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William C. Wheaton

Nai Jia Lee

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# The co-movement of Housing Sales and Housing Prices: Empirics and Theory 

By<br>William C. Wheaton<br>Department of Economics<br>Center for Real Estate<br>MIT<br>Cambridge, Mass 02139<br>wheaton@mit.edu<br>and<br>Nai Jia Lee<br>Department of Urban Studies and Planning<br>Center for Real Estate<br>MIT

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#### Abstract

This paper examines the strong positive correlation that exists between the volume of housing sales and housing prices. We first closely examine gross housing flows in the US and divide sales into two categories: transactions that involve a change or choice of tenure, as opposed to owner-to-owner churn. The literature suggests that the latter generates a positive sales-to-price relationship, but we find that the former actually represents the majority of transactions. For these we hypothesize that there is a negative prices-to-sales relationship. This runs contrary to a different literature on liquidity constraints and loss aversion. Empirically, we assemble a large panel data base for 101 MSA spanning 25 years. Our results are strong and robust. Underneath the correlation lies a pair of Granger causal relationships exactly as hypothesized: higher sales cause higher prices, but higher prices causes lower sales. The two relationships between sales and prices together proyide a more complete picture of the housing market - suggesting the strong positive correlation in the data results from frequent shifts in the price-to-sales schedule. Many such shifts historically occur from changing credit conditions.


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## I. Introduction.

As shown in Figure 1 below, there is a strong positive correlation between housing sales (expressed as a percent of all owner households) and the movement in housing prices $\left(\mathrm{R}^{2}=.66\right)$. On the surface the relationship looks to be close to contemporaneous. There is also a somewhat less obvious negative relationship between prices and the shorter series on the inventory of owner units for sale $\left(\mathrm{R}^{2}=.51\right)$. A number of authors have offered explanations for these relationships, in particular that between prices and sales.

Figure I: US Housing Sales, Prices, Inventory


In one camp, there is a growing literature of models describing home owner "churn" in the presence of search frictions [Wheaton (1990). Berkovec and Goodman (1996). Lundberg and Skedinger (1999)]. In these models, buyers become sellers - there are no entrants or exits from the market. In such a situation the role of prices is complicated by the fact that if participants pay higher prices, they also receive more upon sale. It is the transaction cost of owning 2 homes (during the moving period) that grounds prices. If prices are high, the transaction costs can make trading expensive enough to erase the original gains from moving. In this environment Nash-bargained prices move
almost inversely to expected sales times - equal to the vacant inventory divided by the sales flow. In these models, both the inventory and sales churn are exogenous. Following Pissarides (2000) if the matching rate is exogenous or alternatively of specific form, the sales time will be shorter with more sales churn and prices therefore higher. Hence greater sales cause higher prices. Similarly greater vacancy (inventory) raises sales times and causes lower prices.

There are also a series of papers which propose that negative changes in prices will subsequently generate lower sales volumes. This again is a positive relationship between the two variables, but with opposite causality. The first of these is by Stein (1995) followed by Lamont and Stein (1999) and then Chan (2001). In these models, liquidity constrained consumers are again moving from one house to another ("churn") and must make a down payment in order to purchase housing. When prices decline consumer equity does likewise and fewer households have the remaining down payment to make the lateral move. As prices rise, equity recovers and so does market liquidity. Relying instead on behavior economics, Genesove and Mayer (2001) and then Englehardt (2003) show empirically that sellers who would experience a loss if they sell set higher reservations than those who would not experience a loss. With higher reservations, the market as a whole would see lower sales if more and more sellers experience loss aversion as prices continue to drop.

In this paper we try to unravel the relationship between housing prices and housing sales, and in addition, the housing inventory. First, we carefully examine gross housing flows in the AHS for the 11 (odd) years in which the survey is conducted. We find the following.
1). There generally are more purchases of homes by renters or new households than there are by existing owners. Hence the focus in the literature on own-to-own trades does not characterize the majority of housing sales transactions.

2 ). The yearly change in the homeownership rate is highly correlated negatively with housing prices. In years when prices are high, flows into renting grow faster than flows into owning and homeownership starts to decline. When prices are low, net rent-toown moves increase as does homeownership.
3). We also examine which flows add to the inventory of for-sale units (called LISTS) and which subtract (called SALES). Own-to-own moves, for example do both. We show that the movements in inventory are also positively correlated with price. When prices are high LISTS increase relative to SALES, the inventory grows, and when prices are low, the reverse happens.
4). This leads us to hypothesize that there is joint causality between sales and prices. Owner churn generates a positive schedule between sales and prices as suggested by frictional market theory. At the same time, inter-tenure transitions should lead to a negative schedule. Along the latter, when prices are high sales decrease, lists increase and the inventory starts to grow. In equilibrium, the overall housing market should rest at the intersection of these two schedules.

To test these ideas we assemble a US panel data base of 101 MSA across 25 years. This data is from the NAR and OFHEO. The NAR inventory data is too scattered and short to be included in the panel so our empirics are limited to testing just the hypothesized relationships between sales and prices. Here we find:
5). Using a wide range of model specifications and tests of robustness housing sales positively "Granger cause" subsequent housing price movements. This reinforces the relationship posited in frictional search models.
6). There is equally strong empirical support showing that prices negatively "Granger cause" subsequent housing sales. This relationship is exactly the opposite of that posited by theories of liquidity constraints and loss aversion, but is consistent with our hypothesis regarding inter-tenure choices.

Our paper is organized as follows. In section II we set up an accounting framework for more completely describing gross housing flows from the 2001 AHS. This involves some careful assumptions to adequately document the magnitude of all the inter tenure flows relative to within tenure churn and to household creation/dissolution. In Section III, we illustrate the relationships between these flows and housing prices using the II years for which the flow calculations are possible. We also present our hypothesized pair of relationships between sales and prices as well as the relationship of each to the housing inventory. In sections IV through VI we present our empirical analysis of a panel data set between sales and prices across 101 MSA covering the years
from 1982-2006. It is here we find conclusive evidence that sales positively "Granger cause" prices and that prices negatively "Granger cause" sales. Our analysis is robust to many alternative specifications and subsample tests. We conclude with some thoughts about future research as well as the outlook for US house prices and sales.

## II. US Gross Housing Flows: Sales, Lists, and the Inventory.

Much of the theoretical literature on sales and prices investigates how existing homeowners behave as they try and sell their current home to purchase a new one. This flow is most often referred to as "churn". To investigate how important a role "churn" plays in the ownership market, we closely examine the 2001 American Housing Survey. In "Table 10 "of the Survey, respondents are asked what the tenure was of the residence previously lived in - for those that moved during the last year. The total number of moves in this question is the same as the total in "Table 11 "- asking about the previous status of the current head (the respondent). In "Table 11 " it turns out that $25 \%$ of current renters moved from a residence situation in which they were not the head (leaving home, divorce, etc.). The fraction is a smaller $12 \%$ for owners. What is missing is the joint distribution between moving by the head and becoming a head. The AHS is not strictly able to identify how many current owners moved either a) from another unit they owned b) another unit they rented or c) purchased a house as they became a new or different household.

To generate the full set of flows, we use information in "Table 11 " about whether the previous home was headed by the current head, a relative or acquaintance. We assume that all current owner-movers who were also newly created households - were counted in "Table 10" as previous owners. For renters, we assume that all renter-movers that were also newly created households were counted in "Table 10 " in proportion to renter-owner households in the full sample. Finally, we use the Census figures that year for the net increase in each type of household and from that and the data on moves we are able to identify household "exits" by tenure. Gross household exits occur mainly through deaths, institutionalization (such as to a nursing home), or marriage.

Focusing on just the owned housing market, the AHS also allows us to account for virtually all of the events that add to the inventory of houses for sale (herein called

LISTS) and all of those transactions that remove houses from the inventory (herein called SALES). There are two exceptions. The first is the net delivery of new housing units. In 2001 the Census reports that $1,242,000$ total units were delivered to the for-sale market. Since we have no direct count of demolitions ${ }^{1}$ we use that figure also as net and it is counted as additional LISTS. The second is the net purchases of $2^{\text {nd }}$ homes, which count as additional SALES, but about which there is simply little data ${ }^{2}$. In theory, LISTS SALES should equal the change in the inventory of units for sale. These relationships are depicted in Figure 2 and can be summarized with the identities below (2001 values are included).

$$
\begin{align*}
& \text { SALES }=\text { Own-to-Own }+ \text { Rent-to-Own }+ \text { New Owner }\left[+2^{\text {nd }} \text { homes }\right]=5,281,000 \\
& \text { LiSTS }=\text { Own-to-Own }+ \text { Own-to-Rent }+ \text { Owner Exits }+ \text { New homes }=5,179,000 \\
& \text { Inventory Change }=\text { LISTS }- \text { SALES } \\
& \text { Net Owner Change }=\text { New Owners }- \text { Owner Exits }+ \text { Rent-to-Own }- \text { Own-to-Rent } \\
& \text { Net Renter Change }=\text { New Renters }- \text { Renter Exits }+ \text { Own-to-Rent }- \text { Rent-to-Own } \tag{I}
\end{align*}
$$

The only other comparable data is from the National Association of Realtors (NAR), and it reports that in 2001 the inventory of units for sale was nearly stable. The NAR however reports a higher level of sales at $5.641,000$. This 7\% discrepancy could be explained by repeat moves within a same year since the AHS asks only about the most recent move. It could also represent significant $2^{\text {nd }}$ home sales which again are not part of the AHS move data.

What is most interesting to us is that ahmost $60 \%$ of SALES involve a buyer who is not transferring ownership laterally from one house to another. So called "Churn" is actually a minority of sales transactions. These various inter-tenure sales also are the critical determinants of change-in-inventory since "Churn" sales do not affect it. .

[^0]Figure 2: US Housing Gross Flows (2001)


Most inter-tenure SALES would seem to be events that one might expect to be sensitive (negatively) to housing prices. When prices are high presumably new created owner household formation is discouraged or at least deflected into new renter household formation. Likewise moves which involve changes in tenure from renting to owning also should be negatively sensitive to house prices. Both result because higher prices simply make owning a house less affordable. At this time we are agnostic about how net $2^{\text {nd }}$ home sales are related to prices.

On the other side of Figure 2, most of the events generating LISTS should be at least somewhat positively sensitive to price. New deliveries certainly try to occur when prices are high, and such periods would be appropriate for any owners who wish or need
to "cash out", consume equity or otherwise switch to renting. At this time we are still seeking a direct data source which investigates in more detail what events actually generate the own-to-rent moves. Thus the flows in and out of homeownership in Figure 2 suggest that when prices are high sales likely decrease, lists increase and the inventory grows.

These events would easily generate a downward sloping schedule between prices and sales such as depicted in Figure 3 below - in compliment to the upward schedule developed by theorists for owner occupied churn. Figure 3 presents a more complete picture of the housing market than the models of Stein, Wheaton, or Berkovec and Goodman - since it accounts for the very large role of inter-tenure mobility as well as for owner churn.

## FIGURE 3: Housing Market Equilibrium(s)



## III. Further AHS Empirical Analysis.

Unfortunately the gross flows in Figure 2 can only be assembled for the 11 years in which the AHS has undertaken its survey. These are the odd years from 1985 through
2007. ${ }^{3}$ In Appendix III we present all of the calculated flows for each of these 11 years along with the OFHEO price index. The number of time series observations is not much to work with so instead we just illustrate some graphs. In Figure 4, we show house prices against the calculated change in inventory. This is LISTS-SALES where each of these is calculated using the set of identies in (1). There is a strong positive relationship $\left[\mathrm{R}^{2}=.53\right]$. When prices are high LISTS rise, SALES fall and the inventory grows.

Figure 4: Prices versus Inventory Change (LISTS-SALES)


In Figure 5, we examine the percentage change in the number of renters and owners in each of the I1 years - again with respect to prices. Here there is an inverse relationship between prices and the increase in owners $\left[\mathrm{R}^{2}=.48\right]$ and a positive relationship between prices and the increase in renters $\left[\mathrm{R}^{2}=.29\right]$. When prices are high, the number of renters seems to rise relative to owners and the opposite when prices are low. Thus there is a parallel negative relationship between prices and the change in the

[^1]homeownership rate. While these correlations are based on only 11 observations - they at least span a longer 22 year period.

Figure 5: Prices versus Tenure Changes


## IV. Metropolitan Sales and Price Panel Data.

To more carefully study the relationship(s) between housing sales and housing prices we have assembled a large panel data base covering 101 MSA and the years 1982 through 2006. ${ }^{4}$ While far more robust than an aggregate US time series, examining

[^2]annual data at the metropolitan level does have a limitation, however, since it cannot use Census or AHS data. The latter contain more detail about the sources of sales and moves, but the Census is available only every decade and the AHS sample is just too small to generate any reliable flows at the MSA level.

For sales data, the only other consistent source is that provided by the National Association of Realtors (NAR). The NAR data is for single family units only (it excludes condominium sales in the MSA series), but is available for each MSA over the full period from 1980 to $2006 .{ }^{5}$ To standardize the sales data, raw sales were compared with annual Census estimates of the number of total households in those markets. Dividing single family sales by total households we get a very crude sales rate for each market. In 1980 this calculated sales rate varied between $1.2 \%$ and $5.1 \%$ across our markets with a national average value of $2.8 \%$. By contrast, in the 1980 census, $8.1 \%$ of owner occupied households had moved in during the last year. By 2000, the ratio of national NAR single family sales to total households had risen to $4.9 \%$, while the Census owner mobility rate just inched up to $8.9 \%$. Of course our crude calculated average sales rates should always be lower than the census reported owner mobility rates since the former excludes condo transactions and non-brokered sales. In addition we are dividing by total households rather than just single family owner-occupied households. Separate renter/owner single family household series at yearly frequency are not available for all metropolitan markets.

The price data we use is the OFHEO repeat sales series [Baily, Muth, Nourse (1963)]. This data series has recently been questioned for not factoring out home improvements or maintenance and for not factoring in depreciation and obsolescence [Case, Pollakowski, Wachter (1991), Harding, Rosenthal, Sirmans (2007)]. These omissions could generate a significantly bias in the long term trend of the OFEHO series. That said we are left with what is available, and the OFHEO index is the most consistent series available for most US markets over a long time period. The only alternative is to purchase similar indices from CSW/FISERV, although they have most of the same methodological issues as the OFHEO data.

[^3]In Figures 6 and 7 we illustrate the yearly NAR sales rate data, along with the constant dollar OFHEO price series - both in levels and differences - for two markets that exhibit quite varied behavior, Atlanta and San Francisco. Over this time frame, Atlanta's constant dollar prices increase very little while San Francisco's increased almost 200\%. San Francisco prices, however, exhibit far greater price volatility. Atlanta's average sales rate is close to $4 \%$ and roughly doubles over 1980-2006, while San Francisco's is almost half of that $(2.6 \%)$ and increases by only about $50 \%$. These trends illustrate the typical range of patterns seen across our sample of 10 I metropolitan areas. In appendix I we present the summary statistics for each market's price and sales rate series. In virtually all markets there is a long term positive trend in the sales rate, as well as in real house prices.

Figure 6: Atlanta Sales, Prices


Figure 3: San Francisco Sales, Prices


Given the persistent trends in both series it is important to test more formally for series stationarity. There are two tests available for use with panel data. In each, the null hypothesis is that all of the individual series have unit roots and are non stationary. Levin-Lin (1993) and Im-Persaran-Shin (2002) both develop a test statistic for the sum or average coefficient of the lagged variable of interest - across the individuals (markets) within the panel. The null is that all or the average of these coefficients is not significantly different from unity. In Table 1 we report the results of this test for both housing price and sale rate levels, as well as a $2^{\text {nd }}$ order stationarity test for housing price and sales rate changes.

TABLE 1: Stationarity tests
RHPI (Augmented by 1 lag)

| Levin Lin's <br> Test | Coefficient | T Value | T-Star | $\mathrm{P}>\mathrm{T}$ |
| :--- | :--- | :--- | :--- | :--- |
| Levels | -0.10771 | -18.535 | 0.22227 | 0.5879 |
| First Difference | -0.31882 | -19.822 | -0.76888 | 0.2210 |
|  |  |  |  |  |


| IPS test | T-Bar | W(t-bar) |  | P>T |
| :--- | :--- | :--- | :--- | :--- |
| Levels | -1.679 | -1.784 | 0.037 |  |
| First Difference | -1.896 | -4.133 |  | 0.000 |

SFSALESRATE (Augmented by 1 lag)

| Levin Lin's <br> Test | Coefficient | T Value | T-Star | $\mathrm{P}>\mathrm{T}$ |
| :--- | :--- | :--- | :--- | :--- |
| Levels | -0.15463 | -12.993 | 0.44501 | 0.6718 |
| First Difference | -0.92284 | -30.548 | -7.14975 | 0.0000 |
|  |  |  |  |  |
| IPS test | T-Bar | W(t-bar) |  | $\mathrm{P}>\mathrm{T}$ |
| Levels | -1.382 | 1.426 |  | 0.923 |
| First Difference | -2.934 | -15.377 |  | 0.000 |
|  |  |  |  |  |

With the Levin-Lin test we cannot reject the null (non-stationarity) for either house price levels or differences. In terms of the sales, we can reject the null for differences in sales rate, but not for levels. The IPS test (which is argued to have more power) rejects the null for house price levels and differences and for sales rate differences. In short, both variables would seem to be stationary in differences, but levels are more problematic and likely non-stationary.

## V. Panel Estimations.

Our panel approach uses a well-known application of Granger-type analysis. We will ask how significant lagged sales are in a panel model of prices which uses lagged prices and then several conditioning variables. The conditioning variables we choose are market area employment, and national mortgage rates. The companion model is to ask how significant lagged prices are in a panel model of sales using lagged sales and the same conditioning variables. This pair of model is shown (2)-(3).

$$
\begin{align*}
& P_{1, T}=\alpha_{0}+\alpha_{1} P_{t, T-1}+\alpha_{2} S_{l, T-1}+\beta^{\prime} X_{l, T}+\delta_{1}+\varepsilon_{l, T}  \tag{2}\\
& S_{l, T}=\gamma_{0}+\gamma_{1} S_{i, T-1}+\gamma_{2} P_{t, T-1}+\lambda^{\prime} X_{l, T}++\eta_{t}+\varepsilon_{\ell, T} \tag{3}
\end{align*}
$$

In our case there is significant concern about the stationarity of both price and sales rate levels. This same concern should not be present for differences. Hence we will
need to estimate the model in first differences as well as levels - as outlined in equations (4) and (5). ${ }^{6}$

$$
\begin{align*}
& \Delta P_{i, T}=\alpha_{0}+\alpha_{1} \Delta P_{i, T-1}+\alpha_{2} \Delta S_{i, T-1}+\beta^{\prime} \Delta X_{i, T}++\delta_{1}+\varepsilon_{i, T}  \tag{4}\\
& \Delta S_{i, T}=\gamma_{0}+\gamma_{1} \Delta S_{i, T-1}+\gamma_{2} \Delta P_{i, T-1}+\lambda^{\prime} \Delta X_{i, T}++\eta_{1}+\varepsilon_{1, T} \tag{5}
\end{align*}
$$

In panel VAR models with individual heterogeneity there exists a specification issue. Equations (4) and (5) or (2) and (3) will have an error term that is correlated with the lagged dependent variables [Nickell, (1981)]. OLS estimation will yield coefficients that are both biased and also that are not consistent in the number of cross-section observations. Consistency occurs only in the number of time series observations. Thus estimates and any tests on the parameters of interest (the $\alpha$ and $\gamma$ ) may not be reliable. These problems might not be serious in our case since we have 26 time series observations (more than many panel models). To be on the safe side, however, we also estimated the equations following an estimation strategy by Holtz-Eakin et al. As discussed in Appendix II, this amounts to using 2-period lagged values of sales and prices as instruments with GLS estimation.

From either estimates, we conduct a "Granger" causality test. Since we are only testing for a single restriction, the $t$ statistic is the square root of the $F$ statistic that would be used to test the hypothesis in the presence of a longer lag structure (Greene, 2003). Hence, we can simply use a $t$ test (applied to the $\alpha_{2}$ and $\gamma_{2}$ ) as the check of whether changes in sales "Granger cause" changes in price and vice versa.

In table 2 we report the results of equations (2) through (5) in each set of rows. The first column uses OLS estimation, the second the Random Effects IV estimates from Holtz-Eakin et al. The first set of equations is in levels, while the second set of rows reports the results using differences. In all Tables, variable names are self evident and differences are indicated with the prefix GR. Standard errors are in parenthesis.

Among the levels equations, we first notice that the two conditioning variables, the national mortgage rate and local employment have the wrong signs in two cases. The mortgage interest rate in the OLS price levels equation and local employment in the IV

[^4]sales rate equation are miss-signed. There is also an insignificant employment coefficient in the OLS sales rate equation (despite almost 2500 observations). Another troublesome result is that the price levels equation has excess "momentum" - lagged prices have a coefficient greater than one. Hence prices (levels) can grow on their own without necessitating any increases in fundamentals, or sales. We suspect that these two anomalies are likely the result of the non-stationary feature to both the price and sales series when measured in levels. Interestingly, the two estimation techniques yield quite similar coefficients - as might be expected with a larger number of time series observations.

When we move to the results of estimating the equations in differences all of these issues disappear. The lagged price coefficients are small so the price equations are stable in the $2^{\text {nd }}$ degree, and the signs of all coefficients are both correct - and highly significant.

As to the question of causality, in every price or price growth equation, lagged sales or growth in sales is always significantly positive. Furthermore in every sales rate or growth in sales rate equation, lagged prices (or its growth) are also always significant. Hence there is clear evidence of joint causality, but the effect of lagged prices on sales is always of a negative sign. Holding lagged sales (and conditioning variables) constant, a year after there is an increase in prices - sales fall. The is the opposite of that predicted by theories of loss aversion or liquidity constraints. but consistent with our hypothesis.

TABLE 2: Sales-Price VAR

|  | Fixed Effects | E Holtz-Eakin estimator |
| :--- | :--- | :--- |
| Levels |  |  |
| Real Price |  |  |
| (Dependent Variable) | $-25.59144^{* *}$ | $-12.47741^{* *}$ |
| Constant | $(2.562678)$ | $(2.099341)$ |
|  | $1.023952^{* *}$ | $1.040663^{* *}$ |
| Real Price (lag 1) | $(0.076349)$ | $(0.0076326)$ |
| Sales Rate (lag 1) | $3.33305^{* *}$ | $2.738264^{* *}$ |
|  | $(0.2141172)$ | $(0.2015346)$ |
| Mortgage Rate | $0.3487804^{* *}$ | $-0.3248500^{* *}$ |
|  | $(0.1252293)$ | $(0.120999)$ |
|  | $0.0113145^{* *}$ | $0.0015689^{* *}$ |
| Employment | $(0.0018579)$ | $(0.0003129)$ |


| Sales Rate (Dependent Variable) |  |  |
| :---: | :---: | :---: |
| Constant | $\begin{aligned} & 2.193724^{* *} \\ & (0.1428421) \end{aligned}$ | $\begin{aligned} & 1.796734^{* *} \\ & (0.1044475) \end{aligned}$ |
| Real Price (lag 1) | $\begin{aligned} & -0.0063598^{* *} \\ & (0.0004256) \end{aligned}$ | $\begin{aligned} & -0.0059454 * * \\ & (0.0004206) \end{aligned}$ |
| Sales Rate (lag 1) | $\begin{aligned} & 0.8585273^{* *} \\ & (0.0119348) \end{aligned}$ | $\begin{aligned} & 0.9370184^{* *} \\ & (0.0080215) \end{aligned}$ |
| Mortgage | $\begin{aligned} & -0.063598^{* *} \\ & (0.0069802) \end{aligned}$ | $\begin{aligned} & -0.0664741^{* *} \\ & (0.0062413) \end{aligned}$ |
| Employment | $\begin{aligned} & -0.0000042 \\ & (0.0001036) \end{aligned}$ | $\begin{aligned} & -0.0000217^{* *} \\ & (0.0000103) \end{aligned}$ |
| First Difference |  |  |
| GR Real Price (Dependent Variable) |  |  |
|  | $\begin{aligned} & -0.4090542^{* *} \\ & (0.1213855) \end{aligned}$ | $\begin{aligned} & -0.49122^{\star \star} \\ & (0.1221363) \end{aligned}$ |
| GR Real Price (Lag 1) | $\begin{aligned} & 0.7606135 * * \\ & (0.0144198) \end{aligned}$ | $\begin{aligned} & 0.8008682^{* *} \\ & (0.0148136) \end{aligned}$ |
| GR Sales Rate (Lag 1) | $\begin{aligned} & 0.0289388^{* *} \\ & (0.0057409) \end{aligned}$ | $\begin{aligned} & 0.1826539^{* *} \\ & (0.022255) \end{aligned}$ |
| GR Mortgage Rate | $\begin{aligned} & -0.093676^{\star *} \\ & (0.097905) \end{aligned}$ | $\begin{aligned} & -0.08788^{\star *} \\ & (0.0102427) \end{aligned}$ |
| GR Employment | $\begin{aligned} & 0.3217936^{* *} \\ & (0.0385593) \end{aligned}$ | $\begin{aligned} & 0.1190925^{* *} \\ & (0.048072) \end{aligned}$ |
| GR Sales Rate (Dependent Variable) |  |  |
| Constant | $\begin{aligned} & 0.7075247 \\ & (0.3886531) \end{aligned}$ | $\begin{aligned} & 1.424424^{* *} \\ & (0.3710454) \end{aligned}$ |
| GR Real Price (Lag1) | $\begin{aligned} & -0.7027333^{* *} \\ & (0.0461695) \end{aligned}$ | $\begin{aligned} & -0.8581478^{* *} \\ & (0.055685) \end{aligned}$ |
| GR Sales Rate (Lag 1) | $\begin{aligned} & 0.0580555^{* *} \\ & (0.0183812) \end{aligned}$ | $\begin{aligned} & 0.0657317^{* *} \\ & (0.02199095) \end{aligned}$ |
| GR Mortgage Rate | $\begin{aligned} & -0.334504^{* *} \\ & (0.0313474) \end{aligned}$ | $\begin{aligned} & -0.307883^{* *} \\ & (0.0312106) \end{aligned}$ |
| GR Employment | $\begin{aligned} & 1.167302^{\star \star} \\ & (0.1244199) \end{aligned}$ | $\begin{aligned} & 1.018177^{* *} \\ & (0.1120497) \end{aligned}$ |

** indicates significance at $5 \%$.

We have experimented with these models using more than a single lag, but qualitatively the results are the same. In levels, the price equation with two lags becomes dynamically stable in the sense that the sum of the lagged price coefficients is less than one. As to causal inference, the sum of the lagged sales coefficients is positive, highly significant, and passes the Granger $F$ test. In the sales rate equation, the sum of the two lagged sales rates is virtually identical to the single coefficient above and the lagged price
levels are again significantly negative (in their sum). Collectively higher lagged prices "Granger cause" a reduction in sales. We have similar conclusions when two lags are used in the differences equations, but in differences, the $2^{\text {nd }}$ lag is always insignificant.

As a final test, we investigate a relationship between the growth in house prices and the level of the sales rate. In the search theoretic models sales rates determine price levels, but if prices are slow to adjust, the impact of sales might better show up on price changes. Similarly the theories of loss aversion and liquidity constraints relate price changes to sales levels. While the mixing of levels and changes in time series analysis is generally not standard, this combination of variables is also the strong empirical fact shown in Figure 1. In Table 3 price changes are tested for Granger causality against the level of sales (as a rate).

TABLE 3: Sales-Price Mixed VAR

| Differences and Levels | Fixed Effects | E Holtz-Eakin estimator |
| :---: | :---: | :---: |
| GR Real Price (Dependent Variable) |  |  |
| Constant | $\begin{aligned} & -6.61475^{* *} \\ & (0.3452743) \end{aligned}$ | $\begin{aligned} & -1.431187^{*} \\ & (0.2550279) \end{aligned}$ |
| GR Real Price (lag 1) | $\begin{aligned} & 0.5999102^{* *} \\ & (0.0155003) \end{aligned}$ | $\begin{aligned} & 0.749431^{* *} \\ & (0.0141281) \end{aligned}$ |
| Sales Rate (lag 1) | $\begin{aligned} & 1.402352^{* *} \\ & (0.0736645) \end{aligned}$ | $\begin{aligned} & 0.2721678^{* *} \\ & (0.0547548) \end{aligned}$ |
| GR Mortgage Rate | $\begin{aligned} & -0.1267573^{* *} \\ & (0.0092715) \end{aligned}$ | $\begin{aligned} & -0.0860948^{* *} \\ & (0.0095884) \end{aligned}$ |
| GR Employment | $\begin{aligned} & 0.5059503^{* *} \\ & (0.0343458) \end{aligned}$ | $\begin{aligned} & 0.3678023^{* *} \\ & (0.0332065) \end{aligned}$ |
| Sales Rate <br> (Dependent Variable) |  |  |
| Constant | $\begin{aligned} & -0.0348229 \\ & (0.0538078) \end{aligned}$ | $\begin{aligned} & 0.0358686 \\ & (0.0026831) \end{aligned}$ |
| GR House Price (lag 1) | $\begin{aligned} & -0.0334235^{\star \star} \\ & (0.0024156) \end{aligned}$ | $\begin{aligned} & -0.0370619^{* *} \\ & (0.0026831) \end{aligned}$ |
| Sales Rate (lag 1) | $\begin{aligned} & 1.011515^{\star} \\ & (0.0114799) \end{aligned}$ | $\begin{aligned} & 1.000989 * \star \\ & (0.0079533) \end{aligned}$ |
| GR Mortgage Rate | $\begin{aligned} & -0.0162011^{* *} \\ & (0.0014449) \end{aligned}$ | $\begin{aligned} & -0.0151343^{* *} \\ & (0.0014294) \end{aligned}$ |
| GR Employment | $\begin{aligned} & 0.0494462^{* *} \\ & (0.0053525) \end{aligned}$ | $\begin{aligned} & 0.043442^{* *} \\ & (0.0049388) \end{aligned}$ |

[^5]In terms of causality, these results are no different than the models estimated either in all levels or all differences. One year after an increase in the level of sales, the growth in house prices accelerates. Similarly, one year after house price growth accelerates the level of home sales falls (rather than rises). All conditioning variables are significant and correctly signed and lagged dependent variables have coefficients less than one.

## VI. Tests of Robustness.

In panel models it is always a good idea to provide some additional tests of the robustness of results, usually by dividing up either the cross section or time series of the panel into subsets and examining these results as well. Here we perform both tests. First we divide the MSA markets into two groups: so-called "coastal" cities that border either ocean, and "interior" cities that do not. There are 31 markets in the former group and 70 in the latter. The coastal cities are often felt to be those with strong price trends and possibly different market supply behavior. These results are in Table 4. The second test is to divide the sample up by year - in this case we estimate separate models for 1980-1992 and 1993-2006. The year 1992 generally marks the bottom of the housing market from the 1990 recession. These results are depicted in Table 5. Both experiments use just the differences model that seems to provide the strongest results from the previous section.

TABLE 4: Geographic Sub Panels

|  | Fixed Effects |  | E Holtz-Eakin estimator |  |
| :--- | :--- | :--- | :--- | :--- |
|  | Coastal MSA | Interior MSA | Coastal MSA | Interior MSA |
| GR Real Price |  |  |  |  |
| (Dependent |  |  |  |  |
| Variable) |  | $-0.274607^{\star \star}$ | -0.543562 | $-.338799^{\star \star}$ |
| Constant | -0.6026028 | $(0.1132241)$ | $(0.3332429)$ | .1054476 |
|  | $(0.2974425)$ | $0.7731355^{\star \star}$ | $0.855731^{\star \star}$ | $.7834749^{\star \star}$ |
| GR Real Price | $0.7661637^{\star \star}$ | $(0.0178884)$ | $(0.0351039)$ | .0171874 |
| (Lag 1) | $(0.0255794)$ | $0.0608857^{\star \star}$ | $.0094349^{\star}$ | $0.3475212^{\star \star}$ |
| GR Sales Rate | $(0.0141261)$ | $(0.0054047)$ | $(0.0573584)$ | $.0799289^{\star \star}$ |
| (Lag 1) | $-.0866954^{\star \star}$ | $-0.112101^{\star \star}$ | .0198759 |  |
| GR Mortgage Rate | $-0.106036^{\star \star}$ | $-.0776626^{\star \star}$ |  |  |
|  | $(0.023653)$ | $(0.0092136)$ | $(0.0278593)$ | .008816 |
| GR Employment | $0.5717489^{\star \star}$ | $.1978858^{\star \star}$ | -0.0434497 | $.1617733^{\star \star}$ |
|  | $(0.0978548)$ | $(0.0359637)$ | $(0.153556)$ | .0381004 |


|  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| GR Sales Rate <br> (Dependent <br> Variable) |  |  |  |  |
| Constant | $2.098906^{\star \star}$ | $0.0396938^{\star \star}$ | $3.03388^{* *}$ | $0.8084169^{\star}$ |
|  | $(0.7412813)$ | $(0.4541917)$ | $(0.7426378)$ | $(0.4261651)$ |
| GR Real Price | $-0.8320889^{* \star}$ | $-0.5447358^{\star \star}$ | $-0.9763902^{\star \star}$ | $-0.8519448^{\star \star}$ |
| (Lag1) | $(0.0637485)$ | $(0.0637485)$ | $(0.0798291)$ | $(0.0919725)$ |
| GR Sales Rate | -0.0004387 | $0.0770193^{\star \star}$ | -0.0350817 | $0.1111637^{\star \star}$ |
| (Lag 1) | $(0.0352049)$ | $(0.0216808)$ | $(0.0402424)$ | $(0.0251712)$ |
| GR Mortgage Rate | $-0.2536587^{\star \star}$ | $-0.3772017^{\star \star}$ | $-0.2390963^{\star \star}$ | $-0.3323406^{\star \star}$ |
|  | $(0.0589476)$ | $(0.0369599)$ | $(0.0595762)$ | $(0.036746)$ |
| GR Employment | $1.265286^{\star \star}$ | $1.172214^{\star \star}$ | $1.102051^{\star \star}$ | $1.03251^{\star \star}$ |
|  | $(0.2438722)$ | $(0.1442662)$ | $(0.2223687)$ | $(0.1293764)$ |

Note:
a) *- 10 percent significance. ${ }^{* *}$ - 5 percent significance.
b) MSAs denoted coastal are MSAs near the East or West Coast (see Appendix I).
c) MSAs denoted interior are MSAs that are not located at the East or West Coast.

In Table 6, the results of Table 4 hold up remarkably strong when the panel is divided by region. The coefficient of sales rate (growth) on prices is always significant although so-called "costal" cities have larger coefficients. In the equations of price (growth) on sales rates, the coefficients are always significant, and the point estimates are very similar as well. The negative effect of prices on sales rates is completely identical across the regional division of the panel sample. It should be pointed out that all of the instruments are correctly signed and significant as well.

The conclusion is the same when the panel is split into two periods (Table 5). The coefficients of interest are significant and of similar magnitudes across time periods, and all instruments are significant and correctly signed as well. The strong negative impact of prices on sales clearly occurred during 1982-1992 as well as over the more recent period from 1993-2006. With fewer time series observations in each of the (sub) panels in Table 7, the Holtz-Eakin estimates are now sometimes quite different than the OLS results.

TABLE 5: Time Subpanels

|  | Fixed Effects |  | E Holtz-Eakin estimator |  |
| :--- | :--- | :--- | :--- | :--- |
|  | $1982-1992$ | $1993-2006$ | $1982-1992$ | $1993-2006$ |
| GR Real Price <br> (Dependent <br> Variable) |  |  |  |  |
| Constant | $-2.63937^{\star \star}$ | -0.1053808 | $-1.237084^{\star \star}$ | -0.2731544 |


|  | (0.2362837) | (0.1453335) | (0.2879418) | (0.1943765) |
| :---: | :---: | :---: | :---: | :---: |
| GR Real Price (Lag 1) | $\begin{aligned} & 0.5521216^{* *} \\ & (0.0271404) \end{aligned}$ | $\begin{aligned} & 0.9364014^{* *} \\ & (0.0183638) \end{aligned}$ | $\begin{aligned} & 0.6752733^{* *} \\ & (0.0257512) \end{aligned}$ | $\begin{aligned} & 0.9629539^{* *} \\ & (0.0196925) \end{aligned}$ |
| GR Sales Rate (Lag 1) | $\begin{aligned} & 0.0194498^{\star *} \\ & (0.0073275) \end{aligned}$ | $\begin{aligned} & 0.0363384^{* *} \\ & (0.0097935) \end{aligned}$ | $\begin{aligned} & \hline 0.1622147^{* *} \\ & (0.0307569) \\ & \hline \end{aligned}$ | $\begin{aligned} & 0.08743622^{* *} \\ & (0.0307703) \end{aligned}$ |
| GR Mortgage Rate | $\begin{aligned} & -0.2315352^{* *} \\ & (0.0193262) \end{aligned}$ | $\begin{aligned} & -0.0707981^{* *} \\ & (0.0116032) \\ & \hline \end{aligned}$ | $\begin{aligned} & -0.1432255^{* *} \\ & (0.0244255) \\ & \hline \end{aligned}$ | $\begin{aligned} & -0.0812995^{\star \star} \\ & (0.0163056) \end{aligned}$ |
| GR Employment | $\begin{aligned} & 0.6241497^{* *} \\ & (0.063533) \\ & \hline \end{aligned}$ | $\begin{aligned} & 0.4310861^{* *} \\ & (0.0501575) \end{aligned}$ | $\begin{aligned} & 0.157348^{*} \\ & (0.0910416) \end{aligned}$ | $\begin{aligned} & 0.3441402^{* *} \\ & (0.0493389) \\ & \hline \end{aligned}$ |
| GR Sales Rate (Dependent Variable) |  |  |  |  |
| Constant | $\begin{aligned} & -6.269503^{\star \star} \\ & (0.9018295) \end{aligned}$ | $\begin{aligned} & \hline 4.398222^{* *} \\ & (0.447546) \\ & \hline \end{aligned}$ | $\begin{aligned} & -4.898023^{\star \star} \\ & (0.8935038) \\ & \hline \end{aligned}$ | $\begin{aligned} & 3.00473^{* *} \\ & (0.4587499) \\ & \hline \end{aligned}$ |
| GR Real Price (Lag1) | $\begin{aligned} & -0.8795382^{\star *} \\ & (0.1035874) \end{aligned}$ | $\begin{aligned} & -0.5704616^{* *} \\ & (0.0565504) \end{aligned}$ | $\begin{aligned} & -1.080492^{* *} \\ & (0.1243784) \end{aligned}$ | $\begin{aligned} & -0.4387881^{* *} \\ & (0.066557) \end{aligned}$ |
| GR Sales Rate (Lag 1) | $\begin{aligned} & 0.0056823 \\ & (0.027967) \end{aligned}$ | $\begin{aligned} & -0.025242 \\ & (0.0301586) \end{aligned}$ | $\begin{aligned} & -0.0035275 \\ & (0.0350098) \\ & \hline \end{aligned}$ | $\begin{aligned} & 0.066557 \\ & (0.029539) \\ & \hline \end{aligned}$ |
| GR Mortgage Rate | $\begin{aligned} & -0.5636095^{* *} \\ & (0.0737626) \\ & \hline \end{aligned}$ | $\begin{aligned} & -0.1934848^{\star \star} \\ & (0.0357313) \\ & \hline \end{aligned}$ | $\begin{aligned} & -0.550748^{\star *} \\ & (0.0819038) \\ & \hline \end{aligned}$ | $\begin{aligned} & -0.2720118^{* *} \\ & (0.0420076) \\ & \hline \end{aligned}$ |
| GR Employment | $\begin{aligned} & 2.608423^{* *} \\ & (0.2424878) \\ & \hline \end{aligned}$ | $\begin{aligned} & 0.4856197^{\star \star} \\ & (0.154457) \\ & \hline \end{aligned}$ | $\begin{array}{\|l\|} \hline 2.026295^{* *} \\ (0.2237316) \\ \hline \end{array}$ | $\begin{aligned} & 0.7631351^{* *} \\ & (0.1325586) \end{aligned}$ |

Note:
a) Column labeled under 1982-1992 refer to the results using observations that span those years..
b) Coiumn labeled under 1993-2006 refer to the results using observations that span those years.

## VII. Conclusions

We have shown that the causal relationship from prices-to-sales is actually negative - rather than positive. Our empirics are quite strong. As an explanation, we have argued that actual flows in the housing market are remarkably large between tenure groups - and that a negative price-to-sales relationship makes sense as a reflection of these inter-tenure flows. Higher prices lead more households to choose renting than owning and these flows decrease SALES. Higher prices also increase LISTS and so the inventory grows. When prices are low, entrants exceed exits into ownership, SALES increase, LISTS decline as does the inventory.

Our empirical analysis also overwhelmingly supports the positive sales-to-price relationship that emerges from search-based models of housing churn. Here, a high sales/inventory ratio causes higher prices and a low ratio generates lower prices. Thus we
arrived at a more complete description of the housing market at equilibrium - as shown with the two schedules in Figure 3.

Figure 3 offers a compelling explanation for why in the data, the simple pricesales correlation is so overwhelmingly positive. Over time it must be the "price based sales" schedule that is shifting up and down. Remember that this schedule is derived mainly from the decision to enter or exit the ownership market. Easy credit availability and lower mortgage rates, for example would shift the schedule up (or out). For the same level of housing prices, easier credit increases the rent-to-own flow, decreases the own-to-rent flow, and encourages new households to own. Sales expand and the inventory contracts. The end result of course is a rise in both prices as well as sales. Contracting credit does the reverse. In the post WWII history of US housing, such credit expansions and contractions have indeed tended to dominate housing market fluctuations [Capozza, Hendershott, Mack (2004)].

Figure 3 also is useful for understanding the current turmoil in the housing market. Easy mortgage underwriting from "subprime capital" greatly encouraged expanded homeownership from the mid I990s through 2005 [Wheaton and Nechayev, (2007)]. This generated an outward shift in the price-based-sales schedule. Most recently, rising foreclosures have expanded the rent-to-own flow and shifted the "price based sales" schedule back inward. This has decreased both sales and prices. Preventing foreclosures through credit amelioration theoretically would move the schedule upward again, but so could any countervailing policy of easing mortgage credit. It is interesting to speculate on whether there might be some policy that would shift the "search based pricing" schedule upward. This would restore prices, although it would not increase sales. For example some policy to encourage interest-free bridge loans would certainly make it easier for owners to "churn". Likewise some form of home sales insurance might reduce the risk associated with owning two homes. That said, such policies would seem to be a less direct way of assisting the market versus some stimulus to the "price-based-sales" schedule.

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## APPRENDIX I: Sales, Price Panel Statistics

| Market Code | Market | Average GRRHPI (\%) | Average GREMP (\%) | Average SFSALES RATE | Average GRSALES RATE (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Allentown* | 2.03 | 1.10 | 4.55 | 4.25 |
| 2 | Akron | 1.41 | 1.28 | 4.79 | 4.96 |
| 3 | Albuquerque | 0.59 | 2.79 | 5.86 | 7.82 |
| 4 | Atlanta | 1.22 | 3.18 | 4.31 | 5.47 |
| 5 | Austin | 0.65 | 4.23 | 4.36 | 4.86 |
| 6 | Bakersfield* | 0.68 | 1.91 | 5.40 | 3.53 |
| 7 | Baltimore* | 2.54 | 1.38 | 3.55 | 4.27 |
| 8 | Baton Rouge | -0.73 | 1.77 | 3.73 | 5.26 |
| 9 | Beaumont | -1.03 | 0.20 | 2.75 | 4.76 |
| 10 | Bellingham* | 2.81 | 3.68 | 3.71 | 8.74 |
| 11 | Birmingham | 1.28 | 1.61 | 4.02 | 5.53 |
| 12 | Boulder | 2.43 | 2.54 | 5.23 | 3.45 |
| 13 | Boise City | 0.76 | 3.93 | 5.23 | 6.88 |
| 14 | Boston MA* | 5.02 | 0.95 | 2.68 | 4.12 |
| 15 | Buffalo | 1.18 | 0.71 | 3.79 | 2.71 |
| 16 | Canton | 1.02 | 0.79 | 4.20 | 4.07 |
| 17 | Chicago IL | 2.54 | 1.29 | 4.02 | 6.38 |
| 18 | Charleston | 1.22 | 2.74 | 3.34 | 6.89 |
| 19 | Charlotte | 1.10 | 3.02 | 3.68 | 5.56 |
| 20 | Cincinnati | 1.09 | 1.91 | 4.87 | 4.49 |
| 21 | Cleveland | 1.37 | 0.77 | 3.90 | 4.79 |
| 22 | Columbus | 1.19 | 2.15 | 5.66 | 4.61 |
| 23 | Corpus Christi | -1.15 | 0.71 | 3.42 | 3.88 |
| 24 | Columbia | 0.80 | 2.24 | 3.22 | 5.99 |
| 25 | Colorado Springs | 1.20 | 3.37 | 5.38 | 5.50 |
| 26 | Dallas-Fort WorthArlington | -0.70 | 2.49 | 4.26 | 4.64 |
| 27 | Dayton OH | 1.18 | 0.99 | 4.21 | 4.40 |
| 28 | Daytona Beach | 1.86 | 3.06 | 4.77 | 5.59 |
| 29 | Denver CO | 1.61 | 1.96 | 4.07 | 5.81 |
| 30 | Des Moines | 1.18 | 2.23 | 6.11 | 5.64 |
| 31 | Detroit Ml | 2.45 | 1.42 | 4.16 | 3.76 |
| 32 | Flint | 1.70 | 0.06 | 4.14 | 3.35 |
| 33 | Fort Collins | 2.32 | 3.63 | 5.82 | 6.72 |
| 34 | Fresno CA* | 1.35 | 2.04 | 4.69 | 6.08 |
| 35 | Fort Wayne | 0.06 | 1.76 | 4.16 | 7.73 |
| 36 | Grand Rapids MI | 1.59 | 2.49 | 5.21 | 1.09 |
| 37 | Greensboro NC | 0.96 | 1.92 | 2.95 | 7.22 |


| 38 | Harrisburg PA | 0.56 | 1.69 | 4.24 | 3.45 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 39 | Honolulu | 3.05 | 1.28 | 2.99 | 12.66 |
| 40 | Houston | -1.27 | 1.38 | 3.95 | 4.53 |
| 41 | Indianapolis IN | 0.82 | 2.58 | 4.37 | 6.17 |
| 42 | Jacksonville | 1.42 | 2.96 | 4.60 | 7.23 |
| 43 | Kansas City | 0.70 | 1.66 | 5.35 | 5.17 |
| 44 | Lansing | 1.38 | 1.24 | 4.45 | 1.37 |
| 45 | Lexington | 0.67 | 2.43 | 6.23 | 3.25 |
| 46 | Los Angeles CA* | 3.51 | 0.99 | 2.26 | 5.40 |
| 47 | Louisville | 1.48 | 1.87 | 4.65 | 4.53 |
| 48 | Little Rock | 0.21 | 2.22 | 4.64 | 4.63 |
| 49 | Las Vegas | 1.07 | 6.11 | 5.11 | 8.14 |
| 50 | Memphis | 0.46 | 2.51 | 4.63 | 5.75 |
| 51 | Miami FL | 1.98 | 2.93 | 3.21 | 6.94 |
| 52 | Milwaukee | 1.90 | 1.24 | 2.42 | 5.16 |
| 53 | Minneapolis | 2.16 | 2.20 | 4.39 | 4.35 |
| 54 | Modesto* | 2.81 | 2.76 | 5.54 | 7.04 |
| 55 | Napa* | 4.63 | 3.27 | 4.35 | 5.32 |
| 56 | Nashville | 1.31 | 2.78 | 4.44 | 6.38 |
| 57 | New York* | 4.61 | 0.72 | 2.34 | 1.96 |
| 58 | New Orleans | 0.06 | 0.52 | 2.94 | 4.80 |
| 59 | Ogden | 0.67 | 3.25 | 4.22 | 6.08 |
| 60 | Oklahoma City | -1.21 | 0.95 | 5.17 | 3.66 |
| 61 | Omaha | 0.65 | 2.03 | 4.99 | 4.35 |
| 62 | Orlando | 0.88 | 5.21 | 5.30 | 6.33 |
| 63 | Ventura* | 3.95 | 2.61 | 4.19 | 5.83 |
| 64 | Peoria | 0.38 | 1.16 | 4.31 | 6.93 |
| 65 | Philadelphia PA* | 2.78 | 1.18 | 3.52 | 2.57 |
| 66 | Phoenix | 1.05 | 4.41 | 4.27 | 7.49 |
| 67 | Pittsburgh | 1.18 | 0.69 | 2.86 | 2.75 |
| 68 | Portland* | 2.52 | 2.61 | 4.17 | 7.05 |
| 69 | Providence* | 4.82 | 0.96 | 2.83 | 4.71 |
| 70 | Port St. Lucie | 1.63 | 3.59 | 5.60 | 7.18 |
| 71 | Raleigh NC | 1.15 | 3.91 | 4.06 | 5.42 |
| 72 | Reno | 1.55 | 2.94 | 3.94 | 8.60 |
| 73 | Richmond | 1.31 | 2.04 | 4.71 | 3.60 |
| 74 | Riverside* | 2.46 | 4.55 | 6.29 | 5.80 |
| 75 | Rochester | 0.61 | 0.80 | 5.16 | 1.01 |
| 76 | Santa Rosa* | 4.19 | 3.06 | 4.90 | 2.80 |
| 77 | Sacramento* | 3.02 | 3.32 | 5.51 | 4.94 |
| 78 | San Francisco CA* | 4.23 | 1.09 | 2.61 | 4.73 |


| 79 | Salinas* | 4.81 | 1.55 | 3.95 | 5.47 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 80 | San Antonio | -1.03 | 2.45 | 3.70 | 5.52 |
| 81 | Sarasota | 2.29 | 4.25 | 4.69 | 7.30 |
| 82 | Santa Barbara* | 4.29 | 1.42 | 3.16 | 4.27 |
| 83 | Santa Cruz* | 4.34 | 2.60 | 3.19 | 3.24 |
| 84 | San Diego* | 4.13 | 2.96 | 3.62 | 5.45 |
| 85 | Seattle* | 2.97 | 2.65 | 2.95 | 8.10 |
| 86 | San Jose* | 4.34 | 1.20 | 2.85 | 4.55 |
| 87 | Salt Lake City | 1.39 | 3.12 | 3.45 | 5.72 |
| 88 | St. Louis | 1.48 | 1.40 | 4.55 | 4.82 |
| 89 | San Luis Obispo* | 4.18 | 3.32 | 5.49 | 4.27 |
| 90 | Spokane* | 1.52 | 2.28 | 2.81 | 9.04 |
| 91 | Stamford* | 3.64 | 0.60 | 3.14 | 4.80 |
| 92 | Stockton* | 2.91 | 2.42 | 5.59 | 5.99 |
| 93 | Tampa | 1.45 | 3.48 | 3.64 | 5.61 |
| 94 | Toledo | 0.65 | 1.18 | 4.18 | 5.18 |
| 95 | Tucson | 1.50 | 2.96 | 3.32 | 8.03 |
| 96 | Tulsa | -0.96 | 1.00 | 4.66 | 4.33 |
| 97 | Vallejo CA* | 3.48 | 2.87 | 5.24 | 5.41 |
| 98 | Washington DC* | 3.01 | 2.54 | 4.47 | 3.26 |
| 99 | Wichita | -0.47 | 1.43 | 5.01 | 4.39 |
| 100 | Winston | 0.73 | 1.98 | 2.92 | 5.51 |
| 101 | Worcester* | 4.40 | 1.13 | 4.18 | 5.77 |

Notes: Table provides the average real price appreciation over the 25 years, average job growth rate, average sales rate, and growth in sales rate.

* Denotes "Costal city" in robustness tests.


## APPENDIX II

Let $\Delta p_{T}=\left[\Delta P_{1 T}, \ldots ., \Delta P_{N T}\right]^{\prime}$ and $\Delta s_{T}=\left[\Delta S_{I T} \ldots \ldots, \Delta S_{N T}\right]^{\prime}$, where $N$ is the number of markets. Let $W_{T}=\left[e, \Delta p_{T-1}, \Delta s_{T-1}, \Delta X_{t, T}\right]$ be the vector of right hand side variables, where $e$ is a vector of ones. Let $V_{T}=\left[\varepsilon_{1 T}, \ldots, \varepsilon_{N T}\right]$ be the $N \times 1$ vector of transformed disturbance terms. Let $B=\left[\alpha_{0}, \alpha_{1}, \alpha_{2}, \beta_{1}, \delta_{1}\right]$ ' be the vector of coefficients for the equation.

Therefore,

$$
\begin{equation*}
\Delta p_{T}=W_{T} B+V_{T} \tag{1}
\end{equation*}
$$

Combining all the observations for each time period into a stack of equations, we have,

$$
\begin{equation*}
\Delta p=W B+V . \tag{2}
\end{equation*}
$$

The matrix of variables that qualify for instrumental variables in period $T$ will be $Z_{T}=\left[e, \Delta p_{T-2}, \Delta s_{T-2}, \Delta X_{, T}\right]$,
which changes with $T$.
To estimate $B$, we premultiply (2) by $Z$ ' to obtain
$Z^{\prime} \Delta p=Z^{\prime} W B+Z^{\prime} V$.
We then form a consistent instrumental variables estimator by applying GLS to equation (4), where the covariance matrix $\Omega=E\left\{Z^{\prime} V V^{\prime} Z\right\} . \Omega$ is not known and has to be estimated. We estimate (4) for each time period and form the vector of residuals for each period and form a consistent estimator, $\widetilde{\Omega}$, for $\Omega . \widetilde{B}$, the GLS estimator of the parameter vetor, is hence:
$\widetilde{B}=\left[W^{\prime} Z(\widetilde{\Omega})^{-1} Z^{\prime} W\right]^{-1} W^{\prime} Z(\widetilde{\Omega})^{-1} Z^{\prime} \Delta p$.
The same procedure applies to the equation wherein Sales $(S)$ are on the LHS.

## APPENDIX III: AHS Data (House Price Data from Census)

| year | 1985 | 1987 | 1989 | 1991 | 1993 | 1995 | 1997 | 1999 | 2001 | 2003 | 2005 | 2007 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| R change | 1051 | 300 | 414 | 265 | 616 | -312 | 116 | -65 | -53 | -181 | 5E5 | 952 |
| 0 change | 481 | 1071 | 1055 | 762 | 710 | 1603 | 1102 | 1459 | 1343 | 776 | 978 | -221 |
| New Del. | 10725 | 1122.8 | 1025.3 | 837.6 | 1039.4 | 1065.5 | 1116.4 | 1270.4 | 1241.8 | 1386.3 | 1635.9 | 1216.5 |
| Nevio | 537 | 558 | 457 | 473 | 557 | 579 | 409 | 430 | 564 | 501 | 641 | 6.38 |
| New R | 2792 | 2877 | 2751 | 2881 | 2725 | 2959 | 2377 | 2397 | 2445 | 2403 | 2507 | 2686 |
| RR | 7325 | 7438 | 7563 | 7485 | 7184 | 7714 | 7494 | 693.4 | 6497 | 6889 | 7291 | 7152 |
| OR | 1491 | 1448 | 1654 | 1129 | 1143 | 1186 | 1413 | 1309 | 1330 | 1233 | 1273 | 1426 |
| 00 | 1998 | 2049 | 1918 | 1697 | 1769 | 1983 | 2074 | 2478 | 2249 | 2381 | 2913 | 2391 |
| Ro | 2074 | 2256 | 2110 | 1980 | 217 | 2337 | 2208 | 2378 | 2468 | 2305 | 2607 | 2032 |
| 0 Exits | 639 | 295 | -117 | 562 | 881 | 127 | 102 | 40 | 359 | 797 | 997 | 1515 |
| R Exits | 1148 | 1769 | 1881 | 1764 | 1075 | 2120 | 1466 | 1393 | 1360 | 1512 | 508 | 1128 |
| Lists | 5200.5 | 4914.8 | S481.3 | 4225.6 | 4832.4 | 4361.5 | 4705.4 | 5097.4 | 5179.8 | 5797.3 | 6818.9 | 65485 |
| Sales | 4509 | 4863 | 4510 | 4150 | 4508 | 4899 | 4691 | 5286 | 5281 | 5197 | 5161 | 5111 |
| Price <br> Real Median House | 244.1647 | 264.3485 | 270.2479 | 256.9754 | 253.6429 | 253.331 | 258.1007 | 274.0435 | 295.7802 | 322.0829 | 3714579 | 387.985 |
| Price | 145438. 1 | 156215.7 | 158258.4 | 156384.1 | 156575.9 | 159199.3 | 186624.9 | 175750.3 | 183404.1 | 2030625 | 232526.1 | 217900 |


[^0]:    ${ }^{1}$ The growth in stock between 1980-1990-2000 Censuses closely matches summed completions suggesting negligible demolitions over those decades. The same calculation belween 1960 and 1970 however suggests removal of 3 million units.
    ${ }^{2}$ Net second home purchases might be estimated from the product of: the share of total gross home purchases that are second homes (reported by Loan Performance as $15.0 \%$ ) and the share of new homes in total home purchases (Census, $25 \%$ ). This would yield 3-4\% of total transactions or aboul 200,000 units There are no direct counts of the annual change in $2^{\text {nd }}$ home stocks.

[^1]:    ${ }^{3}$ Prior to 1985, the AHS used different definitions of residence, headship and moving, so the surveys are not comparable with the more recent data.

[^2]:    ${ }^{4}$ There have been a few recent attempts test whether the relationship between movements in sales and prices support one, or the other, or both theories described previously. Leung, Laut, and Leong (2002) undertake a time series analysis of Hong Kong Housing and conclude that stronger Granger Causality is found for sales driving prices rather than prices driving sales. Andrew and Meen (2003) examine a UK Macro time series using a VAR model and conclude that transactions respond to shocks more quickly than prices, but do not necessarily "Granger Cause" price responses. Both studies are hampered by limited observations.

[^3]:    ${ }^{5}$ NAR data on the inventory of units for sale is shorter, and available only for only a smaller sample of larger metropolitan areas. Hence we exclude it from the analysis.

[^4]:    ${ }^{6}$ In (3) and (4) the fixed effects are cross-section trends rather than cross section levels as in (1) and (2)

[^5]:    ** indicates significance at $5 \%$

