

Semileptonic rare B decays in ATLAS and CMS

Physics at LHC

Cracow, 3-8 July 2006

Antonio Policicchio – Nanni Crosetti

Università della Calabria & INFN



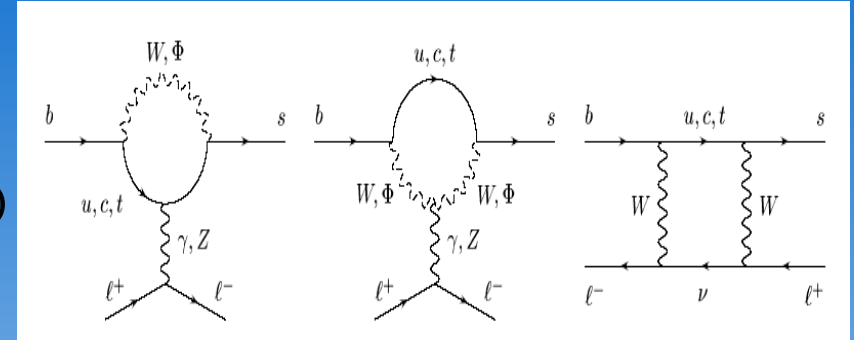
on behalf of ATLAS and CMS collaborations

Outline

- Introduction
- Theoretical remarks
- Semileptonic DiMuon rare decay channels in ATLAS
 - $B^+ \rightarrow K^+ \mu^+ \mu^-$
 - $\Lambda_b \rightarrow \Lambda^0 \mu^+ \mu^-$
 - $B_d \rightarrow K^{0*} \mu^+ \mu^-$
 - $B_s \rightarrow \phi \mu^+ \mu^-$
- Semileptonic DiMuon rare decay channels in CMS: simulation studies not yet started
- Conclusions and Plans

Introduction

- $b \rightarrow s(d) l^+ l^-$ FCNC transitions
 - Forbidden at the tree level, at lowest order occur through 1-loop diagrams (penguin, box)
 - Branching ratio $\sim 10^{-6} \div 10^{-7}$



- Their measurements provide a good test of the SM and indirect search for signals of supersymmetric models (SUSY, two Higgs doublet, etc.)
 - Differential decay rate measurement provide input to determine the magnitude and sign of the Wilson Coefficients C_7, C_9, C_{10}
 - Informations on the long-distance QCD effects
 - Determination of $|V_{ts}|$ and $|V_{td}|$
 - Differential decay rate sensitive to new physics
 - Forward-backward asymmetry
 - Di-lepton invariant mass spectrum

Theoretical remarks (1)

- Effective Hamiltonian for $b \rightarrow s(d) l^+ l^-$ transitions integrating out heavy degrees of freedom

$$H_{eff} = -4 \frac{G_F}{\sqrt{2}} V_{tq}^* V_{tb} \sum_{i=1}^{10} C_i(\mu) O_i(\mu), \quad q=s,d$$

- includes EW contributions and perturbative corrections for Wilson coefficient C_i
- $\mu \sim 5\text{GeV}$ scale parameter separates SD (perturbative) from LD (non-perturbative) contributions
- Free quarks transition amplitude

$$M(b \rightarrow q l^+ l^-) = -G_F \frac{\alpha}{\sqrt{2} \pi} V_{tq}^* V_{tb} \left\{ C_9^{eff} [\bar{q} \gamma_\mu L b] [\bar{l} \gamma^\mu l] + C_{10} [\bar{q} \gamma_\mu L b] [\bar{l} \gamma^\mu \gamma_5 l] - 2 \hat{m}_b C_7^{eff} \left[\bar{q} i \sigma_{\mu\nu} \frac{\hat{q}^\nu}{\hat{s}} R b \right] [\bar{l} \gamma^\mu l] \right\}$$
- FB Asymmetry, di-lepton mass spectrum studied according to parametrization by Wilson coefficients

Theoretical remarks (2)

- SD contributions
 - supersymmetric particles give virtual particles corrections in SM loop processes
 - Wilson coefficient can be calculated perturbatively
 - NLO (SM): A.Buras and M.Munz, PRD 52, 182 (1995)
 - NNLO (SM): C.Bobeth et al, JHEP 0404, 71 (2004)
 - NNLO (MSSM): C.Bobeth et al, NPB 713, 522 (2005)
- LD contributions
 - $O_i(\mu)$ set of basic operators specific for each model (SM, MSSM, etc.)
 - LD contributions are contained in the hadronic matrix elements
 $\langle \text{final hadronic state} | O_i(\mu) | \text{initial hadronic state} \rangle$
described in terms of **form factors**
 - Non-perturbative methods for calculation of form factors (QCDSR, lattice calculations, Quark Models, etc.)

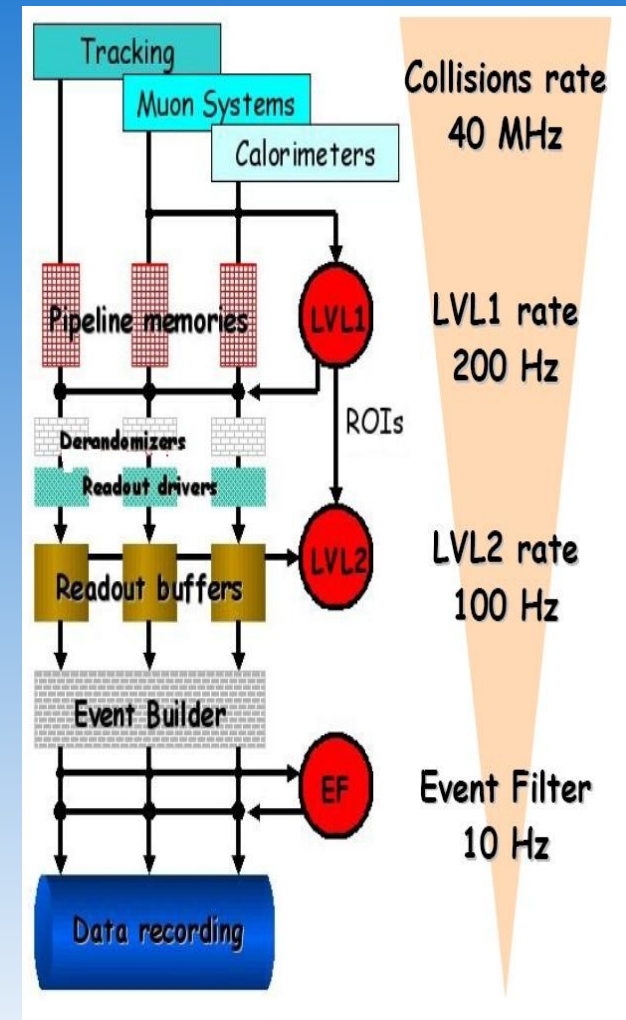
Models used for MC generation in ATLAS

Decay Channel	Model	Theoretical Branching Ratio	Wilson Coefficients	Form Factors
$B^+ \rightarrow K^+ \mu^+ \mu^-$	A. Ali et al., hep-th/0112300 (2002)	3.5×10^{-7}	NNLO	QCD LCSR
$\Lambda_b \rightarrow \Lambda^0 \mu^+ \mu^-$	C.H.Chen et al., PRD64, 074001 (2001) T.M.Aliev et.al. , NPB649, 168 (2003)	2.0×10^{-6}	NLO	HQET
$B_d \rightarrow K^{0*} \mu^+ \mu^-$	D.Melikhov et al., PRD57, 6814 (1998) D.Melikhov et al., PRD62, 014006 (2000)	1.3×10^{-6}	NLO	Relativistic quark model
$B_s \rightarrow \phi \mu^+ \mu^-$	D.Melikhov et al., PRD57, 6814 (1998) D.Melikhov et al., PRD62, 014006 (2000)	$\sim 10^{-6}$	NLO	Relativistic quark model

- Both Pythia and EvtGen MonteCarlo generators used in the ATHENA framework for the samples production

Dimuon trigger in ATLAS

- B-physics mostly during initial period of low luminosity
 $\sim 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$: 2-3 interaction/collision
- b-pairs production $\sim 500 \text{ kHz}$
 - 1% of collisions
 - 10^{12} b-pairs in a year (10^7 s)
- *LVL1* trigger based on detection of two muons
($p_{T\mu 1} > 6 \text{ GeV}$, $p_{T\mu 2} > 4 \text{ GeV}$) by the muon trigger chambers
- *LVL2* + *EF* confirm *LVL1* decisions by precise *MDT* and calorimeter measurements and track extrapolation to Inner Detector
 - Refits tracks in *LVL2 ROIs*
 - Decay vertices search, mass cut, opening angle....

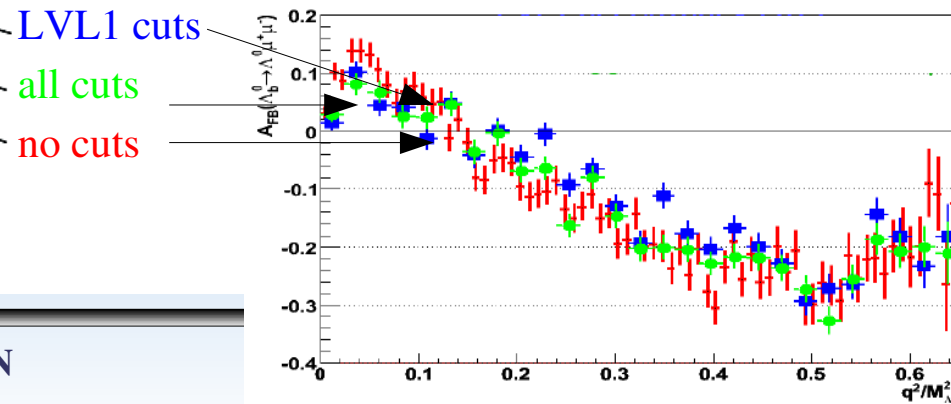
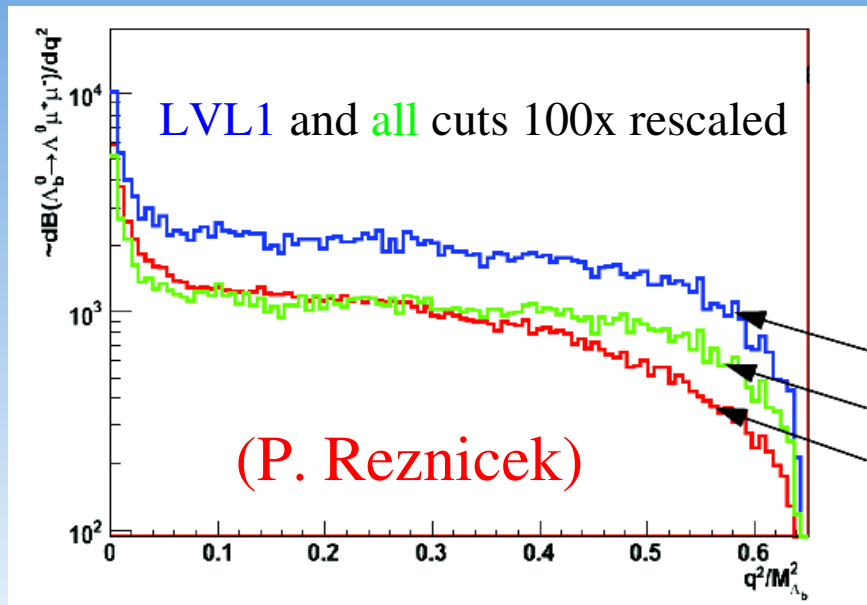


LVL1 Trigger cuts

- Number of events expected for semileptonic dimuon decay channels at the generation level (triggerable and reconstructable events)
 - LVL1 Trigger cuts ($p_{T1} > 6\text{GeV}$ and $p_{T2} > 4\text{GeV}$) and acceptance cut ($|\eta| < 2.5$)

Decay Channel	BR	Events in 30 fb ⁻¹
$B^+ \rightarrow K^+ \mu^+ \mu^-$	3.5×10^{-7}	40000
$\Lambda_b \rightarrow \Lambda^0 \mu^+ \mu^-$	2.0×10^{-6}	28000
$B_d \rightarrow K^{0*} \mu^+ \mu^-$	1.3×10^{-6}	120000
$B_s \rightarrow \phi \mu^+ \mu^-$	$\sim 10^{-6}$	21000

- Impact of trigger cuts on $\Lambda_b \rightarrow \Lambda^0 \mu^+ \mu^-$: LVL1 muon cuts and $p_t > 0.5\text{GeV}$, $|\eta| < 2.5$ hadron cuts
 - Trigger cuts prefer higher dimuon invariant mass
 - suppression of $|A_{FB}|$ in low q^2/M^2 region



Background sources

- The background studies are already started but still preliminary
- Background sources
 - Channels with J/Ψ and $\Psi(2S)$ $c\bar{c}$ -bar resonances: irreducible background
 - Combinatorial background
 - Semileptonic decays of both b and b -bar quarks
 - Double semileptonic decay of b quark ($b \rightarrow c\mu\nu$, $c \rightarrow s\mu\nu$)
 - kaons and pions misidentification as muons at low P_T
 - as example for $B^+ \rightarrow K^+\mu^+\mu^-$ channel
 $B^+ \rightarrow (D^0 \rightarrow K^+\pi^-)\mu^+\nu_\mu$ where pion is misidentified as muon and neutrino is missed

Cut efficiencies for $B^+ \rightarrow K^+ \mu^+ \mu^-$

- signal and (very few yet) $bb \rightarrow \mu(4)\mu(6)X$ background events

Cut	Signal efficiency	BG efficiency
$PT(\mu_1) > 6\text{GeV}$, $PT(\mu_2) > 4\text{GeV}$, $ \eta(\mu_{1,2}) < 2.5$, dimuon invariant mass kinematic window, $P_T(k^+) > 0.5\text{GeV}$ and $ \eta(k^+) < 2.5$	0.73	0.087
Dimuon vertex $\chi^2 < 3$	0.92	0.833
$\Psi(2S)$ area excluded ($m(\Psi(2S)) \pm 3 \times 36\text{MeV}$)	0.91	0.996
J/Ψ area excluded ($m(J/\Psi) \pm 3 \times 36\text{MeV}$)	0.92	0.766
B^+ vertex $\chi^2 < 3$	0.13	0.0045
$M(B^+) \pm 3 \times 40\text{MeV}$	0.88	0.402
B^+ proper time $> 0.5\text{ps}$	0.80	0.250
Total	0.05	2×10^{-5}

- With dimuon trigger efficiency 75%, 1500 signal and < 40000 BG events expected in 30fb^{-1}
- More cuts can be added to reduce background (additional cut on Kaon P_T , muon isolation)... waiting for higher statistic

Cut efficiencies for $\Lambda_b \rightarrow \Lambda^0 \mu^+ \mu^-$

(P.Reznicek)

- Signal and $bb \rightarrow \mu(4)\mu(4)X$ background events

Cut	Signal efficiency	BG efficiency
$P_T(\mu_1) > 6\text{GeV}$, $P_T(\mu_2) > 4\text{GeV}$, $ \eta(\mu_{1,2}) < 2.5$, dimuon vertex $\chi^2 < 3$, dimuon invariant mass kinematic window	0.920	0.230
J/ Ψ and $\Psi(2S)$ areas excluded ($m(J/\Psi) \pm 3 \times 40\text{MeV}$ and $m(\Psi(2S)) \pm 3 \times 45\text{MeV}$)	0.860	0.740
Hadron cuts: tracks $P_T > 0.5\text{GeV}$, $ \eta < 2.5$, $P_T(p) > P_T(\pi)$, $\chi^2/\text{NDOF} < 3$, $M(\Lambda^0) \pm 3 \times 2\text{MeV}$	0.240	0.130
Λ^0 vertex transverse position $> 1\text{cm}$ and $< 45\text{cm}$	0.940	0.240
$P_T(\Lambda^0) > 4\text{GeV}$	0.720	0.440
Λ_b vertex $\chi^2/\text{NDOF} < 2$, $M(\Lambda_b) \pm 100\text{MeV}$	0.690	0.005
Λ_b proper time $> 0.5\text{ps}$	0.620	0.100
Difference in Λ momenta ($\Delta P_T < 0.3\text{GeV}$, $\Delta\phi < 0.05^\circ$, $\Delta\eta < 0.01$) from single and combined Λ_b fit	0.710	0.200
Difference in Λ_b momentum and pos. direction $< 2.3^\circ$	0.750	0.750
Total	0.038	$\sim 10^{-6}$

- With dimuon trigger efficiency $\sim 75\%$, 800 signal and < 4000 BG event expected in 30fb^{-1}

Cut efficiencies for $B_d \rightarrow K^{0*} \mu^+ \mu^-$

(K. Toms, N.Nikitine, S.Sivoklokov)

- signal and $bb \rightarrow \mu(4)\mu(4)X$ background events

Cut	Signal efficiency	BG efficiency
$P_T(\mu_1) > 6\text{GeV}$, $P_T(\mu_2) > 4\text{GeV}$, $ \eta(\mu_{1,2}) < 2.5$, J/ Ψ and $\Psi(2S)$ areas excluded	0.690	0.220
Vertex $\chi^2 < 25$	0.121	0.010
B_d proper time $> 0.5\text{ps}$	0.832	0.032
$P_T(K^*) > 6\text{GeV}$	0.406	0.074
Total	0.03	2.6×10^{-6}

- With dimuon trigger efficiency 75%, 2500 signal and <10000 BG events expected in 30fb^{-1}

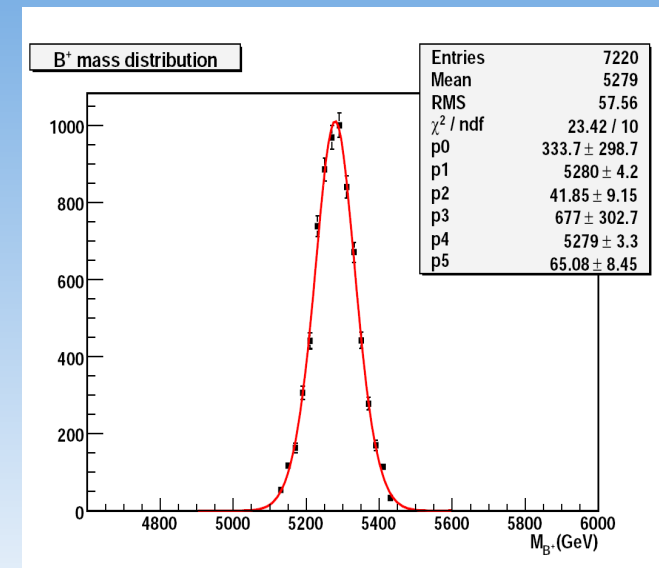
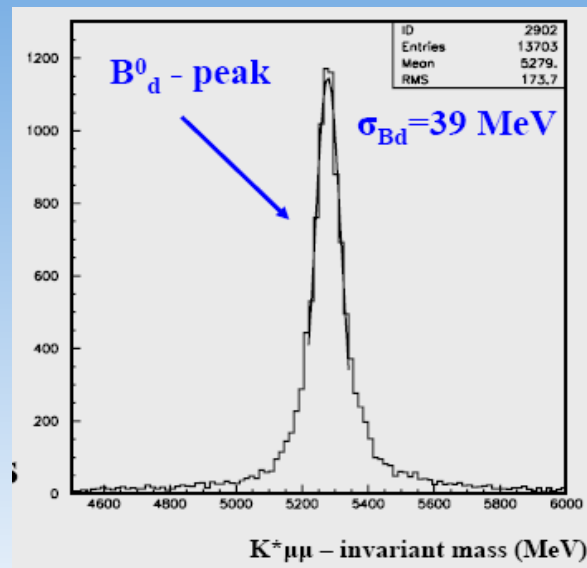
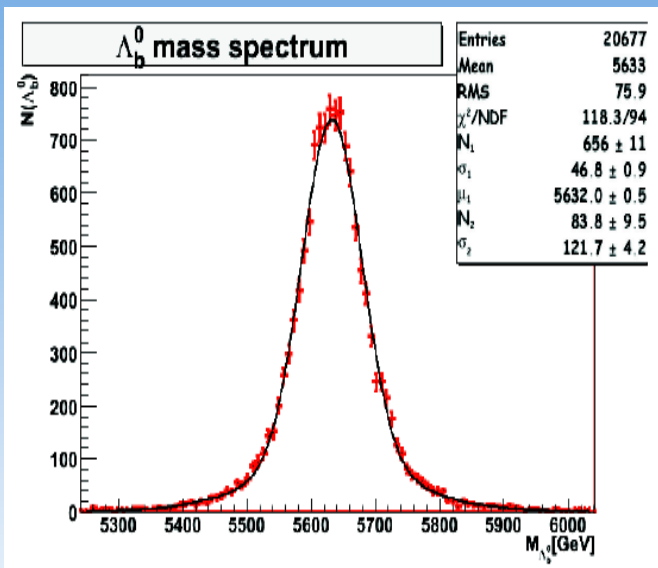
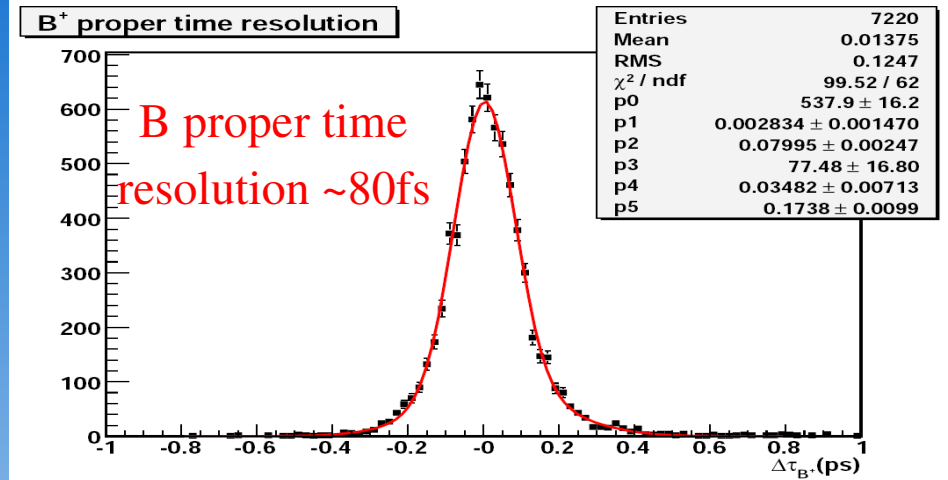
Expected ATLAS statistic at 30fb^{-1}

- Full detector simulation and reconstruction for final ATLAS layout
 - Signal and background (in progress, waiting for higher statistic of $bb \rightarrow \mu(4)\mu(6)X$ events)
 - 75% trigger efficiency included

Decay Channel	Signal events after trigger and offline cuts	Background events after trigger and offline cuts
$B^+ \rightarrow K^+\mu^+\mu^-$	1500	<40000
$\Lambda_b \rightarrow \Lambda^0\mu^+\mu^-$	800	<4000
$B_d \rightarrow K^{0*}\mu^+\mu^-$	2500	<10000
$B_s \rightarrow \phi\mu^+\mu^-$	900	<10000

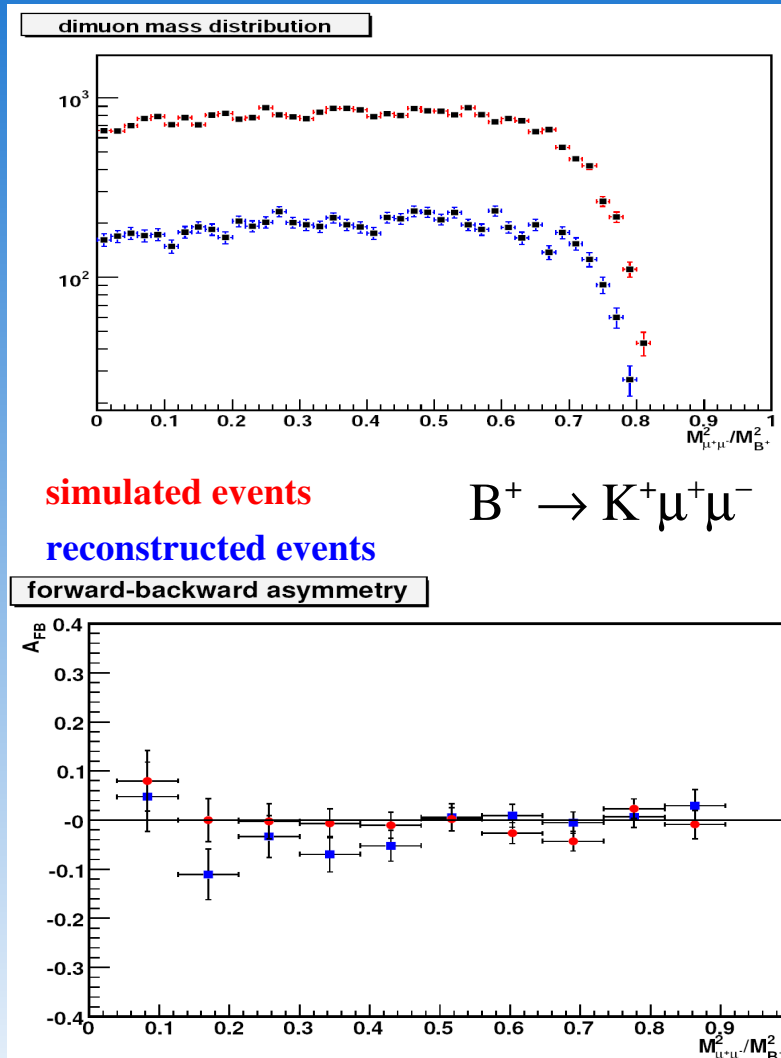
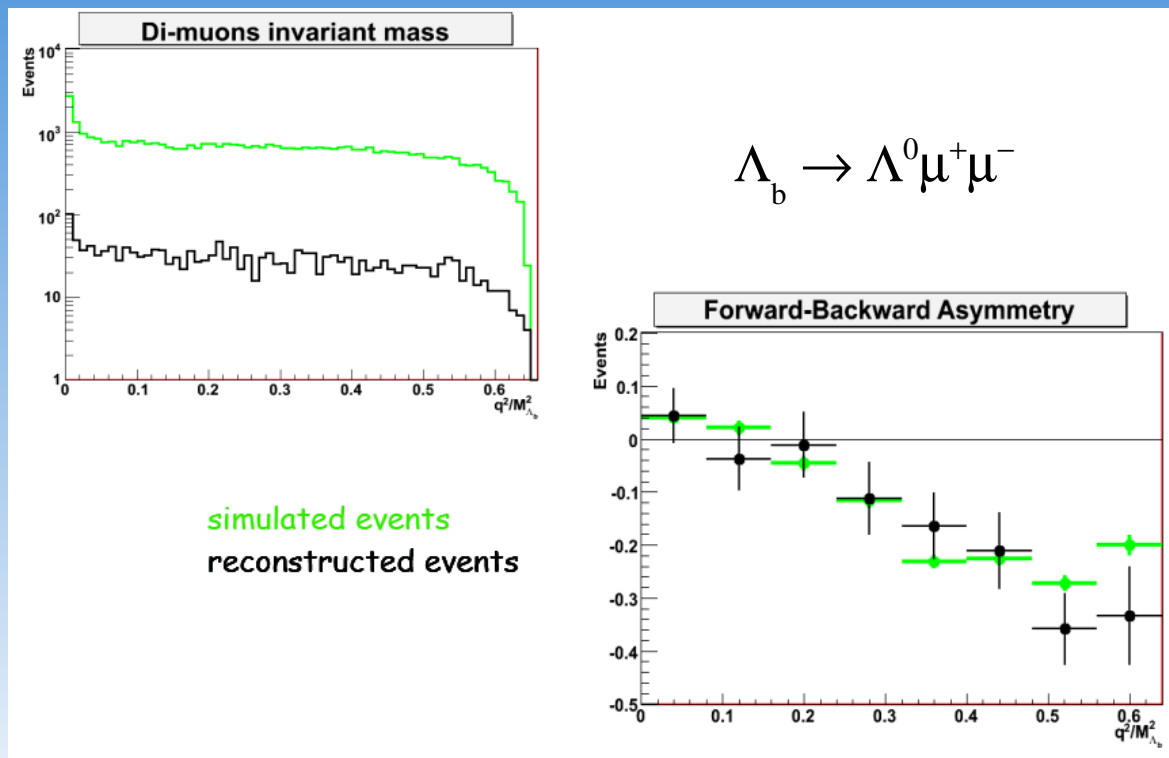
Signal Reconstruction: B mesons and Λ_b masses

b-particle	Reconstructed mass width
B^+	42 MeV
Λ_b	47 MeV
B_d	39 MeV
B_s	46 MeV



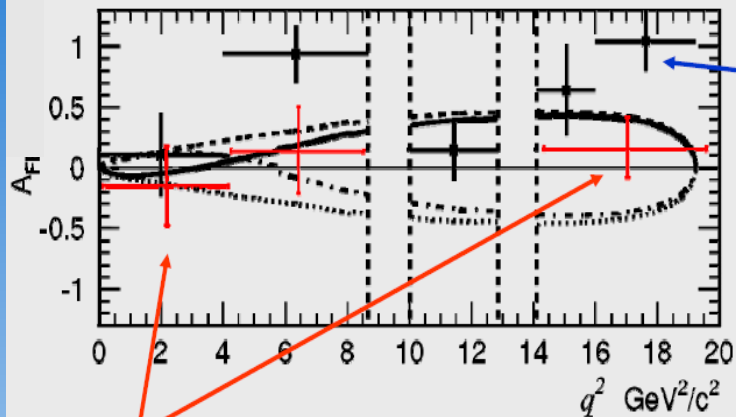
Signal Reconstruction: dimuon mass and A_{FB} distributions

Trigger and offline analysis cuts do not change significantly dimuon invariant mass spectrum and A_{FB}



Forward-Backward Asymmetry for B_d and B^+ decays

(K. Toms, N.Nikitine, S.Sivoklokov)



A. Ishikawa et al.,
hep-ex/0603018

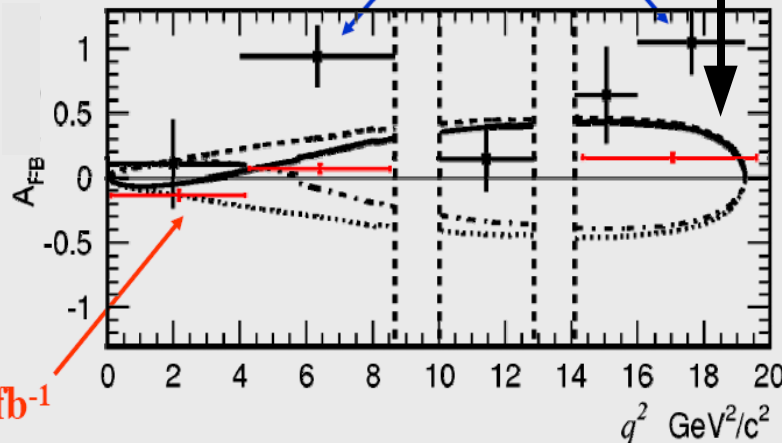


SM
prediction

ATLAS statistics
corresponding to 1 fb^{-1}

B_d decay

ATLAS statistics
corresponding to 30 fb^{-1}

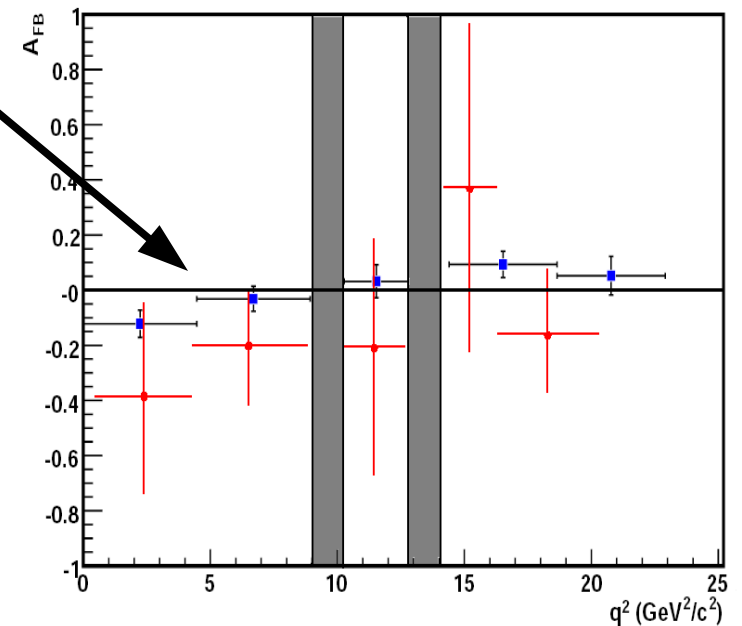


B^+ decay

ATLAS after 30 fb^{-1}

Belle (hep-ex/0410006)

forward-backward asymmetry

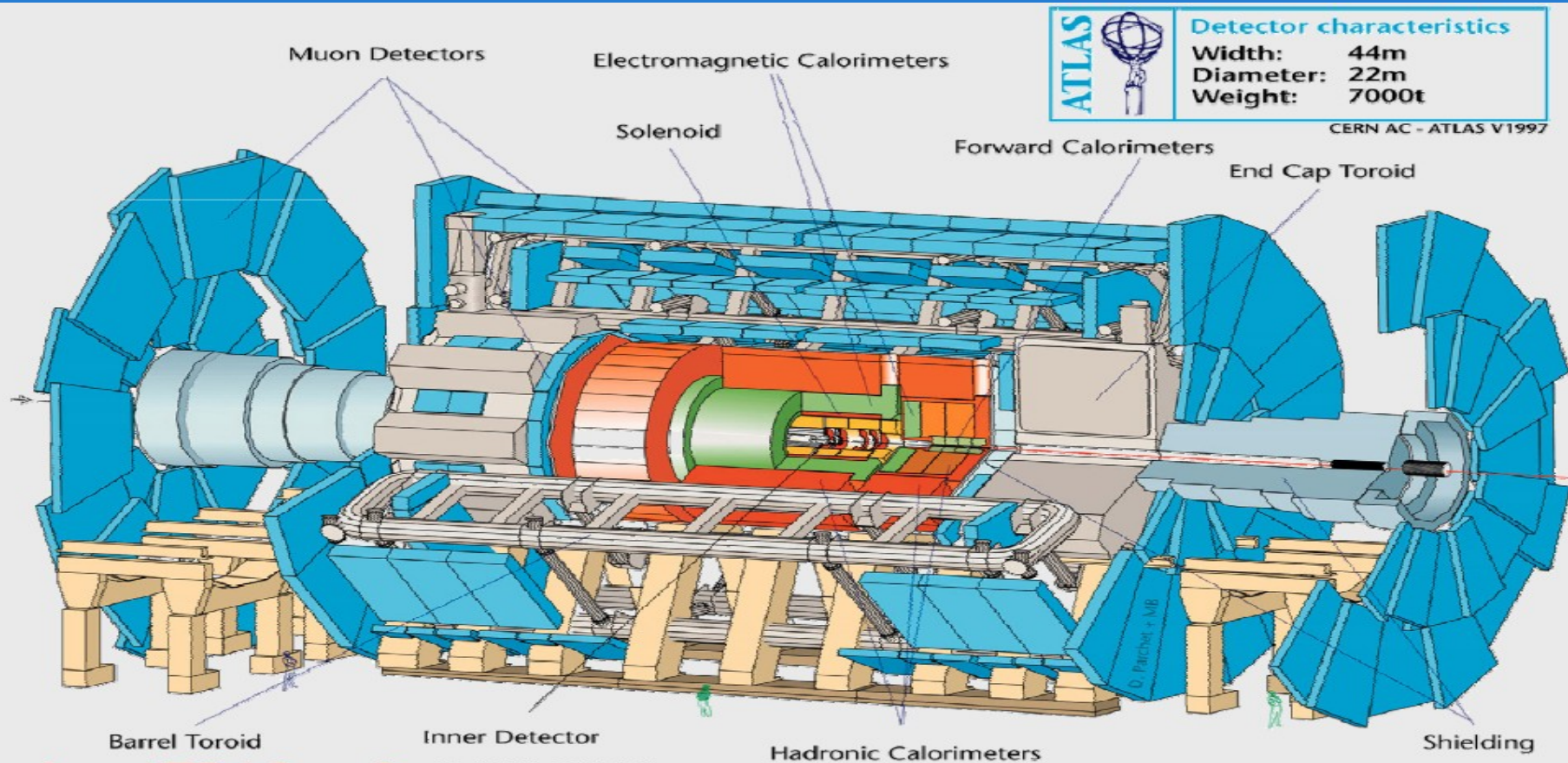


Conclusions and Plans

- ATLAS B-Physics group is studying many rare semileptonic decay channels
 - Rare decays measurements offer a test of SM prediction and indirect search for new physics signals
 - Trigger and offline analysis cuts do not change the most interesting distributions: dimuon invariant mass spectrum and forward-backward asymmetry
 - After 30fb^{-1} ATLAS should have enough statistic for measurements of differential distributions of rare semileptonic decays
- Plans
 - More background is needed for further studies
 - High Level Trigger simulation studies
 - $B^+ \rightarrow K^{*+}\mu^+\mu^-$ studies already started (Università della Calabria & INFN group)
- CMS rare decay studies will be available soon

BACKUP SLIDES

ATLAS

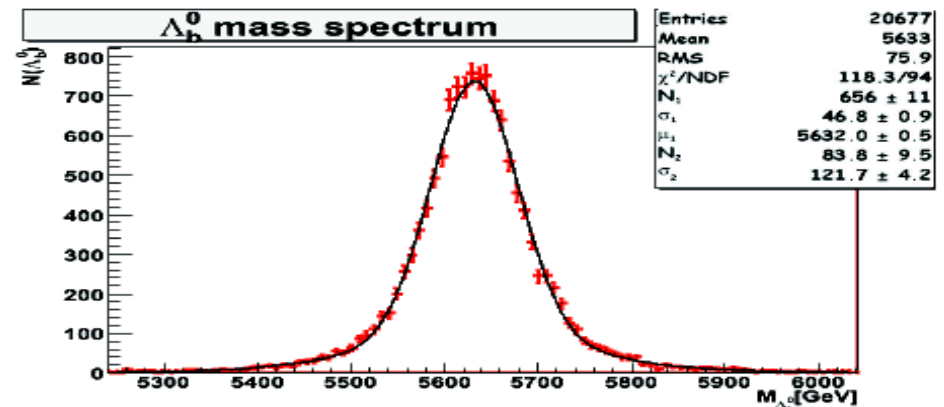
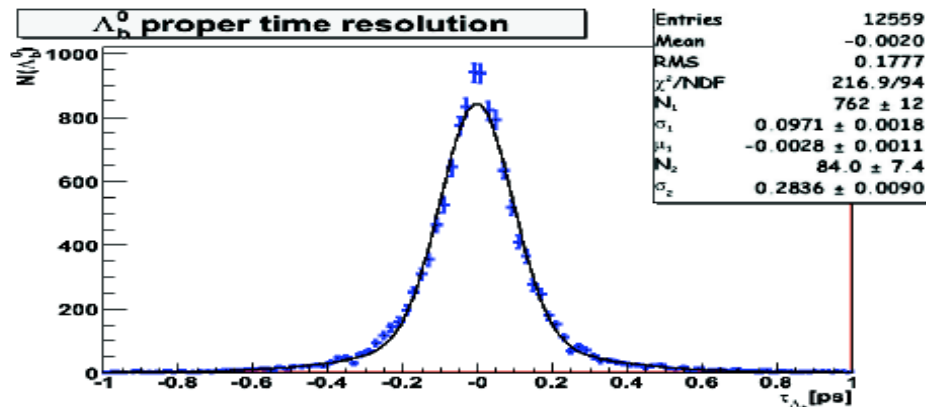
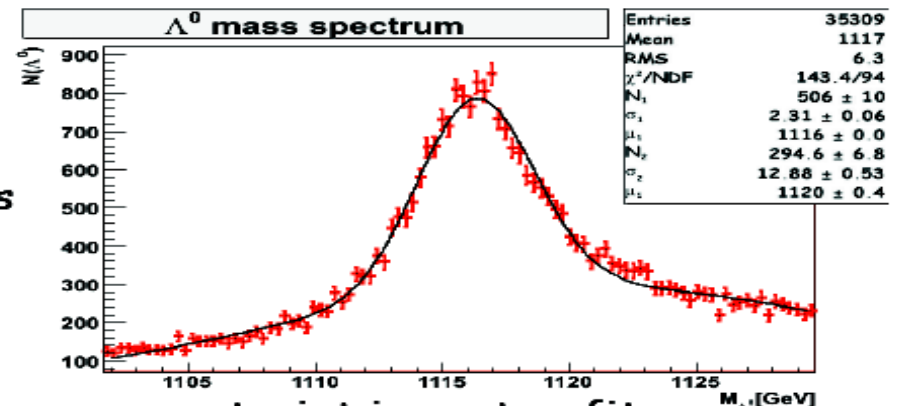


The prime ATLAS goals (2007-2011):

- 1) Higgs boson discovery;**
- 2) Discovery of SUSY or others SM extensions. Rare b-decays with muons in final state are able to make an essential contribution in solution of the second task!**

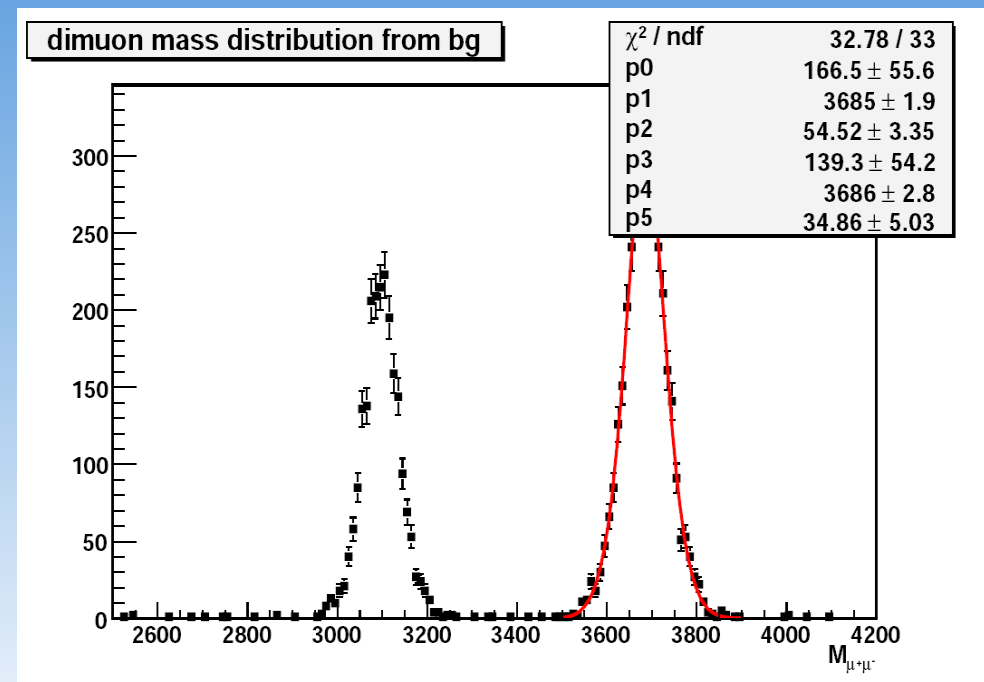
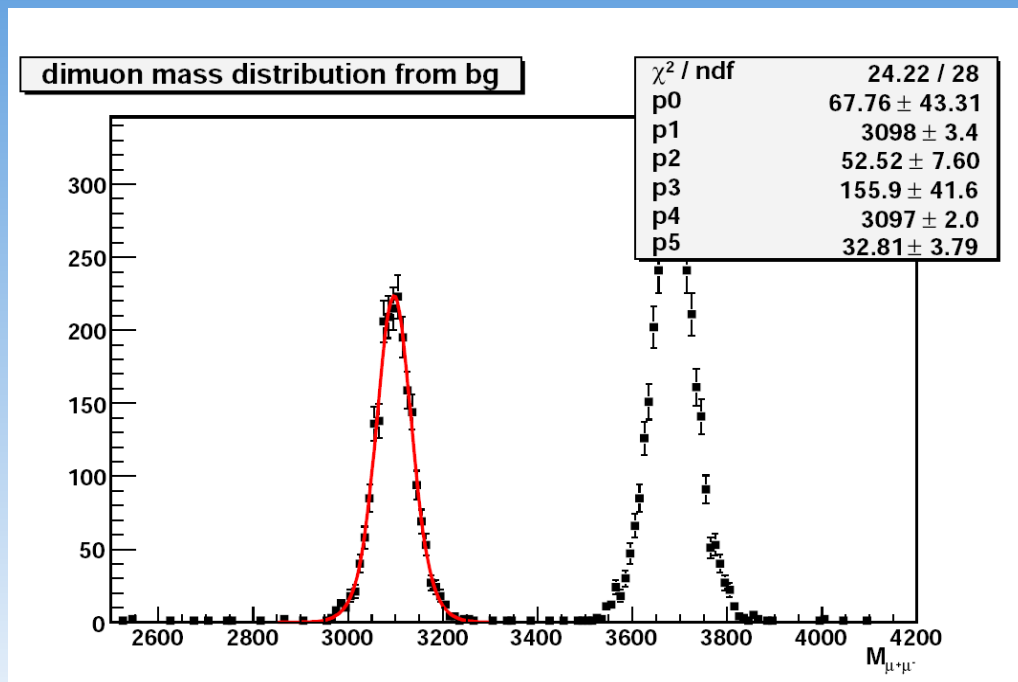
Λ_b reconstruction (P.Reznicek)

- ~ 50k events fully simulated, digitized and reconstructed using 9.0.4 and 10.0.1 software releases, analysis of AODs in 10.0.1
 - using χ Kalman reconstruction algorithm with modified parameters optimized to V^0 finding
- combined fit of 4 tracks using CDF fitting routine with uniform magnetic field 2T
- overall reconstruction efficiency mostly driven by Λ^0 reconstruction - **38%** only due to long Λ^0 lifetime \rightarrow not enough space-points to reconstruct proton and pion tracks
- Λ_b^0 reconstruction efficiency $\sim 27\%$
- mass resolution degraded compared to $\Lambda_b^0 \rightarrow J/\psi \Lambda^0$ decay due to not existing di-muon mass constraint in vertex fit



J/ Ψ and $\Psi(2S)$ mass reconstruction

- background source from resonant channels removed with a cuts $\pm 3\sigma$ around J/ Ψ and $\Psi(2S)$ mass



Theory in SM: $b \rightarrow sl^+l^-$ transitions

- Effective Hamiltonian for $b \rightarrow sl^+l^-$ transitions integrating out heavy degrees of freedom (*top* quark and W^\pm bosons in SM)

$$H_{eff} = -4 \frac{G_F}{\sqrt{2}} V_{ts}^* V_{tb} \sum_{i=1}^{10} C_i(\mu) O_i(\mu)$$

[A.J. Buras et al., Nucl. Phys. B424, 374 (1994)]

- Free quarks transition amplitude (with $m_s/m_b = 0$)

$$M(b \rightarrow sl^+l^-) = -G_F \frac{\alpha}{\sqrt{2}\pi} V_{ts}^* V_{tb} \left\{ C_9^{eff} [\bar{s} \gamma_\mu L b] [\bar{l} \gamma^\mu l] + C_{10} [\bar{s} \gamma_\mu L b] [\bar{l} \gamma^\mu \gamma_5 l] - 2 \hat{m}_b C_7^{eff} \left[\bar{s} i \sigma_{\mu\nu} \frac{\hat{q}^\nu}{\hat{s}} R b \right] [\bar{l} \gamma^\mu l] \right\}$$

[for ex. A. Ali et al., hep-ph/9910221 (1999)]

- FB Asymmetry, dimuon mass spectrum studied according to parametrization by Wilson coefficients

Theory in SM: Pseudoscalar transition $B \rightarrow K$ (1)

- Wilson Coefficient calculated at $NNLO$
- Pseudoscalar meson transition $B \rightarrow K$ parametrized in terms of form factors ($q = p_B - p$):

$$\langle K(p) | \bar{s} \gamma_\mu b | B(p_B) \rangle = f_+(s) \left[(P_B + p)_\mu - \frac{m_B^2 - m_K^2}{s} q_\mu \right] + \frac{m_B^2 - m_K^2}{s} f_0(s) q_\mu$$

$$\langle K(p) | \bar{s} \sigma_{\mu\nu} q^\nu (1 + \gamma_5) b | B(p_B) \rangle = \langle K(p) | \bar{s} \sigma_{\mu\nu} q^\nu b | B(p_B) \rangle = i \left[(P_B + p)_\mu s - q_\mu (m_B^2 - m_K^2) \right] f_T \frac{(s)}{m_B + m_K}$$

- Hadronic form factors calculated in $LCSR$

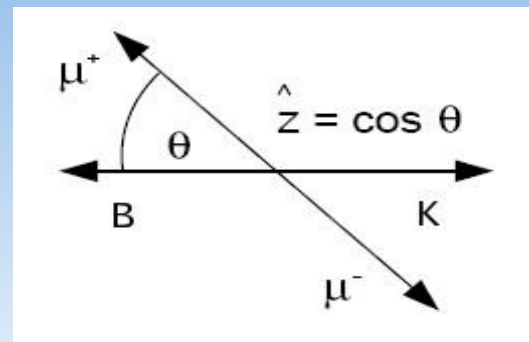
$$BR(B \rightarrow Kl^+ l) = (0.35 \pm 0.12) \times 10^{-6}$$

[A. Ali et al., hep-ph/0112300 (2002)]

Theory in *SM*: Pseudoscalar transition $B \rightarrow K$ (2)

- Differential decay width and dilepton invariant mass distribution depend on hadronic form factors and Wilson Coefficient
- FB asymmetry vanishes in $B \rightarrow K$ decays since there is not terms containing $\cos\theta$ with an odd power

$$A_{FB} = \frac{1}{d\Gamma/d\hat{s}} \left\{ \int_0^1 d\hat{z} \frac{d^2\Gamma}{d\hat{z}d\hat{s}} - \int_{-1}^0 d\hat{z} \frac{d^2\Gamma}{d\hat{z}d\hat{s}} \right\}$$



Theory in *SM*: vectorial transition $B \rightarrow K^*$ (1)

- Wilson Coefficient calculated at *NNLO*
- Pseudoscalar meson transition $B \rightarrow K^*$ parametrized in terms of form factors ($q = p_B - p$, ϵ polarization vector):

$$\langle K^*(p) | (V-A)_\mu | B(p_B) \rangle = -i\epsilon_\mu^* (m_B + m_K) A_1(s) + i(P_B + p)_\mu (\epsilon^* P_B) \frac{A_2(s)}{m_B + m_K} + i(q)_\mu (\epsilon^* P_B) \frac{2m_K}{s} (A_3(s) - A_0(s)) + \epsilon_{\mu\nu\rho\sigma} \epsilon^{*\nu} P_B^\rho p^\sigma \frac{2V(s)}{m_B + m_K}$$

$$\langle K^*(p) | \bar{s} \sigma_{\mu\nu} q^\nu (1 + \gamma_5) b | B(p_B) \rangle = i\epsilon_{\mu\nu\rho\sigma} \epsilon^{*\nu} P_B^\rho p^\sigma 2T_1(s) + T_2(s) \left[\epsilon_\mu^* (m_B^2 - m_K^2) - (\epsilon^* P_B) (P_B + p)_\mu \right] + T_3(s) (\epsilon^* P_B) \left[q_\mu - \frac{s}{m_B^2 - m_K^2} (P_B + p)_\mu \right]$$

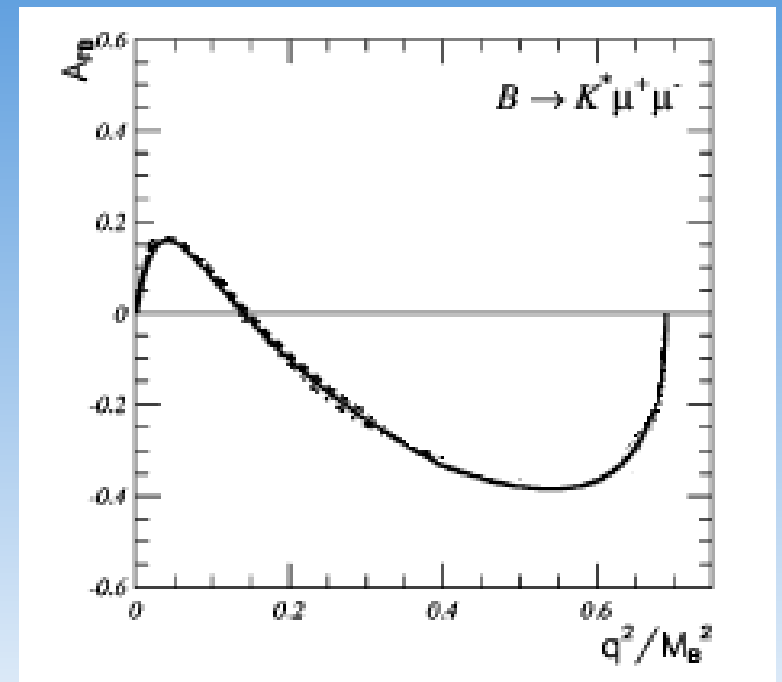
$$\langle K^*(p) | \partial_\mu A^\mu | B(p_B) \rangle = 2m_K (\epsilon^* P_B) A_0(s)$$

- Hadronic form factors calculated in *LCSR*

$$BR(B \rightarrow K^* \mu^+ \mu^-) = (1.19 \pm 0.39) \times 10^{-6} \quad [\text{A. Ali et al., hep-ph/0112300 (2002)}]$$

Theory in *SM*: vectorial transition $B \rightarrow K^*$ (2)

- Differential decay width and dilepton invariant mass distribution depend on hadronic form factors and Wilson Coefficient
- FB asymmetry does not vanish in $B \rightarrow K^*$ decays

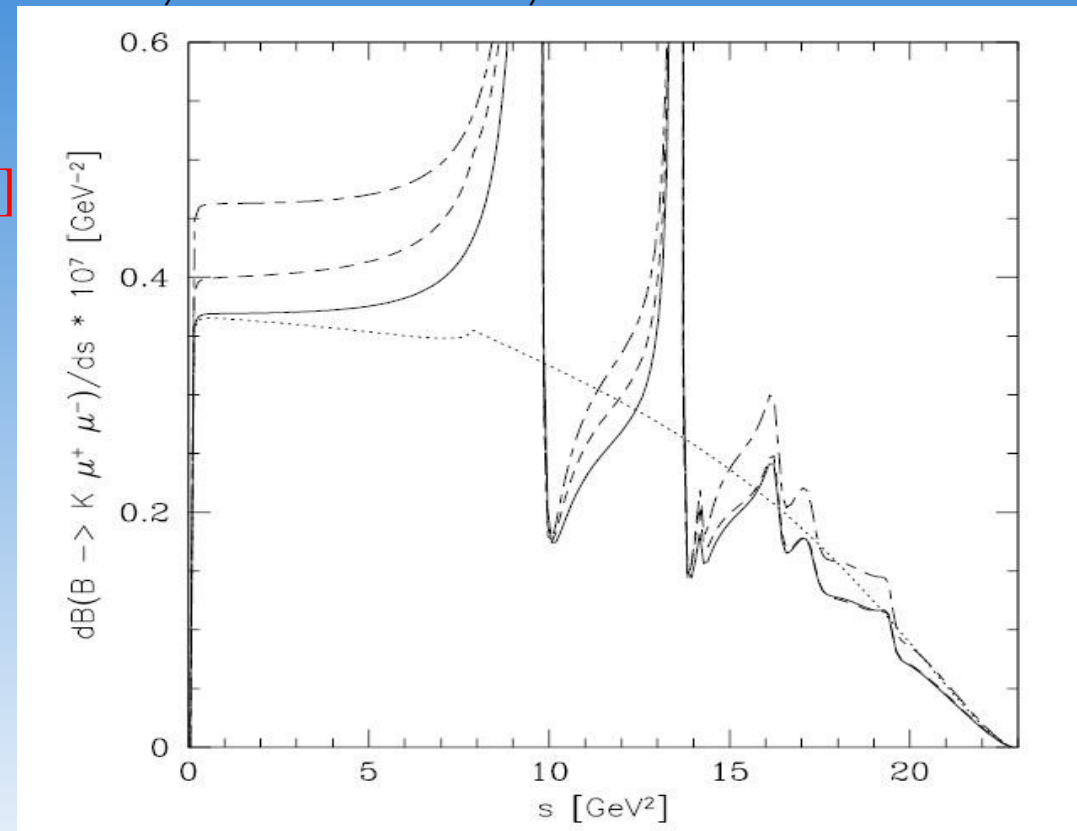


Supersymmetric Models: $B \rightarrow K$ (1)

- Generic *SUSY* effects in differential decay rate distribution assuming C_9 and C_{10} to their respective *SM* values, $C_7(SUSY) = -C_7(SM)$ and form factors from *LCSR*

[A. Ali et al., hep-ph/9910221 (1999)]

- Solid curve: *SD* + *LD*
- Dotted: pure *SD*
- Long-short dashed: *SD* + *LD* (*SUSY*)

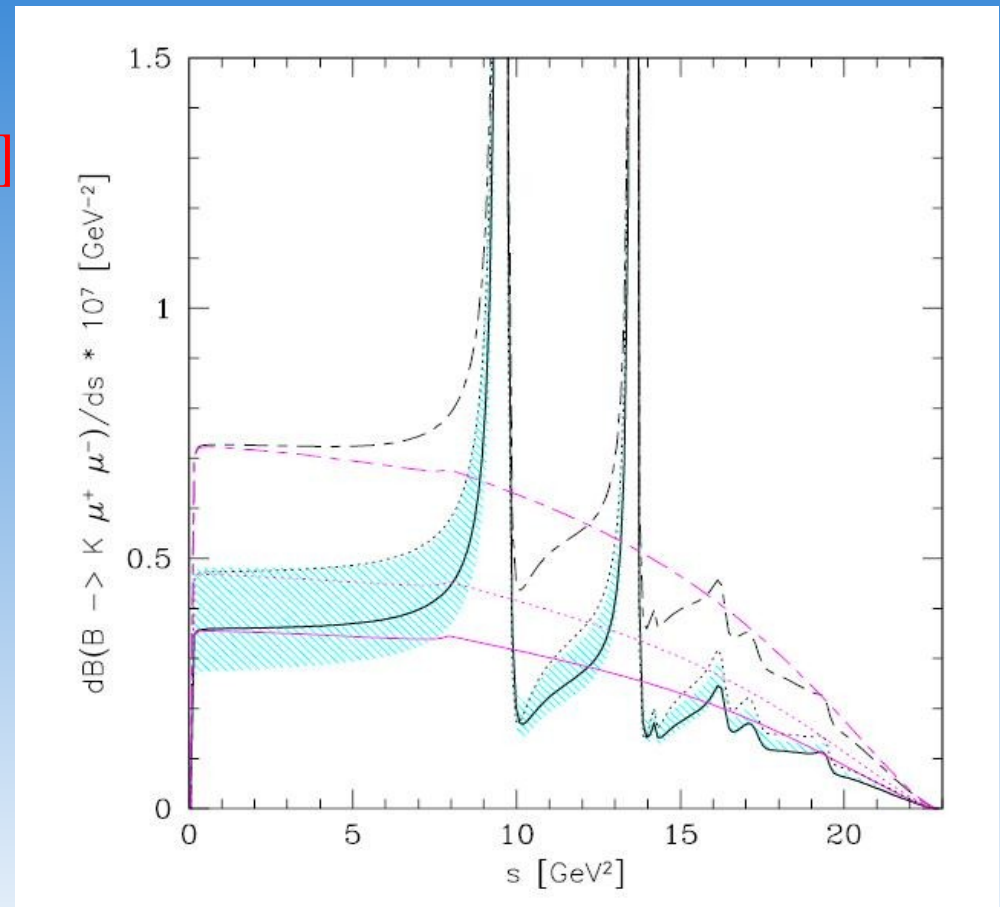


Supersymmetric Models: $B \rightarrow K$ (2)

- Differential decay rate using form factors from *LCSR* in *SM*, *SUGRA*, *MIA-SUSY* models

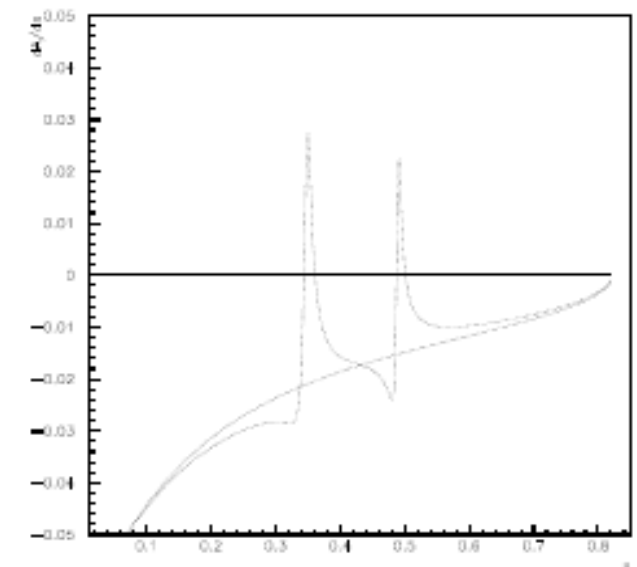
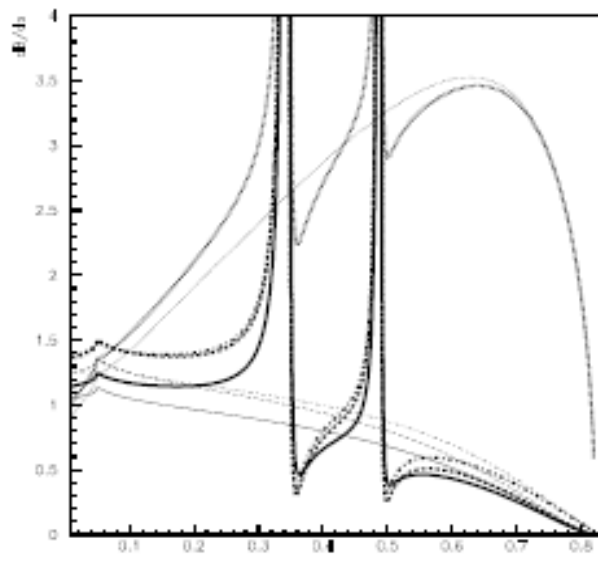
[A. Ali et al., hep-ph/9910221 (1999)]

- Solid line: *SM* with shaded area depicts the form factor uncertainties
- Dotted line: *SUGRA* model
- Long-short dashed lines: *MIA-SUSY* model



Supersymmetric Models: $B \rightarrow K$ (3)

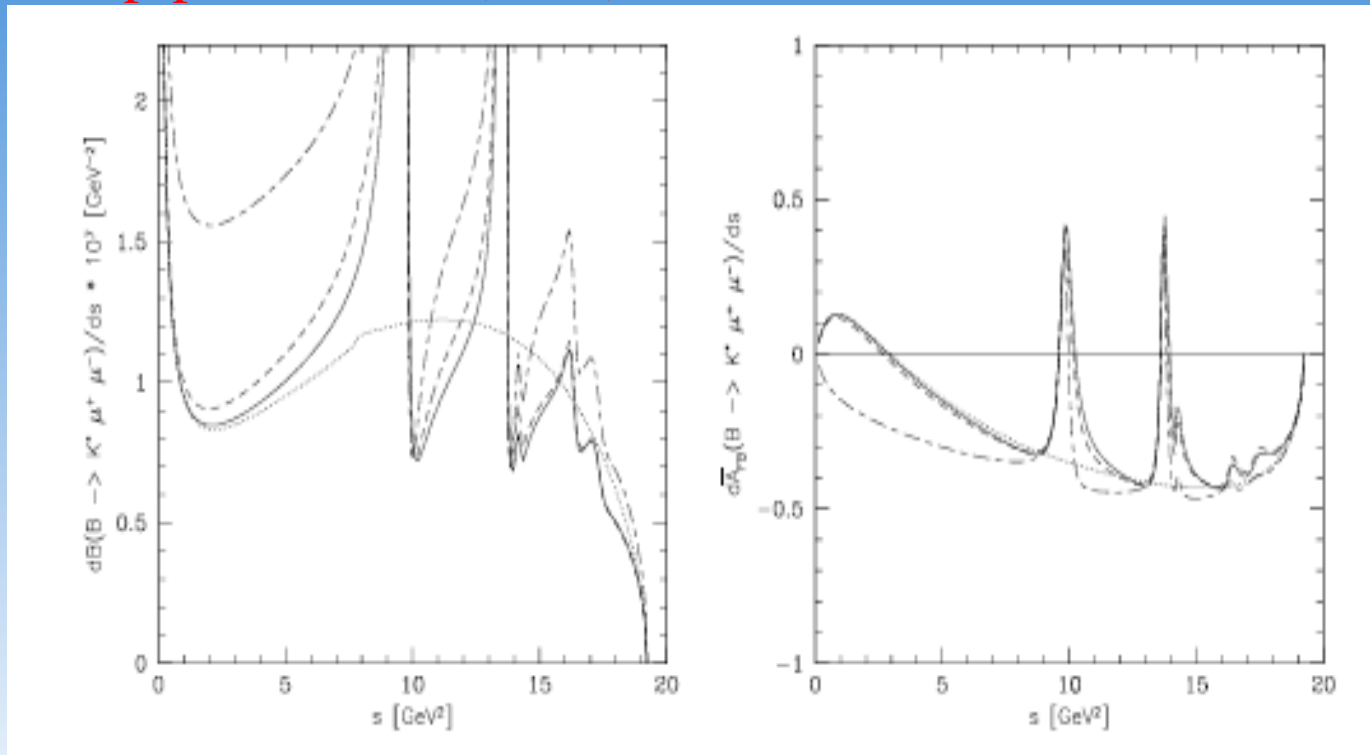
- Other calculations:
 - 2 Higgs doublet model and $SUSY$ with minimal flavour violation (large $\tan\beta$): no appreciable FBA or any large deviation from the SM prediction for the $B \rightarrow K l^+ l^-$ branching fraction [C. Bobeth et al., hep-ph/0104284 (2002)]
 - In supersymmetric theories FBA and muon invariant mass spectrum difference with respect to SM [Q. Yan et al., hep-ph/0004262 (2000)]
 - Solid line: SM
 - Dotted line: $SUSY$



Supersymmetric Models: $B \rightarrow K^*$ (1)

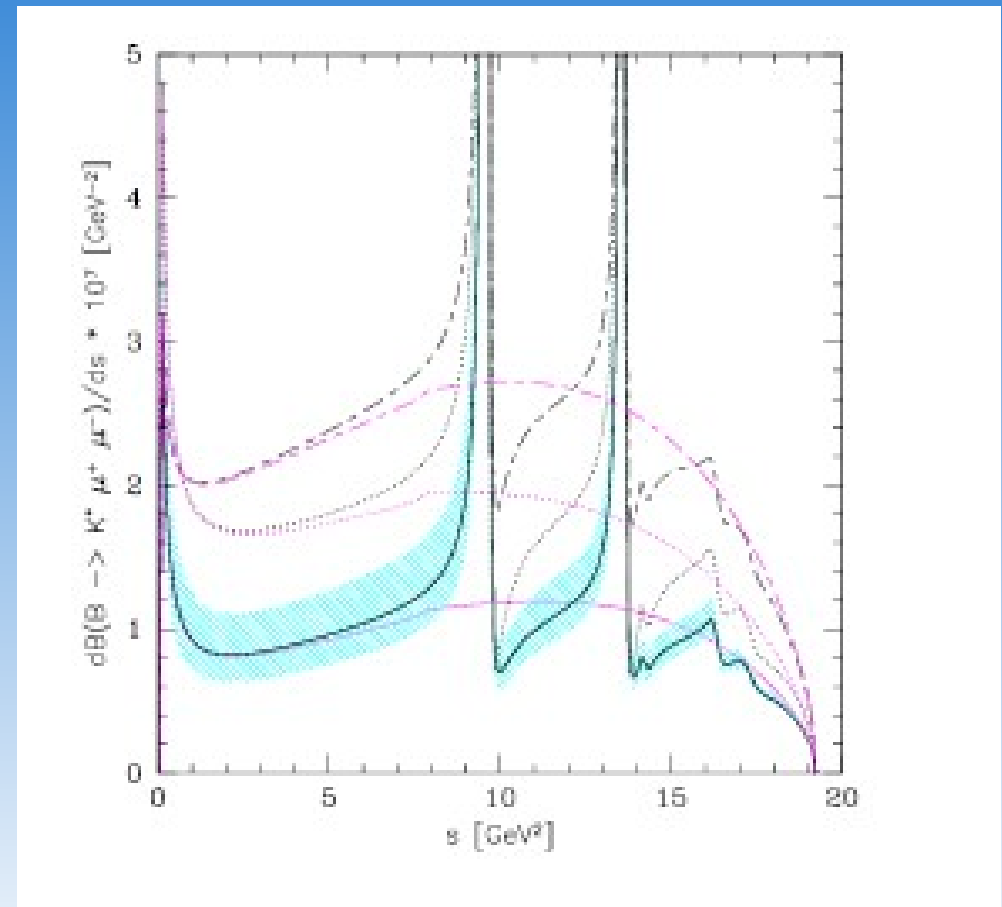
- Generic *SUSY* effects in differential decay rate distribution and AFB assuming C_9 and C_{10} to their respective *SM* values, $C_7(SUSY) = -C_7(SM)$ and form factors from *LCSR* [A. Ali et al., hep-ph/9910221 (1999)]

- Solid curve: *SD* + *LD*
- Dotted: pure *SD*
- Long-short dashed: *SD* + *LD* (*SUSY*)



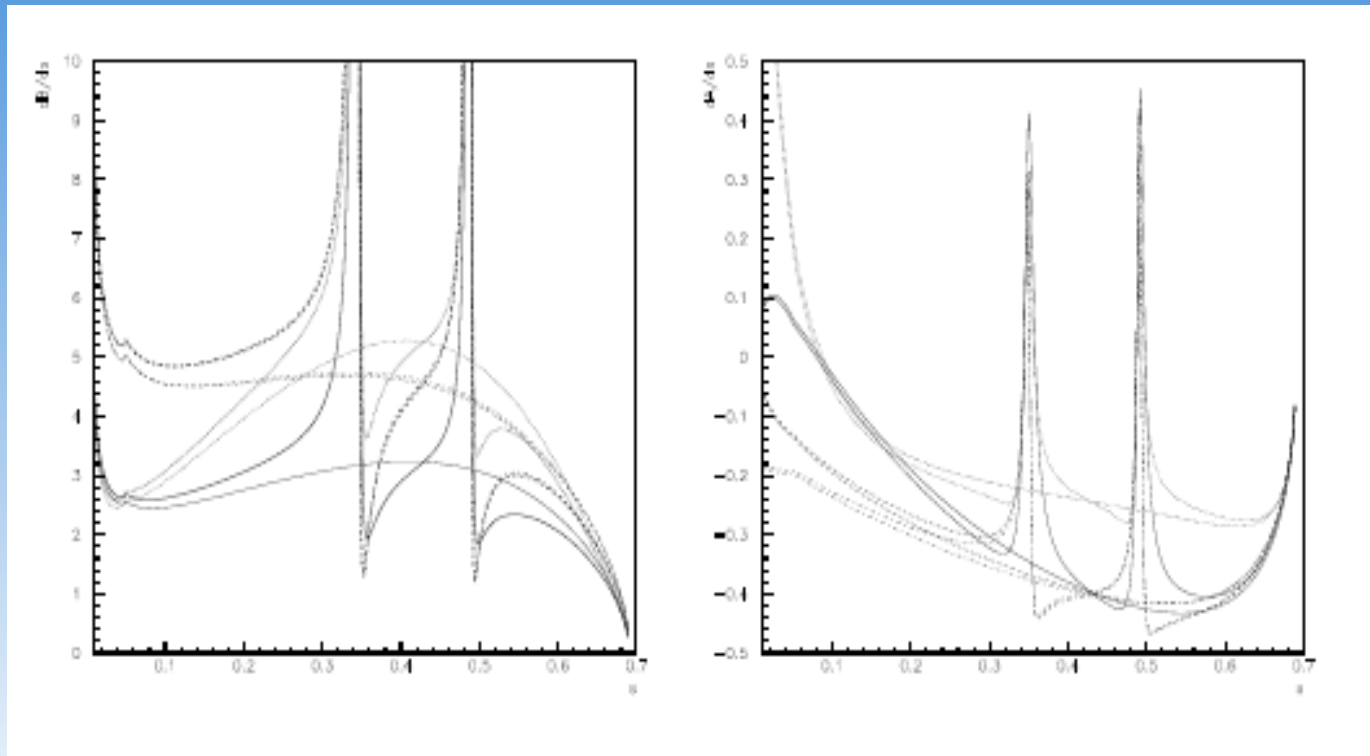
Supersymmetric Models: $B \rightarrow K^*$ (2)

- Differential decay rate using form factors from *LCSR* in *SM*, *SUGRA*, *MIA-SUSY* models
 - Solid line: *SM* with shaded area depicts the form factor uncertainties
 - Dotted line: *SUGRA* model
 - Long-short dashed lines: *MIA-SUSY* model



Supersymmetric Models: $B \rightarrow K^*$ (3)

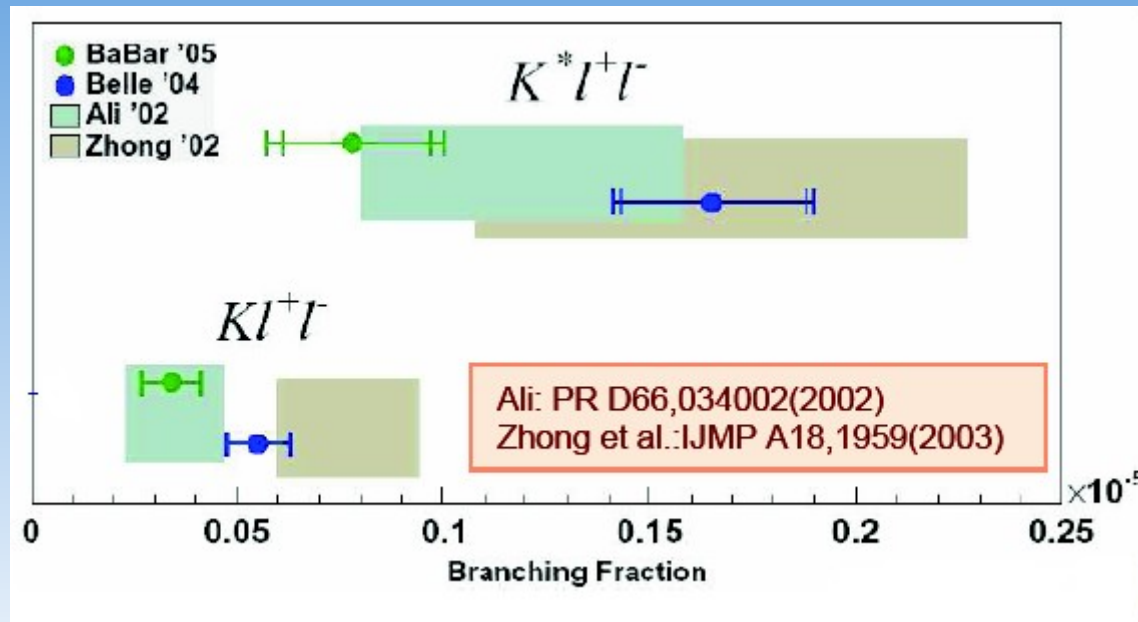
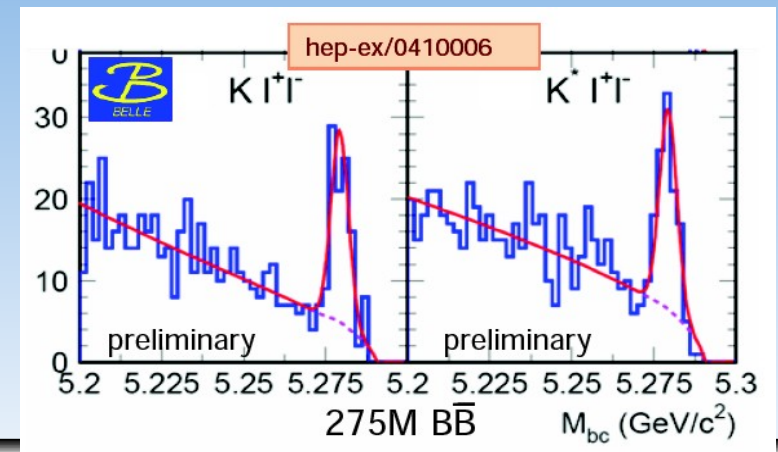
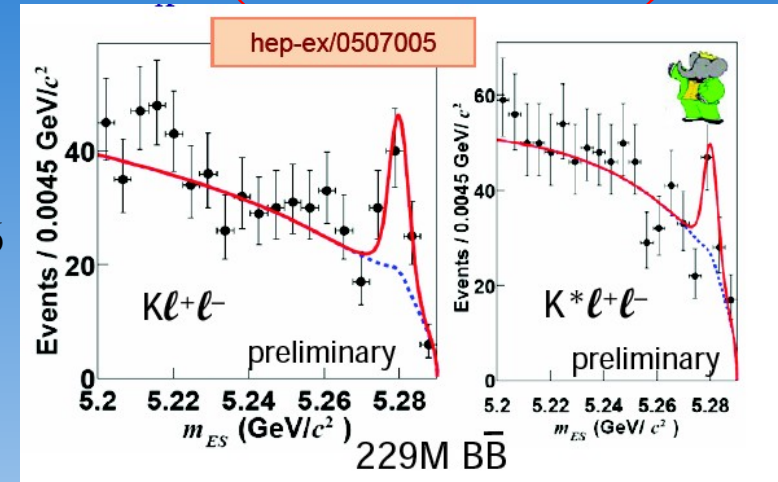
- Other calculations:
 - In supersymmetric theories FBA and muon invariant mass spectrum difference with respect to SM [Q. Yan et al., hep-ph/0004262 (2000)]
 - Solid line: SM
 - Dotted line: $SUSY$



Experimental Results

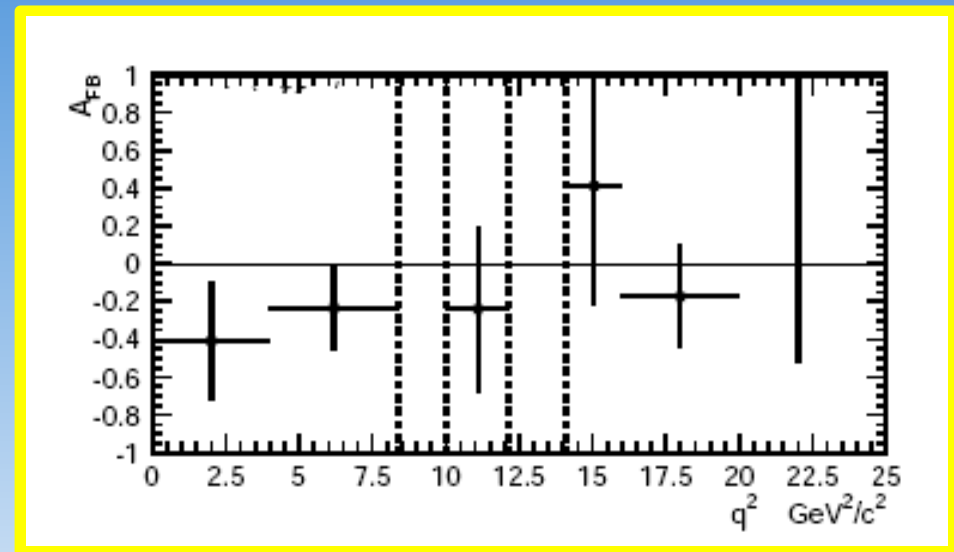
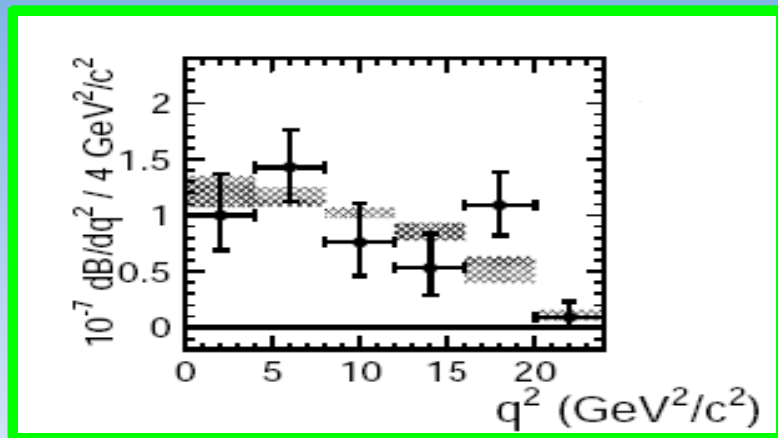
• from **BABAR Analysis Document #963 (08/03/2005)**

- $\text{BR}(\text{B}^+ \rightarrow \text{K}^+ \mu^+ \mu^-) = (0.31 \pm 0.4) \times 10^{-6}$
- $\text{BR}(\text{B}^+ \rightarrow \text{K}^{*+} \mu^+ \mu^-) = (0.97 \pm 0.14) \times 10^{-6}$



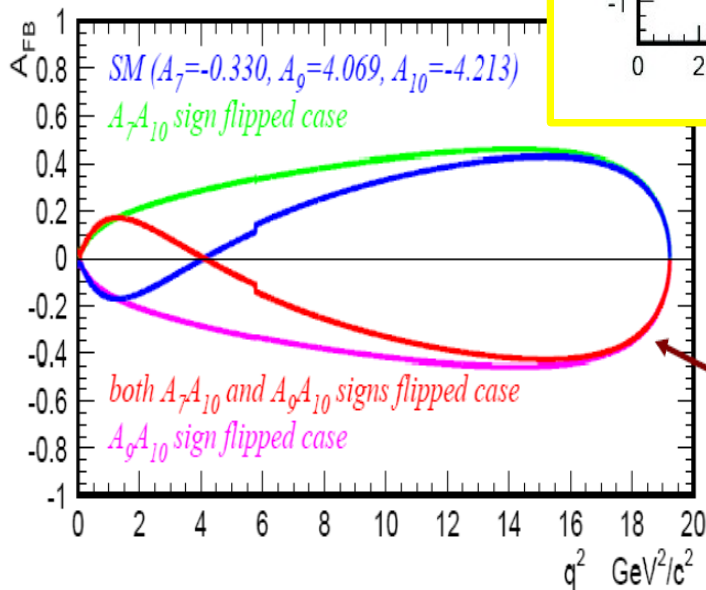
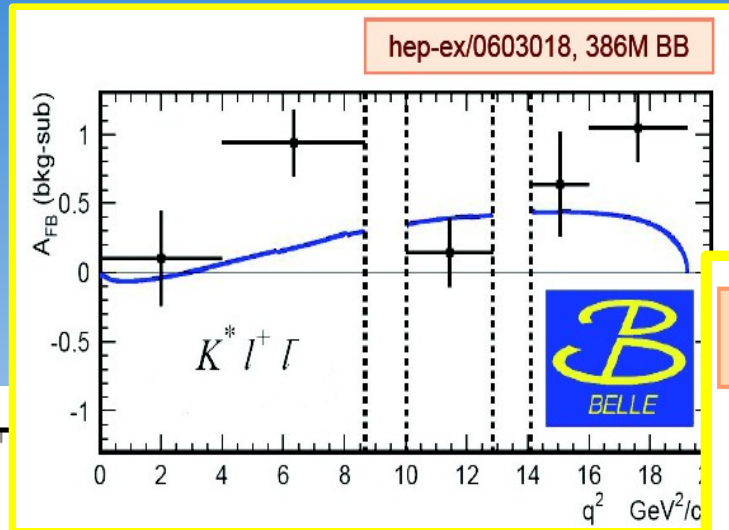
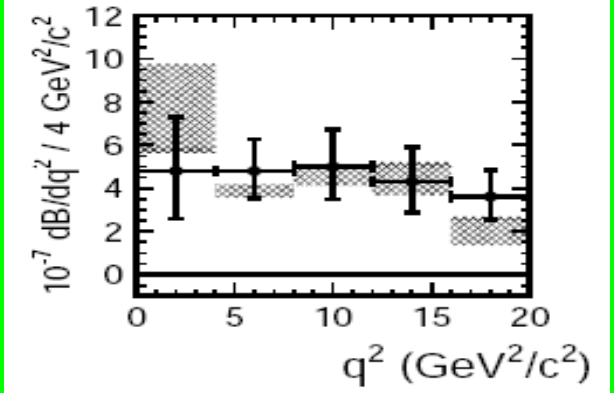
Experimental Results: $B^+ \rightarrow K^+ \mu^+ \mu^-$

- FBAsymmetry and differential decay rate from [hep-ex/0410006](#) (Belle Coll.) (bands represent the SM prediction)
- High statistical errors



Experimental Results: $B^+ \rightarrow K^{*+} \mu^+ \mu^-$

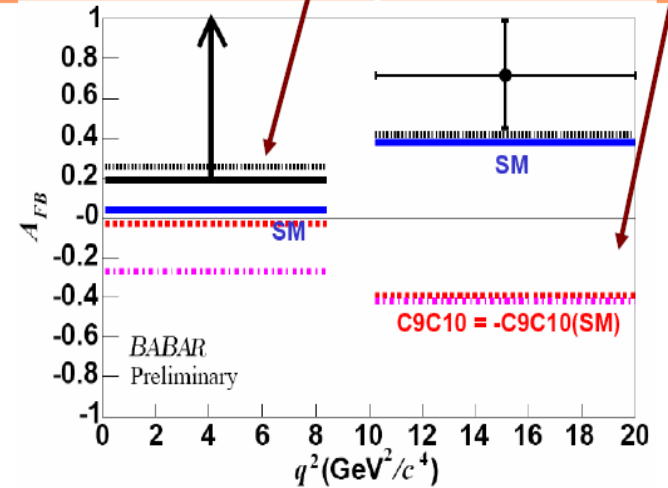
- differential decay rate from hep-ex/0410006 (Belle Coll.)
 (bands represent the SM prediction) and FBAsymmetry



Contributi di NP

SM NON consistente con A_{FB}
a basso q^2 !!! (@98% CL)

Wrong-sign $C_9 C_{10}$ escluso!
(accordo con Belle)



$A_{FB} > 0.19$ @95%CL
 $A_{FB}(SM) = 0.03$

$A_{FB} = 0.72^{+0.28}_{-0.26} \pm 0.08$
 $A_{FB}(SM) = 0.38$