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> Use of an Aptitude Test in University Entrance: A Validity Study

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## Executive summary

### 1.1 Introduction

In 2005, the National Foundation for Educational Research (NFER) was commissioned to evaluate the potential value of using an aptitude test (the SAT Reasoning Test ${ }^{\text {TM }}$ ) as an additional tool in the selection of candidates for admission to higher education (HE). This five-year study was co-funded by the Department for Business, Innovation, and Skills (BIS), the NFER, the Sutton Trust and the College Board. This report presents findings from the final phase of the project, relating the prior attainment and SAT® scores of participating students who graduated in 2006 to their degree outcomes. It also summarises findings from the study as a whole, and cross references where appropriate to the various interim reports.

### 1.2 Key findings

The primary aim of the study was to examine whether the addition of the SAT® alongside A levels is better able to predict HE participation and outcomes than A levels alone.

- Of the prior attainment measures, average ${ }^{1}$ A level points score is the best predictor of HE participation and degree class, followed by average GCSE points score. The inclusion of GCSE information adds usefully to the predictive power of A levels.
- In the absence of other data, the SAT® has some predictive power but it does not add any additional information, over and above that of GCSEs and A levels (or GCSEs alone), at a significantly useful level.

Two other issues to be addressed in the study were: whether the SAT® can identify economically or educationally disadvantaged students with the potential to benefit from HE whose ability is not adequately reflected in their A level results; whether the SAT® can distinguish helpfully between the most able applicants who get straight $A$ grades at A level.

- There is no evidence that the SAT® provides sufficient information to identify students with the potential to benefit from higher education whose ability is not adequately reflected in their prior attainment.

[^0]- The SAT® does not distinguish helpfully between the most able applicants who get three or more A grades at A level. The SAT® Reading and Writing components do add some predictive power for some classes of degree at highly selective universities ${ }^{2}$, but add very little beyond the information provided by prior attainment, in particular prior attainment at GCSE.


### 1.3 Other findings

In addition to the key findings relating to the use of the $S A T ®$, other findings about the relationships between prior attainment and HE participation and outcomes emerged from an analysis of the data.

- The relationship between degree performance, prior attainment and the type of school attended suggests that on average students from comprehensive schools are likely to achieve higher degree classifications than students with similar attainment from grammar and independent schools.
- Having controlled for prior attainment, gender was not a significant predictor of degree outcome, e.g. male students were neither more likely nor less likely to do better at university than female students with the same prior attainment. In this sample, ethnicity was also not a significant predictor of degree class, although in a recent much larger study ethnicity differences were found to be statistically significant (HEFCE, 2010a).
- In an earlier phase of the research it was found that girls are more likely to be in HE than boys with similar attainment, yet girls tend to enter courses with lower entry requirements than would be expected from their prior attainment compared with boys.


### 1.4 Implications for policy and practice

The findings from this research support the following issues in relation to admission to HE:

- For applicants who already have A level and GCSE attainment data, the SAT® would not provide any additional information that would be useful for predicting degree outcomes.
- Tests used in the admission of candidates to HE should be investigated to ensure they are valid predictors of undergraduate performance.

[^1]- The use of data about the educational context in which students have obtained their qualifications, particularly the type of school attended, should be encouraged when comparing the attainment of HE candidates.
- The importance of A level performance in predicting HE outcomes suggests that, due to some inequalities in the reliability of predicted grades, a post-qualification system may be more equitable and useful in assisting in the selection of candidates.
- In assessing candidates for HE, average performance in both GCSE and A level examinations is more important than the total points accumulated.
- Other means of differentiating between high ability HE applicants may need to be used (use of $\mathrm{UMS}^{3}$ marks) but the validity of this approach should be investigated.

See section 7 for a fuller discussion of these issues.

### 1.5 Structure of the report

Section 2 provides the background to the research and the aims of the study. The key findings are described in more detail in sections 3 to 6 and the report concludes with a discussion of the findings and the implications for policy and practice in section 7. The methodologies employed, a full description of the representation of the sample and further technical data (the outputs of the various analyses referred to in the report) are presented in appendices 1 to 4.

[^2]
## 2 Introduction

In 2005, the NFER was commissioned to evaluate the potential value of using an aptitude test as an additional tool in the selection of candidates for admission to higher education (HE). For the purposes of the study, the SAT Reasoning Test ${ }^{\text {TM }}$ (also known as the SAT®) was chosen because an earlier pilot (McDonald et al., 2001), using an earlier version of this test, had found it to be an appropriate test to use with UK students and to have some potential for such a purpose. This five-year study was co-funded by the Department for Education and Skills (now the Department for Business, Innovation, and Skills), the National Foundation for Educational Research (NFER), the Sutton Trust and the College Board.

This report presents findings from the final phase of the project, relating prior attainment and $S A T ®$ scores to degree outcomes for a group of participating students who graduated in 2009. It also summarises findings from the study as a whole, with cross references where appropriate to the various interim reports.

### 2.1 Background

Most UK applicants to higher education (HE) are selected on the basis of their attainment at the end of compulsory education and their predicted or actual attainment in post-compulsory education, For these students, A levels remain the most frequently taken academic qualifications and are the basis on which the vast majority of candidates apply for university admission.

This study stemmed largely from issues surrounding admission to higher education (HE) and some of the limitations of the current system raised in the report by the Admissions to Higher Education Steering Group, chaired by Professor Steven Schwartz (Admissions to Higher Education Steering Group, 2004). These issues included the desire to widen participation in HE, fair access and possible improvements to the admissions system. At the commencement of this study, although the number of students benefiting from higher education (HE) had increased substantially over previous years, some groups were still significantly under-represented. A report into participation in higher education over the period 1994-2000 (HEFCE, 2005) noted that young people living in the most advantaged 20 per cent of areas were five or six times more likely to go into higher education than those from the least advantaged 20 per cent. Over the period of the study considerable changes have occurred, including the establishment of the Office for Fair Access (OFFA), an independent, non departmental public body, to promote and safeguard fair access to higher education for underrepresented groups. Recently HEFCE (2010b) reported 'sustained and substantial'
increases in the proportions of young people from disadvantaged areas entering HE and a narrowing of the gap between the most advantaged and least advantaged areas. However, the gap in participation rates between the most and least disadvantaged students remains significant. There are also some concerns about fair access to the most selective universities (OFFA, 2010).

Offers of HE places are usually made primarily on the basis of prior attainment and predicted A level examination results. The Schwartz report expressed a concern that although 'prior educational attainment remains the best single indicator of success at undergraduate level' (p.5), the information used to assess university applicants might not be equally reliable. In other words, it was generally recognised that, for some students, their true potential might not be reflected in their examination results due to social or educational disadvantages.

A related issue was that of access to highly selective courses and higher education institutions. As the demand for university places generally exceeds the supply, HE institutions must make choices between similarly highly qualified individuals. Prior to the introduction of the new top A level grade, the $A^{*}$, this was proving to be extremely difficult for some HE admissions departments, with an increasingly large number of candidates achieving A grades at A level. In response to this, a number of HE institutions had introduced supplementary admissions tests or assessments for courses where the competition for places was particularly fierce.

The Schwartz group recommended that assessment methods used within the admissions system should be reliable and valid. Among its wider recommendations the Schwartz report encouraged the commissioning of research to evaluate the ability of aptitude tests to assess the potential for higher education:

> Admissions policies and procedures should be informed and guided by current research and good practice. Where possible, universities and colleges using quantifiable measures should use tests and approaches that have already been shown to predict undergraduate success. Where existing tests are unsuited to a course's entry requirements, institutions may develop alternatives, but should be able to demonstrate that their methods are relevant, reliable and valid. (Admissions to Higher Education Steering Group, 2004, p. 8)

A levels are central to the higher education admissions process and the ability of $A$ level grades to predict degree outcomes has been demonstrated using a large data set (Bekhradnia and Thompson, 2002). Other studies have questioned the strength of the relationship between A level attainment and degree outcomes and suggested that this
can vary according to the type of HE institution and the area of study (Peers and Johnston, 1994). However, there was insufficient recent evidence regarding the predictive validity of a general admissions or aptitude test within the UK context.

In the United States there is no national curriculum and there are no nationally recognised academic qualifications equivalent to GCSEs or A levels. Admission to colleges is on the basis of school grades (the high school grade point average) plus one or more college entrance tests, the most common of which are the SAT® and the ACT® test ${ }^{4}$. High school grades are considered a 'soft' measure because grading standards can vary widely from school to school and from state to state, hence the need for a standardised admissions test. The SAT Reasoning Test ${ }^{\text {TM }}$ (previously known as the Scholastic Assessment Test) is therefore taken by high school students to provide information for colleges alongside their high school grade point average and SAT® results are used by universities to help compare students from different parts of the US. In a review of studies examining the ability of the SAT® to predict a number of measures of success in college (including graduation), the combination of high school records and SAT® scores were consistently the best pre-admission predictors (Burton and Ramist, 2001). As might be expected, several studies showed that post-admission data (such as first year grades) predicted graduation better than pre-admission measures because the predictors are closer in time to the criterion of interest. However, despite the problems inherent in establishing predictive validity, in particular range restriction and unreliability of grading standards, unadjusted studies showed moderate correlations between SAT® scores and graduation ranging from 0.27 to 0.33 (i.e. higher SAT® scores were generally associated with higher graduation outcomes).

More recently, the College Board (Mattern et al., 2008) reported on a study conducted examining the validity of the SAT® using a nationally representative sample of first-year college students who had been admitted with the revised version of the test (the same one used in this study). The correlations between high school grade point average (HSGPA) and first year college grade point average (FYGPA), corrected for restriction of range, were 0.54 for female students and 0.52 for male students. Correlations between the SAT® and FYGPA ranged from 0.52 to 0.58 for females and 0.44 to 0.50 for males. Combining the three sections of the SAT® with HSGPA resulted in multiple correlations of 0.65 and 0.59 respectively.

Although high school grades are often seen as the slightly better predictor of college grades, Kobrin et al (2002) reported that the SAT® adds to their predictive power to a statistically significant degree, and may be a more accurate predictor for some groups of students with discrepancies between high school grades and SAT® scores.

[^3]In Sweden, both school grades and scores on the Swedish Scholastic Aptitude Test (SweSAT) are used to select students for admission to higher education. For each course of study between a third and two-thirds of the places available are assigned on the basis of grades, and the rest on the basis of SweSAT scores. Taking the SweSAT is entirely voluntary, and it may be taken any number of times, with the highest achieved score being used. Gustafsson (2003) reported that grades have better predictive validity than tests but that tests can contribute to prediction when there are differences in the quality of education or when grades suffer from lack of comparability.

The principal study underpinning this current research was the pilot comparison of $A$ levels with SAT® scores conducted by NFER for The Sutton Trust in 2000 (McDonald et al., 2001) using a previous version of the SAT®. This small study revealed that the SAT® was only modestly associated with A level grades, suggesting that they were assessing somewhat distinct constructs. Analysis of item level data showed that the SAT® functioned similarly for English and American students and found little evidence of bias in the SAT® items. A further perceived advantage was that, as the results of the SAT® were provided as a scaled score (at that time with a range of 400-1600), it would allow greater discrimination between students than A level grades. On the basis of this pilot, it was considered worthwhile to carry out further research to investigate what potentially useful information the SAT® might provide to HE admission departments.

### 2.2 The SAT Reasoning Test ${ }^{\text {TM }}$

The content of the SAT® was revised in 2005 and it was this most recent version that was used in this study. It comprises three main components: Critical Reading, Mathematics and Writing. In the US the administration of the SAT® is split into ten separately timed sections, with a total test time, excluding breaks, of three hours and forty-five minutes.

The Critical Reading section of the SAT® contains two types of multiple-choice items: sentence completion questions and passage-based reading questions. Sentence completion items are designed to measure students' knowledge of the meanings of words and their understanding of how sentences fit together. The reading questions are based on passages that vary in length, style and subject and assess vocabulary in context, literal comprehension and extended reasoning. The Mathematics section contains predominantly multiple-choice items but also a small number of studentproduced response questions that offer no answer choices. Four areas of mathematics content are covered: number and operations; algebra and functions; geometry and measurement; and data analysis, statistics and probability. The new Writing section (first administered in the US in 2005) includes multiple-choice items addressing the
mechanical aspects of writing (e.g. recognising errors in sentence structure and grammar) and a 25 minute essay on an assigned topic.

In the current study, no changes were made to any of the questions but one section was removed (a section of new trial items which do not contribute to the US students' scores) giving a total of nine sections and an overall test time of three hours and twenty minutes. Both in the McDonald study (McDonald et al., 2001) and in the current study, the results indicated that the individual SAT® items functioned in an appropriate way for use with English students.

### 2.3 Objectives of the study

The primary aim of the study was to examine whether the addition of the SAT® alongside A levels is better able to predict HE participation and outcomes than A levels alone. Two specific issues were also to be addressed, namely:

- Can the SAT® identify students with the potential to benefit from higher education whose ability is not adequately reflected in their A level results because of their (economically or educationally) disadvantaged circumstances?
- Can the SAT® distinguish helpfully between the most able applicants who get straight A grades at A level?

Interim reports were published in 2007 and 2009 (Kirkup et al., 2007, 2009). In the 2007 report the analysis of the attainment data focused on the broad relationships between SAT® scores and total scores at A level and GCSE. It also presented information from two student surveys. The 2009 report focussed on three issues: further exploration of the relationships between SAT® scores and attainment in particular individual A level subjects; analysis of the 2006 entry data, using UCAS ${ }^{5}$ data and combined HESA ${ }^{6}$ and ILR ${ }^{7}$ data; statistical modelling of the background data of students to create more sensitive measures of economic and educational disadvantage. A further brief report (Kirkup et al., 2010) updated the findings from the analysis of the destination data to include students who entered higher education in 2007 and reported on a survey of participating students and young people carried out in December 2008.

This report focuses on the overall objectives of the study. It is based on an analysis of the degree outcomes of those participating students who entered HE in 2006 and completed three-year degrees in 2009.

[^4]
## 3 Relationships between SAT® scores and degree outcomes

The primary aim of the study was to examine whether the addition of the SAT® alongside A levels is better able to predict HE participation and outcomes than A levels alone. Relationships between SAT® scores and participation in HE were described in the 2009 and 2010 reports and are summarised in section 3.3. Relationships between degree class and measures of prior attainment, including the SAT®, are reported below.

Over 9000 students participated initially in the current study and took the SAT® in autumn 2005. Of this original group, just over 8000 participants were matched to their A level results in 2006. A total of 2754 participating students entered HE in 2006 on threeyear degrees and graduated in 2009 and a further group of approximately 3800 participants were still studying within HE. The background characteristics of the various sub-samples are broadly similar. (See appendices 1 and 2 for a full description of the methodology and the representation of the various sub-samples.)

### 3.1 Degree classification

The degree classification outcomes for the 2754 students who graduated in 2009 are shown in Table 3.1 together with a comparison of classification outcomes nationally.

## Table 3.1 - Degree classification outcomes for the 2009 graduate sample

## Graduate sample

National

## Class of degree

First class honours
Upper second class honours (2:1)
Lower second class honours (2:2)
Third class honours
Other (pass, unclassified honours, ordinary, degree without honours etc.)

2754326161371473

28
Freque

326
1613
714
73
28
Per cent
11.8
58.6
25.9
2.7
1.0
100.0
100.0

Notes: the national population represents graduates from all UK HEls who commenced their first degree in 2006-07 aged 18 and completed year 3 of a full-time first degree course in 2008-09 (HESA data from 2008/09).

Compared with a nationally representative population of graduates, matched by age, entry, length of course and number of years of study, the graduate sample has a slightly higher proportion of first class and upper-second class degrees. This is not unexpected given that the overall prior attainment of the main study sample was higher than a comparable national population ${ }^{8}$.

Having established the degree outcomes for the graduate sample, the main issue to be examined was whether the $S A T B$ added to the predictive power of $A$ levels and GCSEs.

The first step in the analysis was to carry out some simple descriptive statistics looking at the relationships between the various prior attainment measures and the class of degree obtained. For this and subsequent analyses, third class degrees and below (other degrees such as ordinary degrees, unclassified degrees, etc) were grouped together because of the relatively small numbers of these in the sample. In order to calculate these simple correlations, the degree classes were treated as interval data on a simple scale using 1 for a third class degree, 2 for a 2:2 degree, 3 for a 2:1 degree and 4 for first-class honours. (For the more complex analyses the degree classes were more accurately considered as ordinal data - see section 3.2 below.) All the correlations were positive and statistically significant.

Significant correlations with degree class (in order of size) were:

- average ${ }^{9} \mathrm{~A}$ level points score (0.38)
- average KS4 (GCSE) points score (0.36)
- total A level points score (0.34)
- total KS4 points score (0.28)
- mean SAT® score (0.26) - the average of the scaled scores for the three separate SAT® components
- SAT® Writing score (0.26)
- SAT® Reading score (0.24)
- SAT® Maths score (0.18)

These correlations are relatively modest due, in part, to the restricted range of the degree classification scale, and the restriction in the prior attainment of the graduate sample. (The study was restricted to students taking two or more A levels and the prior

[^5]attainment of the main study sample was higher than the national sample of such students - see sample description in appendix 2.) Correlations are also generally weaker when there is a longer time interval between the predictors and the criterion.
The highest correlations were between class of degree and average point scores for both A levels and GCSEs. The correlation between degree and average GCSE performance is somewhat surprising. It might be expected that degree outcome would correlate much more highly with A level examinations, which were taken two years closer to the degree outcome and which probably reflect a closer connection with the subject area of the degree studied. The GCSE correlation suggests a significant association between degree class and a student's overall breadth of study and attainment and therefore an important role for GCSEs in predicting performance in HE (see also section 3.2.2).

### 3.2 Exploring the relationships between attainment measures and degree outcomes

A number of regression analyses were then carried out in order to look simultaneously at the relationships between the main attainment and background variables and to identify which of these can predict degree outcomes. It was decided to use ordered categorical models, specifically multilevel ordered categorical models, which model the statistical probability of being in a particular category (e.g. having a first class degree). The reasons for using multilevel ordered categorical models for this type of analysis and an explanation of how to interpret the outcomes are given below.

- A multilevel model is one which takes into account the hierarchical structure of data; in this case students are clustered within universities. It might be expected that on average students will be more similar to other students at the same university than they are to students at other universities. Multilevel modelling allows this to be taken into account, and provides more accurate estimates of coefficients and their standard errors (hence ensuring that we can correctly determine whether an effect is statistically significant or not).
- Ordered refers to the fact that the outcomes of interest (degree results) can be placed in a definite order or rank. A first is better than a 2:1, which is better than a 2:2, and so forth. This differentiates it from unordered data, for example favourite colour.
- However, whilst degree outcomes are ordered, they are not on an interval scale; rather, they are categorical. An interval scale is one where the difference between each successive outcome is equal, for example years: the time between 2009 and 2010 is the same as that between 2008 and 2009. This cannot be said of degree outcomes - the difference between a first and a $2: 1$ is not necessarily the same as the difference between a 2:1 and a 2:2.

Interpreting outputs: When categorical data is used in modelling, this is done by making comparisons between the different categories, for example comparing boys to girls. This is simple when there are only two categories, and requires only one equation. However, in our case there are four categories, with an order, which for each model requires three separate equations predicting:

1. the probability of achieving a third / other degree rather than a $2: 2$ or higher (OE1)
2. the probability of achieving a $2: 2$ or lower rather than a first or a 2:1 (OE2)
3. the probability of achieving a $2: 1$ or lower rather than a first (OE3).

Note that in each case these models consider the probability of achieving a given outcome, versus that of achieving a better outcome. This means that a positive coefficient relates to higher chances of the inferior outcome, and a negative coefficient relates to a lower chance of the inferior outcome. This can be confusing, and so although the findings are the same, the Original Equations (OE1, OE2 and OE3) have been reversed in the main report for ease of interpretation. ${ }^{10}$ The outputs from the models are presented in full in appendix 3 .

The reversed equations can be expressed as follows:

1. the probability of achieving a $2: 2$ or higher rather than a third / other degree (E1)
2. the probability of achieving a first or a $2: 1$ rather than a $2: 2$ or lower (E2)
3. the probability of achieving a first rather than a $2: 1$ or lower (E3).

Common versus separate coefficients: In an ordered categorical model it is possible to include variables as either 'common' or 'separate' across the three equations. By including them as common it is assumed that the impact of that variable on the chances of improved degree outcomes is the same at all levels (chances of a first, 2:1, 2:2 or third); separate coefficients enable the impact to vary between equations. Having a common coefficient is desirable as interpretation is easier. Variables were initially included separately across all three equations, but where the resulting coefficients were sufficiently similar the model was updated to include just one common coefficient, for example the grammar and independent school variables.

Goodness of fit: In a linear regression model, the $R^{2}$ statistic is calculated as a measure of the goodness of fit and can be interpreted as the proportion of the variation in outcomes which is explained by the model. (In other words to what extent degree class is predictable from the variables included in the model - A level scores, GCSE

[^6]scores, SAT® ${ }^{\circledR}$ scores, etc.) However, for categorical models it is not possible to calculate an $R^{2}$ statistic (intuitively, the difficulty becomes clear when one considers what could be meant by the 'proportion of variation in outcomes' for a categorical outcome). Instead a pseudo- $R^{2}$ such as McFadden's $R^{2}$ is used which, whilst being calculated in a very different manner to the normal $R^{2}$, is analogous to it, in that it is a measure of the goodness of fit of the model. McFadden's $R^{2}$ is expressed as values between zero and one (higher values indicating a more robust model and a better set of predictors); however it cannot be interpreted as the proportion of variation explained by the model. A rule of thumb is that values between 0.2 and 0.4 indicate a very good model fit ${ }^{11}$. Note that because of its reference to a base model ${ }^{12}$, values should only be compared across models that share a common base (i.e. they include the same set of students). For example, this means that values should not be compared between the Maths and non-Maths subject models in Table 3.2 (models 6 and 7 respectively).

## Example:

|  | Model 1 |  |  |
| :---: | :---: | :---: | :---: |
| Constant - equation 1 | 3.489 |  |  |
| Constant - equation 2 | 1.043 |  |  |
| Constant - equation 3 | -2.091 |  |  |
|  | E1 | E2 | E3 |
| Average A level points (30) |  |  |  |
| Total A level points (30) |  |  |  |
| Average KS4 points (6) |  |  |  |
| SAT® 'English' (mean Reading and Writing) score (10) | + | + |  |
| SAT® Maths score (10) | ns | - |  |
| Prior attainment of cohort (UNIdiff) | ns | + | ns |
| Grammar school attended | ns |  |  |
| Independent school attended | ns |  |  |
| FE college attended | ns |  |  |
| Number of cases | 2754 |  |  |

So, taking as an example the coefficients for SAT® 'English' from Model 1 in Table 3.2, these are positive and significant for all three equations. This means that a higher SAT® 'English' score is associated with a higher degree outcome, regardless of what degree you would otherwise be expected to have achieved. The coefficients for Maths $S A T ®$, on the other hand, suggest that Maths $S A T ®$ has no impact on the chances of

[^7]achieving a third versus higher (ns = non significant); however it points to a lower chance of achieving a $2: 1$ or higher (versus a $2: 2$ or lower), and a higher chance of achieving a first (versus a 2.1 or lower). So, a high Maths SAT® ${ }^{\circledR}$ score is associated with a higher chance of achieving a high or low degree outcome (a first or a 2:2/third) as opposed to a $2: 1$. The impact of attending a grammar school or an independent school on degree outcome was similar across all three equations and therefore these were included as common coefficients. In all of the models, attending an FE college had no impact on the chances of achieving a 2:1 or higher (versus a 2:2 or lower), or a first (versus a 2.1 or lower) so it was removed from those equations. In some models attending an FE college had an impact on the chances of achieving a third versus higher and it was therefore included as a separate variable in the first equation of each model. (In this model the impact is non-significant.)

The outcomes from the first set of models are summarised in Table 3.2. The outputs from further models, focussing on disadvantaged students and able students, are described in sections 4 and 5 respectively. Detailed statistical outputs for the models are given in appendix 3.

In some initial explorations of the data, it became apparent that it was not helpful to combine the scores from the three components of the SAT®. The relationships between the Reading and Writing components and degree classes were very similar, i.e. they were generally predicting similar outcomes; but there was a different relationship between SAT® Maths scores and degree classification. For most analyses, a combined SAT® ‘English' variable was created (from the mean of the Reading and Writing scores) with the $S A T{ }^{B}$ Maths score entered as a separate variable. In other models all three components (Maths, Reading and Writing) were entered separately.

For GCSE performance, students' average point scores were used rather than total point scores. This was because the number of GCSEs taken can vary widely and may sometimes reflect school policy and practice rather than the ability of the individual students. This effect is much less pronounced at A level and therefore total A level points scores were initially felt to be the most appropriate measure of A level performance. Most of the models therefore included total A level points scores. However, the effect of substituting average A level points scores for total A level points scores was also explored (models 2 and 3) and a detailed comparison of these two models, similar in all other respects, is shown in Table 3.3.

Attainment data was taken from a dataset supplied to the NFER by the Department for Children, Schools and Families (now the Department for Education). In this dataset, AS level qualifications are included within the A level total points scores, using discounting
rules to avoid double counting qualifications ${ }^{13}$. AS levels were not the focus of the study and were not included separately in the analyses. Due to differences in the timing of some AS module examinations and opportunities to re-sit AS modules in year 13, no attempt was made to predict degree outcomes from qualifications achieved at the end of year 12 .

[^8]Table 3. 2 - Multilevel ordered categorical regression of degree classification showing significant variables

|  | All graduates |  |  |  |  |  |  |  |  |  |  |  |  |  |  | $\begin{gathered} \text { Model } 6 \\ \text { Maths } \\ \text { subjects }^{14} \end{gathered}$ |  |  | Model 7 <br> Non-maths |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Model 1 |  |  | Model 2 |  |  | Model 3 |  |  | Model 4 |  |  | Model 5 |  |  |  |  |  |  |  |  |
| Constant equation 1 | 3.489 |  |  | 3.928 |  |  | 3.849 |  |  | 3.767 |  |  | 3.767 |  |  | 3.100 |  |  | 4.131 |  |  |
| Constant equation 2 | 1.043 |  |  | 1.280 |  |  | 1.259 |  |  | 1.240 |  |  | 1.214 |  |  | 0.977 |  |  | 1.337 |  |  |
| Constant equation 3 | -2.091 |  |  | -2.164 |  |  | -2.090 |  |  | -2.074 |  |  | -2.120 |  |  | -1.572 |  |  | -2.231 |  |  |
|  | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 |
| Average A level points (30) |  |  |  | + | + | + |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Total A level points (30) |  |  |  |  |  |  | + | + | + |  |  |  | + | + | + | + | + | + | + | + | + |
| Average KS4 points (6) |  |  |  | + | + | + | + | + | + | + | + | + | + | + | + | ns | + | + | + | + | + |
| SAT® <br> 'English' <br> (mean <br> Reading and <br> Writing) score (10) | + | + | + | ns | ns | ns | ns | + | ns | ns | + | ns | ns | + | ns | ns | ns | ns | ns | + | ns |
| SAT® Maths score (10) | ns | - | + | ns | - | + | ns | - | + | ns | - | + | ns | - | + | ns | ns | ns | ns | - | ns |
| Prior attainment of university cohort (UNIdiff ) | ns | + | ns | - | - | - | - | ns | - | ns | ns | - | - | ns | - | - | ns | - | ns | ns | - |
| Grammar school attended | ns |  |  | - |  |  | - |  |  | - |  |  | - |  |  | - |  |  | - |  |  |
| Independent school attended | ns |  |  | - |  |  | - |  |  | - |  |  | - |  |  | ns |  |  | - |  |  |
| FE college attended | ns |  |  | - |  |  | - |  |  | ns |  |  | - |  |  | - |  |  | ns |  |  |
| Sex |  |  |  |  |  |  |  |  |  |  |  |  |  | ns |  | ns | ns | ns | ns | ns | ns |
| Asian |  |  |  |  |  |  |  |  |  |  |  |  |  | ns |  |  |  |  |  |  |  |
| Black |  |  |  |  |  |  |  |  |  |  |  |  |  | ns |  |  |  |  |  |  |  |
| Chinese |  |  |  |  |  |  |  |  |  |  |  |  |  | ns |  |  |  |  |  |  |  |
| Sex/ ethnicity interactions |  |  |  |  |  |  |  |  |  |  |  |  |  | ns |  |  |  |  |  |  |  |
| Number of cases | 2754 |  |  | 2754 |  |  | 2754 |  |  | 2754 |  |  | 2754 |  |  | 419 |  |  | 2335 |  |  |
| Goodness of fit (McFadden's $\left.\mathrm{R}^{2}\right)^{15}$ | 0.12 |  |  | 0.74 |  |  | 0.64 |  |  | 0.57 |  |  | 0.53 |  |  |  |  |  |  |  |  |

Notes: + indicates a significant positive predictor; - indicates a significant negative predictor; ns indicates non-significant; shaded cells indicate variables not included in the model.

[^9]The findings from this analysis (models 1-7) are summarised below.

Findings relating to the SAT®:

- Of the prior attainment measures, effect sizes revealed that average $A$ level performance had the strongest association with degree outcome, followed by average GCSE point score. The inclusion of GCSE information adds usefully to the predictive power of $A$ levels.
- In the absence of other data, the SAT® had some predictive power but it did not add any additional information, over and above that of GCSEs and A levels (or GCSEs alone), at a significantly useful level. This remained the case when the graduate sample was divided into students studying 'maths' ${ }^{16}$ subjects and students studying 'non-maths' subjects (models 6 and 7 in Table 3.2).

Other findings:

- Students who had attended grammar schools or independent schools were less likely to achieve as high a degree classification as might have be expected from their prior attainment, i.e. they were likely to achieve a lower class of degree than students from comprehensive schools with similar prior attainment.
- Students who had attended FE colleges were more likely to achieve a third class honours degree than students from comprehensive schools with similar prior attainment.
- Students at highly selective universities are likely to achieve a lower level of degree than students at less selective universities with similar A level and GCSE attainment. ('Selectivity' was measured by means of the UNIdiff value the percentage of students at a university with A level grades ABB or AAC or above - the higher the value the more 'selective' the university.)
- Having controlled for prior attainment, gender was not a significant predictor of degree outcome, e.g. male students were neither more likely nor less likely to do better at university than female students with the same prior attainment. In this sample, ethnicity was also not a significant predictor of degree class, although in a recent much larger study ethnicity differences were found to be statistically significant (HEFCE, 2010a).

Each of these findings is explored in more detail in the sections that follow.

[^10]
### 3.2.1 Predicting degree outcomes from A level performance

Table 3.3 shows the size of the coefficients from models 2 and 3 in Table 3.2, which model the impact of including average A level points scores and total $A$ level points scores respectively.

| Table 3.3 - Multilevel ordered categorical regression of degree classification comparing average and |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| total A level points scores |

## Notes:

Significant coefficients are emboldened
E 1 = equation 1 (the probability of achieving 2:2 or higher rather than a third / other degree)
E2 = equation 2 (the probability of achieving a first or a 2:1 rather than a 2:2 or lower)
E3 = equation 3 (the probability of achieving a first rather than a $2: 1$ or lower)

Scales were created for the A level and GCSE variables so that each increase in the scale was equivalent to an increase of 1 grade, e.g. 30 pts at A level and 6 points for a change in GCSE grade. The value of the coefficient therefore models the effect of a change of one grade. As some of the variables are average point scores, great care must be taken in comparing the relative size of the coefficients. For example, the coefficients for total $A$ level points scores represent the difference of a change of one grade in a student's total $A$ level points, (e.g. achieving the points equivalent of $A A B$ instead of $A B B$ ), whereas the coefficients for average $A$ level points scores represent a change of one grade in a student's average, (e.g. an average B points score from $A B C$ or BBB instead of an average $C$ from BCD or CCC). The coefficient
of the UNIdiff variable appears particularly large because it represents the difference between a university with a UNIdiff value of 0 per cent (no students with A level grades ABB or AAC or above) and a university with a UNIdiff value of 100 per cent (all students with A level grades ABB or AAC or above). In reality most students will be at universities nearer to the average figure for the sample.

The McFadden's $R^{2}$ is the goodness of fit measure and shows how well the model fits the data. The values for models 2 and 3 are 0.74 and 0.64 respectively. As all the other variables in these two models are the same and they are based on the same students, this suggests that average A level points score is a slightly more useful predictor of degree class than total A level points score. By comparison with these two models, when SAT® scores are used instead of A levels and GCSEs to predict degree class (model 1 in Table 3.2) the McFadden's $R^{2}$ is only 0.12 , indicating a much weaker set of predictors. Models were also run using GCSE and A levels separately (without SAT® scores) and the McFadden's $R^{2}$ values were 0.37 (A level average performance + UNIdiff + school type) and 0.49 (GCSE average performance + UNIdiff + school type). A fuller explanation of McFadden's $R^{2}$ and the values for all the models quoted in this report are given in appendix 4.

As mentioned previously, most models included a total A level points score variable because this was initially felt to be the most appropriate measure of A level performance. When the goodness of fit of each model was calculated, it was found that average A level point score was a slightly more useful predictor of degree class than total A level point score. However, the similarities in the McFadden's $R^{2}$ values for these two models show that there is not a great difference between using total or average A level points scores to predict degree class, and it was therefore not considered necessary to re-run the models that had included the total A level points score variable.

As shown in Tables 3.2 and 3.3, average A level points score was strongly associated with degree class. Based on model 2 from Table 3.2, the probabilities of obtaining a particular degree (e.g. a first rather than a $2: 1$ or lower; a 2:1 or a first rather than a 2:2 or lower; and a 2:2 or higher rather than a third or lower) based on average $A$ level performance are illustrated in Figure 3.1.

Figure 3.1 - Probability of degree outcome based on A level performance


Figure 3.1 demonstrates the significant relationship between average A level performance and the eventual class of degree obtained. The probability of obtaining an upper second or first class degree increases from a probability of about 46 per cent for students with an average E grade to 90 per cent for students with an average of an A grade. The probability of achieving a first class degree increases from 15 percent for students with an average $B$ grade to 28 per cent for students with an average of an A grade at A level.

There was no significant difference between male and female students or between students from different ethnic groups once prior attainment had been taken into account. This is presumably because any differences (in this sample) are already reflected within their GCSE and A level results.

### 3.2.2 Predicting degree outcomes from GCSE performance

The relationships between degree outcome and A level performance and between degree outcome and GCSE performance are very similar as illustrated in Figure 3.2. These probabilities are based on model 2 from Table 3.2.

Figure 3.2 - Probability of degree outcome based on GCSE performance


As can be seen from the figure above, the probability of getting a first class honours degree rather than a 2:1 or below is around five per cent for student with an average of a grade C at GCSE. The probability of achieving first class honours increases to eight percent with an average grade $B, 14$ per cent with an average grade $A$ and 24 per cent with an average grade A*. There were 322 students in the graduate sample whose GCSE points average was 55 or higher and, therefore, half or more of their GCSE grades were A* (including 52 students with all A* grades - an average 58 points). At the lower end of the model, there were 403 students with an average of grade C at GCSE, rounded to the nearest grade (i.e. an average GCSE points score between 37 and 43). The remaining 1973 students were between these two extremes.

### 3.2.3 Predicting degree outcomes from SAT® performance

The relationship between degree classification and SAT® scores was not straightforward, in particular the relationship between degree class and the Maths SAT® component scores. High Maths SAT® scores were associated with a higher chance of getting a first, but also a higher chance of getting a 2:2 or less (see Figure 3.3). In other words the highest scores were not always associated with the highest degree classes. When both A level and GCSE performance were excluded (see model 1 in Table 3.2) 'English' SAT® scores (the average of the SAT® Reading and Writing scores) had some predictive power across all degree classes. However, when both A level and GCSE performance were included (model 3), high 'English' SAT® scores were associated only with a higher chance of getting a 2:1 or higher rather than a 2:2 or less. In the model using average A level points score (model 2) the 'English' SAT® scores were not significant. Excluding A level scores from the model (see model 4) did not affect the Maths SAT® coefficients. The coefficients for the 'English' SAT® became slightly larger (i.e. it became a slightly better predictor), but still only the 2:2 or less coefficient was significant.

Figure 3.3 shows the relationship between degree class and Maths SAT® scores, based on model 2 from Table 3.2.

Figure 3.3 - Probability of degree outcome based on SAT® Maths performance


As can be seen in Figure 3.3, the probability of a student getting a first class honours increases as the Maths SAT® score increases. However, the probability of getting an upper second or above actually decreases (i.e. there is an increased probability of achieving a $2: 2$ or below). So a student with a Maths SAT® score of 500 has a probability of about 78 per cent of getting a $2: 1$ or above and around an 11 per cent probability of achieving a first. A student with a much higher Maths SAT® score of 700 has a probability of about 15 per cent of getting a first but the probability of getting a 2:1 or above drops to around 69 per cent. The reasons for this are unclear. The Maths SAT® has no impact on the chances of achieving a third versus higher; the coefficient was not significant.

Although the SAT® did not seem to offer any additional power in predicting undergraduate success generally, further modelling of the data was used to ascertain whether the SAT® components were more useful in predicting degree outcomes for particular subjects. In other words, would SAT® Maths be useful for predicting 'maths-related' degree outcomes and would 'English' SAT® be useful for predicting non-maths subjects? (In the USA, colleges tend to base admission
decisions on the most relevant SAT® components score(s) for the subject of study. It was felt useful therefore to explore the potential utility of the SAT® at a very broad maths / non-maths subject level, by splitting the sample into these two groups.) It was not possible to explore the predictive power of the SAT® at a more specific level because the number of students in some subject groups was too small. However, as can be seen from models 6 and 7 in Table 3.3, which included students taking 'maths-related' and 'non-maths' degrees respectively, the majority of the SAT® coefficients were again non-significant.

### 3.2.4 Predicting degree outcomes from specific GCSE or SAT® scores

In exploring the utility of the $S A T ®$ for predicting degree outcomes, there was some concern that it was inappropriate to compare SAT® scores reflecting attainment in Reading, Writing and Maths only with average GCSE performance, which reflects attainment over a much larger range of subjects. Models predicting degree outcomes from performance in either GCSE mathematics or GCSE English were therefore compared with models based on performance in the relevant SAT® components (Reading, Writing or Maths). In all of these models, average GCSE points score and total / average A level points score were excluded. A summary of the results is shown in Table 3.4 and the detailed outputs from each model are presented in appendix 3 . By comparing effect sizes, GCSE mathematics scores and GCSE English scores were found to be better predictors of degree class than SAT® Maths, SAT® Reading or SAT® Writing scores.

- Higher GCSE maths scores were associated with higher degree outcomes, i.e. the higher the GCSE grade the higher the class of degree (model 8). Higher Maths SAT® scores were associated with a higher chance of getting a first class degree only (model 9).
- Higher GCSE English scores were associated with higher degree outcomes (model 11). Higher Reading SAT® scores were associated with a higher chance of getting a 2:1 or higher and of getting a first (model 12).
- Without GCSE English data, higher Writing SAT® scores were also associated with higher degree outcomes (model 15). However, when both GCSE English and Writing SAT® scores were included (model 16), higher Writing SAT® scores were associated only with a higher chance of getting a 2:1 or above and a higher chance of getting a first. English GCSE remained associated with higher degree outcomes at all levels.

Having controlled for prior GCSE maths attainment, attending a grammar school or an independent school was not a significant predictor of degree outcome (model 8). In other words, students from grammar schools and independent schools were neither more likely nor less likely to do better at university than students from
comprehensive schools with the same prior attainment. However, students from grammar schools and independent schools were likely to do less well at university than students from comprehensive schools with the same prior GCSE English attainment (model 11).

The difference in the significance of school type in the models for maths GCSE and English GCSE could suggest school type has differential impact on the GCSE grades that students obtain in these subjects. This could possibly be linked to entry policies for examinations (e.g. tiered papers) and / or examination preparation. Grammar schools and independent schools were not significant in the models predicting degree class based on SAT® performance alone, possibly because there was no preparation for the SAT® and therefore no link between SAT® scores and school type.

The possibility that the type of school attended has more impact on grades achieved in GCSE English than grades achieved in GCSE mathematics has little significance in relation to admissions to HE, given that it relates to two GCSE subjects only. It also emerges from a relatively small study, the primary focus of which was the SAT®. However, it may be something that could be investigated further as part of a wider exploration of the use of contextual data.

Table 3.4 also shows that the pseudo- $R^{2}$ values for these models are noticeably lower than earlier models. While it is of interest to examine the interplay of the SAT® components and English and maths GCSE scores, degree outcomes are better explained using overall GCSE and A level point scores, as these measures contain more information about the ability of students.

Table 3.4 Multilevel ordered categorical regression comparing GCSE and SAT® subject scores as predictors of degree classification

|  | Model 8 |  |  | Model 9 |  |  | Model 10 |  |  | Model 11 |  |  | Model 12 |  |  | Model 13 |  |  | Model 14 |  |  | Model 15 |  |  | Model 16 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Constant equation 1 | 3.513 |  |  | 3.484 |  |  | 3.510 |  |  | 3.678 |  |  | 3.501 |  |  | 3.678 |  |  | 3.678 |  |  | 3.537 |  |  | 3.690 |  |  |
| Constant equation 2 | 1.052 |  |  | 1.022 |  |  | 1.052 |  |  | 1.144 |  |  | 1.052 |  |  | 1.150 |  |  | 1.144 |  |  | 1.078 |  |  | 1.156 |  |  |
| Constant equation 3 | -2.038 |  |  | -2.065 |  |  | -2.055 |  |  | -1.994 |  |  | -2.037 |  |  | -2.001 |  |  | -1.994 |  |  | -2.016 |  |  | -1.992 |  |  |
|  | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 | E1 | E2 | E3 |
| Maths KS4 points (6) | + | + | + |  |  |  | ns | + | + |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| English KS4 points (6) |  |  |  |  |  |  |  |  |  | + | + | + |  |  |  | + | + | + | + | + | + |  |  |  | + | + | + |
| SAT® Maths score (10) |  |  |  | ns | ns | + | ns | ns | + |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| SAT® Reading Score (10) |  |  |  |  |  |  |  |  |  |  |  |  | ns | + | + | ns | + | + |  |  |  |  |  |  |  |  |  |
| SAT® Writing score (10) |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  | + | + | + | ns | + | + |
| Prior attainment of university cohort (UNIdiff) | ns | + | + | ns | + | ns | ns | + | ns | ns | + | + | ns | + | + | ns | + | ns | ns | + | + | ns | + | + | ns | + | ns |
| Grammar school attended |  | ns |  |  | ns |  |  | ns |  |  | - |  |  | ns |  |  | - |  |  | - |  |  | ns |  |  | - |  |
| Independent school attended |  | ns |  |  | ns |  |  | ns |  |  | - |  |  | ns |  |  | - |  |  | - |  |  | ns |  |  | - |  |
| FE college attended | - |  |  | - |  |  | - |  |  | ns |  |  | - |  |  | ns |  |  | ns |  |  | - |  |  | - |  |  |
| Number of cases |  | 2625 |  |  | 2625 |  |  | 2625 |  |  | 2625 |  |  | 2625 |  |  | 262 |  |  | 2625 |  |  | 2625 |  |  | 2625 |  |
| Goodness of fit (McFadden's $R^{2}$ ) |  | 0.00 |  |  | 0.01 |  |  | 0.06 |  |  | 0.29 |  |  | 0.02 |  |  | 0.3 |  |  | 0.29 |  |  | 0.06 |  |  | 0.32 |  |

Notes: + = significant positive predictor; - = significant negative predictor; ns = non-significant; shaded cells indicate variables not included in the model
E1 = equation 1 (the probability of achieving 2:2 or higher rather than a third / other degree)
E2 = equation 2 (the probability of achieving a first or a 2:1 rather than a 2:2 or lower)
E3 = equation 3 (the probability of achieving a first rather than a 2:1 or lower)

### 3.2.5 Selective universities

As shown in Table 3.3, students attending highly selective universities - those with a high percentage of students with A level grades ABB or AAC or above (a high UNIdiff value) - were less likely to achieve as high a class of degree as students from less selective universities with similar attainment.

Figure 3.4 illustrates impact of the UNIdiff measure on the probability of degree outcomes, based on model 2 from Table 3.2.


## University difficulty (\%)

The average UNIdiff value for the graduate sample was 35 percent (i.e. 35 percent of full-time first degree students with A levels AAC or ABB or better). A student in the graduate sample with average attainment ${ }^{17}$ at a university with an average UNIdiff value (e.g. Loughborough) has a ten per cent probability of obtaining a first class degree. By comparison a student with the same prior attainment at a university with a UNIdiff value of above 80 per cent (e.g. Bristol or Imperial College) has less than a five per cent probability of obtaining a first.

[^11]Using the UNIdiff measure is only one way of defining selective universities and it was considered prudent to explore this finding in a different way. This was done by running two regression analyses: comparing students at universities in the Russell Group ${ }^{18}$ with students from other universities and comparing students at the Sutton Trust 'Top 30 '19 universities versus other universities. Both of these analyses gave very similar results; for a student of average attainment it was slightly easier to achieve a higher degree (e.g. a first versus lower) in the 'non-selective' university group than in the highly selective group. As these were less sophisticated analyses than the multilevel ordered categorical regression models, they are not reported further.

Other potential difficulties in the interpretation of this particular finding had to be overcome. Firstly, there were uneven numbers of students studying within the different broad subject areas and differences between subject areas in the difficulty of obtaining specific degree classes (e.g. first class degrees) could not be reflected in the model because of the small numbers of students in some groups. In order to discover if the UNIdiff finding was common to all subject areas, separate logistic regression models, predicting the probability of getting a first versus any other class of degree, were run for students in each broad area of study (biological sciences, historical and philosophical studies, etc). All of the significant subject results showed an association in the same direction as the graduate sample as a whole. In other words, when the broad subject areas of study were taken into account, it was still harder for students with the same prior attainment to get a first at a university with a high UNIdiff value.

A second difficulty was that the graduate sample included relatively large numbers of students from independent and grammar schools who, in comparison with comprehensive students, had achieved degrees lower than would have been expected from their prior attainment (see 3.2.6 below). Although school type was taken into account in the modelling of the data, it was considered important to ensure that the strength of the UNIdiff finding was not overstated. A further model was therefore run excluding students who had attended either independent schools or grammar schools. In this model the UNIdiff coefficients are similar, and remain significant for equations 1 and 3 . This indicates that, for a student of average attainment either from a comprehensive school or an FE college, it is more difficult to obtain a first class honours degree from a highly selective university (i.e. a university

[^12]with a high UNIdiff value) than a less selective one. Also, that a student is more likely to get a third class degree, rather than a 2:2 or higher, at a highly selective university than a student with similar attainment at a less selective one.

In almost all subject areas (14 out of 17), the Sutton Trust 'Top 30' universities actually gave out proportionally more first class degrees within our sample than the 'other' universities, so the UNIdiff finding is not simply due to fewer firsts being awarded at these highly selective universities. It suggests that due to the large number of very able students competing for first class honours, it is more difficult to obtain this classification in highly selective universities than in less selective institutions. Although this finding goes beyond the objectives of the study it emerged as a by-product of the main analysis and as such has been reported. To what extent students are already aware of this when applying to universities is unclear and whether they are nevertheless prepared to join such highly competitive environments due to the 'market value' of the degrees they obtain when they graduate.

### 3.2.6 Type of school or college attended

Another variable that has a significant impact on students' degree outcomes is the type of academic institution attended prior to university. The impact of school type on degree outcome for a student of average attainment is shown in Figure 3.5. This figure is once again based on model 2 from Table 3.2.

Figure 3.5 Probability of degree outcome by school type (based on model 2 from Table 3.2)


Students from grammar schools or independent schools are likely to achieve a class of degree that is slightly lower than students from comprehensive schools with similar prior attainment. As can be seen in the figure above, the probability of students from comprehensive schools (with average attainment for the graduate sample) obtaining a 2:1 or above is 78 per cent. For students from grammar schools with similar attainment the probability is 70 percent and for students from independent schools 63 per cent. Similarly, the probability of comprehensive school students obtaining a first class degree is ten per cent. This drops to seven per cent for similarly attaining students from grammar schools and only five per cent for similar students from independent schools.

To look at this in another way, independent or grammar school students, who achieve the same level of degree as students from a comprehensive school (with the same GCSE attainment and other background characteristics), are likely to have an average A level grade that is approximately 0.5 to 0.7 of a grade higher. Therefore a
comprehensive student with grades BBB is likely to perform as well at university as an independent or grammar school student with grades $A B B$ or $A A B$.

One perceived potential complication with this finding was the extent to which students from the various types of schools were disproportionately distributed in the highly selective universities. Students from independent schools and grammar schools tended on average to attend universities with UNIDiff values that were significantly higher than those attended by students from comprehensive schools or FE colleges. (The mean UNIdiff values by school type were 55 per cent, 42 per cent, 25 per cent and 30 per cent respectively.). However the model includes both the UNIDiff variable and school types meaning that there is still a significant difference attributable to school type over and above what is accounted for by the selectiveness of the university (UNIDiff). In other words, although independent and grammar school students disproportionately go to more selective universities they still perform less well than their peers. In one of the models reported later (section 5.1 and model 19 in appendix 3), students from the most highly selective universities (the Sutton Trust Top 30) were excluded, yet the grammar school and independent school coefficients were still significant. In other words students from independent and grammar schools are performing below expectations in other universities, not just the highly selective ones.

While there seems to be a persistent school type effect it is quite likely that it is a proxy for some other difference between the types of school; one possibility being school achievement. This issue was explored by removing the institution type variables (comprehensive schools, grammar schools, etc) from model 2 (the model including average A level performance) and adding schools' average total GCSE points scores. School-level GCSE performance was also found to be significantly associated with degree outcome; for students with the same prior attainment from different schools, the higher the school's performance the more likely these students were to get a lower class of degree. The effect size of school-GCSE performance was comparable with the effect size for grammar schools and FE colleges but less than the effect size for independent schools. The McFadden's $R^{2}$ for this model was 0.67 , which was less than the original model with school type ( $R^{2}=0.74$ ). Adding institution types back in, as well as school-level GCSE performance, resulted in the institution types being significant and GCSE performance becoming non-significant. So school-level GCSE performance explains less about degree outcomes than institution type.

### 3.3 Findings published in previous reports

In the initial phase of the research, relationships between the SAT® and other attainment measures were explored.

## Relationships between the SAT® and other attainment measures

(Kirkup et al., 2007)

- The mean SAT® scores of the study sample were very similar to US mean scores and individual items functioned in a similar way in comparable samples of UK and US students.
- The correlation between $A$ level scores and $S A T ®$ scores was 0.64 (i.e. high A level scores were generally associated with high scores on the SAT®).
- $\operatorname{SAT} ®^{8}$ scores and total $A$ level points related in similar ways to a number of educational and socio-economic factors (type of institution attended, ethnicity, eligibility for free school meals, etc), i.e. some groups performed less well across a range of attainment measures.
- Female students had higher total GCSE and A level point scores and achieved significantly higher scores on the SAT® Writing component than male students. Male students performed significantly better on the SAT® Mathematics component and on the SAT® as a whole.
- Regression analyses showed that female students, some ethnic minorities, students with special educational needs (SEN) and students learning English as an additional language (EAL) appeared to perform less well on the SAT® than would be expected from their GCSE and A level attainment.

More detailed analyses examined the relationships between the components of the SAT® and specific A level subjects.

## Relationships between the SAT ${ }^{\circledR}$ and A level subjects

(Kirkup et al., 2009)

- The relationships between the SAT® components and $A$ level subjects were not all the same. SAT® Maths was more strongly related to A level grades in predominately science based subjects whereas Critical Reading and Writing were more closely related to subjects such as History and English A levels.
- The mean SAT® scores associated with particular grades of A levels were at different levels for different subjects. (For example, the mean SAT® Maths score of students obtaining an A or B grade in Physics was over 600, whereas for Geography it was around 500.) This could be seen as reflecting a difference in the difficulty of different $A$ level subjects.
- Students studying A level mathematics achieved significantly higher SAT® Maths scores compared with those students not studying A level mathematics. This increase was similar for male and female students. The increase in SAT® Reading and Writing scores for students studying English at A level (compared with those not taking English) was somewhat greater for male students than for female students.
- Over a number of different subject areas, male students tended to achieve higher SAT® scores than female students with the same grade in the same $A$ level subject. There was some evidence that differences between male and female scores on the SAT® were related to test-taking strategies, particularly differences in omission rates on SAT® items.

A subsequent analysis phase explored the relationships between the various attainment measures (including the SAT®) and participation in HE. The minimum entry points requirement for each HE course was obtained (wherever possible) in order to evaluate whether students had obtained places on courses commensurate with their prior attainment. These relationships were first explored using 2006 HE entry data only and were subsequently updated using combined 2006 and 2007 entry data (to include gap year students, deferred entrants, etc).

## Relationships between attainment and HE participation <br> (Kirkup et al., 2010)

Performance at A level was the strongest predictor of participation in HE and of obtaining a place on a 'prestigious' course with high entry point requirements. Prior attainment at GCSE and SAT® scores were also significant. For students with similar A level and GCSE attainment and similar background characteristics, but different SAT® scores, those with higher SAT® scores were more likely to be in HE. Relationships between HE destinations and students' background characteristics were as follows:

Comparing participants in the study with similar prior attainment:

- Girls were more likely to be in HE than boys.
- Asian and Black participants were more likely to be in HE and Chinese participants less likely to be in HE compared with White participants.
- Participants with English as an additional language (EAL) were more likely to be in HE than those with English as a first language.
- Within HE, girls tended to enter courses with lower entry requirements than would be expected compared with boys.
- Asian students and EAL students tended to enter courses with higher entry requirements than would be expected compared with white students and nonEAL students respectively.
- Students in grammar schools tended to enter less prestigious courses than would be predicted from their attainment, while those in independent schools tended to achieve places on more prestigious courses.

See also section 4.3.

### 3.4 Summary of section 3

The primary aim of the study was to examine whether the addition of the SAT® alongside A levels is better able to predict HE participation and outcomes than A levels alone.

As reported previously, higher SAT® scores are associated with participation in HE but less strongly than either GCSEs or A levels.
'English' SAT® (mean Reading and Writing) scores correlate with degree classification outcomes and in the absence of any other reliable measures could be used to give some prediction of HE performance. However, the SAT® adds very little predictive power when combined with GCSE data only and does not provide any additional predictive power when both average A level and average GCSE performance are taken into account. Although the currently available data from GCSEs and A levels does not always provide sufficient information to resolve all HE admissions decisions, this research indicates that adopting the SAT® would not provide a solution to predicting undergraduate success in the UK.

In addition to the main finding in respect of the $S A T ®$, several other general findings have emerged from modelling the degree outcome data. Some of these support research carried out elsewhere.

- The relationship between degree performance, prior attainment and the type of school attended suggests that students from comprehensive schools are likely to do better in HE than students with similar attainment from grammar and independent schools.
- Girls are more likely to be in HE than boys with similar attainment, yet girls tend to enter courses with lower entry requirements than would be expected from their attainment compared with boys.
- Neither gender nor ethnicity is significantly related to degree outcome, when prior attainment is taken into account, e.g. male students are neither more likely nor less likely to do better at university than female students with the same prior attainment.

See section 7 for a discussion of these and other issues arising from this research.

## 4 Disadvantaged students

One specific issue for the study to address was whether the SAT® could identify students with the potential to benefit from higher education whose ability was not adequately reflected in their A level results because of their (economically or educationally) disadvantaged circumstances. In the past, an argument put forward for the $S A T ®$ is that it measures aptitude rather than attainment and is therefore less dependent on a student's socioeconomic background and schooling - although the evidence does not unequivocally support this view (see McDonald et al., 2001). In the McDonald study (using three samples of students from low-attaining schools, high-attaining schools and independent schools), students were placed into three bands on the basis of their mean A level scores. Within each band, SAT® test scores tended to be lowest in the low-attaining schools and highest in the independent schools. However, the relationship between A levels and the SAT® was not a strong one; some students who scored highly on one measure did not do so on the other. It was reported that using SAT® scores in addition to A levels as a basis for selection to HE would increase the number of students considered for selection in all three samples. However, the percentage increase in the number of students that would be considered was highest in the low-attaining schools.

Assuming A levels do not adequately reflect the ability of some disadvantaged students, it would be likely that such students might exhibit inconsistent performance, i.e. perform better on the SAT® than in their A levels. Those who continue with further study would then be expected to do better than would be predicted by their A levels in HE. The thinking here is that it is only those with inconsistent performance who would be likely to benefit from the introduction of SAT®; those whose overall performance is well-reflected by A level would not be affected by the additional measure.

### 4.1 Measures of disadvantage

The measures available in this study to compare economic or educational disadvantage were Free School Meal entitlement (FSM), the Income Deprivation Affecting Children Index (IDACI), school-level GCSE performance and rates of progression into $\mathrm{HE}^{20}$. If the $\mathrm{SAT} ®^{\circledR}$ could help identify those with potential to benefit from higher education whose ability is not adequately reflected in their A level results, we would expect to find that those from more deprived backgrounds who did well on the SAT® but had less good prior attainment would do better than expected at university.

[^13]
### 4.2 Analysis of interactions between measures of disadvantage and degree outcomes

In order to see if the SAT® could identify those with the potential to benefit from HE , interaction terms were added to one of the models. Interaction terms look at variables in combination, in this case in pairs, to see if there is any differential relationship between them and degree outcome. For example, to examine how various measures of disadvantage, such as eligibility for free school meals, interact with attainment measures and the resultant impact on degree outcomes. Interactions between FSM, IDACI, sex, school-level GCSE performance, school-level HE progression rates, with each of average GCSE scores, English SAT® and Maths SAT® scores, were considered together with interactions between both English SAT® scores and Maths SAT® scores with A level point scores. Interactions with prior attainment (A level and GCSE) were included in the analysis so that we could ascertain whether the SAT® can indicate potential for certain types of students (e.g. boys, those from deprived areas, those from lower performing schools, those from schools that have lower HE continuation rates, those who were eligible for FSM), over and above what is indicated by their GCSE and A level scores.

Initially a model was constructed that included all the interaction terms, regardless of statistical significance. As so many of the interaction terms were not significant, the model was refined by removing those interactions that were furthest from being significant. As many of the variables and interactions are closely related to each other, when some of these non-significant interactions were removed from the model, changes to the behaviour of other interactions occurred, going from being significant to being non-significant or vice versa (a feature called co-linearity). Part of the process of modelling is to judge which ones to retain and which to remove. In a final version of the model there was a significant interaction between students' average GCSE performance and school-level HE progression rates. This shows that a student with a high GCSE score who attends a school from which many students go on to HE is more likely to get a better class of degree than a student with a high GCSE score from a school with fewer students continuing into HE. Alternatively, comparing students from schools with similar HE progression rates, those with higher GCSE scores are more likely to get better degrees.

Some of the interactions between SAT® scores and the various measures of disadvantage were statistically significant but were not particularly robust due to the issue of co-linearity. They were not retained in the final model. Students' average GCSE performance as a stand-alone variable was not a significant predictor of degree class. This is because, in this interaction model, students' GCSE performance is subsumed within the various interactions. This shows that predicting
degree class from prior attainment alone is not straightforward, as attainment is mediated by many other factors.

The McFadden's $R^{2}$ of the final model was 0.66 . This is slightly higher than the McFadden's $R^{2}$ for model 3 (0.64) which is identical apart from the interaction terms. This indicates that while statistically significant, the interaction terms are only adding a small amount of additional information to the model.

The outputs from the final interaction model discussed above are presented in Table A3.17 in appendix 3.

### 4.3 Findings published in previous reports

In earlier phases of the research, relationships between the SAT®, attainment and background characteristics were explored. In these analyses it was found that performance on the SAT® was not independent of social background.

Score differences between different groups on the SAT® are well documented but are also found in most other measures of educational achievement (Camara and Schmidt, 1999). This was also the case in the current study with differences in all the main attainment measures (A levels, GCSEs and the SAT®) according to a number of different background variables (FSM eligibility, ethnicity, EAL, etc).

Some analyses focussed on particular background characteristics associated with disadvantaged circumstances. The first of these looked at performance on the SAT®.

## Relationships between the SAT® and background characteristics

(Kirkup et al., 2009)
Two measures of affluence / deprivation were used: one (IDACI - Income Deprivation Affecting Children Index) was from the Pupil Level Annual School Census (PLASC), and the other was based on students' questionnaire responses.

- When prior attainment at GCSE was not taken into account, students from schools with a higher IDACI index (i.e. from areas of low income households) did less well on the SAT® than students from less deprived areas with similar A level attainment. However, if prior attainment was included, students with similar A level and GCSE points performed similarly on the SAT® irrespective of household income.
- Using the affluence measure derived from the survey response, SAT® scores tended to be higher for more affluent students (compared with less affluent students with similar A level attainment). Scores were significantly higher on two components (Reading and Writing) when prior attainment (average GCSE score) was taken into account.

In a later phase of the research, the factors affecting participation in HE were explored, with a particular focus on students in educationally or economically disadvantaged circumstances.

## Relationships between attainment and HE participation <br> (Kirkup et al., 2010)

Performance at A level was the strongest predictor of participation in HE and of obtaining a place on a course with high entry point requirements. Prior attainment at GCSE and SAT® scores were also significant. Relationships between HE destinations and disadvantaged circumstances were as follows:

Comparing students in HE from maintained schools:

- Students from more deprived areas were on average just as likely to be studying at more prestigious institutions (or on courses for which there is fierce competition), as students from less deprived areas with similar attainment and background characteristics.

Comparing students in HE from both maintained and non-maintained schools (regression analysis using an affluence measure based on students' survey responses):

- More affluent students were more likely to be studying on courses with high entry point requirements than might be expected from their attainment.

Participation in HE was also related to school-level performance:

- GCSE performance at school level was positively related to the entry points of students' HE courses; i.e. students from high performing schools were more likely to achieve places on courses with high entry requirements than students from low performing schools when comparing students with the same level of attainment.
- For students with similar attainment from similar schools, those with higher SAT® scores were more likely to have achieved places on courses with higher entry point requirements than students with similar attainment but lower SAT® scores. The difference in course entry points was greater between students from low-performing schools compared with students from high-performing schools.


### 4.4 Summary of section 4

There is no evidence from the inclusion of interaction terms in the analysis that the SAT® identifies those students with the potential to benefit from higher education whose ability is not adequately reflected in their prior attainment. One difficulty with this analysis is that the students who have completed degrees are those who went into HE immediately after school. It was not possible to look at those students who did better than would be expected on the SAT® given their A level results and did not continue into HE .

## 5 High-achieving A level students

As stated in section 2.3, one of the main aims of the research was to ascertain:

- Can the SATB distinguish helpfully between the most able applicants who get straight A grades at A level?

In an earlier phase of the project it was discovered that there was considerable variation in the SAT® scores of those students who had gained three or more A grades at A level. This finding suggested that the SAT® might be useful to HE admissions staff to help them differentiate between candidates from this high-ability group, should the SAT® prove to be a valid predictor of degree outcomes.

In the graduate sample, 533 students had a minimum of three A grades at A level. The degrees obtained by these high-achieving A level students are shown in Table 5.1.

Table 5.1 Degree classification outcomes for high-achieving A level students

| Number of A grades at A level | First | $\mathbf{2 : 1}$ | $\mathbf{2 : 2}$ | 3rd $/$ <br> other | Total |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Three | 72 | 206 | 25 | 4 | 307 |
| Four | 48 | 125 | 6 | 0 | 179 |
| Five | 12 | 25 | 3 | 0 | 40 |
| Six | 5 | 2 | 0 | 0 | 7 |
| Total | 137 | 358 | 34 | 4 | 533 |
| Per cent | 25.7 | 67.2 | 6.4 | 0.8 | 100 |
| Graduate sample (per cent) | 11.8 | 58.6 | 25.9 | 3.7 | 100 |
| Dur |  |  |  |  |  |

Due to rounding, percentages may not sum to 100 .

As can be seen from the table above, the proportion of first class honour degrees awarded in this group of students is much higher than in the graduate sample as a whole.

Having established that the SAT® added very little predictive power to that of A levels and GCSEs in the general population (see section 3), the further issue to be explored was whether the SAT® was more useful in predicting the degree outcomes of high ability students. If higher SAT® scores were associated with higher degree
class, then the variation in SAT® test scores amongst this group might be helpful in the selection of applicants for HE.

Correlations were calculated between degree outcomes and the various measures of prior attainment (including SAT® scores). Due to the small size of this sub-sample and the restriction in the range of scores and degree outcomes, it was expected that these correlations would be relatively small compared to the graduate sample as a whole (see section 3.1). The correlations with degree class (in order of size) were:

- average A level points score (0.16)
- average KS4 (GCSE) points score (0.15)
- SAT® Writing score (0.11)
- SAT® Reading score (0.09)
- $\operatorname{SAT}{ }^{\circledR}$ Maths score (0.09)

Unfortunately, due to the small number of students with three or more A grades and insufficient variation in the degree outcomes it was not possible to use a multilevel ordered categorical model for this particular group of students only; the model failed to converge ${ }^{21}$. Two alternative means of exploring this issue were devised; firstly using the whole graduate sample and secondly using an alternative group of highachieving A level students, as described in section 5.1 below. A multilevel ordered categorical model was run using the complete graduate sample, flagging those students who had three or more A grades at A level and creating an interaction term for their SAT® scores. (The interaction indicates if there is a differential relationship between the SAT® and degree outcomes for students with fewer than three A grades compared with students with three or more A grades, i.e. does the SAT® tell us anything more about one group or the other.) In this model, A level performance was excluded because there would have been insufficient variation in students' A level scores. As might be expected, the higher the GSCE score the higher the class of degree students were likely to achieve. In terms of the SAT® interaction, this was non-significant, suggesting that the SAT® doesn't seem to indicate anything about high-achieving A level students that isn't already encapsulated in their GCSE results.

[^14]
### 5.1 High-achieving students in selective universities

As it was not possible to use a multilevel ordered categorical model for the 533 students with three or more A grades only, it was decided to explore the predictive power of the SAT® with a slightly larger group of 'high ability' students. For the purpose of this analysis the graduate sample was split into two groups: students attending highly selective universities in the Sutton Trust 'Top 30' (see definition in section 3.2.5) and students from all other universities. The Sutton Trust 'Top 30' (ST30) group was chosen as an appropriate alternative means of exploring the outcomes of high-achieving students due to the high entry qualifications generally demanded for admission to these universities. The graduates in the ST30 group were all relatively high ability A level students with 36 per cent of this group having obtained three or more A grades and 77 per cent having obtained at least one A grade (compared to three per cent and 24 per cent respectively in the 'other universities' group). The ST30 group included 496 of the 533 graduates with three or more A grades at A level.

The model including graduates from the 'other universities' was run purely for comparison purposes.

The coefficients of the models from the two groups are given in Table 5.2 and in Tables A3.18 and A3.19 in appendix 3.

Table 5.2 Multilevel ordered categorical regression of degree classification by type of university

|  | Sutton Trust ‘Top 30’ Model 18 |  |  | Other Universities Model 19 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | E1 | E2 | E3 | E1 | E2 | E3 |
| Constant | 4.364 | 1.899 | -1.715 | 3.458 | 0.695 | -2.478 |
| Total A level points (30) | 0.110 | 0.079 | 0.013 | 0.094 | 0.074 | 0.103 |
| Average KS4 points (6) | 1.081 | 1.156 | 1.130 | 0.371 | 0.570 | 0.590 |
| SAT® 'English' (mean Reading and Writing) score (10) | -0.000 | 0.024 | 0.030 | -0.008 | 0.008 | -0.035 |
| SAT® Maths score (10) | -0.033 | -0.051 | 0.018 | -0.008 | -0.012 | 0.021 |
| Prior attainment of University cohort (UNIdiff ) | -3.435 | -0.300 | -1.961 | -0.162 | 1.283 | -0.482 |
| Grammar school attended |  | -0.515 |  |  | -0.495 |  |
| Independent school attended |  | -0.532 |  |  | -0.644 |  |
| FE college attended | -0.330 |  |  | -1.004 |  |  |
| Number of cases |  | 1381 |  |  | 1373 |  |

## Notes:

Significant coefficients are emboldened
E1 = equation 1 (the probability of achieving 2:2 or higher rather than a third / other degree)
E2 = equation 2 (the probability of achieving a first or a 2:1 rather than a 2:2 or lower)
E3 = equation 3 (the probability of achieving a first rather than a $2: 1$ or lower)

The significant results for SAT® 'English' (the mean of the Reading and Writing components) show that these SAT® components are adding some information to the probability of achieving some types of degree class, but not consistently across different degree classes for the Sutton Trust ‘Top 30’ (ST30) or the other universities. In comparison, the coefficients for average KS4 points are much higher in both models and are associated with degree class in a consistent direction. Comparison of effect sizes indicates that the SAT® components are less useful indicators when looking at university outcome as whole, after prior attainment at GCSE has been taken into account.

Average KS4 points scores have higher coefficients in the ST30 universities model compared with the other universities model, and a comparison of effect sizes indicates that prior attainment at GCSE has a stronger relationship with degree outcome at the more selective universities compared with the other universities.

### 5.2 Findings published in previous reports

In the initial phase of the research, the extent to which the SAT® might distinguish helpfully between the most able applicants who got straight As at A level was investigated. In these analyses, a sub-group of students who achieved at least three A grades at A level was used; three A grades having been chosen as the benchmark for the level required to gain entry to some leading UK universities.

## Relationships between the SAT® and other attainment measures

(Kirkup et al., 2007)

- Students who had gained three or more grade As at A level achieved significantly higher scores than the rest of the sample on all components of the $\mathrm{SAT}{ }^{\circledR}$. There was considerable variation in the $\mathrm{SAT®}$ scores of this group offering the possibility of differentiation between high ability HE candidates (had the SAT® proven to be a valid predictor of degree outcomes).
- Students who achieved very high SAT® scores were not always the same students who achieved three or more A grades at A level and vice versa. Students who achieved very high SAT® scores but did not form part of the 'three A grades' group tended to be male students.
- Some students, who might have failed to gain admission to the most prestigious universities on the basis of their A level grades, nevertheless achieved scores in the top 15 per cent or even top five per cent of SAT® scores.


### 5.3 Summary of section 5

From these analyses, evidence indicates that the $S A T ®$ would not distinguish helpfully between the most able applicants who get straight A grades at A level. The SAT® components do add some information to the model for some classes of degree at highly selective universities, but add very little beyond the information provided by prior attainment, in particular prior attainment at GCSE.

## 6 Questionnaire findings

The student surveys give some contextual data to the main findings. However, due to the relatively small number of students in some of the survey sub-samples, in particular the 2008 survey; the findings must be treated with some caution.

Questionnaire data from the first two surveys in 2006 formed the basis of an affluence measure that was used in much of the early research. This was useful for comparing students from maintained schools with those from independent and FE colleges who did not appear on PLASC and for whom we therefore did not have the same level of background information. It is possible that any findings from this study may complement much larger ongoing research focussing specifically on attitudes to HE (e.g. Futuretrack - http://www.futuretrack.ac.uk/).

### 6.1 Relationships between degree outcomes and survey responses

Of the 2754 students in the graduate sample, 2352 had taken part in the first 2006 survey whilst still at school / college and 1290 had responded to the survey in autumn 2006 at the start of their first year in HE.

Responses to some survey questions were examined to see if there were any significant relationships between the types of response and the degree class obtained. These were just simple cross-tabulations and therefore did not take any other variables, most notably prior attainment, into account.

In the first survey, school / college students were asked if they had a specific job or career in mind that they would like to do in the future, with a choice of four responses: absolutely certain, fairly certain, unsure and no idea at all. It was hypothesised that students with a clear career direction would be more certain about subject / course choices and more motivated to do well at university. However, in the graduate sample those students who had been uncertain or had no career in mind at the start of their course had actually performed significantly better than those who had been absolutely or fairly certain about a job or career. Of course, it is highly likely that some students' career plans will have been formulated and others abandoned during the intervening years. Having checked the attainment of the various groups, it was found was that those seeking the academic challenge of HE without clear career plans were the highest attaining group of students and therefore more likely to do well.

In the same survey, students were asked about the number of books in the home, a characteristic of the home environment that is often associated with socio-economic
status (Clark and Akerman, 2006). As might be expected, those students with the largest reported number of books in the home achieved proportionately more first class and upper second class degrees than other groups of students.

In the second survey, having just started an HE course, students were asked if the place they had obtained was their first choice, second choice or obtained through 'clearing'22. Those who had obtained their first choice place had achieved significantly more first class and upper second class degrees than students who had taken a place that was either their second choice or obtained through clearing. Those who had failed to get their first choice (or second choice) had lower average attainment and had presumably not achieved the grades required for their original choices. However, although the proportions were smaller, some students in each group, including those who obtained places through clearing, had achieved first class degrees. This suggests perhaps that some students with slightly lower A level grades may have done better in HE than would have been expected.

Only 567 students in the graduate sample took part in the 2008 survey. The impact of differences in students' ratings of their universities and their enjoyment of HE on degree outcomes was explored, but due to size of this sub-sample these findings must be treated with caution.

In one section of the survey, students were asked whether they felt they had chosen the correct university, the correct course of subject, and whether studying for a degree was a worthwhile investment (using a three point scale of yes, not sure, no). Of these three, choosing the correct course or subject was significantly associated with degree outcome; those responding yes achieving proportionately more first class degrees. Students were also asked to rate various academic aspects of their university (tuition, pastoral support, study facilities and feedback on work or progress) using a five point scale from excellent to very poor. The first three of these were not significantly associated with the class of degree obtained but those who considered they had received feedback that was good or excellent had received more first class or upper second degrees than the other groups.

### 6.2 Findings published in previous reports

As well as providing some background details about their home and family circumstances, the first questionnaire in spring 2006 asked participating students about their experiences of school or college in years 12 and 13, their immediate plans after A levels and their views of higher education.

[^15]Findings from the spring 2006 survey - based on a maximum of 6825 students
(Kirkup et al., 2007)

- Ninety-two per cent of the students who completed the survey indicated that they would definitely or probably go to university in either 2006 or 2007.
- About 60 per cent of the students were absolutely certain or fairly certain what job they would like to do in the future. The most popular careers were medicine (15 per cent); engineering, science and IT (14 per cent); health and social welfare (12 per cent); and teaching (11 per cent).
- The most popular reasons for applying to university were subjects / courses ( 86 per cent), social life ( 65 per cent), career potential ( 65 per cent), requirement of chosen career ( 63 per cent), earnings potential ( 58 per cent).
- Over 120 institutions were cited as the preferred choice for higher education. The five institutions most frequently cited were the universities of Manchester, Leeds, Birmingham, Nottingham and Cambridge.
- The most important reasons for selecting a particular university were: academic reputation ( 75 per cent), facilities ( 74 per cent), location ( 67 per cent), social life (62 per cent), graduate employment prospects (49 per cent), best available course ( 48 per cent).
- Over 90 per cent of respondents indicated that their education in year 12 and year 13 had equipped them with useful skills and knowledge.
- Over 80 per cent had been given helpful information about university but less than 50 per cent felt they had been given good information about jobs and training or encouraged to look into vocational training.
- Although the majority of students thought their school had prepared them for studying at university, a sizeable proportion thought they were not very well prepared ( 24 per cent) or not at all well prepared (4 per cent).

The second survey in autumn 2006 asked students about their immediate post school / college situation and any current or future plans with regard to higher education.

## Findings from the autumn 2006 survey - based on a maximum of 3177 students <br> (Kirkup et al., 2007)

- Over three quarters of the autumn survey sample (approximately 2500 students) had started a course at an HEI in autumn 2006. Approximately 300 students planned to take a gap year, with a guaranteed or deferred place for autumn 2007, and approximately 400 had no immediate plans to enter HE.
- Eighty-six per cent of students in HE had obtained their first choice of university, six per cent had gained their second choice and eight per cent had obtained a place through the clearing system.
- Approximately 60 per cent of the students in HE had commenced three-year courses and a further 30 per cent were on four-year courses.
- Over 95 per cent were fairly confident or very confident of their ability to complete the course.

The final survey (December 2008) addressed students' views on life at university, asked them to rate various aspects of their university and indicate how much time they had spent carrying out various study and leisure activities.

Findings from the 2008 survey - based on a maximum of 1315 students in HE
(Kirkup et al., 2010)

There were some very large differences between students both in their reported term-time activities and also in the ratings of their universities, e.g.:

- the number of hours spent attending tutorials, lectures, etc and carrying out private study (even allowing for some intentional misreporting)
- the number of hours in paid employment during term-time
- the amount / quality of pastoral care / support
- the amount / quality of feedback on work / progress.

Approximately half of respondents reported at least one issue that had had a major impact on their likely degree classification and 18 per cent had asked for such issues to be taken into consideration.

Students with higher prior attainment scores appeared to have enjoyed HE the most.

## 7 Discussion

The objectives of the study were to investigate the following:

- Can the addition of the SAT® alongside A levels better predict HE participation and outcomes than A levels alone?
- Can the SAT® identify students with the potential to benefit from higher education whose ability is not adequately reflected in their A level results because of their (economically or educationally) disadvantaged circumstances?
- Can the SAT® distinguish helpfully between the most able applicants who get straight A grades at A level?

The conclusion from the current research study is the SAT® is unable to meet any of the above aims in any significantly useful way. Other emerging findings described in the previous sections may have possible implications for future HE admissions policy and practice.

### 7.1 General discussion of the results relating to the SAT®

Establishing the predictive validity of measures used to predict future performance is by no means straightforward and this was made particularly difficult in this study for a number of unchangeable considerations. The range of the criterion, the degree classification, was extremely restricted, with very few students obtaining below an upper-second class degree. The score ranges of the predictor variables were also severely restricted because the graduate sample was a relatively high ability group and those who did not go into HE were obviously excluded from the graduate outcome analysis. Thus some variation in the test scores was lost. It is also likely that there is lack of comparability in the degree classifications across different courses and institutions, although this was controlled for to some extent by the multilevel structure and the inclusion of the UNIdiff measure.

Partly as a result of the restricted ranges of the predictors and the criterion, the correlations between the various pre-admission measures and degree outcomes were relatively weak. The SAT® was a weak predictor of degree outcomes. The best predictors of degree class were average performance in A level and GCSE examinations. Having taken these into account the SAT® did not add to the predictive power of the model to any significant degree.

One reason for the failure of the SAT ® to add any significant predictive power is that it is possible that the underlying constructs assessed by the SAT® and A levels are now too similar. In an earlier study reported in 2001 (McDonald et al., 2001) using an
earlier version of the SAT®, it was concluded that it was assessing a somewhat distinct construct from A levels. Changes to the SAT® in 2005, with the introduction of the essay and some higher order maths items, may have weakened the underlying difference between the SAT® and A levels. In 2007, Cambridge Assessment mapped the content of the SAT® against GCSE papers in English and mathematics (higher tier) and concluded that much of the content of the SAT® is included in the National Curriculum programmes of study for English and mathematics (Cambridge Assessment, 2007). It may be that despite changes to the content of the SAT® and some overlap with GCSE and A level content, it is still not as good a predictor of undergraduate performance as nationally produced curriculum-based qualifications that are closer in content to UK university courses.

Whatever the reason, it is clear that the $\mathrm{SAT}{ }^{\circledR}$ is not predicting graduate outcomes in any way that suggests it would be helpful in identifying young people who would do well at university (assuming they already have A level and GCSE data). Despite considerable variation in SAT® scores between HE applicants with similar A level attainment, this variation has not proved to be useful in predicting degree outcomes.

Other aptitude or admissions tests may also differentiate between applicants in terms of test scores but such differentiation may not be helpful in predicting undergraduate success. Aptitude tests or other admissions tests may well be useful in contexts where other attainment data is lacking. However, the use of any admission test needs to be validated; supported by evidence that it is a reliable and valid measure of HE performance.

### 7.2 Attainment and degree outcomes

One of the initial reasons for undertaking this study was that it was hoped to offer additional information to assist HE admissions departments in selecting those candidates who would perform well at university. In particular, it was hoped it would help the admissions departments of highly selective universities (where the demand for places far exceeds the supply available) to differentiate between equally highly qualified students. Since the start of this study there has been a change in the $A$ level qualifications available with the introduction of the $A^{*}$. Although this may reduce the ceiling effect to some extent, it may not resolve the issue for some highly selective courses and universities. Another way to differentiate between A level students (particularly for students with one or more $A^{*}$ grades) would be to offer universities UMS marks, indicating the variation in actual marks underlying equivalent grades. However, the extent to which this information might be useful in predicting degree outcomes requires further investigation. The variation in A level marks within such a restricted range of ability may not add sufficient predictive power to be meaningful.

Although the SAT® does not appear to offer any help as an additional indicator of degree performance, some of the supplementary findings emerging from this study lend support to some previous research findings and add to a body of evidence that may be useful in guiding future policy and practice.

Firstly, this study suggests that the strongest predictor of degree performance is average performance at A level (slightly better predictor than average GCSE which in turn is slightly higher than total A level point score). Admissions departments will of course be interested in performance in specific subjects relevant to the degree course applied for. Having taken such performance into account, this study would suggest that it would be more useful for selectors to focus on the average A level grade or equivalent obtained rather than the total points accumulated. A previous study, albeit based on a single cohort of students, concluded that average A2 level grades gave a better prediction of first year university performance than points achieved (McKay, 2006). For example, it was reported that a student with grades AB (220 UCAS points) was likely to outperform a student with BBE or CCC (both 240 points). This also raises the issue as to whether better predictions of undergraduate performance could be obtained by using actual grades rather than predicted grades. Research commissioned from UCAS (DfES, 2005) concluded that predicted grades were accurate in only 45 per cent of cases and that this accuracy diminished with socio-economic status. For example, it was calculated that only 39 per cent of students in the lowest socio-economic group received accurately predicted grades compared with 51 per cent in the highest socio-economic group. It was also found that students from lower socio-economic groups were more likely to receive underestimated predicted grades than students in the higher socio-economic groups. One reason for less accurate predictions for students in lower socio-economic groups is that A grades are generally more accurately predicted and fewer students in such groups achieve A grades. Whatever the reasons for the imprecision of some predicted grades, it could be argued that a post-qualification system (based on actual grades) would give selectors a more accurate prediction of applicants' university performance. This would assist students from disadvantaged backgrounds who may suffer disproportionately from the use of predicted grades for offers of university places.

As part of the comparison with the $S A T ®$, this study has only examined the power of A levels and GCSEs to predict degree outcomes. With proposed changes to GCSEs and $A$ levels (although at this point the future of diplomas is uncertain) it would be beneficial to research whether equivalent qualifications also predict undergraduate success and to compare the predictive validity of different types of qualifications.

### 7.3 Contextual data and degree outcomes

One of the key findings from this study is that students who had attended comprehensive schools were likely to achieve higher degree classifications than students from grammar schools and independent schools with the same prior attainment. For example, a student from a comprehensive school with A level grades ABB is likely to perform better at university than a student from a grammar school or an independent school with the same grades. This supports previous findings from small studies at individual universities (e.g. Ogg et al., 2009) and also from research studies based on large datasets that have compared students from state schools and private schools (Smith and Naylor, 2001; HEFCE, 2003). Collectively, these studies would suggest that HE admissions departments should take into account the type of school attended when selecting from amongst equally qualified candidates. Ogg argues that teaching effects at independent schools inflate the qualifications obtained by their students, giving an inaccurate indicator of potential for HE compared with students in the maintained school sector. He therefore suggests that slightly lower admission requirements for state school students are justified. In the HEFCE research, students from state schools with A level grades ABB were found to perform as well as students from independent schools with grades AAA. Our study arrives at a very similar conclusion for comprehensive school students compared with students from both independent schools and grammar schools (see section 3.2.6).

Comparing students from different school types (or adjusting for school type) is not totally straightforward. The analyses in this study were based on the schools where the students took their A levels (and the SAT®). However, adjustment for school type would probably have to take into account a student's complete secondary school history, given the fact that many students transfer from one school type to another (e.g. independent school to sixth-form college) to take their A levels. Also, where there is a ceiling effect (for example candidates with three $\mathrm{A}^{*}$ grades), grade information only does not reveal whether the attainment of the candidates is exactly the same. A candidate from a grammar school may have higher raw marks than a student from a comprehensive school or vice versa. This would strengthen the argument for universities seeing UMS marks for very high ability students.

School type is only one element in the school-level educational context in which students achieve their academic qualifications. Other school-level factors include IDACI (based on the postcode of the school), HE progression rates and school-level performance. As well as the educational context there are also the individual circumstances of each student to consider, which may include background characteristics such as socio-economic group, IDACI (based on home postcode), FSM eligibility, Educational Maintenance Allowance (EMA) eligibility, etc.

As outlined in section 4.2, there appeared to be a significant interaction between students' GCSE performance and school progression rates into HE. Students with high scores from schools with low HE progression rates were likely to do less well than students with similar scores from schools with high rates. Whatever the reasons for this, it could be argued that the progression rates of schools from which few students continue into HE should be improved and that in the interim their students may need more support at university in order for them to fulfil their potential.

The issue of school progression rates, particularly in relation to applications to the most academically demanding HE courses, has been reported recently by The Sutton Trust (Sutton Trust and BIS, 2009). It was found that although the single most important factor in obtaining a place on an academically challenging course was a student's A level performance, differences in participation rates on the most selective courses could be explained to a large extent by differential application patterns by different types of school or college. Pupils from independent schools were likely to make twice as many applications to 'Sutton 13 '23 universities as students from comprehensive schools with similar overall attainment. Also, applications from FE colleges were less than half of those from other types of school.

Making use of contextual data (including educational and socio-economic background data) has always been an option for admission tutors but discussion of its use has come into prominence recently following the Sutton Trust report and a further report published this year about the lack of progress in widening participation in the most selective universities (Harris, 2010). Candidates from the most advantaged 20 per cent of young adults are seven times more likely to obtain a place at a selective university than candidates from the least advantaged 40 per cent of young people and the relative chances of students from the most disadvantaged groups attending a selective university have slightly decreased over the past 15 years (Harris, 2010). Supporting Professionalism in Admissions (SPA) has suggested a range of broad principles to guide the use of contextual data and is supporting universities in developing good practice (http://www.spa.ac.uk). Several universities are already taking contextual data into account in their admissions procedures, or are considering how they might do so, as evidenced at a recent research seminar hosted by Bristol University ${ }^{24}$. Similar approaches are also being adopted by some universities in the US; for example, the University of California uses a points system that offers 'bonus' points to candidates who have overcome 'extraordinary life challenges' (USCCR, 2002).

[^16]Recently it has been suggested that there is a need for 'sophisticated use of 'baskets' of data and information, finely tuning the decision process to the requirements of specific courses' (Oates, 2010). Alternatively, systems for formalising the process of including contextual data have been put forward, for example, a system of ranking university applicants that includes both attainment data and educational context based on a deprivation measure for each school or year group rather than individual circumstances (Stringer, 2008). Although not the focus of our study, the findings relating to school type and school progression rates into HE, indicate that educational context has a significant impact on degree performance and should be further investigated.

Although some proportion of the variance in degree outcomes is accounted for by prior attainment, it can be hypothesised that other factors such as individual personality characteristics and motivation can have a considerable influence. The 'Fair Enough?' study (Universities UK, 2003) has identified those behaviours most commonly associated with undergraduate success (able to manage self, works well independently, motivated to learn, demonstrates an interest in subject area). However, the difficulty for admissions departments is recognising the likelihood of such behaviours from the personal statements and other evidence presented to them pre-admission. The social and educational context in which the student has obtained their qualifications may be an important indicator of whether a student is likely to exhibit those behaviours linked to undergraduate success.

### 7.4 Conclusion

The conclusion of this study is that the SAT® will not help admissions departments to differentiate between applicants, because it is only an alternative to other measures of attainment rather than an additional indicator. It supports indications that some forms of contextual data may be useful to select from among equally qualified candidates. It also supports the original recommendation of the Schwartz report that any tests or procedures used to select HE candidates should demonstrate that they are valid predictors of future performance.

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# Appendix 1: Methodology 

## A1.1 Participation

In September 2005, all maintained and independent schools and colleges in England with students in Year 13 were invited to participate in the research by administering the SAT® to any students studying two or more (A2) A levels. At the institution level, a large majority did not wish to participate; the primary reason given by schools and colleges was the length of the test ( 3 hours 20 minutes) - either because of difficulties fitting it into the timetable or due to concerns about taking students away from A level study time. The other major reason cited was lack of time either through pressure of work or staff commitments.

In total, SAT® familiarisation packs and test materials were sent to 43,429 students at 660 institutions that had agreed to assist with the study. By the end of the testing period, at the end of January 2006, 294 institutions had returned completed SAT® tests for a total of 9207 students. Participation by students was voluntary and, on average, 31 students per school / college participated in the study. The main reasons given for withdrawal or for returning materials unused were that time commitments prevented them from being able to administer the tests ( 115 schools / colleges) or the length of the test itself ( 79 schools / colleges). A very small number of schools and colleges had concerns focussed on the content of the test, for example, that the mathematics component was too demanding for students not studying mathematics, that some sections were repetitive, or that the test had not been anglicised for English students. Despite attempts to contact non-responding schools and colleges, 170 schools / colleges failed to return test materials or to provide a reason for their non-return.

The completed answer sheets were shipped to the US and, with the exception of the essay section, were machine-scored by Educational Testing Services (ETS). Each essay was scanned and then independently scored by two 'readers' or human markers. If the two scores differed by more than one point, the essay was sent to a third senior marker for resolution. Scaled scores for each student and other itemlevel data were returned to NFER in March 2006.

## A1.2 Data matching

Following the receipt of A level results from the DfES in December 2006, students in the SAT® sample were matched to their attainment data. Students were excluded from the analysis if they had withdrawn from the study or if they did not have, or
could not be matched to, GCSE and A level data. The number of students with the required data was 8041 , which became the main sample.

In early 2008, the Higher Education Funding Council for England (HEFCE) matched participants in the SAT® study to the HESA and ILR databases of 2006 HE entrants. According to their records, 5808 of the 8041 participants were enrolled on HE courses in the academic year 2006/07. In 2009 a further matching exercise took place, using the HESA /ILR databases for the 2007/08 academic year. In that year 6414 of the 8041 students in the sample were successfully matched to an HE course, largely at higher education institutions but with a very small number studying within the Further Education (FE) sector.

## A1.3 Surveys

Over the course of the five-year project, participants have been asked to complete three questionnaires. These were in March 2006, September 2006 and December 2008.

The March 2006 questionnaire was administered to participants in their school or college. It asked for some background details about home and family circumstances and about their experiences of school or college in Years 12 and 13, their immediate plans after A levels and their views of higher education. To maximise the response rate, questionnaires were despatched to the home addresses of the non-responding students, although the vast majority of the questionnaires were returned via students' schools and colleges.

The September 2006 questionnaire was sent to 8814 students (excluding withdrawals) who had supplied a home address for future contact. The autumn survey elicited information on participants' post A level destinations. To thank students for their continued participation in the research, students were offered the opportunity to enter a prize draw. As well as completing the questionnaire students were asked to provide, or update, their email address for future email contact. The questionnaire was offered both on paper and online.

In December 2008, study participants for whom we still had contact details (8428) were sent a third questionnaire about their experiences of work or higher education since leaving school or college. Participants were offered paper-based and online versions to complete.

The numbers of responses to the three surveys from participants in the main sample (with full attainment data) were 6189, 3177 and 1427 respectively. Thirty-four per cent of the sample ( 2750 students) responded to the first two surveys and thirteen per cent (1065 students) responded to all three.

Full details of the survey samples, the findings and copies of the questionnaires annotated with students' responses are given in the spring 2007 report and the 2010 update report.

## Appendix 2: Student samples and background characteristics

## A2.1 Overview of the main sample

Table A2.1 shows the background characteristics of the national population, the main sample and the graduate sample. The national population was derived from the National Pupil Dataset and consists of students who took two or more A levels in the academic year 2005/2006. The main sample contains all participants who took the SAT® and who were matched to the National Pupil Dataset to provide A level and GCSE attainment. Further details of these participants' background characteristics were obtained by combining information from the PLASC data for students from maintained schools with information supplied by individual FE colleges and independent schools. The graduate sample consists of those participants who graduated during the summer 2009. These are participants who went straight to university after school and completed a three-year undergraduate course.

As discussed previously (Kirkup et al., 2007), the main sample is broadly representative of the national population. There are some differences in ethnicity, slightly more Asian and Chinese students in the sample compared with the national population of A level students and slightly fewer Black students. The figures for students with special educational needs (SEN) and those eligible for free school meals may be somewhat distorted due to the large numbers of students in the national sample for whom data was missing. Approximately three per cent of the sample was known to be eligible for free school meals and between two and three per cent was known to be on the register of special educational needs. Missing data has been excluded in order to enable comparisons with the national data. With regard to the different types of educational institutions, independent schools and grammar schools are over-represented in the sample whilst FE colleges are substantially under-represented.

The graduate sample has a slightly higher proportion of females compared with the main sample and national population. There are similar proportions of each ethnic group compared with the main sample, although due to the total size of the graduate sample, the size of some of these groups is very small. In terms, of SEN, FSM eligibility and type of school attended, the graduate sample and main sample are also very similar. This does mean that compared with the national population independent and grammar schools are over-represented and FE colleges underrepresented.

The Income Deprivation Affecting Children Index (IDACI) was used to compare the level of deprivation of the graduate sample with the main sample and national population. IDACI is based on the proportion of children under the age of 16 in an area living in low income households. The national population and both the main and graduate samples all include students with an IDACI range between 5.4 and 47.0 and means between 20.2 and 20.4.

Table A2.1 Background characteristics of the graduate sample compared with the main sample and national population

|  |  | National population |  | Main sample |  | Graduate sample |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | N | Valid per cent | N | Valid per cent | N | Valid per cent |
| Sex | Male | 98625 | 45.6 | 3692 | 45.9 | 1171 | 42.5 |
|  | Female | 117718 | 54.4 | 4349 | 54.1 | 1583 | 57.5 |
| Ethnicity | Asian or Asian British | 7799 | 6.9 | 670 | 9.1 | 238 | 9.3 |
|  | Black or Black British | 2243 | 2.0 | 117 | 1.6 | 34 | 1.3 |
|  | Chinese | 996 | 0.9 | 116 | 1.6 | 36 | 1.4 |
|  | Mixed | 1392 | 1.2 | 145 | 2.0 | 47 | 1.8 |
|  | White | 93732 | 83.2 | 6212 | 84.4 | 2175 | 85.2 |
|  | Other | 6499 | 5.8 | 104 | 1.4 | 24 | 0.9 |
| SEN | No provision | 114818 | 97.9 | 7437 | 97.3 | 2585 | 97.5 |
|  | School Action (A) | 1632 | 1.4 | 137 | 1.8 | 48 | 1.8 |
|  | School Action Plus (P) | 474 | 0.4 | 35 | 0.5 | 8 | 0.3 |
|  | Statement of SEN (S) | 384 | 0.3 | 32 | 0.4 | 9 | 0.3 |
| FSM eligibility | Not eligible | 114058 | 97.2 | 7798 | 97.0 | 2692 | 97.7 |
|  | Eligible | 3250 | 2.8 | 243 | 3.0 | 62 | 2.3 |
| Type of Institution | Comprehensive | 99280 | 45.9 | 4200 | 52.2 | 1443 | 52.4 |
|  | Grammar | 19790 | 9.1 | 1701 | 21.2 | 609 | 22.1 |
|  | Independent | 32544 | 15.0 | 1800 | 22.4 | 583 | 21.2 |
|  | FE college | 64729 | 29.9 | 340 | 4.2 | 119 | 4.3 |
| Total |  | 216343 | 100 | 8041 | 100 | 2754 | 100 |

Due to rounding, percentages may not sum to 100.
School Action: interventions provided by the teacher and / or special needs co-ordinator that are additional to or different from those provided as part of the school's usual differentiated curriculum.
School Action Plus: the next stage in the SEN support process when external services are involved.

## A2.2 Background characteristics of each destination sub-sample

Table A2.2 compares the background characteristics of the destination sub-groups of the main sample. There are 3874 students that are still in HE. These are students that are on courses of four years or more, have repeated a year, or who started HE after 2006. Approximately three per cent of the sample has dropped out of HE.

|  |  | Didn't go to HE <br> Valid per cent ( $\mathrm{N}=1180$ ) | Dropped out <br> Valid per cent ( $\mathrm{N}=232$ ) | Still in HE <br> Valid <br> per cent <br> ( $\mathrm{N}=3874$ ) | $\begin{gathered} \text { Graduated } \\ 2009 \\ \text { Valid } \\ \text { per cent } \\ (\mathrm{N}=2754) \\ \hline \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Sex | Male | 52.5 | 46.1 | 46.3 | 42.5 |
|  | Female | 47.5 | 53.9 | 53.7 | 57.5 |
| Ethnicity | Asian or Asian British | 6.8 | 10.0 | 9.6 | 9.3 |
|  | Black or Black British | 2.0 | 6.8 | 1.3 | 1.3 |
|  | Chinese | 3.2 | 0.0 | 1.3 | 1.4 |
|  | Mixed | 1.4 | 0.9 | 2.3 | 1.8 |
|  | White | 85.1 | 79.5 | 83.8 | 85.2 |
|  | Other | 1.5 | 2.7 | 1.7 | 0.9 |
| SEN | No provision | 97.2 | 96.0 | 97.3 | 97.5 |
|  | School Action | 2.1 | 1.3 | 1.7 | 1.8 |
|  | School Action Plus | 0.4 | 1.3 | 0.5 | 0.3 |
|  | Statement of SEN | 0.3 | 1.3 | 0.5 | 0.3 |
| FSM eligibility | Not eligible | 96.3 | 93.1 | 96.9 | 97.7 |
|  | Eligible | 3.7 | 6.9 | 3.1 | 2.3 |
| Type of Institution | Comprehensive | 66.4 | 53.9 | 47.7 | 52.4 |
|  | Grammar | 13.9 | 24.1 | 22.5 | 22.1 |
|  | Independent | 15.2 | 19.4 | 25.6 | 21.2 |
|  | FE college | 4.5 | 2.6 | 4.2 | 4.3 |
| Total |  | 100 | 100 | 100 | 100 |

Due to rounding, percentages may not sum to 100 .
School Action: interventions provided by the teacher and / or special needs co-ordinator that are additional to or different from those provided as part of the school's usual differentiated curriculum.

School Action Plus: the next stage in the SEN support process when external services are involved.

The background characteristics of the 'Didn't go to HE', 'Still in HE' and 'Graduated 2009' sub-groups are broadly similar. The 'Dropped out' sub-group shows some variation, with more Black students and students that were eligible for FSM at school dropping out. However, this sub-group is much smaller than the other sub-groups.

## A2.3 Attainment scores

Table A2.3 compares attainment at A level and GCSE of the national population with the main sample and the destination sub-samples. Mean SAT® scores are shown for each sample.

|  | Table A2.3 | Attainment of the main sample and destination sub-samples (means) |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | National <br> population | Main <br> sample | Didn't go <br> to HE | Dropped <br> out | Still in <br> HE | Graduated <br> 2009 |  |
| Average <br> A level <br> points <br> score | 209.6 | 213.2 | 182.2 | 198.0 | 216.9 | 222.6 |  |
| Total |  |  |  |  |  |  |  |
| A level <br> points <br> score | 808.4 | 848.6 | 663.8 | 761.8 | 867.9 | 908.1 |  |
| Average <br> GCSE |  |  |  |  |  |  |  |
| points <br> score | 46.4 | 47.4 | 43.6 | 45.6 | 48.0 | 48.4 |  |
| Average <br> SAT® <br> score | . | 502 | 449.2 | 485.2 | 510.0 | 513.4 |  |
| SAT® <br> Reading | . | 500 | 440.3 | 481.5 | 508.8 | 514.2 |  |
| SAT® <br> Maths | . | 500 | 448.5 | 487.6 | 511.2 | 507.5 |  |
| SAT® |  | 505 | 458.9 | 486.4 | 510.2 | 518.5 |  |

As discussed in the 2007 report (Kirkup et al., 2007), the main sample spans a wide range of GCSE and A level ability, but both mean A level and GCSE achievement are statistically significantly higher than the national population. Comparing the destination sub-samples, the 'Didn't go to HE' sub-sample has the lowest attainment scores, followed by the 'Dropped out' and 'Still in HE'. The graduate sample has the highest attainment scores. This suggests one reason that participants in the 'Didn't go to HE' group did not go may have been due to low attainment, and that the 'Dropped out' group may have been less prepared or found it difficult to cope with

HE. It is likely that the 'Still in HE' group has slightly lower attainment than the graduate sample as those still in HE are a more diverse group of students - those who are on longer courses, those who did not go to university in the academic year following school, and those who have repeated a year or changed courses.

# Appendix 3: Statistical outputs from the multilevel ordered categorical models 

Multilevel ordered categorical models

In order to explain what a multilevel ordered categorical model is, each element is considered in turn:

- A multilevel model is one which takes into account the hierarchical structure of data; in this case students are clustered within universities. It might be expected that on average students will be more similar to other students at the same university than they are to students at other universities. Multilevel modelling allows this to be taken into account, and provides more accurate estimates of coefficients and their standard errors (hence ensuring that we can correctly determine whether an effect is statistically significant or not).
- Ordered refers to the fact that the outcomes of interest (degree results) can be placed in a definite order or rank. A first is better than a 2:1, which is better than a 2:2, and so forth. This differentiates it from unordered data, for example favourite colour.
- However, whilst degree outcomes are ordered, they are not on an interval scale; rather, they are categorical. An interval scale is one where the difference between each successive outcome is equal, for example years: the time between 2009 and 2010 is the same as that between 2008 and 2009). This cannot be said of degree outcomes - the difference between a first and a 2:1 is not necessarily the same as the difference between a 2:1 and a 2:2.


## Interpreting outputs

When categorical data is used in modelling, this is done by making comparisons between the different categories, for example comparing boys to girls. This is simple when there are only two categories, and requires only one equation. However, in our case there are four categories, with an order, which for each model requires three separate equations predicting:

1. the probability of achieving a third / other degree rather than a $2: 2$ or higher (OE1)
2. the probability of achieving a 2:2 or lower rather than a first or a 2:1 (OE2)
3. the probability of achieving a $2: 1$ or lower rather than a first (OE3).

Note that in each case these models consider the probability of achieving a given outcome, versus that of achieving a better outcome. This means that a positive coefficient relates to higher chances of the inferior outcome, and a negative coefficient relates to a lower chance of the inferior outcome (or equivalently a higher chance of the superior outcome). This can be confusing, and so although the findings are the same, the Original Equations (OE1, OE2 and OE3) were reversed in the main report for ease of interpretation (see section 3.2). ${ }^{25}$

So, taking as an example the coefficients for SAT® 'English' from (un-reversed) Model 1, these are negative and significant for all three equations. This means that a higher SAT® 'English' score is associated with a higher degree outcome, regardless of what degree you would otherwise expected to have achieved. The coefficients for Maths $\mathrm{SAT®}$, on the other hand, suggest that Maths SAT® has no impact on the chances of achieving a third versus higher; however it points to a higher chance of achieving a 2:2 or lower (versus a 2:1 or first), and a lower chance of achieving a 2:1 or lower (versus a first). So, a high Maths SAT® score is associated with a higher chance of achieving a high or low degree outcome (a first or a 2:2/third) as opposed to a 2:1.

## Common versus separate coefficients

In an ordered categorical model it is possible to include variables as either 'common' or 'separate' across the three equations. By including them as common we are assuming that the impact on the chances of improved degree outcomes are equal at all levels (chances of a first, 2:1, 2:2 or third); see for example the grammar and independent school variables. On the other hand, separate coefficients enable these to vary between equations.

In practice, there is a trade-off between keeping the model simple and enabling detailed differences to be investigated. Typically, variables are initially included separately across all three equations, but where the resulting coefficients are sufficiently similar the model is updated to include just one common coefficient.

[^17]| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons. (<=Third + others) | -3.489 | 0.123 | * |
|  | (OE2) cons.(<=2:2) | -1.043 | 0.065 | * |
|  | (OE3) cons.(<=2:1) | 2.091 | 0.080 | * |
| SAT® Maths | (mathscr1-gm)(<=Third + others) | 0.002 | 0.012 |  |
|  | (mathscr1-gm)(<=2:2) | 0.012 | 0.005 | * |
|  | (mathscr1-gm)(<=2:1) | -0.030 | 0.007 | * |
| SAT® | (litscr10-gm)(<=Third + others) | -0.040 | 0.014 | * |
| (mean Reading and | (litscr10-gm) $(<=2: 2)$ | -0.056 | 0.006 | * |
| Writing) | $(\mathrm{litscr} 10-\mathrm{gm})(<=2: 1)$ | -0.039 | 0.009 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | -0.449 | 0.429 |  |
|  | (UNIdiff-gm)(<=2:2) | -1.372 | 0.207 | * |
|  | (UNIdiff-gm)(<=2:1) | -0.156 | 0.264 |  |
| Type of school attended | fecoll.(<=Third + others) | 0.679 | 0.355 |  |
|  | grammar.(common coefficient) | 0.167 | 0.101 |  |
|  | indep. (common coefficient) | 0.190 | 0.108 |  |

$\mathrm{n}=2754$

Table A3.2 Model 2

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons. (<=Third + others) | -3.928 | 0.141 | * |
|  | (OE2) cons.(<=2:2) | -1.280 | 0.068 | * |
|  | (OE3) cons.(<=2:1) | 2.164 | 0.089 | * |
| SAT® Maths | (mathscr10-gm)(<=Third + others) | 0.009 | 0.012 |  |
|  | (mathscr10-gm)(<=2:2) | 0.025 | 0.006 | * |
|  | (mathscr10-gm)(<=2:1) | -0.020 | 0.007 | * |
| SAT® ${ }^{\circledR}$ <br> 'English' <br> (mean <br> Reading and Writing) | (litscr10-gm)(<=Third + others) | 0.010 | 0.016 |  |
|  | $($ litscr10-gm) $(<=2: 2)$ | -0.014 | 0.007 |  |
|  | $(\mathrm{litscr} 10-\mathrm{gm})(<=2: 1)$ | 0.005 | 0.010 |  |
| Average KS4 (GCSE) score | (avks4_6-gm)(<=Third + others) | -0.594 | 0.173 | * |
|  | (avks4_6-gm)(<=2:2) | -0.754 | 0.090 | * |
|  | (avks4_6-gm)(<=2:1) | -0.639 | 0.142 | * |
| Average KS5 (A level) score | (avK5-gm) (<=Third + others) | -0.025 | 0.004 | * |
|  | (avK5-gm) (<=2:2) | -0.020 | 0.002 | * |
|  | (avK5-gm) (<=2:1) | -0.026 | 0.004 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 1.872 | 0.537 | * |
|  | (UNIdiff-gm)(<=2:2) | 0.582 | 0.247 | * |
|  | (UNIdiff-gm)(<=2:1) | 1.718 | 0.311 | * |
| Type of school attended | fecoll.(<=Third + others) | 0.745 | 0.359 | * |
|  | grammar. (common coefficient) | 0.415 | 0.104 | * |
|  | indep. (common coefficient) | 0.734 | 0.115 | * |

$\mathrm{n}=2754$

Table A3.3 Model 3

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons.(<=Third + others) | -3.849 | 0.140 | * |
|  | (OE2) cons.(<=2:2) | -1.259 | 0.070 | * |
|  | (OE3) cons.(<=2:1) | 2.090 | 0.086 | * |
| SAT® Maths | (mathscr10-gm)(<=Third + others) | 0.018 | 0.012 |  |
|  | (mathscr10-gm)(<=2:2) | 0.030 | 0.005 | * |
|  | (mathscr10-gm)(<=2:1) | -0.015 | 0.008 | * |
| SAT® ${ }^{\circledR}$ <br> 'English' <br> (mean <br> Reading and <br> Writing) | (litscr10-gm)(<=Third + others) | 0.003 | 0.016 |  |
|  | $($ litscr10-gm) $(<=2: 2)$ | -0.018 | 0.007 | * |
|  | $($ litscr10-gm) $(<=2: 1)$ | -0.004 | 0.010 |  |
| Average KS4 (GCSE) | (avks4_6-gm)(<=Third + others) | -0.673 | 0.172 | * |
|  | (avks4_6-gm)(<=2:2) | -0.832 | 0.090 | * |
|  | (avks4_6-gm)(<=2:1) | -0.914 | 0.138 | * |
| Total A level points score | (totptse30-gm)(<=Third + others) | -0.089 | 0.022 | * |
|  | (totptse30-gm)(<=2:2) | -0.068 | 0.010 | * |
|  | (totptse30-gm)(<=2:1) | -0.042 | 0.013 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 1.292 | 0.513 | * |
|  | (UNIdiff-gm)(<=2:2) | 0.235 | 0.243 |  |
|  | (UNIdiff-gm)(<=2:1) | 1.156 | 0.305 | * |
| Type of school attended | fecoll.(<=Third + others) | 0.798 | 0.371 | * |
|  | grammar. (common coefficient) | 0.491 | 0.105 | * |
|  | indep. (common coefficient) | 0.514 | 0.115 | * |

$\mathrm{n}=2754$

Table A3.4 Model 4

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons. (<=Third + others) | -3.767 | 0.132 | * |
|  | (OE2) cons.(<=2:2) | -1.240 | 0.068 | * |
|  | (OE3) cons.(<=2:1) | 2.074 | 0.085 | * |
| SAT® Maths | (mathscr10-gm)(<=Third + others) | 0.018 | 0.012 |  |
|  | (mathscr10-gm)(<=2:2) | 0.030 | 0.005 | * |
|  | (mathscr10-gm)(<=2:1) | -0.015 | 0.008 | * |
| SAT® 'English' (mean Reading and Writing) | (litscr10-gm)(<=Third + others) | -0.006 | 0.015 |  |
|  | (litscr10-gm) $(<=2: 2)$ | -0.026 | 0.007 | * |
|  | $(\mathrm{litscr} 10-\mathrm{gm})(<=2: 1)$ | -0.009 | 0.010 |  |
| Average KS4 (GCSE) | (avks4_6-gm) (<=Third + others) | -0.998 | 0.154 | * |
|  | (avks4_6-gm)(<=2:2) | -1.062 | 0.084 | * |
|  | (avks4_6-gm)(<=2:1) | -1.066 | 0.130 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 0.523 | 0.474 |  |
|  | (UNIdiff-gm)(<=2:2) | -0.330 | 0.226 |  |
|  | (UNIdiff-gm)(<=2:1) | 0.824 | 0.289 | * |
| Type of school attended | fecoll.(<=Third + others) | 0.664 | 0.361 |  |
|  | grammar. (common coefficient) | 0.412 | 0.104 | * |
|  | indep. (common coefficient) | 0.635 | 0.114 | * |

$\mathrm{n}=2754$

## Table A3.5 Model 5

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons. (<=Third + others) | -3.814 | -3.814 | * |
|  | (OE2) cons.(<=2:2) | -1.220 | -1.220 | * |
|  | (OE3) cons.(<=2:1) | 2.134 | 2.134 | * |
| SAT® Maths | (mathscr10-gm)(<=Third + others) | 0.016 | 0.016 |  |
|  | (mathscr10-gm)(<=2:2) | 0.027 | 0.027 | * |
|  | (mathscr10-gm)(<=2:1) | -0.017 | -0.017 | * |
| SAT® <br> 'English' <br> (mean <br> Reading <br> and Writing) | (litscr10-gm)(<=Third + others) | 0.005 | 0.005 |  |
|  | (litscr10-gm)(<=2:2) | -0.016 | -0.016 | * |
|  | (litscr10-gm) $(<=2: 1$ ) | -0.002 | -0.002 |  |
| Average KS4 <br> (GCSE) | (avks4_6-gm)(<=Third + others) | -0.646 | -0.646 | * |
|  | (avks4_6-gm)(<=2:2) | -0.806 | -0.806 | * |
|  | (avks4_6-gm)(<=2:1) | -0.887 | -0.887 | * |
| Total A level points score | (totptse30-gm)(<=Third + others) | -0.092 | -0.092 | * |
|  | (totptse30-gm)(<=2:2) | -0.071 | -0.071 | * |
|  | (totptse30-gm)(<=2:1) | -0.045 | -0.045 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 1.278 | 1.278 | * |
|  | (UNIdiff-gm)(<=2:2) | 0.228 | 0.228 |  |
|  | (UNIdiff-gm)(<=2:1) | 1.149 | 1.149 | * |
| Type of school attended | fecoll.(<=Third + others) | 0.800 | 0.800 | * |
|  | grammar. (common coefficient) | 0.487 | 0.106 | * |
|  | indep. (common coefficient) | 0.519 | 0.116 | * |
| Sex | Female. (common coefficient) | -0.082 | 0.091 |  |
| Ethnicity | asian. (common coefficient) | 0.380 | 0.496 |  |
|  | black. (common coefficient) | -1.214 | 1.272 |  |
|  | chinese. (common coefficient) | -0.398 | 1.165 |  |
| Interactions: sex/ethnicity | female-asian (common coefficient) | -0.263 | 0.288 |  |
|  | female-black (common coefficient) | 0.900 | 0.732 |  |
|  | female-chinese (common coefficient) | 0.614 | 0.694 |  |

## Table A3. 6 Model 6

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons.(<=Third + others) | -3.096 | 0.305 | * |
|  | (OE2) cons. (<=2:2) | -0.859 | 0.178 | * |
|  | (OE3) cons. (<=2:1) | 1.604 | 0.211 | * |
| SAT® Maths | (mathscr10-gm)(<=Third + others) | -0.002 | 0.024 |  |
|  | (mathscr10-gm)(<=2:2) | 0.018 | 0.014 |  |
|  | (mathscr10-gm)(<=2:1) | -0.031 | 0.018 |  |
| SAT® <br> ‘English' <br> (mean <br> Reading and <br> Writing) | (litscr10-gm)(<=Third + others) | 0.028 | 0.030 |  |
|  | (litscr10-gm)(<=2:2) | 0.004 | 0.017 |  |
|  | (litscr10-gm)(<=2:1) | 0.017 | 0.021 |  |
| Average KS4 (GCSE) | (avks4_6-gm)(<=Third + others) | -0.381 | 0.391 |  |
|  | (avks4_6-gm)(<=2:2) | -0.683 | 0.229 | * |
|  | (avks4_6-gm)(<=2:1) | -0.807 | 0.295 | * |
| Total A level points score | (totptse30-gm)(<=Third + others) | -0.098 | 0.042 | * |
|  | (totptse30-gm)(<=2:2) | -0.058 | 0.024 | * |
|  | (totptse30-gm)(<=2:1) | -0.065 | 0.028 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 1.925 | 0.959 | * |
|  | (UNldiff-gm)(<=2:2) | 0.714 | 0.565 |  |
|  | (UNIdiff-gm)(<=2:1) | 2.121 | 0.651 | * |
| Type of school attended | fecoll. (<=Third + others) | 1.344 | 0.550 | * |
|  | grammar. (common coefficient) | 0.457 | 0.238 | * |
|  | indep. (common coefficient) | 0.596 | 0.293 |  |
| Sex | Female (<=Third + others) | 0.017 | 0.430 |  |
|  | Female (<=2:2) | -0.320 | 0.246 |  |
|  | Female (<=2:1) | -0.089 | 0.287 |  |

$\mathrm{n}=419$ (students taking 'maths-related' degrees)

Table A3.7 Model 7

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons. (<=Third + others) | -4.082 | 0.233 | * |
|  | (OE2) cons. (<=2:2) | -1.251 | 0.102 | * |
|  | (OE3) cons. (<=2:1) | 2.162 | 0.134 | * |
| SAT® Maths | (mathscr10-gm)(<=Third + others) | 0.001 | 0.016 |  |
|  | (mathscr10-gm)(<=2:2) | 0.025 | 0.007 | * |
|  | (mathscr10-gm)(<=2:1) | 0.000 | 0.009 |  |
| SAT® <br> ‘English' <br> (mean <br> Reading and Writing) | (litscr10-gm)(<=Third + others) | 0.012 | 0.019 |  |
|  | (litscr10-gm)(<=2:2) | -0.019 | 0.008 | * |
|  | (litscr10-gm)(<=2:1) | -0.014 | 0.011 |  |
| $\begin{aligned} & \text { Average KS4 } \\ & \text { (GCSE) } \end{aligned}$ | (avks4_6-gm)(<=Third + others) | -0.753 | 0.202 | * |
|  | (avks4_6-gm) (<=2:2) | -0.796 | 0.102 | * |
|  | (avks4_6-gm) (<=2:1) | -1.002 | 0.161 | * |
| Total A level points score | (totptse30-gm)(<=Third + others) | -0.078 | 0.027 | * |
|  | (totptse30-gm) (<=2:2) | -0.073 | 0.012 | * |
|  | (totptse30-gm)(<=2:1) | -0.037 | 0.015 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 0.746 | 0.626 |  |
|  | (UNIdiff-gm)(<=2:2) | 0.084 | 0.269 |  |
|  | (UNIdiff-gm)(<=2:1) | 0.991 | 0.345 | * |
| Type of school attended | fecoll. (<=Third + others) | 0.628 | 0.459 |  |
|  | grammar. (common coefficient) | 0.482 | 0.119 | * |
|  | indep. (common coefficient) | 0.517 | 0.127 | * |
| Sex | Female (<=Third + others) | -0.011 | 0.269 |  |
|  | Female ( $<=2: 2$ ) | -0.111 | 0.111 |  |
|  | Female (<=2:1) | 0.068 | 0.154 |  |

$\mathrm{n}=2335$ (students taking 'non-maths-related' degrees)

Table A3.8 Model 8

| Variables in <br> the model Parameter Estimate S. Error(u) | Significant |  |  |  |
| :--- | :--- | :---: | :---: | :---: |
| Constant | (OE1) cons.(<=Third + others) | -3.513 | 0.127 | $*$ |
|  | (OE2) cons.(<=2:2) | -1.052 | 0.068 | $*$ |
|  | (OE3) cons.(<=2:1) | 2.038 | 0.081 | $*$ |
| Maths KS4 / <br> GCSE score | (ks4maths)(<=Third + others) | -0.174 | 0.084 | $*$ |
|  | (ks4maths)(<=2:2) | -0.228 | 0.040 | $*$ |
|  | (ks4maths)(<=2:1) | -0.344 | 0.071 | $*$ |
| UNldiff | (UNldiff-gm)(<=Third + others) | -0.564 | 0.419 |  |
|  | (UNldiff-gm)(<=2:2) | -1.549 | 0.210 | $*$ |
| Type of school <br> attended | fecoll.(<=Third + others) | -0.562 | 0.267 | $*$ |
|  | grammar. (common coefficient) | 0.798 | 0.372 | $*$ |
|  | indep. (common coefficient) | 0.160 | 0.102 |  |

$\mathrm{n}=2625$

| Variables in <br> the model Parameter Estimate | S. Error(u) | Significant |  |  |
| :--- | :--- | :---: | :---: | :---: |
| Constant | (OE1) cons.(<=Third + others) | -3.484 | 0.126 | $*$ |
|  | (OE2) cons.(<=2:2) | -1.022 | 0.068 | $*$ |
|  | (OE3) cons.(<=2:1) | 2.065 | 0.082 | $*$ |
| SAT® Maths | (mathscr10-gm)(<=Third + others) | -0.013 | 0.011 |  |
|  | (mathscr10-gm)(<=2:2) | -0.007 | 0.005 |  |
|  | (mathscr10-gm)(<=2:1) | -0.040 | 0.007 | $*$ |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | -0.608 | 0.439 |  |
|  | (UNIdiff-gm)(<=2:2) | -1.824 | 0.216 | $*$ |
|  | (UNIdiff-gm)(<=2:1) | -0.461 | 0.264 |  |
| Type of <br> school <br> attended | fecoll.(<=Third + others) | 0.799 | 0.368 | $*$ |
|  | grammar. (common coefficient) | 0.109 | 0.102 |  |

$\mathrm{n}=2625$

## Table A3.10 Model 10

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons.(<=Third + others) | -3.510 | 0.127 | * |
|  | (OE2) cons.(<=2:2) | -1.052 | 0.068 | * |
|  | (OE3) cons.(<=2:1) | 2.055 | 0.082 | * |
| SAT® Maths | (mathscr10-gm)(<=Third + others) | -0.006 | 0.012 |  |
|  | (mathscr10-gm)(<=2:2) | 0.009 | 0.005 |  |
|  | (mathscr10-gm)(<=2:1) | -0.032 | 0.008 | * |
| Maths KS4 / GCSE score | (ks4maths)(<=Third + others) | -0.137 | 0.098 |  |
|  | (ks4maths)(<=2:2) | -0.266 | 0.045 | * |
|  | (ks4maths)(<=2:1) | -0.173 | 0.075 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | -0.518 | 0.447 |  |
|  | (UNIdiff-gm)(<=2:2) | -1.620 | 0.217 | * |
|  | (UNIdiff-gm)(<=2:1) | -0.326 | 0.267 |  |
| Type of school attended | fecoll.(<=Third + others) | 0.804 | 0.369 | * |
|  | grammar. (common coefficient) | 0.170 | 0.103 |  |
|  | indep. (common coefficient) | 0.156 | 0.112 |  |

$\mathrm{n}=2625$

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons.(<=Third + others) | -3.678 | 0.135 | * |
|  | (OE2) cons.(<=2:2) | -1.144 | 0.070 | * |
|  | (OE3) cons.(<=2:1) | 1.994 | 0.081 | * |
| English KS4 / GCSE score | (ks4eng)(<=Third + others) | -0.636 | 0.106 | * |
|  | (ks4eng)(<=2:2) | -0.643 | 0.054 | * |
|  | (ks4eng)(<=2:1) | -0.434 | 0.077 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 0.057 | 0.420 |  |
|  | (UNIdiff-gm)(<=2:2) | -1.048 | 0.212 | * |
|  | (UNIdiff-gm)(<=2:1) | -0.550 | 0.261 | * |
| Type of school attended | fecoll.(<=Third + others) | 0.731 | 0.389 |  |
|  | grammar. (common coefficient) | 0.243 | 0.103 | * |
|  | indep. (common coefficient) | 0.267 | 0.112 | * |

$\mathrm{n}=2625$

## Table A3.12 Model 12

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons. (<=Third + others) | -3.501 | 0.126 | * |
|  | (OE2) cons.(<=2:2) | -1.052 | 0.067 | * |
|  | (OE3) cons. $(<=2: 1)$ | 2.037 | 0.080 | * |
| SAT® Reading | (readscr10)(<=Third + others) | -0.019 | 0.011 |  |
|  | (readscr10)(<=2:2) | -0.031 | 0.005 | * |
|  | (readscr10)(<=2:1) | -0.036 | 0.007 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | -0.574 | 0.428 |  |
|  | (UNIdiff-gm)(<=2:2) | -1.484 | 0.208 | * |
|  | (UNIdiff-gm)(<=2:1) | -0.576 | 0.256 | * |
| Type of school attended | fecoll.(<=Third + others) | 0.816 | 0.366 | * |
|  | grammar. (common coefficient) | 0.144 | 0.102 |  |
|  | indep. (common coefficient) | 0.142 | 0.111 |  |

$\mathrm{n}=2625$

## Table A3.13 Model 13

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons.(<=Third + others) | -3.678 | 0.134 | * |
|  | (OE2) cons.(<=2:2) | -1.150 | 0.069 | * |
|  | (OE3) cons.(<=2:1) | 2.001 | 0.080 | * |
| SAT® Reading | (readscr10)(<=Third + others) | 0.005 | 0.012 |  |
|  | $($ readscr10)(<=2:2) | -0.011 | 0.005 | * |
|  | $($ readscr10)(<=2:1) | -0.026 | 0.007 | * |
| English KS4 / GCSE score | (ks4eng)(<=Third + others) | -0.653 | 0.114 | * |
|  | (ks4eng)(<=2:2) | -0.596 | 0.059 | * |
|  | (ks4eng)(<=2:1) | -0.314 | 0.083 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 0.024 | 0.432 |  |
|  | (UNIdiff-gm)(<=2:2) | -0.944 | 0.211 | * |
|  | (UNIdiff-gm)(<=2:1) | -0.312 | 0.264 |  |
| Type of school attended | fecoll.(<=Third + others) | 0.734 | 0.389 |  |
|  | grammar (common coefficient) | 0.272 | 0.103 | * |
|  | indep. (common coefficient) | 0.272 | 0.112 | * |

$\mathrm{n}=2625$

Table A3.14 Model 14

| Variables in <br> the model | Parameter | Estimate | S. Error(u) | Significant |
| :--- | :--- | :---: | :---: | :---: |
| Constant | (OE1) cons.(<=Third + others) | -3.678 | 0.135 | $*$ |
|  | (OE2) cons.(<=2:2) | -1.144 | 0.070 | $*$ |
|  | (OE3) cons.(<=2:1) | 1.994 | 0.081 | $*$ |
| English KS4 / | (ks4eng)(<=Third + others) | -0.636 | 0.106 | $*$ |
| GCSE score | (ks4eng)(<=2:2) | -0.643 | 0.054 | $*$ |
|  | (ks4eng)(<=2:1) | -0.434 | 0.077 | $*$ |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 0.057 | 0.420 |  |
|  | (UNIdiff-gm)(<=2:2) | -1.048 | 0.212 | $*$ |
| Type of school <br> (UNIdiff-gm)(<=2:1) | fecoll.(<=Third + others) | -0.550 | 0.261 | $*$ |
|  | grammar. (common coefficient) | 0.731 | 0.389 |  |
|  | indep. (common coefficient) | 0.267 | 0.103 | $*$ |

$\mathrm{n}=2625$

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons.(<=Third + others) | -3.537 | 0.128 | * |
|  | (OE2) cons.(<=2:2) | -1.078 | 0.070 | * |
|  | (OE3) cons.(<=2:1) | 2.016 | 0.081 | * |
| SAT® Writing | (writescr10)(<=Third + others) | -0.035 | 0.015 | * |
|  | (writescr10)(<=2:2) | -0.050 | 0.007 | * |
|  | (writescr10)(<=2:1) | -0.045 | 0.009 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | -0.474 | 0.437 |  |
|  | (UNIdiff-gm)(<=2:2) | -1.388 | 0.214 | * |
|  | (UNIdiff-gm)(<=2:1) | -0.614 | 0.264 | * |
| Type of school attended | fecoll.(<=Third + others) | 0.827 | 0.365 | * |
|  | grammar. (common coefficient) | 0.174 | 0.102 |  |
|  | indep. (common coefficient) | 0.193 | 0.112 |  |

$\mathrm{n}=2625$

## Table A3.16 Model 16

| Variables in the model | Parameter | Estimate | S. Error (u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons.(<=Third + others) | -3.690 | 0.135 | * |
|  | (OE2) cons.(<=2:2) | -1.156 | 0.070 | * |
|  | (OE3) cons.(<=2:1) | 1.992 | 0.081 | * |
| SAT® Writing | (writescr10)(<=Third + others) | 0.007 | 0.017 |  |
|  | (writescr10)(<=2:2) | -0.018 | 0.007 | * |
|  | (writescr10)(<=2:1) | -0.028 | 0.010 | * |
| English KS4 / GCSE score | (ks4eng)(<=Third + others) | -0.667 | 0.120 | * |
|  | (ks4eng)(<=2:2) | -0.579 | 0.061 | * |
|  | (ks4eng)(<=2:1) | -0.329 | 0.086 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 0.018 | 0.435 |  |
|  | (UNIdiff-gm)(<=2:2) | -0.937 | 0.214 | * |
|  | (UNIdiff-gm)(<=2:1) | -0.358 | 0.269 |  |
| Type of school attended | fecoll.(<=Third + others) | 0.766 | 0.385 | * |
|  | grammar. (common coefficient) | 0.275 | 0.103 | * |
|  | indep. (common coefficient) | 0.285 | 0.113 | * |

$\mathrm{n}=2625$

## Table A3.17 Model 17

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons. (<=Third + others) | -3.814 | 0.140 | * |
|  | (OE2) cons.(<=2:2) | -1.216 | 0.070 | * |
|  | (OE3) cons.(<=2:1) | 2.133 | 0.086 | * |
| SAT® Maths | (mathscr10-gm)(<=Third + others) | 0.018 | 0.012 |  |
|  | (mathscr10-gm)(<=2:2) | 0.030 | 0.005 | * |
|  | (mathscr10-gm)(<=2:1) | -0.014 | 0.008 |  |
| SAT® 'English' (mean Reading and Writing) | (litscr10-gm)(<=Third + others) | 0.004 | 0.016 |  |
|  | (litscr10-gm) $(<=2: 2)$ | -0.018 | 0.007 | * |
|  | (litscr10-gm) $(<=2: 1)$ | -0.003 | 0.010 |  |
| Average KS4 (GCSE) | (avks4_6-gm) (<=Third + others) | 0.093 | 0.290 |  |
|  | (avks4_6-gm)(<=2:2) | -0.072 | 0.249 |  |
|  | (avks4_6-gm)(<=2:1) | -0.128 | 0.279 |  |
| Total A level points score | (totptse30-gm)(<=Third + others) | -0.092 | 0.022 | * |
|  | (totptse30-gm) (<=2:2) | -0.070 | 0.010 | * |
|  | (totptse30-gm)(<=2:1) | -0.044 | 0.013 | * |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 1.329 | 0.508 | * |
|  | (UNIdiff-gm)(<=2:2) | 0.297 | 0.242 |  |
|  | (UNIdiff-gm)(<=2:1) | 1.241 | 0.307 | * |
| Type of school attended | fecoll.(<=Third + others) | 0.825 | 0.371 | * |
|  | grammar. (common coefficient) | 0.494 | 0.105 | * |
|  | indep. (common coefficient) | 0.554 | 0.116 | * |
| GCSE (pupil) / HE progression rate | K4prog.(common coefficient) | -0.010 | 0.003 | * |

$\mathrm{n}=2754$

| Variables in the model | Parameter | Estimate | S. Error(u) | Significant |
| :---: | :---: | :---: | :---: | :---: |
| Constant | (OE1) cons.(<=Third + others) | -4.364 | 0.242 | * |
|  | (OE2) cons.(<=2:2) | -1.899 | 0.118 | * |
|  | (OE3) cons.(<=2:1) | 1.715 | 0.119 | * |
| SAT® Maths | (mathscr1-gm)(<=Third + others) | 0.033 | 0.018 |  |
|  | (mathscr1-gm)(<=2:2) | 0.051 | 0.008 | * |
|  | (mathscr1-gm)(<=2:1) | -0.018 | 0.010 |  |
| SAT® <br> 'English' <br> (mean <br> Reading and Writing) | (litscr10-gm)(<=Third + others) | 0.000 | 0.024 |  |
|  | $(\mathrm{litscr} 10-\mathrm{gm})(<=2: 2)$ | -0.024 | 0.011 | * |
|  | $($ litscr10-gm) $(<=2: 1)$ | -0.030 | 0.013 | * |
| Average KS4 (GCSE) | (avks4_6-gm)(<=Third + others) | -1.081 | 0.280 | * |
|  | (avks4_6-gm)(<=2:2) | -1.156 | 0.146 | * |
|  | $($ avks4_6-gm)(<=2:1) | -1.130 | 0.198 | * |
| Total A level points score | (totptse30-gm)(<=Third + others) | -0.110 | 0.037 | * |
|  | (totptse30-gm)(<=2:2) | -0.079 | 0.016 | * |
|  | (totptse30-gm)(<=2:1) | -0.013 | 0.016 |  |
| UNIdiff | (UNIdiff-gm)(<=Third + others) | 3.435 | 1.179 | * |
|  | (UNIdiff-gm)(<=2:2) | 0.300 | 0.541 |  |
|  | (UNIdiff-gm)(<=2:1) | 1.961 | 0.598 | * |
| Type of school attended | fecoll.(<=Third + others) | 0.330 | 0.823 |  |
|  | grammar. (common coefficient) | 0.515 | 0.147 | * |
|  | indep. (common coefficient) | 0.532 | 0.152 | * |

$\mathrm{n}=1381$ (graduates of Sutton Trust 'Top 30' universities)

## Table A3.19 Model 19

| Variables in <br> the model | Parameter |  |  | S. Error(u) |
| :--- | :--- | :--- | :--- | :--- | Significant

$\mathrm{n}=1373$ (graduates of other universities excluding Sutton Trust 'Top 30')

# Appendix 4: Measuring the goodness of fit of ordered categorical models 

In a linear regression model, we can calculate the $R^{2}$ statistic as a measure of the goodness of fit of the model. The value is always between zero and one, and can be interpreted as the proportion of the variation in outcomes which is explained by the model. However, for categorical models it is not possible to calculate an $R^{2}$ statistic (intuitively, the difficulty becomes clear when one considers what could be meant by the 'proportion of variation in outcomes' for a categorical outcome).

Instead a pseudo- $R^{2}$ such as McFadden's $R^{2}$ is used, which, whilst being calculated in a very different manner to the normal $R^{2}$, is analogous to it. McFadden's $R^{2}$ is a measure of the goodness of fit of the model and takes values between zero and one; however it cannot be interpreted as the proportion of variation explained by the model. A rule of thumb is that values between 0.2 and 0.4 indicate a very good model fit. ${ }^{26}$

McFadden's $R^{2}$ is calculated by comparing the log-likelihood ${ }^{27}$ of the model in question with that of a 'base' model containing no explanatory variables. The greater the improvement in log-likelihood achieved through inclusion of explanatory variables, the higher the value of McFadden's $R^{2}$. Note that because of its reference to a base model, values should only be compared across models where they share a common base (i.e. they make use of the same outcome variables and include the same set of students). For example, this means that values should not be compared between the maths subject and non-maths subject models (models 6 and 7 ).

[^18]
# Table A4.1 McFadden's $\mathbf{R}^{2}$ for the ordered categorical models 

4 Core model + average KS4 points
Core model + average KS4 points + total A levels points+ sex + ethnicity
6 Model $3+$ sex for students studying maths subjects only Base case for model $6(\mathrm{~N}=419)$
7 Model $3+$ sex for students studying non-maths subjects only Base case for model $7(\mathrm{~N}=2336)$

KS4 maths + UNIdiff + school type 0.00
$9 \quad$ SAT® Maths + UNIdiff + school type 0.01

10 KS4 maths + SAT® Maths + UNIdiff + school type 0.06
11 KS4 English + UNIdiff + school type 0.29
12 SAT® Reading + UNIdiff + school type 0.02

13 KS4 English + SAT® Reading + UNIdiff + school type 0.33
14 KS4 English + UNIdiff + school type 0.29
15 SAT® Writing + UNIdiff + school type $\quad 0.06$
16 KS4 English + SAT® Writing + UNIdiff + school type $\quad \mathbf{0 . 3 2}$
Base case for models 8-16 $(\mathrm{N}=2625)$
$\begin{array}{ll}\text { Model } 3 \text { + interactions } & \mathbf{0 . 6 6}\end{array}$
$\begin{array}{ll}\text { Model } 3 \text { for Sutton Trust Top } 30 \text { students only } & \mathbf{0 . 9 4}\end{array}$
Base case for above ( $\mathrm{N}=419$ )
Model 3 for non-Sutton Trust university students only 0.42 Base case for above ( $\mathrm{N}=419$ )
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[^0]:    ${ }^{1}$ The average points score for A levels was based on the QCDA system in which an A level grade A is equivalent to 270 points, B grade is 240 points, etc. For GCSEs, grade G is equivalent to 16 points and an $A^{*}$ grade is equal to 58 points.

[^1]:    ${ }^{2}$ For simplicity, in this report we refer only to universities. However, university includes any higher education institution offering degree level courses.

[^2]:    ${ }^{3}$ In the current system, A levels are graded from $A^{*}$ to $E$. The raw marks in individual papers are converted to marks on a Uniform Mark Scale (UMS), so that comparisons across different subjects and different awarding bodies can be made.

[^3]:    ${ }^{4}$ Originally, 'ACT' stood for American College Testing. In 1996 the official name of the organisation was shortened to simply 'ACT'.

[^4]:    ${ }^{5}$ Universities and Colleges Admissions Service
    ${ }^{6}$ Higher Education Statistics Agency
    ${ }^{7}$ Individualised Learner Record

[^5]:    ${ }^{8}$ For the mean prior attainment scores of the graduate sample and a comparison with the main sample and other subsample, see Table A2.3 in appendix 2.
    ${ }^{9}$ The average points score for A levels was based on the Qualifications and Curriculum Development Agency (QCDA) system in which an A level grade A is equivalent to 270 points, B grade is 240 points, etc. For GCSEs, grade G is equivalent to 16 points and an $\mathrm{A}^{*}$ grade is equal to 58 points.

[^6]:    ${ }^{10}$ The reason that the models were run 'the wrong way around' was that there were too few students achieving a third to use this as the reference category, which meant that the models would not converge.

[^7]:    ${ }^{11}$ See http://www.soziologie.uni-halle.de/langer/pdf/papers/rc33langer.pdf
    ${ }^{12}$ See appendix 4 for an explanation of how McFadden's $\mathrm{R}^{2}$ is calculated.

[^8]:    ${ }^{13}$ http://www.education.gov.uk/performancetables/pilot16_05/annex.shtml

[^9]:    ${ }^{14}$ Mathematical and Computer Sciences; Physical Sciences; Engineering; Technologies
    ${ }^{15}$ Values for models 6 and 7 are not given as they cannot be compared with models 1-5 - see appendix 4.

[^10]:    ${ }^{16}$ Mathematical and Computer Sciences; Physical Sciences; Engineering; Technologies

[^11]:    ${ }^{17} \mathrm{BBCC}$ at A level and mostly Bs and some As at GCSE - see appendix 2.3

[^12]:    ${ }^{18} 20$ leading UK universities - see http://www.russellgroup.ac.uk/home
    ${ }^{19}$ A list of highly selective universities in Scotland, England and Wales defined by the Sutton Trust (http://www.suttontrust.com) as those with over 500 undergraduate entrants each year, where it is estimated that less than 10 per cent of places are attainable to students with 200 UCAS tariff points (equivalent to two D grades and a C grade at A -level) or less.

[^13]:    ${ }^{20}$ the percentage of 18 year old students from a school / college who progress to HE

[^14]:    ${ }^{21}$ Multilevel models, like many other statistical models, use an iterative algorithm to fit a model to the data. The algorithm uses information about the relationships in the data to repeatedly refine the model. In cases where there is insufficient information or inconsistency within the data, either due to too few cases or due to weak or unstable relationships, the model cannot make the necessary refinements and does not converge to a stable model definition.

[^15]:    ${ }^{22}$ UCAS service that helps students without a university place to find suitable vacancies on HE courses

[^16]:    ${ }^{23}$ The 'Sutton 13' universities are: Birmingham, Bristol, Cambridge, Durham, Edinburgh, Imperial College, London School of Economics, Nottingham, Oxford, St. Andrews, University College London, Warwick and York.
    ${ }^{24} \mathrm{http}: / / w w w . b r i s t o l . a c . u k / a c a d e m i c r e g i s t r y / r a a / w p u r-o f f i c e / s e m i n a r / p r o g r a m m e / ~$

[^17]:    ${ }^{25}$ The reason that the models were run 'the wrong way around' was that there were too few students achieving a third to use this as the reference category, which meant that the models would not converge.

[^18]:    ${ }^{26}$ See http://www.soziologie.uni-halle.de/langer/pdf/papers/rc33langer.pdf
    ${ }^{27}$ The likelihood function captures the probability that a given set of outcomes are observed for a particular model of interest. The log-likelihood is calculated simply by taking the logarithm of this.

