

# Working Paper No. 2012-01

Granger inspired testing the ISDs for Possible Causal Relationships

Yih Lerh Huang and John Cameron  $^{\scriptscriptstyle 1}$  ISS the Hague

January 2012

<sup>&</sup>lt;sup>1</sup> This paper is based in part on the first author's Masters Research Paper, supervised by the second author (Huang 2011).

## ISSN 2213-6614

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Irene van Staveren P.O. Box 29776 2502 LT The Hague The Netherlands

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# 1. Preliminary diagnostic and epistemological reflections

Arjan de Haan and his co-authors are keen to use the ISS Indicators of Social Development (hereafter the ISDs) to show how institutional structuration processes can cause improvements in human well-being, including economic growth (de Haan et al, 2011). Developing this aspiration, though not uncritically, this paper explores how the ISS ISDs might be used to stimulate thinking about causal relationships by linking the ISDs to each other and conventional measures of country-level development status.

But before undertaking the task of attributing causality, it is necessary to reflect on the nature of the data being used. The challenges in using the ISDs' data can be summarised into six problems which need diagnostic reflection before interpretation of causal relationships can be convincingly undertaken:

- Problems of country level gaps in the availability of individual indicators underpinning the five ISDs in all or particular years
- Problems of accuracy of measurement of the individual indicators within each ISD even where and when data is available
- Problems of whether the indicators are inputs to or outcomes of developmental processes
- Problems of weighting of indicators when aggregated into aggregate ISD 'scores'
- Problems of currently having only five chronological data points
- Problems of countries not being weighted by their human populations

The first problem appears intractable as the missing country-level indicators were never collected. The desire to maximise the number of indicators is laudable and the ISD creators have used an impressive formal Matching Percentile methodology to allow ISD scores to be created despite missing country-level indicators. But the problem still exists and should temper any interpretive claims.

The second problem has bedevilled 'social' indicators ever since they were first proposed as an alternative to economic indicators. Some of the indicators, such as changes in the physical environment, can be directly observed in quantitative terms and share the same issues of sampling and measurement error as conventional economic indicators. But for many social indicators, measurement requires the conversion of qualitative perceptions of well-being into quantitative measures, often using Lickert rankings. The 'subjectivity' of such measurements haunts the ISDs.

The third problem arguably does need attention, though we do not attempt that task here. The desire to maximise the number of indicators appears to have overwhelmed the need to categorise the indicators into those that might be conceptualised as inputs into developmental processes and those that appear to be primarily outcomes. Irene van Staveren understandably sees this inclusiveness as a virtue in her Working Paper (van Staveren, 2011: 32), but we feel future research into causalities using the ISDs would benefit from efforts at categorising indicators and isolating those with stronger claims to causal properties.

The fourth problem is related to the third in terms of ranking the indicators by their significance to human well-being. The division of the indicators into five ISDs does partially resolve this problem by allowing researchers to explore their independent effects on human well-being. In this spirit, Graph 1 in de Haan et al (2011: no page number) combines the five ISDs in a useful 'cobweb' diagram profile. We also use this five way division in this paper, but we are aware that the underlying weighting of the constituent indicators is not being critically assessed.

Provided the data set is maintained in the future, the fifth problem of a small number of chronological data points will gradually diminish – though we will not have the statistically 'normalising' thirty observations until 2135! Of course, the numerous country-level data points do offer possibilities of experimental designs seeking causal relationships using either cross-section analysis or combined longitudinal and cross-section analysis (e.g. Dulal and Foa, 2011). But our ambition in this paper is to explore how the human species global system is changing and we must be aware of this limitation.

It is this very ambition that gives the sixth problem significance. Our results are disproportionately influenced by the ISDs for low population countries. We ontologically assume that ISDs' scores are not strongly correlated with size of human population. But we have not tested this assumption for the purposes of this paper.

Given these six empirical problems and our pessimistic diagnoses of their intractability, we might justly be accused of being over-ambitious in this paper. Our defence against this accusation has two interwoven threads:

- Epistemologically we locate our claims in critical realism
- Methodologically we only use indicative non-parametric tests that we think are sufficiently robust to withstand significant data 'errors'

This working paper is not the place for an extended discussion of critical realism as a theory of knowledge (for an extended exposition, see Huang, 2011). For our purposes here, we offer the following propositions:

- All empirical knowledge is subject to error in terms of various forms of data inaccuracy – the ISDs may lie at the more error strewn end of the spectrum, but at least we are explicit about those errors
- Empirical data alone cannot reveal causalities
- Knowledge of human well-being requires consideration of how human agency is expressed in responses to events through changing relationships
- The exercise of agency is constrained by real structuration processes accessing knowledge of these processes requires creative speculation in thought and nonclosure in conclusions
- This creative speculation is disciplined by the requirement that it be consistent with both the empirical data and presence of human agency, i.e. these phenomena can be accepted as 'emergent' from the conjectures on structuration.

We will attempt to apply these principles in our final conclusions, but now we will proceed to apply our methodological principle of only using tests of appropriate robustness to high risks of data error.

# 2. The Granger inspired tests as an appropriately robust method

Where long run data are available, a typical panel study makes it possible to estimate the size of the effect of the regressors on the regressand using multiple variable regression techniques appropriate to the forms of the data and a priori theorisation. To employ such a technique, certain assumptions have to be made about the characteristics of the variables and their distributions (Verbeek 2004). For example, in a Fixed Effects model, one has to assume, *ceteris paribus*, that the effect of the regressors(s) on the regressand have identical magnitudes across all individual units (countries in the ISDs' case) and data 'errors' are quantitatively relatively small. In our case, we consider such assumptions are not justified by the ISD's data, though we accept that regression techniques may be defensible for other experimental designs using the ISD data set (e.g. Dulal and Foa, 2011).

It is not our purpose in this paper to derive estimates of quantitative effects. Our purpose here is much more limited. We wish to explore if there are patterns of chronological precedence and antecedence between social institutional patterns and conventional developmental indicators. The Granger inspired tests permit such exploration and no more than this exploration. We only claim to be only 'Granger inspired' as the small number of chronological data points means that we are departing from a more positivist/empiricist position that Granger testing can unambiguously demonstrate causality. Our critical realist position allows us to use more indicative empirical results as a take-off for creative speculation on human agency and underlying structural processes from which the empirical results could have emerged. Therefore our causal interpretations beyond claims that changes in X usually precedes changes in Y belong to us, the authors, and not to the data.

In this paper, the Granger inspired test is used specifically to investigate if ISDs' performance precedes performance in other widely used development indicators. We also investigate the inverse case: whether the developmental indicators performance precedes ISDs' perfomance. We will treat the Granger inspired test results as being necessary to explain structurally if and only if they are statistically significant. Statistical significance only indicates temporal precedence, but our claims to see causality must be consistent with this result, i.e. significant empirical results must be 'emergent' from any claims to understand human agency and structural processes.

It is important to note as an additional limitation that Granger inspired test results do not reveal the influences of other variables beyond the two being tested. Attributing causality must consider the possibility of other variables influencing both the tested variables (omitted/missing variables in conventional regression), e.g. the 'actual' cause for any statistically significant changes in both income levels and ISDs. The logic behind the Granger inspired test is simple: causality does not run chronologically backwards. It is

assumed if X causes Y (X->Y) then X temporally must occur before Y. In other words, changes in Y due to the presence of X must come after X. Now it is entirely possible that there exists Z, which influences both X and Y (Z->X, Z->Y). Furthermore, if the influence of Z on X occurs more quickly than its influence on Y, then *empirically*, it would appear that X->Y when in fact it is Z->X and Z->Y, with the Z->Y occurring at a time-lag to Z->X. Without examining all possible Zs, it is impossible to state unequivocally that X->Y. Assuming an open system in which the researcher is not omniscient (about all possible Zs), a weaker statement can nevertheless be made, namely, that X *precedes* Y (X->Y). While uncovering the Zs is exciting, establishing X->Y provokes reflection on causality. We use Granger inspired tests to identify, as an appropriately robust minimum, possible temporal precedence between variables to provide stimulation for reflections on causality.

The ISD database has five chronological data points per ISD allowing for lagged observations. The data points correspond to five year intervals, which we consider appropriate in terms of perceiving long duration changes and limiting the 'noise' that could come from more frequent observations of shorter time intervals. For our purpose here, we aggregate all countries with data available and examine the effects on them as if they represent the shared experiences of humanity. But there are some gaps in the data set such that not all countries are represented in all indices for all chronological data points. These gaps result in the exclusion of some countries from some of the Granger inspired tests. Therefore we must bear in mind that any Granger causality result refers to a particular subset of countries, though we will generally treat the statistically significant results as having possible 'global' significance.

The Granger inspired test takes a dependent variable, Y, of the latest epoch (2010) over a series of Y in prior epochs (1990, 1995, 2000 and 2005) plus the series of the "Granger cause" candidate X in all the prior epochs. It then tests the null hypothesis that, all of the prior X influences are zero. If the null hypothesis fails a 5 percent or 10 percent, two-tailed significance test then X is treated as possibly having an influence on Y. We thus have the following generalised model:

$$\begin{aligned} Y_{2010} &= \alpha_0 + \alpha_{2005} X_{2005} + \alpha_{2000} X_{2000} + \alpha_{1995} X_{1995} + \alpha_{1990} X_{1990} + \beta_{2005} Y_{2005} + \\ \beta_{2000} Y_{2000} + \beta_{1995} Y_{1995} + \beta_{1990} Y_{1990} + \epsilon_1 \end{aligned}$$

$$H_0: \quad \alpha_{2005} = 0; \; \alpha_{2000} = 0; \; \alpha_{1995} = 0; \; \alpha_{1990} = 0$$

In our first test, Y is set to GDP Per Capita (*gdppc*) and X is set to, in five separate experiments, each of the individual ISDs. Thus, we can test if any of the individual ISDs passes the Granger inspired test. We also test if *gdppc* passes the Granger inspired test with respect to changes 'causing' changes in each of the ISDs (Granger 1969; Monogan 2010). Mazumdar (1996, 2000) has employed this technique in prior work on trust and economic growth.

It is important to note in this bi-variate case, no other variables are introduced. Any statement that can be made about causality is this, that past variations in the X appear to provide information that contributes to explaining variations in (the current) Y more than past variations of Y alone. Our Granger inspired tests thus make no claim about direct causation or if such 'causes' in X are necessary and/or sufficient for Y. For our purposes, the Granger logic is entirely appropriate. The intent of this study is not to establish precise *empirical* quantitative causalities, as if there is precise quantitative invariability linking the variables, or even a direction of causality in terms of the positive or negative sign of the correlation. Rather, it is to use the empirical findings to stimulate discussions about *actual* events and *structural* processes as products of the exercise of human agency and *real* structures and mechanisms from which the empirical connections emerge.

## 3.1 The Granger inspired test results - the ISDs and GDP per capita

Thirty seven countries have data for all the ISDs, for the entire period. They form what we will term 'the core group'. This list is included in Appendix 1. As a fraction of about 190 countries in the database, this core group is admittedly small. The core group has good representation for Europe and Asia (especially G20 countries), as well as Latin America and Eastern Bloc; but less so for Africa and MENA. Thus there is a bias in this set of countries and it only represents a slice of the world for which the ISD data are complete. Our initial exploration will be restricted to them.

Granger inspired tests are logged in Appendix 2 and summarised in Table 3. For the core group of 37 countries, the only statistically significant causal flow runs from Clubs & Associations to GDP per capita (hereafter *gdppc*). That is to say, in statistical terms, the past variations in Clubs & Associations provide additional information to account for the present *gdppc* variations in these countries, in addition to the path dependent influence of past *gdppc* variations (the 4 prior epochs). The evidence provided points to the institutions that Clubs & Associations measures having at least time precedence to *gdppc*.

Table 1
Granger inspired tests for ISDs and GDP Per Capita – Core Group

Granger Causality (Robust estimates)		F Statistics	Prob.	d.f.
Safety & Trust -> gdppc ->	gdppc	1.57	0.210	(4,28)
	Safety & Trust	1.99	0.127	(4,28)
Civic Activism -> gdppc ->	gdppc	0.39	0.817	(4,28)
	Civic Activism	1.30	0.295	(4,28)
Gender Equity -> gdppc ->	gdppc	2.02	0.118	(4,28)
	Gender Equity	1.16	0.347	(4,28)
Clubs & Associations -> gdppc ->	gdppc	4.29 **	0.008	(4,28)
	Clubs & Associations	0.50	0.736	(4,28)
Intergroup Cohesion -> gdppc ->		1.43 0.96	0.251 0.444	(4,28) (4,28)

<sup>\*\*\*</sup> Probability < 0.0

The Granger inspired tests can also be applied between the ISDs in pairwise fashion. The rationale for this series of tests is that social institutions could have mutual influences and it is reasonable to assume that some of the institutions represented in the five ISDs may have antecedent relationships with others. The Granger results are logged in Appendix 3 and summarised in Table 4. The only statistically significant causal flow at the 5 percent level runs from Civic Activism to Gender Equity. At the 10 percent level, there could be a causal flow from Gender Equity to Civic Activism, from Interpersonal Safety and Trust to Inter-group Cohesion and mutual flows between Clubs & Associations and Inter-group Cohesion.

Table 2
Granger inspired tests between ISDs – Core Group

Granger Causality (Ro	obust estimates)	F Statistics	Prob.	d.f.
Safety & Trust ->	Civic Activism	0.88	0.487	(4,28)
Civic Activism ->	Safety & Trust	1.07	0.391	(4,28)
Safety & Trust ->	Gender Equity	1.50	0.230	(4,28)
Gender Equity ->	Civic Activism	1.85	0.148	(4,28)
Safety & Trust -> Clubs & Associations ->	Clubs & Associations	1.69	0.181	(4,28)
	Safety & Trust	0.52	0.720	(4,28)
Safety & Trust -> Intergroup Cohesion ->	Intergroup Cohesion	2.23 +	0.092	(4,28)
	Safety & Trust	1.30	0.293	(4,28)
Civic Activism ->	Gender Equity	2.72 *	0.050	(4,28)
Gender Equity ->	Civic Activism	2.27 +	0.087	(4,28)
Civic Activism -> Clubs & Associations ->	Clubs & Associations	1.91	0.136	(4,28)
	Civic Activism	1.08	0.387	(4,28)
Civic Activism -> Intergroup Cohesion ->	Intergroup Cohesion	1.20	0.333	(4,28)
	Civic Activism	1.63	0.195	(4,28)
Gender Equity -> Clubs & Associations ->	Clubs & Associations	0.46	0.767	(4,28)
	Gender Equity	0.96	0.447	(4,28)
Gender Equity -> Intergroup Cohesion ->	Intergroup Cohesion	1.40	0.260	(4,28)
	Gender Equity	1.47	0.237	(4,28)
Clubs & Associations -> Intergroup Cohesion ->	Intergroup Cohesion Clubs & Associations	2.37 + 2.50 +	0.076 0.065	(4,28) (4,28)

<sup>\*\*</sup> Probability <0.01

<sup>\*\*</sup> Probability <0.01

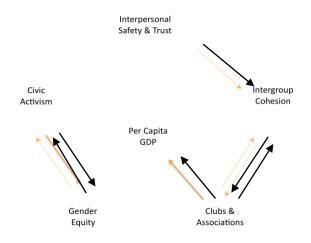
<sup>\*</sup> Probability < 0.05

<sup>\*</sup> Probability <0.05

<sup>+</sup> Probability < 0.10

Diagrammatically, all these Granger inspired test results are summarised in Figure 1, where solid arrows indicate statistically significant flows and light dotted arrows indicate marginal flows. The flow from Clubs & Associations to *gdppc* stands in contrast to Knack and Keefer (1997) who did not find associational activities to be a significant factor but does support other studies in the literature (Granovetter 1973, 1983; Olson 1982; Putnam 1993).

Figure 1
Granger Flows between ISDs and GDP Per Capita



Although only 37 countries have complete data on all five ISDs, many have complete data on some of the ISDs. Since the Granger inspired test is applied pairwise between two variables, more countries could be included for each pairwise causality test. This would improve representativeness of the results for the whole human species and the power of the statistical test, i.e. more likely to reject the null hypothesis when it is false, or, less likely to commit a Type II error. On the other hand, using different groups of countries in separate tests raises the question of whether the various tests could be combined. Strictly speaking, a test speaks only to the cohort that makes up the data. Anything that is said about any one causal flow ultimately can only truly be said about a particular data set, i.e., the collection of countries for which we have complete data for that test.

In any research paradigm, generalization is often put forth as possibly applicable to the larger species from which a specific sample is drawn. It is in this same spirit that we proceed with the next set of Granger inspired tests, using all available data. We posit the idea that the causal flows that might emerge from these tests, though based on varying data sets, might paint a larger picture of causal flows *as if* we have all data for all countries. This seems a reasonable exercise since our aim is not to establish a "proof" for any causal flow but to

uncover possible causal flows. With the Granger results in hand for a small core group, it would be of especial interest to see if the "mixed group" exercise at least does not contradict the small group findings. If anything, one expects more causal flows to become evident, while the causal flows discussed earlier would be present as well.

The Granger inspired test results are logged in Appendix 4 and summarised in Table 3. There are 50 countries in the test for Interpersonal Safety & Trust, 140 for Civic Activism, 141 for Gender Equity, 63 for Clubs & Associations, and 92 for Inter-group Cohesion<sup>2</sup>.

Table 3
Granger inspired tests for ISDs and GDP Per Capita

Granger Causality - Influence	Coefficient aggregate	Prob.	d.f.	
Safety & Trust ->		0.96	0.439	(4,41)
Per Capita GDP ->		6.18 ***	0.001	(4,41)
Civic Activism ->		1.17	0.328	(4,131)
Per Capita GDP ->		2.67 *	0.035	(4,131)
Gender Equity ->		4.62 **	0.002	(4,137)
Per Capita GDP ->		1.86	0.121	(4,136)
Clubs & Associations ->	Per Capita GDP	3.66 **	0.010	(4,54)
Per Capita GDP ->	Clubs & Associations	1.46	0.227	(4,54)
Intergroup Cohesion ->	Per Capita GDP	1.51	0.205	(4,84)
Per Capita GDP ->	Intergroup Cohesion	0.51	0.726	(4,84)

<sup>\*\*\*</sup> Probability <0.001

Out of the 8 tests, 4 are statistically significant at the 5 percent level. The results show that *gdppc* passes the Granger inspired tests with respect to Interpersonal Safety and Trust and Civic Activism. At the same time, Clubs & Associations and Gender Equity Granger pass Granger inspired tests with respect to *gdppc*. It is worth noting that the test result from Clubs & Associations to *gdppc* indicated in the last section (*n*=37) is preserved here (though the number of countries only increases from 37 to 50). These causal flows are diagrammed in Figure 2.

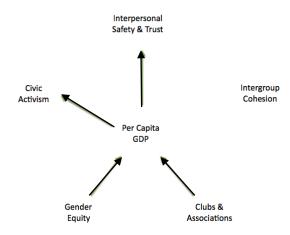
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<sup>\*</sup> Probability <0.01

<sup>\*</sup> Probability <0.05

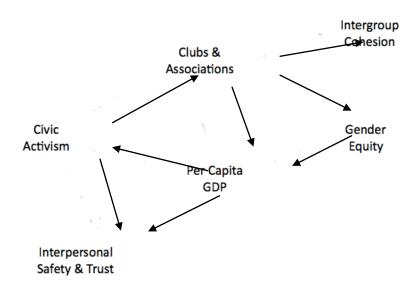
<sup>&</sup>lt;sup>2</sup> The number of observations could differ slightly between the two tests of flows of opposite directions.

Figure 2
Granger Flows between ISD and GDP Per Capita



Two of the ISDs, Clubs & Associations and Gender Equity, are indicated to Granger flow towards *gdppc*. Because of the dramatic unexplained fall in 1995 for the Gender Equity Index, this last causal flow was also tested excluding the 1995 values, but with no change in the result. Taking the *gdppc* Granger results and the inter-index Granger results together, we end up with the flow diagram shown in Figure 3.

Figure 3
Causal Flow – ISDs & gdppc



# 3.2 The Granger inspired test results - the ISDs and HDI

The Human Development Index has been produced since 1990 (UNDP 2011). There are three equally weighted sub-indices in HDI, made up from four different indicators: log PPP GNI per capita, mean years of schooling (for a 25 year old or older person), expected years of schooling (for a 5 year old child) and life expectancy at birth. The HDI is one of the most influential indices of human well-being, with the country ranking often used as a benchmark of progress. It provides a measure of outcome that could in turn have a long-term impact on economic development. The education sub-index would be indicative of the commonly discussed human capital in the literature. In the context of causal flows, though, one could hypothesise that, because the outcome aspects of HDI are pre-dominant, ISDs would more causally influence HDI than vice versa (Dulal and Foa, 2011).

We performed Granger inspired tests between ISDs and HDI for all countries with a complete set of scores for each ISD. The results are reported in Table 4. The causal flows are summarised in Figure 4:

- A mutual causal flow is indicated between Interpersonal Safety and Trust and HDI;
- A flow from Civic Activism to HDI (this flow is possibly negative. See Huang 2011);
- Gender Equity Granger causes HDI

Except for the first case, the flows indicate that ISDs come before HDI. The pattern of flows thus generally lends support to the hypothesis that social institutions, which ISDs measure, precede the outcomes in human well-being, which HDI measures.

Table 4
Granger inspired tests for ISD and HDI

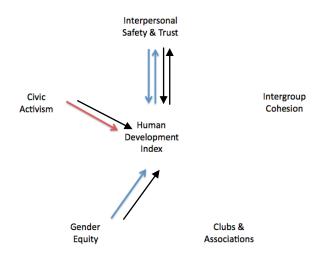
Granger Causality(	Robust estimates)	F Statistics	Prob.	d.f.
Safety & Trust -		3.67 *	0.014	(4,32)
HDI -		6.67 ***	0.001	(4,32)
Civic Activism -	> HDI	6.85 ***	0.000	(4,96)
HDI -	> Civic Activism	1.02	0.400	(4,96)
Gender Equity -	> HDI	5.51 ***	0.001	(4,102)
HDI -	> Gender Equity	0.84	0.504	(4,101)
Clubs & Associations -		1.34	0.271	(4,43)
HDI -		1.38	0.257	(4,43)
Intergroup Cohesion -		1.47	0.221	(4,65)
HDI -		1.15	0.339	(4,65)

<sup>\*\*\*</sup> Probability <0.001

<sup>\*\*</sup> Probability <0.01

<sup>\*</sup> Probability <0.05

Figure 4
Granger Causality between ISD and Human Development Index



# 3.3 The Granger inspired test results - the ISDs and Gini Coefficients

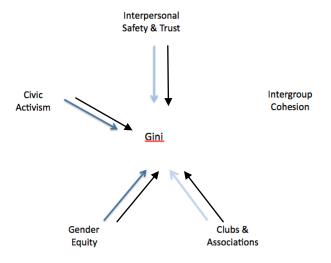
The Gini Coefficients used here claim to measure the distribution of household income in a country (World Bank 2011). A Gini score of 0 means absolute equality while a score of 1 means 'perfect' inequality. A major critique of Gini is that it does not differentiate between inequalities produced by different distributions across the income spectrum whereas an index such as Atkinson's can provide a statistic based on a subjectively adjustable sensitivity to the lower end of the distribution (De Maio 2007). Gini is nevertheless a commonly quoted developmental outcome measure. It thus merits an analysis vis-à-vis the ISDs. As in HDI, as an outcome indicator, it is expected that ISDs would Granger precede Gini but not vice versa.

Granger inspired tests were performed for all countries with a complete set of scores for each ISD after the Gini scores had been inverted (0=perfect inequality, 1=perfect equality) to give a 'common sense' meaning in which the higher the score the more 'developed' the society. The results are logged in Appendix 5 and tabled in Table 5 and the causal flows summarised in Figure 5. Caution is merited in examining the results as the number of observations is fewer than in previous tests and the conclusions might be more restricted. Four of the five ISD show evidence of Granger influencing the value of the Gini, though two are only significant at the 10 percent level. Of the ISDs, Inter-group Cohesion alone does not seem to have an influence on Gini.

Table 5 Granger inspired tests for ISD and Gini

Granger Causality (Ro	F Statistics	Prob.	d.f.	
Safety & Trust ->	Gini	2.42 +	0.087	(4,18)
Gini ->	Safety & Trust	1.17	0.343	(4,34)
Civic Activism ->	Gini	8.84 ***	0.000	(4,29)
Gini ->	Civic Activism	0.20	0.937	(4,63)
Gender Equity ->	Gini	6.75 ***	0.001	(4,30)
Gini ->	Gender Equity	1.80	0.139	(4,64)
Clubs & Associations -> Gini ->	Gini	2.28 +	0.093	(4,22)
	Clubs & Associations	0.20	0.938	(4,40)
Intergroup Cohesion -> Gini ->		1.72 1.76	0.199 0.155	(4,15) (4,43)

Figure 5
Granger Causality between ISD and Gini Coefficient



<sup>\*\*\*</sup> Probability <0.001
\*\* Probability <0.01
\* Probability <0.05
+ Marginal

#### 4. Structural reflections

In the spirit of critical realist epistemology, we will now reflect on the human relational and structural processes from which our empirical findings could have emerged. In doing so we ask the reader to accept that a high gdppc, a high HDI score and a high inverse Gini coefficient score (hereafter 'developmental indicators) are indicators of a well developed state of humanity. These reflections will combine the images created by Granger inspired testing all the countries that have complete sets of scores for each ISD (Figures 3, 4 and 5). These empirical images suggest:

- None of the ISDs pass the Granger inspired test as possible causes of all three developmental indicators.
- The Gender Equity ISD passes the Granger inspired tests for *gdppc* and the HDI and we assume these relationships are positive;
- The Clubs and Associations ISD pass the Granger inspired tests for *gdppc* and Gini coefficient, but we suspect the direction of these causalities to be negative;
- The Civic Activism ISD passes the Granger inspired tests for the HDI and Gini coefficient with what we presume are positive effects;
- The Interpersonal Safety and Trust ISD passes the Granger inspired test for the Gini coefficient and has a two way relationship with the HDI;
- The Intergroup Cohesion ISD passes none of the Granger inspired tests for the developmental indicators. We discuss this somewhat surprising result in another Working Paper (Huang and Cameron 2011);
- The Intergroup Cohesion ISD also appears to have no indirect causality running through the other ISDs. The only connection is with the Clubs and Associations ISD

among the ISDs in which we suspect the relationship is negative (see the discussion in Huang and Cameron 2011);

 The only candidates for an indirect effects on the developmental indicators working through other ISDs is the Civic Activism ISD working through the Clubs and Associations ISD, and the Clubs and Associations ISD working through the Gender Equity ISD.

Combining these complex empirical relationships suggests there is no simple causality running from the institutions human beings have created to the indicators we use to measure our developmental performance. Feminist advocates can take comfort from the performance of the Gender Equity ISD, though might be puzzled at the lack of relationship with the Gini coefficient. Better governance advocates might also be pleased at the performance of the Civic Activism ISD which they can claim is having a positive direct effect on the HDI and Gini coefficient and an indirect effect on the *gdppc*.

Overall, we think we can perceive agency/structure paradoxes in the current global order. The mainstream developmental emphasis on improving gender equity and creating more meaningful participative deliberative processes can work together to improve developmental performance. But this assumes such advocacy can positively affect decision-making by those agents with the power to modify resource allocation. But working against this are possible human responses to global insecurities in economic and personal safety in terms of forming protective, excluding 'clubs and associations' institutions.

An understandable urge to protect 'people like us' in a hostile environment by forming 'othering' institutions may be damaging our capability to develop as a species. If effective human agency and power over resources is vested in these institutions then the outlook for economic development is relatively poor. The HDI may move independently of any institutional shift, possibly because we can look after ourselves in terms of health and education 'locally'. More provocatively, if a sustainable human future lies in lower *gdpp*c growth, then encouraging our autarkic tendencies may be desirable, even if it means we become more economically unequal! But it is important to remember that these speculations are intended to encourage further debate not close arguments.

Finally, in terms of wider working with the ISS ISDs, we suggest our results indicate that a more dialectical approach to the ISDs is appropriate. Future research needs to bear in mind that the five ISDs may work in conflicting directions.

#### **Appendices**

#### Appendix 1. List of Indicators

#### Interpersonal Safety & Trust

- 1. Africa, % "Most People Can be Trusted"
- 2. Africa, % "Felt Unsafe in Home"
- 3. Africa, % Never had items stolen from home
- 4. Africa, % Never been attacked
- 5. Asia, % "Most People Can be Trusted"
- 6. Asia, % "Most People Try to be Fair"
- 7. Rating of Social Distrust
- 8. % Feel Safe in their Area at Night
- 9. % Feel Safe at Home after Dark
- 10. % Avoid Places When Go Out
- 11. % Take Company When Go Out
- 12. % Owners Had Car Stolen in Last 5 Yrs
- 13. % Experienced Theft Last 5 Yrs
- 14. Owners Had Car Vandalism Last 5 Yrs
- 15. % Owners Had Moped Theft Last 5 Yrs
- 16. % Suffered Break-in Last 5 Yrs
- 17. % Seen Attempted Break-in Last 5 Yrs
- 18. % Garage Thefts in Last 5 Yrs
- 19. % Been Mugged in Last 5 Yrs
- 20. % Had Pickpocketing in Last 5 Yrs
- 21. % Women Sexual Harassment in Last 5 Yrs
- 22. % Attacked in Last 5 Yrs
- 23. WHO, Violent Death Rate
- 24. Lat. America, % Attacked in Last Yr
- 25. Lat. America, % Feel Secure in Neighbourhood
- 26. Lat. America, % Victim Street Robbery
- 27. Lat. America, % Victim Burglary
- 28. Lat. America, % Attempted Murder
- 29. Lat. America, % Attempted Kidnapping
- 30. Lat. America, % "Most People can be Trusted"
- 31. OSAC Crime and Safety Ratings
- 32. UNCJIN, Homicide Rate
- 33. % Managers "Crime is Major Constraint"
- 34. % "Most People can be Trusted"
- 35. % "Most People try to be Fair"
- 36. "Most People try to be Fair" (1-10)
- 37. % Don't Trust their Neighbourhood
- 38. % Don't Trust People Know Personally
- 39. % Don't Trust People Meet First Time

#### Civic Activism

- 1. Africa, % Joined Demonstration
- 2. Africa, % Follow Radio News
- 3. Africa, % Follow TV News
- 4. Africa, % Reads Newspaper
- 5. Civicus Civil Society Rating
- 6. Radios per Capita

- 7. Lat. America, % Demonstrated
- 8. Lat. America, % Signed Petition
- 9. Lat. America, % Follow Radio News
- 10. Lat. America, % Reads Newspaper
- 11. Lat. America, % Follow TV News
- 12. Lat. America, % TV News Important
- 13. Lat. America, % Newspaper Important
- 14. Lat. America, % Radio News Important
- 15. Lat. America, Days/Week TV News
- 16. Lat. America, Days/Week Newspaper17. Lat. America, Days/Week Radio News
- 18. % workforce, Nonprofit workers
- 19. Newspapers per capita
- 20. % Have Signed Petition
- 21. Global, % Joined Boycott
- 22. Global, % Joined Protest
- 23. % Read Newspaper Last Wk
- 24. % Saw TV/Radio News Last Wk
- 25. % Read Magazine Last Wk
- 26. % Saw TV Reports Last Wk
- 27. % Read NF Books Last Wk
- 28. % Read Online News Last Wk
- 29. International NGO membership relative to pop.
- 30. International NGOs relative to pop

#### **Gender Equity**

- 1. Africa, % "Women Should Follow Tradition"
- 2. Africa, % support female politicians
- 3. Africa, % Man has "Right to Beat Wife"
- 4. Women's economic rights, rating
- 5. Women's social rights, rating
- 6. Ratio of Female to Male Wages
- 7. % Women, "Can Get Same Job as Men"
- 8. % Women, "Can Get Same Pay as Men"
- 9. % Women, "Can Get Same Education as Men"
- 10. % Employers, "Men More Right to Job than Women"
- 11. % Voting Age, "Men Make Better Leaders"
- 12. % Parents, "University More Important for a Boy"
- 13. % Managers, "Men better Executives than Women"
- 14. % "Wife Must Always Obey Husband"
- 15. Ratio Female-Male Labour Force Participation
- 16. Adult Female Literacy Rate
- 17. Female-Male Primary Enrollment Ratio
- 18. Female-Male Secondary Enrollment Ratio
- 19. Female-Male Tertiary Enrollment Ratio
- 20. Female-Male Mortality Rate Ratio
- 21. Ratio of Female Adminstrators
- 22. Ratio of Females in Professional Jobs

#### Clubs & Associations

- 1. Lat. America, % Volunteering
- 2. Lat. America, % Often Work Community
- 3. Lat. America, % Member Youth Group
- 4. Lat. America, % Member Womens Group
- 5. Lat. America, % Member Sports Club
- 6. Lat. America, % Member Church
- 7. Lat. America, % Work Community
- 8. Lat. America, % Member Trade Union
- 9. Lat. America, % Member Vol. Assoc.
- 10. Lat. America, % Member Pol. Party
- 11. Lat. America, % Member Cultural Centre
- 12. Africa, % Member Religious Group
- 13. Africa, % Member Dev. Assoc.
- 14. Africa, % Attended Comm. Meeting
- 15. Africa, % Member Trade Union
- 16. Africa, % Member Business Group
- 17. Africa, % Don't Trust Neighbours
- 18. Africa, % Attended Comm. Meeting (1999)
- 19. % Saying People Help in Neighbourhood
- 20. % Member Relig. Organisation
- 21. % Member Sports Club
- 22. % Member Other Voluntary
- 23. % Belong Youth Club
- 24. % Belong Sports Club
- 25. % Unpaid Health Work
- 26. % Belong Environmental NGO
- 27. % Belong Women's Group
- 28. % Belong Peace Movemeng
- 29. % Active Member, Arts Associations
- 30. % Active Member, Trade Union
- 31. % Active Member, Environmental Group
- 32. % Active Member, Professional Assoc.
- 33. % Active Member, Human Rights
- 34. % Spend Time with Relatives Once/Week+
- 35. % Socialise at Church/Temple/Mosque Once/Week+
- 36. % Socialise with Friends Once/Week+
- 37. % Socialise in Cultural Assoc. Once/Week+
- 38. % Visit their Siblings Once/Year+
- 39. % Member of Religious Assoc.
- 40. % Member Neighbourhood Group
- 41. % Helped Someone Find Job Last Yr

#### Inter-group Cohesion

- 1. Violent Demonstration, Rating
- 2. Deaths in Conflict, Rating
- 3. Rating, Inter-group Grievances
- 4. Civil Disorder, Rating
- 5. Internal Conflict, Rating
- 6. Terrorism Risk, Rating
- 7. Minority Rebellion Score
- 8. Log assassinations per log capita

- 9. Log guerrilla acts per log capita10. Log riots per log capita11. Terrorism, Rating

- 12. Log terrorist acts per log capita

# Appendix 2. Granger inspired tests: ISDs & GDP Per Capita - Core Group of 37

```
Linear regression
                                            Number of obs =
                                            F(8, 28) = 1189.34
                                            Prob > F
                                                     = 0.0000
                                            R-squared = 0.9938
                                            Root MSE
                                                      = 1065.5
                      Robust
  gdppc2010 | Coef. Std. Err. t P>|t| [95% Conf. Interval]
------
  gdppc2005 | 1.104106 .1383024 7.98 0.000
                                            .8208069 1.387406
  gdppc2000 | -.3010767 .3478254 -0.87 0.394 -1.013565 .4114114
  gdppc1995 | .2874229 .2624092 1.10 0.283
                                             -.2500979 .8249437
  gdppc1990 | -.1172049 .0891324 -1.31 0.199
                                            -.2997843 .0653745
 safety2005 | 10888.64 8235.494
                              1.32 0.197
                                             -5981.007
                                                      27758.28
 safety2000 | -16007.53 7672.945 -2.09 0.046
                                            -31724.85 -290.2173
 safety1995 | 12586.34 17569.82 0.72 0.480
                                             -23403.81
                                                      48576.5
 safety1990 | 16853.66 17283.94 0.98 0.338
                                             -18550.89
                                                      52258.21
     _cons | -11137.95 7791.818 -1.43 0.164
                                             -27098.77
                                                      4822.862
(1) safety2005 = 0
(2) safety2000 = 0
(3) safety1995 = 0
(4) safety1990 = 0
     F(4, 28) = 1.57
         \mathsf{Prob} \, > \, \mathsf{F} \, = \, 0.2097
                                            Number of obs = 37
Linear regression
                                            F(8, 28) = 99.33
                                            Prob > F
                                                      = 0.0000
                                            R-squared
                                                     = 0.9323
```

| Robust
safety2010 | Coef. Std. Err. t P>|t| [95% Conf. Interval]

= .02254

Root MSE

22

----safety2005 | 1.141819 .1583418 7.21 0.000 .8174711 1.466168 safety2000 | -.2305477 .1749055 -1.32 0.198 -.5888254 .12773 safety1995 | .6018755 .291756 2.06 0.049 .0042403 1.199511 safety1990 | -.4164077 .410389 -1.01 0.319 -1.257051 .424236 gdppc2005 | -1.19e-06 2.49e-06 -0.48 0.637 -6.28e-06 3.91e-06 -2.62e-06 .0000227 gdppc2000 | .00001 6.18e-06 1.62 0.115 gdppc1995 | -.0000112 4.99e-06 -2.25 0.032 -.0000215 -1.03e-06 gdppc1990 | 2.24e-06 1.76e-06 1.27 0.214 -1.37e-06 5.84e-06 \_cons | -.0559098 .1864776 -0.30 0.767 -.4378918 .3260723

- (1) gdppc2005 = 0
- (2) gdppc2000 = 0
- (3) gdppc1995 = 0
- (4) gdppc1990 = 0

$$F(4, 28) = 1.99$$
  
 $Prob > F = 0.1236$ 

Linear regression

F( 8, 28) = 1025.60Prob > F = 0.0000

R-squared

Number of obs = 37

Root MSE = 1097.2

= 0.9935

\_\_\_\_\_

-							
	1		Robust				
	gdppc2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
-	+-						
	gdppc2005	1.173513	.1558369	7.53	0.000	.8542957	1.49273
	gdppc2000	365253	.351024	-1.04	0.307	-1.084293	.3537872
	gdppc1995	.2669471	.2697446	0.99	0.331	2855996	.8194938
	gdppc1990	1040589	.1190305	-0.87	0.389	3478818	.139764
	civic2005	-6000.674	11625.35	-0.52	0.610	-29814.12	17812.77
	civic2000	2009.046	11822.24	0.17	0.866	-22207.72	26225.81
	civic1995	-4387.359	5502.945	-0.80	0.432	-15659.63	6884.913
	civic1990	6090.451	5563.01	1.09	0.283	-5304.858	17485.76
	_cons	2261.968	4581.857	0.49	0.625	-7123.541	11647.48

23

- ( 1) civic2005 = 0
- ( 2) civic2000 = 0
- ( 3) civic1995 = 0
- ( 4) civic1990 = 0

F(4, 28) = 0.39

Prob > F = 0.8170

Linear regression Number of obs = 37

F( 8, 28) = 463.89

Prob > F = 0.0000

R-squared = 0.9809

Root MSE = .00958

I		Robust				
civic2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
civic2005	1.175771	.1416744	8.30	0.000	.8855639	1.465978
civic2000	0822492	.0827254	-0.99	0.329	2517046	.0872061
civic1995	.0530327	.0460894	1.15	0.260	0413772	.1474427
civic1990	0370332	.0330464	-1.12	0.272	1047257	.0306594
gdppc2005	-3.32e-07	1.34e-06	-0.25	0.806	-3.08e-06	2.41e-06
gdppc2000	1.84e-06	3.47e-06	0.53	0.599	-5.26e-06	8.94e-06
gdppc1995	-2.20e-06	2.62e-06	-0.84	0.407	-7.56e-06	3.16e-06
gdppc1990	9.91e-07	6.02e-07	1.65	0.111	-2.42e-07	2.22e-06
_cons	0570219	.0887936	-0.64	0.526	2389074	.1248635

-----

- (1) gdppc2005 = 0
- (2) gdppc2000 = 0
- (3) gdppc1995 = 0
- (4) gdppc1990 = 0

$$F(4, 28) = 1.30$$

Prob > F = 0.2953

Linear regression Number of obs = 37

F( 8, 28) = 1030.40

Prob > F = 0.0000

R-squared = 0.9942

Root MSE = 1037.5

\_\_\_\_\_

Robust

gdppc2010 | Coef. Std. Err. t P>|t| [95% Conf. Interval]

gdppc2005 | 1.137318 .1230607 9.24 0.000 .8852398 1.389397

gdppc2000 | -.2531754 .3098117 -0.82 0.421 -.8877958 .381445

gdppc1995	.1383772	.2902655	0.48	0.637	4562047	.7329591
gdppc1990	0779839	.1223299	-0.64	0.529	3285653	.1725976
gender2005	13529.2	11012.44	1.23	0.229	-9028.756	36087.15
gender2000	-8666.983	9373.377	-0.92	0.363	-27867.48	10533.51
gender1995	8475.09	4694.671	1.81	0.082	-1141.508	18091.69
gender1990	-15802.81	8068.146	-1.96	0.060	-32329.65	724.041
_cons	2219.208	4317.411	0.51	0.611	-6624.608	11063.02

-----

- (1) gender2005 = 0
- (2) gender2000 = 0
- (3) gender1995 = 0
- (4) gender1990 = 0

$$F(4, 28) = 2.02$$
  
 $Prob > F = 0.1184$ 

Linear regression

Number of obs = 37F( 8, 28) = 148.63 Prob > F = 0.0000 R-squared = 0.9577 Root MSE = .01305

-----

1		Robust				
gender2010	Coef.	Std. Err.	t	P> t	[95% Conf.	. Interval]
+						
gender2005	.873648	.1592041	5.49	0.000	.5475331	1.199763
gender2000	.2422365	.1347869	1.80	0.083	033862	.518335
gender1995	0969064	.0938579	-1.03	0.311	2891657	.0953529
gender1990	.1552103	.1017846	1.52	0.139	0532859	.3637065
gdppc2005	-2.19e-06	1.34e-06	-1.64	0.112	-4.93e-06	5.47e-07
gdppc2000	5.35e-06	3.00e-06	1.79	0.085	-7.89e-07	.0000115
gdppc1995	-4.06e-06	3.11e-06	-1.30	0.203	0000104	2.32e-06
gdppc1990	6.85e-07	1.06e-06	0.64	0.524	-1.49e-06	2.86e-06
_cons	1240794	.0458154	-2.71	0.011	2179279	0302308

<sup>(1)</sup> gdppc2005 = 0

<sup>(2)</sup> gdppc2000 = 0

<sup>(3)</sup> gdppc1995 = 0

(4) gdppc1990 = 0

F( 4, 28) = 1.16

Prob > F = 0.3474

Linear regression Number of obs = 37

F(8, 28) = 2399.30

Prob > F = 0.0000

R-squared = 0.9950

Root MSE = 961.2

1		Robust				
gdppc2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
+-						
gdppc2005	1.044649	.178469	5.85	0.000	.6790718	1.410226
gdppc2000	1609794	. 3642642	-0.44	0.662	9071409	.585182
gdppc1995	.2901323	.2463899	1.18	0.249	2145746	.7948392
gdppc1990	209737	.1194835	-1.76	0.090	4544878	.0350138
clubs2005	-14019.42	4155.792	-3.37	0.002	-22532.18	-5506.669
clubs2000	647.8233	10760.35	0.06	0.952	-21393.76	22689.4
clubs1995	28284.75	15104.89	1.87	0.072	-2656.215	59225.71
clubs1990	-766.7808	4063.23	-0.19	0.852	-9089.929	7556.368
_cons	-5862.59	4099.65	-1.43	0.164	-14260.34	2535.161

- (1) clubs2005 = 0
- (2) clubs2000 = 0
- (3) clubs1995 = 0
- (4) clubs1990 = 0

F(4, 28) = 4.29

Prob > F = 0.0078

Linear regression Number of obs = 37

F( 8, 28) = 216.91

Prob > F = 0.0000

R-squared = 0.9504

Root MSE = .02651

| Robust

clubs1995	5402973	.4025272	-1.34	0.190	-1.364837	.2842423
clubs1990	.0300191	.0953035	0.31	0.755	1652012	.2252395
gdppc2005	-1.06e-07	3.22e-06	-0.03	0.974	-6.71e-06	6.50e-06
gdppc2000	-8.98e-08	5.64e-06	-0.02	0.987	0000116	.0000115
gdppc1995	-2.57e-07	3.99e-06	-0.06	0.949	-8.42e-06	7.91e-06
gdppc1990	1.11e-06	2.65e-06	0.42	0.678	-4.32e-06	6.54e-06
_cons	.2900666	.1720818	1.69	0.103	062427	.6425601

\_\_\_\_\_

- (1) gdppc2005 = 0
- (2) gdppc2000 = 0
- (3) gdppc1995 = 0
- (4) gdppc1990 = 0

$$F(4, 28) = 0.50$$
  
 $Prob > F = 0.7360$ 

Linear regression

Number of obs = 37F( 8, 28) = 1340.62 Prob > F = 0.0000 R-squared = 0.9938 Root MSE = 1070

.....

1		Robust				
gdppc2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
+-						
gdppc2005	1.115474	.129566	8.61	0.000	.8500703	1.380878
gdppc2000	2827933	.3033152	-0.93	0.359	9041064	.3385197
gdppc1995	.1928437	.24312	0.79	0.434	3051651	.6908525
gdppc1990	0807878	.0853309	-0.95	0.352	2555801	.0940046
cohesion2005	-1301.413	5710.064	-0.23	0.821	-12997.95	10395.12
cohesion2000	965.8256	2254.305	0.43	0.672	-3651.908	5583.559
cohesion1995	7289.109	4564.58	1.60	0.122	-2061.009	16639.23
cohesion1990	-2510.641	4431.171	-0.57	0.576	-11587.48	6566.201
_cons	-1712.69	1958.542	-0.87	0.389	-5724.581	2299.202

<sup>( 1)</sup> cohesion2005 = 0

<sup>( 2)</sup> cohesion2000 = 0

<sup>(3)</sup> cohesion1995 = 0

(4) cohesion1990 = 0

F( 4, 28) = 1.43

Prob > F = 0.2506

Linear regression Number of obs = 37

F(8, 28) = 125.31

Prob > F = 0.0000

R-squared = 0.9560

Root MSE = .0149

\_\_\_\_\_ 1 Robust cohesion2010 | Coef. Std. Err. t P>|t| [95% Conf. Interval] -----cohesion2005 | .8487324 .0793644 10.69 0.000 .6861618 1.011303 cohesion2000 | -.0437056 .0491528 -0.89 0.381 -.1443905 .0569793 cohesion1995 | .1353674 .0770525 1.76 0.090 -.0224675 .2932023 cohesion1990 | .0368158 .0759064 0.49 0.631 -.1186714 .192303 2.38e-06 gdppc2000 | 3.12e-06 3.30e-06 0.94 0.353 -3.65e-06 9.88e-06 gdppc1995 | -2.90e-06 2.38e-06 -1.22 0.233 -7.77e-06 1.97e-06 gdppc1990 | 1.16e-06 1.21e-06 0.95 0.349 -1.33e-06 3.64e-06 \_cons | -.0521067 .0276476 -1.88 0.070 -.1087404 .0045269

\_\_\_\_\_

- (1) gdppc2005 = 0
- (2) gdppc2000 = 0
- (3) gdppc1995 = 0
- (4) gdppc1990 = 0

F(4, 28) = 0.96

Prob > F = 0.4442

# Appendix 3. Granger inspired tests: Between ISDs - Core Group of 37

Linear regression			Numb	er of	obs	=	37
			F(	8,	28)	=	52.77
			Prob	> F		=	0.0000
			R-sq	uared	I	=	0.9275
			Root	MSE		=	.02333
	Dahuat						

1		Robust				
safety2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
+-						
safety2005	1.282201	.1389513	9.23	0.000	.9975719	1.566829
safety2000	4234426	.1521001	-2.78	0.010	7350054	1118797
safety1995	1.19665	.4377983	2.73	0.011	.2998613	2.09344
safety1990	7837146	.5197992	-1.51	0.143	-1.848475	.2810459
civic2005	0875865	.2354092	-0.37	0.713	5698004	.3946274
civic2000	.0939058	.2314586	0.41	0.688	3802156	.5680272
civic1995	0980566	.089365	-1.10	0.282	2811125	.0849993
civic1990	.1690172	.1119913	1.51	0.142	0603866	.3984209
_cons	176695	. 2275522	-0.78	0.444	6428145	.2894245

-----

```
( 1) civic2005 = 0
```

( 4) civic1990 = 0

$$F(4, 28) = 1.07$$
  
 $Prob > F = 0.3914$ 

\_\_\_\_\_

<sup>( 2)</sup> civic2000 = 0

<sup>(3)</sup> civic1995 = 0

			Robust				
civic2010			Std. Err.			[95% Conf.	_
	+-						
civic2005	I	1.191303	.1305539	9.12	0.000	.9238755	1.45873
civic2000	I	0290422	.0646126	-0.45	0.657	1613951	.1033107
civic1995	I	.0393068	.0402531	0.98	0.337	0431479	.1217614
civic1990	ı	0199701	.0215956	-0.92	0.363	0642066	.0242664
safety2005	ı	.0323714	.048763	0.66	0.512	0675152	.1322579
safety2000	I	0255769	.0563496	-0.45	0.653	1410039	.0898501
safety1995	ı	.1460726	.2084718	0.70	0.489	2809626	.5731077
safety1990	ı	3013347	.2523856	-1.19	0.243	8183231	.2156538
.,							
_cons	I	0086787	.1092759	-0.08	0.937	2325202	.2151627

- (1) safety2005 = 0
- (2) safety2000 = 0
- (3) safety1995 = 0
- (4) safety1990 = 0

$$F(4, 28) = 0.88$$
  
 $Prob > F = 0.4874$ 

Linear regression Number of obs = 37

F( 8, 28) = 108.35

Prob > F = 0.0000

R-squared = 0.9235

Root MSE = .02397

| Robust

safety2010	Coef.	Std. Err.	t		[95% Conf.	Interval]
+-						
safety2005	1.146548	.1586767	7.23	0.000	.8215139	1.471583
safety2000	2154872	.1726072	-1.25	0.222	5690571	.1380827
safety1995	.8270735	.4196729	1.97	0.059	0325875	1.686734
safety1990	8434877	.4074836	-2.07	0.048	-1.67818	0087954
gender2005	1046412	. 2459332	-0.43	0.674	6084125	.3991301
gender2000	.0164643	.1809934	0.09	0.928	3542839	.3872124
gender1995	.1984695	.1072933	1.85	0.075	0213109	.4182499
gender1990	1193504	.121596	-0.98	0.335	3684284	.1297276
_cons	.0707137	.2858173	0.25	0.806	5147564	.6561839

-----

- (1) gender2005 = 0
- (2) gender2000 = 0
- (3) gender1995 = 0
- (4) gender1990 = 0

F( 4, 28) = 1.85

Prob > F = 0.1475

Linear regression Number of obs = 37

F( 8, 28) = 115.13

Prob > F = 0.0000

R-squared = 0.9661

Root MSE = .01168

I		Robust				
gender2010	Coef.				_	Interval]
gender2005	.7439362	.1519406	4.90	0.000	.4327	1.055172
gender2000	.3356653	.1187045	2.83	0.009	.0925102	.5788205
gender1995	0917952	.0778919	-1.18	0.249	2513494	.067759
gender1990	.1738793	.1000098	1.74	0.093	0309816	.3787401
safety2005	0762507	.0870803	-0.88	0.389	2546265	.1021251
safety2000	.2182666	.1010638	2.16	0.040	.0112468	.4252863
safety1995	5948764	.2514593	-2.37	0.025	-1.109967	0797854
safety1990	.0163243	.2164462	0.08	0.940	4270458	.4596943
_cons	.1280025	.1606942	0.80	0.432	2011647	.4571697

-----

- (1) safety2005 = 0
- (2) safety2000 = 0
- (3) safety1995 = 0
- (4) safety1990 = 0

$$F(4, 28) = 1.50$$

Prob > F = 0.2299

Linear regression Number of obs = 37

F( 8, 28) = 104.65

Prob > F = 0.0000

R-squared = 0.9170

Root MSE = .02496

safety1995	.8644057	.4304823	2.01	0.054	0173974	1.746209
safety1990	872272	.4528013	-1.93	0.064	-1.799793	.0552494
clubs2005	.0112407	.153806	0.07	0.942	3038166	.3262981
clubs2000	1608164	. 2487439	-0.65	0.523	6703452	.3487123
clubs1995	.0838764	.4193821	0.20	0.843	7751888	.9429416
clubs1990	.0402175	.0990011	0.41	0.688	1625771	.2430121
_cons	.0280978	.2348997	0.12	0.906	4530724	.5092679

\_\_\_\_\_

- (1) clubs2005 = 0
- (2) clubs2000 = 0
- (3) clubs1995 = 0
- (4) clubs1990 = 0

$$F(4, 28) = 0.52$$
  
 $Prob > F = 0.7202$ 

Linear regression

Number of obs = 37F( 8, 28) = 149.80 Prob > F = 0.0000 R-squared = 0.9559 Root MSE = .025

.....

1		Robust				
clubs2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
clubs2005	1.584957	.2469877	6.42	0.000	1.079026	2.090889
clubs2000	6812093	.3071599	-2.22	0.035	-1.310398	0520208
clubs1995	4138999	. 3879473	-1.07	0.295	-1.208574	.3807741
clubs1990	0413643	.0835173	-0.50	0.624	2124418	.1297131
safety2005	.3068333	.1637304	1.87	0.071	0285533	.6422199
safety2000	095932	.1738208	-0.55	0.585	4519877	.2601238
safety1995	3607058	.3874028	-0.93	0.360	-1.154264	.4328529
safety1990	.0687021	.4924521	0.14	0.890	9400402	1.077444
_cons	.338759	.1980698	1.71	0.098	0669686	.7444866

<sup>(1)</sup> safety2005 = 0

<sup>(2)</sup> safety2000 = 0

<sup>(3)</sup> safety1995 = 0

(4) safety1990 = 0

F( 4, 28) = 1.69

Linear regression Number of obs = 37

F(8, 28) = 146.05

Prob > F = 0.0000

R-squared = 0.9257

Root MSE = .02362

I		Robust				
safety2010		Std. Err.			[95% Conf.	_
safety2005	1.126648		5.82	0.000	.7301066	1.523189
safety2000	2661391	.175553	-1.52	0.141	6257431	.0934648
safety1995	1.007439	.4207161	2.39	0.024	.1456412	1.869237
safety1990	8940313	.4589143	-1.95	0.061	-1.834075	.0460121
cohesion2005	.0411934	.1394483	0.30	0.770	2444534	.3268403
cohesion2000	.1426103	.0703663	2.03	0.052	0015285	.2867491
cohesion1995	17568	.1161027	-1.51	0.141	4135057	.0621457
cohesion1990	0360085	.1161034	-0.31	0.759	2738355	.2018185
_cons	.0505138	.2380209	0.21	0.833	43705	.5380776

-----

- (1) cohesion2005 = 0
- (2) cohesion2000 = 0
- (3) cohesion1995 = 0
- (4) cohesion1990 = 0

$$F(4, 28) = 1.30$$

Prob > F = 0.2925

Linear regression Number of obs = 37

F(8, 28) = 134.99

Prob > F = 0.0000

R-squared = 0.9627

Root MSE = .01372

-----

cohesion1995	.0906787	.053783	1.69	0.103	0194908	.2008481
cohesion1990	.038755	.0605837	0.64	0.528	085345	.1628551
safety2005	.0235737	.1014232	0.23	0.818	1841823	.2313297
safety2000	0643192	.093881	-0.69	0.499	2566257	.1279873
safety1995	.2410133	.1982804	1.22	0.234	1651456	.6471723
safety1990	4657984	.2449577	-1.90	0.068	9675716	.0359748
_cons	.0874504	.1091121	0.80	0.430	1360555	.3109563

- (1) safety2005 = 0
- (2) safety2000 = 0
- (3) safety1995 = 0
- (4) safety1990 = 0

$$F(4, 28) = 2.23$$
  
 $Prob > F = 0.0915$ 

Linear regression

Number of obs = 37F( 8, 28) = 182.89Prob > F = 0.0000R-squared = 0.9832Root MSE = .00899

.....

1		Robust				
civic2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
+-						
civic2005	1.176771	.1263391	9.31	0.000	.917977	1.435565
civic2000	09851	.0880266	-1.12	0.273	2788244	.0818044
civic1995	.0440967	.0456691	0.97	0.343	0494522	.1376455
civic1990	.0016745	.0454627	0.04	0.971	0914516	.0948005
gender2005	2165584	.2214892	-0.98	0.337	6702584	.2371416
gender2000	.1150962	.1007041	1.14	0.263	0911868	.3213792
gender1995	.0266305	.0332214	0.80	0.430	0414204	.0946814
gender1990	.087921	.1216138	0.72	0.476	1611936	.3370355
_cons	0523771	.0905168	-0.58	0.567	2377923	.133038

<sup>(1)</sup> gender2005 = 0

<sup>(2)</sup> gender2000 = 0

<sup>(3)</sup> gender1995 = 0

(4) gender1990 = 0

F( 4, 28) = 2.27

Linear regression Number of obs = 37

F(8, 28) = 148.20

Prob > F = 0.0000

R-squared = 0.9663

Root MSE = .01165

I		Robust				
gender2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
+-						
gender2005	.6273139	.1677845	3.74	0.001	.283623	.9710048
gender2000	.3645482	.1034844	3.52	0.001	.1525699	.5765265
gender1995	1439894	.0871639	-1.65	0.110	3225365	.0345578
gender1990	.3244002	.1042864	3.11	0.004	.1107792	.5380211
civic2005	.0098719	.1298238	0.08	0.940	2560602	.2758039
civic2000	0967443	.0847645	-1.14	0.263	2703765	.0768879
civic1995	1117848	.0516701	-2.16	0.039	2176262	0059433
civic1990	.176786	.0603162	2.93	0.007	.053234	.3003381
_cons	0955126	.0509484	-1.87	0.071	1998756	.0088505

- ( 1) civic2005 = 0
- ( 2) civic2000 = 0
- (3) civic1995 = 0
- (4) civic1990 = 0

F(4, 28) = 2.72

Prob > F = 0.0497

Linear regression Number of obs = 37

F(8, 28) = 297.07

Prob > F = 0.0000

R-squared = 0.9828

Root MSE = .00908

| Robust
| Civic2010 | Coef. Std. Err. t P>|t| [95% Conf. Interval]
| Civic2005 | 1.226859 .1043437 11.76 0.000 1.013121 1.440597
| Civic2000 | -.0309773 .0755232 -0.41 0.685 -.1856795 .123725

civic1995	.0263026	.0405972	0.65	0.522	056857	.1094621
civic1990	0146426	.0251453	-0.58	0.565	0661504	.0368653
clubs2005	.0706074	.0532946	1.32	0.196	0385615	.1797764
clubs2000	1175344	.0807619	-1.46	0.157	2829677	.047899
clubs1995	.0438844	.1200741	0.37	0.718	2020762	.2898451
clubs1990	.0046413	.0324965	0.14	0.887	0619248	.0712073
_cons	1076152	.0401509	-2.68	0.012	1898607	0253698

\_\_\_\_\_

- (1) clubs2005 = 0
- (2) clubs2000 = 0
- (3) clubs1995 = 0
- (4) clubs1990 = 0

$$F(4, 28) = 1.08$$
  
 $Prob > F = 0.3865$ 

Linear regression

Number of obs = 37F( 8, 28) = 212.45 Prob > F = 0.0000 R-squared = 0.9530 Root MSE = .0258

.....

1		Robust				
clubs2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
+-						
clubs2005	1.504426	.2367782	6.35	0.000	1.019408	1.989444
clubs2000	5867153	.3361227	-1.75	0.092	-1.275231	.1018007
clubs1995	519868	.368046	-1.41	0.169	-1.273776	.23404
clubs1990	.02666	.0974644	0.27	0.786	1729867	.2263068
civic2005	0167454	.2496788	-0.07	0.947	5281892	.4946984
civic2000	.2505835	.1478399	1.69	0.101	0522529	.5534199
civic1995	0867867	.1114025	-0.78	0.442	3149844	.1414109
civic1990	.0328582	.063496	0.52	0.609	0972074	.1629238
_cons	.1892139	.1408163	1.34	0.190	0992352	.4776629

<sup>( 1)</sup> civic2005 = 0

<sup>( 2)</sup> civic2000 = 0

<sup>( 3)</sup> civic1995 = 0

( 4) civic1990 = 0

F( 4, 28) = 1.91

Linear regression Number of obs = 37

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F(8, 28) = 256.73

Prob > F = 0.0000

R-squared = 0.9822

Root MSE = .00926

1		Robust				
civic2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
civic2005	1.239978	.1118203	11.09	0.000	1.010924	1.469031
civic2000	0432174	.0664918	-0.65	0.521	1794197	.0929849
civic1995	.0400808	.052987	0.76	0.456	0684582	.1486197
civic1990	0490554	.0384532	-1.28	0.213	1278233	.0297125
cohesion2005	0711901	.0352684	-2.02	0.053	143434	.0010538
cohesion2000	.0271876	.0168968	1.61	0.119	007424	.0617991
cohesion1995	.054741	.0401706	1.36	0.184	0275447	.1370267
cohesion1990	0026639	.024059	-0.11	0.913	0519466	.0466187

-----

\_cons | -.1017632 .0400606 -2.54 0.017 -.1838237 -.0197028

- ( 1) cohesion2005 = 0
- (2) cohesion2000 = 0
- (3) cohesion1995 = 0
- (4) cohesion1990 = 0

Prob > F = 0.1946

Linear regression Number of obs = 37

F( 8, 28) = 108.50

Prob > F = 0.0000

R-squared = 0.9621

Root MSE = .01382

-----

cohesion1995	.0840715	.0846368	0.99	0.329	0892991	.2574421
cohesion1990	.0664781	.0791865	0.84	0.408	0957281	.2286843
civic2005	.1893179	.1544987	1.23	0.231	1271584	.5057942
civic2000	2051366	.1378446	-1.49	0.148	4874984	.0772251
civic1995	0049338	.0531874	-0.09	0.927	1138833	.1040158
civic1990	.0688028	.0573771	1.20	0.241	0487288	.1863344
_cons	0689224	.0454354	-1.52	0.140	1619926	.0241479

- ( 1) civic2005 = 0
- ( 2) civic2000 = 0
- ( 3) civic1995 = 0
- ( 4) civic1990 = 0

$$F(4, 28) = 1.20$$
  
 $Prob > F = 0.3325$ 

Linear regression

Number of obs = 37F( 8, 28) = 168.15Prob > F = 0.0000R-squared = 0.9588Root MSE = .01288

.....

I		Robust				
					[95% Conf.	_
+						
gender2005	.8279154	.1689417	4.90	0.000	.4818541	1.173977
gender2000	.3277397	.1074286	3.05	0.005	.1076822	.5477973
gender1995	1622065	.0862153	-1.88	0.070	3388104	.0143975
gender1990	.198406	.099274	2.00	0.055	0049475	.4017595
clubs2005	1350981	.0757839	-1.78	0.085	2903345	.0201382
clubs2000	.1707711	.0991932	1.72	0.096	032417	.3739591
clubs1995	0674832	.2002167	-0.34	0.739	4776084	.3426421
clubs1990	.0602172	.0511265	1.18	0.249	0445107	.1649452
_cons	1415141	.0662781	-2.14	0.042	2772787	0057495

<sup>(1)</sup> clubs2005 = 0

<sup>(2)</sup> clubs2000 = 0

<sup>(3)</sup> clubs1995 = 0

(4) clubs1990 = 0

F( 4, 28) = 0.96

Linear regression Number of obs = 37

F( 8, 28) = 205.54

Prob > F = 0.0000

R-squared = 0.9524

Root MSE = .02597

I		Robust				
clubs2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
clubs2005	1.543747	.2581728	5.98	0.000	1.014904	2.07259
clubs2000	6158578	.3293416	-1.87	0.072	-1.290483	.0587678
clubs1995	4673624	.3743117	-1.25	0.222	-1.234105	.2993804
clubs1990	0257136	.0778488	-0.33	0.744	1851797	.1337525
gender2005	1487309	.2810417	-0.53	0.601	7244188	.426957
gender2000	.0432747	.1827591	0.24	0.815	3310904	.4176398
gender1995	.170942	.1558777	1.10	0.282	148359	.490243
gender1990	1321947	.1908193	-0.69	0.494	5230703	.2586809
_cons	.3471197	.2253996	1.54	0.135	1145904	.8088298

-----

- (1) gender2005 = 0
- (2) gender2000 = 0
- (3) gender1995 = 0
- (4) gender1990 = 0

$$F(4, 28) = 0.46$$

Prob > F = 0.7674

Linear regression Number of obs = 37

F(8, 28) = 191.93

Prob > F = 0.0000

R-squared = 0.9602

Root MSE = .01265

| Robust
gender2010 | Coef. Std. Err. t P>|t| [95% Conf. Interval]
gender2005 | .9496887 .1352564 7.02 0.000 .6726284 1.226749
gender2000 | .2564766 .0995908 2.58 0.016 .0524742 .460479

gender1995	I	1757448	.0800688	-2.19	0.037	3397582	0117314
gender1990	I	.1888419	.0949041	1.99	0.056	0055603	.3832441
cohesion2005	I	.019977	.0705633	0.28	0.779	1245654	.1645194
cohesion2000	I	.0574425	.0329595	1.74	0.092	010072	.124957
cohesion1995	I	0192909	.0538917	-0.36	0.723	129683	.0911013
cohesion1990	I	0805098	.0422966	-1.90	0.067	1671504	.0061308
_cons	I	1478652	.0394363	-3.75	0.001	2286468	0670835

\_\_\_\_\_

- (1) cohesion2005 = 0
- (2) cohesion2000 = 0
- (3) cohesion1995 = 0
- (4) cohesion1990 = 0

$$F(4, 28) = 1.47$$
  
 $Prob > F = 0.2368$ 

Linear regression

Number of obs = 37F( 8, 28) = 127.47Prob > F = 0.0000R-squared = 0.9623Root MSE = .01378

.....

1		Robust				
cohesion2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
+-						
cohesion2005	.8793301	.0791296	11.11	0.000	.7172405	1.04142
cohesion2000	0311784	.0352847	-0.88	0.384	1034559	.041099
cohesion1995	.0816643	.0657844	1.24	0.225	0530889	.2164175
cohesion1990	.0453031	.054221	0.84	0.410	0657637	.1563698
gender2005	.2834239	.161206	1.76	0.090	0467916	.6136393
gender2000	1038825	.1421849	-0.73	0.471	395135	.18737
gender1995	0060804	.0873029	-0.07	0.945	1849123	.1727515
gender1990	027582	.0927452	-0.30	0.768	2175619	.1623979
_cons	1728957	.0581923	-2.97	0.006	2920971	0536942

<sup>(1)</sup> gender2005 = 0

<sup>(2)</sup> gender2000 = 0

<sup>(3)</sup> gender1995 = 0

$$(4)$$
 gender1990 = 0

$$Prob > F = 0.2595$$

Linear regression Number of obs = 37

F(8, 28) = 141.43

 $\mathsf{Prob} \, > \, \mathsf{F} \qquad = \, 0.0000$ 

R-squared = 0.9622

Root MSE = .02314

1 Robust clubs2010 | Coef. Std. Err. t P>|t| [95% Conf. Interval] \_\_\_\_\_\_ clubs2005 | 1.543706 .1766159 8.74 0.000 1.181924 1.905487 clubs2000 | -.691516 .2741458 -2.52 0.018 -1.253078 -.1299538 clubs1995 | -.0498319 .3195688 -0.16 0.877 -.704439 .6047752 clubs1990 | -.1185315 .0905826 -1.31 0.201 -.3040817 .0670186 cohesion2005 | .0600026 .1532267 0.39 0.698 -.253868 .3738733 cohesion2000 | .1591715 .0625588 2.54 0.017 .0310255 .2873174

\_\_\_\_\_

\_\_\_\_\_

1.98 0.058

 $\verb|cohesion1995| -.2998537 .1313451 -2.28 0.030 -.5689019 -.0308056|\\$ 

cohesion1990 | -.0154538 .119252 -0.13 0.898

\_cons | .2339372 .1181647

- (1) cohesion2005 = 0
- ( 2) cohesion2000 = 0
- (3) cohesion1995 = 0
- (4) cohesion1990 = 0

F(4, 28) = 2.50

Prob > F = 0.0654

Linear regression Number of obs = 37

F(8, 28) = 175.28

-.2597305

-.0081122 .4759866

.228823

Prob > F = 0.0000

R-squared = 0.9653

Root MSE = .01323

-----

| Robust

cohesion2010 | Coef. Std. Err. t P>|t| [95% Conf. Interval]

-----
cohesion2005 | .8381826 .0659315 12.71 0.000 .703128 .9732373

cohesion2000 | -.0688706 .0407278 -1.69 0.102 -.1522978 .0145566

cohesion1995	.0841904	.0505275	1.67	0.107	0193105	.1876912
cohesion1990	.1556113	.0732332	2.12	0.043	.0055998	.3056228
clubs2005	275527	.0899293	-3.06	0.005	4597388	0913153
clubs2000	.3874214	.1450701	2.67	0.012	.0902589	.684584
clubs1995	1853948	.2001384	-0.93	0.362	5953596	.22457
clubs1990	.0994609	.063028	1.58	0.126	029646	.2285678
_cons	0700693	.0504518	-1.39	0.176	1734151	.0332765

\_\_\_\_\_

- (1) clubs2005 = 0
- (2) clubs2000 = 0
- (3) clubs1995 = 0
- (4) clubs1990 = 0

## Appendix 4. Granger inspired tests: ISDs & gdppc - All Available Data Sets

```
Linear regression
                                         Number of obs = 50
                                         F( 8, 41) = 1780.83
                                         Prob > F = 0.0000
                                         R-squared = 0.9942
                                         Root MSE = 1021.8
        1
                     Robust
     gdppc | Coef. Std. Err. t P>|t| [95% Conf. Interval]
_____
    safety |
      L1. | 3981.569 8551.466 0.47 0.644 -13288.47 21251.61
      L2. | -7006.233 8605.782 -0.81 0.420 -24385.96 10373.5
      L3. | 5287.555 17560.6 0.30 0.765 -30176.79 40751.9
      L4. | 11064.17 11034.07 1.00 0.322 -11219.58 33347.92
        - 1
     gdppc |
      L1. | 1.02997 .1071099 9.62 0.000 .8136569 1.246283
      L2. | -.0319265 .2392678 -0.13 0.895 -.5151377
                                                    .4512847
      L3. | .0606785 .1984241 0.31 0.761 -.3400471
                                                    .4614041
      L4. | -.1019942 .0787771 -1.29 0.203
                                          -.2610877
                                                    .0570993
        _cons | -5597.317 5285.191 -1.06 0.296
                                         -16270.98
                                                  5076.344
(1) L.safety = 0
(2) L2.safety = 0
(3) L3.safety = 0
(4) L4.safety = 0
     F(4, 41) = 0.96
        Prob > F =
                  0.4386
Linear regression
                                         Number of obs = 50
                                         F(8, 41) = 101.29
                                         Prob > F = 0.0000
                                         R-squared = 0.9305
                                         Root MSE = .0228
```

```
______
       1
                  Robust
   safety | Coef. Std. Err. t P>|t| [95% Conf. Interval]
-----
    gdppc |
     L1. | -2.54e-06 2.12e-06 -1.20 0.237 -6.81e-06 1.73e-06
     L2. | .0000139 4.92e-06 2.82 0.007 3.96e-06 .0000238
     L3. | -.0000126  4.22e-06  -2.99  0.005  -.0000211  -4.09e-06
     L4. | 1.25e-06 1.75e-06
                         0.71 0.480
                                    -2.29e-06
                                             4.79e-06
       safety |
     L1. | 1.103729 .1274727
                         8.66 0.000
                                    .8462924
                                             1.361165
     L2. | -.3113347 .1581967 -1.97 0.056 -.6308194
                                              .0081499
     L3. | .4279559 .2934953
                         1.46 0.152 -.1647699
                                              1.020682
     L4. | .2630791 .3557193
                          0.74 0.464 -.4553106
                                              .9814689
    _cons | -.2690796 .1348599 -2.00 0.053 -.5414347 .0032755
```

- ( 1) L.gdppc = 0
- (2) L2.gdppc = 0
- (3) L3.gdppc = 0
- (4) L4.gdppc = 0

```
Linear regression  \text{Number of obs} = 140   \text{F( 8, 131)} = 4057.93   \text{Prob} > \text{F} = 0.0000   \text{R-squared} = 0.9956   \text{Root MSE} = 885.29
```

-----

- ( 1) L.civic = 0
- ( 2) L2.civic = 0
- (3) L3.civic = 0
- ( 4) L4.civic = 0

$$F(4, 131) = 1.17$$
  
 $Prob > F = 0.3280$ 

Linear regression Number of obs = 143

F( 8, 134) = 732.41

Prob > F = 0.0000

R-squared = 0.9757

Root MSE = .01106

-----

```
| Robust
    civic | Coef. Std. Err. t P>|t| [95% Conf. Interval]
-----
    gdppc |
     L1. | 1.77e-07 5.69e-07 0.31 0.756 -9.48e-07 1.30e-06
     L2. | 4.37e-07 1.02e-06 0.43 0.670 -1.58e-06 2.46e-06
     L3. | -5.13e-07 8.99e-07 -0.57 0.570 -2.29e-06 1.27e-06
     1
    civic |
     L1. | 1.267842 .0524648 24.17 0.000 1.164076 1.371609
     L2. | .0531594 .0329789 1.61 0.109 -.0120671 .118386
     L3. | -.0165632 .0241498 -0.69 0.494 -.0643273 .031201
     L4. | -.0097525 .0312448
                        -0.31 0.755 -.0715493 .0520443
      - 1
    _cons | -.1506418 .0162331 -9.28 0.000 -.1827481 -.1185355
```

( 1) L.gdppc = 0

(2) L2.gdppc = 0

(3) L3.gdppc = 0

(4) L4.gdppc = 0

F(4, 134) = 2.67

```
Number of obs = 141
Linear regression
                                      F(8, 132) = 3427.32
                                      Prob > F = 0.0000
                                      R-squared = 0.9959
                                      Root MSE = 862.82
_____
       I
                  Robust
    gdppc | Coef. Std. Err. t P>|t| [95% Conf. Interval]
_____+___
    gender |
      L1. | 8765.479 3121.265 2.81 0.006 2591.307 14939.65
      L2. | -3840.811 3392.789 -1.13 0.260 -10552.08 2870.461
      L3. | 1664.775 811.5455 2.05 0.042 59.45785 3270.092
      L4. | -5768.488 2014.186 -2.86 0.005 -9752.748 -1784.228
       - 1
    gdppc |
      L1. | 1.268267 .0921358 13.77 0.000 1.086014 1.450521
      L2. | -.5202923 .1608362 -3.23 0.002 -.8384422 -.2021424
      L3. | .2624513 .1497859 1.75 0.082 -.0338399 .5587426
      L4. | -.0055721 .0659321
                           -0.08 0.933 -.1359922
                                               .1248481
    _cons | -583.4837 1319.498 -0.44 0.659 -3193.581
(1) L.gender = 0
(2) L2.gender = 0
(3) L3.gender = 0
(4) L4.gender = 0
    F(4, 132) = 4.62
       Prob > F = 0.0016
Linear regression
                                      Number of obs = 144
                                      F(8, 135) = 271.61
                                      Prob > F = 0.0000
```

R-squared = 0.9253 Root MSE = .01877

1		Robust				
gender					[95% Conf.	Interval]
gdppc						
L1.	-4.65e-07	1.30e-06	-0.36	0.720	-3.03e-06	2.10e-06
L2.	3.02e-06	2.16e-06	1.40	0.164	-1.25e-06	7.29e-06
L3.	-3.54e-06	1.82e-06	-1.94	0.054	-7.14e-06	6.62e-08
L4.	8.96e-07	9.72e-07	0.92	0.358	-1.03e-06	2.82e-06
1						
gender						
L1.	.853989	.0722909	11.81	0.000	.7110198	.9969582
L2.	.140965	.0701518	2.01	0.046	.0022265	.2797036
L3.	.000105	.029793	0.00	0.997	0588165	.0590265
L4.	.0572889	.0484812	1.18	0.239	038592	.1531698
1						
_cons	0471169	.0356621	-1.32	0.189	1176455	.0234117

( 1) L.gdppc = 0

(2) L2.gdppc = 0

(3) L3.gdppc = 0

(4) L4.gdppc = 0

F( 4, 135) = 1.86

```
Linear regression
                                     Number of obs = 63
                                     F(8, 54) = 1872.88
                                     Prob > F = 0.0000
                                     R-squared = 0.9960
                                     Root MSE = 960.3
_____
       I
                  Robust
    gdppc | Coef. Std. Err. t P>|t| [95% Conf. Interval]
_____+___
    clubs |
     L1. | -11739.24 3330.805 -3.52 0.001 -18417.1 -5061.376
     L2. | 3964.999 2974.238 1.33 0.188 -1997.988 9927.987
     L3. | 16810.71 7021.786 2.39 0.020 2732.882 30888.55
      L4. | -687.6442 1445.512 -0.48 0.636 -3585.722 2210.434
       gdppc |
     L1. | 1.090651 .1008634 10.81 0.000 .8884322 1.29287
     L2. | -.2692656 .230369 -1.17 0.248 -.7311275 .1925964
     L3. | .3099344 .1902809
                          1.63 0.109 -.0715559 .6914247
      L4. | -.1440224 .0605738
                          -2.38 0.021 -.2654657 -.0225792
       _cons | -3250.593 2254.657 -1.44 0.155 -7770.907
(1) L.clubs = 0
(2) L2.clubs = 0
(3) L3.clubs = 0
(4) L4.clubs = 0
    F(4, 54) = 3.66
       Prob > F = 0.0103
```

Linear regression

Number of obs = 63F( 8, 54) = 205.69 Prob > F = 0.0000 R-squared = 0.9164 Root MSE = .03185

```
| Robust
    clubs | Coef. Std. Err. t P>|t| [95% Conf. Interval]
-----
    gdppc |
     L1. | -1.43e-06 2.67e-06 -0.53 0.595 -6.78e-06 3.92e-06
     L2. | 4.70e-06 4.75e-06 0.99 0.326 -4.81e-06 .0000142
     L3. | -8.34e-06 4.40e-06 -1.90 0.063 -.0000172 4.76e-07
     L4. | 4.67e-06 2.34e-06 2.00 0.051 -1.62e-08 9.35e-06
      1
    clubs |
      L1. | 1.315359 .1661982 7.91 0.000 .9821518 1.648567
     L2. | -.1128502 .1243184 -0.91 0.368 -.3620936 .1363932
     L3. | -.8066334 .4014004 -2.01 0.049 -1.611393 -.0018741
      L4. | .0891508 .1015935
                          0.88 0.384 -.1145319 .2928336
       - 1
    _cons | .2715347 .1377086 1.97 0.054 -.0045544 .5476238
```

- (1) L.gdppc = 0
- (2) L2.gdppc = 0
- (3) L3.gdppc = 0
- (4) L4.gdppc = 0

$$F(4, 54) = 1.46$$

```
Linear regression
                                     Number of obs = 92
                                     F(8, 83) = 1679.92
                                     Prob > F = 0.0000
                                     R-squared = 0.9945
                                     Root MSE = 874.76
_____
       I
                  Robust
    gdppc | Coef. Std. Err. t P>|t| [95% Conf. Interval]
______
  cohesion |
     L1. | 1722.6 1575.359 1.09 0.277 -1410.727 4855.926
     L2. | -1949.003 1022.311 -1.91 0.060 -3982.338 84.33193
     L3. | 3839.081 1846.992 2.08 0.041 165.4886 7512.674
      L4. | -3360.798 2566.428 -1.31 0.194 -8465.321 1743.725
       gdppc |
     L1. | 1.204432 .1173415 10.26 0.000 .9710448 1.43782
      L2. | -.3359095 .2105455 -1.60 0.114 -.754676 .082857
     L3. | .1805475 .175439 1.03 0.306 -.1683936 .5294887
      L4. | -.0539114 .0893699
                          -0.60 0.548
                                     -.2316646
                                              .1238417
       _cons | 108.1955 940.2923 0.12 0.909 -1762.008
(1) L.cohesion = 0
(2) L2.cohesion = 0
(3) L3.cohesion = 0
(4) L4.cohesion = 0
    F(4, 83) = 1.51
       Prob > F = 0.2054
Linear regression
                                     Number of obs = 93
                                     F(8, 84) = 129.98
                                     Prob > F = 0.0000
```

R-squared = 0.9303Root MSE = .02171

1		Robust				
cohesion	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
+						
gdppc						
L1.	-1.73e-06	1.90e-06	-0.91	0.364	-5.50e-06	2.04e-06
L2.	1.93e-06	4.05e-06	0.48	0.635	-6.12e-06	9.98e-06
L3.	-1.71e-06	3.24e-06	-0.53	0.598	-8.15e-06	4.73e-06
L4.	1.81e-06	1.46e-06	1.24	0.219	-1.10e-06	4.71e-06
1						
cohesion						
L1.	1.04685	.0596494	17.55	0.000	.9282303	1.165469
L2.	0579892	.0350886	-1.65	0.102	1277666	.0117883
L3.	.0047807	.0445241	0.11	0.915	0837605	.0933218
L4.	.0710333	.0583278	1.22	0.227	044958	.1870246
1						
_cons	0927483	.029203	-3.18	0.002	1508216	034675

- ( 1) L.gdppc = 0
- (2) L2.gdppc = 0
- (3) L3.gdppc = 0
- (4) L4.gdppc = 0

$$F(4, 84) = 0.51$$

## Appendix 5. Granger inspired tests: Between ISDs & GINI

Linear regression

   sgini2010	Coef.	Robust Std. Err.	t	P> t	[95% Conf.	Interval]
safety2005   safety1900   safety1995   safety1990   sgini2005   sgini2000   sgini1995   sgini1990   _cons	3325303 .086118 .6760156 -1.843098 .9229249 1870453 2444688 .278823 .8333379	.2187465 .188592 .51357 .7709698 .4060247 .548445 .2083852 .1816717 .3283621	-1.52 0.46 1.32 -2.39 2.27 -0.34 -1.17 1.53 2.54	0.146 0.653 0.205 0.028 0.036 0.737 0.256 0.142 0.021	7920997 310099 4029549 -3.462846 .0698986 -1.339285 6822699 1028551 .1434748	.1270391 .482335 1.754986 2233508 1.775951 .9651949 .1933323 .660501 1.523201

```
(1) safety2005 = 0
(2) safety2000 = 0
(3) safety1995 = 0
(4) safety1990 = 0
```

F( 4, 18) = Prob > F = 2.42 0.0865

Linear regression

I		Robust				
safety2010	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
+						
sgini2005	1509641	.2037401	-0.74	0.464	5650138	.2630855
sgini2000	1599173	.1755307	-0.91	0.369	5166386	.196804
sgini1995	.2482477	.2104969	1.18	0.246	1795334	.6760289
sgini1990	011165	.0882486	-0.13	0.900	1905076	.1681777
safety2005	1.254729	.1546935	8.11	0.000	.9403535	1.569104
safety2000	4896621	.1808023	-2.71	0.011	8570966	1222276
safety1995	.8944788	.5163563	1.73	0.092	1548834	1.943841
safety1990	.0180267	.4631149	0.04	0.969	9231361	.9591895
_cons	3162199	.2025282	-1.56	0.128	7278067	.0953669

<sup>(1)</sup> sgini2005 = 0 (2) sgini2000 = 0 (3) sgini1995 = 0 (4) sgini1990 = 0

```
Linear regression
```

Number of obs = 38F( 8, 29) = 141.03Prob > F = 0.0000R-squared = 0.9503Root MSE = .02197

sgini2010	Coef.	Robust Std. Err.	t	P> t	[95% Conf.	Interval]
civic2005 civic2000 civic1995 civic1990 sgini2005 sgini2000 sgini1995 sgini1990 cons	.1375868 0819031 1286619 0048388 1.047995 3616752 .0279296 .1480713	.1435926 .1084975 .0606582 .0631544 .1900767 .1730319 .131801 .0986912 .0684123	0.96 -0.75 -2.12 -0.08 5.51 -2.09 0.21 1.50	0.346 0.456 0.043 0.939 0.000 0.045 0.834 0.144	1560931 3038053 2527219 134004 .659245 7155651 2416337 053775	.4312668 .1399991 0046019 .1243264 1.436746 0077852 .2974929 .3499175 .2400792

- (1) civic2005 = 0 (2) civic2000 = 0 (3) civic1995 = 0 (4) civic1990 = 0
- F( 4, 29) = Prob > F =

0.0001

Linear regression

Robust Std. Err. Std. Err. t P>|t| [95% Conf. Interval] civic2010 coef. 0.09 -0.49 0.14 -0.17 .0524607 sgini2005 | sgini2000 | .0022141 -.0126836 .0251442 0.930 0.625 -.0480325 -.0643556 sgini2000 sgini1995 sgini1990 civic2005 civic2000 civic1995 .03833029 .038351 1.464446 .0941457 .0293809 .0055657 .0389009 0.887 -.0721714 -.0454294 0.866 0.000 0.459 0.472 0.512 -.0454294 1.190171 -.0429896 -.0627239 -.0952903 1.327309 .0255781 -.0166715 .0686258 .0343123 .0230453 19.34 0.75 -0.72 -.0236459 -.160261 civic1990 .0358519 -0.66 .0479984 -.1135374 -6.85 \_cons | 0.000 -.2069846 .0233812

- (1) sgini2005 = 0 (2) sgini2000 = 0 (3) sgini1995 = 0 (4) sgini1990 = 0

F( 4, 63) = Prob > F = 0.20 0.9367

```
Linear regression
```

Number of obs = 39 F( 8, 30) = 82.90 Prob > F = 0.0000 R-squared = 0.9321 Root MSE = .02545

sgini2010	Coef.	Robust Std. Err.	t	P> t	[95% Conf.	Interval]
gender2005 gender2000 gender1995 gender1990 sgini2005 sgini2000 sgini1995 sgini1990 cons	1422704 3790337 .0483665 .2499224 .6986984 .1316773 .0361309 .0077299	.2641616 .179518 .105574 .1627188 .2646626 .2356743 .1635379 .0712787	-0.54 -2.11 0.46 1.54 2.64 0.56 0.22 0.11	0.594 0.043 0.650 0.135 0.013 0.580 0.827 0.914 0.296	6817603 7456584 1672444 0823937 -1581852 3496337 297858 1378407	.3972195 0124091 .2639775 .5822384 1.239212 .6129884 .3701199 .1533005 .5149211

- gender2005 = 0 gender2000 = 0 gender1995 = 0 ( 1) ( 2) ( 3) ( 4) gender1990 = 0
  - F( 4, 30) = Prob > F = 6.75 0.0005

Linear regression

Robust Std. Err. t P>|t| [95% Conf. Interval] gender2010 coef. -1.75 1.24 -0.58 0.78 sgini2005 | sgini2000 | -.0909138 .0657146 .0519308 .0527906 0.085 0.218 -.1946576 -.0397468 .01283 .171176 0.218 0.565 0.437 0.000 0.145 0.355 0.368 sgini1995 sgini1990 gender2005 gender2000 -.0437518 .0756512 -.1948825 -.0473799 .1073789 gender2005 | .9973377 gender2000 | .1262589 gender1995 | -.0270818 gender1990 | .0714426 \_cons | -.1231778 .1119087 .0856584 .0290546 8.91 1.47 -0.93 .7737743 -.0448634 -.0851251 1.220901 .0309615 .228992 -.0476766 .0788642 0.91 -.0861068 0.002 .0377935 -3.26 -.198679

- (1) sgini2005 = 0 (2) sgini2000 = 0 (3) sgini1995 = 0 (4) sgini1990 = 0

F( 4, 64) = Prob > F = 1.80 0.1393

```
Linear regression
```

sgini2010	Coef.	Robust Std. Err.	t	P> t	[95% Conf.	Interval]
clubs2005 clubs2000 clubs1995 clubs1990 sgini2005 sgini2000 sgini1995 sgini1990 cons	3484004 .1848981 .6498621 1635276 .6293638 .2644526 0042701 .0427091	.3289123 .3933571 .3259181 .1222425 .437378 .5096579 .212001 .136393	-1.06 0.47 1.99 -1.34 1.44 0.52 -0.02 0.31 -1.34	0.301 0.643 0.059 0.195 0.164 0.609 0.984 0.757	-1.030523 6308746 0260507 417043 2777027 7925131 4439333 2401528 3921443	.333722 1.000671 1.325775 .0899878 1.53643 1.321418 .4353931 .3255709
	.155025				.5521115	

- ( 1) clubs2005 = 0 ( 2) clubs2000 = 0 ( 3) clubs1995 = 0 ( 4) clubs1990 = 0
  - F( 4, 22) = Prob > F = 2.28 0.0927

Linear regression

Number of obs =  $\begin{array}{cccc} & 49 \\ F(&8,&40) & = & 157.09 \\ Prob > F & = & 0.0000 \\ R-squared & = & 0.9062 \\ Root MSE & = & .03349 \\ \end{array}$ 

clubs2010         Coef.         Std. Err.         t         P> t          [95% Conf. Interval]           sgini2005        1750477         .2569623         -0.68         0.500        6943878         .3442925           sgini2000         .1653612         .4669719         0.35         0.725        7784242         1.109147           sgini1995        0302215         .2910244         -0.10         0.918        6184037         .5579608           sgini1990         .0267042         .1308677         0.20         0.839        2377892         .2911976           clubs2005         1.478571         .2536749         5.83         0.000         .9658748         1.991267           clubs2000        4996884         .3960221         -1.26         0.214         -1.300079         .3007021							
sgini2000   .1653612     .4669719     0.35     0.725    7784242     1.109147       sgini1995  030215     .2910244     -0.10     0.918    6184037     .5579608       sgini1990   .0267042     .1308677     0.20     0.839    2377892     .2911976       clubs2005   1.478571     .2536749     5.83     0.000     .9658748     1.991267       clubs2000  4996884     .3960221     -1.26     0.214     -1.300079     .3007021	   clubs2010	Coef.		t	P> t	[95% Conf.	Interval]
Clubs1995   -1.2/1695	sgini2000   sgini1995   sgini1990   clubs2005   clubs2000   clubs1995   clubs1990	.1653612 0302215 .0267042 1.478571 4996884 -1.271695 .2465701	.4669719 .2910244 .1308677 .2536749 .3960221 .4071177 .114738	0.35 -0.10 0.20 5.83 -1.26 -3.12 2.15	0.725 0.918 0.839 0.000 0.214 0.003 0.038	7784242 6184037 2377892 .9658748 -1.300079 -2.094511 .014676	1.109147 .5579608 .2911976 1.991267 .3007021 4488797 .4784641

- (1) sgini2005 = 0 (2) sgini2000 = 0 (3) sgini1995 = 0 (4) sgini1990 = 0

F( 4, 40) = Prob > F = 0.20 0.9382

```
Linear regression
```

Number of obs = 24 F( 8, 15) = 59.91 Prob > F = 0.0000 R-squared = 0.9553 Root MSE = .02555

_							
_	sgini2010	Coef.	Robust Std. Err.	t	P> t	[95% Conf.	Interval]
C	ohesion2005 ohesion2000 ohesion1995 ohesion1990 sgini2005 sgini2000 sgini1995 sgini1990 cons	0704801 .0035147 135281 0647077 .5529563 .4916763 1793585 .05259	.2332979 .0983491 .2062567 .1390298 .5698523 .8185746 .3212577 .1692147	-0.30 0.04 -0.66 -0.47 0.97 0.60 -0.56 0.31	0.767 0.972 0.522 0.648 0.347 0.557 0.585 0.760 0.149	5677428 2061114 5749067 3610428 6616551 -1.253074 8641032 3080825 0830568	.4267827 .2131407 .3043447 .2316274 1.767568 2.236427 .5053861 .4132626 .4976964

- ( 1) cohesion2005 = 0 ( 2) cohesion2000 = 0 ( 3) cohesion1995 = 0 ( 4) cohesion1990 = 0
  - F( 4, 15) = Prob > F = 1.72 0.1987

Linear regression

Robust Std. Err. t P>|t| [95% Conf. Interval] cohesion2010 coef. sgini2005 | -.0779601 sgini2000 | .2090719 sgini1995 | -.0039459 sgini1990 | -.0822659 cohesion2005 | 1.07486 cohesion2000 | -.0729697 cohesion1995 | .007746 cohesion1990 | .0833286 \_\_cons | -.1308265 -.3731546 -.2516275 .1463756 .2284431 -0.53 0.92 0.597 0.365 .2172344 .6697713 -0.92 -0.03 -1.24 16.47 -2.11 0.10 1.18 .1215819 0.974 -.2491391 -.2162373 .2412473 .0664313 .0652511 .0346131 .0794417 .0705148 0.222 0.000 0.041 0.923 0.244 1.206452 -.0031657 .1679555 .2255352 .943269 -.1427737 -.1524635 -.0588781 -.1855667 -.0760863 .0271435 -4.82 0.000

- (1) sgini2005 = 0 (2) sgini2000 = 0 (3) sgini1995 = 0 (4) sgini1990 = 0
- - F( 4, 43) = Prob > F = 1.76 0.1550

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