

Title	A Stochastic Theory of Exciton Transfer
Author(s)	Sato, Itsuko
Citation	物性研究 (1983), 40(2): 178-180
Issue Date	1983-05-20
URL	http://hdl.handle.net/2433/90999
Right	
Type	Departmental Bulletin Paper
Textversion	publisher

修士論文アブストラクト (1982年度)

。筑波大学物理学研究科

- | | |
|--|-------|
| 1. 量子統計力学的レーザー基礎方程式の導出とその物理的考察 | 富永哲雄 |
| 2. Lattice Dynamics of SbSBr | 堀籠修 |
| 3. 擬一次元導体 β - $M_xV_2O_5$ における「バイポーラロン」の
微視的証拠とその伝導機構 | 小野田雅重 |
| 4. ホルムアミドの ^{14}N 核四重極共鳴 | 松江正行 |
| 5. $Li(N_2H_5)SO_4$ における ^{14}N NNQRのZeeman効果 | 渡辺悟 |
| 6. 五沃化タンタル (TaI_5) ₂ における沃素の核四極共鳴吸収 | 中沢伸夫 |
| 7. スロッシングイオンピッチ角分布測定からの軸方向イオン
密度分布の導出 | 草間義紀 |

。お茶の水女子大学理学部物理学教室

A Stochastic Theory of Exciton Transfer

Itsuko Sato

Abstract

“Exciton” is one of the elementary excitations in solids. Especially the Frenkel exciton is considered to be an energy transfer from one atom to another: When one electron is excited at a certain lattice site in crystals, its excited energy can be transferred to the neighbouring atoms via interactions of atoms. The process of energy excitation can be dealt with a particle picture introducing the method of second quantization.

The concept of “exciton” was first proposed by Frenkel in 1931: He didn’t consider the transfer of the energy excitation as a particle, rather he thought it to be a localized “excitation wave” in crystal.

In 1937 Wannier introduced another kind of exciton which is localized in crystal; an electron-hole pair similar to a hydrogen atom.

Since 1972 Haken and others have discussed several effects on the exciton motion due to lattice vibration. This is done with the use of a stochastic model:

$$H(t) = \sum_{mn} J_{mn} b_m^+ b_n + \sum_{mn} \Delta_{mn}(t) b_m^+ b_n, \quad (1)$$

where $\Delta_{mn}(t)$ is an overlap integral between wave functions of lattice sites m and n ; the stochastic behaviour of $\Delta_{mn}(t)$ is due to the lattice vibrations and so on. Haken assumed that $\Delta_{mn}(t)$ is the white Gaussian process, and discussed several physical consequences derived thereby.

Because of the strong assumption imposed by the "whiteness" condition, several authors have made attempts to relax the condition: The coherent potential approximation is extended to dynamical systems. Namely, N. Ohata used the two-state-jump Markoff process whereas H. Sumi made calculations with the Gaussian Markoff process. They used the method of Green's function and discussed optical absorption. Y. Inaba calculated diffusion coefficient for the two-state-jump Markoff process from the equation of motion for the density matrix. In these treatments, they have only taken into account the diagonal randomness in $\Delta_{mn}(t)$.

In the first part of this thesis, we review the Frenkel's investigations on the exciton, and the various stochastic treatments on the exciton dynamics.

In the second part, we formulate the theory of optical absorption for excitons by means of the damping theoretical expansion formula. The method based on the damping theory is very simple and systematic, and moreover the method enables us to expect further developments of the exciton theory.

In our formulation we start from the Hamiltonian:

$$\begin{aligned} H(t) &= \sum_{\langle mn \rangle} J(|\vec{R}_m - \vec{R}_n|) b_m^+ b_n + \sum_{mn} \Delta_{mn}(t) b_m^+ b_n \\ &= \sum_k \omega_k a_k^+ a_k + \sum_{mn} \Delta_{mn}(t) b_m^+ b_n, \end{aligned} \quad (2)$$

where a_k^+ and a_k represent the creation and annihilation operators of an exciton in the Bloch state and they are given by the Fourier transform of b_m^+ and b_m which are defined in the Wannier state. We treat the problem for the two different models of $\Delta_{mn}(t)$; one for the two-state-jump Markoff process and the other for the Gaussian Markoff process.

With the use of the damping theoretical formulae, we can find equations for averaged density

matrix immediately. From the equations, we obtain moment equations for a_k from which we can determine response functions, power spectrum and so on, systematically.

Thus we can discuss various effects due to random perturbations on the exciton motion from the view point of “coherence v.s. incoherence”.

。 東京都立大学大学院理学研究科修士課程物理専攻

- | | |
|---|------|
| 1. チタンの結晶転位と気体吸収の中速電子分光 | 石岡久道 |
| 2. 遷移金属のシューマン光電子分光 (SPS) | 石橋信一 |
| 3. 臭素をドーブしたトランス型ポリアセチレンの磁化率と電気伝導度 | 石原正三 |
| 4. 壁面上の突起を過ぎる粘性流 | 岩根裕 |
| 5. ポリアセチレンにおけるソリトン-ポーラロン共存状態 | 奥野茂 |
| 6. 磁性流体の凝集に関する統計力学的研究 | 佐野和博 |
| 7. AsF_5 をドーブしたポリアセチレンの 1H -NMR の T_1 測定 | 高山宏明 |
| 8. イオン分光法による K_r^{2+} イオンと希ガス原子の非弾性衝突の研究 | 中村友久 |

。 京都大学理学部物理学第一教室

- | | |
|--|-------|
| 1. $KBr : I$ 系に於ける局在励起子と色中心生成 | 有本 収 |
| 2. WT-2 トカマクプラズマの電子サイクロトロン加熱 | 安藤 晃 |
| 3. 大腸菌リボソーム蛋白質の stoichiometry 及びサブユニット間移行の研究 | 伊藤 彰 |
| 4. WT-2 トーラス装置における ECR プラズマ生成 | 小椋 一夫 |
| 5. α -グリシン単結晶中の格子欠陥 | 小野 善伸 |
| 6. Rossby 波に対するシアアの効果 | 岡村 誠 |