

Tilburg University

## A Bayesian note on competing correlation structures in the dynamic linear regression model

Chib, S.; Osiewalski, J.; Steel, M.F.J.

*Publication date:*  
1991

[Link to publication in Tilburg University Research Portal](#)

*Citation for published version (APA):*

Chib, S., Osiewalski, J., & Steel, M. F. J. (1991). *A Bayesian note on competing correlation structures in the dynamic linear regression model*. (CentER Discussion Paper; Vol. 1991-22). Unknown Publisher.

### General rights

Copyright and moral rights for the publications made accessible in the public portal are retained by the authors and/or other copyright owners and it is a condition of accessing publications that users recognise and abide by the legal requirements associated with these rights.

- Users may download and print one copy of any publication from the public portal for the purpose of private study or research.
- You may not further distribute the material or use it for any profit-making activity or commercial gain
- You may freely distribute the URL identifying the publication in the public portal

### Take down policy

If you believe that this document breaches copyright please contact us providing details, and we will remove access to the work immediately and investigate your claim.

BM

CBM

R

8414

1991

22

entER

for

mic Research

# Discussion paper



\* C I N O 0 7 1 0 \*



No. 9122

A BAYESIAN NOTE ON COMPETING CORRELATION  
STRUCTURES IN THE DYNAMIC LINEAR  
REGRESSION MODEL

by Siddharta Chib, Jacek Osiewalski  
and Mark F.J. Steel

R20  
330.115

May 1991

ISSN 0924-7815

A BAYESIAN NOTE ON COMPETING CORRELATION STRUCTURES  
IN THE DYNAMIC LINEAR REGRESSION MODEL

Siddhartha Chib

Washington University and  
University of Missouri, Columbia

Jacek Osiewalski

Academy of Economics, Kraków

Mark F.J. Steel

Tilburg University

A Bayesian posterior odds approach is used to distinguish between different error correlation structures in dynamic linear regression models. We extend the usual framework to general elliptical error distributions and any number of lagged dependent variables and contending correlation hypotheses. In contrast to classical tests, posterior analysis is not fundamentally affected by the dynamic structure of the model, and is very easily performed in a reference prior case. Recent classical results are provided with a Bayesian interpretation, and a small empirical example illustrates the approach.

Acknowledgements: The second author gratefully acknowledges the hospitality of the Center for Economic Research, Tilburg University while the third author was supported by a research fellowship of the Royal Netherlands Academy of Arts and Sciences (KNAW) and enjoyed the hospitality of the Academy of Economics, Kraków.

## 1. Introduction

In a recent article, Inder (1990) proposed a test for autocorrelated errors in the linear regression model with one lagged dependent variable among the regressors, thus generalizing King (1985) to dynamic regression models. Although Inder's extension seems somewhat *ad hoc*, he reports evidence from simulation experiments that favours his test over the widely used *h* and *t* tests from Durbin (1970) as well as the Durbin-Watson test.

In this paper we consider a Bayesian posterior odds approach to the question addressed in Durbin (1970) and Inder (1990). In fact, we develop our results within a much more general framework, where we compare *m* dynamic models (each with *q* lagged dependent variables) that differ only in their covariance structure. In addition, we allow for general elliptical distributions of the error vector. We show that Bayesian posterior analysis is not fundamentally affected by the dynamic character of the model, and posterior odds are obtained in the same fashion as in Chib et al. (1990), who treat the static case. Indeed, posterior results are based on the likelihood function, the functional form of which is not changed by introducing dynamics. Within a Bayesian framework, the latter will only complicate prediction [see Chow (1973)].

Section 2 describes the Bayesian model, giving rise to the posterior analysis under a reference prior in Section 3. In Section 4 we compare our method with Inder's (1990) in the special case considered by him. An application to Durbin and Watson's (1951) consumption of spirits data in Section 5 illustrates our approach. The final section contains some concluding remarks.

## 2. The Bayesian Model

We consider *m* dynamic linear regression models ( $i = 1, \dots, m$ )

$$M_i : y = Y_{-1}\alpha + X\beta + \varepsilon \quad (1)$$

where  $Y_{-1}$  is an  $n \times q$  matrix containing lagged values of the  $n$  dimensional vector  $y$  as well as the necessary initial values  $y_0$ , and  $X$  groups  $k$  other weakly exogenous variables. The error vector  $\epsilon$  is assumed to have an  $n$ -variate elliptical distribution with location vector  $0$  and dispersion matrix  $\sigma^2 V_i$ , with  $\sigma^2$  a common scale factor, and  $V_i = V_i(\eta_i)$  a model specific PDS matrix function of the  $k_i$  dimensional  $\eta_i$ . The  $m$  models thus only differ in the structure of  $V_i$ .

For notational convenience, let  $Z = (Y_{-1} \ X)$  and  $\gamma' = (\alpha' \ \beta')$ . As a result of the unitary Jacobian of the transformation from  $\epsilon$  to  $y$ , the data density corresponding to  $M_i$  is:

$$p(y|y_0, X, \gamma, \sigma^2, \eta_i, M_i) = (\sigma^2)^{-\frac{n}{2}} |V_i|^{-\frac{1}{2}} g_i[(y - Z\gamma)' \sigma^{-2} V_i^{-1} (y - Z\gamma)]. \quad (2)$$

In (2) the nonnegative function  $g_i[\cdot]$  is such that  $u^{\frac{n}{2}-1} g_i(u)$  is integrable in  $\mathbf{R}_+$ ,  $i = 1, \dots, m$ ; see Dickey and Chen (1985). This general class covers many specific multivariate densities, like Normal, Student  $t$  or Pearson II. Due to the linearity of the transformation from  $\epsilon$  to  $y$ , the data density still belongs to the elliptical class. Finally, the entire analysis will be conducted conditionally upon  $y_0$ . For alternative treatments of initial values see e.g. Zellner (1971).

In order to complete the Bayesian model, we specify a prior density on the parameters of  $M_i$ :

$$p(\gamma, \sigma^2, \eta_i) = c_1 \sigma^{-2} p(\gamma) p(\eta_i), \quad (3)$$

a product of the usual improper prior on  $\sigma^2$ , a prior on the common coefficients  $\gamma$ , and a **proper** prior on  $\eta_i$ , with  $c_1 > 0$ .

### 3. Posterior Analysis

The Jeffreys' type prior on  $\sigma^2$  can be shown, as in Osiewalski and Steel (1990), to lead to exactly the same joint density of  $(y, \gamma, \eta_1)$  as under Normality of the disturbances in (1), namely

$$p(y, \gamma, \eta_1 | y_0, X, M_1) = c_1 \Gamma\left(\frac{n-k-q}{2}\right) \pi^{\frac{n-k-q}{2}} p(\gamma) p(\eta_1)$$

$$h_1(\eta_1) f_s^{k+q}(\gamma | n-k-q, \hat{\gamma}_1, \frac{n-k-q}{SSE_1} Z' V_1^{-1} Z), \quad (4)$$

$$\text{with } h_1(\eta_1) = |V_1|^{-\frac{1}{2}} |Z' V_1^{-1} Z|^{-\frac{1}{2}} (SSE_1)^{\frac{n-k-q}{2}}, \quad (5)$$

and the  $(k+q)$ -variate Student  $t$  density appearing in (4) has  $n-k-q$  degrees of freedom, location vector  $\hat{\gamma}_1 = (Z' V_1^{-1} Z)^{-1} Z' V_1^{-1} y$  and the precision matrix involves  $SSE_1 = (y - Z \hat{\gamma}_1)' V_1^{-1} (y - Z \hat{\gamma}_1)$ ; finally, we implicitly assume  $Z$  to be of full column rank.

Clearly,  $\gamma$  can be integrated out analytically from (4) if we assume an improper uniform prior in (3)

$$p(\gamma) = c_2. \quad (6)$$

This convenient case will be treated here in some detail, whereas for independent Student  $t$  priors on  $\gamma$  the results in Chib et al. (1990) can easily be adapted. Remark that in the context of dynamic models the choice of (6) does not exclude nonstationarity of the process for  $y$ . Imposing stationarity requires restricting the parameter space of  $\alpha$ , which would add  $q$  dimensions to the numerical integration in the sequel. Of course, Inder's (1990) procedure does not impose stationarity either.

Under  $M_1$ , the use of (3) and (6) leads to the Student  $t$  conditional posterior of  $\gamma$ , given  $\eta_1$ , implicit in (4), and the following marginal posterior of  $\eta_1$ :

$$p(\eta_1 | y, y_0, X, M_1) = K_1^{-1} h_1(\eta_1) p(\eta_1), \quad (7)$$

where we assume  $K_i = \int h_i(\eta_i) p(\eta_i) d\eta_i$  to be finite,  $i = 1, \dots, m$ . Evaluating  $K_i$  only requires  $\mathcal{L}_i$  dimensional numerical integration. Assigning prior probability  $p(M_i)$  to the  $i$ -th model, the posterior probability is now given by

$$p(M_i | y, y_0, X) = \frac{p(M_i) K_i}{\sum_{j=1}^m p(M_j) K_j}, \quad (8)$$

since the (improper) predictive densities are  $p(y|y_0, X, M_j) = cK_j$  with the same constant  $c$  for all  $j = 1, \dots, m$ . The Bayes factor  $B_{rs}$  for comparing  $M_r$  and  $M_s$  is equal to  $K_r/K_s$  leading to the posterior odds  $[p(M_r)/p(M_s)] \times B_{rs}$ . Note that  $B_{rs}$  could take any value if we would allow  $p(\eta_i)$  in (7) to be improper.

If the loss structure penalizes all incorrect decisions equally heavy, the Bayesian pretest procedure amounts to choosing the model with highest posterior model probability. In order to avoid pretesting, we can use mixtures of data densities, as explained in Chib et al. (1990).

#### 4. Comparison with Inder's Test for Autocorrelated Disturbances

In the particular case where  $m = 2$ ,  $q = 1$  and the errors either follow a stationary AR(1) process or are uncorrelated, Inder (1990) proposes a modification of King's (1985) test for AR(1) in the static regression model. He suggests replacing the dynamic coefficient  $\alpha$  by its OLS estimate obtained from (1), say

$$a = (y'_{-1} \bar{P}_X y_{-1})^{-1} y'_{-1} \bar{P}_X y, \quad (9)$$

where we define

$$\bar{P}_w = I_n - W(W'W)^{-1}W', \quad (10)$$

and  $Y_{-1}$  is now a vector denoted by  $y_{-1}$ . Inder's test statistic is then given by



$$s(a, \eta_1^*) = \frac{(y-y_{-1}a)'Q'\bar{P}_{QX}Q(y-y_{-1}a)}{(y-y_{-1}a)'\bar{P}_X(y-y_{-1}a)}, \quad (11)$$

where  $Q'Q = V_1^{-1}(\eta_1^*)$ , and the AR(1) correlation structure is generally given by

$$V_1(\eta_1) = [(1-\eta_1)^2 I_n + \eta_1 A - \eta_1^2 B]^{-1}, \quad (12)$$

with  $\eta_1 \in (0,1)$ ,  $B = \text{Diag}(1,0,\dots,0,1)$ , and  $A$  is a tridiagonal matrix with 2 on the main diagonal and -1 on the other two diagonals. Contrary to the Bayesian approach in Section 3 where  $\eta_1$  is integrated out, Inder tests against a specific alternative by choosing a particular value  $\eta_1 = \eta_1^*$ .

In the static case ( $q = 0$ ) this fact results in the equivalence of King's (1985) test statistic and the Bayes factor (BF) conditional on  $\eta_1 = \eta_1^*$ , given by  $h_1(\eta_1^*)/h_2$ , as explained in Chib et al. (1990). However, the extension to dynamic models deprives Inder's test statistic in (11) of the same Bayesian interpretation. In particular, the conditional BF is from (5) with  $V_2 = I_n$

$$\frac{h_1(\eta_1^*)}{h_2} = \frac{|Q'Q|^{\frac{1}{2}}|Z'Q'QZ|^{-\frac{1}{2}} \left[ \frac{y'Q'\bar{P}_{QZ}Qy}{y'\bar{P}_Z y} \right]^{\frac{n-k-1}{2}}}{|Z'Z|^{-\frac{1}{2}}}, \quad (13)$$

where elements of  $y$  now appear through  $Z$  as well. The dynamic character of the model thus precludes a direct link with a test statistic of the simple ratio form in (11). In addition, the conditional BF in (13), contrary to (11), uses all regressors in the same fashion, and does not distinguish between lagged  $y$ 's and other regressors. Indeed, for posterior inference the form of the likelihood suffices, and the sampling properties of the actual data density are entirely irrelevant.

If we condition on  $\alpha$  as well, a Bayesian interpretation of (11) can be provided, as the conditional BF given  $\alpha = \alpha^*$  and  $\eta_1 = \eta_1^*$  takes the form

$$\frac{|Q'Q|^{\frac{1}{2}}|X'Q'QX|^{-\frac{1}{2}}}{|X'X|^{-\frac{1}{2}}} [s(\alpha^*, \eta_1^*)]^{\frac{-n-k}{2}}, \quad (14)$$

where elements of  $y$  now only appear through

$$s(\alpha^*, \eta_1^*) = \frac{(y - y_{-1}\alpha^*)' Q' \bar{P}_{QX} Q (y - y_{-1}\alpha^*)}{(y - y_{-1}\alpha^*)' \bar{P}_X (y - y_{-1}\alpha^*)}. \quad (15)$$

In the static case where  $\alpha^* = 0$ , (15) reduces to Kings (1985) statistic. Inder's (1990) suggestion in (11) for dynamic models amounts to evaluating (15) at the OLS value  $a$  for  $\alpha^*$ . While  $a$  is the posterior mean and mode of  $\alpha$  given  $V_2 = I_n$  it can clearly be far from the posterior mean and modal values of  $\alpha$  under the AR(1) alternative.

From the Bayesian perspective adopted here, we naturally suggest to base model comparison on the unconditional BF  $B_{12}$ , which only requires univariate numerical integration, and fully takes the uncertainty concerning both  $\alpha$  and  $\eta_1$  into account. Clearly, this approach can trivially cope with any number of lagged  $y$ 's (general  $q$ )<sup>1</sup> in the dynamic regression models (1) and is immediately suited to compare more than two alternatives at the same time (general  $m$ ), leading in a natural fashion to finite mixtures of contending models [see Chib et al. (1990)].

### 5. An Empirical Example

As an illustration of the ideas developed in the paper, we consider the application found in Durbin and Watson (1951). The example deals with the annual consumption of spirits in the United Kingdom from 1870-1938. The explanatory variables are per-capita income and the price of spirits (deflated by a cost-of-living index). The model, which includes a constant, is linear in logs. Although it is possible to deal with many different contending correlation structures, consider the choice between  $V_1(\eta_1)$  as given in (12), and  $V_2 = I_n$ . The prior information is summarized by (3) and (6) with  $\eta_1 \sim \text{Uniform}(0,1)$ . The posterior results which are provided in Table 1, clearly indicate that the AR(1) process is strongly supported by the data; the BF in favour of  $V_1$  is  $9.46 * 10^{13}$ .

Since we are proposing the use of unconditional BF's we point out that for this data set the BF in its conditional version, can be dramatically different. For example, if we condition on  $\eta_1^* = 0.5$ , the prior mean of  $\eta_1$ , the BF is reduced to 348730. Finally, if we evaluate the BF in (14) at  $\alpha^* = 0.73$ , the OLS value, and let  $\eta_1^* = 0.5$ , the BF drops to 1468. Although in this case the evidence nonetheless supports the AR(1) process,<sup>2)</sup> the enormous difference between the conditional and unconditional BF deserves attention.

Pursuing this example a bit further, we redo the analysis with the variables specified in first differences (denoted by tildes). Differencing seems appropriate for this data because the posterior density of  $\eta_1$  monotonically increases over (0,1). Again, we compare uncorrelated ( $M_2$ ) and AR(1) ( $M_1$ ) error covariance structures. Now using the reference prior with  $\eta_1 \sim \text{Uniform}(-1,1)$ , we find that the BF in favour of the AR(1) process is 0.25. Table 2 presents some results under individual models as well as when the models are mixed with the posterior probabilities.

## 6. Conclusion

This paper has proposed the use of a posterior odds approach to distinguish between contending correlation structures in dynamic linear regression models. We show that, contrary to classical tests, posterior analysis is not fundamentally affected by the dynamic structure of the model. In addition, the framework provides an effective means of dealing with more than one lagged dependent variable, and more than two contending models, thus relaxing the set-up of Inder (1990). In several cases of interest, the calculations are quite straightforward and may be readily implemented in applied work.

## Footnotes

- 1) Of course, we require  $Z$  to remain of full column rank, so that  $q < n-k$ .
- 2) Also, Inder's  $s(0.73, 0.5) = 0.8429$ , which rejects  $M_2$  at 5%.

Table 1. Posterior results for levels models.

	$M_1$	$M_2$
$p(M_i)$	0.5	0.5
$p(M_i   y, y_0, X)$	1.0000	0.0000
	mean (s.dev.)	mean (s.dev.)
$p(\alpha   y, y_0, X, M_i)$	0.07 (0.08)	0.73 (0.07)
$p(\beta   y, y_0, X, M_i)$ <div style="display: inline-block; vertical-align: middle; margin-left: 10px;"> <math>\left\{ \begin{array}{l} \text{constant} \\ \text{income} \\ \text{price} \end{array} \right.</math> </div>	<div style="display: inline-block; vertical-align: middle; margin-right: 10px;"> <math>\left\{ \begin{array}{l} 2.22 (0.54) \\ 0.66 (0.17) \\ -0.90 (0.09) \end{array} \right.</math> </div>	<div style="display: inline-block; vertical-align: middle; margin-right: 10px;"> <math>\left\{ \begin{array}{l} 1.25 (0.36) \\ 0.01 (0.07) \\ -0.38 (0.09) \end{array} \right.</math> </div>
$p(\eta_1   M_1)$	0.50 (0.29)	-
$p(\eta_1   y, y_0, X, M_1)$	0.99 (0.01)	-

Table 2. Posterior results for models in first differences.

	$M_1$	$M_2$	mixture $M_{12}$
$p(M_i)$	0.5	0.5	-
$p(M_i   \tilde{y}, \tilde{y}_0, \tilde{X})$	0.20	0.80	-
	mean (s.dev.)	mean (s.dev.)	mean (s.dev.)
$p(\alpha   \tilde{y}, \tilde{y}_0, \tilde{X}, M_i)$	0.09 (0.09)	0.06 (0.08)	0.07 (0.08)
$p(\beta   \tilde{y}, \tilde{y}_0, \tilde{X}, M_i)$ <div style="display: inline-block; vertical-align: middle; margin-left: 10px;"> <math>\left\{ \begin{array}{l} \text{income} \\ \text{price} \end{array} \right.</math> </div>	<div style="display: inline-block; vertical-align: middle; margin-right: 10px;"> <math>\left\{ \begin{array}{l} 0.69 (0.16) \\ -0.89 (0.09) \end{array} \right.</math> </div>	<div style="display: inline-block; vertical-align: middle; margin-right: 10px;"> <math>\left\{ \begin{array}{l} 0.69 (0.16) \\ -0.89 (0.09) \end{array} \right.</math> </div>	<div style="display: inline-block; vertical-align: middle; margin-right: 10px;"> <math>\left\{ \begin{array}{l} 0.69 (0.16) \\ -0.89 (0.09) \end{array} \right.</math> </div>
$p(\eta_1   M_1)$	0.00 (0.57)	-	-
$p(\eta_1   \tilde{y}, \tilde{y}_0, \tilde{X}, M_1)$	-0.11 (0.14)	-	-

**References**

- Chib, S., Osiewalski, J. and M.F.J. Steel, "Regression Models under Competing Covariance Matrices: A Bayesian Perspective," CentER Discussion Paper No. 9063 (Tilburg University, 1990).
- Chow, G.C., "Multiperiod Predictions from Stochastic Difference Equations by Bayesian Methods," Econometrica 41 (1973), 109-118.
- Dickey, J.M. and C.H. Chen, "Direct Subjective Probability Modelling Using Ellipsoidal Distributions," in J.M. Bernardo, M.H. DeGroot, D.V. Lindley and A.F.M. Smith, eds., Bayesian Statistics 2 (Amsterdam: North Holland, 1985).
- Durbin, J., "Testing for Serial Correlation in Least Squares Regression when some of the Regressors are Lagged Dependent Variables," Econometrica 38 (1970), 410-421.
- and G.S. Watson, "Testing for Serial Correlation in Least Squares Regression II," Biometrika 38 (1951), 159-178.
- Inder, B.A., "A New Test for Autocorrelation in the Disturbances of the Dynamic Linear Regression Model," International Economic Review 31 (1990), 341-354.
- King, M.L., "A Point Optimal Test for Autoregressive Disturbances," Journal of Econometrics 27 (1985), 21-37.
- Osiewalski, J. and M.F.J. Steel, "Robust Bayesian Inference in Elliptical Regression Models," CentER Discussion Paper No. 9032 (Tilburg University, 1990).
- Zellner, A., An Introduction to Bayesian Inference in Econometrics (New York: Wiley 1971).

Discussion Paper Series, CentER, Tilburg University, The Netherlands:

(For previous papers please consult previous discussion papers.)

No.	Author(s)	Title
9005	Th. ten Raa and M.F.J. Steel	A Stochastic Analysis of an Input-Output Model: Comment
9006	M. McAleer and C.R. McKenzie	Keynesian and New Classical Models of Unemployment Revisited
9007	J. Osiewalski and M.F.J. Steel	Semi-Conjugate Prior Densities in Multi-variate t Regression Models
9008	G.W. Imbens	Duration Models with Time-Varying Coefficients
9009	G.W. Imbens	An Efficient Method of Moments Estimator for Discrete Choice Models with Choice-Based Sampling
9010	P. Deschamps	Expectations and Intertemporal Separability in an Empirical Model of Consumption and Investment under Uncertainty
9011	W. Güth and E. van Damme	Gorby Games - A Game Theoretic Analysis of Disarmament Campaigns and the Defense Efficiency-Hypothesis
9012	A. Horsley and A. Wrobel	The Existence of an Equilibrium Density for Marginal Cost Prices, and the Solution to the Shifting-Peak Problem
9013	A. Horsley and A. Wrobel	The Closedness of the Free-Disposal Hull of a Production Set
9014	A. Horsley and A. Wrobel	The Continuity of the Equilibrium Price Density: The Case of Symmetric Joint Costs, and a Solution to the Shifting-Pattern Problem
9015	A. van den Elzen, G. van der Laan and D. Talman	An Adjustment Process for an Exchange Economy with Linear Production Technologies
9016	P. Deschamps	On Fractional Demand Systems and Budget Share Positivity
9017	B.J. Christensen and N.M. Kiefer	The Exact Likelihood Function for an Empirical Job Search Model
9018	M. Verbeek and Th. Nijman	Testing for Selectivity Bias in Panel Data Models
9019	J.R. Magnus and B. Pesaran	Evaluation of Moments of Ratios of Quadratic Forms in Normal Variables and Related Statistics
9020	A. Robson	Status, the Distribution of Wealth, Social and Private Attitudes to Risk

No.	Author(s)	Title
9021	J.R. Magnus and B. Pesaran	Evaluation of Moments of Quadratic Forms in Normal Variables
9022	K. Kamiya and D. Talman	Linear Stationary Point Problems
9023	W. Emons	Good Times, Bad Times, and Vertical Upstream Integration
9024	C. Dang	The $D_2$ -Triangulation for Simplicial Homotopy Algorithms for Computing Solutions of Nonlinear Equations
9025	K. Kamiya and D. Talman	Variable Dimension Simplicial Algorithm for Balanced Games
9026	P. Skott	Efficiency Wages, Mark-Up Pricing and Effective Demand
9027	C. Dang and D. Talman	The $D_1$ -Triangulation in Simplicial Variable Dimension Algorithms for Computing Solutions of Nonlinear Equations
9028	J. Bai, A.J. Jakeman and M. McAleer	Discrimination Between Nested Two- and Three- Parameter Distributions: An Application to Models of Air Pollution
9029	Th. van de Klundert	Crowding out and the Wealth of Nations
9030	Th. van de Klundert and R. Gradus	Optimal Government Debt under Distortionary Taxation
9031	A. Weber	The Credibility of Monetary Target Announce- ments: An Empirical Evaluation
9032	J. Osiewalski and M. Steel	Robust Bayesian Inference in Elliptical Regression Models
9033	C. R. Wichers	The Linear-Algebraic Structure of Least Squares
9034	C. de Vries	On the Relation between GARCH and Stable Processes
9035	M.R. Baye, D.W. Jansen and Q. Li	Aggregation and the "Random Objective" Justification for Disturbances in Complete Demand Systems
9036	J. Driffill	The Term Structure of Interest Rates: Structural Stability and Macroeconomic Policy Changes in the UK
9037	F. van der Ploeg	Budgetary Aspects of Economic and Monetary Integration in Europe
9038	A. Robson	Existence of Nash Equilibrium in Mixed Strategies for Games where Payoffs Need not Be Continuous in Pure Strategies

No.	Author(s)	Title
9039	A. Robson	An "Informationally Robust Equilibrium" for Two-Person Nonzero-Sum Games
9040	M.R. Baye, G. Tian and J. Zhou	The Existence of Pure-Strategy Nash Equilibrium in Games with Payoffs that are not Quasiconcave
9041	M. Burnovsky and I. Zang	"Costless" Indirect Regulation of Monopolies with Substantial Entry Cost
9042	P.J. Deschamps	Joint Tests for Regularity and Autocorrelation in Allocation Systems
9043	S. Chib, J. Osiewalski and M. Steel	Posterior Inference on the Degrees of Freedom Parameter in Multivariate-t Regression Models
9044	H.A. Keuzenkamp	The Probability Approach in Economic Methodology: On the Relation between Haavelmo's Legacy and the Methodology of Economics
9045	I.M. Bomze and E.E.C. van Damme	A Dynamical Characterization of Evolutionarily Stable States
9046	E. van Damme	On Dominance Solvable Games and Equilibrium Selection Theories
9047	J. Driffill	Changes in Regime and the Term Structure: A Note
9048	A.J.J. Talman	General Equilibrium Programming
9049	H.A. Keuzenkamp and F. van der Ploeg	Saving, Investment, Government Finance and the Current Account: The Dutch Experience
9050	C. Dang and A.J.J. Talman	The $D_1$ -Triangulation in Simplicial Variable Dimension Algorithms on the Unit Simplex for Computing Fixed Points
9051	M. Baye, D. Kovenock and C. de Vries	The All-Pay Auction with Complete Information
9052	H. Carlsson and E. van Damme	Global Games and Equilibrium Selection
9053	M. Baye and D. Kovenock	How to Sell a Pickup Truck: "Beat-or-Pay" Advertisements as Facilitating Devices
9054	Th. van de Klundert	The Ultimate Consequences of the New Growth Theory; An Introduction to the Views of M. Fitzgerald Scott
9055	P. Kooreman	Nonparametric Bounds on the Regression Coefficients when an Explanatory Variable is Categorized
9056	R. Bartels and D.G. Fiebig	Integrating Direct Metering and Conditional Demand Analysis for Estimating End-Use Loads



No.	Author(s)	Title
9057	M.R. Veall and K.F. Zimmermann	Evaluating Pseudo-R <sup>2</sup> 's for Binary Probit Models
9058	R. Bartels and D.G. Fiebig	More on the Grouped Heteroskedasticity Model
9059	F. van der Ploeg	Channels of International Policy Transmission
9060	H. Bester	The Role of Collateral in a Model of Debt Renegotiation
9061	F. van der Ploeg	Macroeconomic Policy Coordination during the Various Phases of Economic and Monetary Integration in Europe
9062	E. Bennett and E. van Damme	Demand Commitment Bargaining: - The Case of Apex Games
9063	S. Chib, J. Osiewalski and M. Steel	Regression Models under Competing Covariance Matrices: A Bayesian Perspective
9064	M. Verbeek and Th. Nijman	Can Cohort Data Be Treated as Genuine Panel Data?
9065	F. van der Ploeg and A. de Zeeuw	International Aspects of Pollution Control
9066	F.C. Drost and Th. E. Nijman	Temporal Aggregation of GARCH Processes
9067	Y. Dai and D. Talman	Linear Stationary Point Problems on Unbounded Polyhedra
9068	Th. Nijman and R. Beetsma	Empirical Tests of a Simple Pricing Model for Sugar Futures
9069	F. van der Ploeg	Short-Sighted Politicians and Erosion of Government Assets
9070	E. van Damme	Fair Division under Asymmetric Information
9071	J. Eichberger, H. Haller and F. Milne	Naive Bayesian Learning in 2 x 2 Matrix Games
9072	G. Alogoskoufis and F. van der Ploeg	Endogenous Growth and Overlapping Generations
9073	K.C. Fung	Strategic Industrial Policy for Cournot and Bertrand Oligopoly: Management-Labor Cooperation as a Possible Solution to the Market Structure Dilemma
9101	A. van Soest	Minimum Wages, Earnings and Employment
9102	A. Barten and M. McAleer	Comparing the Empirical Performance of Alternative Demand Systems

No.	Author(s)	Title
9103	A. Weber	EMS Credibility
9104	G. Alogoskoufis and F. van der Ploeg	Debts, Deficits and Growth in Interdependent Economies
9105	R.M.W.J. Beetsma	Bands and Statistical Properties of EMS Exchange Rates
9106	C.N. Teulings	The Diverging Effects of the Business Cycle on the Expected Duration of Job Search
9107	E. van Damme	Refinements of Nash Equilibrium
9108	E. van Damme	Equilibrium Selection in 2 x 2 Games
9109	G. Alogoskoufis and F. van der Ploeg	Money and Growth Revisited
9110	L. Samuelson	Dominated Strategies and Common Knowledge
9111	F. van der Ploeg and Th. van de Klundert	Political Trade-off between Growth and Government Consumption
9112	Th. Nijman, F. Palm and C. Wolff	Premia in Forward Foreign Exchange as Unobserved Components
9113	H. Bester	Bargaining vs. Price Competition in a Market with Quality Uncertainty
9114	R.P. Gilles, G. Owen and R. van den Brink	Games with Permission Structures: The Conjunctive Approach
9115	F. van der Ploeg	Unanticipated Inflation and Government Finance: The Case for an Independent Common Central Bank
9116	N. Rankin	Exchange Rate Risk and Imperfect Capital Mobility in an Optimising Model
9117	E. Bomhoff	Currency Convertibility: When and How? A Contribution to the Bulgarian Debate!
9118	E. Bomhoff	Stability of Velocity in the G-7 Countries: A Kalman Filter Approach
9119	J. Osiewalski and M. Steel	Bayesian Marginal Equivalence of Elliptical Regression Models
9120	S. Bhattacharya, J. Glazer and D. Sappington	Licensing and the Sharing of Knowledge in Research Joint Ventures
9121	J.W. Friedman and L. Samuelson	An Extension of the "Folk Theorem" with Continuous Reaction Functions
9122	S. Chib, J. Osiewalski and M. Steel	A Bayesian Note on Competing Correlation Structures in the Dynamic Linear Regression Model

P.O. BOX 90153 5000 LE TILBURG THE NETHERLANDS

**Bibliotheek K. U. Brabant**



17 000 01117503 2