A 3D cutaway rendering of the ATLAS detector. The central part shows the inner detector with its various layers in yellow, green, and red. This is surrounded by the electromagnetic calorimeter (EMCal) in blue and the hadronic calorimeter in orange. The entire detector is housed within a large, blue, multi-faceted structure. Two small human figures are visible at the bottom left for scale.

Combined Studies of the EM Calorimeter and the Inner Detector in the 2004 ATLAS Combined Test Beam

Robert Froeschl,

On behalf of the ATLAS Collaboration

11th ICATPP, 05/10/2009, Villa Olmo, Como



Outline



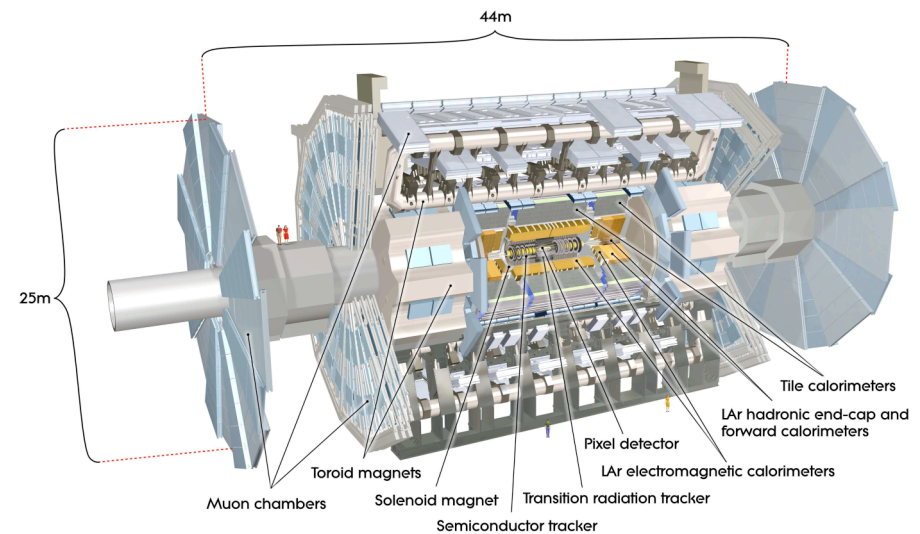
-
- Electron Calibration for the ATLAS electromagnetic calorimeter at the Combined Test Beam (CTB) 2004
 - Intercalibration between the energy scale of the electromagnetic calorimeter and the momentum scale of the Inner Detector
 - Bremsstrahlung recovery using the cluster position in the calorimeter



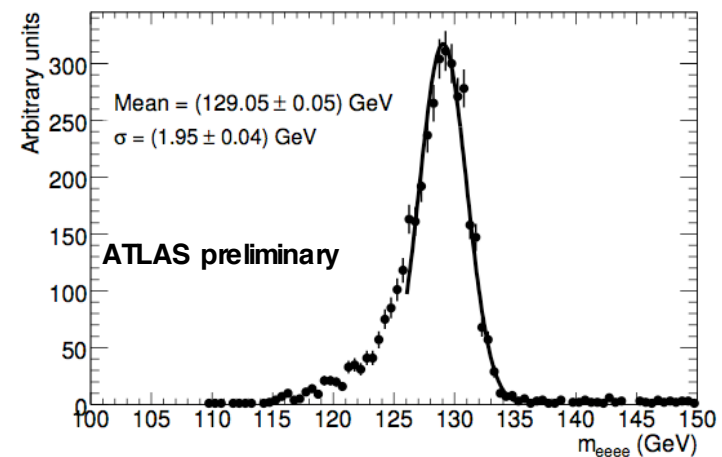
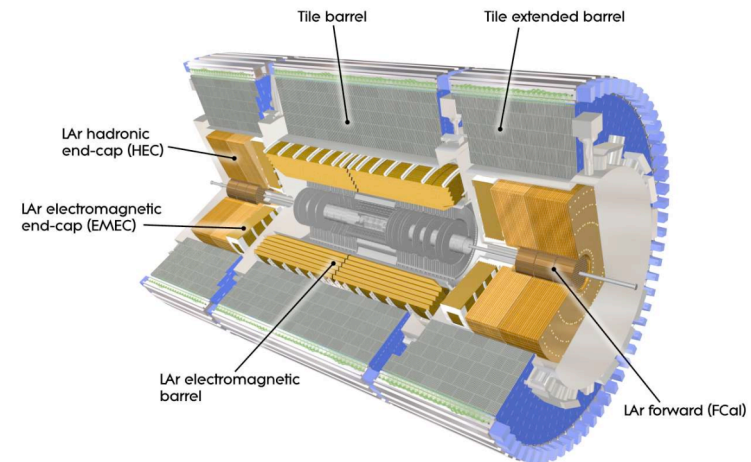
ATLAS



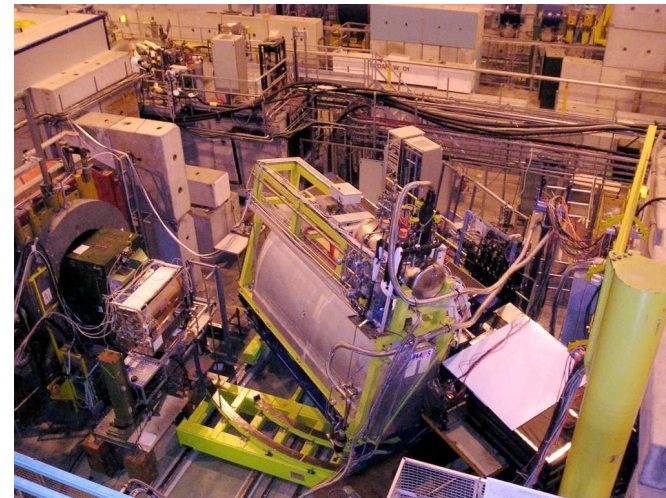
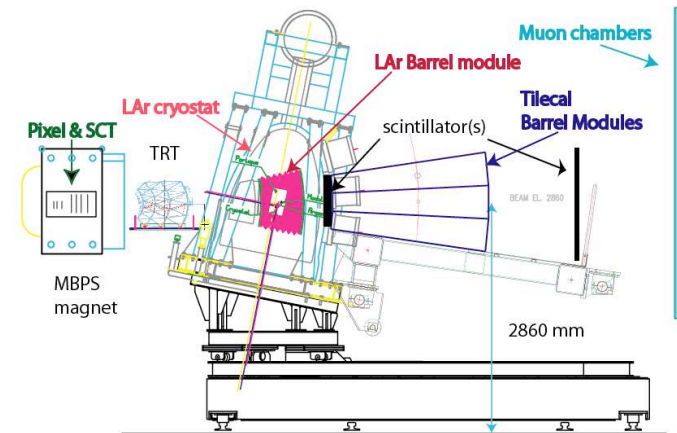
- General purpose experiment at the LHC (Large Hadron Collider at CERN)
- Experiment designed to discover new particles up to several TeV
 - Higgs Boson
 - Supersymmetry
 - Quark substructure
 - ?
- Precision measurements
 - W boson mass
 - Top quark



- Primary task
 - Energy measurement and identification for electrons and photons by absorption
- Lead-Liquid Argon sampling calorimeter
- Accordion geometry
 - Seamless azimuthal coverage
- Three longitudinal layers plus presampler
- Electron energy measurement important for many interesting physics channels
 - $H \rightarrow e^+e^-e^+e^-$



- Complete segment of the barrel part of ATLAS including components from all subdetectors exposed to electrons, pions, photons, muons and protons
- This talk is focused on electrons only

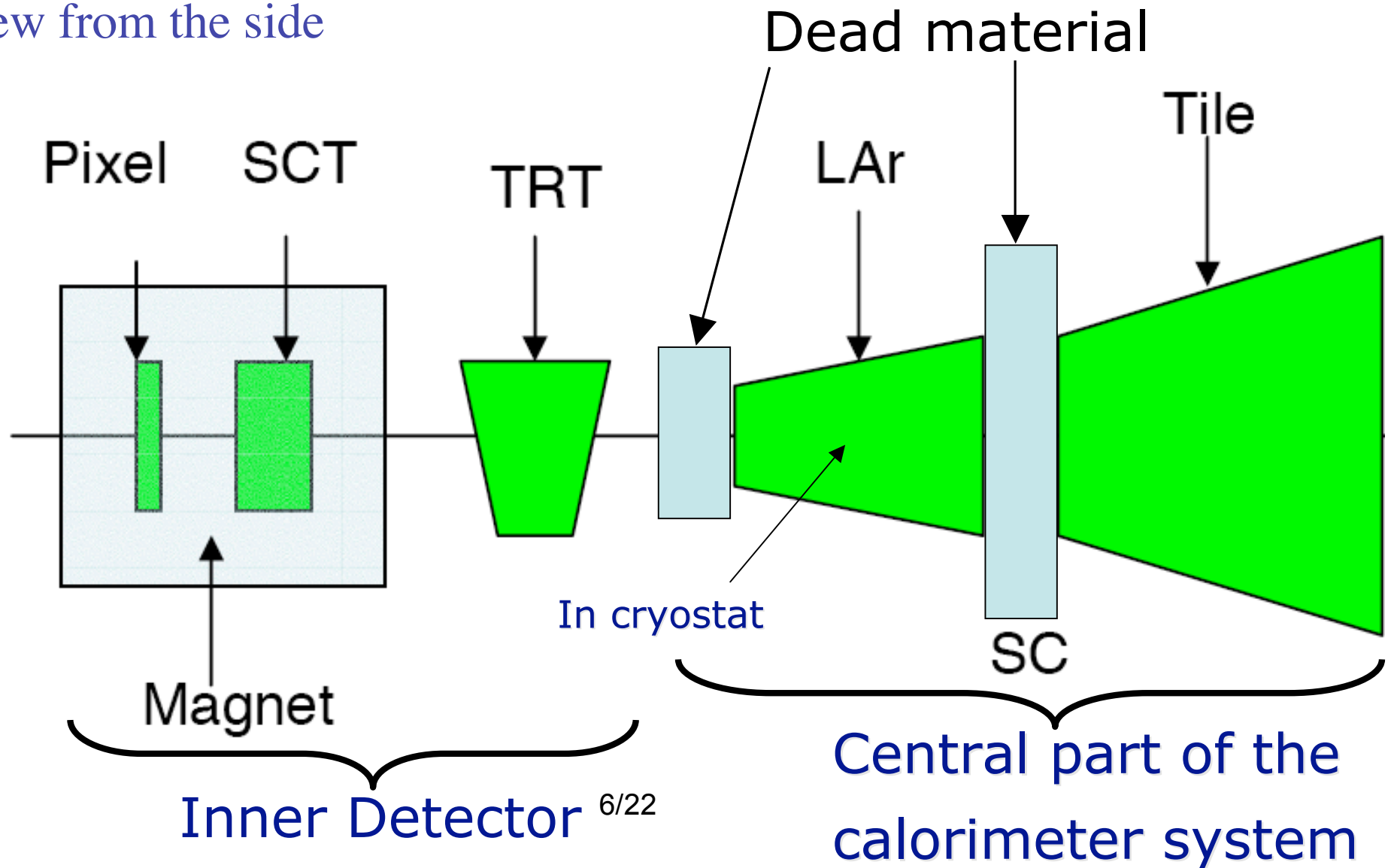




Combined Test Beam 2004 Setup



View from the side

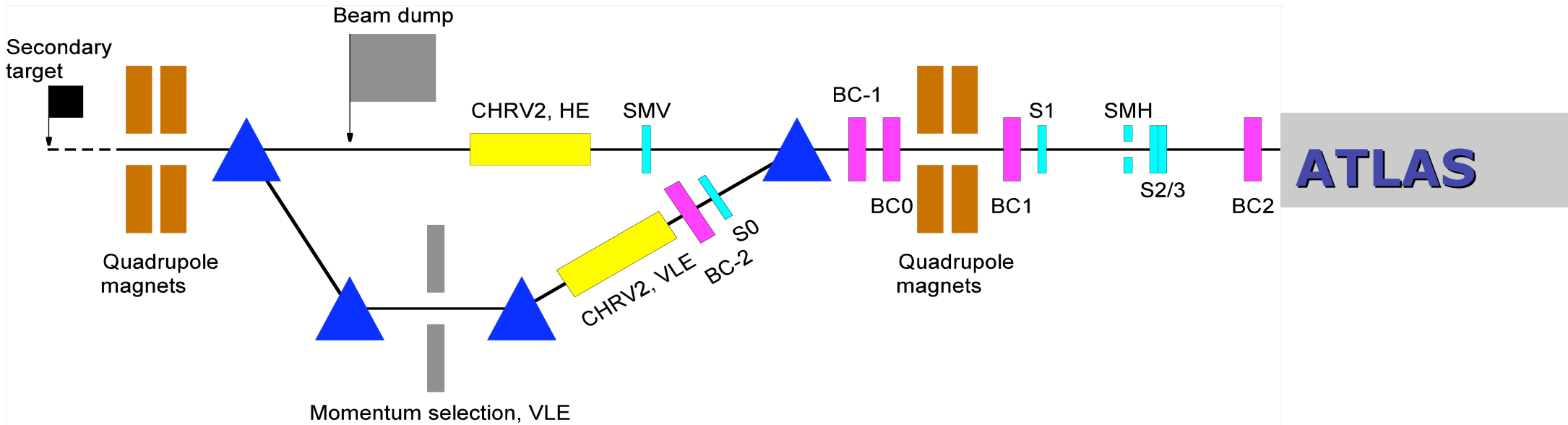




Beam Line of the Combined Test Beam 2004



View from the top





Electron calibration

Calibration Hits Method

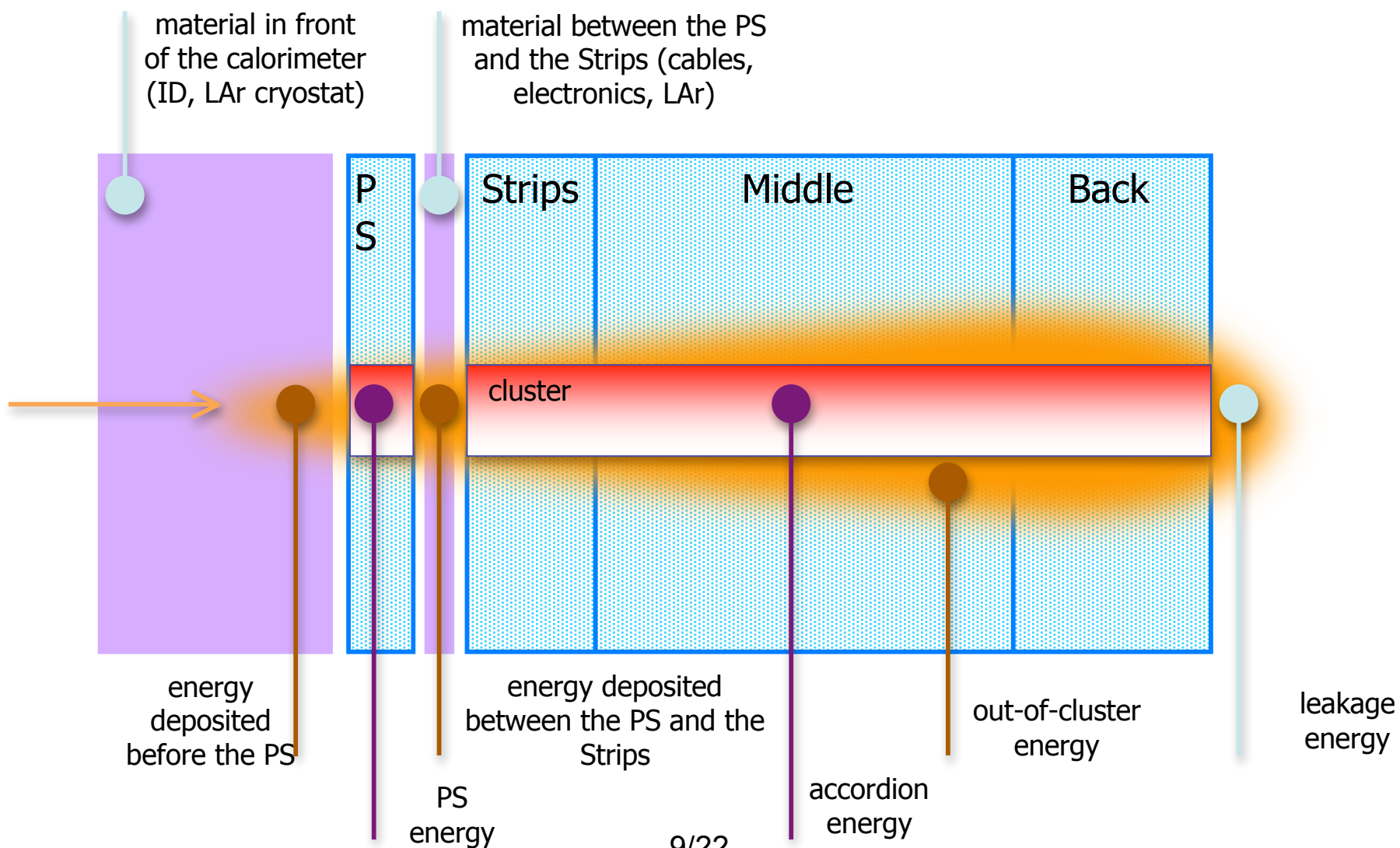


- Parameterizations of all energy deposits (Monte Carlo simulation) by measured quantities
- Apply these parameterizations to data
- Sufficiently good description of the data by the Monte Carlo simulation required
 - Material description of the detector in the Monte Carlo simulation
- Adjust absolute energy scale (correction on the percent level)
 - Known physics process, e.g. Z boson decay
 - Intercalibration with Inner Detector (E/p)



Electron calibration

Calibration Hits Method





Electron calibration

Calibration Hits Method

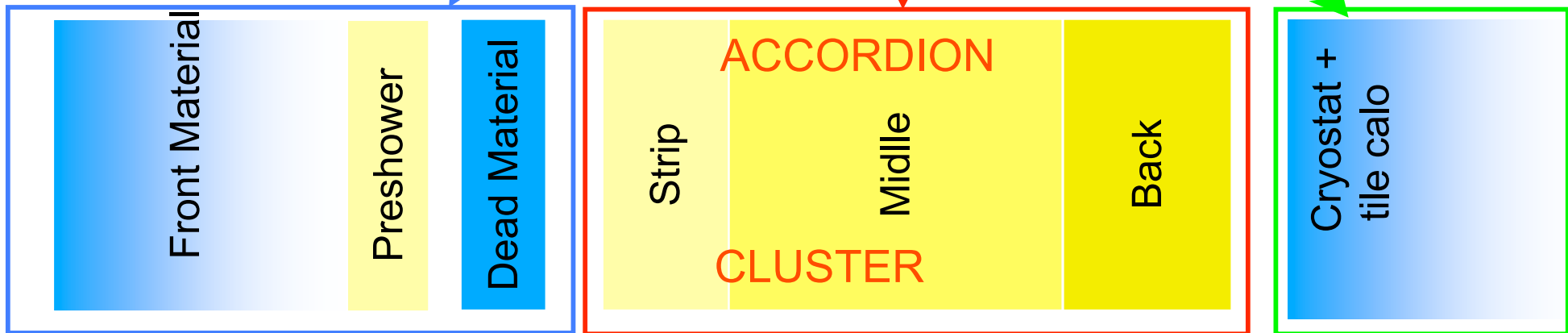


$$E^{reco} = a(E) + b(E)E_{ps}^{cl-LAr} + S_{acc} \left(\sum_{i=1,3} E_i^{cl-LAr} \right) \cdot (1 + f_{leak})$$

E_{PS}^{reco}

E_{acc}^{reco}

E_{leak}^{reco}



Shower
depth

$$X = \frac{\sum_{i=1}^4 E_i^{LAr} X_i}{\sum_{i=1}^4 E_i^{LAr}}$$

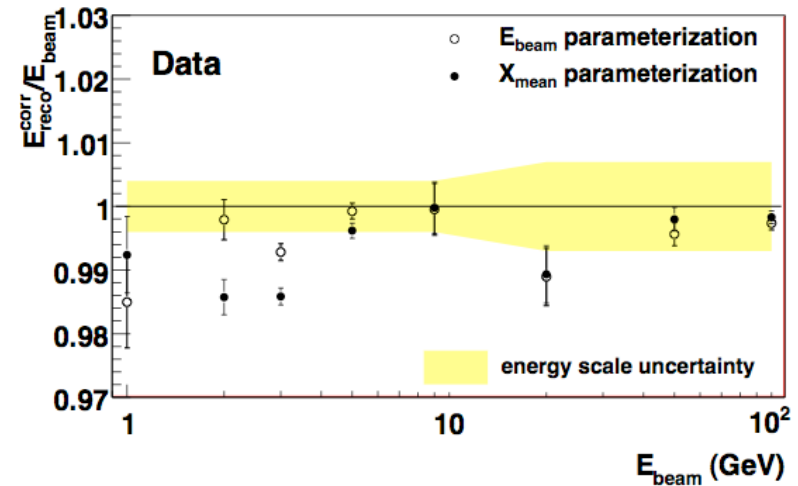
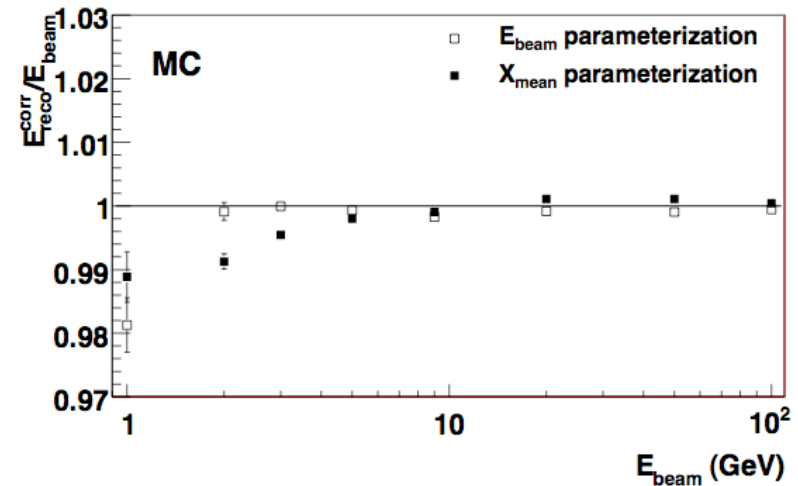


Combined Test Beam 2004

Linearity without magnetic field $\eta=0.45$



- Requirement
 - Linearity 0.5%
 - Linearity 0.02% around Z peak
- Monte Carlo simulation (consistency check)
 - Linearity 0.2% for 5-100 GeV/c
 - Linearity 0.5% for 1-100 GeV/c
- Data after scale adjustment
 - Linearity 0.5% for 1-100 GeV/c
 - Dominated by Data-MC agreement



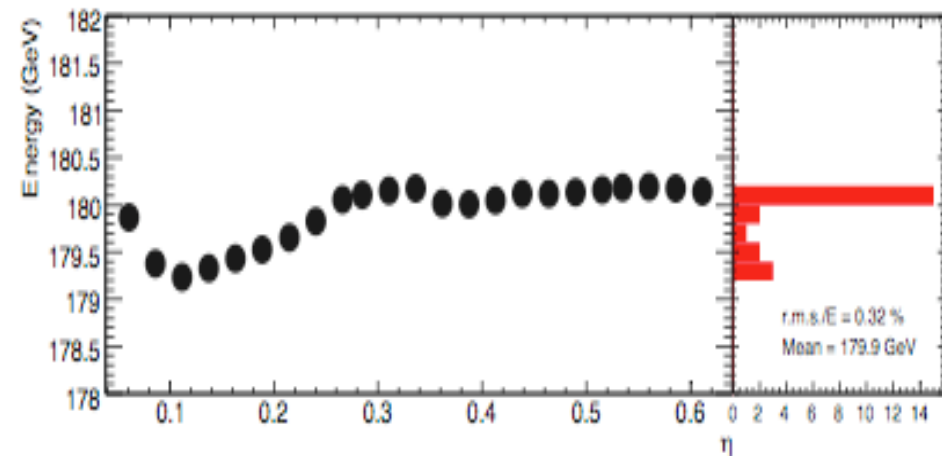


Combined Test Beam 2004

Uniformity without magnetic field



- Uniformity investigated with 180 GeV/c electrons at different η positions at $\varphi=0$ (middle of the module used in the CTB 2004)
- Obtained uniformity is 0.32%



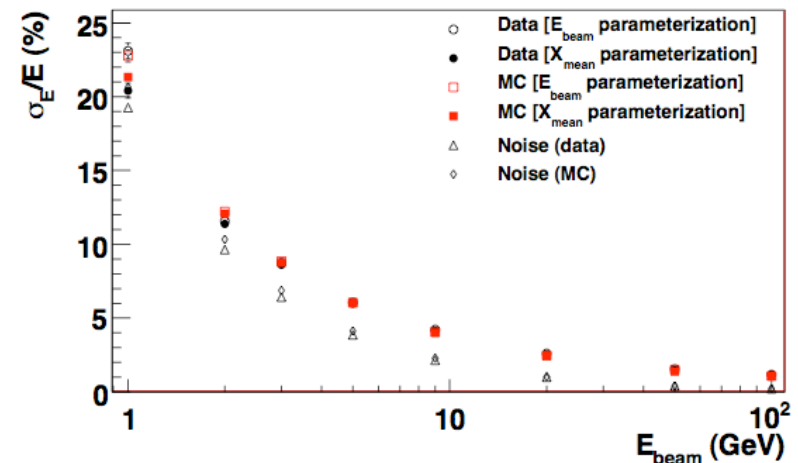


Combined Test Beam 2004

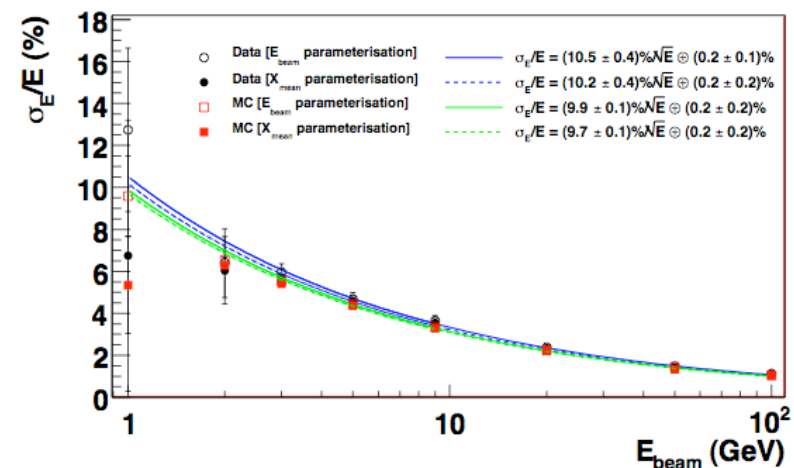
Resolution without magnetic field $\eta=0.45$



- Requirement after noise subtraction (193 MeV)
 - Stochastic term
 - $10\% \text{GeV}^{1/2}/\text{sqrt}(E)$
 - Local constant term
 - 0.2%
- MC simulation for 2-100 GeV/c
 - Stochastic term
 - $(9.7 \pm 0.1)\% \text{GeV}^{1/2}/\text{sqrt}(E)$
 - Local constant term
 - $(0.2 \pm 0.2)\%$
- Data for 2-100 GeV/c
 - Stochastic term
 - $(10.2 \pm 0.4)\% \text{GeV}^{1/2}/\text{sqrt}(E)$
 - Local constant term
 - $(0.2 \pm 0.1)\%$



Noise included



Noise subtracted

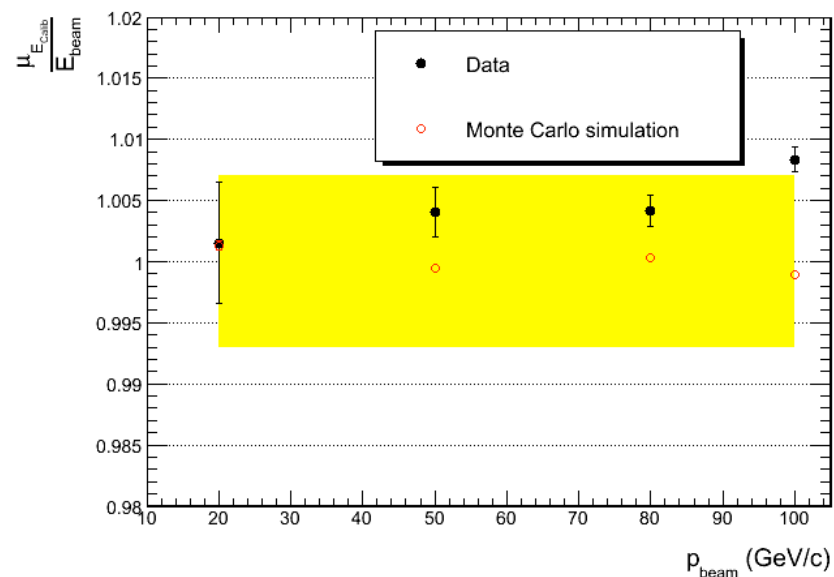


Combined Test Beam 2004

Linearity with magnetic field at $\eta=0.45$



- Requirement
 - Linearity 0.5%
- Monte Carlo simulation (consistency check)
 - Linearity 0.1% for 20-100 GeV/c
- Data after scale adjustment
 - Linearity 0.3% for 20-100 GeV/c



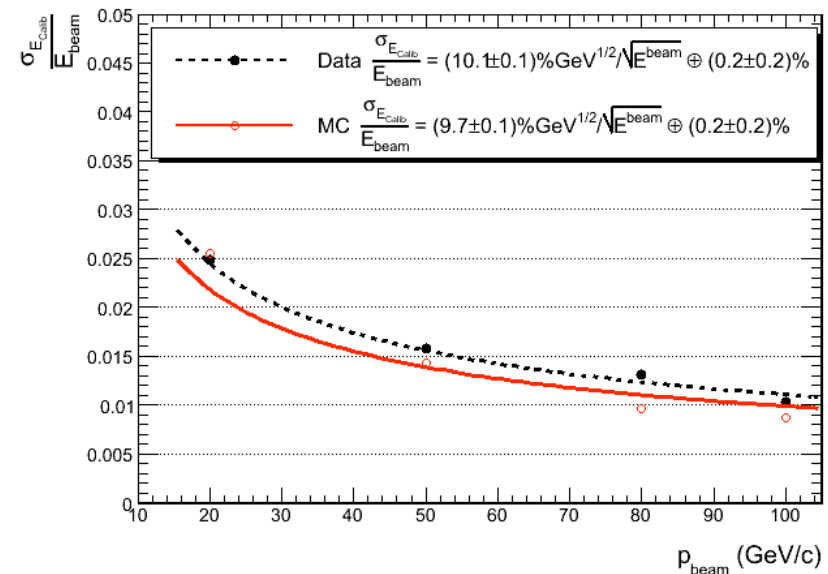


Combined Test Beam 2004



Resolution with magnetic field at $\eta=0.45$

- Requirement after noise subtraction
 - Stochastic term
 - $10\% \text{GeV}^{1/2}/\text{sqrt}(E)$
 - Local constant term
 - 0.2%
- MC simulation for 20-100 GeV/c
 - Resolution too good for $p_{\text{beam}} > 50 \text{ GeV}/c$
 - Stochastic term
 - $(9.7 \pm 0.1)\% \text{GeV}^{1/2}/\text{sqrt}(E)$
- Data for 20-100 GeV/c
 - Stochastic term
 - $(10.1 \pm 0.1)\% \text{GeV}^{1/2}/\text{sqrt}(E)$
 - Local constant term
 - 0.2%





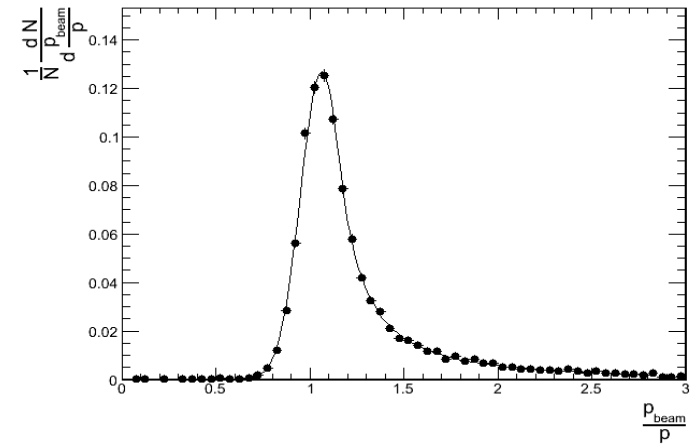
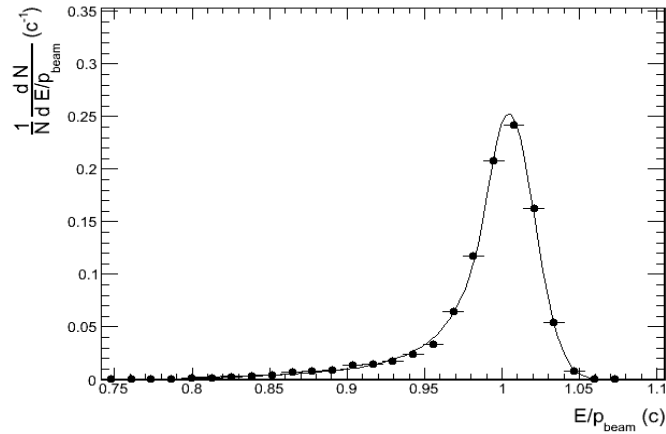
Intercalibration with E/p Procedure



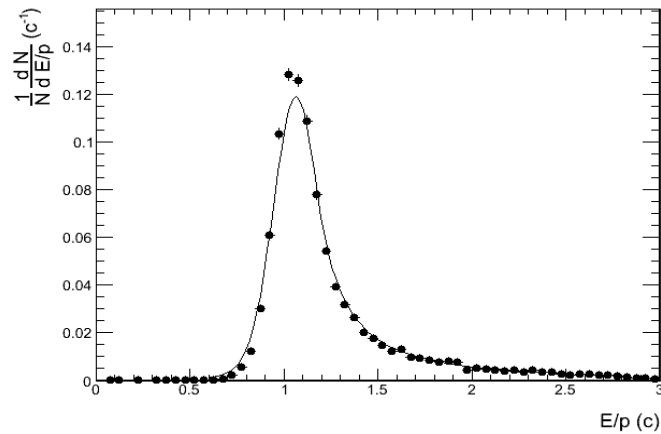
- Consider E/p_{true} and p_{true}/p as random variables
- Parameterize E/p_{true} and p_{true}/p
- Parameterize E/p by an integral of the joint distribution of E/p_{true} and p_{true}/p
 - Factor the joint distribution of E/p_{true} and p_{true}/p (Backup)
 - E/p_{true}
 - p_{true}/p
 - Correlation
- Compute correlation from MC and apply it to data
 - Knowledge of p_{true} necessary
 - Material description important
- Fit E/p model to observed E/p distribution
 - Parameters in E/p model reflect the properties of E/p_{true} and p_{true}/p distributions
- Momentum scale of Inner Detector set by the magnetic field
 - Measured very precisely in-situ for ATLAS
 - Use relative scale between E/p_{true} and p_{true}/p distributions to translate momentum scale into energy scale of the calorimeter



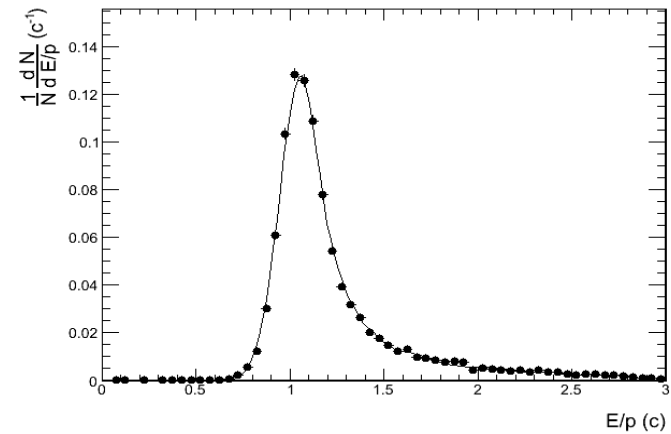
$E/p_{\text{beam}}, p_{\text{beam}}/p$ and E/p without /with correlation for CTB data 50 GeV/c



Without
Correlation



With
Correlation
from MC

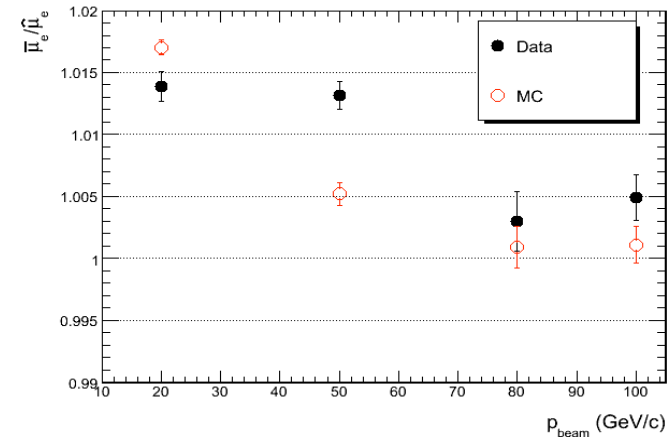




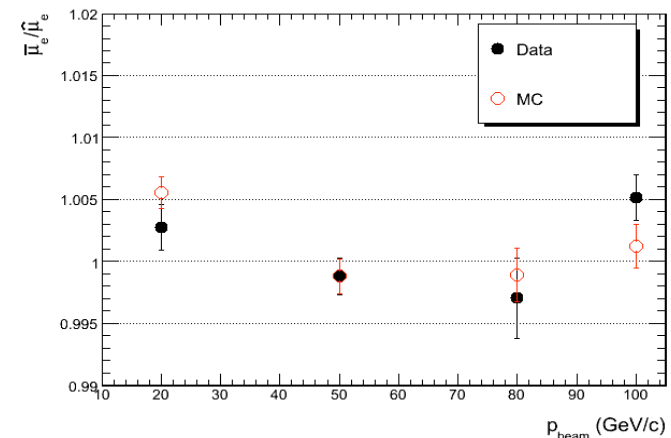
Intercalibration with E/p Combined Test Beam 2004



- Tested described method to extract the relative scale between the inner detector and the LAr calorimeter using E/p with data from the combined test beam
- With correlation btw. E and p relative scale factor can be extracted with a precision better than 0.5%
- Correlation absolutely needed for $p_{\text{beam}} \leq 50 \text{ GeV}/c$
 - This is the most interesting range for $W \rightarrow e\nu$
- Description of the correlation should be more difficult for the CTB 2004 than for ATLAS
 - Material in the beam line
 - Less compact geometry

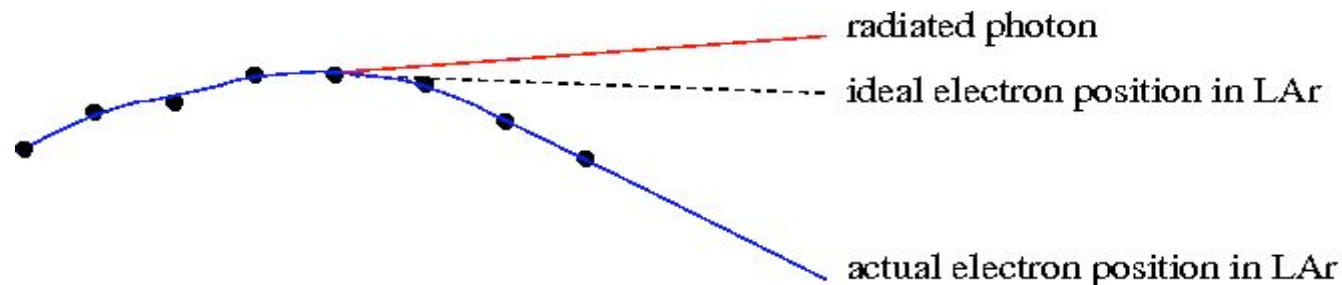


Without
correlation



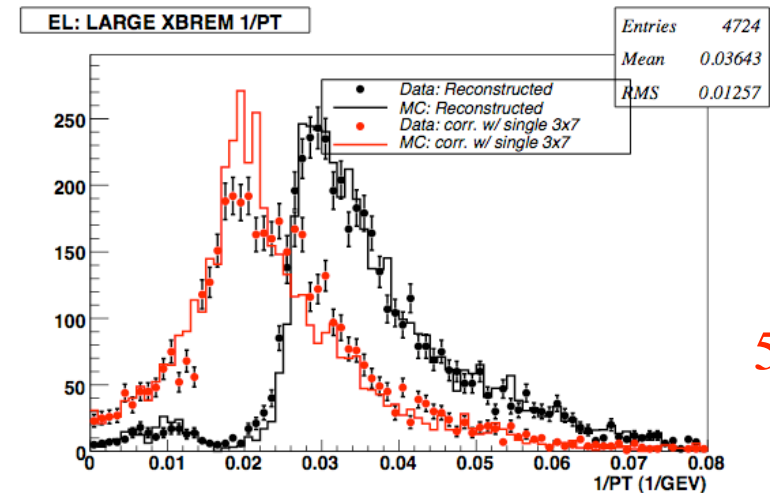
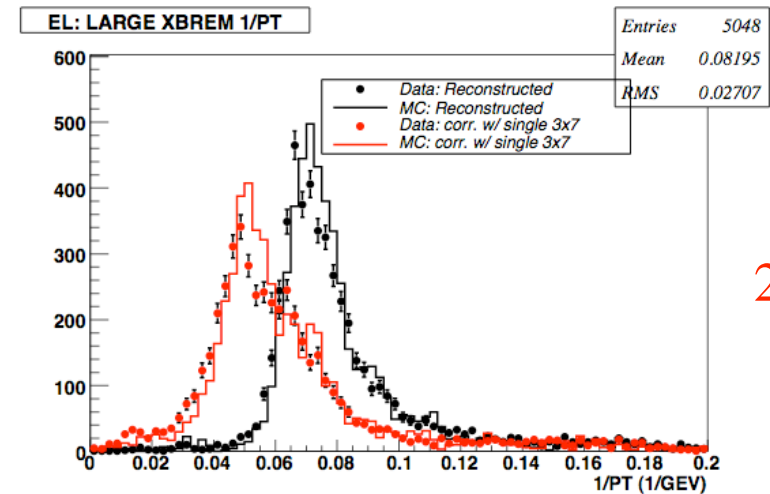
With
correlation
from MC

- Main idea
 - The barycenter of the electron and photon clusters, weighted with the respective transverse energy, should be the same as that of an electron without any bremsstrahlung activity

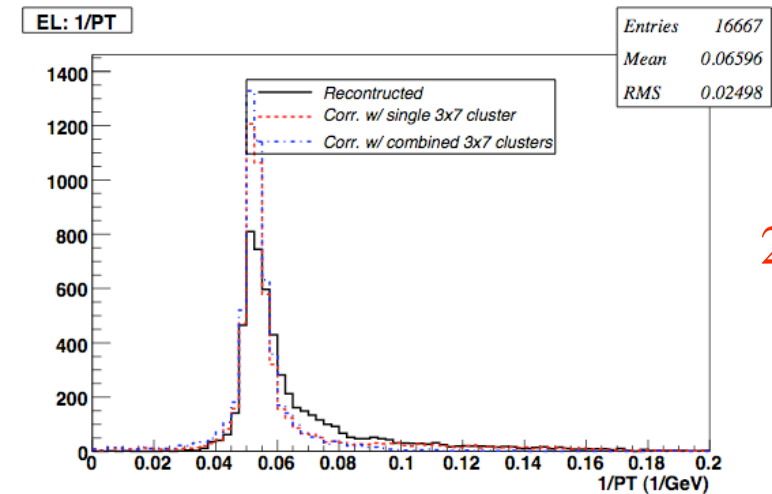


- Implementation
 - Dividing the (Silicon) track into two parts
 - Refitting only the part close to vertex together with the (3x7) LAr cluster position as an ordinary hit.

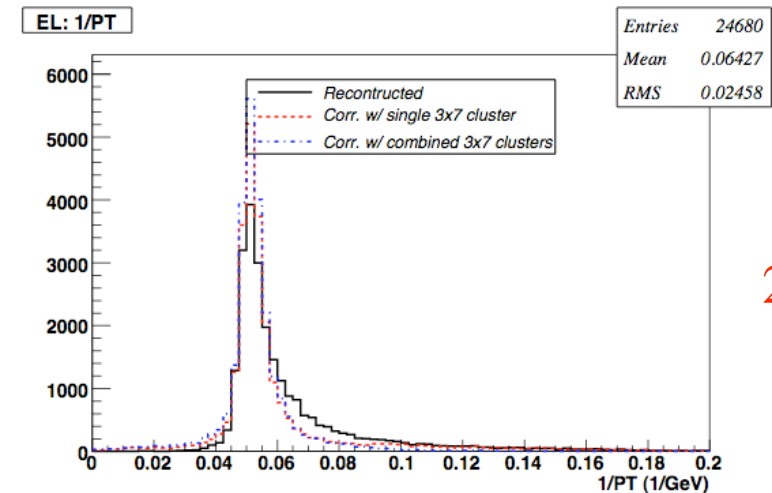
- Amount of Bremsstrahlung activity
 - Xbrem := Phi distance of the cluster to the extrapolation of the track to the calorimeter (Backup)
- Events with large Xbrem
 - > 20 mrad (20 GeV)
 - > 5 mrad (50 GeV)
- Even for events with heavy Bremsstrahlung activity, peak structure and position is recovered



- Significant tail due to Bremsstrahlung
 - Removed by Bremsstrahlung recovery
- Peak structure and position is recovered



MC
20 GeV/c



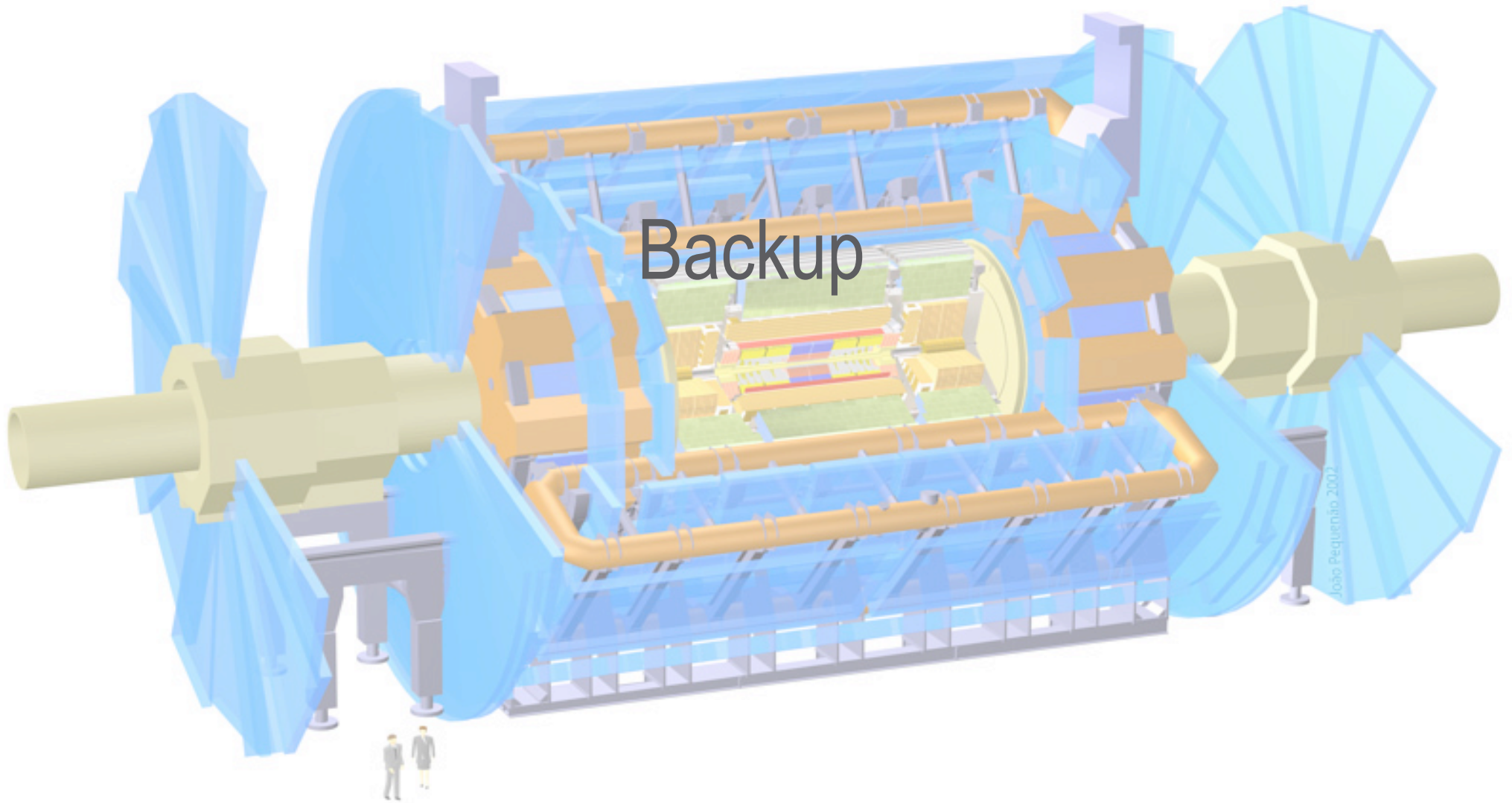
Data
20 GeV/c



Conclusion



-
- Combined Test Beam 2004 showed that the Liquid Argon Barrel ($\eta=0.45$) calorimeter will work **according to the requirements** with **realistic amounts of upstream material** and a **magnetic field**
 - Intercalibration with **E/p validated** at the Combined Test Beam 2004 with an **obtained precision of 5‰**
 - Bremsstrahlung recovery can be used to **recover the initial electron momentum** even for events with heavy Bremsstrahlung activity



Backup

João Pequeno 2002



Modeling of E/p for the CTB 2004



- Random variables

$$e = E/p_{beam}$$

$$q = p_{beam}/p$$

$$r = e \cdot q$$

- Distribution for E/p

$$R(r) = \int_{-\infty}^{\infty} f_{(E,Q)}\left(\frac{r}{w}, w\right) \frac{1}{w} dw$$

$$R(r; \alpha_e, n_e, \mu_e, \sigma_e, \alpha_q, n_q, \mu_q, \sigma_q) =$$

$$\int_{-\infty}^{\infty} E\left(\frac{r}{w}; \alpha_e, n_e, \mu_e, \sigma_e\right) Q(w; \alpha_q, n_q, \mu_q, \sigma_q) C\left(\frac{r}{w}, w\right) \frac{1}{w} dw$$

- Correlation

$$C(e, q) = \frac{f_{(E,Q)}(e, q)}{E(e) Q(q)}$$

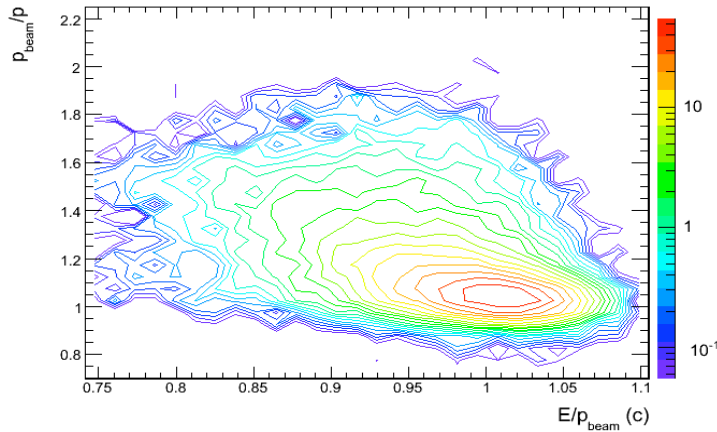
computed bin-wise



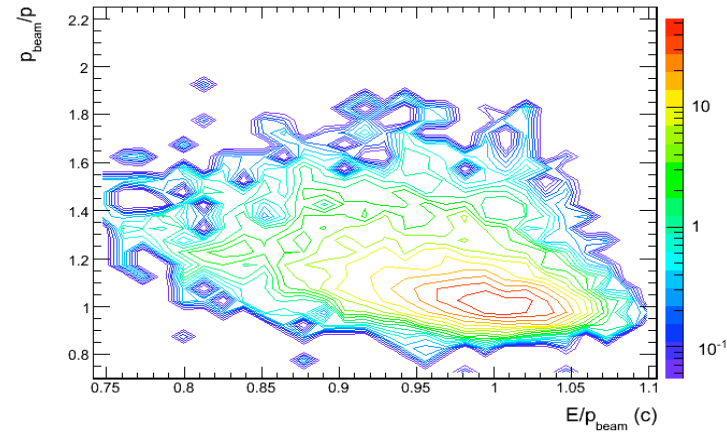
Joint distribution (MC and data) and correlation (MC) for 20 GeV/c



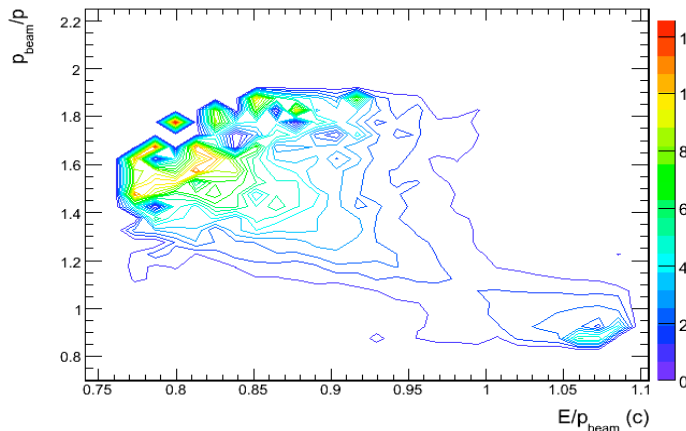
$f_{EQ}(e,q)$
MC



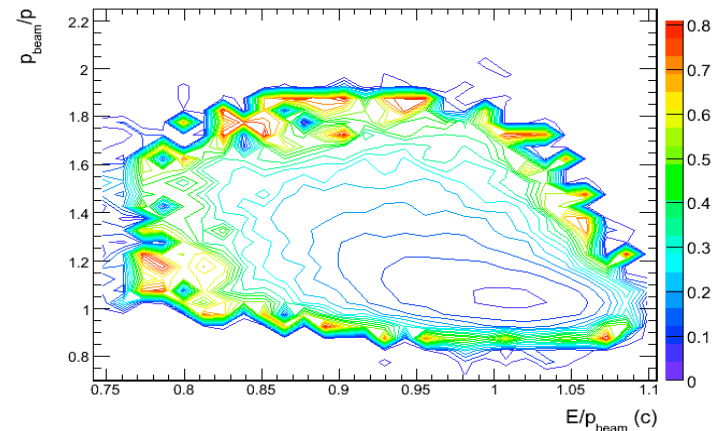
$f_{EQ}(e,q)$
data



$C(e,q)$
MC



$C(e,q)$ MC
relative
error

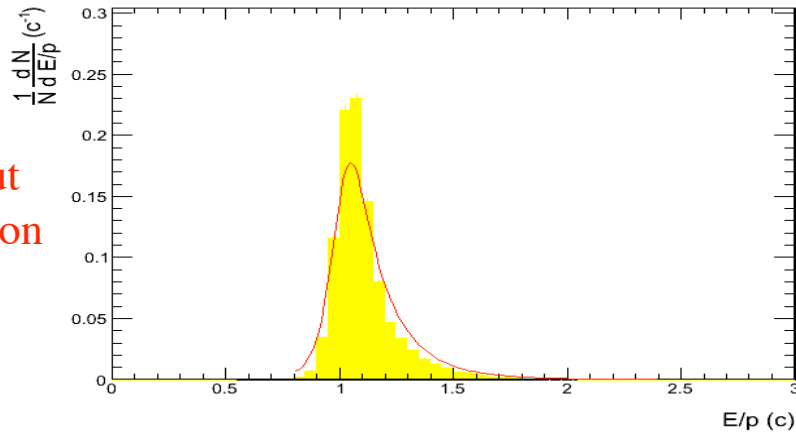




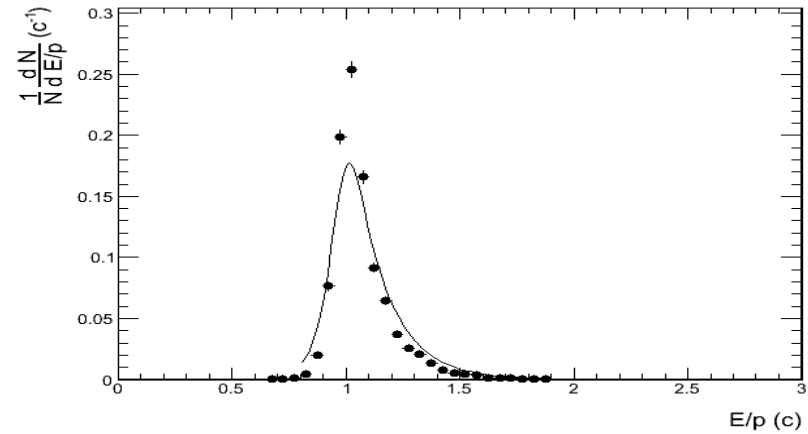
E/p without /with correlation for MC/Data 20 GeV/c



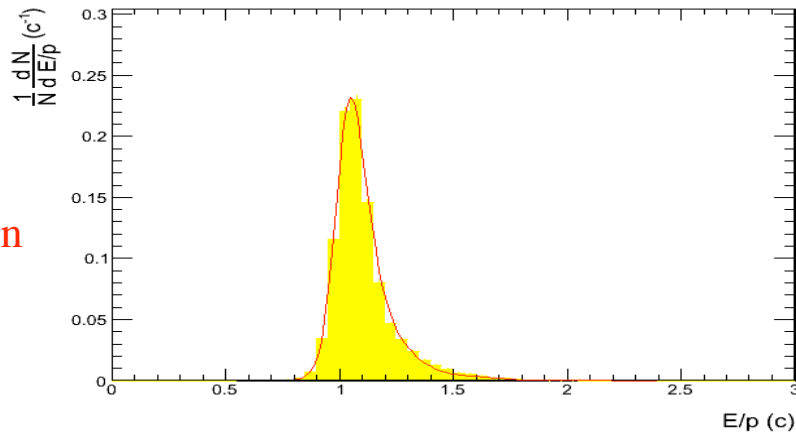
Without
correlation



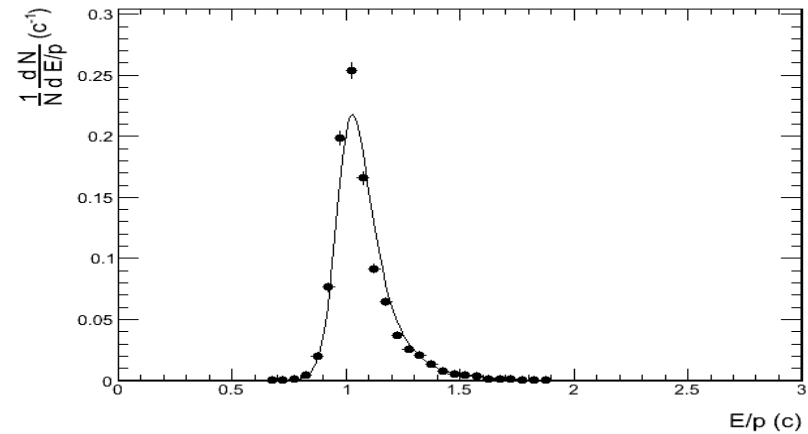
Without
correlation



With
correlation



With
correlation
from MC



- Amount of Bremsstrahlung activity
 - Xbrem := Phi distance of the **cluster** to the **extrapolation of the track to the calorimeter**

