International Journal of Computer Science and Informatics

Volume 3 | Issue 2

Article 13

October 2013

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Recommended Citation

DAS, ASIM and SATHYA, S. SIVA (2013) "ASSOCIATION RULE MINING FOR KDD INTRUSION DETECTION DATA SET," *International Journal of Computer Science and Informatics*: Vol. 3 : Iss. 2 , Article 13. DOI: 10.47893/IJCSI.2013.1133 Available at: https://www.interscience.in/ijcsi/vol3/iss2/13

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ASSOCIATION RULE MINING FOR KDD INTRUSION DETECTION DATA SET

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Abstract - Network intrusion detection includes a set of malicious actions that compromise the integrity, confidentiality and availability of information resources. Several techniques for mining rules from KDD intrusion detection dataset [10] enables to identify attacks in the network. But little research has been done to determine the association patterns that exist between the attributes in the dataset. This paper focuses on the association rule mining in KDD intrusion dataset. Since the dataset constitutes different kinds of data like binary, discrete & continuous data, same technique cannot be applied to determine the association patterns. Hence, this paper uses varying techniques for each type of data. The proposed method is used to generate attack rules that will detect the attacks in network audit data using anomaly detection. Rules are formed depending upon various attack types. For binary data, Apriori approach is used to eliminate the non-frequent item set from the rules and for discrete and continuous value the proposed techniques are used. The paper concludes with experimental results.

Keywords - KDD CUP 99, intrusion detection system, Apriori approach, association rules mining.

I. INTRODUCTION

KDD [10] dataset covers four major categories of attacks: Denial of Service (DOS), user-to-root (U2R), remote-to-local (R2L) and probing attack. KDD dataset is divided into labeled and unlabeled records. Each labeled record consisted of 41 attributes and one target value. Association rule mining is generally used to find the interesting rules from a large database depending upon the user defined support and confidence. In market basket analysis it finds relationship among the items present in the transactional database. A frequent item set is defined as one that occurs more frequently in the given data set than the user given support value. One more threshold confidence is used to restrict the association rules to a limited number. Confidence also includes the item sets having low support but from which high confidence rules may be generated. However the market basket analysis always works with binary values which means if item is present then the value is 1, otherwise value is 0(zero). But in reality or in KDD intrusion dataset, all the values may not be in binary. The dataset includes binary data, discrete and continuous data. Hence a generic technique will not work on all these data. So Association rule mining has to consider the type of data also. In general Association rule mining could be explained as follows:

Let I= { i_1 , i_2 , i_3 , ..., i_n } be a set of items and T be a set of transactions. Each transactions is a set of items such that I_i subset of I. An item set X is a set of items { i_1 , i_2 ,..., i_k }($1 \le k \le n$) such that X subset of I. An item set containing k number of items is called kitem set. An association rules is an implication of the form, A=>B, where A subset of I, B subset of I & A \cap B=Ø. The rules A=>B holds in T with support s if s% of the transactions in T contain both A and B. Similarly the rule A=>B holds in T with confidence c if c% of the transactions in T support A also support B. To discover association rules from T having support and confidence greater than min_support and min_confidence.

Support, S (A=>B) =
$$\frac{\varphi(AUB)}{\varphi(N)}$$

Confidence C (A=>B) = $\frac{\varphi(AUB)}{\varphi(A)}$

It was felt that identifying association patterns in KDD intrusion data set will help to design better Intrusion Detection System (IDS). Since the dataset is very large comprising of variety of data ranging from binary, discrete and continuous, these different association rule mining have been proposed in this paper. The rest of the paper is organized as follows: Section -2 describes the background and related work, Section-3 describes proposed association rule mining algorithm, Section-4 describes experimental result, Section-5 contains the conclusion followed by the reference section.

II. BACKGROUND AND RELATED WORK

M.Sulaiman khan, Maybin Muyeba and Frans Coenen[1] described weighted association rule mining from fuzzy data in their paper. Then some other proposed association rule mining for weighted value not necessarily binary value. The value should be continuous or discrete value to be presented in the database. In 2009 Flora S. Tsai [9] described network intrusion detection system using association rule mining in his paper. This helped to generated interesting rules from the KDD data set. The intrusion detection system contains various types of attacks. The KDD dataset contains variety of data starting from binary, discrete and continuous data. So, it is very difficult to generate rules for a particular attack using same approach. To find the association rules from the KDD dataset, different approaches should be applied for different kind of dataset as follows.

2.1. Association Rule Mining for Binary Value

For binary weighted value it is easy to find out the frequent item set. Apriori algorithm generates the frequent item set from a large number of data set. In association rules mining weights are considered as the highest priority. Apriori algorithm can be imagined as two steps. Firstly it generates candidate sets. Secondly, it prunes the entire non-frequent item set after each step using the minimum support and the weight of the item from the data base. Pruning process can eliminate many item sets which are not frequent.

2.2. Association Rule Mining for Continuous Value

If a particular attribute takes a value in the range [0...1] it is considered to be a continuous attribute in the Tanagra tool. This could be taken as Fuzzy data and hence fuzzy weighted Association rule mining as described in [5] could be used here. The weight of fuzzy data can be defined as Fuzzy Item Weight (FIW). Now Fuzzy Item set Transaction Weight (FITW) is the aggregate weights of all the fuzzy sets associated with the items in the item set present in a single transaction. From this FITW support and Confidence value can be calculated as per [5].

2.3. Association Rule Mining for Discrete value

If the range of values that an attribute in the data set can take is very large then normalization of the data becomes very difficult. The traditional approach to deal with this type of data in association analysis is to convert each value into a set of binary values. The discrete attributes are normalized i.e. we find a set of thresholds that can be used to convert the attributes into a categorical variable. This kind of normalization affects the accuracy of the rule generation technique which may lead to higher misclassification rate.

III. PROPOSED ASSOCIATION RULE MINING ALGORITHM FOR KDD IDS

3.1. Binary value

To find the association rules from binary data set already many algorithm have been proposed. For KDD data set Apriori algorithm is used to calculate the support and confidence value for various attributes. Apriori algorithm find the frequent item set from the database depending upon user define support and confidence. Here the rules can be generated for strong support and confidence value of the attributes. The item set having less support and confidence are automatically pruned. By this approach the number of generated rules can be restricted.

3.2. Continuous value

A continuous dataset D consists of transaction $T = \{t_1, t_2, \dots, t_n\}$ associated with each item in $I = \{i_1, i_2, i_3, \dots, i_n\}$, which can contain the attributes weighted fuzzy value as $L = \{l_1, l_2, ..., l_n\}$. Here we can assign weight for each attributes which are associated with i. Each attribute $t_i[i_i]$ is associated with several fuzzy set. The value of the attributes are between [0, 1] as fuzzy set. The "k th " weighted set for the "jth" item in the "ith" fuzzy transaction is given by $t_i[i_i[l_k[w]]]$ as mentioned in [1].

Weighted Support(X) = $\sum_{i=1}^{n} \prod_{k=1}^{|L|} \left(\forall \left[i [lw] \right] \in X \right) t i \left[i j [lk [w] \right] \right]$

Fuzzy Weighted Confidence is the ratio of sum both satisfying XUY to the sum of X. Here Z can be defined as Z=XUY.

Weighted Confidence(X = >Y)=

 $\prod_{k=1}^{|Z|} (\forall [z [w]] \in Z) ti [z k [w]]$ $\prod_{k=1}^{|\mathcal{X}|} (\forall [i \, \mathrm{[wl]}] \in \mathcal{X}) ti [\mathcal{X} k \, \mathrm{[wl]}]$

3.3. Discrete value

As the value of the attributes falls in a wider range, it is very difficult to find the support value of such data without any fixed range. Unlike the traditional normalization method that is applied to the data set, in this approach, first the sum of the values for a particular attribute is calculated. Then the individual value is divided by the aggregate value. The newly calculated value is always between the range [0, 1]. For one item set the methodology is same as the traditional one, but when we consider multiple item sets at a time, the minimum of the calculated value is taken as the support value. Now we can generalize it for any number of discrete values, where in the attributes should be paired to get the support and confidence value. This is explained as follows:

Let I= $\{i_1, i_2, \dots, i_n\}$ be set of item sets in a transaction data base with transaction sets T = $\{t_1, t_2, \dots, t_n\}$. Each transaction contains the weighted value as W= $\{w_1, w_2, w_3, \ldots, w_n\}$. Now support can be calculated as, Support(X)= $\frac{T[wj]}{\sum_{j=1}^{|N|} T[wj]}$

For calculating support of more than two attributes the minimum value from the two item sets can be considered. The average should be taken from the minimum value to get the desired support. In table 1 it describes the item sets with the discrete values. In table 2 the calculated support value for each item set is shown. The support value for item A and item B, taken at a time, can be calculated by selecting minimum value from each row of the table. The set will contain the value as

 $T_{min} = \{Min(0.08, 0.12), Min(0.08, 0.16), Min(0.12, 0.12), \}$ Min(0.16,0.16), Min(0.14,0.12), Min(0.08,0.06), Min(0 .14,0.16, Min(0.12,0.07)

 $= \{0.08, 0.08, 0.12, 0.16, 0.12, 0.06, 0.14, 0.07\}$ Support= 0.83/8=0.10

| Table1: discrete data set to find the support. | | | | | |
|--|----|----|----|----|----|
| TID | А | В | С | D | Е |
| t1 | 12 | 33 | 34 | 18 | 78 |
| t2 | 12 | 45 | 54 | 32 | 99 |
| t3 | 18 | 34 | 32 | 23 | 32 |
| t4 | 25 | 45 | 55 | 11 | 22 |
| t5 | 21 | 33 | 56 | 27 | 90 |
| t6 | 12 | 18 | 54 | 29 | 99 |
| t7 | 21 | 45 | 32 | 34 | 97 |
| t8 | 18 | 21 | 11 | 23 | 22 |
| Table2: calculated support for each item set. | | | | | |

| TID | A | В | С | D | Е |
|-----|------|------|------|------|------|
| t1 | 0.08 | 0.12 | 0.10 | 0.09 | 0.14 |
| t2 | 0.08 | 0.16 | 0.16 | 0.16 | 0.18 |
| t3 | 0.12 | 0.12 | 0.09 | 0.11 | 0.05 |
| t4 | 0.16 | 0.16 | 0.16 | 0.05 | 0.04 |
| t5 | 0.14 | 0.12 | 0.17 | 0.13 | 0.17 |
| t6 | 0.08 | 0.06 | 0.16 | 0.14 | 0.18 |
| t7 | 0.14 | 0.16 | 0.09 | 0.17 | 0.17 |
| t8 | 0.12 | 0.07 | 0.03 | 0.11 | 0.04 |

3.4. Rule Generation Algorithm

After finding the frequent item set, support and confidence vale, rules have to be generated for each attack types. The following algorithm is general for any kind of data set. Here F contains the largest frequent item set. Min_supp defines the user define support and Min_conf defines the user defines confidence. RULE contains the desired rules generated from data set. The algorithm is as follows:

Algorithm:

- 1. Take the largest frequent item set F with Min_Supp and Min_Conf value.
- 2. Generate all possible subsets of F and store it in SUB.
- 3. Count SUPP and CONF value for each elements of SUB.
- 4. If (SUPP>=Min_Supp && CONF>=Min_Conf) then
 - a. Choose the particular elements of SUB and store in RULE
 - b. Generate various rules and store in RULE.
- 5. Else reject the particular element of SUB and go to step 3.
- 6. Return RULE.
- 7. End.

IV. EXPERIMENTAL RESULT

The rules are generated using the proposed approach and are showed in the table3. The result shows sample rules for a particular attack .The attributes with high confidence and support values are considered to generate the rules. The attributes having very low support and confidence value are rejected automatically.

| • | | |
|-------------------|--------------------|-------------------|
| Table3: Generated | rules with support | rt and confidence |

| Attack Type | Attributes Selected | Rules | | |
|----------------------|------------------------|---|--|--|
| | | | | |
| 1. Neptune | 29,30,34,35, | 29=>30 | | |
| Attack | 38,39 | support=0.004 | | |
| | | confidence=0.065 | | |
| | | 29,30=>34 | | |
| | | support=0.0002 | | |
| | | confidence=0.054 | | |
| | | 29=>30,34 | | |
| | | support=0.0002 | | |
| | | confidence=0.0030 | | |
| | | 34=>29,30 | | |
| | | support=0.0002 | | |
| | | confidence=0.0047 | | |
| | | 30=>29,34 | | |
| | | support=0.0002 | | |
| | | confidence=0.05 | | |
| | | 29,34=>30 | | |
| | | support=0.0002 | | |
| | | confidence=0.038 | | |
| | | 29,34=>30,35 | | |
| | | support=0.000016 | | |
| | | confidence=0.0030 | | |
| | | 30 => 34 | | |
| | | support=0.003 | | |
| | | confidence= 0.0714 | | |
| | | 30,34=>29 | | |
| | | support=0.0002 | | |
| 2 Amagha2 | 25 26 27 28 | confidence=0.66 | | |
| 2. Apache2 Attack | 25,26,27,28, 40,41 | 25=>26 support=0.28 | | |
| Attack | 40,41 | confidence= 0.903 | | |
| | | 25=>27 support=0.03 confidence=0.096 | | |
| | | 25=>28 support=0.03 | | |
| | | confidence=0.096 | | |
| | | 26=>28 support=0.03 | | |
| | | confidence=0.044 | | |
| | | 26=>40 | | |
| | | support=0.157 | | |
| | | confidence=0.234 | | |
| | | 25,26,27 | | |
| | | support=0.01 | | |
| | | confidence=0.032 | | |
| | | 25,26=>27,28 | | |
| | | support=0.00464 | | |
| | | confidence=0.0165 | | |
| | | confluence_0.0105 | | |

International Journal of Computer Science and Informatics ISSN (PRINT): 2231 – 5292, Volume-3, Issue-2

| Attributes Selected | Rules | | Attack Type | Attributes Selected | Rules |
|------------------------|---|---|--|---|---|
| 34,35,38,39, 40,41 | 34=>35 support=0.005 confidence=0.005 34=>38 | - | | | 35=>34,36 support=4.25E ⁻⁵ confidence=0.77 |
| | 34=>36 support=0.00156 confidence=0.00157 34=>39 support=0.00156 confidence=0.00157 35=>39 support=0.0015 confidence=0.2727 35=>34 support=0.005 confidence=0.9090 38=>34 support=0.00156 confidence=0.99 | | 6. Ware master Attack | 34,35,37 | 34=>35 support=0.0238 confidence=0.033 35,37=>34 support=0.00178 confidence=0.0679 34,35=>37 support=0.000178 confidence=0.074 35=>37 support=0.00262 confidence=0.029 37=>34 support=0.0624 |
| | 39=>34 support=0.00156 confidence=0.99 | | 7. Process table | 34,35,38,39, 40,41 | confidence=0.088 34=>35 support=0.062 |
| 34,35,40 | 34=>35 support=0.0399confi dence=0.042 34=>40 support=0.038 confidence=0.040 35=>40 support=0.0048 confidence=0.106 35=>34 support=0.039 confidence=0.088 34,35=>40 support=0.00236 confidence=0.052 40=>34,35 support=0.00236 confidence=0.052 40=>34,35 support=0.00236 confidence=0.042 34,40=>35 | | Attack | | confidence=0.11 34=>38 support=0.2090 confidence=0.37 34=>39 support=0.259 confidence=0.46 35=>39 support=0.084 confidence=0.49 35=>40 support=0.0802 confidence=0.42 |
| 34,35,36 | support= 0.00236 confidence= 0.062 34=>36 support= 0.999 confidence= 0.999 36=>34 support= 0.999 confidence= 0.999 34=>35 support= $4.66E^{-5}$ confidence= 0.00046 35=>36 | In this paper a generalized approach for mining the weighted association rules from KDD intrusion detection dataset with binary and fuzzy attributes has been proposed. Different techniques to count the support and confidence value from the dataset have been used. A number of association rules have been derived for each type of attack. The approach used here is effective to analyze the database containing discrete and continuous attributes with weighted settings. Here the poor rules having less support and confidence value have also been removed. The | | | |
| | Selected 34,35,38,39, 40,41 34,35,40 | Selected $34,35,38,39,$ $34=>35$ support=0.005 confidence=0.005 $34=>38$ support=0.00156 confidence=0.00157 $34=>39$ support=0.00156 confidence=0.00157 $35=>39$ support=0.0015 confidence=0.2727 $35=>34$ support=0.005 confidence=0.9900 $38=>34$ support=0.00156 confidence=0.99 $39=>34$ support=0.00156 confidence=0.99 $39=>34$ support=0.00156 confidence=0.99 $39=>34$ support=0.00156 confidence=0.99 $39=>34$ support=0.00156 confidence=0.99 $35=>34$ support=0.039 confidence=0.042 $34=>40$ support=0.038 confidence=0.040 $35=>40$ support=0.0048 confidence=0.040 $35=>34$ support=0.00236 confidence=0.059 $35=>34,40$ support=0.00236 confidence=0.052 $40=>34,35$ support=0.00236 confidence=0.062 $34,35,36$ $34=>36$ support=0.099 $36=>34$ support=0.999 confidence=0.999 $36=>34$ support=0.999 confidence=0.999 $36=>34$ support=0.999 confidence=0.999 $36=>34$ support=0.999 confidence=0.999 $36=>34$ support=0.999 confidence=0.999 $36=>34$ support=0.999 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Process table Attack$34,35,36$$34=>36$ support=0.00236 confidence=0.099 ofi-conce0.027$7.$ Process table Attack$34,35,36$$34=>36$ support=0.00236 confidence=0.099 ofi-conce0.027$7.$ P</br></td> | Selected Type $34,35,38,39,$ $34=>35$ $40,41$ support=0.005 $34=>38$ support=0.00156 confidence=0.00157 $34=>39$ support=0.00156 confidence=0.00157 $35=>39$ support=0.0015 confidence=0.00157 $35=>34$ support=0.00156 confidence=0.999 $38=>34$ support=0.00156 confidence=0.99 $39=>34$ support=0.00156 confidence=0.99 $34,35,40$ $34=>35$ support=0.0038 confidence=0.99 $34,35,40$ $34=>35$ support=0.0038 confidence=0.040 $35=>34$ support=0.0036 confidence=0.042 $34=>34$ support=0.0038 confidence=0.052 40 support=0.00236 confidence=0.052 $40=>34,35$ support=0.00236 confidence=0.062 $34,35,36$ $34=>35$ support=0.00236 confidence=0.099 $36=>34$ support=0.00236 confidence=0.099 3 | SelectedTypeSelected $34,35,38,39,$ $40,41$ $34=>35$ support=0.0015 $34=>38$ |

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VI. ACKNOWLEDGEMENT

This work is a part of the AICTE funded project titled "Bio-inspired Intrusion Response System through feature relevance Analysis on Attack Classification^D, Under the Research Promotion Scheme (RPS), Ref. No: 8023/BOR/RID/RPS-59/2009-10.

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