Numerical simulation of cross-hole deburring by abrasive flow in a three-way hole

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Abstract. The SST $k-\omega$ method is used to numerically simulate the effect of the inlet pressure and processing method on the machining of a three-way hole, revealing the effect of dynamic pressure and wall shear on the machining of the grain flow with different processing parameters. The simulation results show that increasing the inlet pressure and choosing a suitable processing method can improve the processing effect of abrasive flow processing.

Keywords: abrasive flow machining, cross-hole, numerical simulation, shear force.

1. Introduction

With the progress and development of our industry, there are higher requirements for the surface roughness of complex parts cross-holes within the aviation, medical and automotive sectors. Burrs in machining mechanical parts can reduce the efficiency of machinery, increase wear and tear and reduce service life. In the 1960s, NASA proposed a two-phase flow polishing process, abrasive flow machining (AFM), to remove internal burrs from aerospace hydraulic valve bodies and other devices [1].

Abrasive grain flow is an effective surface machining method that is invariably invisible and non-porous. As a result, good profiling contact can be formed with the machined surface, which is a unique advantage in machining curved and anisotropic surfaces [2]. Abrasive Flow Machining is a flexible finishing technology using viscoelastic abrasive media, which reduces the ripples and surface roughness of the workpiece surface by squeezing through the surface of the workpiece, removing the material from the surface to be machined with micro-force micro-removals, achieving deburring, deburring, chamfering and polishing processes. The current industrial situation requires higher productivity, which is met by advanced material removal processes, namely abrasive flow machining (AFM), where the inner surface of the workpiece is machined to a higher level of precision with the help of an abrasive-containing medium [3].

In recent years, the theory and technology of abrasive flow processing have been improved. Fu et al. [4] constructed a simulation model based on different abrasive types and derived from the continuous medium theory that the abrasive particle size has less influence on the rheological characteristics under the same abrasive volume fraction, and the abrasive rheological characteristics are in line with the power law model. Wang [5] et al. proposed a surface roughness prediction model based on abrasive flow polishing for the problems of high cost, low efficiency and poor surface quality controllability of complex impeller/disc blade profile finishing. Liu [6] et al. used the Preston equation as the basis for evaluation, analyzed the influence law of abrasive particle size and fluid medium on the polishing effect, and obtained the trend of the polishing degree of the inner wall of the circular tube along the axial direction of the circular tube under different abrasive flow parameters. Cheng [7] et al. investigated the grinding mechanism of abrasive flow machining and improved the Preston equation. The improved Preston equation helps to optimize the abrasive flow machining process and better predict virtual surface roughness and

material removal rates. Mohseni [8] et al. proposed a consistent numerical method capable of dealing with fluid-structure interface problems as well as surface erosion to simulate soft abrasive flow processing and contribute to a more in-depth understanding of the process. Li [9-11] et al. studied the process characteristics of abrasive flow processing with shaped cross sections. Huang [12] et al. calculated the transient flow gas phase field and the motion, dynamics and collision characteristics of sand and used the Archard wear model to calculate the amount of wear on the sandblaster and analyze the wear pattern.

The burr and machining quality at the cross-hole of the tee bore affects the operational performance. This paper investigates the influence of different parameters on the machining quality of the wall and edge of the cross-hole for the tee bore with cross-hole and reveals the impact of dynamic pressure and wall shear force on the wall machining during the processing of abrasive flow.

2. Abrasive particle flow mechanics model

2.1. The basic equation for abrasive flow

Equations of mass and momentum:

$$\frac{\partial \rho_k}{\partial t} + \nabla(\rho_k \vec{u}_k) = 0,$$
(1)
$$\frac{\partial \rho_k \vec{u}_k}{\partial t} + \nabla(\rho_k \vec{u}_k \vec{u}_k) = \nabla T_k + \rho_k f,$$
(2)

where, ρ_k is the density; \vec{u}_k is the velocity; T_k is the stress tension; f is the volume force.

2.2. Turbulent and multiphase flow models

The SST k- ω model combines the k- ε and k- ω models, using different turbulence models in different Reynolds number regions, with higher simulation accuracy for the flow field. The SST $k-\omega$ model and the mixture model are used as the turbulence and multiphase flow models for this paper, respectively. The expressions for the SST k- ω turbulence model are as follows:

$$\frac{\partial}{\partial t}(\rho k) + \frac{\partial}{\partial x_i}(\rho k u_i) = \frac{\partial}{\partial x_i} \left[(\mu + \sigma_k) \frac{\partial k}{\partial x_i} \right] + P_k - \beta^* \rho k \omega, \tag{3}$$

$$\frac{\partial}{\partial t}(\rho\omega) + \frac{\partial}{\partial x_{i}}(\rho\omega u_{i}) \\
= \frac{\partial}{\partial x_{i}} \left[(\mu + \sigma_{\omega}\mu_{t}) \frac{\partial\omega}{\partial x_{i}} \right] + \frac{\gamma\tau_{ij}}{v_{t}} \frac{\partial u}{\partial x_{i}} - \beta\rho\omega^{2} + 2(1 + f_{v_{1}}) \frac{\rho\sigma_{\omega_{2}}}{\omega} \frac{\partial k}{\partial x_{i}} \frac{\partial\omega}{\partial x_{i}},$$
(4)

$$P_{k} = \min\left[\tau_{ij}\frac{\partial u}{\partial x_{i}}, 10\beta^{*}k\omega\right],\tag{5}$$

where, k is the turbulent kinetic energy; ω is the specific dissipation rate; ρ is the density of the liquid phase; u_i is the component of the fluid velocity in the three coordinate directions; τ_{ii} is the viscous shear stress; P_k is the turbulent kinetic energy generation term; f_{v_1} is the switching function whose value takes a value of 1 near the wall, decreases with increasing distance from the wall, and takes a value of 0 away from the wall to switch between k- ω and k- ε modes; β^* , σ_{ω} , $\sigma_{\omega_2}, \sigma_k, \gamma$ are constants.

The expression for a multiphase flow model of a mixture is:

$$\frac{\partial}{\partial t}(\rho_m) + \nabla(\rho_m v_m) = 0, \tag{6}$$
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$$\frac{\partial}{\partial t}(\rho_m v_m) + \nabla(\rho_m v_m v_m)
= -\nabla\rho + \nabla \cdot [\mu_m (\nabla v_m + \nabla v_m^T)] + \rho_m g + F - \nabla \cdot \left[\sum_{k=1}^n \alpha_k \rho_m v_{dr,k} v_{dr,k}\right],$$
(7)

where, v_m is the mass-averaged velocity; ρ_m is the density of the mixture; *n* is the number of phases; *F* is the bulk force; μ_m is the average viscosity of the mixed phase; $v_{dr,k}$ is the drift velocity.

2.3. Particle equations of motion

During the processing of the abrasive flow, the abrasive particles are subjected to a series of forces, and the kinetic equation of the particles can be expressed as:

$$m_p \frac{du_p}{d_t} = \sum F,$$
(8)

where, m_p is the mass of the particle; $\sum F$ represents the combined forces on the particle, including traction, gravity, buoyancy, additional mass, pressure gradient, Basset, Magnus, Saffman and other forms of forces.

3. Numerical simulation analysis of tee-hole abrasive flow machining

For the three-dimensional model structure of the flow channel to be solved using a pressurebased solver, the abrasive flow is a solid-liquid two-phase flow, with the liquid phase being aviation paraffin and the solid phase being SiC, activating the mixture model in multiphase flow and the SST k- ω turbulence model to describe the liquid phase motion. The SIMPLEC algorithm is chosen to solve the flow field, which gives better convergence results for incompressible fluids and non-constant flows.

The tetrahedral structure was used to mesh the 3D model, and the schematic diagram of the cross-sectional structure and the mesh structure are shown in Fig. 1.



Fig. 1. Flow channel meshing and cross-sectional structure

3.1. Numerical analysis of different inlet pressures on tee hole machining

As shown in Fig. 1, A is selected as the pressure inlet, B and C as the pressure outlet, the volume fraction of the abrasive is set at 30 %, and the abrasive grain size is 400 mesh. The inlet pressure $p_i = 3$, 4 and 5 MPa were used to analyse the distribution of the different parameters in the flow channel.

3.1.1. Numerical analysis of the dynamic pressure at different inlet pressures

To obtain the dynamic pressure variation inside the flow channel. The planes over the two axes of the flow channel were selected for slicing the flow channel to get the dynamic pressure contour, as shown in Fig. 2.

Fig. 2 shows that as the inlet pressure gradually increases, the dynamic pressure in the straight

pipe area gradually increases and becomes smaller at the cross hole. This is because the abrasive enters the runner after a violent collision with the wall at the entrance. The clash with the wall gradually decreases, with the most violent collision at the cross hole. Hence, it gradually becomes more negligible to a minimum value. As the inlet pressure increases from 3 MPa to 5 MPa, the dynamic pressure at the cross-hole becomes progressively higher, and the difference between the 4 MPa and 5 MPa values is insignificant.



Fig. 2. Dynamic pressure contour for different pressure

3.1.2. Numerical analysis of wall shear forces at different inlet pressures

Wall shear is an essential factor in illustrating the effect of machining, and a wall shear contour is obtained as shown in Fig. 3.

As can be seen from Fig. 3: (1) The wall shear in the straight tube area becomes progressively higher at different pressures because this is because the increase in inlet pressure allows the abrasive to gain more energy and the abrasive particles to be better finished, which is shown in the contour diagram as an increase in wall shear. (2) different pressure cross-hole area wall shear growth is not enormous, from the dynamic pressure and wall shear can be obtained when the choice of 4 MPa is reasonable.



Fig. 3. Wall shear contour for different pressure

3.2. Numerical analysis of the machining of tee holes by different machining methods

The inlet pressure was set at 3 MPa, and the volume fraction of the abrasive was 30 %, with a grain size of 400 mesh. The different machining methods show the dynamic pressure distribution

and wall shear distribution in Fig. 4 and Fig. 5.

From Fig. 4, Fig. 5 can be found A for the pressure inlet C for outlet B for the closed wall than A for the pressure inlet, B, C for the outlet straight tube area dynamic pressure is small, wall shear force is large. A, B at the same time for the pressure inlet C for the outlet than A for the pressure inlet C for the outlet B for the closed wall straight pipe area dynamic pressure, wall shear force is large. Furthermore, the three processing methods in the cross-hole area of the cross-hole boundary and the cross-hole wall processing effect are best. The choice of A, and B for the pressure inlet at the same time, for the processing method of double inlet processing, is conducive to workpiece processing.



c) A and B are both pressure inlets, C is the outlet **Fig. 5.** Wall shear contour for different machining methods

4. Conclusions

1) The solid-liquid two-phase flow model of a tee tube processed by abrasive flow was established, and numerical simulations of abrasive flow under different conditions were carried out to obtain the influence of inlet pressure and processing method on the dynamic pressure and wall shear force inside the tube.

2) Inlet pressure is the main reason for the influence of fluid pressure at the wall. For this article, 4 MPa after increasing the pressure processing effect is not apparent. To prevent excessive pressure on the parts by the damage, the actual processing selected 4 MPa as the processing pressure.

3) The dual-entry machining method, in which A and B are both pressure inlets, is the preferred machining method.

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Data availability

The datasets generated during and/or analyzed during the current study are available from the corresponding author on reasonable request.

Conflict of interest

The authors declare that they have no conflict of interest.

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