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## Introduction to the Special Section on "Numerical and Mathematical Processing"

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# Introduction to the Special Section on “Numerical and Mathematical Processing”

Daniel Ansari<sup>1</sup>, Bert De Smedt<sup>2</sup>, and Roland H. Grabner<sup>3</sup>

The processing of numerical information is a dominant feature of everyday life. Whether it is in the context of financial transactions, shopping for groceries, or gauging how many people are in a room, we are constantly using numerical information to guide our behavior and make decisions. On the other hand, number and mathematics constitute a crucial part of the curriculum during schooling. There is clear evidence that basic numerical and mathematical skills play a critical role in determining an individual’s life success (Reyna, Nelson, Han, & Dieckmann, 2009). Furthermore, there is abundant evidence that low numeracy skills are associated with substantial costs to society at large (Butterworth, Varma, & Laurillard, 2011; Bynner & Parsons, 1997; Duncan et al., 2007).

Until recently research on the cognitive and neural foundations of numerical and mathematical skills was a relatively underinvestigated area of research, in particular when compared with the large body of research into the neurocognitive processes underlying the typical and atypical development of literacy and language competencies. However, this state of affairs has changed rapidly in the past 20 years, with much progress being made in understanding the evolutionary origins, ontogenetic foundations, and trajectories as well as neuronal correlates of number processing (for reviews see Ansari, 2008; Nieder & Dehaene, 2009; Piazza & Izard, 2009). The initial years of research into numerical and mathematical processing were characterized by basic research to answer question such as: What numerical competencies do nonhuman animals possess? When do numerical competencies emerge over developmental time? How are numerical symbols learnt? What brain regions are associated with arithmetic problem solving and how do brain activation patterns change over the course of learning and development? Many important

answers to these questions have been provided through basic research that covers multiple levels of description ranging from single cell recordings to cross-cultural research with communities in remote locations.

In recent years, there have been increasing efforts to bridge between, on one hand, basic research on numerical and mathematical processing and, on the other hand, questions that arise from educational context such as: What are the predictors of individual differences in school-relevant measures of arithmetic achievement? What can we learn from empirical research on math skill development about the best way to diagnose and remediate children with mathematical difficulties, such as developmental dyscalculia?

The present special section in *Mind, Brain, and Education* builds on this momentum and includes four empirical research contributions that illustrate the potential of linking basic cognitive and neuroscience research with applied questions that are relevant to mathematics education.

In the domain of reading significant progress toward bridging between the research laboratory and the classroom was made when key foundational factors (such as phonological awareness) that predict typical and atypical reading development were identified, particularly, as this resulted in increased early diagnosis of children at risk of developing reading difficulties, where early interventions are appropriate (for a review see Gabrieli, 2009). In the domain of number processing, such low-level processing factors contributing to the development of higher level mathematical competencies that children are acquiring in the math classroom have recently been the focus of much research. For example, it has been shown that children’s ability to indicate which of two Arabic digits or dot arrays is numerically larger correlates with and even predicts their scores on standardized tests of mathematical achievement (De Smedt, Verschaffel, & Ghesquiere, 2009; Halberda, Mazocco, & Feigenson, 2008; Holloway & Ansari, 2009). Two of the contributions in this special section take this rapidly growing body of research forward in significant ways. Namely, in their article, Sasanguie,

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1 Van den Bussche, and Reynvoet present a longitudinal study  
2 to investigate which measures of basic number processing  
3 are the strongest predictors of later math achievement. Their  
4 findings show that nonsymbolic number estimation is the  
5 strongest predictor of math skills 1 year later, with the speed  
6 of comparing which of two numbers is numerically larger  
7 also accounting for some of the variance children's subsequent  
8 math performance.

9 Vanbinst, Ghesquière, and De Smedt further constrain  
10 these findings by investigating how measures of basic  
11 number processing are related to one specific school-taught  
12 mathematical skill, that is, elementary arithmetic and the  
13 strategies used to perform these calculations. Their data reveal  
14 that particularly children's symbolic magnitude processing, as  
15 measured by tasks that involve the comparison of Arabic  
16 digits, is related to their mathematical and arithmetical  
17 skills: Children with better access to numerical magnitude  
18 representations from symbolic digits retrieve more facts from  
19 their memory and are faster in executing various arithmetic  
20 strategies. They suggest that educators should particularly  
21 focus on connecting Arabic symbols to the quantities they  
22 represent. Furthermore, these data provide the first evidence  
23 to suggest that arithmetic fact retrieval frequency is related to  
24 basic, symbolic number processing.

25 The third contribution of this special section by  
26 Gabriel, Coché, Szucs, Carette, Rey, and Content moves  
27 on to educational intervention by investigating whether an  
28 intervention that focuses on the association between fractions  
29 and the magnitudes they represent improves children's  
30 understanding of fractions, a major stumbling block for many  
31 children in primary school. Their findings reveal that playing  
32 games, such as comparing and adding fractions and matching  
33 fractions to quantities, all of which foster the connection  
34 between fractions and their magnitudes, improved children's  
35 ability to estimate and compare fractions—again highlighting  
36 the fundamental role played by magnitude processing in the  
37 development of mathematical skills.

38 The final contribution of this special section bridges  
39 to the brain level using functional magnetic resonance  
40 imaging to examine basic neurocognitive processes related  
41 to mathematics learning in bilinguals. Specifically, Grabner,  
42 Saalbach, and Eckstein address the unresolved question of the  
43 sources of language-switching costs (i.e., poorer performance)  
44 in bilingual mathematics learning that arise when arithmetic  
45 problems are solved in a language different from the language of  
46 instruction. Two general cognitive mechanisms are discussed  
47 in the literature to account for these costs (Dehaene, Spelke,  
48 Pinel, Stanescu, & Tsivkin, 1999): they either reflect the  
49 need to translate arithmetic knowledge from the language

of instruction into the language of application or they  
derive from additional mathematical information processing  
(e.g., calculation). The findings by Grabner, Saalbach, and  
Eckstein provide neurophysiological evidence in favor of the  
second mechanism and exemplify how neuroscience data  
can be used to achieve incremental insights into cognitive  
mechanisms of mathematics learning, whose understanding is  
of high educational relevance.

Taken together, the four contributions contained within  
this special section of *Mind, Brain, and Education* provide a diverse  
set of empirical research findings that, in the true spirit of the  
rapidly growing field of Mind, Brain, and Education, attempt  
to build bridges between basic research on the behavioral and  
neuronal mechanisms of numerical as well as mathematical  
processing and, on the other hand, educational questions.

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