HST hot Jupiter transmission spectral survey: detection of water in HAT-P-1b from WFC3 near-IR spatial scan observations

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ABSTRACT

We present *Hubble Space Telescope* near-infrared transmission spectroscopy of the transiting hot-Jupiter HAT-P-1b. We observed one transit with Wide Field Camera 3 using the G141 low-resolution grism to cover the wavelength range 1.087–1.678 μm. These time series observations were taken with the newly available spatial-scan mode that increases the duty cycle by nearly a factor of 2, thus improving the resulting photometric precision of the data. We measure a planet-to-star radius ratio of $R_p/R_* = 0.117\,09 \pm 0.000\,38$ in the white light curve with the centre of transit occurring at $245\,6114.345 \pm 0.000\,133$ (JD). We achieve S/N levels per exposure of 1840 (0.061 per cent) at a resolution of $\Delta\lambda = 19.2$ nm ($R \sim 70$) in the 1.1173–1.6549 μm spectral region, providing the precision necessary to probe the transmission spectrum of the planet at close to the resolution limit of the instrument. We compute the transmission spectrum using both single target and differential photometry with similar results. The resultant transmission spectrum shows a significant absorption above the 5σ level matching the 1.4 μm water absorption band. In solar composition models, the water absorption is sensitive to the ∼1 m bar pressure levels at the terminator. The detected absorption agrees with that predicted by a 1000 K isothermal model, as well as with that predicted by a planetary-averaged temperature model.

Key words: techniques: spectroscopic – planets and satellites: atmospheres – planetary systems.

1 INTRODUCTION

The understanding of exoplanetary atmospheres has advanced considerably in the last decade, thanks in part to the spectroscopic observations of transiting exoplanets. During a transit, when a planet passes between Earth and its host star, a small fraction of the starlight is blocked by the planet; this can then be seen as a characteristic dip in the transit light curve. Transiting planets offer a unique opportunity to study their atmospheres through a method called transmission spectroscopy. As the starlight passes through their upper atmospheres characteristic spectral signatures are superimposed on the light as it is absorbed or scattered. The absorption and optical depth of the atmosphere is dependent on wavelength, as is the altitude at which the planet is opaque to starlight. Features observed in the transmission spectrum place strong constraints on the possible species in the atmosphere (e.g. Seager & Sasselov 2000; Charbonneau et al. 2002).

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A range of atomic and molecular species have been identified in exoplanetary atmospheres through transmission spectroscopy, with a majority having been identified in the upper and lower atmospheres of HD 189733b and HD 209458b, which remain the most studied exoplanets to date. Ground- and space-based observations ranging from the ultraviolet (UV) to the infrared (IR) have been able to probe both the lower and extended upper atmosphere of these two exoplanets (for example: Vidal-Madjar et al. 2003, 2004; Narita et al. 2005; Pont et al. 2007; Tinetti et al. 2007; Grillmair et al. 2008; Redfield et al. 2008; Snellen et al. 2008; Swain, Vasisht & Tinetti 2008; Désert et al. 2009; Linsky et al. 2010; Sing et al. 2011; Gibson et al. 2012; Lecavelier des Etangs et al. 2012; Ben-Jaffel & Ballester 2013; Deming et al. 2013; Waldmann et al. 2013).

H_2O is a key molecule for constraining hot-Jupiter atmospheres. It is predicted that the C/O ratio plays a pivotal role in the relative abundances of H_2O and the other spectroscopically important CH_4, CO, CO_2, C_2H_4 and HCN molecules in the atmospheres of close-in giant planets (e.g. Seager & Sasselov 2000; Madhusudhan 2012). Moses et al. (2013) have analysed transit and eclipse observations of a number of transiting hot Jupiters, finding that some extrasolar giant planets could have unexpectedly low abundance of H_2O due to high C/O ratios. Atmospheres with solar elemental abundances in thermochemical equilibrium are expected to have abundant water vapour, and disequilibrium processes like photochemistry are not able to deplete water sufficiently in the IR photosphere of these planets to explain the observations (see Moses et al. 2013 and references there in). Extinction from clouds and hazes could also significantly mask absorption signatures of water, however, this would also mask other molecular species making emission spectra appear more like a blackbody (Fortney 2005; Pont et al. 2013).

In this paper, we present the transmission spectrum of HAT-P-1b based on one transit observation between 1.1 and 1.7 μm using *Hubble Space Telescope* (*HST*) Wide Field Camera 3 (WFC3) in spatial-scan mode. *HST*/WFC3 IR observations at 1.1–1.7 μm probe primarily the H_2O absorption band at 1.4 μm. These observations are among the first results from a large survey with *HST* probing the transmission spectra, from the optical to near-IR (NIR), of eight hot-Jupiter exoplanets (GO programme 12473, P.I. D. Sing). HAT-P-1b is a low-density hot Jupiter orbiting a single member of a visual stellar binary (Bakos et al. 2007). HAT-P-1b orbits its host star with a period of 4.5 d at a distance of 0.055 au. It has a radius similar to that of HD 209458b with a somewhat lower mean density with a mass of 0.54 M_J. *Spitzer* Infrared Array Camera (IRAC) secondary eclipse measurements show that the atmosphere is best fit with a modest temperature inversion with a maximum dayside temperature of 1550 K, assuming zero albedo, a uniform temperature over the dayside hemisphere, and no transport to the nightside (Todorov et al. 2010). *Ks*-band secondary-eclipse observations have also been conducted by the GROUnd-based Secondary Eclipse project with an estimated brightness temperature of 2136 ± 150 K and for an eclipse depth of 0.109 ± 0.025 per cent although there are still visible systematics that remain in the fit (de Mooij et al. 2011).

In Section 2, we outline the observations and the use of spatial-scan mode; in Section 3, we present the analysis of the extracted light curves; in Section 4, we compare the result with atmospheric models and in Section 5, we state our conclusions.

2 OBSERVATIONS

Observations of HAT-P-1 were conducted in the NIR with *HST*/WFC3. WFC3's IR channel consists of a 1024 × 1024 pixel
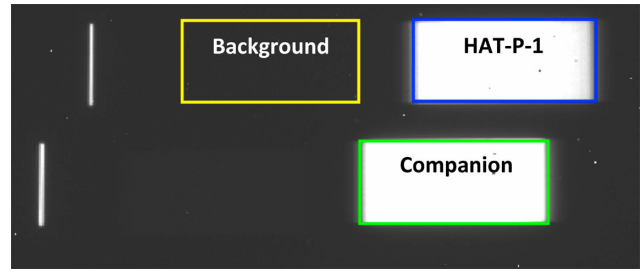

Figure 1. Cut-out of WFC3 G141 grism exposure with the spatial-scan spectra of the HAT-P-1 extraction window outlined in blue (top) and the G0 stellar companion outlined in green (bottom). To the left of HAT-P-1's spectra is the background subtraction region (outlined in a yellow box).

Teledyne HgCdTe detector that can be paired with any of 15 filters or two low-resolution grisms (Dressel et al. 2010). Each exposure is compiled from multiple non-destructive reads (NSAMP) at either the full array or a sub-array. Although the standard WFC3 configuration is not particularly efficient for high S/N time series data, as buffer dumps are long and the point spread function covers very few pixels (low S/N per exposure), the instrumental systematics are noticeably lower than for Near Infrared Camera and Multi-Object Spectrometer (NICMOS) as WFC3 does not suffer from strong intrapixel sensitivities. WFC3 also has a factor of 2 improvement on sensitivity over NICMOS with a much higher throughput and lower read noise (e.g. WFC3 Instrument Handbook).

The observations started on 2012 July 5th at 15:17 using the IR G141 grism in spatial-scan mode over five *HST* orbits. We gathered exposures using 512 × 512 pixel sub-arrays with an NSAMP = 4 readout sequence and exposure times of 46.69 s.

HAT-P-1 is the dimmer member of a double G0/G0 star system, ADS 16402, separated by 11.2 arcsec (Bakos et al. 2011). Both stars are clearly resolved in the 68 arcsec × 68 arcsec field of view of *HST*/WFC3's spatial-scan spectra and are easily extracted separately in the analysis (see Figs 1 and 2). This provides the opportunity to perform differential photometry on HAT-P-1 using the companion's signal which can reduce observational systematics in the data (see Figs 3 and 4).
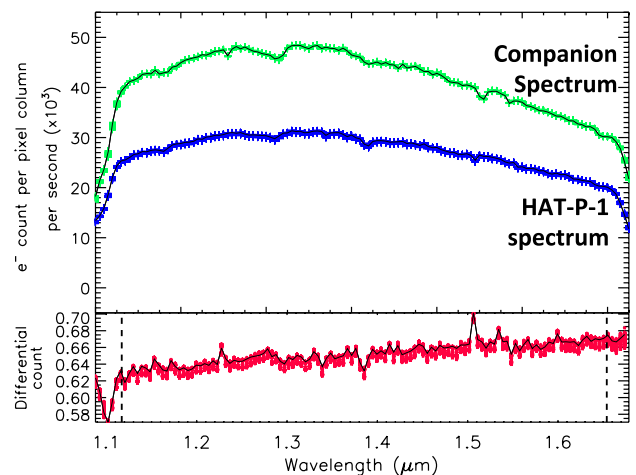

Figure 2. Top: spectra extracted from *HST*/WFC3 'ima images for HAT-P-1 (blue lower) and its G0 binary companion (green upper). Bottom: the resultant spectrum from differential photometric analysis; the vertical dashed lines define the wavelength range used in the spectroscopic analysis.
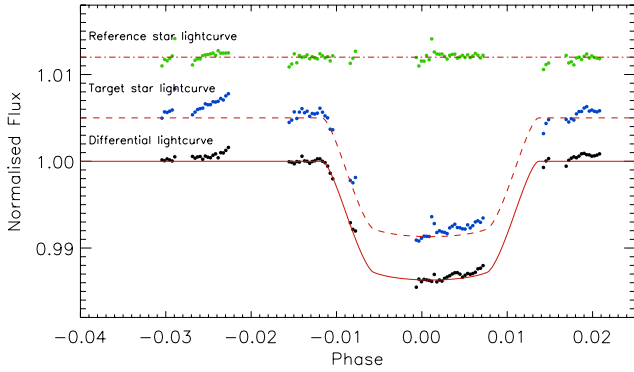
Figure 3. The raw white light curve for the reference and target star as well as the raw differential light curve produced by dividing the target star light curve by the reference star light curve. Overplotted in red are the Mandel and Agol (2002) limb-darkened transit models. The different light curves have been artificially shifted for clarity.
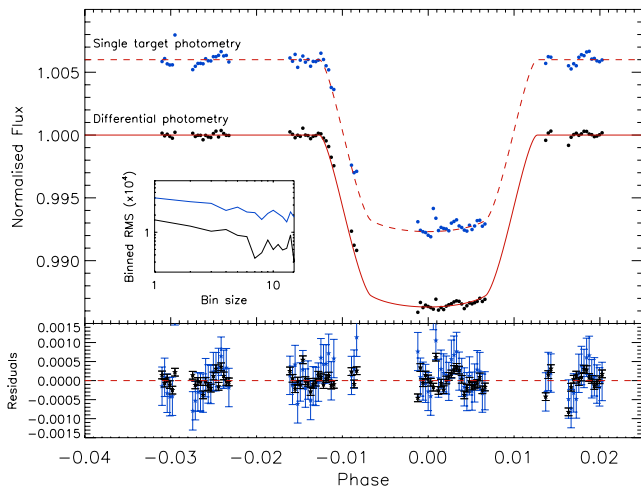

Figure 4. Upper: breathing-corrected light curves for both single target photometry (top curve) and differential photometry (bottom curve). The sub-plot shows the red noise for both single target (blue) and differential photometry (black) showing that time correlated noise is decreased when differential photometry is performed. Lower: corresponding residuals for both fits showing the decrease in errors and deviation from the mean when applying differential photometry to the data.

2.1 Spatial scanning

We present some of the first results from WFC3 using the spatial-scan mode to observe exoplanetary transits. The WFC3 spatial scanning involves nodding the telescope during an exposure to spread the light along the cross-dispersion axis, resulting in a higher number of photons by a factor of 10 per exposure while considerably reducing overheads. This also increases the time of saturation of the brightest pixels, and allows for longer exposure times (McCullough 2011). Our observations were conducted with a scan rate of 1.07 pixels per second, where 1 pixel = 0.13 arcsec and thus spanning ~50 pixels over each 46.69 s exposure. The duty cycle of the observations improved from 26 per cent in non-spatial-scan mode to 40 per cent.

The raw light curves of some WFC3 non-spatial-scan observations (e.g. Berta et al. 2012) have been dominated by a systematic increase in intensity during each group of exposures obtained between buffer dumps referred to as the 'hook' effect. It has been found that the 'hook' is, on average, zero when the count rate is

less than about 30 000 electrons per pixel (Deming et al. 2013). We observe a maximum raw count rate of 25 000 electrons per pixel in our target star and a rate of ~30 000 electrons per pixel for the companion star with no evidence for a significant 'hook' effect in the reduced data of either star (see Fig. 4).

3 ANALYSIS

We used the 'ima' outputs from WFC3's *Calwf3* pipeline. For each exposure, *Calwf3* conducts the following processes: bad pixel flagging, reference pixel subtraction, zero-read subtraction, dark current subtraction, non-linearity correction, flat-field correction, as well as gain and photometric calibration. The resultant images are in units of electrons per second.

Subsequent data analysis is conducted with the first orbit removed (26 exposures), as it suffers from thermal breathing systematic effects that require time to settle, all previous transit studies have used a similar strategy (Brown et al. 2001; Charbonneau et al. 2002; Sing et al. 2011). This leaves 86 exposures over the remaining four orbits with a total of 30 in transit exposures. The mid-time of each exposure was converted into $\mathrm{BJD_{TBD}}$ for use in the transit light curves.

We used a box around each spectral image shown in Fig. 1. The spectra were extracted using custom IDL procedures, similar to IRAF's APALL procedure, using an aperture of ± 23 pixels from the central row, determined by minimizing the standard deviation across the aperture.

This 47 pixel aperture is slightly shorter than the total height of the spectrum to utilize pixels having similar exposure levels to the maximum possible degree. The aperture is traced around a computed centring profile, which was found to be consistent in the *y*-axis within an error of 0.01 pixels. Background subtraction was applied using the region to the left of the HAT-P-1 spectrum (shown in Fig. 1), because the region above and below each spectrum contains significant count levels which added noise to the resultant spectrum.

3.1 Wavelength calibration

For wavelength calibration, direct images were taken in the *F*139*M* narrow band filter at the beginning of the observations for a reference of the absolute position $(X_{\mathrm{ref}}, Y_{\mathrm{ref}})$ of the target star. We assumed that all pixels in the same column have the same effective wavelength, as the spatial scan varied in the X_{ref} by less than one pixel, giving a spectral range of 1.087–1.678 μm.

This wavelength range was later restricted to 1.1173–1.6549 μm for the spectroscopic light-curve fits as the strongly sloped edges covered by the grism response exhibit greater wavelength jitter where the intensities increase towards the edge of the bandpass (see Fig. 2).

To calculate the wavelength corresponding to each pixel along the *x*-direction, we applied a linear fit to the wavelength solution. The wavelength solution is a function of the X_{ref} and Y_{ref} position given by

$$\lambda(x) = a0 + a1 \times X_{\mathrm{ref}}$$

and

$$\lambda(\mathrm{pixel}) = \lambda(x) + (Y_{\mathrm{ref\_dispersion}} \times X_{\mathrm{Pixel}}), \qquad (1)$$

where, X_{ref} is taken from the filter image, $a0$ and $a1$ are taken from table 5 in Kuntschner et al. (2009), and $Y_{\mathrm{ref\_dispersion}}$ is found in fig. 6

of Kuntschner et al. (2009) using the Y_{ref} position from the filter image.

The G141 grism images contain both the zeroth-order and the first-order spectra for both stars. Each first-order spectrum spans 128 pixels with a dispersion of 4.65 nm pixel^{-1} and the separation between the two stellar spectra was 23 pixels in the y-axis and 33 pixels in the x-axis (see Fig. 1).

Using the zeroth-order spectrum, we characterized the shift in Y_{ref} over the course of the observations to monitor any shift in wavelength of the spectral trace. We observed a ± 0.2 pixel column shift in the wavelength direction over the whole observing period. This corresponded to 0.001 86 μm or an ∼10 per cent wavelength shift for each spectral bin over the span of the observations. We therefore adjusted the wavelength solution to use the average wavelength of the visit for each spectral bin. The observations, however, were relatively insensitive to sub-pixel wavelength shifts while the water spectral band spans a much larger wavelength range.

Larger wavelength shifts were observed by Deming et al. (2013) over the course of their observations of planetary transits which also revealed evidence of undersampling of the grism resolution by the pixel grid changing gradually and smoothly as a function of wavelength shift. To determine if our data contained similar undersampling, we compared a number of the spectral lines from the start and end of the observations (separated by over 3 h) at a number of positions along the scanned spectra. Unlike the results found by Deming et al. (2013), we see no flattening of the strong Paschen-beta stellar line at 1.28 μm due to an undersampling effect. To help reduce the effects of any unidentified undersampling, we moderately binned our spectra effectively smoothing out any undersampling inherent in our data.

3.2 Limb darkening

To accurately model the transit light curves, stellar limb darkening has to be carefully considered. The light curves were fit using the Mandel & Agol (2002) limb-darkened analytic transit model. We calculated limb-darkening coefficients from a 3D time-dependent hydrodynamical model (Hayek et al. 2012) over the wavelength range 1.1–1.7 μm with the coefficients calculated separately for each spectral band. We also computed the limb-darkening coefficients using Kurucz stellar models for a star at $T_{eff} = 6000$ K, $\log g = 4.5$ and [Fe/H] $= +0.1$ (Torres, Winn & Holman 2008). The coefficients were calculated following Sing (2010) using a non-linear limb-darkening law given by

$$\frac{I(\mu)}{I(1)} = 1 - \sum_{n=1}^{4} c_n (1 - \mu^{\frac{n}{2}}),$$ (2)

where $I(1)$ is the intensity at the centre of the stellar disc and $\mu = \cos(\theta)$ is the angle between the line of sight and the emergent intensity.

The 3D model shows overall weaker limb darkening compared to the 1D model (Hayek et al. 2012). The 3D model takes into account convective motions in the stellar atmosphere resulting in a shallower vertical temperature profile. As the strength of limb darkening is closely related to the vertical atmospheric temperature gradient near the optical surface, the limb darkening slightly weakens for the shallower temperature profile. We find that this leads to an overall common shift in the derived planet-to-star radius ratio, with the shape of the transmission spectrum unaffected. We adopt the 3D model as it provides an overall better fit between our Space

Telescope Imaging Spectrograph (STIS) and WFC3 data (Nikolov et al. 2013).

3.3 White light-curve fits

Prior to evaluating the transmission spectrum (from transit light curves in small spectral bins), we analysed the light curves summed over the entire wavelength range. The white light curve was used to improve the general system parameters and quantitatively investigate any instrumental systematics.

Systematics in the data that effect both the target and reference star are partially removed by performing differential photometry, dividing target-star flux by the reference-star flux (see Fig. 3 for a comparison of the raw white light curves) reducing the residual scatter by a factor of 3. Furthermore, systematics present in the data, shown in the differential light curve of Fig. 3, display clear orbit-to-orbit trends of increasing flux within each *HST* orbit in the raw light curve, which we attribute to a 'breathing effect', caused by the thermal expansion and contraction of *HST* during its orbit. We fit for this similarly to Brown et al. (2001) and Sing et al. (2011), using a seventh-order polynomial fit versus *HST* orbital phase. To avoid overfitting the model as a result of adding parameters, we calculated the Bayesian Information Criterion (BIC) that adds a penalty term for the number of parameters in the model, such that the significance of each new parameter can be estimated. To account for breathing systematics in the light curve, while avoiding overfitting, corrections were applied for a general slope over the entire light curve (a correction over the *HST* visit) as well as a seventh-order polynomial in *HST* phase (a correction per *HST* orbit). No further trends, such as the spectral trace position and timing of the central *HST* orbital phase, were found to significantly improve the white light-curve fits, we therefore adopt these methods for our final white light fits (Fig. 4). We note a significant reduction, up to 65 per cent, in the parameters computed for the *HST* 'breathing effect' between single target and differential photometry showing that the ability to perform differential photometry is an important aspect of this analysis. We find a decrease in the white light-curve residuals from a standard deviation of 400 ppm to 160 ppm, placing a meaningful number on the reference star as a calibrator. Telescope systematic errors affect the science and calibrator stars in the same way to a precision of one part per 2400; we address the residual systematics, 3.2 times larger than the photon noise in the case of these observations, using individual parameter analysis.

Throughout our analysis, we implemented a Levenberg–Marquardt least-squares minimization algorithm (L-M) to determine the best-fitting parameters for both the planetary system and any systematics inherent in the data. This is done by using the MPFIT IDL routine by Markwardt (2009).

To corroborate these results, we also applied a Markov-chain Monte Carlo (MCMC) data analysis (Eastman, Gaudi & Agol 2013). While the L-M computes the best-fitting χ^2 value of the parameters by estimating the parameter errors from the covariance matrix calculated using numerical derivatives, the MCMC computes the maximum likelihood of the parameter fit given a prior value and evaluates the posterior probability distribution for each parameter of the model. The MCMC routine uses a simplified quadratic limb-darkening model described by parameters allowed to vary within the Kurucz grid of stellar spectra as a function of emergent angle. EXOFAST (a fast exoplanetary fitting suite in IDL) also uses the stellar mass–radius relation of Torres et al. (2008) to constrain the stellar parameters, compared to fixed non-linear limb-darkening parameters used in the L-M with unconstrained stellar parameters. MCMC

Table 1. Table of constrained system parameters and errors (from Nikolov et al. 2013).

Parameter	Value	Uncertainties
Inclination (°)	85.677	0.061
Period (d)	4.465 299 74	0.000 000 55
a/R_*	9.910	0.079
Center of transit time (JD)	245 6114.345 307	0.000 18

can be more robust against finding local minima when searching the parameter space, where the L–M may get trapped.

Each method produces similar results within the errors with the main small differences arising primarily from the different limb-darkening fitting procedures.

The system parameters and uncertainties for, orbital inclination, orbital period, a/R_* and centre of transit time were constrained using a combined MCMC fit with three *HST*/STIS transit observations, two using G430L and one using G750L, and our WFC3 transit data (see Table 1).

The initial starting values for planetary and system parameters were taken from Butler et al. (2006), Johnson et al. (2008) and Torres et al. (2008). The best-fitting light curve for the WFC3 transit along with the uncertainties associated with the computation were determined using MPFIT giving a final white-light radius ratio of $R_P/R_* = 0.117\,09 \pm 0.000\,38$ (see Fig. 4).

We also fit the white light curve for single target photometry as well as differential photometry as shown in Fig. 4. Without differential photometry there are systematics in the data that increase the errors and the deviation from the mean as shown by the residual plot at the bottom of Fig. 4, which shows that the differential photometry reduces the scatter in the residuals by a factor of 3. For both light curves the red noise, defined as the noise correlated with time (σ_r), is estimated at each time-averaged bin of the light curve containing N points following Pont, Zucker & Queloz (2006),

$$\sigma_N = \sqrt{\frac{\sigma_w^2}{N} + \sigma_r^2}, \tag{3}$$

where σ_w is the white uncorrelated noise and σ_N is the photon noise. For our best-fitting light curve, we find $\sigma_w = 1.49 \times 10^{-4}$, with $\sigma_r = 4.97 \times 10^{-5}$ using a bin size of $N = 10$ (see Fig. 4) with a photon noise level of 6.8×10^{-5}.

Another method used to empirically correct for repeating systematics between orbits is the divide-oot routine developed by Berta et al. (2012). Divide-oot uses the out-of-transit orbits to compute a weighted average of the flux evaluated at each exposure within an orbit and divides the in-transit orbits by the template created. This requires each of the in-transit exposures to be equally spaced in time with the out-of-transit exposures being used to correct them, so that each corresponding image has the same *HST* phase so that additional systematic effects are not introduced. Due to this constraint, we were unable to perform the out-of-transit method as both the in-transit and out-of-transit orbits contain a different number of exposures with varied spacing between exposures.

The divide-oot method relies on the cancellation of common-mode systematic errors by operating only on the data themselves using simple linear procedures, relying on trends to be similar in the time domain. A somewhat similar technique was adopted by Deming et al. (2013) for their analysis of WFC3 data relying on common trends in the wavelength domain. In Section 3.4.1, we adopt a similar method of subtracting white-light residuals from

each spectroscopic bin to corroborate our results from individual parameter analysis.

3.4 Spectroscopic light-curve fits

In order to understand and monitor the significance of each potentially common-mode systematic inherent in the WFC3 data, we determine a fit for each separate parameter as well as applying a general common-mode analysis using the white-light residuals. We construct multiwavelength spectroscopic light curves by binning the extracted spectra into 28 channels that are ∼4 pixels wide ($\Delta\lambda = 0.0192\,\mu m$) from 1.1173 to 1.6549 μm, which is close to the resolution of the G141 grism. To measure the transmission spectrum of HAT-P-1b, we conducted individual parameter fitting to each of the 28 light curves with a model in which R_p/R_*, a baseline flux and a seventh-order polynomial as a function of *HST* orbital phase are allowed to vary, and with the orbital inclination, orbital period, a/R_* and the centre of transit time fixed from the white light-curve fitting. To avoid overfitting the data, and to determine the consistency of the systematic model used, we computed the BIC number for each spectroscopic bin. The systematic model with the lowest BIC was found to be consistent with that for the white light curve with little significant variation in the computed BIC number between each of the spectroscopic bins. For limb-darkening coefficients, we again used the 3D models, fixed for each spectroscopic bin as listed in Table 2.

Similar to the white light curve, the seventh-order *HST* phase correction is used to account for breathing systematics. The fitted

Table 2. Transmission spectrum and limb-darkening coefficients for HAT-P-1b from WFC3/G141 using differential photometry and with common-mode removal of systematic errors (see Fig. 5).

| λ (μm)	R_p/R_*	c_1	c_2	c_3	c_4
1.1269	$0.116\,56 \pm 0.000\,65$	0.7301	−0.4003	0.3529	−0.1200
1.1461	$0.116\,32 \pm 0.000\,68$	0.7271	−0.3993	0.3497	−0.1186
1.1653	$0.116\,43 \pm 0.000\,73$	0.7253	−0.4005	0.3399	−0.1133
1.1845	$0.114\,93 \pm 0.000\,72$	0.7192	−0.3703	0.3011	−0.0981
1.2037	$0.116\,40 \pm 0.000\,62$	0.7157	−0.3677	0.2922	−0.0939
1.2229	$0.117\,15 \pm 0.000\,62$	0.7273	−0.3759	0.2904	−0.0917
1.2421	$0.116\,56 \pm 0.000\,61$	0.7315	−0.3769	0.2802	−0.0859
1.2613	$0.115\,28 \pm 0.000\,61$	0.7349	−0.3673	0.2553	−0.0743
1.2805	$0.116\,39 \pm 0.000\,64$	0.7639	−0.4002	0.2308	−0.0562
1.2997	$0.115\,19 \pm 0.000\,55$	0.7470	−0.3724	0.2322	−0.0606
1.3189	$0.116\,51 \pm 0.000\,65$	0.7482	−0.3768	0.2326	−0.0599
1.3381	$0.117\,44 \pm 0.000\,62$	0.7560	−0.3824	0.2219	−0.0525
1.3573	$0.116\,56 \pm 0.000\,54$	0.7710	−0.4064	0.2325	−0.0538
1.3765	$0.117\,26 \pm 0.000\,60$	0.7885	−0.4378	0.2473	−0.0553
1.3957	$0.117\,16 \pm 0.000\,69$	0.8061	−0.4666	0.2591	−0.0558
1.4149	$0.118\,07 \pm 0.000\,68$	0.8292	−0.5034	0.2796	−0.0598
1.4341	$0.117\,80 \pm 0.000\,72$	0.8522	−0.5623	0.3265	−0.0735
1.4533	$0.117\,19 \pm 0.000\,68$	0.8706	−0.5906	0.3363	−0.0729
1.4725	$0.118\,23 \pm 0.000\,64$	0.8915	−0.6199	0.3506	−0.0747
1.4917	$0.117\,31 \pm 0.000\,70$	0.9156	−0.6854	0.4058	−0.0917
1.5109	$0.117\,98 \pm 0.000\,76$	0.9470	−0.7560	0.4641	−0.1095
1.5301	$0.117\,37 \pm 0.000\,76$	0.9788	−0.8295	0.5260	−0.1288
1.5493	$0.116\,50 \pm 0.000\,72$	0.9714	−0.8486	0.5619	−0.1451
1.5685	$0.116\,05 \pm 0.000\,88$	0.9875	−0.9154	0.6342	−0.1719
1.5877	$0.114\,66 \pm 0.000\,86$	1.0501	−1.0948	0.8137	−0.2357
1.6069	$0.116\,16 \pm 0.000\,72$	1.1217	−1.2570	0.9557	−0.2820
1.6261	$0.114\,74 \pm 0.000\,81$	1.1263	−1.2696	0.9679	−0.2861
1.6453	$0.115\,71 \pm 0.000\,90$	1.0649	−1.1631	0.8794	−0.2593
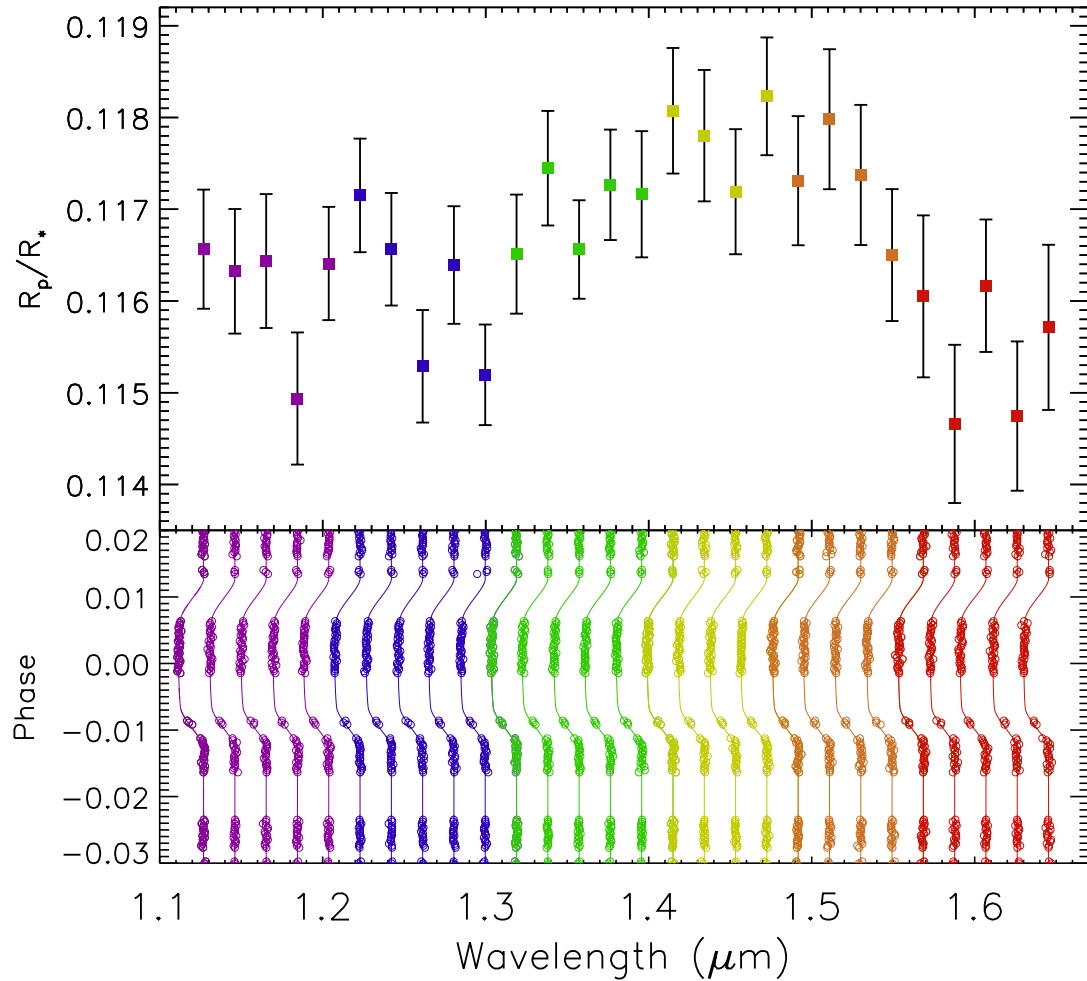
Figure 5. Top: the derived transmission spectrum of HAT-P-1b using differential photometry with individual parameter fitting. Bottom: spectroscopic light curve for each wavelength bin plotted vertically below the corresponding spectral depth measurement. The colours are used to guide the eye such that each R_p/R_* measurement can be more easily matched with the corresponding light curve.

R_p/R_* for each spectroscopic bin are listed in Table 2 along with the corresponding limb-darkening parameters. Fig. 5 shows the resultant transmission spectrum as well as the light curves for differential photometry with individual parameter fitting. The binned root mean squared of the residuals for each wavelength-bin can be seen in Fig. 6 shown relative to the photon noise of a representative spectral channel. We derived the transmission spectrum of HAT-P-1b for a wide range of wavelength bin sizes to test the fits and determine the achievable level of precision for the final transmission spectrum (see Fig. 7). Using differential photometry with individual parameter fitting, we achieved S/N levels of ~1840 per image at a resolution of $\Delta\lambda = 19.2$ nm ($R \sim 70$). The resulting transmission spectrum consists of 28 bins, each measured to a precision of about one planetary scaleheight. This demonstrates WFC3's ability to measure the transmission spectrum of exoplanets down to the resolution of the instrument meaning that fine structure in the NIR spectrum of an exoplanetary atmosphere can potentially be measured.

3.4.1 Common-mode systematics

WFC3 exhibits common-mode systematic errors across the detector that are predominately not wavelength dependent. Common-mode systematic trends usually do not highly impact the shape of the transmission spectrum, as each spectroscopic light-curve bin is similarly affected, and the relative planetary radius information is preserved. The common-mode trends can be seen in Fig. 8, which shows that most of the wavelength bins have a common *HST* coefficient within 1σ of the computed white-light coefficients up to the seventh order. Fig. 9 shows this breathing correction for the white light curve overplotted on the raw data showing the correction of a repeating trend in the data. In addition to the breathing systematic, there is also a non-repeating trend evident in the white-light residuals (see Figs 3 and 4), specifically in the third and fourth orbits, that is present in each wavelength band.

We therefore calculated the transmission spectrum using four different methods, testing the effects of individual parameter fitting and the cancelation of common-mode systematics using simple linear procedures, for both differential and single-target photometry. The four different methods displayed in Fig. 10 show a common structure to the transmission spectrum, indicating the significance of the spectral feature despite the assorted analysis techniques regarding differential analysis and common-mode removal of the systematic trends. We choose to quote final values for the transmission spectra from the analysis using differential photometry with individual parameter fitting, as it produces the highest quality light curve. The
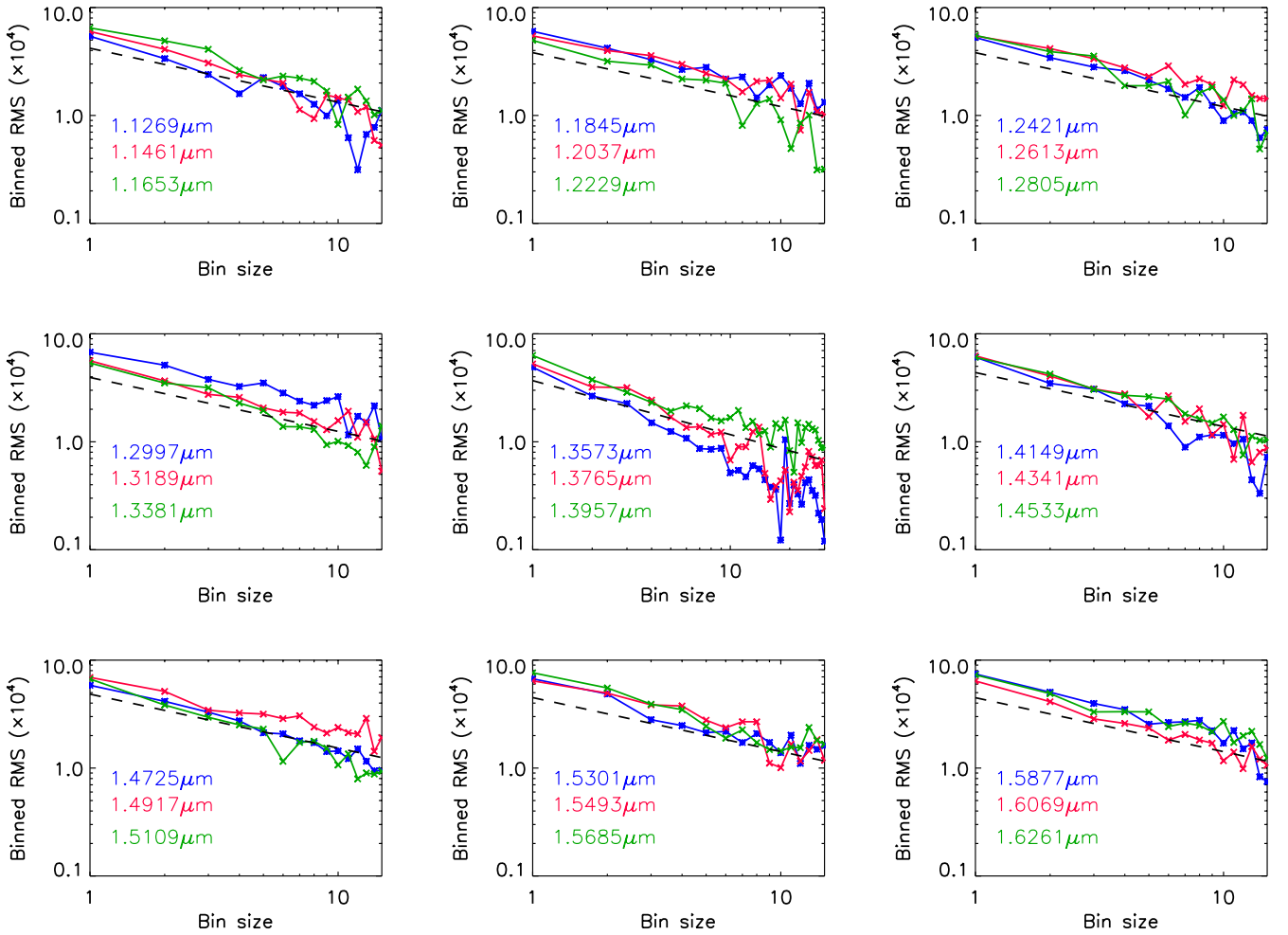
Figure 6. Binned root mean square of the residuals for each spectroscopic bin (red, blue and green) plotted against the photon noise for the central wavelength channel of each plot (black). The residuals are calculated using differential photometry with individual parameter analysis.
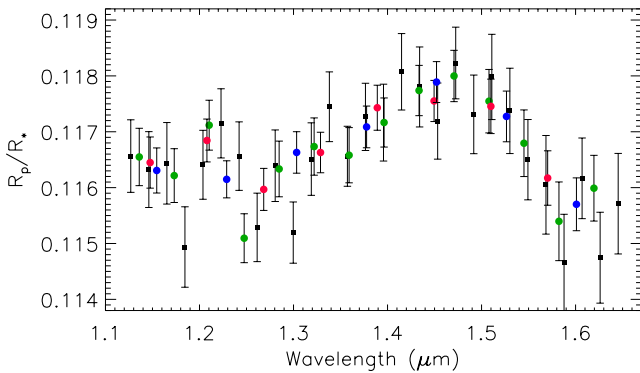

Figure 7. Transmission spectrum of HAT-P-1b, derived using differential photometry with individual-parameter fitting, for $\Delta\lambda = 19.2$ nm resolution shown as black squares. Overplotted are the transmission spectra for a range of different wavelength resolution bins: $\Delta\lambda = 37.2$ nm in green; $\Delta\lambda = 60.4$ nm in pink and $\Delta\lambda = 74.4$ nm in blue.

mean scatter of the residuals for all of the spectral bins is reduced by 10 per cent from single to differential photometry. In addition, a reduction of ~20 per cent is seen between common-mode removal and individual parameter analysis. There is also a significant reduction in the red noise from $\sigma_r = 1.4 \times 10^{-4}$ for differential photometry with common-mode removal down to $\sigma_r = 0.1 \times 10^{-4}$

for differential photometry with individual parameter analysis (see Table 3). In addition, by conducting both differential photometry and individual parameter analysis, we are thus able to better budget for the effects of the dominant thermal-breathing systematic on the transit depths (through the use of the covariance matrix) and to better understand the specific wavelength-dependent systematics inherent in the WFC3 data. While small, these can still potentially affect the resultant spectrum obtained. We have therefore adopted the method corresponding to Fig. 10(a) for further analysis and model fitting. We also perform analysis on the transmission spectrum in Fig. 10(b) discussed in Section 4.1.1 to corroborate the absorption significance of the water absorption feature. Fig. 11 shows six of the 28 wavelength channels and their corresponding light curves fitted with differential photometry and individual parameter analysis; the residuals demonstrate that this method efficiently corrects for the apparent common-mode trend seen in the white-light residuals in Fig. 4. We compute the transmission spectrum for differential photometry over a number of systematic models from fourth-order polynomial in *HST* orbital phase to a seventh-order polynomial in *HST* orbital phase adopted for this analysis (see Fig. 12). Fig. 12 shows that systematic models fitting for *HST* orbital phase with a polynomial in the order between fourth and seventh do not change the overall transmission spectrum while the BIC analysis favours a seventh-order polynomial fit to the data. As we cannot use the divide-oot routine, there are still some unmodelled systematics in
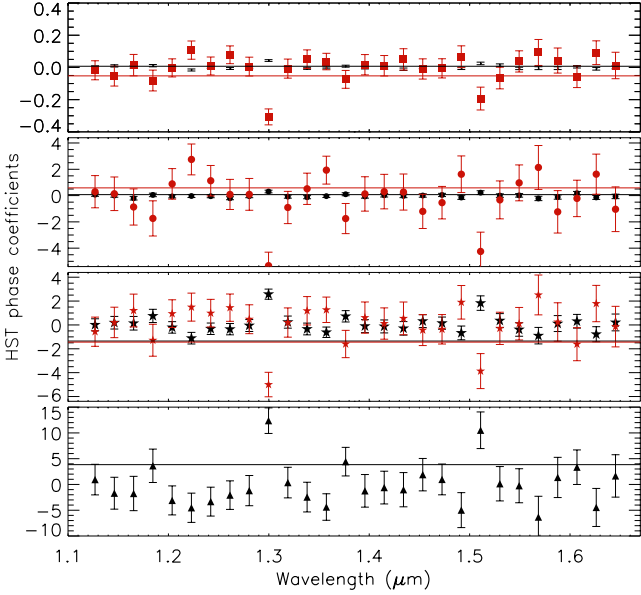
Figure 8. *HST* phase coefficients for each of the spectroscopic bins using differential photometry individual parameter fitting. Top: the first- (black), second-order coefficients (red, squares). Middle-Top: the third-order (black circles) and fourth-order (red-circles) coefficients showing a near zero variation over each wavelength bin. Middle-bottom: the fifth-order (black-stars) and sixth-order coefficient (red-stars). Bottom: the seventh-order *HST* phase coefficient for each bin. Note the *y*-axis scale for each plot with the corresponding white-light coefficient marked as a solid line.
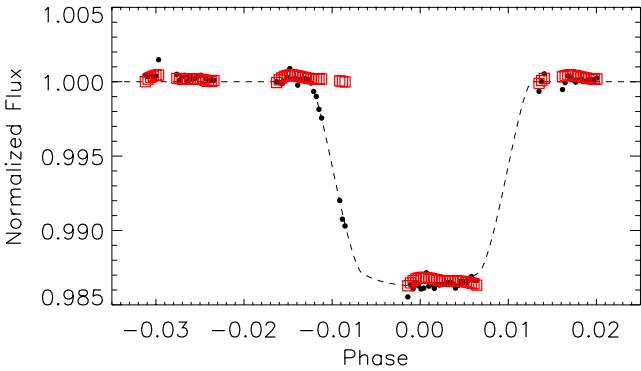
Figure 9. Raw white light curve with the breathing correction function overplotted as open squares (red) to show the fit to the orbit-to-orbit trends evident in the data corresponding to the seventh-order parameter.

the white light-curve data resulting in a precision 2.9 times the photon limit. Though we note that the absolute white-light precision per exposure is ∼2.3 times better than Berta et al. (2012). With the use of optimized scheduling future observations can potentially take advantage of divide-oot with spatial scanning to increase the white-light performance. Our spectroscopic measurements come close to the photon noise limit of the detector with a mean error within 12 per cent of the photon limit and a precision of R_p/R^* less than 0.0009 per spectral channel similar to that shown by Deming et al. (2013) and Swain et al. (2013).

Finally, to further characterize systematic effects in the data that may not have been accounted for, we injected a transit of constant depth ($R_p/R_* = 0.1142$) into the reference star's light curve and computed the transmission spectrum over the same wavelength
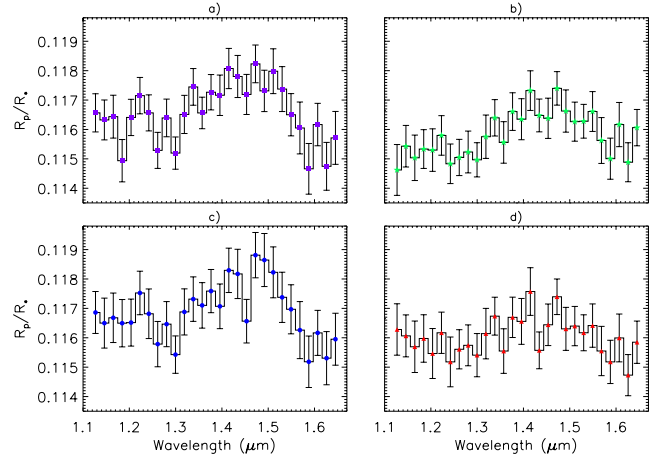

Figure 10. (a) Transmission spectrum of HAT-P-1b for differential photometry individual parameter fitting. (b) Single target photometry individual parameter fitting. (c) Differential photometry with common-mode fitting. (d) Single target photometry with common-mode fitting. While each spectra show a common spectral shape the method used for figure (a) has lower red noise and residual scatter for each spectroscopic bin and is therefore adopted transmission spectrum for further analysis.

Table 3. Quantitative analysis of each analysis method used to compute the transmission spectra displayed in Fig. 10. This shows the significant decrease in red noise computed for differential photometry with individual parameter analysis with an additional decrease in the standard deviation of the residuals when compared to common-mode removal.

Fig. 10	(a)	(b)	(c)	(d)
Standard deviation of the residuals	0.000 62	0.000 59	0.000 76	0.000 71
Red noise (∼8 min bins)	0.000 01	0.000 08	0.000 16	0.000 14
σ_N (∼8 min bins)	0.000 19	0.000 20	0.000 29	0.000 26
BIC	131	133	142	150

range with the same bin size. To compute the transmission spectrum, seventh-order *HST* orbital phase corrections were applied and no common-mode systematic removal was conducted. The resultant transmission spectrum shows the wavelength variation in the flux of the reference star using the same exposures used to measure the planetary transit, and can be directly compared to the transmission spectrum of HAT-P-1b computed using single target photometry and individual parameter (i.e. with seventh-order *HST* orbital phase correction and no common-mode systematic removal) (see Fig. 13).

As expected, the computed reference star 'transit spectrum' is flat, with no water feature observed at 1.4 μm. This further demonstrates the reliability of the derived transit spectrum over the whole G141 spectral range.

4 DISCUSSION

The transmission spectrum of HAT-P-1b around 1.4 μm is presented in Fig. 5. We compare the transmission spectrum to theoretical atmospheric models of HAT-P-1b based on the models from Fortney et al. (2010) and Burrows (2013).

Over the observed wavelength range sampled by the WFC3 G141 grism, the strongest atmospheric feature expected is water
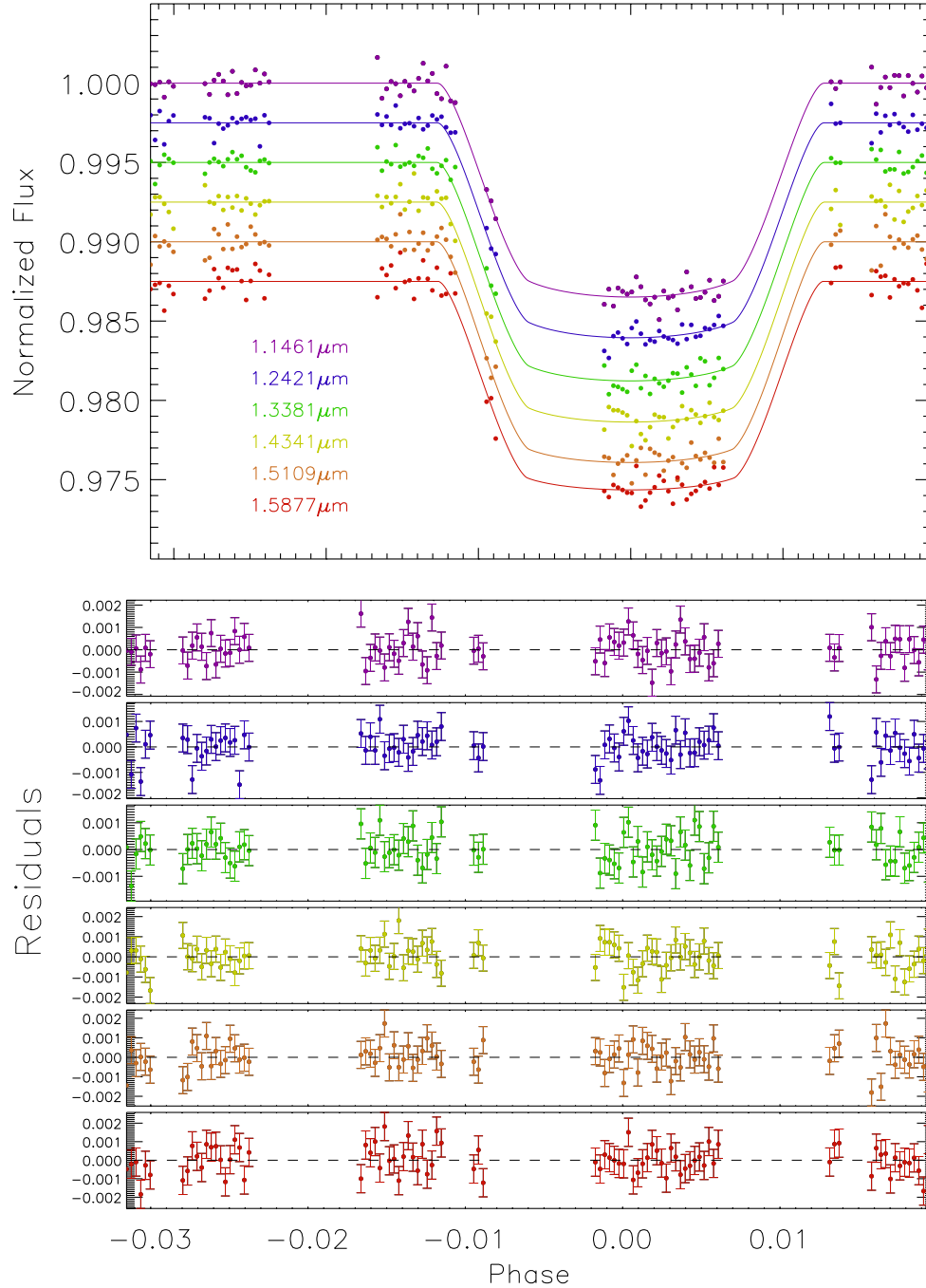
Figure 11. Spectroscopic light curves for six different wavelength bins using differential photometry with individual parameter fitting the colours correspond to those used in Fig. 5.

absorption band with a characteristic band head at 1.4 μm. In most lower atmosphere models of hot Jupiters, H_2O is well mixed throughout the atmosphere, and most of the features between 0.7 and 2.5 μm come from the H_2O vibration–rotation bands (Brown 2001). These features are difficult to measure with ground-based telescopes due to confusion with water vapour signatures from the Earth's atmosphere. Space-based observations are therefore essential to probe such spectral regions in exoplanetary atmospheric studies.

To help interpret the size of the spectral features seen in the transmission spectrum, we determine the scaleheight of the atmosphere that defines potential spectral features. The scaleheight (H) is the

altitude range over which the atmospheric pressure decreases by a factor of e,

$$H = \frac{k_B T}{\mu_m m_H g}, \tag{4}$$

where, k_B is the Boltzman constant, T is the estimated atmospheric temperature, m_H is the mass of hydrogen atom, μ_m is the mean molecular weight of the atmosphere, and g is the surface gravity. The scaleheight of HAT-P-1b is approximately 500 km for an H, He atmosphere at $T = 1200$ K, which corresponds to transit depths of ~0.017 per cent or 0.000 62 R_p/R_*. If water is to be observed in the NIR transmission spectrum of HAT-P-1b then the size of
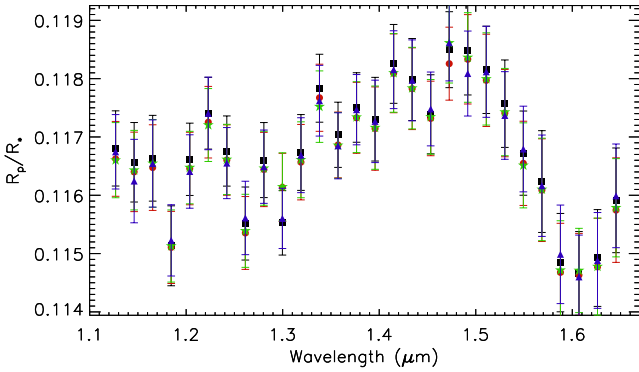
Figure 12. HAT-P-1b transmission spectrum computed for differential photometry with individual parameter analysis for four different systematic models. Seventh-order polynomial in *HST* orbital phase (black squares), sixth-order polynomial in *HST* orbital phase (red circles), fifth-order polynomial in *HST* orbital phase (green stars), Fourth-order polynomial in *HST* orbital phase (blue triangles).
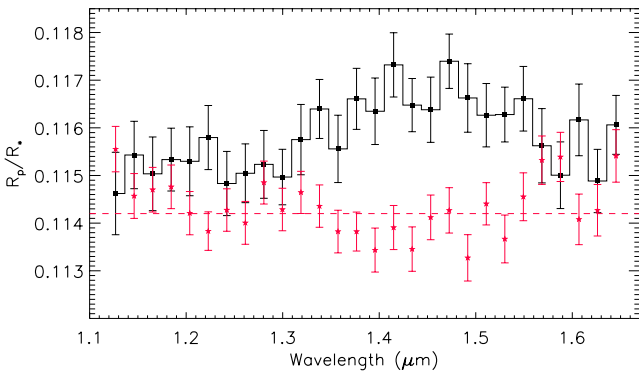

Figure 13. Plotted in red stars is a transmission spectrum for the reference star computed after injecting a transit of constant depth (represented by the dashed red line) into the light curve. The black squares show the transmission spectrum of HAT-P-1b using single target photometry and individual parameter systematic fitting. The 'transit spectrum' of the reference star is rather flat, and does not show the water absorption spectral shape.

absorption features should be approximately two scaleheights or more in size, which is well within the accuracy of these observations (see Fig. 14).

4.1 Atmospheric models for HAT-P-1b

We compared the derived transit spectrum of HAT-P-1b to two different suites of theoretical atmospheric models for the transmission spectra, one set of models based on the formalism of Burrows et al. (2010) and the other set based on the models by Fortney et al. (2008, 2010). The pre-calculated models were compared to the data in a χ^2 test, with the base planetary radius as the only free parameter to simply adjust the overall altitude normalization of the model spectrum. As no interaction is made directly with the model parameters when making a comparison, such as fitting for the abundance of TiO/VO, H_2O or T-P profile, the d.o.f. for the χ^2 test does not change between models. This analysis aims to distinguish between a number of the different assumptions used in current models, and to identify any expected spectral features rather than to perform spectral retrieval. The transmission spectrum is therefore compared

to previously published models of Burrows et al. (2010) and Fortney et al. (2008, 2010) calculated for the radius, gravity, orbital distance and stellar properties of the HAT-P-1 system. This was done for both isothermal models as well as planetary specific models.

The models based on Fortney et al. (2008, 2010) included a self-consistent treatment of radiative transfer and thermochemical equilibrium of neutral and ionic species. The models assumed a solar metallically and local thermochemical equilibrium, accounting for condensation and thermal ionization though no photochemistry (Lodders 1999, 2002, 2009; Lodders & Fegley 2002, 2006; Visscher, Lodders & Fegley 2006; Freedman, Marley & Lodders 2008). In addition to isothermal models, transmission spectra were calculated using 1D temperature–pressure (T-P) profiles for the dayside, as well as an overall cooler planetary-averaged profile. Models were also generated both with and without the inclusion of TiO and VO opacities.

The models based on Burrows et al. (2010) and Howe & Burrows (2012) used a 1D dayside T-P profile with stellar irradiation, in radiative, chemical and hydrostatic equilibrium. Chemical mixing ratios and corresponding opacities assume solar metallicity and local thermodynamical chemical equilibrium accounting for condensation with no ionization, using the opacity data base from Sharp & Burrows (2007) and the equilibrium chemical abundances from Burrows & Sharp (1999) and Burrows et al. (2001).

Isothermal models: comparison of the observed atmospheric features to those produced by isothermal hydrostatic uniform abundance models helps provide an overall understanding of the observed features and any departures from them. We used isothermal models for $T_{eff} = 1500$ K (to represent the hotter dayside) for model atmospheres with and without TiO/VO and for a cooler isothermal model at $T_{eff} = 1000$ K (to represent the cooler terminator). The NIR transit spectrum is relatively insensitive to the presence of TiO and VO. Models at $T_{eff} = 1500$ K including or not TiO/VO provided a poor fit with a χ^2 value of ∼54.5 for 27 d.o.f. and can be rejected with a greater than 3σ confidence. The $T_{eff} = 1000$ K model yielded an improved fit with a χ^2 value of 35.68 for 27 d.o.f. (see Fig. 14).

HAT-P-1b specific models: we also compared the transit spectrum to the transmission spectra generated by both a planetary averaged T-P profile and a dayside-averaged T-P profile specifically generated for HAT-P-1b. The model using the cooler planetary averaged T-P profile is our best-fitting model giving a χ^2 value of 26.89 for 27 d.o.f., while the hotter dayside-averaged T-P profile gives a marginally worse fit with a χ^2 value of 28.87 for 27 d.o.f.. We also compared the HAT-P-1b dayside model without TiO/VO from Burrows (2013), and found a χ^2 value of 37.68 for 27 d.o.f.. While this is a better fit than with the 1500 K isothermal model, the cooler planetary averaged T-P profile and 1000 K isothermal model have a stronger correlation to the data (see Fig. 14).

To determine the overall significance of the model fits, we also calculated the fit for a straight line through the average planetary radius, corresponding to the case where no atmospheric features are detected. This gave a χ^2 value of 56.71 for 27 d.o.f.. Thus, we can rule out the null hypothesis at the 5.4 sigma significance level, compared to our best-fitting atmospheric model using a planetary averaged T-P profile (see Fig. 15).

4.1.1 Single target model fitting

In addition to the above analysis of the transmission spectrum shown in Fig. 10(a), we apply the χ^2 test to compare the pre-calculated models to the transmission spectrum computed using single target
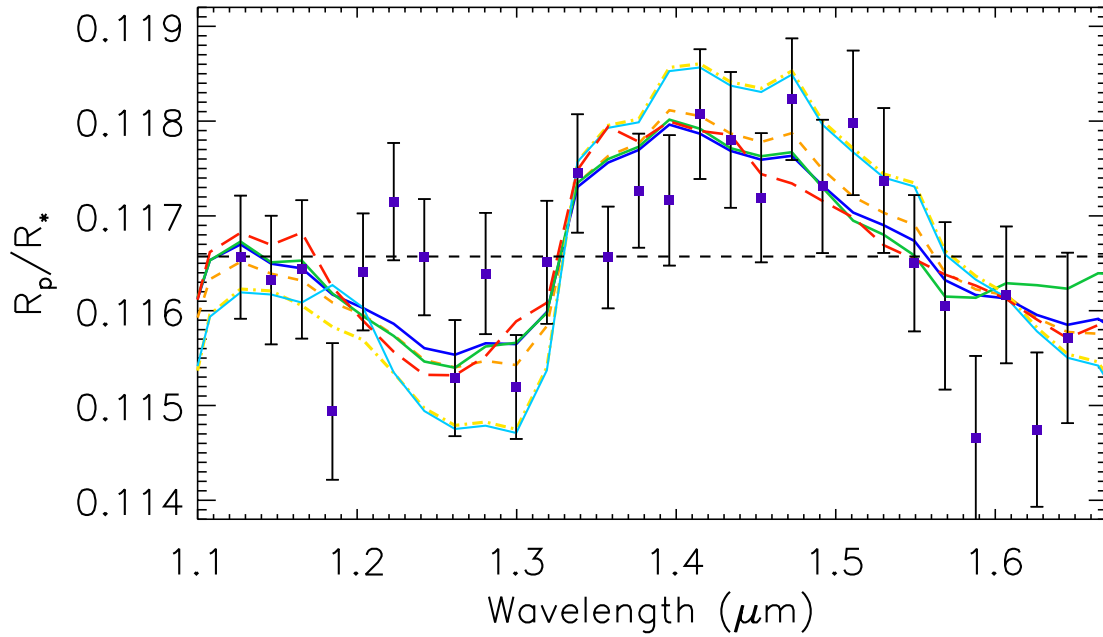
Figure 14. The transmission spectrum of HAT-P-1b, derived using differential photometry with individual parameter fitting (see Fig. 10a). Each theoretical transmission spectrum discussed in Section 4.1 is plotted over the data; Orange dashed: hotter dayside-averaged T-P profile. Dark blue: cooler planetary averaged T-P profile. Red long dashed: dayside model without TiO/VO. Green: isothermal 1000 K model. Yellow dot–dashed: isothermal 1500 K with TiO/VO. Pale blue: isothermal 1500 K no TiO/VO.
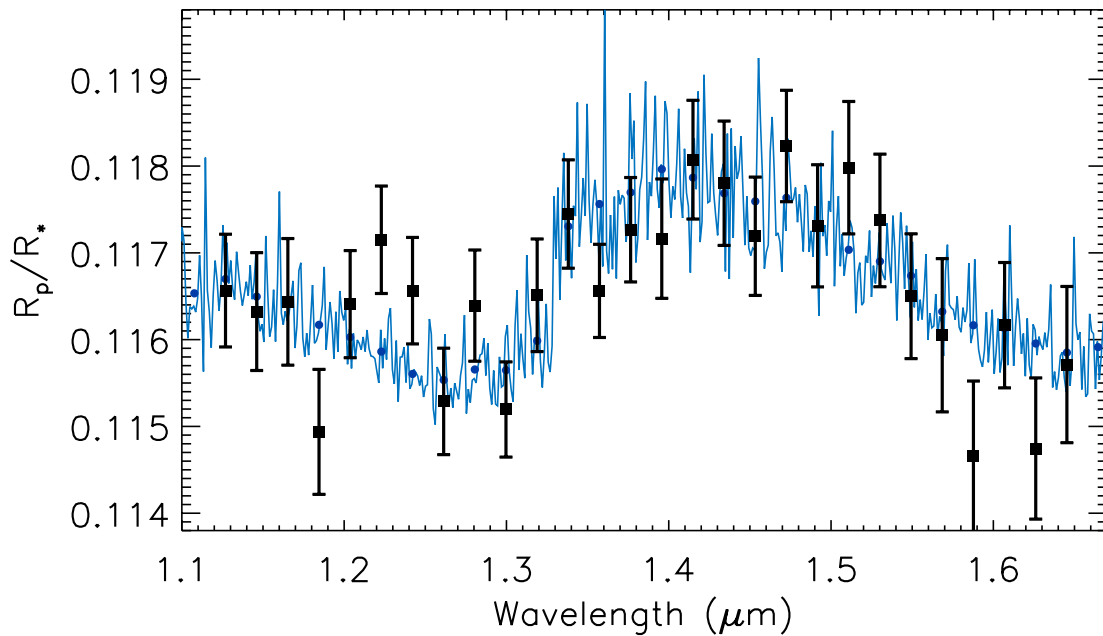

Figure 15. The transmission spectrum of HAT-P1b, using differential photometry with individual parameter fitting (see Fig. 10a). The full resolution planetary-averaged HAT-P-1b specific model is plotted in blue (based on the Fortney et al. 2008, 2010 models).

photometry with individual parameter analysis (Fig. 10b). Fig. 16 shows the six models outlined in Section 4.1 fitted to the transmission spectrum for single target photometry, where the only fitting parameter is the base planetary radius, with $\Delta R_p/R_* \sim 0.001$ lower for single target photometry.

Similar to the fit in Section 4.1, the two $T_{eff} = 1500$ K models representing the hotter dayside show a poor fit to the data and can be rejected with greater than 97 per cent confidence. The remaining models, including the $T_{eff} = 1000$ K isothermal model representing the cooler terminator, show a greater significance of

fit to the data with a significance of 4.4σ over the null hypothesis. The model using the cooler planetary-averaged T-P profile is our best-fitting model with a χ^2 value of 27.10 for 27 d.o.f. compared to a χ^2 value of 46.5 for 27 d.o.f. using a straight line through the average planetary radius representing a featureless atmosphere.

To further corroborate these results against different analysis techniques, we determined the amplitude of the water feature in the data for each of the WFC3 transmission spectra shown in Fig. 10. This was determined by scaling our best-fitting atmospheric model
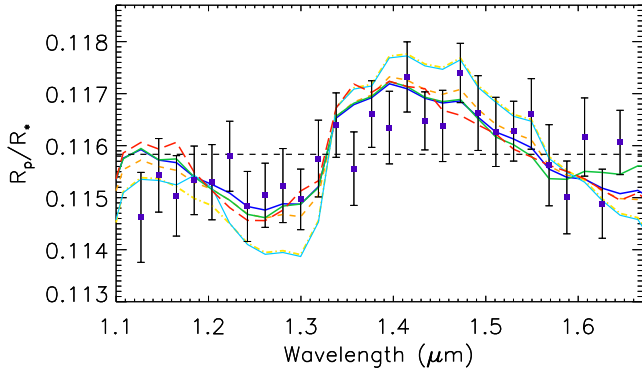
Figure 16. The transmission spectrum of HAT-P-1b, derived using single target photometry with individual parameter fitting (see Fig. 10b). Each theoretical transmission spectrum discussed in Section 4.1 is plotted over the data; Orange dashed: hotter dayside-averaged T-P profile model. Dark blue: cooler planetary averaged T-P profile. Red long dashed: dayside model without TiO/VO. Green: isothermal 1000 K model. Yellow dot–dashed: isothermal 1500 K with TiO/VO. Pale blue: isothermal 1500 K no TiO/VO.

to each of the four spectra. The fitted scaling factor can change, particularly in analysis (d) where it is lower, although the difference is not significant as there is much higher red noise in the other three analysis methods, making them less sensitive to the water absorption feature.

4.2 Implications for HAT-P-1b's structure

Given that transmission spectroscopy is mainly sensitive to the scaleheight, and therefore the absolute temperature of the atmosphere, we find evidence for a cooler temperature on average at the planetary limb, compared to the 1500 K dayside brightness temperatures measured from *Spitzer* (Todorov et al. 2010). The 1000 K isothermal model and the HAT-P-1b specific T-P profile models all show a significant improvement in the fit compared to a hotter 1500 K isothermal model. Therefore, a hotter temperature at lower pressures can be confidently ruled out. This gives evidence that HAT-P-1b has cooler temperatures close to ∼1000 K at ∼mbar pressures, where the best-fitting model T-P profiles overlap (see Fig. 17).

The identification of atmospheric species is one of the first steps for understanding the nature of exoplanetary atmospheres. The presence of key species, or the lack thereof, provides information on the exoplanets composition, chemistry, temperature and atmospheric structures such as clouds or hazes; thus, helping us place exoplanets into sub-categories. Recent 3D hot-Jupiter models have shown that the warmer dayside temperatures can increase the atmospheric scaleheight and effectively 'puff-up' the dayside atmosphere, obscuring the cooler planetary limb as well as nightside spectral signatures (Fortney et al. 2010). Although there is a difference of 1.5σ between the warmer dayside-averaged T-P profile and that of the cooler planetary-averaged profile, the hotter model cannot be rejected with enough confidence to entirely rule it out and determine if the dayside atmosphere is significantly 'puffed-up' in the presence of high stellar irradiation. The derived water feature is expected to be at a pressure of roughly 20 mbar at solar abundances (see Fig. 17). The derived water feature displays a similar amplitude to that seen in WASP-19b (Huitson et al. 2013) with both planets consistent with a H_2O-dominated atmospheric transmission in the NIR. These observations show a contrast to HD 209458b and XO-1b (Deming et al. 2013), which both appear muted in water absorption, by per-
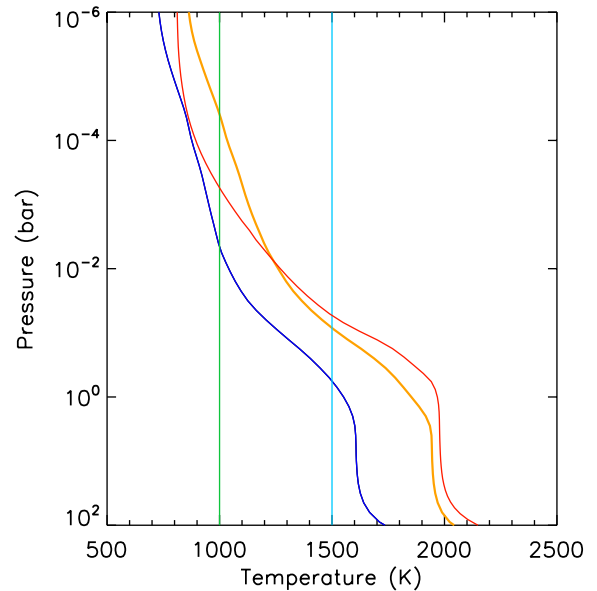

Figure 17. The temperature–pressure profile for the planetary-averaged profile (dark blue), the dayside-averaged profile (orange), and vertical lines marking the isothermal models at 1000 K (green) and 1500 K (light blue) (J. Fortney, 2012), and the Burrows dayside model without TiO/VO (red).

haps cloud or haze, demonstrating a range in the presence of water in hot-Jupiter atmospheres.

5 CONCLUSION

In this paper, we present new measurements of HAT-P-1b's transmission spectrum using *HST*/WFC3 in spatial-scan mode with precisions of $\sigma_{R_p/R_*} \simeq 0.000\,69$ reached in 28 simultaneously measured wavelength bins. We find evidence for H_2O absorption in the atmosphere at 1.4 μm with a greater than 5σ significance level, with models in favour of a cooler planetary-averaged T-P profile at the limb of the planet near ∼millibar pressures for both single target and differential photometry. The amplitude of the derived water absorption is consistent with a H_2O-dominated atmospheric transmission in the NIR with evidence for a non-inverted T-P profile. The 1000 K isothermal models show a significant improvement over hotter 1500 K isothermal models, however, a 'puffed-up' dayside cannot be ruled out.

In our spatially scanned data, we find that performing differential photometry with individual parameter fitting of *HST* phase to the seventh-order and removal of residual white-light common-mode trends produces the best results, though the spectral shape is fairly independent of the different data reduction processes. The use of spatial-scan mode allowed us to take longer exposures therefore increasing the number of detected photons before saturation occurs, and reducing the effect of non-linearity and persistence in the IR detector. The spatial-scan mode allowed us to obtain the transmission spectrum of HAT-P-1b at the resolution of the instrument at precessions equivalent to about one scaleheight of the planets' atmosphere per bin. As HAT-P-1 is also a member of a binary star system, we were also able to use the resolved companion as a reference star to perform differential photometry, removing some systematics and reducing the errors of the observations. This allowed for increasing the resolution of the measurements without significantly increasing the errors.

Future observations with our program using WFC3 in spatial-scan mode will be able to better explore the diversity of H_2O in the atmospheres of close-in giant planets.

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