

MR1056680 (92b:47110) 47H20 35R60 47H15 47H40 58D25**Kravvaritis, Dimitrios** (GR-ATHN2)**Random semilinear evolution equations in Banach spaces.***Proc. Amer. Math. Soc.* **113** (1991), no. 3, 715–722.

The author is concerned with the random mild solutions of the problem $\dot{x}(\omega, t) = A(\omega)x(\omega, t) + f(\omega, t)$, $x(\omega, 0) = x_0(\omega)$. His results rely on the deterministic case, as expected. An application to a random partial differential equation involving the Laplace operator is given.

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