



On the Symmetry of b -Functions of Linear Free Divisors

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| Mots-clés | b -function [4], linear free divisor [5], prehomogeneous vector space [6] |
| Résumé en anglais | <p>We introduce the concept of a prehomogeneous determinant as a possibly nonreduced version of a linear free divisor. Both are special cases of prehomogeneous vector spaces. We show that the roots of the b-function are symmetric about -1 for reductive prehomogeneous determinants and for regular special linear free divisors. For general prehomogeneous determinants, we describe conditions under which this symmetry persists.</p> <p>Combined with Kashiwara's theorem on the roots of b-functions, our symmetry result shows that -1 is the only integer root of the b-function. This gives a positive answer to a problem posed by Castro-Jimenez and Ucha-Enrquez in the above cases.</p> <p>We study the condition of strong Euler homogeneity in terms of the action of the stabilizers on the normal spaces.</p> <p>As an application of our results, we show that the logarithmic comparison theorem holds for reductive linear Koszul free divisors exactly when they are strongly Euler homogeneous.</p> |
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