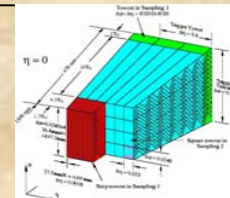


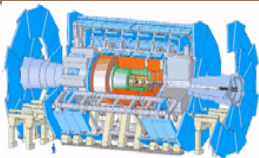
Electrons/Photons Reconstruction with the ATLAS Detector



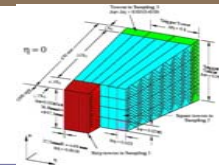
Kamal Benslama
Columbia University

On Behalf of the ATLAS Collaboration
June 08, 2006

Calorimetry in High Energy Physics



Physics Motivations



□ Higgs search

$$H \rightarrow \gamma\gamma$$

$$H \rightarrow ZZ^* \rightarrow 4e$$

□ BSM

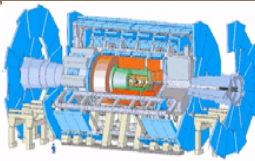
- TeV resonances

- SUSY

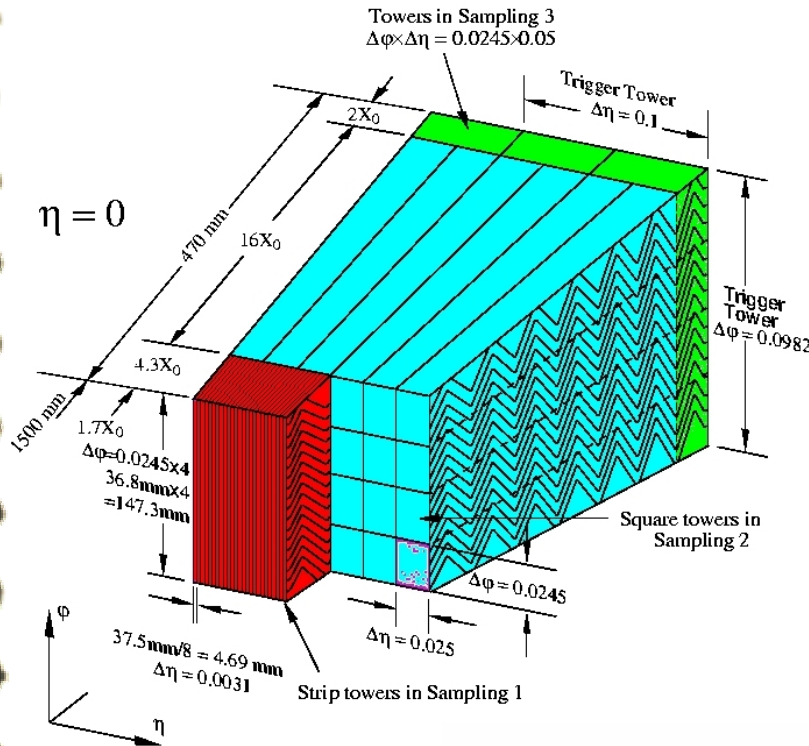
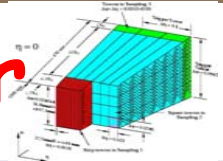
□ Many SM processes, top, Z to ee, W to ev

- Backgrounds to new physics

- Calibration processes



ATLAS LAr EM Calorimeter



Layer	Granularity ($\Delta\eta \times \Delta\phi$)
Pre-sampler	0.025 x 0.1
Front	0.003 x 0.1
Middle	0.025 x 0.025
Back	0.05 x 0.025

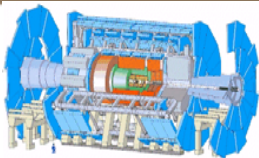
good energy resolution

$$\sigma(E)/E \sim 10\% / \sqrt{E} \oplus 0.7\%$$

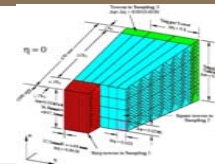
excellent angular/position resolution
 and particle identification capability

$$\sigma(R\phi) \sim 9 \text{ mm} / \sqrt{E} \quad \sigma(R\eta) \sim 3 \text{ mm} / \sqrt{E}$$

Presampler detector in front of EM: $\Delta\eta \times \Delta\phi \sim 0.025 \times 0.1$



Reconstruction Data Flow



ATLAS Data

LArDigit
(5 samples)

ROD processing

LArRawChannel

First stage Reconstruction

CaloCell

Clustering + particle-independent corrections

CaloClusters

Combined Reco + particle-dependent corrections

TrackParticle

Particle Candidates

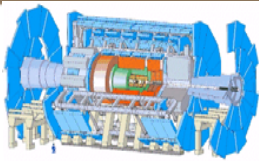
egamma

Optimized corrections & calibrations

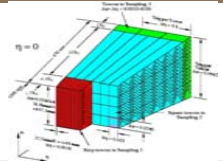
electrons

photons

Identified Particles



Clustering and Corrections



❑ Sliding window clustering

- build an eta-phi grid of towers and search for local maxima

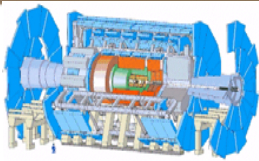
❑ Corrections at the cluster level

- eta position
- phi position
- phi energy modulation
- eta energy modulation
- gap correction
- layer weights correction

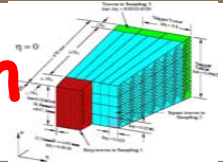
these corrections are derived using single electrons

❑ Refinement of corrections depending on the particle (e/γ) type

❑ Inter-calibrate region with Zee

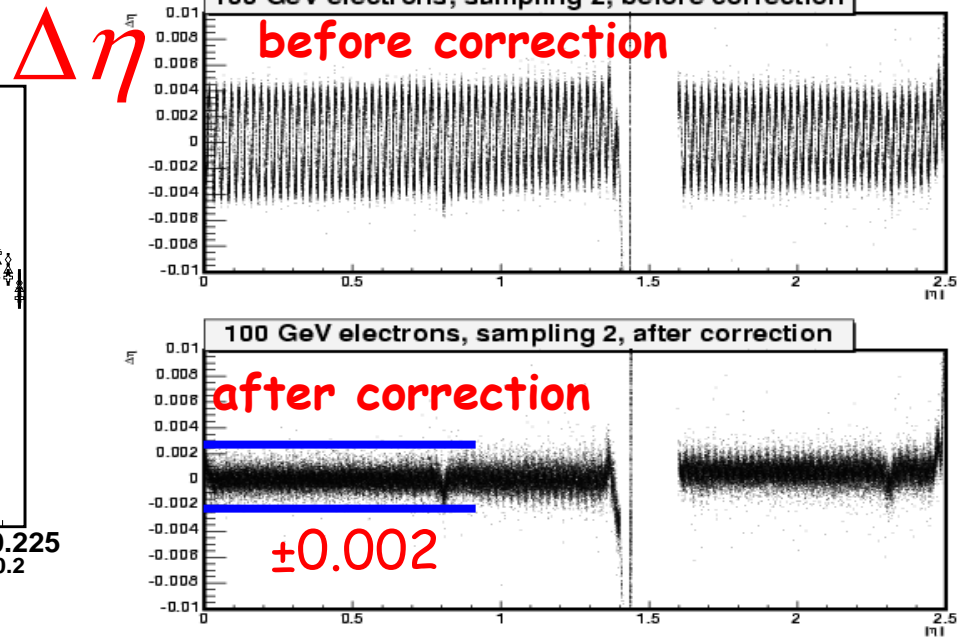
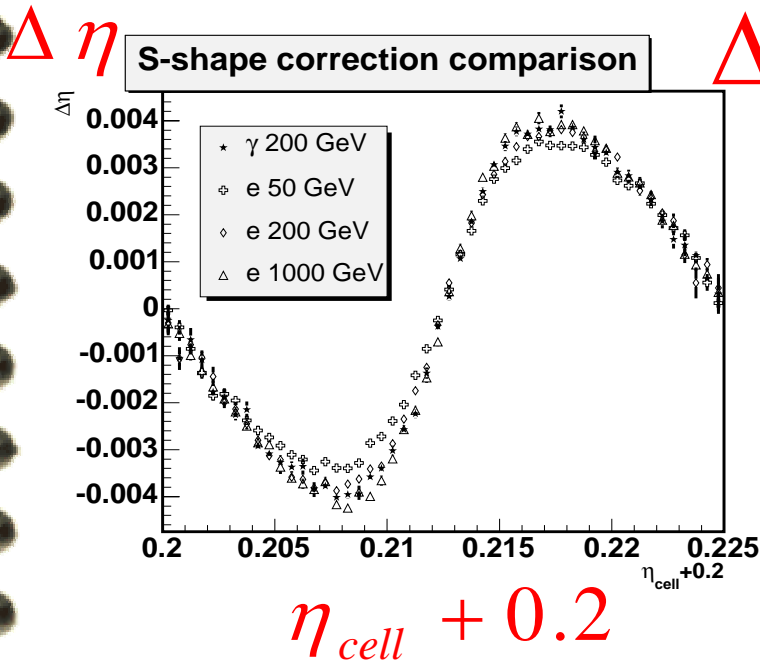


Cluster Correction: eta position



Clustering with fixed size

- Correct position S-shape in eta
- Essentially to account for fine granularities of LAr Calorimeter

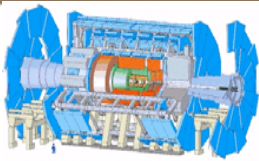


Small energy and particle dependence

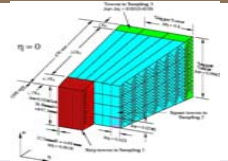
Currently same correction for e and γ

100 GeV electrons

$|\eta|$

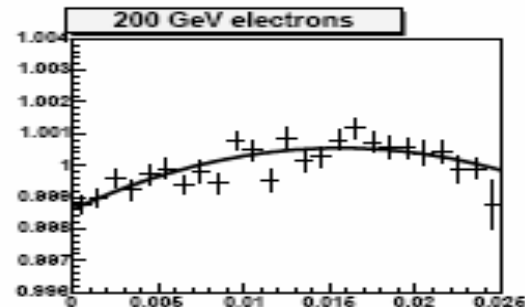
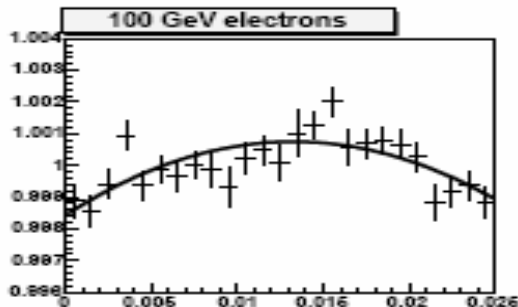
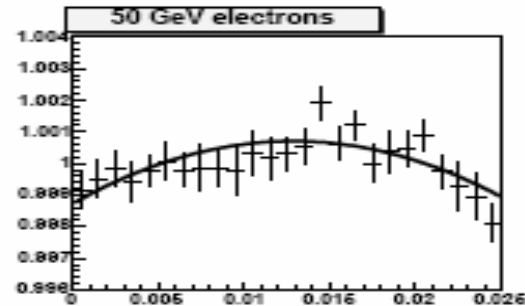
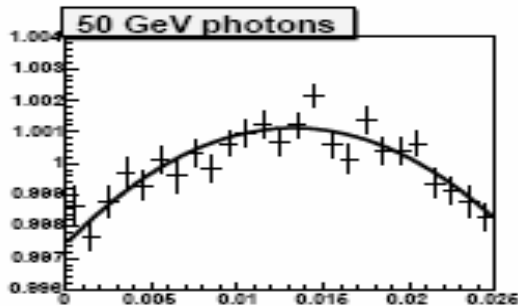


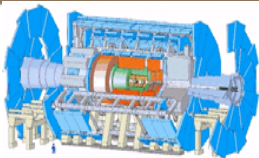
Cluster Correction: Eta Modulation



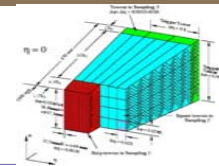
- Eta modulation of energy response
- Fixed calorimeter size with steps of 0.025, therefore shower containment is a function of eta
- Quadratic polynomial sufficient to correct for effect of about **0.1-0.2%**

$$\frac{E_{meas}}{E_{true}}$$



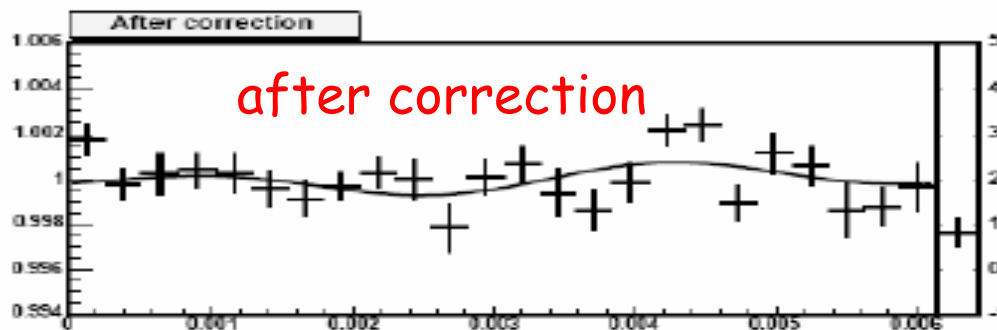


Cluster Correction: Phi Modulation



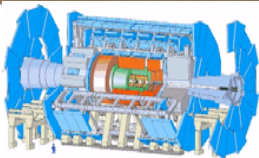
- ❖ Containment effect the same as for eta
- ❖ Additional component parameterized as sin/cos sums
- ❖ 0.1-0.2% effect

$$\frac{E_{meas}}{E_{true}}$$

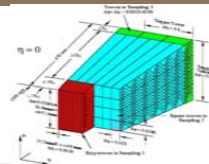


Corrections are
function of eta
Residual effect
< 0.03%
after correction

ϕ_{cell}



Cluster Correction: Layer Weights



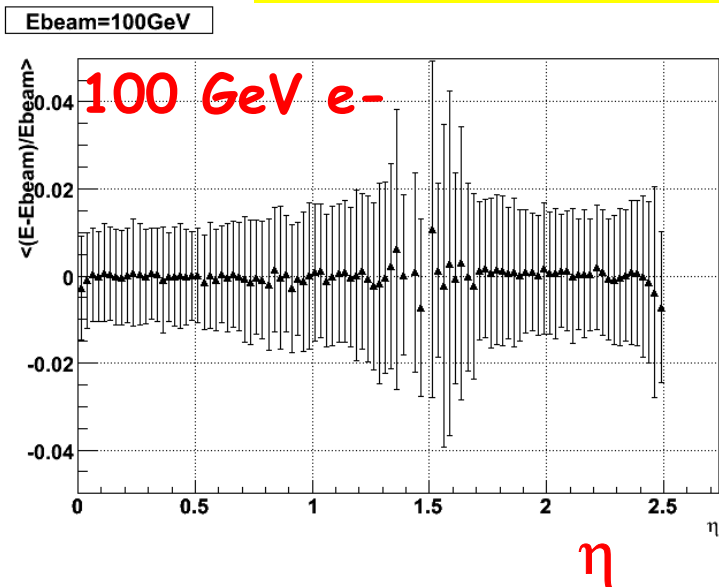
- **Layer Weights Correction:**

- **ATLAS Layer Weights (essentially only eta dependent)**

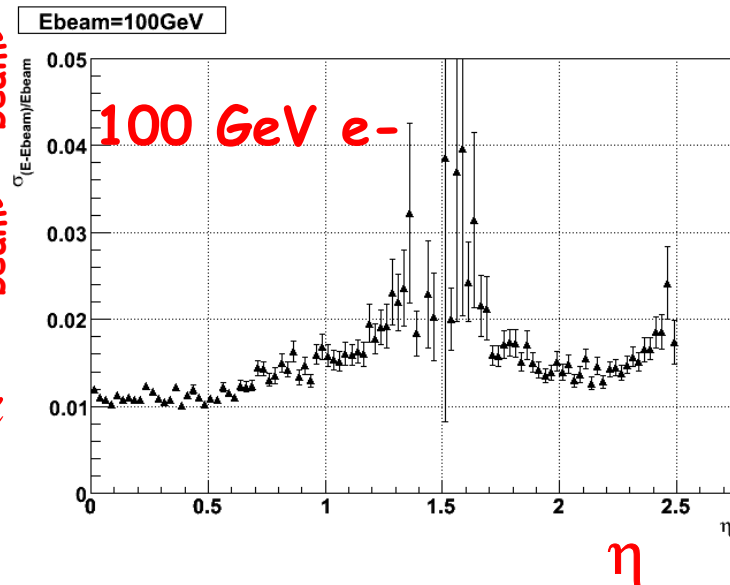
calculated using single electrons and following parameterization:

$$E_{rec} = \lambda(b + W_0 E_{pres} + E_1 + E_2 + W_3 E_3)$$

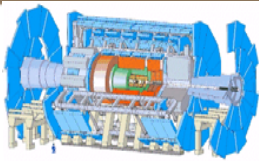
$(E - E_{beam})/E_{beam}$



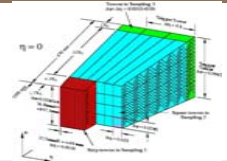
$\sigma((E - E_{beam})/E_{beam})$



Optimize simultaneously energy resolution and linearity



High p_T Algorithm

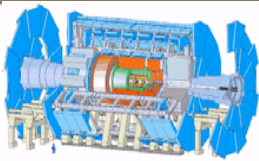


➤ e-gamma reconstruction uses both calorimeter and track particle information as inputs. Properties of the shower are then computed:

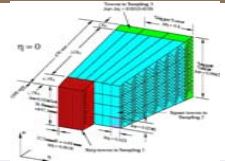
For example:

- Leakage in Had. Cal $ET(\text{had-layer1})/ET(3X7)$
- Shower shape $E2(3X7)/E2(7X7)$
- Energy weighted width in sampling 2
- Energy fraction, energy weighted shower width in the first sampling

➤ The track match is searched for with the following criteria:
 E/P cut and matching in eta and phi (extrapolated to calo)



Low p_T Algorithm



- For each track
 - apply track quality cuts
 - extrapolate to particular sampling of EM Calo
- In each sampling look for the cell with max E deposit
- Create cluster around that cell
- **Estimate discriminating variables**

Fiducial cuts:

$|\eta| < 2.4$

$PT > 2 \text{ GeV}/c$

(default 1.5 GeV/c)

Track quality cuts:

hits in silicon layers $N_{Si} > 8$

pixel hits $N_{Pix} > 1$ (default 1)

at least one hit in B-layer (default 0)

transverse impact parameter $A_0 < 1 \text{ mm}$

(default 2 mm)

track fit quality $\chi^2(\text{fit}) < 3$

no shared hit in the pixel detector

no more than one shared hit in the SCT

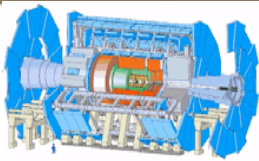
no ambiguity in the first pixel wafer

$|Z_0 - Z_{\text{vertex}}| \sin\theta < 0.15 \text{ cm}$

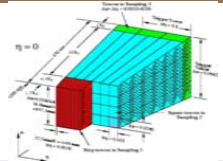
Other criteria:

TR high threshold $n_{TR} > 0$ (default -99)

TRT straw hits $n_{TRT} > 19$



Identification Description



Identification of electromagnetic object (same for e/γ):

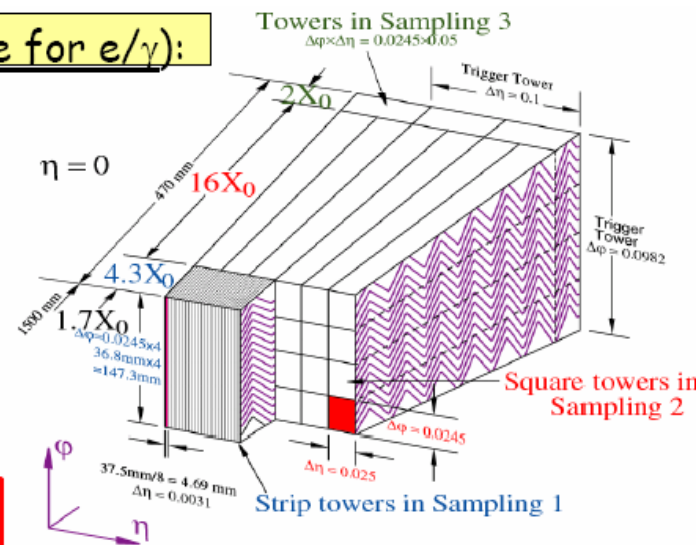
Leakage in Hadronic calorimeter

EM sampling 2: different transverse development of electromagnetic and hadronic showers.

- shower shapes in η and ϕ
- shower width in η direction

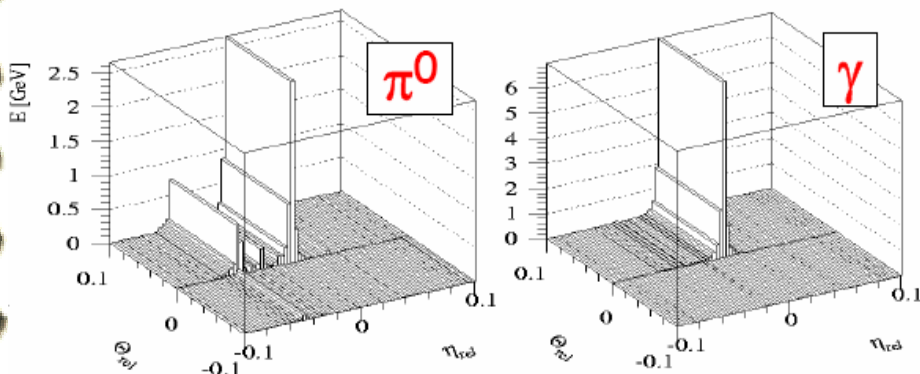
EM sampling 1: only jets with a little hadronic activity survive. Fine segmentation of the strips:

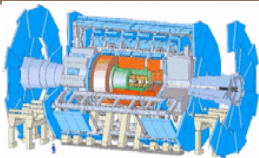
- look for substructures in strips
- shower width in η



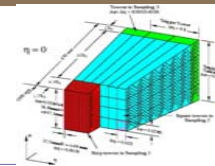
Use of the Inner Detector:

- Electron identification**:
- track matching ($\Delta\eta$, $\Delta\phi$), E/p
 - use of transition radiation
 - identification of conversions





eID/jet Rejection



Dijet cross section $\sim 1\text{mb}$

Z to ee $1.5 \times 10^{-6}\text{ mb}$

W to ev $1.5 \times 10^{-5}\text{ mb}$

Need a rejection factor of 10^5 for electrons

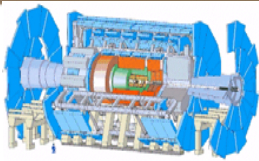
Identification methods:

Cuts

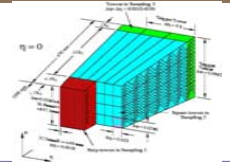
Neural net

likelihood

Cuts are binned so far in eta (pT coming)



eID/jet Rejection

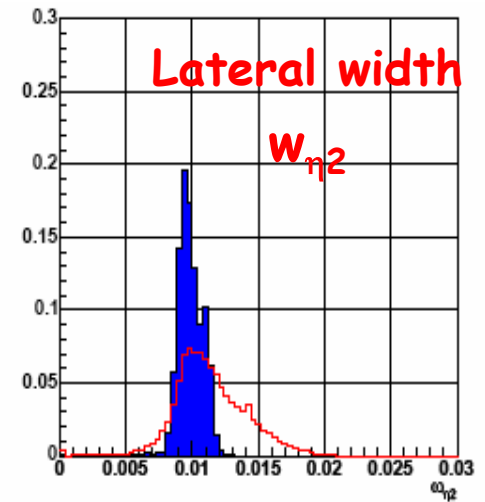
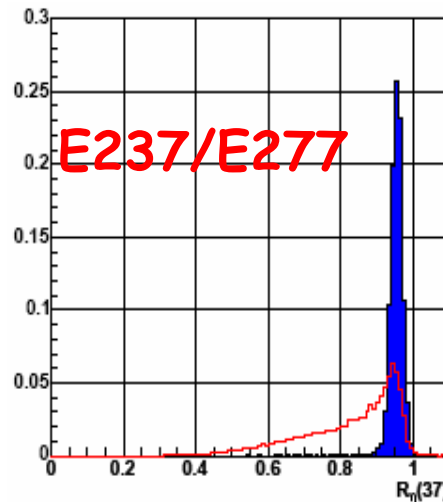
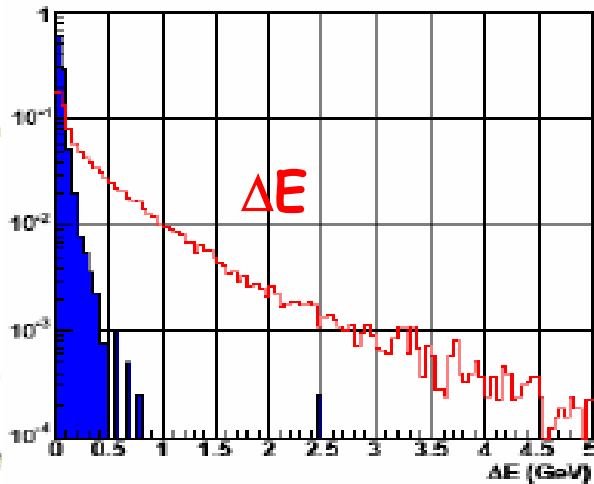
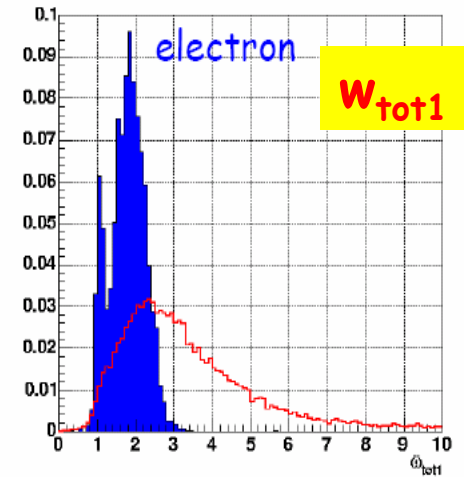
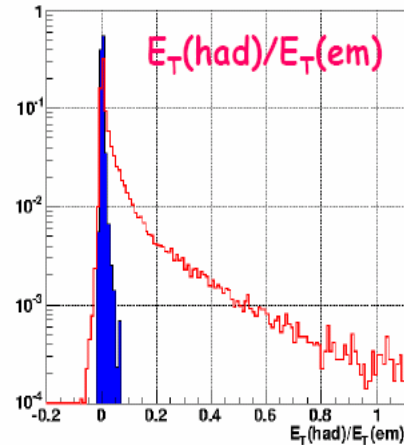


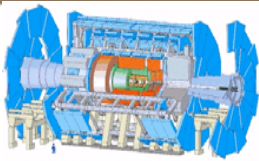
Use the shower shapes in the calorimeter

- hadronic leakage
- width in the second sampling
- ratio in the middle of $3 \times 7 / 7 \times 7$
- width in 40 strips

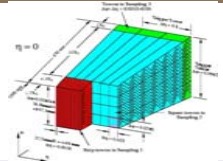
Search for secondary maxima in the strips:

- $\Delta E = E_{\max 2} - E_{\min}$
 - ShowerCore
- $F_{\text{side}} = (E_{7\text{strips}} - E_{3\text{strips}}) / E_{3\text{strips}}$





eID/jet Rejection: Results



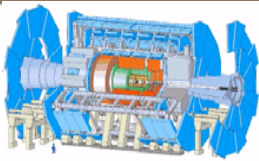
e-id efficiency

rejection

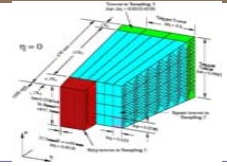
	e (low lumi)	e(high lumi)		R (pT>17 GeV) *1000	R (pT>25 GeV) *1000
LVL1	95.8+-0.3	94.6+-0.2	Had Calo	1.00+-0.01	0.48+-0.01
Calo	91.5+-0.4	90.5+-0.3	Calo 2nd	1.65+-0.02	0.85+-0.01
ID	87.4+-0.5	85.3+-0.5	Calo 1st	3.01+-0.06	1.71+-0.04
ID-Calor	82.2+-0.6	79.2+-0.4	ID	35.9+-2.5	20.5+-1.8
TRT	79.0+-0.6	77.3+-0.5	ID-Calor	103+-12	43+-6
			TRT	222+-38	71+-12

For a 75-80% e-id efficiency, a rejection $\sim 10^5$ is achieved

Rejection can be improved using multivariate techniques

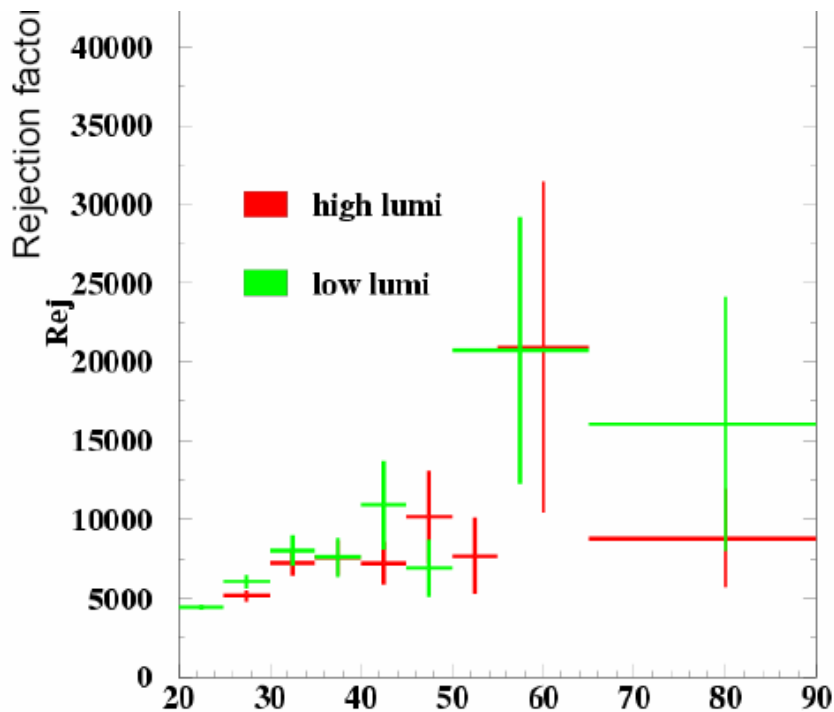


γ /jet Separation

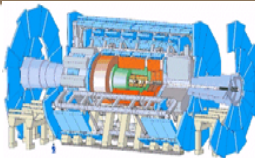


□ Data Used:

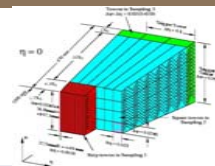
- single γ or γ from H to $\gamma\gamma$
- QCD dijets with $p_T > 17$ GeV (low lumi)
and 25 GeV (high lumi)



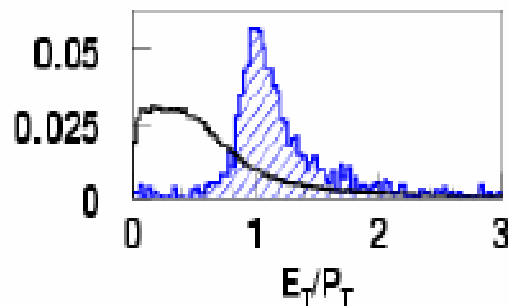
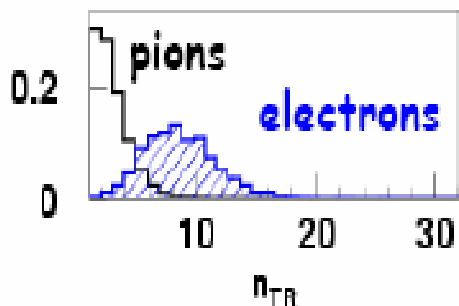
- For $\epsilon \sim 80\%$ $R \sim 7000$
- Rejection of quark jets ~ 3000
- Rejection of gluon jets ~ 21000



Low p_T Electron Identification

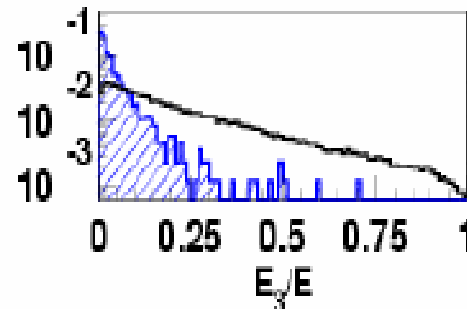
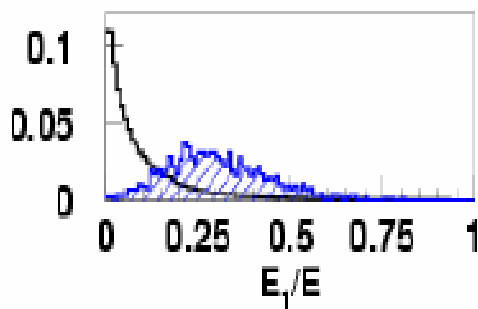


of TR hits



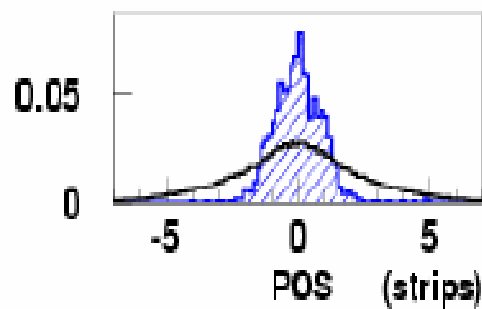
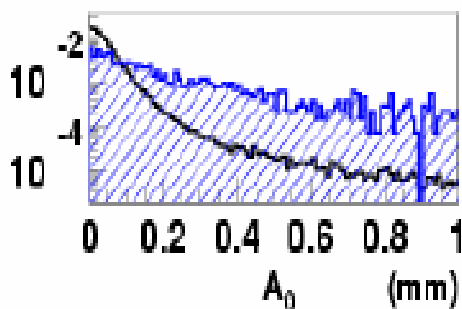
$E_T(\text{calo})/p_T$

fraction of E in 1st sampling

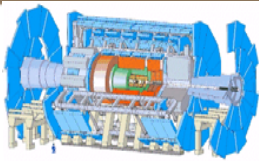


fraction of E in 3rd sampling

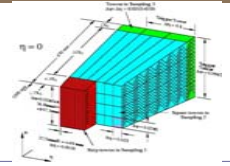
transverse impact parameter



diff between shower and impact position

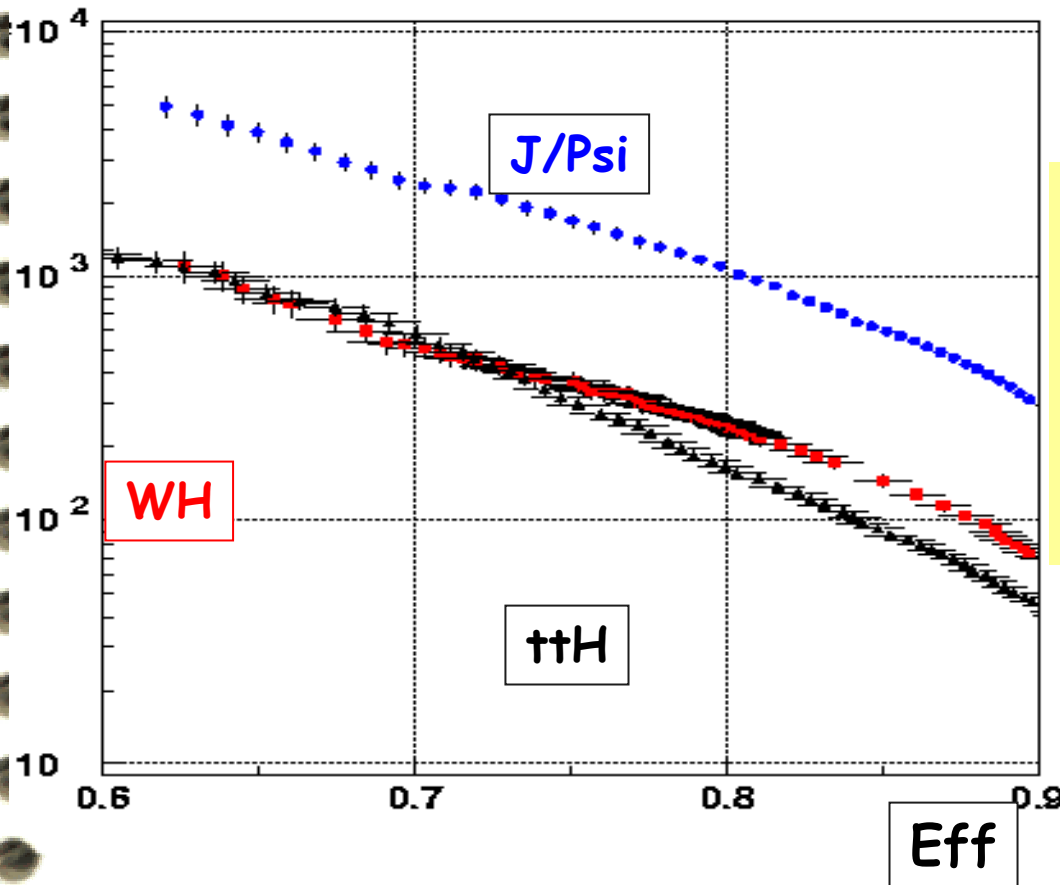


Low pT eID: Results

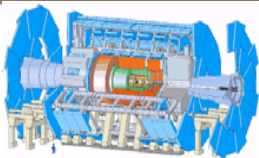


PDF and neural net for ID: analysis dependant

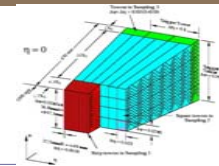
Rejection



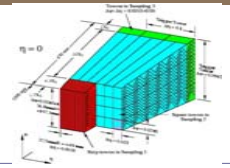
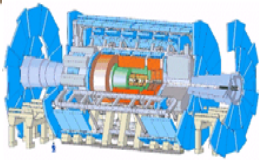
e-id efficiency = 80%
Pion rejection in:
J/Psi : 1050±50
WH(bb) : 245±17
ttH : 166 ±6



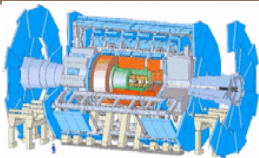
Conclusion



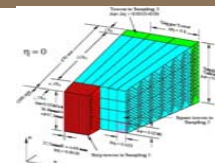
- ❑ Electrons and photons ID are essential ingredients for new physics at the LHC
- ❑ Procedures and methods for calibration are established and tested in test beam
- ❑ Different algorithms for $eID/\gamma ID$ have been developed
- ❑ Dedicated algorithms needed for e^- from b 's have been developed



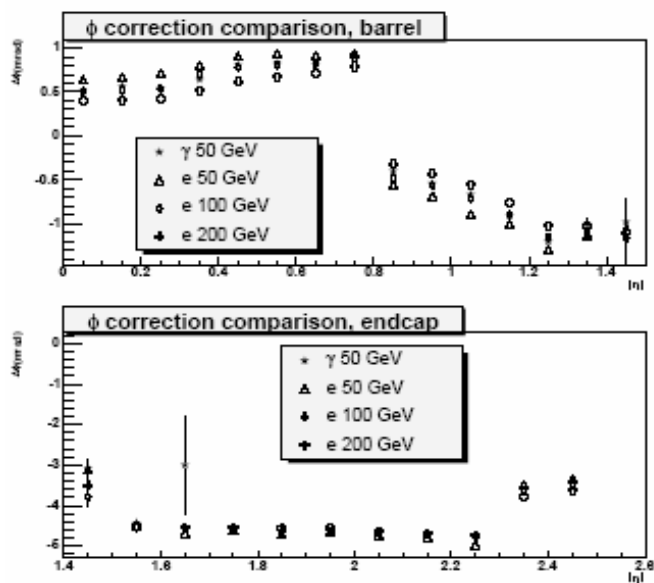
Backup Slides



Phi Position Correction

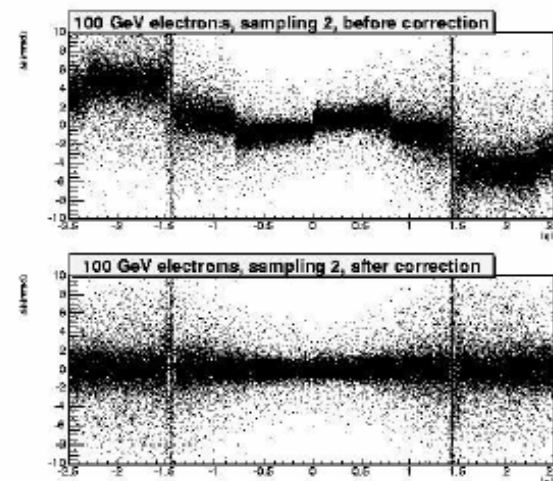


- Correct ϕ bias in sampling 2.
- $\Delta\phi = \phi_{\text{true}} - \phi_{\text{meas}}$.

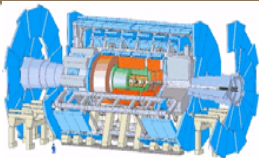


- A small energy dependence is seen.
- 50 GeV photons look most like 100 GeV electrons.

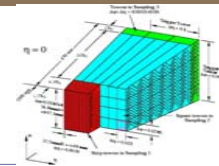
- Interpolate in $|\eta|$ and energy.



- Note: sign difference for $\pm\eta$; different from G3.

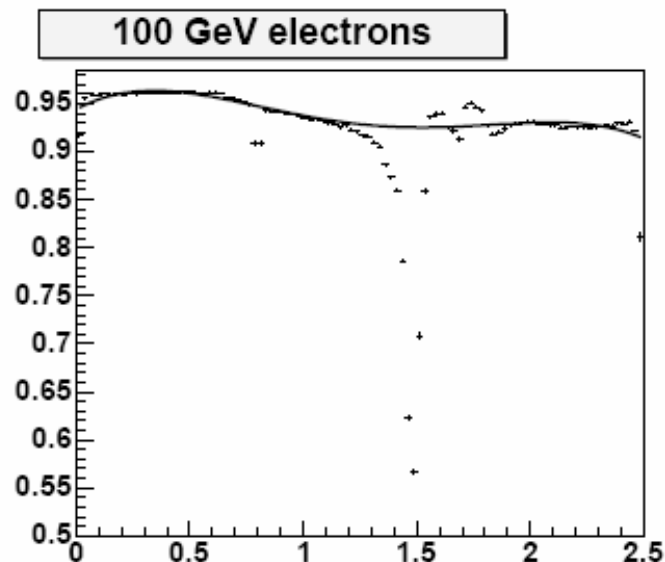


Gap Correction

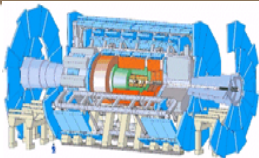


- Attempt to correct for the energy lost in the gap between the cryostats.
- Use the tile calorimeter scintillator to recover some of the energy.
- Correction: $E' = A(E_c + \alpha E_s)$, where E_s is the scintillator energy.
- Weights A and α defined as a function of $|\eta|$.
- Plot $E_{\text{meas}}/E_{\text{true}}$. Fit a function to the points outside the gap; interpolate across the gap.
 - (Don't use detailed MC information about energy deposition in dead material both for simplicity and so that the same procedure may be used for real data.)

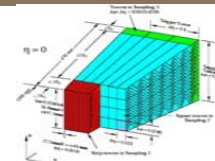
- Example for 100 GeV electrons:



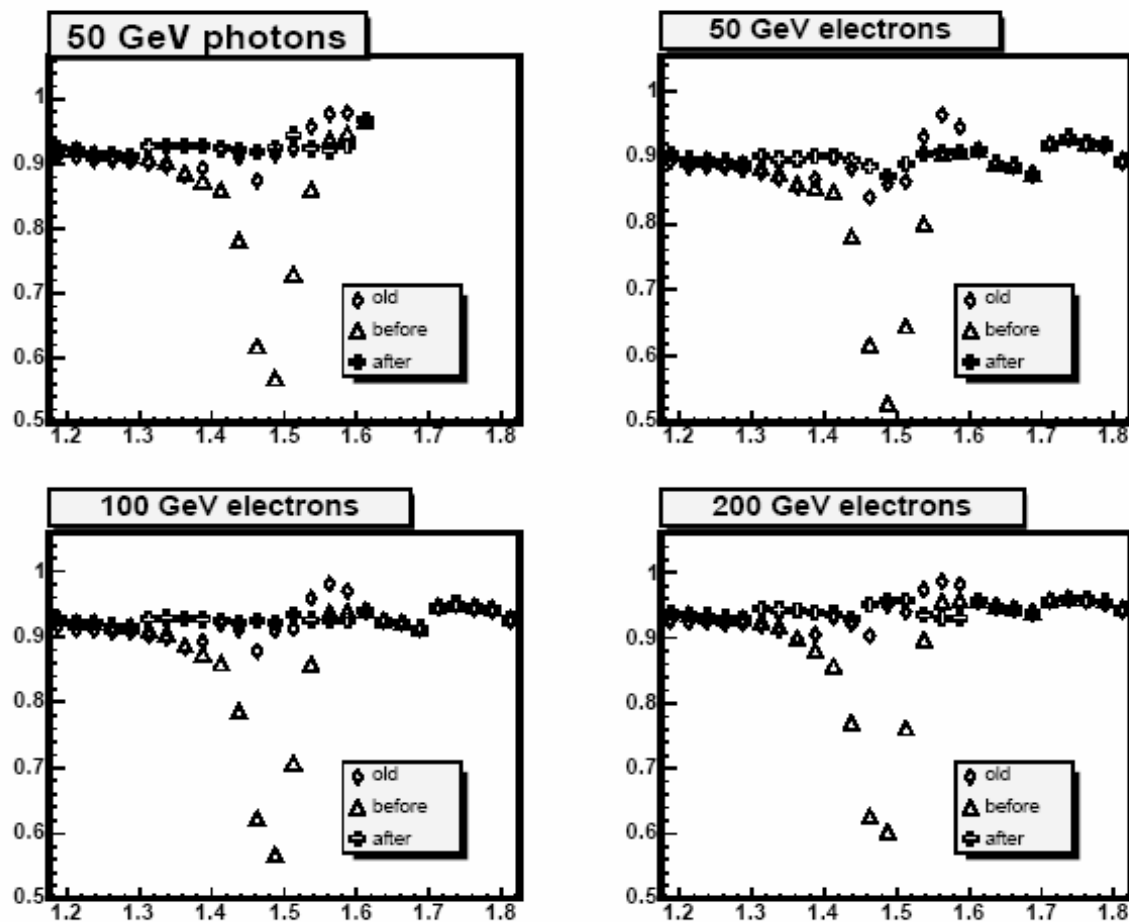
- Choose α to minimize $\sigma(E')$.
- Choose A to get the $\langle E' \rangle$ to match the interpolating polynomial.

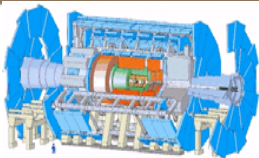


Gap Correction

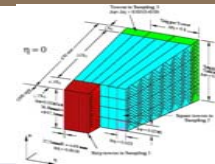


- $E_{\text{meas}}/E_{\text{true}}$ vs. $|\eta|$ before and after correction.

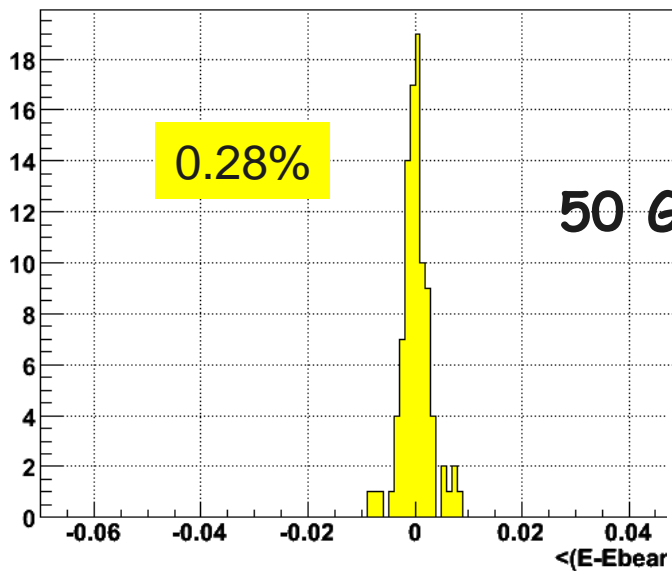




Layer Weights

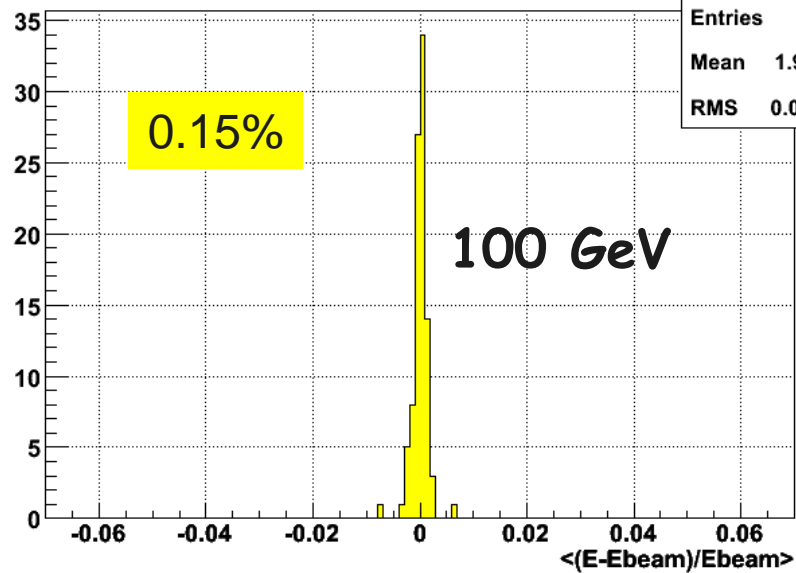


Ebeam=50GeV

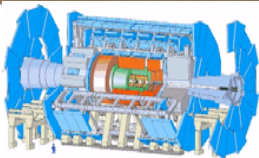


hmean	
Entries	94
Mean	0.0001823
RMS	0.002806

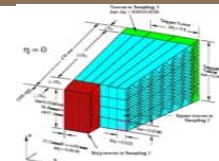
Ebeam=100GeV



hmean	
Entries	94
Mean	1.92e-05
RMS	0.001519



Uniformity and $Z \rightarrow ee$



- **uniformity 0.2x0.4 ok in testbeam:**
 - 1% quasi online
 - 0.5% difficult
 - energy scale stable to 0.13%
- description of testbeam data by Monte Carlo satisfactory
- make use of $Z \rightarrow ee$ Monte Carlo and Data in ATLAS for intercalibration of regions
- 448 regions in ATLAS (denoted by i)
- mass of Z know precisely
- $E_i^{reco} = E_i^{true}(1+\alpha_i)$
- $M_{ij}^{reco} = M_{ij}^{true}(1+(\alpha_i+\alpha_j)/2)$
- fit to reference distribution

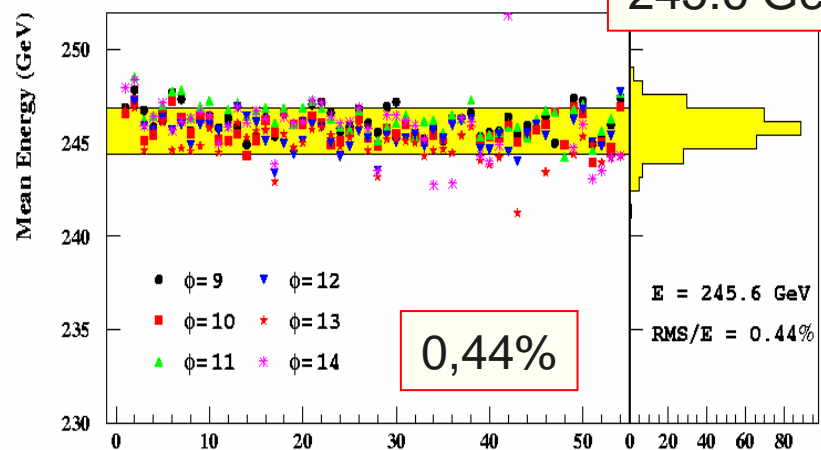
At low (but nominal) luminosity, 0.3% of intercalibration can be achieved in a week (plus E/P later on)! Global constant term of 0.7% achievable!

Testbeam 0.62% and 0.56% global constant term already achieved
Module to module variation 0.05%

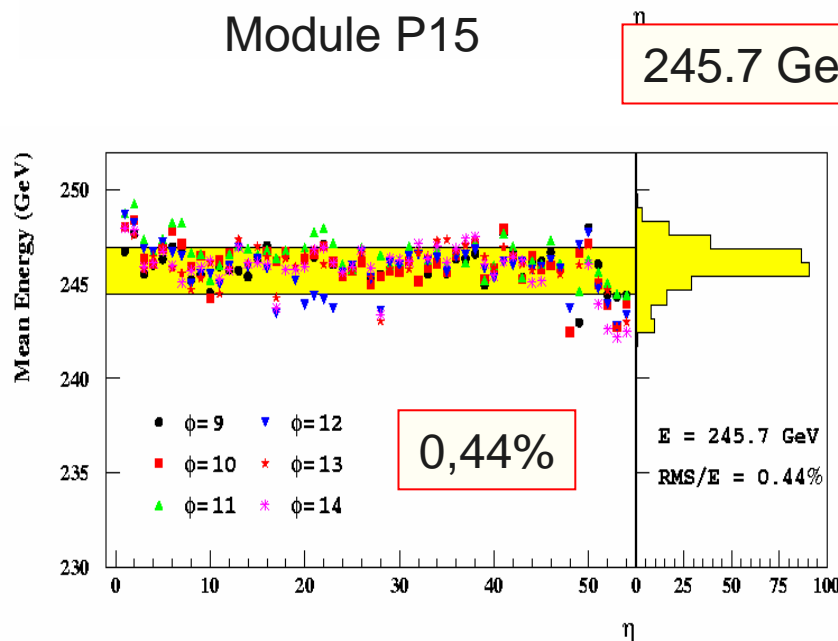
K. Benslama

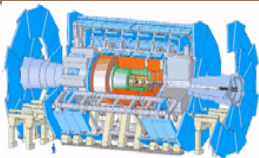
CA

Module P13

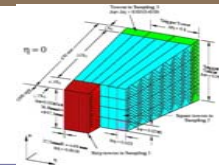


Module P15

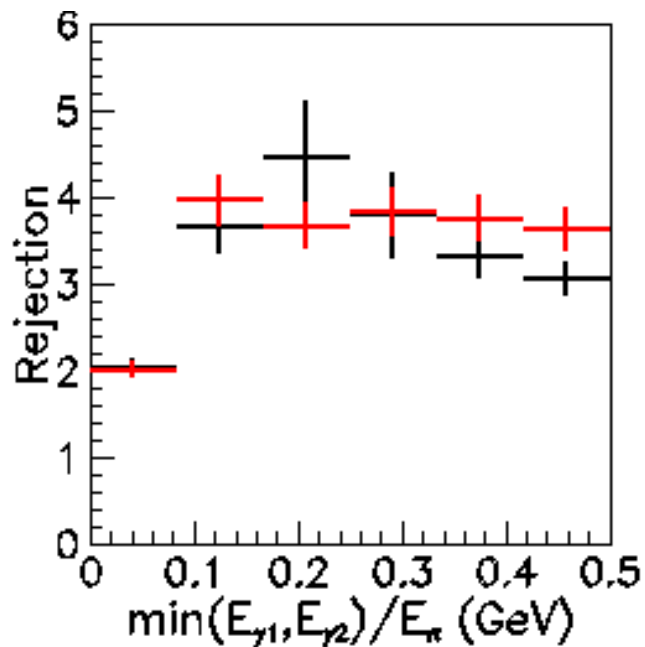




γ/π^0 Separation

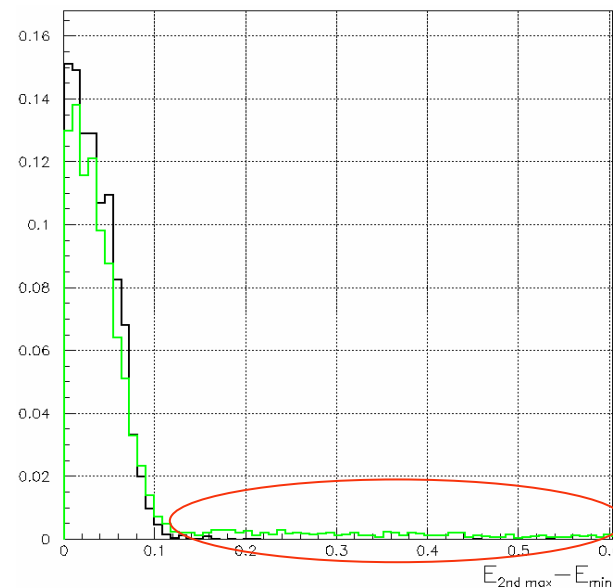


- use finely segmented first CALO compartment and search for secondary maxima, shower width etc
- need a separation factor of at least 3



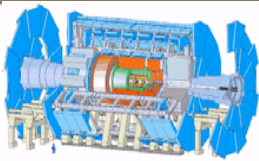
R (data) = 3.18 ± 0.12 (stat)

R (MC) = 3.29 ± 0.10 (stat)

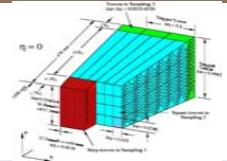


$E_{2nd\ max} - E_{min}$

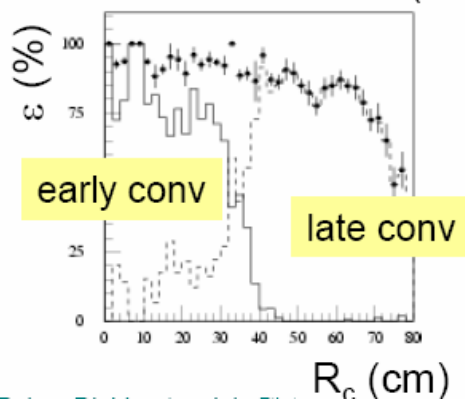
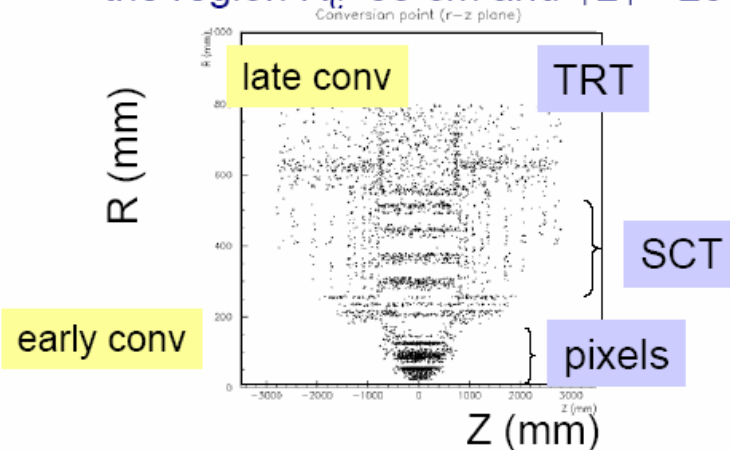
Results obtained with Full simulation
G3/DC1 or G4/DC2 are in agreement



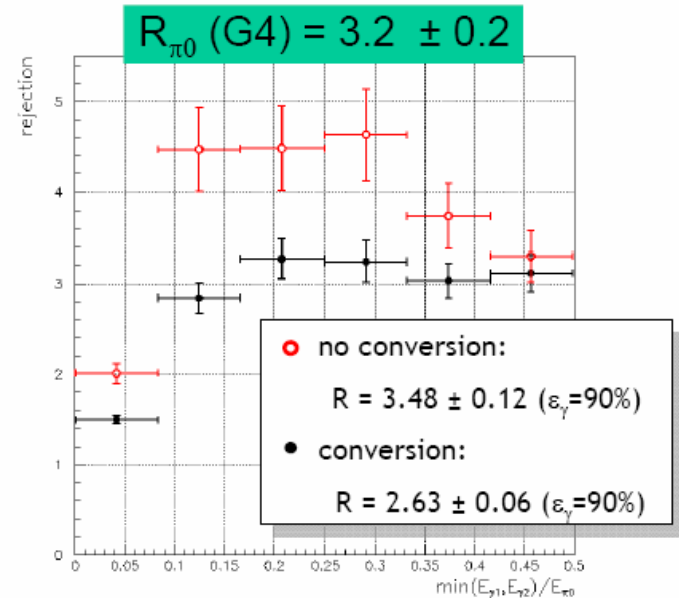
γ Conversions and its Effects on γ/π^0



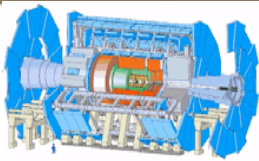
- ☆ ~30% (depending on η) probability for photon conversion in the ID cavity
- ☆ ID will identify and reconstruct with a ~80% efficiency photon conversions in the region $R_c < 80$ cm and $|z| < 280$ cm – where ~80% of conversions occur



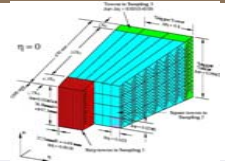
Results from G4 full simulation



Small effect on R_{π^0} due to different start of showering
 Identification of conversions \Rightarrow retuning of cuts



e/jet Separation: Results



$$\log \left(\frac{\prod_1^n pdf_{signal}}{\prod_1^n pdf_{background}} \right)$$

NO ID Variables Used

Cut1:

$\epsilon \sim 95$

$R \sim 3.6 \times 10^4$

Cut2:

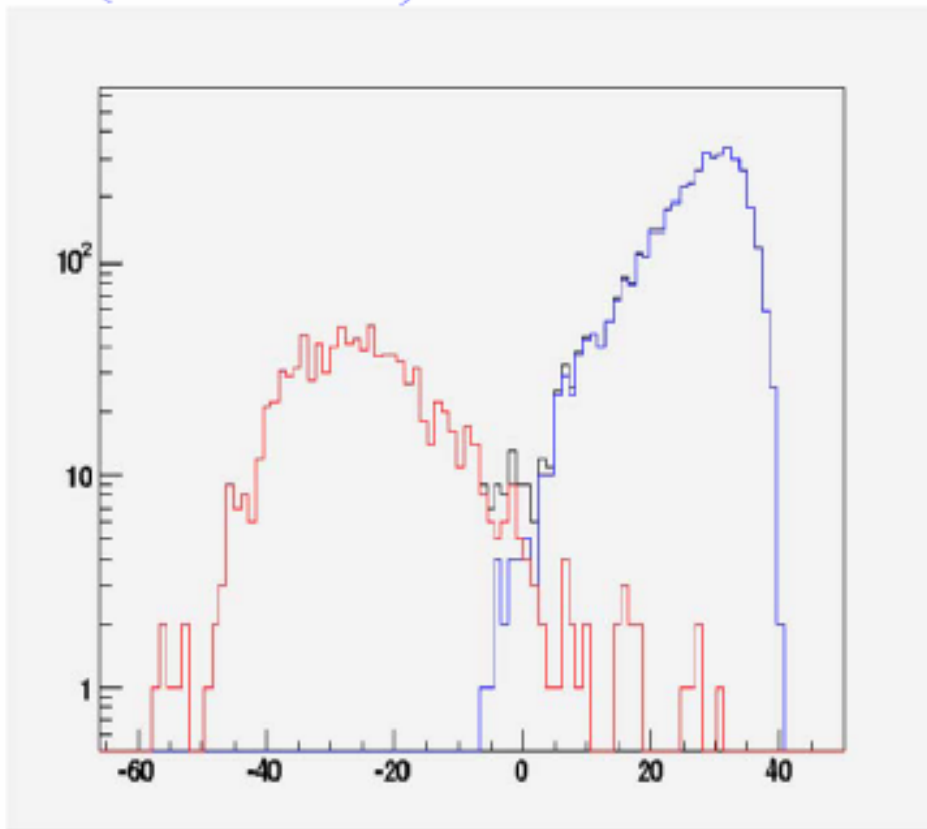
$\epsilon \sim 90$

$R \sim 4.1 \times 10^4$

Cut3:

$\epsilon \sim 83$

$R \sim 1.2 \times 10^5$



$\epsilon \sim 82.1$

$R \sim 1.4 \times 10^5$

DC1

$\epsilon \sim 84$

$R \sim 1.2 \times 10^5$

Tuned IsEM