

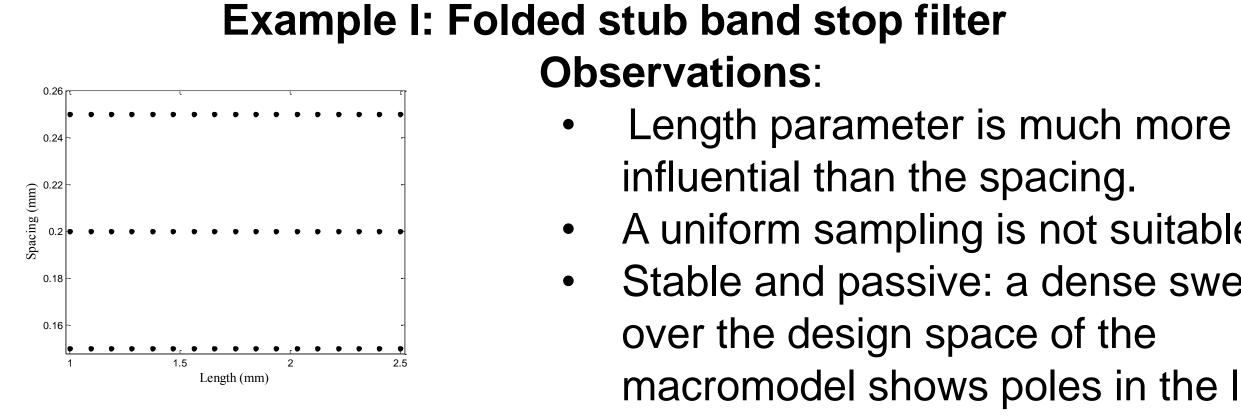
# **Automatic Scalable Macromodel Construction for Microwave System Responses using Sequential Sampling**

Krishnan Chemmangat, Tom Dhaene and Luc Knockaert {krishnan.cmc, tom.dhaene, luc.knockaert}@intec.ugent.be

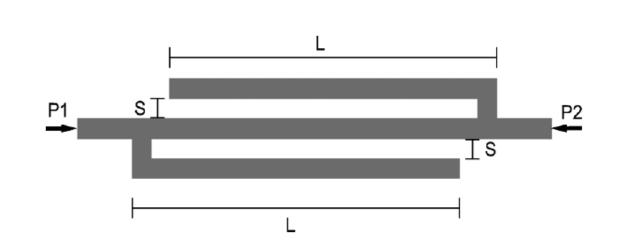
## Motivation

**Problem:** Design of electromagnetic (EM) systems with accurate EM solvers are very expensive and state-of-the-art scalable macromodeling method can replace them in the design process. However a priori information such as the

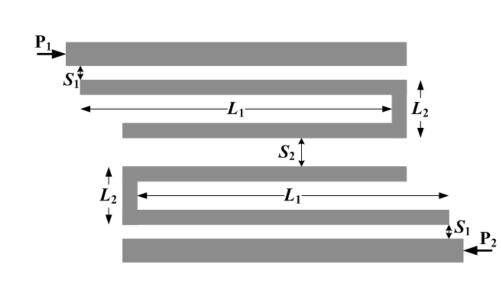
### Results



distribution of modeling samples is required in building such models which is a difficult task.



Layout of a double folded band stop filter



Frequency [GHz] Frequency [GHz] Parametric behavior of the folded stub filter  $S_1$  increasing Frequency [GHz]

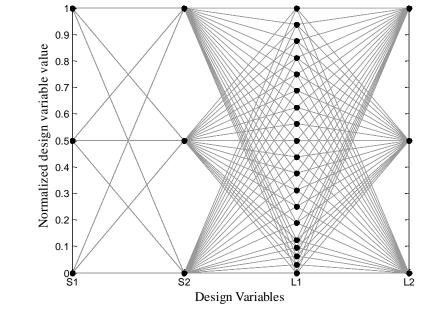
Layout of a hairpin band pass filter Parametric behavior of the hairpin filter

**Goal:** To automatically build accurate scalable macromodels with as little a priori information as possible. The final aim of this work is to generate models at the "press of a button".

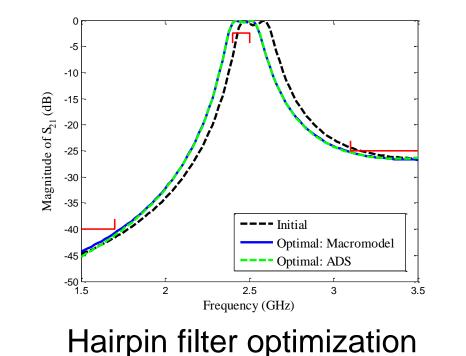
**Strategy:** Selecting the modeling samples based on error criteria to find highly dynamic regions of the design space while preserving the properties of the macromodel such as stability and passivity.

Final design space samples

- A uniform sampling is not suitable.
- Stable and passive: a dense sweep over the design space of the macromodel shows poles in the left half of the S-plane with unity bounded H-infinity norm.



Final design space samples in parallel coordinate plot



## **Example II: Hairpin band pass filter**

**Observations**:

The parameter  $L_1$  is the most influential.

#### **Design optimization:**

- The scalable macromodel is further used in the filter design.
- A single EM solver simulation costs **145** seconds but with scalable macromodel it is just **0.29** seconds.
- Considerable speedup in the design.

Multiple optimization scenarios with scalable macromodel

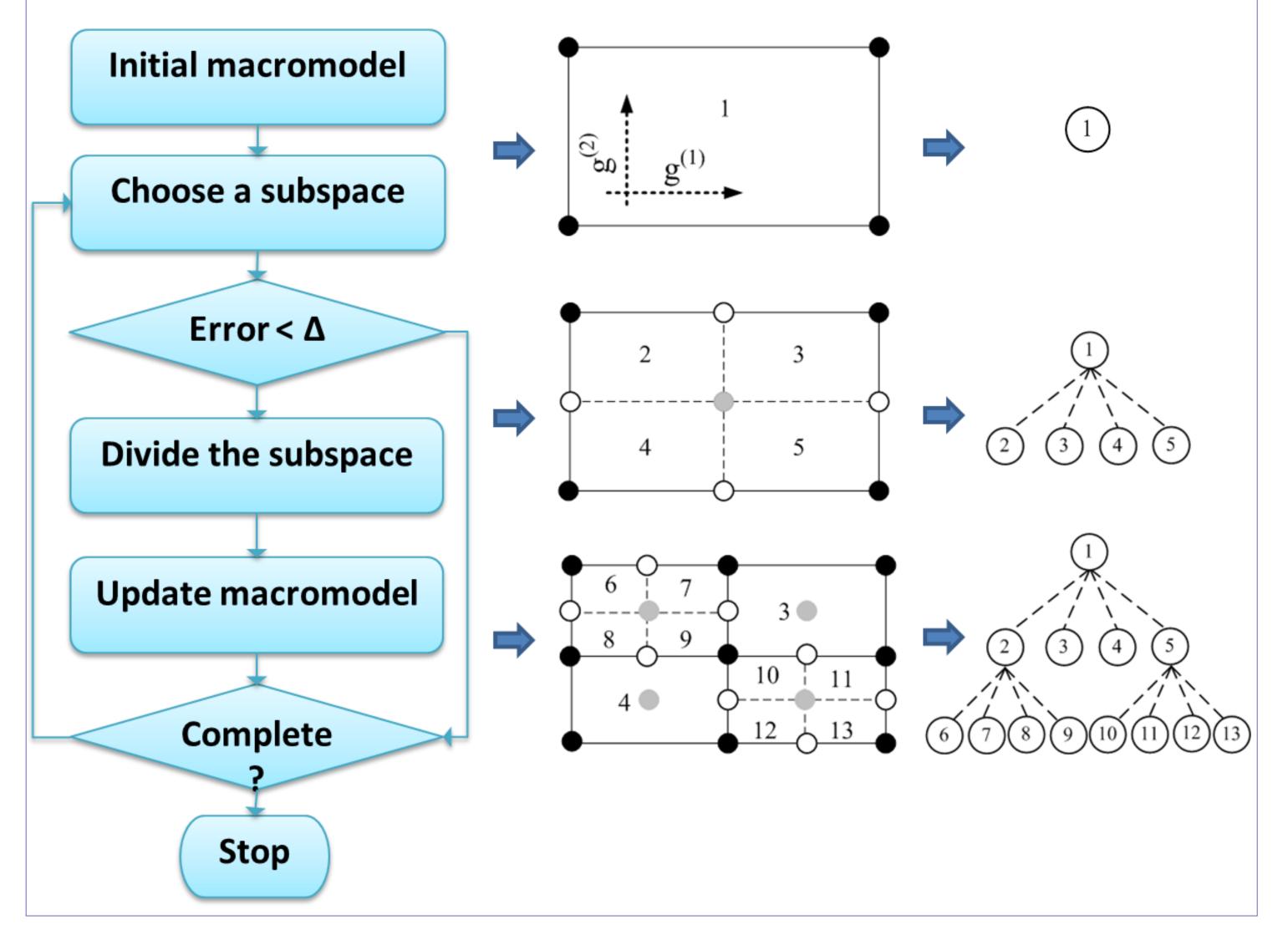
Γ	Initial Design Point	<b>Optimal Design Point</b>	# Function	Optimal Cost	Processor
	$(S_1, S_2, L_1, L_2)$ [mm]	$(S_1^*,S_2^*,L_1^*,L_2^*)$ [mm]	Evaluations		Time [sec]
Γ	[0.30, 0.70, 12.00, 3.00]	$\left[0.27, 0.75, 12.10, 3.25 ight]$	538	$-8.4 \times 10^{-4}$	200.29
	[0.34, 0.69, 14.10, 2.90]	$\left[0.28, 0.75, 12.19, 3.20 ight]$	444	$-6.3 \times 10^{-4}$	139.80
	[0.33, 0.68, 11.50, 3.20]	$\left[0.28, 0.75, 12.10, 3.24 ight]$	353	$-10.9 \times 10^{-4}$	107.82

## Tree-based sequential sampling

#### **Important features:**

- Error-based division.
- Searches for highly dynamic regions.
- Passivity and stability can be guaranteed.
- Sampling over the parameter space.
- independent branches for different regions.

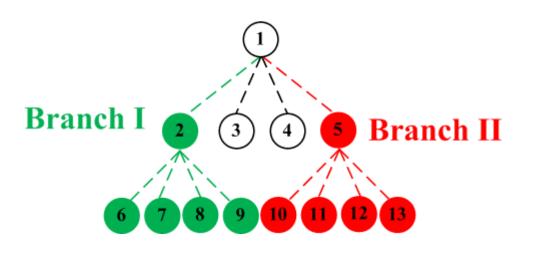
#### Algorithm:



## Conclusions

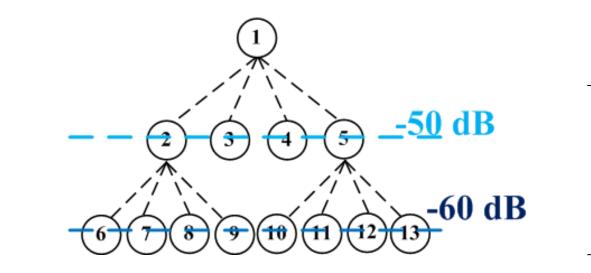
#### Advantages:

- **Considerable automation:** 
  - Less burden on the designer.
  - No need of a priori information before modeling.
- Tree-based implementation: 2.
  - Parallel processing possible.



Regions which can be refined independently

- Error-based division and refinement: 3.
  - Multi-fidelity models can be created.
  - Human-in-the-loop is possible.



Different accuracy levels

Properties such as stability and passivity can be guaranteed based on 4. the scalable macromodeling method used.

#### **Possible future directions:**

- Extending to scattered grids and further reducing the complexity.
- Avoiding expensive EM simulations for validation. 2.



