

S. Arias <sup>a,b</sup>, X. Ruiz <sup>b</sup>, L. Ramírez-Piscina <sup>a,b</sup>, J. Casademunt <sup>b</sup> and R. González-Cinca <sup>a,b</sup>

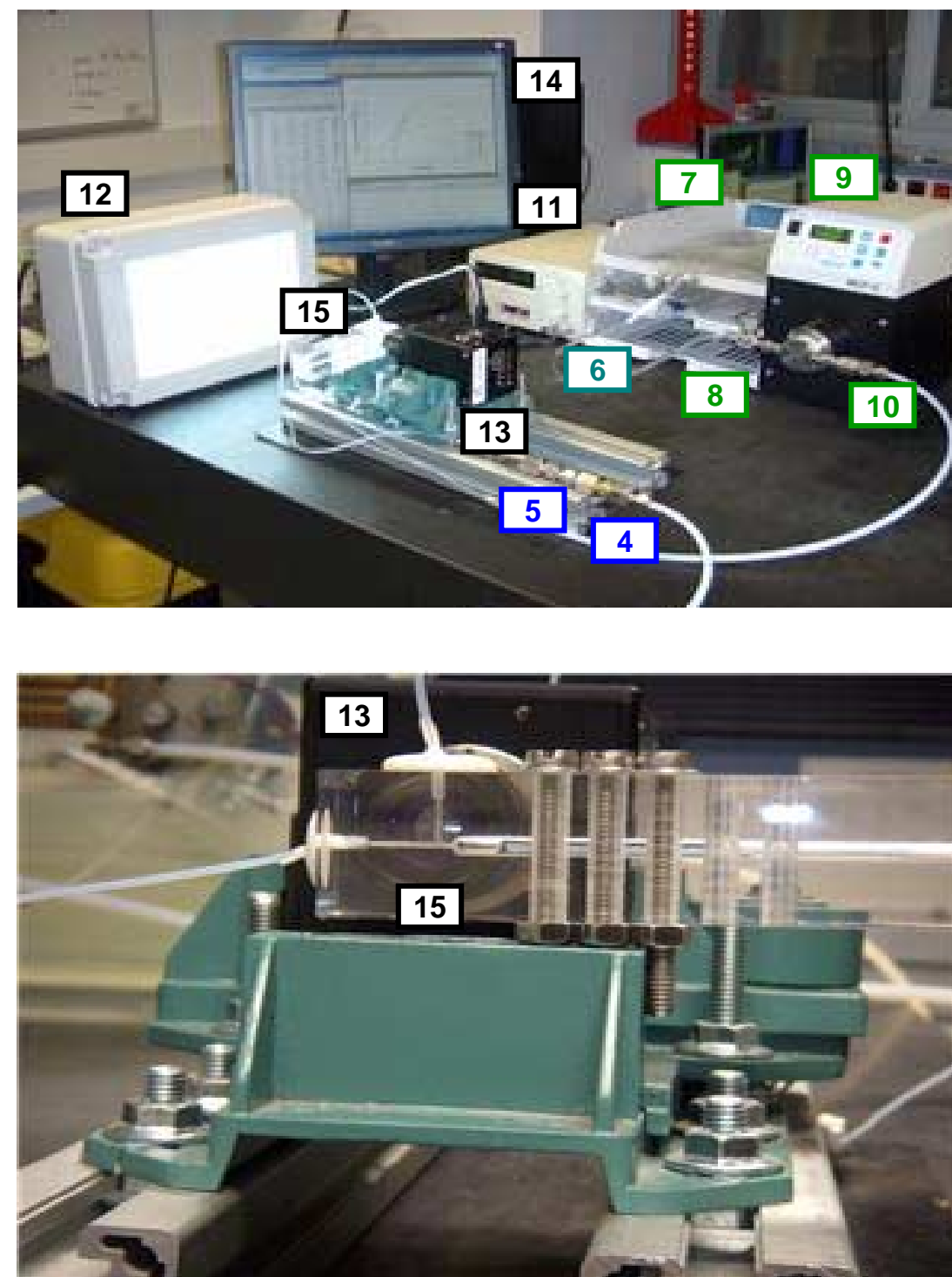
a) Universitat Politècnica de Catalunya, Barcelona (Spain); b) Institut d'Estudis Espacials de Catalunya (Spain)

## Introduction

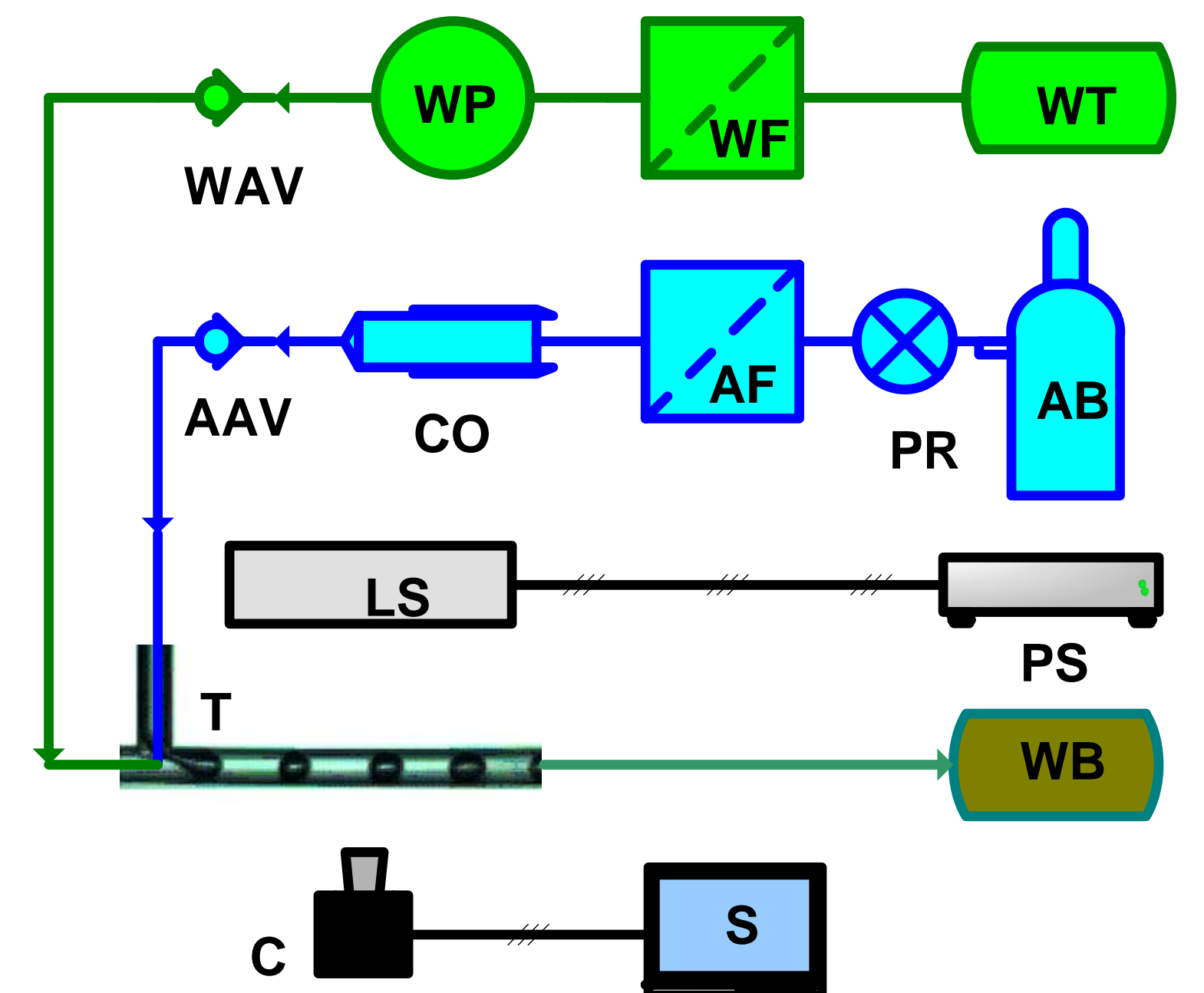
- A new method to generate bubbles<sup>[1], [2]</sup> is characterized.
- Slug flow is generated in the T-junction of a microbubble injector.
- Capillary regime → Performance independent of the microgravity level.
- Characterization of the injector consists in the analysis of bubble frequency and size distribution.
- PC control and data acquisition system have been designed.

[1] J. Carrera, X. Ruiz, L. Ramírez-Piscina, J. Casademunt, M. Dreyer, Generation of a Monodisperse Microbubble Jet in Microgravity, submitted to AIAA Journal (2007)  
 [2] S. Arias, X. Ruiz, J. Casademunt, L. Ramírez-Piscina and R. González-Cinca, Experimental study of a microchannel bubble injector for microgravity applications, preprint (2007)

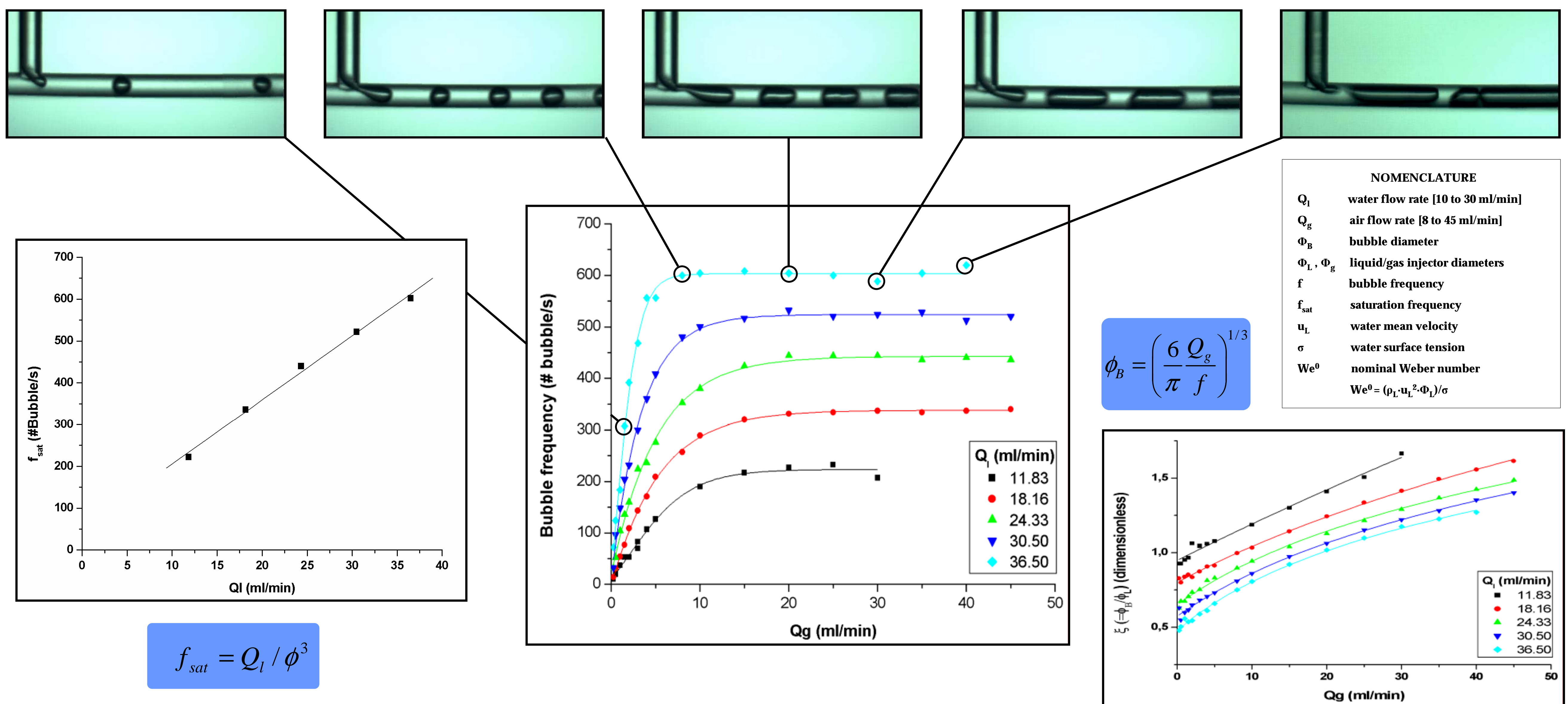
## Experimental set-up



1. Air bottle	[AB]
2. 2 Stage pressure reducer	[PR]
3. Air filter	[AF]
4. Choked orifice	[CO]
5. Air anti-return valve	[AAV]
6. Waste bag (air + water)	[WB]
7. Water tank	[WT]
8. Water filter	[WF]
9. Water pump	[WP]
10. Water anti-return valve	[WAV]
11. DC supply	[DC]
12. Light source	[LS]
13. High speed camera (2000fps)	[C]
14. Server	[S]
15. Methacrylate T-Junction	[T]



## Results



## Conclusions

- A novel microbubble injector has been characterized.
- Information obtained is relevant for operation in microgravity conditions.
- Slug and transition flow have been observed.
- Performance under different working regimes has been analyzed.
- Bubble generation frequency saturates for high gas injection flow.
- Saturation frequency follows a simple linear scaling with the liquid injection flow.
- Slope of  $\xi$  vs.  $Q_g$  appears to be independent of  $Q_l$ .
- Scaled bubble diameter decreases linearly with nominal  $(We^0)^{1/2}$ .

$$\Phi_B = \Phi_l \left( \frac{1}{\alpha} - \frac{1}{2\alpha^2} \left( \frac{\Phi_l We^0}{\Phi_g We^c} \right)^{1/2} \right) + o(We^0)$$

