

# Simulating the Cathode Catalyst Layer of a PEM Fuel Cell using Lattice Boltzmann Modeling

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## Motivation

Polymer Electrolyte Membrane Fuel Cell (PEMFC)

- promising replacement for combustion engine and reduce CO<sub>2</sub> emissions
- needs platinum as catalysator (rare and expensive)

→ platinum loading has to be reduced

→ However: Performance limitations occur at low platinum loading. Aren't well understood yet. Further investigations needed.

## Approach

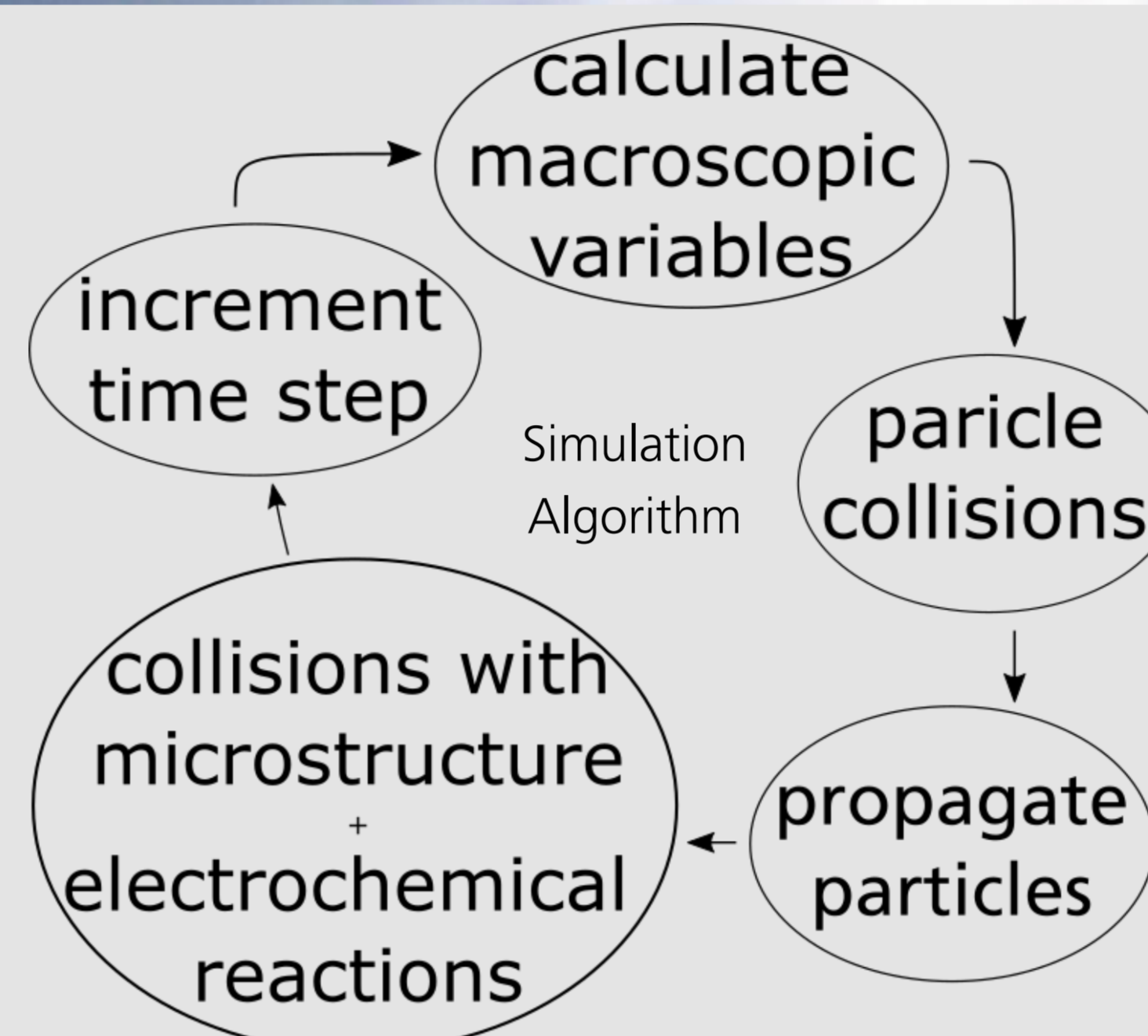
- Analyze limiting processes in cathode catalyst layer (CCL) of PEMFC on sub- $\mu\text{m}$  scale
- Develop a Lattice Boltzmann Model based on [1]
- Simulate transport processes and electrochemical reactions in real CCL microstructures
- Implementation is done using the Palabos [2] framework
- Eventually, investigate influence on limiting processes in newly designed microstructures

## Simulation Model

Important processes in the CCL:

- diffusion of gases N<sub>2</sub>, O<sub>2</sub>, H<sub>2</sub>O in the pore space
- electrochemical reaction  $4\text{H}^+ + 4\text{e}^- + \text{O}_2 \rightarrow 2\text{H}_2\text{O}$
- diffusion in the ionomer (polymer film)
- proton transport
- diffusion of liquid water in the pore space

not yet included

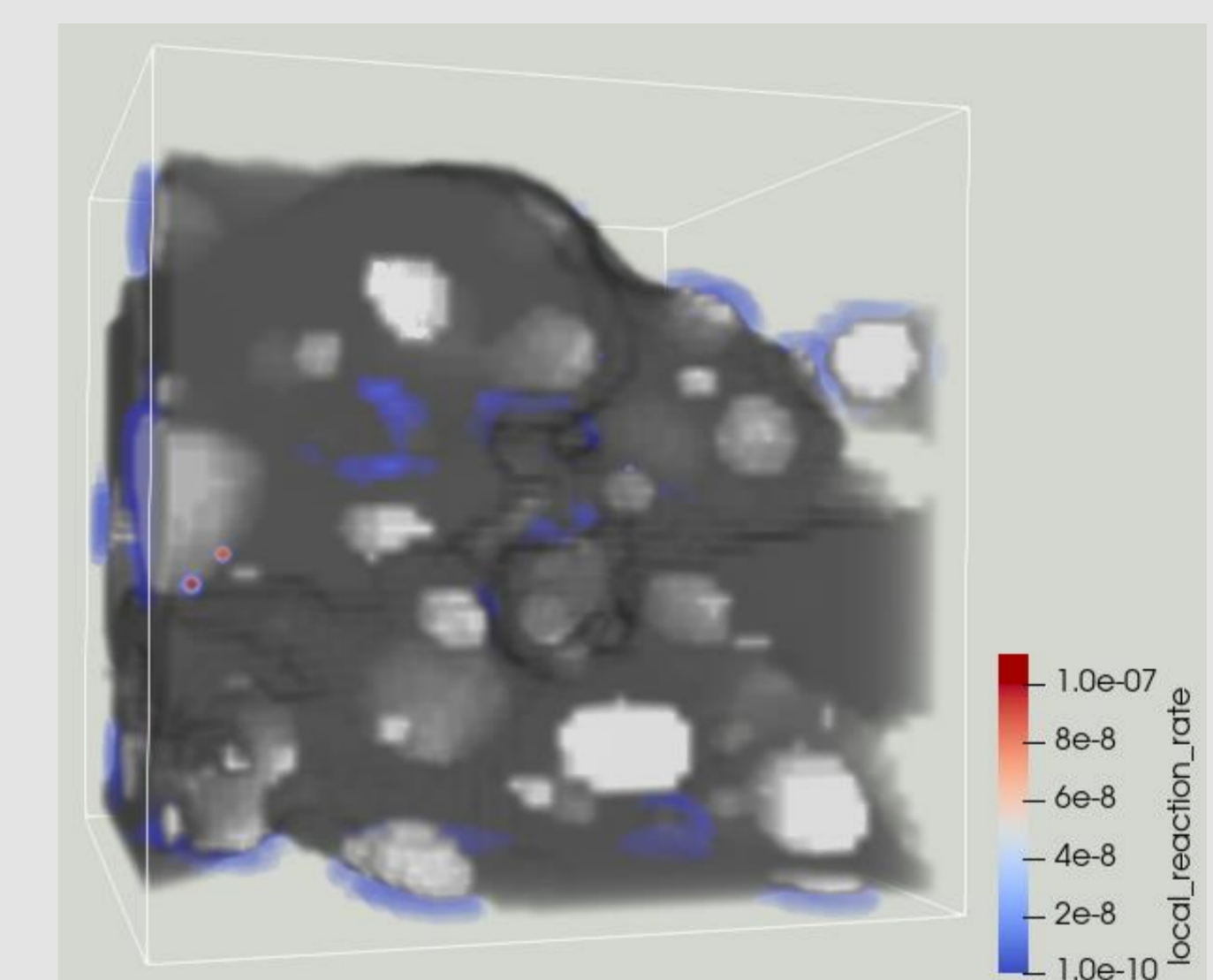


## Some first results

First simulations

- of diffusion in CCL pore space with electrochemical reactions
- possible in 2D and 3D
- with real microstructure provided by the Commissariat à l'énergie atomique et aux énergies alternatives (CEA) using 3D reconstruction of binarized ADF-electron tomographic images

- concentration gradients form in nano-pores due to the oxygen reduction reaction (ORR)



local reaction rate of the ORR (red-blue scale plotted in lattice units) within microstructure (black = carbon, white = platinum)

## Basic Lattice Boltzmann Model for multicomponent diffusion

Diffusion of the three gases N<sub>2</sub>, O<sub>2</sub>, H<sub>2</sub>O inside pore space of CCL with Lattice Boltzmann Model described in [1]:

- The Lattice Boltzmann Equation (main equation)

$$f_{\sigma}^i(\mathbf{x} + \mathbf{c}_{\sigma}^i \Delta t, t + \Delta t) - f_{\sigma}^i(\mathbf{x}, t) = \Omega_{\sigma}^i(\mathbf{x}, t)$$

- Collision Operator  $\Omega_{\sigma}^i = \Omega_{\sigma}^{i1} + \Omega_{\sigma}^{i2} + \dots$  contains self-collisions  $\Omega_{\sigma}^{ii}$ , and cross-collisions  $\Omega_{\sigma}^{ij}$  ( $i \neq j$ ):

$$\Omega_{\sigma}^{ii} = -\frac{1}{\tau_i} (f_{\sigma}^i - f_{\sigma}^{i(0)}), \quad \Omega_{\sigma}^{ij} = -\frac{1}{\tau_{ij}} \left( \frac{\rho_j}{\rho} \right) \frac{f_{\sigma}^{i(\text{eq.})}}{c_{s,i}^2} (\mathbf{c}_{\sigma}^i - \mathbf{u}) \cdot (\mathbf{u}_i - \mathbf{u}_j)$$

- Relaxation towards equilibrium (relaxation times  $\tau_i$  and  $\tau_{ij}$ ):  $\tau_i = (6v_i + 1)/2$

$$\left( \frac{\rho_i + \rho_j}{D_{ij}} + \sum_{s=1, s \neq i, j}^N \frac{n_s M_j}{D_{is}} + \frac{2n M_i M_j}{M_1 c_{s,1}^2 \Delta t} \right) \frac{1}{\tau_{ij}} + \sum_{s=1, s \neq i, j}^N \left( \frac{\rho_s}{D_{ij}} - \frac{n_s M_j}{D_{is}} \right) \frac{1}{\tau_{js}} = \frac{2\rho}{D_{ij}}$$

( $v_i$  ... kinematic viscosity,  $D_{ij}$  ... binary diffusion coefficients,  $N$  ... number of components) (for  $N \leq 3$ : analytic solutions can be found; for  $N > 3$ : numeric estimations needed)

- To handle different molecular weights → rescale discrete velocities and use interpolation

## Simple simulation of electrochemical reactions

Include reaction taking place in the CCL:  $4\text{H}^+ + 4\text{e}^- + \text{O}_2 \rightarrow 2\text{H}_2\text{O}$

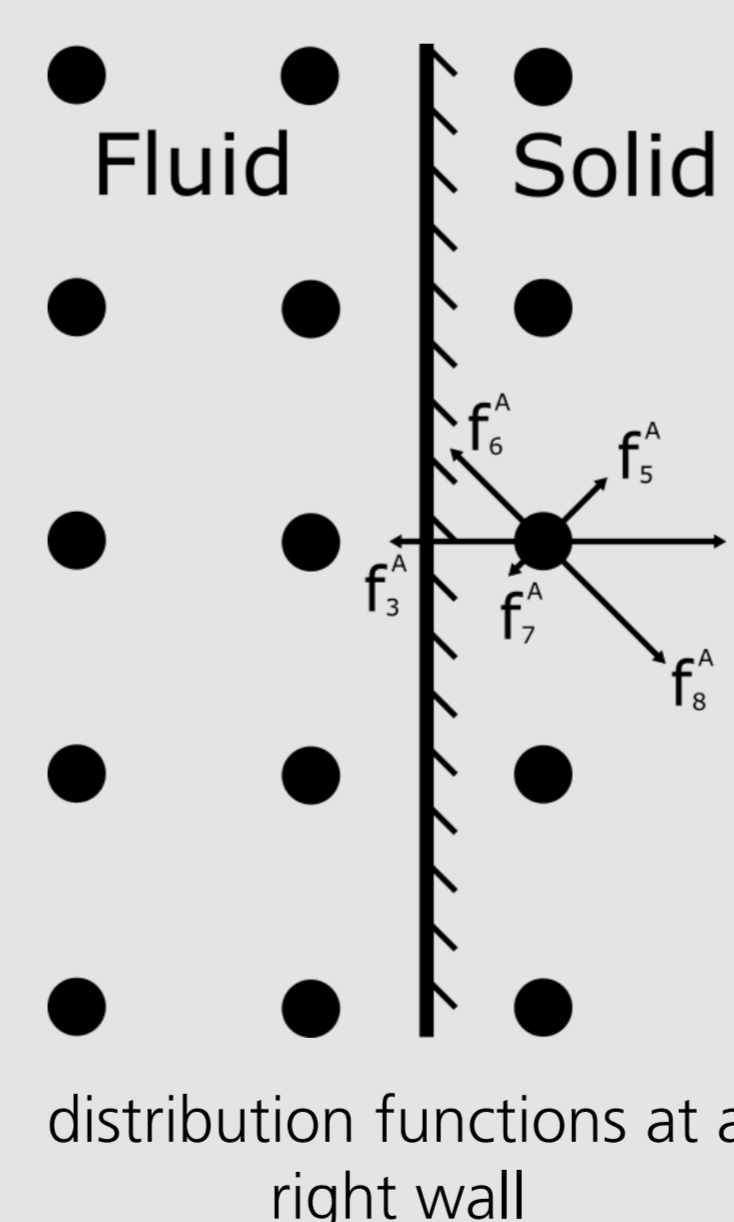
- modified bounce-back boundary condition described in [3]
- $k$  ... fraction of oxygen molecules which are converted to water in each time step when in contact with platinum nano-particles

- Calculation of distribution functions (example for a right wall)

$$f_3^{\text{O}_2} = (1 - k)f_1^{\text{O}_2}, \quad f_3^{\text{H}_2\text{O}} = f_1^{\text{H}_2\text{O}} + 2 \frac{M_{\text{H}_2\text{O}}}{M_{\text{O}_2}} k f_1^{\text{O}_2}$$

$$f_6^{\text{O}_2} = (1 - k)f_8^{\text{O}_2}, \quad f_6^{\text{H}_2\text{O}} = f_8^{\text{H}_2\text{O}} + 2 \frac{M_{\text{H}_2\text{O}}}{M_{\text{O}_2}} k f_8^{\text{O}_2}$$

$$f_7^{\text{O}_2} = (1 - k)f_5^{\text{O}_2}, \quad f_7^{\text{H}_2\text{O}} = f_5^{\text{H}_2\text{O}} + 2 \frac{M_{\text{H}_2\text{O}}}{M_{\text{O}_2}} k f_5^{\text{O}_2}$$



distribution functions at a right wall

## Outlook

Next steps:

- include diffusion in ionomer
- include Knudsen diffusion

These two effects seem to be very important.

- eventually, analyze performance limitations within different CCL microstructures

## Bibliography

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3. Molaieimesh, G. R., Akbari, M. H., *Agglomerate modeling of cathode catalyst layer of a PEM fuel cell by the lattice Boltzmann method*, International Journal of Hydrogen Energy Volume **40** (2015), Issue 15, 5169 - 5185

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