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Affine Bibliography 1998

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This bibliography on Affine Differential Geometry (ADG) continues the bibliography which appeared as appendix of 14 survey reports in “Recent Developments in Affine Differential Geometry” by H. Liu, M. Magid, C. Scharlach, and U. Simon (eds.) pp. 1–15 and pp. 393–408 in

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