# Using Gaia to derive distances to embedded objects 



Hajanirina Erick Randriamanantena
Department of Physics and Astronomy
University of Leeds

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#### Abstract

In this thesis, we present distance measurements to embedded stars by using the wealth of astrometric data from Gaia DR2. Our methodology is based on the Bayesian techniques and the Markov chain Monte Carlo (MCMC) sampling by modelling the extinction towards the region of interest to infer the distance to the target source. We model the $A_{G}$ extinction in the line of sight to provide reliable distance measurements. We also use the $A_{V}$ extinction derived by Anders et al. (2019) to see the improvement in the distances when using additional catalogues. The distance is subsequently inferred from the jump point on the extinction from the Off-cloud to On-cloud stars as each extinction measurement has its corresponding distance.

We inferred distances to Young Stellar Objects (YSOs) selected from the literature and to the sub-regions of the high mass star formation region, Cygnus X (DR20, DR21, DR22, DR23, and W75N). We found that Gaia can provide a reliable distance to an object associated with a molecular cloud with moderate-sized extinction, showing a small systematic uncertainty of less than $5 \%$. For dark clouds, however, our extinction models inferred lower distances compared to maser distances, kinematic distances, and to the extinction distances of Foster et al. (2012). This is because there are multiple extinction breakpoints towards those selected regions, and our models provide distances to the first jump. We also found that the sub-regions of Cygnus X are located at a similar distance of $\sim 1 \mathrm{kpc}$ according to $A_{G}$, and at $\sim 1.6$


kpc according to $A_{V}$. This suggests that the idea of using additional photometric data with Gaia in the $A_{V}$ model improves the distance as it added many input stars for the models. Our methodology failed to measure distances to object in a cloud with complex extinction distribution that differs from our simple dust screen model. We stress, however, that the advent of the full Gaia Data Release 3 will significantly improve our distance measurements as many more data will be available.

## Abbreviations

| 2MASS | 2 Micron All-Sky Survey |
| :--- | :--- |
| APSIS | Astrophysical Parameters Inference System |
| ADQL | Astronomical Data Query Language |
| $A_{G}$ | Extinction in the G band |
| $A_{V}$ | Extinction in the V band |
| BNCE | Blue Number Count Extinction |
| CNM | Cold Neutral Medium |
| CoMRS | Centre-of-Mass Reference System |
| CO | Carbon Monoxide |
| ES | Evolved Star |
| ESA | European Space Agency |
| ESO | European Southern Observatory |
| FLAME | Final Luminosity, Age, and Mass Estimator |
| GAIA | Graphical Astronomy and Image Analysis Tool |
| GAIA DR2 | GAIA Data Release Two |
| GMC | Giant Molecular Cloud |
| GCRS | Geocentric Celestial Reference System |
| $H_{2}$ | Molecular Hydrogen |
| HCHII | Hyper-compact HII region |
| HIM | Hot Ionized Medium |
| ICRS | International Celestial Reference System |
| IMF | Initial Mass Function |
| IR | Infrared |
| ISM | Interstellar Medium |
| KDA | Kinematic Distance Ambiguity |
| kpc | kiloparsec |
| LRS | Local Standard of Rest |


| MASER | Microwave Amplification by Stimulation Emission of Radiation |
| :--- | :--- |
| MCMC | Markov chain Monte Carlo |
| MLE | Maximum Likelihood Estimation |
| MS | Main Sequence |
| MSX | Midcourse Space Experiment |
| NICER | Near-Infrared Colour Excess Revisited |
| NIR | Near-infrared |
| PAH | Polycyclic aromatic hydrocarbon |
| Pan-STARRS | Panoramic Survey Telescope and Rapid Response System |
| pc | parsec |
| PSC | Point Source catalogue |
| RAVE | RAdial Velocity Experiment |
| RGE | Red Giant Extinction |
| RMS | Red MSX survey |
| RUWE | Renormalised Unit Weight Error |
| SED | Spectral Energy Distribution |
| SKA | Square Kilometre Array |
| SNR | Signal-to-Noise Ratio |
| $T_{e f f}$ | effective temperature |
| UCHII | Ultra-compact HII region |
| UKIDSS | UKIRT Infrared Deep Sky Survey |
| UV | Ultraviolet |
| VLBI | Very Long Baseline Interferometry |
| WIM | Warm Ionized Medium |
| WISE | Wide-field Infrared Survey |
| WNM | Warm Ionized Medium |
| WTTS | Weak Line T Tauri Star |
| YSO | Young Stellar Object |
|  |  |

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## Chapter 1

## Introduction

Looking at the night sky on a cloud-free might make us wonder how far away those stars are. Determining distances to the stars is one of the significant challenges in astronomy and astronomers are still trying to find the appropriate way to calculate them by applying several methodologies. Knowing the distances of stars leads to solving the obstacle to our understanding of the Milky Way and the understanding of galaxies in general. For example, combining the distance with the apparent brightness gives us its true luminosity (see Eq. 1.1).

$$
\begin{equation*}
L=4 \pi D^{2} B \tag{1.1}
\end{equation*}
$$

where $B$ is the brightness of the star and $D$ is the distance.
Apart from the luminosity, knowing distance to stars also allows us to infer different stellar parameters such as its mass from the orbital motions, its true motions through space and indeed its physical size. The brightness of a star can be measured directly. By combining the measured brightness from different wavelengths with the colour of the star, without considering the extinction, its surface temperature can be determined. When the luminosity of a star and its surface temperature is known, they can be plotted against each other in the Hertzsprung-Russel diagram (H-R diagram) to understand the mass, size, age and evolution of the star.

With the H-R diagram, we can recognise if the star is a main-sequence star or


Figure 1.1: Gaia's Hertzsprung-Russell diagram. (Credit: ESA)
a super-giant star, as shown in Fig. 1.1. Most of the stars appear in the narrow band of the diagram, called the main sequence (MS), which means that stars of the same temperature have essentially the same luminosity and therefore have the same size. Some stars appear above the main sequence, meaning that they are more luminous than main-sequence stars of the same temperature (Giant branch). Some stars are located below the main sequence (White dwarfs), which are typically 10 mag fainter than main-sequence stars of the same temperature.

Measuring distances to stars depends on their environment during and after their formation. When stars are ejected from the centre of the place that they formed and can be observed visually, their distances can be calculated from their measured parallax. However, at their early stage of formation, observing their distances is arduous as they are embedded at the centre of the molecular cloud where they formed. Even if nuclear fusion might have taken place at their core,


Figure 1.2: Simple illustration of trigonometric parallax method (Credit: ESA).
they are still embedded by their natal cloud, so their distance is still hard to measure. Those objects are pre-main sequence and known as young stellar objects (YSOs), which are only observable at long-wavelength (infrared and radio) (see Sect. 1.7).

### 1.1 Parallax

Parallax is conceptually the most fundamental distance measurement technique for stars. The parallax of an object is its observed angular displacement with respect to a reference frame due to the movement of one observer over a baseline. This is a pure geometric measurement of distance as it does not make assumptions about the intrinsic properties of the star (Bailer-Jones, 2015). As shown in Fig. 1.2, the Earth-Sun distance is used twice as a baseline to measure the parallax of an object. After solving the simple trigonometric problem, the distance $r$ of a star is equal to the quantity $1 / \omega$, where $\omega$ is its observed parallax.

The first stellar parallax was obtained by Bessel (1838), who measured $\omega=$
$0.29^{\prime \prime}$ for the star 61 Cygni. After that, it was used in the Hipparcos mission to derive distances to $\sim 10^{5}$ stars down to a $V$-band magnitude of around 12 (Perryman et al., 1997). Although this method is more effective for nearby stars, it becomes handy for distance measurement since the advent of the Gaia mission (Gaia Collaboration et al., 2016b).

Inverting parallax to derive distances is only valid in the absence of noise, and it is unreliable for the faintest, most distant object. Results from Perryman et al. (1997) show that parallax distances using Hipparcos were accurate only out to distances of around 200 pc . This lower precision is due to dust attenuation and low SNR as noise increases at a higher distance. However, with Gaia, the uncertainty associated with each measurement is provided, which should be taken into account for better estimates of distances (Astraatmadja \& Bailer-Jones (2016), BailerJones et al. (2018)).

### 1.2 The Gaia mission

Gaia is a space observatory dedicated to astrometry. It was launched by the European Space Agency (ESA) in late 2013 and reached the Lagrange L2 point located about 1.5 million kilometres from Earth, one of the advantages of which is to provide an extremely stable thermal environment. There, it describes a Lissajous-type orbit to avoid eclipses of the Sun by the Earth, in order to be able to power its solar panels. Its primary goal is to map the stars of the Milky Way with greater precision. Compared to its predecessor, the Hipparcos mission (1989-1993) (Perryman et al., 1997), Gaia observes a larger number of stars with unprecedented precision in the range of microarcsecond. More than 1.7 billion sources were observed in the second release of its data collection, while Hipparcos observed only 120,000 sources. Before its end, the mission has already brought a huge improvement in our understanding of the Milky Way.

### 1.2.1 Gaia astrometric instruments

The spacecraft, which weighs about 2000 kg , carries two astrometric telescopes separated by a fixed angle of 106.7 degrees. The two telescopes are mounted in the hexagonal optical bench with a $\sim 3 \mathrm{~m}$ diameters and merged into a common focal plane (see Fig. 1.3). The aperture of the two telescopes is $1.45 \mathrm{~m} \times 0.4 \mathrm{~m}$ and the focal length is 35 m .


Figure 1.3: Gaia payload module. The figure illustrates the two telescopes separated by a wide-angle of 106.5 degrees, which are mounted on the hexagonal optical bench. The scientific payload has three instruments: the astrometric instrument, the broad-band photometer and the radial velocity spectrometer. The combined focal plane consists of 106 CCDs on which are split between astrometric, photometric and radial velocity spectrograph. (Credit: ESA).

The focal plane is split into 5 CCDs categories arranged in 7 rows and 17 columns (see Fig. 1.4). The first column contains the Basic Angle Monitor (BAM) and WaveFront Sensor (WFS), the Sky Mapper (SM) is located in the two next

Focal Plane


Figure 1.4: Layout of the focal plane assembly. Stars move from left to right of the diagram. The skymappers provide source image detection and two-dimensional position estimation. The astrometric field provides accurate AL measurements and (sometimes) AC positions. The additional CCDs are the blue and red photometers (BP, RP), the radial-velocity spectrometer (RVS), wavefront sensing (WFS), and basic-angle monitoring (BAM). (Credit: EADS Astrium).
columns, which detects objects passing the field of view, allowing the CCDs in the focal plane to read them. The Astrometric Field (AF), which consists of 62 CCDs are formed by the next nine columns. The next two columns indicate the Blue and Red Photometers (BP, RP), and the final three columns are the Radial Velocity Spectrograph (RVS). In total, Gaia focal plane consists of 106 CCDs, and each of them is 4500 by 1996 pixels in size with pixels of 10 micrometres along scan $\times 30$ micrometres across scan size ( 59 mas x 107 mas ). In total the focal plane has $938,000,000$ pixels.

### 1.2.2 Gaia scanning law

The Gaia scanning law is a key aspect of the astrometric performance, designed to optimise delivered final astrometric accuracy (see Fig. 1.5). Gaia simultaneously observes two directions of sight by rotating continuously with a slight precession, and while maintaining the same angle $\left(45^{\circ}\right)$ to the Sun. By precisely measuring the relative positions of the objects of the two viewing directions separated by a
wide-angle, the high rigidity of the reference system is obtained. Each object will


Figure 1.5: The Gaia scanning law. (Credit: ESA).
be observed on average around 70 times during the mission, which is expected to last for 5 years. The three-dimensional motion of Gaia is defined by the combination of four motions which are: the translation around the Sun (a period of one year as that of the Earth), the orbit that Gaia describes around the Lagrangian L2 point with the rotation of Gaia around its own spin axis, and the precession motion (the change in the direction of the Gaia spin axis following a circle).

These measurements will allow the determination of the astrometric parameters of the stars: the projected position in the sky ( 2 angles), the proper motion (2 values for their derivative with respect to time) and the trigonometric parallax (which provides the distance to each source). In addition, it provides optical broad-band photometry in the G band and colour information in the form of apparent brightness in the $G_{B P}(330-680 \mathrm{~nm})$ and $G_{R P}(630-1050 \mathrm{~nm})$ bands. It also measures radial velocity and high-resolution spectral data in the narrow band (847-874nm).


Figure 1.6: Illustration of the combination of apparent path of a star across the sky. Figure from Gilmore (2018).

### 1.2.3 Stellar motion seen by Gaia

Fig. 1.6 illustrates the path of a single star on the sky observed by Gaia. The first motion is the apparent motion of the star or parallax (see Sect. 1.1). The second motion is the proper motion of a star, which tells us how a star is orbiting in the Milky Way and where the star came from. The third motion is the wobble motion caused by planets around a star. The combination of these three motions makes it challenging for Gaia to deal with, and hence a repeated observation of a single star is needed in order to observe the stellar motions (around 80 times). In order to model this complex path, one requires at minimum six parameters (the five global astrometric solutions and the radial velocity), plus sufficient parameters to model multiplicity/planets, and clearly enough precise data over a sufficiently long time to allow a robust fit (Gilmore, 2018).

### 1.2.4 The Gaia astrometric solution

As described by O'Mullane et al. (2011), the central part of the data processing for Gaia is the system known as the Astrometric Global Iterative Solution or AGIS, which was carried out by the Gaia Data Processing and Analysis Consortium (DPAC;Collaboration et al. (2016)). All the mathematical tools of the basic observation model were put in the AGIS software (see Lindegren et al. (2012)). It is worth to note that there are two different astrometric solutions: the full (five-parameter) solutions with positions, parallaxes, and proper motions; and the fall-back (two-parameter) solutions with only positions.

The astrometric principles for Gaia were outlined already in the Hipparcos Catalogue (ESA 1997, Vol. 3, Ch. 23). The general principle of a global astrometric data analysis was succinctly formulated as the minimization problem:

$$
\begin{equation*}
\min _{s, n}\left\|f^{\text {obs }}-f^{\text {calc }}(\boldsymbol{s}, \boldsymbol{n})\right\|_{\mathcal{M}} \tag{1.2}
\end{equation*}
$$

Where $s$ is the vector of unknowns describing a star's barycentric motion, and n is a vector of nuisance parameters describing the instrument and other incidental factors which are not of direct interest for the astronomical problem but are nevertheless required for realistic modelling of the data. $g^{\text {obs }}$ represents the vector of all measurements and $g^{\text {calc }}$ represents the vector of detector coordinates calculated from the astrometric parameters. The norm is calculated in a metric $\mathcal{M}$ defined by the statistics of the data, this is classically referred to as error weighting (see studies of O'Mullane et al. (2011), Lindegren et al. (2012), Lindegren et al. (2018a) for an in-depth review).

The AGIS software is based on several models which are fully described in the study done by Lindegren et al. (2012) including the reference model, the astrometric model, the attitude model, the geometric instrument model, and the signal model. For the reference system, the Barycentric Celestial Reference System (BCRS) is used to model the orbit of Gaia and the light propagation
from the source to Gaia. The BCRS is aligned with the International Celestial Reference System (ICRS). The Centre-of-Mass Reference System (CoMRS) is needed for the co-moving celestial reference system having its origin at the centre of mass of the satellite and a coordinate time equal to the proper time at Gaia, and the Geocentric Celestial Reference System (GCRS) for a massless particle. The astrometric model is for the calculation of the proper direction to a source at an arbitrary time of observation. The attitude model describes the instantaneous orientation of the Gaia instrument in the celestial reference frame. The geometric instrument model defines the precise layout of the CCDs. The fitting of the CCD data models produces observations that are the input to the astrometric core solution.


Figure 1.7: Illustration of the access pattern of AGIS. Figure from O'Mullane et al. (2011).

The global solution consist of four main blocks, which are:

- Source: All observations of a given source - spatial.
- Attitude: All observations within a given time period - temporal.
- Calibration: All observations within a given time period falling on a given CCD-temporal/spatial.
- Global: All observations in any order.

The approach goes through the data once for each block, iterate them internally, and then perform the next outer iteration. This is illustrated in Fig. 1.7.

The measurements with Gaia carry a statistical error and a systematic error. As described in the study of Lindegren et al. (2018a), the uncertainty in parallax and position at the reference epoch J2015.5 is about 0.04 mas for bright ( $\mathrm{G}<$ 14 mag ) sources, 0.1 mas at $\mathrm{G}=17 \mathrm{mag}$, and 0.7 mas at $\mathrm{G}=20 \mathrm{mag}$ for sources with the five astrometric solutions. In the proper motion components the corresponding uncertainties are $0.05,0.2$, and 1.2 mas $y r^{-1}$, respectively. The model used for the total error in parallax for Gaia DR2 is

$$
\begin{equation*}
\sigma_{\mathrm{ext}}=\sqrt{k^{2} \sigma_{i}^{2}+\sigma_{s}^{2}} \tag{1.3}
\end{equation*}
$$

For this, external data must be used to calibrate the model by estimating $\omega_{0}, \mathrm{k}$ and $\sigma_{0}$ (see Lindegren et al. (2018b)).

### 1.3 The Interstellar Medium

The space between the stars of the galaxy is not empty. It is filled with gas (atoms, molecules, ions and electrons) of very low density in which small solid particles are mixed. This medium constitutes approximately $5 \%$ of the mass of stars in the galaxy which is itself composed mainly of hydrogen (more than $70 \%$ of its mass). Different phases characterise the ISM according to the temperature, the fractional volumes and the densities of hydrogen present: molecular clouds, H II regions, the cold neutral medium (CNM), the warm neutral medium (WNM), the warm ionised medium (WIM), and the hot ionised medium (HIM). The characteristics of these phases are explained below and summarised in Table 1.1.

Table 1.1: Components of the different phase of the ISM according to McKee \& Ostriker (1977)

| Component | Temperature <br> $(\mathrm{K})$ | Volume <br> $(\%)$ | $n_{H}$ <br> $\mathrm{~cm}^{-3}$ |
| :--- | :---: | :---: | :---: |
| Molecular clouds | $20-50$ | $<1$ | $10^{2}-10^{6}$ |
| H II regions | $10^{4}$ | $\sim 10$ | $\sim 10^{3}$ |
| Cold Neutral Medium (CNM) | $50-100$ | $1-5$ | $20-50$ |
| Warm Neutral Medium (WNM) | $6000-10000$ | $10-20$ | $0.2-0.5$ |
| Warm Ionized Medium (WIM) | $\sim 8000$ | $20-50$ | $0.2-0.6$ |
| Hot Ionized Medium (HIM) | $\sim 10^{6}$ | $30-70$ | $\sim 0.0065$ |

## Molecular clouds

This phase occupies a small part of the ISM as it is only concentrated in clouds. Following Van Dishoeck et al. (1988) and Ferriere (2001), the molecular cloud can be classified into three categories based on the visual extinction, $A_{V}$, along the line of sight towards the cloud. i) Diffuse clouds are marked by $A_{V}<1$ mag and made of cold atomic gas $(T \sim 100 K)$. ii) Dark clouds are identified by $A_{V}>5 \mathrm{mag}$, and made of icy gas ( $T \sim 10-20 K$ ). iii) translucent clouds are characterised by an intermediate value of $A_{V}$, made both from molecular and atomic gas. A molecular cloud is the birthplace of stars. The dark part of the molecular cloud contains the pre-stellar heart, which is protected from the outside environment. This dark part is identified by using the lines of carbon monoxide molecule (CO) rather than using the molecular hydrogen $\left(H_{2}\right)$ as it is very difficult to observe. The reason for the difficulty of observing $H_{2}$ molecules is that they are perfectly symmetric and homonuclear diatomic molecules, so the spectral lines of $H_{2}$ are extremely weak. Because of the impact of gravity, molecular cloud divides into hierarchical substructures of clumps and core. This gravitational collapse is the beginning of star formation.

## H II regions

H II regions are regions that are composed of ionised hydrogen in which massive star formation has recently taken place. H II regions are emission nebulae created when young main-sequence OB stars ionise nearby gas clouds with intense UV radiation. In our Galaxy, H II regions distribute in a similar way as the molecular clouds and can be seen across the entire Galactic disk (Balser et al., 2011).

## Cold Neutral Medium (CNM)

The cold neutral medium is composed of clouds and filaments (Heiles \& Troland, 2003). Compared to the molecular cloud, the cold neutral medium occupies a larger part of the ISM but is less voluminous. CNM is not easy to observe as the molecular cloud. However, the existence of the CNM is revealed by emission in the 21 cm hyperfine transition of H I, with a median temperature of approximately $70 K$, determined by a comparison of emission to absorption spectra.

## Warm Neutral Medium (WNM)

The warm neutral medium occupies a large volume of the ISM, but it is not very dense. This phase is the warmest neutral phase of the ISM, which can be observed by using the 21 cm HI emission line. The main source of the excitation of the CNM and the WNM is the photoelectric emission of PAHs.

## Warm Ionized Medium (WIM)

After the birth of new massive stars in the ISM, a warm ionised gas is created around them. The WIM is created by the leakage of photons out of the HII regions. The WIM is approved as a major component of the interstellar medium of the Milky Way and other disk galaxies (Haffner et al., 2009).

## Hot Ionized Medium

The hot ionised medium surrounds the molecular cloud, H II regions, WIM, WNM, and CNM. The propagation of shocks from supernovae is the main responsible for the increase of the temperature for this phase of ISM (Ferriere, 2001). Shocks propagate more easily in a sparse environment and can distribute energy over large volumes in the Galaxy. The cooling process may remain millions of years, and it makes this phase occupy a large volume in a Galaxy.

### 1.4 Low Mass Stars

A review of the process of star formation produced by Larson (2003) and Kennicutt Jr \& Evans (2012), together with previous work on star formation is summarised in this work. Understanding the formation of a star is of major importance in this study to derive their distance.

The process of star formation is summarised as follows:
Stars are born from the material of the ISM (see Sect. 1.3), the Giant Molecular Cloud (GMCs). The birth of a star is a result of the action of gravity, which makes a large number of hydrogen atoms combine. Charged and neutral particles of GMCs are supported by thermal and turbulent pressure to resist gravity. The ionised particles are linked to the magnetic field of the cloud, therefore, prevented from collapse, while neutral atoms are not. The process is known as ambipolar diffusion. Ambipolar diffusion results in a loss of turbulent and magnetic support for the cloud because the fractional ionisation of the GMCs is quite low. It is assumed that after the absence of magnetic and turbulent support, the only force preventing collapse due to gravity is the thermal pressure. At this stage, the beginning of collapse is described by the virial theorem:

$$
\begin{equation*}
2 K+U=0 \tag{1.4}
\end{equation*}
$$

where $K$ is the internal kinetic energy of the cloud, and $U$ is the gravitational
potential energy of the spherically symmetric uniform cloud. Eq. 1.4 shows the condition for a stable system, assuming that the external pressure $\approx 0$.

This equilibrium does not last long as certain factors can break the balance whether to trigger a gravitational collapse or a cloud dissipation. This disturbance can be caused by either the explosion of a supernova or the passage of the cloud in an area of a high density of matter. For the first factor, a supernova gives rise to a tremendous shock wave which violently compresses the regions it crosses and can, therefore, cause the gravitational collapse of a GMC. And for the second factor, when a giant molecular cloud crosses one of the dense areas in our Galaxy, it undergoes a compressive force which can cause a gravitational collapse as our Galaxy does not have a uniform distribution of matter, but contains denser areas than the average (Roman-Duval et al., 2016).

Once this stability is broken, GMCs start to contract. This process of contraction was studied by the British physicist James Jeans who showed that a cloud of gas subjected to the opposite demands of the force of gravitation and the internal pressure ends up contracting if its mass is higher than a certain threshold called Jeans' mass.

$$
\begin{equation*}
M_{J}=\left(\frac{5 k T}{G_{\mu m_{H}}}\right)^{3 / 2}\left(\frac{3}{4 \pi \rho}\right)^{1 / 2} \tag{1.5}
\end{equation*}
$$

where $k$ is the Boltzmann's constant, $T$ is the temperature, $\mu$ is the mean molecular weight, $m_{H}$ is the mass of a hydrogen atom, $G$ is the gravitational constant, and $\rho$ is the density in $\mathrm{kg} / \mathrm{cm}^{-3}$.

Once Jeans' mass has been exceeded, the collapsing material in the molecular cloud is essentially in a free-fall (Shu, 1977). The collapse is isothermal since the cloud is optically thin, and so Jeans' mass decrease as the density increase. Since then, the cloud will not only contract, but it also begins to fragment into smaller blocks, in a process which is known as fragmentation. A new series of fragmentation begins, and each of the blocks subdivides itself into smaller and denser clouds, and Jeans' mass, therefore, continues to decrease and so on.

A series of divisions are unfolded and give rise from a giant cloud to a large quantity of smaller and smaller fragments. The fragmentation of the cloud leads to a clumpy structure in the molecular cloud. However, the fragmentation process eventually stops when the temperature of the cloud begins to rise, which increases Jeans' mass. The smallest clouds, which appeared when the critical threshold was at their lowest, are then too small to fragment and the whole process of fragmentation stops.

When the fragmentation stops, each small cloud of gas continues to contract and heat up by converting its gravitational energy into thermal energy to form a "protostar". At temperature $\approx 2000 \mathrm{~K}$, hydrogen molecules $\left(H_{2}\right)$ begin to dissociate. The energy lost from this dissociation leads to a decrease in the gas pressure, which makes the gravity dominate again and free-fall collapse reoccurs. An accretion disc will form around the protostar due to the overall angular momentum vector at the initial rotating core. Once the protostar has become a hydrogen-burning star, where the temperature is hot enough, a strong stellar wind/jet forms along the axis of rotation (Fig. 1.8). This feature is easily seen by radio telescopes. Stellar jets eventually dissipate the surrounding materials as they widen, leaving a remnant disc from which planets may eventually form. The star begins its main sequence phase once the accretion of materials stops.

### 1.5 Massive stars

Massive stars are defined as stars that have a typical mass $M \geq 8 M_{\odot}$ (Guzmán et al. (2016), Billington et al. (2019), Urquhart et al. (2015)), which imply that they already begun hydrogen-burning before accretion stage has finished. This causes a difficulty in the study of the processes of high-mass star formation since we cannot observe separately the luminosity of the star due to accretion and the intrinsic luminosity of the protostar (Ward-Thompson \& Whitworth, 2011).

However, studying massive stars are of great importance in astronomy be-


Figure 1.8: Protostellar outflow and jet diagram from Machida (2017). The image on the left shows a three-dimensional view of outflow, jet and circumstellar disk in the mass accretion phase while the Schematic view around a protostar is shown in the right.
cause of their feedback effect on the evolution of the universe. They are dominant sources of energy in the ISM, as a form of mechanical (powerful stellar winds, outflows, supernova shock waves), and radiation (by creating HII regions) (Schilke, 2017). They enrich the ISM with heavy elements (aluminium, gold, iron, etc ...) through supernova explosion (Maund et al., 2017). In addition, studying massive stars are essential in the study of galaxy emission and evolution in the distant universe (Stanway, 2016). Since their luminosity dominates the stellar population in the galaxy, the observed spectra and colour of the evolution of the galaxy are dominated by the evolution of its high mass stars (Hartquist, 2011).

Despite the importance of understanding massive stars, there are still a few factors that make them arduous to study. They are located very far away as they are usually formed in distant clusters (Beltrán et al., 2006). They evolve much faster than their low-mass counterpart. High-mass stars are very rare and shortlived, being usually deeply embedded into their natal environment throughout their very early evolutionary stages (Roman-Lopes, 2013). Thus, observing them requires high-resolution instruments at IR or a longer wavelength. Moreover, massive stars do not appear to form in isolation, they almost always appear to form in clusters (De Wit et al., 2005), making a full study of a single massive star
difficult.
Consequently, the physical processes that dominate high mass star formation, especially in their early stage of evolution, are not yet fully understood and still under active study. Questions remain unanswered whether their formation is significantly different from their low-mass counterparts or whether they form in the same way by triggering a gravitational collapse. Different concept have been introduced in the literature to analyse the origin of massive star formation (e.g.: Krumholz \& Bonnell (2007), Zinnecker \& Yorke (2007), Schilke (2015)). So far, there are three well-known models of massive star formation, which are i) monolithic collapse and disk accretion, ii) competitive accretion and runaway growth, and iii) stellar collisions and mergers (see the review by Zinnecker \& Yorke (2007) for details).

### 1.6 Star clusters

A stellar cluster is a group of stars born from the same molecular cloud and which are still linked by gravity. The stars that make up a cluster, therefore, have the same age and the same chemical composition (Krumholz et al., 2019). Star clusters exist in different forms, ranging from the fragile association of a few dozen members to the dense aggregate of millions of stars. Following Krumholz et al. (2019), stellar clusters are classified into two different types depending on the conditions in which they were formed: open clusters and globular clusters. Open clusters are groups of a few tens to a few thousand stars that form in molecular clouds of the galactic plane. They are generally young ( $\leq 1 \mathrm{Gyr}$ ) and have low mass ( $\leq 10^{5} M_{\odot}$ ) (Krause et al., 2020). Their mass is not large enough for the stars to remain clustered for more than a few million to a few hundred million years. Open clusters are typical objects of the Galaxy disk mainly composed of stars of population I. Globular clusters, on the other hand, are made up of a few tens of thousands to a few million stars that are gravitationally bound. They have
a dense spherical structure and have a higher stellar density towards their centre. They are generally old ( $>1 \mathrm{Gyr}$ ) and massive ( $\geq 10^{4} M_{\odot}$ ) (Krause et al., 2020). Globular clusters are typical objects of the halo of the Galaxy and composed of stars of population II.

Since large fractions of star formation happen in a clustered environment (Lada \& Lada, 2003), understanding star clusters are important in astronomy to study the origin and early evolution of stars and planetary systems. In addition, some of the star clusters have a long life ( $>13 \mathrm{Gyr}$ ), making them helpful for the analysis of the age of the Universe (O'Malley et al., 2017). Another importance of the study of star clusters also is the effect of their feedback on the universe. Massive stars that form in clusters are the main responsible for feedback in galaxies (Goldbaum et al., 2016). This latter study showed that feedback suppresses galaxies' star formation rates and also leads to the formation of a multi-phase atomic and molecular interstellar medium. The enormous amounts of ionizing radiation from those young stellar clusters have a huge impact on the galaxy and its surroundings. Thus understanding the massive star clusters leads to a better understanding of the evolution of the universe.

Clusters form in massive dense cores of molecular gas that are strongly selfgravitating (Lada \& Lada, 2003). Cluster formation has three phases according to Krause et al. (2020). The first phase is the creation of the highly transient and inhomogeneous molecular cloud structure due to the action of supersonic turbulence. The second phase is the formation of individual stars in clusters and association from the cloud structure in the first phase. The last phase is characterised by the stellar feedback that makes the disappearance of the remaining gas core.

Table 1.2: Summary of the YSOs classification

| Class | Emission | Average stage duration |
| :---: | :---: | :---: |
| Class 0 | Submillimeter | $10^{4} \mathrm{yrs}$ |
| Class I | Far-infrared | $10^{5} \mathrm{yrs}$ |
| Class II | Near-infrared | $10^{6} \mathrm{yrs}$ |
| Class III | Visible | $10^{7} \mathrm{yrs}$ |

### 1.7 Young stellar objects (YSOs)

YSOs are stars that are in their early evolutionary stage. They are pre-main sequence stars and characterised by the presence of circumstellar material. There are four main classes of low-mass YSOs, which are classified according to the peak and shape of their spectral energy distribution (SED). Table 1.2 summarizes the different classes of YSOs and their characteristics.

The very early protostar stage is called "Class 0 ", which was discovered by André (1994). Class 0 are YSOs that are extremely obscured by a large circumstellar material (radius $\sim 10,000 \mathrm{AU}$ ). It is characterised by a strong submillimeter emission, not a near-infrared or mid-infrared emission. "Class 0" protostars are rarer and correspond to the youngest protostar stage known to date (probable age $\sim 10^{4} \mathrm{yrs}$ ), and only the blackbody emission of the cool dust in the envelope is visible.

The other three classes of protostars ("Class I", "Class II" and "Class III") were found by Lada (1987). They can be distinguished based on the slope of their Spectral Energy distributions (SEDs) in the mid-infrared. "Class I" protostars are supposed to be formed at age $\sim 10^{5} \mathrm{yrs}$, and they are characterised by the positive SED slope at near and mid-IR wavelength. As the gravity continues to shrink the molecular cloud, it makes the circumstellar spin faster which flattens into a disk with a central bulge. The radius of the circumstellar disc for "Class II" protostar is estimated to be around $\sim 500-1000 \mathrm{AU}$, which is $10-20$ times the size of our solar system. "Class II" protostar eventually become optically


Figure 1.9: Evolutionary classification of YSOs. Source: Isella (2006)
visible on the stellar birth line as pre-main-sequence stars when the envelope material disappears, and only the disk remains around the protostar. In terms of their SED, as they are no longer obscured by the dusty envelope, the observed flux will become more noticeable, but the dust within the disk will continue to provide excess at near-infrared wavelength. At this stage, we have the classical T Tauri. "Class III" protostars are stars that have no surrounding disks. This corresponds to weak-line T Tauri star (WTTS), and also called "naked". The transition between "Class II" and "Class III" stages is called "transition-disk", and it appears to take place between $\sim 10^{6}$ and $\sim 10^{7}$ yrs (Beskin et al., 2003). This evolutionary sequence and the typical spectral energy distribution (SED) of a protostar is shown in Fig. 1.9.

### 1.8 Stellar Extinction

Extinction is the combined effects of scattering and absorption of electromagnetic radiation emitted from an object. The incoming photon is not destroyed in scattering, but they are changed in direction. Contrary, in the absorption, the incoming photon is destroyed, and its energy remains in the dust grain. Interstellar extinction is quantified as the number of magnitudes by which a molecular cloud dims starlight passing through it.

In the presence of the extinction, the observed intensity of light, $I_{\lambda}$, at wavelength, $\lambda$, is given by:

$$
\begin{equation*}
I_{\lambda}=I_{\lambda_{0}} \exp \left(-\tau_{\lambda}\right) \tag{1.6}
\end{equation*}
$$

where $I_{\lambda 0}$ is the intensity of that would be received at the Earth in the absence of interstellar extinction along the line of sight and $\tau_{\lambda}$ is the optical depth at the observed wavelength.

Stellar extinction varies as a function of wavelength (Draine, 2003). The extinction is stronger for short wavelength, which has the effect of making the sources redder. The dependence of the extinction on the wavelength is described by the extinction law. The variation of extinction with wavelength $\lambda$ is usually expressed as a ratio of colour excesses, $E(\lambda-V) / E(B-V)$, or of the absolute extinction $A_{\lambda} / A_{V}$, where B and V refer to the optical bands. Cardelli et al. (1989) characterise the extinction curve by a single parameter, which is the ratio of the total extinction over the selective extinction:

$$
\begin{equation*}
R_{V}=\frac{A_{V}}{E(B-V)} \tag{1.7}
\end{equation*}
$$

$R_{V}$ is the total-to-selective extinction ratio that describes the variations in UV/optical bands (Fig. 1.10). The visible part of the spectrum is roughly proportional to $\lambda^{-1}$, while the UV is characterised by the hump in each curve. In almost all regions, the value of $R_{V}$ is close to 3.1 (Draine, 2003).


Figure 1.10: Interstellar extinction curves of the Milky Way ( $R_{V}=2.5,3.1,4.0$, 5.5) from Li \& Mann (2012). It indicates that dust grains on different sightlines have different size distributions. The regional variations in the Galactic optical/UV extinction curves is characterized by the total-to-selective extinction ratio $R_{V}$.

### 1.8.1 Determination of stellar extinction

Determination of extinction is essential in any field of astrophysics for the study of objects at distances greater than a few dozen parsecs. Although the estimation of extinction of a single star is not within the scope of this work, it is important to provide a brief overview of the technique that can be used for the determination of the extinction. One of the oldest techniques used is the star counting method. This provides an extinction value from the comparison of the number of stars in magnitude intervals in an extinguished field, and the number of stars in a near reference field assumed without extinction. The star counting method has been used by different studies such as Dobashi et al. (2005), Stead \& Hoare (2010), and Foster et al. (2012). Another technique is the colour excess method, which is a measure of the reddening of a star due to interstellar dust. The colour excess is the difference between the observed star colour and its intrinsic colour corresponding to the star's spectral type. This can be written as $E_{\lambda_{1}-\lambda_{2}}=$ $A_{\lambda_{1}}-A_{\lambda_{2}}=\left(m_{\lambda_{1}}-m_{\lambda_{2}}\right)-\left(m_{\lambda_{1}}-m_{\lambda_{2}}\right)_{\text {int }}$, where $\left(m_{\lambda_{1}}-m_{\lambda_{2}}\right)_{\text {int }}$ denotes the intrinsic colour of the star, $\left(A_{\lambda_{1}}, A_{\lambda_{2}}\right)$ the total extinctions in the given photometric band, and ( $m_{\lambda_{1}}-m_{\lambda_{2}}$ ) the observed colour. This is the most used method in the literature. For instance, Lada et al. (1994) and Alves et al. (1998) used this technique by mapping and measuring the distribution of dust extinction through a molecular cloud. The method was then generalized by Lombardi \& Alves (2001) and Lombardi (2009). Lombardi et al. (2006) also calculated the extinction on the $K_{S}$ - band with a high resolution $8^{\circ} \times 6^{\circ}$ extinction map of the Pipe nebula using 4.5 million stars from 2MASS PSC (Skrutskie et al., 2006).

### 1.8.2 The extinction $A_{G}$

The extinction in the G band $\left(A_{G}\right)$ that we will be using in this work is one of the stellar parameters estimated by the Gaia astrophysical parameters inference system (Apsis) (Bailer-Jones et al., 2013). The main goal of the Apsis data


Figure 1.11: Colour-colour diagrams for stars from the PARSEC 1.2S models with an extinction law from Cardelli et al. (1989) and $[\mathrm{Fe} / \mathrm{H}]=0$. Panel (a) represents the dominant factor $T_{\text {eff }}$ in the Gaia colour, which degenerate with $A_{G}$ extinction (panel b). (Credit: Andrae et al. (2018))
processing pipeline is to classify and estimate astrophysical parameters for the Gaia sources using Gaia data. It consists of two algorithms called Priam and FLAME. Priam is used to infer $T_{\text {eff }}, A_{G}$, and $E(B P-R P)$, while FLAME is used to estimate stellar luminosities, masses and ages of stars. The summary of how they obtained $A_{G}$ using the Priam algorithm is provided below:

Gaia has three photometric bands, the first one is the $G$ band, and the two other bands ( $G_{B P}$ and $G_{R P}$ ) were obtained from the integration of the Gaia prism spectra. Andrae et al. (2018) indicated that the colour is strongly influenced by $T_{e f f}$, so it is impossible to derive the extinction using only the colours (see Fig. 1.11). Therefore they combined the three bands photometry with parallax $\varpi$ to infer the line-of-sight extinction and colours $E(B P-R P)$ of a star. As they used magnitudes and parallax, rather than the colours, the available signal is primarily the dimming of the sources due to absorption (Andrae et al., 2018).

The estimation of $A_{G}$ was performed using a machine learning algorithm with a univariate output called ExtraTrees (Geurts et al. (2006)). Once they obtained the distance by simply inverting the parallax, they computed the quantity $M_{X}+A_{X}$ using the equation

$$
\begin{equation*}
M_{G}=G-5 \log _{10} r+5-A_{G} \tag{1.8}
\end{equation*}
$$



Figure 1.12: Distribution of $A_{G}$ in Galactic coordinates. The map is centered on the Galactic Center, with longitudes increasing towards the left. Figure from Andrae et al. (2018).

Where $M_{G}$ is the absolute G-band magnitude and $r=\frac{1}{\omega}$ is the distance.
Andrae et al. (2018) also mentioned that there are very few reliable literature estimate of the extinction, and published estimates are of $A_{V}$ and/or $E(B-V)$ rather than $A_{G}$ and $E(B P-R P)$. Consequently, they had to train on synthetic stellar spectra to estimate the $A_{G}$. The features they used for Extratrees were the three observables $M_{G}+A_{G}, M_{B P}+A_{B P}$, and $M_{R P}+A_{R P}$. Since ExtraTREES cannot extrapolate from the training data range, it does not estimate a negative results for $A_{G}$. This non-negativity results of $A_{G}$ means that it cannot be Gaussian, but it should be truncated Gaussian. We also follow this truncated Gaussian distribution to model the $A_{G}$ extinction in this work (see Sect. 3.3.1).

The distribution of $A_{G}$ in Galactic coordinates (Mollweide projection) is presented in Fig. 1.12, showing that the mean extinction is reliable. Although they used parallax to reinforce the three optical bands for the line-of sight-extinctions estimate, the results they obtained may not very accurate. The results cannot be compared to the literature as the literature infer $A_{B}$ and $A_{V}$, not $A_{G}$. In addition,
$A_{G}$ suffers from large uncertainties ( 0.46 mag ) so the use of an individual star is limited. For this reason, they advised that the $A_{G}$ estimates from their work should be used statistically, and with a group of stars. The mismatch between the training sets (synthetic data) and the features (real Gaia data) they used for Extratrees is only of the order of $\sim 0.1 \mathrm{mag}$ or less in the zeropoints (Evans et al., 2018). Thus, it did not lead to obvious systematic error.

### 1.8.3 The extinction $A_{V}$

Here we summarise the method used by Anders et al. (2019) to derive stellar parameters, extinction and distances for stars brighter than $\mathrm{G}=18$. They used a python code called StarHorse developed by Queiroz et al. (2018). It is a robust code that improves the distances derived by Bailer-Jones et al. (2018) and other stellar parameters. StarHorse basically compared the observed set of astrometric, photometric, and spectroscopic data to stellar evolutionary models to infer stellar parameters, extinction and distances. They used a prior that contains a stellar initial mass function, density laws for the main components of the Milky Way (thin disc, thick disc, bulge, and halo), the metallicity, and age prior for those components. If $Y$ is the set of measured parameter that they used, $Y$ can be written as $Y=\left\{T_{\text {eff }}, \log g,[M / H], m_{\lambda}, \pi\right\}$, where $T_{\text {eff }}, \log g$, $[M / H], m_{\lambda}$, and $\pi$ is the effective temperature, surface gravity, metallicity, the apparent magnitude, and parallax respectively. Given those observed quantities, StarHorse inferred the posterior distribution of the set of parameter $\theta$ that contains $\theta=\left\{m_{*}, \tau, d, A_{V}\right\}$ where $m_{*}, \tau, d, A_{V}$ is the mass, age, distance and visual extinction respectively. StarHorse also produced a whole 3D tomographic of the Galaxy, which is better than the extinction derived from star counts method (Queiroz et al., 2018). It provided the posterior probability distribution of a star over a grid of stellar models, distances, and extinction (Queiroz et al., 2018). The algorithm is summarized in Fig. 1.13.


Figure 1.13: StarHorse flow diagram Queiroz et al. (2018). The diagram illustrates the algorithm used to infer stellar parameters, distance and extinction with the StarHorse method.


Figure 1.14: All-sky median StarHorse extinction map (Aitoff projection). Figure from (Anders et al., 2019).

As Anders et al. (2019) used a broad-band optical Gaia passband, they improved the StarHorse code by taking a better account in the extinction when comparing synthetic and observed photometry catalogues. They pointed out that the dust-attenuated photometry of very broad photometric passbands such as the Gaia DR2 should take into account that passband extinction coefficient $A_{i} / A_{V}$ varies as a function of its source spectrum $F_{\lambda}\left(T_{t_{e} f f}\right)$ and the extinction $A_{V}$. Therefore, they took into account the coefficients $A_{i} / A_{V}$ for each stellar models and the extinction in the StarHorse code. The passband extinction coefficient is given by the relation

$$
\begin{equation*}
\frac{A_{i}}{A_{V}}=\frac{2.5}{A_{V}} \cdot \log _{10} \frac{\int F_{\lambda} \cdot T_{\lambda}^{i} \mathrm{~d} \lambda}{\int F_{\lambda} \cdot T_{\lambda}^{i} \cdot 10^{-0.4 a_{\lambda} \cdot A_{V} \mathrm{~d} \lambda}} \tag{1.9}
\end{equation*}
$$

where $T_{\lambda}^{i}$ is the transition curve, and $a_{\lambda}$ is the extinction law that they adopted from work done by Schlafly et al. (2016). For the stellar model discussed above, they used the Kurucz grid of stellar spectra Kurucz (1993) for the computation of the bolometric corrections (as a function of $T_{\text {eff }}$ and $A_{V}$ ) and for the default extinction law. The StarHorse-derived extinction is shown in Fig. 1.14. The
code reached different regions of the Milky Way such as the bulge, halo, and outer disc, which were not achieved with the use of Gaia data alone.

### 1.9 Bayesian astrostatistics

### 1.9.1 The MCMC based Bayesian analysis in distance estimates

The Monte Carlo based Bayesian analysis is one of the most advanced techniques used in several disciplines during the last decades. The Bayesian statistics is a theory that allows us to analyse observed data while the Markov chain Monte Carlo is used to sample from a distribution. The combination of those two techniques leads to an impressive result in all disciplines of science, including astronomy (Sharma, 2017).

Numerous studies have used Bayesian techniques and MCMC to infer distances from the measured photometric and spectroscopic. The spectro-photometric distances using the Bayesian technique was introduced by Breddels et al. (2010). They derived absolute magnitude and distances for RAVE stars using stellar models and spectroscopic data from RAVE's survey. This method was then extended by Binney et al. (2013), Schlafly et al. (2014), and Santiago et al. (2016) by taking account of extinction to their work.

The use of Bayes's theorem dramatically increased since the coming of parallax measurements from the Gaia mission, which is a survey dedicated to astrometry. Anderson et al. (2018), for instance, used the Extreme Deconvolution (XD) algorithm to improve Gaia parallax precision with the use of the photometric data from 2MASS.

Recently, (Leistedt \& Hogg, 2017) used a hierarchical Bayesian estimate to derive distances to 1.4 million stars of the Gaia DR2. Their method focuses on the use of the available data from Gaia itself, and without the use of a stellar model. Besides, Hawkins et al. (2017) used Gaia to derive the intrinsic magnitude, ab-
solute magnitude and dispersion of helium burning RC stars. Bailer-Jones et al. (2018) also use Bayesian inference techniques to derive distances to 1.3 billion stars, which are provided in the Gaia catalogues. The spectro-photometric distances cited above was improved by Anders et al. (2019) by adding the astrometric data from Gaia with additional photometric and spectroscopic data from several surveys (described in Sect. 2).

For a molecular cloud, the MCMC based Bayesian analysis also is used in several works in the literature. Zucker et al. (2018), Zucker et al. (2019), Yan et al. (2019a), and Yan et al. (2019b) performed distance measurements to several clouds with the use of Gaia parallaxes. For the use of Gaia parallax, the choice of the likelihood that can be used for the parameter of inference is summarised by $\operatorname{Hogg}$ (2018).

The method used in this thesis is based on Bayesian statistics. A brief history and the basic theory of Bayesian data analysis is described in this section.

Back in history, the term "Bayesian" refers to Thomas Bayes who is an English Presbyterian minister, statistician, and mathematician (1702-1761). The term "Bayesian" is used after the publication of his work "An Essay towards solving a Problem in the Doctrine of Chances (1763) ".

Currently, Bayesian analysis is becoming popular and is widely used in many different fields of research such as astronomy, public health and economics. According to Loredo (2013), the Bayesian approach was first used in astronomy in the late 1970s. In a nutshell, Bayesian statistics allows us to update our knowledge of physical parameters using a new set of observations. It is often used to estimate parameters and their uncertainties from a set of model parameters without knowing the shape or scale of their respective distributions.

### 1.9.2 Bayes' Rule

The simple equation of Bayes's theorem is

$$
\begin{equation*}
p(\Theta \mid \text { data })=\frac{p(\Theta) p(\text { data } \mid \Theta)}{p(\text { data })} \tag{1.10}
\end{equation*}
$$

where $\Theta$ is the parameter of interest to be inferred, $p(\Theta)$ is the called "prior" (see Sect. 1.9.4), $p(\operatorname{data} \mid \Theta)$ is the likelihood (see Sect. 1.9.3), and $p(\Theta \mid$ data) is the posterior distribution of the parameter given a set of observation.

The final goal of the Bayesian data analysis is to produce a posterior probability distribution of the parameter of interest or the event. It considers first the prior uncertainty about the model parameters with a probability distribution and updates that prior uncertainty with new data.

### 1.9.3 Likelihood

The likelihood function is the probability of obtaining a set of N observations, given a known model and its set of model parameters. Otherwise, likelihood is a model that allows us to presume how likely the data point is, under all the possible true measurements. The likelihood is not a probability but is proportional to the probability, so we cannot sample from the likelihood. The likelihood takes into consideration the importance of the different possibilities of outcome in an experiment in the Bayesian framework. Several distributions can be used as a model descriptor for our data, such as the normal distribution, binomial distribution, chi-square distribution, and Poisson distribution. Knowledge of the distribution of the particular parameter of interest needs to be taken into consideration before adopting one of the models.

To illustrate the likelihood function, let's use the well-known chi-square $\chi^{2}$ function as an example. The $\chi^{2}$ is given by the relation

$$
\begin{equation*}
\chi^{2}=p(D \mid \Theta)=\sum \frac{\left(f_{i}-f_{\Theta, i}\right)^{2}}{\sigma_{i}^{2}} \tag{1.11}
\end{equation*}
$$

This shows the probability of obtaining a set of $N$ observations of the quantity $f_{i}$ with its error $\sigma_{i}$ given a theoretical model $f_{\Theta, i}$ at each point.

### 1.9.4 Prior

Prior is the probability distribution that summarises what is known about the particular parameter or a particular event before making new observations. It also can be defined as a prior belief about the parameter or the event until new data is obtained. The choice of the prior distribution is the key feature in a Bayesian approach as it plays a significant role in the inference. There are different types of prior that can be used in a Bayesian analysis such as the uniform priors, Jeffrey's priors, reference priors, informative priors, and maximum entropy priors. The mathematics of the Bayesian inference suggests that the prior information of an event or a parameter should be chosen before making a new observation.

In practice, Gelman et al. (2017) suggested that the prior also should be characterised according to the form of the likelihood function rather than only the philosophical interpretation of the initial information of the parameter. They concluded that the choice of the prior needs the understanding of the problem to have a proper posterior. A prior such as the Jeffreys is used to make the posterior distribution of the parameter more sensitive to the data, and it can be used depending on the concept of individual data points (Kass \& Wasserman, 1996). However, another type of prior such as the uniform prior is used for high dimensional problems as it requires some conditions on the likelihood function to have a proper posterior. In our case, we use a uniform prior between the minimum and maximum distances in our distance samples to estimate the distance of our embedded objects (see Sect. 3.3.2 and Sect. 3.4.2), as we have a high dimensional space in our problem.

### 1.9.5 Posterior

The desired distribution of the parameter is given by the posterior, which is the product of the likelihood and the prior. The posterior distribution contains all of the possible distribution of the parameter and it is difficult to solve. A common way to solve the posterior is to draw samples to characterise the shape of the distribution.

### 1.9.6 Maximum Likelihood Estimation

The Maximum Likelihood Estimation (MLE) is a frequentist method that can be used to estimate the statistical model. The MLE techniques estimate the set of all possible values of the parameter of inference $\Theta$, and it maximises the likelihood function $p($ data $\mid \Theta)$. Maximising the likelihood function is equivalent to minimising the likelihood. In the initial guess of the parameter for the MCMC sampling, the use of the MLE techniques is more convenient for the initialisation of the chain (Sect. 3.5). In our case, we use the MLE to find the most probable distance from our set of distances and use it as a starting point for the inference to make the chain converge rapidly.

### 1.9.7 EMCEE

Emcee is a python MCMC module produced by Foreman-Mackey et al. (2013), and is based on the affine-invariant ensemble sampler (Goodman \& Weare, 2010). Emcee allows us to draw N samples $\Theta_{i}$ from the posterior density, which can also written by the equation

$$
\begin{equation*}
p(\Theta, \alpha \mid D)=\frac{1}{Z} p(D \mid \Theta, \alpha) p(D \mid \Theta, \alpha) \tag{1.12}
\end{equation*}
$$

where $p(\Theta, \alpha)$ is the prior distribution and $p(D \mid \Theta, \alpha)$ is the likelihood function, which can be relatively easily computed for any particular value of $\left(\Theta_{i}, \alpha_{i}\right) . Z=$ $p(D)$ is the normalisation factor.

The advantage of using Emcee algorithm is that it is simple to use once we have the Bayesian model. It also handy in our problems and allows us to perform MCMC rapidly rather than writing an MCMC algorithm from scratch.

After solving the Bayesian model with Emcee, a corner plot produced by


Figure 1.15: Corner plot example from Foreman-Mackey (2016). This shows the marginalized distribution for each parameter independently in the histograms along the diagonal and then the marginalized two dimensional distributions in the other panels.

Foreman-Mackey (2016) is used to visualise the result. A corner plot is used as it is a way to represent the probability density of the samples in a multidimensional space. An example of the corner plot used in this work is shown in Fig. 1.15. In these visualisations, each one- and two-dimensional projection of the sample is plotted to reveal covariances. The $16^{\text {th }}, 50^{\text {th }}$, and $84^{\text {th }}$ percentiles of the distributions are depicted by the dashed vertical lines in the histogram of the three parameters.

### 1.9.8 Aim of this thesis - Outline

The major aim of this thesis is to estimate distances to embedded stars which are only observed at a longer wavelength. Those sources share common launching mechanisms in stars of different types, whether young forming stars or evolved compact dying stars. They are totally obscured by dust and do not have visible data. Consequently, a real study of one of them is challenging and their distance is often deduced from the distance of the molecular cloud associated with them (see Sect. 3.1 for more details). Kinematic distance is one of the methods used to estimate the distance of a molecular cloud, derived by measuring the local standard of rest (LSR) velocity, $V_{L S R}$, of an object and assuming a model of Galactic rotation. However, as indicated by Wenger et al. (2018), this method suffers from large uncertainties and the kinematic distance ambiguity (KDA). Another approach to estimate molecular cloud distance is the use of maser parallax measurements provided by the VLBI telescopes. Maser is often associated with protostellar objects in star-forming regions, and radio telescopes can observe maser parallax with an accuracy of better than $10 \mu a s$. The problem with this approach is that it cannot be used towards a cloud that lacks masers, and it also only generally provides one distance for a whole cloud.

With the advent of the second release of Gaia data, the issue concerning the distance determination indicated above is being solved. As shown in the previous section, an advanced statistical method such as the Bayesian analysis sounds promising and give a reliable distances measurement of the region associated with those embedded objects. In this thesis, we use the MCMC based Bayesian analysis with the unprecedented astrometric data provided by Gaia DR2 to reproduce distance measurements to YSOs from the literature. This thesis will infer distances to YSOs and ES selected from the Leeds RMS Source Survey (RMS, Lumsden et al. (2013)), and we also derive distances towards the sub-structures of Cygnus X (DR20, DR21, DR22, DR23, and W75N).

This thesis is organised as follows. Chapter 2 will provide a summary of the Gaia DR2 content, the StarHorse Gaia DR2 catalogues (Andrae et al., 2018), and the sample selection. The Bayesian models ( $A_{G}$ and $A_{V}$ ) for the distance inference is described in Chapter 3. Chapter 4 presents all the findings obtained from this work, following a comparison of the results to those obtained from the literature. In Chapter 5, the conclusions of this work are summarized.

## Chapter 2

## Data analysis

### 2.1 Gaia data release 2

Gaia DR2 is the second release of the Gaia mission (Gaia Collaboration et al., 2016b). It started in April 2018 and contains celestial positions for more than 1.7 billion sources based on observations collected during the first 22 months of the mission since July 2014 (Gaia Collaboration et al., 2018). Gaia DR2 provides more than 1.3 billion parallaxes and proper motions for objects that have a magnitude limit of $\mathrm{G}=21 \mathrm{mag}$ and a bright limit of $\mathrm{G}=3 \mathrm{mag}$. The typical astrometric uncertainty is around 0.7 mas for the faintest stars and 0.04 mas for the bright limit. Gaia DR2 also provides line-of-sight extinction in the G band, $A_{G}$, for 88 million sources calculated by Andrae et al. (2018), which we combine with parallaxes to infer distances to the region of interests. This latter work has been discussed in Sect. 1.8.2. As indicated by Yan et al. (2019b), the extinction $A_{G}$ is capable of detecting molecular clouds despite its large uncertainty. The overall content of Gaia DR2 is summarised in Table 2.1.

### 2.2 StarHorse Gaia DR2 catalogues

In this work, we also used a visual extinction in the Johnson $V$ band, $A_{V}$, and the set of distances derived by Anders et al. (2019) to see the improvement on the

Table 2.1: Overall content of Gaia DR2 from Mignard (2019).

| Data product or source | Number of sources |
| :---: | :---: |
| Total (excluding solar system) | 1692919135 |
| Five-parameter astrometry (position, parallax, proper motion) | 1331909727 |
| Two-parameter astrometry (position only) | 361009408 |
| ICRF3 prototype sources (link to radio reference frame) | 2820 |
| Gaia-CRF2 extra-galactic sources (optical reference frame) | 556869 |
| G-band (330-1050 nm) | 1692919135 |
| $G_{B P}$-band (330-680 nm) | 1381964755 |
| $G_{R P}$-band (630-1050 nm) | 1383551713 |
| Median radial velocity over 22 months | 7224631 |
| Classified as variable | 550737 |
| Variable type estimated | 363969 |
| Detailed characterisation of light curve | 390529 |
| Effective temperature Tef | 161497595 |
| Extinction $A_{G}$ | 87733672 |
| Colour excess $E\left(G_{B P}-G_{R P}\right)$ | 87733672 |
| Radius | 76956778 |
| Luminosity | 76956778 |
| Solar system object epoch astrometry and photonetry | 14099 |

derived distance obtained from $A_{G}$. The following surveys were used with Gaia in the StarHorse code: the Two Micron All Sky Survey (2MASS; Skrutskie et al. (2006)), the Pan-STARRS1 grizy (Scolnic et al. (2015)) and AllWISE (Cutri et al. (2014)).

Anders et al. (2019) derived stellar parameters, distances, and extinction for 265 million of the 285 million objects brighter than $G=18$ mag. After cleaning the results, the final catalogues contains 137 millions sample stars that gave a median precision of $5 \%$ in distance, 0.20 mag in $V$-band extinction, and 245 K in effective temperature for $G \leq 14$, degrading to fainter magnitudes $12 \%, 16 \%$, and $14 \%$ in distance, $0.20 \mathrm{mag}, 0.23 \mathrm{mag}$, and 0.24 mag in $V$-band extinction, and 245 K , $260 K$, and $230 K$ in effective temperature for $14<G \leq 16,16<G \leq 17$, and $17<G \leq 18$, respectively. Table 2.2 shows the comparison of the work done by Anders et al. (2019) to all of the currently available astro-photometric distances and extinctions derived based on the Gaia astrometric solution.

### 2.3 Sample selection

### 2.3.1 Gaia DR2

For the selection of our Gaia star, we applied all the criteria needed to reduce contamination from stars with poor astrometric data. We started by drawing a box region centred on our object of interest, and we only considered Gaia stars in this box. Gaia stars were selected according to their parallaxes and $A_{G}$ extinction. We considered stars that have positive parallaxes ( $\omega>0$ ). As suggested by Schönrich et al. (2019), the ratio $\omega / \delta \omega$ needs to be greater than 10 for a safe selection of Gaia stars. However, keeping stars that have $\omega / \delta \omega>10$ diminished the number of stars because it removed stars that have a higher extinction in the G band $\left(A_{G}>2.5\right)$. Thus, we applied the RUWE (Lindegren et al., 2018b) condition associated to each Gaia source, which is mentioned in the Gaia archive. The RUWE is not yet in the Gaia archive, but it basically describes the useful

Table 2.2: Comparision of some of the currently available astro-spectrophotometric distances and extinctions based on Gaia data to those provided by Anders et al. (2019), which we used in this work.

| Reference | Survey(s) | $\begin{gathered} \hline \text { mag_limits } \\ (\mathrm{mag}) \end{gathered}$ | Objects | $\overline{\sigma_{d} / d}$ <br> (\%) | $\begin{gathered} \sigma_{A V} \\ (\mathrm{mag}) \end{gathered}$ | $\sigma_{T e f f}$ $(\mathrm{K})$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Queiroz et al. (2018) | Gaia DR1 + spectroscopy | - | 1.5 M | 15 | 0.07 | - |
| Mints \& Hekker (2017) | Gaia DR1 + spectroscopy | - | 3.8 M | 15 | - | - |
| Sanders \& Das (2018) | Gaia DR2 + spectroscopy | - | 3.1 M | 3 | 0.01 | 40 |
| Santiago et al. (in prep) | Gaia DR2 + spectroscopy | - | 2 M | 5 | 0.07 | 40 |
| Bailer-Jones et al. (2018) | Gaia DR2 | $G \lesssim 21$ | 1330 M | 25 | - | - |
| McMillan (2018) | Gaia DR2 | $G \lesssim<13$ | 7 M | 6 | - | - |
| Andrae et al. (2018) | Gaia DR2 | $G \leq 17$ | 80 M | - | 0.46 | 324 |
| Anders et al. (2019) | Gaia DR2 + photometry | $G<18$ | 137 M | 13 | 0.22 | 250 |
| Final samples of Anders et al. (2019) (after cleaning the results) |  |  |  |  |  |  |
| $G \leq 14$ |  |  | 14,432,712 | 5 | 0.20 | 245 |
| $14<G \leq 16$ |  |  | 49,171,794 | 12 | 0.20 | 245 |
| $16<G \leq 17$ |  |  | 43,398,790 | 16 | 0.23 | 260 |
| $17<G \leq 18$ |  |  | 29,602,832 | 14 | 0.24 | 230 |

Note: The first three columns represent the reference, the surveys, and the magnitude limits used, respectively. The last three columns refer to the median precision in relative distance, $V$-band extinction, and effective temperature, respectively.
statistical implicit for Gaia stars.
The RUWE can be computed by using Eq. 2.1

$$
\begin{equation*}
\text { RUWE }=\frac{\sqrt{\chi^{2}(A L) / n o b s(A L)-m}}{f\left(G, G_{B P-G_{R P}}\right)} \tag{2.1}
\end{equation*}
$$

where $m$ is the number of parameter solved and $f$ is a renormalising function. $A L$ refers to Gaia along-scan direction.

As mentioned by Lindegren et al. (2018b), the RUWE is expected to be around 1 for an observed single star. A RUWE greater than 1 indicates a non-single star or a problematic solution for the astrometry. For these reasons, we applied RUWE $\leq 1.4$ for the selection criteria.

For the set of distances of the surrounding objects, we could not use the reciprocal of the parallax, $1 / \omega$, as it is not reliable for distance measurement (Bailer-Jones et al., 2018). The inversion of parallax gives us the exact distance if we use the true parallax of the star, $r=\frac{1}{\omega_{\text {true }}}$, which is not possible yet as measurement errors are always present in astronomy. In addition, the inversion of the parallax is a biased measurement as the distribution of the resulting distance from this method is highly asymmetrical (Luri et al., 2018). Another issue is that Gaia provides negative parallax measurements, so the inversion of the negative parallax yield a negative distance, which does not have a physical meaning (Astraatmadja \& Bailer-Jones, 2016). However, those negative parallaxes cannot be removed from the samples as they contain important information. Therefore, an advanced method must be taken to consider all of the observed information with measurement errors to have a better estimation of the distance.

To have a reliable estimate on the distance of a star, Bailer-Jones et al. (2018) proposed a Bayesian analysis that finds the best estimates of the distance of a single star given its measured parallax $\omega$ and its error $\sigma_{\omega}$. In their study, they used a simpler exponentially decreasing space density prior that follows a galactic model for the distance estimates (see Eq. 2.2, Bailer-Jones (2015)).

$$
\begin{equation*}
P(r)=\frac{1}{2 L^{3}} r^{2} e^{-r / L}, \text { for } r>0 \tag{2.2}
\end{equation*}
$$



Figure 2.1: Example of Gaia distances by using Bayesian inference (Bailer-Jones et al. (2018)). The Bayesian analysis demonstrates the impact of the parallax error on the distances. The blue histogram and the red curve shows the posterior distribution of the distance and its best fit respectively and the green curve represents the prior distribution of the distance. Figure (a) and Figure (b) shows that the two stars are estimated to have a similar distance even if their observed parallax are different. The prior on the distance is underestimated when the error on the parallax is too small (Figure (b) and Figure (c)), while the distance estimates follow the prior when the star has a significant error on the parallax (Figure (a) and Figure (d)).
where $L$ is the length scale, and $r$ is the true distance to the star.
Fig. 2.1 shows an example of Bayesian distance estimates proposed by BailerJones et al. (2018) that illustrates the importance of using Bayesian techniques to handle the parallax error from Gaia. When a star has a small error on the parallax, the reciprocal of the parallax is still used to derive its distances. For that, the exponential prior was underestimated and was differentiated from the posterior distribution (see the green curve in (b) and (c) in Fig. 2.1). However, when the error on the parallax is significant, the posterior distribution of the distance follows the prior, which demonstrated that the error on the parallax plays a vital role in distance estimates.


Figure 2.2: Comparison of the Bayesian estimation of individual star provided in the Gaia catalogues (Bailer-Jones et al. (2018)) to the distance obtained by inverting the parallax. The distance obtained from the inversion of parallax begin to differ from $500 p c$ where we start to have a significant error on the parallax $\delta \omega / \omega \geq 0.5$

For all reasons cited above, we decided to use the distances provided by BailerJones et al. (2018), which is also included in the Gaia DR2 catalogue. Fig. 2.2 depicts the comparison between Gaia DR2 distance estimates and the naive inversion of the parallax towards G010.3844+02.2128. Gaia distances begin to differ from the distances obtained through simple inversion of parallax for sources
with large errors, $\delta \omega / \omega \geq 0.5$.
For the extinction, we use Gaia stars that have $A_{G}$ extinction greater than zero $\left(a \_g \_v a l>0\right)$. The error in the extinction $\Delta A_{G}$ is estimated by

$$
\begin{equation*}
\Delta A_{G}=\frac{1}{2}\left(A_{G}^{u p p e r}-A_{G}^{\text {lower }}\right) \tag{2.3}
\end{equation*}
$$

where $A_{G}^{\text {upper }}$ and $A_{G}^{\text {lower }}$ are the $84^{\text {th }}$ and $16^{\text {th }}$ percentiles of $A_{G}$ provided by the Gaia catalog.

### 2.3.2 Starhorse stars

For the extinction and set of distance for the $A_{V}$ model, we applied the same criteria as the selection for Gaia stars. Although they only derived distances and extinction for stars brighter than $G=18$, their results can be used for the purposes of this work. The process for the star selection starts by drawing a box region centred in our object of interest, and we consider all stars inside that box. All the stars in their catalogues have extinction and their corresponding distance measurements.

For the distance samples and $A_{V}$ extinction, we used the $50^{\text {th }}$ percentiles from the StarHorse results. The error in the distance was estimated using its standard deviation, while the error in the extinction was estimated using its $16^{\text {th }}$ percentiles and $84^{\text {th }}$ percentiles, given by the relation

$$
\begin{equation*}
\Delta A_{V}=\frac{1}{2}\left(A_{V}^{84 t h}-A_{V}^{16 t h}\right) \tag{2.4}
\end{equation*}
$$

We also applied RUWE $\leq 1.4$ associated with each star.

## Chapter 3

## Implementation of the Bayesian models

### 3.1 Overview

As discussed in Sect. 1.9.8, embedded stars do not have reliable visible data. The most probable approach to calculate their distances is to study the region associated with them by considering all of the available stars in the sight-line. A molecular cloud is the birthplace of stars, and all stars in the same molecular cloud are located at a similar distance. We assume here that our stars are normally distributed around the molecular cloud associated with those objects. Therefore, our study is based on the molecular cloud distance, which is related to our objects of interest.

The use of parallaxes of the available stars in a molecular cloud accompanied by an extinction map of the region was introduced in the study done by Lombardi et al. (2008). They derived a reliable distance of the Ophiucus and Lupus cloud complexes using parallax measurements provided by Hipparcos (Perryman et al., 1997) and extinction maps of these regions(NiceR, Lombardi \& Alves (2001)). Their analysis is based on a rigorous maximum-likelihood approach.

As in Sect. 1.9.1, several studies have been made for the derivation of molecular cloud distances since the advent of Gaia. Yan et al. (2019b) demonstrated
that the $A_{G}$ extinction derived directly from Gaia three-band photometry and Gaia parallaxes are capable of deriving reliable distance measurements to molecular clouds. They built a Bayesian model of $A_{G}$ extinction and derived reliable distances to 59 molecular clouds at high Galactic latitudes $\left(|b|>10^{\circ}\right)$. Later on, Yan et al. (2019b) performed another measurements of molecular cloud distances towards the Galactic plane $\left(209.75^{\circ} \leq 1 \leq 219.75^{\circ}\right.$ and $\left.|b| \leq 5^{\circ}\right)$ using the baseline subtraction method and Bayesian statistics.

Based on the work cited in Sect. 1.9.1 and those discussed above, we implemented the Bayesian model of the line-of-sight extinction towards our region of interests, and infer their distances. For that, the $A_{G}$ extinction and the $A_{V}$ extinction were used. The two models are discussed in Sect. 3.3.1 and Sect. 3.4.1, respectively.

### 3.2 Basic Analysis

Our technique for deriving distances to the molecular cloud is based on a general fact where stars observed through excessive column densities must exhibit a high reddening even when observed in projection towards dense regions of the cloud (Lombardi et al. (2008)). In other words, the molecular cloud increases the extinction of all-stars behind them. To illustrate the approach, we used the region of Barnard 68 (Fig. 3.1). Stars that are associated with the molecular cloud are opaque at visible-light wavelength as the light coming from those stars are totally absorbed by dust. The near-infrared image reveals all of the objects embedded in the dust cloud and shows that those stars appear redder than stars located around the edge of the molecular cloud. The change in colour is the jump point on the extinction that we inferred here. The terms off-cloud and on-cloud were used to design stars that have lower and higher extinction values, respectively. The bottom panel of Fig. 3.1 depicts the line-of-sight extinction profile towards the region of our objects. The diagram shows a simple dust-screen model that


Figure 3.1: The two figures on the top panel show an optical image and nearinfrared image of Barnard 68 (hereafter B68) respectively, which is a good region to illustrate our approach. The blue star in the second image shows an example of a star that we are going to measure its distance and the box is the region that we consider to infer the jump point in the extinction in that region. The bottom panel shows a simple extinction profile that shows our dust-screen model in a given line of sight towards our object. The blue line depicts the extinction of off-cloud stars while the red line shows the variation of extinction for on-cloud stars. The distance of the molecular cloud that contains our object is marked by the black vertical line and its error (grey line). (Image credit: "ESO")
illustrates the jump in the extinction for $O n$-cloud stars when passing across the molecular cloud. By taking into account the extinction of Off-cloud stars and the extinction of On-cloud stars, the Bayesian models provided the most probable distances to the region.

In summary, the Bayesian models involve five parameters: the distance $D$ of the region, the extinction for foreground stars $\mu_{1}$, the error on the extinction for foreground stars $\sigma_{1}$, the overall extinction $\mu_{2}$ for background stars, and the error on the extinction for background stars $\sigma_{2}$.

### 3.2.1 Classification of star

As in Sect 3.2, when going through the molecular cloud along the line of sight, the extinction moderately increases from off-cloud stars to on-cloud stars. With respect to Yan et al. (2019b), the probability of a star to be located in front of the cloud or behind the cloud is indicated by the CDF of the normal distribution below

$$
\begin{equation*}
\phi(x)=\frac{1}{\sqrt{2 \pi}} \int_{\infty}^{x} e^{-t^{2} / 2} \mathrm{~d} t \tag{3.1}
\end{equation*}
$$

And given the distance $D$ of the molecular cloud associated with our object and the range of distances $d_{i}$ that surround our object, the likelihood of a star to be located in front of the molecular cloud is

$$
\begin{equation*}
f_{i}=\phi\left(\frac{\mathrm{D}-\mathrm{d}_{\mathrm{i}}}{\Delta \mathrm{~d}_{i}}\right) \tag{3.2}
\end{equation*}
$$

and the likelihood of a star to be located behind the cloud is

$$
\begin{equation*}
1-f_{i} \tag{3.3}
\end{equation*}
$$

In practice, the extinction of foreground stars is estimated by taking the minimum distance $D_{\text {min }}$ and $\left(D_{\text {min }}+r p c\right)$ in our distance catalogues and calculate the average extinction in the distance range $\left[D_{\min }, D_{\min }+r p c\right]$. The value of $r$ is chosen according to the distance cut that we use for the inference given the prior knowledge that we obtained from the literature.

### 3.3 Distance estimates using $A_{G}$

### 3.3.1 Basic model

The approach used in this work is based on Yan et al. (2019a) with some modifications. As discussed in Section 1.8.2, ExtraTrees cannot extrapolate beyond the training data range, and does not derive negative value of $A_{G}$. This nonnegativity means that the likelihood for $A_{G}$ cannot be Gaussian, but the most appropriate way of modelling this is by using the truncated Gaussian distribution (Andrae et al., 2018). We also followed this for our $A_{G}$ model. The truncated Gaussian distribution, with the mean $\mu$ and standard deviation $\sigma$ is written as

$$
p\left(A_{\mathrm{G} i} \mid \mu, \sigma\right)=\left\{\begin{array}{l}
\frac{\frac{1}{\sigma \sqrt{2} \pi} \exp \left(-\frac{1}{2}\left(\frac{A_{\mathrm{G} i}-\mu}{\sigma}\right)^{2}\right)}{\frac{1}{2}\left(\operatorname{erf}\left(\frac{A_{\mathrm{G}}^{\max }-\mu}{\sqrt{2} \sigma}\right)+\operatorname{erf}\left(\frac{\mu-A_{\mathrm{G}}^{\min }}{\sqrt{2} \sigma}\right)\right)}  \tag{3.4}\\
0
\end{array}\right.
$$

Where $\left(A_{G}^{\text {min }}\right)$ is the minimum value of $A_{G}$ extinction and $\left(A_{G}^{\max }\right)$ is the maximum value of $A_{G}$ extinction, which is equal to 0 and 3.6 mag respectively. $A_{G i}$ is the range of extinction of stars that we consider in our study. The erf in the denominator indicates the error function of $\left(A_{G}^{\max }\right)$ and $\left(A_{G}^{\min }\right)$ and is given by the relation:

$$
\begin{equation*}
\operatorname{erf}(z)=\frac{2}{\sqrt{\pi}} \int_{0}^{z} e^{-t^{2}} \mathrm{~d} t \tag{3.5}
\end{equation*}
$$

In order to consider the measured error in the $A_{G}$ extinction, we convolved the standard deviation of $A_{G}$ extinction with $\sigma_{1}$ and $\sigma_{2}$, which are the error for the extinction for foreground stars and the error for background stars, respectively. Thus, the likelihood of measuring $A_{G i}$ for foreground stars is given by

$$
\begin{equation*}
P F_{i}=p\left(A_{\mathrm{Gi}} \mid \mu_{1}, \sqrt{\sigma_{1}^{2}+\Delta A_{\mathrm{Gi}}^{2}}\right) \tag{3.6}
\end{equation*}
$$

Identically, the likelihood of background stars is

$$
\begin{equation*}
P B_{i}=p\left(A_{\mathrm{G} i} \mid \mu_{2}, \sqrt{\sigma_{2}^{2}+\Delta A_{\mathrm{G} i}^{2}}\right) \tag{3.7}
\end{equation*}
$$

The total likelihood is the product of all background stars. By taking into account all of our parameters and the Eq. 3.6 and Eq. 3.7, the form of our total likelihood is

$$
\begin{equation*}
p\left(A_{\mathrm{Gi}} \mid \mu_{1}, \sigma_{1}, \mu_{2}, \sigma_{2}, \mathrm{D}\right)=f_{i} P F_{i}+\left(1-f_{i}\right) P B_{i} \tag{3.8}
\end{equation*}
$$

### 3.3.2 Prior

For the prior, we chose a uniform prior for the distance $D$. Prior knowledge in the distance is essential in our model, so we set a smart prior for a better result. The distance prior was set to be uniform between $D_{\min }$ and $D_{\max }$ from our dataset. For the foreground and background extinction, we chose an exponential distribution as the extinction value increase as a function of the distance. In summary, our prior for the five parameters are

$$
\left\{\begin{align*}
\mathrm{D} & \sim \mathcal{U}\left(\mathrm{D}_{\min }, \mathrm{D}_{\max }\right)  \tag{3.9}\\
\mu_{1} & \sim \mathcal{E}\left(\mu_{f}\right) \\
\mathrm{I} \sigma_{1} & \sim \mathcal{E}(2) \\
\mu_{2} & \sim \mathcal{E}\left(\mu_{b}\right) \\
\mathrm{I} \sigma_{2} & \sim \mathcal{E}\left(\mathrm{I} \sigma_{b}\right)
\end{align*}\right.
$$

where $\mathcal{U}$ and $\mathcal{E}$ represent the uniform and exponential distributions, respectively, $\mu_{b}$ and $I \sigma_{b}$ are the mean and reciprocal standard deviation of extinction $A_{G}$ of background stars with distances $>D_{\max }-r p c$. The initial guess for $\mu_{f}$ and $\mu_{b}$ were derived from the mean extinction of off-cloud stars and on-cloud stars, respectively. The 2 mag for $I \sigma_{1}$ is the reciprocal of 0.45 mag , which is the typical extinction $A_{G}$ standard deviation of clustering stars (Andrae et al., 2018).

### 3.4 Distance estimates using $A_{V}$

### 3.4.1 $A_{V}$ model

The model used for $A_{V}$ extinction was pretty much the same as the model used for $A_{G}$ (see Sect. 3.3.1). The only difference here is that the truncated Gaussian
distribution is only used for $A_{G}$ due to the limitation of $A_{G}\left(A_{G} \in[0,3.609] \mathrm{mag}\right)$ (Andrae et al., 2018). For $A_{V}$, we use the full Gaussian distribution for objects in all regions in this study.

The full Gaussian distribution of $A_{V}$ with the mean $\mu$ and standard deviation $\sigma$ is indicated by the relation

$$
\begin{equation*}
p\left(A_{\mathrm{V} i} \mid \mu, \sigma\right)=\frac{1}{\sigma \sqrt{2} \pi} \exp \left(-\frac{1}{2}\left(\frac{A_{\mathrm{V} i}-\mu}{\sigma}\right)^{2}\right) \tag{3.10}
\end{equation*}
$$

where $A_{V i}$ is the range of $A_{V}$ extinctions of our star.
As included in Sect. 3.3.1, to consider the measurement error in the $A_{V}$ extinction, we convolved the standard deviation of $A_{V}$ extinction with $\sigma_{1}$ and $\sigma_{2}$. Consequently, the likelihood of measuring $A_{V i}$ for foreground stars is given by

$$
\begin{equation*}
P F_{i}=p\left(A_{\mathrm{Vi}} \mid \mu_{1}, \sqrt{\sigma_{1}^{2}+\Delta A_{\mathrm{Vi}}^{2}}\right) \tag{3.11}
\end{equation*}
$$

and the likelihood for background stars is

$$
\begin{equation*}
P B_{i}=p\left(A_{\mathrm{V} i} \mid \mu_{2}, \sqrt{\sigma_{2}^{2}+\Delta A_{\mathrm{V} i}^{2}}\right) \tag{3.12}
\end{equation*}
$$

The total likelihood of the $A_{V}$ extinction is given by the relation

$$
\begin{equation*}
p\left(A_{\mathrm{Vi}} \mid \mu_{1}, \sigma_{1}, \mu_{2}, \sigma_{2}, \mathrm{D}\right)=f_{i} P F_{i}+\left(1-f_{i}\right) P B_{i} \tag{3.13}
\end{equation*}
$$

### 3.4.2 Prior

For the choice of prior, we used the same prior as for $A_{G}$ except the inference of the error for foreground stars $I \sigma_{1}$. The prior used for $A_{V}$ are

$$
\left\{\begin{align*}
\mathrm{D} & \sim \mathcal{U}\left(\mathrm{D}_{\min }, \mathrm{D}_{\max }\right)  \tag{3.14}\\
\mu_{1} & \sim \mathcal{E}\left(\mu_{f}\right) \\
\mathrm{I} \sigma_{1} & \sim \mathcal{E}\left(\mathrm{I} \sigma_{f}\right) \\
\mu_{2} & \sim \mathcal{E}\left(\mu_{b}\right) \\
\mathrm{I} \sigma_{2} & \sim \mathcal{E}\left(\mathrm{I} \sigma_{b}\right)
\end{align*}\right.
$$

where $\mathcal{U}$ and $\mathcal{E}$ the uniform and exponential distributions, respectively. $\mu_{b}$ and $I \sigma_{b}$ are the mean and reciprocal standard deviation of $A_{V}$ extinction of background
stars, while $\mu_{f}$ and $I \sigma_{f}$ are the mean and reciprocal standard deviation of the $A_{V}$ extinction of the foreground stars.

### 3.5 MCMC sampling

Finally, we solved the posterior distribution with Monte Carlo Markov Chain sampling (MCMC) techniques. The MCMC is a process for generating a random walk in the parameter space and drawing a representative sample from the posterior distribution. We applied the same process for $A_{G}$ and $A_{V}$. As introduced in Sect. 1.9.7, we used emcee to sample the joint posterior probability. We initialized 15 walkers for the sampling, which means we calculated 15 independent chains. After setting up the walkers, we ran 1000 steps from the posterior distribution of parameters, this step is called the "burn-in" phase. Then, we ran 2000 steps again for the production phase. As this work is a high dimensional inference, emcee comes with some outliers and takes a large number of steps to converge until it finds a good starting point for the sampling. For this, we speeded up the convergence with the "Maximum Likelihood Estimation (MLE)" technique. MLE provided the most probable value for the starting guess of the sample based on the data that we used. We also increased the number of steps to observe a clear convergence of the chain.

## Chapter 4

## Results

This section deals with the derived distances obtained from this work and the comparison of the results to the literature. In Sect. 4.1, we test the two models with the Orion A region to examine the reliability of the methodology. After testing the model, in Sect. 4.2.1, we examine distances to YSOs taken from the RMS survey (Lumsden et al., 2013). We also derive distance towards the active star forming region Cygnus X in Sect. 4.2.2. Finally, Sect. 4.3 compares the results to several distance measurements in the literature.

### 4.1 Testing the models

### 4.1.1 The Orion A structure

The Orion A cloud is the closest massive star-forming population in the Galaxy. By using Gaia DR2, Großschedl et al. (2018) studied the 3D shape of Orion and identified that it consists of two separate parts, which are the northern part of the cloud or head (box (d) in Figure 4.1) and the southern part of the cloud or tail (box (b) and (c) in Figure 4.1). This recent study also showed that the head of Orion A is bent in regards to the tail, following a finding of the head to be located on the plane of the sky and the tail not far from the line of sight. Those parts of the cloud contain rich clusters of young stars and active sites of massive star formation (Rezaei Kh. et al., 2020), not a flat filament in the plane of sky


Figure 4.1: Illustration of the Orion A sub-regions used for the test of the effectiveness our methodology. All the boxes in the figure represent different parts of the Orion $A$, in which we used to analyse all the parameters involved in our models. (Credit: ESASky (Martí et al., 2016), Herschel PACS RGB 70, 160 micron)
(Schilke, 2015).
The Orion A is suitable to test the models by a number of factors. It has a well known distance derived from the literature $\sim 400 \mathrm{pc}$ (Großschedl et al. (2018), Menten et al. (2007), and Schlafly et al. (2015)). The understanding of the distance gradient across the Orion A indicated by those authors also is of significant importance for the test to analyse several distances when shifting from the head to the tail. In addition, this region is well observed by Gaia due to its location nearby the Sun. Thus, it contains many datapoints with high quality parallaxes and extinctions in the Gaia DR2, making it the best region to test the models.

### 4.1.2 Orion A distance analysis

## Variation of number of stars

We divided the Orion A into four boxes which are named [(a), (b), (c), (d)], and we derived distances to each of them. After that, we subdivided (b), (c), and (d) into four sub-regions each and inferred their distances. Fig. 4.1 illustrates all the sub-regions used. By using those different sub-regions, the number of input stars decreased compared to the big three boxes. This helps to understand the effect of using fewer stars into our models, and also help to identify the distance gradient across the Orion A.

## Extinction cut-off

As outlined in Sect. 3, the technique used in this work relies on the extinction of stars and their corresponding distances. We used a simple dust screen model of the extinction of foreground stars and background stars to infer the most reliable distances to the star-forming region. Here we applied a lower cutoff in the extinction ( 1.5 mag for $A_{G}$ and 2 mag for $A_{V}$ using box (c)) to see if we can still obtain distances. This is important to test the sensitivity of the model when inferring distances to a region with a small jump in the extinction.

## Distance cut-off

We also extended the distance cutoff to 2 kpc for the box (c) to test the effect of including many background stars into the models. Some of the objects we studied in this work have an estimated distance in the literature. Hence, by varying the distance cutoff, we are able to understand the reliable cutoff than can be applied for other objects according to the literature value. More importantly, reducing the distance cutoff removes stars that are located very far away, which are not part of the region under study.

At the end part of the test, we added an additional error in the distance samples to our datasets by $\sim 50 \%$. This is just a quick check of the importance of the error in our data samples and its effect in the results.

### 4.1.3 Results and discussions

In general, the two models of extinction detected distances to all the regions drawn with respect to the extinction breakpoint. The box (a) of Fig. 4.1 was first used for the distance measurement. It represents the whole region of the Orion A including the head and the tail. It also contains data from all part of the Orion A, so it provides an average distance towards this region. For that, we obtained a distance of $399_{-8}^{+8} \mathrm{pc}$ with $A_{G}$, and $427_{-4}^{+5} \mathrm{pc}$ with $A_{V}$, respectively. The one obtained with $A_{V}$ is $\sim 28 \mathrm{pc}$ higher than the $A_{G}$ distance. This slight difference is caused by the large number of on-cloud stars obtained with $A_{V}$ data.

We also derived several distances to the other three boxes, shifting from the head to the tail (see Fig. 4.2 and Fig. 4.3). For the head, which is represented by (d), we obtained $340_{-10}^{+13} \mathrm{pc}$ with $A_{G}$, and $349_{-7}^{+8} \mathrm{pc}$ with $A_{V}$. For the tail, we used the box (b) and (c) to derive its distance. For (b), we obtained $455_{-20}^{+21} \mathrm{pc}$ with $A_{G}$, and $413_{-10}^{+11} \mathrm{pc}$ with $A_{V}$. For (c), we obtained $410_{-12}^{+19} \mathrm{pc}$ with $A_{G}$, and $407_{-10}^{+11} \mathrm{pc}$ with $A_{V}$. The results indicate that the tail is located further away than the head, which are $\sim 115 \mathrm{pc}$ more distant for $A_{G}$, and $\sim 64 \mathrm{pc}$ away for $A_{V}$.


Figure 4.2: Distances towards the Orion A with $A_{G}$ obtained from the test. The Orion A is located at a distances $\sim 400 \mathrm{pc}$. The grey points represents the selected stars for each box, while the red points show their corresponding binned data averaged in every 10 pc . The derived distances is indicated by the green vertical line. The vowel in brackets for each figure indicates the part of the Orion A used for the test.


Figure 4.3: Test of the $A_{V}$ model to derive distances to the Orion A. See the caption of Fig. 4.2 for more details.

This demonstrates the additional $\sim 70 \mathrm{pc}$ on the distances of the tail stated by Schlafly et al. (2015).

## Variation of the number of stars

To further understand the reliability of our methodology, we derived distances to the sub-regions of (b), (c), and (d). For those sub-regions, we obtained data within 1 degree square across the region. Compared to the number of stars that has $A_{V}$ extinction, those sub-regions contain fewer star with $A_{G}$ extinction, making them very difficult to deal with the $A_{G}$ model. In addition, the distribution of $A_{G}$ across those sub-regions is very complicated, and we failed to derive a reliable distances to some of the sub-regions drawn. For instance, the distances of the sub-regions (1c) and (2c) obtained using the $A_{G}$ model were very large (see Fig. 4.4). We can clearly see the location of the jump in the $A_{G}$ extinction, but the algorithm inferred larger distance, which are $521_{-45}^{+29} \mathrm{pc}$ and $488_{-39}^{+28} \mathrm{pc}$ respec-
tively. In the opposite way, for (4c), we obtained a lower distance $282_{-38}^{+46} \mathrm{pc}$. In those sub-regions, the jump point in the extinction was not confirmed because of implementing fewer stars in our model.

As in Sect. 4.1.2, we used a simple dust screen model, so our methodology depends on the behaviour of foreground and background extinction. Thus, having more datapoints does not always provide distances. For instance, the sub-region (2d) contains many datapoints for both $A_{G}$ and $A_{V}$, but we are still not able to infer a reliable distance due to the complicated distribution of the extinction (see Fig. 4.5). For that, we obtained $268_{-20}^{+17} \mathrm{pc}$, which is lower compared to the extinction breakpoint.

The results obtained from those small sub-regions also demonstrate the distance gradient across the Orion A. For both models, we obtained a lower distances to the sub-regions in head compared to those in the tail. All the figures obtained to those sub-regions are listed in Appendix A.


Figure 4.4: Distances towards the sub-regions of box(c) using $A_{G}$.


Figure 4.5: Distances towards the sub-regions of box(d) using $A_{V}$.

## Extinction cutoff effects

The two models always detect distances even if a smaller jump in the extinction were used. By applying an extinction cutoff of 1.5 mag for $A_{G}$ and 2 mag for $A_{V}$ to the box (c), we inferred a distance of $438_{-15}^{+21} \mathrm{pc}$ for $A_{G}$ and $438_{-12}^{+10} \mathrm{pc}$ for $A_{V}$. Compared to the distances obtained with no extinction cutoff, which are $410_{-12}^{+19} \mathrm{pc}$ with $A_{G}$ and $407_{-10}^{+11} \mathrm{pc}$ with $A_{V}$, we observed an increase of about $\sim 30$ pc in the distance for both models. The extinction cutoff removed background stars that suffer much extinction at the boundary of the cloud, and thus the observed distance naturally shifted with respect to the distribution stars along the sightline.

## Distance cutoff effects

The larger distance cutoff 2 kpc applied has no considerable effect in the $A_{G}$ distance, but it caused a slight decrease for about $\sim 60 \mathrm{pc}$ for $A_{V}$. Compared to the measurements without distance cutoff, there is also an increase in the errorbar for the two models. I fact, increasing the number of stars into our model should lower the errorbar, however, we obtained higher errorbar since stars located at higher distance have large uncertainties.

The additional $50 \%$ error in the distance sample has no significant effect in the results as it only caused a slight increase of about $\sim 10 \mathrm{pc}$ in the distance and small increase in the errorbar (see Fig. 4.6).


Figure 4.6: Test of the two models $A_{G}$ (in the left panel) and $A_{V}$ (in the right panel) by adding a $50 \%$ error in the distance samples. See Caption 4.2 for more details.

### 4.1.4 Effective sample selection

According to the test, all changes applied to the datasets had effects in the distance measurement. As we used a simple dust screen model, good agreement of the extinction with this model is crucial and enough background stars that has extinction data is also required. In addition, applying a large distance cutoff did not yield to a considerable change in the distance, so it is not always necessary. One issue with a large distance cutoff was that it added more stars that are located very far away, which might not be part of the molecular cloud. Those many input stars also take too much time for the computation. According to the test,
the distance cutoff for an object that has an estimated distance less than 500 pc in the literature should not exceed 1 kpc . This distance interval will be respected for the other distance measurements in this thesis.

### 4.1.5 Distance error and autocorrelation

Our distance measurements contain two categories of uncertainty: the statistical uncertainty and the systematic uncertainty. The systematic uncertainty is not included in the test but will be added in the next results. As mentioned by Luri et al. (2018), Gaia measurement may be affected by systematic errors due to the design of both the spacecraft and the implementation of the data processing software. This systematic error on the parallax is estimated to be around 0.04 mas which causes a systematic error about $5 \%$ in the distance. We adopted this $5 \%$ systematic error in our distance measurements in this work.

An alternative way to view the autocorrelation has been discussed by ForemanMackey et al. (2013) when using the emcee package. They pointed out that the acceptance fraction should be in the 0.2 to 0.5 range in order to see if emcee performs well. In this test, the acceptance fractions observed fell in this range of value, meaning that the way we used the MCMC algorithm was convenient.

The results obtained from the test are summarised in Table 4.1 for $A_{G}$, and in Table 4.2 for $A_{V}$. The rest of the figures are listed in Appendix.
Table 4.1: Summary of the result obtained for the test of the $A_{G}$ model with the Orion A.

| (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Box used | 1 | b | $D_{\text {cutoff }}$ | $A_{G} \text { cutoff }$ | N |  | $\mu_{1}^{A_{G}}$ | $\sigma_{1}^{A_{G}}$ | $\mu_{2}^{A_{G}}$ | $\sigma_{2}^{A_{G}}$ |
|  | (deg) | (deg) | $(\mathrm{kpc})$ | (mag) |  | (pc) | (mag) | (mag) | (mag) | (mag) |
| (a) | $207<1<214$ | $-21<\mathrm{b}<-18$ | 1 | 3.6 | 6071 | $399_{-8}^{+8}$ | $0.09_{-0.00}^{+0.01}$ | $0.07_{-0.01}^{+0.01}$ | $0.5_{-0.09}^{+0.09}$ | $1.27_{-0.05}^{+0.05}$ |
| (b) | $212<1<214$ | $-20.5<\mathrm{b}<-18.5$ | 1 | 3.6 | 869 | $455_{-20}^{+21}$ | $0.11_{-0.02}^{+0.02}$ | $0.14_{-0.03}^{+0.03}$ | $1.79_{-0.08}^{+0.08}$ | $0.888_{-0.06}^{+0.07}$ |
| (c) | $210<1<212$ | $-20.5<\mathrm{b}<-18.5$ | 1 | 3.6 | 998 | $410_{-12}^{+19}$ | $0.09_{-0.01}^{+0.01}$ | $0.09_{-0.02}^{+0.02}$ | $1.31_{-0.10}^{+0.08}$ | $1.03_{-0.07}^{+0.08}$ |
| (d) | $207.5<1<210$ | $-20.5<\mathrm{b}<-18.25$ | 1 | 3.6 | 1243 | $340{ }_{-10}^{+13}$ | $0.07_{-0.01}^{+0.01}$ | $0.50_{-0.01}^{+0.01}$ | $1.14_{-0.08}^{+0.07}$ | $1.07_{-0.05}^{+0.06}$ |
| (c) | $207<1<214$ | $-21<\mathrm{b}<-18$ | 1 | 1.5 | 749 | $438{ }_{-15}^{+21}$ | $0.08_{-0.01}^{+0.01}$ | $0.07_{-0.00}^{+0.01}$ | $0.788_{-0.03}^{+0.03}$ | $0.32_{-0.03}^{+0.03}$ |
| (c) | $207<1<214$ | $-21<\mathrm{b}<-18$ | 2 | 3.6 | 1529 | $406{ }_{-30}^{+25}$ | $0.10_{-0.02}^{+0.02}$ | $0.12_{-0.02}^{+0.02}$ | $1.52_{-0.06}^{+0.06}$ | $0.99_{-0.05}^{+0.06}$ |
| (c) (50\% dist err) | $207<1<214$ | $-21<\mathrm{b}<-18$ | 1 | 3.6 | 998 | $417_{-26}^{+23}$ | $0.10_{-0.01}^{+0.01}$ | $1.10_{-0.02}^{+0.02}$ | $1.34_{-0.01}^{+0.09}$ | $1.02_{-0.07}^{+0.08}$ |
| (1b) | $213<1<214$ | $-19.5<\mathrm{b}<-18.5$ | 1 | 3.6 | 199 | $469{ }_{-43}^{+38}$ | $0.06_{-0.02}^{+0.02}$ | $0.02_{-0.01}^{+0.02}$ | $2.14_{-0.11}^{+0.139}$ | $0.79_{-0.09}^{+0.15}$ |
| (2b) | $212<1<213$ | -19.5 $<\mathrm{b}<-18.5$ | 1 | 3.6 | 218 | $477_{-29}^{+38}$ | $0.13_{-0.05}^{+0.04}$ | $0.19_{-0.04}^{+0.04}$ | $2.00_{-0.10}^{+0.09}$ | $0.60_{-0.07}^{+0.09}$ |
| (3b) | $213<1<214$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3.6 | 198 | $437{ }_{-50}^{+34}$ | $0.13_{-0.03}^{+0.03}$ | $0.10_{-0.04}^{+0.04}$ | $1.63_{-0.22}^{+0.16}$ | $1.00_{-0.15}^{+0.24}$ |
| (4b) | $211<1<212$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3.6 | 254 | $452_{-47}^{+66}$ | $0.13_{-0.04}^{+0.04}$ | $0.155_{-0.06}^{+0.06}$ | $1.37_{-0.27}^{+0.21}$ | $1.05_{-0.15}^{+0.23}$ |
| (1c) | $213<1<214$ | $-19.5<\mathrm{b}<-18.5$ | 1 | 3.6 | 209 | $521_{-45}^{+29}$ | $0.14_{-0.03}^{+0.03}$ | $0.14_{-0.03}^{+0.04}$ | $1.91_{-0.12}^{+0.11}$ | $0.70_{-0.08}^{+0.12}$ |
| (2c) | $210<1<211$ | $-19.5<\mathrm{b}<-18.5$ | 1 | 3.6 | 264 | $488{ }_{-39}^{+28}$ | $0.11_{-0.05}^{+0.04}$ | $0.20_{-0.05}^{+0.05}$ | $1.96{ }_{-0.08}^{+0.08}$ | $0.60_{-0.06}^{+0.07}$ |
| (3c) | $211<1<212$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3.6 | 242 | $386{ }_{-53}^{+40}$ | $0.10_{-0.2}^{+0.03}$ | $0.04_{-0.03}^{+0.03}$ | $0.50_{-0.32}^{+0.36}$ | $1.38_{-0.22}^{+0.21}$ |
| (4c) | $210<1<211$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3.6 | 283 | $282_{-38}^{+46}$ | $0.04_{-0.01}^{+0.01}$ | $0.01_{-0.00}^{+0.01}$ | $0.52_{-0.31}^{+0.26}$ | $1.21_{-0.16}^{+0.18}$ |
| (1d) | $208.8<1<210$ | $-19.6<\mathrm{b}<-18.4$ | 1 | 3.6 | 365 | $386{ }_{-31}^{+27}$ | $0.08_{-0.02}^{+0.02}$ | $0.04_{-0.02}^{+0.03}$ | $2.10_{-0.09}^{+0.09}$ | $0.84_{-0.07}^{+0.09}$ |
| (2d) | $207.5<1<208.8$ | $-19.6<\mathrm{b}<-18.4$ | 1 | 3.6 | 482 | $253_{-34}^{+27}$ | $0.03_{-0.01}^{+0.01}$ | $0.02_{-0.01}^{+0.01}$ | $1.188_{-0.09}^{+0.09}$ | $0.86_{-0.07}^{+0.07}$ |
| (3d) | $208.8<1<210$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3.6 | 365 | $283{ }_{-30}^{+46}$ | $0.09_{-0.02}^{+0.02}$ | $0.06_{-0.02}^{+0.02}$ | $0.24_{-0.17}^{+0.27}$ | $1.52_{-0.14}^{+0.16}$ |
| (4d) | $207.5<1<208.8$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3.6 | 345 | $337_{-34}^{+37}$ | $0.05_{-0.02}^{+0.02}$ | $0.04_{-0.02}^{+0.02}$ | $1.155_{-0.14}^{+0.11}$ | $0.90_{-0.09}^{+0.11}$ |

[^0]Table 4.2: Summary of the result obtained for the test of the $A_{V}$ model with the Orion A.

| (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Box used |  | ( | $D_{\text {cutoff }}$ | $A_{V}$ cutoff | N | $D_{A_{V}}$ | $\mu_{1}^{A_{V}}$ | $\sigma_{1}^{A_{V}}$ | $\mu_{2}^{A_{V}}$ | $\sigma_{2}^{A_{V}}$ |
|  | (deg) | (deg) | (kpc) | (mag) |  | (pc) | (mag) | (mag) | (mag) | (mag) |
| (a) | $207<1<214$ | $-21<\mathrm{b}<-18$ | 1 | 3 | 11770 | $427_{-4}^{+5}$ | $0.21_{-0.00}^{+0.00}$ | $0.09_{-0.00}^{+0.00}$ | $1.41_{-0.01}^{+0.01}$ | $0.655_{-0.01}^{+0.01}$ |
| (b) | $212<1<214$ | $-20.5<\mathrm{b}<-18.5$ | 1 | 3 | 1511 | $413_{-10}^{+11}$ | $0.20_{-0.01}^{+0.01}$ | $0.08_{-0.01}^{+0.01}$ | $1.66_{-0.02}^{+0.02}$ | $0.56_{-0.02}^{+0.02}$ |
| (c) | $210<1<212$ | $-20.5<\mathrm{b}<-18.5$ | 1 | 3 | 1885 | $407_{-10}^{+11}$ | $0.20_{-0.01}^{+0.01}$ | $0.08_{-0.01}^{+0.01}$ | $1.58_{-0.02}^{+0.02}$ | $0.57_{-0.01}^{+0.01}$ |
| (d) | $207.5<1<210$ | $-20.5<\mathrm{b}<-18.25$ | 1 | 3 | 3100 | $349_{-7}^{+8}$ | $0.23_{-0.01}^{+0.01}$ | $0.10_{-0.00}^{+0.00}$ | $1.57_{-0.02}^{+0.02}$ | $0.62_{-0.01}^{+0.01}$ |
| (c) | $207<1<214$ | $-21<\mathrm{b}<-18$ | 1 | 2 | 1500 | $438{ }_{-12}^{+10}$ | $0.19_{-0.01}^{+0.01}$ | $0.088_{-0.00}^{+0.01}$ | $1.30_{-0.02}^{+0.02}$ | $0.44_{-0.02}^{+0.01}$ |
| (c) | $207<1<214$ | $-21<\mathrm{b}<-18$ | 2 | 3 | 2984 | $341_{-16}^{+19}$ | $0.20_{-0.01}^{+0.01}$ | $0.09_{-0.01}^{+0.01}$ | $1.59_{-0.02}^{+0.01}$ | $1.600_{-0.01}^{+0.01}$ |
| (c) ( $50 \%$ dist err) | $207<1<214$ | $-21<\mathrm{b}<-18$ | 1 | 3 | 1885 | $394{ }_{-15}^{+11}$ | $0.20_{-0.00}^{+0.00}$ | $0.09_{-0.01}^{+0.01}$ | $1.60_{-0.02}^{+0.02}$ | $0.55_{-0.01}^{+0.01}$ |
| (1b) | $213<1<214$ | $-19.5<\mathrm{b}<-18.5$ | 1 | 3.5 | 316 | $381-24$ | $0.20_{-0.01}^{+0.01}$ | $0.09_{-0.01}^{+0.01}$ | $1.88{ }_{-0.04}^{+0.04}$ | $0.511_{-0.03}^{+0.03}$ |
| (2b) | $212<1<213$ | $-19.5<\mathrm{b}<-18.5$ | 1 | 3.5 | 319 | $448_{-25}^{+29}$ | $0.19_{-0.01}^{+0.01}$ | $0.07_{-0.01}^{+0.01}$ | $1.855_{-0.05}^{+0.05}$ | $0.56_{-0.04}^{+0.04}$ |
| (3b) | $213<1<214$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3.5 | 354 | $370{ }_{-24}^{+30}$ | $0.19_{-0.01}^{+0.01}$ | $0.07_{-0.01}^{+0.01}$ | $1.66_{-0.04}^{+0.04}$ | $0.52_{-0.03}^{+0.03}$ |
| (4b) | $211<1<212$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3 | 511 | $426_{-23}^{+27}$ | $0.22_{-0.01}^{+0.01}$ | $0.10_{-0.01}^{+0.01}$ | $1.59_{-0.04}^{+0.04}$ | $0.56_{-0.03}^{+0.03}$ |
| (1c) | $213<1<214$ | $-19.5<\mathrm{b}<-18.5$ | 1 | 3.5 | 386 | $425_{-26}^{+25}$ | $0.22_{-0.01}^{+0.01}$ | $0.10_{-0.01}^{+0.01}$ | $1.72_{-0.03}^{+0.03}$ | $0.42_{-0.02}^{+0.03}$ |
| (2c) | $210<1<211$ | $-19.5<\mathrm{b}<-18.5$ | 1 | 3.5 | 504 | $350_{-20}^{+22}$ | $0.21_{-0.01}^{+0.01}$ | $0.09_{-0.01}^{+0.01}$ | $1.877_{-0.03}^{+0.03}$ | $0.42_{-0.02}^{+0.02}$ |
| (3c) | $211<1<212$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3 | 478 | $328_{-24}^{+33}$ | $0.16_{-0.01}^{+0.01}$ | $0.05_{-0.01}^{+0.01}$ | $1.39_{-0.04}^{+0.04}$ | $0.60_{-0.03}^{+0.03}$ |
| (4c) | $210<1<211$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3.5 | 484 | $402_{-22}^{+31}$ | $0.188_{-0.01}^{+0.01}$ | $0.07_{-0.01}^{+0.01}$ | $1.37_{-0.05}^{+0.05}$ | $0.67_{-0.03}^{+0.03}$ |
| (1d) | $208.8<1<210$ | $-19.6<\mathrm{b}<-18.4$ | 1 | 3.5 | 577 | $323_{-15}^{+19}$ | $0.24_{-0.01}^{+0.01}$ | $0.11_{-0.01}^{+0.01}$ | $2.01_{-0.03}^{+0.03}$ | $0.56_{-0.02}^{+0.03}$ |
| (2d) | $207.5<1<208.8$ | $-19.6<\mathrm{b}<-18.4$ | 1 | 3.5 | 961 | $268{ }_{-20}^{+17}$ | $0.23_{-0.01}^{+0.01}$ | $0.10_{-0.01}^{+0.01}$ | $1.53_{-0.03}^{+0.02}$ | $0.60_{-0.02}^{+0.02}$ |
| (3d) | $208.8<1<210$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3.5 | 628 | $394_{-21}^{+30}$ | $0.25_{-0.01}^{+0.01}$ | $0.11_{-0.01}^{+0.01}$ | $1.52-0.04{ }^{+0.04}$ | $0.72_{-0.03}^{+0.03}$ |
| (4d) | $207.5<1<208.8$ | $-20.5<\mathrm{b}<-19.5$ | 1 | 3.5 | 717 | $341_{-18}^{+24}$ | $0.22_{-0.01}^{+0.01}$ | $0.10_{-0.01}^{+0.01}$ | $1.57_{-0.03}^{+0.03}$ | $0.58_{-0.02}^{+0.02}$ |

Note: Distances to the Orion A using $A_{V}$ extinction. For $A_{V}$ extinction, we use use a 3 mag cutoff to remove stars with larger extinction error. For more details, see Caption 4.1.

### 4.2 Distance catalogs

### 4.2.1 RMS distances

In this section, we present distances of YSOs selected from the Leeds Red MSX Source Survey (RMS, Lumsden et al. (2013)). Those stars are taken from different regions with different dust environments, and have distances ranging from 0.5 to 3 kpc which are mostly derived from kinematic method. The RMS selected candidates are displayed in Table 4.3, and our extinction distances are listed in Table 4.4 alongside the RMS distances.

Overall, we inferred distances to all selected target except the $A_{G}$ distance of G034.4035+00.2282A. As shown in the top left panel of Fig. 4.12, this target is surrounded by a very few optical stars which is not enough for the distance measurement.

Table 4.3: List of RMS stars used in this work.

| $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ |
| :---: | :---: | :---: | :---: | :---: |
| Name | l | b | Distance (kpc) | Distance type |
| G010.384+2.213 | 10.3844 | 2.2128 | 1.1 | Kin |
| G108.929+2.595 | 108.9288 | 2.5954 | 0.7 | Par |
| G126.714-0.822 | 126.714 | -0.822 | 0.7 | Kin |
| G014.4886+0.0219B | 14.4886 | 0.0219 | 2.5 | Kin |
| G065.3169-2.7141 | 65.3169 | -2.7141 | 1.2 | Kin |
| G034.4035+0.2282A | 34.4035 | 0.228 | 1.6 | Par |

Note: List of stars used in this work. The name, Galactic coordinates (l, b), and source type are shown in (1), (2), (3) and (4) respectively, while the estimated distances and the type of method used from the literature are displayed in (4) and (5), respectively.

### 4.2.2 Cygnus X distances

Apart from that, we derived distances to the complex star formation region, Cygnus X. We are particularly interested in Cygnus X as it is a nearby massive star formation region located at $\sim 2 \mathrm{kpc}$ (Reid et al., 2011) that Gaia also can

## G010.384+02.213



Figure 4.7: The distance of G010.384+02.213. The two images in the middle of right panels are taken from the ESASky website (Martí et al., 2016), which is a great astronomical tool for viewing. The one in the top is an optical image (SDSS 2 York et al. (2000)), while the one in the bottom is a NIR image (2MASS, Skrutskie et al. (2006)). The purple plus in the centre of each image represents the location of our object of interest. In the top and bottom right panels, the grey points are the selected stars we used for the distance measurements, while the red points show their corresponding binned data (averaged in every 10 pc ). The derived distances and the uncertainty are indicated by the green vertical line. The corner plots of the MCMC samples obtained from $A_{G}$ (on the top) and $A_{V}$ (on the bottom) are displayed on the left panels. They show the obtained distance D , the inferred extinction of Off-cloud stars $\mu_{1}$ with its error $\sigma_{1}$, and the extinction for On-cloud stars $\mu_{2}$ with its error $\sigma_{2}$ with the two models, respectively. The $16^{t h}, 50^{t h}$, and the $86^{t h}$ are shown by the dashed vertical lines, respectively.

## G108.929+02.595






Figure 4.8: The distance of G108.929+02.595. Top left panel and bottom left panel show the corner plot of the MCMC samples obtained from $A_{G}$ and $A_{G}$, respectively. In the right panels, the grey points and red points in the top and bottom show the stars used for the distance calculation and their corresponding binned data (averaged in every 10 pc ). The two images in the middle of right panels are optical image and NIR image showing the object of interest and their surrounding stars. See the caption of Fig. 4.7 for more information.


Figure 4.9: The distance of G126.714-0.822. Top panels show the optical image (on the left) and NIR image (on the right) of the region that contain our object of interest. Middle panels and bottom panels show the corner plot of the MCMC samples (on the left), and the stars used for the distance inference with their corresponding binned data (grey and red points on the right), which are obtained from $A_{G}$ and $A_{V}$, respectively. See the caption of Fig. 4.7 for more information.

G014.4886+0.0219B


Figure 4.10: The distance of G014.4886+0.0219B. Top panels show the optical image (on the left) and NIR image (on the right) of the region that contains our object of interest. Middle panels and bottom panels show the corner plot of the MCMC samples (on the left), and the stars used for the distance inference with their corresponding binned data (grey and red points on the right), which are obtained from $A_{G}$ and $A_{V}$, respectively. See the caption of Fig. 4.7 for more information.

G065.3169-2.7141


Figure 4.11: The distance of G065.3169-2.7141. Top left panel and bottom left panel show the corner plot of the MCMC samples obtained from $A_{G}$ and $A_{G}$, respectively. In the right panels, the grey points and red points in the top and bottom show the stars used for the distance calculation and their corresponding binned data (averaged in every 10 pc ). The two images in the middle of right panels are optical image and NIR image showing the object of interest and their surrounding stars. See the caption of Fig. 4.7 for more information.

G034.4035+00.2282A


Figure 4.12: The distance of G034.4035+00.2282A. Top panels show the optical image (on the left) and NIR image (on the right) of the region that contains our object of interest. Bottom left panel shows the corner plot of the MCMC samples, while bottom right panel depicts the stars used for the distance inference (grey points) with their corresponding binned data (red points). See the caption of Fig. 4.7 for more details.

Table 4.4: RMS distances results.

| $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ | $(6)$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Name | l | b | Distance <br> $(\mathrm{kpc})$ | Distance using $A_{G}$ <br> $(\mathrm{kpc})$ | Distance using $A_{V}$ <br> $(\mathrm{kpc})$ |
| G010.384+02.213 | 10.3844 | 02.2128 | 1.1 | $1.50_{-0.07}^{+0.3} \pm 0.07$ | $1.58_{-0.05}^{+0.06} \pm 0.08$ |
| G108.929+02.595 | 108.9288 | 02.5954 | 0.7 | $0.73_{-0.06}^{+0.03} \pm 0.03$ | $0.87_{-0.06}^{+0.05} \pm 0.04$ |
| G126.714-00.822 | 126.714 | -00.822 | 0.7 | $1.10_{-0.04}^{+0.03} \pm 0.05$ | $0.93_{-0.02}^{+0.02} \pm 0.04$ |
| G014.4886+00.0219B | 14.4886 | 0.0219 | 2.5 | $2.02_{-0.11}^{+0.12} \pm 0.10$ | $1.78_{-0.13}^{+0.08} \pm 0.09$ |
| G065.3169-02.7141 | 65.3169 | -02.7141 | 1.2 | $1.23_{-0.05}^{+0.04} \pm 0.06$ | $0.99_{-0.03}^{+0.03} \pm 0.05$ |
| G034.4035+00.2282A | 34.4035 | 0.228 | 1.6 | - | $1.11_{-0.03}^{+0.02} \pm 0.05$ |

Note: The distances of YSOs selected from the RMS survey. The distance calculated with both $A_{G}$ and $A_{V}$ are shown in (5) and (6) respectively. The first error term in the distance estimates is the statistical uncertainty while the second error term is the $5 \%$ systematic uncertainty.
deal with. In this part, provide distances to its sub-regions including DR 20, DR21, DR22, DR23, and W75N. This helps to know whether those sub-regions are located at the same distance or not.

Recent work such as Beerer et al. (2010) has proved the high number of YSOs in the Cygnus X region. In their work, they identified 670 Class I, 7,249 Class II, 112 transition disk, and 200 embedded protostellar sources.

The Cygnux X sub-regions we used are shown in Fig. 4.13. We failed to measure the distance towards DR23 using the $A_{V}$ model due to the complex distribution of $A_{V}$ extinction. The distances obtained for the other sub-regions are summarised in Table 4.5.

### 4.2.3 Distances to additional sources

We also derived distances to G5.89-0.39, G35.20-0.74, and G59.7+0.1. Those are a well-studied high mass star forming region, and also have distances measurement in the literature. For example, Motogi et al. (2011) derived distance $1.28_{-0.08}^{+0.09} \mathrm{kpc}$ to G5.89-0.39 with the use of VERA (VLBI Exploration of Radio Astrometry), Zhang et al. (2009) found a distance of $2.19_{-0.20}^{+0.24} \mathrm{kpc}$ to G35.20-0.74, and Xu


Figure 4.13: Infrared image of the extremely active star-forming region Cygnus X. The distance of the marked areas in the figure are calculated in this work. Credit: ESA.

DR 22



Figure 4.14: The distance of DR22. Top panels display, from left to right, a far-infrared (FIR) image (Herschel, Marton et al. (2015)), an optical image (SDSS 2, York et al. (2000)), and a near-infrared (NIR) image (Skrutskie et al. (2006)) of the source of interest. Middle and bottom left panel display the corner plot of the MCMC samples obtained from $A_{G}$ and $A_{V}$, respectively. The corner plots show the obtained distance D , the inferred extinction of Off-cloud stars $\mu_{1}$ with its error $\sigma_{1}$, and the extinction for $O n$-cloud stars $\mu_{2}$ with its error $\sigma_{2}$ with the two models. The $16^{t h}, 50^{t h}$, and the $86^{t h}$ are shown by the dashed vertical lines, respectively. The grey points in the middle and bottom right panel are the selected stars we used for the distance measurements. The the red points show their corresponding binned data (averaged in every 10 pc ), while derived distances and the uncertainty are indicated by the green vertical line.


Figure 4.15: The distance of W75N. See the caption of Fig. 4.14 for more details.

DR 21











Figure 4.16: The distance of DR21. See the caption of Fig. 4.14 for more details.


Figure 4.17: The distance of DR20. See the caption of Fig. 4.14 for more details.

DR 23


Figure 4.18: The distance of DR23. See the caption of Fig. 4.14 for more details.

Table 4.5: Distances to the sub-regions of Cygnus X. The statistical uncertainty and the $5 \%$ systematic uncertainty in the distances are shown.

| Name | l | b | Distance using $A_{G}$ <br> $(\mathrm{kpc})$ | Distance using $A_{V}$ <br> $(\mathrm{kpc})$ |
| :---: | :---: | :---: | :---: | :---: |
| DR 22 | 80.903 | -0.117 | $1.26_{-0.02}^{+0.03} \pm 0.06$ | $1.60_{-0.03}^{+0.03} \pm 0.08$ |
| W 75N | 81.867 | +0.779 | $1.02_{-0.04}^{+0.07} \pm 0.05$ | $1.73_{-0.05}^{+0.06} \pm 0.08$ |
| DR 21 | 81.680 | +0.537 | $1.19_{-0.03}^{+0.03} \pm 0.06$ | $1.72_{-0.03}^{+0.03} \pm 0.08$ |
| DR 20 | 80.872 | +0.411 | $1.21_{-0.02}^{+0.3} \pm 0.06$ | $1.59_{-0.02}^{+0.02} \pm 0.08$ |
| DR 23 | 81.543 | +0.016 | $1.12_{-0.05}^{+0.04} \pm 0.06$ | - |

et al. (2007) derived a distance of $2.20 \pm 0.11 \mathrm{kpc}$ to G59.7+0.1 using VLBA maser parallax.

By using our extinction models, the observed distances for G5.89-0.39 are $1.27_{-0.08}^{+0.05} \pm 0.06 \mathrm{kpc}$ with $A_{G}$ and $1.25_{-0.07}^{+0.06} \pm 0.06 \mathrm{kpc}$ with $A_{V}$ (see Fig. 4.19). For G35.20-0.74, we inferred $1.30_{-0.09}^{+0.08} \pm 0.06 \mathrm{kpc}$ with $A_{V}$ (see Fig. 4.20), but we failed to derived $A_{G}$ distance due to the lack of data. For G59.7+0.1, we obtained $2.24_{-0.18}^{+0.10} \pm 0.1 \mathrm{kpc}$ and $2.78_{-0.09}^{+0.12} \pm 0.1 \mathrm{kpc}$ with $A_{G}$ and $A_{V}$, respectively (see Fig. 4.21).

G5.89-0.39




Figure 4.19: The distance of G5.89-0.39. Top panels display, from left to right, a far-infrared (FIR) image (Herschel, Marton et al. (2015)), an optical image (SDSS 2, York et al. (2000)), and a near-infrared (NIR) image (Skrutskie et al. (2006)) of the source of interest. Middle and bottom left panel display the corner plot of the MCMC samples obtained from $A_{G}$ and $A_{V}$, respectively. The corner plots show the obtained distance D , the inferred extinction of Off-cloud stars $\mu_{1}$ with its error $\sigma_{1}$, and the extinction for On-cloud stars $\mu_{2}$ with its error $\sigma_{2}$ with the two models. The $16^{t h}, 50^{t h}$, and the $86^{t h}$ are shown by the dashed vertical lines, respectively. The grey points in the middle and bottom right panel are the selected stars we used for the distance measurements. The the red points show their corresponding binned data (averaged in every 10 pc ), while derived distances and the uncertainty are indicated by the green vertical line.


Figure 4.20: The distance of G35.20-0.74. See the caption of Fig. 4.19 for additional information.

G59.7+0.1


Figure 4.21: The distance of G59.7+0.1. See the caption of Fig. 4.19 for additional information.

### 4.3 Discussion

### 4.3.1 Comparison with RMS disances

We first compare our results to the RMS distances listed in Table 4.3. The distance to our selected RMS target are derived from kinematic method and VLBI maser parallax. Our estimated distances from the two models agree well with the literature distance of G108.929+02.595 and G065.3169-02.7141, showing only a $\sim 0.1 \mathrm{kpc}$ difference in the distance. For the other targets G010.384+02.213, G126.714-00.822, G014.4886+00.0219B, G034.4035+00.2282A, we observed difference of $\sim 0.5 \mathrm{pc}$ in the distance. The RMS distance are not accompanied with their uncertainty, but if we consider the typical 0.7 kpc error for kinematic distances, our findings are consistent with the literature.

### 4.3.2 Comparison to kinematic distances

In this section, we compare our results from Sect. 4.2.3 to their literature distances. Foster et al. (2012) derived kinematic distances to those high-mass star forming regions using two different rotational curves (Clemens (1985) and Reid et al. (2009)). As can be seen in Table 4.6, kinematic distances are systematically greater than our distance measurements. Our distances are about $\sim 1 \mathrm{kpc}$ Table 4.6: Comparison with the maser parallax distances from the literature.

| Name | Distance using $A_{G}$ | Distance using $A_{V}$ | Kinematic distance (kpc) |  |
| :---: | :---: | :---: | :---: | :---: |
|  | $(\mathrm{kpc})$ | $(\mathrm{kpc})$ | Clemens (1985) | Reid et al. (2009) |
| G5.89-0.39 | $1.27_{-0.08}^{+0.05} \pm 0.06$ | $1.25_{-0.07}^{+0.06} \pm 0.06$ | $2.0_{-0.7}^{+0.7}$ | $1.9_{-0.7}^{+0.6}$ |
| G35.20-0.74 | - | $1.30_{-0.09}^{+0.08} \pm 0.06$ | $2.3_{-0.2}^{+0.2}$ | $2.4_{-0.2}^{+0.2}$ |
| G59.7+0.1 | $2.24_{-0.18}^{+0.10} \pm 0.1$ | $2.78_{-0.09}^{+0.12} \pm 0.1$ | $3.3_{-0.5}^{+1.0}$ | $4.2_{-1.0}^{+1.0}$ |

lower than those kinematic distances. A possible reason for our lower distance is that those are complex dark clouds that contain high-massive star formation rate (Hampton et al., 2016; Xu et al., 2007), where extinction is higher. Thus

Table 4.7: Maser used in this work.

| $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ | $(6)$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Name | l | b | Distance $[\mathrm{kpc}]$ | Reference | Type |
| G5.89-0.39 | 5.8842 | -0.3924 | $1.28_{-0.08}^{+0.09}$ | Motogi et al. $(2011)$ | $22 \mathrm{GHz} H_{2} \mathrm{O}$ |
| G35.20-0.74 | 35.1970 | -0.7431 | $2.19_{-0.20}^{+0.24}$ | Zhang et al. $(2009)$ | 12 GHz methanol |
| G59.7+0.1 | 59.7828 | 0.0647 | $2.16_{-0.09}^{+0.10}$ | Xu et al. $(2009)$ | 12 GHz methanol |
| W 75N | 81.867 | +0.779 | $1.3_{-0.07}^{+0.7}$ | Rygl et al. $(2012)$ | 12 GHz methanol |
| DR 21 | 81.680 | +0.537 | $1.50_{-0.07}^{+0.08}$ | Rygl et al. $(2012)$ | 12 GHz methanol |
| DR 20 | 80.872 | +0.411 | $1.46_{-0.09}^{+0.10}$ | Rygl et al. $(2012)$ | 12 GHz methanol |

Note: Maser selected from the literature. The name, Galactic coordinates (l, b), and the distances are displayed in (1), (2), (3) and (4) respectively. The references and the maser type are shown in (5) and (6), respectively.

Gaia suffers from the extinction and is not able to detect many stars in the cloud boundaries. Consequently, few stars are available and only lower distance can be produced in the same line of sight towards the dark cloud. Another possible reason is that the line of sight towards those cloud might contain several extinction breakpoint, and hence our models naturally infer the distance of the first jump as there are many datapoints in there.

### 4.3.3 Comparison with the VLBI maser parallax distances

Some of the sources we study in this thesis have maser parallax distances from the literature. They are listed in Table 4.7 with the literature reference and the maser type. As indicated by Reid \& Honma (2014), the VLBI can measure parallaxes for sources across the Milky Way with $\sim 10$ pas accuracy, which is a very accurate measurement. If we suppose that those maser parallax distances are the true distances for those regions, our results display a systematic error of $1-20 \%$ except G5.89-0.39, which shows a large $40 \%$ systematic error with $A_{V}$.

Table 4.8: Comparison of the VLBI maser parallax distance measurement from the literature with the results obtained from this work.

| Name | Maser Parallax <br> $(\mathrm{kpc})$ | Distance using $A_{G}$ <br> $(\mathrm{kpc})$ | Distance using $A_{V}$ <br> $(\mathrm{kpc})$ |
| :--- | :---: | :---: | :---: |
| G5.89-0.39 | $1.28_{-0.08}^{+0.09}$ | $1.27_{-0.08}^{+0.05} \pm 0.06$ | $1.25_{-0.07}^{+0.06} \pm 0.06$ |
| G35.20-0.74 | $2.19_{-0.20}^{+0.24}$ | - | $1.30_{-0.09}^{+0.08} \pm 0.06$ |
| G59.7+0.1 | $2.16_{-0.09}^{+0.10}$ | $2.24_{-0.18}^{+0.10} \pm 0.1$ | $2.78_{-0.09}^{+0.12} \pm 0.1$ |
| W 75N | $1.3_{-0.07}^{+0.7}$ | $1.02_{-0.04}^{+0.07} \pm 0.05$ | $1.73_{-0.05}^{+0.06} \pm 0.08$ |
| DR 21 | $1.50_{-0.07}^{+0.08}$ | $1.19_{-0.03}^{+0.03} \pm 0.06$ | $1.72_{-0.03}^{+0.03} \pm 0.08$ |
| DR 20 | $1.46_{-0.09}^{+0.10}$ | $1.21_{-0.02}^{+0.3} \pm 0.06$ | $1.59_{-0.02}^{+0.02} \pm 0.08$ |

### 4.3.4 Comparison to extinction distance

Here, we compare our results with the extinction distances of Foster et al. (2012). They performed two methods of extinction distances in 11 dark clouds that contain maser parallax measurement. The two extinction methods that they used are the Blue Number Count Extinction (BNCE) method and the Red Giant Extinction (RGE) method. Basically, the idea of their blue count extinction method is to count the blue number of stars within the region of interest and compare those number of blue stars to the Galactic model (Robin et al., 2003) to estimate the distance. For the red giant method, they calculated the visual extinction $A_{V}$ of giant stars along the same line of sight as the cloud, and compared the extinction to a Galactic model (Marshall et al., 2006) to derive the distances. The extinction distances and our results are highlighted in Table 4.9.

Foster et al. (2012) used 2MASS and UKIDSS, which are deep infrared imaging surveys. They can observe stars that are heavily embedded in a dark cloud, and therefore they can rich larger distance. Here, their extinction distance are very large compared to our $A_{G}$ and $A_{V}$ distance. For G5.89-0.39, the extinction distances from the blue number count and the red giant are almost three times larger than our $A_{G}$ and $A_{V}$ distances, and it is two times larger for G35.200.74.

Table 4.9: Comparison with the extinction distances from Foster et al. (2012).

| Name | Distance using $A_{G}$ | using $A_{V}$ | BNCE (kpc) |  | RGE (kpc) |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(\mathrm{kpc})$ | $(\mathrm{kpc})$ | 2MASS | UKIDSS | 2MASS | UKIDSS |
| G5.89-0.39 | $1.27_{-0.08}^{+0.05} \pm 0.06$ | $1.25_{-0.07}^{+0.06} \pm 0.06$ | $\ldots$ | $4.5_{-0.8}^{+0.6}$ | $3.9_{-1.1}^{+1.4}$ | $3.7_{-0.4}^{+0.3}$ |
| G35.200.74 | - | $1.30_{-0.09}^{+0.08} \pm 0.06$ | $2.4_{-0.7}^{+0.8}$ | $2.7_{-0.3}^{+0.3}$ | $2.4_{-0.2}^{+0.3}$ | $2.6_{-0.2}^{+0.7}$ |
| G59.7+0.1 | $2.24_{-0.18}^{+0.10} \pm 0.1$ | $2.78_{-0.09}^{+0.12} \pm 0.1$ | $\ldots$ | $4.2_{-1.2}^{+0.9}$ | $2.5_{-0.2}^{+0.2}$ | $\ldots$ |

For G59.7+0.1, however, our $A_{V}$ distance agree with the 2MASS red giant extinction distance (only $10 \%$ systematic error).

### 4.3.5 Limitation of the method

As in Sect. 4.1, we used a simple dust screen model of the extinction along the line of sight. We modelled the extinction along the line of sight and infer the distance to one target according to a sudden jump in the extinction. Thus, the method rely on the distribution of star in the line of sight. With our method, we managed to derive reliable distances to several regions which agree with the literature. Unfortunately, however, certain regions have complicated dust distribution which violates our model assumption as Gaia cannot measure enough stars needed for our Bayesian method. Therefore, we are not able to report distance measurements to other sources with our $A_{G}$ and $A_{V}$ model. An example of a failure model we observed is shown in Fig. 4.22. As can be seen in the figure, there is no clear extinction breakpoint in the figure presented in the top left panel and bottom right panel. For the two other target, the number of on-cloud stars are not enough to produce the Bayesian inference.


Figure 4.22: Examples of failure in our method. Top panels and bottom left panel represent the distance estimate towards G23.01-0.41, G21.4859+0.5260, and G35.20-0.74 using $A_{G}$ model. Bottom right panel shows the distance of G23.01-0.41 using $A_{V}$ model. The failed distance estimates is due to the weak distribution of off-cloud and on-cloud stars. There is no clear jump in the extinction along the line of sight, and the model failed to provide distance measurement of the target under study. For G35.20-0.74, we observed distance of the small component located in foreground of the target of interest.

## Chapter 5

## Conclusions and Future Work

The purpose of this thesis has been to derive distances to embedded stars using the second release of Gaia data (Gaia DR2). To do this, we started by drawing a box region centred on our object of interest and classified the stars along the line of sight into two categories: i) Off-cloud stars, which are stars located around the molecular cloud and have low extinction ii) On-cloud stars are stars that can be observed in the boundaries of the densest part of the molecular cloud and have higher extinction. Secondly, we built a Bayesian model of the $A_{G}$ extinction and $A_{V}$ extinction towards the region of interest to detect the jump point in the extinction from Off-cloud stars to On-cloud stars. As those extinction measurements have their corresponding distances, the distance to our region of interest is subsequently deduced by the Markov chain Monte Carlo (MCMC) technique with respect to the breakpoint in the extinction. The Bayesian model that we used in this work is fully described in Chapter 3.

Chapter 4 has presented and discussed our findings on the distances to different regions. We targeted Young Stellar Objects (YSOs) from the Leeds RMS survey, an additional three sources from the literature, and the sub-structures of Cygnus X. Overall, our distance measurements are consistent with the literature. If we suppose the maser parallax is the true distance, our distances show a small systematic uncertainty of less than $5 \%$ for objects that are associated with a molecular cloud with an average extinction (e.g . G108.929+02.59
and G065.3169-02.714). However, for a target associated with a complex dark cloud such as G5.89-0.39 and G59.7+0.1, the systematic uncertainty raised about $\sim 20 \%$.

The results of this work suggest that the distance to an object associated with a dark cloud cannot be well reported with our method as Gaia stars are only sensitive to moderate-sized extinction. Consequently, our measurements with both the $A_{G}$ and $A_{V}$ model are lower compared to the extinction distances of Foster et al. (2012). Our models only determined the nearby distances along the line of sight either there is a presence of multiple clouds or several distances depending on the structure of the cloud. However, the use of $A_{V}$ and set of distances provided by Anders et al. (2019) improved the distances to all regions selected. Compared to the kinematic distances of Foster et al. (2012), our distances are much lower. This large discrepancy may be the result of the presence of multiple clouds along the line of sight.

Another significant result of this thesis is the finding of the similarity between the distances to the components of Cygnus X. We found that DR20, DR21, DR22, DR23, and W 75 N are all located at $\sim 1.0 \mathrm{kpc}$ according to $A_{G}$ model and $\sim 1.6$ kpc according to the $A_{V}$ model. This is an excellent agreement with the maser parallax distances given by Rygl et al. (2012), who found an average individual distance of 1.4 kpc to the Cygnus X .

Interestingly, with the $A_{V}$ extinction for only stars brighter than $\mathrm{G}=18 \mathrm{mag}$ provided by Anders et al. (2019) that we used, we managed to detect reliable distances to several regions we arbitrary chose. The results using a similar methodology as we used in this work will absolutely bring more knowledge when more parallax data is available in the future. The case when our extinction model fails to infer distances towards a region with complex extinction distribution is also discussed in Sect. 4.3.5.

### 5.1 Future Work

As illustrated by previous studies such as Zucker et al. (2018) and Yan et al. (2019b), a precise classification of stars is essential for molecular cloud distance calculation. They used velocity slices of a $C O$ spectral cube to trace the presence of the molecular cloud, and they classify the stars along the line of sight according to the CO emission. Although we have shown reliable distance measurements with our method (described in Chapter 4), it would be useful in the future to use $C O$ velocity slices or a similar method before proceeding to the distance inference. This has to be taken into account for the study of large regions as it removes a large number of unnecessarily background stars.

As seen in Sect. 4, distances to certain regions cannot be reported with our models due to the insufficiency of Gaia stars within the region. In the future, as Gaia future data release is expected to provide many stars within those regions, suggest that combining Gaia DR3 astrometry with an ultra-deep infrared survey such as the UKIRT Infrared Deep Sky Survey (UKIDSS) will improve distance measurements to embedded stars. A similar work as which are done by Foster et al. (2012) using real astrometric data from the Gaia DR3 rather than using the Galactic model to derive the distances is also recommended.

Besides, we have seen in this study that only a few other approaches can be used to derive distances to embedded objects. Since they do not have visible data, it is impossible to carry out a single distance measurement to those sources. It is known that the kinematic method suffers from its large errors and the kinematic distance ambiguity (KDA) (Rice et al., 2016), while the extinction distance methods are dependent on the Galactic model. In addition, we have introduced that the maser parallax distances is very accurate but cannot be applied to gauge distances to embedded objects in a region that lack maser. This accuracy on the parallax will be improved with the upcoming of the large project Square Kilometre Array (SKA) and can pin down distance measurements to a substantial
part of the galactic plane including the central parts of the Milky Way. In the future, we recommend the use of maser parallax information to derive distances to complex dark clouds. The SKA is an international collaboration planned for full operation in 2030. When completed, it will be 50 times more sensitive than any current system and can measure astrometry with an accuracy better than $\pm$ 1 mas (Reid \& Honma, 2014).

## Appendix A

## Appendix

## A. 1 Examples of ADQL query used in this work

ADQL query for GAIA stars

```
SELECT TOP 10000 dist.source_id, g.ra, g.dec, dist.r_est,
dist.r_len,g.parallax, g.parallax_error,g.a_g_val,
g.a_g_percentile_lower, g.a_g_percentile_upper, rw.ruwe
FROM external.gaiadr2_geometric_distance as dist,
gaiadr2.gaia_source AS g, gaiadr2.ruwe AS rw
WHERE dist.source_id = g.source_id
AND g.source_id = tbest.source_id
AND g.source_id = rw.source_id
AND g.parallax IS NOT NULL
AND 1./g.parallax <3
AND 33.4035 < g.l AND g.l < 35.4035
AND -0.772 < g.b AND g.b < 1.228
AND g.a_g_val > 0
AND rw.ruwe < 1.4
```

ADQL query for STARHORSE stars

SELECT TOP 10000 g.ra, g.dec, s.dist16, s.dist50, s.dist84, s.AV16, s.AV50, s.AV84, s.AG50

FROM gdr2.gaia_source AS g, gdr2_contrib.starhorse AS s WHERE g.source_id = s.source_id

```
AND 33.4035 < g.l AND g.l < 35.4035
AND -0.772 < g.b AND g.b < 1.228
AND s.AV50 > 0
AND s.dist50 > 0 AND s.dist50 < 3 AND s.ruwe < 1.4
```


## A. 2 Corner plot of the Orion A obtained in Sect.

 4.1

Figure A.1: Corner plot of the four boxes of Orion A using the $A_{G}$ model.


Figure A.2: Corner plot of the four boxes of Orion A using the $A_{V}$ model.


Figure A.3: Corner plot of the resulting cutoff applied to the box (c) of Orion A using the $A_{G}$ model.


Figure A.4: Same figure as Fig. A. 3 but using the $A_{V}$ model.


Figure A.5: Corner plot of the box (b) sub-regions of Orion A with $A_{G}$.


Figure A.6: Corner plot of the box (c) sub-regions of Orion A with $A_{G}$.

## A. 3 Summary of distances obtained from this work



Figure A.7: Distance to the box (c) sub-regions of Orion A using $A_{V}$ model.


Figure A.8: Corner plot of the box (c) sub-regions of Orion A with $A_{V}$.


Figure A.9: Distance to the box (b) sub-regions of Orion A using $A_{V}$ model.


Figure A.10: Corner plot of the box (d) sub-regions of Orion A with $A_{V}$.

Table A.1: All distances obtained from this work.

| $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ |
| :---: | :---: | :---: | :---: | :---: |
| Source | l | b | Distances with $A_{G}$ <br> $(\mathrm{kpc})$ | Distances with $A_{V}$ <br>  <br> G010.384+2.213 |
| G108.929+02.595 | 10.3844 | 2.2128 | $1.50_{-0.07}^{+0.3} \pm 0.07$ | $1.58_{-0.05}^{+0.06} \pm 0.08$ |
| G126.714-00.822 | 126.714 | -00.822 | $1.10_{-0.04}^{+0.03} \pm 0.05$ | $0.93_{-0.02}^{+0.02} \pm 0.04$ |
| G014.4886+00.0219B | 14.4886 | 0.0219 | $2.02_{-0.11}^{+0.12} \pm 0.10$ | $1.78_{-0.13}^{+0.08} \pm 0.09$ |
| G065.3169-02.7141 | 65.3169 | -02.7141 | $1.23_{-0.05}^{+0.04} \pm 0.06$ | $0.99_{-0.03}^{+0.03} \pm 0.05$ |
| G034.4035+00.2282A | 34.4035 | 0.228 | $0.48_{-0.01}^{+0.02} \pm 0.02$ | $0.83_{-0.01}^{+0.01} \pm 0.04$ |
| G5.89-0.39 | 5.8842 | -0.3924 | $1.27_{-0.08}^{+0.05} \pm 0.06$ | $1.25_{-0.07}^{+0.06} \pm 0.06$ |
| G35.20-0.74 | 35.1970 | -0.7431 | - | $1.30_{-0.09}^{+0.08} \pm 0.06$ |
| G59.7+0.1 | 59.7828 | 0.0647 | $2.24_{-0.18}^{+0.10} \pm 0.1$ | $2.78_{-0.09}^{+0.12} \pm 0.1$ |
| W 75N | 81.867 | +0.779 | $1.02_{-0.04}^{+0.07} \pm 0.05$ | $1.73_{-0.05}^{+0.06} \pm 0.08$ |
| DR 21 | 81.680 | +0.537 | $1.19_{-0.03}^{+0.03} \pm 0.06$ | $1.72_{-0.03}^{+0.03} \pm 0.08$ |
| DR 20 | 80.872 | +0.411 | $1.21_{-0.02}^{+0.3} \pm 0.06$ | $1.59_{-0.02}^{+0.02} \pm 0.08$ |
| DR 22 | 80.904 | -0.117 | $1.26_{-0.02}^{+0.03} \pm 0.06$ | $1.60_{-0.03}^{+0.03} \pm 0.08$ |
| DR 23 | 81.543 | +0.016 | $1.12_{-0.05}^{+0.04} \pm 0.06$ | - |

Note: (1), (2), and (3) represent the source name and the Galactic coordinates (l,b), respectively. The distances D obtained from the two models $A_{G}$ and $A_{V}$ are given in (4) and (5), respectively. Our distances contain the two categories of uncertainties: the statistical uncertainty as 16 th and 84 th percentiles (in the first term error), and the $5 \%$ systematic uncertainty (shown in the second term error).

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[^0]:    Note: Distances to the Orion A using $A_{G}$ extinction. In (1) we list the region used for the test in Fig. 4.1. In (2) and (3) we list the Galactic coordinates range corresponding to each box. In (4) and (5) we list the distance cutoff and the extinction cutoff applied to each box. In (6) and (7) we list the number of stars used and the distances obtained from the $A_{G}$ model. In (8), (9), (10), and (11) we list the inferred foreground extinction with its error, and background extinction with its error, respectively.

