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5-1-2012

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## Recommended Citation

Zoghbi, A., Fabian, A. C., Reynolds, C. S., Cackett, E. M. 2012. Relativistic iron K X-ray reverberation in NGC 4151. *MNRAS* 422(1), 129-134.

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# Relativistic iron K X-ray reverberation in NGC 4151

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Accepted 2012 January 17. Received 2012 January 17; in original form 2011 December 7

## ABSTRACT

Recent X-ray observations have enabled the study of reverberation delays in active galactic nuclei (AGN) for the first time. All the detections so far are in sources with a strong soft excess, and the measured delay is between the hard (1–3 keV) direct continuum and the soft excess (0.5–1 keV), interpreted as the reflection continuum smeared by relativistic effects. There is however an inherent ambiguity in identifying and studying the details of the lines in the soft excess. Here we report the first detection of reverberation in the iron K band in any AGN. Using *XMM–Newton* observations of NGC 4151, we find delays of the order of 2000 s on time-scales of  $10^5$  s between the 5–6 keV band and the 2–3 and 7–8 keV bands, with a broad lag profile resembling a relativistically broadened iron line. The peak of the lag spectra shifts to lower energies at higher frequencies, consistent with the red wing of the line being emitted at smaller radii, as expected from reflection off the inner accretion disc. This is a first detection of a broad iron line using timing studies.

**Key words:** galaxies: active – galaxies: nuclei – galaxies: Seyfert – X-rays: galaxies.

## 1 INTRODUCTION

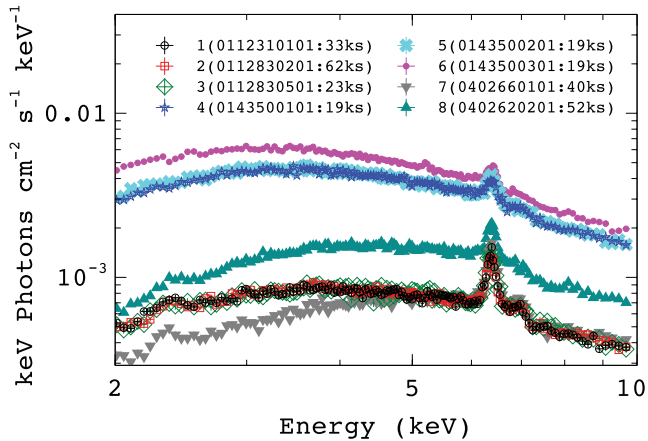
X-ray observations of active galactic nuclei (AGN) have shown that most of the radiation is emitted from very close to the central supermassive black hole. Broadening of X-ray spectral features caused by relativistic effects has been the main tool in studying these systems (see Miller 2007 for a review). Recent work has moved beyond spectral modelling to detecting time delays between the different spectral components. Short time delays have first been seen in the narrow-line Seyfert 1 galaxy 1H0707–495 (Fabian et al. 2009; Zoghbi et al. 2010). Thanks to its strong soft excess and high iron abundance, small delays of a few tens of seconds are detected between the 1–4 and 0.5–1 keV bands where the soft band lags the hard band (hence the soft lag). The natural explanation for the lag is reprocessing by the reflecting accretion disc in the vicinity of the black hole. Similar delays have also been seen in several other objects (de Marco et al. 2011; Emmanoulopoulos, McHardy & Papadakis 2011; Zoghbi & Fabian 2011). A common feature among all these sources is a strong soft excess in the spectrum below 1 keV. This is interpreted, in line with the lags, as a relativistically blurred reflection continuum, which responds to variations in a primary illuminating hard power law.

The interpretation of the soft lag (soft excess lagging the hard continuum) as a light crossing effect close to the black hole was

questioned by Miller et al. (2010a), who suggested that such small delays could be an artefact of a much larger reverberating system of clouds ( $\sim 1000$  instead of approximately a few gravitational radii  $r_g$ ). Although this interpretation fails when a complete set of observables (variability power, flux and lag spectra) are considered (Zoghbi, Uttley & Fabian 2011), it stands on the ambiguity in interpreting the soft excess itself (e.g. Crummy et al. 2006; Done et al. 2011). The smoothness of its spectrum makes identifying the relativistically broadened emission lines therein difficult unless the object has some extreme properties (e.g. high iron abundance and strong Fe L in 1H0707–495). Therefore, a key challenge for any model is its ability to explain the reverberation in the iron K region (6–7 keV) where such an ambiguity is not an issue. The vital task is to find and observe an object that has reverberation signatures in this band. The importance of reverberation studies in the K band has been discussed previously, along with theoretical calculations of the expected behaviour of the broad iron line with time (Stella 1990; Matt & Perola 1992; Reynolds et al. 1999). However, it remained difficult to detect these reverberation delays in real data.

The count rate at the bands of interest is a key parameter in reverberation studies. All previous lag detections have been in the soft band ( $< 1$  keV) in objects with a strong soft excess. Those objects, however, show steep spectra where the flux drops significantly in the iron K band. Therefore, a different class of objects need to be explored if Fe K reverberation is to be studied. In this work we show that NGC 4151, which is  $\sim 300$  times brighter than 1H0707–495 at 6.4 keV, shows interband delays that indicate that a significant

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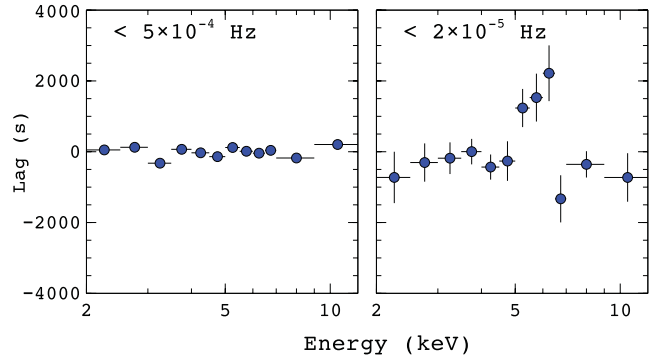
**Figure 1.** Unfolded spectra (in  $EF(E)$  form) of NGC 4151 from the *XMM-Newton* PN detector. The labels include observation number (observation ID: total exposure time).

fraction of the flux in this band originates in the vicinity of the black hole.

NGC 4151 is a well-studied Seyfert galaxy ( $z = 0.0033$ ) that harbours one of the brightest AGN in the X-ray band. It has been observed and studied by all major X-ray satellites. The X-ray to  $\gamma$ -ray spectrum is dominated by a Comptonization component that breaks at  $\sim 100$  keV. There is a strong narrow iron line at 6.4 keV and a reflection hump peaking at 30 keV (Zdziarski, Johnson & Magdziarz 1996; Schurch & Warwick 2002). These components are absorbed below 4 keV by a high column ( $N_{\text{H}} \sim 10^{22} \text{ cm}^{-2}$ ) of gas in the line of sight (Weaver et al. 1994). The spectrum below 2 keV is very complex. High-resolution *Chandra* observations revealed that it is spatially resolved and it is associated with a highly ionized plasma coincident with the optical narrow-line region (Ogle et al. 2000; Wang et al. 2011). This component does not vary much and will not be discussed here.

NGC 4151 has been observed with *XMM-Newton* several times in short observations constrained by its visibility. The unfolded spectra are shown in Fig. 1 for the eight longest observations ( $\sim 19$ –62 ks) from a total of 13 *XMM-Newton*. There is clear significant spectral variability. The difference between the spectra can be as simple as a uniform apparent increase in flux, or it could be due to changes in the absorber on time-scales of years (e.g. difference between observations 1 and 7 in Fig. 1).

In this work, light curves from eight archival *XMM* observations are used (observation IDs and length of observations are shown in Fig. 1). ODF data were reduced using *SAS* v. 11.0.0. Light curves are produced in equal energy steps above 2 keV with 1024 s time bins. Instrumental corrections were applied using the task *epic1ccorr*. The lag was then estimated at the observed times following Rybicki & Press (1992). We determine the uncertainty in the lags via Monte Carlo simulations. We shift each point in the light curves by drawing a random number from a Gaussian distribution with mean equal to the count rate and standard deviation equal to the uncertainty in the count rate. This is performed 100 times, and the  $1\sigma$  uncertainty in the lag is taken from the resulting distribution. The errors are very similar to those estimated in the standard way (Nowak et al. 1999). Lag–energy plots are produced by calculating the lag at the frequency of interest between the energy band and the light curve in the whole 2–10 keV band excluding the current band. This maximizes the signal-to-noise ratio and essentially measures the delays relative to the average (e.g. Zoghbi et al. 2011).



**Figure 2.** Left: lag spectrum at frequencies smaller than  $5 \times 10^{-4}$  Hz for NGC 4151 using all the eight observations. The delays are measured with respect to the total 2–10 keV band (i.e. the lags of all the points are measured with respect to roughly their average). Right: same as left but only for the lowest frequencies.

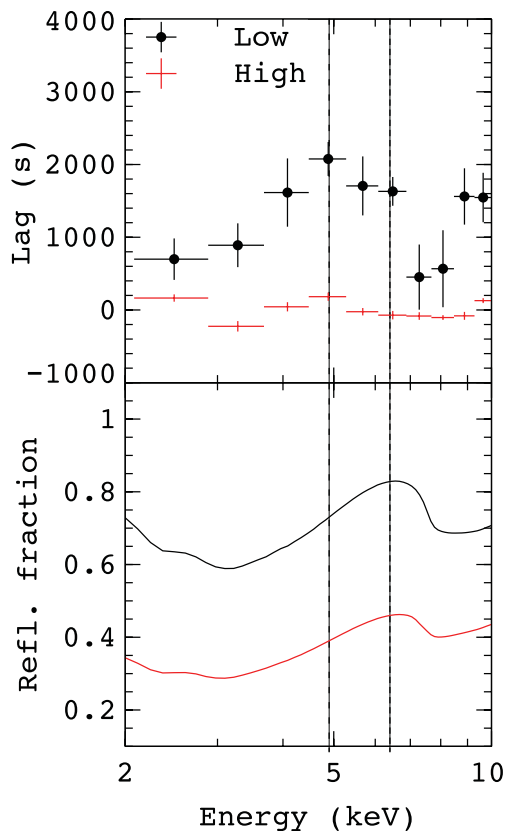
## 2 LAG MEASUREMENT IN NGC 4151

The mass of NGC 4151 is determined accurately with  $H\beta$  reverberation mapping to be  $M = 4.5 \pm 0.5 \times 10^7 M_{\odot}$  (Bentz et al. 2006). If the time-scales seen in 1H0707–495 and RE J1034+396 are scaled with mass, reverberation delays are expected at  $\sim 3 \times 10^{-5}$  Hz. Fig. 2 (left) shows the lag spectrum for all the observations measured at frequencies  $< 5 \times 10^{-4}$  Hz, calculated in a similar way to those in Zoghbi et al. (2011).

In the right-hand panel of Fig. 2, we show the lag spectra for the lowest frequencies (derived from a single frequency bin estimate) as they are estimated from the longest observation (i.e. the second shown in Fig. 1). This plot clearly shows that the  $\sim 6$  keV band lags the  $> 8$  and  $< 4$  keV bands by  $\sim 2000$  s on time-scales of  $\sim 10^5$  s. Since this observation happens to map a low flux source state, this could be a possible indication of a relation between the lag and the flux state.

Calculating the lags for the low and high flux intervals separately shows that the lags are prominent only in the low flux observations. To avoid the obvious effects of changes due to the absorber, low flux observations include observations 1, 2 and 3 (as defined in Fig. 1). The high flux observations are 4, 5 and 6. Fig. 3 (top) shows the lag–energy plot for the two flux intervals calculated between  $(0.5\text{--}5) \times 10^{-4}$  Hz. The lower limit is dictated by the length of the high flux observations. The conclusions are not very sensitive to the upper limits apart from a scaling factor for the lag and slightly larger errors if a smaller band is considered. Again, at low fluxes, the  $\sim 5$  keV band lags both the 2–3 and 8–9 keV bands, while the lag spectrum is significantly different at high fluxes. The plot clearly shows an interesting structure at the iron K energies that resembles a broad iron line. It should be noted here that the lags are not very prominent when all observations are included because the high flux signal dominates when combining the data. It should also be noted that the peak in the lag spectrum measured at  $(0.5\text{--}5) \times 10^{-4}$  Hz is at lower energies compared to that measured at lower frequencies [Fig. 3 (top) versus Fig. 2], an effect which is discussed in Section 3.

The frequency-dependent lag is shown in Fig. 4 for the low flux observations. It shows how the lag depends on energy as well as frequency. The lag peaks at lower frequencies when higher energies are considered (Fig. 4, right), and the peak is at higher frequencies when a lower energy band is considered (Fig. 4, left). Due to the length of the observations, the lowest frequency point contains one frequency value (from the longest observation). This can

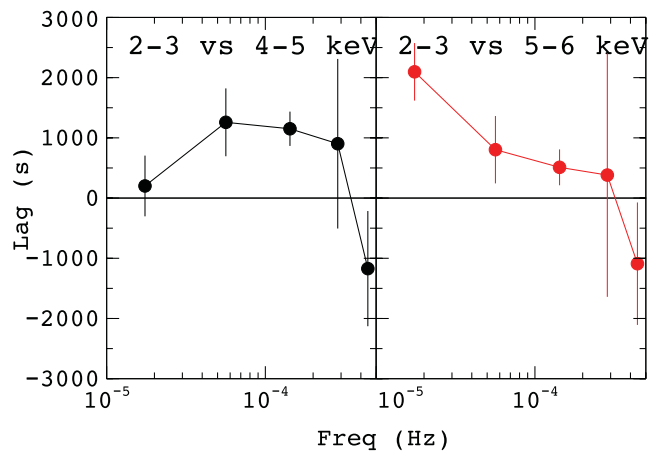


**Figure 3.** Top: lag spectrum at frequencies  $(0.5\text{--}5) \times 10^{-4}$  Hz for NGC 4151 for the low and high flux states separately. The plots are similar to Fig. 2. Lags for the low flux have been shifted up by 1500 s for visual clarity. Bottom: reflection fraction calculated as the ratio of the relativistically blurred component and the power-law component taken from the best fit to observations 1 and 4 representing low and high flux intervals, respectively (see Section 3). The vertical lines mark the peaks in both the lag and flux spectra (at 4.9 and 6.4 keV for the lag spectrum and reflection fraction, respectively).

be problematic because of the small number of points included in the averaging process and only longer future observations will provide any improvements. There are however several reasons that strengthen our measurements of an energy and frequency dependence. As shown in Zoghbi et al. (2010), Monte Carlo simulations show that the lowest frequency point always shows a bias towards zero and the bias is proportional to the absolute value of the lag (when measured at the same frequency). Therefore, because the difference in value of the lowest frequency point between the left and right of Fig. 4 is significant, their values might be biased but their difference has to be intrinsic. This is further supported by a clearer difference at the two higher frequency points, where the bias is irrelevant.

### 3 LAG INTERPRETATION

To understand these lag spectra, we turn to the flux spectra. It was realized from early observations that the source is seen through a high column density absorber. However, a model consisting of a highly absorbed power law is not sufficient to fit the spectral curvature in the 2–5 keV band (Weaver et al. 1994). Instead, it can be reproduced by adding a partially ionized (warm) absorber, another neutral absorber or a combination where some absorbers only partially cover the source (Weaver et al. 1994; Warwick, Done



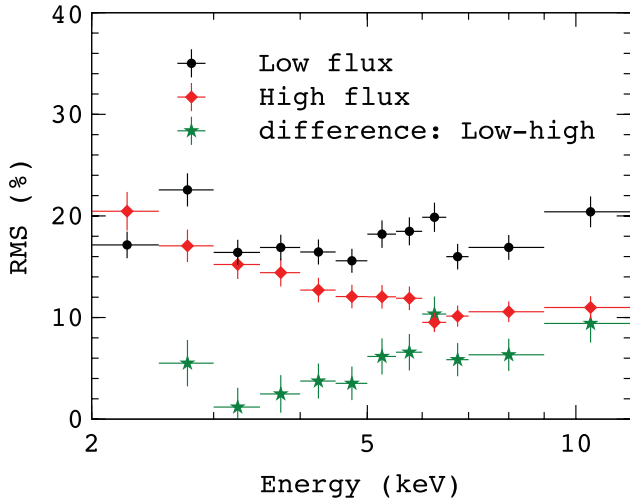
**Figure 4.** Lag versus frequency plot for the low flux interval. Hard lags are plotted, so a positive delay indicates hard bands lagging softer bands. Left: the lag between the 2–3 and 4–5 keV bands. Right: the lag between 2–3 and 5–6 keV. The energy and frequency dependence of the lag is apparent.

& Smith 1995; Schurch & Warwick 2002; Puccetti et al. 2007). However, in a systematic analysis of the Fe K band for a sample of AGN, Nandra et al. (2007) noted that there is a red wing to the line that cannot be accounted for by the absorbers. A similar conclusion was reached earlier by Yaqoob et al. (1995).

The lags shown in the top of Fig. 3 are clear signatures of reverberation due to reflection. The width of the line-like feature in the lag spectrum does not necessarily mean that the actual spectral line is broad. A distant reflector with a narrow line at 6.4 keV and an edge at 7.1 keV can possibly produce a broad line-like structure similar to that seen here (see e.g. Kotov, Churazov & Gilfanov 2001 for black hole binary modelling). Therefore, could this be due to the cold reflection component, which is responsible for the strong narrow line at 6.4 keV in the flux spectrum (Fig. 1)?

There are several points that can help answer the question. The change in the lag spectrum between the low and high flux states is dramatic. Fig. 3 (top) indicates that the lag is scaled by a factor of  $\sim 20$ , while the source flux changes by a factor of  $\sim 4\text{--}5$  (Fig. 1). The flux of the narrow line in the flux spectrum does not change significantly with flux (Schurch et al. 2003), so if the lags are produced in the narrow line, the lag change with flux has to be due to a change in the illuminating source and not in the reflecting medium or its geometry. In other words, a constant narrow line with flux cannot be responsible for a variable lag spectrum. Also, the value of the lag is too small to originate in the cold distant reflector. Early observations of the narrow-line variability constrained it to be at least a few light-years away from the central source (e.g. Markowitz, Edelson & Vaughan 2003; Schurch et al. 2003). Smaller lags can be produced by a distant reflector if the reflecting medium is patchy (Miller et al. 2010b). However, the difficulty there is that the lag has an oscillatory behaviour that makes the lag measured over a wide frequency range, as is the case here, average to zero. The alternative of using an energy-dependent transfer function could produce small lags over a wide frequency range but it has to be finely tuned by putting the reflecting medium exactly in our sight line to produce the observations (Zoghbi et al. 2011).

The lag spectrum in Fig. 3 has a wing that extends below 6.4 keV, which indicates a possible origin in a red-shifted line. Whichever component is producing the lag, it appears to be present (or more prominent) in the low flux spectrum and not in the high flux. Taking

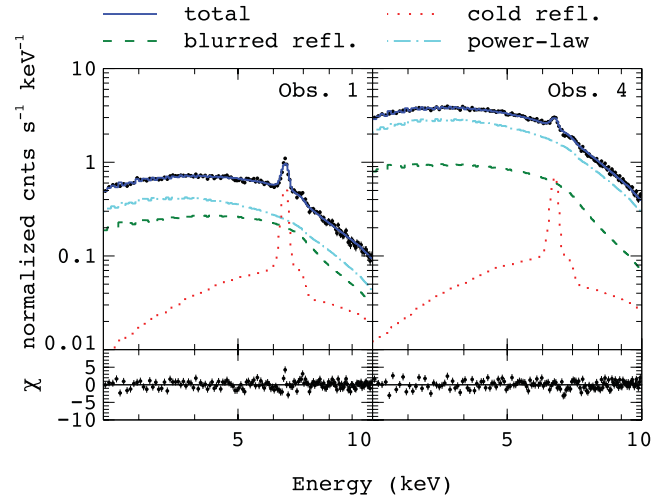


**Figure 5.** The RMS spectrum calculated for the low and high flux observations. The difference resembles a reflection spectrum.

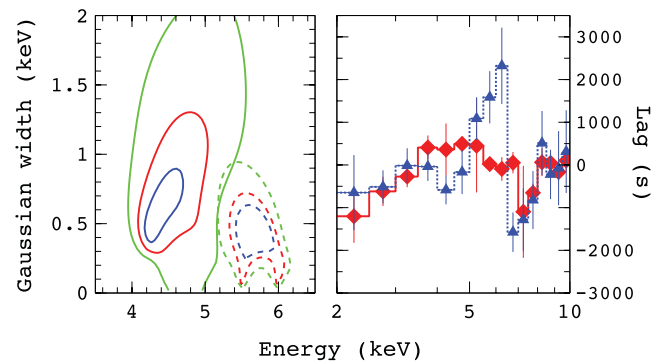
the difference spectrum between the two states (e.g. observations 4 and 1 in Fig. 1), we find that an absorbed power-law model is not sufficient; the data require an additional component that matches the shape of the lag spectrum and resembles a broad iron line. The RMS spectrum (Edelson et al. 2002) for the low and high intervals is also different (Fig. 5). At high fluxes, the RMS spectrum is decreasing smoothly with a drop at 6.4 keV, while there is extra variability between 4 and 6 keV at low fluxes. The shape of this extra variability component resembles a reflection spectrum. The RMS spectrum further confirms that there is a reflection component that is more prominent in the low flux observations.

In order to further understand the differences between the low and high flux intervals, we fitted the spectra with an absorbed power law plus cold reflection modelled with the reflection table *reflionx* (Ross & Fabian 2005). Motivated by the shape of the lag spectrum, we also included a relativistically blurred reflection component. Again we used *reflionx* to model the reflection spectrum, this time, convolved with relativistic kernel *kdblur* to account for the blurring due to special and general relativistic effects. Fig. 6 shows the best fit for the low and high flux intervals (plotted for observations 1 and 4 as an example). In the high flux interval, the spectrum consists of an absorbed power law ( $N_{\text{H}} = 5 \times 10^{22} \text{ cm}^{-2}$ ), a cold distant reflector (dotted line) and relativistically blurred reflection (dashed). At low fluxes, the relative contribution of the blurred reflection is higher. In other words, the main difference between the two flux observations is a difference in the reflection fraction from the blurred component. The reflection fraction is plotted in Fig. 3 (bottom), where it is taken as the ratio of the relativistically blurred component to the power law. This gives the relative contribution of each component to the different energy bands. The small residuals in Fig. 6 around 6 keV are possibly due to the fact that we used *reflionx* to model the cold reflection. The model has a non-zero lower ionization limit.

Comparing the top and bottom of Fig. 3, the absence of lag in the high flux observations is easily understood. The observed lag has contributions from both the reverberation lag between the power-law and the reflection component and any lag between the power-law component and itself in the different energy bands. The strength of the contribution to the observed lag from each component is determined by the component which is dominating the variability. At high fluxes, the contribution of reflection is much smaller, and thus the measured lag will be dominated by the lag between the



**Figure 6.** The spectra of NGC 4151 in the low and high states (observations 1 and 4 in Fig. 1, respectively), with the best-fitting model. The continuous line is the total model. The cyan dot-dashed line is a power law, the red dotted line is a cold reflector and the green dashed line is a relativistically blurred reflection model. The residuals of the fit are plotted at the bottom.



**Figure 7.** Right: lag–energy plots (similar to Figs 2 and 3). The blue triangles are for  $< 2 \times 10^{-5}$  Hz and the red diamonds are for  $(5-50) \times 10^{-5}$  Hz. The position of zero in this panel is arbitrary. Left: confidence contours for the width and energy of the Gaussian lines fitted to the lag spectra. The dashed and continuous lines are for frequencies  $< 2 \times 10^{-5}$  Hz and  $(5-50) \times 10^{-5}$  Hz, respectively. The contours represent 90, 95 and 99 per cent limits shown in blue, red and green, respectively.

power law in each band (equal  $\sim 0$ ) rather than the reverberation lag.

It is very interesting to note that the peak in the lag spectrum is at lower energies compared to the broad iron line (4.9 versus 6.4 keV). The two vertical lines in Fig. 3 mark the positions of the peaks in the lag and reflection fraction spectra. If only low frequencies are considered (Fig. 2), the peak in the lag spectrum moves to higher energies. To explore the apparent frequency dependence of the lag spectra we extract lag spectra at two frequency bins  $< 2 \times 10^{-5}$  and  $(5-50) \times 10^{-5}$  Hz (Fig. 7). Then we fit it with a simple model consisting of a Gaussian plus a constant. The two Gaussians have energies  $5.7 \pm 0.19$  and  $4.60 \pm 0.43$  keV for the two frequency bands, respectively. Confidence contours for the line energy and width are shown in Fig 7. Although there is an overlap in the width considering the 99 per cent confidence contours, the energy is clearly higher at lower frequencies. This result has also been tested by calculating the lag spectrum at low frequencies, and accumulating more and more frequencies. As higher frequencies



are added, the width of the line increases and the Gaussian energy shifts to lower energies. This makes the result at low frequencies more robust and not just an artefact of the small number of averaged frequencies (see the end of Section 2). Interpreting this behaviour is straightforward if the delays are due to the reverberating broad Fe K line. Redder parts of the broad line (i.e. lower energies) originate in smaller radii and would naturally vary on smaller time-scales. Bluer parts of the line are emitted slightly further out and so vary on slightly longer time-scales.

#### 4 DISCUSSION AND CONCLUSIONS

All previous lag detections in AGN have been in the soft band ( $<1$  keV). In this work we reported the first detection of interband delays in the Fe K band in an AGN. The lag is seen prominently in low flux observations and it is much smaller at high fluxes. The lag is in a sense that the 5–6 keV band lags both 2–3 and 8–9 keV bands by  $\sim 2000$  s (this value is frequency dependent). The interpretation of these delays is consistent, to first order, with a picture in which an illuminating power-law component, dominating at  $<\sim 3$  and  $>7$  keV, is reflected by an accretion disc at a distance of  $\sim 10 r_g$ . (The light crossing time at  $1 r_g$  is  $5 \times 10^{-5} M$  s, where  $M$  is the black hole mass in solar units.) The measured delays are due to light travel time between the illuminating corona and a reflecting accretion disc. The main difference between low and high flux observations is a difference in the reflection fraction. Because the energy bands used do not contain a single component (direct power law only or reflection only), the reduced reflection fraction causes the delays to be smaller in the high flux observations because they are diluted by the direct component where there is no clear lag between the energy bands.

The shape of the lag spectrum resembles a broad iron line peaking around 5 keV. Although the flux spectrum has a strong narrow-line component, several arguments indicate that it is not the origin of the delays. First, the delays are small in value ( $\sim 2000$  s), which is much smaller than the distance scales of the region producing the narrow line (the molecular torus or the broad line region). Earlier work constrained the region producing the narrow line to be on scale light-years (Ogle et al. 2000). The lag spectrum peaks well below 6.4 keV, or in other words, the most lagged band is not 6.4 keV corresponding to the peak of the line as would be expected if the narrow component is producing the lag. Furthermore, the shift of the peak with frequency (Fig. 7) rules out models where the delays are due to path difference close to the line of sight (e.g. Miller et al. 2010a). In those models, no frequency-dependent behaviour is expected, as the shape of the distant reflection spectrum is not expected to change on these time-scales.

The light-crossing time-scale for NGC 4151 with a mass of  $4 \times 10^7 M_\odot$  at say  $6 r_g$  is  $\sim 1200$  s, which is of the same magnitude as those measured here. The thermal time-scale at this radius for a standard thin disc (Shakura & Syunyaev 1973), which could be the variability time-scale if ionization/density changes are involved, is  $\sim 2 \times 10^5$  s assuming a viscosity parameter  $\alpha$  of 0.1. Again, this time-scale is also consistent with the observations. Spectral fitting with a relativistic model gives an inner disc radius of  $1.4 \pm 0.1 r_g$  with an emissivity index of  $4 \pm 0.3$ , a profile flatter than usually observed. If the lag spectra are fitted with a relativistic line model using the inclination and emissivity from the flux spectra, we find that the low- and high-frequency variability originate at  $\sim 10$  and  $4 r_g$ , respectively. This also presumably indicates that the height of the illuminating source is not very large (a few  $r_g$ ).

The lag spectrum of NGC 4151 consists of a broad line-like feature that peaks between 4 and 6 keV. We have found that this peak shifts closer to 6.4 keV (i.e. higher energies) when lower frequencies are probed. This is consistent with the redder parts of the line emitted at smaller radii, and so they vary on smaller time-scales, and their light crossing time is smaller. Building an exact model, however, requires a full treatment of the problem, including general relativistic effects and the interplay between the direct and reflected components in the observed data. To understand the lags, we plan to explore these details in the near future. This important result highlights what can be achieved with current telescopes in the brightest AGN NGC 4151. Larger collecting areas in future X-ray missions (e.g. *LOFT* and *ATHENA*) will make it possible to perform detailed studies in frequency, lag and energy parameter spaces in this and many other objects.

#### ACKNOWLEDGMENTS

We thank the referee for the useful comments that made some points clearer. AZ acknowledges support from the Department of Astronomy at UMDCP. ACF thanks the Royal Society for support. CSR acknowledges support from NASA under the Astrophysics Theory Program (grant NNX10AE41G) and the Suzaku Guest Observer programme (grant NNX10AR31G). This work is based on observations obtained with *XMM-Newton*, an ESA science mission with instruments and contributions directly funded by ESA Member States and the USA (NASA).

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