

## MISFIRE DETECTION IN A MULTI-CYLINDER DIESEL ENGINE: A MACHINE LEARNING APPROACH

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### Abstract

Misfire is another type of abnormal combustion. When engine misfires, cylinder (or cylinders) is not producing its normal amount of power. Engine misfire also has negative effects on engine exhaust emissions such as HC, CO, and NOx. Engine misfire should be detected and eliminated. Normal combustion and misfire in the cylinder (if any) generates vibrations in the engine block. The vibration characters due to misfire are unique for a particular cylinder. This can be diagnosed by processing the vibration signals acquired from the engine cylinder block using a piezoelectric accelerometer. The obtained signals were decoded using statistical parameters, like, Kurtosis, standard deviation, mean, median, etc. Misfire identification algorithms such as AdaBoost, LogitBoost, MultiClass Classifier, and J48 were used as tools for feature selection and classification. The signals were trained and tested by the selected classifiers. The classification accuracy of selected classifiers were compared and presented in this paper. MultiClass Classifier was found to be performing better with selected statistical features compared to other classifiers.

Keywords: Engine misfire, Feature extraction, Confusion matrix, AdaBoost, LogitBoost, MultiClass Classifier.

### 1. Introduction

Misfiring can usually be caused by ignition or fuel system faults as well as engine mechanical problems. The algorithms used for misfire detection proved to be reliable, with neglectable detection error. Several methods of misfire detection have been proposed [1, 2]: a. Monitoring catalyst temperature at exhaust. This method is unacceptable since the catalyst temperature at exhaust does not rise significantly in the case of low frequency misfire. b. Monitoring the oxygen

sensor signal in exhaust. This method is not encouraging since the momentary increase in oxygen level for a single misfire might not evoke a good response from the sensor and it is even more challenging at higher speeds. c. In-cylinder pressure monitoring. This method is very reliable and accurate as individual cylinder instantaneous mean effective pressure could be calculated in real time. However, the cost of fitting each cylinder with a pressure transducer is prohibitively high. d. Evaluation of crankshaft angular velocity fluctuations.

Extensive studies have been done using measurement of instantaneous crank angle speed [3-7] and diverse techniques have been developed to predict misfire. These methods call for a high resolution crank angle encoder and associated infrastructure capable of identifying minor changes in angular velocity due to misfire. The application of these techniques becomes more challenging due to continuously varying operating conditions involving random variation in acceleration coupled with the effect of flywheel, which tries to smoothen out minor variations in angular velocity at higher speeds. Fluctuating load torque applied to the crankshaft through the drive train poses additional hurdles in decoding the misfire signals. Piotr and Jerky [8] reported their work using vibroacoustic measurement at engine exhaust to model nonlinear methods for misfire detection in locomotive engines. Although the idea of using vibroacoustic signals is encouraging, the implementation of such a system requires the use of multi sensor input escalating the cost and computational infrastructure. It also offers more challenges when there is a need to integrate the system to an onboard condition monitoring system for automobiles, with minimum infrastructure.

Ye [9] reported work on misfire detection using the Matter-element model, which is built on diagnostics derived from specialists' knowledge of practical experience. In this model the misfire in the engine cylinder can be directly identified using relation indices. The shortcoming observed here is that the technique depends heavily on the knowledge of an expert and does not facilitate automatic machine learning through a model built on an algorithm using knowledge hidden in the data. The reliability of a system with automatic rule based learning is more since it can be trained for the continuously changing behavior of the engine, due to wear and tear.

Engine misfire detection done using sliding mode observer [10, 11] is challenged with difficulty in modeling. Expressing a dynamic non-linear system into a robust model will induce errors. The system becomes more complicated with IC engines since it is a time varying system. Some studies have also been done using linear approximation techniques using Kalman filter [12]. The inherent problem in such systems is that there can be loss of valuable information due to linear approximation and these signals cannot be used to extract other engine information required for designing a vehicle condition monitoring system. The linear approximation models using Kalman filter is found to be less efficient than non-linear systems [13]. Chang, Kim, and Min [14] have reported their work using a combination of engine block vibration and wavelet transform to detect engine misfire and knock in a spark ignition engine. The use of engine block vibration is appreciable because it requires minimum instrumentation but the use of wavelet transforms increases the computational requirements. The present study proposes a non-intrusive engine block acceleration measurement using a low cost mono axial piezoelectric accelerometer connected to a computer through a signal processor. The acquired analog vibration signals are converted to digital signals using an

analog to digital converter and the discrete data files are stored in the computer for further processing. Feature extraction and feature selection techniques are employed and their classification results obtained is presented in the ensuing discussion.

A good classifier should have the following properties:

- It should have good ‘predictive accuracy’; it is the ability of the model to correctly predict the class label of new or previously unseen data.
- It should have good speed.
- The computational cost involved in generating and using the model should be as low as possible.
- It should be ‘robust’; robustness is the ability of the model to make correct predictions given the noisy data or data with missing values. (Insensitive to noise in the data)
- The level of understanding and insight that is provided by classification model should be high enough.

The selected classifiers have all the above properties and hence chosen for the study.

The above review stimulated us to perform some statistical analysis on new methods of misfire detection diagnostic such as adaboost, logitBoost, Simplelogic, and Multiclass classifier, considering J48 decision tree as a reference tool on which Babu Senapati et al. [2] have performed misfire detection from a multi-cylinder gasoline engine. They obtained samples that were divided into training set to train the classifier and testing set to validate the performance of the classifier. The classification accuracy was evaluated by tenfold cross-validation which is found to be around 95% for decision tree (J48) algorithm. The same authors [16] evaluated the use of random forest (RF), as a tool for misfire detection using statistical features, which is found to have a consistency high classification accuracy of around 90%. From the favourable results obtained, the authors concluded that, the combination of statistical features and random forest algorithm is well suited for the detection of misfire in spark-ignition engines. However, the other statistical learning approaches like AdaBoost, LogitBoost, SimpleLogistic, and MultiClass Classifier have not been studied for misfire detection. Hence, in the present study, the above classifiers were studied to find the classification accuracy for misfire detection in a multi-cylinder gasoline engine.

## 2. Experimental Setup

Referring to Fig. 1, the misfire simulator consists of two subsystems namely, IC engine test rig and data acquisition system. They are discussed in detail in the following sections.

### 2.1. IC engine test rig

The experimental setup of the engine misfire simulator consists of a four-stroke vertical four-cylinder gasoline (petrol) engine. Switching off the high voltage electrical supply to individual spark plugs or to a combination of spark plugs simulates the misfire. The engine accelerator is manually controlled using a screw

and nut mechanism that can be locked in any desired position. The engine speed is monitored using an optical interference tachometer.

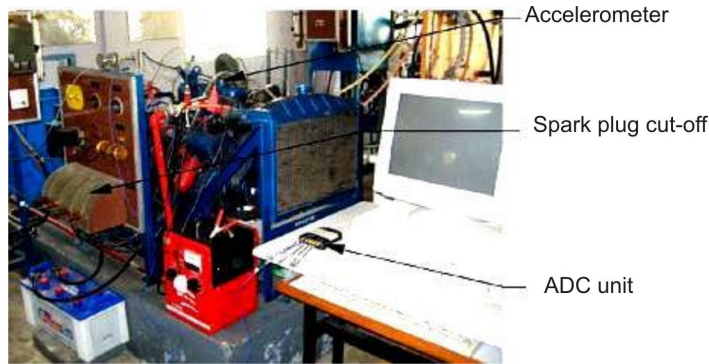


Fig. 1. Experimental setup.

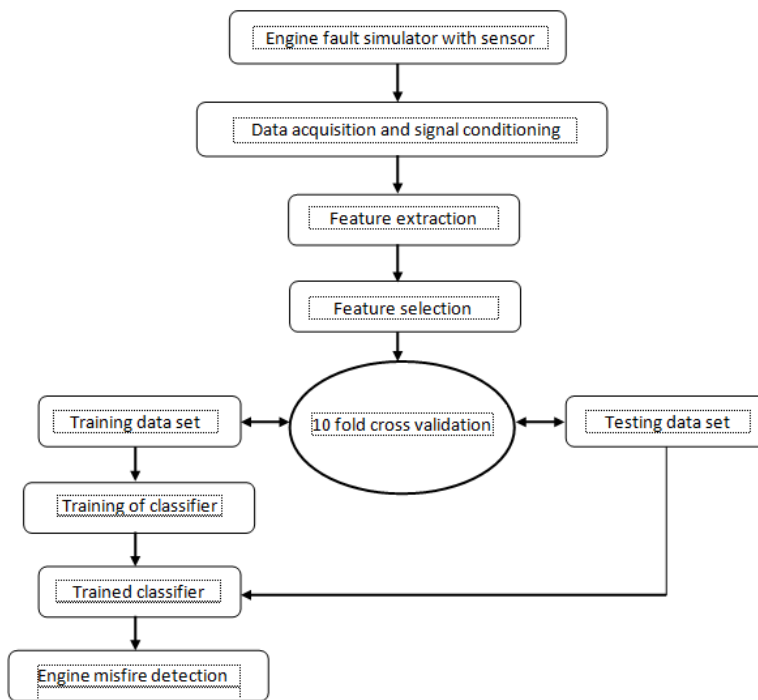


Fig. 2. Flowchart of fault diagnosis system.

## 2.2. Data acquisition system

Accelerometers are the preferred transducers in machine condition monitoring due to the following advantages: extreme ruggedness, large frequency response

and large dynamic range. Accelerometers have a wide operating range enabling them to detect very small and large vibrations. The vibration sensed can be taken as a reflection of the internal engine condition. The voltage output of the accelerometers is directly proportional to the vibration. A piezoelectric mono axial accelerometer and its accessories form the core equipment for vibration measurement and recording. The accelerometer is directly mounted on the center of the engine head-using adhesive mounting as shown in Fig. 1.

The output of the accelerometer is connected to the signal-conditioning unit through a DACTRON FFT analyzer that converts the signal from Analogue to Digital (ADC). The digitized vibration signal (in time domain) is given as input to the computer through the USB port. The data are stored in the secondary memory of the computer using the accompanying software for data processing and feature extraction.

### 3. Experimental Procedure

The engine is started by electrical cranking at no load and warmed up for 15 min. The FFT analyzer is switched on, the accelerometer is initialized and the data are recorded after the engine speed stabilized. A sampling frequency of 24 kHz and sample length of 8192 is maintained for all conditions. The highest frequency was found to be 10 kHz and since Nyquist sampling theorem says that the sampling frequency must be at least twice that of the highest measured frequency or higher. Hence the sampling frequency was chosen to be 24 kHz. To strike a balance between computational load and data quality, the number of samples is chosen as 1000.

Extensive trials were taken at various speeds (1000 rpm, 1500 rpm and 2000 rpm) and discrete vibration signals were stored in the files. Five cases were considered – normal running (without any fault), engine with any one-cylinder misfire individually (i.e. first, second, third or fourth). All the misfire events were simulated at 1000 rpm, 1500 rpm and 2000 rpm. The rated speed of the engine electrical generator set is 1500 rpm. Time domain plots of the signals at 1500 rpm are shown in Figs. 3(a) to (e).

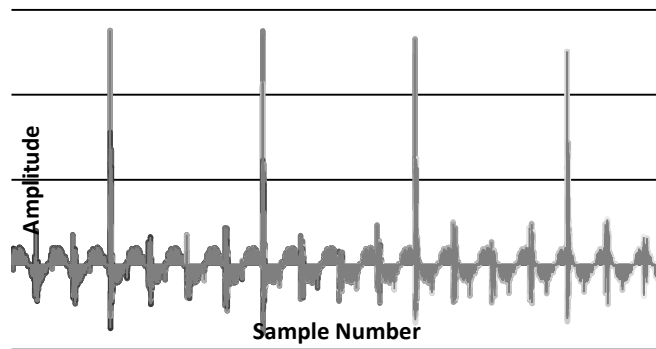


Fig. 3(a). Amplitude-misfire in cylinder 1 (Skip1).

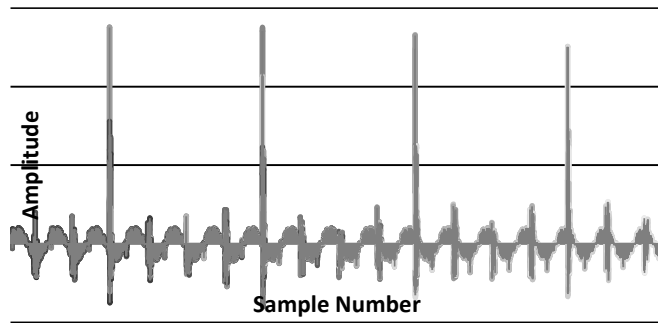


Fig. 3(b). Amplitude-misfire in cylinder 2 (Skip2).

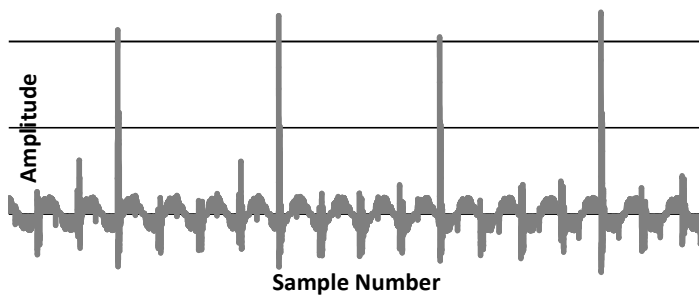


Fig. 3(c). Amplitude-misfire in cylinder 3 (Skip3).

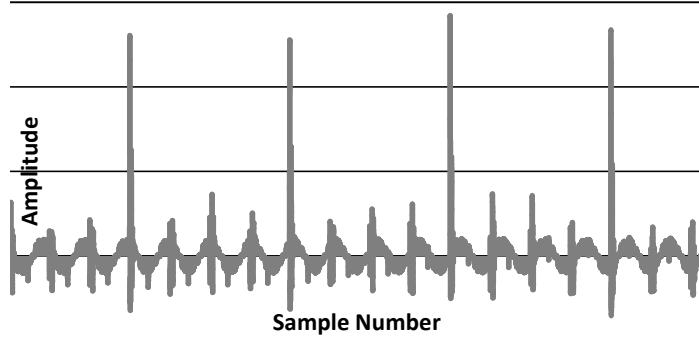
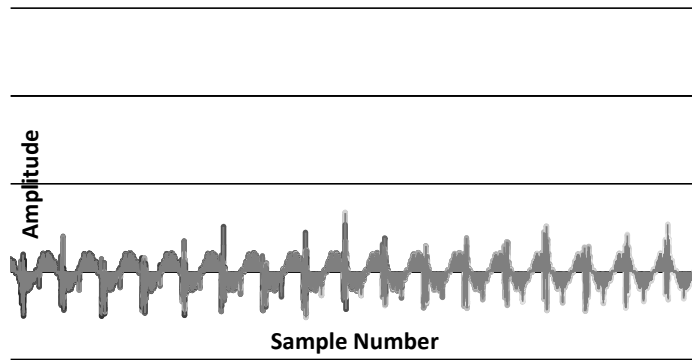


Fig. 3(d). Amplitude-misfire in cylinder 4 (Skip4).



**Fig. 3(e). Amplitude-normal combustion (without misfire).**

#### 4. Feature extraction

Referring to Fig. 1, after data acquisition, the next step is feature extraction. The process of computing relevant parameters of the signals that reveal the information contained in the signal is called feature extraction. Statistical analysis of vibration signals yields different parameters. The statistical parameters taken for this study are mean, standard error, median, standard deviation, sample variance, kurtosis, skewness, range, minimum, maximum and sum. These features were extracted from the vibration signals. All these features may not be required to capture the information required for classification. The relevant ones can be selected by several means. Here it is performed by comparing classification accuracies of selected classifiers.

#### 5. Classifiers

##### 5.1. Decision tree (J48 algorithm)

A decision tree is a tree based knowledge representation methodology used to represent classification rules. Decision tree learning is one of the most popular learning approaches in classification because it is fast and produces models with good performance. Generally, decision tree algorithms are especially good for classification learning if the training instances have errors (i.e. noisy data) and attributes have missing values. A decision tree is an arrangement of tests on attributes in internal nodes and each test leads to the split of a node. Each terminal node is then assigned a classification. A standard tree induced with c5.0 (or possibly ID3 or c4.5) consists of a number of branches, one root, a number of nodes and a number of leaves. One branch is a chain of nodes from root to a leaf; and each node involves one attribute. The occurrence of an attribute in a tree provides the information about the importance of the associated. A decision tree is a tree based knowledge representation methodology used to represent classification rules.

The definition and process of extracting statistical features were described for bearing fault diagnosis by Sugumaran et al., [15]. Following the footsteps of Sugumaran et al., effect of number of features, feature selection and classification accuracy for decision tree was carried out.

## 5.2. LogitBoost

A boosting procedure used in this study is implemented by LogitBoost. Boosting is one of the most important recent developments in classification methodology. Boosting is a way of combining the performance of many weak classifiers to produce a powerful committee. It works by sequentially applying classification algorithms to reweighted versions of the training data and then taking a weighted majority vote of the sequence of classifiers thus produced. For many classification algorithms, this simple strategy results in dramatic improvements in performance. This is a specialized case of regression analysis over discrete or ordinal values; but basic regression-based learning algorithms have inherent disadvantages. Better algorithms that overcome these pitfalls have been developed and are collectively known as Discriminant Analysis (DA) techniques or simply Metal learning algorithms. One such algorithm that effectively addresses these issues is the LogiBoost Meta classifier-based on the log of the odds ratio for the dependent variable.

Friedman et al. [17] propose the LogitBoost algorithm for fitting additive logistic regression models by maximum likelihood.

Start with weights  $w_{ij}=1/n$ .  $i=1, \dots, n$ ,  $j=1, \dots, J$ ,  $F_j(x) = 0$  and  $p_j(x)=1/J \forall j$

Repeat for  $m=1, \dots, M$ :

(a) Repeat for  $j = 1, \dots, J$ :

i. Compute working responses and weights in the  $j$ th class

$$z_{ij} = \frac{y_{ij}^* - p_j(x_i)}{p_j(x_i)(-p_j(x_i))}$$

$$w_{ij} = p_j(x_i)(-p_j(x_i))$$

ii. Fit the function  $f_{mj}(x)$  by a weighted least-squares regression of  $z_{ij}$  to  $x_i$  with weights  $w_{ij}$ .

(b) Set  $f_{mj}(x) \leftarrow$

$$\frac{J-1}{J} (f_{mj}(x) - \frac{1}{J} \sum_{k=1}^J f_{mk}(x)), F_j(x) \leftarrow F_j(x) + f_{mj}(x)$$

(c) Update  $p_j(x) = \frac{e^{F_j(x)}}{\sum_{k=1}^J e^{F_k(x)}}$

Output the classifier  $\operatorname{argmax}_J F_j(x)$



It is based on the concept of additive logistic regression. It can successfully boost very simple learning schemes, (like DecisionStump), even in multiclass situations. It differs from other boosting procedure such as AdaBoost.M1, in an important way because it boosts schemes for numeric prediction in order to form a combined classifier that predicts a categorical class.

### 5.3. AdaBoost (17)

AdaBoost, also known as ‘Adaptive Boosting’ is a machine learning algorithm. In the present study, this boosting algorithm is used in conjunction with random forest algorithm to improve its performance. The boosting algorithm takes as input a training set of  $m$  examples  $S = \{(x_1, y_1), \dots, (x_m, y_m)\}$  where  $x_i$  is an instance drawn from some space  $X$  and represented in some manner (typically, a vector of attribute values), and  $y_i \in Y$  is the class label associated with  $x_i$ . In this paper, it is assumed that the set of possible labels  $Y$  is of finite cardinality.

In addition, the boosting algorithm has access to another unspecified learning algorithm called the weak learning algorithm, which is denoted generally as Weak Learn. The boosting algorithm calls Weak Learn repeatedly in a series of rounds. On round  $t$ , the booster provides Weak Learn with a distribution  $D_t$  over the training set  $S$ . In response, Weak Learner computes a classified or hypothesis  $h_t: X \rightarrow Y$  which should misclassify a non trivial fraction of the training examples, relative to  $D_t$ . That is the weak learner’s goal is to find a hypothesis  $h_t$  which minimizes the (training) error  $\epsilon_t = \Pr_{i \sim D_t} [h_t(x_i) \neq y_i]$ . Note that this error is measured with respect to the distribution  $D_t$  that was provided to the weak learner. This process continues for  $T$  rounds, and at last, the booster combines the weak hypotheses  $h_1, \dots, h_T$  into single final hypotheses  $h_{fin}$ .

Still unspecified are (1) the manner in which  $D_t$  is computed on each round, and (2) how  $h_{fin}$  is computed. Different boosting schemes answer these two questions in different ways. AdaBoost.M1 uses the simple rule shown in algorithm. The initial distribution  $D_1$  is uniform over  $S$  so  $D_1(i) = 1/m$  for all  $i$ . To compute distribution  $D_{t+1}$  from  $D_t$  and the last weak hypothesis  $h_t$ , we multiply the weight of example  $i$  by some number  $\beta_t \in [0, 1]$  if left unchanged. The weights are then renormalized by dividing by the normalization constant  $Z_t$ . Effectively ‘easy’ examples that are correctly classified by many of the previous weak hypothesis get lower weight, and ‘hard’ example which tend often to be misclassified get higher weight. Thus, AdaBoost focuses the most weight on the examples which seem to be hardest for WeakLearn.

#### Algorithm AdaBoostM1

**Input:** Sequence of  $m$  examples  $\{(x_1, y_1), \dots, (x_m, y_m)\}$

with labels  $y_i \in Y = \{1, \dots, k\}$

weak learning algorithm WeakLearn

integer  $T$  specifying number of iterations

Initialize  $D_1(i) = 1/m$  for all  $i$

Do for  $I = 1, 2, \dots, T$

Call WeakLearn, providing it with the distributor  $D_t$ .

Get back a hypothesis  $h_t: X \rightarrow Y$ .

Calculate the error of  $h_t$ :  $\epsilon_t = \sum_{i=h_t(x_i) \neq y_i} D_t(i)$ . If  $\epsilon_t > 1/2$ , then set  $T =$

$t-1$  and abort loop.

Set  $\beta_t = \epsilon_t / (1 - \epsilon_t)$ .

Update distribution  $D_t = D_{t+1}(i) = \frac{D_t(i)}{Z_t} \times \{$

Where  $Z_t$  is a normalization constant (chosen so that  $D_{t+1}$  will be a distribution.

**Output** the final hypothesis:  $h_{\text{fin}}(x) = \arg \max_{i: h_t(x)=y} \sum \log \frac{1}{\beta_t}$

The number  $\beta_t$  is computed as shown in the figure as a function of  $\epsilon_t$ . the final hypothesis  $h_{\text{fin}}$  is a weighted vote (i.e., a weighted linear threshold) of the weak hypothesis. That is, for a given instance  $x$ ,  $h_{\text{fin}}$  outputs the label  $y$  that maximizes the sum of the weights of the weak hypothesis predicting that label. The weight of hypothesis  $h_t$  is defined to be  $\ln(1/\beta_t)$  so that greater weight is given to hypothesis with lower error.

#### 5.4. Multiclass classifier

The extensions of boosting to classification with multiple classes were explored. Some learning schemes can only be used in two-class situations such as SMO class. To apply such schemes to multiclass datasets, the problem must be transformed into several two-class ones and the results combined. This can be done by MultiClass Classifier. It takes a base learner that can output a class distribution or a numeric class, and applies it to a multiclass learning problem using the simple one-per-class coding.

Among these strategies is the one-vs.-all strategy, where a single classifier is trained per class to distinguish that class from all other classes. Prediction is then performed by predicting using each binary classifier, and choosing the prediction with the highest confidence score (e.g., the highest probability of a classifier such as naive Bayes).

In pseudocode, the training algorithm for a one-vs.-all learner constructed from a binary classification learner  $L$  is as follows:

Inputs:

- $L$ , a learner (training algorithm for binary classifiers: Logistic)
- samples  $X$
- labels  $y$  where  $y_i \in \{1, \dots, K\}$  is the label for the sample  $X_i$

Output:

- a list of classifiers  $f_k$  for  $k \in \{1, \dots, K\}$

Procedure:

- For each  $k$  in  $\{1 \dots K\}$ :
  - Construct a new label vector  $y'_i = 1$  where  $y_i = k$ , 0 (or -1) elsewhere
  - Apply  $L$  to  $X, y'$  to obtain  $f_k$

Making decisions proceeds by applying all classifiers to an unseen sample  $x$  and predicting the label  $k$  for which the corresponding classifier reports the highest confidence score:

$$\hat{y} = \arg \max_{k \in \{1 \dots K\}} f_k(x)$$

## 6. Results and Discussion

The study of misfire classification using the selected classifiers is discussed in the following phases:

1. Dimensionality reduction (Feature selection).
2. Validation of the classifiers.

From the experimental setup through data acquisition 200 signals were acquired for each condition. The conditions are mentioned in section 3.

### 6.1. Dimensionality reduction

Dimensionality reduction is the process of reducing the number of input features that are required for classification to reduce the computational effort. From the signals obtained at 2000 rpm, 11 statistical features, as explained in Section 4, have been extracted. All 11 features were given as input to the selected classifiers and the dimensionality reduction was carried out as explained in Fig. 4.

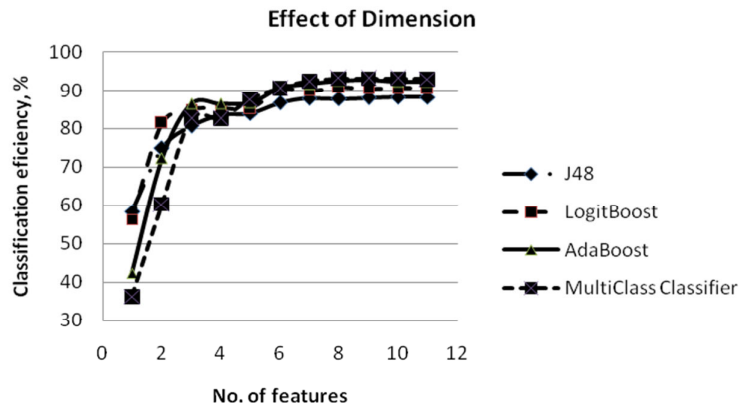


Fig. 4. Effect of dimension (1500 rpm).

Initially all the 11 features such as Mean, Standard error, Median, Standard deviation, Sample variance, Kurtosis, Skewness, Range, Minimum, Maximum, and Sum were considered for classification and the classification accuracy was noted down. In the next step classification was performed by reducing 11 features to top ten features (mean to maximum) and the classification accuracy was noted down. Further down the prominent features with 9 (mean to minimum) were considered for classification. Similarly top eight (mean to range), top seven (mean to skewness), etc., features have been considered and the corresponding classification accuracies were noted down. Figure 4 shows the plot of the number of features versus classification accuracies for the selected classifiers. From the graph, it is evident that the classification accuracy gradually increases as the number of features increases and then has minor reduction in classification accuracy when number of features increased beyond nine. Using lesser number of features reduces the computational load considerably hence in this work the first eight features in their order of importance have been selected considering the maximum accuracies acquired from the selected classifiers (Table 1).

**Table 1. Effect of number of features on classification accuracy.**

| No. of Features | J48         | AdaBoost    | LogitBoost  | Multiclass Classifier |
|-----------------|-------------|-------------|-------------|-----------------------|
| 1               | 58.4        | 55.9        | 56.3        | 36.3                  |
| 2               | 74.9        | 79.1        | 81.5        | 60.3                  |
| 3               | 80.7        | 85.4        | 85.0        | 82.6                  |
| 4               | 83.6        | 85.3        | 85.3        | 82.6                  |
| 5               | 84.0        | 85.5        | 85.3        | 87.7                  |
| 6               | 86.8        | 89.5        | 90.0        | 90.5                  |
| 7               | 87.9        | 90.4        | 89.9        | 92.4                  |
| <b>8</b>        | <b>87.8</b> | <b>91.7</b> | <b>90.7</b> | <b>93.0</b>           |
| 9               | 88.0        | 91.4        | 90.4        | 93.0                  |
| 10              | 88.2        | 90.9        | 90.6        | 93.0                  |
| 11              | 88.2        | 91          | 90.6        | 92.9                  |

## 6.2. Validation of classifier

Evaluation of the following classifiers was performed using the standard tenfold cross validation process. The misclassifications details pertaining to all the classifiers without any data pre-processing is presented in the form of a confusion matrix in Tables 2 to 5. Skip1 represents misfire in cylinder 1, Skip2, Skip3, and Skip4, represents misfire in cylinder 2, 3 and 4 respectively. Normal represents no misfire in any cylinder. The fault diagnosis of misfire in gasoline engines was taken up. Machine learning approach was used with statistical feature for fault classification. The results are discussed below.

### 7.2.1 Feature classification using J48

Eleven statistical features that are considered in discriminating misfire fault conditions of multi-cylinder gasoline engine were mean, standard error, median, standard deviation, sample variance, kurtosis, skewness, range, minimum, maximum, and sum.

The effect of number of features on classification accuracy is given in Table.1. It shows that when the number of features is 8 in each class, the classifier gives good accuracy. In the present study, minimal computation time strategy was used because the on board processors on vehicle have limited computational resources. The decision tree was trained using selected features of vibration signals. The classification accuracy was presented in terms of confusion matrix shown in Table 2.

The general procedure for reading for reading and understanding the confusion matrix is as follows. It looks in the form of a square matrix. Referring to Table 2, the first row represents the total number of data points corresponding to engine operation without misfire condition (normal). The first column in the first row represents, the number of data points that were correctly classified as 'normal'. The second column in the first row represents the number of data points that are misclassified as Skip1 (misfire in cylinder 1) fault condition. The third column in the first row represents the number of data points that are misclassified as Skip2 (misfire in cylinder 2), and so on. The total data points in the first row is 200, out of which 199 are correctly classified and one is misclassified as misfire in cylinder 1. The other elements in the first row are zero and indicate that none of the good conditions are misclassified as faulty conditions. Similarly the second row represents that the total number of data points correspond to misfire in cylinder 1. The second element in second row represents the correctly classified instances for 'misfire in cylinder 1' condition and rest of them are misclassified details as explained earlier. Similar interpretation can be given for other elements as well.

As discussed above, misclassification details of classifier with the statistical features can be illustrated in a better way using the confusion matrix. In this fashion, the classification accuracies were found and compared.

- Total number of instances                      1000
- Correctly classified instances                878      87.8%
- Incorrectly classified instances            122      12.2%

When the number of features is 8, the decision tree classifier gives good result of 87.8% as given in Table 1.

**Table 2. Confusion matrix for J48.**

| Classified as | Normal | Skip1 | Skip2 | Skip3 | Skip4 |
|---------------|--------|-------|-------|-------|-------|
| Normal        | 199    | 1     | 0     | 0     | 0     |
| Skip1         | 0      | 175   | 0     | 14    | 11    |
| Skip2         | 1      | 0     | 199   | 0     | 0     |
| Skip3         | 0      | 11    | 0     | 152   | 37    |
| Skip4         | 0      | 8     | 0     | 39    | 153   |

### 7.2.2 Feature classification for AdaBoost

The AdaBoost algorithm was trained using selected number of statistical features of vibration signals. The confusion matrix for AdaBoost classification is shown in Table 3.

- Total number of instances 1000
- Correctly classified instances 917 91.7%
- Incorrectly classified instances 83 8.3%

Referring the above summary AdaBoost gives a better efficiency (91.7%) than that of the J48 and LogitBoost classifications.

**Table 3. Confusion matrix for AdaBoost.**

| Classified as | Normal | Skip1 | Skip2 | Skip3 | Skip4 |
|---------------|--------|-------|-------|-------|-------|
| Normal        | 200    | 0     | 0     | 0     | 0     |
| Skip1         | 1      | 186   | 0     | 9     | 4     |
| Skip2         | 0      | 0     | 200   | 0     | 0     |
| Skip3         | 0      | 8     | 0     | 168   | 24    |
| Skip4         | 0      | 7     | 0     | 30    | 163   |

### 7.2.3 Feature classification using LogitBoost

The LogitBoost algorithm was trained using selected number of statistical features of vibration signals. Eight statistical features were used for classification. The confusion matrix for this classifier is shown in Table 4.

- Total number of instances 1000
- Correctly classified instances 907 90.7%
- Incorrectly classified instances 93 9.3%

Referring the above result, the classification accuracy for LogitBoost was found as 90.7%. The misclassification details are presented in Table 4. It is evident that none of the 'Fault' condition data points were misclassified as 'Good' condition.

**Table 4. Confusion matrix for LogitBoost.**

| Classified as | Normal | Skip1 | Skip2 | Skip3 | Skip4 |
|---------------|--------|-------|-------|-------|-------|
| Normal        | 200    | 0     | 0     | 0     | 0     |
| Skip1         | 0      | 179   | 0     | 14    | 7     |
| Skip2         | 0      | 0     | 200   | 0     | 0     |
| Skip3         | 0      | 12    | 0     | 162   | 26    |
| Skip4         | 0      | 8     | 0     | 26    | 166   |

### 7.2.4 Feature classification for MultiClass Classifier

The multiclass Classifier was trained using selected number of statistical features of vibration signals. The confusion matrix for MultiClass Classifier is shown in Table 5.

- Total number of instances 1000

- Correctly classified instances 930 93.0%
- Incorrectly classified instances 70 7.0%

Referring the above result, the classification accuracy for MultiClass Classifier was calculated as 93%. The misclassification details are presented in Table 5. It is evident that none of the 'GOOD' condition data points were misclassified. It was observed that one data point belongs to misfire in cylinder 2 (Skip2) was misclassified as 'GOOD'. It is not desired. However such incidence is 1 out of 1000 data points and hence may be tolerated.

**Table 5. Confusion matrix for MultiClass classifier.**

| Classified as | Normal | Skip1 | Skip2 | Skip3 | Skip4 |
|---------------|--------|-------|-------|-------|-------|
| Normal        | 200    | 0     | 0     | 0     | 0     |
| Skip1         | 0      | 192   | 0     | 2     | 6     |
| Skip2         | 1      | 0     | 199   | 0     | 0     |
| Skip3         | 0      | 7     | 0     | 162   | 31    |
| Skip4         | 0      | 2     | 0     | 21    | 177   |

### 6.3. Detailed accuracy by class

TP (True positive) rate means the number of items correctly labeled as belonging to the positive class. FP (false positive) is a result that indicates a given condition has been fulfilled, when it actually has not been fulfilled.

In pattern recognition and information retrieval, precision is the fraction of retrieved instances that are relevant, while recall is the fraction of relevant instances that are retrieved. Both precision and recall are therefore based on an understanding and measure of relevance.

A measure that combines precision and recall is the harmonic mean of precision and recall is known as the traditional F-measure.

$$\text{Precision} = \frac{|\{\text{Relevant Data}\} \cap \{\text{Retrieved Data}\}|}{|\{\text{Retrieved Data}\}|}$$

$$\text{Recall} = \frac{|\{\text{Relevant Data}\} \cap \{\text{Retrieved Data}\}|}{|\{\text{Total Relevant Data}\}|}$$

$$F = 2 \frac{\text{Precision} \cdot \text{Recall}}{\text{Precision} + \text{Recall}}$$

Table 6-9 shows the detailed accuracy by class for various classifiers selected for this work. True positive (TP) rate and precision should be ideally one. According to this, the average TP rate from all classes is close to one and hence the accuracy of the data sets belong to MultiClass classifier is likely to be high as compared to other classifiers. The same tendency is seen towards average values of precision and F-Measure also. This slightly reduction in their values was due to some misclassification as detailed in confusion matrices.

**Table 6. Detailed accuracy by class for J48.**

| Class          | TP Rate      | FP Rate       | Precision     | Recall       | F-Measure     | ROC Area      |
|----------------|--------------|---------------|---------------|--------------|---------------|---------------|
| Normal         | 0.995        | 0.001         | 0.995         | 0.995        | 0.995         | 0.997         |
| Skip1          | 0.875        | 0.025         | 0.897         | 0.875        | 0.886         | 0.933         |
| Skip2          | 0.995        | 0             | 1             | 0.995        | 0.997         | 0.998         |
| Skip3          | 0.76         | 0.066         | 0.741         | 0.76         | 0.751         | 0.906         |
| Skip4          | 0.765        | 0.06          | 0.761         | 0.765        | 0.763         | 0.907         |
| <b>Average</b> | <b>0.878</b> | <b>0.0304</b> | <b>0.8788</b> | <b>0.878</b> | <b>0.8784</b> | <b>0.9482</b> |

**Table 7. Detailed accuracy by class for AdaBoost.**

| Class          | TP Rate      | FP Rate       | Precision    | Recall       | F-Measure    | ROC Area      |
|----------------|--------------|---------------|--------------|--------------|--------------|---------------|
| Normal         | 1            | 0.001         | 0.995        | 1            | 1            | 1             |
| Skip1          | 0.93         | 0.019         | 0.925        | 0.93         | 0.96         | 0.993         |
| Skip2          | 1            | 0             | 1            | 1            | 1            | 1             |
| Skip3          | 0.84         | 0.049         | 0.812        | 0.795        | 0.84         | 0.956         |
| Skip4          | 0.815        | 0.035         | 0.853        | 0.87         | 0.815        | 0.964         |
| <b>Average</b> | <b>0.917</b> | <b>0.0208</b> | <b>0.917</b> | <b>0.919</b> | <b>0.925</b> | <b>0.9826</b> |

**Table 8. Detailed accuracy by class for LogitBoost.**

| Class          | TP Rate      | FP Rate       | Precision    | Recall       | F-Measure    | ROC Area      |
|----------------|--------------|---------------|--------------|--------------|--------------|---------------|
| Normal         | 1            | 0             | 1            | 1            | 1            | 1             |
| Skip1          | 0.895        | 0.025         | 0.899        | 0.895        | 0.897        | 0.99          |
| Skip2          | 1            | 0             | 1            | 1            | 1            | 1             |
| Skip3          | 0.81         | 0.05          | 0.802        | 0.81         | 0.806        | 0.967         |
| Skip4          | 0.83         | 0.041         | 0.834        | 0.83         | 0.832        | 0.977         |
| <b>Average</b> | <b>0.907</b> | <b>0.0232</b> | <b>0.907</b> | <b>0.907</b> | <b>0.907</b> | <b>0.9868</b> |

| Class          | TP Rate     | FP Rate      | Precision     | Recall      | F-Measure   | ROC Area      |
|----------------|-------------|--------------|---------------|-------------|-------------|---------------|
| Normal         | 1           | 0.001        | 0.995         | 1           | 0.998       | 1             |
| Skip1          | 0.96        | 0.011        | 0.955         | 0.96        | 0.958       | 0.997         |
| Skip2          | 0.995       | 0            | 1             | 0.995       | 0.997       | 1             |
| Skip3          | 0.81        | 0.029        | 0.876         | 0.81        | 0.842       | 0.975         |
| Skip4          | 0.885       | 0.049        | 0.827         | 0.885       | 0.855       | 0.976         |
| <b>Average</b> | <b>0.93</b> | <b>0.018</b> | <b>0.9306</b> | <b>0.93</b> | <b>0.93</b> | <b>0.9896</b> |



#### 6.4. Overall classification accuracy

Table 10 shows the overall classification accuracy of various classifiers considered for the present study. It was encouraging to note that the classification accuracy for the MultiClass classifier algorithm using statistical features is more as compared to other statistical algorithm using same set of features. The reason is that the number of misclassified instances is lower than the other classifiers.

**Table 10. Overall classification accuracy.**

| Classifiers           | Classification accuracy, % |       |       |       |       | Overall accuracy, % |
|-----------------------|----------------------------|-------|-------|-------|-------|---------------------|
|                       | Normal                     | Skip1 | Skip2 | Skip3 | Skip4 |                     |
| J48                   | 99.5                       | 87.5  | 99.5  | 76.0  | 76.5  | 87.8                |
| AdaBoost              | 100                        | 93.0  | 100   | 84.0  | 81.5  | 91.7                |
| LogitBoost            | 100                        | 89.5  | 100   | 81.0  | 83.0  | 90.7                |
| MultiClass Classifier | 100                        | 96.0  | 99.5  | 81.0  | 88.5  | <b>93.0</b>         |

#### 7. Conclusion

In a condition monitoring activity the main objective is fault identification and fault classification comes second in priority. In this context, the present study deals with misfire identification in a multi-cylinder gasoline engine. Four classical states were simulated on a multi-cylinder gasoline engine test rig. Set of features were extracted using statistical analysis and the feature selection was carried out. The selected features were classified using J48, LogitBoost, AdaBoost, and MultiClass Classifier algorithms. The results were compared. From the results, it has been concluded that statistical features with MultiClass Classifier is a potential candidate and it can be used for practical applications of misfire detection of multi-cylinder gasoline engines.

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