



FACULTY OF PSYCHOLOGY AND  
EDUCATIONAL SCIENCES

# **Wavelet-Based Functional Mixed Models for the Analysis of Lateralized Readiness Potentials**

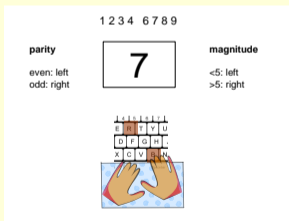
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**ISCB 2010, Montpellier**

## Problem Setting: Task Switching Paradigm

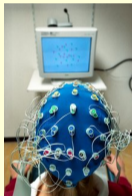
- Laboratory analogue of ‘real-life task switching’
- Choice Response Time tasks: 2 computer tasks which both require binary responses (left/right hand)

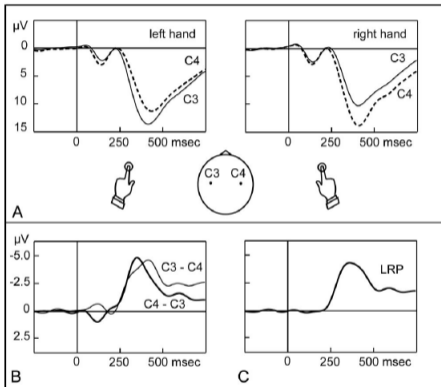


- Cue signals which task must be performed
- Switch Cost: slower reaction times on task switch trials (compared to repetitions)
- Locus of switch cost: cue or task processing?
- Explicit versus transition cuing:
  - **Explicit:** (Parity/Magnitude): Cue and Task Perfectly Associated
  - **Transition:** (Same/Different): Possibility to Disentangle Cue and Task Switches

# Lateralized Readiness Potential

- **EEG:** Electro-encephalogram  
(registration of cortical electric potentials, brain waves)
- **ERP:** Event-related potential  
(experimental psychology)
- **LRP:** Lateralized Readiness Potential  
(neurophysiological measure of motor preparation:  
motor cortex: C3, C4)





$$\text{LRP} = [\text{Mean (C4 - C3)}_{\text{left hand}} + \text{Mean (C3 - C4)}_{\text{right hand}}] / 2$$

## Study Design

- **Task switching paradigm** (magnitude vs parity task) + **Double registration** (task indication + task response)
- LRP = outcome of interest
- 2 X 2 X 2 design:
  - **transition**: task repetition vs switch (within)
  - **cuing type**: explicit vs transition (between)
  - **indication**: selection vs no selection (between)
- 32 participants: 72 blocks (each 17 trials)

## Wavelet-Based Functional Mixed Models

- Wavelets widely applied to EEG analyses:

to characterize time-varying properties of unaveraged EEG signal

- Discrete wavelet transform (DWT) to denoise signal:

transform the signal into the wavelet domain, shrink relatively small coefficients towards zero and use inverse DWT to project the signal back to the data domain

- Functional Mixed Models:  $\mathbf{Y}(t) = \mathbf{X}\mathbf{B}(t) + \mathbf{Z}\mathbf{U}(t) + \mathbf{E}(t)$

$\mathbf{Y}(t) = (Y_1(t), \dots, Y_N(t))$  vector of observed functions

$\mathbf{B}(t) = (B_1(t), \dots, B_p(t))$  vector of fixed-effect functions with  $N \times p$  design matrix  $\mathbf{X}$

$\mathbf{U}(t) = (U_1(t), \dots, U_m(t))$  vector of random-effects functions with  $N \times m$  design matrix  $\mathbf{Z}$

$\mathbf{E}(t) = (E_1(t), \dots, E_N(t))$  vector of functions representing the residual error process

## Multiplicity issue

Determine time interval where condition has significant effect.

- pointwise posterior credible bands  $\Rightarrow$  multiple looks
- use of Bayesian False Discovery Rate
  - calculated by summing the posterior samples from the MCMC
  - assuming an effect size of at least  $\delta$



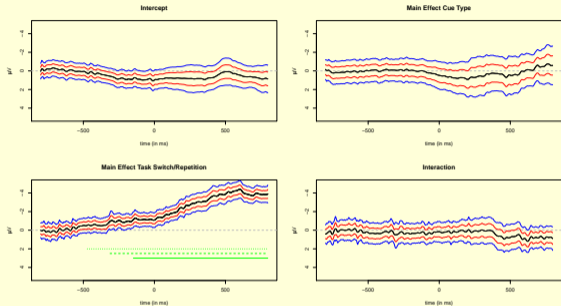
- joint posterior credible bands
  - no unique way to identify joint posterior credible bands
  - based here on the pointwise credible intervals derived from the  $\alpha/2$  and  $1 - \alpha/2$  quantiles of the samples
  - next, scale these pointwise intervals with a constant factor until  $1 - \alpha$  of all sampled curves are contained in credible band

## Results

Model with main effects for cuing type and transition and its interaction.

- no effect of cuing type
- clear divergence between task switches and task repetitions
- no interaction between cuing type and transition
- onset of divergence with FDR depends on *subjective* choice of  $\delta$
- performance of *objective* joint posterior band relatively good

⇒ needs further exploration with simulations.



Posterior Mean- Pointwise 90% Credible Band - Joint 90% Credible Band

Bayesian FDR ( $\delta = 0.75$ : dotted line,  $\delta = 1.00$ : dashed line,  $\delta = 1.25$ : solid line) at  $\alpha = 10\%$

## References

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- Morris, S. & Carroll, R. (2006) Wavelet-Based Functional Mixed Models *Journal of the Royal Statistical Society S B*, Vol 68, 172-199.
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