

## TORQUE-TO-SPIN EFFICIENCY OF PITCHES ANALYSED WITH A SMART BASEBALL

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**Introduction:** Sports balls are spun by applying a friction force (in addition to the normal force) to their surface, which produces a torque  $T_R$ . The  $T_R$  imparted accelerates the ball and thereby generates and increases its spin rate  $\omega$  (angular velocity). Yet, not only  $T_R$  determines the magnitude of  $\omega$ , but also how efficiently  $T_R$  is converted to  $\omega$ . The efficiency decreases the greater the angle  $\theta$  (normalised precession  $p_n$ , [1]) is between  $\mathbf{T}_R$ - and  $\boldsymbol{\omega}$ -vectors. The greater  $\theta$ , the more  $T_R$  is wasted for moving  $\boldsymbol{\omega}$  into  $\mathbf{T}_R$  (precession  $p$ ). The aim of this paper is to investigate the torque-to-spin efficiency while pitching before releasing the ball.

**Method:** For determining  $\omega$ , we used a smart baseball [2], a spin-off of a smart cricket ball [3], that measures  $\omega$  at a sampling frequency of 815 Hz. From  $\omega$  we calculated the following performance parameters (explained in detail in [4]) with the smart ball's software: angular acceleration  $\alpha$ ; resultant torque  $T_R$  and its two components, the spin torque  $T_s (= \alpha I$ , where  $I$  is the moment of inertia) and the precession torque  $T_p$ ; power  $P$ ; rotational energy; precession  $p (= T_p/[\omega])$ ; speed of moving  $\boldsymbol{\omega}$ -vector, ideally 0; normalised precession  $p_n (= \theta = \sin^{-1}(p\omega/T_R)$ ; angle between  $\mathbf{T}_R$ - and  $\boldsymbol{\omega}$ -vectors, ideally  $0^\circ$ , worst case  $90^\circ$ ); efficiency  $\eta$  (ratio of actual energy to ideal energy, where the latter results from the ideal case of  $\theta_t = 0$ ); 'frequency'  $f (= \alpha_{\max}/\omega_{\max})$ . The more efficient a pitching type, the smaller are  $p$ ,  $p_n$ ,  $T_p$ ,  $f$ , and the greater is  $\eta$ . In addition to the smart ball, we determined  $\omega$  and the translational speed  $v$  of the ball with Mevo (FlightScope, Orlando, FL, USA), and benchmarked  $\omega_{\text{smartball}}$  vs  $\omega_{\text{Mevo}}$ . Four players pitched fastballs, curveballs, and sliders five times each. This research was granted Ethics approval by the Swinburne University Human Ethics Committee (no. 20191582-3216), and adhered to the Declaration of Helsinki, and informed consent was obtained.

**Results and Discussion:**  $\frac{1}{4}$  of the  $\omega_{\text{Mevo}}$  data were outliers and therefore inaccurate (Fig. 1a). The average data of the performance parameters are shown in Table 1. From the Kruskal-Wallis test, there was a statistical difference ( $p < 0.05$ ) between

fastballs, sliders and curveballs in all parameters except for  $\omega$  and  $P$ . The efficiencies  $\eta$  of slider and curveball were marginally indifferent in the post-hoc tests ( $p = 0.056$ ). All five parameters ( $p, p_n, T_p, \eta, f$ ) informing of the torque-to-speed efficiency showed the same pattern: best performance in the curve ball and worst in the fastball (Fig. 1b). This result matches the pattern seen in cricket ball deliveries: backspin deliveries (such as the fastball in baseball) are least efficient, topspin ones (such as the curveball) are most efficient, and sidespin ones (such as the slider) are characterised by intermediate efficiency [1, 4]. The outliers may be due to the Doppler radar not recording the spin rate consistently.

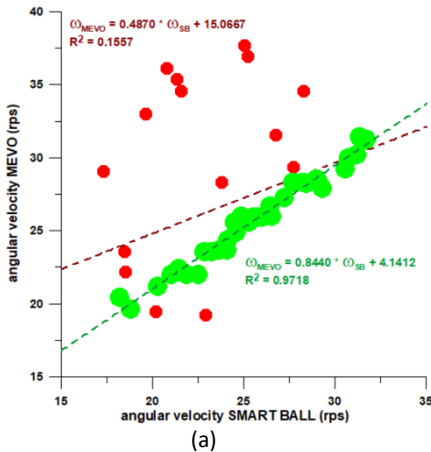


Fig. 1a: Correlation of angular velocities  $\omega_{MEVO}$  VS  $\omega_{SB}$  (outliers in red)

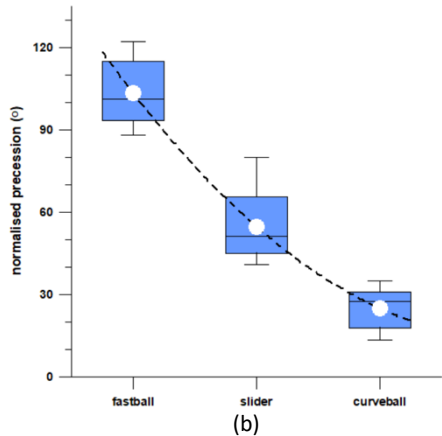


Fig. 1b: Normalised precession of three types of pitches (box plot and average)

Table 1: averages of performance parameters; FB = fast ball, SL = slider, CV = curveball

pitch	$v$ (m s <sup>-1</sup> )	$\omega$ (rps)	$T_R$ (Nm)	$P$ (W)	$p$ (rad s <sup>-1</sup> )	$p_n = \theta$ (°)	$T_p$ (Nm)	$\eta$ (%)	$\alpha/\omega$ (s <sup>-1</sup> )
FB	34.58	24.83	0.459	31.01	108.5	103.4	0.390	18.85	29.32
SL	31.10	24.86	0.365	27.69	51.3	54.8	0.253	28.30	24.56
CB	26.21	23.55	0.277	23.38	20.7	25.0	0.123	33.56	23.05

1. Fuss FK, B. Doljin, Ferdinands RED, Beach A (2015) Dynamics of Spin Bowling: The Normalized Precession of the Spin axis Analysed with a Smart Cricket Ball. Proc Eng 112:196-201.
2. Doljin B, Jeong K, Kim Y-K, Fuss FK (2020) Profiling of a pitcher's performance with a smart baseball: a case report. Proceedings 2020, 49(1), 103.
3. Doljin B, Fuss FK (2015) Development of a smart cricket ball for advanced performance analysis of bowling. Procedia Technology, 20: 133–137.
4. Fuss FK, B. Doljin, Ferdinands RED (2021) The Smart Cricket Ball: discovery of novel performance parameters and their practical application to performance analysis, advanced profiling, talent identification and training interventions of spin bowlers. Sensors, 21(20): (article 6942): 1-28.