experience shows n must be quite large, say $n=2^{18}$, for comparing the results to the Poisson distribution with that mean. This test uses $n=2^{24}$ and $m=2^9$, so that the underlying distribution for j is taken to be Poisson with $\lambda=2^{27}/(2^{26})=2$. A sample of 500 j 's is taken, and a chi-square goodness of fit test provides a p value. The first test uses bits 1-24 (counting from the left) from integers in the specified file. Then the file is closed and reopened. Next, bits 2-25 are used to provide birthdays, then 3-26 and so on to bits 9-32. Each set of bits provides a p -value, and the nine p -values provide a sample for a KTEST.

THE OVERLAPPING 5-PERMUTATION TEST

This is the OPERM5 test. It looks at a sequence of one million 32-bit random integers. Each set of five consecutive integers can be in one of 120 states, for the 5! possible orderings of five numbers. Thus the 5th, 6th, 7th,...numbers each provide a state. As many thousands of state transitions are observed, cumulative counts are made of the number of occurrences of each state. Then the quadratic form in the weak inverse of the 120×120 covariance matrix yields a test equivalent to the likelihood ratio test that the 120 cell counts came from the specified (asymptotically) normal distribution with the specified 120×120 covariance matrix (with rank 99). This version uses 1,000,000 integers, twice.

This is the BINARY RANK TEST for 31×31 matrices. The leftmost 31 bits of 31 random integers from the test sequence are used to form a 31×31 binary matrix over the field {0,1}. The rank is determined. That rank can be from 0 to 31, but ranks < 28 are rare, and their counts are pooled with those for rank 28. Ranks are found for 40,000 such random matrices and a chisquare test is performed on counts for ranks 31,30,29 and <=28.

This is the BINARY RANK TEST for 32×32 matrices. A random 32×32 binary matrix is formed, each row a 32-bit random integer. The rank is determined. That rank can be from 0 to 32, ranks less than 29 are rare, and their counts are pooled with those for rank 29. Ranks are found for 40,000 such random matrices and a chisquare test is performed on counts for ranks 32,31, 30 and <=29.

This is the BINARY RANK TEST for 6×8 matrices. From each of six random 32-bit integers from the generator under test, a specified byte is chosen, and the resulting six bytes form a 6×8 binary matrix whose rank is determined. That rank can be from 0 to 6, but ranks 0,1,2,3 are rare; their counts are pooled with those for rank 4. Ranks are found for 100,000 random matrices, and a chi-square test is performed on counts for ranks 6,5 and <=4.

THE BITSTREAM TEST

The file under test is viewed as a stream of bits. Call them b_1, b_2, \dots . Consider an alphabet with two "letters", 0 and 1 and think of the stream of bits as a succession of 20-letter "words", overlapping. Thus the first word is $b_{1,2} \dots b_{20}$, the second is $b_{2,3} \dots b_{21}$, and so on. The bitstream test counts the number of missing 20-letter (20-bit) words in a string of 2^{21} overlapping 20-letter words. There are 2^{20} possible 20 letter words. For a truly random string of $2^{21}+19$ bits, the number of missing words j should be (very close to) normally distributed with mean $141,909$ and sigma 428. Thus $(j-141909)/428$ should be a standard normal variate (z score) that leads to a uniform [0,1] p value. The test is repeated twenty times.

The tests OPSO, OQSO and DNA

OPSO means Overlapping-Pairs-Sparse-Occupancy
The OPSO test considers 2-letter words from an alphabet of 1024 letters. Each letter is determined by a specified ten bits from a 32-bit integer in the sequence to be tested. OPSO generates 2^{21} (overlapping) 2-letter words (from $2^{21}+1$ "keystrokes") and counts the number of missing words---that is 2-letter words which do not appear in the entire sequence. That count should be very close to normally distributed with mean 141,909, sigma 290. Thus $(\text{missing wrds}-141909)/290$ should be a standard normal variable. The OPSO test takes 32 bits at a time from the test file and uses a designated set of ten consecutive bits. It then restarts the file for the next designated 10 bits, and so on.

OQSO means Overlapping-Quadruples-Sparse-Occupancy
The test OQSO is similar, except that it considers 4-letter words from an alphabet of 32 letters, each letter determined by a designated string of 5 consecutive bits from the test file, elements of which are assumed 32-bit random integers. The mean number of missing words in a sequence of 2^{21} four-letter words, $(2^{21}+3$ "keystrokes"), is again 141909, with sigma = 295. The mean is based on theory; sigma comes from extensive simulation.

This is the COUNT-THE-1's TEST for specific bytes.

Consider the file under test as a stream of 32-bit integers. From each integer, a specific byte is chosen , say the left-most bits 1 to 8. Each byte can contain from 0 to 8 1's, with probabilities 1,8,28,56,70,56,28,1 over 256. Now let the specified bytes from successive integers provide a string of (overlapping) 5-letter words, each "letter" taking values A,B,C,D,E. The letters are determined by the number of 1's, in that byte 0,1,or 2 ---> A, 3 ---> B, 4 ---> C, 5 ---> D, and 6,7 or 8 ---> E. Thus we have a monkey at a typewriter hitting five keys with with various probabilities 37,56,70, 56,37 over 256. There are 5^5 possible 5-letter words, and from a string of 256,000 (overlapping) 5-letter words, counts are made on the frequencies for each word. The quadratic form in the weak inverse of the covariance matrix of the cell counts provides a chisquare test Q5-Q4, the difference of the naive Pearson sums of $(\text{OBS-EXP})^2/\text{EXP}$ on counts for 5- and 4-letter cell counts.

THIS IS A PARKING LOT TEST

In a square of side 100, randomly "park" a car---a circle of radius 1. Then try to park a 2nd, a 3rd, and so on, each time parking "by ear". That is, if an attempt to park a car causes a crash with one already parked, try again at a new random location. (To avoid path problems, consider parking helicopters rather than cars.) Each attempt leads to either a crash or a success, the latter followed by an increment to the list of cars already parked. If we plot n the number of attempts, versus k the number successfully parked, we get a curve that should be similar to those provided by a perfect random number generator. Theory for the behavior of such a random curve seems beyond reach, and as graphics displays are not available for this battery of tests, a simple characterization of the random experiment is used k , the number of cars successfully parked after $n=12,000$ attempts. Simulation shows that k should average 3523 with sigma 21.9 and is very close to normally distributed. Thus $(k-3523)/21.9$ should be a standard normal variable, which, converted to a uniform variable, provides input to a KTEST based on a sample of 10.

THE MINIMUM DISTANCE TEST

It does this 100 times choose $n=8000$ random points in a square of side 10000. Find d , the minimum distance between the $(n^2-n)/2$ pairs of points. If the points are truly independent uniform, then d^2 , the square of the minimum distance should be (very close to) exponentially distributed with mean .995. Thus $1-\exp(-d^2/.995)$ should be uniform on [0,1] and a KTEST on the resulting 100 values serves as a test of uniformity for random points in the square. Test numbers=0 mod 5 are printed but the KTEST is based on the full set of 100 random choices of 8000 points in the 10000x10000 square.

THE 3DSPHERES TEST

Choose 4000 random points in a cube of edge 1000. At each point, center a sphere large enough to reach the next closest point. Then the volume of the smallest such sphere is (very close to) exponentially distributed with mean $120\pi/3$. Thus the radius cubed is exponential with mean 30. (The mean is obtained by extensive simulation). The 3DSPHERES test generates 4000 such spheres 20 times. Each min radius cubed leads to a uniform variable by means of $1-\exp(-r^3/30)$, then a KTEST is done on the 20 p -values.

This is the SQUEEZE test

Random integers are floated to get uniforms on [0,1]. Starting with $k=2^{31}-2147483647$, the test finds j , the number of iterations necessary to reduce k to 1, using the reduction $k=\text{ceiling}(k^U)$, with U provided by floating integers from the file being tested. Such j 's are found 100,000 times, then counts for the number of times j was $\leq 6,7,\dots,47,>=48$ are used to provide a chi-square test for cell frequencies.

The OVERLAPPING SUMS test

Integers are floated to get a sequence $U(1), U(2), \dots$ of uniform [0,1] variables. Then overlapping sums, $S(1)=U(1)+\dots+U(100)$, $S(2)=U(2)+\dots+U(101)$, ... are formed. The S 's are virtually normal with a certain covariance matrix. A linear transformation of the S 's converts them to a sequence of independent standard normals, which are converted to uniform variables for a KTEST. The p -values from ten KTESTs are given still another KTEST.

This is the RUNS test. It counts runs up, and runs down, in a sequence of uniform [0,1] variables, obtained by floating the 32-bit integers in the specified file. This example shows how runs are counted .123,.357,.789,.425,.224,.416,.95 contains an up-run of length 3, a down-run of length 2 and an up-run of (at least) 2, depending on the next values. The covariance matrices for the runs-up and runs-down are well known, leading to chisquare tests for quadratic forms in the weak inverses of the covariance matrices. Runs are counted for sequences of length 10,000. This is done ten times. Then repeated.

The DNA test considers an alphabet of 4 letters C,G,A,T, determined by two designated bits in the sequence of random integers being tested. It considers 10-letter words, so that as in OPSO and QOSO, there are 2^{10} possible words, and the mean number of missing words from a string of 2^{21} (overlapping) 10-letter words ($2^{21}+9$ "keystrokes") is 141909. The standard deviation sigma=339 was determined as for QOSO by simulation. (Sigma for OPSO, 290, is the true value (to three places), not determined by simulation.

This is the COUNT-THE-1's TEST on a stream of bytes. Consider the file under test as a stream of bytes (four per 32 bit integer). Each byte can contain from 0 to 8 1's, with probabilities 1,8,28,56,70,56,28,8,1 over 256. Now let the stream of bytes provide a string of overlapping 5-letter words, each "letter" taking values A,B,C,D,E. The letters are determined by the number of 1's in a byte 0,1, or 2 yield A, 3 yields B, 4 yields C, 5 yields D and 6,7 or 8 yield E. Thus we have a monkey at a typewriter hitting five keys with various probabilities (37,56,70,56,37 over 256). There are 5⁵ possible 5-letter words, and from a string of 256,000 (overlapping) 5-letter words, counts are made on the frequencies for each word. The quadratic form in the weak inverse of the covariance matrix of the cell counts provides chisquare test Q5-Q4, the difference of the naive Pearson sums of $(\text{OBS}-\text{EXP})^2/\text{EXP}$ on counts for 5- and 4-letter cell counts.

This is the CRAPS TEST. It plays 200,000 games of craps, finds the number of wins and the number of throws necessary to end each game. The number of wins should be (very close to) a normal with mean 200000p and variance 200000p(1-p), with p=244/495. Throws necessary to complete the game can vary from 1 to infinity, but counts for all > 21 are lumped with 21. A chi-square test is made on the no.-of-throws cell counts. Each 32-bit integer from the test file provides the value for the throw of a die, by floating to [0,1], multiplying by 6 and taking 1 plus the integer part of the result.

NOTE Most of the tests in DIEHARD return a p-value, which should be uniform on [0,1] if the input file contains truly independent random bits. Those p-values are obtained by $p=F(X)$, where F is the assumed distribution of the sample random variable X---often normal. But that assumed F is just an asymptotic approximation, for which the fit will be worst in the tails. Thus you should not be surprised with occasional p-values near 0 or 1, such as .0012 or .9983. When a bit stream really FAILS BIG, you will get p's of 0 or 1 to six or more places. By all means, do not, as a Statistician might, think that a $p < .025$ or $p > .975$ means that the RNG has "failed the test at the .05 level". Such p's happen among the hundreds that DIEHARD produces, even with good RNG's. So keep in mind that "p happens".

ANNEX VI - DIEHARDER TESTS FOR MIXWORD FUNCTION

```
#=====
#          dieharder version 3.31.1 Copyright 2003 Robert G. Brown
#=====
rng_name      |      filename      |rands/second|
file_input_raw|      saida.bin|    4.17e+07 |
#=====

test_name |ntup| tsamples |psamples| p-value |Assessment
diehard_birthdays| 0| 100| 100|0.97248073| PASSED
diehard_operm5| 0| 1000000| 100|0.94376408| PASSED
diehard_rank_32x32| 0| 40000| 100|0.81385689| PASSED
# The file file_input_raw was rewound 1 times
diehard_rank_6x8| 0| 100000| 100|0.72690594| PASSED
# The file file_input_raw was rewound 1 times
diehard_bitstream| 0| 2097152| 100|0.20706381| PASSED
# The file file_input_raw was rewound 2 times
diehard_opso| 0| 2097152| 100|0.32838701| PASSED
# The file file_input_raw was rewound 2 times
diehard_osgo| 0| 2097152| 100|0.67803575| PASSED
# The file file_input_raw was rewound 2 times
diehard_dna| 0| 2097152| 100|0.45293128| PASSED
# The file file_input_raw was rewound 2 times
diehard_count_ls_str| 0| 256000| 100|0.37148978| PASSED
# The file file_input_raw was rewound 3 times
diehard_count_ls_byt| 0| 256000| 100|0.87959823| PASSED
# The file file_input_raw was rewound 3 times
diehard_parking_lot| 0| 12000| 100|0.39087401| PASSED
# The file file_input_raw was rewound 3 times
diehard_2dsphere| 2| 8000| 100|0.53347123| PASSED
# The file file_input_raw was rewound 3 times
diehard_3dsphere| 3| 4000| 100|0.28537603| PASSED
# The file file_input_raw was rewound 4 times
diehard_squeeze| 0| 100000| 100|0.09544435| PASSED
# The file file_input_raw was rewound 4 times
diehard_sums| 0| 100| 100|0.56057958| PASSED
# The file file_input_raw was rewound 4 times
diehard_runs| 0| 100000| 100|0.69124466| PASSED
diehard_runs| 0| 100000| 100|0.61856359| PASSED
# The file file_input_raw was rewound 5 times
diehard_craps| 0| 200000| 100|0.04413745| PASSED
diehard_craps| 0| 200000| 100|0.25940083| PASSED
# The file file_input_raw was rewound 13 times
marsaglia_tsang_gcd| 0| 1000000| 100|0.04248610| PASSED
marsaglia_tsang_gcd| 0| 1000000| 100|0.02639916| PASSED
# The file file_input_raw was rewound 13 times
sts_monobit| 1| 100000| 100|0.79946186| PASSED
# The file file_input_raw was rewound 13 times
sts_runs| 2| 100000| 100|0.15112950| PASSED
# The file file_input_raw was rewound 13 times
sts_serial| 1| 100000| 100|0.61720878| PASSED
sts_serial| 2| 100000| 100|0.48522312| PASSED
sts_serial| 3| 100000| 100|0.46402745| PASSED
sts_serial| 3| 100000| 100|0.03336863| PASSED
sts_serial| 4| 100000| 100|0.78946454| PASSED
sts_serial| 4| 100000| 100|0.35807014| PASSED
sts_serial| 5| 100000| 100|0.62599452| PASSED
sts_serial| 5| 100000| 100|0.59366956| PASSED
sts_serial| 6| 100000| 100|0.03023350| PASSED
sts_serial| 6| 100000| 100|0.44024507| PASSED
sts_serial| 7| 100000| 100|0.26579847| PASSED
sts_serial| 7| 100000| 100|0.72760722| PASSED
sts_serial| 8| 100000| 100|0.87788724| PASSED
sts_serial| 8| 100000| 100|0.90439718| PASSED
sts_serial| 9| 100000| 100|0.98253761| PASSED
sts_serial| 9| 100000| 100|0.50792706| PASSED
sts_serial| 10| 100000| 100|0.88545285| PASSED
sts_serial| 10| 100000| 100|0.81038050| PASSED
sts_serial| 11| 100000| 100|0.96696265| PASSED
sts_serial| 11| 100000| 100|0.93897442| PASSED
sts_serial| 12| 100000| 100|0.78222224| PASSED
sts_serial| 12| 100000| 100|0.89014842| PASSED
sts_serial| 13| 100000| 100|0.97445602| PASSED
sts_serial| 13| 100000| 100|0.65033521| PASSED
sts_serial| 14| 100000| 100|0.94547908| PASSED
sts_serial| 14| 100000| 100|0.86955491| PASSED
sts_serial| 15| 100000| 100|0.26908769| PASSED
sts_serial| 15| 100000| 100|0.47573532| PASSED
sts_serial| 16| 100000| 100|0.97486031| PASSED
sts_serial| 16| 100000| 100|0.41465364| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 1| 100000| 100|0.67023755| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 2| 100000| 100|0.77100320| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 3| 100000| 100|0.08140147| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 4| 100000| 100|0.94459912| PASSED
# The file file_input_raw was rewound 14 times
rgb_bitdist| 5| 100000| 100|0.62094965| PASSED
# The file file_input_raw was rewound 14 times
rgb_bitdist| 6| 100000| 100|0.84123364| PASSED
# The file file_input_raw was rewound 15 times
rgb_bitdist| 7| 100000| 100|0.65724792| PASSED
# The file file_input_raw was rewound 16 times
rgb_bitdist| 8| 100000| 100|0.10337573| PASSED
# The file file_input_raw was rewound 16 times
rgb_bitdist| 9| 100000| 100|0.88810706| PASSED
# The file file_input_raw was rewound 17 times
rgb_bitdist| 10| 100000| 100|0.88326147| PASSED
# The file file_input_raw was rewound 18 times
rgb_bitdist| 11| 100000| 100|0.44445558| PASSED
# The file file_input_raw was rewound 19 times
rgb_bitdist| 12| 100000| 100|0.98517330| PASSED
# The file file_input_raw was rewound 19 times
rgb_minimum_distance| 2| 100000| 100|0.58501561| PASSED
# The file file_input_raw was rewound 19 times
rgb_permutations| 2| 100000| 100|0.84149576| PASSED
# The file file_input_raw was rewound 20 times
rgb_permutations| 3| 100000| 100|0.92172787| PASSED
# The file file_input_raw was rewound 20 times
rgb_permutations| 4| 100000| 100|0.79279849| PASSED
# The file file_input_raw was rewound 20 times
rgb_permutations| 5| 100000| 100|0.95356490| PASSED
# The file file_input_raw was rewound 20 times
rgb_lagged_sum| 0| 100000| 100|0.98791671| PASSED
# The file file_input_raw was rewound 21 times
rgb_lagged_sum| 1| 100000| 100|0.08961281| PASSED
# The file file_input_raw was rewound 22 times
rgb_lagged_sum| 2| 100000| 100|0.45905339| PASSED
# The file file_input_raw was rewound 24 times
rgb_lagged_sum| 3| 100000| 100|0.23579093| PASSED
# The file file_input_raw was rewound 26 times
rgb_lagged_sum| 4| 100000| 100|0.10975314| PASSED
# The file file_input_raw was rewound 28 times
rgb_lagged_sum| 5| 100000| 100|0.62083414| PASSED
# The file file_input_raw was rewound 31 times
rgb_lagged_sum| 6| 100000| 100|0.49633980| PASSED
# The file file_input_raw was rewound 34 times
rgb_lagged_sum| 7| 100000| 100|0.03854615| PASSED
# The file file_input_raw was rewound 38 times
rgb_lagged_sum| 8| 100000| 100|0.25264686| PASSED
# The file file_input_raw was rewound 42 times
rgb_lagged_sum| 9| 100000| 100|0.16638465| PASSED
# The file file_input_raw was rewound 46 times
rgb_lagged_sum| 10| 100000| 100|0.04970890| PASSED
# The file file_input_raw was rewound 51 times
rgb_lagged_sum| 11| 100000| 100|0.50742996| PASSED
# The file file_input_raw was rewound 56 times
rgb_lagged_sum| 12| 100000| 100|0.16004200| PASSED
# The file file_input_raw was rewound 62 times
rgb_lagged_sum| 13| 100000| 100|0.72472382| PASSED
# The file file_input_raw was rewound 68 times
rgb_lagged_sum| 14| 100000| 100|0.18347070| PASSED
# The file file_input_raw was rewound 74 times
rgb_lagged_sum| 15| 100000| 100|0.00000006| FAILED
# The file file_input_raw was rewound 81 times
rgb_lagged_sum| 16| 100000| 100|0.25167443| PASSED
# The file file_input_raw was rewound 88 times
rgb_lagged_sum| 17| 100000| 100|0.39577767| PASSED
# The file file_input_raw was rewound 96 times
rgb_lagged_sum| 18| 100000| 100|0.56812816| PASSED
# The file file_input_raw was rewound 104 times
rgb_lagged_sum| 19| 100000| 100|0.09177789| PASSED
# The file file_input_raw was rewound 112 times
rgb_lagged_sum| 20| 100000| 100|0.02153868| PASSED
# The file file_input_raw was rewound 121 times
rgb_lagged_sum| 21| 100000| 100|0.01432522| PASSED
# The file file_input_raw was rewound 130 times
rgb_lagged_sum| 22| 100000| 100|0.03587220| PASSED
# The file file_input_raw was rewound 140 times
rgb_lagged_sum| 23| 100000| 100|0.15328293| PASSED
# The file file_input_raw was rewound 150 times
rgb_lagged_sum| 24| 100000| 100|0.00003341| WEAK
# The file file_input_raw was rewound 160 times
rgb_lagged_sum| 25| 100000| 100|0.13887878| PASSED
# The file file_input_raw was rewound 171 times
rgb_lagged_sum| 26| 100000| 100|0.74023695| PASSED
# The file file_input_raw was rewound 182 times
rgb_lagged_sum| 27| 100000| 100|0.23902428| PASSED
# The file file_input_raw was rewound 194 times
rgb_lagged_sum| 28| 100000| 100|0.03451610| PASSED
# The file file_input_raw was rewound 206 times
rgb_lagged_sum| 29| 100000| 100|0.06331289| PASSED
# The file file_input_raw was rewound 218 times
rgb_lagged_sum| 30| 100000| 100|0.87167906| PASSED
# The file file_input_raw was rewound 231 times
rgb_lagged_sum| 31| 100000| 100|0.07029562| PASSED
# The file file_input_raw was rewound 244 times
rgb_lagged_sum| 32| 100000| 100|0.27068660| PASSED
# The file file_input_raw was rewound 244 times
rgb_kstest_test| 0| 10000| 100|0.68500736| PASSED
# The file file_input_raw was rewound 245 times
dab_bytedistrib| 0| 51200000| 1|0.25990456| PASSED
# The file file_input_raw was rewound 245 times
dab_dct| 256| 50000| 1|0.15064612| PASSED
Preparing to run test 207. ntuple = 0
# The file file_input_raw was rewound 246 times
dab_filltree1| 32| 15000000| 1|0.22816946| PASSED
dab_filltree1| 32| 15000000| 1|0.51825753| PASSED
Preparing to run test 208. ntuple = 0
# The file file_input_raw was rewound 246 times
dab_filltree2| 0| 5000000| 1|0.72193593| PASSED
dab_filltree2| 1| 5000000| 1|0.33772856| PASSED
Preparing to run test 209. ntuple = 0
# The file file_input_raw was rewound 246 times
dab_monobit2| 12| 65000000| 1|0.22925706| PASSED
```

ANNEX VII - THE 4 ROUND HASH FUNCTION TEST FOR MIXWORD - VERSION 1

```

#=====
#          dieharder version 3.31.1 Copyright 2003 Robert G. Brown
#=====
      rng_name      |      filename      | rands/second|
file_input_raw|      saida.bin|    1.82e+07 |
#=====

test_name |ntup| tsamples |psamples| p-value |Assessment
diehard_birthdays| 0| 100| 100|0.40318857| PASSED
diehard_operm5| 0| 1000000| 100|0.74954088| PASSED
diehard_rank_32x32| 0| 40000| 100|0.23724647| PASSED
# The file file_input_raw was rewound 1 times
diehard_rank_6x8| 0| 100000| 100|0.98371456| PASSED
# The file file_input_raw was rewound 1 times
diehard_bitstream| 0| 2097152| 100|0.62993976| PASSED
# The file file_input_raw was rewound 2 times
diehard_opso| 0| 2097152| 100|0.28342410| PASSED
# The file file_input_raw was rewound 2 times
diehard_qso| 0| 2097152| 100|0.38952479| PASSED
# The file file_input_raw was rewound 2 times
diehard_dna| 0| 2097152| 100|0.32747531| PASSED
# The file file_input_raw was rewound 2 times
diehard_count_ls_str| 0| 256000| 100|0.86979112| PASSED
# The file file_input_raw was rewound 3 times
diehard_count_is_byt| 0| 256000| 100|0.49505766| PASSED
# The file file_input_raw was rewound 3 times
diehard_parking_lot| 0| 12000| 100|0.51526202| PASSED
# The file file_input_raw was rewound 3 times
diehard_2dsphere| 2| 8000| 100|0.36520462| PASSED
# The file file_input_raw was rewound 3 times
diehard_3dsphere| 3| 4000| 100|0.09576474| PASSED
# The file file_input_raw was rewound 4 times
diehard_squeeze| 0| 100000| 100|0.85116022| PASSED
# The file file_input_raw was rewound 4 times
diehard_sums| 0| 100| 100|0.18072296| PASSED
# The file file_input_raw was rewound 4 times
diehard_runs| 0| 100000| 100|0.15264676| PASSED
diehard_runs| 0| 100000| 100|0.07713804| PASSED
# The file file_input_raw was rewound 5 times
diehard_craps| 0| 200000| 100|0.13613602| PASSED
diehard_craps| 0| 200000| 100|0.48930166| PASSED
# The file file_input_raw was rewound 13 times
marsaglia_tsang_gcd| 0| 10000000| 100|0.03883149| PASSED
marsaglia_tsang_gcd| 0| 10000000| 100|0.00000416| WEAK
# The file file_input_raw was rewound 13 times
sts_monobit| 1| 100000| 100|0.78354365| PASSED
# The file file_input_raw was rewound 13 times
sts_runs| 2| 100000| 100|0.69576192| PASSED
# The file file_input_raw was rewound 13 times
sts_serial| 1| 100000| 100|0.42707376| PASSED
sts_serial| 2| 100000| 100|0.14224616| PASSED
sts_serial| 3| 100000| 100|0.08089240| PASSED
sts_serial| 3| 100000| 100|0.22730704| PASSED
sts_serial| 4| 100000| 100|0.40831094| PASSED
sts_serial| 4| 100000| 100|0.92648994| PASSED
sts_serial| 5| 100000| 100|0.42294912| PASSED
sts_serial| 5| 100000| 100|0.97666950| PASSED
sts_serial| 6| 100000| 100|0.48916546| PASSED
sts_serial| 6| 100000| 100|0.92810987| PASSED
sts_serial| 7| 100000| 100|0.56478251| PASSED
sts_serial| 7| 100000| 100|0.86957802| PASSED
sts_serial| 8| 100000| 100|0.77762109| PASSED
sts_serial| 8| 100000| 100|0.80309199| PASSED
sts_serial| 9| 100000| 100|0.08429482| PASSED
sts_serial| 9| 100000| 100|0.21794320| PASSED
sts_serial| 10| 100000| 100|0.61055271| PASSED
sts_serial| 10| 100000| 100|0.80953954| PASSED
sts_serial| 11| 100000| 100|0.41394867| PASSED
sts_serial| 11| 100000| 100|0.78206518| PASSED
sts_serial| 12| 100000| 100|0.84862147| PASSED
sts_serial| 12| 100000| 100|0.48084107| PASSED
sts_serial| 13| 100000| 100|0.07188715| PASSED
sts_serial| 13| 100000| 100|0.01973931| PASSED
sts_serial| 14| 100000| 100|0.08839256| PASSED
sts_serial| 14| 100000| 100|0.90504780| PASSED
sts_serial| 15| 100000| 100|0.17122162| PASSED
sts_serial| 15| 100000| 100|0.80430063| PASSED
sts_serial| 16| 100000| 100|0.91207908| PASSED
sts_serial| 16| 100000| 100|0.36033291| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 1| 100000| 100|0.75556615| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 2| 100000| 100|0.09428098| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 3| 100000| 100|0.55912672| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 4| 100000| 100|0.39479104| PASSED
# The file file_input_raw was rewound 14 times
rgb_bitdist| 5| 100000| 100|0.52061423| PASSED
# The file file_input_raw was rewound 14 times
rgb_bitdist| 6| 100000| 100|0.82671626| PASSED
# The file file_input_raw was rewound 15 times
rgb_bitdist| 7| 100000| 100|0.48351521| PASSED
# The file file_input_raw was rewound 16 times
rgb_bitdist| 8| 100000| 100|0.84756630| PASSED
# The file file_input_raw was rewound 16 times
rgb_bitdist| 9| 100000| 100|0.16580229| PASSED
# The file file_input_raw was rewound 17 times
rgb_bitdist| 10| 100000| 100|0.82247514| PASSED
# The file file_input_raw was rewound 18 times
rgb_bitdist| 11| 100000| 100|0.46344143| PASSED
# The file file_input_raw was rewound 19 times
rgb_bitdist| 12| 100000| 100|0.15356229| PASSED
# The file file_input_raw was rewound 19 times
rgb_minimum_distance| 2| 10000| 100|0.47383542| PASSED
# The file file_input_raw was rewound 19 times
# The file file_input_raw was rewound 20 times
rgb_permutations| 2| 100000| 100|0.17140095| PASSED
# The file file_input_raw was rewound 20 times
rgb_permutations| 3| 100000| 100|0.98952140| PASSED
# The file file_input_raw was rewound 20 times
rgb_permutations| 4| 100000| 100|0.97468608| PASSED
# The file file_input_raw was rewound 20 times
rgb_permutations| 5| 100000| 100|0.92376620| PASSED
# The file file_input_raw was rewound 20 times
rgb_lagged_sum| 0| 1000000| 100|0.39013875| PASSED
# The file file_input_raw was rewound 21 times
rgb_lagged_sum| 1| 1000000| 100|0.38928700| PASSED
# The file file_input_raw was rewound 22 times
rgb_lagged_sum| 2| 1000000| 100|0.60296655| PASSED
# The file file_input_raw was rewound 24 times
rgb_lagged_sum| 3| 1000000| 100|0.66129016| PASSED
# The file file_input_raw was rewound 26 times
rgb_lagged_sum| 4| 1000000| 100|0.02910539| PASSED
# The file file_input_raw was rewound 28 times
rgb_lagged_sum| 5| 1000000| 100|0.02728181| PASSED
# The file file_input_raw was rewound 31 times
rgb_lagged_sum| 6| 1000000| 100|0.96182412| PASSED
# The file file_input_raw was rewound 34 times
rgb_lagged_sum| 7| 1000000| 100|0.76541880| PASSED
# The file file_input_raw was rewound 38 times
rgb_lagged_sum| 8| 1000000| 100|0.52733518| PASSED
# The file file_input_raw was rewound 42 times
rgb_lagged_sum| 9| 1000000| 100|0.00031215| WEAK
# The file file_input_raw was rewound 46 times
rgb_lagged_sum| 10| 1000000| 100|0.63542382| PASSED
# The file file_input_raw was rewound 51 times
rgb_lagged_sum| 11| 1000000| 100|0.00313570| WEAK
# The file file_input_raw was rewound 56 times
rgb_lagged_sum| 12| 1000000| 100|0.28479648| PASSED
# The file file_input_raw was rewound 62 times
rgb_lagged_sum| 13| 1000000| 100|0.26712807| PASSED
# The file file_input_raw was rewound 68 times
rgb_lagged_sum| 14| 1000000| 100|0.06739717| PASSED
# The file file_input_raw was rewound 74 times
rgb_lagged_sum| 15| 1000000| 100|0.61349737| PASSED
# The file file_input_raw was rewound 81 times
rgb_lagged_sum| 16| 1000000| 100|0.75906964| PASSED
# The file file_input_raw was rewound 88 times
rgb_lagged_sum| 17| 1000000| 100|0.11235164| PASSED
# The file file_input_raw was rewound 96 times
rgb_lagged_sum| 18| 1000000| 100|0.05896800| PASSED
# The file file_input_raw was rewound 104 times
rgb_lagged_sum| 19| 1000000| 100|0.00311817| WEAK
# The file file_input_raw was rewound 112 times
rgb_lagged_sum| 20| 1000000| 100|0.53707102| PASSED
# The file file_input_raw was rewound 121 times
rgb_lagged_sum| 21| 1000000| 100|0.39907193| PASSED
# The file file_input_raw was rewound 130 times
rgb_lagged_sum| 22| 1000000| 100|0.82699571| PASSED
# The file file_input_raw was rewound 140 times
rgb_lagged_sum| 23| 1000000| 100|0.68580867| PASSED
# The file file_input_raw was rewound 150 times
rgb_lagged_sum| 24| 1000000| 100|0.01247876| PASSED
# The file file_input_raw was rewound 160 times
rgb_lagged_sum| 25| 1000000| 100|0.10126232| PASSED
# The file file_input_raw was rewound 171 times
rgb_lagged_sum| 26| 1000000| 100|0.92013302| PASSED
# The file file_input_raw was rewound 182 times
rgb_lagged_sum| 27| 1000000| 100|0.02970593| PASSED
# The file file_input_raw was rewound 194 times
rgb_lagged_sum| 28| 1000000| 100|0.69833167| PASSED
# The file file_input_raw was rewound 206 times
rgb_lagged_sum| 29| 1000000| 100|0.00011186| WEAK
# The file file_input_raw was rewound 218 times
rgb_lagged_sum| 30| 1000000| 100|0.64511468| PASSED
# The file file_input_raw was rewound 231 times
rgb_lagged_sum| 31| 1000000| 100|0.00317694| WEAK
# The file file_input_raw was rewound 244 times
rgb_lagged_sum| 32| 1000000| 100|0.42082228| PASSED
# The file file_input_raw was rewound 244 times
rgb_kstest_test| 0| 10000| 100|0.27418082| PASSED
# The file file_input_raw was rewound 245 times
dab_bytedistrib| 0| 51200000| 1|0.12726248| PASSED
# The file file_input_raw was rewound 245 times
dab_dct| 256| 50000| 1|0.82453388| PASSED
Preparing to run test 207. ntuple = 0
# The file file_input_raw was rewound 246 times
dab_filltree| 32| 15000000| 1|0.89886473| PASSED
dab_filltree| 32| 15000000| 1|0.65607642| PASSED
Preparing to run test 208. ntuple = 0
# The file file_input_raw was rewound 246 times
dab_filltree2| 0| 5000000| 1|0.10798413| PASSED
dab_filltree2| 1| 5000000| 1|0.72497860| PASSED
Preparing to run test 209. ntuple = 0
# The file file_input_raw was rewound 246 times
dab_monobit2| 12| 65000000| 1|0.56005539| PASSED

```

ANNEX VIII - THE 4 ROUND HASH FUNCTION TEST FOR MIXWORD - VERSION 2

```
#=====
# dieharder version 3.31.1 Copyright 2003 Robert G. Brown
#=====
rng_name | filename | rands/second|
file_input_raw| saida.bin| 4.33e+07 |
#=====

test_name |ntup| tsamples |psamples| p-value |Assessment
diehard_birthdays| 0| 100| 100|0.73346478| PASSED
diehard_operm5| 0| 1000000| 100|0.86829659| PASSED
diehard_rank_32x32l| 0| 40000| 100|0.98183373| PASSED
# The file file_input_raw was rewound 1 times
diehard_rank_6x8| 0| 100000| 100|0.29051708| PASSED
# The file file_input_raw was rewound 1 times
diehard_bitstream| 0| 2097152| 100|0.37604905| PASSED
# The file file_input_raw was rewound 2 times
diehard_opso| 0| 2097152| 100|0.77228097| PASSED
# The file file_input_raw was rewound 2 times
diehard_osgo| 0| 2097152| 100|0.89743726| PASSED
# The file file_input_raw was rewound 2 times
diehard_dna| 0| 2097152| 100|0.97448002| PASSED
# The file file_input_raw was rewound 2 times
diehard_count_ls_str| 0| 256000| 100|0.42466440| PASSED
# The file file_input_raw was rewound 3 times
diehard_count_is_byt| 0| 256000| 100|0.03289935| PASSED
# The file file_input_raw was rewound 3 times
diehard_parking_lot| 0| 12000| 100|0.67934334| PASSED
# The file file_input_raw was rewound 3 times
diehard_2dsphere| 2| 8000| 100|0.17337963| PASSED
# The file file_input_raw was rewound 3 times
diehard_3dsphere| 3| 4000| 100|0.35817494| PASSED
# The file file_input_raw was rewound 4 times
diehard_squeeze| 0| 100000| 100|0.44303776| PASSED
# The file file_input_raw was rewound 4 times
diehard_sums| 0| 100| 100|0.04588441| PASSED
# The file file_input_raw was rewound 4 times
diehard_runs| 0| 100000| 100|0.30428349| PASSED
diehard_runs| 0| 100000| 100|0.34795627| PASSED
# The file file_input_raw was rewound 5 times
diehard_craps| 0| 200000| 100|0.88073477| PASSED
diehard_craps| 0| 200000| 100|0.48259402| PASSED
# The file file_input_raw was rewound 13 times
marsaglia_tsang_gcd| 0| 10000000| 100|0.05337985| PASSED
marsaglia_tsang_gcd| 0| 10000000| 100|0.00000092| FAILED
# The file file_input_raw was rewound 13 times
sts_monobit| 1| 100000| 100|0.04597422| PASSED
# The file file_input_raw was rewound 13 times
sts_runs| 2| 100000| 100|0.87341704| PASSED
# The file file_input_raw was rewound 13 times
sts_serial| 1| 100000| 100|0.51474348| PASSED
sts_serial| 2| 100000| 100|0.55960177| PASSED
sts_serial| 3| 100000| 100|0.46656924| PASSED
sts_serial| 3| 100000| 100|0.47673289| PASSED
sts_serial| 4| 100000| 100|0.62902694| PASSED
sts_serial| 4| 100000| 100|0.49827090| PASSED
sts_serial| 5| 100000| 100|0.81056717| PASSED
sts_serial| 5| 100000| 100|0.94410878| PASSED
sts_serial| 6| 100000| 100|0.83400816| PASSED
sts_serial| 6| 100000| 100|0.94163400| PASSED
sts_serial| 7| 100000| 100|0.18959675| PASSED
sts_serial| 7| 100000| 100|0.01130727| PASSED
sts_serial| 8| 100000| 100|0.01948640| PASSED
sts_serial| 8| 100000| 100|0.03847916| PASSED
sts_serial| 9| 100000| 100|0.26320858| PASSED
sts_serial| 9| 100000| 100|0.84573524| PASSED
sts_serial| 10| 100000| 100|0.16689686| PASSED
sts_serial| 10| 100000| 100|0.99884626| WEAK
sts_serial| 11| 100000| 100|0.33625668| PASSED
sts_serial| 11| 100000| 100|0.90116610| PASSED
sts_serial| 12| 100000| 100|0.39664647| PASSED
sts_serial| 12| 100000| 100|0.86234781| PASSED
sts_serial| 13| 100000| 100|0.71823004| PASSED
sts_serial| 13| 100000| 100|0.56993416| PASSED
sts_serial| 14| 100000| 100|0.47011130| PASSED
sts_serial| 14| 100000| 100|0.65938272| PASSED
sts_serial| 15| 100000| 100|0.94724880| PASSED
sts_serial| 15| 100000| 100|0.51935692| PASSED
sts_serial| 16| 100000| 100|0.90125742| PASSED
sts_serial| 16| 100000| 100|0.93234111| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 1| 100000| 100|0.42320294| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 2| 100000| 100|0.03311286| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 3| 100000| 100|0.29936929| PASSED
# The file file_input_raw was rewound 13 times
rgb_bitdist| 4| 100000| 100|0.77555651| PASSED
# The file file_input_raw was rewound 14 times
rgb_bitdist| 5| 100000| 100|0.53810624| PASSED
# The file file_input_raw was rewound 14 times
rgb_bitdist| 6| 100000| 100|0.60835561| PASSED
# The file file_input_raw was rewound 15 times
rgb_bitdist| 7| 100000| 100|0.64613935| PASSED
# The file file_input_raw was rewound 16 times
rgb_bitdist| 8| 100000| 100|0.44266502| PASSED
# The file file_input_raw was rewound 16 times
rgb_bitdist| 9| 100000| 100|0.19192416| PASSED
# The file file_input_raw was rewound 17 times
rgb_bitdist| 10| 100000| 100|0.60410573| PASSED
# The file file_input_raw was rewound 18 times
rgb_bitdist| 11| 100000| 100|0.97011502| PASSED
# The file file_input_raw was rewound 19 times
rgb_bitdist| 12| 100000| 100|0.30304835| PASSED
# The file file_input_raw was rewound 19 times
rgb_minimum_distance| 2| 10000| 100|0.32579545| PASSED
# The file file_input_raw was rewound 19 times
rgb_permutations| 2| 100000| 100|0.03403235| PASSED
# The file file_input_raw was rewound 20 times
rgb_permutations| 3| 100000| 100|0.15783280| PASSED
# The file file_input_raw was rewound 20 times
rgb_permutations| 4| 100000| 100|0.40849598| PASSED
# The file file_input_raw was rewound 20 times
rgb_permutations| 5| 100000| 100|0.33820200| PASSED
# The file file_input_raw was rewound 20 times
rgb_lagged_sum| 0| 1000000| 100|0.97871570| PASSED
# The file file_input_raw was rewound 21 times
rgb_lagged_sum| 1| 1000000| 100|0.82687096| PASSED
# The file file_input_raw was rewound 22 times
rgb_lagged_sum| 2| 1000000| 100|0.54435002| PASSED
# The file file_input_raw was rewound 24 times
rgb_lagged_sum| 3| 1000000| 100|0.67959914| PASSED
# The file file_input_raw was rewound 26 times
rgb_lagged_sum| 4| 1000000| 100|0.39205808| PASSED
# The file file_input_raw was rewound 28 times
rgb_lagged_sum| 5| 1000000| 100|0.86971609| PASSED
# The file file_input_raw was rewound 31 times
rgb_lagged_sum| 6| 1000000| 100|0.66525076| PASSED
# The file file_input_raw was rewound 34 times
rgb_lagged_sum| 7| 1000000| 100|0.35576107| PASSED
# The file file_input_raw was rewound 38 times
rgb_lagged_sum| 8| 1000000| 100|0.79039371| PASSED
# The file file_input_raw was rewound 42 times
rgb_lagged_sum| 9| 1000000| 100|0.05032103| PASSED
# The file file_input_raw was rewound 46 times
rgb_lagged_sum| 10| 1000000| 100|0.85010735| PASSED
# The file file_input_raw was rewound 51 times
rgb_lagged_sum| 11| 1000000| 100|0.53388292| PASSED
# The file file_input_raw was rewound 56 times
rgb_lagged_sum| 12| 1000000| 100|0.33046241| PASSED
# The file file_input_raw was rewound 62 times
rgb_lagged_sum| 13| 1000000| 100|0.50997242| PASSED
# The file file_input_raw was rewound 68 times
rgb_lagged_sum| 14| 1000000| 100|0.18410617| PASSED
# The file file_input_raw was rewound 74 times
rgb_lagged_sum| 15| 1000000| 100|0.06634640| PASSED
# The file file_input_raw was rewound 81 times
rgb_lagged_sum| 16| 1000000| 100|0.25945277| PASSED
# The file file_input_raw was rewound 88 times
rgb_lagged_sum| 17| 1000000| 100|0.93604024| PASSED
# The file file_input_raw was rewound 96 times
rgb_lagged_sum| 18| 1000000| 100|0.22576527| PASSED
# The file file_input_raw was rewound 104 times
rgb_lagged_sum| 19| 1000000| 100|0.04983936| PASSED
# The file file_input_raw was rewound 112 times
rgb_lagged_sum| 20| 1000000| 100|0.63685199| PASSED
# The file file_input_raw was rewound 121 times
rgb_lagged_sum| 21| 1000000| 100|0.21580123| PASSED
# The file file_input_raw was rewound 130 times
rgb_lagged_sum| 22| 1000000| 100|0.83353688| PASSED
# The file file_input_raw was rewound 140 times
rgb_lagged_sum| 23| 1000000| 100|0.04717501| PASSED
# The file file_input_raw was rewound 150 times
rgb_lagged_sum| 24| 1000000| 100|0.00000000| FAILED
# The file file_input_raw was rewound 160 times
rgb_lagged_sum| 25| 1000000| 100|0.48249520| PASSED
# The file file_input_raw was rewound 171 times
rgb_lagged_sum| 26| 1000000| 100|0.57761783| PASSED
# The file file_input_raw was rewound 182 times
rgb_lagged_sum| 27| 1000000| 100|0.32261156| PASSED
# The file file_input_raw was rewound 194 times
rgb_lagged_sum| 28| 1000000| 100|0.03924419| PASSED
# The file file_input_raw was rewound 206 times
rgb_lagged_sum| 29| 1000000| 100|0.07901687| PASSED
# The file file_input_raw was rewound 218 times
rgb_lagged_sum| 30| 1000000| 100|0.43276784| PASSED
# The file file_input_raw was rewound 231 times
rgb_lagged_sum| 31| 1000000| 100|0.63384537| PASSED
# The file file_input_raw was rewound 244 times
rgb_lagged_sum| 32| 1000000| 100|0.46554901| PASSED
# The file file_input_raw was rewound 244 times
rgb_kstest_test| 0| 100000| 100|0.31255804| PASSED
# The file file_input_raw was rewound 245 times
dab_bytedistrib| 0| 51200000| 1|0.89872923| PASSED
# The file file_input_raw was rewound 245 times
dab_dct| 256| 50000| 1|0.24541445| PASSED
Preparing to run test 207. ntuple = 0
# The file file_input_raw was rewound 246 times
dab_filltree| 32| 15000000| 1|0.39234983| PASSED
dab_filltree| 32| 15000000| 1|0.90006079| PASSED
Preparing to run test 208. ntuple = 0
# The file file_input_raw was rewound 246 times
dab_filltree2| 0| 5000000| 1|0.07547405| PASSED
dab_filltree2| 1| 5000000| 1|0.06745464| PASSED
Preparing to run test 209. ntuple = 0
# The file file_input_raw was rewound 246 times
dab_monobit2| 12| 65000000| 1|0.80324039| PASSED
```

ANNEX IX - THE LONG FILE TEST WITH 4 TURNS FOR MIXWORD() SINGLE BLOCKS

```
#=====
#          dieharder version 3.31.1 Copyright 2003 Robert G. Brown      #
#=====

        rng_name |           filename | rands/second |
file_input_raw|          saida.bin| 1.09e+07  |

#=====

test_name |ntup| tsamples |psamples| p-value |Assessment
diehard_birthdays| 0| 100| 100|0.97248073| PASSED
diehard_operm5| 0| 1000000| 100|0.94376408| PASSED
diehard_rank_32x32| 0| 40000| 100|0.81385689| PASSED
diehard_rank_6x8| 0| 100000| 100|0.00277584| WEAK
diehard_bitstream| 0| 2097152| 100|0.64580367| PASSED
diehard_opso| 0| 2097152| 100|0.90864018| PASSED
diehard_qcgso| 0| 2097152| 100|0.97249539| PASSED
diehard_dna| 0| 2097152| 100|0.37405698| PASSED
diehard_count_ls_str| 0| 256000| 100|0.68593649| PASSED
diehard_count_ls_byt| 0| 256000| 100|0.39441806| PASSED
diehard_parking_lot| 0| 12000| 100|0.55728091| PASSED
diehard_2dsphere| 2| 8000| 100|0.37677002| PASSED
diehard_3dsphere| 3| 4000| 100|0.18499521| PASSED
diehard_squeeze| 0| 100000| 100|0.07932723| PASSED
diehard_sums| 0| 100| 100|0.23578846| PASSED
diehard_runs| 0| 100000| 100|0.17336659| PASSED
diehard_runs| 0| 100000| 100|0.40320506| PASSED
diehard_craps| 0| 200000| 100|0.98835337| PASSED
diehard_craps| 0| 200000| 100|0.32989449| PASSED
# The file file_input_raw was rewound 1 times
marsaglia_tsang_gcd| 0| 10000000| 100|0.99648576| WEAK
marsaglia_tsang_gcd| 0| 10000000| 100|0.09933217| PASSED
# The file file_input_raw was rewound 1 times
sts_monobit| 1| 100000| 100|0.99819493| WEAK
# The file file_input_raw was rewound 1 times
sts_runs| 2| 100000| 100|0.46145112| PASSED
# The file file_input_raw was rewound 1 times
sts_serial| 1| 100000| 100|0.61984524| PASSED
sts_serial| 2| 100000| 100|0.47299493| PASSED
sts_serial| 3| 100000| 100|0.78391153| PASSED
sts_serial| 3| 100000| 100|0.89867873| PASSED
sts_serial| 4| 100000| 100|0.24845939| PASSED
sts_serial| 4| 100000| 100|0.99452630| PASSED
sts_serial| 5| 100000| 100|0.50662284| PASSED
sts_serial| 5| 100000| 100|0.25591575| PASSED
sts_serial| 6| 100000| 100|0.09696611| PASSED
sts_serial| 6| 100000| 100|0.80255088| PASSED
sts_serial| 7| 100000| 100|0.56273221| PASSED
sts_serial| 7| 100000| 100|0.99476624| PASSED
sts_serial| 8| 100000| 100|0.72629905| PASSED
sts_serial| 8| 100000| 100|0.78756674| PASSED
sts_serial| 9| 100000| 100|0.23365137| PASSED
sts_serial| 9| 100000| 100|0.36826228| PASSED
sts_serial| 10| 100000| 100|0.09189629| PASSED
sts_serial| 10| 100000| 100|0.30037156| PASSED
sts_serial| 11| 100000| 100|0.60927228| PASSED
sts_serial| 11| 100000| 100|0.33332620| PASSED
sts_serial| 12| 100000| 100|0.17047296| PASSED
sts_serial| 12| 100000| 100|0.45842414| PASSED
sts_serial| 13| 100000| 100|0.79249327| PASSED
sts_serial| 13| 100000| 100|0.79860635| PASSED
sts_serial| 14| 100000| 100|0.95473919| PASSED
sts_serial| 14| 100000| 100|0.69948054| PASSED
sts_serial| 15| 100000| 100|0.85977779| PASSED
sts_serial| 15| 100000| 100|0.88256481| PASSED
sts_serial| 16| 100000| 100|0.43303554| PASSED
sts_serial| 16| 100000| 100|0.28530998| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 1| 100000| 100|0.89975950| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 2| 10000| 100|0.50881308| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 3| 100000| 100|0.06739926| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 4| 100000| 100|0.64377426| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 5| 100000| 100|0.08745996| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 6| 100000| 100|0.59081655| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 7| 100000| 100|0.42979821| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 8| 100000| 100|0.79315279| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 9| 100000| 100|0.43600283| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 10| 100000| 100|0.43783641| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 11| 100000| 100|0.19025658| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 12| 100000| 100|0.58984736| PASSED
# The file file_input_raw was rewound 1 times
rgb_minimum_distance| 2| 10000| 100|0.65125227| PASSED
# The file file_input_raw was rewound 1 times
rgb_minimum_distance| 3| 10000| 100|0.29079657| PASSED
# The file file_input_raw was rewound 1 times
rgb_minimum_distance| 4| 10000| 100|0.31751725| PASSED
# The file file_input_raw was rewound 1 times
rgb_minimum_distance| 5| 10000| 100|0.23107879| PASSED
# The file file_input_raw was rewound 2 times
rgb_permutations| 2| 100000| 100|0.18820488| PASSED
# The file file_input_raw was rewound 2 times
rgb_permutations| 3| 100000| 100|0.48340723| PASSED
# The file file_input_raw was rewound 2 times
rgb_permutations| 4| 100000| 100|0.34892344| PASSED
# The file file_input_raw was rewound 2 times
rgb_permutations| 5| 100000| 100|0.97379306| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 0| 1000000| 100|0.77266935| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 1| 1000000| 100|0.04886623| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 2| 1000000| 100|0.90884490| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 3| 1000000| 100|0.85722620| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 4| 1000000| 100|0.90868686| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 5| 1000000| 100|0.84473037| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 6| 1000000| 100|0.63848252| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 7| 1000000| 100|0.80473259| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 8| 1000000| 100|0.68946906| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 9| 1000000| 100|0.38983317| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 10| 1000000| 100|0.90707756| PASSED
# The file file_input_raw was rewound 5 times
rgb_lagged_sum| 11| 1000000| 100|0.19931159| PASSED
# The file file_input_raw was rewound 5 times
rgb_lagged_sum| 12| 1000000| 100|0.93636869| PASSED
# The file file_input_raw was rewound 6 times
rgb_lagged_sum| 13| 1000000| 100|0.78243116| PASSED
# The file file_input_raw was rewound 6 times
rgb_lagged_sum| 14| 1000000| 100|0.72748306| PASSED
# The file file_input_raw was rewound 7 times
rgb_lagged_sum| 15| 1000000| 100|0.94859096| PASSED
# The file file_input_raw was rewound 8 times
rgb_lagged_sum| 16| 1000000| 100|0.48265559| PASSED
# The file file_input_raw was rewound 8 times
rgb_lagged_sum| 17| 1000000| 100|0.91623356| PASSED
# The file file_input_raw was rewound 9 times
rgb_lagged_sum| 18| 1000000| 100|0.48112595| PASSED
# The file file_input_raw was rewound 10 times
rgb_lagged_sum| 19| 1000000| 100|0.34194850| PASSED
# The file file_input_raw was rewound 11 times
rgb_lagged_sum| 20| 1000000| 100|0.55054910| PASSED
# The file file_input_raw was rewound 12 times
rgb_lagged_sum| 21| 1000000| 100|0.51802810| PASSED
# The file file_input_raw was rewound 13 times
rgb_lagged_sum| 22| 1000000| 100|0.93725702| PASSED
# The file file_input_raw was rewound 14 times
rgb_lagged_sum| 23| 1000000| 100|0.44262679| PASSED
# The file file_input_raw was rewound 15 times
rgb_lagged_sum| 24| 1000000| 100|0.51206678| PASSED
# The file file_input_raw was rewound 16 times
rgb_lagged_sum| 25| 1000000| 100|0.96378705| PASSED
# The file file_input_raw was rewound 17 times
rgb_lagged_sum| 26| 1000000| 100|0.39532124| PASSED
# The file file_input_raw was rewound 18 times
rgb_lagged_sum| 27| 1000000| 100|0.23213363| PASSED
# The file file_input_raw was rewound 19 times
rgb_lagged_sum| 28| 1000000| 100|0.29788776| PASSED
# The file file_input_raw was rewound 20 times
rgb_lagged_sum| 29| 1000000| 100|0.14875039| PASSED
# The file file_input_raw was rewound 21 times
rgb_lagged_sum| 30| 1000000| 100|0.47180920| PASSED
# The file file_input_raw was rewound 23 times
rgb_lagged_sum| 31| 1000000| 100|0.26868268| PASSED
# The file file_input_raw was rewound 24 times
rgb_lagged_sum| 32| 1000000| 100|0.56076544| PASSED
# The file file_input_raw was rewound 24 times
rgb_kstest| 0| 10000| 100|0.76522803| PASSED
# The file file_input_raw was rewound 24 times
dab_bytedistrib| 0| 51200000| 1|0.90069188| PASSED
# The file file_input_raw was rewound 24 times
dab_dct| 256| 50000| 1|0.79897091| PASSED
Preparing to run test 207. ntuple = 0
# The file file_input_raw was rewound 24 times
dab_filltree| 32| 15000000| 1|0.57076352| PASSED
dab_filltree| 32| 15000000| 1|0.94863125| PASSED
Preparing to run test 208. ntuple = 0
# The file file_input_raw was rewound 24 times
dab_filltree2| 0| 5000000| 1|0.04084003| PASSED
dab_filltree2| 1| 5000000| 1|0.38843384| PASSED
Preparing to run test 209. ntuple = 0
# The file file_input_raw was rewound 24 times
dab_monobit| 12| 65000000| 1|0.19762403| PASSED
```

ANNEX X - THE LONG FILE TEST WITH 4 TURNS FOR MIXWORD0 CHAINED BLOCKS

```
#=====
#          dieharder version 3.31.1 Copyright 2003 Robert G. Brown      #
#=====

        rng_name      |           filename           | rands/second |
file_input_raw|           saida.bin          |   3.88e+07   |

#=====

test_name |ntup| tsamples |psamples| p-value |Assessment
diehard_birthdays| 0| 100| 100|0.97216705| PASSED
diehard_operm5| 0| 1000000| 100|0.40844114| PASSED
diehard_rank_32x32| 0| 40000| 100|0.98054019| PASSED
diehard_rank_6x8| 0| 100000| 100|0.88294556| PASSED
diehard_bitstream| 0| 2097152| 100|0.99833870| WEAK
diehard_opso| 0| 2097152| 100|0.61331777| PASSED
diehard_qcgso| 0| 2097152| 100|0.87595263| PASSED
diehard_dna| 0| 2097152| 100|0.66725716| PASSED
diehard_count_ls_str| 0| 256000| 100|0.18735007| PASSED
diehard_count_ls_byt| 0| 256000| 100|0.59154066| PASSED
diehard_parking_lot| 0| 12000| 100|0.46927986| PASSED
diehard_2dsphere| 2| 8000| 100|0.76155639| PASSED
diehard_3dsphere| 3| 4000| 100|0.47244568| PASSED
diehard_squeeze| 0| 100000| 100|0.16613889| PASSED
diehard_sums| 0| 100| 100|0.59766446| PASSED
diehard_runs| 0| 100000| 100|0.89069898| PASSED
diehard_runs| 0| 100000| 100|0.15142517| PASSED
diehard_craps| 0| 200000| 100|0.96467061| PASSED
diehard_craps| 0| 200000| 100|0.21821478| PASSED
# The file file_input_raw was rewound 1 times
marsaglia_tsang_gcd| 0| 10000000| 100|0.43786010| PASSED
marsaglia_tsang_gcd| 0| 10000000| 100|0.92930533| PASSED
# The file file_input_raw was rewound 1 times
sts_monobit| 1| 100000| 100|0.20540769| PASSED
# The file file_input_raw was rewound 1 times
sts_runs| 2| 100000| 100|0.42899176| PASSED
# The file file_input_raw was rewound 1 times
sts_serial| 1| 100000| 100|0.13293347| PASSED
sts_serial| 2| 100000| 100|0.63356384| PASSED
sts_serial| 3| 100000| 100|0.21492300| PASSED
sts_serial| 3| 100000| 100|0.56579042| PASSED
sts_serial| 4| 100000| 100|0.01110879| PASSED
sts_serial| 4| 100000| 100|0.21561006| PASSED
sts_serial| 5| 100000| 100|0.13757229| PASSED
sts_serial| 5| 100000| 100|0.81693926| PASSED
sts_serial| 6| 100000| 100|0.96190407| PASSED
sts_serial| 6| 100000| 100|0.14308013| PASSED
sts_serial| 7| 100000| 100|0.92577477| PASSED
sts_serial| 7| 100000| 100|0.60273375| PASSED
sts_serial| 8| 100000| 100|0.91178251| PASSED
sts_serial| 8| 100000| 100|0.81434519| PASSED
sts_serial| 9| 100000| 100|0.83367908| PASSED
sts_serial| 9| 100000| 100|0.77057779| PASSED
sts_serial| 10| 100000| 100|0.42289704| PASSED
sts_serial| 10| 100000| 100|0.64727664| PASSED
sts_serial| 11| 100000| 100|0.28252637| PASSED
sts_serial| 11| 100000| 100|0.88097098| PASSED
sts_serial| 12| 100000| 100|0.90459645| PASSED
sts_serial| 12| 100000| 100|0.80019503| PASSED
sts_serial| 13| 100000| 100|0.56395702| PASSED
sts_serial| 13| 100000| 100|0.46041979| PASSED
sts_serial| 14| 100000| 100|0.60889769| PASSED
sts_serial| 14| 100000| 100|0.71587550| PASSED
sts_serial| 15| 100000| 100|0.89625425| PASSED
sts_serial| 15| 100000| 100|0.56302916| PASSED
sts_serial| 16| 100000| 100|0.82397371| PASSED
sts_serial| 16| 100000| 100|0.13031628| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 1| 100000| 100|0.75113430| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 2| 10000| 100|0.65812494| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 3| 10000| 100|0.42458437| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 4| 10000| 100|0.74953653| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 5| 10000| 100|0.53684025| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 6| 10000| 100|0.70405393| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 7| 10000| 100|0.90716809| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 8| 10000| 100|0.56116053| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 9| 10000| 100|0.75318270| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 10| 10000| 100|0.93134105| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 11| 10000| 100|0.82345422| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 12| 10000| 100|0.94082096| PASSED
# The file file_input_raw was rewound 1 times
rgb_minimum_distance| 2| 10000| 100|0.74977779| PASSED
# The file file_input_raw was rewound 1 times
rgb_minimum_distance| 3| 10000| 100|0.77143054| PASSED
# The file file_input_raw was rewound 1 times
rgb_minimum_distance| 4| 10000| 100|0.25552604| PASSED
# The file file_input_raw was rewound 1 times
rgb_minimum_distance| 5| 10000| 100|0.63367849| PASSED

# =====
#          dab_bytedistrib| 0| 51200000| 1|0.44122388| PASSED
#          dab_dct| 256| 50000| 1|0.94312560| PASSED
Preparing to run test 207. ntuple = 0
# The file file_input_raw was rewound 24 times
dab_filltree| 32| 15000000| 1|0.38661011| PASSED
dab_filltree| 32| 15000000| 1|0.70659322| PASSED
Preparing to run test 208. ntuple = 0
# The file file_input_raw was rewound 24 times
dab_filltree2| 0| 5000000| 1|0.71695842| PASSED
dab_filltree2| 1| 5000000| 1|0.01485260| PASSED
Preparing to run test 209. ntuple = 0
# The file file_input_raw was rewound 24 times
dab_monobit2| 12| 65000000| 1|0.23142330| PASSED
```

ANNEX XI - THE SUPERLONG TEST FOR MIXWORD0 SINGLE BLOCKS

```
#=====
#          dieharder version 3.31.1 Copyright 2003 Robert G. Brown      #
#=====

        rng_name      |           filename           | rands/second |
file_input_raw|           saida.bin|   1.52e+07  |

#=====

test_name |ntup| tsamples |psamples| p-value |Assessment
diehard_birthdays| 0| 100| 100|0.95141600| PASSED
diehard_operm5| 0| 1000000| 100|0.41243873| PASSED
diehard_rank_32x32| 0| 40000| 100|0.99823322| WEAK
diehard_rank_6x8| 0| 100000| 100|0.75951837| PASSED
diehard_bitstream| 0| 2097152| 100|0.81570668| PASSED
diehard_opso| 0| 2097152| 100|0.78982768| PASSED
diehard_qcgso| 0| 2097152| 100|0.55077429| PASSED
diehard_dna| 0| 2097152| 100|0.60548275| PASSED
diehard_count_ls_str| 0| 256000| 100|0.99168366| PASSED
diehard_count_ls_byt| 0| 256000| 100|0.59422292| PASSED
diehard_parking_lot| 0| 120000| 100|0.06065386| PASSED
diehard_2dsphere| 2| 8000| 100|0.97429927| PASSED
diehard_3dsphere| 3| 4000| 100|0.72705305| PASSED
diehard_squeeze| 0| 100000| 100|0.73043957| PASSED
diehard_sums| 0| 100| 100|0.78742838| PASSED
diehard_runs| 0| 100000| 100|0.55123016| PASSED
diehard_runs| 0| 100000| 100|0.35328146| PASSED
diehard_craps| 0| 200000| 100|0.14618153| PASSED
diehard_craps| 0| 200000| 100|0.32194989| PASSED
marsaglia_tsang_gcd| 0| 10000000| 100|0.28937161| PASSED
marsaglia_tsang_gcd| 0| 10000000| 100|0.10468132| PASSED
sts_monobit| 1| 100000| 100|0.79308108| PASSED
sts_runs| 2| 100000| 100|0.98947598| PASSED
sts_serial| 1| 100000| 100|0.70332724| PASSED
sts_serial| 2| 100000| 100|0.79738304| PASSED
sts_serial| 3| 100000| 100|0.96298288| PASSED
sts_serial| 3| 100000| 100|0.95730720| PASSED
sts_serial| 4| 100000| 100|0.79196604| PASSED
sts_serial| 4| 100000| 100|0.38676235| PASSED
sts_serial| 5| 100000| 100|0.41932334| PASSED
sts_serial| 5| 100000| 100|0.37853604| PASSED
sts_serial| 6| 100000| 100|0.18011685| PASSED
sts_serial| 6| 100000| 100|0.95030228| PASSED
sts_serial| 7| 100000| 100|0.09211233| PASSED
sts_serial| 7| 100000| 100|0.17487153| PASSED
sts_serial| 8| 100000| 100|0.08301392| PASSED
sts_serial| 8| 100000| 100|0.94786447| PASSED
sts_serial| 9| 100000| 100|0.47654142| PASSED
sts_serial| 9| 100000| 100|0.83454470| PASSED
sts_serial| 10| 100000| 100|0.01856147| PASSED
sts_serial| 10| 100000| 100|0.53950231| PASSED
sts_serial| 11| 100000| 100|0.55488699| PASSED
sts_serial| 11| 100000| 100|0.80878432| PASSED
sts_serial| 12| 100000| 100|0.52470009| PASSED
sts_serial| 12| 100000| 100|0.73240630| PASSED
sts_serial| 13| 100000| 100|0.93585710| PASSED
sts_serial| 13| 100000| 100|0.99469473| PASSED
sts_serial| 14| 100000| 100|0.97340922| PASSED
sts_serial| 14| 100000| 100|0.61704871| PASSED
sts_serial| 15| 100000| 100|0.67604062| PASSED
sts_serial| 15| 100000| 100|0.43061010| PASSED
sts_serial| 16| 100000| 100|0.81100013| PASSED
sts_serial| 16| 100000| 100|0.90188464| PASSED
rgb_bitdist| 1| 100000| 100|0.83540782| PASSED
rgb_bitdist| 2| 100000| 100|0.54467922| PASSED
rgb_bitdist| 3| 100000| 100|0.08603828| PASSED
rgb_bitdist| 4| 100000| 100|0.35740458| PASSED
rgb_bitdist| 5| 100000| 100|0.73839099| PASSED
rgb_bitdist| 6| 100000| 100|0.94098118| PASSED
rgb_bitdist| 7| 100000| 100|0.30406384| PASSED
rgb_bitdist| 8| 100000| 100|0.57296031| PASSED
rgb_bitdist| 9| 100000| 100|0.31594410| PASSED
rgb_bitdist| 10| 100000| 100|0.99135737| PASSED
rgb_bitdist| 11| 100000| 100|0.66873736| PASSED
rgb_bitdist| 12| 100000| 100|0.91498165| PASSED
rgb_minimum_distance| 2| 10000| 100|0.60502200| PASSED
rgb_minimum_distance| 3| 10000| 100|0.57167784| PASSED
rgb_minimum_distance| 4| 10000| 100|0.40338001| PASSED
rgb_minimum_distance| 5| 10000| 100|0.66404486| PASSED
rgb_permutations| 2| 100000| 100|0.62059683| PASSED
rgb_permutations| 3| 100000| 100|0.41106117| PASSED
rgb_permutations| 4| 100000| 100|0.17650922| PASSED

        test_name |ntup| tsamples |psamples| p-value |Assessment
rgb_permutations| 5| 100000| 100|0.38673757| PASSED
rgb_lagged_sum| 0| 1000000| 100|0.96346000| PASSED
rgb_lagged_sum| 1| 1000000| 100|0.95423354| PASSED
rgb_lagged_sum| 2| 1000000| 100|0.66850821| PASSED
rgb_lagged_sum| 3| 1000000| 100|0.39831743| PASSED
rgb_lagged_sum| 4| 1000000| 100|0.86789885| PASSED
rgb_lagged_sum| 5| 1000000| 100|0.73096920| PASSED
rgb_lagged_sum| 6| 1000000| 100|0.12755066| PASSED
rgb_lagged_sum| 7| 1000000| 100|0.31610895| PASSED
rgb_lagged_sum| 8| 1000000| 100|0.59465785| PASSED
rgb_lagged_sum| 9| 1000000| 100|0.97175046| PASSED
rgb_lagged_sum| 10| 1000000| 100|0.61078022| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 11| 1000000| 100|0.30705711| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 12| 1000000| 100|0.98392129| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 13| 1000000| 100|0.67775011| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 14| 1000000| 100|0.47260395| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 15| 1000000| 100|0.00513248| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 16| 1000000| 100|0.99750226| WEAK
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 17| 1000000| 100|0.76659495| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 18| 1000000| 100|0.10193456| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 19| 1000000| 100|0.68425609| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 20| 1000000| 100|0.39802065| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 21| 1000000| 100|0.46401461| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 22| 1000000| 100|0.33975559| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 23| 1000000| 100|0.96417643| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 24| 1000000| 100|0.64532119| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 25| 1000000| 100|0.72118097| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 26| 1000000| 100|0.96998640| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 27| 1000000| 100|0.56975907| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 28| 1000000| 100|0.37667062| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 29| 1000000| 100|0.76577907| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 30| 1000000| 100|0.50299511| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 31| 1000000| 100|0.05107993| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 32| 1000000| 100|0.64309149| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 33| 1000000| 100|0.33400051| PASSED
# The file file_input_raw was rewound 4 times
dab_bytedistrib| 0| 51200000| 1|0.17684057| PASSED
# The file file_input_raw was rewound 4 times
dab_dct| 256| 50000| 1|0.95428754| PASSED
Preparing to run test 207. ntuple = 0
# The file file_input_raw was rewound 4 times
dab_filltree| 32| 15000000| 1|0.92957892| PASSED
dab_filltree| 32| 15000000| 1|0.21724793| PASSED
Preparing to run test 208. ntuple = 0
# The file file_input_raw was rewound 4 times
dab_filltree2| 0| 5000000| 1|0.53477448| PASSED
dab_filltree2| 1| 5000000| 1|0.24571782| PASSED
Preparing to run test 209. ntuple = 0
# The file file_input_raw was rewound 4 times
dab_monobit2| 12| 65000000| 1|0.12609546| PASSED
```

ANNEX XII - THE SUPERLONG FILE TEST WITH 4 LAPS FOR MIXWORD0 CHAINED BLOCKS

```
#=====
#          dieharder version 3.31.1 Copyright 2003 Robert G. Brown      #
#=====

        rng_name      |           filename           | rands/second |
file_input_raw|           saida.bin|   1.46e+07  |

#=====

test_name |ntup| tsamples |psamples| p-value |Assessment
diehard_birthdays| 0| 100| 100|0.91886681| PASSED
diehard_operm5| 0| 1000000| 100|0.98512620| PASSED
diehard_rank_32x32| 0| 40000| 100|0.67407479| PASSED
diehard_rank_6x8| 0| 100000| 100|0.85505880| PASSED
diehard_bitstream| 0| 2097152| 100|0.19356584| PASSED
diehard_opso| 0| 2097152| 100|0.76171650| PASSED
diehard_qso| 0| 2097152| 100|0.95499590| PASSED
diehard_dna| 0| 2097152| 100|0.13074889| PASSED
diehard_count_ls_str| 0| 256000| 100|0.64054473| PASSED
diehard_count_ls_byt| 0| 256000| 100|0.99986212| WEAK
diehard_parking_lot| 0| 12000| 100|0.73555833| PASSED
diehard_2dsphere| 2| 8000| 100|0.35527770| PASSED
diehard_3dsphere| 3| 4000| 100|0.90415849| PASSED
diehard_squeeze| 0| 100000| 100|0.31866389| PASSED
diehard_sums| 0| 100| 100|0.39434447| PASSED
diehard_runs| 0| 100000| 100|0.15558885| PASSED
diehard_runs| 0| 100000| 100|0.01076092| PASSED
diehard_craps| 0| 200000| 100|0.52152413| PASSED
diehard_craps| 0| 200000| 100|0.62657113| PASSED
marsaglia_tsang_gcd| 0| 10000000| 100|0.34006402| PASSED
marsaglia_tsang_gcd| 0| 10000000| 100|0.62480364| PASSED
sts_monobit| 1| 100000| 100|0.09440159| PASSED
sts_runs| 2| 100000| 100|0.19478862| PASSED
sts_serial| 1| 100000| 100|0.57208935| PASSED
sts_serial| 2| 100000| 100|0.27996894| PASSED
sts_serial| 3| 100000| 100|0.11686174| PASSED
sts_serial| 3| 100000| 100|0.01457715| PASSED
sts_serial| 4| 100000| 100|0.94881598| PASSED
sts_serial| 4| 100000| 100|0.18284614| PASSED
sts_serial| 5| 100000| 100|0.99675978| WEAK
sts_serial| 5| 100000| 100|0.86450768| PASSED
sts_serial| 6| 100000| 100|0.93531559| PASSED
sts_serial| 6| 100000| 100|0.99997572| WEAK
sts_serial| 7| 100000| 100|0.82121466| PASSED
sts_serial| 7| 100000| 100|0.42359909| PASSED
sts_serial| 8| 100000| 100|0.87206206| PASSED
sts_serial| 8| 100000| 100|0.38996340| PASSED
sts_serial| 9| 100000| 100|0.54520070| PASSED
sts_serial| 9| 100000| 100|0.99460369| PASSED
sts_serial| 10| 100000| 100|0.97411533| PASSED
sts_serial| 10| 100000| 100|0.94604921| PASSED
sts_serial| 11| 100000| 100|0.87605173| PASSED
sts_serial| 11| 100000| 100|0.68399251| PASSED
sts_serial| 12| 100000| 100|0.50432065| PASSED
sts_serial| 12| 100000| 100|0.30954592| PASSED
sts_serial| 13| 100000| 100|0.93676795| PASSED
sts_serial| 13| 100000| 100|0.07859232| PASSED
sts_serial| 14| 100000| 100|0.89488714| PASSED
sts_serial| 14| 100000| 100|0.54032638| PASSED
sts_serial| 15| 100000| 100|0.49213798| PASSED
sts_serial| 15| 100000| 100|0.99967595| WEAK
sts_serial| 16| 100000| 100|0.49555002| PASSED
sts_serial| 16| 100000| 100|0.35303039| PASSED
rgb_bitdist| 1| 100000| 100|0.92754623| PASSED
rgb_bitdist| 2| 100000| 100|0.53569901| PASSED
rgb_bitdist| 3| 100000| 100|0.62931248| PASSED
rgb_bitdist| 4| 100000| 100|0.70442982| PASSED
rgb_bitdist| 5| 100000| 100|0.89645160| PASSED
rgb_bitdist| 6| 100000| 100|0.79209152| PASSED
rgb_bitdist| 7| 100000| 100|0.88825655| PASSED
rgb_bitdist| 8| 100000| 100|0.37366831| PASSED
rgb_bitdist| 9| 100000| 100|0.72982682| PASSED
rgb_bitdist| 10| 100000| 100|0.62885761| PASSED
rgb_bitdist| 11| 100000| 100|0.82285098| PASSED
rgb_bitdist| 12| 100000| 100|0.53712870| PASSED
rgb_minimum_distance| 2| 10000| 100|0.35612157| PASSED
rgb_minimum_distance| 3| 10000| 100|0.35971716| PASSED
rgb_minimum_distance| 4| 10000| 100|0.93083228| PASSED
rgb_minimum_distance| 5| 10000| 100|0.86067734| PASSED
rgb_permutations| 2| 100000| 100|0.70608320| PASSED
rgb_permutations| 3| 100000| 100|0.48684288| PASSED
rgb_permutations| 4| 100000| 100|0.64453117| PASSED

        test_name |ntup| tsamples |psamples| p-value |Assessment
rgb_permutations| 5| 100000| 100|0.23159814| PASSED
rgb_lagged_sum| 0| 1000000| 100|0.96896725| PASSED
rgb_lagged_sum| 1| 1000000| 100|0.24791620| PASSED
rgb_lagged_sum| 2| 1000000| 100|0.94630373| PASSED
rgb_lagged_sum| 3| 1000000| 100|0.37389967| PASSED
rgb_lagged_sum| 4| 1000000| 100|0.8940124| PASSED
rgb_lagged_sum| 5| 1000000| 100|0.56067467| PASSED
rgb_lagged_sum| 6| 1000000| 100|0.68944195| PASSED
rgb_lagged_sum| 7| 1000000| 100|0.74615265| PASSED
rgb_lagged_sum| 8| 1000000| 100|0.80192221| PASSED
rgb_lagged_sum| 9| 1000000| 100|0.87417345| PASSED
rgb_lagged_sum| 10| 1000000| 100|0.48282964| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 11| 1000000| 100|0.02865775| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 12| 1000000| 100|0.54662082| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 13| 1000000| 100|0.62714964| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 14| 1000000| 100|0.19891682| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 15| 1000000| 100|0.06521358| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 16| 1000000| 100|0.35509826| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 17| 1000000| 100|0.17865214| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 18| 1000000| 100|0.52143204| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 19| 1000000| 100|0.42142524| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 20| 1000000| 100|0.10644319| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 21| 1000000| 100|0.80533482| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 22| 1000000| 100|0.89337227| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 23| 1000000| 100|0.67380471| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 24| 1000000| 100|0.97374037| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 25| 1000000| 100|0.59041324| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 26| 1000000| 100|0.43815015| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 27| 1000000| 100|0.12124206| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 28| 1000000| 100|0.83013363| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 29| 1000000| 100|0.66347740| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 30| 1000000| 100|0.90618975| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 31| 1000000| 100|0.68005080| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 32| 1000000| 100|0.16966602| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 33| 1000000| 100|0.53838908| PASSED
# The file file_input_raw was rewound 4 times
dab_bytedistrib| 0| 51200000| 1|0.04493086| PASSED
# The file file_input_raw was rewound 4 times
dab_dct| 256| 50000| 1|0.39824367| PASSED
Preparing to run test 207. ntuple = 0
# The file file_input_raw was rewound 4 times
dab_filltree| 32| 15000000| 1|0.53436708| PASSED
dab_filltree| 32| 15000000| 1|0.99450771| PASSED
Preparing to run test 208. ntuple = 0
# The file file_input_raw was rewound 4 times
dab_filltree2| 0| 5000000| 1|0.22655838| PASSED
dab_filltree2| 1| 5000000| 1|0.80058029| PASSED
Preparing to run test 209. ntuple = 0
# The file file_input_raw was rewound 4 times
dab_monobit2| 12| 65000000| 1|0.44864666| PASSED
```

ANNEX XIII - THE SUPERLONG FILE TEST WITH FULL HASH VIKTORIA CENTRAL PROCESSING

```
#=====
#          dieharder version 3.31.1 Copyright 2003 Robert G. Brown      #
#=====

        rng_name      |           filename           | rands/second |
file_input_raw|           saida.bin|   1.69e+07  |

#=====

test_name |ntup| tsamples |psamples| p-value |Assessment
diehard_birthdays| 0| 100| 100|0.13854295| PASSED
diehard_operm5| 0| 1000000| 100|0.80242220| PASSED
diehard_rank_32x32| 0| 40000| 100|0.60724035| PASSED
diehard_rank_6x8| 0| 100000| 100|0.58191905| PASSED
diehard_bitstream| 0| 2097152| 100|0.90072207| PASSED
diehard_opso| 0| 2097152| 100|0.94817661| PASSED
diehard_qcgso| 0| 2097152| 100|0.02740765| PASSED
diehard_dna| 0| 2097152| 100|0.13804776| PASSED
diehard_count_ls_str| 0| 256000| 100|0.40879229| PASSED
diehard_count_ls_byt| 0| 256000| 100|0.13008880| PASSED
diehard_parking_lot| 0| 12000| 100|0.07295537| PASSED
diehard_2dsphere| 2| 8000| 100|0.88828150| PASSED
diehard_3dsphere| 3| 4000| 100|0.32123081| PASSED
diehard_squeeze| 0| 100000| 100|0.11278876| PASSED
diehard_sums| 0| 100| 100|0.07410232| PASSED
diehard_runs| 0| 100000| 100|0.51019171| PASSED
diehard_runs| 0| 100000| 100|0.02843032| PASSED
diehard_craps| 0| 200000| 100|0.34789190| PASSED
diehard_craps| 0| 200000| 100|0.59198507| PASSED
marsaglia_tsang_gcd| 0| 10000000| 100|0.96222415| PASSED
marsaglia_tsang_gcd| 0| 10000000| 100|0.83020367| PASSED
sts_monobit| 1| 100000| 100|0.56502802| PASSED
sts_runs| 2| 100000| 100|0.27396091| PASSED
sts_serial| 1| 100000| 100|0.63222949| PASSED
sts_serial| 2| 100000| 100|0.90737558| PASSED
sts_serial| 3| 100000| 100|0.78936254| PASSED
sts_serial| 3| 100000| 100|0.94901384| PASSED
sts_serial| 4| 100000| 100|0.99213138| PASSED
sts_serial| 4| 100000| 100|0.34807831| PASSED
sts_serial| 5| 100000| 100|0.82538199| PASSED
sts_serial| 5| 100000| 100|0.60633774| PASSED
sts_serial| 6| 100000| 100|0.27605584| PASSED
sts_serial| 6| 100000| 100|0.29728821| PASSED
sts_serial| 7| 100000| 100|0.83422426| PASSED
sts_serial| 7| 100000| 100|0.91732204| PASSED
sts_serial| 8| 100000| 100|0.58855480| PASSED
sts_serial| 8| 100000| 100|0.89133102| PASSED
sts_serial| 9| 100000| 100|0.14517019| PASSED
sts_serial| 9| 100000| 100|0.38282467| PASSED
sts_serial| 10| 100000| 100|0.86174095| PASSED
sts_serial| 10| 100000| 100|0.85222015| PASSED
sts_serial| 11| 100000| 100|0.73135621| PASSED
sts_serial| 11| 100000| 100|0.70742019| PASSED
sts_serial| 12| 100000| 100|0.98468563| PASSED
sts_serial| 12| 100000| 100|0.05863890| PASSED
sts_serial| 13| 100000| 100|0.95769684| PASSED
sts_serial| 13| 100000| 100|0.93268011| PASSED
sts_serial| 14| 100000| 100|0.63304751| PASSED
sts_serial| 14| 100000| 100|0.75690207| PASSED
sts_serial| 15| 100000| 100|0.87711563| PASSED
sts_serial| 15| 100000| 100|0.90190386| PASSED
sts_serial| 16| 100000| 100|0.57332508| PASSED
sts_serial| 16| 100000| 100|0.49297978| PASSED
rgb_bitdist| 1| 100000| 100|0.54118831| PASSED
rgb_bitdist| 2| 100000| 100|0.86087763| PASSED
rgb_bitdist| 3| 100000| 100|0.06992712| PASSED
rgb_bitdist| 4| 100000| 100|0.64756000| PASSED
rgb_bitdist| 5| 100000| 100|0.99750326| WEAK
rgb_bitdist| 6| 100000| 100|0.81882250| PASSED
rgb_bitdist| 7| 100000| 100|0.96343528| PASSED
rgb_bitdist| 8| 100000| 100|0.99607921| WEAK
rgb_bitdist| 9| 100000| 100|0.99660898| WEAK
rgb_bitdist| 10| 100000| 100|0.96620441| PASSED
rgb_bitdist| 11| 100000| 100|0.88052542| PASSED
rgb_bitdist| 12| 100000| 100|0.96074709| PASSED
rgb_minimum_distance| 2| 10000| 100|0.77000515| PASSED
rgb_minimum_distance| 3| 10000| 100|0.88808875| PASSED
rgb_minimum_distance| 4| 10000| 100|0.71520121| PASSED

        test_name |ntup| tsamples |psamples| p-value |Assessment
rgb_minimum_distance| 5| 10000| 100|0.34422199| PASSED
rgb_permutations| 2| 100000| 100|0.79622578| PASSED
rgb_permutations| 3| 100000| 100|0.65237112| PASSED
rgb_permutations| 4| 100000| 100|0.93870234| PASSED
rgb_permutations| 5| 100000| 100|0.67175075| PASSED
rgb_lagged_sum| 0| 1000000| 100|0.59647309| PASSED
rgb_lagged_sum| 1| 1000000| 100|0.06582648| PASSED
rgb_lagged_sum| 2| 1000000| 100|0.97231804| PASSED
rgb_lagged_sum| 3| 1000000| 100|0.26556467| PASSED
rgb_lagged_sum| 4| 1000000| 100|0.92293616| PASSED
rgb_lagged_sum| 5| 1000000| 100|0.61897839| PASSED
rgb_lagged_sum| 6| 1000000| 100|0.73668709| PASSED
rgb_lagged_sum| 7| 1000000| 100|0.90032334| PASSED
rgb_lagged_sum| 8| 1000000| 100|0.35287944| PASSED
rgb_lagged_sum| 9| 1000000| 100|0.39386037| PASSED
rgb_lagged_sum| 10| 1000000| 100|0.96825243| PASSED
rgb_lagged_sum| 11| 1000000| 100|0.58479856| PASSED
rgb_lagged_sum| 12| 1000000| 100|0.94540845| PASSED
rgb_lagged_sum| 13| 1000000| 100|0.57519365| PASSED
rgb_lagged_sum| 14| 1000000| 100|0.99749184| WEAK
rgb_lagged_sum| 15| 1000000| 100|0.37580944| PASSED
rgb_lagged_sum| 16| 1000000| 100|0.93752211| PASSED
rgb_lagged_sum| 17| 1000000| 100|0.78785383| PASSED
rgb_lagged_sum| 18| 1000000| 100|0.26379760| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 19| 1000000| 100|0.96151665| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 20| 1000000| 100|0.74272681| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 21| 1000000| 100|0.77203198| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 22| 1000000| 100|0.20024292| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 23| 1000000| 100|0.47653247| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 24| 1000000| 100|0.45179371| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 25| 1000000| 100|0.79676496| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 26| 1000000| 100|0.21967819| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 27| 1000000| 100|0.70138813| PASSED
# The file file_input_raw was rewound 1 times
rgb_lagged_sum| 28| 1000000| 100|0.37782906| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 29| 1000000| 100|0.12114665| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 30| 1000000| 100|0.85766920| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 31| 1000000| 100|0.82934211| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 32| 1000000| 100|0.98902419| PASSED
# The file file_input_raw was rewound 2 times
rgb_kstest_test| 0| 10000| 100|0.46591312| PASSED
# The file file_input_raw was rewound 2 times
dab_bytedistrib| 0| 51200000| 1|0.31983884| PASSED
# The file file_input_raw was rewound 2 times
dab_dct| 256| 50000| 1|0.50032067| PASSED
Preparing to run test 207. ntuple = 0
# The file file_input_raw was rewound 2 times
dab_filltree| 32| 15000000| 1|0.41546106| PASSED
dab_filltree| 32| 15000000| 1|0.50056801| PASSED
Preparing to run test 208. ntuple = 0
# The file file_input_raw was rewound 2 times
dab_filltree2| 0| 5000000| 1|0.72847591| PASSED
dab_filltree2| 1| 5000000| 1|0.59749122| PASSED
Preparing to run test 209. ntuple = 0
# The file file_input_raw was rewound 2 times
dab_monobit2| 12| 65000000| 1|0.00914153| PASSED
```

ANNEX XIV

Checking bit sequences that appear at each hash position for the 3 functions:

- 1) SHA2-512
 - 2) SHA3-512
 - 3) VIKTORIA

In the first column we have the position where the bit sequence appears. In the body of the table we have the number of occurrences per position for the three algorithms.

In the footer of the table we have the total of occurrences (green), the total of occurrences that most appears considering all the positions (yellow) and the average of the total of occurrences for each algorithm (red).

The averages foreseen for all the bits occurrences are, from left to right: 1/256, 1/16, 1, 16, 256 and 4096.

For the three algorithms this pattern is observed in the test.

HEXADECIMAL 1																	
Position	6 repetitions			5 repetitions			4 repetitions			3 repetitions			2 repetitions		1 repetition		
	SHA2-512	SHA3-512	Viktoria														
0	0	0	0	0	0	0	0	0	0	20	15	15	276	238	236		
1	0	0	0	0	0	0	0	1	14	13	11	260	242	250	4228		
2	0	0	0	0	0	0	2	1	0	20	19	13	254	264	242		
3	0	0	0	0	1	0	0	1	1	20	22	18	258	253	239		
4	0	0	0	0	0	0	0	2	2	0	18	18	10	273	253	246	
5	0	0	0	0	0	0	0	0	1	0	26	19	12	268	272	245	
6	0	0	0	0	0	0	0	2	1	1	15	12	14	277	259	231	
7	0	0	0	0	0	0	0	1	4	2	14	23	15	236	293	245	
8	0	0	0	0	0	0	0	1	2	2	18	20	12	266	268	265	
9	0	0	0	0	0	0	0	3	1	0	19	15	16	261	245	276	
10	0	0	0	0	0	0	0	0	1	0	16	18	15	265	260	266	
11	0	0	0	0	0	0	0	0	1	1	11	10	16	256	250	241	
12	0	0	0	0	0	0	0	0	0	0	23	15	13	253	245	262	
13	0	1	0	0	1	0	0	0	2	0	23	13	10	246	243	214	
14	0	0	0	0	0	1	0	0	3	0	17	21	12	264	244	256	
15	0	0	0	0	0	0	0	0	2	0	15	16	11	252	286	248	
16	0	0	0	0	0	0	0	0	1	1	11	19	17	250	275	253	
17	0	0	0	0	0	0	0	0	0	3	15	15	15	238	256	268	
18	0	0	0	0	0	0	0	3	1	1	17	17	25	261	248	260	
19	0	0	0	0	0	0	0	0	0	0	16	17	13	252	264	250	
20	0	0	0	0	0	0	0	0	0	1	10	16	11	260	255	230	
21	0	0	0	0	0	0	0	0	0	0	15	16	16	261	244	255	
22	0	0	0	0	0	0	0	0	1	0	8	5	9	240	241	259	
23	0	0	0	0	0	0	0	2	0	2	18	23	23	276	274	256	
24	0	0	0	0	0	0	0	1	0	0	18	14	18	259	273	237	
25	0	0	0	0	0	0	0	0	1	0	0	17	20	224	243	269	
26	0	0	0	0	0	0	0	0	1	2	0	17	26	13	257	262	
27	0	0	0	0	0	0	0	0	0	1	15	20	9	277	260	246	
28	0	0	0	0	0	0	0	0	1	0	13	26	16	261	279	237	
29	0	0	0	0	0	0	0	0	0	0	9	12	15	264	259	252	
30	0	0	0	0	0	0	0	3	2	1	19	15	15	247	222	266	
31	0	0	0	0	0	0	0	0	0	1	2	16	17	268	238	253	
32	0	0	0	0	0	0	0	0	2	1	15	16	12	292	234	238	
33	0	0	0	0	0	0	0	0	1	2	1	11	9	14	250	239	246
34	0	0	0	0	0	0	0	0	1	2	1	22	20	11	257	246	229
35	0	0	0	0	0	0	0	0	0	1	0	15	23	17	291	283	267
36	0	0	0	0	0	0	0	0	2	5	0	12	23	14	267	278	261
37	0	0	0	0	0	0	0	0	0	1	14	18	23	245	264	256	
38	0	0	0	0	0	0	0	0	0	1	16	12	16	294	267	288	
39	0	0	0	0	0	0	0	0	0	1	0	16	9	264	255	249	
40	0	0	0	0	0	0	0	0	1	1	0	17	23	13	264	254	246
41	0	0	0	0	0	0	0	0	2	1	1	16	16	16	247	258	239
42	0	0	0	0	0	0	0	0	1	2	1	18	21	23	267	283	283
43	0	0	0	0	0	0	0	0	1	3	0	7	11	20	236	260	276
44	0	0	0	0	0	0	0	0	2	0	1	15	14	14	259	247	288
45	0	0	0	0	0	0	0	0	0	1	0	17	20	16	255	240	250
46	0	0	0	0	0	0	0	0	0	1	1	18	16	16	254	252	444
47	0	0	0	0	0	0	0	0	1	1	13	14	14	259	279	4136	
48	0	0	0	0	0	0	0	0	1	0	13	17	13	240	246	3973	
49	0	0	0	0	0	0	0	2	0	1	20	11	9	252	261	266	
50	0	0	0	0	0	0	0	0	2	1	17	22	17	270	252	4016	
51	0	0	0	0	0	0	0	0	0	2	13	15	18	271	263	250	
52	0	0	0	0	0	0	0	0	1	0	11	17	13	253	267	241	
53	0	0	0	0	0	0	0	0	2	0	0	16	18	16	234	224	259
54	0	0	0	0	0	0	0	0	1	1	18	23	10	273	279	232	
55	0	0	0	0	0	0	0	1	0	0	19	10	19	275	248	264	
56	0	0	0	0	0	0	0	1	0	2	19	12	13	278	239	258	
57	0	0	0	0	0	0	0	0	2	1	17	13	11	263	256	240	
58	0	0	0	0	0	0	0	0	2	0	17	17	13	254	239	4058	
59	0	0	0	0	0	0	0	0	1	2	1	10	17	18	258	237	243
60	0	0	0	0	0	0	0	0	1	1	1	14	20	14	215	276	4043
61	0	0	0	0	0	0	0	0	2	0	2	21	14	15	276	265	4079
62	0	0	0	0	0	0	0	1	2	1	3	19	14	28	267	250	270
63	0	0	0	0	0	0	0	3	2	1	19	23	18	270	238	4025	
64	0	0	0	0	0	0	0	0	0	3	12	15	16	283	236	4080	
65	0	0	0	0	0	0	0	0	1	0	0	13	13	13	249	258	4052
66	0	0	0	0	0	0	0	0	2	1	1	13	13	11	274	267	4045
67	0	0	0	0	0	0	0	0	0	0	1	17	19	241	227	4077	
68	0	0	0	0	0	0	0	1	0	1	11	15	15	240	239	4046	
69	0	0	0	0	0	0	0	0	2	3	1	24	19	15	264	244	4018
70	0	0	0	0	0	0	0	1	1	2	15	13	13	278	290	233	
71	0	0	0	0	0	0	0	1	1	15	21	17	17	247	243	4130	
72	0	0	0	0	0	0	0	1	0	0	18	26	15	259	255	4130	
73	0	0	0	0	0	0	0	0	1	2	8	16	19	249	281	4058	
74	0	0	0	0	0	0	0	0	2	0	19	15	15	240	276	4082	
75	0	0	0	0	0	0	0	0	1	2	3	12	14	12	236	292	4095
76	0	0	0	0	0	0	0	1	1	2	2	15	16	15	231	273	4078
77	0	0	0	0	0	0	0	0	3	3	23	13	19	290	271	280	
78	0	0	0	0	0	0	0	0	1	1	12	18	18	271	250	4074	
79	0	0	0	0	0	0	0	0	1	0	22	18	19	259	228	3930	
80	0	0	0	0	0	0	0	0	2	0	21	14	19	284	258	4177	
81	0	0	0	0	0	0	0	0	1	0	15	19	12	250	273	4102	
82	0	0	0	0	0	0	0	1	0	1	14	23	19	255	277	4057	
83	0	0	0	0	0	0	0	0	2	0	1	17	13	14	248	256	4050
84	0	0	0	0	0	0	0	1	0	1	24	15	19	251	237	4123	
85	0	0	0	0	0	0	0	0	1	1	16	22	17	252	255	4059	
86	0	0	0	0	0	0	0	0	1	1	15	17	17	238	260	4098	
87	0	0	0	0													

Position	HEXADECIMAL 2																				
	6 repetitions		5 repetitions		4 repetitions		3 repetitions		2 repetitions		1 repetition										
	SHB2-512	SHB3-512	Viktoria	SHB2-512	SHB3-512	Viktoria	SHB2-512	SHB3-512	Viktoria	SHB2-512	SHB3-512	Viktoria	SHB2-512	SHB3-512	Viktoria						
0	0	0	0	0	0	0	0	0	0	27	23	13	27	269	256	4166	4144	4138			
1	0	0	0	0	0	0	0	0	2	1	17	13	12	252	263	225	4106	4050	4071		
2	1	0	0	1	0	0	1	1	1	10	15	14	243	263	222	3991	4140	4027			
3	0	0	0	0	2	0	0	2	0	0	25	13	13	241	229	244	4060	4089	4057		
4	0	0	0	0	0	0	0	4	2	1	15	18	17	258	263	237	4035	4119	4229		
5	0	0	0	0	0	0	0	1	2	0	18	13	16	247	256	270	4166	4046	4097		
6	0	0	0	1	0	0	1	1	1	0	12	20	10	277	281	249	4088	4067	3968		
7	0	0	0	0	0	0	0	1	0	0	9	15	15	244	250	237	4101	4027	4020		
8	0	0	0	0	0	0	0	1	0	1	15	15	18	288	287	237	4082	4039	4053		
9	0	0	0	0	0	0	0	0	0	0	8	9	9	224	235	272	4100	4065	4031		
10	0	0	0	0	0	0	0	0	0	2	15	19	7	226	258	237	4017	4119	4121		
11	0	0	0	0	0	0	0	0	0	0	13	16	21	258	277	229	4140	4121	3978		
12	0	0	0	0	0	0	0	0	0	0	12	16	9	268	272	286	4080	4117	4094		
13	0	0	0	0	0	0	0	1	1	1	17	11	9	243	260	231	4061	4094	4092		
14	0	0	0	0	0	0	0	2	1	1	15	22	245	275	243	4152	4160	4094			
15	0	0	0	0	0	0	0	2	2	2	23	21	14	260	266	296	4031	4105	4072		
16	0	0	0	0	0	0	0	0	1	0	18	24	16	262	286	249	4076	4127	4105		
17	0	0	0	0	0	0	0	2	0	0	11	21	16	252	280	256	4102	4219	4084		
18	0	0	0	0	0	0	0	0	0	2	7	14	18	231	265	237	4094	4165	4099		
19	0	0	0	0	0	0	0	0	1	1	14	17	13	232	253	3977	4078	4124			
20	0	0	0	0	0	0	0	1	0	0	2	11	18	19	238	261	297	4065	3976	4142	
21	0	0	0	0	0	0	0	0	2	0	25	14	13	275	265	242	4107	4108	4234		
22	0	0	0	0	0	0	0	0	0	0	1	16	17	18	261	275	260	4064	4131	4018	
23	0	0	0	0	0	0	0	0	0	1	18	12	10	253	252	4121	4108	4058			
24	0	0	0	0	0	0	0	2	1	2	19	13	18	244	281	241	3985	4109	4199		
25	0	0	0	0	0	0	0	0	1	0	1	14	17	13	240	240	241	4065	4040	4130	
26	0	0	0	0	0	0	0	0	0	1	17	13	21	267	290	252	4026	4084	4110		
27	0	0	0	0	0	0	0	0	1	1	2	18	24	16	268	242	4135	4084	4098		
28	0	0	0	0	0	0	0	0	0	1	0	16	17	20	255	275	279	4029	4015	4134	
29	0	0	0	0	0	0	0	0	2	0	8	13	14	247	267	262	4031	4144	4143		
30	0	0	0	0	0	0	0	0	1	0	0	11	15	13	242	242	4037	4192	4074		
31	0	0	0	0	0	0	0	0	0	1	22	13	21	235	265	243	4101	4176	4107		
32	0	0	0	0	0	0	0	0	0	0	17	6	17	263	240	245	4114	4067	4035		
33	0	0	0	0	0	0	0	0	0	3	1	12	17	15	233	278	244	4152	4082	3940	
34	0	0	0	0	0	0	0	0	1	0	2	20	18	21	254	263	4096	4204	4143		
35	0	0	0	0	0	0	0	0	0	1	1	18	11	19	277	243	262	4028	3952	4137	
36	0	0	0	0	0	0	0	1	0	0	1	0	14	17	259	267	245	4105	4082	4183	
37	0	0	0	0	0	0	0	0	0	1	1	14	10	14	252	251	268	4113	4072	4091	
38	0	0	0	0	0	0	0	0	1	0	1	9	16	15	264	285	245	4123	4116	4113	
39	0	0	0	0	0	0	0	0	2	1	20	18	19	247	248	244	4179	4143	4102		
40	0	0	0	0	1	0	0	2	1	1	20	12	15	255	258	269	4054	4063	4008		
41	0	0	0	0	0	0	0	1	1	1	17	15	15	263	259	245	4156	4069	4155		
42	0	0	0	0	0	0	0	2	1	0	12	13	18	253	232	4137	4215	4061			
43	0	0	0	0	0	0	0	0	0	1	18	14	15	243	272	268	4124	4074	4059		
44	0	0	0	0	0	0	0	1	1	0	18	14	19	253	237	270	4026	4095			
45	0	0	0	0	0	0	0	0	2	0	16	19	19	254	278	266	4234	4183	4159		
46	0	0	0	0	0	0	0	0	1	1	21	18	20	247	255	288	3963	4084	4069		
47	0	0	0	0	0	0	0	1	1	3	16	14	19	288	237	253	4236	4140	3962		
48	0	0	0	0	0	0	0	0	3	2	14	19	17	258	261	251	4118	3998	4107		
49	0	0	0	0	0	0	0	2	1	1	19	13	22	262	255	252	3978	4090	4090		
50	0	0	0	0	0	0	0	0	3	1	0	18	19	10	285	240	274	4068	4016	3971	
51	0	0	0	0	0	0	0	0	1	0	1	18	11	19	277	243	231	4106	4090	4113	
52	0	0	0	0	0	0	0	1	0	1	3	0	17	23	15	256	266	244	4182	4089	4000
53	0	0	0	0	0	0	0	0	1	5	2	12	16	19	259	243	246	4119	4036	4056	
54	0	0	0	0	0	0	0	0	3	1	1	15	15	13	264	237	242	4080	3952	3920	
55	0	0	0	0	0	0	0	0	2	0	9	19	11	232	283	269	4069	3970	4021		
56	0	0	0	0	0	0	0	2	1	2	13	23	18	229	265	251	4011	4148	4022		
57	0	0	0	0	0	0	0	1	1	1	20	18	20	271	266	250	4124	4224	4043		
58	0	0	0	0	0	0	0	0	1	1	19	21	15	269	250	247	4044	4138	4020		
59	0	0	0	0	0	0	0	0	1	0	10	20	25	257	255	259	4064	4046	4087		
60	0	0	0	1	0	0	0	2	1	0	15	16	9	255	280	247	4196	4099	3942		
61	0	0	0	1	0	0	0	2	0	0	12	16	22	233	245	269	4041	4118	4171		
62	0	0	0	0	0	0	0	4	1	1	19	20	14	235	265	255	4060	4061	4125		
63	0	0	0	0	0	0	0	1	18	14	20	25	245	250	252	4125	4101	4058			
64	0	0	0	0	0	0	0	0	2	0	14	19	13	253	242	260	4081	4181	4098		
65	0	0	0	0	0	0	0	1	0	0	9	26	14	238	273	257	4144	4112	4194		
66	0	0	0	0	0	0	0	0	0	1	10	19	24	231	273	243	4051	4107	4149		
67	0	0	0	1	0	0	0	1	1	2	12	16	16	259	265	280	3984	4101	4029		
68	0	0	0	0	0	0	0	0	3	1	22	18	11	267	241	234	4132	4056	4049		
69	0	0	0	0	0	0	0	0	1	0	14	15	19	275	254	219	4091	4102	4121		
70	0	0	0	0	0	0	0	0	0	3	20	10	20	236	243	257	4142	4171	4134		
71	0	0	0	1	0	0	0	0	1	17	17	14	244	263	255	4126	4178	4004			
72																					

Position		HEXADECIMAL 3																		
		6 repetitions		5 repetitions		4 repetitions		3 repetitions		2 repetitions		1 repetition								
		SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria				
0	0	0	0	0	0	0	0	0	1	14	7	16	271	235	248	4246	4074	4091		
1	0	0	0	0	0	0	0	1	0	14	14	23	259	223	270	4097	4037	4099		
2	0	0	0	0	2	0	0	2	0	0	21	11	15	235	241	271	3984	4087	4180	
3	0	0	0	0	0	0	0	3	0	1	10	13	14	260	270	259	4164	4074	4116	
4	0	0	0	0	0	0	0	1	1	3	19	16	12	277	243	255	4014	4123	4097	
5	0	0	0	0	0	1	0	1	1	1	12	15	16	255	262	274	4073	4081	4102	
6	0	0	0	0	0	0	0	0	1	1	13	12	12	244	284	280	4017	3999	4070	
7	0	0	0	0	0	0	0	3	0	1	20	21	10	268	240	263	4112	4137	4159	
8	0	0	0	0	1	0	0	2	1	2	14	11	16	249	244	240	3967	4050	3998	
9	0	0	0	0	0	0	0	1	0	1	16	16	12	229	247	265	4119	4104	4206	
10	0	0	0	0	0	0	0	0	1	2	9	13	16	259	261	241	4005	4175	3959	
11	0	0	0	0	0	0	0	0	3	2	15	11	19	263	256	260	4052	4057	4002	
12	0	0	0	0	0	0	0	0	1	3	17	22	22	268	245	237	4093	4055	4199	
13	0	0	0	0	0	0	0	1	0	0	3	8	13	23	272	260	267	4057	4067	4047
14	0	0	0	0	0	0	0	1	0	2	11	11	19	252	234	251	4129	4031	4073	
15	0	0	0	0	0	0	0	0	0	0	19	16	15	297	272	252	4196	4082	4094	
16	0	0	0	0	0	0	0	0	0	0	10	12	13	263	233	212	4089	4160	4057	
17	0	0	0	0	0	0	0	0	1	0	11	12	12	263	232	261	4163	4032	4030	
18	0	0	0	0	0	0	0	0	1	0	0	14	11	14	283	217	239	4083	3992	4121
19	0	0	0	0	0	0	0	0	1	1	2	11	18	25	242	253	246	4219	4041	4056
20	0	0	0	0	0	0	0	0	2	1	1	20	10	22	256	241	250	4078	4089	
21	0	0	0	0	0	0	0	0	1	1	13	19	19	236	260	263	4061	4095	4183	
22	0	0	0	0	0	0	0	0	0	1	15	23	16	244	274	279	3989	4083	4161	
23	0	0	0	0	0	0	0	0	1	0	8	16	17	228	232	248	4011	4104	4123	
24	0	0	0	0	0	0	0	2	1	0	20	19	16	222	262	266	3996	4056	4090	
25	0	0	0	0	0	0	0	1	2	3	14	13	17	261	267	242	4096	4130	4028	
26	0	0	0	0	0	0	0	0	0	1	12	13	20	229	261	263	4037	4130	4227	
27	0	0	0	0	1	0	0	1	0	0	14	14	20	282	233	275	3957	4117	4091	
28	0	0	0	0	0	0	0	2	0	0	11	11	20	238	241	246	4174	4094	4141	
29	0	0	0	0	0	0	0	0	0	1	15	8	14	259	247	249	4082	3962	4046	
30	0	0	0	0	0	0	0	2	2	1	14	13	17	245	248	251	4166	4126	4118	
31	0	0	0	0	0	0	0	0	0	0	12	17	13	244	262	247	4080	4178	4065	
32	0	0	0	0	0	0	0	0	0	4	15	21	13	260	263	243	4077	4154	4052	
33	0	0	0	0	0	0	0	0	0	0	16	15	21	228	233	245	4149	4157	4048	
34	0	0	0	0	0	0	0	0	0	0	9	12	20	254	251	278	4003	4085	4099	
35	0	0	0	0	0	0	0	0	2	1	21	15	12	304	226	232	4123	4110	4120	
36	0	0	0	0	0	0	0	0	2	0	10	20	17	242	269	229	4078	4086	4044	
37	0	0	0	0	0	0	0	2	2	0	10	22	14	262	274	266	4115	4117	4071	
38	0	0	0	0	0	0	0	0	0	3	18	17	15	239	258	235	4096	4125	4079	
39	0	0	0	0	0	0	0	1	0	10	14	23	254	246	263	4072	4023	4126		
40	0	0	0	0	0	0	0	1	2	2	17	18	12	244	274	252	4103	4074	4108	
41	0	0	0	0	0	0	0	3	1	0	15	16	21	290	245	257	4119	4107	4058	
42	0	0	0	0	0	0	0	1	3	1	15	21	13	250	288	256	4150	4246	4093	
43	0	0	0	0	0	0	0	1	0	0	17	13	12	257	251	239	4081	4051	4107	
44	0	0	0	0	0	0	0	1	0	0	14	12	12	265	240	249	4043	4111	4061	
45	0	0	0	0	0	0	0	1	1	14	15	17	249	242	245	4059	4012	3975		
46	0	0	0	0	0	0	0	1	1	0	15	20	14	240	272	243	4145	3991	4036	
47	0	0	0	0	0	0	0	0	1	1	20	17	259	273	244	4124	4150	4138		
48	0	0	0	0	0	0	0	0	2	10	10	12	238	269	256	4084	4138			
49	0	0	0	0	0	0	0	1	1	2	21	12	21	228	256	265	4089	4169	4133	
50	0	0	0	0	0	0	0	1	0	0	12	19	22	276	235	260	4106	4140	4022	
51	0	0	0	0	0	0	0	0	1	2	2	15	11	16	260	259	270	4261	4011	4111
52	0	0	0	0	0	0	0	1	1	0	1	14	11	22	253	255	257	4118	4148	4118
53	0	0	0	0	0	0	0	0	2	0	1	20	17	21	265	235	240	4135	4191	4091
54	0	0	0	0	0	0	0	1	1	0	16	11	15	246	239	243	4183	4060	4144	
55	0	0	0	0	0	0	0	1	2	2	17	18	19	236	259	300	4034	4103	4186	
56	0	0	0	0	0	0	0	3	0	0	16	18	20	259	267	247	4031	4132	4179	
57	0	0	0	0	0	0	0	1	0	0	17	13	18	277	238	249	4027	4149	4063	
58	0	0	0	0	0	0	0	4	0	1	19	16	14	272	249	256	4111	4052	4113	
59	0	0	0	0	0	0	0	2	0	0	21	14	15	269	255	282	4178	4063	4179	
60	0	0	0	0	1	1	0	2	1	1	10	14	9	242	261	250	4098	4169	4169	
61	0	0	0	0	0	0	0	1	2	2	21	8	23	282	255	247	4109	3963	4062	
62	0	0	0	0	0	0	0	0	1	0	17	18	15	258	245	274	4098	4065	4045	
63	0	0	0	0	0	0	0	2	0	0	21	14	10	291	256	242	4059	4026	4044	
64	0	0	0	0	0	0	0	2	0	1	17	20	19	249	248	234	4098	4065	4045	
65	0	0	0	0	1	0	0	2	1	1	21	12	16	275	235	241	4149	3960	4018	
66	0	0	0	0	1	0	0	3	0	0	15	22	15	242	247	247	3990	4069	4023	
67	0	0	0	0	0	0	0	1	1	2	15	16	16	242	281	250	4034	4204	4078	
68	0	0	0	0	0	0	0	0	1	4	11	18	19	260	266	251	4080	4147	4154	
69	0	0	0	0	0	0	0	1	2	1	29	20	21	272	255	251	4167	4132	4073	
70	0	0	0	0	0	0	0	3	1	1	21	19	13	270	247	273	4043	4130	4073	
71																				

HEXADECIMAL 4																	
Position	6 repetitions		5 repetitions		4 repetitions		3 repetitions		2 repetitions		1 repetition						
	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria		
0	0	0	0	0	0	0	1	0	0	13	15	16	233	254	286		
1	0	0	0	0	0	0	0	3	0	16	19	10	252	289	248		
2	0	0	0	0	0	0	1	0	1	13	14	18	285	279	267		
3	0	0	0	0	0	0	0	1	1	0	18	13	11	234	271	257	
4	0	0	0	0	0	0	0	2	0	1	19	23	15	251	245	247	
5	0	0	0	0	0	0	0	2	2	0	19	16	12	269	281	257	
6	0	0	0	0	0	0	0	3	0	0	29	14	13	239	260	250	
7	0	1	0	0	1	0	1	1	4	15	12	21	289	249	272		
8	0	0	0	0	0	1	0	0	3	0	9	11	21	229	259	228	
9	0	0	0	0	0	0	0	3	1	0	19	12	13	246	246	268	
10	0	0	0	0	0	0	0	1	0	2	20	19	21	253	263	270	
11	0	0	0	0	0	0	0	2	1	0	24	14	22	251	254	287	
12	0	0	0	0	0	0	0	1	0	2	1	13	7	13	243	258	
13	0	0	0	0	0	0	0	1	1	3	11	20	17	246	252	250	
14	0	0	0	0	0	0	0	0	2	1	14	22	15	231	279	251	
15	0	0	0	0	0	0	0	0	0	0	18	19	11	267	274	253	
16	0	0	0	0	0	0	0	1	1	0	24	18	11	269	238	236	
17	0	0	0	0	0	0	0	1	1	1	19	16	13	259	243	247	
18	0	0	0	0	0	0	0	2	1	1	21	13	19	260	254	250	
19	0	0	0	0	0	0	0	1	0	0	23	8	8	293	268	260	
20	0	0	0	0	0	0	0	1	1	1	12	11	18	268	249	234	
21	0	0	0	0	0	0	0	0	2	0	12	18	8	234	264	224	
22	0	0	0	0	0	0	0	1	1	0	20	20	12	284	261	257	
23	0	0	0	0	0	0	0	3	1	0	14	17	10	274	278	240	
24	0	0	0	0	0	0	0	1	2	0	20	13	9	236	241	232	
25	0	0	0	0	0	0	0	0	4	2	13	18	14	277	259	227	
26	0	0	0	0	0	0	0	0	0	0	18	19	17	261	229	264	
27	0	0	0	0	0	0	0	2	0	2	12	16	17	243	251	248	
28	0	0	0	0	0	0	0	0	0	0	3	11	10	244	266	250	
29	0	0	0	0	0	0	0	1	0	0	17	11	17	242	254	278	
30	0	0	0	0	0	0	0	2	2	0	19	12	13	258	224	255	
31	0	0	0	0	0	0	0	0	1	0	15	9	22	267	258	256	
32	0	0	0	0	0	0	0	1	0	0	12	11	18	269	249	253	
33	0	0	0	0	1	0	0	2	0	1	16	13	13	225	244	258	
34	0	0	1	0	0	1	1	1	2	15	19	14	241	245	3970		
35	0	0	0	0	0	1	0	0	1	0	12	10	17	244	269	261	
36	0	0	0	0	0	0	0	2	1	1	16	14	12	248	245	250	
37	0	0	0	0	0	0	0	1	0	1	21	17	16	256	271	267	
38	0	0	0	0	0	0	0	0	0	1	20	19	15	249	265	262	
39	0	0	0	0	0	0	0	0	0	0	15	12	12	246	253	240	
40	0	0	0	0	0	0	0	3	1	2	12	18	11	226	240	252	
41	0	0	0	0	0	0	0	1	1	0	11	14	13	245	264	237	
42	0	0	0	0	0	0	0	1	0	0	21	21	16	234	241	228	
43	0	0	0	0	0	0	0	1	0	2	17	14	12	287	236	252	
44	0	0	0	0	0	0	0	0	1	0	20	9	17	268	242	245	
45	0	0	0	0	0	0	0	0	2	11	18	11	236	249	253	4079	
46	0	0	0	0	0	0	0	1	1	0	14	18	12	263	259	262	
47	0	0	0	0	0	0	0	2	1	1	16	14	19	248	269	268	
48	0	0	0	0	0	0	0	0	0	3	14	15	14	251	247	264	
49	0	0	0	0	0	0	0	0	1	1	10	22	19	273	259	266	
50	0	0	0	0	0	0	0	2	0	1	24	16	12	244	265	253	
51	0	0	0	0	0	0	0	3	0	0	16	18	21	265	253	252	
52	0	0	0	0	0	0	0	2	0	0	20	11	10	254	242	231	
53	0	1	0	0	0	1	0	2	2	1	22	13	15	249	242	4158	
54	0	0	0	0	0	0	1	0	0	2	0	23	15	13	263	255	233
55	0	0	0	0	0	0	1	2	0	0	16	9	18	257	241	4050	
56	0	0	0	0	0	0	1	0	0	2	21	17	16	245	225	247	
57	0	0	0	0	0	0	0	0	0	1	14	6	17	237	243	257	
58	0	0	0	0	0	0	0	3	0	2	23	16	24	279	237	259	
59	0	0	0	0	0	0	0	2	1	0	26	16	20	265	223	257	
60	0	0	0	0	0	0	1	0	2	1	1	17	16	21	288	267	245
61	0	0	0	0	0	0	0	0	0	2	0	22	17	19	274	274	264
62	0	0	0	0	0	0	0	0	0	2	13	11	10	239	239	253	
63	0	0	0	0	0	0	0	1	0	0	12	17	18	254	265	245	
64	0	0	0	0	0	0	1	0	1	0	15	16	15	268	275	255	
65	0	0	0	0	0	0	0	1	0	2	0	13	15	22	292	261	265
66	0	0	0	0	0	0	0	2	0	1	9	17	11	238	252	243	
67	0	0	0	0	0	0	0	0	0	0	14	15	14	253	228	266	
68	0	0	0	0	0	0	0	0	0	1	15	11	10	250	273	255	
69	0	0	0	0	0	0	0	1	0	0	1	11	17	19	247	251	267
70	0	0	0	0	0	0	0	3	2	2	21	12	20	274	249	259	
71	0	0	0	0	0	0	0	1	2	2	18	20	24	258	280	270	
72	0	0	0	0	0	0	0	1	0	0	1	20	17	20	236	259	270
73	0	0	0	0	0	0	0	1	0	0	16	11	18	270	243	267	
74	0	0	0	0	0	0	0	0	2	1	24	16	18	268	267	244	
75	0	0	0	0	0	0	0	1	2	1	14	16	19	263	229	259	
76	0	0	0	0	0	0	0	3	0	3	15	17	18	244	277	265	
77	0	0	0	0	0	0	0	1	0	0	22	18	19	248	249	235	
78	0	0	0	0	0	0	0	1	0	0	15	11	9	266	250	247	
79	0	0	0	0	0	0	0	0	0	0	14	17	17	260	259	267	
80	0	0	0	0	0	0	0	0	0	4	11	13	17	231	277	239	
81	0	0	0	0	0	0	0	0	0	0	25	17	17	261	230	229	
82	0	0	0	0	0	0	0	2	0	0	18	9	8	254	248	246	
83	0	0	0	0	0	0	0	0	1	0	20	13	15	279	244	256	
84	0	0	0	0	0	0	1	0	1	3	1	16	15	9	278	265	238
85	0	0	0	0	0	0	0	3	1	0	20	17	15	289	254	4088	
86	0	0	0	0	0	0	0	0	0	0	18	16	18	260	245	270	
87	1	0	0	0	1	0	0	1	0	0	15	12	10	235	263	234	
88	0	0	0	0	2	0											

Position	HEXADECIMAL 5																			
	6 repetitions			5 repetitions			4 repetitions			3 repetitions			2 repetitions			1 repetition				
	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria														
0	0	0	0	0	0	0	0	0	0	0	0	0	224	279	255	4173	4037	4109		
1	0	0	0	0	0	0	0	0	0	8	14	12	266	252	256	4002	4139	4197		
2	0	0	0	0	0	1	0	1	2	0	9	11	22	220	248	251	4107	4038	4022	
3	0	0	0	0	0	0	0	0	2	1	0	16	17	13	242	246	254	4016	4126	4091
4	0	0	0	0	0	0	0	0	1	1	3	14	13	15	247	262	271	4106	4147	4144
5	0	0	0	0	0	0	0	0	0	1	1	14	19	16	269	281	241	4050	4086	4139
6	0	0	0	0	0	0	0	0	0	1	1	13	15	17	221	240	257	4058	4046	4083
7	0	0	0	0	0	0	0	0	0	1	20	13	15	260	225	247	4103	4095	4105	
8	0	0	0	0	0	0	0	0	0	1	14	18	17	232	290	273	4084	4152	4112	
9	0	0	0	0	0	0	0	1	0	1	2	19	12	17	263	254	262	4034	4075	4100
10	0	0	0	0	0	0	0	0	3	1	1	16	16	19	271	253	239	4036	4073	4080
11	0	0	0	0	0	0	0	0	2	2	18	12	18	265	270	270	4009	4147	4150	
12	0	0	0	0	0	0	0	0	3	2	2	19	13	16	251	285	269	4160	4231	4103
13	0	0	0	0	0	0	0	0	2	0	3	19	13	16	252	244	254	4102	4079	4070
14	0	0	0	0	0	1	1	2	1	1	23	16	18	259	258	276	4131	4154	4158	
15	0	0	0	0	0	0	0	0	3	1	16	12	20	247	283	289	4105	4163	4177	
16	0	0	0	0	0	0	0	1	2	0	1	10	14	13	249	235	283	4078	4086	3936
17	0	0	0	0	0	0	0	0	2	1	1	21	13	22	253	258	260	4041	4064	4055
18	0	0	0	0	0	0	0	1	0	0	3	18	22	18	258	249	288	4034	4124	4135
19	0	0	0	0	0	0	0	0	2	1	4	12	13	27	263	247	271	4119	4148	4047
20	0	0	0	0	0	0	0	0	0	0	0	12	9	22	277	251	271	4131	4039	4079
21	0	0	0	0	0	0	0	0	0	1	0	8	17	15	245	255	246	4108	3969	4173
22	0	0	0	0	0	0	0	0	2	0	1	18	14	13	244	260	262	4102	4201	4090
23	0	0	0	0	0	0	0	0	3	3	0	21	20	14	242	257	254	4140	4122	4100
24	0	0	0	0	0	0	0	0	0	0	1	15	10	11	235	245	272	4028	4234	4182
25	0	0	0	0	0	0	0	0	1	2	1	17	11	20	279	226	277	4011	4083	4142
26	0	0	0	0	0	0	0	0	1	2	0	16	12	12	264	245	256	4077	4160	4092
27	0	0	0	0	0	0	0	0	0	0	1	12	13	14	227	250	245	4161	4013	4166
28	0	0	0	0	0	0	0	0	0	0	0	15	17	13	229	258	235	4015	4135	4051
29	0	0	0	0	0	0	0	0	0	0	2	12	15	11	248	251	264	4147	4106	4087
30	0	0	0	0	0	0	0	0	2	0	1	14	13	20	267	249	250	4084	4078	4074
31	0	0	0	0	0	0	0	0	1	0	0	24	9	13	249	231	233	4041	4130	4060
32	0	0	0	0	0	0	0	0	0	1	0	12	10	12	254	228	263	4123	3990	4245
33	0	0	0	0	0	0	0	0	1	0	0	17	15	10	238	251	260	4070	4027	4111
34	0	0	0	0	1	0	0	2	1	0	19	14	17	275	268	239	4106	4188	4057	
35	0	0	0	0	0	0	0	0	1	0	19	14	15	242	244	294	4068	4185	4118	
36	0	0	0	1	0	0	0	1	1	1	12	21	11	299	270	255	4090	4071	4088	
37	0	0	0	0	0	0	0	1	1	0	19	11	17	277	269	264	4266	4121	4029	
38	0	0	0	0	0	0	0	0	1	1	17	12	11	274	275	255	4012	4035	4154	
39	0	0	0	0	0	0	0	1	2	1	13	19	13	252	242	247	4089	4195	4070	
40	0	0	0	0	0	0	0	0	2	2	12	23	23	262	274	226	3979	4120	4054	
41	0	0	0	0	0	0	0	0	1	0	0	13	15	17	271	239	267	4211	4084	4002
42	0	0	0	0	0	0	0	0	0	0	0	12	13	14	247	273	284	4082	4108	4128
43	0	0	0	0	0	0	1	0	1	3	0	15	27	7	230	269	254	3966	4097	4057
44	0	0	0	0	0	0	0	0	1	2	0	20	17	10	260	287	239	4044	4152	4057
45	0	0	0	0	0	0	0	0	0	1	0	20	16	15	272	275	236	4162	4029	4080
46	0	0	0	1	0	0	0	4	1	2	16	14	13	271	258	252	4048	4170	4141	
47	0	0	0	0	0	0	0	1	1	0	22	13	11	261	267	257	4074	4130	4025	
48	0	0	0	0	0	0	0	1	0	0	19	22	17	250	255	270	4054	4167	4201	
49	0	0	0	0	0	0	0	0	1	1	12	15	19	266	259	242	4117	4142	4101	
50	0	0	0	1	0	0	0	2	1	1	22	12	17	218	258	224	4083	4024	4159	
51	0	0	0	0	0	0	0	2	0	0	0	16	24	15	261	232	268	3987	4068	4121
52	0	0	0	1	0	0	0	1	1	2	19	14	18	269	267	307	4077	4010	4127	
53	0	0	0	0	0	0	0	2	1	0	12	15	19	244	262	224	4088	4171	4145	
54	0	0	0	0	0	0	0	0	0	1	19	16	13	241	272	262	4162	4196	4054	
55	0	0	0	0	0	0	0	1	2	0	16	16	11	272	254	245	4054	4051	4073	
56	0	0	0	0	0	0	0	1	1	1	15	19	10	255	263	253	4165	4139	4089	
57	0	0	0	0	0	0	0	0	2	3	14	15	19	260	246	249	4041	4113	4079	
58	0	0	0	2	0	0	0	2	1	1	17	23	20	271	268	268	4163	4172	4119	
59	0	0	0	0	0	0	0	3	3	1	19	18	13	240	284	247	4106	4233	4086	
60	0	0	0	0	0	0	0	1	1	0	21	19	15	236	254	235	4075	4148	4062	
61	0	0	0	0	0	0	0	1	1	2	17	23	12	266	254	261	4072	4026	4150	
62	0	0	0	0	0	1	0	1	4	1	18	18	19	243	268	284	4011	4112	4053	
63	0	0	0	0	0	0	0	2	0	1	13	15	17	247	267	253	3989	4177	4125	
64	0	0	0	0	1	0	0	2	0	0	20	15	11	276	240	226	4026	4029	4029	
65	0	0	0	0	0	0	0	1	3	3	9	28	19	234	267	239	4106	4132	4053	
66	0	0	0	0	0	0	0	0	1	3	16	22	19	256	274	263	4040	4213	4043	
67	0	0	0	0	0	0	0	0	2	13	15	25	256	256	278	4062	4064	4153		
68	0	0	0	0	0	0	0	2	0	1	13	12	11	242	246	261	4199	4152	4072	
69	0	0	0	0	0	0	0	1	0	3	20	9	20	247	253					

HEXADECIMAL 6														
Position	6 repetitions		5 repetitions		4 repetitions		3 repetitions		2 repetitions		1 repetition		Viktoria	
	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512
0	0	0	0	0	0	1	0	1	5	21	249	249	244	4042
1	0	0	0	0	0	0	3	2	0	20	23	20	254	254
2	0	0	0	0	0	0	0	2	0	17	18	17	251	251
3	0	0	0	0	0	0	0	1	0	14	20	19	243	243
4	0	0	0	0	1	0	0	3	0	1	23	15	14	262
5	0	0	0	0	0	0	1	1	0	1	15	14	20	258
6	0	0	0	0	0	0	0	2	0	1	19	10	19	247
7	0	0	0	0	0	0	0	1	2	0	20	12	13	259
8	0	0	0	0	0	0	0	1	1	1	21	11	16	249
9	0	0	0	0	0	0	0	0	1	1	19	18	22	280
10	0	0	0	0	0	0	0	0	3	0	14	18	16	217
11	0	0	0	0	0	0	0	2	1	1	20	15	16	275
12	0	0	0	0	0	0	0	3	3	0	15	15	8	259
13	0	0	0	0	0	0	0	2	2	0	13	16	12	260
14	0	0	0	0	0	0	0	2	2	0	19	18	13	254
15	0	0	0	0	0	0	0	3	1	0	22	19	11	257
16	0	0	0	0	0	0	0	0	2	2	15	11	13	265
17	0	0	0	0	0	0	0	2	1	3	17	19	17	243
18	0	0	0	0	0	0	0	3	0	0	21	16	12	255
19	0	0	0	0	0	0	0	1	1	1	16	19	19	248
20	0	0	0	0	0	0	0	0	2	0	19	11	17	283
21	0	0	0	0	0	0	0	1	0	0	14	19	13	225
22	0	0	0	0	0	0	0	1	1	0	13	12	5	251
23	0	0	0	0	0	0	0	1	0	1	16	19	15	266
24	0	0	0	0	0	0	0	0	2	1	13	13	18	231
25	0	0	0	0	0	0	0	0	1	0	13	16	14	252
26	0	0	0	0	0	1	0	1	1	1	15	13	9	275
27	0	0	0	0	0	1	0	0	2	1	14	10	19	267
28	0	0	0	0	0	0	0	1	3	0	16	14	14	250
29	0	0	0	0	0	0	0	1	0	0	17	16	19	255
30	0	0	0	0	0	0	0	2	2	2	18	20	15	255
31	0	0	0	0	0	0	0	0	1	2	12	19	17	245
32	0	0	0	0	0	0	0	1	1	0	20	8	23	287
33	0	0	0	0	0	0	0	2	0	0	23	13	17	247
34	0	0	0	0	0	0	0	1	3	0	21	22	15	268
35	0	0	0	0	0	0	0	1	0	0	12	18	18	252
36	0	0	0	0	0	0	0	0	1	2	13	11	16	263
37	0	0	0	0	0	0	0	0	3	1	15	23	22	255
38	0	0	0	0	0	0	0	1	0	1	16	16	13	269
39	0	0	0	0	0	1	0	0	2	1	13	14	14	251
40	0	0	0	0	0	0	0	1	2	0	17	15	11	254
41	0	0	0	0	0	0	0	1	1	1	15	17	14	253
42	0	0	0	0	0	0	0	0	0	1	21	21	11	266
43	0	0	0	0	1	0	0	1	0	0	17	9	17	266
44	0	0	0	0	0	0	0	1	0	1	5	16	18	240
45	0	0	0	0	0	0	0	0	0	1	16	20	255	255
46	0	0	0	0	0	0	0	1	0	1	17	11	15	263
47	0	0	0	0	0	0	1	1	3	2	16	19	17	265
48	0	0	0	0	0	0	1	0	1	1	11	11	11	241
49	0	0	0	0	1	0	0	2	1	0	18	13	21	256
50	0	0	0	0	0	0	0	3	0	2	17	19	19	270
51	0	0	0	0	0	0	0	1	4	1	19	25	19	262
52	0	0	0	0	0	1	0	1	2	0	12	17	18	263
53	0	0	0	0	0	0	0	2	3	1	20	20	11	263
54	0	0	0	0	1	0	0	2	0	2	23	13	17	273
55	0	0	0	0	0	0	1	0	1	20	20	19	259	259
56	0	0	0	0	0	0	0	0	3	1	18	14	15	245
57	0	0	0	0	0	0	0	0	3	1	13	18	10	277
58	0	0	0	0	0	0	0	0	2	0	20	22	21	223
59	0	0	0	0	0	0	0	1	2	0	13	16	17	260
60	0	0	0	0	0	0	0	0	1	1	15	18	17	251
61	0	0	0	0	1	0	0	2	1	1	21	16	22	251
62	0	0	0	0	0	0	1	2	2	2	21	19	22	266
63	0	0	0	0	0	0	1	3	1	8	20	10	220	220
64	0	0	0	0	0	0	0	0	2	14	20	16	231	231
65	0	0	0	0	0	0	0	1	0	1	15	24	16	228
66	0	0	0	0	0	0	0	0	0	0	19	16	20	256
67	0	0	0	0	0	0	0	0	1	0	13	15	14	277
68	0	0	0	0	0	0	0	0	2	1	17	13	17	272
69	0	0	0	0	0	0	0	0	0	1	11	12	20	244
70	0	0	0	0	1	0	0	3	2	2	21	16	13	238
71	0	0	0	0	0	0	1	2	1	2	19	21	20	250
72	0	0	0	0	0	0	0	1	1	2	19	25	13	246
73	0	0	0	0	0	0	0	0	0	0	17	20	17	256
74	0	0	0	0	0	0	0	2	0	1	11	11	12	231
75	0	0	0	0	0	0	0	1	2	2	14	14	17	264
76	0	0	0	0	0	0	0	1	2	2	21	15	16	289
77	0	0	0	0	0	0	0	1	2	2	19	20	20	254
78	0	0	0	0	0	0	0	2	1	1	15	20	16	269
79	0	0	0	0	1	0	0	1	3	12	21	23	245	245
80	0	0	0	0	1	0	1	4	1	18	20	14	243	243
81	0	0	0	0	1	0	1	3	1	15	21	19	287	287
82	0	0	0	0	0	0	0	1	1	1	11	16	20	243
83	0	0	0	0	0	0	0	0	0	1	9	24	17	215
84	0	0	0	0	0	0	0	1	0	0	16	14	14	242
85	0	0	0	0	0	0	0	0	0	1	19	15	17	230
86	0	0	0	0	1	0	0	1	1	0	19	13	15	267
87	0	0	0	0	0	0	1	0	0	12	8	5	248	248
88	0	0	0	0	0	0	0	0	0	1	10	17	244	244
89	0	0	0	0	0	0	0	1	0	1	19	14	12	267
90	0	0	0	0	0	0	0	1	2	0	3	23	10	249
91	0	0	0	0	0	0	0	0	1	2	18	19	16	259
92	0	0	0	0	0	0	0	0	2	0	0	20	17	277
93	0	0	0	0	0	0	0	1	0	0	15	7	8	241
94	0	0	0	0	0	0	0	1	1	1	10	13	12	254
95	0	0	0	0	0	0	0	1	0	0	22	17	13	283
96	0	0	0	0	0	0	0	1	0	1	11	12	14	255
97	0	0	0	0	0	0	0	1	1	2	15	17	243	243
98	0	0	0	0	0	0	0	1	0	2	24	22	20	257
99	0	0	0	0	0	0	0	1	1	1	16	19	14	261
100	0	0	0	0	0	0	0	2	0	0	15	11	9	252
101	0	0	0	0	0	0	0	0	0	0	13	15	14	259
102	0	0	0	0</td										

HEXADECIMAL 7																					
Position	6 repetitions		5 repetitions		4 repetitions		3 repetitions		2 repetitions		1 repetition										
	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria						
0	0	0	0	0	0	0	1	1	17	18	16	268	281	275	4143	4065	4170				
1	0	0	0	0	0	0	2	0	1	15	11	16	234	234	255	4096	4171	4114			
2	0	0	0	0	0	0	2	0	3	14	14	24	240	272	271	4092	4155	4134			
3	0	0	0	0	0	1	0	2	4	1	18	20	17	246	257	279	4053	4093	4117		
4	0	0	0	0	0	0	0	1	1	3	9	17	14	227	261	274	4149	4130	4084		
5	0	0	0	0	0	0	0	0	1	1	7	13	21	246	261	261	4021	4190	4189		
6	0	0	0	0	0	0	0	0	1	0	17	20	15	265	251	248	4141	4138	4187		
7	0	0	0	0	0	0	0	0	1	0	0	18	10	17	264	248	249	4122	4009	4195	
8	0	0	0	0	0	0	0	0	0	2	1	12	15	15	259	261	259	4140	4150	4141	
9	0	0	0	0	0	0	0	0	0	1	2	18	16	18	247	231	252	4207	4098	4196	
10	0	0	0	0	0	0	0	0	1	1	0	17	14	17	264	247	260	4066	3995	4041	
11	0	0	0	0	0	0	0	0	0	0	0	13	16	14	268	250	285	4223	3988	4166	
12	0	0	0	0	0	0	0	0	1	1	1	13	17	17	250	253	267	3958	4122	4115	
13	0	0	0	0	0	0	0	0	1	2	2	1	18	13	12	244	254	265	4148	4103	4129
14	0	0	0	0	0	0	0	0	3	0	3	20	13	24	238	277	247	4015	4126	4084	
15	0	0	0	0	0	0	0	0	1	0	0	1	9	22	15	234	256	270	4071	4121	4094
16	0	0	0	0	0	0	0	0	2	1	1	17	20	12	250	277	246	4056	4111	4102	
17	0	0	0	0	0	0	0	0	1	3	0	27	18	14	255	240	242	4117	4057	4041	
18	0	0	0	0	0	0	0	0	0	1	18	14	12	274	259	253	4094	4158	4094		
19	0	0	0	0	1	0	0	1	1	0	15	16	13	252	248	247	4143	4125	4088		
20	0	0	0	0	0	0	0	0	2	1	0	14	16	17	267	251	263	4138	4000	4160	
21	0	0	0	0	0	0	0	0	0	2	0	9	18	18	229	256	247	4195	4090	4177	
22	0	0	0	0	0	0	0	0	0	1	0	16	14	14	234	269	248	4136	4096	4127	
23	0	0	0	0	0	0	0	0	1	1	14	15	16	247	282	272	4027	4101	4078		
24	0	0	0	0	0	0	0	0	2	0	1	19	17	16	261	233	275	4174	4046	4046	
25	0	0	0	0	0	0	0	0	1	0	0	21	9	11	278	246	227	4170	4024	4000	
26	0	0	0	0	0	0	0	0	0	0	1	12	9	13	249	239	289	4134	4069	4125	
27	0	0	0	0	0	0	0	0	2	0	1	16	10	26	247	251	275	4121	4028	4203	
28	0	0	0	0	0	0	0	0	1	0	1	17	11	20	227	237	279	4063	4052	4045	
29	0	0	0	0	0	0	0	0	3	0	1	24	16	17	268	247	256	4150	4104	4114	
30	0	0	0	0	0	0	0	0	0	1	0	15	11	11	244	299	238	4027	4116	4028	
31	0	0	0	0	0	0	0	0	0	0	1	13	11	10	253	240	249	4166	3991	4161	
32	0	0	0	0	0	0	0	0	0	1	2	22	16	18	221	238	252	4062	4092	4057	
33	0	0	0	0	0	0	0	0	1	1	0	17	22	15	262	236	258	3973	4074	4135	
34	0	0	0	0	0	0	0	0	4	2	1	11	17	13	252	276	268	4151	4116	4079	
35	0	0	0	0	0	0	0	0	1	0	22	15	18	264	246	272	4105	4136	4114		
36	0	0	0	0	0	0	1	0	1	1	21	21	12	253	240	267	4037	4129	4031		
37	0	0	0	0	0	0	1	1	2	1	14	22	19	259	238	239	4132	4148	4070		
38	0	0	0	0	0	0	0	1	0	3	22	14	17	279	244	281	4068	4083	4050		
39	0	0	0	0	0	0	0	0	3	2	2	17	14	15	253	271	298	3996	4082	4169	
40	0	0	0	0	0	0	0	0	2	0	1	19	13	19	236	275	262	4196	4134	4148	
41	0	0	0	0	0	0	0	0	0	0	1	22	24	13	264	234	264	4095	4019	4090	
42	0	0	0	0	0	0	0	0	0	1	1	10	7	15	262	272	271	4024	4181		
43	0	0	0	0	0	0	0	0	0	0	2	17	19	14	239	261	239	4144	4117	4038	
44	0	0	0	0	0	0	0	0	1	1	2	10	20	17	237	255	240	3929	4036	4046	
45	0	0	0	0	0	0	0	0	2	1	0	15	17	22	246	280	271	4115	4122	4070	
46	0	0	0	0	0	0	0	0	1	1	1	21	23	16	255	252	279	4073	4133	4100	
47	0	0	0	0	0	0	0	0	0	0	1	14	20	19	253	269	264	4124	4031	4131	
48	0	0	0	0	1	0	0	0	2	0	0	11	9	12	236	260	246	4120	4080	4132	
49	0	0	0	0	0	0	0	0	2	1	1	11	14	10	238	258	254	4071	4109	4121	
50	0	0	0	0	0	0	0	0	0	1	0	18	15	17	241	264	265	4167	4160	4165	
51	0	0	0	0	1	0	0	0	2	0	1	14	8	14	240	247	236	4182	4247	4131	
52	0	0	0	0	0	0	0	1	1	2	3	9	12	19	236	248	262	3978	4028	4075	
53	0	0	0	0	0	0	0	0	3	2	1	18	10	23	278	246	280	4084	4031	4158	
54	0	0	0	1	0	0	0	0	3	0	1	27	15	15	288	255	242	4157	4045	4041	
55	0	0	0	0	0	0	0	1	0	1	20	13	15	260	238	228	4200	4163	4098		
56	0	0	0	0	0	0	0	1	3	0	9	15	21	21	279	231	234	4138	4092	4080	
57	0	0	0	0	0	0	0	0	0	1	0	10	21	14	246	268	258	4127	4071	4074	
58	0	0	0	0	0	0	0	0	3	0	2	15	13	18	278	267	242	4017	4125	4087	
59	0	0	0	0	0	0	0	1	1	2	18	22	18	22	242	271	247	4144	4159	4092	
60	0	0	0	0	0	0	0	0	0	1	2	23	13	11	258	241	282	4120	4067	4152	
61	0	0	0	0	0	0	0	0	2	0	1	15	15	13	252	249	244	3984	4127	4137	
62	0	0	0	0	0	0	0	1	0	1	16	7	15	263	246	264	4053	4074	4105		
63	0	0	0	0	0	0	0	1	0	0	13	15	15	267	268	248	4260	4156	4184		
64	0	0	0	0	0	0	0	0	0	1	18	18	20	287	265	278	4125	4110	4067		
65	0	0	0	0	0	0	0	1	0	0	21	23	11	288	246	278	4226	4076	4103		
66	0	0	0	0	0	0	0	1	1	2	15	19	20	282	265	274	4170	4048	4145		
67	0	0	0	0	0	0	0	1	0	0	13	22	12	222	247	296	4173	4022	4120		
68	0	0	0	0	0	0	0	0	0	0	13	11	20	255	242	256	3980	4052	4177		
69	0	0	0	0	0	0	0	0	0	0	1	13	18	15	256	246	263				

Position		HEXADECIMAL 9																		
		6 repetitions		5 repetitions		4 repetitions		3 repetitions		2 repetitions		1 repetition								
		SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria				
0	0	0	0	0	0	0	0	0	1	0	14	17	13	243	258	219	4072	4103	4065	
1	0	0	0	0	0	0	0	2	1	0	10	20	16	243	252	258	4051	4121	4109	
2	0	0	0	0	0	0	0	1	1	2	20	13	17	243	263	254	4105	4067	3992	
3	0	0	0	0	0	0	0	0	0	1	12	13	23	266	279	257	4093	4171	4143	
4	0	0	0	0	0	0	0	1	1	0	13	17	20	225	261	266	3973	3989	4082	
5	0	0	0	0	0	0	0	1	1	1	13	13	14	264	240	269	4072	4044	4135	
6	0	0	0	0	0	0	0	0	0	0	8	18	15	243	278	295	4027	4117	4211	
7	0	0	0	0	0	0	0	0	0	3	13	10	17	228	233	259	4045	4094	4069	
8	0	0	0	0	0	0	0	0	3	2	10	15	19	238	262	294	4064	4086	4063	
9	0	0	0	0	0	0	0	1	1	0	16	18	14	273	252	221	4110	4092	4055	
10	0	0	0	0	0	0	0	2	1	1	14	12	19	226	260	248	4077	4232	3981	
11	0	0	0	0	0	0	0	0	1	0	12	13	16	257	256	243	4019	4112	3966	
12	0	0	0	0	0	0	0	1	0	0	15	18	14	259	256	235	4221	4161	4052	
13	0	0	0	1	0	0	1	1	0	1	14	13	16	264	241	263	4149	4090	4088	
14	0	0	0	0	0	0	1	0	0	1	18	12	13	258	233	251	4051	4036	4015	
15	0	0	0	0	0	0	0	2	0	2	14	14	15	261	262	264	4159	4099	4057	
16	0	0	0	0	0	0	0	0	3	1	19	19	14	234	250	241	4089	3978	4108	
17	0	0	0	0	0	0	1	4	1	3	17	15	21	248	249	262	4074	4170	4073	
18	0	0	0	0	0	0	0	1	1	3	20	11	20	263	272	281	4131	3993	4086	
19	0	0	0	0	0	0	0	3	0	0	10	15	14	241	265	272	3943	4209	4136	
20	0	0	0	0	0	0	0	0	0	2	22	14	20	231	270	247	4133	4142	3966	
21	0	0	0	0	0	0	0	1	0	1	15	13	21	259	270	261	4092	4095	4070	
22	0	0	0	0	0	0	0	0	1	0	18	10	17	279	262	260	4162	4081	4214	
23	0	0	0	0	1	0	0	1	0	1	19	13	17	279	235	242	4114	4119	4106	
24	0	0	0	0	0	0	0	4	0	0	18	12	12	264	248	254	4248	3949	4086	
25	0	0	0	0	0	0	0	0	0	1	14	20	13	224	266	249	4143	4163	4181	
26	0	0	0	0	0	0	0	0	0	0	16	10	15	274	254	231	4016	4027	4075	
27	0	0	0	0	0	0	0	1	4	2	1	16	19	11	245	247	232	4064	4183	4079
28	0	0	0	0	0	0	0	2	3	3	19	17	19	271	251	233	4254	4019	4090	
29	0	0	0	0	0	0	0	1	1	0	21	26	15	260	267	270	4042	4164	4118	
30	0	0	0	0	0	0	0	0	0	0	15	21	18	266	269	263	4134	4139	4028	
31	0	0	0	0	0	0	0	0	0	0	13	16	11	258	265	266	4067	4122	4195	
32	0	0	0	0	1	0	0	1	3	0	12	18	11	237	278	242	4064	4089	4014	
33	0	0	0	0	0	0	0	2	2	1	17	15	16	261	270	256	4048	4083	3944	
34	0	0	0	0	0	0	0	2	1	3	18	15	17	269	257	271	4010	4151	4144	
35	0	0	0	0	0	0	0	0	1	1	16	17	20	241	268	253	4106	4018	4133	
36	0	0	0	0	0	0	0	2	1	1	10	17	13	255	288	260	4059	4118	3995	
37	0	0	0	0	1	0	0	1	2	1	16	13	12	243	242	256	4065	4198	4063	
38	0	0	0	0	0	0	0	0	1	0	18	13	14	267	241	243	4144	4127	4142	
39	0	0	0	0	0	0	0	2	0	1	20	22	23	283	264	277	4155	4075	4056	
40	0	0	0	0	0	0	0	1	1	0	17	14	13	258	259	263	4013	4180	4108	
41	0	0	0	0	0	0	0	0	2	0	15	24	9	256	266	247	4095	4183	4260	
42	0	0	0	0	0	0	0	1	1	0	9	12	16	255	241	258	4057	4068	4158	
43	0	0	0	0	0	0	0	0	1	0	19	8	10	251	240	279	4129	4008	4131	
44	0	0	0	0	1	0	0	1	1	0	13	18	18	255	263	263	4081	4059	4190	
45	0	0	0	0	0	0	0	1	3	1	17	24	19	255	284	233	4077	4188	3989	
46	0	0	0	0	0	0	0	1	1	0	20	19	18	251	248	285	4056	4115	4173	
47	0	0	0	0	1	0	0	0	4	0	17	21	8	241	263	234	4155	4075	4056	
48	0	0	0	0	0	0	0	1	1	0	15	27	18	261	260	267	4084	4195	4141	
49	0	0	0	0	1	0	0	1	0	0	16	10	11	249	277	269	4081	3966	4141	
50	0	0	0	0	1	0	0	3	2	1	17	21	11	252	270	246	4006	4174	4142	
51	0	0	0	0	0	0	1	0	1	1	0	14	18	21	241	270	277	4108	4123	4140
52	0	0	0	0	1	0	0	3	1	0	14	15	14	286	283	265	4090	4047	4204	
53	0	0	0	0	0	0	0	2	1	2	18	13	19	261	261	255	4149	4133	4176	
54	0	0	0	0	0	0	0	2	0	0	17	15	22	240	253	263	4042	4031	4128	
55	0	0	0	0	0	0	0	1	1	1	14	13	17	260	257	251	4087	4123	4031	
56	0	0	0	0	0	0	0	0	1	1	18	12	11	253	271	240	4116	4151	4055	
57	0	0	0	0	0	0	0	1	0	0	15	22	15	266	258	255	4073	4120	4104	
58	0	0	0	0	0	0	0	3	2	0	17	19	9	255	252	255	4095	4074	4171	
59	0	0	0	0	0	0	0	1	2	0	26	20	11	233	264	220	4014	4049	4002	
60	0	0	0	0	0	0	0	0	1	0	19	22	12	256	262	258	4091	4129	4157	
61	0	0	0	0	0	0	0	2	0	1	8	14	13	257	250	249	4098	4034	4016	
62	0	0	0	0	0	0	0	0	0	1	17	9	16	243	228	247	4019	4000	4120	
63	0	0	0	0	0	0	0	1	0	0	7	11	16	256	226	261	3992	4044	4128	
64	0	0	0	0	0	0	0	2	0	0	20	11	25	233	265	272	4090	4005	4205	
65	0	1	0	0	0	0	0	1	2	0	18	18	15	244	266	289	4088	4126	4049	
66	0	1	0	0	0	0	0	1	0	2	14	19	15	283	257	248	4148	4083	4067	
67	0	0	0	0	0	0	1	0	1	2	11	13	17	230	250	264	4247	4198	4055	
68	0	0	0	0	0	0	0	1	1	1	13	19	21	233	276	256	4006	4102	4151	
69	0	0	0	0	0	0	0	1	0	1	17	11	19	266	266	267	3984	4038	4168	
70	0	0	0	0	0	0	0	1	2	2	11	16	13	245	249	237	4009	4083	4149	

		HEXADECIMAL a																							
Position	SHA2-512	6 repetitions				5 repetitions				4 repetitions				3 repetitions				2 repetitions				1 repetition			
		SHA3-512	Viktoria	SHA2-512	Viktoria	SHA3-512	Viktoria																		
0	0	0	0	0	0	0	0	0	0	1	1	1	1	13	18	249	256	284	4057	4060	4105	4153	4147	4120	
1	0	0	0	0	0	0	0	0	1	0	1	7	15	16	254	259	267	4043	4196	4174	4139	4139	4126		
2	0	0	0	0	0	0	0	0	0	1	3	18	18	18	262	269	271	4116	4098	4115	4134	4134	4123		
3	0	0	0	0	0	0	0	0	0	0	0	17	15	14	257	284	247	4030	4056	4123	4134	4134	4123		
4	0	0	0	0	0	0	0	0	3	1	0	16	15	14	244	233	239	4091	4028	3968	4145	4145	4145		
5	0	0	0	0	0	0	0	0	0	2	0	18	16	10	277	260	236	4047	3977	3947	4145	4145	4145		
6	0	0	0	0	0	0	0	0	1	1	2	10	18	18	251	259	257	4122	4029	4063	4145	4145	4145		
7	0	0	0	0	0	0	0	0	1	1	3	12	14	17	255	265	252	4041	4138	4068	4145	4145	4145		
8	0	0	0	0	0	0	0	0	0	0	0	14	20	11	253	245	216	4204	4126	4087	4138	4138	4110		
9	0	0	0	0	0	1	0	0	3	0	0	23	15	16	262	243	242	4056	3980	4110	4134	4134	4110		
10	0	0	0	0	0	0	0	0	2	3	3	12	15	17	235	235	259	4063	3977	4043	4111	4111	4111		
11	0	0	0	0	0	0	0	0	1	0	0	14	9	16	254	236	239	4111	4095	4114	4134	4134	4114		
12	0	0	0	0	0	0	0	0	0	1	0	21	19	11	244	258	266	4041	4039	4056	4145	4145	4145		
13	0	0	0	0	0	0	0	0	1	3	1	15	16	18	272	271	264	4141	4169	4145	4145	4145	4145		
14	0	0	0	0	0	0	0	0	2	2	0	14	19	14	257	239	246	4056	3977	4067	4145	4145	4145		
15	0	0	0	0	0	0	0	0	0	0	0	14	18	11	259	263	264	4153	4147	4120	4145	4145	4145		
16	0	0	0	0	0	0	0	0	0	2	1	17	9	13	243	251	257	4046	4077	4062	4138	4138	4138		
17	0	0	0	0	0	0	0	0	1	2	0	16	19	14	276	237	271	4096	4081	4138	4138	4138	4110		
18	0	0	0	0	1	0	1	1	2	2	11	13	17	270	241	253	4090	4117	4173	4134	4134	4173			
19	0	0	0	0	0	0	0	0	1	1	18	17	14	248	250	260	4037	4008	4094	4145	4145	4145			
20	0	0	0	0	0	0	0	0	1	2	0	14	15	10	274	270	287	4044	4113	4018	4145	4145	4145		
21	0	0	0	0	0	0	0	0	0	1	14	15	11	261	266	266	4165	4077	4102	4145	4145	4145			
22	0	0	0	0	0	0	0	0	1	0	2	19	22	16	278	261	262	4010	4068	4124	4145	4145	4145		
23	0	0	0	0	0	0	0	0	0	1	2	16	13	18	252	242	271	4079	4080	4166	4145	4145	4145		
24	0	0	0	0	0	1	0	1	1	1	14	15	14	227	248	258	4093	4153	4039	4145	4145	4145			
25	0	0	0	0	0	0	0	0	1	1	1	13	17	17	261	252	263	4098	4090	4164	4145	4145	4145		
26	0	0	0	0	0	0	0	0	1	0	1	15	14	14	265	267	253	4087	4056	4102	4145	4145	4145		
27	0	0	0	0	0	0	0	0	1	0	0	2	2	12	11	21	225	236	293	4032	4203	4162	4145	4145	4145
28	0	0	0	0	0	0	0	0	1	3	0	10	19	23	232	251	281	4164	4203	4109	4145	4145	4145		
29	0	0	0	0	0	0	0	0	1	1	2	13	19	11	273	252	273	4014	4074	4112	4145	4145	4145		
30	0	0	0	0	0	0	0	0	2	1	0	22	18	11	270	270	243	4200	4082	4114	4145	4145	4145		
31	0	0	0	0	0	0	0	0	0	1	0	18	17	18	252	235	259	4067	4095	4034	4145	4145	4145		
32	0	0	0	0	0	0	0	0	1	2	1	15	18	20	246	252	261	4054	4130	4183	4145	4145	4145		
33	0	0	0	0	0	0	0	0	1	1	3	13	23	19	243	242	241	4119	4010	4094	4145	4145	4145		
34	0	0	0	0	0	0	0	0	0	0	2	14	21	19	234	285	252	4032	4185	4067	4145	4145	4145		
35	1	0	0	0	1	0	0	0	3	1	0	18	14	16	268	240	253	4096	4148	4087	4145	4145	4145		
36	0	0	0	0	1	0	0	0	1	0	0	17	24	18	248	278	283	4023	4139	4178	4145	4145	4145		
37	0	0	0	0	0	0	0	0	3	2	0	9	18	15	260	258	234	4000	4152	4219	4145	4145	4145		
38	0	0	0	0	0	0	0	0	1	1	1	19	12	16	255	247	230	4109	3931	4016	4145	4145	4145		
39	0	0	0	0	0	0	0	0	2	1	0	16	27	10	268	270	267	4092	4085	4062	4145	4145	4145		
40	0	0	0	0	0	0	0	1	1	0	1	14	16	19	241	253	246	4078	4111	4033	4145	4145	4145		
41	0	0	0	0	0	0	0	0	0	2	13	16	18	245	226	261	3991	3985	4077	4145	4145	4145			
42	0	0	0	0	0	0	0	1	0	0	2	17	13	17	258	226	247	3992	3981	4092	4145	4145	4145		
43	0	0	0	0	0	0	0	0	0	2	1	11	13	15	256	242	277	4151	4063	4087	4145	4145	4145		
44	0	0	0	0	0	0	0	0	1	1	0	15	21	6	268	255	233	4194	4058	4227	4145	4145	4145		
45	0	0	0	0	0	0	0	0	1	0	1	13	14	19	231	247	253	4127	4041	4142	4145	4145	4145		
46	0	0	0	0	0	0	0	0	1	0	1	18	15	15	238	263	271	4101	4099	4182	4145	4145	4145		
47	0	0	0	0	0	0	0	0	1	1	14	15	8	247	247	256	4092	4032	4203	4145	4145	4145			
48	0	0	0	0	0	0	0	0	1	3	23	10	15	241	243	225	4017	4021	4095	4145	4145	4145			
49	0	0	0	0	0	0	0	0	2	0	22	16	17	249	244	268	4087	4059	4122	4145	4145	4145			
50	0	0	0	0	0	0	0	0	2	3	0	16	18	13	265	238	249	4182	4043	4204	4145	4145	4145		
51	0	0	0	0	0	0	0	0	1	1	0	16	23	15	256	276	243	4067	4073	3974	4145	4145	4145		
52	0	0	0	0	0	0	0	0	1	1	3	18	8	22	236	243	254	4123	4085	4085	4145	4145	4145		
53	0	0	0	0	0	0	0	0	1	2	1	14	19	12	244	261	273	4156	4013	4085	4145	4145	4145		
54	0	0	0	0	0	0	0	0	0	0	1	10	13	17	271	274	252	4067	4145	4127	4145	4145	4145		
55	0	0	0	0	0	0	0	0	1	0	2	19	14	20	264	262	277	4242	4103	4120	4145	4145	4145		
56	0	0	0	0	0	0	0	1	0	0	2	3	14	12	18	240	247	254	4018	4059	4127	41			

Position	HEXADECIMAL b													
	6 repetitions		5 repetitions		4 repetitions		3 repetitions		2 repetitions		1 repetition			
SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria
0	0	0	0	0	0	1	1	0	14	14	17	260	240	280
1	0	0	1	0	1	2	2	1	2	15	17	19	225	247
2	0	0	0	0	0	0	1	3	2	15	27	12	253	267
3	0	0	0	0	0	0	0	6	3	2	27	29	25	288
4	0	0	0	0	0	0	0	2	0	1	23	13	19	271
5	0	0	0	0	0	0	0	0	1	0	17	9	14	272
6	0	0	0	0	0	0	0	0	0	0	10	11	13	237
7	0	0	0	0	0	0	0	1	0	0	15	13	11	249
8	0	0	0	0	0	1	0	1	3	1	20	16	15	246
9	0	0	0	0	0	0	0	0	1	0	13	17	15	279
10	0	0	0	0	1	0	0	2	2	0	11	14	19	273
11	0	0	0	0	0	0	0	1	1	1	20	19	12	243
12	0	0	0	0	0	0	1	0	0	1	17	13	13	245
13	0	0	0	0	0	0	0	1	0	3	20	10	18	266
14	0	0	0	0	0	0	0	4	1	2	19	12	16	278
15	0	0	0	0	0	0	0	1	0	1	16	13	17	283
16	0	0	0	0	0	0	0	0	0	1	17	13	15	254
17	0	0	0	0	0	0	0	2	2	1	13	17	19	229
18	0	0	0	0	0	0	0	3	1	1	17	14	10	240
19	0	0	0	0	0	0	0	0	1	0	23	16	13	272
20	0	0	0	0	1	0	1	3	3	9	20	14	14	252
21	0	0	0	0	0	0	0	0	2	1	17	15	22	249
22	0	0	0	0	0	0	0	1	0	1	11	16	13	234
23	0	0	0	0	0	0	0	1	2	2	17	18	18	273
24	0	0	0	0	0	0	0	0	1	2	18	11	20	255
25	0	0	0	0	0	0	0	1	1	2	12	17	22	257
26	0	0	0	0	0	0	0	1	0	0	12	20	18	248
27	0	0	0	0	0	0	0	0	1	3	19	16	17	261
28	0	0	0	0	0	0	0	2	0	0	17	9	20	251
29	0	0	0	0	0	0	0	0	0	1	10	20	12	266
30	0	0	0	0	0	0	1	1	2	12	23	20	22	263
31	0	0	0	0	0	0	0	0	1	3	15	21	23	241
32	0	0	0	0	0	0	0	1	1	2	14	20	17	242
33	0	0	0	0	0	0	0	0	1	1	14	24	17	250
34	0	0	0	0	0	0	0	2	0	2	18	10	27	286
35	0	0	0	0	0	0	0	2	0	1	11	7	18	275
36	0	0	0	0	0	0	0	1	2	1	15	13	23	247
37	0	0	0	0	1	0	0	3	3	0	18	15	10	253
38	0	0	0	0	0	0	0	1	2	0	21	23	19	264
39	0	0	0	0	0	0	0	1	0	1	15	14	27	250
40	0	0	0	0	0	0	0	2	0	0	14	13	20	244
41	0	0	0	0	0	0	0	0	0	0	14	10	12	258
42	0	0	0	1	1	0	2	3	0	19	15	14	242	256
43	0	0	0	0	0	0	0	2	1	2	19	17	12	263
44	0	0	0	0	0	0	0	0	2	15	15	16	272	255
45	0	0	0	0	0	0	0	2	2	0	20	22	11	258
46	0	0	0	0	0	0	0	1	0	1	19	14	11	262
47	0	0	0	0	0	0	0	0	1	1	16	11	13	227
48	0	0	0	0	0	0	0	0	4	10	23	24	270	255
49	0	0	0	0	0	0	0	2	5	1	11	17	18	251
50	0	0	0	0	0	0	1	0	2	1	15	23	17	250
51	0	0	0	0	0	0	0	0	2	0	1	16	14	18
52	0	0	0	0	0	0	0	0	0	2	16	9	17	248
53	0	0	0	0	0	0	0	1	0	0	15	9	15	238
54	0	0	0	0	0	0	0	1	1	1	17	13	11	251
55	0	0	0	0	0	0	0	2	0	0	13	10	13	270
56	0	0	0	0	0	0	1	0	1	1	18	14	15	263
57	0	0	0	1	0	0	0	4	1	1	18	19	16	245
58	0	0	0	0	0	0	0	1	3	0	14	18	17	235
59	0	0	0	0	0	0	0	0	0	1	8	17	14	247
60	0	0	0	0	0	0	0	1	0	5	7	20	19	226
61	0	0	0	1	0	0	0	1	0	2	11	15	20	280
62	0	0	0	0	0	0	0	3	1	0	21	17	10	247
63	0	0	0	0	0	0	1	0	3	0	18	17	18	303
64	0	0	0	0	0	0	2	2	2	2	17	13	15	275
65	0	0	0	0	0	0	1	0	1	1	19	20	15	284
66	0	0	0	0	0	0	0	2	2	1	15	11	15	268
67	0	0	0	0	0	0	0	0	1	0	16	17	21	252
68	0	0	0	0	0	0	0	0	0	3	16	13	21	271
69	0	0	0	0	0	0	0	1	2	0	22	17	22	277
70	0	0	0	0	0	0	0	1	1	2	16	26	11	249
71	0	0	0	0	0	0	0	0	1	1	11	18	21	227
72	0	0	0	0	0	0	0	0	0	0	22	9	13	266
73	0	0	0	0	0	0	0	3	2	0	14	18	13	253
74	0	0	0	0	0	0	0	3	0	1	20	9	13	242
75	0	0	0	0	0	0	0	0	0	1	15	9	15	263
76	0	0	0	0	0	0	0	1	1	0	18	17	8	259
77	0	0	0	0	0	0	0	1	0	1	21	18	19	257
78	0	0	0	0	0	0	0	1	2	1	11	23	21	259
79	0	0	0	0	0	0	1	3	0	1	13	21	17	237
80	0	0	0	0	0	0	1	1	2	14	20	13	261	271
81	0	0	0	0	0	0	3	1	1	12	18	18	291	283
82	0	0	0	0	0	0	0	2	0	0	19	16	11	255
83	1	0	0	0	1	0	0	2	1	0	16	17	15	250
84	0	0	0	2	0	0	0	3	0	1	13	17	16	239
85	0	0	0	0	0	0	0	2	1	2	18	16	16	258
86	0	0	0	0	0	0	0	2	1	0	18	12	15	258
87	0	0	0	0	0	0	1	0	1	21	18	17	268	260
88	0	0	0	0	0	0	2	1	0	17	16	11	261	268
89	0	0	0	0	0	0	1	1	2	12	9	15	247	261
90	0	0	0	0	0	0	0	0	0	1	11	17	20	278
91	0	0	0	0	0	0	0	1	1	1	15	19	18	266
92	0	0	0	0	0	0	0	0	0	1	11	12	16	249
93	0	0	0	0	0	0	1	0	2	14	10	16	252	269
94	0	0	0	0	0	0	3	1	0	20	11	18	247	241
95	0	0	0	0	0	0	1	1	0	17	18	9	246	266
96	0	0	0	0	0	1	1	0	1	14	19	266	259	250
97	0	0	0	0	0	1	0	2	2	0	12	9	263	276
98	0	0	0	0	0	0	0	1	3	16	16	18	261	234
99	0	0	0	0	0	0	1	0	1	1	15	13	20	256
100	0	0	0	0	0	0	1	2	1	1	9	21	24	238
101	0	0	0	0	0	0	0	2	0	2	16	20	9	235
102	0	0	0	0	0	0	0	1	1	1	18	16	17	218
103														

Position	HEXADECIMAL c																			
	6 repetitions			5 repetitions			4 repetitions			3 repetitions			2 repetitions			1 repetition				
	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria														
0	0	0	0	0	0	0	2	2	1	22	15	10	269	242	284	4213	4006	4115		
1	0	0	0	0	0	0	0	1	0	17	15	18	287	247	270	4048	4018	4160		
2	0	0	0	0	0	0	3	1	0	16	14	13	260	231	240	4194	4114	4075		
3	0	0	0	0	0	0	1	1	2	4	18	23	15	251	229	235	4087	4041	4076	
4	0	0	0	0	0	0	0	0	2	2	11	18	14	253	240	234	4097	4006	4128	
5	0	0	0	0	0	0	0	0	0	2	14	18	18	257	260	276	4120	4120	4174	
6	0	1	0	0	1	0	1	2	3	15	22	22	287	270	234	4261	4043	4090		
7	0	0	0	0	0	1	0	0	2	1	15	19	12	244	281	271	4113	4086	4007	
8	0	0	0	0	0	0	0	1	1	20	16	18	251	240	251	4050	4168	4220		
9	0	0	0	0	0	0	0	0	2	1	12	21	12	273	316	248	4087	4141	4141	
10	0	0	0	0	0	0	0	1	0	0	17	14	10	275	246	256	4262	4113	4166	
11	0	0	0	0	0	0	0	3	3	0	10	19	12	253	254	234	4195	4112	4052	
12	0	0	0	0	0	0	0	1	0	2	16	11	12	274	243	237	4144	4164	4007	
13	0	0	0	0	0	0	0	0	1	0	11	16	17	250	259	267	4121	3978	4073	
14	0	0	0	0	0	0	0	1	1	2	14	14	20	255	239	257	4023	4059	4165	
15	0	0	0	0	0	0	0	0	1	0	19	16	9	228	221	248	4131	3996	4059	
16	0	0	0	0	0	0	0	0	0	0	16	13	12	253	237	234	3983	4026	4107	
17	0	0	0	0	0	0	0	0	2	2	16	21	13	250	242	252	4065	4054	4103	
18	0	0	0	0	0	0	0	0	2	0	12	22	20	234	275	284	4088	4169	4075	
19	0	0	0	0	0	0	0	0	1	0	16	16	21	237	232	268	4167	3979	4096	
20	0	0	0	0	0	0	0	0	1	0	22	19	15	252	266	268	4060	4198	4129	
21	0	0	0	0	0	0	0	2	1	0	18	15	16	251	254	251	4178	4146	4067	
22	1	0	0	1	1	0	2	2	3	20	16	16	254	254	267	4127	4039	3960		
23	0	0	0	1	0	0	1	2	2	13	16	20	258	264	266	4077	4103	4107		
24	0	0	0	0	0	0	1	0	1	22	19	18	236	258	261	4055	4043	4116		
25	0	0	0	0	0	0	0	0	3	0	19	19	14	260	239	266	4081	4120	4118	
26	0	0	0	0	0	0	0	0	0	0	11	16	14	259	256	245	4063	4041	4136	
27	0	0	0	0	0	0	0	0	0	1	15	17	13	274	249	279	4118	4023	4109	
28	0	0	0	0	0	0	0	0	1	1	10	18	29	254	267	255	4190	4097	4033	
29	0	0	0	0	0	0	0	0	1	0	23	12	20	260	247	268	4122	4094	4139	
30	0	0	0	0	0	0	0	0	0	1	0	17	15	16	285	239	276	4158	4085	4098
31	0	0	0	0	0	0	0	0	3	0	18	21	9	279	260	230	4246	4144	4151	
32	0	0	0	0	0	0	0	0	0	2	19	16	17	251	258	254	4060	4177	3993	
33	0	0	0	0	0	0	0	0	0	2	11	15	17	253	263	279	4151	4119	4121	
34	0	0	0	0	0	0	0	0	0	1	0	6	15	14	210	259	260	4175	4043	4115
35	0	0	0	1	0	0	0	1	1	14	10	17	255	233	236	4094	4000	4138		
36	0	0	0	0	0	0	0	1	2	1	14	19	11	235	245	253	4141	4048	4087	
37	0	0	0	0	0	0	3	0	3	13	24	18	253	264	267	3986	4180	4075		
38	0	0	0	0	0	0	1	1	2	20	21	15	241	252	259	4072	4098	4084		
39	0	0	0	0	0	0	0	1	0	16	14	17	271	243	275	4160	4064	4011		
40	0	0	0	0	0	0	0	2	0	2	16	17	27	249	256	283	4069	4029	4092	
41	0	0	0	0	0	0	0	0	1	0	17	22	11	250	264	234	4011	4109	4143	
42	0	0	0	0	0	0	0	0	1	0	15	14	17	254	262	249	4115	3979	4016	
43	0	0	0	0	0	0	0	1	0	3	12	12	16	259	249	250	4171	4042	4082	
44	0	0	0	0	0	0	1	1	0	2	18	16	21	244	244	259	4066	4133	4113	
45	0	0	0	0	0	0	0	0	0	2	16	16	10	243	256	263	3928	4114	4138	
46	0	0	0	0	0	0	0	0	0	2	15	11	10	270	226	223	4039	4053	4093	
47	0	0	0	0	0	0	0	0	2	0	20	9	12	233	262	242	4110	4028	4121	
48	0	0	0	0	0	1	0	0	2	0	14	24	19	257	269	245	4003	4043	3978	
49	0	0	0	0	0	0	1	1	0	16	27	12	254	259	268	4068	4071	4043		
50	0	0	0	0	0	0	0	0	2	1	16	18	12	267	246	248	4101	4121	4020	
51	0	0	0	0	0	0	0	0	0	2	11	16	15	280	266	264	4109	4079	4090	
52	0	0	0	0	0	0	0	0	0	1	1	13	19	16	259	251	229	4148	4100	3990
53	0	0	0	0	0	0	0	1	1	1	11	16	21	249	242	256	4385	4113	4161	
54	0	0	0	0	0	0	0	0	1	2	16	10	24	205	246	289	4139	4135	4096	
55	0	0	0	0	0	0	0	1	0	3	20	16	21	262	248	315	4093	4104	4173	
56	0	0	0	1	0	0	0	1	0	0	17	15	16	261	260	264	4125	3974	4249	
57	0	0	0	0	0	0	2	0	1	13	17	14	267	254	271	4021	4060	4087		
58	0	0	0	0	0	0	0	2	2	19	18	20	252	259	278	4051	4089	4200		
59	0	0	0	1	0	0	2	1	0	20	13	16	268	261	245	4123	4105	4168		
60	0	0	0	0	0	0	3	0	0	20	17	7	279	237	249	4162	4109	3977		
61	0	0	0	0	0	0	1	0	0	14	16	10	244	253	233	4140	4114	4129		
62	0	0	0	0	0	0	4	0	0	16	13	19	275	261	253	4162	4078	4111		
63	0	0	0	0	0	0	2	1	0	19	13	9	268	249	239	4071	4062	4174		
64	0	0	0	0	0	0	0	0	0	0	28	13	13	260	250	241	4129	3997	3963	
65	0	0	0	0	0	0	0	1	2	5	17	16	234	261	267	3974	4153	4139		
66	0	0	0	0	0	0	1	0	1	10	13	11	265	231	251	4120	4060	4087		
67	0	0	0	0	0	0	1	1	1	18	8	16	243	237	271	4106	4059	4135		
68	0	0	0	0	0	0	0	0	0	22	19	12	259	276	234	4080	4057	3953		
69	1	0	0	0	1	0	0	1	2	0	20	9	13	258	258	249	4116	4048	4010	
70	0	0	0	0	1	0	0	0	2	2	13	14	12	244	244	229	4007	4079	4092	
71	0	0	0	0	0	0	1	0	2	1	18	18	14	269	241	236	4			

Position	HEXADECIMAL d															
	6 repetitions		5 repetitions		4 repetitions		3 repetitions		2 repetitions		1 repetition		SHA2-512	SHA3-512	Viktoria	
	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria	
0	0	0	0	0	0	1	3	1	1	242	274	265	4079	4294	4019	
1	0	0	0	0	0	0	1	2	1	21	15	11	250	242	267	
2	0	0	0	0	0	0	1	0	0	13	18	17	270	228	257	
3	0	0	0	0	0	1	0	0	2	0	8	13	10	247	252	
4	0	0	0	0	0	0	0	0	4	1	8	28	12	252	266	
5	0	0	0	0	0	0	0	0	0	0	13	15	19	250	282	
6	0	0	0	0	0	0	0	1	2	4	18	17	17	263	269	
7	0	0	0	0	0	0	0	1	2	2	22	16	21	274	256	
8	0	0	0	0	1	0	0	2	1	1	18	15	13	254	275	
9	0	0	0	0	1	0	0	2	0	2	15	11	15	255	236	
10	0	0	0	0	0	0	0	4	1	3	22	17	15	282	248	
11	0	0	0	0	0	0	0	0	0	0	17	11	22	262	258	
12	0	0	0	0	0	0	0	1	0	2	2	19	9	14	269	
13	0	0	0	0	1	0	0	4	1	1	17	15	12	261	240	
14	0	0	0	0	0	0	0	1	1	0	18	15	13	253	278	
15	0	0	0	0	0	0	0	1	0	3	11	17	14	253	233	
16	0	0	0	1	0	0	3	0	0	14	23	13	245	260	247	
17	0	0	0	0	0	0	0	3	0	2	20	11	14	242	263	
18	0	0	0	0	0	0	0	0	1	0	21	25	18	254	243	
19	0	0	0	0	0	0	0	0	0	2	14	13	19	266	284	
20	0	0	0	0	0	0	0	3	0	0	24	14	12	264	265	
21	0	0	0	0	0	0	0	0	1	0	13	21	14	272	257	
22	0	0	0	0	0	0	0	1	1	0	23	20	12	272	237	
23	0	0	0	0	0	0	0	1	1	1	18	14	18	256	237	
24	0	0	0	0	0	0	0	1	0	2	11	19	21	226	252	
25	0	0	0	0	0	0	0	0	1	2	15	10	21	245	249	
26	0	0	0	0	0	0	0	0	0	0	11	14	19	251	260	
27	0	0	0	0	0	0	0	1	4	1	11	18	12	247	243	
28	0	0	0	0	0	0	0	2	1	0	17	19	14	246	263	
29	0	0	0	0	0	0	0	3	1	1	27	22	11	246	283	
30	0	0	0	0	0	0	0	0	0	0	14	19	15	248	278	
31	0	0	0	0	0	0	0	0	0	0	18	14	16	275	236	
32	0	0	0	0	0	0	0	1	1	2	10	16	18	276	258	
33	0	0	0	0	0	0	0	1	0	2	14	17	18	243	294	
34	0	0	0	0	0	0	0	1	3	0	21	18	18	233	251	
35	0	0	0	0	0	0	0	0	0	1	13	14	18	254	233	
36	0	0	0	0	0	0	0	0	0	1	14	13	20	239	250	
37	0	0	0	0	0	0	0	0	1	0	12	15	15	245	257	
38	0	0	0	1	0	0	2	1	0	15	10	15	239	245		
39	0	0	0	1	0	0	2	0	2	12	16	21	228	233		
40	0	0	0	0	0	0	2	2	0	25	23	19	258	259		
41	0	0	0	0	0	0	0	1	1	3	15	16	13	284	234	
42	0	0	0	0	0	0	0	0	1	1	16	14	20	233	266	
43	0	0	0	0	0	0	0	0	1	0	16	14	14	244	268	
44	0	0	0	0	0	0	0	2	0	0	22	19	6	289	260	
45	0	0	0	1	0	0	1	0	1	2	17	26	13	266	290	
46	0	0	0	0	0	0	1	0	0	1	16	19	12	241	279	
47	0	0	0	0	0	0	0	0	2	1	11	12	16	266	233	
48	0	0	0	0	0	0	0	0	2	1	15	18	20	236	280	
49	0	0	0	0	0	1	1	0	2	9	23	18	21	252	217	
50	0	0	0	0	0	0	0	1	1	2	20	17	11	260	272	
51	0	0	0	0	0	0	0	0	0	0	15	16	15	245	255	
52	0	0	0	0	0	0	0	0	1	0	7	21	15	255	266	
53	0	0	0	0	0	0	0	1	0	1	18	14	17	248	236	
54	0	0	0	0	0	0	0	2	0	2	12	19	12	266	236	
55	0	0	0	0	0	0	0	0	2	0	18	13	10	254	305	
56	0	0	0	0	0	0	0	0	2	1	7	15	25	241	285	
57	0	0	0	0	0	0	0	0	1	1	8	19	12	240	264	
58	0	0	0	0	0	0	0	0	1	3	13	17	15	247	246	
59	0	0	0	0	0	0	0	0	0	0	13	12	11	224	241	
60	0	0	0	0	0	0	0	0	1	0	16	14	15	244	261	
61	0	0	0	0	0	0	0	1	0	0	18	10	13	285	247	
62	0	0	0	0	0	0	0	0	3	1	17	19	19	290	258	
63	0	0	0	0	0	0	0	0	0	0	14	11	12	262	269	
64	0	0	0	0	0	0	0	1	4	2	14	21	17	250	243	
65	0	0	0	0	0	0	0	1	0	2	13	21	23	263	279	
66	0	0	0	0	0	0	0	0	4	9	23	20	20	251	241	
67	0	0	0	0	0	0	0	1	0	0	27	11	20	265	250	
68	0	0	0	0	0	0	0	1	1	0	4	12	17	277	269	
69	0	0	0	0	0	0	0	2	0	1	4	17	14	239	252	
70	0	0	0	0	0	0	0	0	3	2	12	24	21	260	242	
71	0	0	0	0	0	0	0	0	1	0	13	13	19	239	258	
72	0	0	0	0	0	0	0	1	1	2	12	12	18	276	228	
73	0	0	0	0	0	0	0	1	0	2	20	19	19	248	269	
74	0	0	0	0	0	0	0	0	0	0	16	15	14	261	269	
75	0	0	0	0	0	0	0	1	2	1	17	15	14	245	263	
76	0	0	0	0	0	0	0	0	5	1	6	14	11	271	258	
77	0	0	0	0	0	0	0	0	0	0	10	17	15	242	240	
78	0	0	0	0	0	0	0	1	0	3	20	16	17	254	271	
79	0	0	0	0	0	0	0	2	0	1	18	17	17	258	257	
80	0	0	0	0	0	0	0	0	2	0	0	14	13	247	242	
81	0	0	0	0	0	0	0	0	1	1	17	23	12	249	244	
82	0	0	0	0	0	0	0	0	3	2	14	12	20	239	224	
83	0	0	0	0	0	0	0	0	0	1	1	8	20	15	237	
84	0	0	0	0	0	0	0	1	2	2	19	22	20	256	246	
85	0	0	0	0	0	0	0	1	0	0	20	15	15	265	265	
86	0	0	0	1	0	0	1	2	2	1	15	16	15	266	277	
87	0	0	0	0	0	0	4	1	4	18	17	13	252	239		
88	0	0	0	0	0	0	1	0	1	12	28	16	248	270		
89	0	0	0	0	0	0	2	1	2	13	11	16	242	262		
90	0	0	0	0	0	0	1	0	0	0	15	19	19	236	238	
91	0	0	0	0	0	0	0	0	0	0	16	10	10	229	278	
92	0	0	0	0	0	0	0	1	0	0	15	11	11	251	256	
93	0	0	0	0	0	0	0	1	0	0	20	14	12	269	262	
94	0	0	0	0	0	0	3	1	0	0						

Position	HEXADECIMAL e																				
	6 repetitions			5 repetitions			4 repetitions			3 repetitions			2 repetitions			1 repetition					
	SHA2-512	SHA3-512	Viktoria	SHA2-512	SHA3-512	Viktoria															
0	0	0	0	0	0	0	0	0	0	3	0	3	15	256	279	266	4070	4165			
1	0	0	0	0	0	0	0	0	1	0	19	13	21	248	245	269	4152	4179	4115		
2	0	0	0	0	0	1	0	0	1	0	11	18	13	263	277	244	4135	4022	4176		
3	0	0	0	0	0	0	0	0	0	3	19	12	14	257	247	255	4081	4095	4095		
4	0	0	0	0	0	0	0	0	0	1	4	9	21	15	252	285	266	4161	4035	4015	
5	0	0	0	0	0	0	0	0	2	0	1	17	23	16	249	249	243	4092	4196	4086	
6	0	0	0	0	0	0	0	0	0	1	0	18	17	14	244	248	236	4062	4077	4015	
7	0	0	0	0	0	0	0	0	2	1	0	18	19	12	259	231	242	4084	4124	4076	
8	0	0	0	0	0	0	0	0	1	1	0	25	16	11	263	306	252	4105	4095	4111	
9	0	0	0	0	0	0	0	0	0	0	1	14	18	17	259	277	276	4070	4145	4161	
10	0	0	0	0	0	0	0	0	1	1	1	13	18	20	232	274	242	4029	4167	4182	
11	0	0	0	0	0	0	0	0	0	1	1	17	15	24	267	261	264	4165	4264	4072	
12	0	0	0	0	0	0	0	1	3	0	3	20	18	22	280	265	261	4174	4105	4181	
13	0	0	0	0	0	0	0	0	0	1	1	15	17	12	251	272	265	4153	4073	4022	
14	0	0	0	0	0	0	0	0	2	5	0	18	18	9	244	275	226	4066	4044	4064	
15	0	0	0	0	0	0	0	0	2	1	0	11	24	21	228	259	275	4141	4012	4135	
16	0	0	0	0	0	0	0	0	1	0	1	14	9	18	231	265	256	4017	4105	4181	
17	0	0	0	0	0	0	0	0	0	2	0	12	19	15	245	257	277	3946	4061	4084	
18	0	0	0	0	0	0	0	0	0	1	0	16	20	13	237	240	276	4068	4012	4213	
19	0	0	0	0	0	0	0	0	0	1	0	8	23	15	255	305	244	4064	4017	4066	
20	0	0	0	0	0	0	0	0	2	1	0	13	18	12	261	237	4091	4095	4010		
21	0	0	0	0	0	0	0	0	1	1	0	14	15	14	209	268	261	3994	4161	4053	
22	0	0	0	0	0	0	0	1	0	0	1	13	19	16	257	256	234	4039	4111	4100	
23	0	0	0	0	0	0	0	0	1	1	1	14	12	18	243	233	264	4015	4075	4018	
24	0	0	0	0	0	0	0	0	2	1	3	22	13	21	263	239	271	4124	4144	4117	
25	0	0	0	0	0	0	0	0	1	1	2	10	12	16	268	274	262	4096	4044	4097	
26	0	0	0	0	0	0	0	0	1	0	0	14	15	19	243	259	275	4186	4220	4085	
27	0	0	0	0	1	0	0	1	0	0	14	10	14	270	284	246	4088	4129	4020		
28	0	0	0	0	0	0	0	0	2	1	0	17	16	16	265	258	266	4069	4087	4068	
29	0	0	0	0	0	0	0	0	0	1	1	17	15	8	250	234	258	4086	4017	4044	
30	0	0	0	0	0	0	0	0	0	3	0	1	19	11	15	265	255	242	4181	4182	4071
31	0	0	0	0	0	0	0	0	0	0	1	12	15	18	246	241	270	4062	4170	4169	
32	0	0	0	0	0	1	0	1	2	1	1	17	12	15	250	272	248	4023	4083	4101	
33	0	0	0	0	0	0	0	0	1	1	0	9	11	8	230	223	257	4084	4016	4169	
34	0	0	0	0	0	0	0	0	1	1	1	12	13	8	261	249	235	4203	4092	4057	
35	0	0	0	0	0	0	0	0	2	0	1	16	26	17	273	271	264	4287	4111	3986	
36	0	0	0	0	0	0	0	0	0	0	0	4	16	18	21	265	278	276	4107	4073	4011
37	0	0	0	0	0	0	0	0	1	0	1	16	24	27	247	288	269	4198	4122	4148	
38	0	1	0	0	0	2	0	0	3	2	27	18	18	243	263	285	4071	4127	4208		
39	0	1	0	0	0	2	0	0	3	0	13	19	17	257	258	258	4048	4020	4173		
40	0	1	0	0	0	1	0	1	2	4	11	17	21	245	265	296	4231	4115	4151		
41	0	0	0	0	1	0	1	1	1	1	17	12	14	241	262	279	4035	4164	4148		
42	0	0	0	0	0	0	0	0	2	1	17	17	11	278	231	281	4161	4062	4149		
43	0	0	0	0	0	0	0	0	0	0	1	11	15	15	215	268	274	4164	4175	4154	
44	0	0	0	0	1	0	0	3	1	2	14	14	22	250	253	283	4129	4133	4140		
45	0	0	0	0	0	0	0	0	4	0	0	22	14	15	273	247	297	4018	3968	4143	
46	0	0	0	0	0	0	0	0	1	0	1	22	16	21	249	245	239	3987	4051	4089	
47	0	0	0	0	0	0	0	0	0	0	1	19	13	16	284	268	258	4048	4020	4173	
48	0	0	0	0	0	0	0	0	0	1	1	9	21	19	269	239	247	4160	4026	4132	
49	0	0	0	0	0	0	0	0	1	0	0	16	15	22	274	251	268	4125	4138	4077	
50	0	0	0	0	0	0	0	0	0	0	0	14	18	14	241	270	271	4138	4072	4120	
51	0	0	0	0	0	0	0	0	1	1	1	18	14	15	251	260	231	4031	4115	4043	
52	0	0	0	0	0	0	0	0	0	2	1	11	15	12	243	263	239	4158	4056	4065	
53	0	0	0	0	0	0	0	0	1	0	1	15	17	14	246	227	231	3983	4095	4065	
54	0	0	0	0	0	0	0	1	0	0	2	7	8	26	244	247	265	4078	4123	3997	
55	0	0	0	1	0	0	0	3	0	2	14	21	12	255	257	278	4052	4129	4139		
56	0	0	0	0	0	0	0	1	1	1	21	13	15	257	268	224	4143	4099	4014		
57	0	0	0	0	0	0	0	3	1	1	16	16	15	283	251	242	4133	4153	4145		
58	0	0	0	0	0	0	0	1	1	2	20	14	16	264	251	259	4116	4125	4070		
59	0	0	0	0	0	0	0	0	0	0	1	19	18	24	257	256	233	4118	4086	4091	
60	0	0	0	0	0	0	0	0	2	0	0	13	9	15	248	260	279	4072	4122	4160	
61	0	0	0	0	0	0	0	1	0	1	24	13	18	237	248	261	4140	4009	4121		
62	0	0	0	0	0	0	0	1	2	0	12	21	12	255	266	233	4065	4102	4005		
63	0	0	0	0	1	0	0	2	0	0	10	14	19	230	263	266	4134	3988	4018		
64	0	0	0	0	0	0	0	3	1	0	15	17	13	251	275	244	4040	4013	4151		
65	0	0	0	0	0	0	0	0	1	2	18	24	12	249	264	244	4089	4095	4091		
66	0	0	0	0	0	0	0	3	2	1	12	14	11	264	248	225	4112	4092	3954		
67	0	0	0	0	0	0	0	1	1	1	17	23	16	256	276	255	4104	4103	4077		
68	0	0	0	0	0	0	0	1	2	0	13	15	14	227	266	259	4177	4088	3963		
69																					

ANNEX XVI - DIFFERENTIAL TEST SHA2-512

ANNEX XVII - VIKTORIA DIFFERENTIAL TEST

```
#=====
# dieharder version 3.31.1 Copyright 2003 Robert G. Brown
#=====
rng_name | filename | rands/second |
file_input_raw| arqvik.bin| 1.78e+07 |
#=====

test_name | ntuple| tsamples |psamples| p-value |Assessment
diehard_birthdays| 0| 100| 100|0.8098066| PASSED
diehard_operm5| 0| 100000| 100|0.0000000| FAILED
diehard_rank_32x32| 0| 40000| 100|0.0000000| FAILED
diehard_rank_6x8| 0| 100000| 100|0.00363075| WEAK
diehard_bitstream| 0| 2097152| 100|0.0000000| FAILED
diehard_opso| 0| 2097152| 100|0.0000000| FAILED
diehard_cgsq| 0| 2097152| 100|0.0000000| FAILED
diehard_dna| 0| 2097152| 100|0.0000000| FAILED
diehard_count_ls_str| 0| 256000| 100|0.0000000| FAILED
diehard_count_ls_byt| 0| 256000| 100|0.0000000| FAILED
diehard_parking_lot| 0| 120000| 100|0.17780825| PASSED
diehard_2dsphere| 2| 8000| 100|0.03508219| PASSED
diehard_3dsphere| 3| 4000| 100|0.01840861| PASSED
diehard_squeeze| 0| 100000| 100|0.0000000| FAILED
diehard_sums| 0| 100| 100|0.00050691| WEAK
diehard_runs| 0| 100000| 100|0.72243425| PASSED
diehard_runs| 0| 100000| 100|0.17611909| PASSED
diehard_craps| 0| 200000| 100|0.46840702| PASSED
diehard_craps| 0| 200000| 100|0.93428956| PASSED
# The file file_input_raw was rewound 1 times
marsaglia_tsang_gcd| 0| 1000000| 100|0.0000000| FAILED
marsaglia_tsang_gcd| 0| 1000000| 100|0.0000000| FAILED
# The file file_input_raw was rewound 1 times
sts_monobit| 1| 100000| 100|0.77279498| PASSED
# The file file_input_raw was rewound 1 times
sts_runs| 2| 100000| 100|0.29323615| PASSED
# The file file_input_raw was rewound 1 times
sts_serial| 1| 100000| 100|0.27586996| PASSED
sts_serial| 2| 100000| 100|0.43267838| PASSED
sts_serial| 3| 100000| 100|0.12802595| PASSED
sts_serial| 3| 100000| 100|0.30441256| PASSED
sts_serial| 4| 100000| 100|0.18626376| PASSED
sts_serial| 4| 100000| 100|0.66530881| PASSED
sts_serial| 5| 100000| 100|0.04364729| PASSED
sts_serial| 5| 100000| 100|0.36235534| PASSED
sts_serial| 6| 100000| 100|0.39797676| PASSED
sts_serial| 6| 100000| 100|0.37756534| PASSED
sts_serial| 7| 100000| 100|0.66364463| PASSED
sts_serial| 7| 100000| 100|0.81376448| PASSED
sts_serial| 8| 100000| 100|0.74499546| PASSED
sts_serial| 8| 100000| 100|0.98587695| PASSED
sts_serial| 9| 100000| 100|0.57520282| PASSED
sts_serial| 9| 100000| 100|0.56442559| PASSED
sts_serial| 10| 100000| 100|0.85289409| PASSED
sts_serial| 10| 100000| 100|0.99743545| WEAK
sts_serial| 11| 100000| 100|0.42226109| PASSED
sts_serial| 11| 100000| 100|0.29877650| PASSED
sts_serial| 12| 100000| 100|0.24859530| PASSED
sts_serial| 12| 100000| 100|0.81034323| PASSED
sts_serial| 13| 100000| 100|0.99155406| PASSED
sts_serial| 13| 100000| 100|0.55976197| PASSED
sts_serial| 14| 100000| 100|0.16865694| PASSED
sts_serial| 14| 100000| 100|0.96660456| PASSED
sts_serial| 15| 100000| 100|0.33516389| PASSED
sts_serial| 15| 100000| 100|0.43480960| PASSED
sts_serial| 16| 100000| 100|0.51657567| PASSED
sts_serial| 16| 100000| 100|0.22794651| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 1| 100000| 100|0.48356407| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 2| 100000| 100|0.45336065| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 3| 100000| 100|0.21549248| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 4| 100000| 100|0.56386129| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 5| 100000| 100|0.78347674| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 6| 100000| 100|0.72171089| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 7| 100000| 100|0.28666364| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 8| 100000| 100|0.69816204| PASSED
# The file file_input_raw was rewound 1 times
rgb_bitdist| 9| 100000| 100|0.94185004| PASSED
# The file file_input_raw was rewound 2 times
rgb_bitdist| 10| 100000| 100|0.60541589| PASSED
# The file file_input_raw was rewound 2 times
rgb_bitdist| 11| 100000| 100|0.81381574| PASSED
# The file file_input_raw was rewound 2 times
rgb_bitdist| 12| 100000| 100|0.53311366| PASSED
# The file file_input_raw was rewound 2 times
rgb_minimum_distance| 2| 10000| 1000|0.0000000| FAILED
# The file file_input_raw was rewound 2 times
rgb_minimum_distance| 3| 10000| 1000|0.0000000| FAILED
# The file file_input_raw was rewound 2 times
rgb_minimum_distance| 4| 10000| 1000|0.0000000| FAILED
# The file file_input_raw was rewound 2 times
rgb_minimum_distance| 5| 10000| 1000|0.0000000| FAILED
# =====
# The file file_input_raw was rewound 2 times
rgb_permutations| 2| 100000| 100|0.73336523| PASSED
# The file file_input_raw was rewound 2 times
rgb_permutations| 3| 100000| 100|0.82606740| PASSED
# The file file_input_raw was rewound 2 times
rgb_permutations| 4| 100000| 100|0.0000000| FAILED
# The file file_input_raw was rewound 2 times
rgb_permutations| 5| 100000| 100|0.00337297| WEAK
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 0| 100000| 100|0.64322569| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 1| 100000| 100|0.02826583| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 2| 100000| 100|0.90219007| PASSED
# The file file_input_raw was rewound 2 times
rgb_lagged_sum| 3| 100000| 100|0.25457285| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 4| 100000| 100|0.18789036| PASSED
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 5| 100000| 100|0.00082239| WEAK
# The file file_input_raw was rewound 3 times
rgb_lagged_sum| 6| 100000| 100|0.44079496| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 7| 100000| 100|0.45587344| PASSED
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 8| 100000| 100|0.00005248| WEAK
# The file file_input_raw was rewound 4 times
rgb_lagged_sum| 9| 100000| 100|0.98194500| PASSED
# The file file_input_raw was rewound 5 times
rgb_lagged_sum| 10| 100000| 100|0.11951291| PASSED
# The file file_input_raw was rewound 6 times
rgb_lagged_sum| 11| 100000| 100|0.47324090| PASSED
# The file file_input_raw was rewound 6 times
rgb_lagged_sum| 12| 100000| 100|0.44851596| PASSED
# The file file_input_raw was rewound 7 times
rgb_lagged_sum| 13| 100000| 100|0.32777018| PASSED
# The file file_input_raw was rewound 7 times
rgb_lagged_sum| 14| 100000| 100|0.19408335| PASSED
# The file file_input_raw was rewound 8 times
rgb_lagged_sum| 15| 100000| 100|0.75708162| PASSED
# The file file_input_raw was rewound 9 times
rgb_lagged_sum| 16| 100000| 100|0.12558499| PASSED
# The file file_input_raw was rewound 10 times
rgb_lagged_sum| 17| 100000| 100|0.55439223| PASSED
# The file file_input_raw was rewound 11 times
rgb_lagged_sum| 18| 100000| 100|0.60240772| PASSED
# The file file_input_raw was rewound 12 times
rgb_lagged_sum| 19| 100000| 100|0.38380537| PASSED
# The file file_input_raw was rewound 13 times
rgb_lagged_sum| 20| 100000| 100|0.27915302| PASSED
# The file file_input_raw was rewound 14 times
rgb_lagged_sum| 21| 100000| 100|0.22112737| PASSED
# The file file_input_raw was rewound 15 times
rgb_lagged_sum| 22| 100000| 100|0.04745693| PASSED
# The file file_input_raw was rewound 16 times
rgb_lagged_sum| 23| 100000| 100|0.27223974| PASSED
# The file file_input_raw was rewound 17 times
rgb_lagged_sum| 24| 100000| 100|0.11919993| PASSED
# The file file_input_raw was rewound 18 times
rgb_lagged_sum| 25| 100000| 100|0.22019615| PASSED
# The file file_input_raw was rewound 19 times
rgb_lagged_sum| 26| 100000| 100|0.26953135| PASSED
# The file file_input_raw was rewound 21 times
rgb_lagged_sum| 27| 100000| 100|0.19221811| PASSED
# The file file_input_raw was rewound 22 times
rgb_lagged_sum| 28| 100000| 100|0.01594772| PASSED
# The file file_input_raw was rewound 24 times
rgb_lagged_sum| 29| 100000| 100|0.16044572| PASSED
# The file file_input_raw was rewound 25 times
rgb_lagged_sum| 30| 100000| 100|0.06566754| PASSED
# The file file_input_raw was rewound 26 times
rgb_lagged_sum| 31| 100000| 100|0.77148753| PASSED
# The file file_input_raw was rewound 28 times
rgb_lagged_sum| 32| 100000| 100|0.01000619| PASSED
# The file file_input_raw was rewound 28 times
rgb_kstest| 0| 10000| 1000|0.14503882| PASSED
# The file file_input_raw was rewound 28 times
dab_bytedistrib| 0| 51200000| 1|0.30909317| PASSED
# The file file_input_raw was rewound 28 times
dab_dct| 256| 50000| 1|0.27828998| PASSED
Preparing to run test 207. ntuple = 0
# The file file_input_raw was rewound 28 times
dab_filltree| 32| 15000000| 1|0.92962929| PASSED
dab_filltree| 32| 15000000| 1|0.74063832| PASSED
Preparing to run test 208. ntuple = 0
# The file file_input_raw was rewound 28 times
dab_filltree2| 0| 5000000| 1|0.89512611| PASSED
dab_filltree2| 1| 5000000| 1|0.90512783| PASSED
Preparing to run test 209. ntuple = 0
# The file file_input_raw was rewound 28 times
dab_monobit2| 12| 6500000| 1|1.00000000| FAILED
```

ANNEX XVIII - DIFFERENTIAL TEST SHA3-512

ANNEX XIX - SOURCE-COMPLETE CODE OF HASH VIKTORIA FUNCTION

```
/*
-----  
          VIKTORIA++ HASH  
-----  
Designer and developer..: Edimar Verissimo  
Last modified.....: 22/02/2020  
-----  
SOURCE CODE COMPILED WITH:  
  gcc (Ubuntu 7.4.0-1ubuntu1~18.04.1) 7.4.0  
  Copyright (C) 2017 Free Software Foundation, Inc.  
  This is free software; see the source for copying conditions. There is NO  
  warranty; not even for MERCHANTABILITY or FITNESS FOR A PARTICULAR PURPOSE.  
-----  
This work is dedicated exclusively in memory of Viktoria Tkotz.  
-----*/  
  
#include <ctype.h>  
#include <sys/time.h>  
#include <fcntl.h>  
#include <math.h>  
#include <string.h>  
#include <stdio.h>  
#include <stdlib.h>  
  
// DECLARATION OF GLOBAL VARIABLES:  
FILE *p1;  
unsigned char BLOCK[64], BLOCK_TMP[64]; // Processing blocks  
unsigned long long int tamano; // 64-bit unsigned variable representing file size  
unsigned char PERMUTACAO[7920][4]; // Switching prime numbers {2, 3, ..., 31} to rotation  
unsigned int BINARIO[32]; // Binary vector  
unsigned char T1[256] =  
{204, 193, 96, 10, 100, 208, 104, 212, 109, 52, 70, 95, 108, 99, 103, 11,  
107, 98, 102, 106, 118, 22, 122, 111, 130, 1, 154, 162, 166, 115, 186, 198,  
119, 238, 250, 123, 30, 127, 216, 131, 61, 135, 14, 139, 143, 147, 151, 112,  
220, 54, 155, 57, 159, 60, 163, 167, 63, 17, 171, 69, 205, 175, 7, 179,  
75, 183, 187, 116, 191, 97, 165, 2, 195, 20, 90, 199, 88, 203, 207, 211,  
133, 215, 225, 224, 43, 219, 79, 223, 120, 227, 23, 231, 235, 153, 185, 239,  
0, 243, 247, 251, 228, 26, 255, 124, 29, 232, 128, 121, 141, 32, 13, 114,  
217, 12, 34, 142, 18, 190, 132, 33, 236, 48, 35, 240, 249, 136, 38, 72,  
84, 244, 237, 25, 41, 177, 4, 248, 140, 44, 64, 73, 144, 47, 252, 148,  
101, 50, 197, 46, 152, 53, 113, 145, 82, 91, 156, 56, 16, 55, 160, 157,  
37, 59, 221, 164, 6, 62, 169, 209, 65, 168, 229, 68, 28, 172, 9, 110,  
189, 241, 134, 158, 170, 178, 182, 194, 21, 202, 206, 218, 226, 234, 242, 254,  
27, 71, 253, 176, 67, 76, 5, 74, 125, 180, 87, 49, 77, 93, 184, 137,  
19, 85, 80, 181, 8, 83, 188, 105, 149, 58, 86, 192, 213, 40, 126, 138,  
146, 150, 15, 174, 94, 210, 214, 222, 230, 24, 246, 117, 3, 201, 233, 245,  
31, 196, 36, 89, 39, 42, 45, 51, 66, 129, 161, 92, 78, 81, 200, 173 };  
unsigned char T2[256] =  
{240, 49, 145, 148, 52, 244, 152, 193, 56, 248, 41, 229, 241, 156, 137, 157,  
165, 252, 60, 6, 14, 50, 66, 21, 74, 77, 114, 118, 160, 222, 226, 234,  
242, 250, 97, 109, 64, 164, 9, 69, 149, 185, 213, 68, 168, 129, 3, 72,
```

```

7, 172, 11, 15, 19, 23, 177, 27, 31, 35, 39, 43, 47, 176, 51, 55,
76, 59, 141, 63, 67, 71, 2, 10, 18, 26, 46, 75, 80, 62, 33, 79,
89, 121, 106, 83, 110, 126, 130, 142, 146, 87, 170, 174, 182, 186, 190, 194,
91, 206, 210, 214, 218, 95, 254, 99, 103, 180, 107, 111, 115, 84, 119, 61,
123, 127, 131, 135, 139, 1, 205, 143, 147, 151, 155, 184, 53, 88, 159, 101,
169, 163, 167, 171, 175, 81, 179, 233, 183, 187, 191, 188, 195, 199, 203, 92,
207, 211, 215, 197, 253, 219, 223, 227, 25, 231, 192, 235, 239, 243, 247, 96,
251, 245, 255, 196, 0, 161, 100, 4, 104, 45, 189, 200, 73, 113, 217, 37,
108, 225, 8, 13, 133, 181, 209, 204, 112, 208, 12, 93, 16, 116, 212, 20,
173, 120, 30, 34, 42, 85, 82, 153, 237, 98, 102, 134, 138, 150, 24, 158,
162, 166, 178, 202, 238, 216, 124, 28, 5, 220, 125, 105, 32, 128, 224, 57,
132, 36, 65, 17, 40, 228, 136, 29, 201, 22, 38, 140, 54, 58, 70, 78,
86, 90, 94, 232, 122, 154, 198, 230, 246, 44, 236, 117, 144, 221, 249, 48 };

// DECLARATION OF FUNCTIONS:
unsigned long long int verify_size(); // See the size of a file
void read_block(); // Reads 512 bits of the file
void rotate_block(unsigned int palavras[]); // Rotates a 128-bit set of a complete block.
void permutation_block(register unsigned char tipo); // Switches in a 64-byte group
void mixword(); // 512-bit block mixing function
// Main Body of Code:
void processing(char nome_arquivo[], char numbits_string[], char valuebits_string[]);
void start_maps(char nome_arquivo[]); // Initiates the map tables according to the file
// Creates the header containing information about the size of the file:
void header_archive(unsigned long long int tamanho_arquivo, unsigned char numbits, unsigned char valuebits);
void control_bytes_null(unsigned long long int tamanho_arquivo); // Control for file size that is not a multiple of 64 bytes
void reset_maps(); // Initializes swap tables T1 and T2
void finalizes(); // Latest Processing Routine
void mixword_final(); // mixword() function with more security features
void calculate_permutations(); // Calculates 7920 number combinations
unsigned int* permutation_binary_128(unsigned int palavras[], unsigned int* wpalavra ); // 128-bit binary exchange
void permutation_binary_512(); // 512-bit binary exchange
// Rotates a 128-bit set of a complete block.
void rotate_block2(register unsigned int p0, register unsigned int p1, register unsigned int p2, register unsigned int p3);

// PSEUDO-FUNCTION DEFINITIONS:
#define TRAN32(x,y,w,z) ((x << 24) ^ (y << 16) ^ (w << 8) ^ z )
#define TRAN32B(x1,x2,y1,y2,w1,w2,z1,z2) (((x1^x2) << 24) ^ ((y1^y2) << 16) ^ ((w1^w2) << 8) ^ z1 ^ z2 )
#define TRAN32M1(x,y,w,z) ((T1[x] << 24) ^ (T1[y] << 16) ^ (T1[w] << 8) ^ T1[z] )
#define TRAN32M2(x,y,w,z) ((T2[x] << 24) ^ (T2[y] << 16) ^ (T2[w] << 8) ^ T2[z] )
#define ROTL32(x, y) (((x) << (y)) | ((x) >> (32 - (y)))) // Optimized rotation routine

/*-----*
MAIN BODY
-----*/
void main(int argc, char *argv[ ] ) {
    register unsigned int ct, size_hash,ct2,control_perm=0;

    // Call for file processing:
    processing(argv[1], argv[3], argv[4]); // The argument is the file name and then non-binary message controls numbits + valuebits!!!

    // hash control greater than 512 bits -> 1 = 512, 2 = 1024, 3 = 1536, 4 = 2048, etc..
    if (argc[2] == NULL){

```

```

        size_hash = 1;
    } else {
        size_hash = atoi(argv[2]);
    }

    // Routine to present hash on file
    printf("\n");
    for(ct=0;ct<64;ct++) {
        if(BLOCK[ct]>=16) {
            printf("%x",BLOCK[ct]);
        } else {
            printf("0%x",BLOCK[ct]);
        }
    }

    // Control for hash greater than 512 bits, generating larger sized hashes
    for (ct=1;ct<size_hash;ct++){
        permutation_binary_512();
        mixword_final();
        permutation_block(control_perm);
        mixword_final();
        finalizes();

        control_perm++;
        if(control_perm > 7){
            control_perm = 0;
        }

        for(ct2=0;ct2<64;ct2++) {
            if(BLOCK[ct2]>=16) {
                printf("%x",BLOCK[ct2]);
            } else {
                printf("0%x",BLOCK[ct2]);
            }
        }
    }

    printf("\n");
}

/*
-----FILE PROCESSING FUNCTION-----
-----*/
void processing(char nome_arquivo[], char numbits_string[], char valuebits_string[]){
    register unsigned long long int ct;
    register unsigned char control_perm = 0;
    register unsigned int ct2;
    unsigned int size_hash = 1;
    unsigned char numbits, valuebits;

    // Control to check non-binary messages (parameters 3 and 4)
    // Parameter 3: quantities of bits to include in the file:

```

```

if (numbits_string == NULL) {
    numbits = 0;
} else {
    numbits = atoi(numbits_string);
}

// Parameter 4: Byte that indicates the value of the included bits:
if (valuebits_string == NULL) {
    valuebits = 0;
} else {
    valuebits = atoi(valuebits_string);
}

// Starting the file reading block and the temporary block
for(ct=0;ct<64;ct++) {
    BLOCK[ct]=0;
    BLOCK_TMP[ct]=0;
}

// Calculating auxiliary functions
calculate_permutations();
reset_maps();
start_maps(nome_arquivo);

// Calculating the required powers of 2
BINARIO[0] = 1;
for (ct=1;ct<32;ct++) {
    BINARIO[ct] = BINARIO[ct-1] * 2;
}

// Opening the file
if( (pl=fopen(nome_arquivo,"rb"))==NULL ) { // always use "rb" to open file
    printf("\nThe file cannot be opened!\n");
    exit(1);
}

// Reading the file size:
tamanho = verify_size();

// Processing the header_archive with file size information.
header_archive(tamanho, numbits, valuebits);

// Null byte control for a non-multiple size file of 64
control_bytes_null(tamanho);

control_perm = 0; // Auxiliary variable to control byte exchange

for(ct=0;ct<tamanho;ct=ct+64){

    read_block();
    mixword();
    permutation_block(control_perm);
}

```

```

control_perm++;
if(control_perm > 7){
    control_perm = 0;
}

}

mixword_final();
finalizes();

fflush(p1);
fclose(p1);

}

/*-----
NULL BYTE CONTROL TO COMPLETE FILE SIZE THAT IS NOT A MULTIPLE OF 64
-----*/
void control_bytes_null(unsigned long long int tamanho_arquivo){
    register unsigned int ct;
    register unsigned char quant_bytes;
    unsigned char read_block;

    for(ct=0;ct<64;ct++){
        BLOCK_TMP[ct] = 0;
    }

    if (tamanho_arquivo % 64 != 0){
        quant_bytes = (tamanho_arquivo % 64);
        tamanho = tamanho - quant_bytes; // Recalculating file size

        for(ct=0;ct<quant_bytes;ct++){
            fread(&read_block,sizeof(read_block),1,p1);
            BLOCK_TMP[ct]=T1[read_block];
        }
    }

    BLOCK_TMP[63] = (64 - (tamanho_arquivo % 64)) % 64; // Number of null bytes considered

    for(ct=0;ct<64;ct++){
        BLOCK[ct] = BLOCK[ct] ^ BLOCK_TMP[ct]; // XOR with data from previous BLOCK
    }

    // Doing the block processing (processing in 16 times)
    for(ct=0;ct<16;ct++){
        mixword();
        permutation_binary_512();
    }
}

/*-----
FUNCTION TO CREATE THE INITIAL CONTROL BLOCK WITH INFORMATION ABOUT THE FILE SIZE
-----*/

```

```

-----*/
void header_archive(unsigned long long int tamanho_arquivo, unsigned char numbits, unsigned char valuebits){
    register unsigned int ct;
    unsigned long long int potencia[8],resultado[8];
    register unsigned int posic;

    for(ct=0;ct<8;ct++){
        resultado[ct]=0;
    }

    // Powers to manage file size:
    potencia[0] = 1;
    potencia[1] = 256;
    potencia[2] = 65536;
    potencia[3] = 16777216;
    potencia[4] = 4294967296;
    potencia[5] = pow(256,5);
    potencia[6] = pow(256,6);
    potencia[7] = pow(256,7);

    // File header management:
    BLOCK[0] = 255;           // Fixed byte
    BLOCK[1] = tamanho_arquivo % 64; // File size in MOD 64 bytes
    BLOCK[2] = numbits;        // Amount of surplus bits (0 to 7)
    BLOCK[3] = valuebits;      // Byte (7 bits) representing the surplus bits (final bits are reset to the left)

    // Area for file size (Maximum 2^480 bytes)
    for(ct=4;ct<56;ct++){
        BLOCK[ct] = 0;
    }

    // Turning the size into a grade 7 polymer (in a real implementation should take into account larger file sizes):
    posic=7;
    for(;;){
        if (tamanho_arquivo >= potencia[posic]){
            resultado[posic]++;
            tamanho_arquivo = tamanho_arquivo - potencia[posic];
        } else {
            --posic;
        }
        if (tamanho_arquivo==0){
            break;
        }
    }

    // Placing the information in the block
    posic=7;
    for(ct=56;ct<64;ct++){
        BLOCK[ct]=resultado[posic];
        --posic;
    }

    // Doing the processing of the header block (Switches in 16 times)
}

```

```

        for(ct=0;ct<16;ct++){
            mixword();
            permutation_binary_512();
        }
    }

/*
-----512-BIT BLOCK MIXING FUNCTION (main processing function)-----
*/
void mixword(){
    register unsigned char round=0, ct;
    register unsigned int tmp;
    register unsigned int p0, p1, p2, p3;

    for(round=0;round<16;round++){

        if (round % 4 == 0) {
            p0 = (TRAN32B(BLOCK[0],BLOCK[16], BLOCK[4],BLOCK[21], BLOCK[8],BLOCK[26] , BLOCK[12],BLOCK[31]) + TRAN32M1(BLOCK[32], BLOCK[38],
BLOCK[40],BLOCK[46]))^ TRAN32M2(BLOCK[48], BLOCK[55], BLOCK[58], BLOCK[61]);
            p1 = (TRAN32B(BLOCK[1],BLOCK[17], BLOCK[5],BLOCK[22], BLOCK[9],BLOCK[27] , BLOCK[13],BLOCK[28]) + TRAN32M1(BLOCK[33], BLOCK[39],
BLOCK[41],BLOCK[47]))^ TRAN32M2(BLOCK[49], BLOCK[52], BLOCK[59], BLOCK[62]);
            p2 = (TRAN32B(BLOCK[2],BLOCK[18], BLOCK[6],BLOCK[23], BLOCK[10],BLOCK[24] , BLOCK[14],BLOCK[29]) + TRAN32M1(BLOCK[34], BLOCK[36],
BLOCK[42],BLOCK[44]))^ TRAN32M2(BLOCK[50], BLOCK[53], BLOCK[56], BLOCK[63]);
            p3 = (TRAN32B(BLOCK[3],BLOCK[19], BLOCK[7],BLOCK[20], BLOCK[11],BLOCK[25] , BLOCK[15],BLOCK[30]) + TRAN32M1(BLOCK[35], BLOCK[37],
BLOCK[43],BLOCK[45]))^ TRAN32M2(BLOCK[51], BLOCK[54], BLOCK[57], BLOCK[60]));
        } else if (round % 4 == 1) {
            p0 = (TRAN32B(BLOCK[4],BLOCK[16], BLOCK[8],BLOCK[21], BLOCK[12],BLOCK[26] , BLOCK[0],BLOCK[31]) + TRAN32M1(BLOCK[32], BLOCK[38],
BLOCK[40],BLOCK[46]))^ TRAN32M2(BLOCK[48], BLOCK[55], BLOCK[58], BLOCK[61]);
            p1 = (TRAN32B(BLOCK[5],BLOCK[17], BLOCK[9],BLOCK[22], BLOCK[13],BLOCK[27] , BLOCK[1],BLOCK[28])+ TRAN32M1(BLOCK[33], BLOCK[39],
BLOCK[41],BLOCK[47])) ^ TRAN32M2(BLOCK[49], BLOCK[52], BLOCK[59], BLOCK[62]);
            p2 = (TRAN32B(BLOCK[6],BLOCK[18], BLOCK[10],BLOCK[23], BLOCK[14],BLOCK[24] , BLOCK[2],BLOCK[29]) + TRAN32M1(BLOCK[34], BLOCK[36],
BLOCK[42],BLOCK[44]))^ TRAN32M2(BLOCK[50], BLOCK[53], BLOCK[56], BLOCK[63]);
            p3 = (TRAN32B(BLOCK[7],BLOCK[19], BLOCK[11],BLOCK[20], BLOCK[15],BLOCK[25] , BLOCK[3],BLOCK[30]) + TRAN32M1(BLOCK[35], BLOCK[37],
BLOCK[43],BLOCK[45]))^ TRAN32M2(BLOCK[51], BLOCK[54], BLOCK[57], BLOCK[60]);
        } else if (round % 4 == 2) {
            p0 = (TRAN32B(BLOCK[8],BLOCK[16], BLOCK[12],BLOCK[21] , BLOCK[0],BLOCK[26], BLOCK[4],BLOCK[31]) + TRAN32M1(BLOCK[32], BLOCK[38],
BLOCK[40],BLOCK[46]))^ TRAN32M2(BLOCK[48], BLOCK[55], BLOCK[58], BLOCK[61]);
            p1 = (TRAN32B(BLOCK[9],BLOCK[17], BLOCK[13],BLOCK[22], BLOCK[1],BLOCK[27], BLOCK[5],BLOCK[28])+ TRAN32M1(BLOCK[33], BLOCK[39],
BLOCK[41],BLOCK[47])) ^ TRAN32M2(BLOCK[49], BLOCK[52], BLOCK[59], BLOCK[62]);
            p2 = (TRAN32B(BLOCK[10],BLOCK[18], BLOCK[14],BLOCK[23], BLOCK[2],BLOCK[24] , BLOCK[6],BLOCK[29]) + TRAN32M1(BLOCK[34], BLOCK[36],
BLOCK[42],BLOCK[44]))^ TRAN32M2(BLOCK[50], BLOCK[53], BLOCK[56], BLOCK[63]);
            p3 = (TRAN32B(BLOCK[11],BLOCK[19], BLOCK[15],BLOCK[20], BLOCK[3],BLOCK[25] , BLOCK[7],BLOCK[30])+ TRAN32M1(BLOCK[35], BLOCK[37],
BLOCK[43],BLOCK[45])) ^ TRAN32M2(BLOCK[51], BLOCK[54], BLOCK[57], BLOCK[60]);
        } else if (round % 4 == 3) {
            p0 = (TRAN32B(BLOCK[12],BLOCK[16] , BLOCK[0],BLOCK[21], BLOCK[4],BLOCK[26], BLOCK[8],BLOCK[31]) + TRAN32M1(BLOCK[32], BLOCK[38],
BLOCK[40],BLOCK[46]))^ TRAN32M2(BLOCK[48], BLOCK[55], BLOCK[58], BLOCK[61]);
            p1 = (TRAN32B(BLOCK[13],BLOCK[17] , BLOCK[1],BLOCK[22], BLOCK[5],BLOCK[27], BLOCK[9],BLOCK[28])+ TRAN32M1(BLOCK[33], BLOCK[39],
BLOCK[41],BLOCK[47])) ^ TRAN32M2(BLOCK[49], BLOCK[52], BLOCK[59], BLOCK[62]);
            p2 = (TRAN32B(BLOCK[14],BLOCK[18] , BLOCK[2],BLOCK[23], BLOCK[6],BLOCK[24], BLOCK[10],BLOCK[29])+TRAN32M1(BLOCK[34], BLOCK[36],
BLOCK[42],BLOCK[44])) ^ TRAN32M2(BLOCK[50], BLOCK[53], BLOCK[56], BLOCK[63]);
            p3 = (TRAN32B(BLOCK[15],BLOCK[19] , BLOCK[3],BLOCK[20], BLOCK[7],BLOCK[25], BLOCK[11],BLOCK[30])+ TRAN32M1(BLOCK[35], BLOCK[37],
BLOCK[43],BLOCK[45])) ^ TRAN32M2(BLOCK[51], BLOCK[54], BLOCK[57], BLOCK[60]);
        }
    }
}

```

```

// Modifying the T1 swap table
tmp = T1[ T2[ BLOCK[48] ] ];
T1[ T2[ BLOCK[48] ] ] = T1[ T2[ BLOCK[55] ] ];
T1[ T2[ BLOCK[55] ] ] = T1[ T2[ BLOCK[58] ] ];
T1[ T2[ BLOCK[58] ] ] = T1[ T2[ BLOCK[61] ] ];
T1[ T2[ BLOCK[61] ] ] = T1[ T2[ BLOCK[49] ] ];

T1[ T2[ BLOCK[49] ] ] = T1[ T2[ BLOCK[52] ] ];
T1[ T2[ BLOCK[52] ] ] = T1[ T2[ BLOCK[59] ] ];
T1[ T2[ BLOCK[59] ] ] = T1[ T2[ BLOCK[62] ] ];
T1[ T2[ BLOCK[62] ] ] = T1[ T2[ BLOCK[50] ] ];

T1[ T2[ BLOCK[50] ] ] = T1[ T2[ BLOCK[53] ] ];
T1[ T2[ BLOCK[53] ] ] = T1[ T2[ BLOCK[56] ] ];
T1[ T2[ BLOCK[56] ] ] = T1[ T2[ BLOCK[63] ] ];
T1[ T2[ BLOCK[63] ] ] = T1[ T2[ BLOCK[51] ] ];

T1[ T2[ BLOCK[51] ] ] = T1[ T2[ BLOCK[54] ] ];
T1[ T2[ BLOCK[54] ] ] = T1[ T2[ BLOCK[57] ] ];
T1[ T2[ BLOCK[57] ] ] = T1[ T2[ BLOCK[60] ] ];
T1[ T2[ BLOCK[60] ] ] = tmp;

// Modifying the T2 swap table
tmp = T2[ T1[ BLOCK[32] ] ];
T2[ T1[ BLOCK[32] ] ] = T2[ T1[ BLOCK[38] ] ];
T2[ T1[ BLOCK[38] ] ] = T2[ T1[ BLOCK[40] ] ];
T2[ T1[ BLOCK[40] ] ] = T2[ T1[ BLOCK[46] ] ];
T2[ T1[ BLOCK[46] ] ] = T2[ T1[ BLOCK[33] ] ];

T2[ T1[ BLOCK[33] ] ] = T2[ T1[ BLOCK[39] ] ];
T2[ T1[ BLOCK[39] ] ] = T2[ T1[ BLOCK[41] ] ];
T2[ T1[ BLOCK[41] ] ] = T2[ T1[ BLOCK[47] ] ];
T2[ T1[ BLOCK[47] ] ] = T2[ T1[ BLOCK[34] ] ];

T2[ T1[ BLOCK[34] ] ] = T2[ T1[ BLOCK[36] ] ];
T2[ T1[ BLOCK[36] ] ] = T2[ T1[ BLOCK[42] ] ];
T2[ T1[ BLOCK[42] ] ] = T2[ T1[ BLOCK[44] ] ];
T2[ T1[ BLOCK[44] ] ] = T2[ T1[ BLOCK[35] ] ];

T2[ T1[ BLOCK[35] ] ] = T2[ T1[ BLOCK[37] ] ];
T2[ T1[ BLOCK[37] ] ] = T2[ T1[ BLOCK[43] ] ];
T2[ T1[ BLOCK[43] ] ] = T2[ T1[ BLOCK[45] ] ];
T2[ T1[ BLOCK[45] ] ] = tmp;

// Diffusion of words
p0 ^= (ROTL32(~p1,13) ^ ROTL32(p2,3)) + ROTL32(~p3,27);
p1 += (ROTL32(p0,14) ^ ROTL32(~p2,11)) + ROTL32(p3,26);
p2 ^= (ROTL32(~p0,9) ^ ROTL32(p1,20)) + ROTL32(~p3,28);
p3 += (ROTL32(p0,17) ^ ROTL32(~p1,2)) + ROTL32(p2,1);

p0 ^= (ROTL32(~p1,25) ^ ROTL32(p2,7)) + ROTL32(~p3,18);
p1 += (ROTL32(p0,10) ^ ROTL32(~p2,8)) + ROTL32(p3,23);

```

```

p2 ^= (ROTL32(~p0,15) ^ ROTL32(p1,31)) + ROTL32(~p3,29);
p3 += (ROTL32(p0,30) ^ ROTL32(~p1,16)) + ROTL32(p2,21);

p0 ^= (ROTL32(~p1,19) ^ ROTL32(p2,24)) + ROTL32(~p3,12);
p1 += (ROTL32(p0,22) ^ ROTL32(~p2,4)) + ROTL32(p3,6);
p2 ^= (ROTL32(~p0,5) ^ ROTL32(p1,8)) + ROTL32(~p3,13);
p3 += (ROTL32(p0,14) ^ ROTL32(~p1,24)) + ROTL32(p2,20);

// Rotating the subblocks
rotate_block2(p0,p1,p2,p3);
}

/*
-----READS A 512-BIT BLOCK FROM THE FILE BEING PROCESSED.
-----*/
void read_block() {
    unsigned char read_block[64];
    register unsigned char ct;

    // Reading 64 bytes of the file
    fread(&read_block,sizeof(read_block),1,p1);

    // XOR with data from the previous block
    // We eliminate the FOR to gain processing speed
    BLOCK[ 0] ^= T1[read_block[ 0]];
    BLOCK[ 1] ^= T1[read_block[ 1]];
    BLOCK[ 2] ^= T1[read_block[ 2]];
    BLOCK[ 3] ^= T1[read_block[ 3]];
    BLOCK[ 4] ^= T1[read_block[ 4]];
    BLOCK[ 5] ^= T1[read_block[ 5]];
    BLOCK[ 6] ^= T1[read_block[ 6]];
    BLOCK[ 7] ^= T1[read_block[ 7]];
    BLOCK[ 8] ^= T1[read_block[ 8]];
    BLOCK[ 9] ^= T1[read_block[ 9]];
    BLOCK[10] ^= T1[read_block[10]];
    BLOCK[11] ^= T1[read_block[11]];
    BLOCK[12] ^= T1[read_block[12]];
    BLOCK[13] ^= T1[read_block[13]];
    BLOCK[14] ^= T1[read_block[14]];
    BLOCK[15] ^= T1[read_block[15]];

    BLOCK[16] ^= T1[read_block[16]];
    BLOCK[17] ^= T1[read_block[17]];
    BLOCK[18] ^= T1[read_block[18]];
    BLOCK[19] ^= T1[read_block[19]];
    BLOCK[20] ^= T1[read_block[20]];
    BLOCK[21] ^= T1[read_block[21]];
    BLOCK[22] ^= T1[read_block[22]];
    BLOCK[23] ^= T1[read_block[23]];
    BLOCK[24] ^= T1[read_block[24]];
    BLOCK[25] ^= T1[read_block[25]];
    BLOCK[26] ^= T1[read_block[26]];
}

```

```

BLOCK[27] ^= T1[read_block[27]];
BLOCK[28] ^= T1[read_block[28]];
BLOCK[29] ^= T1[read_block[29]];
BLOCK[30] ^= T1[read_block[30]];
BLOCK[31] ^= T1[read_block[31]];

BLOCK[32] ^= T1[read_block[32]];
BLOCK[33] ^= T1[read_block[33]];
BLOCK[34] ^= T1[read_block[34]];
BLOCK[35] ^= T1[read_block[35]];
BLOCK[36] ^= T1[read_block[36]];
BLOCK[37] ^= T1[read_block[37]];
BLOCK[38] ^= T1[read_block[38]];
BLOCK[39] ^= T1[read_block[39]];
BLOCK[40] ^= T1[read_block[40]];
BLOCK[41] ^= T1[read_block[41]];
BLOCK[42] ^= T1[read_block[42]];
BLOCK[43] ^= T1[read_block[43]];
BLOCK[44] ^= T1[read_block[44]];
BLOCK[45] ^= T1[read_block[45]];
BLOCK[46] ^= T1[read_block[46]];
BLOCK[47] ^= T1[read_block[47]];

BLOCK[48] ^= T1[read_block[48]];
BLOCK[49] ^= T1[read_block[49]];
BLOCK[50] ^= T1[read_block[50]];
BLOCK[51] ^= T1[read_block[51]];
BLOCK[52] ^= T1[read_block[52]];
BLOCK[53] ^= T1[read_block[53]];
BLOCK[54] ^= T1[read_block[54]];
BLOCK[55] ^= T1[read_block[55]];
BLOCK[56] ^= T1[read_block[56]];
BLOCK[57] ^= T1[read_block[57]];
BLOCK[58] ^= T1[read_block[58]];
BLOCK[59] ^= T1[read_block[59]];
BLOCK[60] ^= T1[read_block[60]];
BLOCK[61] ^= T1[read_block[61]];
BLOCK[62] ^= T1[read_block[62]];
BLOCK[63] ^= T1[read_block[63]];
}

/*
-----*
PERMUTATION OF THE 64 BYTES OF BLOCK
-----*/
void permutation_block(register unsigned char tipo) {
    register unsigned int ct;
    unsigned int posic;

    // Reordering the 64 bytes of block
    posic=0;

    switch(tipo) {
        case 0:

```

```

for(ct=0;ct<256;ct++){
    if (T2[ct] < 64){
        BLOCK_TMP[posic] = BLOCK[T2[ct]];
        posic++;
        if (posic > 63){
            break;
        }
    }
}
break;

case 1:
for(ct=0;ct<256;ct++){
    if (T2[ct] >= 64 & T2[ct] < 128){
        BLOCK_TMP[posic] = BLOCK[T2[ct]%64];
        posic++;
        if (posic > 63){
            break;
        }
    }
}
break;

case 2:
for(ct=0;ct<256;ct++){
    if (T2[ct] >= 128 & T2[ct] < 192){
        BLOCK_TMP[posic] = BLOCK[T2[ct]%64];
        posic++;
        if (posic > 63){
            break;
        }
    }
}
break;

case 3:
for(ct=0;ct<256;ct++){
    if (T2[ct] >= 192){
        BLOCK_TMP[posic] = BLOCK[T2[ct]%64];
        posic++;
        if (posic > 63){
            break;
        }
    }
}
break;

case 4:
for(ct=0;ct<256;ct++){
    if (T1[ct] < 64){
        BLOCK_TMP[posic] = BLOCK[T1[ct]];
        posic++;
    }
}

```

```

        if (posic > 63) {
            break;
        }
    }
break;

case 5:
for(ct=0;ct<256;ct++) {
    if (T1[ct] >= 64 & T1[ct] < 128) {
        BLOCK_TMP[posic] = BLOCK[T1[ct]%64];
        posic++;
        if (posic > 63) {
            break;
        }
    }
}
break;

case 6:
for(ct=0;ct<256;ct++) {
    if (T1[ct] >= 128 & T1[ct] < 192) {
        BLOCK_TMP[posic] = BLOCK[T1[ct]%64];
        posic++;
        if (posic > 63) {
            break;
        }
    }
}
break;

case 7:
for(ct=0;ct<256;ct++) {
    if (T1[ct] >= 192) {
        BLOCK_TMP[posic] = BLOCK[T1[ct]%64];
        posic++;
        if (posic > 63) {
            break;
        }
    }
}
break;
}

// Forming the new block
// We eliminate FOR to gain speed
BLOCK[ 0] = BLOCK_TMP[ 0];
BLOCK[ 1] = BLOCK_TMP[ 1];
BLOCK[ 2] = BLOCK_TMP[ 2];
BLOCK[ 3] = BLOCK_TMP[ 3];
BLOCK[ 4] = BLOCK_TMP[ 4];
BLOCK[ 5] = BLOCK_TMP[ 5];
BLOCK[ 6] = BLOCK_TMP[ 6];

```

```
BLOCK[ 7] = BLOCK_TMP[ 7];
BLOCK[ 8] = BLOCK_TMP[ 8];
BLOCK[ 9] = BLOCK_TMP[ 9];
BLOCK[10] = BLOCK_TMP[10];
BLOCK[11] = BLOCK_TMP[11];
BLOCK[12] = BLOCK_TMP[12];
BLOCK[13] = BLOCK_TMP[13];
BLOCK[14] = BLOCK_TMP[14];
BLOCK[15] = BLOCK_TMP[15];
BLOCK[16] = BLOCK_TMP[16];
BLOCK[17] = BLOCK_TMP[17];
BLOCK[18] = BLOCK_TMP[18];
BLOCK[19] = BLOCK_TMP[19];
BLOCK[20] = BLOCK_TMP[20];
BLOCK[21] = BLOCK_TMP[21];
BLOCK[22] = BLOCK_TMP[22];
BLOCK[23] = BLOCK_TMP[23];
BLOCK[24] = BLOCK_TMP[24];
BLOCK[25] = BLOCK_TMP[25];
BLOCK[26] = BLOCK_TMP[26];
BLOCK[27] = BLOCK_TMP[27];
BLOCK[28] = BLOCK_TMP[28];
BLOCK[29] = BLOCK_TMP[29];
BLOCK[30] = BLOCK_TMP[30];
BLOCK[31] = BLOCK_TMP[31];
BLOCK[32] = BLOCK_TMP[32];
BLOCK[33] = BLOCK_TMP[33];
BLOCK[34] = BLOCK_TMP[34];
BLOCK[35] = BLOCK_TMP[35];
BLOCK[36] = BLOCK_TMP[36];
BLOCK[37] = BLOCK_TMP[37];
BLOCK[38] = BLOCK_TMP[38];
BLOCK[39] = BLOCK_TMP[39];
BLOCK[40] = BLOCK_TMP[40];
BLOCK[41] = BLOCK_TMP[41];
BLOCK[42] = BLOCK_TMP[42];
BLOCK[43] = BLOCK_TMP[43];
BLOCK[44] = BLOCK_TMP[44];
BLOCK[45] = BLOCK_TMP[45];
BLOCK[46] = BLOCK_TMP[46];
BLOCK[47] = BLOCK_TMP[47];
BLOCK[48] = BLOCK_TMP[48];
BLOCK[49] = BLOCK_TMP[49];
BLOCK[50] = BLOCK_TMP[50];
BLOCK[51] = BLOCK_TMP[51];
BLOCK[52] = BLOCK_TMP[52];
BLOCK[53] = BLOCK_TMP[53];
BLOCK[54] = BLOCK_TMP[54];
BLOCK[55] = BLOCK_TMP[55];
BLOCK[56] = BLOCK_TMP[56];
BLOCK[57] = BLOCK_TMP[57];
BLOCK[58] = BLOCK_TMP[58];
BLOCK[59] = BLOCK_TMP[59];
```

```

BLOCK[60] = BLOCK_TMP[60];
BLOCK[61] = BLOCK_TMP[61];
BLOCK[62] = BLOCK_TMP[62];
BLOCK[63] = BLOCK_TMP[63];
}

/*-----
ROTATES 512 BLOCK IN 128-BIT SUBBLOCKS (mixword_FINAL)
-----*/
void rotate_block(unsigned int palavras[]) {
    register unsigned int tmp;

    // We eliminate FOR to gain speed
    BLOCK[ 0] = BLOCK[16];
    BLOCK[ 1] = BLOCK[17];
    BLOCK[ 2] = BLOCK[18];
    BLOCK[ 3] = BLOCK[19];
    BLOCK[ 4] = BLOCK[20];
    BLOCK[ 5] = BLOCK[21];
    BLOCK[ 6] = BLOCK[22];
    BLOCK[ 7] = BLOCK[23];
    BLOCK[ 8] = BLOCK[24];
    BLOCK[ 9] = BLOCK[25];
    BLOCK[10] = BLOCK[26];
    BLOCK[11] = BLOCK[27];
    BLOCK[12] = BLOCK[28];
    BLOCK[13] = BLOCK[29];
    BLOCK[14] = BLOCK[30];
    BLOCK[15] = BLOCK[31];

    BLOCK[16] = BLOCK[32];
    BLOCK[17] = BLOCK[33];
    BLOCK[18] = BLOCK[34];
    BLOCK[19] = BLOCK[35];
    BLOCK[20] = BLOCK[36];
    BLOCK[21] = BLOCK[37];
    BLOCK[22] = BLOCK[38];
    BLOCK[23] = BLOCK[39];
    BLOCK[24] = BLOCK[40];
    BLOCK[25] = BLOCK[41];
    BLOCK[26] = BLOCK[42];
    BLOCK[27] = BLOCK[43];
    BLOCK[28] = BLOCK[44];
    BLOCK[29] = BLOCK[45];
    BLOCK[30] = BLOCK[46];
    BLOCK[31] = BLOCK[47];

    BLOCK[32] = BLOCK[48];
    BLOCK[33] = BLOCK[49];
    BLOCK[34] = BLOCK[50];
    BLOCK[35] = BLOCK[51];
    BLOCK[36] = BLOCK[52];
    BLOCK[37] = BLOCK[53];

```

```

BLOCK[38] = BLOCK[54];
BLOCK[39] = BLOCK[55];
BLOCK[40] = BLOCK[56];
BLOCK[41] = BLOCK[57];
BLOCK[42] = BLOCK[58];
BLOCK[43] = BLOCK[59];
BLOCK[44] = BLOCK[60];
BLOCK[45] = BLOCK[61];
BLOCK[46] = BLOCK[62];
BLOCK[47] = BLOCK[63];

tmp = palavras[0];
BLOCK[48] = T1[(unsigned char)(tmp >> 24)];
BLOCK[49] = T1[(unsigned char)((tmp >> 16) & 255) +1];
BLOCK[50] = T1[(unsigned char)((tmp >> 8) & 255)+2];
BLOCK[51] = T1[(unsigned char)((tmp & 255)+3)];

tmp = palavras[1];
BLOCK[52] = T2[(unsigned char)((tmp >> 24)+4)];
BLOCK[53] = T2[(unsigned char)((tmp >> 16) & 255) +5];
BLOCK[54] = T2[(unsigned char)((tmp >> 8) & 255)+6];
BLOCK[55] = T2[(unsigned char)((tmp & 255)+7)];

tmp = palavras[2];
BLOCK[56] = T1[(unsigned char)((tmp >> 24)+8)];
BLOCK[57] = T1[(unsigned char)((tmp >> 16) & 255) +9];
BLOCK[58] = T1[(unsigned char)((tmp >> 8) & 255)+10];
BLOCK[59] = T1[(unsigned char)((tmp & 255)+11)];

tmp = palavras[3];
BLOCK[60] = T2[(unsigned char)((tmp >> 24)+12)];
BLOCK[61] = T2[(unsigned char)((tmp >> 16) & 255) +13];
BLOCK[62] = T2[(unsigned char)((tmp >> 8) & 255)+14];
BLOCK[63] = T2[(unsigned char)((tmp & 255)+15)];
}

/*
-----*
ROTACIONA BLOCK DE 512 EM SUB-BLOCKS DE 128 BITS
-----*/
void rotate_block2(register unsigned int p0, register unsigned int p1, register unsigned int p2, register unsigned int p3){
register unsigned int tmp;

// We eliminate FOR to gain speed
BLOCK[ 0] = BLOCK[16];
BLOCK[ 1] = BLOCK[17];
BLOCK[ 2] = BLOCK[18];
BLOCK[ 3] = BLOCK[19];
BLOCK[ 4] = BLOCK[20];
BLOCK[ 5] = BLOCK[21];
BLOCK[ 6] = BLOCK[22];
BLOCK[ 7] = BLOCK[23];
BLOCK[ 8] = BLOCK[24];
BLOCK[ 9] = BLOCK[25];

```

```
BLOCK[10] = BLOCK[26];
BLOCK[11] = BLOCK[27];
BLOCK[12] = BLOCK[28];
BLOCK[13] = BLOCK[29];
BLOCK[14] = BLOCK[30];
BLOCK[15] = BLOCK[31];

BLOCK[16] = BLOCK[32];
BLOCK[17] = BLOCK[33];
BLOCK[18] = BLOCK[34];
BLOCK[19] = BLOCK[35];
BLOCK[20] = BLOCK[36];
BLOCK[21] = BLOCK[37];
BLOCK[22] = BLOCK[38];
BLOCK[23] = BLOCK[39];
BLOCK[24] = BLOCK[40];
BLOCK[25] = BLOCK[41];
BLOCK[26] = BLOCK[42];
BLOCK[27] = BLOCK[43];
BLOCK[28] = BLOCK[44];
BLOCK[29] = BLOCK[45];
BLOCK[30] = BLOCK[46];
BLOCK[31] = BLOCK[47];

BLOCK[32] = BLOCK[48];
BLOCK[33] = BLOCK[49];
BLOCK[34] = BLOCK[50];
BLOCK[35] = BLOCK[51];
BLOCK[36] = BLOCK[52];
BLOCK[37] = BLOCK[53];
BLOCK[38] = BLOCK[54];
BLOCK[39] = BLOCK[55];
BLOCK[40] = BLOCK[56];
BLOCK[41] = BLOCK[57];
BLOCK[42] = BLOCK[58];
BLOCK[43] = BLOCK[59];
BLOCK[44] = BLOCK[60];
BLOCK[45] = BLOCK[61];
BLOCK[46] = BLOCK[62];
BLOCK[47] = BLOCK[63];

BLOCK[48] = T1[(unsigned char)(p1 >> 24)];
BLOCK[49] = T1[(unsigned char)((p1 >> 16) & 255) +1];
BLOCK[50] = T1[(unsigned char)((p1 >> 8) & 255)+2];
BLOCK[51] = T1[(unsigned char)((p1 & 255)+3)];

BLOCK[52] = T2[(unsigned char)((p2 >> 24)+4)];
BLOCK[53] = T2[(unsigned char)((p2 >> 16) & 255) +5];
BLOCK[54] = T2[(unsigned char)((p2 >> 8) & 255)+6];
BLOCK[55] = T2[(unsigned char)((p2 & 255)+7)];

BLOCK[56] = T1[(unsigned char)((p3 >> 24)+8)];
BLOCK[57] = T1[(unsigned char)((p3 >> 16) & 255) +9];
```

```

BLOCK[58] = T1[(unsigned char)((p3 >> 8) & 255)+10];
BLOCK[59] = T1[(unsigned char)((p3 & 255)+11)];

BLOCK[60] = T2[(unsigned char)((p0 >> 24)+12)];
BLOCK[61] = T2[(unsigned char)((p0 >> 16) & 255) +13];
BLOCK[62] = T2[(unsigned char)((p0 >> 8) & 255)+14];
BLOCK[63] = T2[(unsigned char)((p0 & 255)+15)];

}

/*
-----SAFETY ROUTINE TO SUPPLEMENT BLOCK EXCHANGE ON COMPLETION OF HASH ROUTINE-----
*/
void finalizes(){
    register unsigned int tmp1, tmp2;
    register unsigned int resultado;
    register unsigned char ct, posicao;

    posicao=0;

    for(ct=0;ct<64;ct++){
        tmp1 = (T1[posicao] * 256) + T2[posicao];
        tmp2 = (T2[posicao+64] * 256) + T1[posicao+64];

        if (tmp1 == 0){
            tmp1 = 65536;
        }

        if (tmp2 == 0){
            tmp2 = 65536;
        }

        resultado = (tmp1 * tmp2) % 65537;

        BLOCK[ct]= BLOCK[ct] ^ (resultado % 256);
        posicao++;
    }
}

/*
-----ROUTINE TO CHECK THE FILE SIZE-----
*/
unsigned long long int verify_size() {
    unsigned long long int tamanho;

    // Posicionando o arquivo no seu inicio
    fseek (p1, 0, SEEK_SET);

    // Lendo o tamanho do arquivo:
    fseek (p1, 0, SEEK_END);
    tamanho = ftell (p1);

    // Posicionando o arquivo no seu inicio

```

```

fseek (p1, 0, SEEK_SET);

return(tamanho);
}

/*-----
INITIALIZES THE MAP AND T2 VECTORS
This routine does with the initiation of the Pivot Maps tables
be 256! * 256! according to data from the file to be processed
-----*/
void start_maps(char nome_arquivo[]){
    register unsigned long long int ct;
    register unsigned char controle, posic, tmp1;
    register unsigned int ct2;
    register unsigned int acumula, tmp2;
    unsigned char read_block;
    unsigned char read_block2[256];
    unsigned char troca, posicao;
    unsigned int residuo;

    // Opening the file
    if( (p1=fopen(nome_arquivo,"r"))==NULL ) {
        printf("\nFile cannot be opened!\n");
        exit(1);
    }

    // Reading the file size:
    tamanho = verify_size();

    posic = 0;
    acumula = 0;
    controle = 0;

    if (tamanho < 256) {
        // Processing the byte to byte file
        for(ct=0;ct<tamanho;ct++){
            fread(&read_block,sizeof(read_block),1,p1);

            if (posic == 0){
                troca = T2[read_block];
                tmp1 = T1[read_block];
                posicao = (troca + controle) % 256;
                T1[read_block] = T1[posicao];
                T1[posicao]=tmp1;
                posic = 1;
            } else {
                troca = T1[read_block];
                tmp1 = T2[read_block];
                posicao = (troca + controle) % 256;
                T2[read_block] = T2[posicao];
                T2[posicao]=tmp1;
                posic = 0;
            }
        }
    }
}

```

```

        controle = (controle + 1) % 256;
        acumula = (acumula + T1[T2[read_block]]) % 65536;
    }

} else {

    // Processing the file reading more bytes to gain performance
    if (tamanho % 256 == 0){
        residuo = 0;
    } else {
        residuo = tamanho % 256; // checks file size not multiplied by 256
    }

    tamanho = tamanho - residuo;

    for(ct=0;ct<tamanho;ct=ct+256){

        fread(&read_block2,sizeof(read_block2),1,p1);

        for (ct2=0;ct2<256;ct2++){
            if (posic == 0){
                troca = T2[read_block2[ct2]];
                tmp1 = T1[read_block2[ct2]];
                posicao = (troca + controle) % 256;
                T1[read_block2[ct2]] = T1[posicao];
                T1[posicao]=tmp1;
                posic = 1;
            } else {
                troca = T1[read_block2[ct2]];
                tmp1 = T2[read_block2[ct2]];
                posicao = (troca + controle) % 256;
                T2[read_block2[ct2]] = T2[posicao];
                T2[posicao]=tmp1;
                posic = 0;
            }

            controle = (controle + 1) % 256;
            acumula = (acumula + T1[T2[read_block2[ct2]]]) % 65536;
        }
    }

    // Processing the rest of the file:
    if (residuo > 0){
        // Processing the byte to byte file
        for(ct=0;ct<residuo;ct++){
            fread(&read_block,sizeof(read_block),1,p1);

            if (posic == 0){
                troca = T2[read_block];
                tmp1 = T1[read_block];
                posicao = (troca + controle) % 256;
                T1[read_block] = T1[posicao];
                T1[posicao]=tmp1;
            }
        }
    }
}

```

```

        posic = 1;
    } else {
        troca = T1[read_block];
        tmp1 = T2[read_block];
        posicao = (troca + controle) % 256;
        T2[read_block] = T2[posicao];
        T2[posicao]=tmp1;
        posic = 0;
    }

    controle = (controle + 1) % 256;
    acumula = (acumula + T1[T2[read_block]]) % 65536;
}
}

tmp1 = (unsigned int) acumula / 256;
tmp2 = acumula % 256;

// Operation Sum
for (ct=0;ct<256;ct++){
    T1[ct] = (T1[ct] + tmp1) % 256;
    T2[ct] = (T2[ct] + tmp2) % 256;
}

fflush(p1);
fclose(p1);
}

/*
-----512-BIT BLOCK FINAL MIXING FUNCTION-----
*/
void mixword_final(){
    register unsigned int round = 0, ct, tmp, limite = 0;
    unsigned int palavras[4];
    unsigned char indice1, indice2;
    register unsigned char control_perm=0;
    unsigned int* wpalavra = malloc(sizeof(unsigned int) * 4); // pointer to exchange the words
    register unsigned int p0, p1, p2, p3;

    // Calculates how many laps will be executed:
    for (ct=0;ct<64;ct++){
        limite = limite ^ T1[BLOCK[ct]];
        limite = limite + T2[BLOCK[ct]];
        limite = (limite + ( (T1[BLOCK[ct]]+1) * (T2[BLOCK[ct]]+1) )) % 8191;
    }

    limite = 8192 + limite;

    for(round=1;round<=limite;round++) {

        if (round % 4 == 0) {

```

```

p0 = (TRAN32B(BLOCK[0],BLOCK[16], BLOCK[4],BLOCK[21], BLOCK[8],BLOCK[26] , BLOCK[12],BLOCK[31]) + TRAN32M1(BLOCK[32], BLOCK[38],
BLOCK[40],BLOCK[46])) ^ TRAN32M2(BLOCK[48], BLOCK[55], BLOCK[58], BLOCK[61]);
p1 = (TRAN32B(BLOCK[1],BLOCK[17], BLOCK[5],BLOCK[22], BLOCK[9],BLOCK[27] , BLOCK[13],BLOCK[28]) + TRAN32M1(BLOCK[33], BLOCK[39],
BLOCK[41],BLOCK[47])) ^TRAN32M2(BLOCK[49], BLOCK[52], BLOCK[59], BLOCK[62]);
p2 = (TRAN32B(BLOCK[2],BLOCK[18], BLOCK[6],BLOCK[23], BLOCK[10],BLOCK[24], BLOCK[14],BLOCK[29]) + TRAN32M1(BLOCK[34], BLOCK[36],
BLOCK[42],BLOCK[44])) ^ TRAN32M2(BLOCK[50], BLOCK[53], BLOCK[56], BLOCK[63]);
p3 = (TRAN32B(BLOCK[3],BLOCK[19], BLOCK[7],BLOCK[20], BLOCK[11],BLOCK[25], BLOCK[15],BLOCK[30]) + TRAN32M1(BLOCK[35], BLOCK[37],
BLOCK[43],BLOCK[45])) ^ TRAN32M2(BLOCK[51], BLOCK[54], BLOCK[57], BLOCK[60]);
} else if (round % 4 == 1) {
    p0 = (TRAN32B(BLOCK[4],BLOCK[16], BLOCK[8],BLOCK[21], BLOCK[12],BLOCK[26] , BLOCK[0],BLOCK[31]) + TRAN32M1(BLOCK[32], BLOCK[38],
BLOCK[40],BLOCK[46]))^ TRAN32M2(BLOCK[48], BLOCK[55], BLOCK[58], BLOCK[61]);
    p1 = (TRAN32B(BLOCK[5],BLOCK[17], BLOCK[9],BLOCK[22], BLOCK[13],BLOCK[27] , BLOCK[1],BLOCK[28])+ TRAN32M1(BLOCK[33], BLOCK[39],
BLOCK[41],BLOCK[47])) ^TRAN32M2(BLOCK[49], BLOCK[52], BLOCK[59], BLOCK[62]);
    p2 = (TRAN32B(BLOCK[6],BLOCK[18], BLOCK[10],BLOCK[23], BLOCK[14],BLOCK[24], BLOCK[2],BLOCK[29]) + TRAN32M1(BLOCK[34], BLOCK[36],
BLOCK[42],BLOCK[44]))^ TRAN32M2(BLOCK[50], BLOCK[53], BLOCK[56], BLOCK[63]);
    p3 = (TRAN32B(BLOCK[7],BLOCK[19], BLOCK[11],BLOCK[20], BLOCK[15],BLOCK[25], BLOCK[3],BLOCK[30]) + TRAN32M1(BLOCK[35], BLOCK[37],
BLOCK[43],BLOCK[45]))^ TRAN32M2(BLOCK[51], BLOCK[54], BLOCK[57], BLOCK[60]);
} else if (round % 4 == 2) {
    p0 = (TRAN32B(BLOCK[8],BLOCK[16], BLOCK[12],BLOCK[21] , BLOCK[0],BLOCK[26], BLOCK[4],BLOCK[31]) + TRAN32M1(BLOCK[32], BLOCK[38],
BLOCK[40],BLOCK[46]))^ TRAN32M2(BLOCK[48], BLOCK[55], BLOCK[58], BLOCK[61]);
    p1 = (TRAN32B(BLOCK[9],BLOCK[17], BLOCK[13],BLOCK[22], BLOCK[1],BLOCK[27], BLOCK[5],BLOCK[28])+ TRAN32M1(BLOCK[33], BLOCK[39],
BLOCK[41],BLOCK[47])) ^TRAN32M2(BLOCK[49], BLOCK[52], BLOCK[59], BLOCK[62]);
    p2 = (TRAN32B(BLOCK[10],BLOCK[18], BLOCK[14],BLOCK[23], BLOCK[2],BLOCK[24], BLOCK[6],BLOCK[29]) + TRAN32M1(BLOCK[34], BLOCK[36],
BLOCK[42],BLOCK[44]))^ TRAN32M2(BLOCK[50], BLOCK[53], BLOCK[56], BLOCK[63]);
    p3 = (TRAN32B(BLOCK[11],BLOCK[19], BLOCK[15],BLOCK[20], BLOCK[3],BLOCK[25], BLOCK[7],BLOCK[30])+ TRAN32M1(BLOCK[35], BLOCK[37],
BLOCK[43],BLOCK[45]))^ TRAN32M2(BLOCK[51], BLOCK[54], BLOCK[57], BLOCK[60]);
} else if (round % 4 == 3) {
    p0 = (TRAN32B(BLOCK[12],BLOCK[16] , BLOCK[0],BLOCK[21], BLOCK[4],BLOCK[26], BLOCK[8],BLOCK[31]) + TRAN32M1(BLOCK[32], BLOCK[38],
BLOCK[40],BLOCK[46]))^ TRAN32M2(BLOCK[48], BLOCK[55], BLOCK[58], BLOCK[61]);
    p1 = (TRAN32B(BLOCK[13],BLOCK[17] , BLOCK[1],BLOCK[22], BLOCK[5],BLOCK[27], BLOCK[9],BLOCK[28])+ TRAN32M1(BLOCK[33], BLOCK[39],
BLOCK[41],BLOCK[47])) ^TRAN32M2(BLOCK[49], BLOCK[52], BLOCK[59], BLOCK[62]);
    p2 = (TRAN32B(BLOCK[14],BLOCK[18] , BLOCK[2],BLOCK[23], BLOCK[6],BLOCK[24], BLOCK[10],BLOCK[29])+TRAN32M1(BLOCK[34], BLOCK[36],
BLOCK[42],BLOCK[44]))^ TRAN32M2(BLOCK[50], BLOCK[53], BLOCK[56], BLOCK[63]);
    p3 = (TRAN32B(BLOCK[15],BLOCK[19] , BLOCK[3],BLOCK[20], BLOCK[7],BLOCK[25], BLOCK[11],BLOCK[30])+ TRAN32M1(BLOCK[35], BLOCK[37],
BLOCK[43],BLOCK[45]))^ TRAN32M2(BLOCK[51], BLOCK[54], BLOCK[57], BLOCK[60]);
}

// Modifying the T1 exchange table
tmp = T1[ T2[ BLOCK[48] ] ];

T1[ T2[ BLOCK[48] ] ] = T1[ T2[ BLOCK[55] ] ];
T1[ T2[ BLOCK[55] ] ] = T1[ T2[ BLOCK[58] ] ];
T1[ T2[ BLOCK[58] ] ] = T1[ T2[ BLOCK[61] ] ];
T1[ T2[ BLOCK[61] ] ] = T1[ T2[ BLOCK[49] ] ];

T1[ T2[ BLOCK[49] ] ] = T1[ T2[ BLOCK[52] ] ];
T1[ T2[ BLOCK[52] ] ] = T1[ T2[ BLOCK[59] ] ];
T1[ T2[ BLOCK[59] ] ] = T1[ T2[ BLOCK[62] ] ];
T1[ T2[ BLOCK[62] ] ] = T1[ T2[ BLOCK[50] ] ];

T1[ T2[ BLOCK[50] ] ] = T1[ T2[ BLOCK[53] ] ];
T1[ T2[ BLOCK[53] ] ] = T1[ T2[ BLOCK[56] ] ];
T1[ T2[ BLOCK[56] ] ] = T1[ T2[ BLOCK[63] ] ];

```

```

T1[ T2[ BLOCK[63] ] ] = T1[ T2[ BLOCK[51] ] ];
T1[ T2[ BLOCK[51] ] ] = T1[ T2[ BLOCK[54] ] ];
T1[ T2[ BLOCK[54] ] ] = T1[ T2[ BLOCK[57] ] ];
T1[ T2[ BLOCK[57] ] ] = T1[ T2[ BLOCK[60] ] ];
T1[ T2[ BLOCK[60] ] ] = tmp;

// Modifying the T2 exchange table
tmp = T2[ T1[ BLOCK[32] ] ];

T2[ T1[ BLOCK[32] ] ] = T2[ T1[ BLOCK[38] ] ];
T2[ T1[ BLOCK[38] ] ] = T2[ T1[ BLOCK[40] ] ];
T2[ T1[ BLOCK[40] ] ] = T2[ T1[ BLOCK[46] ] ];
T2[ T1[ BLOCK[46] ] ] = T2[ T1[ BLOCK[33] ] ];

T2[ T1[ BLOCK[33] ] ] = T2[ T1[ BLOCK[39] ] ];
T2[ T1[ BLOCK[39] ] ] = T2[ T1[ BLOCK[41] ] ];
T2[ T1[ BLOCK[41] ] ] = T2[ T1[ BLOCK[47] ] ];
T2[ T1[ BLOCK[47] ] ] = T2[ T1[ BLOCK[34] ] ];

T2[ T1[ BLOCK[34] ] ] = T2[ T1[ BLOCK[36] ] ];
T2[ T1[ BLOCK[36] ] ] = T2[ T1[ BLOCK[42] ] ];
T2[ T1[ BLOCK[42] ] ] = T2[ T1[ BLOCK[44] ] ];
T2[ T1[ BLOCK[44] ] ] = T2[ T1[ BLOCK[35] ] ];

T2[ T1[ BLOCK[35] ] ] = T2[ T1[ BLOCK[37] ] ];
T2[ T1[ BLOCK[37] ] ] = T2[ T1[ BLOCK[43] ] ];
T2[ T1[ BLOCK[43] ] ] = T2[ T1[ BLOCK[45] ] ];
T2[ T1[ BLOCK[45] ] ] = tmp;

// Rotating the Maps
indice1 = T2[round % 256];
for(ct=0;ct<256;ct++){
    T1[ct] = (T1[ct] + indice1); // % 256;
}

indice2 = T1[(round+128) % 256];
for(ct=0;ct<256;ct++){
    T2[ct] = (T2[ct] + indice2); // % 256;
}

// Diffusion of the words in 4 rounds
for (ct=0;ct<4;ct++){
    p0 ^= (ROTL32(~p1,13) ^ ROTL32(p2,3)) + ROTL32(~p3,27);
    p1 += (ROTL32(p0,14) ^ ROTL32(~p2,11)) + ROTL32(p3,26);
    p2 ^= (ROTL32(~p0,9) ^ ROTL32(p1,20)) + ROTL32(~p3,28);
    p3 += (ROTL32(p0,17) ^ ROTL32(~p1,2)) + ROTL32(p2,1);

    p0 ^= (ROTL32(~p1,25) ^ ROTL32(p2,7)) + ROTL32(~p3,18);
    p1 += (ROTL32(p0,10) ^ ROTL32(~p2,8)) + ROTL32(p3,23);
    p2 ^= (ROTL32(~p0,15) ^ ROTL32(p1,31)) + ROTL32(~p3,29);
    p3 += (ROTL32(p0,30) ^ ROTL32(~p1,16)) + ROTL32(p2,21);
}

```

```

p0 ^= (ROTL32(~p1,19) ^ ROTL32(p2,24)) + ROTL32(~p3,12);
p1 += (ROTL32(p0,22) ^ ROTL32(~p2,4)) + ROTL32(p3,6);
p2 ^= (ROTL32(~p0,5) ^ ROTL32(p1,8)) + ROTL32(~p3,13);
p3 += (ROTL32(p0,14) ^ ROTL32(~p1,24)) + ROTL32(p2,20);

// In this part apply all the permutations resulting from the combinations of the prime numbers up to 31 (are 7920 combinations)
tmp = (p0 % 7920);
p0 = ~(ROTL32(p0,PERMUTACAO[tmp][0]));
p1 = ROTL32(p1,PERMUTACAO[tmp][1]);
p2 = ~(ROTL32(p2,PERMUTACAO[tmp][2]));
p3 = ROTL32(p3,PERMUTACAO[tmp][3]);

tmp = p0;
p0 = p1;
p1 = p2;
p2 = p3;
p3 = tmp;
}

palavras[0] = p0;
palavras[1] = p1;
palavras[2] = p2;
palavras[3] = p3;

// Do the binary permutation in sub-block 1
permutation_binary_128(palavras,wpalavra);

palavras[0] = *(wpalavra + 0);
palavras[1] = *(wpalavra + 1);
palavras[2] = *(wpalavra + 2);
palavras[3] = *(wpalavra + 3);

// Rotating the sub-blocks
rotate_block(palavras);

// Every 16 laps makes the permutation of 64 bytes
if (round % 16 == 0) {
    permutation_block(control_perm);
    ++control_perm;
    if(control_perm>7){
        control_perm = 0;
    }
}

// Every 64 turns makes the binary permutation in 512 bits
if (round % 64 == 0){
    permutation_binary_512();
}

}

free(wpalavra);
}

```

```

/*
-----  

BINARY PERMUTATION FUNCTION IN 512 BITS!!!
-----*/
void permutation_binary_512() {
    unsigned char vetor[512],vetor2[512];
    register unsigned int ct, posicao = 0, marcador, posicao_final;
    register unsigned int contador, contador_block;
    unsigned int palavras[4];
    register unsigned int tmp, tmp1, tmp2 ;
    register int controle;
    register unsigned char t1, t2, t3, t4;

    for (ct=0;ct<512;ct++) {
        vetor[ct]=0;
    }

    // Calculating the end position of the block
    posicao_final = 0;
    for (ct=0;ct<64;ct++) {
        posicao_final = posicao_final + BLOCK[ct];
    }
    posicao_final = posicao_final % 2; // This variable will change the position of the bits after the permutation

    // Transforming the block for binary notation
    posicao =0;
    marcador = 0;
    for (contador=0;contador<4;contador++) {

        palavras[0] = TRAN32(BLOCK[marcador], BLOCK[4+marcador], BLOCK[8+marcador], BLOCK[12+marcador]);
        palavras[1] = TRAN32(BLOCK[1+marcador],BLOCK[5+marcador], BLOCK[9+marcador], BLOCK[13+marcador]);
        palavras[2] = TRAN32(BLOCK[2+marcador],BLOCK[6+marcador], BLOCK[10+marcador], BLOCK[14+marcador]);
        palavras[3] = TRAN32(BLOCK[3+marcador],BLOCK[7+marcador], BLOCK[11+marcador], BLOCK[15+marcador]);

        // Converting the words to binary
        for(ct=0;ct<4;ct++){
            for(controle=31;controle>=0;controle--){
                if (palavras[ct] >= BINARIO[controle]){
                    vetor[posicao] = 1;
                    palavras[ct] = palavras[ct] - BINARIO[controle];
                }
                ++posicao;
            }
        }
        marcador = marcador + 16;
    }

    // Reordering the 512 bits
    // Part 1:
    posicao=0;
    for(ct=0;ct<256;ct++){
        vetor2[posicao] = vetor[T1[ct]];
    }
}

```

```

        ++posicao;
    }

    // Part 2:
    posicao=256;
    for(ct=0;ct<256;ct++){
        vetor2[posicao] = vetor[T2[ct]+256];
        ++posicao;
    }

    // Position Inversion Routine
    posicao = 256;
    if (posicao_final == 0){
        for (ct=0;ct<512;ct++){
            vetor[ct] = vetor2[ct];
        }
    } else {
        for (ct=0;ct<512;ct++){
            vetor[ct] = vetor2[posicao];
            ++posicao;
            if (posicao > 511){
                posicao = 0;
            }
        }
    }
}

// Converting the 512 bits already exchanged into 8-bit elements in the 64 bytes of the block
posicao = 0;
contador_block = 0;

for(contador=0;contador<4;contador++){
    for (ct=0;ct<4;ct++){
        marcador = 31;
        palavras[ct] = 0;

        for(controle=0+posicao;controle<32+posicao;controle++){
            palavras[ct] = palavras[ct] + (vetor[controle] * BINARIO[marcador]);
            --marcador;
        }
        posicao = posicao + 32;
    }

    // Placing the result in the vector block
    for(ct=0;ct<4;ct++){

        tmp = palavras[ct];
        t1 = tmp >> 24;
        t2 = (tmp >> 16) & 255;
        t3 = (tmp >> 8) & 255;
        t4 = tmp & 255;

        BLOCK[contador_block] = t1;
        BLOCK[contador_block+1] = t2;
    }
}

```

```

        BLOCK[contador_block+2] = t3;
        BLOCK[contador_block+3] = t4;

        contador_block = contador_block + 4;
    }

}

/*-----
128-BIT BINARY EXCHANGE FUNCTION!!!
-----*/
unsigned int* permutation_binary_128(unsigned int palavras[], unsigned int* wpalavra ) {
    unsigned char vetor[128],vetor2[128];
    register unsigned int ct, posicao = 0, marcador;
    register int controle;

    for (ct=0;ct<128;ct++) {
        vetor[ct]=0;
    }

    // Converting the words to binary
    for(ct=0;ct<4;ct++){
        for(controle=31;controle>=0;controle--){
            if (palavras[ct] >= BINARIO[controle]) {
                vetor[posicao] = 1;
                palavras[ct] = palavras[ct] - BINARIO[controle];
            }
            ++posicao;
        }
    }

    // Reordering the 128 bits
    posicao=0;
    for(ct=0;ct<256;ct++){
        if (T1[ct] <= 127){
            vetor2[posicao] = vetor[T1[ct]];
            ++posicao;
        }
    }

    // Converting the bits to 32-bit words
    posicao = 0;
    for (ct=0;ct<4;ct++){
        marcador = 31;
        for(controle=0+posicao;controle<32+posicao;controle++){
            palavras[ct] = palavras[ct] + (vetor2[controle] * BINARIO[marcador]);
            --marcador;
        }
        posicao = posicao + 32;
    }

    *(wpalavra + 0) = palavras[0];
}

```

```

*(wpalavra + 1) = palavras[1];
*(wpalavra + 2) = palavras[2];
*(wpalavra + 3) = palavras[3];
}

/*-----
FUNCTION TO CALCULATE ALL POSSIBLE COMBINATIONS OF PRIME NUMBERS UP TO 31 OUT OF 4,
TOTALING 7920 COMBINATIONS!!!
-----*/
void calculate_permutations(){
    unsigned char vetor[11] = {2,3,5,7,11,13,17,19,23,29,31};
    unsigned char ordem[4], guarda[4], p[4];
    register unsigned char ct, erro, ct2, tmp;
    register unsigned int contador = 0;

    p[0] = 0;
    p[1] = 0;
    p[2] = 0;
    p[3] = 0;

    for(;;){
        for (ct=0;ct<4;ct++){
            ordem[ct] = vetor[p[ct]];
            guarda[ct] = vetor[p[ct]];
        }

        // Sort the vector to see repeated elements
        ct2 = 0;
        for(;;){
            if (ordem[ct2] > ordem[ct2+1]) {
                tmp = ordem[ct2];
                ordem[ct2] = ordem[ct2+1];
                ordem[ct2+1] = tmp;
                ct2 = 0;
            } else {
                ++ct2;
            }

            if (ct2 > 2){
                break;
            }
        }

        erro = 0;
        for (ct=0;ct<3;ct++){
            if (ordem[ct] >= ordem[ct+1]){
                erro = 1;
                break;
            }
        }

        // Saving the valid permutations:
        if (erro == 0){

```

```

        for(ct=0;ct<4;ct++){
            PERMUTACAO[contador][ct] = guarda[ct];
        }
        ++contador;
    }

    ++p[0];
    if (p[0] > 10){
        p[0] = 0 ;
        ++p[1];
    }

    if (p[1] > 10){
        p[1] = 0 ;
        ++p[2];
    }

    if (p[2] > 10){
        p[2] = 0 ;
        ++p[3];
    }

    if (p[3] > 10){
        break;
    }
}

/*
-----THIS FUNCTION INITIALIZES THE VALUES OF T1 AND T2-----
-----*/
void reset_maps(){

    T1[  0] = 204;
    T1[  1] = 193;
    T1[  2] =   96;
    T1[  3] =   10;
    T1[  4] = 100;
    T1[  5] = 208;
    T1[  6] = 104;
    T1[  7] = 212;
    T1[  8] = 109;
    T1[  9] =   52;
    T1[ 10] =   70;
    T1[ 11] =   95;
    T1[ 12] = 108;
    T1[ 13] =   99;
    T1[ 14] = 103;
    T1[ 15] =   11;
    T1[ 16] = 107;
    T1[ 17] =   98;
    T1[ 18] = 102;
    T1[ 19] = 106;
}

```

```
T1[ 20] = 118;
T1[ 21] = 22;
T1[ 22] = 122;
T1[ 23] = 111;
T1[ 24] = 130;
T1[ 25] = 1;
T1[ 26] = 154;
T1[ 27] = 162;
T1[ 28] = 166;
T1[ 29] = 115;
T1[ 30] = 186;
T1[ 31] = 198;
T1[ 32] = 119;
T1[ 33] = 238;
T1[ 34] = 250;
T1[ 35] = 123;
T1[ 36] = 30;
T1[ 37] = 127;
T1[ 38] = 216;
T1[ 39] = 131;
T1[ 40] = 61;
T1[ 41] = 135;
T1[ 42] = 14;
T1[ 43] = 139;
T1[ 44] = 143;
T1[ 45] = 147;
T1[ 46] = 151;
T1[ 47] = 112;
T1[ 48] = 220;
T1[ 49] = 54;
T1[ 50] = 155;
T1[ 51] = 57;
T1[ 52] = 159;
T1[ 53] = 60;
T1[ 54] = 163;
T1[ 55] = 167;
T1[ 56] = 63;
T1[ 57] = 17;
T1[ 58] = 171;
T1[ 59] = 69;
T1[ 60] = 205;
T1[ 61] = 175;
T1[ 62] = 7;
T1[ 63] = 179;
T1[ 64] = 75;
T1[ 65] = 183;
T1[ 66] = 187;
T1[ 67] = 116;
T1[ 68] = 191;
T1[ 69] = 97;
T1[ 70] = 165;
T1[ 71] = 2;
T1[ 72] = 195;
```

```
T1[ 73] = 20;
T1[ 74] = 90;
T1[ 75] = 199;
T1[ 76] = 88;
T1[ 77] = 203;
T1[ 78] = 207;
T1[ 79] = 211;
T1[ 80] = 133;
T1[ 81] = 215;
T1[ 82] = 225;
T1[ 83] = 224;
T1[ 84] = 43;
T1[ 85] = 219;
T1[ 86] = 79;
T1[ 87] = 223;
T1[ 88] = 120;
T1[ 89] = 227;
T1[ 90] = 23;
T1[ 91] = 231;
T1[ 92] = 235;
T1[ 93] = 153;
T1[ 94] = 185;
T1[ 95] = 239;
T1[ 96] = 0;
T1[ 97] = 243;
T1[ 98] = 247;
T1[ 99] = 251;
T1[100] = 228;
T1[101] = 26;
T1[102] = 255;
T1[103] = 124;
T1[104] = 29;
T1[105] = 232;
T1[106] = 128;
T1[107] = 121;
T1[108] = 141;
T1[109] = 32;
T1[110] = 13;
T1[111] = 114;
T1[112] = 217;
T1[113] = 12;
T1[114] = 34;
T1[115] = 142;
T1[116] = 18;
T1[117] = 190;
T1[118] = 132;
T1[119] = 33;
T1[120] = 236;
T1[121] = 48;
T1[122] = 35;
T1[123] = 240;
T1[124] = 249;
T1[125] = 136;
```

```
T1[126] = 38;
T1[127] = 72;
T1[128] = 84;
T1[129] = 244;
T1[130] = 237;
T1[131] = 25;
T1[132] = 41;
T1[133] = 177;
T1[134] = 4;
T1[135] = 248;
T1[136] = 140;
T1[137] = 44;
T1[138] = 64;
T1[139] = 73;
T1[140] = 144;
T1[141] = 47;
T1[142] = 252;
T1[143] = 148;
T1[144] = 101;
T1[145] = 50;
T1[146] = 197;
T1[147] = 46;
T1[148] = 152;
T1[149] = 53;
T1[150] = 113;
T1[151] = 145;
T1[152] = 82;
T1[153] = 91;
T1[154] = 156;
T1[155] = 56;
T1[156] = 16;
T1[157] = 55;
T1[158] = 160;
T1[159] = 157;
T1[160] = 37;
T1[161] = 59;
T1[162] = 221;
T1[163] = 164;
T1[164] = 6;
T1[165] = 62;
T1[166] = 169;
T1[167] = 209;
T1[168] = 65;
T1[169] = 168;
T1[170] = 229;
T1[171] = 68;
T1[172] = 28;
T1[173] = 172;
T1[174] = 9;
T1[175] = 110;
T1[176] = 189;
T1[177] = 241;
T1[178] = 134;
```

```
T1[179] = 158;
T1[180] = 170;
T1[181] = 178;
T1[182] = 182;
T1[183] = 194;
T1[184] = 21;
T1[185] = 202;
T1[186] = 206;
T1[187] = 218;
T1[188] = 226;
T1[189] = 234;
T1[190] = 242;
T1[191] = 254;
T1[192] = 27;
T1[193] = 71;
T1[194] = 253;
T1[195] = 176;
T1[196] = 67;
T1[197] = 76;
T1[198] = 5;
T1[199] = 74;
T1[200] = 125;
T1[201] = 180;
T1[202] = 87;
T1[203] = 49;
T1[204] = 77;
T1[205] = 93;
T1[206] = 184;
T1[207] = 137;
T1[208] = 19;
T1[209] = 85;
T1[210] = 80;
T1[211] = 181;
T1[212] = 8;
T1[213] = 83;
T1[214] = 188;
T1[215] = 105;
T1[216] = 149;
T1[217] = 58;
T1[218] = 86;
T1[219] = 192;
T1[220] = 213;
T1[221] = 40;
T1[222] = 126;
T1[223] = 138;
T1[224] = 146;
T1[225] = 150;
T1[226] = 15;
T1[227] = 174;
T1[228] = 94;
T1[229] = 210;
T1[230] = 214;
T1[231] = 222;
```

```
T1[232] = 230;
T1[233] = 24;
T1[234] = 246;
T1[235] = 117;
T1[236] = 3;
T1[237] = 201;
T1[238] = 233;
T1[239] = 245;
T1[240] = 31;
T1[241] = 196;
T1[242] = 36;
T1[243] = 89;
T1[244] = 39;
T1[245] = 42;
T1[246] = 45;
T1[247] = 51;
T1[248] = 66;
T1[249] = 129;
T1[250] = 161;
T1[251] = 92;
T1[252] = 78;
T1[253] = 81;
T1[254] = 200;
T1[255] = 173;
```

```
T2[  0] = 240;
T2[  1] = 49;
T2[  2] = 145;
T2[  3] = 148;
T2[  4] = 52;
T2[  5] = 244;
T2[  6] = 152;
T2[  7] = 193;
T2[  8] = 56;
T2[  9] = 248;
T2[ 10] = 41;
T2[ 11] = 229;
T2[ 12] = 241;
T2[ 13] = 156;
T2[ 14] = 137;
T2[ 15] = 157;
T2[ 16] = 165;
T2[ 17] = 252;
T2[ 18] = 60;
T2[ 19] = 6;
T2[ 20] = 14;
T2[ 21] = 50;
T2[ 22] = 66;
T2[ 23] = 21;
T2[ 24] = 74;
T2[ 25] = 77;
T2[ 26] = 114;
T2[ 27] = 118;
```

```
T2[ 28] = 160;
T2[ 29] = 222;
T2[ 30] = 226;
T2[ 31] = 234;
T2[ 32] = 242;
T2[ 33] = 250;
T2[ 34] = 97;
T2[ 35] = 109;
T2[ 36] = 64;
T2[ 37] = 164;
T2[ 38] = 9;
T2[ 39] = 69;
T2[ 40] = 149;
T2[ 41] = 185;
T2[ 42] = 213;
T2[ 43] = 68;
T2[ 44] = 168;
T2[ 45] = 129;
T2[ 46] = 3;
T2[ 47] = 72;
T2[ 48] = 7;
T2[ 49] = 172;
T2[ 50] = 11;
T2[ 51] = 15;
T2[ 52] = 19;
T2[ 53] = 23;
T2[ 54] = 177;
T2[ 55] = 27;
T2[ 56] = 31;
T2[ 57] = 35;
T2[ 58] = 39;
T2[ 59] = 43;
T2[ 60] = 47;
T2[ 61] = 176;
T2[ 62] = 51;
T2[ 63] = 55;
T2[ 64] = 76;
T2[ 65] = 59;
T2[ 66] = 141;
T2[ 67] = 63;
T2[ 68] = 67;
T2[ 69] = 71;
T2[ 70] = 2;
T2[ 71] = 10;
T2[ 72] = 18;
T2[ 73] = 26;
T2[ 74] = 46;
T2[ 75] = 75;
T2[ 76] = 80;
T2[ 77] = 62;
T2[ 78] = 33;
T2[ 79] = 79;
T2[ 80] = 89;
```

```
T2[ 81] = 121;
T2[ 82] = 106;
T2[ 83] = 83;
T2[ 84] = 110;
T2[ 85] = 126;
T2[ 86] = 130;
T2[ 87] = 142;
T2[ 88] = 146;
T2[ 89] = 87;
T2[ 90] = 170;
T2[ 91] = 174;
T2[ 92] = 182;
T2[ 93] = 186;
T2[ 94] = 190;
T2[ 95] = 194;
T2[ 96] = 91;
T2[ 97] = 206;
T2[ 98] = 210;
T2[ 99] = 214;
T2[100] = 218;
T2[101] = 95;
T2[102] = 254;
T2[103] = 99;
T2[104] = 103;
T2[105] = 180;
T2[106] = 107;
T2[107] = 111;
T2[108] = 115;
T2[109] = 84;
T2[110] = 119;
T2[111] = 61;
T2[112] = 123;
T2[113] = 127;
T2[114] = 131;
T2[115] = 135;
T2[116] = 139;
T2[117] = 1;
T2[118] = 205;
T2[119] = 143;
T2[120] = 147;
T2[121] = 151;
T2[122] = 155;
T2[123] = 184;
T2[124] = 53;
T2[125] = 88;
T2[126] = 159;
T2[127] = 101;
T2[128] = 169;
T2[129] = 163;
T2[130] = 167;
T2[131] = 171;
T2[132] = 175;
T2[133] = 81;
```

```
T2[134] = 179;
T2[135] = 233;
T2[136] = 183;
T2[137] = 187;
T2[138] = 191;
T2[139] = 188;
T2[140] = 195;
T2[141] = 199;
T2[142] = 203;
T2[143] = 92;
T2[144] = 207;
T2[145] = 211;
T2[146] = 215;
T2[147] = 197;
T2[148] = 253;
T2[149] = 219;
T2[150] = 223;
T2[151] = 227;
T2[152] = 25;
T2[153] = 231;
T2[154] = 192;
T2[155] = 235;
T2[156] = 239;
T2[157] = 243;
T2[158] = 247;
T2[159] = 96;
T2[160] = 251;
T2[161] = 245;
T2[162] = 255;
T2[163] = 196;
T2[164] = 0;
T2[165] = 161;
T2[166] = 100;
T2[167] = 4;
T2[168] = 104;
T2[169] = 45;
T2[170] = 189;
T2[171] = 200;
T2[172] = 73;
T2[173] = 113;
T2[174] = 217;
T2[175] = 37;
T2[176] = 108;
T2[177] = 225;
T2[178] = 8;
T2[179] = 13;
T2[180] = 133;
T2[181] = 181;
T2[182] = 209;
T2[183] = 204;
T2[184] = 112;
T2[185] = 208;
T2[186] = 12;
```

```
T2[187] = 93;
T2[188] = 16;
T2[189] = 116;
T2[190] = 212;
T2[191] = 20;
T2[192] = 173;
T2[193] = 120;
T2[194] = 30;
T2[195] = 34;
T2[196] = 42;
T2[197] = 85;
T2[198] = 82;
T2[199] = 153;
T2[200] = 237;
T2[201] = 98;
T2[202] = 102;
T2[203] = 134;
T2[204] = 138;
T2[205] = 150;
T2[206] = 24;
T2[207] = 158;
T2[208] = 162;
T2[209] = 166;
T2[210] = 178;
T2[211] = 202;
T2[212] = 238;
T2[213] = 216;
T2[214] = 124;
T2[215] = 28;
T2[216] = 5;
T2[217] = 220;
T2[218] = 125;
T2[219] = 105;
T2[220] = 32;
T2[221] = 128;
T2[222] = 224;
T2[223] = 57;
T2[224] = 132;
T2[225] = 36;
T2[226] = 65;
T2[227] = 17;
T2[228] = 40;
T2[229] = 228;
T2[230] = 136;
T2[231] = 29;
T2[232] = 201;
T2[233] = 22;
T2[234] = 38;
T2[235] = 140;
T2[236] = 54;
T2[237] = 58;
T2[238] = 70;
T2[239] = 78;
```

```
T2[240] = 86;
T2[241] = 90;
T2[242] = 94;
T2[243] = 232;
T2[244] = 122;
T2[245] = 154;
T2[246] = 198;
T2[247] = 230;
T2[248] = 246;
T2[249] = 44;
T2[250] = 236;
T2[251] = 117;
T2[252] = 144;
T2[253] = 221;
T2[254] = 249;
T2[255] = 48;
```

```
}
```