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Two-component regulation: modelling, predicting \& identifying protein-protein interactions \& assessing signalling networks of bacteria
by

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Thesis

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## Declarations

The author declares that, to the best of his knowledge, the data contained within this thesis is original and his own work under the supervision of Dr. David E. Whitworth and Dr. Bärbel Finkenstädt.

The material in this thesis is submitted for the degree of PhD to the University of Warwick only and has not been submitted to any other university. All sources of information have been specifically acknowledged in the form of references.

As noted in the main text where appropriate, several papers and a book chapter have been published based on this work:

- Cock, P. J. A. and Whitworth, D. E. (2007). Evolution of gene overlaps: relative reading frame bias in prokaryotic two-component system genes. Journal Of Molecular Evolution, 64(4), 457-462.
- Cock, P. J. A. and Whitworth, D. E. (2007). Evolution of prokaryotic two-component system signalling pathways: gene fusions and fissions. Molecular Biology and Evolution, 24(11), 2355-2357.
- Whitworth, D. E. and Cock, P. J. A. (2008). Myxobacterial two-component systems. In Myxobacteria: Multicellularity and Differentiation, chapter 10. Ed. D.E. Whitworth, ASM Press, Washington DC.
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## Abstract

Two-component signalling systems (TCSs) are found in most prokaryotic genomes. They typically comprise of two proteins, a histidine (or sensor) kinase (HK) and an associated response regulator (RR), containing transmitter and receiver domains respectively, which interact to achieve transfer of a phosphoryl group from a histidine residue (of the transmitter domain in the HK) to an aspartate residue (of the partner RR's receiver domain).

An automated analysis pipeline using the NCBI's RPS-BLAST tool was developed to identify and classify all TCS genes from completed prokaryotic genomes using the PFAM and CDD protein domain databases.

A large proportion of TCS genes were found to be simple hybrid kinases (HYs) containing both a transmitter domain and a receiver domain within a single protein, presumably the result of the fusion or combination of separate HK and RR genes. This propensity to consolidate functionality into a single protein was found to be limited in the presence of either a transmembrane sensory/input domain or a DNA binding domain - two spatially separated functions.

While HK and RR genes are usually found together in the genome, in some species a large proportion of TCS domains are found as part of complex hybrid kinases (genes containing multiple TCS domains), in isolated or orphaned genes, or in complex gene clusters. In such organisms the lack of paired HK and RR genes makes it difficult to define genome-encoded signalling networks.

Identifying paired transmitter and receiver domains from a pan-genomic survey of prokaryotes gives a database of amino acid sequences for thousands of interacting proteinprotein complexes. Covariation between columns of multiple sequence alignments (MSAs) identifies particular pairs of residues representing interactions within the docked complex. Using numerical scores, these amino acids pairs were successfully used as explanatory variables in a generalised linear model (GLM) to predict the probabilities of interaction between transmitter and receiver domains.

## Abbreviations

AIC Akaike Information Criterion
bp base pair(s)
CP Chemical potential
GLM Generalised linear model
H Hpt domain (see Table 2.1)
HATPase Histidine adenosine-triphosphatase domain
HisKA Histidine Kinase A (phosphoacceptor) domain
HK Histidine (or sensor) kinase (a TCS gene/protein)
Hpt Histidine-containing phosphotransfer domain
HW Hopp-Woods (hydrophilicity)
HY Hybrid kinase (a TCS gene/protein)
K HisKA domain (see Table 2.1)
KD Kyte-Doolittle (hydrophilicity)
MI Mutual information
MSA Multiple sequence alignment
$\mathrm{T}_{\mathrm{i}}$ Class I transmitter domain
$\mathrm{T}_{\mathrm{ii}}$ Class II transmitter domain
TCS Two component signalling (systems)
TM Transmembrane
R Receiver domain (see Table 2.1)
ROC Receiver operator characteristic (curve or plot)
RR Response regulator (a TCS gene/protein)
Y2H Yeast two-hybrid (assay)
Species abbreviations:

- Escherichia coli abbreviated to E. coli
- Myxococcus xanthus abbreviated to M. xanthus


## Chapter 1

## Introducing two component signalling

### 1.1 Brief outline

This thesis focuses on the prediction of protein-protein interactions within or between twocomponent signalling (TCS) systems. TCS systems and their multistage variant, the phosphorelay, comprise the majority of prokaryotic signal pathways (Stock et al. 2000; Robinson et al., 2000; Hoch, 2000), and they regulate a wide variety of cellular process including motility, heat-shock responses, sporulation, antibiotic production and virulence (Hoch and Silhavy, 1995, Atkinson and Ninfa, 1999). TCS are also found in yeast (Maeda et al. 1994) and plants (Mizuno, 2005), but not in animals (Thomason and Kay, 2000), which makes them a possible target of anti-microbial compounds.

A typical TCS system comprises two proteins, a histidine (or sensor) kinase (HK) and an associated response regulator (RR). Upon detecting its input signal, the HK will activate its partner RR by a protein-protein interaction which transfers a phosphoryl group. The phosphorylated RR will then elicit a response. Using two proteins in this way allows a spatial separation of the input signal's detection and the triggered response, typically linking an external environmental cue to gene regulation.

Most organisms employing TCS systems will have multiple HK and RR pairs, which could potentially interact with each other. Such signal cross-talk may be undesirable, and can be controlled by a combination of TCS interaction specificity (the focus of this study), phosphatase activity by the RR's true partner HK (Laub and Goulian, 2007), and spatial and temporal segregation of the proteins. Knowing the full TCS network for an organism will explain how the various HK input domains are connected to the RR output domains, and thus is important for understanding its adaptive behaviour.

Some HK and RR pairings can be inferred from their genome organisation, by iden-
tifying neighbouring genes in an operon. However, in some species such as Nostoc sp. and Myxococcus xanthus, a large proportion of TCS genes are complex hybrid kinases (HYs), isolated or orphaned genes, or in complex gene clusters (Whitworth and Cock, 2008a b). In such organisms, the lack of simple paired HK and RR genes makes it difficult to define genomeencoded signalling networks. Thus, being able to predict TCS domain partnerships from genome sequences would be especially useful. This is the main aim of this thesis.

### 1.2 Transmitters and receivers

A typical TCS comprises two proteins, an HK and associated RR. Both types of protein are modular, with discrete domains of defined function.

HKs contain an N-terminal input domain with a C-terminal transmitter domain (Parkinson and Kofoid, 1992). Upon receiving a stimulus through its input domain, the transmitter domain hydrolyses ATP into ADP (using a histidine kinase-type ATPase (HATPase) domain within the transmitter) and auto-phosphorylates at a conserved histidine residue. Transmitter domains form dimers, and are believed to phosphorylate in trans (i.e. a protein phosphorylates its dimer partner, see Cai et al. (2003) and the references therein). Bilwes et al. (1999) classified two types of transmitter. In Class I (or orthodox) transmitter domains, the phosphoaccepting histidine residue is in a HisKA motif (histidine kinase), which is also the site of the HK dimerisation. Class II (or unorthodox) transmitter domains are usually associated with motility ${ }^{1}$. Instead of using a HisKA motif, the phospho-accepting histidine is part of an Hpt motif (histidine-containing phosphotransfer) which is generally followed by a separate dimerisation domain. These transmitter domains are illustrated within Figures 1.1 and 1.2 , respectively, and for brevity will be written as $\mathrm{T}_{\mathrm{i}}$ and $\mathrm{T}_{\mathrm{ii}}$.

Transmitters are generally thought to form homodimers, and the HATPase of one monomer will phosphorylate the HisKA domain of the other monomer. Brencic et al. (2004) have demonstrated this trans-phosphorylation within the $T_{i}$ dimer using VirA from Agrobacterium tumefaciens, part of a complex system discussed in Section 1.4.10. Current models of the Rcs system from Escherichia coli suggest that some transmitters could form heterodimers (see Section 1.4.7), but this has yet to be confirmed.

RRs also typically comprise two functionally separate domains, an N-terminal receiver domain and a C-terminal output domain. Upon docking with a phosphorylated HK, the phosphoryl group is transferred from the transmitter histidine residue onto a conserved aspartate residue within the receiver domain ( $\mathrm{His} \rightarrow \mathrm{Asp}$ ). Phosphorylation of the receiver domain causes

[^0]

Figure 1.1: Simple two gene His $\rightarrow$ Asp TCS system consisting of an HK on the left containing a Class I (orthodox) transmitter ( $\mathrm{T}_{\mathrm{i}}$, made up of a HisKA, in blue, and HATPase, in green), and $R R$ on the right containing a receiver domain (in red). The blocks represent the linear domain structure of each protein, although not to scale, with the N -terminus on the left. The dimerisation of the HK is not shown. Dotted arrows show information flow, solid arrows show the phosphotransfer. When the HATPase domain uses ATP to phosphorylate the histidine residue, ADP is released, which is not shown.


Figure 1.2: Simple two gene His $\rightarrow$ Asp TCS system consisting of an HK on the left containing a Class II (unorthodox) transmitter ( $\mathrm{T}_{\mathrm{ii}}$, made up of Hpt, in blue, dimerisation region, in grey, and HATPase, in green), and RR on the right containing a receiver domain (in red). The dimerisation of the HK is not shown. cf. Figure 1.1
a conformational change (Lewis et al., 1999), which results in an altered activity of the output domain, thus giving an output response to the initial stimulus. This output domain is frequently DNA-binding, controlling gene expression levels. In many RRs there is no separate output domain, and the protein is presumed to have a direct action based on a further interaction of the receiver domain, or to be part of a phosphorelay (discussed in the following section).

Figures 1.1 and 1.2 show typical HK and RR pairs (with Class I and Class II transmitters respectively), illustrating the normal domain arrangement within each gene. The dotted arrows show the flow of information, with solid arrows showing the phosphotransfer.

HK and RR genes do not necessarily interact in isolation, there is often additional regulation - for example from phosphatases which are enzymes that remove phosphate groups. In fact, many HK genes have a phosphatase activity from the HisKA domain (Zhu et al., 2000), and can dephosphorylate their partner RR. This suggests retro-phosphorylation Asp $\rightarrow$ His from the $R \mathrm{R}$ receiver to the HK transmitter may be possible. The use of an Asp $\rightarrow$ His transfer is well established as the basis of the TCS phosphorelay systems discussed next.

### 1.3 TCS system architectures

The TCS transmitter (and its constituents) and receiver domains are modular, and are frequently found in different combinations. For example, in addition to the conventional two-gene TCS systems illustrated in Figures 1.1 and 1.2, there are numerous examples of hybrid kinases (HYs) containing both a transmitter and receiver, combining the functionality of the HK and RR into a single protein. This is illustrated in Figure 1.3, and specific examples are discussed later in this chapter. Interestingly, most eukaryotic TCS genes are hybrid kinases (Koretke et al. 2000). Far more elaborate combinations of domains within a single gene have also been found and are believed to have evolved several times independently (Zhang and Shi, 2005).

The example TCS systems shown thus far (Figures $1.1,1.2$ and 1.3) all have a single phosphotransfer, His $\rightarrow$ Asp, from a transmitter to receiver. In some organisms, an Asp $\rightarrow$ His transfer from receiver to Hpt domain has been co-opted to extend the TCS system into a phosphorelay His $\rightarrow \mathrm{Asp} \rightarrow \mathrm{His} \rightarrow \mathrm{Asp}($ Appleby et al., 1996). Figure 1.4 shows several possible His $\rightarrow$ Asp $\rightarrow$ His $\rightarrow$ Asp relays using the same basic domains. Note that in all known cases the Asp $\rightarrow$ His transfer is from a receiver to an Hpt domain (and not a HisKA domain).

The most numerous examples of phosphorelays in the literature use two separate proteins, a tripartite HY containing a Class I transmitter, receiver and Hpt domain, and a normal $R R$, denoted $T_{i}-R-H+R$. Some theoretical work suggests these tripartite $H Y$ genes are more


Figure 1.3: Simple one gene His $\rightarrow$ Asp TCS system consisting of an HY containing a Class I (orthodox) transmitter ( $T_{i}$, made up of a HisKA, in blue, and HATPase, in green), and receiver domain (in red). Colour scheme as in Figure 1.1, where the same domains appear in two separate genes.
sensitive to their input signal, and robust to noise (Kim and Cho, 2006), which may explain their relative abundance. These, and the handful of known examples of phosphorelays with three or more genes, are discussed in the next section.

Hereafter TCS proteins will often be written in a shorthand notation. Any TCS domains within a gene are listed in the N to C-terminal order, separated with dashes. Thus for example, $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ denotes a simple hybrid kinase $(\mathrm{HY})$ with a Class I transmitter $\left(\mathrm{T}_{\mathrm{i}}\right) \mathrm{N}$-terminal to receiver domain ( R ), while $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ denotes a HY with the domain order reversed. Plus signs are used to indicate separate genes, for example $T_{i}+R$ for a simple $H K$ and $R R$ pair, or $T_{i}-R-H+R$ for a tripartite HY and RR .

### 1.4 Exemplar systems

In this section a range of TCS systems from the literature are described, focusing on the canonical examples and known complex systems which illustrate particular properties of interest. Some proteins from these systems have solved 3D-structures, which are discussed in Section 1.5

### 1.4.1 EnvZ/OmpR osmoregulation in Escherichia coli

Escherichia coli survives in both fresh water and in the gut of animals where solute concentrations (osmolarity) are much higher, and does this by adjusting the type of pores in its outer membrane (Csonka and Hanson, 1991). This osmoregulation system is controlled by the

$\mathrm{T}_{\mathrm{i}}-\mathbf{R}-\mathrm{H}+\mathrm{R}$
Two gene relay
e.g. $\mathrm{ArcB} / \mathrm{A}$ in
E. coli

$\mathbf{T}_{\mathrm{i}}-\mathbf{R}+\mathbf{H}+\mathbf{R}$
Three gene relay
e.g. $\mathrm{RcsC} / \mathrm{D} / \mathrm{B}$
in E. coli, and
Sln1/Ypd1/Ssk1

in Saccharomyces cerevisiae.
$\mathrm{T}_{\mathrm{i}}+\mathrm{R}+\mathrm{H}-\mathrm{R}$ Three gene relay

RcaE/F/C relay in the cyanobacteria Fremyella diplosiphon is similar.


Figure 1.4: Example TCS phosphorelay systems, His $\rightarrow$ Asp $\rightarrow$ His $\rightarrow$ Asp, with one, two, three or four genes. The example systems mentioned are discussed in Section 1.4. Other variations are possible, such as the three gene relay $T_{i}+\mathrm{R}-\mathrm{H}+\mathrm{R}$, but have not been reported in the literature. (cf. Appleby et al. (1996), Figure 3).

EnvZ/OmpR TCS system. This is a 'classical' TCS system with the flow of information from one HK to one RR (Figure 1.1), where the two proteins are encoded as neighbouring genes in an operon (Perraud et al., 1999).

The HK EnvZ senses levels of osmolarity and phosphorylates its partner RR OmpR (i.e. His $\rightarrow$ Asp transfer), which is a transcription factor for the ompF and ompC genes which code for major outer membrane proteins (Mizuno et al. 1988). OmpC is produced at high osmolarity, while OmpF is produced at low osmolarity (Dutta et al., 2000). EnvZ also possesses phosphatase activity and can dephosphorylate phosphorylated OmpR (Aiba et al., 1989, Zhu et al. 2000).

EnvZ/OmpR is an archetypal TCS system, a simple HK and RR encoded in an operon as neighbouring genes. Furthermore, it is also typical in that it combines an N -terminal transmembrane input domain in the HK with a C-terminal DNA-binding output domain in the RR (see Chapter 4).

### 1.4.2 Nar regulatory TCS system of $E$. coli

The Nar system in E. coli regulates nitrate and nitrite metabolism, and is an example of a small TCS network (Rabin and Stewart, 1992, 1993). Encoded by neighbouring genes, NarX and NarL are an ordinary pair of HK and RR proteins. However, two further locations in the genome encode another HK, NarQ, and another RR, NarP. The TCS domains of these genes are more similar to each other than other TCS genes in E. coli, which helped in their identification. Both NarX and NarQ have transmembrane input domains, and will phosphorylate both NarL and NarP, which both have DNA-binding output domains (Figure 1.5). However, the interactions between these proteins are not fully symmetric, and they are also regulated differently (Darwin and Stewart, 1995).

This system illustrates that an HK and RR encoded in a single operon (such as NarX and NarL) may not be exclusive partners forming an isolated system, and furthermore that orphan TCS genes (such as NarQ or NarP) may interact with paired genes.

### 1.4.3 Chemotaxis in E. coli

Chemotaxis is directed movement in response to chemical stimuli, such as nutrient levels (see Adler (1975) for an early review). E. coli's directed random walk is one of the best studied bacterial chemotaxis systems. E. coli cells have multiple flagella which, when rotated anticlockwise, twist together forming a single rotating bundle, causing the bacteria to swim in a straight line. However, when rotated clockwise the bundle separates and each flagella points


Figure 1.5: The E. coli Nar TCS network, discussed in Section 1.4.2 is the best studied example of cross-talk between two HKs and two RRs.

## MCPs \& CheW



Figure 1.6: The E. coli chemotaxis TCS network, with one HK phosphorylating two RRs, discussed in Section 1.4.3. RR CheY is unusual in having no separate output domain.
in a random direction - resulting in an undirected tumbling at the mercy of diffusion and local currents (Macnab and Koshland, 1974). When tumbling the cell is randomly reorientated. Hence switching between anti-clockwise and clockwise rotation and back again gives a random change in direction, essentially a three dimensional random walk (Larsen et al., 1974).

The mechanism E. coli uses to direct its random walk is very simple. If, while swimming, the levels of the attractant are increasing (or levels of a repellent are decreasing), then the cell should keep swimming. If conditions are getting worse, it should stop swimming and tumble in order to randomly select a new direction. To achieve this, the regulatory system can switch the rotation of the flagella (see RR CheY below), and detect if the attractant/repellent levels are increasing or decreasing. This "memory" works by adjusting the sensitivity of the ligand sensors, known as methyl-accepting chemotaxis proteins (MCPs), by modifying their level of methylation (Springer et al., 1977, Goy et al., 1977) (see RR CheB below).

The E. coli chemotaxis TCS system has one HK, CheA, and two RRs, CheY and CheB (Figure 1.6). CheA contains what Bilwes et al. (1999) called a Class II transmitter ( $\mathrm{T}_{\mathrm{ii}}$ ), where the histidine phosphorylation site is within an Hpt domain rather than a HisKA domain (Figure 1.2). Unusually for an HK, the "input" domain of CheA is C-terminal. This region forms a complex with the CheW protein and the transmembrane MCPs, allowing CheA to indirectly receive extracellular signals.

Once stimulated, CheA self-phosphorylates its Hpt domain, which can then phosphorylate both the RRs CheB and CheY (Bourret and Stock, 2000; Wadhams and Armitage, 2004) (Figure 1.6). The second domain in HK CheY, denoted P2, has been shown to be unnecessary for this transfer, but by binding to CheB and CheY it increases the rate of phosphotransfer (Jahreis et al., 2004).

The cheA gene is unusual in having two distinct in-frame initiation sites, where the second possible start codon gives rise to a shorter protein CheAS (Smith and Parkinson, 1980). This short form CheAS lacks the N-terminal Hpt domain found in the full length CheA (or CheAL) described above, and therefore cannot be phosphorylated itself. While CheAS has been shown to be non-essential for chemotaxis (Sanatinia et al. 1995), it can however phosphorylate the Hpt domain of CheA (Wolfe and Stewart, 1993, Wolfe et al., 1994).

CheY has only a receiver domain and interacts directly with the flagellar proteins to control its direction of spin, achieving chemotaxis (Lowry et al., 1994; Djordjevic et al., 1998). This is probably the best understood RR without a separate output domain. CheB on the other hand has an output domain, a methylesterase controlling the methylation state of the MCPs, adjusting the sensitivity of the chemo-receptors (Stock and Koshland, 1978, Hayashi
et al., 1979, Yonekawa et al., 1983).
The E. coli chemotaxis TCS system serves not only as an example of a simple one-to-many or divergent network, but also includes the exemplar $\mathrm{T}_{\mathrm{ii}}$ containing HK , CheA , and output domain less RR, CheB.

### 1.4.4 Chemotaxis in Rhodobacter sphaeroides

The $E$. coli chemotaxis system, with its very simple set of TCS genes discussed above, appears to be a minimal system when compared to other bacteria - for one thing there is only a single type of flagellum which is regulated by a simple binary switch (the tumble/swim mechanism giving directed Brownian motion). Some bacteria have two flagellar systems, a polar flagellum for swimming and lateral flagella for swarming. Indeed, recent work suggests that some strains of $E$. coli have acquired a second flagellar system by horizontal gene transfer (Ren et al. 2005). For recent reviews see Szurmant and Ordal (2004) and Wadhams and Armitage (2004) Given some bacteria have multiple motor systems, and may live in far less homogeneous environments than a mammalian gut, it is not surprising that the TCS networks controlling their movements can be much more complicated, for example Sinorhizobium meliloti (Schmitt 2002), Helicobacter pylori (Jiménez-Pearson et al. 2005) and Myxococcus xanthus (Li et al. 2005).

Rhodobacter sphaeroides is a purple photosynthetic bacterium found in freshwater and marine environments. It has two different flagellar systems, a single subpolar flagellum (fla1) and multiple polar flagella (fla2) (Poggio et al. 2007). In other species, dual flagellar systems allow motility in different environments (swimming and swarming) (McCarter, 2004), whereas here both systems appear to be used for swimming.

There are multiple homologues of the E. coli chemotaxis genes in Rhodobacter sphaeroides, and while many of these proteins have been shown to be involved in chemotaxis, it is possible that others are not. For example, in the related Rhodospirillum centenum which also has numerous che-homologues, Berleman and Bauer (2005) showed some controlled flagellar biosynthesis rather than chemotaxis.

Rhodobacter sphaeroides has three HKs homologous to E. coli CheA (CheA1, CheA2, and the special case of CheA3/CheA4), four CheW's, six RRs homologous to CheY (CheY1 through CheY6), two RRs homologous to CheB (CheB1 and CheB2), plus a more unusual protein dubbed CheBRA. Most of these genes are found in three loci. Focusing on the TCS and CheW genes only cheOp1 contains cheY5, cheY1, cheA1, cheW1 and cheY2; cheOp2 contains cheY3, cheA2, cheW2, cheW3 and cheB1; cheOp3 contains cheA4, cheB2, cheW4,


Fla1 Motility

## CheA3



Figure 1.7: The Rhodobacter sphaeroides chemotaxis TCS system. Colour scheme as in other figures, but with dashed horizontal blue lines separating proteins from different operons (not spatial segregation). For figure clarity, none of the potential in vitro inter-operon phosphotransfers from Porter and Armitage (2004) Figure 6 are shown here (except CheA2 to CheY4, as CheA2 appears to be CheY4's only phospho-donor). cf. Figure 1.6 for E. coli.
cheY6 and cheA3 (Porter et al., 2002); with cheY4 encoded on the small mcpG locus (Shah et al., 2000). Note that the protein numbers do not correspond to the operon numbers (see Porter et al. (2002) Figure 1 for further details on the operon structure). These proteins are illustrated in Figure 1.7.

An additional small locus encodes locus tag RSP_2229, a gene dubbed cheBRA, as it resembles a CheB-CheW-CheA fusion (Mackenzie et al., 2001, Porter et al., 2002). However, while there are good matches to CheB and CheW proteins, the C-terminal region does not resemble a CheA $\mathrm{T}_{\mathrm{ii}}$ domain, but rather a HisKA domain without an HATPase - suggesting this is a novel phosphotransfer protein. Immediately downstream of this, locus tag RSP_2230 encodes a RR which could be a seventh CheY homologue. To date, neither protein has been characterised in the literature, and any role they may have in chemotaxis remains to be explored.

One of the most interesting aspects of the Rhodobacter sphaeroides TCS systems is proteins CheA3 and CheA4 (both encoded in cheOp3). These are essential for chemotaxis, and contain between them all five domains expected in CheA (as illustrated in Figure 1.6) (Porter et al. 2002). These two proteins appear to function together as an HK where the HATPase of CheA4 phosphorylates the Hpt domain of CheA3 (Porter and Armitage, 2004), somewhat similar to the Rcs system in E. coli (Section 1.4.7). There are also even striking similarities to the trans-phosphorylation between the short and long forms of $E$. coli CheA described in Section 1.4.3.

Thus far, CheA1 appears to be non-essential for chemotaxis (Porter et al., 2006). On the other hand, CheA2 is essential for aerotaxis, phototaxis, and chemotaxis (Martin et al., 2001), and as noted above, CheA3/CheA4 is also essential for chemotaxis. Chemotaxis of the single subpolar flagellum (fla1) is controlled by CheY6 and either CheY3 or CheY4 (Porter et al. 2006), while it was recently shown that the cheOp1 RRs (CheY1, CheY2 and CheY5) control the multiple polar flagellar (fla2) system (del Campo et al., 2007).

In vitro work has shown broad potential cross-talk between the three CheA HKs and the eight CheY or CheB like RRs (Porter and Armitage, 2004). It appears that in vivo there are two spatially separated chemotaxis systems controlling the polar flagellum (fla1). The cheOp2 encoded proteins including CheA2, CheW2 and cheW3 are targeted to the cell poles, while cheOp3 proteins CheA3/CheA4 and CheW4 are targeted to a cytoplasmic cluster, with RRs CheB1 and CheB2 throughout the cytoplasm (Martin et al., 2003; Wadhams et al., 2003). The RRs CheY3, CheY4 and CheY6 all appear relatively mobile but somewhat surprisingly, all three appear to associate with the cytoplasmic cluster (i.e. near CheA3/A4), but only CheY4
was shown to associate with the polar cluster (i.e. near CheA2) (Porter et al., 2006). It would be interesting to see if these proteins are also segregated from the cheOp1 system controlling fla2, or if the in vitro cross-talk between the systems also occurs in vivo which would suggest CheA2 has a key role as a master transmitter activating both flagellar systems.

Given the results of del Campo et al. (2007) tying the cheOp1 RRs to the fla2 system, it now seems likely that the HK CheA1, which is also encoded on cheOp1, does have a role in chemotaxis after all. On the basis of both the genome arrangement and the in vitro results reported in Porter and Armitage (2004), CheA1 might be expected to drive the fla2 system almost exclusively, and have little interaction with the fla1 system (except perhaps via CheY3).

The chemotaxis TCS genes in Rhodobacter sphaeroides serve as a model system where spatial segregation reduces cross-talk between otherwise compatible transmitters and receivers, which appear to be the result of both gene duplications and horizontal transfer.

### 1.4.5 Hybrid kinase systems in Bacteroides

Bacteroides thetaiotaomicron and Bacteroides fragilis are very unusual in having a number of HY genes (with $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ domains) which have both transmembrane input domains and DNAbinding output domains ( Xu et al., 2004) (discussed in more detail in Chapter 4). These systems presumably function as separate self-contained signalling pathways linking external stimuli to DNA regulatory responses (Figure 1.8).


Figure 1.8: This is an example of a $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ hybrid kinase ( HY ), with a transmembrane input domain and a DNA-binding output domain. This combination is extremely rare, however multiple examples exist in Bacteroides species.

### 1.4.6 Phosphorelays with a tripartite HY and RR

All the examples so far have had single step phosphotransfers His $\rightarrow$ Asp from a transmitter to receiver domain. This section will describe examples of a $\mathrm{His} \rightarrow \mathrm{Asp} \rightarrow \mathrm{His} \rightarrow \mathrm{Asp}$ phosphorelay
using two genes, $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{H}+\mathrm{R}$, a tripartite HY containing a Class I transmitter, receiver and Hpt domain, with a normal RR containing one receiver, as illustrated in Figure 1.4.

Aerobic metabolism in E. coli is regulated by the ArcB/ArcA TCS system. The membrane sensor protein $\operatorname{ArcB}$ is a $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{H}$ tripartite HY (luchi et al., 1990). Its partner ArcA is a cytoplamsic RR with a DNA-binding output domain and receiver domain. These genes are not located on the same operon, but it is now well established that this system is a two gene His $\rightarrow$ Asp $\rightarrow$ His $\rightarrow$ Asp phosphorelay (Tsuzuki et al., 1995; Georgellis et al., 1998, Matsushika and Mizuno, 1998; Kwon et al., 2000).

When ArcB detects anaerobic growth conditions, the $\mathrm{T}_{\mathrm{i}}$ auto-phosphorylates, then phosphorylates the receiver which phosphorylates the Hpt domain. Finally via an inter-protein interaction, the phosphoryl group is transfered from the ArcB Hpt to the ArcA receiver, which then regulates metabolic operons. Conversely, under aerobic conditions ArcB acts as a phosphatase and dephosphorylates ArcA, deactivating it (Kwon et al., 2000; Malpica et al., 2006).

The Hpt domain of ArcB is similar to that of CheA, and some work suggests that the Hpt domain of ArcB can also phosphorylate the receiver domain of CheY (Yaku et al., 1997, Kato et al. 1999), see Section 1.4.3. There is also some evidence that the RR ArcA is also phosphorylated by another HK, CpxA (luchi et al., 1989), suggesting some cross-talk between the $\operatorname{ArcB} / \operatorname{ArcA}$ and $C p x A / C p x B$ TCS systems in E. coli.

In addition to the $E$. coli ArcB/ArcA phosphorelay described above, there are numerous other analogous $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{H}+\mathrm{R}$ phosophorelay systems in the literature, such as the $E$. coli EvgA/EvgS system (Utsumi et al., 1992, 1994, Tanabe et al. 1998), and the BvgS/BvgA relay in Bordetella pertussis which controls virulence and is essential for the colonisation of the respiratory tract (Uhl and Miller, 1994, 1996). Another example is DorS/DorR, found in Rhodobacter sphaeroides encoded on neighbouring genes within chromosome II, but on opposite strands (Mouncey et al., 1997; Mouncey and Kaplan, 1998).

The TosS/TorR system in E. coli (Jourlin et al., 1999) is an interesting case as it appears that the $\mathrm{His} \rightarrow$ Asp $\rightarrow$ His $\rightarrow$ Asp relay can run partly in reverse with HY TorS dephosphorylating RR TorR, an example of retro-phosphorylation (Ansaldi et al. 2001) previously also suggested for $\operatorname{ArcB} /$ ArcA.

Finally, the GacS/GacA system is yet another $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{H}+\mathrm{R}$ relay, found in Gram-negative bacteria, which is reviewed in Heeb and Haas (2001). What signal the HY GacS detects has yet to be determined, however the partner RR GacA controls the production of secondary metabolites and extracellular enzymes involved in pathogenicity to plants and animals, or antifungal activity. Interestingly, in no species were the two genes found in the same operon. GacS
was first found in Pseudomonas syringae with a lesion manifestation giving its original name of LemA (Hrabak and Willis, 1992), while in Erwinia carotovora the genes are known as ExpS (or RpfA) and ExpA. The inter-protein phosphotransfer has been demonstrated in vitro for BarA and UvrY, the Escherichia coli K12 homologues of GacS and GacA (Pernestig et al., 2001).

Note that in $E$. coli alone, there are at least four $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{H}+\mathrm{R}$ two gene $\mathrm{His} \rightarrow \mathrm{Asp} \rightarrow$ His$\rightarrow$ Asp relays, ArcB/ArcA, EvgA/EvgS, TorS/TorR and BarA/UvrY, together making up over $10 \%$ of the TCS genes in this organism. In fact, this sort of TCS phosphorelay appears to be relatively common across the prokaryotes (see Chapter 22).

### 1.4.7 RcsC/RcsD/RcsB phosphorelay in E. coli

The $\mathrm{RcsC} / \mathrm{RcsD} / \mathrm{RcsB}$ system in $E$. coli is a three gene $\mathrm{His} \rightarrow \mathrm{Asp} \rightarrow \mathrm{His} \rightarrow \mathrm{Asp}$ phosphorelay, similar to the $\mathrm{T}_{\mathrm{i}}-\mathrm{R}+\mathrm{H}+\mathrm{R}$ system shown in Figure 1.4 (Takeda et al., 2001; Clarke et al., 2002). While the three genes are all found in the same region of the genome in E. coli K12, rcsC is on the opposite strand (Clarke et al., 2002, Figure 2(A)). Homologous genes have been identified in other bacteria, and the system is believed to be specific to enteric pathogens/commensals (Erickson and Detweiler, 2006).

What is particularly interesting in this system is the second gene, RcsD previously known as YojN, which functions as the Hpt containing phosphotransfer protein in the phosphocascade. It also has a non-functional $\mathrm{T}_{\mathrm{i}}$ domain which is similar to that of RcsC but lacks the conserved histidine residue. Both RcsC and RcsD have transmembrane domains, leading Takeda et al. (2001) to suggest that they form a heterodimer, as illustrated in Figure 1.9 , The figure shows the HATPase domain of RcsD phosphorylating the HisKA domain of RcsC, based on analogy to trans-phosphorylation in normal HK homodimers. It is not yet clear if this is the case, or indeed which input domain(s) trigger the initial phosphorylation. RcsC is understood to phosphorylate the RR RcsB, which then acts with a co-factor RcsA to bind to DNA, targeting regions known as RcsAB boxes (Wehland and Bernhard, 2000).

The Rcs system demonstrates how surprising the TCS systems can be, and shows that even transmitter domains lacking their conversed phosphorylatable histidine residue may still play an active role.

### 1.4.8 Sporulation in Bacillus subtilis

When placed under environmental stress, many bacteria will form resilient spores allowing them to wait for conditions to improve. The timing of this is extremely important, too late and there may not be enough nutritional resources to complete spore formation. On the other


Figure 1.9: The E. coli Rcs TCS relay, discussed in Section 1.4.7. RcsC is presumed to form a dimer with RcsD/YojN, with the HATPase phosphorylating in trans. The colour scheme is as in previous figures, but the HisKA domain in RcsD/YojN lacking its histidine phospholaytion site is shown in grey and marked with an asterisk. Based on Takeda et al. (2001) Figure 8.
hand, sporulating too early does not take full advantage of limited resources, and runs the risk of being out-competed by other cells.

The TCS systems of Bacillus subtilis are reviewed in Fabret et al. (1999). The sporulation (Spo) system of Bacillus subtilis is one of the most studied complex TCS networks of any bacteria (Figure 1.10). There are at least five HK proteins feeding various signals into a master regulator via a phosphorelay (Hoch, 1993, Piggot and Hilbert, 2004, Barák et al., 2005). The master regulator is Spo0A, a typical RR containing an N-terminal receiver domain and a C-terminal DNA-binding domain. Dependent on its phosphorylation state, Spo0A influences over 500 genes directly or indirectly (Molle et al., 2003).

Early work on the Bacillus subtilis Spo system focused on the relatively simple His $\rightarrow$ Asp $\rightarrow$ His $\rightarrow$ Asp phosphorelay from proteins KinA to Spo0F to SpoOB to Spo0A (Burbulys et al., 1991), like that illustrated in Figure 1.4. KinA is a normal HK with a single $\mathrm{T}_{\mathrm{i}}$ domain, and both Spo0F and Spo0A are normal RRs with a single $R$ domain. What is particularly unusual is the histidine containing phosphotransfer protein SpoOB. This forms a dimer giving a four $\alpha$-helix bundle structurally analogous to the HisKA dimer or Hpt domain, but is quite unique at the sequence level (Varughese et al., 1998). The structure of the Spo0B/Spo0F complex was later solved (Zapf et al., 2000), and shows the receiver residues involved are highly conserved between Spo0F and Spo0A suggesting they interact with Spo0B in the same way, consistent with earlier mutagenesis results (Tzeng and Hoch, 1997). See Section 1.5.

It is now established that at least five HK proteins will phosphorylate Spo0F, namely KinA, KinB, KinC, KinD and KinE (Jiang et al., 2000), allowing the Spo system to integrate


Figure 1.10: The Bacillus subtilis sporulation TCS network, with five HKs feeding into a phosphorelay, discussed in Section 1.4.8. The dimerisation of the HKs and SpoOB is not shown. The colour scheme is as in previous figures, with the unique phosphotransfer domain of SpoOB also shown in blue. Additional non-TCS proteins are involved in this pathway but not shown here, for example see Piggot and Hilbert (2004) Figure 2.
multiple input signals (both internal to the cell and external via transmembrane input domains). In the case of KinA, recent work has elucidated the mechanism by which the extra-cellular sensor domain controls the self-phosphoylation of the HisKA domain (Lee et al., 2008)

A broad range of other proteins also intract with the system, for example Sda is known to prevent the self-phosphorylation of KinA in the event of DNA damage or replication defects (Rowland et al., 2004), and Spo0E will de-phosphorylate Spo0A (Ohlsen et al., 1994). For a recent overview of the full sporulation system in Bacillus subtilis see Piggot and Hilbert (2004) Figure 2.

Stephenson and Hoch (2002) looked at the evolution of the Spo TCS system by a comparison of Bacillus subtilis, B. halodurans, B. anthracis and B. stearothermophilus. They found the spo0F, spo 0 B and spo0A genes to be present in all species. Homologues of the kinA-E HK genes could only be identified by their highly conserved transmitter domains, as there were dramatic differences in the input domains of these genes. It is therefore presumed that the different Bacillus species use the same basic TCS network topology, but integrate different input signals according to their own very different ecological niches. It seems likely that the changes of input domains occurred by recombination events.

### 1.4.9 Quorum-sensing in Vibrio harveyi

Bacteria communicate using extracellular signal molecules termed autoinducers in a process called quorum-sensing. The higher the local population level, the higher the levels of these autoinducer signal molecules. In many cases, this communication is within species, for example collective behaviours like sporulation or bioluminescence, although interspecies communication is also possible where multiple species produce and detect the same autoinducers (Schauder and Bassler, 2001; McNab and Lamont, 2003).

A model organism in this area is the bioluminescent marine bacterium Vibrio harveyi, which uses a TCS network to integrate three different quorum-sensing systems (Figure 1.11). In the first system, the HY LuxN detects autoinducer AI-1 (or HAI-1 for harveyi autoinducer one), which is produced by LuxM. In system two, the HY LuxQ together with LuxP detects the autoinducer AI-2, whose precursor is produced by LuxS (Freeman and Bassler, 1999). Finally, the HK CqsS detects the cholerae autoinducer CAI-1, which is produced by CqsA Henke and Bassler, 2004). This third system is called the cholerae quorum-sensing (Cqs) system as it was initially identified in the related species Vibrio cholerae, which has a similar TCS network sharing many of the same genes (Miller et al., 2002).

The three different autoinducers $\mathrm{AI}-1, \mathrm{AI}-2$ and $\mathrm{CAI}-1$ are detected independently using


Figure 1.11: The Vibrio harveyi quorum-sensing TCS network, with three HYs feeding into a phosphorelay. Based on figures in Freeman and Bassler (1999); Henke and Bassler (2004); Timmen et al. (2006). Additional non-TCS proteins are involved in this network but not shown here. c.f. the Vibrio cholerae network shown in Miller et al. (2002) Figure 7.
three different transmembrane $\mathrm{T}_{\mathrm{i}}-\mathrm{RHYs}(\mathrm{LuxN}, \mathrm{LuxQ}$ and CqsS$)$. All three HYs phosphorylate the Hpt containing protein LuxU, integrating the stimuli. LuxU will in turn phosphorylate the RR LuxO whose DNA-binding output domain regulates numerous other systems, including the bioluminescence genes (lux) (Freeman and Bassler, 1999; Henke and Bassler, 2004; Timmen et al., 2006). The TCS network is therefore based on a $\mathrm{T}_{\mathrm{i}}-\mathrm{R}+\mathrm{H}+\mathrm{R}$ phosphorelay, but with multiple initial HYs.

Like the Bacillus subtilis sporulation TCS network described above, this is a many-to-one network, integrating multiple inputs into a single output response (in the form of gene regulation). Although both networks use a His $\rightarrow$ Asp $\rightarrow$ His $\rightarrow$ Asp relay, here the first phosphotransfer is intra-protein, whereas in Bacillus subtilis all three steps are inter-protein.

### 1.4.10 VirA/VigG virulence in Agrobacterium tumefaciens

The Agrobacterium tumefaciens VirA/VirG system is an interesting two gene TCS system controlling virulence (Jin et al., 1990; Chang and Winans, 1992; Chang et al., 1996; Jin et al., 1990; Brencic et al. 2004), illustrated in Figure 1.12. VirA is a transmembrane $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ HY which phosphorylates a RR, VirG. The receiver in VirA functions as an autoinhibitory domain. In its unphosphorylated state, this receiver domain interacts with the transmitter and prevents it from auto-phosphorylating, indirectly preventing the phosphorylation of the receiver in VirG. It would appear that the role of the VirA receiver is to prevent low level signalling from VirA to VirG, as in order for VirG to become phosphorylated, first the VirA receiver must be phosphorylated, overcoming its own inhibitory action.

### 1.4.11 RcaE/RcaF/RcaC phosphorelay in Fremyella diplosiphon

For over a century it has been known that some cyanobacteria will change colour, expressing red pigments in green light and vice versa. This process is called complementary chromatic adaptation (CCA), and in the filamentous cyanobacterium Fremyella diplosiphon it is partly controlled by the Rca TCS system (regulator for complementary chromatic adaptation, Figure 1.13). This is a complex three gene TCS phosphorelay system (Kehoe and Grossman, 1997, Stowe-Evans and Kehoe, 2004, Li and Kehoe, 2005; Kehoe and Gutu, 2006). Simplistically, it can be regarded as a variant of the $\mathrm{T}_{\mathrm{i}}+\mathrm{R}+\mathrm{H}-\mathrm{R}$ three protein relay illustrated in Figure 1.4 .

The first protein in the relay is the HK RcaE, which has a chromophore-binding domain and will self-phosphorylate in red light, and then phosphorylate the receiver of RcaF. This in turn will phosphorylate the Hpt domain of HY RcaC, which has two functional receiver domains, and a third degenerate receiver. The RcaC has a DNA-binding domain which controls the


Figure 1.12: Agrobacterium tumefaciens VirA/VirG system, consisting of a transmembrane $H Y$ with $T_{i}-R$ domains and a normal RR. This system can be thought of as a normal $T_{i}+R$ two gene pair, except the VirA has a receiver domain which when unphosphorylated inhibits the self-phosphorylation of the $\mathrm{T}_{\mathrm{i}}$ domain and/or the phosphorylation of the VirG receiver.


Figure 1.13: The Fremyella diplosiphon Rca phosphorelay, based in part on Kehoe and Gutu (2006) Figure 4. The central receiver domain of RcaC, shown in gray and marked with an asterisk, is degenerate and lacks the conserved aspartate phosphorylation site.
expression of the differently pigmented photosynthetic light-harvesting antennae. This output domain is adjacent to the N -terminal receiver, and it is presumably activated by it. The role of the second, C-terminal, receiver in RcaC is unclear, as is that of the degenerate receiver domain. Perhaps they act as in an inhibitory way, through competitive binding to the Hpt domain akin to the functionality of VirA (see Section 1.4.10).

In addition to showing yet another variation on the TCS phosphorelay, RcaC appears to show a possible competitive binding role for multiple receiver domains within a single protein. The complex HY RodK in $M$. xanthus is a similar example, containing domains $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{R}-\mathrm{R}$ (Rasmussen et al., 2006).

### 1.4.12 Red system in Myxococcus xanthus

The Red TCS system in M. xanthus is a complex four gene TCS network important in sporulation (Higgs et al., 2005). The red operon encodes four consecutive TCS proteins: RedC is a conventional transmembrane HK. RedD is a complex RR containing two receiver domains (and no output domain). RedE is another HK, it appears to be cytosolic and lacking an input domain. Finally RedF is another RR, containing a receiver but no output domain.

Figure 1.14 shows the four TCS genes and the interactions suggested by a yeast twohybrid (Y2H) assay. RedC appears to bind to the second receiver in RedD, while RedE appears to bind to both the first receiver in RedD, and the receiver of RedF (Higgs et al., 2005). The fact that the RRs RedD and RedF have no output domains suggests that they could act as phosphorelay proteins, or perhaps acts directly like CheY in E. coli (see Section 1.4.3). To date no further clarification of this system has been published, leaving many unanswered questions, such as what controls the phosphorylation state of the HK RedE.

### 1.4.13 TCS systems in Caulobacter crescentus

The Gram-negative aquatic bacterium Caulobacter crescentus is a model organism for studying the cell cycle, where unusually cell division is asymmetric, yielding a swarmer cell and a non-motile stalked cell (Shapiro and Losick, 1997; McAdams and Shapiro, 2003). A recent comprehensive deletion analysis found at least 39 of its 106 TCS genes are required for cell cycle progression, growth, or morphogenesis (Skerker et al., 2005).

One of the key regulators in the cell cycle is a RR CtrA which controls both polar morphogenesis and essential cell cycle processes. Another key RR in the cell cycle is DivK, which appears to act upstream of CtrA, perhaps by a phosphorelay (Wu et al., 1998). The RR DivK is known to be phosphoryolated by HKs DivJ and PleC. Y2H work suggests DivK
also interacts with the sensor kinase DivL and two further uncharacterised soluble HKs, CckN and CckO (Ohta and Newton, 2003), while previous work had suggested DivL interacted with RR CtrA. DivL is of particular note as it has a phosphorylatable tyrosine residue, rather than a histidine as expected in a TCS kinase (Wu et al., 1999) (making it a tyrosine sensor kinase rather than a histidine sensor kinase). Together these TCS proteins and others yet to be identified appear to form a complex and tightly regulated signalling network, reviewed in Ausmees and Jacobs-Wagner (2003).

In addition to their knock out mutant analysis, Skerker et al. (2005) also tested around ten HKs against a panel of 44 RRs using radioactively labelled phosphotransfer assays. This demonstrated an in vitro kinetic preferences for the HKs known partner RR(s), and successfully identified two orphan TCS genes as a novel system. However, even this comprehensive analysis covered only a fraction of the full interaction matrix for Caulobacter crescentus. This is a much more manageable task in $E$. coli, where a similar set of experiments has tested most of the possible TCS interactions (Yamamoto et al., 2005), giving a fairly complete overview.

### 1.4.14 Phosphorelays in yeast

As mentioned in the introduction, TCS genes have also been found in yeast. A three gene osmoregulatory His $\rightarrow$ Asp $\rightarrow$ His $\rightarrow$ Asp phosphorelay was found in the budding yeast Saccharomyces cerevisiae (Maeda et al., 1994; Posas et al., 1996, Wurgler-Murphy and Saito, 1997). This is like the $\mathrm{T}_{\mathrm{i}}-\mathrm{R}+\mathrm{H}+\mathrm{R}$ example shown in Figure 1.4 . The transmembrane HY Sln1 contains a transmitter domain which intra-molecularly phosphorylates its C-terminal receiver domain, which in turn phosphorylates the Hpt containing protein Ypd1, which phosphorlyates the RR Ssk1. Unusually, in the RR Ssk1 the receiver domain is C-terminal with an N-terminal output domain, the reverse of the typical domain order. This output domain interacts with a mitogen-activated protein kinase (MAPK) cascade controlling glycerol synthesis, thus modulating the composition of the cell membrane.

Later, a second RR partner for Ypd1 was identified, Skn7 (Li et al., 1998; Ketela et al. 1998), making this a one-to-many network (Figure 1.15). This means that Ypd1 interacts with three receiver domains, and exploration of the molecular basis of these interactions identified a common binding site on the Hpt domain of Ypd1 (Porter et al., 2003; Porter and West, 2005). In addition, the crystal structure of the $\operatorname{Sin} 1 / \mathrm{Ypd} 1$ complex has been solved ( Xu et al., 2003) (see Section 1.5).

The fission yeast Schizosaccharomyces pombe has its own TCS network (Aoyama et al. 2000, Nguyen et al., 2000; Buck et al., 2001; Nakamichi et al., 2002, 2003) which is similar,


Figure 1.14: The $M$. xanthus red TCS network. Based on Y2H interactions reported in Higgs et al. (2005), with the directionality His $\rightarrow$ Asp by assumption.


Figure 1.15: The Saccharomyces cerevisiae TCS network, based on a His $\rightarrow \mathrm{Asp} \rightarrow \mathrm{His} \rightarrow \mathrm{Asp}$ phosphorelay $\mathrm{T}_{\mathrm{i}}-\mathrm{R}+\mathrm{H}+\mathrm{R}$ relay, discussed in Section 1.4.14.
but with more proteins involved (Figure 1.16). There are three known HKs (Mak1, Mak2 and Mak3 - also known as Phk3, Phk1 and Phk2) which are all cytosolic, unlike Snl1 in Saccharomyces cerevisiae. The three HKs appear to phosphorylate the Hpt containing Mpr1 (aka Spy1), which in turn phosphorylates two RRs (Mcs4 and Prr1). Thus this can be seen as a many-to-one-to-many network, where Mpr1 acts as a central point of regulation.

The phosphotransfer protein Mpr1 has a C-terminal Hpt, with an additional nonessential N -terminal domain which appears to facilitate binding to the RR (Tan et al., 2007). The RR Mcs4 appears to be a homologue of Ssk1 in Saccharomyces cerevisiae, and also initiates a MAPK cascade. The TCS system responds to oxidative stress, but forms part of a larger network which also regulates mitosis and meiosis.

Both these yeast TCS networks are very similar to the quorum-sensing TCS network in Vibrio harveyi (see Section 1.4.9). Also, as an experimental system, yeast have one potential advantage - these appear to be their only TCS genes, meaning inter-system cross-talk need not be considered as a complicating factor when designing genetic modification experiments.

Interestingly the somewhat related filamentous ascomycetes encode an extensive family of HY signaling proteins, but with only one Hpt phosphotransfer protein and just two or three RRs (Catlett et al., 2003). These fungi may also have just a single many-to-one-to-many TCS network, but with over ten HYs acting as inputs.

### 1.4.15 TCS systems in plants

Around fifty TCS genes have been identified in Arabidopsis thaliana (Hwang et al., 2002), with a similar number found in rice (Pareek et al., 2006). In some cases their role or function is somewhat understood. Many of these genes are HYs containing $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ domains, for example osmotic stress responses are regulated by ATHK1 which appears to act upstream of a MAPK cascade (Urao et al. 1999). One unusual HY protein is WOL, containing an Nterminal transmembrane domain followed by $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{R}$, which appears to be important in vascular morphogenesis (Mähönen et al., 2000).

Plants (and cyanobacteria) also contain phytochromes, which are photosensory molecules with significant homology to histidine protein kinases (Schneider-Poetsch et al. 1991). These usually lack the conserved histidine residue, and interact with G-proteins rather than RRs (NeuhausEtAl1993). Some of these proteins may feed into the circadian clock, which is a well studied system known to include several RR homologues lacking the aspartate phosphorylation site, termed pseudo response regulators (RPPs). One of these, TOC1/PRR1, is believed to be a key part of the clock (Makino et al., 2000). Furthermore, the transcription of four other


Figure 1.16: The Schizosaccharomyces pombe TCS network, with three HYs feeding into a phosphorelay, discussed in Section 1.4.14. Additional non-TCS proteins are involved in this pathway but not shown here, for example see Nakamichi et al. (2003) Figure 7.

PRR genes is also tied to the circadian rhythm (PRR3, 5, 7, and 9), peaking at different times during the day (Matsushika et al., 2000; Makino et al., 2002).

For recent reviews of TCS systems in plants, including the circadian clock, see Grefen and Harter (2004) and Mizuno (2005).

### 1.5 Three dimensional structures

Three dimensional structures have been solved for examples of the individual TCS domains, but for interacting complexes only a handful of minority cases have been resolved. In particular, a structure of the HisKA dimer in complex with a receiver domain has not yet been obtained. All the structures listed below are deposited in the Protein Data Bank (PDB) Berman et al., 2000).

CheY from E. coli was the first response regulator receiver domain structure to be solved (Stock et al., 1989, Volz and Matsumura, 1991). Since then many others have been solved (Madhusudan et al., 1996; Baikalov et al., 1996; Feher et al., 1997; Solà et al., 1999, Birck et al., 1999; Lewis et al., 1999; Kern et al., 1999; Guillet et al., 2002; Toro-Roman et al., 2005). These structures are all highly similar, with a five strand $\beta$-sheet surrounded by five $\alpha$-helices in a barrel like arrangement. Figure 1.17 shows the Bacillus subtilis Spo0F receiver domain from PDB file 1F51 (Zapf et al., 2000), while Figure 1.18 shows a simplified representation with the standard notation for the receiver secondary structure.

While all the receiver domains (with their asparate phosphorylation site) are very similar, there are several classes of histidine containing transmitter/phosphotransfer domain: HisKA, Hpt and the special case of Spo0B. These are shown schematically in Figure 1.19 , and discussed below. They all share a four $\alpha$-helix bundle, with the phosphorylated histidine about half-way down one helix, and are presumed to interact with their partner receiver domains in analogous fashions.

The HisKA domain, found in Class Itransmitters $\left(\mathrm{T}_{\mathrm{i}}\right)$, forms homodimers giving a four $\alpha$-helix bundle. Each monomer has two $\alpha$-helices, with the histidine phosphorylation site exposed about half way along the first helix. There are therefore two phosphorylation sites on opposite sides of the dimer bundle. Solved structures include E. coli EnvZ (Tomomori et al., 1999, PDB reference 1JOY), shown in Figure 1.20 .

The Hpt domain, found in Class II transmitters ( $\mathrm{T}_{\mathrm{ii}}$ ) and as a phosphotransfer domain in TCS relays, also forms a four $\alpha$-helix bundle, but this is a monomer and so there is only one histidine phosphorylation site. Solved structures include E. coli ArcB (Kato et al., 1997; Ikegami et al. 2001, PDB references 1BDJ, 1A0B, 1FRO) and RcsD/YojN (Rogova et al.,


Figure 1.17: The 3D monomer structure of the receiver domain from Bacillus subtilis RR SpoOF (Zapf et al., 2000, PDB ref. 1F51). A "cartoon" representation by the software package VMD (Humphrey et al. 1996) is shown, coloured according to the secondary structure (five $\alpha$-helices in blue, five $\beta$-sheets in yellow, and coils in green), with a purple space-filling representation of the phosphorylatable aspartate (D54).


Figure 1.18: Simple diagram of the five $\alpha$-helix barrel of the receiver domain, with its five strand $\beta$-sheet core. By convention, the receiver domain is considered to have a front side which forms the interaction surface (shown in the foreground) and a back side. Following the notation of Zapf et al. (2000) the front five loops are labeled $L_{1}$ to $L_{5}$, with the conserved phosphorylatable aspartate on the end of $\beta_{3} /$ start of $L_{3}$, while the four back loops have not been labeled. cf. the solved structure shown in Figure 1.17 .


Figure 1.19: Simple diagrams of the four $\alpha$-helix bundles in the HisKA and Spo0B dimers, and the Hpt monomer. In the case of the dimers, the second protein is shown in a pale blue with the backbone and labels in grey, and the $\alpha$-helices numbered with a prime. cf. solved structures shown in Figures 1.20, 1.21 and 1.22 .


Figure 1.20: The 3D dimer structure of the HisKA domain of E. coli EnvZ, from PDB file 1JOY (Tomomori et al., 1999). The histidine phosphorylation sites (H243) are shown using a space-filling model. One monomer is shown in red, with the phosphorylatable histidine in orange, the other is in blue with its phosphorylatable histidine in purple.


Figure 1.21: The 3D monomer structure of the Hpt domain of E. coli ArcB, from PDB file 1BDJ (Kato et al. 1999). The protein is shown in red, with the conserved histidine phosphorylation site (H715) using a space-filling model in orange.


Figure 1.22: The 3D dimer structure of Bacillus subtilis Spo0B, from PDB file 1F51 (Zapf et al., 2000). The histidine phosphorylation sites (H30) are shown using a space-filling model. One monomer is shown in red, with the phosphorylatable histidine in orange, the other dimer is in blue with its phosphorylatable histidine in purple.


Figure 1.23: Crystal structure of the Bacillus subtilis dimer Spo0B in complex with the Spo0F receiver, PDB file 1F51, adapted from Laub and Goulian (2007) Figure 5. The Spo0B monomers are in light and dark blue, and two Spo0F molecules are in green. The histidine (H30) and aspartate (D54) phosphorylation sites are shown as red and yellow stick models respectively.
2004. PDB ref. 1SR2). The ArcB Hpt structure is shown in Figure 1.21. The yeast protein Ypd1 has also had its Hpt structure solved ( Xu and West, 1999, PDB ref. 1QSP), and while not perfectly in agreement, does also have the four $\alpha$-helix bundle structure.

The Bacillus subtilis protein SpoOB is a unique case. While phylogenetically distinct, it is structurally analoguous to the HisKA domain and forms a four $\alpha$-helix bundle with similarly positioned histidine phosphorylation sites (Varughese et al., 1998, PDB reference 1IXM). When compared to the HisKA dimer, one obvious difference is the switch of the relative positions of the second helix of the two proteins (see Figure 1.19). As discussed in Section 1.4.8, this protein acts in a phosphorelay, interacting with the receiver domains of proteins SpoOF and Spo0A. A crystallographic structure has been obtained for the Spo0B/Spo0F interaction (Zapf)
et al. 2000, PDB reference 1F51), see Figure 1.23, which can be used as a basis to interpret the likely orientation of a HisKA and receiver interaction.

Structures of the Hpt domain in complex with a receiver domain have also been solved experimentally, for example the Hpt domain of ArcB with response regulator CheY from E. coli (Kato et al.) 1999, PDB reference 1BDJ). The ArcB Hpt is similar to that of CheA, which interacts with the CheY receiver as described in Section 1.4.3. The ArcB/ArcC system was described in Section 1.4.6. The yeast Ypd1/SIn1 complex (see Section 1.4.14) is another solved example of the Hpt-receiver interaction (Xu et al., 2003, PDB references 10XB and 10XK).

### 1.6 TCS networks

Input and output domains in TCS systems are heterogeneous due to the variety of different stimuli they respond to, and the different responses they elicit (Mascher et al., 2006). While the input and output domains define the function, it is the transmitter-receiver interactions which define the topology of the TCS pathway or network (Figure 1.24).

Skerker et al. (2005) and other results suggest that transmitter-receiver interactions are usually pairwise exclusive, or at least have a kinetic preference for the cognate partner. However, as the examples in the previous section show, some domains are promiscuous and have multiple partners. This means that instead of an organism being restricted to having multiple separate TCS pathways operating in parallel and in isolation, complicated networks are possible.

For example, in E. coli there are two Nar HK proteins which will both interact with the two Nar RR proteins (Section 1.4.2). The Bacillus subtilis sporulation system has five HKs all phosphorylating the same RR, a many-to-one network (Section 1.4.8). Conversely, the E. coli chemotaxis system has one HK phosphorylating two different RRs, a one-to-many network (Section 1.4.3).

The comparison of Bacillus species in Stephenson and Hoch (2002) found the same basic TCS sporulation network structure (Section 1.4.8), but with different input domains present in the HKs, presumably achieved by recombination events. More generally, TCS networks are presumably created from simple HK+RR pairs by a series of gene duplications, modifications and deletions.

The literature also shows that in addition to simple cross-talk by promiscuous phosphorylation, and TCS regulating each other at the transcriptional level (Bijlsma and Groisman, 2003), more complex interactions can also occur between systems. For example, the

Figure 1.24: Simple schematics of His $\rightarrow$ Asp TCS systems (e.g. Figures 1.1, 1.2 and 1.3), and selected His $\rightarrow$ Asp $\rightarrow$ His $\rightarrow$ Asp phosphorelay systems (e.g. Figure 1.4) on the left, and example TCS networks on the right. Gray rounded rectangles represent proteins, with the blue and red circles representing phosphorylation sites (histidine and aspartate respectively), labeled by the domain they are found within ( $\mathrm{T}_{\mathrm{i}}, \mathrm{T}_{\mathrm{ii}}, \mathrm{H}$ or R ). Solid arrows are intra-protein phosphotranfers, while the dashed arrows are inter-protein.

Salmonella PhoP/PhoQ and PmrA/PmrB TCS systems can interact via the PmrD protein which is promoted by phosphorylated PhoP, and binds to phosphorylated PmrA and prevents its dephosphorylation (Kato and Groisman, 2004). The VirA/VirG system (Section 1.4.10), or HYs RcaC (Section 1.4.11) and RodK (Rasmussen et al., 2006) appear to demonstrate roles for competitive phosphorylation between multiple receivers. Similarly in Helicobacter pylori, the CheA homologue CheAY2 has an additional receiver domain which seems to act as a phosphate sink to modulate the phosphorylation level of the partner CheY homologue, CheY1 (Jiménez-Pearson et al. 2005).

More recent work on an artifical cross-talk system in genetically modified $E$. coli was reviewed in Laub and Goulian (2007). The enterococci VanS/VanR TCS system was expressed in E. coli, and its ability to interact with the native E. coli PhoR/PhoB TCS system was studied. When only one of these HKs is present (PhoR or VanS) they can phospholylate both RRs PhoB and VanR. However, when both HKs are present this cross-talk is much reduced, likely the result of the HKs having phosphatase activity on their partner RR. This suggests bifunctional HKs (with kinase and phosphatase activity) may be important in preventing unwanted crosstalk, while mono-functional HKs (kinase only) would be required in many-to-one pathways.

A complex TCS network linking multiple stimuli and responses to control the behaviour of a prokaryote can be considered analagous to a neural network in higher organisms (Hellingwerf et al. (1995). The evolution of the TCS network over generations can adjust the affinity of each potential TCS interaction, and even alter the network topology, allowing prokaryotes to acquire new behaviour. This is akin to the development of neural networks over the lifetime of an individual higher organism. Hoffer et al. (2001) goes one step further, claiming past phosphate levels influence auto-amplification of two-component regulatory systems giving "learning" behaviour on a much faster time scale.

### 1.7 Predicting TCS interactions

Identifying potential interactions between HKs and RRs is the first step to building up an understanding of a prokaryote's TCS network. There are several approaches to predicting these TCS interactions, which must ultimately be verified experimentally.

### 1.7.1 Genome arrangement

The simplest way to deduce TCS pairings is from the arrangement of the TCS genes in the genome. In prokaryotes, co-expressed genes are normally found together in operons, and as a result genes of related or interacting function are often found next to each other. Typically the genes for HKs are found adjacent to the genes for their partner RRs in a single operon. Furthermore, a high proportion of TCS gene pairs appear to have fused into single HYs containing both a transmitter domain and a receiver domain. Such examples can easily be identified from the genome (Chapter 2).

In addition to these simple cases, there are more complicated hybrid proteins containing multiple transmitters and/or receiver domains, and also complex gene clusters containing multiple TCS genes. Conversely, some TCS genes are isolated or orphaned - they do not lie adjacent to the gene for their partner signalling protein. In general, not only do larger genomes tend to have more TCS genes, the genes and cluster also tend to be more complicated (Chapter 2). Thus in many cases the partner proteins and consequent signalling pathways for many TCS proteins are unclear, and cannot be predicted from the genome arrangement alone. In M. xanthus for example, a large proportion of TCS genes are complicated hybrids and/or in complex gene clusters, and their partnerships cannot be easily inferred (Whitworth and Cock. 2008a; Shi et al., 2008).

### 1.7.2 Phylogenetics and comparative genomics

If an operon containing an HK/RR pair were to be duplicated, this would yield two initially identical TCS systems which would exhibit cross-talk if they were to be co-expressed. Over evolutionary timescales, the transmitter and receiver interaction surfaces could diverge, restricting the cross-talk, for example giving rise to two isolated HK/RR pairs. A simple interpretation of the phylogenetic relatedness of the transmitter and receiver domains within an organism can be indicative of past interactions, and thus guide predictions of the current interactions. See Figure 5 in Grebe and Stock (1999) and Figure 2 in Koretke et al. (2000), or for non-TCS example, Goh et al. (2000). Indeed, domain sequence comparison was used in the discovery of the Nar system in E. coli (Section 1.4.2).

Comparative genomics is also potentially very powerful for predicting TCS interactions. When a system is known in one organism, this can be used as a template to interpret the interactions of homologous genes in related species. For example, Bacillus sporulation (Section 1.4.8), and Vibrio quorum sensing (Section 1.4.9).

### 1.7.3 Co-expression

For any TCS phosphotransfer to take place, the two components must be co-expressed and colocated. Strict regulation can prevent cross-talk between otherwise compatible domains. The chemotaxis system in Rhodobacter sphaeroides appears to employ spatial segregation in this way (Section 1.4.4). Other organisms have complex temporally regulated behaviour which may also prevent unwanted TCS cross-talk. Examples include the cell cycle in Caulobacter crescentus (Section 1.4.13) and developmental regulation of fruiting body formation in M. xanthus (Whitworth and Cock, 2008a).

Co-expression data has been used to predict TCS partnerships in Desulfovibrio vulgaris using whole-genome microarrays to identify orphan TCS genes with similar expression patterns (Zhang et al. 2006). Such studies are likely to become more common as microarray or next generation sequencing technologies become cheaper and more widely available.

### 1.7.4 Multiple sequence alignment based predictions

Potential interactions between TCS transmitters and receivers have begun to be predicted from their amino acid sequences. Such interactions may be valid in vitro but may be prevented in vivo if regulated to prevent co-expression.

Chapters 5 and 6 introduce a multiple sequence alignment (MSA) based approach to predicting TCS pairings between HisKA and receiver domains. During the course of this project, two independent groups published rival approaches. The work of White et al. (2007) is discussed in Chapter 6as a special case of our own MSA approach to predicting TCS pairings, while Burger and van Nimwegen (2006, 2008) introduced a more complicated MSA based Bayesian model.

### 1.8 Research aims

To understand the behaviour of any one bacterium, an understanding of its signalling network is required. To construct a model of any network a list of parts is needed, and their interconnections. Focusing on just TCS signalling, this means a list of all transmitter, Hpt and receiver domains, and a list of their interactions.

The main thrust of this thesis is to predict transmitter-receiver interactions from their amino acid sequences. For any statistical problem, lots of data is usually required - in this case, lots of known transmitter-receiver pairings. Searching hundreds of fully sequenced bacterial genomes for simple TCS gene clusters (containing only one transmitter and one receiver)
provided this list (see Section 1.7.1, and Chapter 2).
This collection of paired transmitter and receiver domains was then used to identify those residues important for the pairing specificity (Chapter 5). While 3D structures of docked transmitter and receiver domains would be ideal for identifying interacting residues, as discussed above in Section 1.5 to date co-crystals have only been solved for a few atypical cases.

The related question of which residues are essential has been tackled experimentally for certain transmitter/receiver pairings - for example with alanine mutation studies of Bacillus subtilis Spo0F (Tzeng and Hoch, 1997) (see Section 1.4.8). The interactions of the Hpt domain in Saccharomyces cerevisiae Ypd1 with its three partner receiver domains (see Section 1.4.14) have been explored using a combination of alanine scanning mutagenesis and a Y2H assay (Porter et al., 2003; Porter and West, 2005). Answering the question of which impart partner specificity would require mutation studies on a panel of transmitters and receivers. Nevertheless, there is some existing information regarding the role and importance of particular residues for certain known TCS pairs.

Establishing which parts of the TCS domains govern pairing specificity (Chapter 5) is the basis of the predictive model presented in Chapter 6. A selection of scoring systems are investigated to assign numerical values to amino acid pairs from the transmitter and receiver domains, for use as explanatory variables in a generalised linear model (GLM).

For bacteria with a large number of TCS genes, testing all possible domain combinations experimentally is an enormous undertaking. David Whitworth et al. have begun a multi-year project to systematically test all pairwise combinations of TCS transmitters and receivers in M. xanthus using the yeast two-hybrid assay (Y2H) (Whitworth et al., 2008), a technique that has also been used in Caulobacter crescentus (Ohta and Newton, 2003). More recently, relatively high throughput phosphotransfer assays with radio labeling have also been reported (Yamamoto et al., 2005; Skerker et al., 2005). However, any sequence based prediction tool would allow biological experiments to be targeted at the most promising candidate interactions - helping to clarify the signalling pathways.

If a transmitter and receiver are predicted to interact, or even if they have been shown to interact in vitro, there is no guarantee they will interact in vivo. Both proteins must be expressed at the same time, and in the same place - a prerequisite for any such potential interaction to actually take place. For example, bacterial movement is normally controlled by TCS, and the chemotaxis machinery is known to be located at the poles of the cell in some bacteria. Temporal separation of protein expression is likely to be important in species with complicated life-cycles, such as developmental regulation in sporulation. Microarray time
course experiments have begun to be used to study this (Section 1.7.3).
As most prokaryotes contain multiple TCS systems, this is an especially numerous class of protein-protein complex. This makes it an ideal candidate system for the more general problem of predicting pairings between members of paralagous families, such as in $\sigma$-factor/anti- $\sigma$-factors (Hughes and Mathee, 1998) or G-protein coupled receptors/trimeric G-proteins (Cabrera-Vera et al., 2003).

## Chapter 2

## Finding TCS genes and pairs

### 2.1 Introduction

With the long term aim of identifying thousands of HK/RR pairs to build a predictive model of TCS interactions, the first step was to list TCS genes from all available genomes. From a manual inspection it was clear that the level and quality of TCS annotation varied dramatically between species and even between strains. Any attempt to use just the genome annotation would therefore miss many genes, and also make direct comparisons between genomes problematic.

In this chapter an automated analysis pipeline for the identification and classification of TCS genes is described, using protein domain motifs from both PFAM (Bateman et al., 2004) and CDD (Marchler-Bauer et al., 2005) with the standalone Reversed Position Specific Blast (RPS-BLAST) tool (Marchler-Bauer and Bryant, 2004). The CDD is a composite database drawing on PFAM and other motif databases such as SMART (Schultz et al. 1998) and COG (Tatusov et al., 2003). The results of the analysis of hundreds of fully sequenced prokaryotic genomes are presented.

During this work the sequencing of the social-predatory bacteria Myxococcus xanthus DK 1622 (accession NC_008095) was completed, and this analysis contributed to the annotation of the TCS genes, acknowledged in Goldman et al. (2006). Additionally, publications Whitworth and Cock (2008a b) draw directly on this work.

### 2.2 Source of genomes

The NCBI provides all publicly available fully sequenced prokaryotes in a variety of file formats, including as GenBank flat files which in addition to the complete DNA sequence also include
every annotated gene with its amino acid sequence. Starting from a snapshot taken in January 2004 with just a couple of hundred genomes, a local data-bank was regularly updated as and when new genomes were released.

However, for simplicity, all survey results presented herein will focus on a single collection downloaded as a compressed archive from the National Center for Biotechnology Information (NCBI) FTP sit $\xi^{1}$ on 26 February 2007. This contained all 457 of the then available fully sequenced prokaryotes, which due to multiple chromosomes or plasmids came to 807 GenBank files. These species and their accessions numbers are listed in Table A. 1 on page 209

In addition, the NCBI also provides a table of information for the sequenced prokaryotes ${ }^{2}$ which includes information about pathogenicity, habitat, Gram staining, spores and shape. This information allows the investigation of correlations between this information and TCS usage.

### 2.3 Identifying TCS genes

The standalone tool RPS-BLAST was used to identify protein domains within the given amino acid translation of every annotated CDS within the GenBank files used. A single search against the PFAM database (Bateman et al. 2004) was found to identify almost every TCS gene expected, but was not enough to detect or classify all the expected domains. Transmitter domains had to be defined as a small phosphotransfer sub-domain (HisKA or Hpt) followed by an HATPase. While most receiver and HATPase domains were easily detected, the phosphotransfer regions were often not recognised by the PFAM models - even with a lowered expectation threshold. Furthermore, it was difficult to exclude many non-TCS-related HATPase domains (false positives).

Both these issues were resolved satisfactorily by screening candidate TCS genes identified from PFAM domain hits against the CDD database (Marchler-Bauer et al., 2005), which included a number of models for full length HKs (including the full transmitter domain) and for several non-TCS HATPase containing proteins (allowing the elimination of many HATPase false positives).

### 2.4 Isolated and paired genes

In addition to sequence data, the GenBank files include the location of each gene within the chromosome. Parsing this information allowed each TCS gene to be considered in the context

[^1]of its neighbouring genes, and in particular allowed a simple classification of TCS genes as either isolated, paired or complex (other).

A TCS gene was considered to be isolated or orphaned if there were no other TCS genes (including unassigned HATPase domains) within 5,000 nucleotide base pairs (bp).

To be considered paired, two TCS genes were required to be on the same strand (i.e. same direction, forwards or reverse), no more than 100 bp apart, with an overlap no more than 100 bp . Furthermore, any pairing was rejected if another TCS gene was found within 5,000 bp (the same cut-off distance used for an isolated gene) as this could be considered to be a complex gene cluster. These distance criteria were chosen in part based on known systems such the TCS genes in E. coli.

### 2.5 Implementation

A multi-step screening procedure was adopted. Initially, the protein sequences were searched against the PFAM database. Receiver (pfam00072) and HATPase (pfam02518) domains were accepted with expectation cut-off of $10^{-4}$. A threshold of 1.0 was used for the smaller domains: HisKA pfam00512, Hpt pfam01627 and the dimerisation region pfam02895. Proteins with any matches to these five PFAM domains were then searched against the CDD database at expectation threshold $10^{-4}$. The CDD includes specific models for the HisKA (smart00388, cd00082) and receiver domains (cd00156). Further HisKA and HATPase domains were found by checking CDD matches to full length HK motifs: BaeS COG0642, NtrB COG3852, NtrY COG5000, KdpD COG2205, and VicK COG5002. Some CDD models cover long motifs or entire genes (e.g. COG motifs are based on orthologous genes), thus any (partial) match was examined closely to see which sub-region of the motif had been matched (Table 2.1).

As most domains could be detected by more than one model (e.g. both pfam00072 and cd00156 for a receiver), any such hits with substantial overlap were simply merged. It was observed that some $T_{i i}$ domains gave good matches to some of the HK COG models, potentially leading to the mis-identification of a dimerisation region in a $\mathrm{T}_{\mathrm{ii}}$ domain as a HisKA sub-domain within a $T_{i}$ domain. Sub-domain matches from these COG models were therefore labeled $K D$, denoting either $\operatorname{HisKA}(K)$ or dimerisation regions $(D)$, unless there was an additional unambiguous match in the same region to either a HisKA or dimerisation region.

Small overlaps between different domain types where tolerated. A small list of less than fifty borderline overlap cases were resolved by hand.

Class I transmitter domains $\left(\mathrm{T}_{\mathrm{i}}\right)$ were then constructed as the composite of a HisKA domain followed by a HATPase, and Class II transmitters ( $\mathrm{T}_{\mathrm{ii}}$ ) by a Hpt domain then HATPase,

| Domain | Motif | Name | Sub-region | Exp. |
| :--- | :--- | :--- | :---: | ---: |
| R, Receiver | pfam00072 | Response_reg | any | $10^{-4}$ |
|  | cd00156 | REC | $13-103$ | $10^{-4}$ |
|  | pfam02518 | HATPase_c | any | $10^{-4}$ |
|  | COG3852 | NtrB | $236-355$ | $10^{-4}$ |
|  | COG5000 | NtrY | $595-709$ | $10^{-4}$ |
|  | COG0642 | BaeS | $223-330$ | $10^{-4}$ |
|  | COG5002 | VicK | $339-447$ | $10^{-4}$ |
|  | COG2205 | KdpD | $771-880$ | $10^{-4}$ |
| K, HisKA | pfam06580 | His_kinase | any | 1 |
|  | pfam00512 | HisKA | any | 1 |
|  | smart00388 | HisKA | $1-66$ | $10^{-4}$ |
| D, Dimerization | cd00082 | HisKA | $3-62$ | $10^{-4}$ |
| KD, HisKA or dimerization | pfam02895 | H-kinase_dim | $a n y$ | 1 |
|  | COG3852 | NtrB | $134-187$ | $10^{-4}$ |
|  | COG5000 | NtrY | $484-556$ | $10^{-4}$ |
|  | COG0642 | BaeS | $113-178$ | $10^{-4}$ |
| H, Hpt | COG5002 | VicK | $224-290$ | $10^{-4}$ |
| MutL DNA mismatch repair enzyme | COG0323 | MutL | $569-727$ | $10^{-4}$ |
| RsbW Anti- $\sigma$ regulatory factor | COG2172 | RsbW | $19-225$ | $10^{-5}$ |
| Hsp90 protein | pfam00183 | HSP90 | $13-125$ | $10^{-6}$ |
| DNA gyrase B carboxyl terminus | pfam00986 | DNA_gyraseB_C | any | $10^{-4}$ |
| DNA gyrase B | pfam00204 | DNA_gyraseB | any | $10^{-4}$ |
| DNA gyrase/topoisomerase IV | pfam00521 | DNA_topoisolV | $a n y$ | $10^{-4}$ |

Table 2.1: PFAM and CDD motifs used to identify TCS domains, or exclude false positives. Motifs derived from COG tend to be for entire genes, and thus an additional restraint was used that the RPS-BLAST hit had to span the specified sub region before being considered. Domains in the bottom section of the table were used to identify non-TCS HATPases (false positives).
optionally with a dimerisation region in between. Non-TCS genes containing the HATPase domain were identified and excluded using other domain matches: DNA gyrase/topoisomerase IV (pfam02518, pfam00986, pfam00521), Hsp90 (pfam00183), MutL (COG0323) and RsbW anti-sigma factor (COG2172). A small fraction of the HATPase domains remained unassigned, and from manual inspection these were mostly transmitter domains where the phosphoacceptor domain had not been automatically identified. Genes with unassigned HATPase domains are therefore included in the gene counts reported below.

The Python programming language (www.python.org) was used to script this process, using the Biopython libraries (www.biopython.org) to manipulate sequence files and to call RPS-BLAST and parse its output. The plots in this chapter were drawn using the R programming language ( R Development Core Team, 2007) based on tables of data prepared with Python scripts.

### 2.6 Survey results and discussion

In total 24,039 TCS genes were identified out of $1,435,868$ annotated genes from the 457 completely sequenced prokaryotes listed in Table A.1, a number similar to that expected by extrapolation from other studies (Koretke et al., 2000, Kim and Forst, 2001; Zhang and Shi, 2005). This is about two percent of all prokaryotic genes.

### 2.6.1 Transmitters versus receivers

Figure 2.1 shows that to a first approximation the number of transmitters and receiver domains are about equal in each species. However, in general more receivers are found than transmitters (even including the unassigned HATPase and phosphotransfer domains in the transmitter count). It seems that there is not always a simple one-to-one pairing between transmitters and receivers, and taking this at face value, on average a transmitter may have more than one partner.

One explanation for this is that the transmitter or phosphotransfer domain detection was less successful than that of receivers. While manual checks of a sample of species against published TCS lists confirmed that most domains were found, some Hpt domains were missed. However, the HATPase domain is large and not easily missed, and all unassigned HATPases (which may be part of transmitters) were included in this plot. Alternatively, perhaps there is another class of transmitter or phosphotransfer domain yet to be identified. The phosphotransfer protein Spo0B in Bacillus subtilis is one example of this (see Section 1.5).


Figure 2.1: A scatter plot showing the number of receiver domains vs. the number of transmitter domains (including unassigned HATPases and phosphotransfer domains) for the 457 species listed in Table A.1. The dashed line has gradient one, as would be expected for a one-to-one pairing between transmitter and receiver domains. The solid line is a simple regression line. Certain species have been marked with a grey symbol: Myxococcus xanthus DK 1622 (upwards triangle), Nostoc sp. (square), Anaeromyxobacter dehalogenans 2CP-C (downwards triangle), Bacillus subtilis subsp. subtilis str. 168 (diamond) and Escherichia coli K12 (circle). See also Table 2.7.

| Gene architecture | Isolated | Paired | Complex | Total |
| :--- | ---: | ---: | ---: | ---: |
| R | 2769 | 5556 | 3493 | 11818 |
| $\mathrm{~T}_{\mathrm{i}}$ | 1498 | 4893 | 1807 | 8198 |
| $\mathrm{~T}_{\mathrm{ii}}$ | 17 | 35 | 232 | 284 |
| K | 136 | 120 | 81 | 337 |
| KD | 8 | 11 | 11 | 30 |
| D | 15 | 0 | 0 | 15 |
| H | 97 | 33 | 61 | 191 |
| A | 149 | 129 | 84 | 362 |
| $\mathrm{R}-\mathrm{R}$ | 58 | 33 | 34 | 125 |
| $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | 95 | 44 | 192 | 331 |
| $\mathrm{R}-\mathrm{T}_{\mathrm{ii}}$ | 0 | 0 | 0 | 0 |
| $\mathrm{~T}_{\mathrm{i}}-\mathrm{R}$ | 764 | 195 | 467 | 1426 |
| $\mathrm{~T}_{\mathrm{ii}}-\mathrm{R}$ | 1 | 18 | 69 | 88 |
| $\mathrm{~T}_{\mathrm{i}}-\mathrm{R}-\mathrm{H}$ | 103 | 64 | 95 | 262 |
| $\mathrm{~T}_{\mathrm{i}}-\mathrm{R}-\mathrm{R}$ | 74 | 18 | 33 | 125 |
| $\mathrm{~T}_{\mathrm{i}}-\mathrm{R}-\mathrm{R}-\mathrm{H}$ | 17 | 39 | 32 | 88 |
| $\mathrm{R}-\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 16 | 16 | 32 | 64 |
| Others | 55 | 54 | 186 | 295 |
| Total | 5872 | 11258 | 6909 | 24039 |

Table 2.2: Domain architecture of all 24, 039 TCS genes identified from the 457 species listed in Table A.1, classified as isolated, paired or complex. Table 2.8 has a partial breakdown by species, while the paired genes are also listed in Table 2.3.

### 2.6.2 TCS architectures

Table 2.2 gives a break down of the TCS gene counts by domain architecture, with the additional classification into isolated, paired or complex based on the genomic arrangement. Notice that the typical HK (with a single $T_{i}$ domain) and RR (with a single R domain) are by far the most common architectures, together making up over $80 \%$ of the TCS genes identified. Simple HK genes with a $\mathrm{T}_{\mathrm{ii}}$ domain are comparatively rare, with only 284 examples found.

The third most common architecture is $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$, a simple hybrid kinase ( HY ) containing a single Class I transmitter ( $\mathrm{T}_{\mathrm{i}}$ ) followed by a single receiver domain ( R ), with 1,424 examples, followed by 331 cases of $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ where this domain order is reversed.

Table 2.2 includes 558 genes appearing to contain a phosphotransfer domain (K, KD, or H ), but no HATPase or receiver domains, and 362 genes with an HATPase (A) but no other TCS associated domains. While some of these may be false positives, over half are next to or close to a TCS gene and thus may be real TCS genes - perhaps containing further unidentified domains. Further refinements to the analysis could reduce the number of these oddities, which currently make up less than $5 \%$ of the identified TCS genes. However, for the purposes of identifying most typical HK/RR pairs the results as shown are sufficient.

Table 2.2 also shows that while simple HK (with only a T domain) and RR genes (with only an R domain) dominate, there are considerable numbers of genes with more complex architectures. The "simple" hybrid kinases (HYs) with a single transmitter and single receiver are relatively common $\left(T_{i}-R, R-T_{i}\right.$ and $T_{i i}-R$, but interestingly no examples of $R-T_{i i}$ were observed). These hybrid proteins can be regarded as self contained TCS pathways, as they contain a tethered transmitter-receiver pair, although being part of a phosophorelay cannot be ruled out. On the other hand, the $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{H}$ tripartite HYs are presumably part of phosophorelays, based on similar genes discussed in Section 1.4 .

### 2.6.3 TCS gene pairs

Table 2.3 enumerates the 5, 629 TCS gene pairings for the most common TCS gene architectures, which will be described using an order-dependent plus sign notation for neighbouring genes. Given the most numerous TCS architectures are $R$ and $T_{i}$ (Table 2.2), unsurprisingly pairings between these genes are most the common, with 2,092 cases of $T_{i}+R$ and 2,689 of $R+T_{i}$ where the genes in the opposite order, making up about $85 \%$ of all TCS gene pairs. HK genes with the minority Class II transmitters are also found paired with RRs, 5 cases of $\mathrm{T}_{\mathrm{ii}}+\mathrm{R}$ and 30 cases of $\mathrm{R}+\mathrm{T}_{\mathrm{ii}}$. Chapter 3 explores the separation or overlaps between these HK and RR gene pairs.

Chapter 4 compares the number of isolated $T_{i}-R$ and $R-T_{i}$ genes to the number of $T_{i}$ $+R$ and $R+T_{i}$ gene pairs in an investigation of apparent gene fusion rates. These genes are also used in Chapters 5 and 6 to compile a set of known transmitter-receiver interactions.

In addition to these expected gene pairings, Table 2.3 also lists many less common pairings. 29 cases of $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{H}+\mathrm{R}$ and 34 cases of $\mathrm{R}+\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{H}$ were identified (tripartite HY with RR), which could be two-gene phospho-relay systems like those described in Section 1.4.6. There were also 115 examples of $\mathrm{T}_{\mathrm{i}}-\mathrm{R}+\mathrm{R}$ (simple HY with RR ) and 53 pairs in the opposite order, $R+T_{i}-R$. These could function analogously to the VirA/G system discussed in Section 1.4.10, or alternatively they could be phospho-relays where an Hpt domain was not detected.

Other unexpected neighbours include 54 cases of $R+R$ and 37 cases of $T_{i}+T_{i}$, as well as TCS gene pairing involving complicated hybrid genes. The $R+R$ pairs are difficult to explain, given no evidence of receiver-receiver dimerization or phosophotransfer to date. On the other hand, HKs are known to dimerize so hypothetically these $T_{i}+T_{i}$ pairs could be forming HK heterodimers, something that has yet to be demonstrated in vivo.

| Paired | R | Ti | Tii | R-R | R-Ti | R-Tii | Ti-R | Tii-R | Ti-R-H | Ti-R-R-H | Ti-R-R | R-Ti-R | Ti-R-Ti | Other |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| Total |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| R | 54 | 2689 | 30 | 23 | 4 | 0 | 53 | 10 | 34 | 3 | 5 | 1 | 0 | 87 |
| Ti | 2092 | 37 | 0 | 5 | 8 | 0 | 2 | 0 | 0 | 0 | 0 | 6 | 0 | 12 |
| Tii | 5 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| R-R | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| R-Ti | 7 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 |
| R-Tii | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| Ti-R | 115 | 2 | 0 | 0 | 7 | 0 | 5 | 0 | 0 | 0 | 0 | 0 | 0 | 6 |
| Tii-R | 7 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| Ti-R-H | 29 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| Ti-R-R-H | 32 | 0 | 0 | 1 | 2 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 |
| Ti-R-R | 8 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 |
| R-Ti-R | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| Ti-R-Ti | 8 | 0 | 0 | 0 | 4 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| Other | 205 | 3 | 0 | 1 | 6 | 0 | 0 | 0 | 0 | 0 | 0 | 5 | 0 | 5 |
| Total | 2563 | 2731 | 30 | 32 | 34 | 0 | 60 | 10 | 34 | 3 | 7 | 15 | 0 | 110 |

Table 2.3: Domain architecture of all 5, 629 TCS gene pairs (i.e. 11,258 genes) identified from the 457 species listed in Table A.1. The rows are the upstream gene of each pair, and the columns are the downstream gene - thus for example there are $2,092 \mathrm{~T}_{\mathrm{i}}+\mathrm{R}$ examples of a typical HY (with a single $\mathrm{T}_{\mathrm{i}}$ domain) followed by a typical RR (with a single R domain). See also Table 2.2

### 2.6.4 TCS associated domains

Table 2.4 lists the forty most common PFAM domains measured by the number of genes containing at least one of each domain, and how many of those were TCS genes. While the ABC transporter (pfam00005) is by far the most numerous domain, the RR receiver (pfam00072) and HATPase (pfam02518) domains are next - underlining just how ubiquitous TCS genes are. However, while most of these HATPase domains could be identified as part of transmitter domains, the HisKA domain (pfam00512) found in Class I transmitters $\left(T_{i}\right)$ is only the eleventh most common domain in this table, with the Hpt domain found in Class II transmitters ( $\mathrm{T}_{\mathrm{ii}}$ ) ranked number 618. This poor detection rate for the phosphotransfer domains led to the need for the various strategies described above in order to identify most transmitter domains.

Several of the other top forty domains are frequently associated with TCS systems, in particular the DNA binding domains trans-reg-C domain (pfam00486, 89\%) and GerE domain (pfam00196, 57\%), and the HAMP sensory domains (pfam00672, 53\%). The second half of Table 2.4 shows other less common PFAM domains which are particularly associated with TCS genes. These include the HTH_8 (pfam02954, 51\%) and LytTR (pfam04395, 71\%) DNA-binding domains, and the PAS (pfam00989, 65\%) and PAC (pfam00785, 54\%) input associated domains, and the CHASE3 (pfam05227, 72\%) sensor. The CheB_methylest domain (pfam01339, $73 \%$ ) is a methylesterase output domain named after the E. coli RR CheB (Section 1.4.3). The KdpD domain (pfam02702, 79\%) is named after the E. coli HK KdpD, and is believed to be an osmotic pressure sensory domain (Walderhaug et al., 1992). Finally all fifty genes found with the P2 domain (pfam07194), a receiver binding domain first identified in E. coli CheA (see Section 1.4.3), were identified as TCS genes.

### 2.6.5 TCS associated input and output domains

Most of these TCS associated domains discussed above can be categorized into input or output domains. Their association with different TCS gene architectures is explored in Tables 2.5 and 2.6 (input and output domains respectively).

The HAMP domain is the most common PFAM input domain (Table 2.4), and is particularly associated with standard $\mathrm{T}_{\mathrm{i}}$ HK genes (1970/2221 genes, $89 \%$, Table 2.5). Also, the HAMP domain is the single most common input domain associated with the $T_{i}$ HKs (found in $1970 / 8198 \mathrm{~T}_{\mathrm{i}}$ genes, $24 \%$ ). However, in almost $90 \%$ of the $\mathrm{T}_{\mathrm{i}} \mathrm{HK}$ genes $(7237 / 8198)$ there was a region of over 100 amino acids which was not recognised by any PFAM domain, suggesting that a large number of uncharacterised input domains remain to be identified.

Notice in Table 2.5 that the CheW-binding domain (pfam01584) is mostly found in

| Rank | PFAM description | All genes | TCS genes | Fraction |
| :---: | :---: | :---: | :---: | :---: |
| 1 | pfam00005 ABC_tran | 27209 | 14 | 0.00 |
| 2 | pfam00072 Response_reg | 14499 | 14499 | 1.00 |
| 3 | pfam02518 HATPase_c | 12752 | 11397 | 0.89 |
| 4 | pfam00106 adh_short | 10771 | 0 | 0.00 |
| 5 | pfam 03466 LysR_substrate | 9127 | 7 | 0.00 |
| 6 | pfam00126 HTH_1 | 9081 | 2 | 0.00 |
| 7 | pfam00528 BPD_transp_1 | 9066 | 0 | 0.00 |
| 8 | pfam00083 Sugar_tr | 7195 | 1 | 0.00 |
| 9 | pfam00583 Acetyltransf_1 | 7013 | 2 | 0.00 |
| 10 | pfam00070 Pyr_redox | 6912 | 12 | 0.00 |
| 11 | pfam00512 HisKA | 6680 | 6680 | 1.00 |
| 12 | pfam04055 Radical_SAM | 6315 | 0 | 0.00 |
| 13 | pfam00702 Hydrolase | 6123 | 0 | 0.00 |
| 14 | pfam00665 rve | 5699 | 6 | 0.00 |
| 15 | pfam00004 AAA | 5537 | 75 | 0.01 |
| 16 | pfam00561 Abhydrolase_1 | 5458 | 0 | 0.00 |
| 17 | pfam00440 TetR_N | 5429 | 4 | 0.00 |
| 18 | pfam00501 AMP-binding | 5079 | 0 | 0.00 |
| 19 | pfam00271 Helicase_C | 4924 | 0 | 0.00 |
| 20 | pfam01370 Epimerase | 4834 | 0 | 0.00 |
| 21 | pfam00270 DEAD | 4716 | 0 | 0.00 |
| 22 | pfam00990 GGDEF | 4628 | 406 | 0.09 |
| 23 | pfam00155 Aminotran_1_2 | 4464 | 1 | 0.00 |
| 24 | pfam00486 Trans_reg_C | 4439 | 3970 | 0.89 |
| 25 | pfam00534 Glycos_transf_1 | 4436 | 0 | 0.00 |
| 26 | pfam00535 Glycos_transf_2 | 4347 | 2 | 0.00 |
| 27 | pfam00392 GntR | 4298 | 14 | 0.00 |
| 28 | pfam00672 HAMP | 4198 | 2221 | 0.53 |
| 29 | pfam00753 Lactamase_B | 3954 | 1 | 0.00 |
| 30 | pfam00009 GTP_EFTU | 3894 | 0 | 0.00 |
| 31 | pfam00171 Aldedh | 3834 | 1 | 0.00 |
| 32 | pfam00107 ADH_zinc_N | 3804 | 1 | 0.00 |
| 33 | pfam01073 3Beta_HSD | 3775 | 0 | 0.00 |
| 34 | pfam00593 TonB_dep_Rec | 3585 | 0 | 0.00 |
| 35 | pfam02653 BPD_transp_2 | 3499 | 0 | 0.00 |
| 36 | pfam01381 HTH_3 | 3478 | 1 | 0.00 |
| 37 | pfam02421 FeoB | 3478 | 0 | 0.00 |
| 38 | pfam00015 MCPsignal | 3438 | 1 | 0.00 |
| 39 | pfam00293 NUDIX | 3416 | 1 | 0.00 |
| 40 | pfam00196 GerE | 3384 | 1920 | 0.57 |
| 107 | pfam02954 HTH_8 | 1779 | 900 | 0.51 |
| 142 | pfam00989 PAS | 1474 | 965 | 0.65 |
| 230 | pfam00785 PAC | 1110 | 594 | 0.54 |
| 556 | pfam 04397 LytTR | 541 | 382 | 0.71 |
| 618 | pfam01627 Hpt | 497 | 497 | 1.00 |
| 739 | pfam01339 CheB_methylest | 451 | 329 | 0.73 |
| 922 | pfam06580 His_kinase | 388 | 388 | 1.00 |
| 1153 | pfam02895 H-kinase_dim | 291 | 291 | 1.00 |
| 1579 | pfam02702 KdpD | 169 | 134 | 0.79 |
| 1602 | pfam05227 CHASE3 | 165 | 118 | 0.72 |
| 2614 | pfam07194 P2 | 50 | 50 | 1.00 |
|  | Total Genes | 1435868 | 24039 | 0.02 |

Table 2.4: The top forty prokaryotic PFAM domains, measured by the number of genes containing each domain, and also selected domains found most often as part of TCS genes. This is for all annotated genes from the 457 species listed in Table A.1, using RPS-BLAST with an expectation threshold of $10^{-4}$.

| PFAM description | R | $\mathrm{T}_{\mathrm{i}}$ | $\mathrm{T}_{\mathrm{ii}}$ | $\mathrm{R}-\mathrm{R}$ | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | $\mathrm{R}-\mathrm{T}_{\mathrm{ii}}$ | $\mathrm{Ti}-\mathrm{R}$ | $\mathrm{T}_{\mathrm{ii}}-\mathrm{R}$ | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{H}$ | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{R}-\mathrm{H}$ | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{R}$ | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | $\mathrm{T}_{\mathrm{i}}$-R-T $\mathrm{T}_{\mathrm{i}}$ | Other |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | Total

Table 2.5: Number of genes containing certain input associated PFAM domains, by TCS architecture, for all 24,039 TCS genes identified from the 457 species listed in Table A.1. The table row "No input domain" counts genes lacking sufficient space to contain any further domains, while row "Unidentified/other" counts the number of genes containing a region of 100 amino acids or more which were not part of any TCS or PFAM domain. See Table 2.6 for the output domains.

| PFAM description | R | Ti | Tii | R-R | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | $\mathrm{R}-\mathrm{T}_{\text {ii }}$ | Ti-R | $\mathrm{T}_{\text {ii }}-\mathrm{R}$ | Ti-R-H | Ti-R-R-H | Ti-R-R | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | Other | Total |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 00004 AAA | 3 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 3 |
| 03861 ANTAR | 100 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 100 |
| 01339 CheB_methylest | 306 | 8 | 0 | 0 | 0 | 0 | 14 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 329 |
| 00563 EAL | 197 | 3 | 0 | 11 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 3 | 215 |
| 00990 GGDEF | 304 | 3 | 0 | 77 | 0 | 0 | 5 | 0 | 0 | 0 | 0 | 0 | 0 | 17 | 406 |
| 00196 GerE | 1894 | 0 | 0 | 0 | 0 | 0 | 4 | 0 | 0 | 0 | 3 | 0 | 0 | 2 | 1903 |
| 00211 Guanylate_cyc | 13 | 0 | 0 | 0 | 0 | 0 | 4 | 0 | 0 | 0 | 0 | 3 | 0 | 4 | 24 |
| 01966 HD | 147 | 2 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 150 |
| 00126 HTH_1 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 2 |
| 01381 HTH_3 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 |
| 01022 HTH_5 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 |
| 02954 HTH_8 | 899 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 900 |
| 04967 HTH_10 | 4 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 4 |
| 00165 HTH_AraC | 80 | 1 | 0 | 0 | 0 | 0 | 36 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 118 |
| 04397 LytTR | 382 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 382 |
| 00158 Sigma54_activat | 1138 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1140 |
| 04545 Sigma70_r4 | 17 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 17 |
| 07228 Spolle | 62 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 4 | 66 |
| 00440 TetR_N | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 4 | 4 |
| 00486 Trans_reg_C | 3962 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 8 | 3970 |
| No output domain | 2253 | 961 | 259 | 45 | 212 | 0 | 197 | 59 | 29 | 19 | 10 | 31 | 2 | 347 | 4424 |
| Unidentified/other | 1219 | 7237 | 25 | 14 | 119 | 0 | 1225 | 29 | 233 | 69 | 115 | 30 | 20 | 842 | 11177 |
| Gene counts | 11818 | 8198 | 284 | 125 | 331 | 0 | 1426 | 88 | 262 | 88 | 125 | 64 | 22 | 1208 | 24039 | species listed in Table A.1. See Table 2.5 for the input domains.

simple HKs with $\mathrm{T}_{\text {ii }}$ domains (like the model system, CheA in E. coli, see Section 1.4.3), and never found in a simple $H K$ with a $T_{i}$. Intriguingly CheW domains have also been found in simple RRs (with an R domain only), and in simple $\mathrm{T}_{\mathrm{ii}}$ - RY s. About $10 \%$ of the CheWbinding domains are found in genes with other more complicated TCS architectures (like the cheBRA gene discussed in Section 1.4.4). These figures also support the widely observed rule-of-thumb that $\mathrm{T}_{\mathrm{ii}}$ are only associated with chemotaxis (over $95 \%$ of $\mathrm{T}_{\mathrm{ii}}$ HK genes contain a CheW-binding domain).

Reassuringly, only a handful of input domains were found in the 11,818 simple RR genes (or in more complex RR architectures such as R-R). In addition to the 196 CheW domains discussed above (pfam01584, 1.6\%), there were 21 GAF domains (pfam01590, $0.2 \%$ ), 24 PAC domains (pfam00785, $0.2 \%$ ) and 49 PAS domains (pfam00989, $0.4 \%$ ) plus a single HAMP domain (pfam00672) and two Pkinase domains (pfam00069). These numbers are too low to question the classification of these PFAM domains as input associated.

Similarly, very few output domains are found in the $\mathrm{T}_{\mathrm{i}}$ or $\mathrm{T}_{\mathrm{ii}}$ HKs (Table 2.6). Of particular note, $19 \%$ of simple RRs have no output domain at all (2253/11818). These may function like CheY in the $E$. coli chemotaxis system (Section 1.4.3) by directly interacting with other proteins, or some of these RRs could be part of phosphorelays like SpoOF in the Bacillus subtilis sporulation network (Section 1.4.8).

Interestingly no recognised output domains were found in the $262 \mathrm{~T}_{\mathrm{i}}-\mathrm{R}-\mathrm{H}$ HY genes (Table 2.6), although a number of known input domains were found (Table 2.5). This is consistent with the idea that these function as the first step in a phosphorelay (see Sections 1.4.6 and 1.4.9). The same presence of some input domains but complete lack of output domains is observed for the $88 \mathrm{~T}_{\mathrm{i}}$-R-R-H HY genes, which may function in a similar way.

### 2.6.6 Species specific remarks

Figures 2.2. 2.3 and 2.4 shows how the number of TCS domains (or genes) increases with the total number of genes or genome size. These all illustrate that species with larger genomes tend to have more TCS domains and genes. As suggested in van Nimwegen (2003), these trends are well described using a squared power law distribution.

Figure 2.5 illustrates how this trend is linked to the species' lifestyle, showing that nonpathogenic prokaryotes tend to have more TCS genes for their size than pathogenic species. This can be explained on the assumption that pathogens enjoy a much less variable environment in their host than environmental organisms.

Out of the 340 representative prokaryotes in this survey, only 64 had over a hundred


Figure 2.2: A scatter plot showing the number of TCS genes vs. the total number of genes for the 457 species listed in Table A.1. The solid line is a fitted square scaling through the origin. Symbol key as per Figure 2.1


Figure 2.3: A scatter plot showing the number of TCS domains vs. the genome size for the 457 species listed in Table A.1. The solid line is a fitted square scaling through the origin. Symbol key as per Figure 2.1. See also Table 2.7.


Figure 2.4: A scatter plot showing the number of TCS genes vs. the genome size for the 457 species listed in Table A.1. The solid line is a fitted square scaling through the origin. Symbol key as per Figure 2.1. See also Table 2.8.


Figure 2.5: A scatter plot showing the number of TCS genes vs. the genome size for 382 of the species listed in Table A. 1 which the NCBI had categorized as pathogenic (plus symbol, dashed line) or non-pathogenic (dots, solid line). See also Table 2.4

TCS genes. These species are listed alphabetically in Tables 2.7 and 2.8 which show the number of TCS domains ( $\mathrm{R}, \mathrm{T}_{\mathrm{i}}$ and $\mathrm{T}_{\mathrm{ii}}$ etc) and the number of TCS genes (divided by domain architecture). The vast majority of these species are bacteria, with only two archaea: Acidobacteria bacterium Ellin345 (with 198 TCS genes) and Methanospirillum hungatei JF-1 (with 179 TCS genes).

Figures 2.6, 2.7 and 2.8 show scatter plots illustrating what fraction of each species' TCS genes are found together in pairs, isolated or in some other more complex arrangement. These figures attempt to represent how different species organise their TCS genes. For example, marked species Bacillus subtilis and $E$. coli have almost all of their TCS genes as pairs. On the other hand, larger genomes with more TCS genes tend to have less in pairs, and instead have a higher proportion of isolated (orphan) TCS genes and more complicated clusters. In particular from the marked species, Nostoc sp. appears to have more isolated TCS genes than normal, while the myxobacteria M. xanthus and Anaeromyxobacter dehalogenans have more TCS genes in complex clusters.

Figure 2.9 shows the number of TCS domains plotted against the number of TCS genes in each species. It is quite clear that the number of TCS domains increases faster than the number of TCS genes. That is to say, genomes with more TCS genes tend to have more complex TCS architectures (genes containing more than one TCS domain). From its position in this plot, it is not surprising that $M$. xanthus has many TCS hybrid genes with complex multi-domain architectures, such as the protein RodK (see Section 1.4.11).

From these plots (and the underlying tables) it is clear that prokaryotes with especially large numbers of TCS tend to have more complicated TCS arrangements. The myxobacteria, and $M$. xanthus in particular, are an extreme case and thus a useful model-species for the investigation of complex TCS systems (Whitworth and Cock, 2008a, b).

### 2.7 Potential refinements

### 2.7.1 More efficient searching

As implemented, every gene was searched using RPS-BLAST against the full set of PFAM domains, and then any candidate TCS genes were searched against the full set of CDD domains - each time recording the full results. This gave a rich database allowing enquiries to further refine the analysis (such as identifying HATPase associated domains), as well as identifying other TCS associated domains (potential input and output domains, e.g. Table 2.4).

However, from the point of view of identifying TCS genes, it would be more efficient
Table 2.7: TCS domain counts from 64 species with more than 100 TCS genes, selected from the 340 representative species listed in bold in Table A. 1 $A$ and $B$ denote Archaea and Bacteria as the kingdom. TCS gene architectures are listed in Table 2.8. See also Figure 2.3.

| Kingdom \& Group | Species | R | Ti | $\mathrm{T}_{\text {ii }}$ | A | K | H | Others | Total |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| B Betaproteobacteria | Methylibium petroleiphilum PM1 | 64 | 49 | 1 | 2 | 1 | 4 | 1 | 122 |
| B Deltaproteobacteria | Myxococcus xanthus DK 1622 | 190 | 127 | 8 | 5 | 7 | 2 | 0 | 339 |
| B Cyanobacteria | Nostoc sp. PCC 7120 | 155 | 130 | 1 | 2 | 6 | 7 | 2 | 303 |
| B Deltaproteobacteria | Pelobacter propionicus DSM 2379 | 94 | 70 | 4 | 0 | 1 | 3 | 0 | 172 |
| B Gammaproteobacteria | Photobacterium profundum SS9 | 78 | 46 | 2 | 3 | 1 | 7 | 0 | 137 |
| B Betaproteobacteria | Polaromonas sp. JS666 | 78 | 56 | 2 | 1 | 1 | 5 | 1 | 144 |
| B Betaproteobacteria | Polaromonas naphthalenivorans CJ2 | 71 | 63 | 1 | 1 | 1 | 5 | 2 | 144 |
| B Gammaproteobacteria | Pseudoalteromonas atlantica T6c | 85 | 52 | 1 | 0 | 4 | 7 | 0 | 149 |
| B Gammaproteobacteria | Pseudomonas aeruginosa PAO1 | 93 | 58 | 4 | 0 | 1 | 12 | 0 | 168 |
| B Gammaproteobacteria | Pseudomonas entomophila L48 | 89 | 56 | 3 | 2 | 0 | 9 | 0 | 159 |
| B Gammaproteobacteria | Pseudomonas fluorescens Pf-5 | 124 | 77 | 3 | 1 | 0 | 12 | 0 | 217 |
| B Gammaproteobacteria | Pseudomonas putida KT2440 | 100 | 63 | 3 | 1 | 0 | 5 | 0 | 172 |
| B Gammaproteobacteria | Pseudomonas syringae pv. phaseolicola 1448A | 94 | 62 | 4 | 1 | 1 | 7 | 0 | 169 |
| B Betaproteobacteria | Ralstonia eutropha H16 | 90 | 59 | 2 | 1 | 0 | 4 | 1 | 157 |
| B Betaproteobacteria | Ralstonia metallidurans CH34 | 100 | 63 | 2 | 2 | 1 | 7 | 1 | 176 |
| B Betaproteobacteria | Ralstonia solanacearum GMI1000 | 65 | 42 | 1 | 1 | 0 |  | 2 | 115 |
| B Alphaproteobacteria | Rhizobium etli CFN 42 | 82 | 47 | 2 | 2 | 1 |  | 0 | 135 |
| B Alphaproteobacteria | Rhizobium leguminosarum bv. viciae 3841 | 90 | 55 | 2 | 1 | 0 | 1 | 0 | 149 |
| B Betaproteobacteria | Rhodoferax ferrireducens DSM 15236, T118 | 90 | 58 | 2 | 0 | 2 |  | 1 | 156 |
| B Alphaproteobacteria | Rhodopseudomonas palustris BisA53 | 84 | 56 | 5 | 4 | 2 | 4 | 0 | 155 |
| B Alphaproteobacteria | Rhodospirillum rubrum ATCC 11170 | 72 | 49 | 3 | 1 | 0 | 6 | 0 | 131 |
| B Gammaproteobacteria | Saccharophagus degradans 2-40 | 84 | 50 | 3 | 3 | 6 | 8 | 1 | 155 |
| B Gammaproteobacteria | Shewanella sp. ANA-3 | 72 | 43 | 2 | 0 | 1 | 7 | 4 | 129 |
| B Gammaproteobacteria | Shewanella sp. MR-4 | 68 | 42 | 2 | 1 | 0 | 6 | 0 | 119 |
| B Gammaproteobacteria | Shewanella amazonensis SB2B | 71 | 43 | 2 | 0 | 1 | 7 | 0 | 124 |
| B Gammaproteobacteria | Shewanella oneidensis MR-1 | 71 | 40 | 2 | 1 | 3 | 8 | 1 | 126 |
| B Acidobacteria | Solibacter usitatus Ellin6076 | 161 | 108 | 1 | 2 | 6 |  | 0 | 281 |
| B Actinobacteria | Streptomyces avermitilis MA-4680 | 76 | 67 | 0 | 23 | 0 | 0 | 2 | 168 |
| B Actinobacteria | Streptomyces coelicolor A3(2) | 87 | 77 | 0 | 33 | 0 | 0 | 3 | 200 |
| B Deltaproteobacteria | Syntrophobacter fumaroxidans MPOB | 89 | 71 | 1 | 1 | 2 |  | 1 | 165 |
| B Gammaproteobacteria | Vibrio parahaemolyticus RIMD 2210633 | 72 | 46 | 1 | 1 | 2 | 9 | 0 | 131 |
| B Gammaproteobacteria | Vibrio vulnificus CMCP6 | 84 | 48 | 2 | 1 |  | 11 | 0 | 146 |
| B Gammaproteobacteria | Xanthomonas campestris pv. campestris str. ATCC 33913 | 79 | 47 | 4 | 1 | 1 | 2 | 0 | 134 |
| B Gammaproteobacteria | Xanthomonas axonopodis pv. citri str. 306 | 84 | 53 | 3 | 1 | 3 | 7 | 1 | 152 |


| Kingdom \& Group | Species | R | $\mathrm{T}_{\mathrm{i}}$ | $\mathrm{T}_{\text {ii }}$ | R-R | $\mathrm{R}-\mathrm{T}_{\text {ii }}$ | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | $\mathrm{T}_{\mathrm{ii}}-\mathrm{R}$ | Ti-R-H | Others | Total |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| B Acidobacteria | Acidobacteria bacterium Ellin345 | 100 | 48 | 2 | 1 | 0 | 9 | 0 | 0 | 16 | 176 |
| B Betaproteobacteria | Acidovorax avenae subsp. citrulli AAC00-1 | 53 | 38 | 2 | 0 | 0 | 10 | 0 | 0 | 9 | 112 |
| B Gammaproteobacteria | Aeromonas hydrophila subsp. hydrophila ATCC 7966 | 53 | 28 | 3 | 1 | 0 | 5 | 0 | 6 | 7 | 103 |
| B Cyanobacteria | Anabaena variabilis ATCC 29413 | 70 | 69 | 0 | 0 | 0 | 21 | 1 | 0 | 42 | 203 |
| B Deltaproteobacteria | Anaeromyxobacter dehalogenans 2CP-C | 93 | 60 | 5 | 2 | 0 | 10 | 2 | 0 | 10 | 182 |
| B Betaproteobacteria | Azoarcus sp. BH72 | 70 | 45 | 3 | 1 | 0 | 6 | 0 | 0 | 9 | 134 |
| B Firmicutes | Bacillus thuringiensis str. AI Hakam | 52 | 53 | 1 | 0 | 0 | 2 | 0 | 0 | 1 | 109 |
| B Bacteroidetes/Chlorobi | Bacteroides thetaiotaomicron VPI-5482 | 28 | 34 | 0 | 0 | 0 | 42 | 0 | 0 | 14 | 118 |
| B Alphaproteobacteria | Bradyrhizobium japonicum USDA 110 | 93 | 51 | 1 | 1 | 0 | 24 | 2 | 0 | 13 | 185 |
| B Betaproteobacteria | Burkholderia sp. 383 | 71 | 49 | 2 | 0 | 0 | 8 | 1 | 0 | 6 | 137 |
| B Betaproteobacteria | Burkholderia cenocepacia AU 1054 | 64 | 39 | 2 | 0 | 0 | 7 | 1 | 0 | 2 | 115 |
| B Betaproteobacteria | Burkholderia ambifaria/cepacia AMMD | 59 | 41 | 2 | 1 | 0 | 11 | 1 | 0 | 4 | 119 |
| B Betaproteobacteria | Burkholderia pseudomallei 1710b | 55 | 35 | 1 | 0 | 0 | 7 | 1 | 0 | 3 | 102 |
| B Betaproteobacteria | Burkholderia thailandensis E264 | 55 | 36 | 2 | 0 | 0 | 5 | 1 | 0 | 2 | 101 |
| B Betaproteobacteria | Burkholderia fungorum/xenovorans LB400 | 75 | 47 | 2 | 0 | 0 | 16 | 0 | 0 | 13 | 153 |
| B Alphaproteobacteria | Caulobacter crescentus CB15 | 45 | 25 | 2 | 1 | 0 | 25 | 0 | 0 | 5 | 103 |
| B Betaproteobacteria | Chromobacterium violaceum ATCC 12472 | 65 | 29 | 4 | 0 | 0 | 5 | 0 | 4 | 11 | 118 |
| B Gammaproteobacteria | Colwellia psychrerythraea 34H | 65 | 38 | 1 | 1 | 0 | 10 | 0 | 3 | 6 | 124 |
| B Betaproteobacteria | Dechloromonas aromatica RCB | 91 | 51 | 3 | 4 | 0 | 29 | 0 | 2 | 21 | 201 |
| B Firmicutes | Desulfitobacterium hafniense Y51 | 74 | 57 | 1 | 0 | 0 | 1 | 0 | 0 | 5 | 138 |
| B Deltaproteobacteria | Desulfovibrio desulfuricans G20 | 63 | 29 | 1 | 1 | 0 | 9 | 0 | 1 | 20 | 124 |
| B Deltaproteobacteria | Desulfovibrio vulgaris subsp. vulgaris DP4 | 69 | 39 | 2 | 1 | 0 | 13 | 0 | 0 | 15 | 139 |
| B Actinobacteria | Frankia alni ACN14a | 52 | 32 | 0 | 0 | 0 | 6 | 0 | 1 | 9 | 100 |
| B Deltaproteobacteria | Geobacter metallireducens GS-15 | 72 | 56 | 4 | 0 | 0 | 7 | 1 | 2 | 16 | 158 |
| B Deltaproteobacteria | Geobacter sulfurreducens PCA | 89 | 65 | 4 | 0 | 0 | 13 | 0 | 3 | 9 | 183 |
| B Gammaproteobacteria | Hahella chejuensis KCTC 2396 | 95 | 48 | 3 | 4 | 0 | 11 | 2 | 4 | 18 | 185 |
| B Other Bacteria | Magnetococcus sp. MC-1 | 75 | 30 | 2 | 0 | 0 | 39 | 3 | 6 | 28 | 183 |
| B Alphaproteobacteria | Magnetospirillum magneticum AMB-1 | 92 | 74 | 0 | 0 | 0 | 12 | 2 | 3 | 20 | 203 |
| B Alphaproteobacteria | Mesorhizobium loti MAFF303099 | 55 | 36 | 0 | 1 | 0 | 6 | 1 | 0 | 11 | 110 |
| A Euryarchaeota | Methanospirillum hungatei JF-1 | 53 | 39 | 1 | 0 | 0 | 0 | 2 | 0 | 45 | 140 |


| Kingdom \& Group | Species | R | $\mathrm{T}_{\mathrm{i}}$ | $\mathrm{T}_{\text {ii }}$ | R-R | $\mathrm{R}-\mathrm{T}_{\text {ii }}$ | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | $\mathrm{T}_{\mathrm{ii}}-\mathrm{R}$ | Ti-R-H | Others | Total |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| B Betaproteobacteria | Methylibium petroleiphilum PM1 | 48 | 33 | 1 | 0 | 0 | 11 | 0 | 0 | 7 | 100 |
| B Deltaproteobacteria | Myxococcus xanthus DK 1622 | 126 | 92 | 3 | 3 | 0 | 14 | 5 | 0 | 33 | 276 |
| B Cyanobacteria | Nostoc sp. PCC 7120 | 79 | 73 | 0 | 0 | 0 | 20 | 1 | 0 | 42 | 215 |
| B Deltaproteobacteria | Pelobacter propionicus DSM 2379 | 62 | 43 | 4 | 1 | 0 | 20 | 0 | 1 | 8 | 139 |
| B Gammaproteobacteria | Photobacterium profundum SS9 | 58 | 31 | 2 | 2 | 0 | 8 | 0 | 5 | 8 | 114 |
| B Betaproteobacteria | Polaromonas sp. JS666 | 58 | 41 | 1 | 0 | 0 | 4 | 1 | 0 | 14 | 119 |
| B Betaproteobacteria | Polaromonas naphthalenivorans CJ2 | 49 | 44 | 1 | 0 | 0 | 9 | 0 | 0 | 12 | 115 |
| B Gammaproteobacteria | Pseudoalteromonas atlantica T6c | 58 | 32 | 1 | 1 | 0 | 9 | 0 | 5 | 11 | 117 |
| B Gammaproteobacteria | Pseudomonas aeruginosa PAO1 | 70 | 41 | 2 | 1 | 0 | 13 | 1 | 2 | 7 | 137 |
| B Gammaproteobacteria | Pseudomonas entomophila L48 | 68 | 41 | 1 | 0 | 0 | 9 | 1 | 2 | 9 | 131 |
| B Gammaproteobacteria | Pseudomonas fluorescens Pf-5 | 90 | 48 | 1 | 0 | 0 | 20 | 1 | 5 | 8 | 173 |
| B Gammaproteobacteria | Pseudomonas putida KT2440 | 73 | 44 | 1 | 1 | 0 | 14 | 1 | 0 | 8 | 142 |
| B Gammaproteobacteria | Pseudomonas syringae pv. phaseolicola 1448A | 70 | 43 | 2 | 0 | 0 | 15 | 1 | 1 | 8 | 140 |
| B Betaproteobacteria | Ralstonia eutropha H16 | 72 | 43 | 1 | 0 | 0 | 13 | 1 | 0 | 5 | 135 |
| B Betaproteobacteria | Ralstonia metallidurans CH34 | 86 | 50 | 1 | 0 | 0 | 10 | 1 | 1 | 8 | 157 |
| B Betaproteobacteria | Ralstonia solanacearum GMI1000 | 58 | 35 | 1 | 0 | 0 | 5 | 0 | 0 | 5 | 104 |
| B Alphaproteobacteria | Rhizobium etli CFN 42 | 61 | 35 | 2 | 2 | 0 | 6 | 0 | 0 | 10 | 116 |
| B Alphaproteobacteria | Rhizobium leguminosarum bv. viciae 3841 | 65 | 41 | 2 | 2 | 0 | 9 | 0 | 0 | 7 | 126 |
| B Betaproteobacteria | Rhodoferax ferrireducens DSM 15236, T118 | 74 | 46 | 2 | 1 | 0 | 6 | 0 | 0 | 8 | 137 |
| B Alphaproteobacteria | Rhodopseudomonas palustris BisA53 | 59 | 34 | 3 | 1 | 0 | 17 | 2 | 2 | 10 | 128 |
| B Alphaproteobacteria | Rhodospirillum rubrum ATCC 11170 | 52 | 36 | 2 | 1 | 0 | 8 | 1 | 1 | 9 | 110 |
| B Gammaproteobacteria | Saccharophagus degradans 2-40 | 62 | 37 | 2 | 1 | 0 | 8 | 1 | 0 | 16 | 127 |
| B Gammaproteobacteria | Shewanella sp. ANA-3 | 54 | 31 | 2 | 0 | 0 | 4 | 0 | 4 | 11 | 106 |
| B Gammaproteobacteria | Shewanella sp. MR-4 | 52 | 33 | 2 | 1 | 0 | 3 | 0 | 3 | 6 | 100 |
| B Gammaproteobacteria | Shewanella amazonensis SB2B | 54 | 33 | 2 | 2 | 0 | 3 | 0 | 4 | 6 | 104 |
| B Gammaproteobacteria | Shewanella oneidensis MR-1 | 54 | 32 | 2 | 2 | 0 | 1 | 0 | 5 | 9 | 105 |
| B Acidobacteria | Solibacter usitatus Ellin6076 | 98 | 59 | 1 | 1 | 0 | 34 | 0 | 0 | 23 | 216 |
| B Actinobacteria | Streptomyces avermitilis MA-4680 | 72 | 63 | 0 | 0 | 0 | 4 | 0 | 0 | 25 | 164 |
| B Actinobacteria | Streptomyces coelicolor A3(2) | 84 | 75 | 0 | 0 | 0 | 2 | 0 | 0 | 36 | 197 |
| B Deltaproteobacteria | Syntrophobacter fumaroxidans MPOB | 65 | 49 | 1 | 0 | 0 | 16 | 0 | 0 | 9 | 140 |
| B Gammaproteobacteria | Vibrio parahaemolyticus RIMD 2210633 | 54 | 29 | 1 | 0 | 0 | 11 | 0 | 5 | 8 | 108 |
| B Gammaproteobacteria | Vibrio vulnificus CMCP6 | 56 | 28 | 2 | 2 | 0 | 10 | 0 | 7 | 6 | 111 |
| B Gammaproteobacteria | Xanthomonas campestris pv. campestris str. ATCC 33913 | 52 | 28 | 3 | 1 | 0 | 13 | 0 | 1 | 8 | 106 |
| B Gammaproteobacteria | Xanthomonas axonopodis pv. citri str. 306 | 56 | 32 | 3 | 1 | 0 | 12 | 0 | 2 | 12 | 118 |



Figure 2.6: A scatter plot showing the number of TCS genes vs. the number of paired TCS genes for the 457 species listed in Table A.1. The dotted line has gradient one, and thus any point on or close to this line has all or more of its TCS genes in pairs. The solid line is a simple trend line. Symbol key as per Figure 2.1. See also Figures 2.7 and 2.8.


Figure 2.7: A scatter plot showing the number of TCS genes vs. the number of isolated TCS genes for the 457 species listed in Table A.1. The dotted line has gradient one, and thus any point on or close to this line has all or more of its TCS genes isolated from each other. The solid line is a simple trend line. Symbol key as per Figure 2.1. See also Figures 2.6 and 2.8.


Figure 2.8: A scatter plot showing the number of TCS genes vs. the number of TCS genes in a complex gene cluster (not paired or isolated) for the 457 species listed in Table A.1. The dotted line has gradient one, and thus any point on or close to this line has all or more of its TCS genes in complex gene clusters. The solid line is a simple trend line. Symbol key as per Figure 2.1. See also Figures 2.6 and 2.7.


Figure 2.9: A scatter plot showing the number of TCS domains vs. the number of TCS genes for the 457 species listed in Table A.1. The dotted line has gradient one, and shows the expected number of domains if each TCS gene contained only one TCS domain. The solid line is a simple trend line. Symbol key as per Figure 2.1.
to first compile a minimal RPS-BLAST database containing only the relatively few domains of interest. This would require knowing a priori which domains would be required, but running RPS-BLAST would then require far less RAM (with only tens of motifs to hold in memory) and correspondingly less run time (fewer models to search).

### 2.7.2 Updates to PFAM

This survey was conducted using a set of PFAM models from circa 2004. Since then these protein models have been updated, and now give slightly different results. For instance, the current Hpt domain pfam01627 model appears to be more sensitive, and detects domains that previously had been ignored. In addition the PFAM database now includes three additional models for HisKA domains, HisKA_2 (pfam07568) and HisKA_3 (pfam07730) based on Grebe and Stock (1999) and HWE_HK (pfam07536) based on Karniol and Vierstra (2004). Using these new HisKA models may reduce the apparent surplus of receivers seen in Figure 2.1.

Also, it may now be possible to have an equally efficient screen based purely on the latest PFAM domains, without using the CDD or its subsidiary motif collections. RPS-BLAST was used for both PFAM and CDD domains in order to keep the analysis pipeline simple, although the PFAM database uses the tool HMMER (Eddy, 1998) internally. If only PFAM domains were to be used, switching from RPS-BLAST to HMMER should be considered.

### 2.8 Conclusion

The results of this survey demonstrate just how common TCS genes are in prokaryotes, and that over $80 \%$ of these genes are simple HKs and RRs (with only a $\mathrm{T}_{\mathrm{i}}$ and an R TCS domain each). Furthermore, about half of these simple genes are found as neighbours, confirming that the simplistic TCS scheme introduced in Figure 1.1 on page 3 really is typical, and that the more exotic examples discussed in Section 1.4 are the exceptions rather than the norm.

In automatically identifying HK and RR gene pairs (Section 2.4), it was necessary to determine how far apart neighbouring TCS genes were, or to what extent they overlapped. Plotting a histogram of the gene overlap/separation presented several interesting features worthy of explanation (Chapter 3, Cock and Whitworth (2007a)).

The rest of this thesis will concentrate on the $T_{i}$ with $R$ pairings found here as either $T_{i}+R$ or $R+T_{i}$ gene pairs, or as simple hybrids, $T_{i}-R$ or $R-T_{i}$. Chapter 4 will explore factors affecting the relative numbers of simple pairs and simple hybrids. The remainder of the thesis will explore these $T_{i} / R$ pairs as a training dataset to predict the partnerships from the amino acid sequences.

## Chapter 3

## Phase preference in gene overlaps

### 3.1 Introduction

Overlapping genes can be found in all domains of life, but are particularly common in viruses and prokaryotes (Normark et al., 1983, Rogozin et al., 2002; Makalowska et al., 2005). Any gene overlap allows the same number of genes to be encoded in a smaller genome, potentially advantageous to organisms under selective pressure to minimize the size of their genome, and enables mechanisms of co-regulation to operate, including translational coupling (Normark et al. 1983; Oppenheim and Yanofsky, 1980; McCarthy, 1990).

When discussing two adjacent or overlapping genes, there are three distinct geometries to consider. Using the terminology of Rogozin et al. (2002), these are convergent (tail-to-tail, $\rightarrow \leftarrow$ ), divergent (head-to-head, $\leftarrow \rightarrow$ ), and unidirectional (head-to-tail, or tandem, $\rightarrow \rightarrow$ ). In the first two cases the genes are on opposite strands of the DNA, and the labels "gene one" and "gene two" are interchangeable. However, for unidirectional overlaps this symmetry is broken, with an upstream gene ("gene one") and a downstream gene ("gene two") on the same strand.

In general, there are three separate phases to consider, which, based on the gene separation length modulo three, Kingsford et al. (2007) labeled as phases $+0,+1$ and +2 . i.e. separations of $3 i, 3 i+1$ and $3 i+2$ (for $i \in \mathbb{Z} \mathbb{Z}^{1}$. By including the stop codons when calculating separation or overlap lengths, an overlap of length $n$ corresponds to a separation of length $-n$, which means the three phases $+0,+1$ and +2 can also be described in terms of overlaps of $3 i, 3 i-1$ and $3 i-2$ (for $i \in \mathbb{Z}$ ).

For unidirectional gene overlaps, both genes are encoded on the same DNA strand, and the three phases can be considered as relative reading frames. Only phases +1 and +2 will be

[^2]

Figure 3.1: An example unidirectional gene overlap in phase +1 , where the overlap length takes the form $3 i-1$ for $i \in \mathbb{N}$, in this case 8 bp . Note that the reading frame of gene two is 1 bp advanced from that of gene one.


Figure 3.2: An example unidirectional gene overlap in phase +2 , where the overlap length takes the form $3 i-2$ for $i \in \mathbb{N}$, in this case 7 bp . Note that the reading frame of gene two is 2 bp advanced from that of gene one.


Figure 3.3: An example unidirectional gene overlap in phase +0 , where the overlap is a multiple of three bp (i.e. overlap length $3 i$ for $i \in \mathbb{N}$ ). The two genes' reading frames are in-phase, thus they both terminate at the same stop codon. Such overlaps can also be considered as one gene with alternative initiation sites giving two possible protein products with a common C-terminal region, and are excluded from the analysis.
considered, for example as illustrated in Figures 3.1 and 3.2 for overlaps of 8 and 7 nucleotide base pairs (bp). Phase +0 (or in-phase) unidirectional overlaps are a special case as both genes share the same reading frame. As a consequence, they must share the same stop codon, and therefore this is equivalent to alternative initiation sites for a single gene (Figure 3.3). Such cases are rare, and have been excluded from the following analysis.

Short overlaps of less than six bp are extremely restricted due to the amino acid genetic code (Tables 3.1 and 3.2), as such cases require the nucleotides in the overlap to be dual coding for a start/stop codon in two different genes. In the case of divergent genes, the two start codons would overlap. Similarly for convergent genes, the two stop codons would overlap. Unidirectionally overlapping genes are on the same strand, and here the stop codon of the upstream gene overlaps with the start codon of the downstream gene. In many cases, overlaps of particular lengths are rendered impossible by the genetic code. For overlaps of six or more nucleotides, the start/stop codons merely share nucleotides with ordinary amino acid coding codons in the other gene. These start/stop codon restrictions lead to very different distributions for short overlaps (less than 6 bp ), compared to longer overlaps ( 6 or more bp).

This chapter starts with a motivational observation about unidirectional gene overlaps in TCS systems (Cock and Whitworth, 2007a), then a survey of all gene overlaps from the sequenced prokaryotes. Existing work looking at gene overlaps is summarized, and the remainder of the chapter focuses on explaining unidirectional gene overlaps.

### 3.2 Observed separations or overlaps from TCS genes

Figure 3.4 shows a bar chart of gene separation/overlap for unidirectional gene pairs. As in Cock and Whitworth (2007a), this is restricted to neighbouring HK and RR genes (in either order), where the HK has a single transmitter ( $\mathrm{T}_{\mathrm{i}}$ or $\mathrm{T}_{\mathrm{ii}}$ ) and the RR a single receiver domain (see Section 2.4). Using TCS partners allows us to be confident that each overlap is between biologically linked genes, which we would expect to be co-expressed.

In addition to peaks at overlaps of lengths one and four, there is a clear phase bias in the gene overlaps which is emphasized by the colour scheme. Related Figures 3.5 and 3.6 show this same dataset divided according to the order of the two genes, RR then HK and HK then $R R$ respectively. Both figures show very similar distributions.

Extending the analysis to all neighbouring gene pairs shows a smoother version of the same pattern (Figure 3.13, described in following section), making this a global phenomenon, and not some quirk of TCS operons. The remainder of this chapter will focus on this general case, rather than on only the TCS gene pairs.

| TTT | F | Phe |  | TCT | S | Ser | TAT | Y | Tyr | TGT | C | Cys |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| TTC | F | Phe |  | TCC | S | Ser | TAC | Y | Tyr | TGC | C | Cys |
| TTA | L | Leu |  | TCA | S | Ser | TAA | * | Stop | TGA | * | Stop |
| TTG | L | Leu | (i) | TCG | S | Ser | TAG | * | Stop | TGG | W | Trp |
| CTT | L | Leu |  | CCT | P | Pro | CAT | H | His | CGT | R | Arg |
| CTC | L | Leu |  | CCC | P | Pro | CAC | H | His | CGC | R | Arg |
| CTA | L | Leu |  | CCA | P | Pro | CAA | Q | Gln | CGA | R | Arg |
| CTG | L | Leu | (i) | CCG | P | Pro | CAG | Q | Gln | CGG | R | Arg |
| ATT | I | Ile | (i) | ACT | T | Thr | AAT | N | Asn | AGT | S | Ser |
| ATC | I | Ile | (i) | ACC | T | Thr | AAC | N | Asn | AGC | S | Ser |
| ATA | I | Ile | (i) | ACA | T | Thr | AAA | K | Lys | AGA | R | Arg |
| ATG | M | Met | (i) | ACG | T | Thr | AAG | K | Lys | AGG | R | Arg |
| GTT | V | Val |  | GCT | A | Ala | GAT | D | Asp | GGT | G | Gly |
| GTC | V | Val l |  | GCC | A | Ala | GAC | D | Asp | GGC | G | Gly |
| GTA | V | Val |  | GCA | A | Ala | GAA | E | Glu | GGA | G | Gly |

Table 3.1: This table shows what the NCBI refers to as Translation Table 11, the genetic code used for bacteria, archaea, prokaryotic viruses and chloroplast proteins. Recognised initiation start codons are marked with (i).

| TTT | F | Phe |  | TCT | S | Ser | TAT | Y | Tyr | TGT | C | Cys |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| TTC | F | Phe |  | TCC | S | Ser | TAC | Y | Tyr | TGC | C | Cys |
| TTA | L | Leu | (i) | TCA | S | Ser | TAA | * | Stop | TGA | W | Trp |
| TTG | L | Leu | (i) | TCG | S | Ser | TAG | * | Stop | TGG | W | Trp |
| CTT | L | Leu |  | CCT | P | Pro | CAT | H | His | CGT | R | Arg |
| CTC | L | Leu |  | CCC | P | Pro | CAC | H | His | CGC | R | Arg |
| CTA | L | Leu |  | CCA | P | Pro | CAA | Q | Gln | CGA | R | Arg |
| CTG | L | Leu | (i) | CCG | P | Pro | CAG | Q | Gln | CGG | R | Arg |
| ATT | I | Ile | (i) | ACT | T | Thr | AAT | N | Asn | AGT | S | Ser |
| ATC | I | Ile | (i) | ACC | T | Thr | AAC | N | Asn | AGC | S | Ser |
| ATA | I | Ile | (i) | ACA | T | Thr | AAA | K | Lys | AGA | R | Arg |
| ATG | M | Met | (i) | ACG | T | Thr | AAG | K | Lys | AGG | R | Arg |
| GTT | V | Val |  | GCT | A | Ala | GAT | D | Asp | GGT | G | Gly |
| GTC | V | Val |  | GCC | A | Ala | GAC | D | Asp | GGC | G | Gly |
| GTA | V | Val |  | GCA | A | Ala | GAA | E | Glu | GGA | G | Gly |
| GTG | V | Val | (i) | GCG | A | Ala | GAG | E | Glu | GGG | G | Gly |

Table 3.2: This table shows what the NCBI refers to as Translation Table 4, the genetic code used for mould, protozoan, coelenterate mitochondria and mycoplasma/spiroplasma. Recognised initiation start codons are marked with (i). cf. Table 3.1 where TGA is a stop codon, and TTA is not recognised as an initiation start codon.
Separation (bp)

Figure 3.4: Unidirectional $(\rightarrow \rightarrow)$ TCS gene pair separation or overlap, from the 457 species listed in Table A.1. Unlike Figure 3.13, this only shows simple HK and RR neighbours (in either order). Figures 3.5 and 3.6 show this dataset divided according to the order of the two genes.


Figure 3.5: Unidirectional $(\rightarrow \rightarrow)$ HK then RR gene pair separation or overlap (in that order, i.e. $T+R$ pairs), from the 457 species listed in Table A.1.


Figure 3.6: Unidirectional $(\rightarrow \rightarrow)$ RR then HK gene pair separation or overlap (in that order, i.e. $R+$ T pairs), from the 457 species listed in Table A. 1.

### 3.3 Observed separations or overlaps from all genes

Separation/overlap frequencies were tabulated for divergent, convergent and unidirectional adjacent genes based on the annotation in the GenBank files of the 457 species listed in Table A.1. For simplicity, any genes with non-exact locations, ambiguous sequences, internal stop codons, invalid start or stop codons (as verified using the declared genetic code, Table 3.1 or 3.2), or special cases with non-continuous coding sequences (e.g. from ribosomal slippages) were excluded, as were cases where one gene was entirely within another (fully overlapped). Separated gene pairs with any ambiguous sequence between them were also excluded.

In total 1, 428, 039 gene pairs were considered: 210, 209 divergent, 210, 494 convergent and $1,007,336$ unidirectional gene pairs; a split of $14.7 \%, 14.7 \%$ and $70.5 \%$ respectively ( 3 sf). Within each orientation, the proportion of overlapping gene pairs varies considerably. Only $3.6 \%$ of divergent genes are annotated as overlapping, compared with $13 \%$ of convergent pairs and $21 \%$ ( 2 sf ) of unidirectional pairs. These ratios agree within one percent with published results (Fukuda et al., 2003; Kingsford et al., 2007).

In the following bar charts, for all three orientations there is a clear division between short overlaps $(n<6)$, and longer overlaps $(n \geq 6)$ where there are periodic patterns in the distributions, which have been emphasized by using three alternating colours for the three phases.

### 3.3.1 Divergent gene pairs

Figure 3.7 illustrates divergent gene pairs, which make up about $15 \%$ of neigbouring genes. Of these, only $3.6 \%$ or about 7,600 pairs ( 2 sf ) are overlapped. Divergent overlaps require any promoter or translation initiation sites to be dual-encoded in the complementary strand of the other gene's coding region - which may go some way to explaining their rarity.

This bar chart can be divided into three regions which exhibit different behaviours: separated genes, short overlaps, and long overlaps. There is a periodic behaviour in the separated genes, with phase +2 apparently most common. Also noteworthy is a drop in the observed counts around six bp, which could be explained by requirements of the ribosomal binding site having to be dual coded with the other gene's start codon.

Short divergent overlaps $(n<6)$ are restricted by the limited set of possible start codons. Table 3.3 shows these overlaps tabulated according to the start codons used. In cases where a pair of start codons cannot give a particular overlap length, a dash has been shown. Otherwise the observed count is given, which is zero in some cases. Because divergent overlaps are symmetric with respect to the strands, these tables are symmetric.



| $n=1$ |  | gene two start codon |  |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
|  | ATA | (TAT) | - | - | - | - | - | - | 0 | 0 |
|  | ATC | (GAT) | - | - | - | - | - | - | 0 | 0 |
| gene one | ATG | (CAT) | - | - | - | - | - | - | 0 | 219 |
| start codon | ATT | (AAT) | - | - | - | - | - | - | 0 | 0 |
| (and reverse | CTG | (CAG) | - | - | - | - | - | 3 | - | - |
| complement) | GTG | (CAC) | - | - | - | - | 3 | - | - | - |
|  | TTA | (TAA) | 0 | 0 | 0 | 0 | - | - | - | - |
|  | TTG | (CAA) | 0 | 0 | 219 | 0 | - | - | - | - |


| $n=2$ |  |  | gene two start codon |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
|  | ATA | (TAT) | 0 | 1 | 1 | 0 | - | - | - | - |
|  | ATC | (GAT) | 1 | 0 | 0 | 0 | - | - | - | - |
| gene one | ATG | (CAT) | 1 | 0 | 1120 | 0 | - | - | - | - |
| start codon | ATT | (AAT) | 0 | 0 | 0 | 0 | - | - | - | - |
| (and reverse | CTG | (CAG) | - | - | - | - | - | - | - | - |
| complement) | GTG | (CAC) | - | - | - | - | - | - | - | - |
|  | TTA | (TAA) | - | - | - | - | - | - | - | - |
|  | TTG | (CAA) | - | - | - | - | - | - | - | - |

1122 overlaps

| $n=4$ |  |  | gene two start codon |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
|  | ATA | (TAT) | 0 | - | - | - | - | - | 0 | - |
|  | ATC | (GAT) | - | - | - | - | - | - | - | - |
| gene one | ATG | (CAT) | - | - | - | - | - | - | - | - |
| start codon | ATT | (AAT) | - | - | - | - | - | - | - | - |
| (and reverse | CTG | (CAG) | - | - | - | - | - | - | - | - |
| complement) | GTG | (CAC) | - | - | - | - | - | - | - | - |
|  | TTA | (TAA) | 0 | - | - | - | - | - | 0 | - |
|  | TTG | (CAA) | - | - | - | - | - | - | - | - |


| $n=5$ | gene two start codon |  |  |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
|  | ATA | (TAT) | - | - | - | 0 | - | - | - | - |
| gene one | ATC | (GAT) | - | - | 0 | - | 0 | 0 | - | 0 |
| start codon | ATT | (AAT) | - | 0 | - | - | - | - | - | - |
| (and reverse | CTG | (CAG) | 0 | - | - | - | - | - | 0 | - |
| complement) | GTG | (CAC) | - | 0 | - | - | - | - | - | - |
|  | TTA | (TAA) | - | 0 | - | - | - | - | - | - |
|  | TTG | (CAA) | - | 0 | - | 0 | - | - | - | - |
|  |  |  | - | - | - | - | - |  |  |  |

Table 3.3: Divergent overlap sequences of varying lengths, $n<6$, tabulated by start codon. Bold indicates which parts of the two start codons would coincide, with dashes for impossible combinations. Note that these tables are symmetric. Same dataset as Figure 3.7.

| $n \geq 6$, phase +0 |  | gene two start codon |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
|  | ATA | (TAT) | 0 | 0 | 2 | 0 | 0 | 1 | 0 | 0 |
| gene one | ATC | (GAT) | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| start codon | ATT | (AAT) | 2 | 0 | 641 | 0 | 8 | 651 | 0 | 598 |
| (and reverse | CTG | (CAG) | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| complement) | GTG | (CAC) | 1 | 0 | 8 | 1 | 1 | 1 | 0 | 1 |
|  | TTA | (TAA) | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | TTG | (CAA) | 0 | 0 | 598 | 0 | 1 | 197 | 0 | 103 |


| $n \geq 6$, phase +1 |  | gene two start codon |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |  |
|  | ATA | (TAT) | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| gene one | ATC | (GAT) | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| start codon | ATT | (AAT) | 0 | 0 | 838 | 0 | 4 | 627 | 0 | 610 |
| (and reverse | CTG | (CAG) | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 |
| complement) | GTG | (CAC) | 0 | 0 | 4 | 0 | 0 | 2 | 0 | 1 |
|  | TTA | (TAA) | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | TTG | (CAA) | 0 | 0 | 610 | 1 | 1 | 198 | 0 | 124 |


| $n \geq 6$, phase +2 |  | gene two start codon |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
|  | ATA | (TAT) | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| gene one | ATC | (GATG | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| start codon | ATT | (AAT) | 0 | 0 | 275 | 1 | 2 | 381 | 0 | 300 |
| (and reverse | CTG | (CAG) | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 |
| complement) | GTG | (CAC) | 0 | 0 | 381 | 1 | 1 | 0 | 0 | 1 |
|  | TTA | (TAA) | 0 | 0 | 0 | 0 | 0 | 0 | 2 | 0 |
|  | TTG | (CAA) | 0 | 0 | 300 | 0 | 1 | 143 | 0 | 93 |

Table 3.4: Divergent overlap nucleotide sequences of length $n \geq 6$, tabulated by phase according to the start codons used. This is a continuation of Table 3.3.


Figure 3.8: An example divergent gene overlap of length $n=1$, ...CAATG... (or ...CATTG... on the reverse complement strand) where the two genes commence ATG... and TTG. . . (using the standard start codon ATG, and an atypical start codon, TTG).


Figure 3.9: An example divergent gene overlap of length $n=2$, ...CATG... (which is a palindromic sequence) where both genes commence ATG. . . using the standard start codon, ATG.


Figure 3.10: An example divergent gene overlap of length $n=4$, . . ATAA. . . (or . . .TTAT . . . on the reverse complement strand) where the two genes commence ATAA... and TTAT... (using atypical start codons ATA and TTA).

There are over two hundred divergent gene overlaps of length $n=1$, almost exclusively . . . CAATG. . . or equivalently . . .CATTG. . . (its reverse complement), which was observed 219 times. In this particular overlap the two genes commence with start codons ATG. . . and TTG. . . , as illustrated in Figure 3.8. The $n=1$ overlap . . CACTG . . . or . . .CAGTG . . . was found three times, while the remaining theoretical possibilities were not observed (Table 3.3).

Over a thousand divergent overlaps of length $n=2$ were found, almost exclusively where both genes commence with the standard start codon ATG. . . giving an overlap region . . . CATG . . . (a palindromic sequence, 1120 cases). This is illustrated in Figure 3.9. Table 3.3 shows several other possible overlaps of length $n=2$ using different start codons pairings, which were observed only once or not at all.

A divergent overlap of length $n=3$ would require a start codon whose reverse complement is also a start codon, and this is not possible in the known genetic codes. Divergent overlaps of lengths $n=4$ and 5 bp are possible using atypical start codons (e.g. Figure 3.10), but were not observed (Table 3.3)

For longer divergent overlaps $(n \geq 6)$, phase +2 is clearly least common, while the number of overlaps in phases +0 and +1 are similar, with slightly more in phase +1 (Figure 3.7, Table 3.4). Note that while long overlaps in phase +2 are least common, separations in phase +2 are most common. This symmetry may be due in part to misannotated start codons.

### 3.3.2 Convergent gene pairs

Around $15 \%$ of all neighbouring genes are convergent, and of these $13 \% ~(2 \mathrm{sf})$ are overlapping. Figure 3.11 shows separations/overlap lengths in convergent gene pairs.

Short convergent overlaps $(n<6)$ are restricted by the limited set of three possible stop codons. Table 3.5 shows these overlaps tabulated according to the stop codons used. In cases where a pair of stop codons cannot give a particular overlap length, a dash has been shown. Since divergent overlaps are symmetric with respect to the strands, these tables are symmetric.

Figure 3.11 shows about a third of the convergent overlaps are of length four, a distribution spike previously reported (Fukuda et al., 1999). In fact, overlaps of length $n=4$ are the only possible short convergent overlaps $(n<6)$, as overlaps of lengths $1,2,3$ and 5 bp cannot appear due to stop codon limitations (Table 3.5).

Convergent overlaps of length $n=4$ can occur in three ways (Table 3.5), with both genes using stop codon TAA (2359 cases), both using TAG (2729 cases), or one using TAA and the other using TAG (3329 cases, illustrated in Figure 3.12). Convergent overlaps of length

Separation (bp)

| $n=1$ |  | gene two stop (reverse complement) |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | TAA (TTA) | TAG (СТА) | TGA (TCA) |
| gene | TAA | - | - | - |
| one | TAG | - | - | - |
| stop | TGA | - | - | - |
| $n=2$ |  |  |  | 0 overlaps |
|  |  | gene two stop (reverse complement) |  |  |
|  |  | TAA (TTA) | TAG (CTA) | TGA (TCA) |
| gene | TAA | - | - | - |
| one | TAG | - | - | - |
| stop | TGA | - | - | - |
| $n=4$ |  |  |  | 0 overlaps |
|  |  | gene two stop (reverse complement) |  |  |
|  |  | TAA (TTA) | TAG (CTA) | TGA (TCA) |
| gene | TAA | 2359 | 3329 | - |
| one | TAG | 3329 | 2729 | - |
| stop | TGA | - | - | - |

8417 overlaps

| $n=5$ |  | gene two stop (reverse complement) |  |  |
| :---: | ---: | ---: | ---: | ---: |
|  |  | TAA (TTA) | TAG (CTA) | TGA (TCA) |
| gene | TAA | - | - | - |
| one | TAG | - | - | - |
| stop | TGA | - | - | - |


| $n \geq 6$, phase +0 | gene two stop (reverse complement) |  |  |  |
| :---: | :---: | ---: | ---: | ---: |
|  |  | TAA (TTA) | TAG (CTA) | TGA (TCA) |
| gene | TAA | 892 | 713 | 1020 |
| one | TAG | 713 | 460 | 912 |
| stop | TGA | 1020 | 912 | 753 |
|  |  |  | 4750 overlaps |  |


| $n \geq 6$, phase +1 | gene two stop (reverse complement) |  |  |  |  |
| :---: | :---: | ---: | ---: | ---: | :---: |
|  |  | TAA (TTA) | TAG (CTA) | TGA (TCA) |  |
| gene | TAA | 1051 | 1203 | 1508 |  |
| one | TAG | 1203 | 372 | 1519 |  |
| stop | TGA | 1508 | 1519 | 2753 |  |
|  |  |  | 8406 overlaps |  |  |


| $n \geq 6$, phase +2 | gene two stop (reverse complement) |  |  |  |
| :---: | :---: | ---: | ---: | ---: |
|  |  | TAA (TTA) | TAG (CTA) | TGA (TCA) |
| gene | TAA | 217 | 307 | 1065 |
| one | TAG | 307 | 251 | 1614 |
| stop | TGA | 1065 | 1614 | 1395 |
|  |  |  | 4849 overlaps |  |

Table 3.5: Convergent overlap sequences of varying lengths, $n$, tabulated by stop codons. Bold indicates which parts of the two stop codons would coincide, with dashes for impossible combinations. Note that these tables are symmetric. From the same dataset as Figure 3.11 .


Figure 3.12: An example convergent gene overlap of length $n=4, \ldots$ TTAG... (or ...CTAA... on the reverse complement strand) where the two genes end ...TTAG and ... CTAA using stop codons TAG and TAA respectively.
$n=4$ using the stop codon TGA are impossible. In this situation, since one gene would finish . . .NTGA, giving an overlap of NTGA with reverse complement TCAN, the other gene would end . . .TCAN requiring a stop codon of the form CAN.

For the longer convergent overlaps $(n \geq 6)$, phase +1 overlaps are clearly the most common (Figure 3.11, Table 3.5), as reported in Rogozin et al. (2002) (where phase +1 is referred to as C2) and Kingsford et al. (2007). On the other hand, for separate convergent pairs, phase +0 is slightly more common than phase +1 , than phase +2 , also reported in Kingsford et al. (2007). However, the overlap and separated gene spectra do not appear to be mirror images of each other, as claimed in Kingsford et al. (2007).

### 3.3.3 Unidirectional gene pairs

The most common gene pair orientation is unidirectional, with over $70 \%$ of cases. This orientation also has the highest overlap rate ( $21 \%, 2 \mathrm{sf}$ ).

For unidirectional overlaps, the three phases can be viewed in terms of relative reading frames. As mentioned in the introduction, the special case of "in phase" overlaps (of length $3 i$ for $i \in \mathbb{N}$, phase +0 ) reduces to alternative start codons for a single gene which were excluded (Figure 3.3). This leaves two possible overlap phases, phase +1 (overlaps of length $3 i-1$, Figure 3.1) and phase +2 (overlaps of length $3 i-2$ for $i \in \mathbb{N}$, Figure 3.2).

Figure 3.13 shows unidirectional gene pairs. Overlaps of length $n=1$ make up about one sixth of unidirectional overlaps, while overlaps of length $n=4$ constitute just under half. The high number of length 1 and 4 bp overlaps has long been recognised (Eyre-Walker, 1996). Overlaps of 2,3 and 6 bp are prevented by the genetic code, however there are a handful of overlaps of 5 bp made possible by an atypical start codon, ATT (Table 3.6).

The simplest possible unidirectional overlap is by one bp. For example, Figure 3.14


| $n=1$ |  | gene two start codon |  |  |  |  |  |  |  |
| :---: | :---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
| gene | TAA | 2 | 2 | 15618 | 15 | - | - | - | - |
| one | TAG | - | - | - | - | - | 1331 | - | - |
| stop | TGA | 0 | 1 | 14982 | 1 | - | - | - | - |

31952 overlaps

| $n=2$ |  | gene two start codon |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
| gene | TAA | - | - | - | - | - | - | - | - |
| one | TAG | - | - | - | - | - | - | - | - |
| stop | TGA | - | - | - | - | - | - | - | - |


| $n=4$ | gene two start codon |  |  |  |  |  |  |  |  |
| :---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
| gene | TAA | 73 | - | - | - | - | - | 14 | - |
| one | TAG | 5 | - | - | - | - | - | 4 | - |
| stop | TGA | - | - | 78840 | - | 116 | 18487 | - | 4945 |


| $n=5$ |  | gene two start codon |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
| gene | TAA | - | - | - | 22 | - | - | - | - |
| one | TAG | - | - | - | 4 | - | - | - | - |
| stop | TGA | - | - | - | 2 | - | - | - | - |


| $n \geq 6$, phase +1 |  | gene two start codon |  |  |  |  |  |  |  |
| :---: | :---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
| gene | TAA | 25 | 9 | 18514 | 14 | 47 | 3073 | 28 | 3073 |
| one | TAG | 2 | 3 | 5490 | 4 | 6 | 1166 | 8 | 1072 |
| stop | TGA | 0 | 3 | 18768 | 1 | 24 | 3873 | 0 | 2579 |


| $n \geq 6$, phase +2 | gene two start codon |  |  |  |  |  |  |  |  |
| :---: | :---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  | ATA | ATC | ATG | ATT | CTG | GTG | TTA | TTG |
| gene | TAA | 11 | 21 | 3730 | 56 | 16 | 1003 | 6 | 826 |
| one | TAG | 1 | 3 | 2163 | 5 | 6 | 724 | 0 | 469 |
| stop | TGA | 4 | 0 | 4440 | 3 | 25 | 2611 | 0 | 1160 |

Table 3.6: Unidirectional overlap nucleotide sequences of varying lengths, $n$, tabulated according to the upstream gene stop codon (gene one) and the downstream gene start codon (gene two). Bold nucleotides indicate which parts of the start and stop codons would have to coincide, impossible combinations are shown as a dash. Note that the combination of start codon TTA with stop codon TGA is not possible for overlaps of length $n<6$ in either of the genetic codes used (Tables 3.1 and 3.2). From the same dataset as Figure 3.13 .


Figure 3.14: An example unidirectional gene overlap of length $n=1$, ...TGATG... where the upstream gene one ends ...TGA (stop codon TGA) and the downstream gene two starts ATG. . . (standard start codon ATG).


Figure 3.15: An example unidirectional gene overlap of length $n=4$, ...ATGA... where the upstream gene one ends ...ATGA (stop codon TGA) and the downstream gene two starts ATGA... (standard start codon ATG).


Figure 3.16: An example unidirectional gene overlap of length $n=5, \ldots$ ATTAA... where the upstream gene one ends . . ATTAA (stop codon TAA) and the downstream gene two starts ATTAA... (atypical start codon ATT).
shows an overlap ...TGATG... where the overlapping region (A) is the last nucleotide of a stop codon in gene one (...TGA) and the first nucleotide of a start codon in gene two (ATG . . . ). Referring to Table 3.6, overlaps of . . .TGATG . . . and . . . TAATG . . . make up the bulk of $n=1$ overlaps, with a handful of others using different start codons.

The most numerous unidirectional overlap is length $n=4$, principally $\ldots$ ATGA... (gene one ends ...TGA and gene two starts ATG.... illustrated in Figure 3.15). Because prokaryotes employ multiple possible start codons, other overlaps of four are also possible, with GTGA and TTGA being the next most common (Table 3.6).

An overlap of five nucleotides is rare, requiring the atypical start codon ATT (Table 3.6). One example of this is shown in Figure 3.16. A similar analysis based on the codon tables excludes overlaps of two nucleotides. The in-phase cases of $n=3$ and $n=6$ can also be specifically ruled out as these would require a codon to serve double duty as both a stop and a start site, or reduce the downstream gene to a trivial six nucleotide start-stop sequence.

Thus for $n \leq 6$ the major overlaps are $n=1$ and 4 , plus the slight possibility of $n=5$ with an atypical start codon. These extremely common short overlaps almost certainly cause translational coupling (Oppenheim and Yanofsky, 1980; McCarthy, 1990), resulting in both genes being expressed at a similar level. Eyre-Walker (1996) discusses the use of particular alternative stop codons in this context.

For overlaps of more than six nucleotides, it is striking that overlaps in phase +1 are far more common than in those in phase +2 . Plots like this have previously been published although the phase bias for longer overlaps was not apparent due to lack of data (Eyre-Walker, 1996), or not stressed (Borodovsky et al., 1999; Johnson and Chisholm, 2004), until this work (Cock and Whitworth, 2007a).

### 3.4 Current understanding of gene overlaps

The three different overlap orientations share certain features. For short overlaps $(n<6)$, the absence of certain overlap lengths is trivially explained by the codon table. For the longer overlaps ( $n \geq 6$ ) there appears to be an exponential drop off in the observed counts, but with an additional effect with a periodicity equal to the codon length of three bp . There are also some visible phase effects in the separation distribution for neighbouring non-overlapping genes.

One important question to address when considering potentially overlapping genes is how they were predicted or annotated. For stop codons, there is little chance of error (barring abnormalities like ribosomal slippages), but for start codons the situation is less clear cut -
indeed multiple start codons can be used in vitro resulting in different gene products from the same gene (e.g. the genes infB (Nyengaard et al., 1991; Laursen et al., 2002) or cheA (Smith and Parkinson, 1980) in E. coli and other species) as illustrated in Figure 3.3 .

How each genome was annotated, and any biases in start codon selection regarding potential gene overlaps will complicate this analysis. To avoid concerns about mis-annotated start codons Rogozin et al. (2002) restricted their analysis to evolutionarily conserved overlapping gene pairs, but this does have the downside of restriction to a much smaller dataset. In Cock and Whitworth (2007a) our analysis was restricted to TCS genes only, where because these genes contain characterized domains, they are more likely to be genuine than predicted genes of unknown function.

There has been little work in the literature looking at the phase patterns in divergent genes, presumably handicapped by both the relative scarcity of divergent gene overlaps, and uncertainty over the reliability of the start codon annotation which is doubly crucial in this head-to-head orientation.

Several groups have looked at the more common case of convergent overlaps, where being tail-to-tail any ambiguity of start codons is not so important. Rogozin et al. (2002) concluded the phase +1 preference in convergent gene overlaps could be explained because this offered the least mutual constraint on nonconservative amino acid replacements in both overlapping coding sequences (Krakauer, 2000), and overlaps in this phase were therefore more likely to be retained by positive selection.

To explain this reasoning, the three nucleotides within a codon will be referred to as $c 1, c 2$ and $c 3$. In this notation $c 3$ corresponds to the "wobble position" (Crick, 1966). When two convergent genes overlap in phase +1 , the $c 1$ positions of each gene coincide, while the $c 2$ position of one gene matches a $c 3$ position in the other, and vice versa. This arrangement allows non-synonymous changes in one gene by point mutation of a nucleotide in the $c 2$ position, with minimal disruption to the other gene where this change is in the $c 3$ or wobble position, and the change is therefore likely to be synonymous. This imposes minimal mutual constraints on the co-evolution of the two genes, compared to the other two phases. In particular, in phase +2 , the wobble positions in both genes coincide, which means any non-synonymous change in one gene will likely be non-synonymous in the other gene.

Kingsford et al. (2007) later observed that due to the likelihood of finding alternative stop codons in the reverse complement of a non-overlapping gene coding sequence, the simple loss of a stop codon will produce a similar three bp periodic pattern of overlapping gene lengths. They concluded convergent gene overlaps arose by random extension of genes to the
next in-frame stop codon, followed by selection against longer overlaps, which was modeled using an exponential fitness function. This data-driven explanation is much simpler than the mutual constraint arguments of Rogozin et al. (2002), although as the authors observed, the two are not mutually contradictory.

Our own work focused on the phase bias in unidirectional overlaps, initially from a mutual restraint perspective (Cock and Whitworth, 2007a), similar to that of Rogozin et al. (2002). This chapter presents an alternative start/stop codon analysis following the method of Kingsford et al. (2007). While there is one start codon to worry about in unidirectional gene pairs, this orientation is by far the most common, providing a wealth of data to analyse.

### 3.5 Long unidirectional gene overlaps

Short overlaps of length $n<6$ have been discussed above (Section 3.3.3), while multiples of three are excluded ( $n=3 i$ for $i \in \mathbb{N}$, phase +0 ). This leaves the longer overlaps $(n \geq 6)$ where there are two distinct phases to consider. Based on shared information content alone, it has been predicted there would be no phase preference for unidirectional gene overlaps (Krakauer 2000), but this is not the case (Figure 3.4. Table 3.6).

For the overlapping region, each nucleotide is encoding two different codons - and thus controls the amino acid sequence of two different proteins. Due to the nature of the amino acid translation table, mutations in the wobble position of a codon (c3) generally make least difference to the resulting amino acid, and mutations in this position are most likely to be tolerated. Looking at the amino acid nature, mutations in codon position one ( $c 1$ ) generally are less damaging than mutations in position two ( $c 2$ ).

With a phase difference of +1 , the wobble position (c3) in gene one corresponds to a fragile $c 2$ nucleotide in gene two. With a phase difference of +2 , the wobble position ( $c 3$ ) in gene two corresponds to a $c 2$ nucleotide in gene one. If it is assumed that there is no difference in the evolutionary pressures on two overlapping genes, then by a symmetry argument, one would predict there should be no preference for the +1 or +2 phase differences (for overlaps of more than six bp). However, any simple argument based on either of the upstream or downstream gene being "more important" is somewhat undermined by our analysis of TCS gene pairs, $H K+R R$ pairs versus $R R+H K$ pairs, where the genes are presumably of equal importance to the organism, and yet the same phase bias was observed (Figures 3.5 and 3.6).

On the basis of this codon based mutual constraint argument, the observed phase +1 bias in longer overlaps (Figures 3.4 and 3.13) suggests that in general the tail end of gene one is "more important" than the start of gene two. That is to say, a phase +1 overlap allows
maximal non-synonymous changes in the start of gene two while minimizing changes in gene one. This argument can be assessed directly by considering hypothetical point mutations in the overlap region (Cock and Whitworth, 2007a).

On the basis of this mutual constraint argument, in Cock and Whitworth (2007a) we proposed that unidirectional gene overlaps tend to arise from non-overlapping unidirectional genes by the N -terminal extension of the downstream gene by the (gradual) adoption of an alternative start codon. Under this model, the overlap region was originally single coding for the C-terminal region of the upstream gene, and becomes dual coding giving an initially random N -terminal prefix to the original downstream gene. There would then be evolutionary pressure to optimize the amino acid composition of this new stretch of protein, which can occur more easily without disruption to the upstream gene in phase +1 . Assuming generation of overlaps in either phase happens at similar frequencies, this mutual constraint suggests that phase +1 overlaps are more likely to be retained by purifying selection, resulting in a phase +1 bias.

Alternatively, unidirectional overlaps could arise by the C-terminal extension of the upstream gene - for example a (point) mutation in the original stop codon leading to an extension to the next in-frame stop codon. Applying the same argument as above suggests a phase +2 bias would be expected. In Cock and Whitworth (2007a) a simplistic codon frequency analysis suggested the codon usage in non-overlapped regions was more similar to that of the overlapped region of the upstream gene than the downstream gene, taken as support for the creation of these overlaps by extension of the downstream gene via an alternative start codon.

In an alternative explanation, the following section will explore unidirectional overlap generation by the adoption of alternative start or stop codons, based on the analysis of Kingsford et al. (2007) for convergent gene overlaps.

### 3.6 Generating overlaps from alternative start/stop codons

Kingsford et al. (2007) introduced a model explaining the convergent gene overlap phase bias based on the likelihood of finding alternative stop codons in the reverse complement of nonoverlapping gene coding sequences. They concluded convergent gene overlaps arose by the loss of a stop codon leading to random extension of a gene to the next in-frame stop codon, followed by a selection against longer overlaps which was modelled as an exponential fitness function.

This analysis is repeated here and generalised to cover the other gene orientations. The extension to look for alternative stop codons in non-overlapping unidirectional gene pairs
is straightforward. Alternative start codons can also be searched for to generate potential unidirectional or divergent gene overlaps. This analysis does not explicitly look for ShineDalgarno binding sites (Shine and Dalgarno, 1975), nor any other translation initiation regions, which would have to be dual coding with the protein sequence of the other gene. However, the function of these regions is not known to require a precise distance from the start codon, and thus should be irrelevant to the phase effects we are interested in

### 3.6.1 Generating convergent overlaps from alternative stop codons

Kingsford et al. (2007) looked at non-overlapping convergent gene pairs, and considered how these could give rise to overlaps by the adoption of an alternative stop codon. They searched each non-overlapped gene for the first reverse complement stop codon. A histogram of the convergent overlap which would result from a neighbouring gene adopting this stop codon revealed the same phase bias observed in Figure 3.11. Such an overlap could be created by a simple point mutation of the existing stop codon (assuming the gene separation was in the correct phase) or by a more radical mutation.

This analysis is repeated in Figure 3.17, where the horizontal axis is labeled by the resulting overlap length. As in Kingsford et al. (2007), there is a striking phase bias, with phase +1 most common. Each phase appears to show an exponential-like decay, but with different rates. As a result, for overlaps up to about 12 bp , phase +0 is more common than phase +2 , but this ranking switches for the longer overlaps. Kingsford et al. (2007) Figure 3 shows similar behaviour, however in their dataset phase +2 overtakes phase +0 to become the second most common phase at around forty bp.

### 3.6.2 Generating divergent overlaps from alternative start codons

Figure 3.18 shows a similar analysis, searching non-overlapping divergent genes for the first reverse complement start codon (looking for any valid start codon in the relevant codon table). This appears to show a similar overlap phase bias to that observed in Figure 3.7, with phase +1 more common than phase +0 than phase +2 .

A large number of potential overlaps of lengths one and two are found, with $n=2$ about ten times more common, as expected. However, these short overlaps make up a far higher fraction of the generated overlaps than observed in annotated overlaps. In addition, there are a substantial number of overlaps of length $n=5$ predicted, which does not agree with the overserved data where none have been annotated. These differences are likely due to the fact that any potentially valid start codon has been accepted when generating the hypo-


Figure 3.17: Hypothetical convergent overlaps generated by an alternative stop codon, from the 457 species listed in Table A.1.
thetical overlaps, which does not reflect the start codon usage observed in annotated overlaps (Table 3.3). One particular problem with this simplistic analysis is that some alternative start codons defined for the bacterial genetic code may only be used by a subset of species. More generally, different start codons have different initiation rates and thus different usage rates.

This start codon bias is dealt with very simply in Figure 3.19, where only overlaps generated using a commonly observed start codon (ATG, GTG or TTG) were accepted (these three start codons together make up the bulk of all annotated start codons observed). The number of $n=1$ and $n=2$ overlaps are much reduced compared to Figure 3.18 (using any start codon), although still over-represented. There are only a handful of overlaps of length $n=5$ predicted now, which does better match the observed distribution. In reducing the number of short overlaps, there are correspondingly more longer overlaps ( $n \geq 6$ ), which now show a very clear phase bias (with phase +1 most common), much more pronounced than in the observed distribution (Figure 3.7), although phases +0 and +2 are now almost equally common. There is a smooth exponential decay, bar the low number of overlaps of length $n=6$, although that is observed in Figure 3.7. This exponential decay appears to be faster than in the oberserved data (Figure 3.7).

Given the comparatively small sample of divergent gene overlaps observed, and the relatively indistinct phase patterns therein (Figure 3.7), further comparison with these predictions (Figures 3.18 and 3.19) has not been pursued.


Figure 3.18: Hypothetical divergent overlaps generated by any potential valid start codon, from the 457 species listed in Table A.1. Any valid start codon in the relevant codon table was accepted.


Figure 3.19: Hypothetical divergent overlaps generated by any common start codon (ATG, GTG or TTG), from the 457 species listed in Table A.1.

### 3.6.3 Generating unidirectional overlaps from alternative start/stop codons

Analysis of non-overlapping unidirectional genes is slightly more complicated, as both Nterminal extension of the downstream gene via a new start codon, and C-terminal extension of the upstream gene via a new stop codon must be considered.

Figure 3.20 shows the resultant overlaps from the most C-terminal out-of-phase start codon in the upstream gene, using any valid start codon in the genetic code assigned to each organism. For the longer overlaps $(n \geq 6)$ there is a smooth exponential decay, with phase +1 about twice as common as phase +2 . This is the phase bias expected, but it is not as pronounced as observed in annotated overlaps (Figure 3.13).

Large numbers of overlaps of lengths $n=1$ and 4 are predicted, with about twice as many of length $n=4$. This does not match the oberved ratio where overlaps of $n=4$ are about three times as common (Table 3.6). Another noteable difference between Figure 3.20 and the observed distribution is the high peak at overlap length $n=5$, which is almost completely absent in Figure 3.13. As discussed in Section 3.3.3, unidirectional overlaps of length $n=5$ are only possible using the alternative start codon ATT. As in the case of divergent gene overlaps above, this analysis is simplistic in that even "rare" start codons like ATT are given equal weighting. This peak at $n=5$ is absent in Figure 3.21 where only the commonly observed three start codons were considered.

Figure 3.21 shows other differences. Overlaps of $n=1$ and 4 are also much reduced, which is also to be expected as only the standard three start codons were considered, restricting the set of possible short overlaps (see Table3.6). Also their ratio is closer to that observed. For the longer overlaps $(n \geq 6)$, the phase bias is now much stronger, with phase +1 about three times as common as phase +2 , in much closer agreement with the observed bias (Figure 3.13 , Table 3.6). Also of note, in Figure 3.21 the decay rate is much slower than in Figure 3.20 .

Figure 3.22 shows the resultant overlaps from the most N -terminal out-of-phase stop codon in the downstream gene. The breakdown of short overlaps $(n<6)$ is in reasonable agreement, with a only a small fraction of $n=5$ overlaps generated, although the ratio of overlaps of length $n=1$ and 4 is skewed. The longer overlaps ( $n \geq 6$ ) show exponential decay as expected, except that the number of overlaps of length $n=6$ is comparatively low. There is a slight phase bias, with phase +2 somewhat more common, which is the opposite of the bias observed (Figure 3.13).

Notice that the phase bias in the hypothetical overlaps from alternative start codons (Figures 3.20 and 3.21) matches that observed in annotated overlaps (Figure 3.13), but those generated from alternative stop codons do not (Figure 3.22). This would appear to support


Figure 3.20: Hypothetical unidirectional overlaps generated by any valid start codon within the upstream gene of non-overlapping unidirectional gene pairs, selected from the 457 species listed in Table A.1. Any valid start codon in the relevant codon table was accepted.


Figure 3.21: Hypothetical unidirectional overlaps generated by any common start codon (ATG, GTG or TTG) within the upstream gene of non-overlapping unidirectional gene pairs, selected from the 457 species listed in Table A.1.
the hypothesis that unidirectional gene overlaps tend to be generated from non-overlapping unidirectional gene pairs by the N -terminal extension of the downstream gene by the adoption of an alternative start codon within the upstream gene, rather than C-terminal extension of the upstream gene by a adoption of new stop codon within the downstream gene.


Separation / negative overlap (bp)

Figure 3.22: Hypothetical unidirectional overlaps generated by any potential alternative stop codon within the downstream gene of non-overlapping unidirectional gene pairs, selected from the 457 species listed in Table A.1.

### 3.7 Predicting overlap length spectra

The results of the previous section can be used to generate overlap spectra showing the expected phase biases for convergent overlaps (using alternative stop codons) and unidirectional overlaps (using alternative start codons). However the exponential decay rates do not quite match, which in their model for convergent overlaps Kingsford et al. (2007) resolved using a two-step model. Firstly, a new convergent overlap is generated by the adoption of a new stop codon. Secondly, the fitness of this new overlap is limited by its length, modelled with an exponential fitness function. This idea could be applied to unidirectional overlaps (and potentially divergent overlaps), modelling their generation by the adoption of a new start codon, followed by a length-based selection.

### 3.8 Discussion

Given the relative scarcity of divergent overlap examples, we have not examined the case of divergent overlaps in any detail. However, it appears that the overlap phase biases here may also be explained by the relative frequencies of start codons within the other reading frames of normal coding sequences.

Both the mutual constraint selection model (Cock and Whitworth, 2007a), and the alternative start codon model presented above based on Kingsford et al. (2007), explain the observed unidirectional overlap phase bias. The models are compatible, both assuming that overlaps tend to happen by the N-terminal extension of a downstream gene. The alternative start codon model suggests a strong phase bias at the creation of the overlap, while the mutual constraint model suggests a strong phase selection bias after the overlaps is created. Either or both may be valid.

Similarly, for convergent overlaps, the alternative stop codon (Kingsford et al., 2007) and mutual constraint selection (Rogozin et al., 2002) models are also compatible. I am inclined to follow Kingsford et al. (2007) in concluding that the inherent phase bias in the observed frequency of start and stop codons in alternative reading frames of coding sequences gives the more elegant and straightforward explanation of the convergent overlap patterns observed, and also favour this explanation for unidirectional overlaps.

The phase patterns in overlapping genes have no immediately apparent evolutionary function, but rather are inherently linked to the genetic code itself. The genetic code will have evolved under various pressures. Itzkovitz and Alon (2007) explored a range of hypothetical genetic codes, and concluded that the genetic codes observed in nature are near optimal for allowing additional information to be encoded within a protein sequence. This work did not specifically mention nucleotide sequences simultaneously encoding two proteins, but rather arbitrary (short) sequences representing possible DNA-binding regions or other motifs. Furthermore, the presence of alternative out of frame stop codons within a gene (hidden stop codons) was looked at from the point of view of robustness to translational frameshift errors (Seligmann and Pollock, 2004). The standard genetic code was found to terminate erroneous reads sooner than the hypothetical genetic codes, which is advantageous as less resources are wasted constructing and degrading non-functional proteins. It seems reasonable that functions like double-coding and hidden stop codons may have shaped the genetic code, and thus indirectly contribute to the overlap phase patterns observed.

One assumption in the work presented in this chapter, has been taking annotated start codons at face value. From the perspective of phase biases, as long as two genes still overlap,
the chosen start codon does not actually matter. Also, mis-annotations would be expected to cause marked phase bias in the distribution of non-overlapping genes. This may indeed be the case in divergent overlaps (Figure 3.7), but does not appear to be an issue in the unidirectional gene pairs (Figure 3.13). In Cock and Whitworth (2007a), filtering the dataset to exclude any gene pairs with possible alternative start codons actually made the overlap phase bias slightly stronger, however this dramatically reduces the size and therefore the reliability of the dataset.

While the genetic code itself appears to induce these phase biases in longer overlaps, without searching for translation initiation sites it is not clear how many of these long unidirectional (or divergent) overlaps are biologically relevant. Translational coupling provides a biological reason for short unidirectional gene overlaps, but may not apply to the longer overlaps reported. Indeed, a recent analysis by Pallejá et al. (2008) concluded that most long overlaps are mis-annotations. The phase biases of these longer overlaps may be an artefact our simple model of alternative start codon selection with an exponential length-based fitness criterion can be applied equally well to the genome annotation process!

Finally, the high number of unidirectional overlaps of length $n=5$ generated using "rare" alternative start codons (Figure 3.20) may be of biological relevance, with the handful of cases annotated being just the tip of the iceberg. Eyre-Walker (1996) noted skewed ratios of alternative stop codons in short overlaps ( $n=1$ or 4 ), so a similar atypical start codon usage in this context is not unreasonable. Perhaps future work will reveal that overlaps of $n=5$ are in fact far more common than current annotation indicates.

## Chapter 4

## TCS gene fusion

### 4.1 Introduction

The prototypical TCS system consists of two proteins, a histidine kinase (HK) containing a transmitter domain $(T)$, and its partner response regulator $(R R)$ containing a receiver domain $(R)$ (e.g. Figure 1.1). The domain motif based search described in Chapter 2 identified a large number of more complicated genes containing multiple TCS domains (see Table 2.2 on page 47), the most common of which are simple hybrid kinases (HYs) containing a single T and a single R domain (e.g. Figure 1.3).

One explanation for such HY genes is they are the result of a gene fusion event, merging neighbouring HK and RR genes into a single composite. However these genes are created, for so many HYs to be preserved across multiple species, these systems must retain some functionality, so it is presumed that there is intra-protein phosphorylation between the T and R domains in a simple HY.

If these simple HY proteins do form self-contained TCS systems, then the presence of an output domain could be expected. In the absence of a separate output domain, a response could be elicited directly by the receiver domain itself, similarly to CheY (Section 1.4.3). Alternatively, rather than constituting a self-contained TCS, a simple HY protein could be part of a phosphorelay, as in the Vibrio harveyi quorum-sensing system (Section 1.4.9). However, relatively few phosphotransfer proteins have been identified to date (see Section 1.4).

In this chapter the lists of paired T and R domains generated in Section 2.4 are used to infer apparent net TCS gene fusion rates, and to investigate factors influencing this, in particular the presence of transmembrane helices in HKs, and the presence of DNA-binding domains in RRs. In the absence of such features there is a relative abundance of fused genes. These results were published in Cock and Whitworth (2007b).

| Two gene pairs |  | Isolated hybrids |  |  |  |
| :---: | ---: | :---: | ---: | ---: | ---: |
| Domains | Count | Domains | Count | Fused | Total |
| $\mathrm{T}_{\mathrm{i}}+\mathrm{R}$ | 2092 | $\mathrm{~T}_{\mathrm{i}}-\mathrm{R}$ | 764 | $27 \%$ | 2856 |
| $\mathrm{~T}_{\mathrm{ii}}+\mathrm{R}$ | 5 | $\mathrm{~T}_{\mathrm{ii}}-\mathrm{R}$ | 1 | $17 \%$ | 6 |
| $\mathrm{R}+\mathrm{T}_{\mathrm{i}}$ | 2689 | $\mathrm{R}^{2}-\mathrm{T}_{\mathrm{i}}$ | 95 | $3 \%$ | 2784 |
| $\mathrm{R}+\mathrm{T}_{\mathrm{ii}}$ | 30 | $\mathrm{R}-\mathrm{T}_{\mathrm{ii}}$ | 0 | $0 \%$ | 30 |
| Total | 4816 | Total | 860 | $15 \%$ | 5676 |

Table 4.1: Minimal TCS systems from 457 species (Table A.1), data points from Tables 2.2 and 2.3. The fused column shows the fraction in isolated hybrids, an apparent net fusion rate.

### 4.2 Minimal TCS systems

A minimal TCS system will be taken as one containing a single T and a single R domain, either as neighbouring HK and RR genes, or as isolated HYs. Only isolated HYs are used (where there are no other TCS genes within $5,000 \mathrm{bp}$ ) allowing direct comparison to paired genes (where again, there are no other TCS genes within $5,000 \mathrm{bp}$, see Section 2.4) to infer apparent net fusion rates.

These systems will be denoted as $T+R$ or $R+T$ for the two gene pairs, and $T-R$ or R-T for the hybrids, with plus signs denoting two separate neighbouring genes, and minuses indicating multiple domains within one gene. Similarly, TR and RT denote minimal TCS systems as either two gene pairs, or as single gene hybrids.

Table 4.1 shows minimal TCS systems identified as part of the survey described in Chapter 2. Given the small number of $\mathrm{T}_{\mathrm{ii}}$ systems, this chapter will focus on the $\mathrm{T}_{\mathrm{i}}$ systems only. There are similar numbers of TR and RT systems (2,856 and 2, 784 respectively, excluding $\mathrm{T}_{\mathrm{ii}}$ systems), however, the proportion of single-gene systems (and therefore the apparent fusion rate), was found to be markedly different for TR and RT geometries: $27 \%$ and $3 \%$ respectively were hybrid kinases (independence rejected with chi-squared p-value $<0.001$ ).

It is clear that the apparent net fusion rate depends on the domain order, with the TR fusion rate an order of magnitude higher than that for RT systems.

### 4.3 Transmembrane and DNA-binding domains

Two factors important in TCS function that might affect TCS gene fusion are transmembrane (TM) helices in input domains, and the presence of DNA-binding domains, as these domains require separate spatial localisation for function. TCSs were therefore assessed for the presence of TM helices and DNA-binding domains.

Transmembrane (TM) predictions were made for genes containing T domains using the online web-interface to TMHMM v2.0 (Krogh et al. 2001) (as recommended in an independent
comparison (Moller et al., 2001)). Note that the TMHMM software is now available to download as a standalone tool, which would allow its complete integration into the analysis pipeline, rather than the semi-automatic procedure adopted which prepared batches of queries for the online tool.

The presence of DNA-binding output domains was based on matches to any of the following PFAM domains with an expectation threshold of $10^{-4}$ using RPS-BLAST (see Section 2.5): pfam00486, pfam00196, pfam02954, pfam04397, pfam00165, pfam04545, pfam00447, pfam00440, pfam01381, pfam04967, pfam00249, pfam00126 or pfam01022.

Table 4.2 shows the breakdown of the minimal TCS systems (with Class I transmitters) by both domain architecture and the presence of TM and DNA-binding domains. Overall, $83 \%$ of minimal TCSs possessed TM helices and $26 \%$ contained DNA-binding domains, with $20 \%$ containing both. However, these breakdowns are very dependent on the TCS system architecture.

Most HKs possessed TM helices $(4,223$ out of 4,781 [ $88 \%]$ ), as did a large number of hybrid kinases ( 456 out of $859[53 \%]$ ). The proportion of TM HKs was found to be much higher in $R+T_{i}$ systems than in $T_{i}+R$ systems ( $97 \%$ and $77 \%$ respectively), and additionally, was much lower in R-T systems than in T-R systems ( $1 \%$ and $60 \%$ respectively).

There also appears to be a relationship between TCS geometry and the presence of DNA-binding domains (Table 4.2). Of 4, 739 RRs within minimal TCSs, $29 \%$ possess DNAbinding output domains. Small numbers of HYs were found to have DNA-binding domains ( $5 \%$ of $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ proteins, but no $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ cases), while in two gene pairs, DNA-binding domains were more common ( $59 \%$ of $T_{i}+R$ pairs, and $6 \%$ of $R+T_{i}$ pairs). Thus it seems that hybrid kinases possessing DNA-binding domains are selected against, and this selection is stronger for $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ hybrids than for $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ hybrids ( $0 \%$ of DNA-binding RT geometry TCSs are hybrid kinases, compared to $3 \%$ of TR geometry TCSs).

The chi-squared test rejects the independence of gene order and the proportion of fused genes with p-values of $6.1 \times 10^{-3}$ and $1.6 \times 10^{-237}$ when TM helices and DNA-binding domains respectively are excluded. However, considering only those TCSs that lack both TM helices

|  | $\mathrm{T}_{\mathrm{i}}+\mathrm{R}$ | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | Fused | $\mathrm{R}+\mathrm{T}_{\mathrm{i}}$ | $\mathrm{R}^{2}-\mathrm{T}_{\mathrm{i}}$ | Fused | Total | Fraction |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| TM only | 697 | 422 | $38 \%$ | 2454 | 1 | $0 \%$ | 3574 | $63 \%$ |
| DNA only | 311 | 6 | $2 \%$ | 29 | 0 | $0 \%$ | 346 | $6 \%$ |
| TM + DNA | 927 | 33 | $3 \%$ | 145 | 0 | $0 \%$ | 1105 | $20 \%$ |
| Neither | 157 | 303 | $66 \%$ | 61 | 94 | $61 \%$ | 615 | $11 \%$ |
| Total | 2092 | 764 | $27 \%$ | 2689 | 95 | $3 \%$ | 5640 | $100 \%$ |

Table 4.2: Occurrence of minimal TCSs, sub-divided by the presence/absence of transmembrane helices (TM), DNA-binding domains (DNA) and TCS geometry.
and DNA-binding domains, we see similar proportions of fused genes in TR and RT geometries ( $61 \%$ RT, $66 \%$ TR, p-value for independence 0.416 ), implying that the presence of TM helices and DNA-binding domains are the main factors affecting the propensity for gene fusion. It also suggests that in the absence of domains requiring specific spatial localisation, evolution generates (and/or retains) fused gene products at a higher frequency than separated gene pairs, which agrees with more general studies (Snel et al., 2000, Kummerfeld and Teichmann, 2005).

### 4.4 TCS domain location in HK and RR genes

The results of the previous section clearly show domain order (TR versus RT) is linked to the apparent fusion rate. A related question is the location of the $T$ and $R$ domains within HK and RR genes. Figure 4.1 uses bar-charts to show the position of the $T$ within each HK, and the $R$ within each $R R$, for the paired systems discussed in this chapter.

It is apparent that the transmitter domain is typically within 25 amino acids of the C-terminus of the HK, and there are normally hundreds of amino acids preceding it at the N-terminus (which presumably includes an input domain). Figure 4.2 shows the same data divided according to whether or not the HK is TM, and the same patterns persist.

For the RRs, the opposite holds. The receiver is usually within 25 amino acids of the N-terminus, and there is typically a C-terminal region of 50 to 400 amino acids (presumably containing an output domain). Figure 4.3 shows that DNA-binding domains are all within a C-terminal region of around 100 amino acids, while for non-DNA-binding output domains there is a wider range of lengths.

### 4.5 TCS domain location in HY genes

Figures 4.4 and 4.5 show similar plots for the $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ and $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ isolated hybrids, with the addition of separation of the TCS domains. For the $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ hybrids, there is generally an N -terminal region of up to 1000 aa, presumably containing an input domain. The region between the TCS domains is typically around 25 aa, with a second peak at about 150 aa perhaps indicative of an intermediate domain. Most of these HYs have a C-terminal region less than 50 aa, however, some are longer suggesting the presence of an output domain.

For the $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ hybrids (Figure 4.5), the N and C-terminal regions are generally short (under 50 aa ), but there is considerable variation in the intra-TCS domain spacing, where input and output domains might be expected.


HK N-terminal region

Length (AA)
Rerminal region
Length (AA)
Figure 4.1: Lengths of the regions N and C -terminal of the transmitter and receiver domains in HK and RR proteins respectively. These bar-charts show only paired HK and RR proteins, the top two are for HKs and the bottom two for RRs, with N-terminal lengths on the left, and C-terminal lengths on the



HK C-terminal region
(TM only)
ұunoう

$$
\begin{aligned}
& \text { HK N-terminal region } \\
& \text { (TM only) }
\end{aligned}
$$


$\begin{array}{lllllllllllllllllllllllllllllll}0 & 22 & 48 & 74 & 103 & 136 & 169 & 202 & 235 & 268 & 301 & 334 & 367 & 400 & 433 & 466 & 499 & 532 & 565 & 598 & 631 & 664 & 697 & 730 & 763\end{array}$ Length (AA)

HK N-terminal region


Length (AA)


ұunoう

Leṇth (AA)
Length (AA)
 two are for TM HKs and the bottom two for non-TM HKs - a sub-division of the HK data shown in Figure 4.1.


$\begin{array}{llllllllllllllllllllllllllll}0 & 13 & 28 & 43 & 58 & 73 & 88 & 106 & 126 & 146 & 166 & 186 & 206 & 226 & 246 & 266 & 286 & 306 & 326 & 346 & 366 & 386 & 406 & 426 & 446\end{array}$
Length (AA)

Length (AA)
Figure 4.3: Lengths of the regions $N$ and C-terminal of the receiver domain in RRs. These bar-charts show only RRs paired with HK proteins, the top two are for RR containing a DNA-binding domain and the bottom two for RRs lacking a DNA-binding domain - a sub-division of the RR data shown in Figure 4.1.
$\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ (isolated hybrids)


Between TCS domains



Figure 4.4: Bar-charts of the lengths of the regions N -terminal to the transmitter, between the receiver and transmitter, and C-terminal to the receiver domain, in isolated $\mathrm{T}_{\mathrm{i}}$-R HYs.
$\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ (isolated hybrids)


## Between TCS domains



## C-terminal region



Figure 4.5: Bar-charts of the lengths of the regions N -terminal to the receiver, between the receiver and transmitter, and C-terminal to the transmitter domain, in isolated $\mathrm{R}-\mathrm{T}_{\mathrm{i}} \mathrm{HYs}$.

### 4.6 Domain separation

Figure 4.6 shows the separation (nucleotide bps) between encoded transmitter and receiver domains for the four minimal TCS geometries. Domains tend to be much closer to each other in TR than RT systems, which is consistent with the observation that most RRs possess C-terminal output domains, and typical HKs have N-terminal input domains (Section 4.4).

A minimum separation between the TCS domains is apparent in the HY genes. These TCS domain separations are also shown measured in amino acids in Figures 4.4 and 4.5 .

A sub-population of $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ systems is apparent with an average domain separation of $\sim 500 \mathrm{bp}, \sim 400 \mathrm{bp}$ larger than the main population, suggesting the presence of an additional domain between the transmitter and receiver domains. A periodicity of $\sim 400 \mathrm{bp}$ may also be present for the inter-domain distances of RT systems, presumably reflecting integer values of intervening domains between the transmitter and receiver domains.

### 4.7 Discussion

If HYs arise from the fusion of HK and RR genes, then many of the trends observed can be explained due to the typical domain arrangements. HKs tend to have an N-terminal input domain, and a C-terminal transmitter (INPUT- $\mathrm{T}_{\mathrm{i}}$ ), while RRs tend to have an N -terminal receiver domain and C-terminal output domain (R-OUTPUT) (Section 4.4). Thus a TR fusion, starting with an INPUT- $T_{i}$ HK upstream of an R-OUTPUT RR, would give a domain layout of INPUT- $\mathrm{T}_{\mathrm{i}}$-R-OUTPUT, while an RT fusion would give R-OUTPUT-INPUT- $\mathrm{T}_{\mathrm{i}}$ instead.

DNA-binding output domains require some steric freedom in order to function, and hypothetically this would be hampered by being a central domain within a HY. Thus an RT fusion (expected to give R-OUTPUT-INPUT- $\mathrm{T}_{\mathrm{i}}$ ) would be less functional than a TR fusion (which would be INPUT- $\mathrm{T}_{\mathrm{i}}$-R-OUTPUT), which matches the observed data ( $39 \mathrm{~T}_{\mathrm{i}}-\mathrm{R}$ with DNA-binding, but no $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ cases). However, this alone does not seem to explain the scarcity of HYs with DNA-binding domains.

TM proteins are known to have an N-terminal signal peptide which marks them for membrane export. In a TR fusion event, this marker would be preserved at the N -terminal of the resulting hybrid gene. However, in RT fusions the marker would be lost or rendered nonfunctional by virtue of being in the central core of the new fused gene. Another important order dependent difference between hypothetical fusions of TM HK with RR genes is the location of the TM input domain. If as is normally the case, the HK domain layout is INPUT- $\mathrm{T}_{\mathrm{i}}$, then in a TR fusion the TM input domain remains at the $N$-terminus of the protein, and thus


Figure 4.6: TCS domain separation in minimal systems, for the four system architectures.
should remain functional. In this case, the previously cytosolic RR domains become membrane associated, which may impact their functionality, depending on the nature of the output signal (a particular concern for DNA-binding). However, for an RT fusion this would place the TM region in the middle of the resulting HY protein, which may complicate or prevent the membrane insertion (even if given a suitable membrane export signaling marker). Furthermore, if there are an odd number of TM helices, this would put the transmitter and receiver domains on opposite sides of the membrane, preventing the phosphotransfer.

On the basis of these arguments, while $\mathrm{TM} \mathrm{T}_{\mathrm{i}}-\mathrm{RHYs}$ should be possible (and indeed 455 were identified), no $\mathrm{TM} \mathrm{R}-\mathrm{T}_{\mathrm{i}} \mathrm{HY}$ s would be expected. In fact, a single TM R-T T HY was found, StyS of Xanthomonas axonopodis pv. citri (GI:21244368), with two predicted TM helices in the middle of the protein. This may simply be a false positive TM prediction.
$20 \%$ of minimal TCS systems contain both a TM input domain and a DNA-binding output domain. From the arguments above, here an RT fusion event would be non-functional (and no $\mathrm{R}-\mathrm{T}_{\mathrm{i}} \mathrm{HY}$ s were observed with both TM and DNA-binding domains), while a TR fusion of a TM HK and DNA-binding RR resulting in an INPUT- $\mathrm{T}_{\mathrm{i}}$-R-OUTPUT domain structure does appear to be possible. Such proteins would be membrane bound, thus in order for the output domain to bind to the DNA, the DNA itself would have to move into proximity with the HY, which seems energetically unfavourable. On the contrary, for normal RRs or cytosolic HYs, the protein itself is mobile and can diffuse to the DNA. It is therefore somewhat surprising that a total of 33 HYs containing both a transmembrane domain and a DNA-binding output domain were observed (Table 4.2). These were from Bacteroides thetaiotaomicron, Bacteroides fragilis (multiple occurrences each, also reported in Xu et al. (2004), see Section 1.4.5) and three strains of Bacillus cereus (one example each). If these proteins truly have transmembrane helices, and are therefore membrane anchored, perhaps their DNA-binding domains act to spatially organize the DNA in a more complex regulatory process than the simple modulation of gene expression?

TMHMM was trained on a set of only 160 known TM proteins, of which 76 are from Eukaryota ( 64 from Mammalia), 3 from Archaea (all Halobacterium), 76 from Bacteria (of which 48 are Escherichia) and 5 from viruses (Krogh et al., 2001, suplementary information). Thus only half are from prokaryotes, and half of these are from Escherichia. It is possible that there is some species bias in the transmembrane predictions.

Finally, $11 \%$ of minimal TCS systems contain neither a TM input domain nor a DNAbinding output domain. With no further information about the nature of the domains in these proteins, there is no reason a priori to expect the proportion of HYs to be different for the TR
and RT geometries, which indeed are very similar ( $61 \%$ RT, $66 \%$ TR, p-value for independence 0.416). Moreover, the fact that the apparent net fusion rate is so high in the absence of a TM input and a DNA-binding output domain (with about two thirds of these systems being HYs), suggests that when otherwise prevented, TCS genes will readily fuse into single proteins - effectively becoming one-component systems.

Considering the domain separations of $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ and $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ systems (Figures 4.4, 4.5 and 4.6), it is apparent that very few of the hybrid systems have a TCS domain separation less than ten amino acids (i.e. 30 bp ). This suggests that a linker region of at least ten amino acids is required for appropriate interaction between the receiver and transmitter domains in both $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ and $\mathrm{R}-\mathrm{T}_{\mathrm{i}} \mathrm{HYs}$.

Providing there is a sufficiently flexible linker region between the T and R domains, fusion allows the diffusion limited step in the TCS signalling cascade to be eliminated, resulting in a quicker/stronger response to the stimuli. It would also reduce the chance of cross-talk with other receivers. TCS gene fusion could therefore be described as a heavy handed approach to tuning the bacteria's decision making network.

Taken together, this data suggests that the presence of TM helices and DNA-binding domains are the main factors affecting the propensity for TCS gene fusion. It also suggests that in the absence of domains requiring specific spatial localisation, evolution generates (and/or retains) fused gene products at a higher frequency than separated gene pairs, which agrees with more general studies (Snel et al., 2000; Kummerfeld and Teichmann, 2005). This data provides numerical support for the TCS dogma that the HK and RR are two separate components in order to be able to couple spatially separated stimuli and responses.

### 4.8 Conclusion

In summary, these findings suggest that the presence of TM helices and DNA-binding domains appear to be the primary factors correlating with observed rates of apparent TCS gene fusion. In the absence of such domains there appears to be a general tendency to formation (and/or retention) of fused TCS systems. A further consideration is the relative genetic distance between encoded transmitter and receiver domains. This appears to be related to apparent TCS gene fusion rates in a geometry-specific manner, presumably a reflection of the typical domain ordering found in HK and RR genes. Additionally, it appears that any minimal linker random-coil between $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ or $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ domains must be at least ten amino acids long.

HYs enforce a single cellular location upon the entire TCS. $83 \%$ of minimal TCSs contain at least one TM helix, suggesting that the role of the majority of TCSs is to couple
extracellular sensing to internal responses. $20 \%$ of minimal TCSs contain both TM and DNAbinding domains, coupling extracellular sensing with transcriptional responses, and of these only $3 \%$ are HYs. However, in addition to enforcing a single cellular location upon the entire TCS, the gene fusion of a HK with RR also removes a diffusion-limited step in signal transduction (formation of the transmitter-receiver complex), such that the resulting hybrid kinase would, if functional, exhibit an increase in signalling speed and efficiency. Such fused TCSs could be regarded as a step backwards towards one-component systems (OCS), which consist of single proteins directly coupling an input and output domain (Ulrich et al. 2005). However, the newly-formed hybrid kinase would retain its phosphotransfer signalling mechanism, providing additional opportunities for modulation of signal transduction by extrinsic kinases and phosphatases.

## Chapter 5

## Identifying amino acid residues for TCS partner specificity

### 5.1 Introduction

This chapter analyses paired multiple sequence alignments (MSAs), with the aim of identifying amino acid positions (MSA columns) important in the specificity of TCS HisKA-receiver protein-protein interactions. The residues thus identified are used in the following chapter to predict TCS protein pairings.

In general, any highly conserved MSA columns have been preserved during evolution and are interpreted as critically important for protein function. In the case of TCS domains, such residues are presumably essential for the correct structural folding, the formation of the proteinprotein complex, or are perhaps catalytic residues required to permit phosphotransfer. However, highly conserved MSA columns by their nature cannot restrict partner specificity, where some variability is required. The aim of the analysis presented is to identify co-varying MSA column pairs from the two proteins, with the expectation that these will represent interacting residues in the protein-protein complex governing partner specificity.

By means of an analogy, think of the protein-protein complex as a matching key and lock (Figure 5.1), and consider a collection of keys and locks, where all the keys fit in all the locks, but only unlock their specific partner. Comparing the keys to each other, some parts are perfectly conserved, in particular the length and cross section of the blade. There are no such constraints on the the key bow (or handle) where many designs are possible and equally functional. Similarly some parts of the lock such as the key hole and tumbler mechanism will be conserved, while the casing or any handle need not be. The lock-key pairings are governed by variations in the key teeth and compensating variations to the pin lengths in the lock cylinder


Figure 5.1: Simple pin tumbler cylinder lock and keys. In this type of lock, when the key is inserted the pins within the lock are raised up to different heights by the key teeth. Each pin is divided into two parts (coloured grey and red here), and can therefore sheer at a particular height, allowing the cylindrical lock-barrel to turn. The important parts for specificity are the key teeth (in dark blue) and the lock pins (in red). The two keys have been drawn in two contrasting styles, emphasising that the bow (handle) is unimportant.
tumblers. To identify key-lock parings within this set, we need only consider the key teeth and the lock pins - everything else is either perfectly conserved or irrelevant.

Returning to the world of proteins, we need to identify which parts of the two proteins are important for pair specificity (corresponding to the teeth and pins in the key-lock example), and in particular how they interact (which key tooth matches which lock pin). A naive analysis of the properties of a set of key-lock pairs should be able to identify these tooth/pin pairings as correlations - but may also select spurious matches, for example in the choice of metal, or the branding. Similarly we might expect some false positives in our MSA analysis from phylogenetic effects.

Various approaches have been used in the literature to tackle similar problems such as identifying protein-protein interaction sites from correlated mutations in MSAs (Göbel et al. 1993. Pazos et al., 1997). One particular measure is mutual entropy or mutual information (MI) (Shannon and Weaver 1949), a measure of co-variation which can be calculated directly from the sequence letters. It has previously been used to identify potential residue interactions within proteins or between interacting proteins (Korber et al., 1993; Giraud et al., 1998; Atchley et al., 1999, 2000; Buck and Atchley, 2005; Martin et al., 2005; Gouveia-Oliveira and Pedersen, 2007, Dunn et al., 2008), having earlier been successfully applied to RNA structure analysis (Chiu and Kolodziejczak, 1991; Gutell et al., 1992; Gorodkin et al., 1997; Adami, 2004).

In this chapter several approaches, including the use of the MI (Section 5.5.4), are discussed as methods to identify which amino acid residues are important for the specificity of TCS interactions using paired MSAs. As there is only limited and indirect information available about the spatial orientation of the HisKA-receiver complex, inter-residue distance information has not been used except to interpret the results. If the specificity residues can be identified and interactions predicted without the use of three-dimensional data, this makes the approach applicable to a wider range of protein-protein interactions where there is no three-dimensional data at all. In the following chapter a predictive model is considered, based on these particular amino acids selected from the sequences of the HisKA and receiver domains.

### 5.2 TCS protein complexes

The survey of TCS genes generated thousands of paired transmitter and receiver domains (Chapter2), including both Class I transmitters (with HisKA domains) and the minority Class II transmitters (with Hpt domains, see Section 1.2). This and the following chapter focus exclusively on the more numerous Class I transmitters, where the HisKA-receiver complex is important for phosphotransfer.

3D structures of docked transmitter and receiver domains would be ideal for identifying interacting residues, based on physical proximity. However, to date co-crystals have only been solved for a few atypical cases (Section 1.5), and even predominantly buried residues have been shown to play a role in recognition (McLaughlin et al., 2007). A related question of which residues are essential can be tackled experimentally for a given transmitter/receiver pairing - for example with alanine mutation studies, e.g. Tzeng and Hoch (1997); Jiang et al. (1999); McLaughlin et al. (2007). Doing this to answer the question of which impart partner specificity would require mutation studies on a panel of transmitter/receivers. Nevertheless, there is existing information regarding the role and importance of particular residues for certain known TCS pairs, and this will be useful to validate the results of the analysis.

### 5.3 Approach

If one accepts that all HisKA dimers (or receiver domains) share broadly the same three dimensional structure, and that any two examples could be superimposed on each other with a rigid body motion, then columns in a MSA correspond to specific locations on the average domain structure. Furthermore, assuming that all interacting HisKA and receiver complexes adopt the same orientation, if the structures for these protein complexes were available they too could be superimposed on each other. With this image in mind, any pair of amino acid residues from this generic HisKA-receiver complex can be represented by the corresponding pair of MSA columns.

Only a minority of MSA column pairs will represent amino acids in close contact, forming part of the interaction surface. Amino acids making up the interaction site between the two protein families would be expected to exert mutual constraints, and thus to have co-evolved, manifesting as a correlation or co-variation between columns of paired MSAs. Figure 5.2 shows a schematic of the HisKA and receiver MSAs, sorted according to known domain pairings, and represents the possible amino acid interactions as a grid of inter-protein MSA column pairs.

Hydrophilicity is believed to play a role in TCS interactions (Kojetin et al., 2003), and therefore correlations in hydrophilicity between MSA columns were calculated. Two alternative hydrophilicity scorings were used, those of Kyte-Doolittle (KD) (Kyte and Doolittle, 1982) and Hopp-Woods (HW) (Hopp and Woods, 1981). Although these give numerical values and therefore a standard Pearson correlation could be calculated, the scores are not normally distributed as they come from a small discrete set of amino acids. Instead two rank based correlations were used with tie corrections, Spearman's $\rho$ and Kendall's $\tau$ (Kendall and Gibbons,


HisKA MSA

Figure 5.2: Schematic figure showing a possible pair of MSA columns $(i, j)$ from the paired HisKA MSA column $i$ and receiver domain MSA column $j$. In the example shown, this column pair defines a list of paired amino acids (E,I), (E,-), (D,L), (D,I), ..., (E,I).

Another MSA column pair score evaluated, dubbed CP, was calculated as the sum of the chemical potentials between each amino acid pair. This used an existing statistical chemical potential derived empirically from known protein complexes (Lu et al. 2003), an approach building on earlier work (Tanaka and Scheraga, 1976, Miyazawa and Jernigan, 1985; Sippl, 1990, Moont et al., 1999). This chemical potential, which is illustrated in Figure 5.3, assigns values ranging from -4.4 for the amino acid pair (Cys,Cys) to +1.9 for (Asp,Asp), with the mapping largely explained by hydrophilicity. Low potentials between close amino acids should indicate energetically favourable complexes, and thus may identify interacting complexes.

In addition to these scores based on the physical properties of the amino acids themselves, two scores based on the letters themselves were considered. The first of these was the $\chi^{2}$ statistic, which measures the difference in distribution of amino acid pairs from that expected if the two MSA columns were independent. Finally, the mutual information (MI) between each MSA column pair was also calculated.

MSA column pairs with an extreme score (e.g. a high MI) may be indicative of coevolution due to mutual constraint posited for amino acid pairs playing a role in TCS partner specificity. Grids of the MSA column pairs were plotted, with each square coloured according to the score (i.e. a coloured matrix, also termed a level-plot or heatmap), with the rows and columns labelled by the amino acid sequences of a reference HisKA and receiver domain. This allows any "hot-spots" to be interpreted in the context of known 3D structures and literature regarding the protein-protein interaction surface. These column pairs with extreme value scores were also visualised as lines between the HisKA and receiver reference sequences shown running across the top and bottom of the figure.

One key validation step is to perform the same calculations using randomised protein pairings, to give an estimate of the typical range of scores which could be expected from the natural variation of the protein sequence motifs concerned. Should the distribution of scores from the random pairings show little difference to those using the pairings inferred from the genome arrangement, that scoring system is clearly unsuitable for the intended purpose.

As there is not yet a solved 3D structure for the HisKA-receiver complex which could be used as a template (Section 1.5), the analogous SpoOB-Spo0F complex has been used as a model (e.g. Laub and Goulian (2007)). By superimposing a known HisKA structure onto the SpoOB dimer, a rough approximation of the expected HisKA-receiver complex was created. This allowed crude pairwise distances to be calculated, providing another way to evaluate the MSA column pairs selected by the different scoring systems.

### 5.4 Implementation

To reduce potential sampling bias, HisKA and receiver domain pairs were taken from the 340 representative species listed in bold in Table A.1. The alignments were generated using three different datasets, two-gene pairs (3, 473 neighbouring HK and RR genes), HYs (1, 434 single isolated genes containing both a $\mathrm{T}_{\mathrm{i}}$ and R domain), and a combined dataset ( 4,907 pairs). These sequences were not filtered for redundacy based on sequence similarity.

Additional sequences consisting of the HisKA domain from E. coli EnvZ (PDB ref. 1JOY), or the receiver domain of Bacillus subtilis Spo0F (PDB ref. 1F51), listed below, were included in each MSA to provide a convenient reference point for describing the MSA columns, and for inferring distances as described later. However, for the calculation of the MSA column pair correlation scores, these two reference sequences were excluded.

```
>REF HisKA domain from 1JOY EnvZ
DRTLLMAGVSHDLRTPLTRIRLATEMMSEQDGYLAESINKDIEECNAIIEQFIDYLR
>REF Receiver domain from 1F51 Spo0F
KILIVDDQSGIRILLNEVFNKEGYQTFQAANGLQALDIVTKERPDLVLLDMKIPGMDGI
EILKRMKVIDENIRVIIMTAYGELDMIQESKELGALTHFAKPFDIDEIRDAVKKYLPL
```

The quality of the MSAs themselves was expected to play some role, and this was assessed by using two different alignment programs, CLUSTAL W (Thompson et al., 1994) and MUSCLE (Edgar, 2004). Specifically, CLUSTAL W version 1.83 was used with its default settings, and MUSCLE version 3.7 with a maximum of three iterations (-maxiter 3 ), and the alignments output using the CLUSTAL W file format (-clwstrict).

When calculating scores using randomised pairings, a same sized set of HisKA-receiver pairings was generated from the alignments using sampling with replacement. This is equivalent to generating two new "paired" MSAs by copying rows (domain sequences) from the rows of the original MSAs selected at random. A bootstrapping procedure based on this procedure is discussed at the end of this chapter.

MSA columns where the fraction of gap characters exceeded a given threshold (50\% unless otherwise stated) were excluded from the analysis, unless the column happened to include an amino acid from the reference sequence. The chemical potential between a gap character and an ordinary amino acid or another gap was taken as zero. Similarly, gaps were assigned a hydrophilicity score of zero before calculating the $\rho$ or $\tau$ correlations. For the $\chi^{2}$ and MI scores gap characters were treated as another letter.

A crude 3D structure for the HisKA-receiver complex was created by a three-dimensional alignment of the E. coli EnvZ HisKA dimer (PDB 1JOY, Figure 1.20) onto the SpoOB dimer in the Bacillus subtilis Spo0B-Spo0F complex (PDB 1F51, Figure 1.22), based on the structural analogy of their four $\alpha$-helix bundles shown in Figure 1.19. Specifically, a rigid body motion mapping one dimer onto the other was selected using singular value decomposition to minimise the least squares Euclidean distance between the $\mathrm{C}_{\alpha}$ atom $\$^{1}$ of the conserved hisitidine phosphorylation sites and the three amino acids either side of them (within the same $\alpha$-helices). This ensured the histidine phosporoylation sites of EnvZ and SpoOB were co-located and that the orientation of the $\alpha$-helix bundles was consistent. Note that structural alignment is in general much more complicated, see for example Taylor and Orengo (1989) and Levitt and Gerstein (1998).

Since the E. coli EnvZ and Bacillus subtilis SpoOF domain sequences were included in the HisKA and receiver MSAs, using this crude HisKA-receiver complex $\mathrm{C}_{\alpha}$ distancescould straightforwardly be assigned to most MSA column pairs. For columns in the MSA where a gap had been introduced in the reference sequences, a simple linear interpolation between the $\mathrm{C}_{\alpha}$ atoms of the residues either side of the gap was used to assign a notional set of coordinates to this MSA column, and thus pairwise distances.

The whole analysis was scripted in python (www.python.org). MSA files were loaded using the Biopython libraries (www.biopython.org). The Bio.PDB module in Biopython (Hamelryck and Manderick, 2003) was used to load the PDB files and calculate the structural alignment. Spearman's $\rho$ and Kendall's $\tau$ correlations were calculated using the Bio.Cluster module in Biopython (de Hoon et al. 2004), while the $\chi^{2}$ and MI calculations were implemented by hand in python.

The figures were drawn using the python library ReportLab (www.reportlab.org), or R (R Development Core Team, 2007) invoked from python via RPy (Moreira and Warnes, 2003). In particular, the smoothed scatter plots were drawn using the R function smoothScatter from the Bioconductor package (Gentleman et al., 2004). This uses a kernel density estimate, where each scatter point is replaced with a "smoothed out" kernel using a standard twodimensional normal or Gaussian distribution. The plot area is divided using a fine grid, and each grid square is coloured according to the sum of these values, giving an image resembling a contour plot.

[^3]
### 5.5 Column pair correlations and results

In this section, for each scoring system discussed, a similar set of figures is presented. Firstly, the distribution of the observed scores is shown together with that given by a random set of protein pairings. This also serves as a colour key for a following figure, where the score of each MSA column pair is shown on a coloured grid, with the receiver residues shown horizontally and the HisKA residues vertically, with the axes labelled with the reference structures (including their secondary structure using dark and light greys for the $\alpha$-helices and $\beta$-sheets). A further figure (or pair of figures) shows the MSA column pairs giving extreme scores as lines connecting those residues on the two reference sequences, drawn horizontally across the top and bottom (again with their secondary structure indicated). Finally smoothed scatter plots have been used to show how the correlation scores compare to the inferred distance from the crude protein complex.

Unless otherwise stated, these figures are from CLUSTAL W alignments from HisKA and receiver domains found in neighbouring HK and RR genes (i.e. not HYs).

### 5.5.1 Chemical potential summations

The simplest MSA column pair score considered was the summation of the Lu et al. (2003) chemical potential of each amino acid pair (illustrated in Figure 5.3). The resulting distribution of scores is shown in Figure 5.4, where it is clear that there is no difference in pattern between those from the identified domain pairs, and a control set of random domain pairings. This indicates that this approach has not identified any MSA column pairs linked to the domain pairings. Figure 5.5 confirms this by showing these scores as a grid, where there is no spatial patterning of interest. Analysis of the MUSCLE alignments or the alternative datasets showed no difference (data not shown).

Protein-Protein Interaction Potential


Figure 5.3: The chemical potential from Lu et al. (2003), shown as a coloured grid where the potential for each amino acid combination is indicated by the brightness (key on right). The potential assigned to each amino acid pair ranges from -4.4 for (Cys,Cys) to +1.9 for (Asp,Asp), with the mapping largely explained by hydrophilicity.


Figure 5.4: Histogram of chemical potential summations (CP score) from HisKA and receiver pairs (top), and randomised pairings (middle). These are shown as two almost identical density curves (bottom).
佂



 Negative totals are blue, positive totals are red. See Figure 5.4 for the colour key.

### 5.5.2 Hydrophilicity correlations

Using a mapping such as the KD or HW hydrophilicity (Table 5.1), the list of amino acids in any MSA column can be translated into a list of numbers. For a pair of columns from the HisKA and receiver MSAs, this gives a set of paired hydrophilicity scores for which a correlation can be calculated. This could be a simple linear regression (treating the hydrophilicities as a continuous variable), such as a Pearson correlation. However, as there are only twenty amino acids, and some of them have the same hydrophilicity, this is actually a discrete problem. It is therefore more appropriate to use a rank based correlation such as Spearman's $\rho$ or Kendall's $\tau$, both of which include a tie correction.

| Amino acid |  |  | KD |
| :---: | :--- | ---: | ---: |
| A | Ala | -1.80 | -0.50 |
| C | Cys | -2.50 | -1.00 |
| D | Asp | 3.50 | 3.00 |
| E | Glu | 3.50 | 3.00 |
| F | Phe | -2.80 | -2.50 |
| G | Gly | 0.40 | 0.00 |
| H | His | 3.20 | -0.50 |
| I | lle | -4.50 | -1.80 |
| K | Lys | 3.90 | 3.00 |
| L | Leu | -3.80 | -1.80 |
| M | Met | -1.90 | -1.30 |


| Amino acid |  |  | KD |
| :---: | :---: | ---: | ---: |
| N | Asn | 3.50 | 0.20 |
| P | Pro | 1.60 | 0.00 |
| Q | Gln | 3.50 | 0.20 |
| R | Arg | 4.50 | 3.00 |
| S | Ser | 0.80 | 0.30 |
| T | Thr | 0.70 | -0.40 |
| V | Val | -4.20 | -1.50 |
| W | Trp | 0.90 | -3.40 |
| Y | Tyr | 1.30 | -2.30 |
| X | Xxx | 0.00 | 0.00 |
| - | Gap | 0.00 | 0.00 |

Table 5.1: KD and HW hydrophilicity/hydrophobicity scores. The final rows show the unknown amino acid X and gap character, for which an arbitrary value of zero was typically used.

Given lists of $n$ paired values (here hydrophilicities from two MSA columns), denote their ranks by $x_{i}$ and $y_{i}$ (ranging from 1 to $n$ ) for $i=1, \ldots, n$. Tied elements are assigned the mean of the ranks they would otherwise be given. Spearman's $\rho$ is defined as follows where it is useful to introduce $N^{\prime}:=n\left(n^{2}-1\right) / 6$,

$$
\begin{equation*}
\rho:=1-\frac{6 \sum_{i}\left[\left(x_{i}-y_{i}\right)^{2}\right]}{n\left(n^{2}-1\right)}=\frac{N^{\prime}-\sum_{i}\left[\left(x_{i}-y_{i}\right)^{2}\right]}{N^{\prime}} \tag{5.1}
\end{equation*}
$$

Kendall and Gibbons (1990) then gives a tie corrected form of Spearman's $\rho$,

$$
\begin{equation*}
\rho:=\frac{N^{\prime}-\sum_{i}\left[\left(x_{i}-y_{i}\right)^{2}\right]-U^{\prime}-V^{\prime}}{\sqrt{N^{\prime}-2 U^{\prime}} \sqrt{N^{\prime}-2 V^{\prime}}} \tag{5.2}
\end{equation*}
$$

where $U^{\prime}:=\sum\left(u^{3}-u\right) / 12$ and $V^{\prime}:=\sum\left(v^{3}-v\right) / 12$ are sums over the observed ranks with $u$ and $v$ the number of elements with each rank in lists $x_{i}$ and $y_{i}$ respectively. In the absence of ties, $U^{\prime}=V^{\prime}=0$ and this reduces to Equation (5.1).

Kendall's $\tau$ works by looking at the $\frac{1}{2} n(n-1)$ pairs of rank entries ( $i$ and $j$ ), counting concordant pairs which have the same rank orders (i.e. $x_{i}<y_{i}$ and $x_{j}<y_{j}$, or $x_{i}>y_{i}$ and

## Paired domains



Random pairings



Figure 5.6: Histogram of KD Spearman's $\rho$ from HisKA and receiver pairs (top), and randomised pairings (middle). These are shown as density curves (bottom).

Figure 5.7: Grid of co-varying amino acid positions of HisKA (vertical) and receiver (horizontal) domains, for two gene domain pairs. Each grid square corresponds to a column pairing between the HisKA MSA and the receiver MSA, coloured according to the KD Spearman's $\rho$ correlation. Negative correlations are blue, positive correlations are red. See Figure 5.6 for the colour key.


Figure 5.8: Top 100 MSA column pairs with positive KD Spearman's $\rho$ correlations.


Figure 5.9: Top 100 MSA column pairs with negative KD Spearman's $\rho$ correlations.


Figure 5.10: Smoothed scatter plot of KD Spearman's $\rho$ correlations against estimated distances from a crude protein-protein complex. Rather than attempting to show a scatter plot with tens of thousands of points, this figure (and later similar plots) indicate the local smoothed kernel density estimate by color, ranging from white to green to yellow to red to brown. Only one hundred outliers are shown as points (in the green regions).
$x_{j}>y_{j}$ ), and discordant pairs with opposite rank orders (e.g. $x_{i}<y_{i}$ and $x_{j}>y_{j}$ ). Writing $P$ for the number of concordant pairs and $Q$ for the number of discordant pairs, Kendall and Gibbons (1990) defines

$$
\begin{equation*}
\tau:=\frac{2(P-Q)}{n(n-1)} \tag{5.3}
\end{equation*}
$$

Correction factors $U:=\sum u(u-1)$ and $V:=\sum v(v-1)$, summed over the observed ranks, are included in the tie corrected variant,

$$
\begin{equation*}
\tau:=\frac{2(P-Q)}{\sqrt{n(n-1)-U} \sqrt{n(n-1)-V}} \tag{5.4}
\end{equation*}
$$

As before, in the absence of ties the correction factors vanish ( $U=V=0$ ) giving the uncorrected Equation (5.3). In this chapter the tie corrected forms of $\rho$ and $\tau$ are used exclusively.

Figure 5.6 shows the distribution of KD Spearman's $\rho$ correlations for the paired proteins, and as a control for randomised domain pairings. The distributions have similar bell shaped distributions centred at the origin. The paired domains show a much broader range of $\rho$ correlations, suggesting those column pairs with extreme $\rho$ correlation scores may be important for the protein-protein interaction specificity.

Inspection of a grid of these correlation scores (Figure 5.7) shows many of these column pairs with extreme $\rho$ correlations are associated with the first $\alpha$-helix of the HisKA (bright red or blue against a white background where $\rho \sim 0$ ). This is also apparent in Figures 5.8 and 5.9 which show the column pairs with the highest or lowest 100 KD $\rho$ correlations.

Figure 5.10 shows these KD $\rho$ correlations plotted against the estimated separation of the associated amino acids in the reference protein complex. Overall there is no correlation, although by eye one might argue that the column pairs with the most extreme correlation scores are slightly closer together than average (in that the top left and top right corners of the plot are empty). Although not shown in full, plots using the HW hydrophilicity values with Spearman's $\rho$ yield much the same results as those discussed above using the KD hydrophilicity scale (see Figure 5.16, described below).

Kendall's $\tau$ is an alternative rank-based correlation. Figure 5.11 shows the distribution of KD $\tau$ correlations for the paired proteins and the randomised pairings. Both distributions are symmetric about the origin, however the paired data clearly shows more extreme correlations, both positive and negative. As with the $\rho$ results, the fact that there is a noticeable difference between these two distributions is encouraging if these correlations are capturing something of the interaction information.

Figure 5.12 shows the KD $\tau$ correlations as a grid, where the MSA column pairs with extreme positive (or negative) correlations are shown in bright red (or blue). Since most



Figure 5.11: Histogram of KD Kendall's $\tau$ from HisKA and receiver pairs (top), and randomised pairings (middle). These are shown as density curves (bottom).

Figure 5.12: Grid of co-varying amino acid positions of HisKA (vertical) and receiver (horizontal) domains, for two gene domain pairs. Each grid square corresponds to a column pairing between the HisKA MSA and the receiver MSA, coloured according to the KD Kendall's $\tau$ correlation. Negative correlations are blue, positive correlations are red. See Figure 5.11 for the colour key.


Figure 5.13: Top 100 MSA column pairs with positive KD Kendall's $\tau$ correlations.


Figure 5.14: Top 100 MSA column pairs with negative KD Kendall's $\tau$ correlations.


Figure 5.15: Smoothed scatter plot of KD Kendall's $\tau$ correlations against estimated distances from a crude protein-protein complex. Those column pairs with an extreme Kendall's $\tau$ are slightly closer together than average based on the estimate distances.
column pairs have $\tau \sim 0$, the majority of this grid is white. As with KD $\rho$, there are a number of extreme values, particularly associated with the first $\alpha$-helix of the HisKA. These extreme values are also illustrated in Figures 5.13 and 5.14 , where it can be observed that many of the receiver residues selected are on the interaction face of the protein.

Figure 5.15 plots the $\mathrm{KD} \tau$ correlation scores against the residue separation from the inferred protein-protein structure. Again one might argue that those column pairs with extreme $\tau$ values do appear to be slightly closer together than average, but even so, at best this is only a slight improvement over KD $\rho$ (Figure 5.10).

As with Spearman's $\rho$, a repeat analysis using the HD hydrophilicity rather than the KD hydrophilicity gave very similar distributions of Kendall's $\tau$ correlations, although the precise MSA column pairs highlighted do differ (data not shown in full). These alternative results are summarised in Figure 5.16, which shows a number of smoothed scatter plots comparing the KD and HW hydrophilicity scores, Spearman's $\rho$ and Kendall's $\tau$, against the estimated residue separation.

Kendall's $\tau$ is much more computationally expensive than Spearman's $\rho$, but under the following circumstances it proved more robust. In calculating the results described above, any gap characters in the MSA (and the few unknown amino acids recorded as $X$ ) were given a zero score. One alternative explored was to assign a null or NA value, and exclude such pairs from the correlations. This lead to the score for gap-rich MSA column pairs being determined by the minority of non-gapped residues, which often gave a spuriously high $\rho$ correlation, as shown in Figure 5.17. Interestingly, this artifact was not seen when this gap handling approach was used with the Kendall's $\tau$ correlation, where the distribution remained symmetrical about zero.


Figure 5.16: Assorted smoothed scatter plots for the hydrophilicity based scores and the estimated distances from a crude protein-protein complex. The captions along the diagonal indicate which scoring method is shown on the associated row/column. For example, the top row shows smoothed scatter plots of the estimated distances against the KD $\rho$, HW $\rho, \mathrm{KD}$ $\tau$ and HW $\tau$ correlations (cf. Figures 5.15 and 5.10). The KD $\rho$ and KD $\tau$ scores correlate extremely well with each other, as do the $\mathrm{HW} \rho$ and $\mathrm{HW} \tau$ scores.


Figure 5.17: Histogram of KD Spearman's $\rho$ from HisKA and receiver pairs (top), and randomised pairings (middle). These are shown as density curves (bottom). In Figure 5.6, gap and unknown residues were given a score of zero. Here, they are instead excluded from the correlation, which is then calculated from the remaining residue pairs. This gives rise to a spurious set of gap-rich column pairs with $\rho \approx+1$.

### 5.5.3 Chi-squared score

A given MSA column pair can be viewed as a list of paired amino acids (one from the HisKA, and one from the partner receiver). A simple contingency table can tabulate the observed amino acid pairings. The $\chi^{2}$ (chi-squared) statistic is a measure of how the observed amino acid pairs compare to the expected distributions if the HisKA and receiver columns were independent.

Let vectors $\vec{A}$ and $\vec{B}$ of length $l$ represent the HisKA and receiver MSA columns under consideration. For any letters $\alpha$ in $\vec{A}$ and $\beta$ in $\vec{B}$, define the observed and expected distributions of amino acid pairs as follows:

$$
\begin{align*}
\operatorname{Obsv}_{\vec{A}, \vec{B}}(\alpha, \beta) & :=\text { Count of }(\alpha, \beta) \text { in }(\vec{A}, \vec{B}) \\
\operatorname{Obsv}_{\vec{A}}(\alpha) & :=\text { Count of } \alpha \text { in } \vec{A}  \tag{5.5}\\
\operatorname{Obsv}_{\vec{B}}(\beta) & :=\text { Count of } \beta \text { in } \vec{B} \\
\operatorname{Expt}_{\vec{A}, \vec{B}}(\alpha, \beta) & :=\frac{1}{l} \times \operatorname{Obsv}_{\vec{A}}(\alpha) \times \operatorname{Obsv}_{\vec{B}}(\beta)
\end{align*}
$$

The chi-squared statistic $\chi^{2}$ is then given by:

$$
\begin{equation*}
\chi^{2}(\vec{A}, \vec{B}):=\sum_{\alpha, \beta} \frac{\left[\operatorname{Expt}_{\vec{A}, \vec{B}}(\alpha, \beta)-\operatorname{Obsv}_{\vec{A}, \vec{B}}(\alpha, \beta)\right]^{2}}{\operatorname{Expt}_{\vec{A}, \vec{B}}(\alpha, \beta)} \tag{5.6}
\end{equation*}
$$

Note that when $\chi^{2}$ is calculated for each column pair, the set possible amino acids summed over in Equation (5.6) changes, and thus the number of degrees of freedom also changes.

For a contingency table the $\chi^{2}$ statistic is typically used in (Pearson's) $\chi^{2}$ test for independence. This gives a p-value with the null hypothesis that the marginal distributions (here the two amino acid distributions in $\vec{A}$ and $\vec{B}$ ) are independent. Such a p-value could be used to rank MSA column pairs, however there are good computational reasons to work directly with the $\chi^{2}$ value. In addition to the additional computation time required, sorting and comparing small p-values can cause computational problems due to limited floating point number resolution. The $\chi^{2}$ test is also best avoided when dealing with a large number of samples (as here, with thousands of protein-protein pairs).

Figures 5.18 shows a histogram of observed $\chi^{2}$ values for MSA column pairs from the paired proteins, and the matching distribution for randomly paired proteins. It is very clear that paired proteins give much higher $\chi^{2}$ values, well outside the random distribution. These scores are shown on a grid in Figure 5.19 with the 100 highest scoring column pairs in red.

Figure 5.20 shows the $\chi^{2}$ scores plotted against the estimated distance between the residues in the protein-protein complex. Column pairs with the highest $\chi^{2}$ scores are closer together than average. While this approach does seem to have merit, there is much more literature and precedent for the next method discussed, MI.


Figure 5.18: Histogram of $\chi^{2}$ scores from HisKA and receiver pairs (top), and randomised pairings (middle). These are shown as density curves (bottom). Based on MSAs generated by CLUSTAL W.


Figure 5.19: Grid of co-varying amino acid positions of HisKA (vertical) and receiver (horizontal) domains, as determined by $\chi^{2}$, for two gene domain pairs. Each grid square corresponds to a column pairing between the HisKA MSA and the receiver MSA, coloured according to the $\chi^{2}$ value. Low scores are white, with higher scores in grey except for the top 100 scores which are in red. See Figure 5.18 for the colour key. Based on MSAs generated by CLUSTAL W


Figure 5.20: Smoothed scatter plot of $\chi^{2}$ scores against estimated distances from a crude protein-protein complex. Those column pairs with high $\chi^{2}$ are closer together than average, based on the estimate distances.

### 5.5.4 Mutual information

The final scoring system considered for MSA column pairs was MI. Unlike the chemical potential (CP) and hydrophilicity scores used above, this does not map the amino acids onto a numerical system, but, like the $\chi^{2}$ statistic, works directly with the data itself.

As before, let vectors $\vec{A}$ and $\vec{B}$ of length $l$ represent the HisKA and receiver MSA columns under consideration. Let $A$ and $B$ represent random variables describing the amino acids found in the two MSA columns $\vec{A}$ and $\vec{B}$. As per Shannon and Weaver (1949), MI is then defined by the following sum over the observed letters $\alpha$ in $\vec{A}$ and $\beta$ in $\vec{B}$, as follows ${ }^{2}$ :

$$
\begin{equation*}
\operatorname{MI}(\vec{A}, \vec{B}):=\sum_{\alpha, \beta}\left\{P[A=\alpha, B=\beta] \cdot \log \left(\frac{P[A=\alpha, B=\beta]}{P[A=\alpha] P[B=\beta]}\right)\right\} \tag{5.7}
\end{equation*}
$$

Using this definition it is clear that MI is commutative, that is $\operatorname{MI}(\vec{A}, \vec{B})=\operatorname{MI}(\vec{B}, \vec{A})$. Furthermore, it is zero when the random variables $A$ and $B$ are independent (i.e. when $P[A=\alpha, B=\beta]=P[A=\alpha] P[B=\beta]$ ). In particular, if either column $\vec{A}$ or $\vec{B}$ is perfectly conserved, this implies the MI is zero. Although not immediately apparent from this equation, MI is always positive, shown later. Statisticians may note that MI can also be defined as the Kullback-Leibler divergence between the joint distribution $P[A=\alpha, B=\beta]$ and the product $P[A=\alpha] P[B=\beta]$ (Kullback and Leibler, 1951).

The probabilities in this equation are calculated as the observed frequencies of the amino acids in MSA columns $\vec{A}$ and $\vec{B}$ (which are both of length $l$ ). Using the notation introduced in Equation (5.5) we can now express Equation (5.7) in a form suitable for direct calculation:

$$
\begin{equation*}
\operatorname{MI}(\vec{A}, \vec{B})=\frac{1}{l} \sum_{\alpha, \beta}\left\{\operatorname{Obsv}_{\vec{A}, \vec{B}}(\alpha, \beta) \cdot \log \left(\frac{l \cdot \operatorname{Obsv}_{\vec{A}, \vec{B}}(\alpha, \beta)}{\operatorname{Obsv}_{\vec{A}}(\alpha) \cdot \operatorname{Obsv}_{\vec{B}}(\beta)}\right)\right\} \tag{5.8}
\end{equation*}
$$

These equations can be generalised to a summation over all possible amino acid pairs, provided the summand is taken as zero when an amino acid has not been observed, avoiding the undefined term $\log (0 / 0)$.

As an alternative to Equation (5.7), MI can also be defined in terms of entropies (Shannon and Weaver, 1949). Summing over the observed values, the (marginal) entropies are defined as:

$$
\begin{align*}
& H(\vec{A}):=-\sum_{\alpha}\{P[A=\alpha] \cdot \log (P[A=\alpha])\} \\
& H(\vec{B}):=-\sum_{\beta}\{P[B=\beta] \cdot \log (P[B=\beta])\} \tag{5.9}
\end{align*}
$$

[^4]Note that these are positive quantities, zero only when the sequence is perfectly conserved. They measure our uncertainty about the value of the random variables $A$ or $B$. Similarly the joint entropy is:

$$
\begin{align*}
H(\vec{A}, \vec{B}) & :=-\sum_{\alpha, \beta}\{P[A=\alpha, B=\beta] \cdot \log (P[A=\alpha, B=\beta])\}  \tag{5.10}\\
& =H(\vec{B}, \vec{A})
\end{align*}
$$

Again, this is a positive quantity. The joint entropy is always at least the individual entropy, $H(\vec{A}) \leq H(\vec{A}, \vec{B})$ and $H(\vec{B}) \leq H(\vec{A}, \vec{B})$. Similarly, it is bounded by the sum of the individual entropies, $H(\vec{A}, \vec{B}) \leq H(\vec{A})+H(\vec{B})$, with equality only when $A$ and $B$ are independent. These inequalities are intuitive if the entropy is thought of as the information content of the amino acid sequences. The MI can be expressed as the difference between the joint entropy and the sum of the two marginal entropies:

$$
\begin{equation*}
\operatorname{MI}(\vec{A}, \vec{B})=H(\vec{A})+H(\vec{B})-H(\vec{A}, \vec{B}) \tag{5.11}
\end{equation*}
$$

Proof. This result follows from the observation that $P[A=\alpha]=\sum_{\beta} P[A=\alpha, B=\beta]$ and similarly for $P[B=\beta]$, thus:

$$
\begin{aligned}
H(\vec{A})+H(\vec{B})-H(\vec{A}, \vec{B})= & -\sum_{\alpha}\left\{\left(\sum_{\beta} P[A=\alpha, B=\beta]\right) \log (P[A=\alpha])\right\} \\
& -\sum_{\beta}\left\{\left(\sum_{\alpha} P[A=\alpha, B=\beta]\right) \log (P[B=\beta])\right\} \\
& +\sum_{\alpha, \beta}\{P[A=\alpha, B=\beta] \cdot \log (P[A=\alpha, B=\beta])\} \\
= & -\sum_{\alpha, \beta}\left\{P[A=\alpha, B=\beta] \cdot \log \left(\frac{P[A=\alpha, B=\beta]}{P[A=\alpha] P[B=\beta]}\right)\right\} \\
& =\operatorname{MI}(\vec{A}, \vec{B})
\end{aligned}
$$

From Equation (5.11), it follows $0 \leq \operatorname{MI}(\vec{A}, \vec{B}) \leq \max (H(\vec{A}), H(\vec{B})$, that is to say the MI is postive and limited by the variability of both sequences. A high MI value is only possible when $\vec{A}$ and $\vec{B}$ are correlated with a high variability. If either $\vec{A}$ or $\vec{B}$ is very conserved (or perfectly conserved) then the MI will be small (or zero).

MI was originally calculated with a base two logarithm, giving an information measure in bits, which is natural for binary codes. The choice of base is essentially a scaling issue. When dealing with amino acids, some authors have continued to use base two (Atchley et al. 1999 2000), but others such as Dunn et al. (2008) have adopted base 20 (the number of amino
acids, ignoring potential gap characters). Here, the natural logarithm has been used (base $e$ ), meaning the MI scores are in nats rather than bits (Comley and Dowe, 2005). This choice was in part for consistency with link functions in the following chapter. Gouveia-Oliveira and Pedersen (2007) explores other choices, including a weighted scaling according to the number of amino acids present in the two columns.

As with the previous scoring systems discussed above, MI was calculated between the columns of the paired HisKA and receiver MSAs. Figure 5.21 shows the distribution of MI values for the protein pairs, and that given by a randomised pairing of the proteins. There is a very clear difference in distribution, with the paired proteins giving much higher MI values. As with the $\chi^{2}$ plot (Figure 5.18), this difference is much more pronounced than that seen in the equivalent plots for the earlier column pair correlation scores, for example KD Kendall's $\tau$ (Figure 5.11).

Figure 5.22 shows these MI scores as a grid, with the column pairs giving the top 100 MI scores highlighted in red. These tend to be associated with the first $\alpha$-helix in the HisKA, and cover a range of points in the receiver.

Figures 5.21 and 5.22 are both based on MSAs generated with CLUSTAL W. Figures 5.23 and 5.24 show the same information using MSAs generated by MUSCLE. The MI analysis using the output from the two alignment programs identifies similar but non-identical sets of column pairings, as illustrated in Figures 5.25 and 5.26 for the CLUSTAL W and MUSCLE alignments, respectively.

A visual inspection suggests the column pairs with MI may be interesting in terms of the known interaction surfaces. For more concrete support, Figure 5.27 shows the MI scores plotted against the inferred separation (for the CLUSTAL W MSAs, the results for MUSCLE are similar). Column pairs with a high MI score are generally closer together than average.

### 5.6 Mapping scores onto protein structures

When the alignments used to calculate the correlation and mutual information/entropy scores were created, a reference sequence was included for which a known 3D structure was available. By mapping alignment positions to these reference sequences, most alignment columns can be mapped to a 3D position. For alignment positions corresponding to a gap in the reference sequence, this is not so straightforward.

Taking the HisKA and receiver structures in isolation, any MSA column score can be displayed visually by colouring the protein model of the reference sequence. For example, each position in the HisKA could be assigned the maximum of all the MSA column pair scores for


Figure 5.21: Histogram of MI scores from HisKA and receiver pairs (top), and randomised pairings (middle). These are shown as density curves (bottom). Based on MSAs generated by CLUSTAL W.

Figure 5.22: Grid of co-varying amino acid positions of HisKA (vertical) and receiver (horizontal) domains, as determined by MI, for two gene domain pairs. Each grid square corresponds to a column pairing between the HisKA MSA and the receiver MSA, coloured according to the MI. Low scores are white, with higher scores in grey except for the top 100 scores which are in red. See Figure 5.21 for the colour key. Based on MSAs generated by CLUSTAL W.


Figure 5.23: Histogram of MI scores from HisKA and receiver pairs (top), and randomised pairings (middle). These are shown as density curves (bottom). Based on MSAs generated by MUSCLE.

Figure 5.24: Grid of co-varying amino acid positions of HisKA (vertical) and receiver (horizontal) domains, as determined by MI, for two gene domain pairs. Each grid square corresponds to a column pairing between the HisKA MSA and the receiver MSA, coloured according to the MI. Low scores are white, with higher scores in grey except for the top 100 scores which are in red. See Figure 5.23 for the colour key. Based on MSAs generated by MUSCLE.


Figure 5.25: Top 100 co-varying amino acid positions of HisKA and receiver domains, as determined by MI, for two gene domain pairs. Based on MSAs generated by CLUSTAL W.


Figure 5.26: Top 100 co-varying amino acid positions of HisKA and receiver domains, as determined by MI, for two gene domain pairs. Based on MSAs generated by MUSCLE.


Figure 5.27: Smoothed scatter plot of MI against estimated distances from a crude proteinprotein complex. Those column pairs with a high MI are closer together than average based on the estimate distances. Based on MSAs generated by CLUSTAL W.


Figure 5.28: This shows the $\mathrm{KD} \tau$ correlation score with the largest absolute value for each column in the HisKA and receiver alignment, mapped onto reference 3D structures. On the left is the HisKA dimer structure, EnvZ, orientated to show the conserved histidine (shown by a space filling model in orange). On the right is the receiver structure, SpoOF , orientated to show the conserved aspartate (shown by a space filling model in orange). The KD $\tau$ colour ranges from blue (negative) through white to red (positive), although the colours do not exactly match those used in previous figures. Residues which were not in the alignments are in green.


Figure 5.29: Maximum MI score for each column in the HisKA and receiver alignment mapped onto reference 3D structures (EnvZ and SpoOF as in Figure 5.28). MI colour ranges from white (zero) to red (maximum). Residues which were not in the alignments are in green.
that position, and similarly for the receiver. Figure 5.28 uses this approach to show the KD Kendall's $\tau$ correlation with the largest absolute value, while Figure 5.29 shows the maximum MI score.

Simplified representations of the reference protein structures, which are not dependent on the amino acid side chains, are most suitable for representing a generic HisKA or receiver. The "new ribbon" representation in VMD was used (Humphrey et al. 1996), rather than a "cartoon" representation which reduces $\alpha$-helices to simple cylinders discarding the orientation of the individual residues. It should be noted that these representations do not attempt to show the amino acid pairings identified (between the proteins), which is a much more complicated problem to visualise.

### 5.7 Summary and comparison of results

Figures 5.30 and 5.31 (for the CLUSTAL W and MUSCLE MSAs respectively, using the HK and RR domain pairs) summarise the correlations between the scores considered, and the approximate distance in the protein-protein complex. Those column pairs with the highest MI are by definition highly variable, and from these figures show a broad range of hydrophobicity correlations (represented in the figures by the KD Kendall's $\tau$ ), while those with a low MI have KD $\tau \sim 0$. These figures also show the $\chi^{2}$ and MI scores correlate well, and these show the most convincing link to the distances. However, distance isn't everything - McLaughlin et al. (2007) shows predominantly buried residues can play a role in recognition.

Although Figures 5.30 and 5.31 look very similar, the precise MSA column pairs selected do differ for the two alignment methods. Using the reference sequences EnvZ and Spo0F, it is possible to cross-reference most of the column pairs (but not those where the patten of gaps is different) allowing a direct comparison of the scores from the CLUSTAL W MSAs to those from the MUSCLE MSAs.

Figures 5.32 , 5.33 and 5.34 show this for MI. The results from the two alignment methods correlate well, but overall the CLUSTAL W MSAs give somewhat higher MI scores. The spread of the points can be significantly reduced by excluding column pairs which are "gap rich" leaving a much clearer diagonal trend (comparing the top and bottom sub-figures, which exclude columns with more than $1 \%$ gaps, or only columns with more than $50 \%$ gaps). This suggests that most differences between the two alignment tools are down to the placement of insertions.

As a consequence of this discrepancy due to the different gap placements, many of the column pairs selected by MI using the CLUSTAL W MSAs have a much lower MI from


Figure 5.30: Assorted smoothed scatter plots for selected scores and the estimated distances from a crude protein-protein complex. As in Figure 5.16, the captions along the diagonal indicate which scoring method is shown on the associated row/column. These plots are based on MSAs created with CLUSTAL W.


Figure 5.31: Assorted smoothed scatter plots for selected scores and the estimated distances from a crude protein-protein complex, based on MSAs created with MUSCLE.


Figure 5.32: Scatter plot of the MI scores from the CLUSTAL W and MUSCLE paired MSAs using domains from HK and RR gene pairs. Column pairs were cross-referenced using the EnvZ and SpoOF reference sequences.


Figure 5.33: Scatter plot of the MI scores from the CLUSTAL W and MUSCLE paired MSAs using domains from HY genes. Column pairs were cross-referenced using the EnvZ and SpoOF reference sequences.


Figure 5.34: Scatter plot of the MI scores from the CLUSTAL W and MUSCLE paired MSAs using domains from both HK and RR gene pairs and HY genes. Column pairs were crossreferenced using the EnvZ and SpoOF reference sequences.
the MUSCLE MSA, and thus are not ranked as highly. However, there is still a large overlap between the top column pairs by MI given by the two different alignment sets (particularly if gap rich columns are explicitly excluded).

Additionally, Figure 5.32 shows a small population of column pairs with a CLUSTAL W $\mathrm{MI} \sim 0$ but MUSCLE MI $\sim 0.05$ for the HK and RR paired domains. Interestingly this grouping does not occur on the HY dataset, nor the combined dataset (Figures 5.33 and 5.34). These column pairs all include the RR Spo0F residues D10 and K104 in the MUSCLE MSA. The two RR aspartate residues (DD) corresponding to Spo0F D9 and D10 at the end of $\beta_{1}$ are highly conserved (see Figure 1.18 for the secondary structure naming). However in some RRs there are three aspartate residues (DDD), and in others a glutamic acid and two aspartate (EDD, chemically similar). This variability complicates the alignment and is likely to explain the difference between the two methods in this region. K104 corresponds to another highly conserved RR residue, at the end of $\beta_{5}$. In the CLUSTAL W MSA this is conserved in all but 7 sequences. In the MUSCLE MSA, however, the K is missing or mis-aligned in 126 sequences, meaning that this column is much more variable and therefore can by chance reach a higher but still small MI score, $\sim 0.05$.

Although the results from the Clustal W and MUSCLE MSAs do not differ substantially, there are other ways to build MSAs (see Edgar and Batzoglou (2006) for a recent review). In particular, given a number of solved 3D structures are available for both the HisKA and receiver domains (see Section 1.5), it would be possible to build MSAs taking advantage of this spatial information, for example using the tool 3DCoffee (O'Sullivan et al. 2004), and repeat the analyses here.

### 5.8 Discussion

Based on these results, in the following chapter potentially informative column pairs for the HisKA-receiver specificity are selected using MI. Column pairs with high MI are assumed to represent positions on the two proteins which have co-evolved and interact in some way. When either column is (almost) perfectly conserved, the column pair is uninformative, and the MI is (almost) zero. In particular, this automatically down-weights any gap-rich columns.

One limitation of MI is that it can be drowned out by background noise for small MSAs. Given Martin et al. (2005) suggested at least 125 sequences be used to avoid this issue, as the MSAs here contain thousands of sequences this isn't expected to be a problem.

Two other groups recently published work using MI to identify the residues controlling the HisKA-receiver interaction specificity (White et al., 2007; Skerker et al., 2008). The
later paper included experimental verification that disrupting the residues identified negatively impacted the phosphotransfer, and more interestingly also demonstrated in vivo switching of specificity of the HisKA-receiver complex. Even without this external verification, the results above are highly encouraging in that MI appears to select column pairs are important for the HisKA-receiver specificity. In the following chapter, these column pairs are used as the basis of a predictive model for determining HisKA-receiver pairings from their amino acid sequences.

One open question at the close of this chapter is how many of the highly scoring column pairs identified are actually biologically important. In Figure 5.21 (and similar plots), the observed scores are compared to those generated using a randomisation of the TCS domain pairings. Repeating this procedure multiple times would allow the variability of these scores to be estimated. Such a bootstrap proedure would allow a p-value based cut off (incorpoating a multiple testing correction) to select only those column pairings with a statistically significant score. In Chapter 6 however, the number of column pairs to include is considered from an alternative perspective.

## Chapter 6

## Predictions using a generalised linear model (GLM)

### 6.1 Introduction

While interacting TCS domains are usually found together as pairs in the genome, in some species such as Nostoc sp. or M. xanthus, a large proportion of TCS domains are found in more complicated arrangements (Whitworth and Cock, 2008ab, and Chapter 2). In such organisms, being able to predict TCS domain partnerships from genome sequences would be especially useful, as the lack of paired HK and RR genes makes it difficult to define genomeencoded signalling networks. Even without consideration of co-expression and co-localisation (see Section 1.7), the ability to predict potential pairings solely from amino acid sequences would be a useful tool to guide experimental investigation, especially in cases where a large number of possible combinations makes exhaustive testing a daunting prospect.

In addition to the TCS systems, there are many other classes of protein-protein interactions where the two interacting proteins are encoded as paralogous sets within genomes, and it is therefore not immediately clear which of the possible combinations are biologically relevant. Examples of such systems include G-protein coupled receptors/trimeric G-proteins (Cabrera-Vera et al., 2003) and $\sigma$ factors/anti- $\sigma$ factors (Hughes and Mathee, 1998). Any methodology demonstrated for predicting TCS interactions may therefore prove to have wide utility.

### 6.2 Modelling approach

GLMs are used to explain a dependent variable $Y_{i}$ (with samples indexed by $i$ ) using a weighted linear combination of $K$ explanatory variables $X_{i k}$ (for $k=1,2, \ldots, K$ ). The weights are model parameters which must be estimated by fitting the model to a training dataset. The aim here is to predict if two proteins interact, given only their amino acid sequences (and a training dataset). In the GLM framework, this is a binary classification problem ( $Y$ is a binary random variable, $Y_{i}=1$ if the proteins interact, $Y_{i}=0$ otherwise). This is handled as a binomial logistic regression,

$$
\begin{align*}
\operatorname{logit}\left(P\left[Y_{i}=1 \mid X_{i k} \text { for all } k\right]\right) & =\log \frac{P\left[Y_{i}=1 \mid X_{i k} \text { for all } k\right]}{P\left[Y_{i}=0 \mid X_{i k} \text { for all } k\right]} \\
& =w_{0}+\sum_{k=1}^{K} w_{k} X_{i k}+\epsilon_{i} \tag{6.1}
\end{align*}
$$

where $P\left[Y_{i}=1\right]$ denotes the probability of interaction, $w_{0}$ an intercept parameter, $w_{k}$ the $K$ weights, and $\epsilon_{i}$ the error.

The sample index $i$ is an integer used to index different combinations of the two protein domains (arranged in a simple list rather than as a grid). The explanatory variables will be based on the amino acids in the MSA entries of the relevant domains (indicated by $i$ ). However, rather than attempting to include all the amino acids in these protein domains, only $K$ MSA column pairs will be selected, indexed by the integer $k=1,2, \ldots, K$. Any single value of $k$ identifies a column of the HisKA MSA and a column of the receiver MSA, and can therefore be considered as a pair of indices (see Figure 6.1). Each value $X_{i k}$ is calculated from the amino acid pair given by the MSA columns indicated $k$ and the MSA rows indicated by $i$.

Estimating the $w_{0}$ and the $K$ weights, $w_{k}$, requires samples (training data) of both known interactions $\left(Y_{i}=1\right)$ and non-interactions $\left(Y_{i}=0\right)$. The weights are then selected to best fit the training data. To generate suitable training data, members of the two paralogous protein families under consideration (HisKA and receiver domains) must first be identified (for example using domain based searches, or sequence similarity to known exemplars), and interactions and non-interactions between these protein family members identified. The TCS training sets used in this chapter were compiled from multiple prokaryotes, as described in Chapter 2, assuming paired domains interact exclusively with their partner, and not with any other paralogues encoded in that genome.

Given a test set of proteins for which we wish to make predictions (such as the TCS domain complement of a genome of interest), an amino acid MSA is generated for each domain type (HisKA and receiver domains), combining the training and test datasets. Using the MI of the interacting domains in the training data, $K$ column pairs are selected, and then the chosen


Figure 6.1: Overview of the MSA data and the indexing used (cf. Figure 5.2). The bottom left and top right panels show abbreviated representative HisKA and receiver domain protein sequence MSAs. Column pairs are indexed by $k$, an example column pair is shown (dark grey bars), represented as a point in the possible MSA column pair space (top left panel). Dotted lines separate the training and test data. The bottom right panel shows the known interactions for the training sequences (upper left of dotted lines), and the interactions we wish to predict for the test sequences (bottom right of dotted lines, "?" on grey). The training interactions are shown with a block structure reflecting inter- and intra-species combinations, where the intra-species interactions are known (" 0 " or " 1 " on pale grey) while the hypothetical inter-species interactions are unknown ("?" on white).
scoring system is applied to calculate the explanatory variables $X_{i k}$. Next, the GLM is fitted to the training data, estimating the model parameters $w_{k}$. A prediction for $Y_{i}$ can then be made for any two sequences from the two MSAs (e.g. all combinations of the test proteins), by extracting the relevant amino acids from the MSAs, applying the chosen scoring system to give $K$ numerical scores $X_{i k}$, and substituting these values together with the estimated $w_{k}$ into Equation (6.1).

### 6.2.1 Selecting column pairs

In the context of a GLM, there are established methods for variable selection. One typical method employes the Akaike Information Criterion (AIC) (Akaike, 1974), which requires multiple models to be fitted testing different possible combinations of input variables. However, since it is not computationally feasible to assess the fit of all possible combinations of MSA column pairs as explanatory variables, we must use a strategy to tease out suitable subsets.

As argued in Chapter 5, assuming all consorting paralogues follow the same docking orientation, any pair of columns from these two MSAs represents a potential inter-residue interaction between the corresponding positions of the protein-protein complex. The vast majority of these residue pairs will represent spatially separated amino acids, which will make no contribution to the interaction specificity. However, a minority of column-couplets will be informative, representing variable amino acids which do interact (possibly indirectly) in the protein-protein complex. Our first question is how to identify these explanatory column pairs, and then how to interpret them numerically.

Any solved structures of the protein-protein complex of interest could be used to assign typical inter-residue distances, and thus short list pertinent MSA column pairs. Unfortunately, no generic TCS HisKA-receiver complex has been solved to date, the closest available being a sequence dissimilar but structurally analogous complex, PDB reference 1F51 (Zapf et al., 2000). Chapter 5 instead explored several automated data driven techniques to select informative column pairs, concluding with the selection of Mutual information (MI) as the most promising candidate.

Column pairs with high MI are assumed to represent positions on the two proteins which have co-evolved and interact in some way. When either column is (almost) perfectly conserved, the column pair is uninformative, and the MI is (almost) zero. Thus taking the MI ranking gives an ordering allowing the simple selection of the top $K$ column pairs, leaving us only with the choice of $K$ (how many terms to include).

### 6.2.2 Column pair scores

Several ways to assign a numerical score to a pair of amino acids were investigated for use as explanatory variables in a GLM to predict protein domain interactions. These included two scoring functions, $S^{V}$ and $S^{H}$, which are independent of the MSA column pair under consideration (and symmetric with respect to the two protein families). In addition a series of scores, $S_{k}^{P}, S_{k}^{M}, S_{k}^{\zeta}, S_{k}^{\eta}$ and $S_{k}^{\Omega}$ were constructed, specific to each column pair $k$, based on the observed amino acid frequencies within the training data.

The integer $k=1,2, \ldots, K$ indexes the $K$ column pairs selected by MI. Recall any single value of $k$ can be considered as a pair of indices identifying a column of the HisKA MSA and a column of the receiver MSA (see Figure6.1). Let $A_{k}$ and $B_{k}$ represent random variables describing the amino acids found in the training data for the two MSA columns of column pair $k$, and let $a_{i k}$ and $b_{i k}$ be the specific amino acids from column pair $k$ in sample $i$. For each score, a separate GLM was constructed setting $X_{i k}=S^{V}\left(a_{i k}, b_{i k}\right), X_{i k}=S^{H}\left(a_{i k}, b_{i k}\right), \ldots$, or $X_{i k}=S_{k}^{\Omega}\left(a_{i k}, b_{i k}\right)$ for substitution into Equation 6.1).
$S^{V}$ denotes an existing statistical chemical potential (Lu et al., 2003), introduced in Section 5.5.1. Low potentials between close amino acids should indicate energetically favourable complexes, and thus may identify interacting complexes. A major component of this chemical potential is hydrophilicity, which is believed to play a role in TCS interactions (Kojetin et al., 2003). Therefore a hydrophilicity compatibility score $S^{H}$ is introduced, defined as the product of the Kyte-Doolittle (KD) hydrophilicities of the two amino acids Kyte and Doolittle, 1982) (see Section 5.5.2). Pairs of hydrophobic or hydrophilic residues have a positive score, while a miss-matched combination is assigned a negative score. For example, $S^{H}($ Asn, Asp $)=-1.8 \times 3.5=-6.3$. For any gap characters or ambiguous amino acids, $S^{V}$ and $S^{H}$ were taken as zero.

The other scores are probabilistic, based on observed amino acid frequencies in the MSA columns for the column pair under consideration, treating gap characters as another letter. Taking different scores for each column pair allows for different physical interactions between different parts of the protein complex. Given the selection of column pairs using MI, it was natural to consider these kinds of scores.

First $S_{k}^{P}$ is defined as the probability of an amino acid pair occurring in MSA column pair $k$ given a positive interaction $(Y=1)$ in the training data,

$$
\begin{equation*}
S_{k}^{P}(\alpha, \beta):=P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=1\right] \tag{6.2}
\end{equation*}
$$

Then the MI contribution score $S_{k}^{M}$ is defined as

$$
\begin{equation*}
S_{k}^{M}(\alpha, \beta):=S_{k}^{P}(\alpha, \beta) S_{k}^{\zeta}(\alpha, \beta) \tag{6.3}
\end{equation*}
$$

where $S_{k}^{\zeta}$ is another scoring function,

$$
\begin{equation*}
S_{k}^{\zeta}(\alpha, \beta):=\log \left(\frac{P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=1\right]}{P\left[A_{k}=\alpha \mid Y=1\right] P\left[B_{k}=\beta \mid Y=1\right]}\right) . \tag{6.4}
\end{equation*}
$$

Of the preceding scores, the best predictions were given by $S_{k}^{\zeta}$, and therefore two further logged probability ratios were evaluated,

$$
\begin{equation*}
S_{k}^{\eta}(\alpha, \beta):=\log \left(\frac{P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=1\right]}{P\left[A_{k}=\alpha, B_{k}=\beta\right]}\right) \tag{6.5}
\end{equation*}
$$

and

$$
\begin{equation*}
S_{k}^{\Omega}(\alpha, \beta):=\log \left(\frac{P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=1\right]}{P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=0\right]}\right) . \tag{6.6}
\end{equation*}
$$

All the probabilistic scores are estimated from the training data using the observed amino acid frequency counts in the relevant MSA column pair. For example, for column pair $k$ and HisKA/receiver sample $i$ where the amino acid pair is $a_{i k}, b_{i k}$, score $S_{k}^{P}$ is estimated as

$$
\begin{equation*}
\hat{S}_{k}^{P}\left(a_{i k}, b_{i k}\right)=\frac{\sum_{j} I\left(a_{j k}=a_{i k}\right) I\left(b_{j k}=b_{i k}\right) I\left(Y_{j}=1\right)}{\sum_{j} I\left(Y_{j}=1\right)}, \tag{6.7}
\end{equation*}
$$

where $I(\cdot)$ is the indicator function,

$$
I(\text { expression }):= \begin{cases}1 & \text { if expression is true }  \tag{6.8}\\ 0 & \text { if expression is false }\end{cases}
$$

Estimates $\hat{S}_{k}^{M}, \hat{S}_{k}^{\zeta}, \hat{S}_{k}^{\eta}$ and $\hat{S}_{k}^{\Omega}$ are constructed analogously.

### 6.2.3 Related column pair scores

The last three scores defined above, $S_{k}^{\zeta}, S_{k}^{\eta}$ and $S_{k}^{\Omega}$, are all closely related, differing only by their denominator. Under a couple of reasonable assumptions, these can be shown to be approximately equal.

When considering the estimation of $P\left[A_{k}=\alpha \mid Y=1\right], P\left[A_{k}=\alpha \mid Y=0\right]$ or $P\left[A_{k}=\alpha\right]$ the same MSA column entries are simply counted with different weightings. By construction the training data herein is structured into blocks where only within species interactions are considered, and each HisKA and receiver form a single exclusive partnership (see Figure 6.1). Ignoring the random sampling for cross-validation, this means that $P\left[A_{k}=\alpha \mid Y=1\right]$ counts each HisKA residue once, while $P\left[A_{k}=\alpha \mid Y=0\right]$ counts each once per non-partner receiver in the same species, and $P\left[A_{k}=\alpha\right]$ counts each once per receiver in the same species. It is
therefore not unreasonable to expect these three distributions are similar (and likewise for the receiver domains),

$$
\begin{align*}
& P\left[A_{k}=\alpha \mid Y=1\right] \approx P\left[A_{k}=\alpha \mid Y=0\right] \approx P\left[A_{k}=\alpha\right],  \tag{6.9}\\
& P\left[B_{k}=\beta \mid Y=1\right] \approx P\left[B_{k}=\beta \mid Y=0\right] \approx P\left[B_{k}=\beta\right] .
\end{align*}
$$

In selecting the $K$ column pairs, we expect the amino acids in those columns to be mutually dependant for interacting domain pairs,

$$
\begin{equation*}
P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=1\right] \neq P\left[A_{k}=\alpha \mid Y=1\right] P\left[B_{k}=\beta \mid Y=1\right] . \tag{6.10}
\end{equation*}
$$

However, for non-interacting domains the distributions could be independent,

$$
\begin{equation*}
P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=0\right] \approx P\left[A_{k}=\alpha \mid Y=0\right] P\left[B_{k}=\beta \mid Y=0\right] . \tag{6.11}
\end{equation*}
$$

Given that the training data contains many more non-interactions than interactions, this can be stretched further,

$$
\begin{equation*}
P\left[A_{k}=\alpha, B_{k}=\beta\right] \approx P\left[A_{k}=\alpha\right] P\left[B_{k}=\beta\right] . \tag{6.12}
\end{equation*}
$$

Starting from the definition of $S_{k}^{\Omega}$ in Equation (6.6), and substituting the results from Equations 6.11) and (6.9), leads to the definition of $S_{k}^{\zeta}$ in Equation 6.4),

$$
\begin{align*}
S_{k}^{\Omega}(\alpha, \beta) & =\log \left(\frac{P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=1\right]}{P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=0\right]}\right) \\
& \approx \log \left(\frac{P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=1\right]}{P\left[A_{k}=\alpha \mid Y=0\right] P\left[B_{k}=\beta \mid Y=0\right]}\right) \\
& \approx \log \left(\frac{P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=1\right]}{P\left[A_{k}=\alpha \mid Y=1\right] P\left[B_{k}=\beta \mid Y=1\right]}\right) \\
& =S_{k}^{\zeta}(\alpha, \beta) . \tag{6.13}
\end{align*}
$$

Thus $S_{k}^{\Omega}(\alpha, \beta) \approx S_{k}^{\zeta}(\alpha, \beta)$.
Similarly, from the definition of $S_{k}^{\eta}$ in Equation (6.5), substituting the results from Equations (6.12) and (6.9), also leads to $S_{k}^{\zeta}$,

$$
\begin{align*}
S_{k}^{\eta}(\alpha, \beta) & =\log \left(\frac{P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=1\right]}{P\left[A_{k}=\alpha, B_{k}=\beta\right]}\right) \\
& \approx \log \left(\frac{P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=1\right]}{P\left[A_{k}=\alpha\right] P\left[B_{k}=\beta\right]}\right) \\
& \approx \log \left(\frac{P\left[A_{k}=\alpha, B_{k}=\beta \mid Y=1\right]}{P\left[A_{k}=\alpha \mid Y=1\right] P\left[B_{k}=\beta \mid Y=1\right]}\right) \\
& =S_{k}^{\zeta}(\alpha, \beta) \tag{6.14}
\end{align*}
$$

giving $S_{k}^{\eta}(\alpha, \beta) \approx S_{k}^{\zeta}(\alpha, \beta)$. Thus $S_{k}^{\zeta}, S_{k}^{\eta}$ and $S_{k}^{\Omega}$ could be expected to be approximately equal for a large training dataset.

### 6.2.4 Restricted models

Under the assumption that the $K$ interaction pair scores are independent, Bayes Theorem provides an elegant interpretation of $\sum S_{k}^{\eta}$ and $\sum S_{k}^{\Omega}$ in terms of the probability of interaction $Y$ given the $K$ amino acid pairs ( $\alpha_{k}$ and $\beta_{k}$ for $k=1,2, \ldots, K$ ):

$$
\begin{align*}
\log \left(P\left[Y=1 \mid A_{k}=\alpha_{k}, B_{k}=\beta_{k} \text { for all } k\right]\right) & =\log (P[Y=1])+\sum_{k=1}^{K} S_{k}^{\eta}\left(\alpha_{k}, \beta_{k}\right)  \tag{6.15}\\
& =\log \left(\frac{P[Y=1]}{P[Y=0]}\right)+\sum_{k=1}^{K} S_{k}^{\Omega}\left(\alpha_{k}, \beta_{k}\right) \tag{6.16}
\end{align*}
$$

Proof. Starting from Bayes Theorem, and applying the independence assumption,

$$
\begin{align*}
P\left[Y=1 \mid A_{k}=\alpha_{k}, B_{k}=\beta_{k} \text { for all } k\right] & =\frac{P[Y=1] P\left[A_{k}=\alpha_{k}, B_{k}=\beta_{k} \text { for all } k \mid Y=1\right]}{P\left[A_{k}=\alpha_{k}, B_{k}=\beta_{k} \text { for all } k\right]} \\
& =P[Y=1] \prod_{k=1}^{K} \frac{P\left[A_{k}=\alpha_{k}, B_{k}=\beta_{k} \mid Y=1\right]}{P\left[A_{k}=\alpha_{k}, B_{k}=\beta_{k}\right]} . \tag{6.17}
\end{align*}
$$

Taking logarithms and using the definition of $S_{k}^{\eta}$ in Equation (6.5), gives

$$
\begin{align*}
\log \left(P\left[Y=1 \mid A_{k}=\alpha_{k}, B_{k}=\beta_{k} \text { for all } k\right]\right)= & \log (P[Y=1]) \\
& +\sum_{k=1}^{K} \log \left(\frac{P\left[A_{k}=\alpha_{k}, B_{k}=\beta_{k} \mid Y=1\right]}{P\left[A_{k}=\alpha_{k}, B_{k}=\beta_{k}\right]}\right) \\
= & \log (P[Y=1])+\sum_{k=1}^{K} S_{k}^{\eta}\left(\alpha_{k}, \beta_{k}\right) \tag{6.18}
\end{align*}
$$

as claimed in Equation (6.15).
A derivation similar to that of Equation (6.17) gives

$$
\begin{equation*}
P\left[Y=0 \mid A_{k}=\alpha_{k}, B_{k}=\beta_{k} \text { for all } k\right]=P[Y=0] \prod_{k=1}^{K} \frac{P\left[A_{k}=\alpha_{k}, B_{k}=\beta_{k} \mid Y=0\right]}{P\left[A_{k}=\alpha_{k}, B_{k}=\beta_{k}\right]} \tag{6.19}
\end{equation*}
$$

Using Equations (6.17) and (6.19), together with the definition of $S_{k}^{\Omega}$ in Equation (6.6) gives

$$
\begin{align*}
\operatorname{logit}\left(P\left[Y=1 \mid A_{k}=\alpha_{k}, B_{k}=\beta_{k} \text { for all } k\right]\right)= & \log \left(\frac{P\left[Y=1 \mid A_{k}=\alpha_{k}, B_{k}=\beta_{k} \text { for all } k\right]}{P\left[Y=0 \mid A_{k}=\alpha_{k}, B_{k}=\beta_{k} \text { for all } k\right]}\right) \\
= & \log \left(\frac{P[Y=1]}{P[Y=0]}\right) \\
& +\sum_{k=1}^{K} \log \left(\frac{P\left[A_{k}=\alpha_{k}, B_{k}=\beta_{k} \mid Y=1\right]}{P\left[A_{k}=\alpha_{k}, B_{k}=\beta_{k} \mid Y=0\right]}\right) \\
= & \log \left(\frac{P[Y=1]}{P[Y=0]}\right)+\sum_{k=1}^{K} S_{k}^{\Omega}\left(\alpha_{k}, \beta_{k}\right) \tag{6.20}
\end{align*}
$$

as claimed in Equation 6.16).

Equations (6.15) and (6.16) have the form of a GLM with equal weights, with log and logit link-functions respectively. Hence, the following restricted GLMs were also formulated for these scores (and the closely related $S_{k}^{\zeta}$ score), with only two parameters $w_{0}$ and $w_{1}=w_{k}$ for $k=2,3, \ldots, K$,

$$
\begin{equation*}
\log \left(P\left[Y_{i}=1 \mid X_{i k} \text { for all } k\right]\right)=w_{0}+w_{1} \sum_{k=1}^{K} X_{i k}+\epsilon_{i} \tag{6.21}
\end{equation*}
$$

where for $X_{i k}=\hat{S}_{k}^{\eta}\left(\alpha_{k}, \beta_{k}\right)$ it would be expected $w_{0} \approx \log (P[Y=1])$ and $w_{k} \approx 1$, and

$$
\begin{equation*}
\operatorname{logit}\left(P\left[Y_{i}=1 \mid X_{i k} \text { for all } k\right]\right)=w_{0}+w_{1} \sum_{k=1}^{K} X_{i k}+\epsilon_{i} \tag{6.22}
\end{equation*}
$$

where for $X_{i k}=\hat{S}_{k}^{\Omega}\left(\alpha_{k}, \beta_{k}\right)$ it would be expected that $w_{0} \approx \log \left(\frac{P[Y=1]}{P[Y=0]}\right)$ and $w_{k} \approx 1$.
The equal weight models in Equations (6.21) and (6.22) will be referred to as as restricted GLMs, while Equation (6.1) is an unrestricted GLM. The particular sub-case $\sum S_{k}^{\zeta}$ is used directly with a threshold in White et al. (2007) to rank protein-protein interactions.

### 6.2.5 Model assessment

Baldi et al. (2000) reviews a range of model assessment criteria, including receiver operator characteristic (ROC) curves Fawcett (2003). These plot the true positive rate against the false positive rate, which when done with a moving threshold gives a line ranging from the bottom left corner $(0,0)$ (model predicts everything is false) to the top right corner $(1,1)$ (model predicts everything is true). In good models, the curve will be well above the diagonal, ideally reaching close to the top left corner $(0,1)$ giving every true positive prediction with no false positives. Calculating the area under an ROC curve gives a simple assessment of the model performance, typically in the range 0.5 (random) to 1 (perfect). A model with an ROC area less than 0.5 is worse than random, with an area of 0 possible for inverted perfect model (always wrong).

To compare the predictive performance of the different models, the list of known interactions and non-interactions was divided randomly into a training set (typically 80\%) used for fitting and a test set $(20 \%)$ used for out-of-sample prediction. The area under the ROC curve was then calculated, and the procedure repeated five times, using a different random split each time.

In addition, predictions were made for the interactions among the TCS proteins of model organisms, E. coli K-12 (NC_000913), Bacillus subtilis (NC_000964) and Caulobacter crescentus (NC_002696).

### 6.3 Implementation

Paired TCS HisKA and receiver domains were compiled from 340 prokaryote species (excluding multiple strains, Table A.1) as described in Chapter 2, comprising 3, 473 cases from neighbouring HK and RR genes, and 1, 434 hybrid kinases (single genes containing both a HisKA and receiver). The 4,907 paired domains were taken as positive interactions $(Y=1)$ while the 114,763 other possible inter-species combinations of these domains were taken as noninteractions $(Y=0)$. Many of the figures shown in this chapter draw on a subset containing just the 3,473 two gene pairs and their 55,046 presumed non-interactions (inter-species combinations). Similarly, a third dataset was given by considering only the 1,434 hybrid gene domain pairs, and their 19, 726 other inter-species combinations. For the initial model crossvalidation, $80 \%$ of the presumed interactions and $80 \%$ of the presumed non-interactions were taken as the training dataset, with the remaining $20 \%$ held out as a test dataset.

Note that only the HisKA domain from the $T_{i}$ was used, and not the HATPase, as it does not seem to be important for the kinase-receiver interaction (Ohta and Newton, 2003). This was supported by an initial investigation of the MI scores where a MSA for the full $T_{i}$ domain was used (data not shown), also observed in Skerker et al. (2008).

As in Chapter 5, two different alignment programs were used to generate the MSAs, CLUSTAL $W$ version 1.83 with its default settings, and MUSCLE version 3.7 with a maximum of three iterations (-maxiter 3), and the alignments output using the CLUSTAL W file format (-clwstrict). MI was calculated between columns of the two MSAs by pairing rows for the known interactions in the training data, treating any gap characters as another amino acid. The columns pairs were then ranked by their MI , and the top $K$ highest scoring couplets were selected as input to the model via one of the described scoring functions.

One numerical complication for some of the probabilistic scores is the logarithm of zero (and potentially also the undefined ratio $\frac{0}{0}$ ) can occur when the amino acid pair $\left(A_{i k}, B_{i k}\right)$ has not been observed in an interacting pair. In this situation, for $\hat{S}_{k}^{M}$ the natural limit value zero was used, while for $\hat{S}_{k}^{\zeta}, \hat{S}_{k}^{\eta}$ and $\hat{S}_{k}^{\Omega}$ the minimum observed score of any amino acid pair was taken. In the contrary situation where $\left(A_{i k}, B_{i k}\right)$ has only been observed in interacting pairs, for $\hat{S}_{k}^{\Omega}$ we have a non-zero numerator with a zero denominator, and instead take the maximum observed score of any amino acid pair from that column pair.

The use of an alternative power transformation in $S_{k}^{\zeta}$, square root in place of the natural logarithm, made minimal difference, as did choosing an ad-hoc value of zero (square root only) or one for undefined ratios where amino acids had not been observed in the training data (data not shown). The use of a log link function, as suggested by Equation (6.15), proved
numerically intractable.
GLM parameters (weights $w_{k}$ and intercept term $w_{0}$ ) were estimated using the glm function in the statistical programming language $R(\mathbb{R}$ Development Core Team, 2007). The ROCR library (Sing et al., 2005) was used to generate ROC curves and their areas. The process was scripted in Python (www.python.org) using RPy (Moreira and Warnes, 2003) and Biopython (www.biopython.org). Figures were drawn using ReportLab (www.reportlab.org) or R.

### 6.4 Results

Figure 6.2 shows plots of the AIC, and the performance of the models assessed using the area under the ROC curve, against $K$ for five random divisions of the full dataset using CLUSTAL W MSAs. AIC is a measure of the trade-off between the model fit and the number of parameters, with the aim of minimising the AIC. The area under a ROC curve is a measure of predictive performance - a perfect model would give an area of 1 , a random model 0.5 . In-sample predictions are naturally more successful (have a higher ROC area) than out-ofsample (previously unseen test data), but even here the predictions are substantially better than random.

As expected, for all scoring functions the performance of the unrestricted GLM, Equation (6.1), increases with the number of terms $K$. This begins to plateau at $K \geq 30$, but has still not quite saturated at $K=100$. Increasing $K$ further yields only marginal improvements at increased computational cost (data not shown). While model assessments such as the distribution of residuals suggest the fit could be improved, nevertheless there is good predictive power when assessed on the previously unseen test data (out-of-sample predictions). The $S_{k}^{\Omega}$ and $S_{k}^{\eta}$ scores perform best (test ROC area $\geq 0.87$ ( 2 sf ) for $K \geq 30$ ), with little to choose between them, followed by $S_{k}^{\zeta}(\geq 0.81), S_{k}^{M}(\geq 0.75), S_{k}^{P}(\geq 0.72), S^{H}(\geq 0.72)$ and $S^{V}$ $(\geq 0.67)$ scores in decreasing order - all better than a random model (area $\approx 0.5$ ). The same ordering of the scores is seen using the AIC, where again the $S_{k}^{\Omega}$ and $S_{k}^{\eta}$ scores are almost indistinguishable.

The restricted GLM (where the $K$ scores are summed with equal weighting) with a $\log$ link-function, Equation (6.21), proved numerically intractable. However, with a logit-link function the restricted GLMs for the $S_{k}^{\Omega}, S_{k}^{\eta}$ and $S_{k}^{\zeta}$ scores, Equation 6.22), performed almost indistinguishably from the unrestricted GLM (Equation 6.1) for $K<20$, but show a noticeably lower ROC area with more terms. Impressively for such simple models, these still give a test ROC area $\geq 0.85$ for $S_{k}^{\Omega}$ and $S_{k}^{\eta}$, and $\geq 0.73$ for $S_{k}^{\zeta}$ for $K \geq 30$ (Figure 6.2). The AIC also












Figure 6.2: Model performance on full dataset, with $80 \%$ for training, using CLUSTAL W MSAs. The points are median values, while the error bars show one standard deviation, based on five randomised splits of $80 \%$ training ( 3,925 positive and 91,788 non-interacting samples) and $20 \%$ test ( 982 and 22,948 samples). First row of figures shows model AIC (fitting the training data), second row shows area under ROC curve for predictions on both the training data (in-sample, solid lines) and unseen test data (out-of-sample, dashed lines). Unrestricted GLM shown in black, Equation (6.1), restricted equal weight GLM in grey, Equation (6.22) ( $S_{k}^{\Omega}, S_{k}^{\eta}$ and $S_{k}^{\zeta}$ only).







Figure 6.3: Unrestricted model performance on full dataset, with $80 \%$ for training, using CLUSTAL W MSAs and $S_{k}^{\Omega}$ for $K=10,20,30$ and 100 (from eft to right). Five random splits of the data into training and test are shown. The top row of figures show the predicted interaction probabilities for the expected interactions $(Y=1)$ and non-interactions $(Y=0)$, showing the class separation improves with higher $K$. The bottom row of figures are ROC plots, labelled with the mean area under the curve, where the area increases as $K$ is increased.
suggests that the unrestricted GLM gives a better fit. As might be expected, the equal-weight restriction was not useful on the remaining scores (data not shown).

Of the seven scores explored, $S_{k}^{\Omega}$ and $S_{k}^{\eta}$ give the best predictive performance, both in the restricted and unrestricted GLM, with little to chose between them. Given the choice of a logit link function, $S_{k}^{\Omega}$ was selected as the preferred score because of the simple Bayesian interpretation of $\sum S_{k}^{\Omega}$ (Section 6.2.4).

Figure 6.3 explores the performance of the $S_{k}^{\Omega}$ score in more detail, for the five random divisions of the full dataset. This figure is divided into four columns for $K=10,20,30$ and 100. The top row of plots shows the range of predictions for known interactions $(Y=1)$ and non-interactions $(Y=0)$, showing the class separation improves with higher $K$ but that even at $K=100$ there are a number of false positives. The bottom row of plots shows the corresponding ROC curves.

Figure B.1 shows the same set of results as Figure 6.2 but from MUSCLE MSAs rather than CLUSTALW W MSAs. By eye, the two figures are practically identical, showing that the details of the alignment algorithm play a much smaller role that the choice of scoring system and the number of terms, $K$.

The performance of the models trained and evaluated on two-gene data (Figures 6.4 and 6.5), and the trends therein, is broadly similar to that using the full dataset (Figures 6.2 and 6.3), and marginally more successful. By contrast, the models trained and evaluated on hybrid kinase data (Figures 6.6 and 6.7) show markedly less predictive power, particularly on the test data (out-of-sample predictions). These differences are not simply due to the small training sample effect, as shown by Figures B. 2 and B. 4 where the combined and two-gene datasets were split to give a similarly sized training set to that of the HY dataset (Figure 6.6) and still show better predictive performance. Otherwise comparing the individual scores, the same general trends persist in the HY dataset predictions.


$\begin{array}{cccccc}\begin{array}{llll}0 & 20 & 40 & 60\end{array} & 80 & 100 \\ \text { Number of Terms, K }\end{array}$
Restricted (out-of-sample)



$\begin{array}{cccccc}\begin{array}{llll}0 & 20 & 40 & 60\end{array} \quad 80 & 100 \\ \text { Number of Terms, K }\end{array}$ - Restricted (in-sample)





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Restricted (out-o

[^5] Number of Terms, K Number of Terms, K Unrestricted (out-of-sample)


$\begin{array}{ccccc}0 & 20 & 40 & 6080 \quad 100 \\ \text { Number of Terms, }\end{array}$

 interaction probabilities for the expected interactions $(Y=1)$ and non-interactions $(Y=0)$, showing the class separation improves with higher $K$. The bottom row of figures are ROC plots, labelled with the mean area under the curve, where the area increases as $K$ is increased.



K!!!suə口



Figure 6.5: Unrestricted model performance using only conventional two gene TCS systems, with $80 \%$ for training, using CLUSTAL W MSAs and $S_{k}^{\Omega}$ for $K=10,20,30$ and 100 (from left to right). Five random splits of the data into training and test are shown. The top row of figures show the predicted
-






$\begin{array}{llllll}0 & 20 & 40 & 60 & 80 & 100\end{array}$ Number of Terms, K Unrestricted (out-of-sample)




$\begin{array}{r}-8 \\ -\infty \\ -8 \\ -8 \\ -\infty \\ -\infty \\ -\infty \\ \hline-1\end{array}$

 - Restricted (in-sample)




$\begin{array}{ccccc}0 & 20 \quad 40 \quad 60 \quad 80 \quad 100 \\ \text { Number of Terms, K }\end{array}$ Number of Terms, K
Unrestricted (in-sample)

Restricted (out-of-sample)
Figure 6.6: Model performance using only HYs (TCS genes with both HisKA and receiver), CLUSTAL W MSAs. Five randomised splits, trained on $80 \%$ ( 1,147 positive interactions and 15,780 non-interactions), tested on $20 \%$ ( 287 and 3,946 ). Key as per Figure 6.2, cf. Figure B.4.



| 0.0 | 0.2 | 0.4 | 0.6 | 0.8 | 1.0 |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |
| False positive rate |  |  |  |  |  |



False positive rate
Figure 6.7: Unrestricted model performance using only only HYs (TCS genes with both HisKA and receiver), with $80 \%$ for training, using CLUSTAL W MSAs and $S_{k}^{\Omega}$ for $K=10,20,30$ and 100 (from left to right). Five random splits of the data into training and test are shown. The top row of figures show the predicted interaction probabilities for the expected interactions $(Y=1)$ and non-interactions $(Y=0)$, showing the class separation improves with higher $K$. The bottom row of figures are ROC plots, labelled with the mean area under the curve, where the area increases as $K$ is increased.


$\begin{array}{lllll}0.0 & 0.2 \quad 0.4 \quad 0.6 & 0.8 & 1.0 \\ \text { False positive rate } & \end{array}$
False positive rate


### 6.5 Application to Escherichia coli

Figure 6.8 shows the prediction performance for $E$. coli $\mathrm{K}-12$, where the training data was the full dataset excluding excluding Escherichia, Salmonellae, Shigellas and Yersinias. The insample performance is weaker than that in Figure 6.2, perhaps due to certain E. coli proteins disrupting the MSAs. More strikingly, the out-of-sample predictions for the E. coli interactions are better, and plateau at only $K=20$ terms for $S_{k}^{\Omega}, S_{k}^{\eta}$ and $S_{k}^{\zeta}$. This suggests $E$. coli is very similar to the training data average. Perhaps this is a reflection of sampling bias towards laboratory-cultured bacteria.

Figure 6.9 explores the performance of the unrestricted model using the $S_{k}^{\Omega}$ in more detail, showing the class separation and the actual ROC curves for $K=10,20,30$ and 100. From left to right (increasing the number of terms, $K$ ), the class separation and ROC area both improve. These figures show that with $K \geq 20$, almost all the true positives can be identified with the false negative rate at only around $20 \%$.

Figure 6.10 shows the predictions for $E$. coli using $S_{k}^{\Omega}$ and $K=100$ with the unrestricted GLM (Equation 6.1). To answer the question "What is the partner for a given protein?", we can focus on a single row or column (where the top score is marked with a vertical or horizontal bar). The top scoring receiver is a known partner for 16/28 HisKA domains, and an established HisKA partner is identified for $16 / 28$ receiver domains.

Alternatively, looking at this matrix with a global threshold allows us to identify potential crosstalk between systems. For instance, a threshold of 0.25 (red squares) identifies 5 interactions in addition to $17 / 30$ known pairings. Of these unexpected interactions, two suggest potential coupling of the YpdA-YpdB system with YehU-YehT system, neither of which has an apparent phenotype, raising the possibility that these are redundant through crosstalk. There are other noticeable groupings of HisKAs and receivers with similar predicted interaction profiles, in particular NarQ-NarP and NarX-NarL (plus perhaps UhbB-UhpA). It is well established that the Nar systems intercommunicate (Rabin and Stewart, 1992), while some interactions with the Uhp system have also been demonstrated in vitro (Yamamoto et al. 2005). The remaining strong false positives $(P>0.5)$ are CusS/YedW, RstB/OmpR and QseC/BasR.

Unorthodox TCS HKs which contain an Hpt domain rather than a HisKA, such as CheA, were excluded from this analysis. Thus the lack of predicted partners for CheB and CheY fits with expectations. Similarly, the phosphotransfer Hpt domains in the tripartite $T_{i^{-}}$ $\mathrm{R}-\mathrm{H}+\mathrm{R}$ systems (Section 1.4.6) were also excluded, thus no interactions are expected for RRs ArcA, EvgS, TorR and UvrY. Other than an apparent false positive for NarQ/UvrY, there



Figure 6.8: Model performance predicting the TCS interactions of $E$. coli (dashed lines, expected interactions shown in Figure 6.10 ), trained on full dataset excluding Escherichia, and the closely related Salmonellae, Shigellas and Yersinias (solid lines). Key as per Figure 6.2.

 Unrestricted (out-of-sample)


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-8
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Number of Terms, K







Figure 6.8: Model performance predicting the TCS interactions of $E$. coli (dashed lines, expected interactions shown in Figure 6.10), trained on full dataset








False positive rate
Figure 6.9: Performance of out-of-sample predictions for $E$. coli using $S_{k}^{\Omega}$ for $K=10,20,30$ and 100 (from left to right). Unrestricted model performance is shown predicting the TCS interactions of E. coli, trained on the full dataset excluding Escherichia, Salmonellae, Shigellas and Yersinias. The top row f figures show the predicted interaction probabilities for the expected interactions $(Y=1)$ and non-interactions $(Y=0)$, showing the class separation improves with higher $K$. The bottom row of figures are ROC plots, labelled with the area under the curve, where the area increases as $K$ is increased.

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Figure 6.10: Out-of-sample predictions for $E$. coli using $S_{k}^{\Omega}$ and $K=100$ with an unrestricted GLM. Rows are HisKA domains, columns are receivers, sorted by gene location. Predicted probability of interaction shown by colour (linear scaling from 0.0 as white to 0.25 in pale grey, to 1.0 as red). In each row and column, the highest score is indicated with a vertical or horizontal bar. Cells where the score is the highest in that row and column therefore have a cross-hair shown. White circles show interactions expected from the genome arrangement (which are therefore roughly on the diagonal) and/or the literature (the Nar system, see Section 1.4.2).
are no interactions predicted for these RRs. Likewise the only expected interaction from the RcsC/RcsD/RcsB system relay (Section 1.4.7) is between the $T_{i}$ and $R$ domains of RcsC, which scores highly. However, there are strong predictions for the RcsC transmitter with the receivers of EvgS and ArcB (presumably false positives). On a positive note, there are no predicted interactions with the non-function $T_{i}$ domain in RcsD.

Finally, there are no strong partnerships predicted for the orphan receivers FimZ and RssB, suggesting their partners (if they have any) are not HisKA domains.

### 6.6 Application to Bacillus subtilis

Figure 6.11 show the various models applied to Bacillus subtilis, where here $S_{k}^{\eta}$ and $S_{k}^{\Omega}$ reach an ROC area of almost 0.9. Figure 6.12 explores the performance of the unrestricted model using the $S_{k}^{\Omega}$ in more detail, showing the class separation and ROC curves for $K=10,20$, 30 and 100. From left to right (increasing the number of terms, $K$ ), the class separation and ROC area both improve.

Figure 6.13 shows a grid of the Bacillus subtilis predictions for $S_{k}^{\Omega}$ and $K=100$. For the HisKA domains, the known partner is the top scoring receiver for $12 / 28$ cases. Similarly, a known partner is selected for $9 / 24$ receivers. Using a global threshold of 0.25 (red squares) selects only $11 / 28$ expected interactions. However, while these interactions score less than 0.25 , for all five of KinA to KinE, the top scoring receiver is correctly identified as SpoOF (see Section 1.4.8, cf. predictions in supplementary Table 2 of Burger and van Nimwegen (2006) where SpoOF is selected as the most likely partner only for KinA and KinC ). Note that there are no strong predictions for the receiver SpoOA , consistent with its only known phosphorylation route via the atypical phosphotransfer protein SpoOB . Additionally, as there are no $\mathrm{T}_{\mathrm{ii}} \mathrm{HK}$ proteins in this dataset, the lack of any predicted partners for RRs CheB, CheY and CheV is also as expected.

This grid also shows a number of HisKA and receiver domains with similar predicted interaction profiles, for example HisKA domains YdfH, YocF, YvqE and YwpD and receiver domains YfiK, YhcZ, YocG, YvqC and DegU could form a multiply connected network. The LytS/LytT system also shows a number of possible cross talk interactions.








Number of Terms, K Number of Terms, K Unrestricted (out-of-sample)





Figure 6.11: Model performance predicting the TCS interactions of Bacillus subtilis (dashed lines, expected interactions shown in Figure 6.13 ), trained on full dataset excluding Bacillus (solid lines). Using CLUSTAL W MSAs. Key as per Figure 6.2.







Figure 6.12: Performance of out-of-sample predictions for Bacillus subtilis using $S_{k}^{\Omega}$ for $K=10,20,30$ and 100 (from left to right). Unrestricted model performance is shown predicting the TCS interactions of Bacillus subtilis, trained on the full dataset excluding Bacilli. The top row of figures show the predicted interaction probabilities for the expected interactions $(Y=1)$ and non-interactions $(Y=0)$, showing the class separation improves with higher $K$. The bottom row of figures are ROC plots, labelled with the area under the curve, where the area increases as $K$ is increased.

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|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  | CheV |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  | CheY |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  | CheB |
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|  |  |  |  |  |  |  |  |  |  |  | $\mathrm{O}^{2}$ |  | ] |  |  |  |  |  |  |  |  |  |  |  | ResD |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  | Spo0A |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  | YrkP |
|  |  |  |  |  |  |  |  |  |  |  |  | - |  |  |  |  | - |  |  |  |  |  |  |  | LytT |
|  |  |  |  |  |  |  |  |  |  |  |  |  | - |  |  |  |  |  |  |  |  |  |  |  | PhoP |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  | 8 |  |  |  |  |  |  |  |  |  |  | YtsA |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  | 8 |  |  |  |  |  |  |  |  | YufM |
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|  |  |  |  |  |  |  |  |  |  |  |  |  |  | E |  |  |  |  |  |  |  |  |  | $\bigcirc$ | YxdJ |
|  | $\square$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  | YycF |

Figure 6.13: Out-of-sample predictions for Bacillus subtilis using $S_{k}^{\Omega}$ and $K=100$ with an unrestricted GLM, using CLUSTAL W MSAs. Rows are HisKA domains, columns are receivers, sorted by gene location. Predicted probability of interaction shown by colour (linear scaling from 0.0 as white to 0.25 in pale grey, to 1.0 as red). In each row and column, the highest score is indicated with a vertical or horizontal bar. Cells where the score is the highest in that row and column therefore have a cross-hair shown. White circles show interactions expected from the genome arrangement (which are therefore roughly on the diagonal) and/or the literature (the Spo system, see Section 1.4.8).

### 6.7 Application to Caulobacter crescentus

Based on predictions for other bacteria, the outstanding model performance seen for $E$. coli and Bacillus subtilis discussed above with ROC areas around 0.9 for $S_{k}^{\Omega}$ and $S_{k}^{\eta}$ is not universal. Figure 6.14 shows predictions for Caulobacter crescentus compared to those expected from the genome pairs or Skerker et al. (2005). Here the ROC areas for $S_{k}^{\Omega}$ and $S_{k}^{\eta}$ reach only around 0.8 , shown in more detail in Figure 6.15 .

A grid of the unrestricted GLM predictions for $S_{k}^{\Omega}$ with $K=100$ is shown in Figure 6.16 Using a global threshold of 0.25 (red squares) only $13 / 41$ expected interactions are identified. However, a number of the "false positives" include domain pairs on the diagonal which did not pass the stringent criteria used to automatically identify domain pairs: CC0238/CC0237, CC0248/CC0247 and NtrY/NtrX (CC1742/CC1743).

Several domains show similar predicted interaction profiles (which could be shown visually with a clustering method) perhaps suggesting they inter-phosphorylate. In particular there is broad cross talk predicted between the HisKA domains from proteins CC0026, CC0921, CC0934, CC2521, CC2670, CC2852, CC2971, CC2988, CC3075, CC3102, CC3191 and CC3219 with the receivers from proteins CC0921, CC0934, CC2852 and CC3102. There is also the possibility of cross talk between the CC2932/PetR (CC2931) and CC1181/CC1182 systems, and between CC0248/CC0247 and CC1768/CC1767.

Remaining unexpected possible predicted interactions include CC3198/CC1150 and CC2755/CC1293, plus nearby genes CC3474/CC3477 which while scoring less that 0.25 are nevertheless each other's predicted top partner.










[^6] trained on full dataset excluding Caulobacteria (solid lines). Using CLUSTAL W MSAs. Key as per Figure 6.2.


Figure 6.15: Performance of out-of-sample predictions for Caulobacter crescentus using $S_{k}^{\Omega}$ for $K=10,20,30$ and 100 (from left to right). Unrestricted model performance is shown predicting the TCS interactions of Caulobacter crescentus, trained on the full dataset excluding Caulobacteria. The top row of figures show the predicted interaction probabilities for the expected interactions $(Y=1)$ and non-interactions $(Y=0)$, showing the class separation improves with higher $K$. The bottom row of figures are ROC plots, labelled with the area under the curve, where the area increases as $K$ is increased.


Figure 6.16: Out-of-sample predictions for Caulobacter crescentus using $S_{k}^{\Omega}$ and $K=100$ with an unrestricted GLM, using CLUSTAL W MSAs. Rows are HisKA domains, columns are receivers, sorted by gene location. Most gene names have been taken from http://caulo. stanford.edu/GeneList.htm (Shapiro group) as the GenBank annotation predates many of these assignations. As in Figure 6.10, predicted probability of interaction is shown by colour, with the highest score in each row and column indicated with a vertical or horizontal bar. White circles show interactions expected from the genome arrangement (roughly on the diagonal) or Skerker et al. (2005).

### 6.8 Application to Nostoc and $M$. xanthus

Figures 6.17 and 6.18 for Nostoc sp, and Figure 6.20 and 6.21 for $M$. xanthus shows the model performance predicting those interactions in these species that were inferred from their genome arrangements. Because both organisms have highly complex TCS arrangements, with a high proportion of orphaned and complex HYs, this prediction assessment is only based on part of the full interaction grid.

Figure 6.19 shows the prediction grid for Nostoc using $S_{k}^{\Omega}$ with $K=100$ in an unrestricted GLM, with those combinations with $P \geq 0.25$ tabulated in Table 6.1, which include both non-neighbouring HY and RR pairs, and predictions for some complex HY proteins as well. The equivalent results for M. xanthus are shown in Figure 6.22 and Table 6.2 .

### 6.9 Discussion

When trying to assign TCS domain partnerships, a biologist would typically start from the genomic organisation before even looking at the actual sequences. Two simple pieces of such information are the separation of the two domains in nucleotides, and whether or not the domains are from the same gene (a hybrid kinase). The GLM framework allows model extension by the addition of more explanatory terms, thus including this information would be straightforward, but it would trivially explain our automatically compiled dataset. However, for a large experimentally determined dataset of interactions and non-interactions, it would be intriguing to explore a composite model using both sequence data and genomic organisation.

The use of MUSCLE rather than CLUSTAL W for the construction of the MSAs made minimal difference to the predictive performance of the models, while the number of explanatory variables $(K)$ and the scoring function function used to generate them had marked effects. In the results shown up to $K=100$ terms have be used, more explanatory variables gave only marginal improvement and becomes increasingly computationally expensive. Selecting terms with MI led to reasonable predictions, while an alternative scheme selecting columns with low MI was found to give predictions little better than random (data not shown).

The hydrophilicity and chemical potential scores ( $S^{H}$ and $S^{V}$ ) give similar prediction performance, which is expected as they are highly correlated. Using the GLM framework to assign different weights (with different signs) allows some residue pairs to be labelled as having compatible physicochemical properties and others to be repulsive, and this gives a model with measurable predictive power. In contrast, the $S_{k}^{P}, S_{k}^{M}, S_{k}^{\zeta}, S_{k}^{\eta}$ and $S_{k}^{\Omega}$ scoring systems are specific to the observed frequencies for each amino acid column pair, and all give










Figure 6.17: Model performance predicting the TCS interactions of Nostoc sp. (dashed lines, expected interactions from genome arrangement), trained on full dataset excluding Nostoc (solid lines). Using CLUSTAL W MSAs. Key as per Figure 6.2.


Figure 6.18: Performance of out-of-sample predictions for Nostoc sp. using $S_{k}^{\Omega}$ for $K=10,20,30$ and 100 (from left to right). Unrestricted model performance is shown predicting the TCS interactions of Nostoc sp. expected from the genome arrangement, trained on the full dataset excluding Nostoc. The top row of figures show the predicted interaction probabilities for the expected interactions $(Y=1)$ and non-interactions $(Y=0)$, showing the class separation improves with higher $K$. The bottom row of figures are ROC plots, labelled with the area under the curve, where the area increases as $K$ is increased.


[^7]





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## 





| Name | TCS domains | Name | TCS domains | Prediction | Expected |
| :---: | :---: | :---: | :---: | :---: | :---: |
| All0638 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All2875 | Ti-R-R-H (R2) | 0.275 |  |
| All0638 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All1389 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.266 |  |
| All0824 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{R}$ | Alr2240 | R | 0.373 |  |
| All0978 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All0182 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.295 |  |
| All1178 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All1389 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.296 |  |
| All1178 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All1178 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.287 | Yes |
| All1178 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All5309 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.269 |  |
| All1178 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All0638 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.261 |  |
| All1178 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All2875 | $\mathrm{T}_{\mathrm{i}}$-R-R-H (R2) | 0.250 |  |
| Alr1192 | $\mathrm{T}_{\mathrm{i}}$ | Ycf27 | R | 0.379 |  |
| Alr1192 | $\mathrm{T}_{\mathrm{i}}$ | All4727 | R | 0.362 |  |
| All1280 | $\mathrm{T}_{\mathrm{i}}$ | Alr2241 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | 0.472 |  |
| All1280 | Ti | Alr7219 | R | 0.413 |  |
| All1280 | $\mathrm{T}_{\mathrm{i}}$ | Alr3156 | R | 0.294 |  |
| All1280 | $\mathrm{T}_{\mathrm{i}}$ | Alr2138 | R | 0.275 |  |
| All1389 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All2875 | $\mathrm{T}_{\mathrm{i}}$-R-R-H (R2) | 0.536 |  |
| All1389 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | Alr3761 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{R}$ (R2) | 0.418 |  |
| All1389 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | Alr2279 | $\mathrm{T}_{\mathrm{i}}$-R-R-H (R2) | 0.279 |  |
| Alr1551 | K- $\mathrm{T}_{\mathrm{i}}$ (K1) | Alr2138 | R | 0.482 |  |
| Alr1680 | $\mathrm{T}_{\mathrm{i}}$ | All2239 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | 0.306 |  |
| All1914 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All1639 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.258 |  |
| Alr1966 | $\mathrm{T}_{\mathrm{i}}$ | All2239 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | 0.679 |  |
| Alr1966 | $\mathrm{T}_{\mathrm{i}}$ | All3766 | R | 0.651 |  |
| Alr1966 | $\mathrm{T}_{\mathrm{i}}$ | Alr3158 | R | 0.639 |  |
| Alr1966 | $\mathrm{T}_{\mathrm{i}}$ | Alr1967 | R | 0.511 |  |
| Alr1966 | $\mathrm{T}_{\mathrm{i}}$ | All2898 | R | 0.388 |  |
| Alr1966 | $\mathrm{T}_{\mathrm{i}}$ | All3765 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | 0.310 |  |
| Alr1966 | $\mathrm{T}_{\mathrm{i}}$ | All1640 | R | 0.280 |  |
| All2095 | Ti | Alr3156 | R | 0.500 |  |
| All2095 | $\mathrm{T}_{\mathrm{i}}$ | Alr7219 | R | 0.449 |  |
| All2095 | $\mathrm{T}_{\mathrm{i}}$ | Alr0913 | R | 0.265 |  |
| Alr2137 | $\mathrm{T}_{\mathrm{i}}$ | All4635 | R | 0.255 |  |
| All2239 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | Alr7219 | R | 0.265 |  |
| Alr2279 | $\mathrm{T}_{\mathrm{i}}$-R-R-H | All2875 | $\mathrm{T}_{\mathrm{i}}$-R-R-H (R2) | 0.297 |  |
| All2875 | $\mathrm{T}_{\mathrm{i}}$-R-R-H | Alr3761 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}-\mathrm{R}$ (R2) | 0.330 |  |
| All2875 | Ti-R-R-H | All2875 | $\mathrm{T}_{\mathrm{i}}$-R-R-H (R2) | 0.315 |  |
| AphB | $\mathrm{T}_{\mathrm{i}}$ | All3766 | R | 0.646 |  |
| AphB | $\mathrm{T}_{\mathrm{i}}$ | Alr3158 | R | 0.381 |  |
| AphB | $\mathrm{T}_{\mathrm{i}}$ | Alr1967 | R | 0.304 |  |
| Alr3092 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All0182 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.288 |  |
| Alr3120 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | Alr4880 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | 0.382 |  |
| Alr3155 | $\mathrm{T}_{\mathrm{i}}$ | Alr3156 | R | 0.812 |  |
| Alr3155 | $\mathrm{T}_{\mathrm{i}}$ | Alr2138 | R | 0.521 |  |
| Alr3155 | $\mathrm{T}_{\mathrm{i}}$ | Ycf55 | R | 0.322 |  |
| Alr3155 | $\mathrm{T}_{\mathrm{i}}$ | All1704 | R | 0.312 |  |
| Alr3155 | $\mathrm{T}_{\mathrm{i}}$ | Alr8535 | R | 0.259 |  |
| AphA | Ti | Alr3158 | R | 0.398 |  |
| AphA | $\mathrm{T}_{\mathrm{i}}$ | All3766 | R | 0.308 |  |
| Alr3442 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All0182 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.308 |  |
| Alr3547 | $\mathrm{T}_{\mathrm{i}}$ | All2898 | R | 0.293 |  |
| All3564 | $\mathrm{T}_{\mathrm{i}}$ | Alr9013 | R | 0.460 |  |
| All3564 | $\mathrm{T}_{\mathrm{i}}$ | Alr8531 | R | 0.460 |  |
| All3767 | $\mathrm{T}_{\mathrm{i}}$ | All3766 | R | 0.363 |  |
| All3767 | $\mathrm{T}_{\mathrm{i}}$ | All3765 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | 0.300 |  |
| All3767 | $\mathrm{T}_{\mathrm{i}}$ | Alr1967 | R | 0.294 |  |
| All3767 | $\mathrm{T}_{\mathrm{i}}$ | All2898 | R | 0.256 |  |
| All4097 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | Alr4880 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | 0.384 |  |
| Alr4586 | $\mathrm{K}-\mathrm{T}_{\mathrm{i}}(\mathrm{K} 1)$ | Alr2138 | R | 0.346 |  |
| All4636 | $\mathrm{T}_{\mathrm{i}}$ | All4635 | R | 0.624 |  |
| All4636 | $\mathrm{T}_{\mathrm{i}}$ | Alr2428 | R-H-R-T ${ }_{\text {i }}$-R-R (R3) | 0.376 |  |
| All4636 | $\mathrm{T}_{\mathrm{i}}$ | Alr2138 | R | 0.368 |  |
| All4726 | $\mathrm{T}_{\mathrm{i}}$ | All4727 | R | 0.417 | Yes |
| Alr4878 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All1389 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.264 |  |
| Alr4878 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All2875 | $\mathrm{T}_{\mathrm{i}}$-R-R-H (R2) | 0.258 |  |
| Alr5189 | Ti | Alr5188 | R | 0.662 | Yes |
| Alr5189 | $\mathrm{T}_{\mathrm{i}}$ | Alr1194 | R | 0.444 |  |
| Alr5189 | $\mathrm{T}_{\mathrm{i}}$ | Ycf27 | R | 0.365 |  |
| Alr5189 | $\mathrm{T}_{\mathrm{i}}$ | Alr0774 | R | 0.360 |  |
| All5210 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | All0182 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.316 |  |
| All5308 | $\mathrm{R}-\mathrm{K}-\mathrm{T}_{\mathrm{i}}(\mathrm{K} 1)$ | Alr2138 | R | 0.390 |  |

Table 6.1: Unrestricted model predictions $P \geq 0.25$ for Nostoc sp. using $S_{k}^{\Omega}$ and $K=$ 100, corresponding to the red squares in Figure 6.19. The interactions are grouped by the HisKA domain, with possible receiver interactions listed according the predicted probability of interaction. The final column shows if the interaction was expected from the genome arrangement. Where a protein contains more than one HisKA or receiver domain, the relevant domain is indicated in brackets.




$\begin{array}{llll}8.0 & <0 & 9.0 & 9.0\end{array}$








$\begin{array}{llll}0 & 20 & 40 & 60 \quad 80 \quad 100 \\ \text { Number of Terms, K }\end{array}$ Number of Terms, K

- Unrestricted (in-sample)



Number of Terms, K

$\begin{array}{lllll}0 & 20 & 40 & 60 & 80 \\ & 100\end{array}$
$\begin{array}{ccccc}0 & 20 & 40 & 60 & 80 \\ \text { Number of Terms, K K }\end{array}$
on full dataset excluding Myxobacteria (solid lines). Using Clustal W MSAs. Key as per Figure 6.2.


Figure 6.21: Performance of out-of-sample predictions for $M$. xanthus using $S_{k}^{\Omega}$ for $K=10,20,30$ and 100 (from left to right). Unrestricted model performance is shown predicting the TCS interactions of $M$. xanthus expected from the genome arrangement, trained on the full dataset excluding Myxobacteria. The top row of figures show the predicted interaction probabilities for the expected interactions ( $Y=1$ ) and non-interactions $(Y=0)$, showing the class separation improves with higher $K$. The bottom row of figures are ROC plots, labelled with the area under the curve, where the area increases as $K$ is increased.



False positive rate

False positive
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$0.2 \int_{0}^{0.6} \quad 0.8$
False positive rate
False positive rate



Figure 6.22: Model prediction grid for $M$. xanthus using $S_{k}^{\Omega}$ and $K=100$.



| Name | TCS domains | Name | TCS domains | Prediction | Expected |
| :---: | :---: | :---: | :---: | :---: | :---: |
| MXAN_0060 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_0931 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.514 |  |
| MXAN_0060 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_7206 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.481 |  |
| MXAN_0060 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_2763 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.328 |  |
| MXAN_0060 | $\mathrm{T}_{\mathrm{i}}$ | FrzZ | R-R (R2) | 0.312 |  |
| MXAN_0060 | Ti | MXAN_2386 | $\mathrm{T}_{\mathrm{i}}$-R | 0.289 |  |
| MXAN_0060 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_1093 | R | 0.283 |  |
| MXAN_0060 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_7363 | $\mathrm{T}_{\mathrm{i}}$-R-R (R2) | 0.256 |  |
| MXAN_0197 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_6966 | R-R-Ti (R1) | 0.266 |  |
| MXAN_0229 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | FrzS | R | 0.496 |  |
| MXAN_0336 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | MXAN_4245 | R-R (R1) | 0.305 |  |
| MXAN_0347 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_1093 | R | 0.338 |  |
| MXAN_0347 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_6620 | R | 0.285 |  |
| MXAN_0399 | $\mathrm{T}_{\mathrm{i}}$ | PilR | R | 0.577 |  |
| MXAN_0399 | $\mathrm{T}_{\mathrm{i}}$ | SasR | R | 0.439 |  |
| MXAN_0399 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4232 | R | 0.390 |  |
| MXAN_0399 | Ti | MXAN_1378 | R | 0.342 |  |
| MXAN_0399 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_3418 | R | 0.341 |  |
| MXAN_0399 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_3555 | R | 0.337 |  |
| MXAN_0399 | Ti | MXAN_2671 | R | 0.327 |  |
| MXAN_0399 | $\mathrm{T}_{\mathrm{i}}$ | Nla 28 | R | 0.314 |  |
| MXAN_0399 | Ti | MXAN_4785 | R | 0.311 |  |
| MXAN_0399 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_5777 | R | 0.260 |  |
| MXAN_0399 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_6224 | R | 0.253 |  |
| MXAN_0459 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_5853 | R | 0.343 |  |
| MXAN_0459 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_2671 | R | 0.315 |  |
| MXAN_0459 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4245 | R-R (R2) | 0.309 |  |
| MXAN_0459 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4232 | R | 0.269 |  |
| MXAN_0459 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4244 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | 0.252 |  |
| MXAN_0736 | Ti | MXAN_7206 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.544 |  |
| MXAN_0736 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_0931 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.520 |  |
| MXAN_0736 | Ti | MXAN_2386 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.441 |  |
| MXAN_0736 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_2763 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.351 |  |
| MXAN_0736 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_1093 | R | 0.344 |  |
| MXAN_0799 | K | MXAN_0732 | R | 0.323 |  |
| MXAN_1077 | $\mathrm{T}_{\mathrm{i}}$ | PilR | R | 0.323 |  |
| MXAN_1077 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4785 | R | 0.318 |  |
| MXAN_1077 | Ti | Nla 28 | R | 0.287 |  |
| MXAN_1077 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_3418 | R | 0.282 |  |
| MXAN_1077 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_1378 | R | 0.275 |  |
| MXAN_1077 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4244 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | 0.265 |  |
| SasS | $\mathrm{T}_{\mathrm{i}}$ | PilR | R | 0.281 |  |
| MXAN_1679 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_1680 | R | 0.267 | Yes |
| AsgA | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | PilR | R | 0.340 |  |
| MXAN_3343 | $\mathrm{T}_{\mathrm{i}}$ | PilR | R | 0.395 |  |
| MXAN_3343 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4253 | R | 0.362 |  |
| MXAN_3343 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_1378 | R | 0.296 |  |
| MXAN_3343 | $\mathrm{T}_{\mathrm{i}}$ | SasR | R | 0.263 |  |
| MXAN_3343 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_0460 | $\mathrm{R}-\mathrm{R}$ (R1) | 0.258 |  |
| MXAN_3879 | $\mathrm{T}_{\mathrm{i}}$-R-R | MXAN_3879 | $\mathrm{T}_{\mathrm{i}}$-R-R (R1) | 0.349 |  |
| MXAN_4043 | K | MXAN_1093 | R | 0.425 |  |
| MXAN_4071 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_6149 | R | 0.526 |  |
| MXAN_4197 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_3811 | R | 0.321 |  |
| MXAN_4246 | $\mathrm{T}_{\mathrm{i}}$ | PilR | R | 0.413 |  |
| MXAN_4246 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4232 | R | 0.316 |  |
| MXAN_4246 | $\mathrm{T}_{\mathrm{i}}$ | SasR | R | 0.263 |  |
| MXAN_4251 | $\mathrm{T}_{\mathrm{i}}$ | PilR | R | 0.271 |  |
| MXAN_4465 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | SasR | R | 0.264 |  |
| MXAN_4640 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | FrzS | R | 0.540 |  |
| PhoR1 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4164 | R | 0.270 |  |
| MXAN_4988 | $\mathrm{T}_{\mathrm{i}}$ | SasR | R | 0.319 |  |
| MXAN_4988 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_6980 | R | 0.265 |  |
| MXAN_4988 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4785 | R | 0.256 |  |
| MXAN_5082 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_5083 | R | 0.362 | Yes |
| HsfB | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | MXAN_3879 | $\mathrm{T}_{\mathrm{i}}$-R-R (R1) | 0.367 |  |
| MXAN_5852 | Ti | MXAN_6224 | R | 0.366 |  |
| MXAN_5852 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_5853 | R | 0.314 | Yes |
| MXAN_5852 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_6980 | R | 0.282 |  |
| MXAN_6015 | $\mathrm{T}_{\mathrm{i}}$ | PilR | R | 0.526 |  |
| MXAN_6015 | $\mathrm{T}_{\mathrm{i}}$ | SasR | R | 0.376 |  |
| MXAN_6015 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_1378 | R | 0.347 |  |
| MXAN_6015 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4785 | R | 0.315 |  |
| MXAN_6015 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4232 | R | 0.310 |  |
| MXAN_6015 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_2671 | R | 0.254 |  |
| MXAN_6150 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_6149 | R | 0.266 |  |
| MXAN_6223 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_6224 | R | 0.330 | Yes |
| MXAN_6979 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_6224 | R | 0.523 |  |
| MXAN_6979 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_6980 | R | 0.364 |  |
| MXAN_6979 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_5853 | R | 0.263 |  |
| MXAN_6979 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4253 | R | 0.259 |  |
| AsgD | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | MXAN_4245 | R-R (R1) | 0.266 |  |
| MXAN_7002 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_1093 | R | 0.366 |  |
| MXAN_7027 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_7150 | R | 0.634 |  |
| MXAN_7027 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_4580 | R | 0.268 |  |
| MXAN_7027 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_6968 | R | 0.255 |  |
| MXAN_7180 | $\mathrm{T}_{\mathrm{i}}$ | MXAN_7206 | $\mathrm{T}_{\mathrm{i}}-\mathrm{R}$ | 0.279 |  |
| MXAN_7444 | $\mathrm{R}-\mathrm{T}_{\mathrm{i}}$ | DotR | R | 0.299 |  |

Table 6.2: Unrestricted model predictions $P \geq 0.25$ for $M$. xanthus using $S_{k}^{\Omega}$ and $K=$ 100, corresponding to the red squares in Figure 6.22. The interactions are grouped by the HisKA domain, with possible receiver interactions listed according the predicted probability of interaction. The final column shows if the interaction was expected from the genome arrangement. Where a protein contains more than one HisKA or receiver domain, the relevant domain is indicated in brackets.
better performance than the $S^{H}$ and $S^{V}$ scores. Given a suitably large and uniformly sampled training dataset, these scores themselves could capture useful information about the nature of each interaction, especially if coupled with spatial information about the protein-protein complex.

By their construction, $S_{k}^{\zeta}, S_{k}^{\eta}$ and $S_{k}^{\Omega}$ are closely related (Section 6.2.3). In terms of predictive power there is little to choose between $S_{k}^{\eta}$ and $S_{k}^{\Omega}$, but $S_{k}^{\zeta}$ was found to be less effective. One difference between these scores is the calculation of $S_{k}^{\zeta}$ only looks at the amino acid frequencies in the training set's positive interactions $(Y=1)$, while $S_{k}^{\eta}$ and $S_{k}^{\Omega}$ also consider the non-interactions $(Y=0)$, and thus $S_{k}^{\zeta}$ may be less robust on smaller datasets.

The simple Bayesian interpretations given in Equations 6.15) and 6.16 allow $\sum S_{k}^{\eta}$ and $\sum S_{k}^{\Omega}$ to be linked to the probability of interaction given the amino acids residues. The argument in Section 6.2 .3 extends this to give some justification for the use of $\sum S_{k}^{\zeta}$ as an interaction indicator in White et al. (2007). Similarly, $\sum S_{k}^{\eta}$ and $\sum S_{k}^{\Omega}$ can also be used directly with a sliding threshold to rank interactions (indeed, this would give the same ROC curve as the restricted GLM used here). However, this simple Bayesian interpretation assumes all $K$ column pair scores to be independent. As a MSA column can be found in multiple column pairs (e.g. Figures 5.25 and 5.26 ), this assumption may be problematic for large $K$. Handling column interdependence explicitly in a Bayesian framework, perhaps along the lines of Burger and van Nimwegen $(2006,2008)$, may be an interesting alternative to the GLM approach herein.

The relatively poor out-of-sample prediction performance of all the models trained on the hybrid dataset is probably of biological significance. We posit that the specificity between HisKA and receiver domains in hybrid kinase proteins is less selective than in twogene partners, because in these proteins the two domains are tethered to each other and thus the phosphotransfer suffers less competition from other receivers. i.e. domains in hybrid kinases impose weaker co-evolutionary dependence on each other, than in two-gene TCS pairs. See also Cock and Whitworth (2007b). Following this rationale, the assumption of exclusive interaction between domains from hybrid kinases (used to compile our dataset) is perhaps unjustified.

In parameter selection, the AIC is intended to penalise over-fitting. Typically plotting the AIC against the number of terms (here $K$ ) will show a clear minimum for some value of $K$. However, in these results the AIC was never minimised - even for large $K>100$ where the predictive performance assessed by the ROC area had clearly plateaued. Also, less direct evidence comes from the better than expected predictive performance on the $E$. coli
and Bacillus subtilis datasets (Sections 6.5 and 6.6). Taken together, this may indicate that some of these models are over fitting the data, and that $K$ should be limited based on some other criteria. Biological knowledge could be used to suggest a sensible cut off, or a human judgement call based on the ROC area curves. One more rigourous alternative suggested in Chapter 5 would be to perform a bootstrap analysis on the protein pairs in order to assign a p-value to each MI score. A threshold (say $p=0.01$ ) would translate into a limit on $K$.

### 6.10 Conclusion

A GLM framework for predicting protein-protein interactions has been presented, and its predictive performance assessed for a variety of scoring functions therein using the AIC and the area under the ROC curve. All scoring functions considered provide predictive power when used as explanatory variables. There is most predictive power from the probabilistic scores $S_{k}^{\Omega}$ and $S_{k}^{\eta}$, with $S_{k}^{\zeta}$ a close third best, all based on observed amino acid frequencies in the training dataset. However, the more general fully defined $S^{H}$ and $S^{V}$ scores also have some predictive power and may warrant consideration in smaller datasets where amino acid frequencies cannot be calculated reliably.

The predictive power of the models was found to be lower when trained on and applied to domains from hybrid kinases, and this is not simply an effect of a small training set. This may be a biological phenomena, namely that these hybrid gene domain pairs are not as monogamous as those in two-gene pairs, on that basis that being physically tethered to each other the gives the "correct" pairing a thermodynamic advantage. Hypothetically this results in less evolutionary pressure to maintain exclusive specificity at the protein-protein interface for hybrid kinases. Thus there are two handicaps to predicting these pairings, firstly the reliability of the interaction calls in the training dataset is undermined, and secondly the amino acid "signal" would be expected to be weaker.

The unweighted sum of the $S_{k}^{\zeta}, S_{k}^{\eta}$ or $S_{k}^{\Omega}$ logged probability ratio scores has been shown to have merit as an single explanatory variable in the GLM framework. These summations can also be used directly with a threshold as a simple predictive guide for protein-protein interactions, with the virtue of being comparatively simple to understand and implement. However, using the unrestricted GLM improves on the predictive power.

Finally, the predictions shown for E. coli, Bacillus subtilis and Caulobacter crescentus show broad agreement with current knowledge. The predicted interactions for more complex organisms such as Nostoc sp. and M. xanthus should provide a useful list of candidate interactions for experimental verification.

## Chapter 7

## Conclusions and future work

Chapter 1 introduced TCS systems, and some of the known systems and networks. Chapter 2 described a protein domain motif based survey of fully sequenced prokaryotes, which identified a number of trends. In particular, it was found that prokaryotes with a large TCS gene complement tend to have less simple TCS transmitter-receiver pairs, and instead have more complex hybrid genes and TCS gene clusters. Nostoc sp. and $M$. xanthus are particular examples of this, where the genome arrangement precludes simple deduction of TCS interactions.

Patterns in the phase of gene overlaps were considered in Chapter 3, a general property of prokaryotic genes (not specific to TCS gene pairs). The observed phase bias in longer unidirectional gene overlaps could be explained by the genetic code itself, provided these most such overlaps arose from the selection of a new start codon for the downstream gene. However, with the biological validity of these long overlaps somewhat in question (Pallejá et al., 2008), the same model could equally well describe the annotation process.

Typical two gene TCS systems, consisting of neighbouring HK and RR genes, and simple HY genes, containing one transmitter and one receiver, were the focus of Chapter 4 While many TCS systems have evolved using these single proteins, it was found that in most cases these lacked a TM input domain or DNA binding output domain. These domains impose specific spatial constraints on the mobility of the protein, which would generally be impaired by the merger of separate HK and RR genes into a HY. Further work would be required using a phylogenetic analysis to determine what proportion of HY genes have evolved from the in situ fusion of neighbouring HK and RR genes, and how many can be best explained by recombination events. Additionally, refinements in TCS PFAM domain models should also allow better detection of potentially missed phosphotransfer domains which could indicate that some of these HY systems are in fact part of larger phosphorelays (Section 1.4.6).

Chapters 5 and 6 described a model developed to predict TCS interactions between

HisKA and receiver domains from their amino acid sequences. Firstly, important amino acid positions in the two domains were identified using MI , and then these were scored numerically as explanatory variables in a GLM. The best predictive power came from two probabilistic scores $S_{k}^{\Omega}$ and $S_{k}^{\eta}$, constructed as log odds ratios of observed amino acid frequencies in the training data. After model validation, predictions were made for a number of model organisms, including Nostoc sp. and M. xanthus which have a particularly complex set of TCS genes. After exploring sensible upper limits in the number of model terms to avoid over-fitting, the next logical step would be to attempt experimental verification of the TCS predictions made in Chapter 6

Predicted interactions between specific TCS proteins can be verified experimentally, both in vivo (for example, examining the phenotypes of knock out mutants), or in vitro (for example, the Y2H assay, e.g. Whitworth et al. (2008)). For more robust proof demonstration of actual phosphotransfer is usually confirmed using a radioisotope assay (e.g. Yamamoto et al. (2005) and Skerker et al. (2005)). For most organisms where few if any TCS interactions have been confirmed, predictions can usefully guide experiments to target particular combinations. In model organisms such as $E$. coli, most native TCS interactions are already reasonably well characterised, and new insights from these predictions are likely to be limited. However, the models here could be applied to mutagenized or engineered variants of the proteins (Skerker et al., 2008), to clarify the mechanisms involved.

If this modelling approach does prove useful, there are a number of relatively straightforward improvements that could be made. Firstly, the set of published sequenced genomes keeps expanding, allowing for ever larger training sets to be compiled. It may now be feasible to apply this method to other less common protein-protein interactions. Secondly, once the training data has been compiled, the construction of new MSAs combining the training data and a given test dataset is a major bottleneck. An obvious step would be to build alignments of the test data once, and train the GLM on this data. After this upfront cost, test sequences could be mapped onto these alignments one at a time in order to match up their amino acids to those deemed to impart interaction specificity.

The simplistic Bayesian interpretation of $\sum S_{k}^{\Omega}$ or $\sum S_{k}^{\eta}$ (Section 6.2.4) suggests that as an alternative to using a GLM to take a weighted sum of these terms, explicitly modelling the inter-column dependencies could yield better predictions. Using MI identifies many columns which show correlation to multiple positions in the other domain - perhaps this information can be used explicitly to bundle MSA column pairs into larger groups describing the interaction interface as a number of separate modules, each of which could be scored individually.

In addition to helping to explain the biology of existing TCS systems, any successful interaction prediction scheme will also have potential practical applications. The re-wiring of HK interaction preference has already been demonstrated in $E$. coli by genetic manipulation (Skerker et al. 2008). Bespoke TCS domains could have an important role in synthetic biology, or perhaps even therapeutically as a means of manipulating the signalling pathways within prokaryotic pathogens.

## Appendix A

## Species List

Table A.1: List of all 457 sequenced species downloaded from the NCBI's FTP site on 26 Feb 2007 ( 807 accessions/GenBank files), of which the 340 in bold are taken as representative species (ignoring multiple strains, 615 accessions/GenBank files).

| Species name | Accessions |
| :--- | :--- |
| Acidobacteria bacterium Ellin345 | NC_008009 |
| Acidothermus cellulolyticus 11B | NC_008578 |
| Acidovorax JS42 | NC_008765, NC_008766, NC_008782 |
| Acidovorax avenae citrulli AAC00-1 | NC_008752 |
| Acinetobacter sp ADP1 | NC_005966 |
| Aeromonas hydrophila ATCC 7966 | NC_008570 |
| Aeropyrum pernix | NC_000854 |
| Agrobacterium tumefaciens C58 Cereon | NC_003062, NC_003063, NC_003064, NC_003065 |
| Agrobacterium tumefaciens C58 UWash | NC_003304, NC_003305, NC_003306, NC_003308 |
| Alcanivorax borkumensis SK2 | NC_008260 |
| Alkalilimnicola ehrlichei MLHE-1 | NC_008340 |
| Anabaena variabilis ATCC 29413 | NC_007410, NC_007411, NC_007412, NC_007413 |
| Anaeromyxobacter dehalogenans 2CP-C | NC_007760 |
| Anaplasma marginale St Maries | NC_004842 |
| Anaplasma phagocytophilum HZ | NC_007797 |
| Aquifex aeolicus | NC_000918, NC_001880 |
| Archaeoglobus fulgidus | NC_000917 |
| Arthrobacter FB24 | NC_008537, NC_008538, NC_008539, NC_008541 |
| Arthrobacter aurescens TC1 | NC_008711, NC_008712, NC_008713 |
| Aster yellows witches-broom phytoplasma AYWB | NC_007716, NC_007717, NC_007718, NC_007719, |
| Azoarcus BH72 | NC_007720 |
| Azoarcus sp EbN1 | NC_008702 |
| Bacillus anthracis Ames | NC_006513, NC_006823, NC_006824 |
| Bacillus anthracis Ames 0581 | NC_003997 |
| Bacillus anthracis str Sterne | NC_007322, NC_007323, NC_007530 |
| Bacillus cereus ATCC14579 | NC_005945 |
| Bacillus cereus ATCC 10987 | NC_004721, NC_004722 |
| Bacillus cereus ZK | NC_003909, NC_005707 |
| Bacillus clausii KSM-K16 | NC_006274, NC_007103, NC_007104, NC_007105, |
| Bacillus halodurans | NC_007106, NC_007107 |
| Bacillus licheniformis ATCC 14580 | NC_006582 |
| Bacillus licheniformis DSM 13 | NC_002570 |
| Bacillus subtilis | NC_006270 |
| Bacillus thuringiensis AI Hakam thuringiensis konkukian | NC_006322 |
| Bacteroides fragilis NCTC 9434 | NC_000964 |
| Bacteroides fragilis YCH46 | NC_008598, NC_008600 |
| Bacteroides thetaiotaomicron VPI-5482 | NC_005957, NC_006578 |
|  | NC_003228, NC_006873 |
|  | NC_006297, NC_0063477 |
| NC_004663, NC_004703 |  |


| Species name | Accessions |
| :---: | :---: |
| Bartonella bacilliformis KC583 | NC_008783 |
| Bartonella henselae Houston-1 | NC_005956 |
| Bartonella quintana Toulouse | NC_005955 |
| Baumannia cicadellinicola Homalodisca coagulata | NC_007984 |
| Bdellovibrio bacteriovorus | NC_005363 |
| Bifidobacterium adolescentis ATCC 15703 | NC_008618 |
| Bifidobacterium longum | NC_004307, NC_004943 |
| Bordetella bronchiseptica | NC_002927 |
| Bordetella parapertussis | NC_002928 |
| Bordetella pertussis | NC_002929 |
| Borrelia afzelii PKo | NC_008273, NC_008274, NC_008277, NC_008564, NC_008565, NC_008566, NC_008567, NC_008568, NC_008569 |
| Borrelia burgdorferi | NC_000948, NC_000949, NC_000950, NC_000951, NC_000952, NC_000953, NC_000954, NC_000955, NC_000956, NC_000957, NC_001318, NC_001849, NC_001850, NC_001851, NC_001852, NC_001853, NC_001854, NC_001855, NC_001856, NC_001857, NC_001903, NC_001904 |
| Borrelia garinii PBi | NC_006128, NC_006129, NC_006156 |
| Bradyrhizobium japonicum | NC_004463 |
| Brucella abortus 9-941 | NC_006932, NC_006933 |
| Brucella melitensis | NC_003317, NC_003318 |
| Brucella melitensis biovar Abortus | NC_007618, NC_007624 |
| Brucella suis 1330 | NC_004310, NC_004311 |
| Buchnera aphidicola | NC_004545, NC_004555 |
| Buchnera aphidicola Cc Cinara cedri | NC_008513 |
| Buchnera aphidicola Sg | NC_004061 |
| Buchnera sp | NC_002252, NC_002253, NC_002528 |
| Burkholderia 383 | NC_007509, NC_007510, NC_007511 |
| Burkholderia cenocepacia AU 1054 | NC_008060, NC_008061, NC_008062 |
| Burkholderia cenocepacia HI2424 | NC_008542, NC_008543, NC_008544, NC_008545 |
| Burkholderia cepacia AMMD | NC_008385, NC_008390, NC_008391, NC_008392 |
| Burkholderia mallei ATCC 23344 | NC_006348, NC_006349 |
| Burkholderia mallei NCTC 10229 | NC_008835, NC_008836 |
| Burkholderia mallei SAVP1 | NC_008784, NC_008785 |
| Burkholderia pseudomallei 1710b | NC_007434, NC_007435 |
| Burkholderia pseudomallei K96243 | NC_006350, NC_006351 |
| Burkholderia thailandensis E264 | NC_007650, NC_007651 |
| Burkholderia xenovorans LB400 | NC_007951, NC_007952, NC_007953 |
| Campylobacter fetus 82-40 | NC_008599 |
| Campylobacter jejuni | NC_002163 |
| Campylobacter jejuni 81-176 | NC_008770, NC_008787, NC_008790 |
| Campylobacter jejuni RM1221 | NC_003912 |
| Candidatus Blochmannia floridanus | NC_005061 |
| Candidatus Blochmannia pennsylvanicus BPEN | NC_007292 |
| Candidatus Carsonella ruddii PV | NC_008512 |
| Candidatus Pelagibacter ubique HTCC1062 | NC_007205 |
| Candidatus Ruthia magnifica Cm Calyptogena magnifica | NC_008610 |
| Carboxydothermus hydrogenoformans Z-2901 | NC_007503 |
| Caulobacter crescentus | NC_002696 |
| Chlamydia muridarum | NC_002182, NC_002620 |
| Chlamydia trachomatis | NC_000117 |
| Chlamydia trachomatis A HAR-13 | NC_007429, NC_007430 |
| Chlamydophila abortus S26 3 | NC_004552 |
| Chlamydophila caviae | NC_003361, NC_004720 |
| Chlamydophila felis Fe C-56 | NC_007899, NC_007900 |
| Chlamydophila pneumoniae AR39 | NC_002179 |
| Chlamydophila pneumoniae CWL029 | NC_000922 |
| Chlamydophila pneumoniae J138 | NC_002491 |
| Chlamydophila pneumoniae TW 183 | NC_005043 |
| Chlorobium chlorochromatii CaD3 | NC_007514 |
| Chlorobium phaeobacteroides DSM 266 | NC_008639 |
| Chlorobium tepidum TLS | NC_002932 |
| Chromobacterium violaceum | NC_005085 |
| Chromohalobacter salexigens DSM 3043 | NC_007963 |


| Species name | Accessions |
| :---: | :---: |
| Clostridium acetobutylicum | NC_001988, NC_003030 |
| Clostridium novyi NT | NC_008593 |
| Clostridium perfringens | NC_003042, NC_003366 |
| Clostridium perfringens ATCC 13124 | NC_008261 |
| Clostridium perfringens SM101 | NC_008262, NC_008263, NC_008264, NC_008265 |
| Clostridium tetani E88 | NC_004557, NC_004565 |
| Clostridium thermocellum ATCC 27405 | NC_009012 |
| Colwellia psychrerythraea 34H | NC_003910 |
| Corynebacterium diphtheriae | NC_002935 |
| Corynebacterium efficiens YS-314 | NC_004369 |
| Corynebacterium glutamicum ATCC 13032 Bielefeld | NC_006958 |
| Corynebacterium glutamicum ATCC 13032 Kitasato | NC_003450 |
| Corynebacterium jeikeium K411 | NC_003080, NC_007164 |
| Coxiella burnetii | NC_002971, NC_004704 |
| Cyanobacteria bacterium Yellowstone A-Prime | NC_007775 |
| Cyanobacteria bacterium Yellowstone B-Prime | NC_007776 |
| Cytophaga hutchinsonii ATCC 33406 | NC_008255 |
| Dechloromonas aromatica RCB | NC_007298 |
| Dehalococcoides CBDB1 | NC_007356 |
| Dehalococcoides ethenogenes 195 | NC_002936 |
| Deinococcus geothermalis DSM 11300 | NC_008010, NC_008025 |
| Deinococcus radiodurans | NC_000958, NC_000959, NC_001263, NC_001264 |
| Desulfitobacterium hafniense Y51 | NC_007907 |
| Desulfotalea psychrophila LSv54 | NC_006138, NC_006139, NC_006140 |
| Desulfovibrio desulfuricans G20 | NC_007519 |
| Desulfovibrio vulgaris DP4 | NC_008741, NC_008751 |
| Desulfovibrio vulgaris Hildenborough | NC_002937, NC_005863 |
| Ehrlichia canis Jake | NC_007354 |
| Ehrlichia chaffeensis Arkansas | NC_007799 |
| Ehrlichia ruminantium Gardel | NC_006831 |
| Ehrlichia ruminantium Welgevonden | NC_005295 |
| Ehrlichia ruminantium str. Welgevonden | NC_006832 |
| Enterococcus faecalis V583 | NC_004668, NC_004669, NC_004670, NC_004671 |
| Erwinia carotovora atroseptica SCRI1043 | NC_004547 |
| Erythrobacter litoralis HTCC2594 | NC_007722 |
| Escherichia coli 536 | NC_008253 |
| Escherichia coli APEC O1 | NC_008563 |
| Escherichia coli CFT073 | NC_004431 |
| Escherichia coli K12 | NC_000913 |
| Escherichia coli O157H7 | NC_002127, NC_002128, NC_002695 |
| Escherichia coli O157H7 EDL933 | NC_002655, NC_007414 |
| Escherichia coli UTI89 | NC_007941, NC_007946 |
| Escherichia coli W3110 | AC_000091 |
| Francisella tularensis FSC 198 | NC_008245 |
| Francisella tularensis holarctica | NC_007880 |
| Francisella tularensis holarctica OSU18 | NC_008369 |
| Francisella tularensis novicida U112 | NC_008601 |
| Francisella tularensis tularensis | NC_006570 |
| Frankia Ccl3 | NC_007777 |
| Frankia alni ACN14a | NC_008278 |
| Fusobacterium nucleatum | NC_003454 |
| Geobacillus kaustophilus HTA426 | NC_006509, NC_006510 |
| Geobacter metallireducens GS-15 | NC_007515, NC_007517 |
| Geobacter sulfurreducens | NC_002939 |
| Gloeobacter violaceus | NC_005125 |
| Gluconobacter oxydans 621H | NC_006672, NC_006673, NC_006674, NC_006675, NC_006676, NC_006677 |
| Gramella forsetii KT0803 | NC_008571 |
| Granulobacter bethesdensis CGDNIH1 | NC_008343 |
| Haemophilus ducreyi 35000HP | NC_002940 |
| Haemophilus influenzae | NC_000907 |
| Haemophilus influenzae 86 028NP | NC_007146 |
| Haemophilus somnus 129PT | NC_006298, NC_008309 |
| Hahella chejuensis KCTC 2396 | NC_007645 |
| Haloarcula marismortui ATCC 43049 | NC_006389, NC_006390, NC_006391, NC_006392, NC_006393, NC_006394, NC_006395, NC_006396, NC_006397 |

Continued

| Species name | Accessions |
| :---: | :---: |
| Halobacterium sp | NC_001869, NC_002607, NC_002608 |
| Haloquadratum walsbyi | NC_008212, NC_008213 |
| Halorhodospira halophila SL1 | NC_008789 |
| Helicobacter acinonychis Sheeba | NC_008229, NC_008230 |
| Helicobacter hepaticus | NC_004917 |
| Helicobacter pylori 26695 | NC_000915 |
| Helicobacter pylori HPAG1 | NC_008086, NC_008087 |
| Helicobacter pylori J99 | NC_000921 |
| Hyperthermus butylicus | NC_008818 |
| Hyphomonas neptunium ATCC 15444 | NC_008358 |
| Idiomarina loihiensis L2TR | NC_006512 |
| Jannaschia CCS1 | NC_007801, NC_007802 |
| Lactobacillus acidophilus NCFM | NC_006814 |
| Lactobacillus brevis ATCC 367 | NC_008497, NC_008498, NC_008499 |
| Lactobacillus casei ATCC 334 | NC_008502, NC_008526 |
| Lactobacillus delbrueckii bulgaricus | NC_008054 |
| Lactobacillus delbrueckii bulgaricus ATCC BAA-365 | NC_008529 |
| Lactobacillus gasseri ATCC 33323 | NC_008530 |
| Lactobacillus johnsonii NCC 533 | NC_005362 |
| Lactobacillus plantarum | NC_004567, NC_006375, NC_006376, NC_006377 |
| Lactobacillus sakei 23 K | NC_007576 |
| Lactobacillus salivarius UCC118 | NC_006529, NC_006530, NC_007929, NC_007930 |
| Lactococcus lactis | NC_002662 |
| Lactococcus lactis cremoris MG1363 | NC_009004 |
| Lactococcus lactis cremoris SK11 | NC_008503, NC_008504, NC_008505, NC_008506, NC_008507, NC_008527 |
| Lawsonia intracellularis PHE MN1-00 | NC_008011, NC_008012, NC_008013, NC_008014 |
| Legionella pneumophila Lens | NC_006366, NC_006369 |
| Legionella pneumophila Paris | NC_006365, NC_006368 |
| Legionella pneumophila Philadelphia 1 | NC_002942 |
| Leifsonia xyli xyli CTCB0 | NC_006087 |
| Leptospira borgpetersenii serovar Hardjo-bovis JB197 | NC_008510, NC_008511 |
| Leptospira borgpetersenii serovar Hardjo-bovis L550 | NC_008508, NC_008509 |
| Leptospira interrogans serovar Copenhageni | NC_005823, NC_005824 |
| Leptospira interrogans serovar Lai | NC_004342, NC_004343 |
| Leuconostoc mesenteroides ATCC 8293 | NC_008496, NC_008531 |
| Listeria innocua | NC_003212, NC_003383 |
| Listeria monocytogenes | NC_003210 |
| Listeria monocytogenes 4b F2365 | NC_002973 |
| Listeria welshimeri serovar 6b SLCC5334 | NC_008555 |
| Magnetococcus MC-1 | NC_008576 |
| Magnetospirillum magneticum AMB-1 | NC_007626 |
| Mannheimia succiniciproducens MBEL55E | NC_006300 |
| Maricaulis maris MCS10 | NC_008347 |
| Marinobacter aquaeolei VT8 | NC_008738, NC_008739, NC_008740 |
| Mesoplasma florum L1 | NC_006055 |
| Mesorhizobium BNC1 | NC_008242, NC_008243, NC_008244, NC_008254 |
| Mesorhizobium loti | NC_002678, NC_002679, NC_002682 |
| Methanobacterium thermoautotrophicum | NC_000916 |
| Methanococcoides burtonii DSM 6242 | NC_007955 |
| Methanococcus jannaschii | NC_000909, NC_001732, NC_001733 |
| Methanococcus maripaludis S2 | NC_005791 |
| Methanocorpusculum labreanum Z | NC_008942 |
| Methanopyrus kandleri | NC_003551 |
| Methanosaeta thermophila PT | NC_008553 |
| Methanosarcina acetivorans | NC_003552 |
| Methanosarcina barkeri fusaro | NC_007349, NC_007355 |
| Methanosarcina mazei | NC_003901 |
| Methanosphaera stadtmanae | NC_007681 |
| Methanospirillum hungatei JF-1 | NC_007796 |
| Methylibium petroleiphilum PM1 | NC_008825, NC_008826 |
| Methylobacillus flagellatus KT | NC_007947 |
| Methylococcus capsulatus Bath | NC_002977 |
| Moorella thermoacetica ATCC 39073 | NC_007644 |


| Species name | Accessions |
| :---: | :---: |
| Mycobacterium KMS | NC_008703, NC_008704, NC_008705 |
| Mycobacterium MCS | NC_008146, NC_008147 |
| Mycobacterium avium 104 | NC_008595 |
| Mycobacterium avium paratuberculosis | NC_002944 |
| Mycobacterium bovis | NC_002945 |
| Mycobacterium bovis BCG Pasteur 1173P2 | NC_008769 |
| Mycobacterium leprae | NC_002677 |
| Mycobacterium smegmatis MC2 155 | NC_008596 |
| Mycobacterium tuberculosis CDC1551 | NC_002755 |
| Mycobacterium tuberculosis H37Rv | NC_000962 |
| Mycobacterium ulcerans Agy99 | NC_008611 |
| Mycobacterium vanbaalenii PYR-1 | NC_008726 |
| Mycoplasma capricolum ATCC 27343 | NC_007633 |
| Mycoplasma gallisepticum | NC_004829 |
| Mycoplasma genitalium | NC_000908 |
| Mycoplasma hyopneumoniae 232 | NC_006360 |
| Mycoplasma hyopneumoniae 7448 | NC_007332 |
| Mycoplasma hyopneumoniae J | NC_007295 |
| Mycoplasma mobile 163K | NC_006908 |
| Mycoplasma mycoides | NC_005364 |
| Mycoplasma penetrans | NC_004432 |
| Mycoplasma pneumoniae | NC_000912 |
| Mycoplasma pulmonis | NC_002771 |
| Mycoplasma synoviae 53 | NC_007294 |
| Myxococcus xanthus DK 1622 | NC_008095 |
| Nanoarchaeum equitans | NC_005213 |
| Natronomonas pharaonis | NC_007426, NC_007427, NC_007428 |
| Neisseria gonorrhoeae FA 1090 | NC_002946 |
| Neisseria meningitidis FAM18 | NC_008767 |
| Neisseria meningitidis MC58 | NC_003112 |
| Neisseria meningitidis Z2491 | NC_003116 |
| Neorickettsia sennetsu Miyayama | NC_007798 |
| Nitrobacter hamburgensis X14 | NC_007959, NC_007960, NC_007961, NC_007964 |
| Nitrobacter winogradskyi Nb-255 | NC_007406 |
| Nitrosococcus oceani ATCC 19707 | NC_007483, NC_007484 |
| Nitrosomonas europaea | NC_004757 |
| Nitrosomonas eutropha C71 | NC_008341, NC_008342, NC_008344 |
| Nitrosospira multiformis ATCC 25196 | NC_007614, NC_007615, NC_007616, NC_007617 |
| Nocardia farcinica IFM10152 | NC_006361, NC_006362, NC_006363 |
| Nocardioides JS614 | NC_008697, NC_008699 |
| Nostoc sp | NC_003240, NC_003241, NC_003267, NC_003270, NC_003272, NC_003273, NC_003276 |
| Novosphingobium aromaticivorans DSM 12444 | NC_007794 |
| Oceanobacillus iheyensis | NC_004193 |
| Oenococcus oeni PSU-1 | NC_008528 |
| Onion yellows phytoplasma | NC_005303 |
| Parachlamydia sp UWE25 | NC_005861 |
| Paracoccus denitrificans PD1222 | NC_008686, NC_008687, NC_008688 |
| Pasteurella multocida | NC_002663 |
| Pediococcus pentosaceus ATCC 25745 | NC_008525 |
| Pelobacter carbinolicus | NC_007498 |
| Pelobacter propionicus DSM 2379 | NC_008607, NC_008608, NC_008609 |
| Pelodictyon luteolum DSM 273 | NC_007512 |
| Photobacterium profundum SS9 | NC_005871, NC_006370, NC_006371 |
| Photorhabdus luminescens | NC_005126 |
| Picrophilus torridus DSM 9790 | NC_005877 |
| Pirellula sp | NC_005027 |
| Polaromonas JS666 | NC_007948, NC_007949, NC_007950 |
| Polaromonas naphthalenivorans CJ2 | NC_008757, NC_008758, NC_008759, NC_008760, NC_008761, NC_008762, NC_008763, NC_008764, NC_008781 |
| Porphyromonas gingivalis W83 | NC_002950 |


| Species name | Accessions |
| :---: | :---: |
| Prochlorococcus marinus AS9601 | NC_008816 |
| Prochlorococcus marinus CCMP1375 | NC_005042 |
| Prochlorococcus marinus MED4 | NC_005072 |
| Prochlorococcus marinus MIT9313 | NC_005071 |
| Prochlorococcus marinus MIT 9303 | NC_008820 |
| Prochlorococcus marinus MIT 9312 | NC_007577 |
| Prochlorococcus marinus MIT 9515 | NC_008817 |
| Prochlorococcus marinus NATL1A | NC_008819 |
| Prochlorococcus marinus NATL2A | NC_007335 |
| Propionibacterium acnes KPA171202 | NC_006085 |
| Pseudoalteromonas atlantica T6c | NC_008228 |
| Pseudoalteromonas haloplanktis TAC125 | NC_007481, NC_007482 |
| Pseudomonas aeruginosa | NC_002516 |
| Pseudomonas aeruginosa UCBPP-PA14 | NC_008463 |
| Pseudomonas entomophila L48 | NC_008027 |
| Pseudomonas fluorescens Pf-5 | NC_004129 |
| Pseudomonas fluorescens PfO-1 | NC_007492 |
| Pseudomonas putida KT2440 | NC_002947 |
| Pseudomonas syringae phaseolicola 1448A | NC_005773, NC_007274, NC_007275 |
| Pseudomonas syringae pv B728a | NC_007005 |
| Pseudomonas syringae tomato DC3000 | NC_004578, NC_004632, NC_004633 |
| Psychrobacter arcticum 273-4 | NC_007204 |
| Psychrobacter cryohalolentis K5 | NC_007968, NC_007969 |
| Psychromonas ingrahamii 37 | NC_008709 |
| Pyrobaculum aerophilum | NC_003364 |
| Pyrobaculum islandicum DSM 4184 | NC_008701 |
| Pyrococcus abyssi | NC_000868, NC_001773 |
| Pyrococcus furiosus | NC_003413 |
| Pyrococcus horikoshii | NC_000961 |
| Ralstonia eutropha H16 | NC_008313, NC_008314 |
| Ralstonia eutropha JMP134 | NC_007336, NC_007337, NC_007347, NC_007348 |
| Ralstonia metallidurans CH34 | NC_007971, NC_007972, NC_007973, NC_007974 |
| Ralstonia solanacearum | NC_003295, NC_003296 |
| Rhizobium etli CFN 42 | NC_007761, NC_007762, NC_007763, NC_007764, NC_007765, NC_007766 |
| Rhizobium leguminosarum bv viciae 3841 | NC_008378, NC_008379, NC_008380, NC_008381, NC_008382, NC_008383, NC_008384 |
| Rhodobacter sphaeroides 241 | NC_007488, NC_007489, NC_007490, NC_007493, NC_007494, NC_009007, NC_009008 |
| Rhodococcus RHA1 | NC_008268, NC_008269, NC_008270, NC_008271 |
| Rhodoferax ferrireducens T118 | NC_007901, NC_007908 |
| Rhodopseudomonas palustris BisA53 | NC_008435 |
| Rhodopseudomonas palustris BisB18 | NC_007925 |
| Rhodopseudomonas palustris BisB5 | NC_007958 |
| Rhodopseudomonas palustris CGA009 | NC_005296, NC_005297 |
| Rhodopseudomonas palustris HaA2 | NC_007778 |
| Rhodospirillum rubrum ATCC 11170 | NC_007641, NC_007643 |
| Rickettsia bellii RML369-C | NC_007940 |
| Rickettsia conorii | NC_003103 |
| Rickettsia felis URRWXCal2 | NC_007109, NC_007110, NC_007111 |
| Rickettsia prowazekii | NC_000963 |
| Rickettsia typhi wilmington | NC_006142 |
| Roseobacter denitrificans OCh 114 | NC_008209, NC_008386, NC_008387, NC_008388, NC_008389 |
| Rubrobacter xylanophilus DSM 9941 | NC_008148 |
| Saccharophagus degradans 2-40 | NC_007912 |
| Salinibacter ruber DSM 13855 | NC_007677, NC_007678 |
| Salmonella enterica Choleraesuis | NC_006855, NC_006856, NC_006905 |
| Salmonella enterica Paratypi ATCC 9150 | NC_006511 |
| Salmonella typhi | NC_003198, NC_003384, NC_003385 |
| Salmonella typhi Ty2 | NC_004631 |
| Salmonella typhimurium LT2 | NC_003197, NC_003277 |


| Species name | Accessions |
| :---: | :---: |
| Shewanella ANA-3 | NC_008573, NC_008577 |
| Shewanella MR-4 | NC_008321 |
| Shewanella MR-7 | NC_008320, NC_008322 |
| Shewanella W3-18-1 | NC_008750 |
| Shewanella amazonensis SB2B | NC_008700 |
| Shewanella denitrificans OS217 | NC_007954 |
| Shewanella frigidimarina NCIMB 400 | NC_008345 |
| Shewanella oneidensis | NC_004347, NC_004349 |
| Shigella boydii Sb227 | NC_007608, NC_007613 |
| Shigella dysenteriae | NC_007606, NC_007607 |
| Shigella flexneri 2a | NC_004337, NC_004851 |
| Shigella flexneri 2a 2457T | NC_004741 |
| Shigella flexneri 58401 | NC_008258 |
| Shigella sonnei Ss046 | NC_007384, NC_007385 |
| Silicibacter TM1040 | NC_008042, NC_008043, NC_008044 |
| Silicibacter pomeroyi DSS-3 | NC_003911, NC_006569 |
| Sinorhizobium meliloti | NC_003037, NC_003047, NC_003078 |
| Sodalis glossinidius morsitans | NC_007712, NC_007713, NC_007714, NC_007715 |
| Solibacter usitatus Ellin6076 | NC_008536 |
| Sphingopyxis alaskensis RB2256 | NC_008036, NC_008048 |
| Staphylococcus aureus COL | NC_002951, NC_006629 |
| Staphylococcus aureus MW2 | NC_003923 |
| Staphylococcus aureus Mu50 | NC_002758, NC_002774 |
| Staphylococcus aureus N315 | NC_002745, NC_003140 |
| Staphylococcus aureus NCTC 8325 | NC_007795 |
| Staphylococcus aureus RF122 | NC_007622 |
| Staphylococcus aureus USA300 | NC_007790, NC_007791, NC_007792, NC_007793 |
| Staphylococcus aureus aureus MRSA252 | NC_002952 |
| Staphylococcus aureus aureus MSSA476 | NC_002953, NC_005951 |
| Staphylococcus epidermidis ATCC 12228 | NC_004461, NC_005003, NC_005004, NC_005005, NC_005006, NC_005007, NC_005008 |
| Staphylococcus epidermidis RP62A | NC_002976, NC_006663 |
| Staphylococcus haemolyticus | NC_007168 |
| Staphylococcus saprophyticus | NC_007350, NC_007351, NC_007352 |
| Streptococcus agalactiae 2603 | NC_004116 |
| Streptococcus agalactiae A909 | NC_007432 |
| Streptococcus agalactiae NEM316 | NC_004368 |
| Streptococcus mutans | NC_004350 |
| Streptococcus pneumoniae D39 | NC_008533 |
| Streptococcus pneumoniae R6 | NC_003098 |
| Streptococcus pneumoniae TIGR4 | NC_003028 |
| Streptococcus pyogenes M1 GAS | NC_002737 |
| Streptococcus pyogenes MGAS10270 | NC_008022 |
| Streptococcus pyogenes MGAS10394 | NC_006086 |
| Streptococcus pyogenes MGAS10750 | NC_008024 |
| Streptococcus pyogenes MGAS2096 | NC_008023 |
| Streptococcus pyogenes MGAS315 | NC_004070 |
| Streptococcus pyogenes MGAS5005 | NC_007297 |
| Streptococcus pyogenes MGAS6180 | NC_007296 |
| Streptococcus pyogenes MGAS8232 | NC_003485 |
| Streptococcus pyogenes MGAS9429 | NC_008021 |
| Streptococcus pyogenes SSI-1 | NC_004606 |
| Streptococcus sanguinis SK36 | NC_009009 |
| Streptococcus thermophilus CNRZ1066 | NC_006449 |
| Streptococcus thermophilus LMD-9 | NC_008500, NC_008501, NC_008532 |
| Streptococcus thermophilus LMG 18311 | NC_006448 |
| Streptomyces avermitilis | NC_003155, NC_004719 |
| Streptomyces coelicolor | NC_003888, NC_003903, NC_003904 |
| Sulfolobus acidocaldarius DSM 639 | NC_007181 |
| Sulfolobus solfataricus | NC_002754 |
| Sulfolobus tokodaii | NC_003106 |
| Symbiobacterium thermophilum IAM14863 | NC_006177 |


| Species name | Accessions |
| :---: | :---: |
| Synechococcus CC9311 | NC_008319 |
| Synechococcus CC9605 | NC_007516 |
| Synechococcus CC9902 | NC_007513 |
| Synechococcus elongatus PCC 6301 | NC_006576 |
| Synechococcus elongatus PCC 7942 | NC_007595, NC_007604 |
| Synechococcus sp WH8102 | NC_005070 |
| Synechocystis PCC6803 | NC_000911, NC_005229, NC_005230, NC_005231, NC_005232 |
| Syntrophobacter fumaroxidans MPOB | NC_008554 |
| Syntrophomonas wolfei Goettingen | NC_008346 |
| Syntrophus aciditrophicus SB | NC_007759 |
| Thermoanaerobacter tengcongensis | NC_003869 |
| Thermobifida fusca YX | NC_007333 |
| Thermococcus kodakaraensis KOD1 | NC_006624 |
| Thermofilum pendens Hrk 5 | NC_008696, NC_008698 |
| Thermoplasma acidophilum | NC_002578 |
| Thermoplasma volcanium | NC_002689 |
| Thermosynechococcus elongatus | NC_004113 |
| Thermotoga maritima | NC_000853 |
| Thermus thermophilus HB27 | NC_005835, NC_005838 |
| Thermus thermophilus HB8 | NC_006461, NC_006462, NC_006463 |
| Thiobacillus denitrificans ATCC 25259 | NC_007404 |
| Thiomicrospira crunogena XCL-2 | NC_007520 |
| Thiomicrospira denitrificans ATCC 33889 | NC_007575 |
| Treponema denticola ATCC 35405 | NC_002967 |
| Treponema pallidum | NC_000919 |
| Trichodesmium erythraeum IMS101 | NC_008312 |
| Tropheryma whipplei TW08 27 | NC_004551 |
| Tropheryma whipplei Twist | NC_004572 |
| Ureaplasma urealyticum | NC_002162 |
| Verminephrobacter eiseniae EF01-2 | NC_008771, NC_008786 |
| Vibrio cholerae | NC_002505, NC_002506 |
| Vibrio fischeri ES114 | NC_006840, NC_006841, NC_006842 |
| Vibrio parahaemolyticus | NC_004603, NC_004605 |
| Vibrio vulnificus CMCP6 | NC_004459, NC_004460 |
| Vibrio vulnificus YJ016 | NC_005128, NC_005139, NC_005140 |
| Wigglesworthia brevipalpis | NC_003425, NC_004344 |
| Wolbachia endosymbiont of Brugia malayi TRS | NC_006833 |
| Wolbachia endosymbiont of Drosophila melanogaster | NC_002978 |
| Wolinella succinogenes | NC_005090 |
| Xanthomonas campestris | NC_003902 |
| Xanthomonas campestris 8004 | NC_007086 |
| Xanthomonas campestris vesicatoria 85-10 | NC_007504, NC_007505, NC_007506, NC_007507, NC_007508 |
| Xanthomonas citri | NC_003919, NC_003921, NC_003922 |
| Xanthomonas oryzae KACC10331 | NC_006834 |
| Xanthomonas oryzae MAFF 311018 | NC_007705 |
| Xylella fastidiosa | NC_002488, NC_002489, NC_002490 |
| Xylella fastidiosa Temecula1 | NC_004554, NC_004556 |
| Yersinia enterocolitica 8081 | NC_008791, NC_008800 |
| Yersinia pestis Antiqua | NC_008120, NC_008121, NC_008122, NC_008150 |
| Yersinia pestis CO92 | NC_003131, NC_003132, NC_003134, NC_003143 |
| Yersinia pestis KIM | NC_004088, NC_004838 |
| Yersinia pestis Nepal516 | NC_008118, NC_008119, NC_008149 |
| Yersinia pestis biovar Mediaevails | NC_005810, NC_005813, NC_005814, NC_005815, NC_005816 |
| Yersinia pseudotuberculosis IP32953 | NC_006153, NC_006154, NC_006155 |
| Zymomonas mobilis ZM4 | NC_006526 |

Appendix B

## GLM predictions










Number of Terms, K Number of Terms, K
Unrestricted (out-of-sample)



Number of Terms, K
-_ Restricted (in-sample)






Figure B.1: Model performance on full dataset, with $80 \%$ for training, using MUSCLE MSAs. cf. Figure 6.2 which uses the same dataset but with
CLUSTAL W MSAs, and gives very similar prediction performance.



 | -8 |
| :---: |
| -8 |
| -8 |
| -8 |
| -9 |
| -2 |
| -1 |
| 0 |





 Unrestricted (out-of-sample)









$\begin{array}{lllll}0 & 20 & 40 & 60 & 80 \\ 100\end{array}$ Unrest - Restricted (in-sample)
$\begin{array}{ccccc}0 & 20 & 40 & 60 & 80 \quad 100 \\ \text { Number of Terms, K }\end{array}$

- Unrestricted (in-sample)
Figure B.2: Model performance on full dataset, using CLUSTAL W MSAs. Five randomised splits of $25 \%$ training and $75 \%$ test. Key as per Figure 6.2 (the same dataset but using $80 \%$ for training) and later figures using a similarly sized training set.


Figure B.3: Unrestricted model performance on full dataset, with $25 \%$ for training, using CLUSTAL W MSAs and $S_{k}^{\Omega}$ for $K=10,20,30$ and 100 (from left to right). Five random splits of the data into training and test are shown. The top row of figures show the predicted interaction probabilities for the expected interactions $(Y=1)$ and non-interactions $(Y=0)$, showing the class separation improves with higher $K$. The bottom row of figures are ROC plots, labelled with the mean area under the curve, where the area increases as $K$ is increased. cf. Figure 6.3 where $80 \%$ of the data is used for training..


$\begin{array}{cccc}0 & 20 & 40 & 60\end{array} \quad 80 \quad 100$
Number of Terms, K Restricted (out-of-sample)
Figure B.4: Model performance using only conventional two gene TCS systems, using CLUSTAL W MSAs. Five randomised splits, trained on $33 \%$ ( 1,146 positive interactions and 18,165 non-interactions), tested on $67 \%$ ( 2,327 and 36,881 ). Key as per Figure 6.2, cf. Figure 6.4 where $80 \%$ of the data is used for training.



 -8
$-\infty$
-8
-9
$-\infty$
$-\infty$
-0

$\begin{array}{ccccc}0 & 20 & 40 & 60 \quad 80 \quad 100 \\ \text { Number of Terms, K }\end{array}$ - Restricted (in-sample) --.. Unrestricted (out-of-sample)



 Number of Terms, K
 $\begin{array}{ccccc}0 & 20 & 40 & 60 \quad 80 \quad 100 \\ \text { Number of Terms, K K }\end{array}$




$\begin{array}{ccccc}0 & 20 & 40 & 60 & 80 \\ \text { Number of Terms, K K }\end{array}$


Figure B.5: Unrestricted model performance using only conventional two gene TCS systems, with $33 \%$ for training, using CLUSTAL W MSAs and $S_{k}^{\Omega}$ for $K=10,20,30$ and 100 (from left to right). Five random splits of the data into training and test are shown. The top row of figures show the predicted interaction probabilities for the expected interactions $(Y=1)$ and non-interactions $(Y=0)$, showing the class separation improves with higher $K$. The bottom row of figures are ROC plots, labelled with the mean area under the curve, where the area increases as $K$ is increased. cf. Figure 6.5



False positive rate


$\begin{array}{lllll}0.2 & 0.4 & { }_{0}^{1} & 0.6 & 0.8 \\ & 1.0 \\ \text { False positive rate } & & \end{array}$
K


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[^0]:    ${ }^{1}$ Flagella biosynthesis in Rhodospirillum centenum is a counter example (Berleman and Bauer 2005).

[^1]:    ${ }^{1}$ ftp://ftp.ncbi.nlm.nih.gov/genomes/Bacteria/all.gbk.tar.gz
    ${ }^{2}$ http://www.ncbi.nlm.nih.gov/genomes/lproks.cgi as a webpage, or as a simple tab separated text files at ftp://ftp.ncbi.nlm.nih.gov/genomes/Bacteria/lproks_0.txt and lproks_1.txt

[^2]:    ${ }^{1}$ The set of integers, $\{\ldots,-3,-2,-1,0,1,2,3, \ldots\}$, is denoted by $\mathbb{Z}$. Similarly $\mathbb{N}$ will denote the set of natural numbers, $\{1,2,3, \ldots\}$.

[^3]:    ${ }^{1}$ The $\mathrm{C}_{\alpha}$ atom is the protein back bone carbon atom to which the amino acid residue side chain is attached.

[^4]:    ${ }^{2}$ Gap characters are treated as letters.

[^5]:    Figure 6.4: Model performance using only conventional two gene TCS systems, $80 \%$ for training, CLUSTAL W MSAs. Five randomised splits, trained on $80 \%$ ( 2,778 positive interactions and 44,036 non-interactions), tested on $20 \%$ ( 695 and 11,010 ). Key as per Figure 6.2, cf. Figure 6.6.

[^6]:    Figure 6.14: Model performance predicting the TCS interactions of Caulobacter crescentus (dashed lines, expected interactions shown in Figure 6.16 )

[^7]:    Figure 6.19: Out-of-sample predictions for Nostoc sp. using $S_{k}^{\Omega}$ and $K=100$ with an unrestricted GLM. Rows are HisKA domains, columns are on following page

