

VHDL-AMS MODELING AND SIMULATION OF A PMSM CONTROL SYSTEM FOR AUTOMOTIVE APPLICATIONS



TECHNISCHE
UNIVERSITÄT
DARMSTADT

Master thesis



Source: www.forocochelectricos.com

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Dr.-Ing. François Philipp

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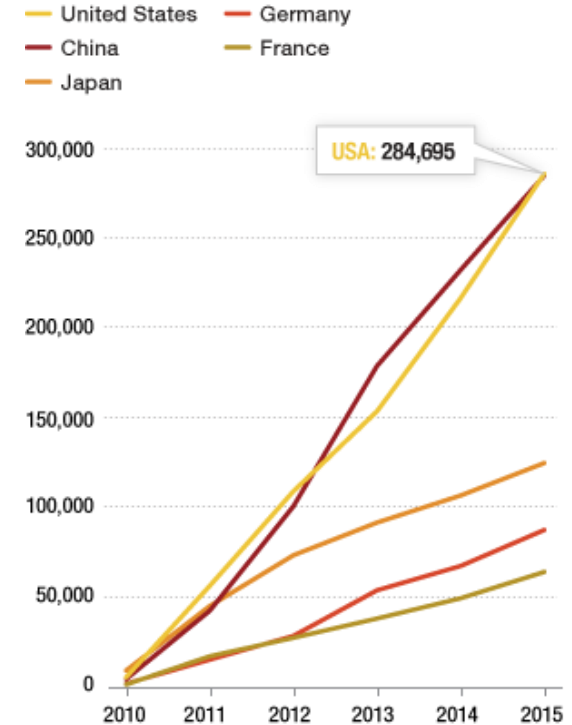
Motivation: Why electric cars?

Transportation solution

- Energy efficient
- Environmentally friendly
- Reduce energy dependence

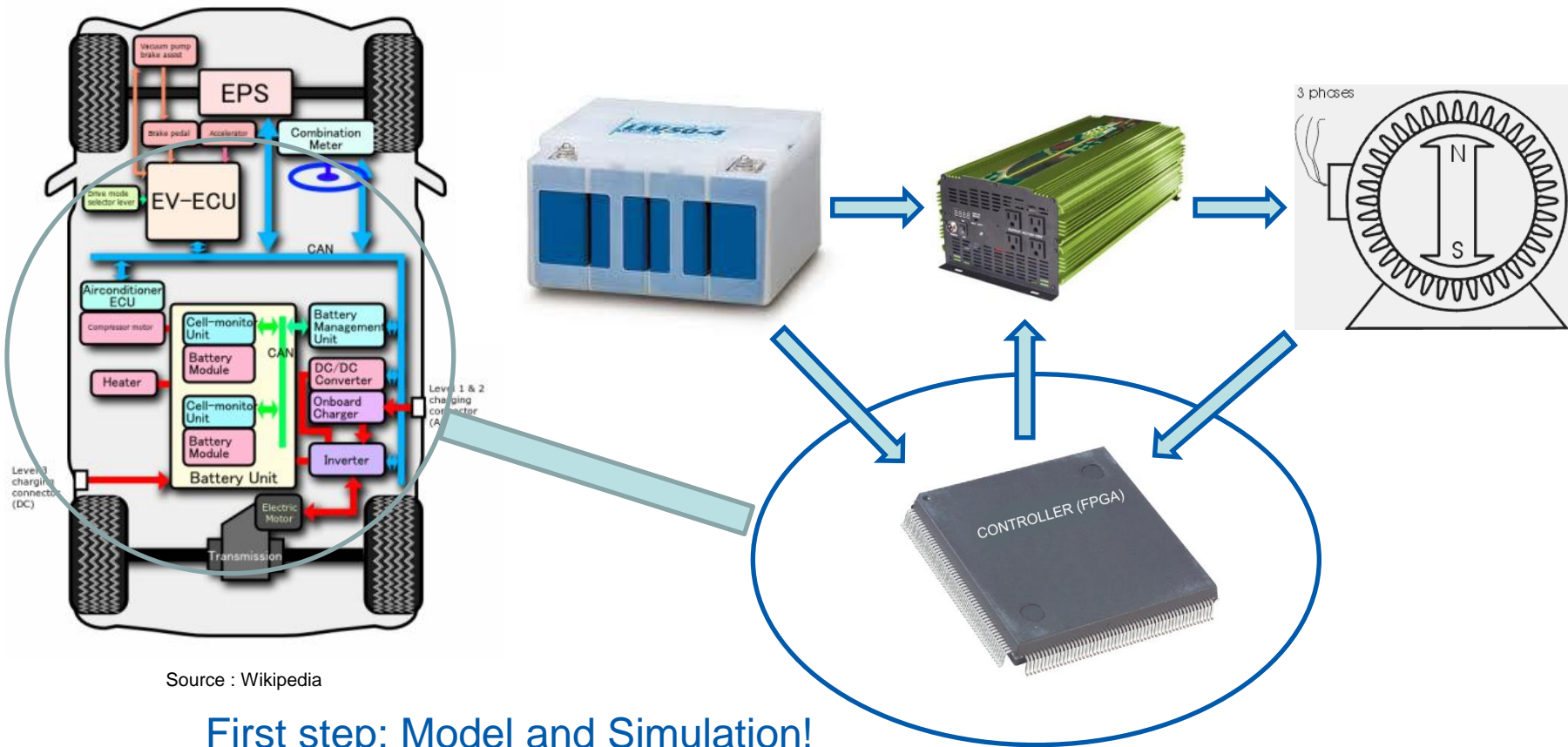
Engineering “toy”

- Performance benefits
- Easy and revolutionary



Projected electric vehicle and plug-in hybrid sales
Source : Pike research

Scope of the thesis



General concepts: PMSM

- Main problem: Non-linear model, difficult to control

$$\begin{bmatrix} v_{as} \\ v_{bs} \\ v_{cs} \end{bmatrix} = \begin{bmatrix} r_s & 0 & 0 \\ 0 & r_s & 0 \\ 0 & 0 & r_s \end{bmatrix} \cdot \begin{bmatrix} i_{as} \\ i_{bs} \\ i_{cs} \end{bmatrix} + \frac{d}{dt} \begin{bmatrix} L_{aas} & L_{abs} & L_{acs} \\ L_{bas} & L_{bbs} & L_{bcs} \\ L_{cas} & L_{cbs} & L_{ccs} \end{bmatrix} \cdot \begin{bmatrix} i_{as} \\ i_{bs} \\ i_{cs} \end{bmatrix} + \lambda_m \begin{bmatrix} \sin(\theta_r) \\ \sin(\theta_r - 2\pi/3) \\ \sin(\theta_r + 2\pi/3) \end{bmatrix}$$

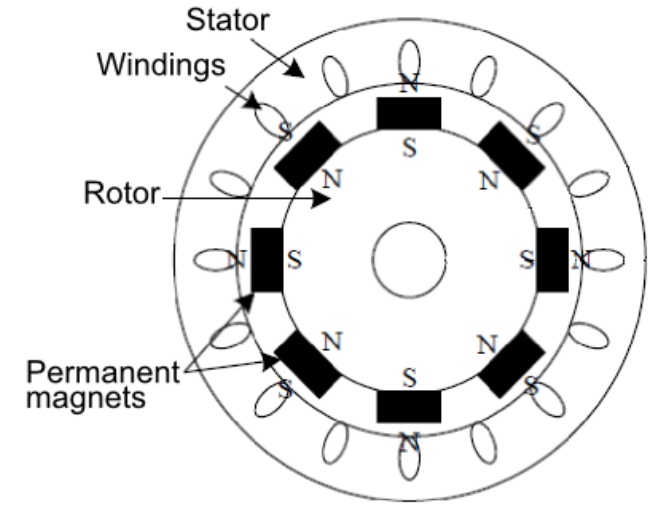


Park
transformation

- Solved: Easy model, easy to control.

$$v_{ds}^r = r_s i_{ds}^r + L_d \frac{d}{dt} i_{ds}^r - \omega_r L_q i_{qs}^r$$

$$v_{qs}^r = r_s i_{qs}^r + L_q \frac{d}{dt} i_{qs}^r + \omega_r L_d i_{ds}^r + \omega_r \lambda_m$$



SPMSM

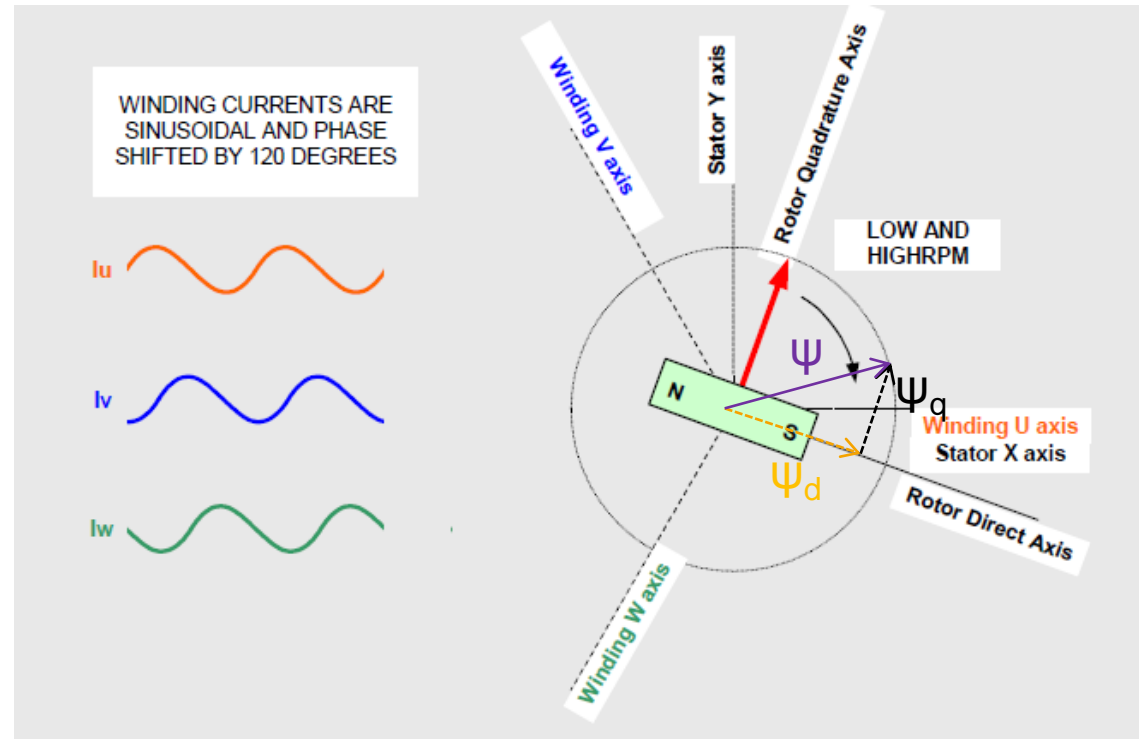
SPMSM advantage: $L_d = L_q$

$$T_e = \frac{3}{2} \frac{n}{2} \lambda_m i_{qs}^r$$

Reminds DC motor controls!

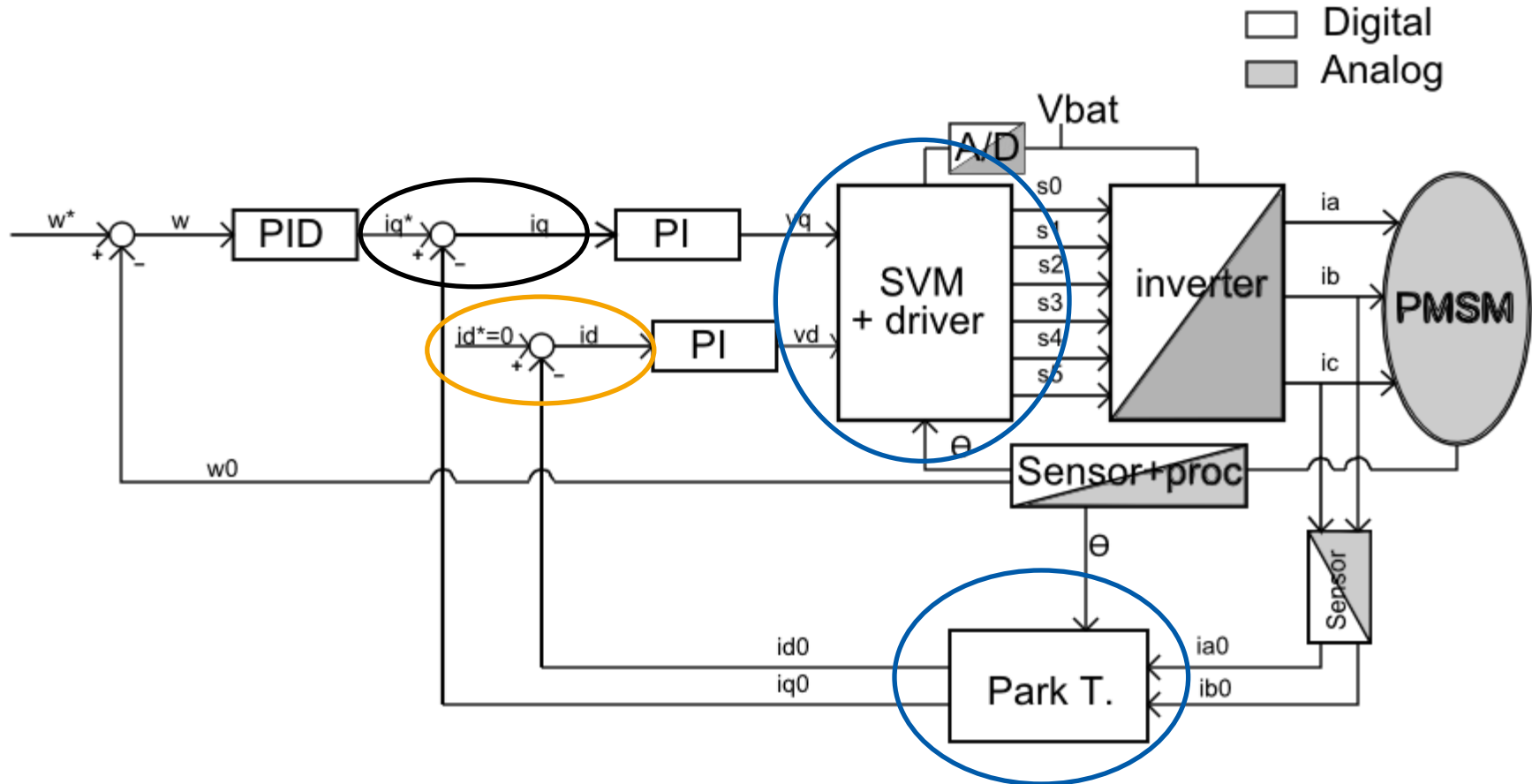
General concepts: FOC

- Stator currents create a rotating flux
- Rotor (perm. Mag) presents a field, too
- Interaction between fields: movement!
- GOAL OF CONTROL: Maximum torque, decoupling currents in d, q - reference



Source: Copey controls corporation – Article: What is Field Oriented Control and what good is it

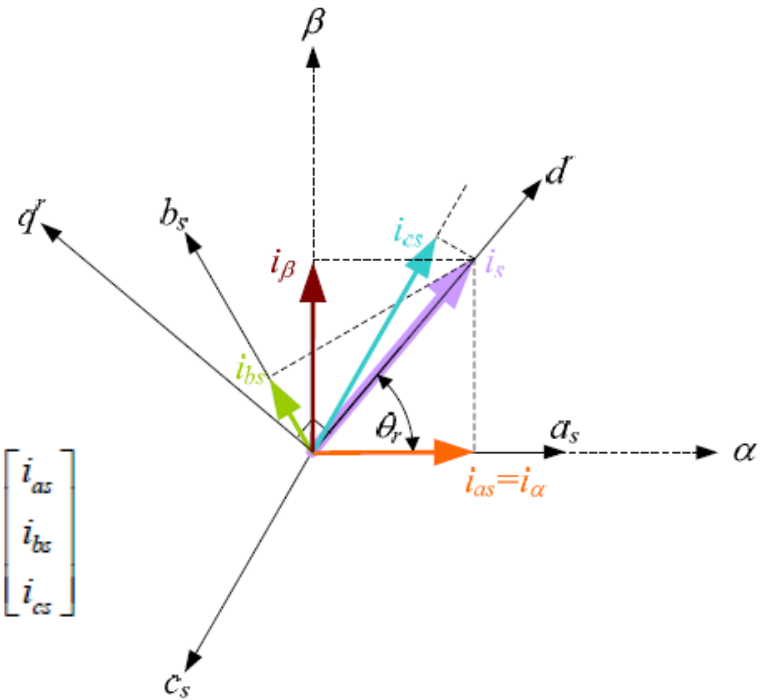
General concepts: Control scheme



General concepts: Park transformations

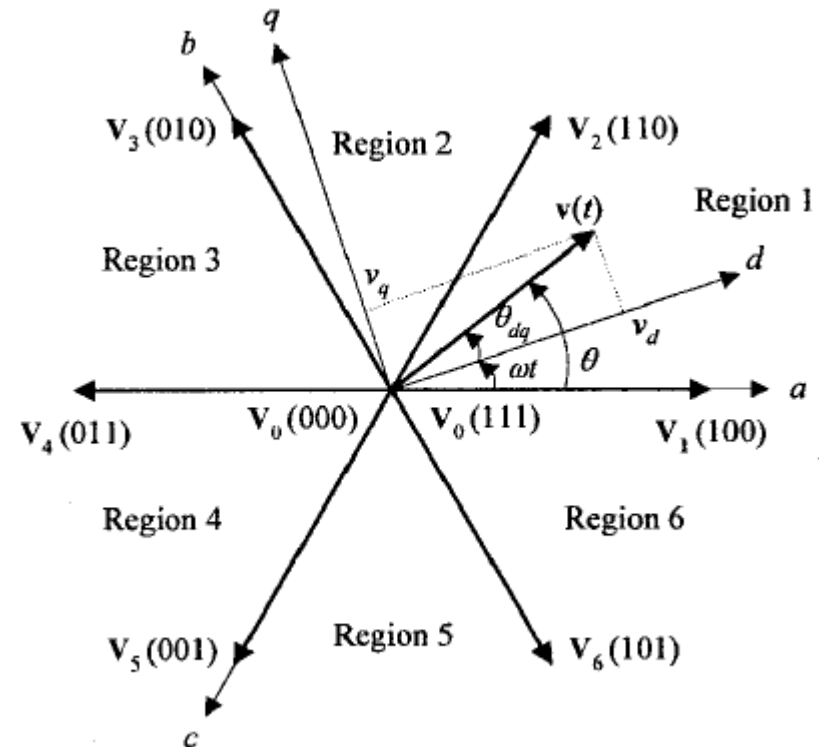
- Park = Clarke+ Rotation
- Clarke = Orthogonal system

$$\begin{bmatrix} i_0 \\ i_d \\ i_q \end{bmatrix} = \frac{2}{3} \begin{bmatrix} 1/2 & 1/2 & 1/2 \\ \cos \theta_r & \cos(\theta_r - 2\pi/3) & \cos(\theta_r + 2\pi/3) \\ -\sin \theta_r & -\sin(\theta_r - 2\pi/3) & -\sin(\theta_r + 2\pi/3) \end{bmatrix} \cdot \begin{bmatrix} i_{as} \\ i_{bs} \\ i_{cs} \end{bmatrix}$$



General concepts: Space vector modulation (I)

- Controls the switches of the driver
- Uses V_{bat} , V_d , V_q and the angle of rotation to calculate the conducting time of each transistor
- Depending on the zero vectors selected, different THD and losses



Source: "An Effective Software Implementation of the Space-Vector Modulation", Jang-Hyoun Youm and Bong-Hwan Kwon

General concepts: Space vector modulation (II)

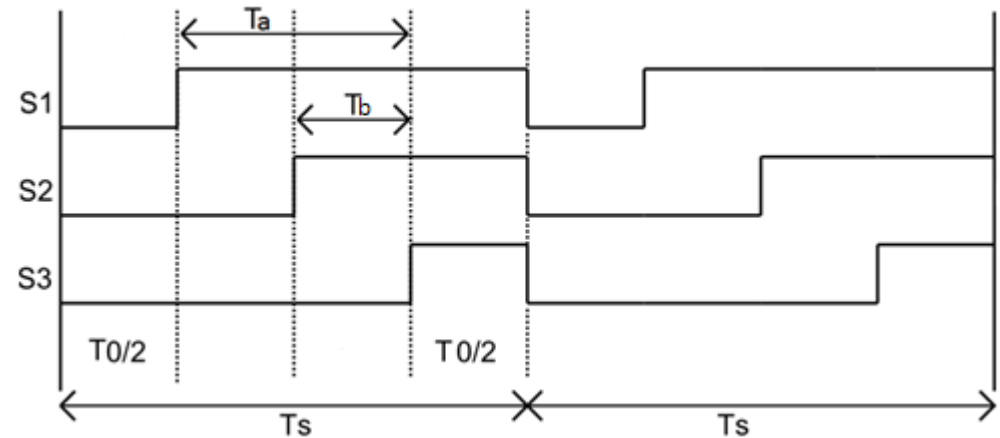
$$\begin{bmatrix} v_{ao} \\ v_{bo} \\ v_{co} \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ -\frac{1}{2} & \frac{\sqrt{3}}{2} \\ -\frac{1}{2} & -\frac{\sqrt{3}}{2} \end{bmatrix} \begin{bmatrix} \cos \omega t & -\sin \omega t \\ \sin \omega t & \cos \omega t \end{bmatrix} \begin{bmatrix} v_d \\ v_q \end{bmatrix}$$

$$v_{\min} = \min(v_{ao}, v_{bo}, v_{co})$$

$$v_{\max} = \max(v_{ao}, v_{bo}, v_{co})$$

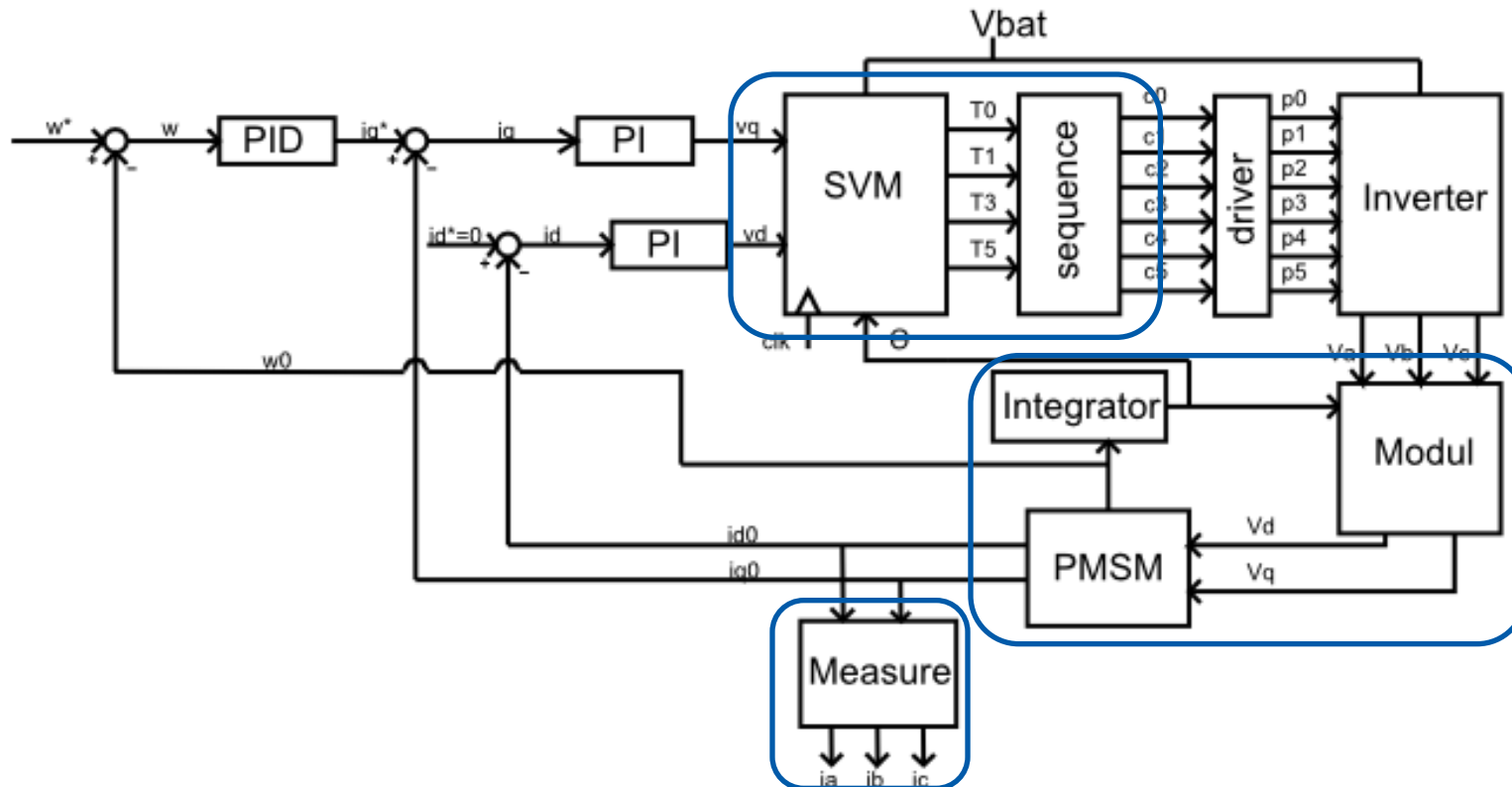
$$\begin{bmatrix} T_a \\ T_b \\ T_c \end{bmatrix} = \frac{T_s}{V_d} \begin{bmatrix} v_{ao} - v_{\min} \\ v_{bo} - v_{\min} \\ v_{co} - v_{\min} \end{bmatrix}$$

$$T_0 = T_s - \frac{T_s}{V_d} (v_{\max} - v_{\min})$$



Right aligned scheme. (000)
and (111) share T_0

Solution: Simplifications in control scheme



Solution: Implementation SVM

```
35  calcul: process is
36
37  variable va, vb, vc, vmax, vmin: real;
38
39  begin
40
41  va := calcul_va(Vd, Vq, wt);
42  vb := calcul_vb(Vd, Vq, wt);
43  vc := calcul_vc(Vd, Vq, wt);
44
45  vmax := max(va, vb, vc);
46  vmin := minim(va, vb, vc);
47
48  T0 <= Ts - Ts*(vmax-vmin)/Vdc;
49  T1 <= Ts*(va-vmin)/Vdc ;
50  T3 <= Ts*(vb-vmin)/Vdc ;
51  T5 <= Ts*(vc-vmin)/Vdc ;
52
53  wait on clk;
54
55  end process calcul;
56
57  end architecture PMSM;
```

$$\begin{bmatrix} u_{ao} \\ u_{bo} \\ u_{co} \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ -\frac{1}{2} & \frac{\sqrt{3}}{2} \\ -\frac{1}{2} & -\frac{\sqrt{3}}{2} \end{bmatrix} \begin{bmatrix} \cos \omega t & -\sin \omega t \\ \sin \omega t & \cos \omega t \end{bmatrix} \begin{bmatrix} v_d \\ v_q \end{bmatrix}$$

$$u_{\max} = \max(u_{ao}, u_{bo}, u_{co})$$

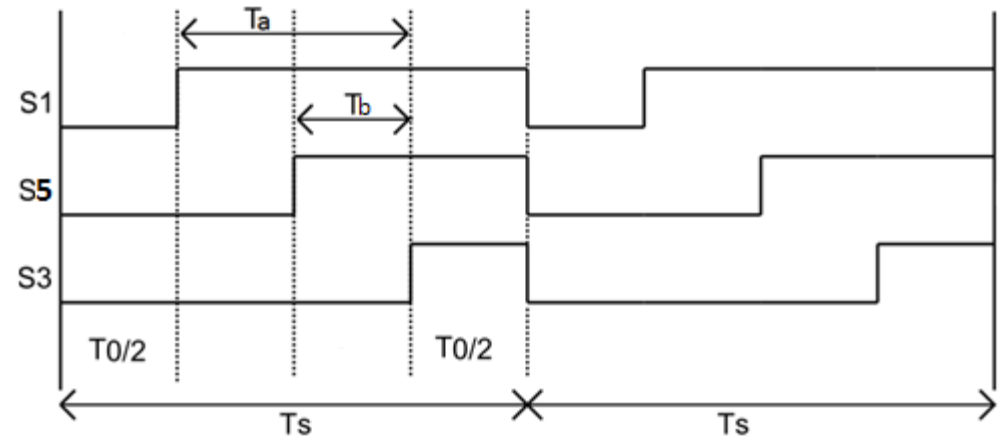
$$u_{\min} = \min(u_{ao}, u_{bo}, u_{co})$$

$$T_0 = T_s - \frac{T_s}{V_d} (u_{\max} - u_{\min}).$$

$$\begin{bmatrix} T_a \\ T_b \\ T_c \end{bmatrix} = \frac{T_s}{V_d} \begin{bmatrix} u_{ao} - u_{\min} \\ u_{bo} - u_{\min} \\ u_{co} - u_{\min} \end{bmatrix}$$

Solution: Implementation sequence

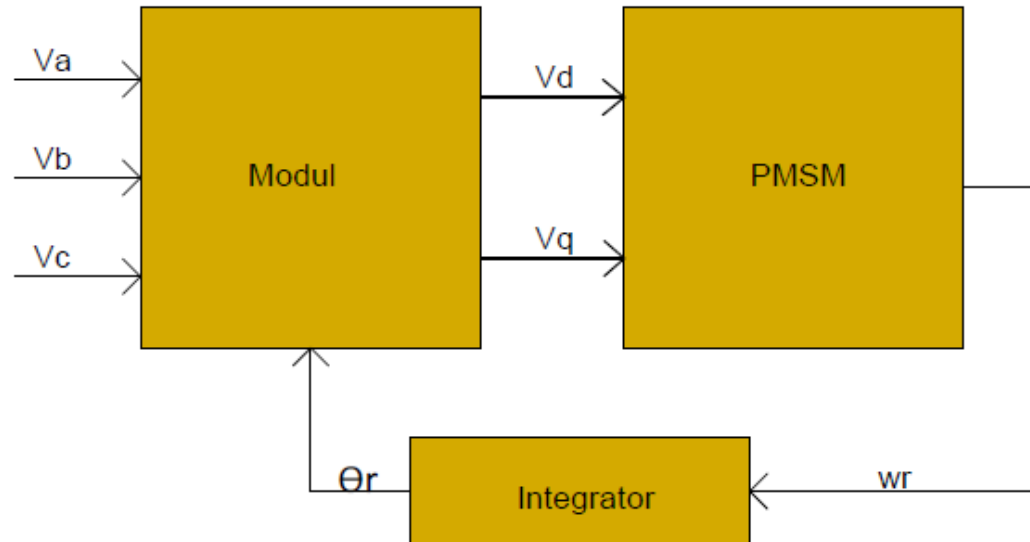
```
46 maxim := max (T1, T3, T5);
47 min := minim (T1, T3, T5);
48
49 c1 <= '0'; c3 <= '0'; c5 <= '0';
50 c0 <= '1'; c2 <= '1'; c4 <= '1';
51 wait for T0/2.0;
52
53 if maxim = T1 and min = T3 then
54
55     c1 <= '1'; c3 <= '0'; c5 <= '0';
56     c0 <= '0'; c2 <= '1'; c4 <= '1';
57     wait for (T1-T5);
58     c1 <= '1'; c3 <= '0'; c5 <= '1';
59     c0 <= '0'; c2 <= '1'; c4 <= '0';
60     wait for T5;
61     c1 <= '1'; c3 <= '1'; c5 <= '1';
62     c0 <= '0'; c2 <= '0'; c4 <= '0';
63     wait for T0/2.0;
```



Solution: Motor model (I)

■ Integrator:

```
theta_e == we'integ ;
```



■ Modul

```
Vq == (2.0/3.0) * (cos(theta_e)*Va + cos(theta_e-math_2_pi/3.0)*Vb + cos(theta_e+math_2_pi/3.0)*Vc);  
Vd == (2.0/3.0) * (sin(theta_e)*Va + sin(theta_e-math_2_pi/3.0)*Vb + sin(theta_e+math_2_pi/3.0)*Vc);
```

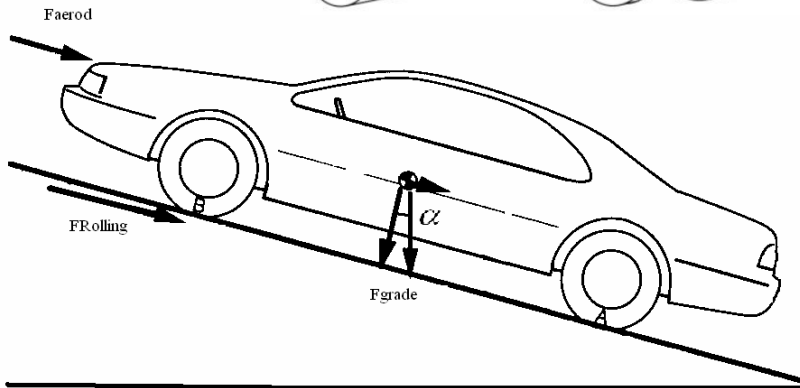
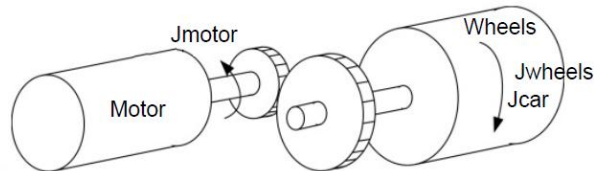
Solution: Motor model (II)

■ PMSM:

```

49 IF domain = quiescent_domain USE
50   wm == 0.0;
51 ELSE
52   tau_e == tau_load + J*(wm'dot);
53 END USE;

```



$$\tau_e = \tau_{load} + J \frac{dw_m}{dt}$$

$$w_r = \frac{p}{2} \cdot w_m$$

$$F_{rolling} = f \cdot M \cdot g$$

$$F_{grade} = M \cdot g \cdot \sin(\alpha)$$

$$F_{aerod} = \frac{1}{2} \cdot C_x \cdot S \cdot \rho \cdot v^2$$

$$\tau_{load} = R_{wheels} \cdot (F_{rolling} + F_{grade} + F_{aerod})$$

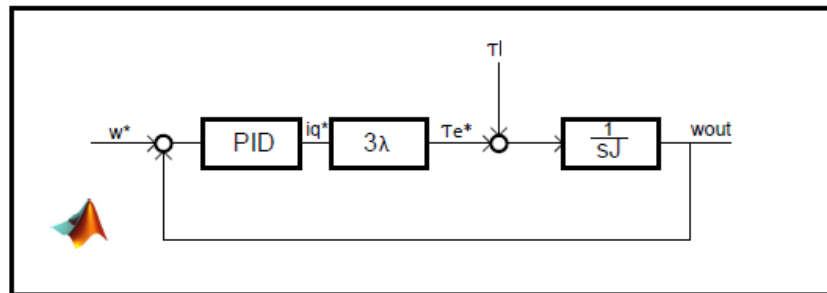
$$V_d = r_s i_d + L_d \frac{d}{dt} i_d - w_r L_q i_q$$

$$V_q = r_s i_q + L_q \frac{d}{dt} i_q + w_r L_d i_d + w_r \lambda_m$$

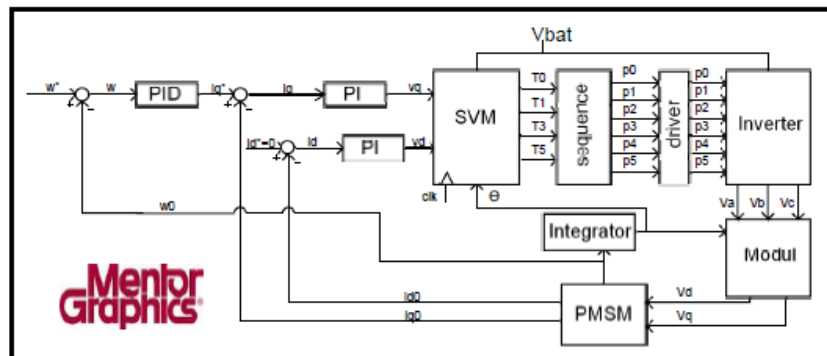
$$\tau_e = \frac{3p}{2} \lambda_m \cdot i_q$$

Solution: PID tuning

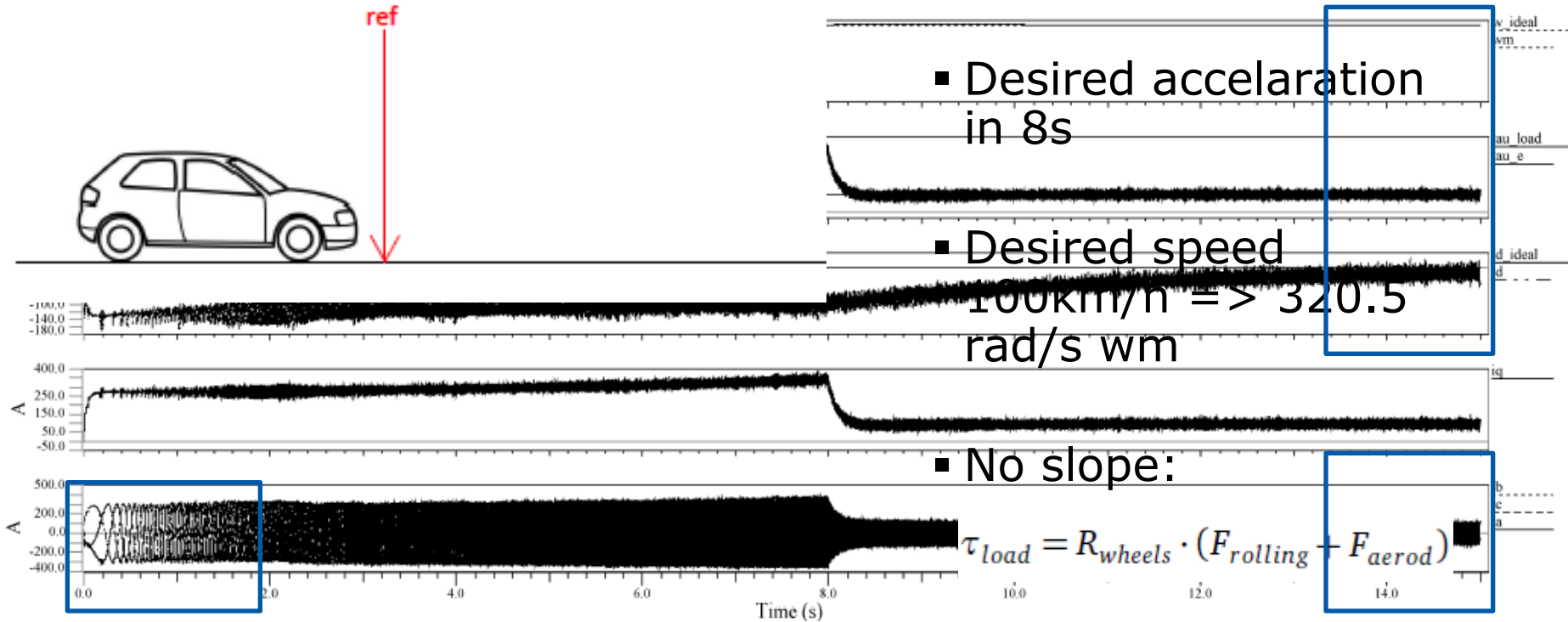
Linearization and Simulink simulation



Simulation with Questa ADMS

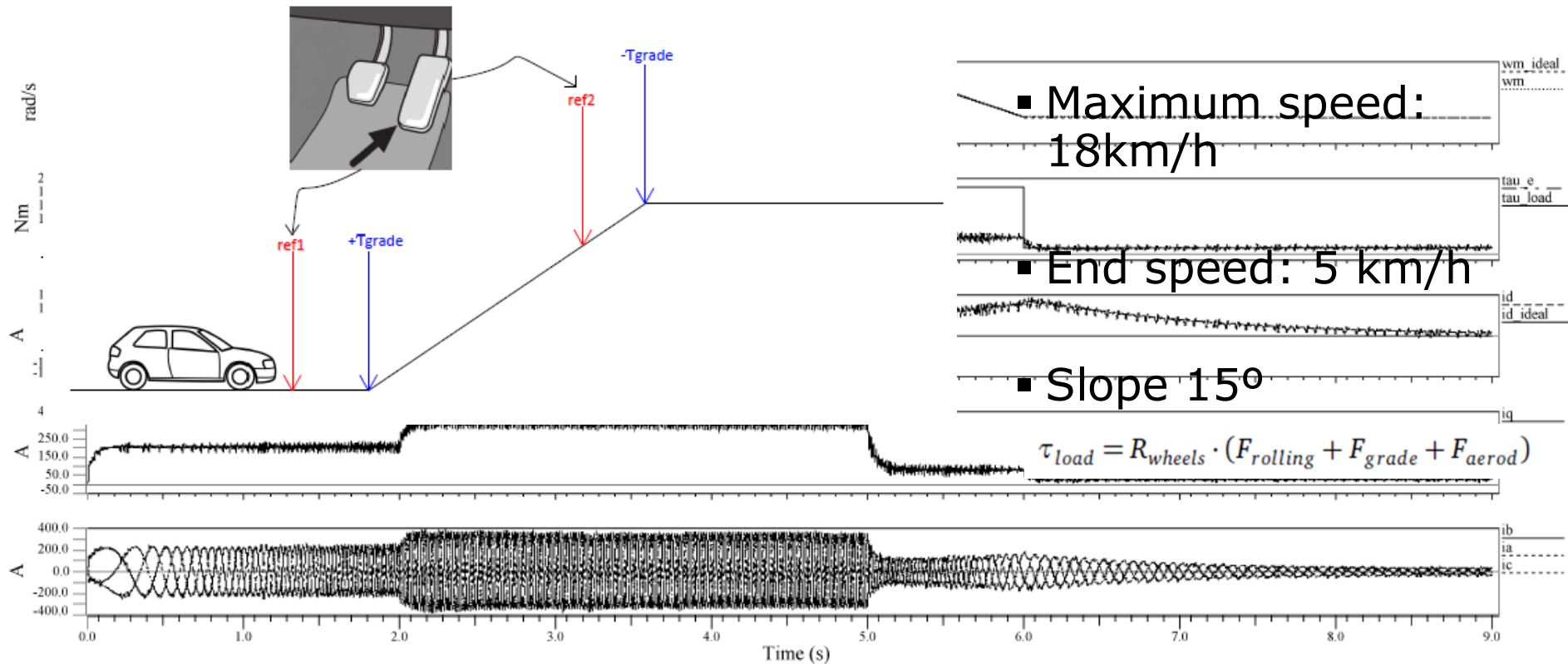


Results: Situation 1, 0-100km/h



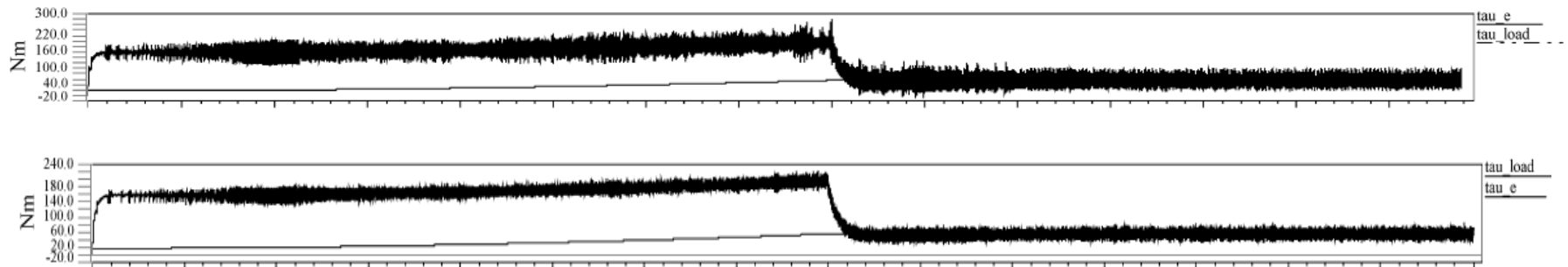
$$\tau_e = \tau_{load} + J \frac{dw_m}{dt}$$

Results: Situation2, parking slope



$$\tau_e = \tau_{load} + J \frac{dw_m}{dt}$$

Results: Switching frequency effect on response



Simulation nr	Frequency (kHz)	Ripple between 14:00 and 14:50 (Nm)	Simulation time
1	1	error	error
2	3	84.996	1h 7min
3	6	48.095	2h 30min
4	12	15.42	4h 47min

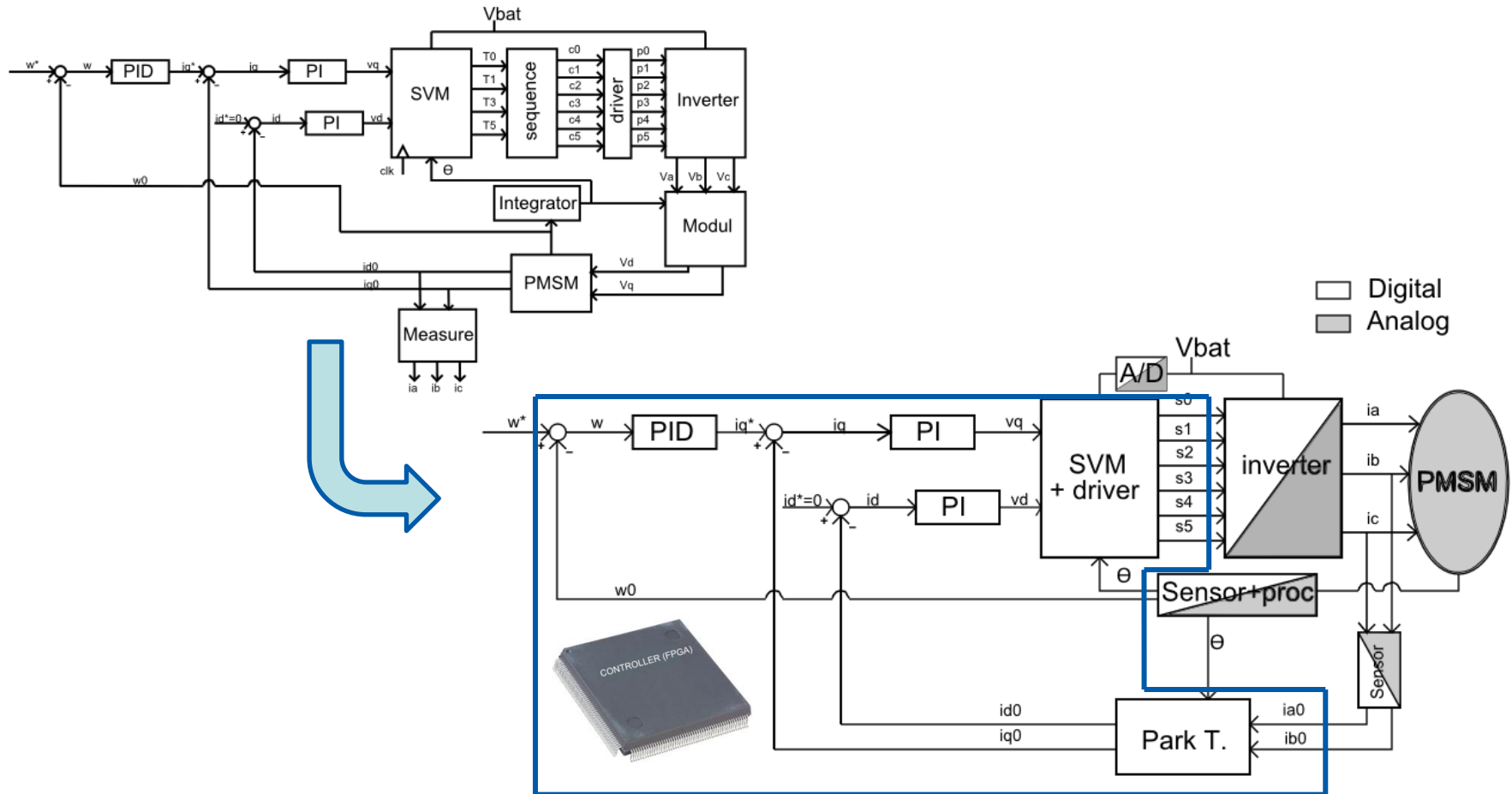
Conclusions & Further works

- Simulations evidence that the complex model works as expected
- Switching frequency as a crucial parameter
- Powerful combination: Simulink + Questa (VHDL AMS)

Further works...

- Quantities => signals (Block by block)
- Cordic for Park transformation

Further works...



Sources

- **Slide nr 3:**

FPGA : <http://www.elenilsonvieira.com.br/wp-content/uploads/2011/12/fpga.jpg>

Battery: <http://www.centralcontracts.com/news/wp-content/uploads/electric-car-battery1.jpg>

Inverter: <http://static.ddmcdn.com/gif/dc-ac-power-inverter-3.jpg>

Motor: <http://www.coolmagnetman.com/images/sm1.gif>

- **Slide nr4 & nr7:**

[Metodología para la docencia del control vectorial de la máquina síncrona de imanes permanentes](#). Master thesis: Carlos Montes Chacón

- **Slide nr14:**

CAR: "Modeling and Simulation of Electrical Vehicle in VHDL-AMS" ,K. Jaber, B.Ben Saleh ,A. Fakhfakh ,R. Neji

Transmission: "Modeling and Control of a Superimposed Steering System", Bjoern Avak

- **Slide nr15:**

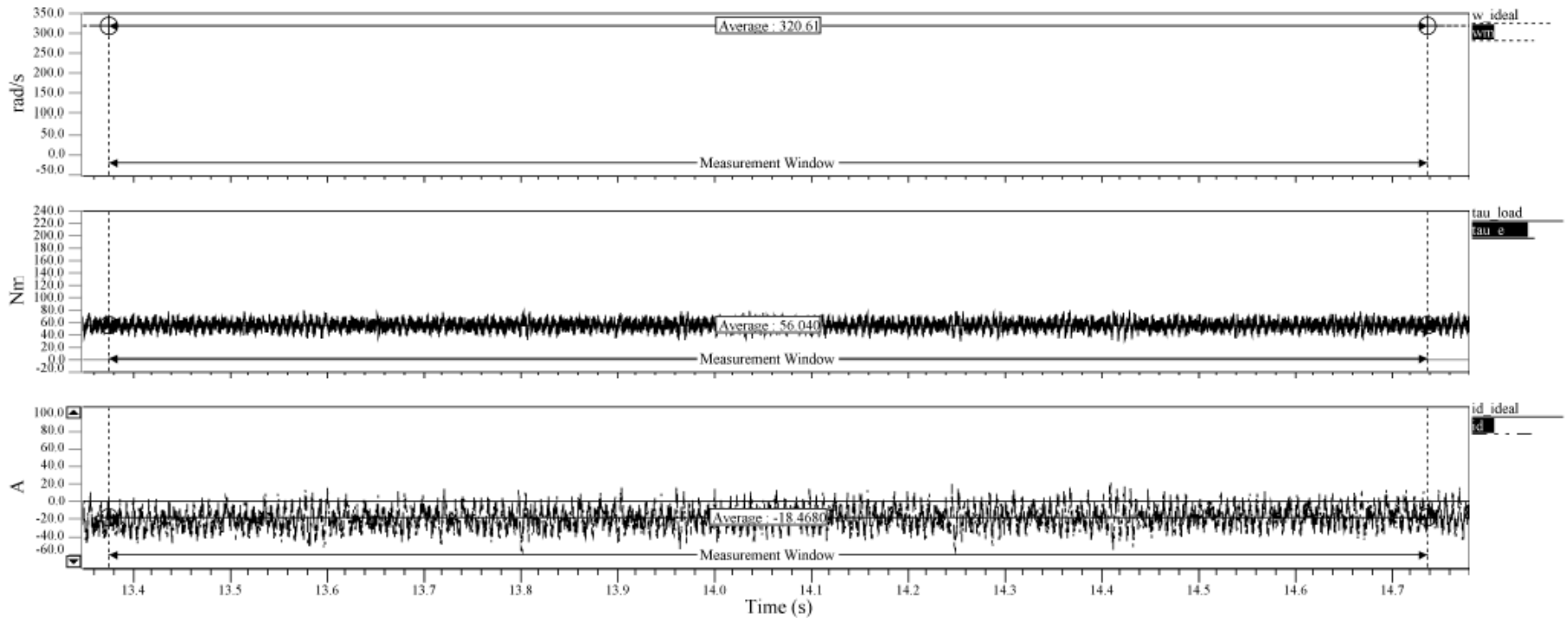
Faucet: <http://img.compradiccion.com/2012/01/temji.jpg>

Ende

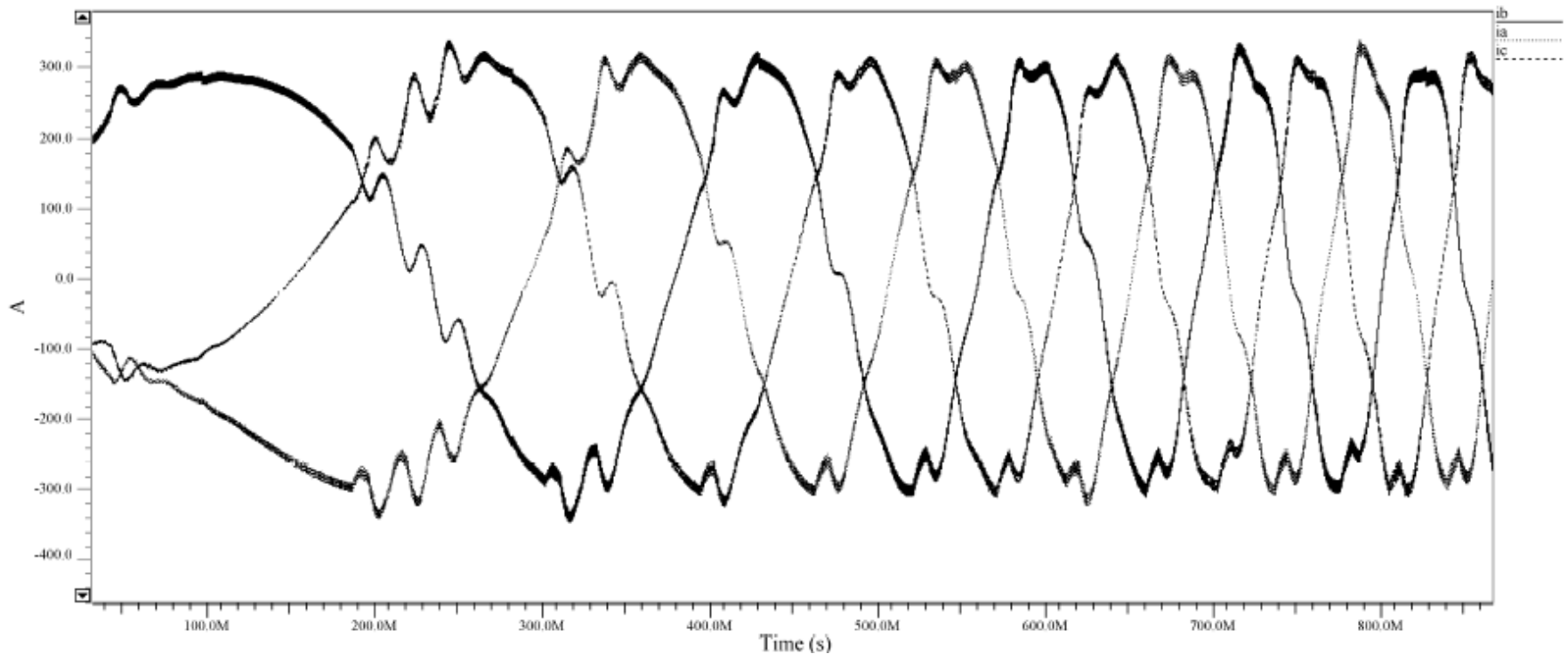
Danke für Ihre Aufmerksamkeit !

Frage ?

Results: Situation 1, 0-100km/h



Results: Situation1, 0-100km/h



Results: Situation 1, 0-100km/h

