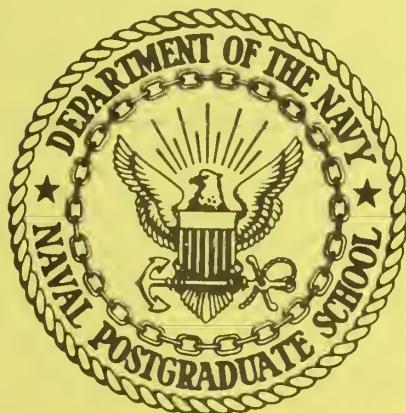


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# NAVAL POSTGRADUATE SCHOOL

## Monterey, California



GAS PROPERTIES COMPUTATIONAL PROCEDURE SUITABLE FOR  
ELECTRONIC CALCULATORS

J. R. Andrews and O. Biblarz

1 July 1974

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NAVAL POSTGRADUATE SCHOOL

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hand-held or desk top calculators. Using the suggested polynomial fits and a suitable calculator, it is possible to duplicate existing table values for the various functions of the selected gases without interpolation or reference to the tables per se. The error of the included fits is generally less than 0.5%. With the lowest order approximation the error can be as high as 1%.

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## 1. OBJECTIVES

The main objective of this work is to provide a straightforward, accurate method of calculating values for temperature dependent functions for selected gases. It is intended to collect, under a single cover, enough information such that thermodynamic properties of certain gases may be calculated, within the provided temperature band, without interpolation or reference to actual gas tables. By specifying the pressures for functions normally of both temperature and pressure, a least squares polynomial curve fit is directly applicable to discrete data pairs from reference sources. The single independent variable is temperature and the function at any desired temperature can be directly calculated. Within the constraints of the temperature bands provided and at the specified pressure for pressure dependent functions, this calculating procedure essentially obviates the necessity to carry and use standard gas reference tables. For the first approximation for functions of gases, being considered as ideal gases, the pressure dependence is generally eliminated. For real gases, the pressure dependence for most functions, except entropy, is rather small and the singular dependence on temperature is a reasonable approximation. The presented calculating procedure will duplicate the table values to within approximately 0.5% of the reference cited for each selected function.

## 2. DATA SOURCES

The discrete data pairs of temperature and a temperature function were obtained from the selected references included in the Bibliography. There was an attempt to select generally accepted, authoritative sources and data published at the latest dates to take advantage of the more recent and hopefully the most accurate methods of measurements. There are significant discrepancies between some of the older references (i.e., Ref. 6) and more recent data on thermal conductivity and viscosity measurements. Additionally, since a reference level for energy functions is arbitrary, the important thing is not the association with the arbitrary energy level but the difference in energy levels between any two

specified temperatures. This difference was generally found to be in rather close but not exact agreement among the sources.

### 3. FORMULATING THE POLYNOMIAL FITS

Data were taken from the selected sources with temperature as the independent parameter. These data pairs were reduced by subroutine LSQPL2 in the IBM SSP-3 library using an IBM-S360/67 in double precision with the results being the coefficients of a polynomial for a least-squares approximation to the data. The functions of temperature for gases, both real and ideal, tend to be smooth plots with few abrupt changes and no discontinuities in the range limit considered here. Many of the functions were also monotonic, further lending themselves to be approximated by polynomials of varying degrees. The polynomials are grouped together for each of the selected gases and may be found in Appendix B. The units throughout this publication are completely consistent and are as follows:

$C_p$ ,  $\phi$ ,  $C_v$ ,  $k$ ,  $s$  - BTU/lb<sub>m</sub> - °R;  $h$ ,  $u$  - BTU/lb<sub>m</sub>;  $\gamma$ ,  $Pr$ ,  $h/u$  - no units

$$\mu - lb_f - SEC/FT^2; \quad k - BTU/FT^2 - SEC - °R/FT \text{ (or } BTU/FT - SEC - °R\text{)}$$

In a few instances, the specific function was not available in the literature but could be calculated using other available data. Such is the case for Prandtl number for ammonia, bromine, neon, water vapor, and Freon-12 as well as the ratio of specific heats for ammonia. For each of these, sufficient data exists to permit direct calculation using the definition of Prandtl number  $P_r \equiv \mu C_p / k$  and for gamma  $\gamma \equiv C_p / C_v$ . Tables II through XII represent summary data for the properties using only the third order approximation. Appendix B contains the complete set of results of our curve fits.

#### 4. CROSS CORRELATION OF FUNCTIONS

The included polynomial fits provide the capability to calculate a wide variety of thermodynamic properties for the selected gases. Several of these properties may be defined in terms of other selected properties. For example:

$$\gamma = C_p / C_v; \quad Pr = \mu C_p / k, \quad S d\phi = \int C_p dT/T; \quad du = C_v dT;$$

$$dh = C_p dT, \quad \text{and } h/u = h(T)/u(T).$$

Ideally, these functions should cross correlate; using the included polynomials to calculate a specific function (for example  $\gamma$ ), it should exactly agree with the ratio of the polynomials, for each  $C_p$  and  $C_v$ , at the same temperature. Generally, this cross correlation will not be in exact agreement for at least two major reasons. First, a single literature reference seldom contains all of the functions for any given gas of interest. One might find  $C_p$  and  $\gamma$ , but  $C_v$  values being omitted and left to the researcher to calculate. In trying to provide fits for as many functions as possible, it was necessary to use a variety of reference sources. Data from various observers may differ, particularly with the more difficult viscosity and thermal conductivity measurements. The second source of trouble is the potential for error propagation associated with approximations multiplying other approximations. The errors could be compensating or complementing. This is further discussed under the remarks below.

#### 5. ERROR SOURCES AND POLYNOMIAL APPROXIMATIONS

At the very best, the results of a polynomial evaluation for a temperature dependent function will be only as valid as the reference source of the input data. The stated objective is simply to be able to reproduce the table values with the minimum effort. There are several sources for potential error, both in the published table values and

in the subsequent operations which result in polynomial curve fit approximations. The published table values have the included uncertainties of experimental (procedural and instrument) error. Many of the tables values were converted into a consistent set of units thus further contributing to error due to roundoff. Double precision calculation, however, made this contribution extremely small. The most significant single source of error is a polynomial approximation to a non-polynomial function. A least squares fit attempts to do just that.

The quality or excellence of fit for a least squares fit is dependent on the nature of the data pairs available. The spacing, total number, range, equidistant or unequal spacing, monotonic or not, degree of polynomial being fitted, and location of points of inflections are a few of the variables which influence the quality of the fit. The only perfect fit for a polynomial would be the polynomial itself and for a non-polynomial curve the best one can hope for is a close bracketing of the function. The results from subroutine LSQPL2 show the approximating polynomial to overestimate then underestimate the real function over the entire range. This variation about the true function value at the known discrete points represents the "noise" generated by the approximation. As the curve fit gets closer to the true value, the noise amplitude diminishes and becomes more random. The noise directly relates to the error estimate.

The errors of the included polynomials are generally less than 0.5%, where the error is defined as;  $\epsilon = [1 - \xi_1/n_1] \times 100\%$  ( $\xi_1$  is the value estimated at a known data point using the polynomial approximation and  $n_1$  is the table value for the same data point.) If the polynomial approximation happened to cross the real function in the immediate neighborhood of a data point, the error naturally approaches zero for the point. For polynomial fits which are significantly in error by more than about 0.5% over the range, appropriate comments are included. The degree of the fit is a major contribution on quality such that in general the second and third degree polynomials might have average errors greater than 0.5% and the fifth and sixth degrees are frequently much less than 0.5%.

Curve fits from the second through ninth degree were evaluated but only the second through the sixth are presented. For a generally smooth function, particularly those which are also monotonic, the polynomial approximations are closer as the degree of the polynomial increases. This is true only to about the sixth degree then the accuracy tends to level off for the seventh through ninth degrees. The five choices of polynomial for each function provides the user with a degree of flexibility and permits one to choose a trade-off between accuracy and time required to calculate a value.

It is likely that there will exist an error propagation when multiplying and dividing one or more approximate values, such as when evaluating Prandtl number (see Paragraph 3). The manner in which the error may propagate could only be analyzed on an individual basis for each polynomial. This results from the random nature of the "noise" which is different for every polynomial approximation. For the best case, the errors could be cancelling with the resulting error propagation approaching zero. The worst case is, of course, that which results when, for a given point of interest, the individual polynomials are all in error on the same side of the true value for a multiplication or on opposite sides for division. The resulting error would be the sum of the individual errors. Consider the following examples assuming  $|\epsilon| = 0.5\%$  for all functions:

$$a) \quad C_p = \gamma C_v$$

$$1) \quad \text{let } \epsilon_\gamma = + .5\% \text{ and } \epsilon_{C_v} = - .5\%$$

$$C_p = (\gamma + .5\%) (C_v - .5\%) \quad \epsilon_{C_p} \approx 0.$$

$$2) \quad \text{let } \epsilon_\gamma = + .5\% \text{ and } \epsilon_{C_v} = + .5\%$$

$$C_p = (\gamma + .5\%) (C_v + .5\%) \quad \epsilon_{C_p} \approx 1.0\%$$

$$b) Pr = \mu C_p / k$$

$$1) \text{ let } \epsilon_{\mu} = 0.5\% ; \epsilon_{C_p} = 0.5\% ; \epsilon_k = 0.5\%$$

$$Pr = \frac{(\mu + 0.5\%)(C_p + 0.5\%)}{(k + 0.5\%)} \quad \epsilon_{pr} \doteq 0.5\%$$

$$2) \text{ let } \epsilon_{\mu} = 0.5\% ; \epsilon_{C_p} = 0.5\% ; \epsilon_k = -0.5\%$$

$$Pr = \frac{(\mu + 0.5\%)(C_p + 0.5\%)}{(k - 0.5\%)} \quad \epsilon_{pr} \doteq 1.5\%$$

$$3) \text{ let } \epsilon_{\mu} = -0.5\% ; \epsilon_{C_p} = 0.5\% ; \epsilon_k = 0.5\%$$

$$Pr = \frac{(\mu - 0.5\%)(C_p + 0.5\%)}{(k + 0.5\%)} \quad \epsilon_{pr} \doteq -0.5\%$$

$$4) \text{ let } \epsilon_{\mu} = -0.5\% ; \epsilon_{C_p} = 0.5\% ; \epsilon_k = -0.5\%$$

$$Pr = \frac{(\mu - 0.5\%)(C_p + 0.5\%)}{(k - 0.5\%)} \quad \epsilon_{pr} \doteq 0.5\%$$

The rule of thumb is : like errors are additive when multiplying and canceling when dividing.

## 6. KINETIC THEORY FOR MONATOMIC AND DIATOMIC GASES

(Reference: 4, Chapter 12)

### a) Monatomic Gases: Argon, Helium, Neon and Xenon

The classic theory of equipartition of energy sets the total energy of a molecule with  $f$  degrees of freedom to be  $(f/2)kT$  where  $k$  is Boltzmann's constant,  $k = \bar{R}/N_a$ . Monatomic molecules have only the three translational degrees of freedom of three dimensional space such that the internal energy can be written as:

$$u(T) = (3/2)k \frac{N_a}{MW} T \quad N_a \text{ is Avogadro's number.}$$

$$N_a = \frac{\text{number of molecules}}{\text{mole}}$$

MW is the molecular weight.

- $$(1) \quad u(T) = 3/2T \quad (\bar{R}/MW) = (3/2)(R/J)T$$
- $$(2) \quad C_v = (3/2)(R/J) = \text{CONST}$$
- $$(3) \quad (C_p - C_v) = R/J = \text{CONST}$$
- $$(4) \quad C_p = (5/2)(R/J) = \text{CONST}$$
- $$(5) \quad \gamma = C_p/C_v = 1.667 = \text{CONST}$$

$$N_a k = \bar{R} = \frac{1545.43 \text{ ft-lb}_f}{\text{lb}_m \text{- mole } {}^\circ\text{R}}$$

$$R = \bar{R}/MW = \frac{\text{ft-lb}_f}{\text{lb}_m \text{- } {}^\circ\text{R}}$$

$$R/J = \text{BTU/lb}_m \text{- } {}^\circ\text{R} ;$$

$$J = 778.26 \frac{\text{ft-lb}_f}{\text{BTU}}$$

(i) ARGON:  $R/J = 0.04971 \text{ BTU/lb}_m \text{- } {}^\circ\text{R}$

#### THEORY

$$C_v = 0.07457$$

#### TABLES

$$C_v (432 {}^\circ\text{R}) = .97474$$

$$C_p = 0.12428$$

$$C_p (720 {}^\circ\text{R}) = 0.1245$$

$$\gamma = 1.6666$$

$$\gamma (576 {}^\circ\text{R}) = 1.669$$

(ii) HELIUM:  $R/J = 0.496068 \text{ BTU/lb}_m \text{- } {}^\circ\text{R}$

#### THEORY

$$C_v = 0.7441$$

#### TABLES

not directly available

$$C_p = 1.2402$$

$$C_p = 1.2404$$

$$\gamma = 1.6667$$

not directly available

b) Diatomic Molecules: Bromine, Carbon Monoxide, Chlorine, Flourine, Hydrogen, Nitrogen and Oxygen

Diatomc molecules have additional degrees of rotational and vibrational freedom. The monatomic theory of energy equipartition must be modified to account for the observed differences. Diatomic molecules have the 3 translational degrees of freedom plus two rotational and two vibrations modes along the bonding axis for a total of 7 degrees of freedom. The value of  $C_v = (7/2)(R/J)$  from classical equipartition theory is approximated only at elevated temperatures with diatomic molecules. The theory fails to predict the temperatures at which the rotational and vibrational modes become fully excited. From quantum mechanics, the diatomic molecular energy can be quantized. Using this approach, it is possible to account for the contributions from the rotational and vibrational degrees of freedom. The rotational degrees of freedom are fully excited at extremely low temperatures and make their full, constant contribution above their discrete temperature quantum levels. This fact simplifies the prediction for  $C_v$  and  $C_p$  very nicely. The vibrational modes become excited at much higher temperatures. With  $\theta_{vib}$  being the quantum temperature level for full excitation of the vibrational modes, the equations become: defining  $\beta(T)$  as

$$(1) \quad \beta(T) = (R/J)(\theta_{vib}/T)^2 [e^{\theta_{vib}/T} / (e^{\theta_{vib}/T} - 1)^2] = C_{v_{vib}}$$

$$(2) \quad C_v = (5/2)(R/J) + C_{v_{vib}} = (5/2)(R/J) + \beta(T)$$

$$(3) \quad C_p = (7/2)(R/J) + \beta(T)$$

$$(4) \quad (C_p - C_v) = R/J$$

$$(5) \quad \gamma = C_p/C_v = \frac{(7/2)(R/J) + \beta(T)}{(5/2)(R/J) + \beta(T)} = 1.4 \text{ in the limit as } \beta \rightarrow 0$$

other relationships for calorically imperfect diatomic gases are:

$$(6) \quad v^2/2g_c = R [7/2(T_t - T) + \theta_{vib} \left\{ \frac{1}{e^{\theta_{vib}/T_t} - 1} - \frac{1}{e^{\theta_{vib}/T} - 1} \right\}]$$

$$(7) \quad M^2 = 2/\gamma [7/2 \left\{ \frac{T_t}{T} - 1 \right\} + \theta_{vib}/T \left\{ \frac{1}{e^{\theta_{vib}/T_t} - 1} - \frac{1}{e^{\theta_{vib}/T} - 1} \right\}]$$

and for isentropic, thermally perfect, calorically imperfect diatomic gases:

$$(8) \quad P_t/P = (T_t/T)^{7/2} (e^{\theta_{vib}/T_t} - 1)/(e^{\theta_{vib}/T} - 1)$$

$$\text{Exp} \left\{ [(\theta_{vib}/T_t)(e^{\theta_{vib}/T_t} - 1)/(e^{\theta_{vib}/T_t} - 1)] - [(\theta_{vib}/T)(e^{\theta_{vib}/T} - 1)/(e^{\theta_{vib}/T} - 1)] \right\}$$

$$(9) \quad M^2 = v^2/a^2$$

$$(10) \quad a^2 = \gamma RT$$

TABLE I  
Summary of  $\theta_{vib}$  for several gases

GAS	$\theta_{vib}$ ( $^{\circ}\text{R}$ )	$R \left( \frac{\text{ft-lb}_f}{\text{lb}_m - ^{\circ}\text{R}} \right)$	$R/J \left( \frac{\text{BTU}}{\text{lb}_m - ^{\circ}\text{R}} \right)$
Bromine	837*	9.67	0.012425
Carbon Monoxide	5616	55.17	0.070888
Chlorine	1463	21.79	0.0279984
Fluorine	2391*	40.67	0.0522576
Hydrogen	11052	766.58	0.98499
Nitrogen	6012	55.16	0.070876
Oxygen	4068	48.29	0.06205

\* Calculated from Ref. 5, Equation 19-73.

examples: ( $C_p$  and  $C_v$  in BTU/lbm-R)

(i) Carbon Monoxide:

THEORY	TABLES
$C_v$ (1600) = 0.20496	$C_v$ (1600) = 0.20637
$C_p$ (864) = 0.25262	$C_p$ (864) = 0.2533
$\gamma$ (1440) = 1.35452	$\gamma$ (1440) = 1.353

(ii) Chlorine

THEORY	TABLES
$C_v$ (1200) = 0.0947697	$C_v$ (1200) = 0.09474623
$C_p$ (1200) = 0.122768	$C_p$ (1200) = 0.123869
$\gamma$ (1200) = 1.29544	$\gamma$ (1200) = 1.295545

(iii) Hydrogen

THEORY	TABLES
$C_v$ (1500) = 2.4963	$C_v$ (1500) = 2.534
$C_p$ (1368) = 3.4667	$C_p$ (1368) = 3.5026
$\gamma$ (540) = 1.3999	$\gamma$ (540) = 1.405

(iv) Nitrogen

THEORY	TABLES
$C_v$ (1500) = 0.19865	$C_v$ (1500) = 0.198877
$C_p$ (1440) = 0.26766	$C_p$ (1440) = 0.26856
$\gamma$ (1152) = 1.37749	$\gamma$ (1152) = 1.3777

(v) Oxygen

THEORY

$$C_v(1160) = 0.17945$$

$$C_p(1160) = 0.241497$$

$$\gamma(1160) = 1.34576$$

TABLES

$$C_v(1160) = 0.17922$$

$$C_p(1160) = 0.24248$$

$$\gamma(1160) = 1.346$$

For polyatomic molecules, the number of degrees of freedom is higher and the rotational and vibrational contributions appropriately more complex. The  $C_v$  should be slightly higher for triatomic molecules and the  $\gamma$  slightly lower than the diatomics.

## 7. ALGORITHMS FOR POLYNOMIAL EVALUATIONS

All of the polynomials included here have temperature as the single independent variable. Such equations are extremely easy to evaluate with a pocket or desk-top calculator: All of the polynomials are of the form:

$$FCTN(T_i) = B_1 + B_2 T + B_3 T^2 + \dots + B_{(N+1)} T^N$$

with N ranging from 0 to 7.

One method of evaluating a given function at a specified temperature is the "brute force" method. This involves raising  $T_i$  to the Nth power, multiplying by the  $B(N+1)$  coefficient; raising the  $T_i$  to the (N-1)th power and multiplying by its coefficient and adding to the previous product, etc. until just the  $B_1$  coefficient is added. At this point the last sum equals the function evaluated at the desired temperature,  $T_i$ . This method involves multiplication of very large numbers,  $T^N$ , by very small coefficient numbers and requires a machine with the capabilities of raising x to the y power. This is an inefficient way to evaluate a polynomial.

The recommended method is called nested multiplication (Ref. 26). This eliminates the requirement to raise x to the y power such that any machine that can handle numbers  $\times 10^{-29}$  can perform any polynomial evaluation included.

a) Generalized nested multiplication:

Given the (N+1) coefficients  $B(1), B(2), \dots, B(N+1)$  for the polynomial  $P(T_i) = B(1) + B(2)T + \dots + B(N+1)T^N$  and any arbitrary independent variable temperature,  $T_i$ :

SET  $A(N+1) = B(N+1)$

FOR  $K = N, N-1, N-2, \dots, 1, DO$

SET  $A(K) = B(K) + T_i A(K+1)$

$A(1) = P(T_i)$

The above algorithm can be stated in words as follows: multiply the highest degree coefficient by  $T_i$  and add the next lower coefficient; multiply the sum by  $T_i$  and add the next lower coefficient; multiply the new sum by  $T_i$ . Continue this until  $B(3) T_i + B(2)$  sum is calculated. Multiply this by  $T_i$ . The only coefficient left is  $B(1)$  which is the coefficient of  $T_i^0$ . By just adding  $B(1)$  to the previous sum, the polynomial is evaluated at  $T_i$ .

b) Specific example ( using Hewlett Packard model HP-35 )

Desire to calculate thermal conductivity of ammonia at  $T_i = 1620^\circ R$ : arbitrary choice of a sixth degree fit:

$$P(T_i) = -4.4701E-06 + 4.47694E-08T_i - 1.293E-10T_i^2 + 2.19149E-13 \\ - 1.86776E-16T_i^4 + 7.95013E-20T_i^5 - 1.34258E-23T_i^6$$

(see Appendix B for source of this polynomial)

STEP-BY-STEP PROCEDURE	CALCULATOR VALUES SHOULD BE:
(1) $- 1.34258E-23 \times 1620$	$[B(7) \times T_i]$ $- 2.1749796E-20$
(2) $+ 7.95013E-20$	$+ B(6)$ $5.7751504E-20$
(3) $\times 1620$	$\times T_i$ $9.355743648E-17$

STEP BY STEP PROCEDURE		CALCULATOR VALUES SHOULD BE:
(4) - 1.86776E-16	+ B(5)	-9.321856352E-17
(5) x 1620	x T <sub>i</sub>	-1.510140729E-13
(6) + 2.19149E-13	+ B(4)	6.81349271E-14
(7) x 1620	x T <sub>i</sub>	1.103785819E-10
(8) -1.293E-10	+ B(3)	-1.89214181E-11
(9) x 1620	x T <sub>i</sub>	-3.065269732E-08
(10) + 4.47694E-08	+ B(2)	1.411670268E-08
(11) x 1620	x T <sub>i</sub>	2.286905834E-05
(12) - 4.4701E-06	+ B(1) " P(T <sub>i</sub> )	1.839895834E-05 = P(T <sub>i</sub> ) { 1.8405269E-05 TABLE VALUE ε = 0.03%

For programmable calculators, nested multiplication is extremely efficient and highly recommended. It is further suggested to store negative coefficients as negatives such that the add-multiply-add-multiply simplicity can be preserved.

## 8. COMMENTS ON APPENDICES

In the following two major sections (Appendix A and B) can be found extensive conversion tables and the groupings of the polynomial approximations for the various selected gases in the respective order. Appendix B is immediately preceded by two tables of significance. The first is a summary of constants of each of the included gases and the second is a quick cross reference for the included functions of the gases, the temperature range and the units of each function.

The format for the polynomials included in Appendix B needs a word of explanation to be used effectively. Included in each section is a separate function for a specific gas, valid over a specified temperature range and, perhaps, restricted to a given pressure. The results using the polynomial approximations are valid only within these stated limits.

Also included is the reference from which came the data, if available, or stated that the function was calculated from other existing polynomial approximations. (Note: the error for the calculated values may greatly exceed that of a single polynomial evaluation. See section 4 for the discussion.)

The format for Appendix B polynomials is as follows:

FCTN(T) AIR UNITS PRESSURE TEMP. RANGE	REF: # / CALC.
$B_1 + B_2T + B_3T^2$	
$B_1 + B_2T + B_3T^2 + B_4T^3$	
$B_1 + B_2T + B_3T^2 + B_4T^3 + B_5T^4$	
$\vdots$	
$B_1 + B_2T + B_3T^2 + B_4T^3 + B_5T^4 + B_6T^5 + B_7T^6$	
$FCTN(1) = XXXX$	$FCTN(T_1) = YYYYY$
$FCTN(2) = YYXY$	

The limiting parameters, function, gas, units and reference (or calculated) information is located in a standard format at the top. The five polynomials, second through sixth degree, follow. The majority of the coefficients are very small numbers thus requiring the scientific notation of  $B(I) = X.XXXXXE \pm YY$ . The  $E \pm YY$  means to multiply the preceding number by 10 to the YY power. (Example: 1.42031E-09 means  $1.42031 \times 10^{-09}$ ). Beneath the polynomials are three other numbers representing the function at the enclosed temperature. FCTN(385) means the value of FCTN at  $385^\circ R$ . FCTN(1) is the known table value at the lower end of the valid temperature range. FCTN( $T_1$ ) is the function evaluated at approximately a mid-point temperature using

the highest degree polynomial presented. If the true function were monotonic, FCTN(1) and FCTN(2) are the respective lower and upper bounds for the function values and may be used as a check for calculating procedure. If the function is somewhat parabolic, FCTN( $T_1$ ) will not necessarily be between FCTN(1) and FCTN(2). Fortunately, most of the functions are monotonic in the temperature range considered. Although the data could seldom support more than six significant digits and often less, FCTN(1), FCTN(2) and FCTN( $T_1$ ) are generally carried to at least six places. This is intended, in the case of FCTN( $T_1$ ), to provide a calculation procedure check for at least one temperature for each function.

## 9. COMPRESSIBILITY FACTOR AND THE EQUATION OF STATE

Up to the point, nothing has been said about the equation of state for compressible fluids. For ideal gases, the compressibility factor,  $Z$ , is unity and the equation of state is the familiar  $p = \rho RT$ . For real gases, the compressibility factor may widely deviate from unity under conditions of extreme temperatures and pressures. The compressibility factor is, at least in part, a function of the inter-molecular forces which change under the influence of temperatures and pressure extremes. The ideal gas theory assumes no inter-molecular forces and thus cannot account for the density variation caused by a non-unity factor. From the practical point of view for general problem solutions there are two important items of note. First, at very low pressures, ideal gas behavior may be assumed with good accuracy regardless of temperature. For temperatures that are at least double the critical temperature, ideal behavior may be assumed up to approximately half the critical pressure. From Fig. B.8, page 796 of Reference 5, for  $T = 2T_c$  and  $p = 0.5 p_c$ ,  $Z = 0.99$ . As the pressure is reduced or the temperature raised,  $Z$  approaches unity in the limit. For purposes of calculations, the compressibility factor should be assumed unity throughout.

## 10. GAS MIXTURES: (REF: 5, Ch. 11, and REF: 12, Ch. 10)

The thermodynamic properties of a mixture of pure gases is a function of the individual properties of the constituent gases. The following is

applicable solely to inert gases and does not account for chemical reactions. The principles are:

- a) the total mass of the mixture equals the sums of the individual gas masses:

$$m = m_a + m_b + m_c + \dots = \sum_i m_i$$

- b) the number of moles of the mixture is equal to the sum of the moles of the individual gases.

$$n = n_a + n_b + n_c + \dots = \sum_i n_i$$

- c) the static pressure of the mixture is the sum of the partial static pressures. The partial pressure of a gas in a mixture is the pressure the individual gas would exert if it alone occupied the entire volume of the mixture at the same temperature (Dalton's Law).

$$p = p_a + p_b + p_c + \dots = \sum_i p_i)_{v,T}$$

- d) from Amagat's Law, the total volume equals the sum of the partial volumes.

$$V = V_a + V_b + V_c + \dots = \sum_i V_i)_{p,T} ; (V_i = m_i v_i)$$

Both Dalton's and Amagat's Law assume no inter-molecular forces present (ideal gas assumption) and that each constituent acts as if alone. Using Dalton's Law, the ideal gas law can be applied to the individual gases and summed for the mixture.

$$p_a V = n_a \bar{R} T$$

$p_a, p_b, \dots$  static partial pressures

$$p_b V = n_b \bar{R} T$$

where  $\bar{R} = 1545.43 \text{ ft. lb}_f/\text{lb}_m\text{-mole R}$

$$p_c V = n_c \bar{R} T$$

$$R_g = (\bar{R}/MW) ft-lb_f/lb_m - R$$

or

$$R_m = \bar{R}/MW_{mix} ; MW - molecular wt$$

$$(P_a + P_b + P_c \dots) V = (n_a + n_b + n_c + \dots) \bar{R} T \text{ for the mixture}$$

$$PV = n \bar{R} T$$

P - static pressure of the mixture

$$P V = R_{mix} T ; v = 1/\rho$$

$$PV = m R_{mix} T$$

e) By dividing the equation of state for each component by that for the mixture:

$$P_a = (n_a/n)P = X_a P$$

$$P_b = (n_b/n)P = X_b P$$

etc.

or for the  $i$ th component

$$P_i = X_i P \text{ where } X_i \text{ is the mole fraction}$$

$$X_i = n_i / \sum_j n_j$$

The sum of the mole fractions must total to unity  $\sum_i X_i = 1.0$

From the relationship  $P_i = (n_i/n)P = X_i P$  and the fact that each constituent has the same static temperature and occupies the same volume:

$$P_a/n_a = P_b/n_b = \dots P_i/n_i = P/n \text{ (consequence of Dalton's Law)}$$

From Amagat's analysis the corresponding results all:

$$V_a/n_a = V_b/n_b = \dots V_i/n_i = V/n \text{ with the major point being:}$$

$$x_i = n_i/n = V_i/V = P_i/P$$

f) Determining the gas constant  $R_{\text{mix}}$  and molecular weight,  $MW_{\text{mix}}$ :

From  $V \sum P_i = T \sum m_i R_i$  the ideal gas equation of state for the mixture is simply:

$$(P_a + P_b + P_c + \dots) V = (m_a R_a + m_b R_b + \dots) T$$

$$R_{\text{mix}} = (m_a/m) R_a + (m_b/m) R_b + \dots = \sum_i (m_i R_i / m)$$

$$R_{\text{mix}} = \bar{R} / MW_{\text{mix}}$$

$$MW_{\text{mix}} = \sum_i m_i / \sum n_i = \sum m_i / \sum (m_i / MW_i) = \sum (n MW)_i / n$$

$$m = n MW_{\text{mix}}$$

$$MW_{\text{mix}} = X_a MW_a + X_b MW_b + \dots = \sum_i X_i MW_i$$

g) Specific heats, entropy, internal energy and enthalpy for the mixture:

$$(i) C_v(T) = \frac{m_a C_{v,a}(T)}{m} + \frac{m_b C_{v,b}(T)}{m} + \frac{m_c C_{v,c}(T)}{m} + \dots \frac{\text{BTU}}{\text{lb} \cdot ^\circ\text{R}}$$

$$= \frac{\sum m_i C_{v,i}(T)}{\sum m_i} = \frac{\sum m_i C_{v,i}(T)}{m}$$

$$(ii) \quad C_p(T) = \sum_i m_i C_{p_i}(T)/m \quad \text{BTU/lbm-R}$$

$$(iii) \quad C_p(T) - C_v(T) = R/J = (\bar{R}/MW)/J \quad \text{where } J = 778.76 \text{ ft-lb}_f/\text{BTU}$$

R in  $\text{ft-lb}_f/\text{lbm-R}$

$$(iv) \quad \gamma(T) = C_p(T)/C_v(T)$$

$$(v) \quad *s_2 - s_1 = \sum_i (m_i/m)(s_2 - s_1)_i = \sum_i (m_i/m) \int_{T_1}^{T_2} C_{p_i}(T) (dT/T)$$

$$- \sum_i (m_i/m) R_i / J(\ln(P_i/P))$$

or

$$= \int_{T_1}^{T_2} C_p(T) (dT/T) - R/J \ln(P_2/P_1) = \int_{T_1}^{T_2} C_v(T) (dT/T) + R/J \ln(v_2/v_1)$$

(entropy units in BTU/lbm-R are consistent)

$$s = \sum_i (m_i s_i)/m \quad \text{at a given temperature and pressure}$$

$$(vi) \quad u_2 - u_1 = \sum_i (m_i/m)(u_2 - u_1)_i = \int_{T_1}^{T_2} C_v(T) dT \quad \text{BTU/lbm}$$

$$u = \sum_i (m_i/m) u_i \quad \text{at a given temperature}$$

$$(vii) \quad h_2 - h_1 = \sum_i (m_i/m)(h_2 - h_1)_i = \int_{T_1}^{T_2} C_p(T) dT \quad \text{BTU/lbm}$$

$$h = \sum_i (m_i/m) h_i \quad \text{at a given temperature}$$

\* This is the entropy change of a mixture resulting from changes in temperature and/or pressure. There is an additional change resulting from the initial mixing process as well.

h) Entropy change due to initial mixing process

When individual perfect gases are initially mixed, each gas may be considered to undergo a free expansion from its initial partial pressure to its partial pressure in the mixture, with no work interaction. Mixing is an irreversible process. From the second law of Thermodynamics, if the process is adiabatic,  $ds = \sum_i (m_i dS_i / m) \geq 0$ . At the very best, the process could be isentropic. On a unit mass basis:

$$\Delta S = - \sum_i (m_i / m) (R_i / J) \ln(P_{i2}/P_{i1}) \quad \text{where the subscripts indicate the initial and final equilibrium states}$$

$$\Delta S \geq 0$$

i) Mixtures of pure gases at different initial pressures and temperatures:

$$T = \sum_i X_i T_i \quad P = (1/V) \left( \sum_i P_i V_i \right)$$

$$u = \sum_i (m_i / m) (C_v)_i T_i \quad h = \sum_i (m_i / m) (C_p)_i T_i$$

## 11. PROBLEM SOLUTIONS - REMARKS AND SUGGESTIONS

Appendix B provides sufficient information to calculate a wide variety of functions for both pure gases and any combination thereof. It is essential to any accuracy whatever that the polynomials be used only within the temperature and pressure limits stated for each function. Of the included functions,  $C_p$ ,  $C_v$ ,  $\gamma$ ,  $\mu$ ,  $k$ , and  $Pr$  should be directly translatable to any reference and, except for small experimental measurements discrepancies, should differ only by a conversion factor. The remaining functions of  $\phi$ ,  $h$ ,  $u$ ,  $h/u$ , and  $s$  have an arbitrary reference datum. The difference between any two end points should

translate directly with other references.

The best way to use Appendix B is direct calculation for functions provided. In some instances, the functions were not available in literature with sufficient data points to provide a satisfactory curve fit. A familiarity with basic thermodynamic relationship show several alternate calculations possible when the desired function is not directly provided. The remainder is devoted to some suggestions for alternate calculations.

a) Calculations involving entropy  $S(P, T)$

$$S_2 - S_1 = \int_{T_1}^{T_2} \frac{C_p(T)dT}{T} - (R/J) \ln(P_2/P_1) \equiv \phi_2^p - \phi_1^p - (R/J) \ln(P_2/P_1)$$

$$= \int_{T_1}^{T_2} \frac{C_v(T)dT}{T} + (R/J) \ln(v_2/v_1) \equiv \phi_2^v - \phi_1^v + (R/J) \ln(v_2/v_1)$$

(1) If  $\phi(T)$  is available,  $S_2 - S_1$  can be directly calculated for any desired pressure ratio  $P_2/P_1$ .

(2) If  $\phi(T)$  is not available but either  $C_v(T)$  or  $C_p(T)$  is provided:

$$(a) \quad S_2 - S_1 = \bar{C}_p \ln(T_2/T_1) - (R/J) \ln(P_2/P_1) \quad \left. \begin{array}{l} \\ \\ \end{array} \right\} \text{use an average specific heat if } \Delta T \text{ is not too great}$$

$$= \bar{C}_v \ln(T_2/T_1) + (R/J) \ln(v_2/v_1)$$

$$(b) \quad \phi_2 - \phi_1 = \int_{T_1}^{T_2} [C_p(T)/T]dT = \int_{T_1}^{T_2} [B_1 + B_2T + B_3T^2 + \dots + B(7)T^6]dT / T$$

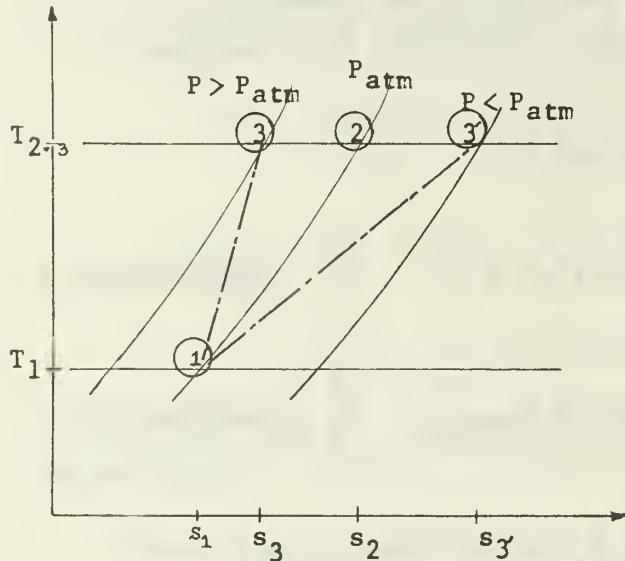
$$= (B_1) \ln(T_2/T_1) + B_2(T_2 - T_1) + (B_3/2)(T_2^2 - T_1^2)$$

$$+ \dots + (B_7/6)(T_2^6 - T_1^6)$$

knowing  $\Delta\phi$ , calculate  $\Delta S$  for desired  $P_2/P_1$

(3) If  $S(T)$  at 1 atmosphere is available:

Calculate  $\Delta S$  @ 1 atmosphere for the 1 atmosphere isobar between the desired  $\Delta T$ . Then calculate the remaining  $\Delta S$  based on constant-temperature pressure change. Since entropy is a property, it has a unique value at the end points and is not path dependent. On the T-S diagram it looks like:



with  $S(T)$  function polynomial directly available

$$a) S_2 - S_1 = S(T_2) - S(T_1) : P = \text{const.}$$

$$S_3 - S_1 = (S_2 - S_1) + (S_3 - S_2)$$

$$S_{3'} - S_1 = (S_2 - S_1) + (S_{3'} - S_2)$$

$$b) S_3 - S_2 = \frac{\int_{T_2}^{T_3} C_p dT}{T} - (R/J) \ln(P_3/P_2)$$

$$= (R/J) \ln(v_3/v_2)$$

Fig. 1 Temperature-entropy diagram

in other words, treat the problem as isobaric at one atmosphere between the desired temperatures, then isothermal between the desired pressures.

b) Calculations involving internal energies and enthalpies:

Note: the reference datum lines are purely arbitrary for  $u(T)$  and  $h(T)$ ; differences are significant.

(1) If  $h(T)$  or  $u(T)$  are not provided but  $C_p(T)$  and  $C_v(T)$  are:

$$\int_1^2 dh(T) = \int_{T_1}^{T_2} C_p(T) dt \doteq \bar{C}_p (T_2 - T_1) \text{ for } \Delta T \text{ small}$$

$$= B_1(T_2 - T_1) + (B_2/2)(T_2^2 - T_1^2) + (B_3/3)(T_2^3 - T_1^3)$$

$$+ \dots (B_6/6)(T_2^6 - T_1^6) + (B_7/7)(T_2^7 - T_1^7)$$

similarly for  $u(T)$ .  $\int du(T) = \int C_v(T)dT$ . Knowing the enthalpy or the internal energy may not necessarily lead back to find correct values of  $C_p$  or  $C_v$  due to the arbitrariness of the reference datum.

2) If neither  $h(T)$  nor  $C_p(T)$  or  $u(T)$  nor  $C_v(T)$  are presented and the gas of interest is either monatomic or diatomic, kinetic theory presented in Section 5 can provide approximations to  $C_v$  and  $C_p$ . Knowing these values enables one to calculate changes in internal energy or enthalpy .

TABLE II

 $C_p(T)$  BTU/lbm-R Specific Heat @ Constant Pressure.

$$FCTN=B1+B2T+B3T^2+B4T^3$$

GAS	B1	B2	B3	B4	Range - deg. R
AIR	0.242333	-2.15256E-05	3.65E-08	-8.43996E-12	180-2340
AMMONIA	0.358467	2.64143E-04	4.06609E-09	-9.4211E-12	400-2460
ARGON	0.129518	-1.36274E-05	1.05456E-08	-2.46576E-12	180-2340
BROMINE	4.8013E-02	1.45148E-05	-8.54282E-09	1.67065E-12	360-2460
CARBON	0.122652	1.82976E-04	-6.35135E-08	8.39019E-12	360-2460
DIOXIDE					
CARBON MONOXIDE	0.261766	-5.5907E-05	6.79431E-08	-1.66981E-11	360-1440
CHLORINE	9.1047E-02	5.83198E-05	-3.3183E-08	6.40593E-12	360-2360
FLUORINE	0.15346	1.05287E-04	-4.78364E-08	7.735E-12	360-2460
FREON-12	3.98143E-02	2.53247E-04	-1.33539E-07	2.3993E-11	180-2460
HELIUM	1.240164	-	-	-	*
HYDROGEN	2.50963	2.18533E-03	-1.50994E-06	3.41529E-10	180-2460
NEON	0.2459682	-	-	-	*
NITROGEN	0.252428	-2.52138E-05	3.59637E-08	-7.69919E-12	270-2610
OXYGEN	0.198806	3.58425E-05	4.80518E-09	-3.14427E-12	460-2460
WATER	0.872541	-1.10895E-03	9.75232E-07	-2.62136E-10	684-1530
VAPOR					
XENON	0.0378094	-	-	-	*

\* calculated constants from kinetic theory.

TABLE III

 $C_v(T)$  BTU/lbm-R Specific Heat @ Constant Volume.

$$FCTN=B1+B2T+B3T^2+B4T^3$$

GAS	B1	B2	B3	B4	Range - deg. R
AIR	0.164435	7.69284E-06	1.21419E-08	-2.61289E-12	300-3600
AMMONIA	0.400144	-2.77713E-04	6.03509E-07	-2.29279E-10	576-1044
ARGON	8.02449E-02	-2.69774E-05	4.07132E-08	-1.92432E-11	162-1080
BROMINE	3.66763E-02	1.12846E-05	-6.32263E-09	1.15725E-12	400-2570
CARBON	7.06064E-02	1.93292E-04	-6.75883E-08	8.74976E-12	300-3000
DIOXIDE					
CARBON MONOXIDE	0.176238	-9.67381E-06	2.63333E-08	-5.6751E-12	300 3000
CHLORINE	5.85948E-02	6.97138E-05	-4.34525E-08	9.0423E-12	250-2178
FLUORINE	0.150486	-1.72961E-04	4.70883E-07	-3.13487E-10	162-540
FREON-12	not available				
HELIUM	0.7440983	-	-	-	*
HYDROGEN	1.75698	1.39838E-03	-8.0439E-07	1.6083E-10	200-2900
NEON	0.1475809	-	-	-	*
NITROGEN	0.177257	-1.05204E-05	2.28181E-08	-4.41429E-12	200-3400
OXYGEN	0.143786	3.03129E-05	2.0739E-09	-1.41517E-12	200-3400
WATER	0.326063	-9.63657E-06	5.93762E-08	-1.10588E-11	300-3000
VAPOR					
XENON	0.0226856	-	-	-	*

\* calculated constants from kinetic theory.

TABLE IV

 $\gamma(T) = C_p/C_v$  Specific Heat Ratio no units

$FCTN = B1 + B2T + B3T^2 + B4T^3$

GAS	B1	B2	B3	B4	Range - deg. R
AIR	1.42616	-4.21505E-05	-7.93962E-09	2.40318E-12	198-3420
AMMONIA	1.39459	-2.78203E-04	1.13379E-07	1.46383E-11	576-1044
ARGON	1.75022	-3.67538E-04	5.33183E-07	-2.50109E-10	180-1008
*BROMINE	1.3372	-9.0523E-05	5.38983E-08	-1.05E-11	400-2400
CARBON	1.56184	-7.39734E-04	5.32245E-07	-1.35797E-10	396-1620
DIOXIDE					
CARBON MONOXIDE	1.41418	-5.43095E-06	-3.94182E-08	1.00754E-11	360-2790
*CHLORINE	1.43937	-2.87793E-04	1.83999E-07	-3.85425E-11	250-2250
FLUORINE	1.51089	-7.13918E-04	1.58057E-06	-1.4369E-09	162-540
FREON-12	not available				
*HELIUM	1.66667	-	-	-	-
HYDROGEN	1.80808	-1.68434E-03	2.23199E-06	-9.56775E-10	180-1080
*NEON	1.66667	-	-	-	-
NITROGEN	1.4059	1.52556E-05	-4.72063E-08	1.0644E-11	270-2880
OXYGEN	1.4406	-9.78523E-05	1.37403E-08	8.0034E-13	216-3060
WATER	1.3463	-2.24709E-05	-2.8864E-08	7.00874E-12	300-3000
VAPOR					
*XENON	1.66667	-	-	-	-

\* calculated from kinetic theory.

TABLE V

 $\mu(T)$  1bf-sec/ft.<sup>2</sup> molecular viscosity

$FCTN = B1 + B2T + B3T^2 + B4T^3$

GAS	B1	B2	B3	B4	Range - deg. R
AIR	2.74877E-08	7.85557E-10	-2.51179E-13	4.0851E-17	260-2560
AMMONIA	4.59333E-09	3.61045E-10	4.43819E-14	-1.82028E-18	460-1460
ARGON	2.42105E-08	9.4593E-10	-2.5037E-13	3.34968E-17	260-2860
BROMINE	6.99652E-08	5.02169E-10	-1.47247E-13	1.69649E-16	460-920
CARBON	-1.97493E-08	7.05895E-10	-1.76601E-13	2.48862E-17	360-2860
DIOXIDE					
CARBON MONOXIDE	3.39232E-08	7.11432E-10	-1.8641E-13	2.77278E-17	270-2700
CHLORINE	-3.39665E-09	5.4603E-10	-2.49582E-14	-1.41739E-17	460-1660
FLUORINE	-1.86865E-08	1.14685E-09	-3.06333E-13	-7.89963E-17	160-1100
FREON-12	-1.34814E-08	6.45425E-10	-2.6929E-13	4.83045E-17	440-960
HELUM	not available				
HYDROGEN	-5.03306E-08	5.53477E-10	-2.7895E-13	6.39674E-17	560-2560
NEON	9.34812E-08	1.29751E-09	-5.30558E-13	1.26959E-16	260-2260
NITROGEN	4.4789E-08	6.93784E-10	-1.90658E-13	2.715E-17	260-2860
OXYGEN	9.54299E-08	6.81319E-10	-1.24826E-13	1.50221E-17	360-3060
WATER	2.01511E-08	3.40295E-10	5.94828E-14	-1.49343E-17	740-2660
VAPOR					
XENON	-4.21081E-08	1.08327E-09	-2.09688E-13	5.49662E-19	420-1260

TABLE VI

k(T) BTU/ft-sec-R thermal conductivity

FCTN=B1+B2T+B3T<sup>2</sup>+B4T<sup>3</sup>

<u>GAS</u>	<u>B1</u>	<u>B2</u>	<u>B3</u>	<u>B4</u>	<u>Range</u>	<u>Deg.</u>	<u>R</u>
AIR	1.4884E-07	8.12546E-09	-1.49776E-12	1.4482E-16	180-2520		
AMMONIA	4.29762E-07	2.7288E-09	7.99878E-12	-1.75037E-15	450-1620		
ARGON	4.26251E-07	4.73128E-09	-7.67798E-13	7.5791E-17	180-4860		
BROMINE	-3.10747E-06	1.82455E-08	-3.06197E-11	1.87227E-14	450-630		
CARBON	-7.85007E-06	5.72261E-09	1.69217E-12	-6.90018E-16	360-2250		
DIOXIDE							
CARBON MONOXIDE	-1.27634E-07	9.01106E-09	-2.63386E-12	4.76956E-16	180-2250		
CHLORINE	-6.20427E-08	2.20449E-09	1.43919E-12	-7.70715E-16	432-1260		
FLUORINE	3.92382E-08	7.42551E-09	2.56397E-12	-2.04974E-15	180-1440		
FREON-12	-5.19247E-07	3.12354E-09	1.3724E-12	-6.35186E-17	450-900		
HELIUM	6.22626E-06	3.40444E-08	-3.41609E-12	3.19323E-16	180-4320		
HYDROGEN	2.82639E-06	5.37253E-08	-1.46949E-11	2.85135E-15	180-2610		
NEON	2.12319E-06	1.11828E-08	-1.96329E-12	1.95363E-16	180-4320		
NITROGEN	1.23844E-07	8.57171E-09	-2.37072E-12	3.82796E-16	260-2860		
OXYGEN	-2.4701E-08	8.77107E-09	-1.72883E-12	2.30711E-16	180-2700		
WATER	1.13512E-06	-6.23951E-10	8.51026E-12	-2.33593E-15	504-1620		
VAPOR							
XENON	9.13157E-10	1.81758E-09	-2.72407E-13	-2.94542E-19	360-1332		

TABLE VII

 $\Delta\phi(T) = \int C_p(T) dT/T$  BTU/lbm-R "temperature function"

FCTN=B1+B2T+B3T<sup>2</sup>+B4T<sup>3</sup>

<u>GAS</u>	<u>B1</u>	<u>B2</u>	<u>B3</u>	<u>B4</u>	<u>Range</u>	<u>Deg.</u>	<u>R</u>
AIR	0.232404	8.56494E-04	-4.08016E-07	7.64068E-11	200-2400		
*AMMONIA	-0.388219	1.15678E-03	-3.33501E-07	4.86868E-11	400-2460		
*ARGON	-4.03556E-02	4.17858E-04	-1.96373E-07	3.61134E-11	180-2340		
*BROMINE	-4.11293E-02	1.42893E-04	-5.54945E-08	8.8608E-12	360-2460		
CARBON	0.923566	5.0671E-04	-1.51025E-07	1.99587E-11	300-3000		
DIOXIDE							
CARBON MONOXIDE	1.38796	6.54878E-04	-2.34238E-07	3.39601E-11	300-3000		
*CHLORINE	-9.1076E-02	3.11039E-04	-1.21582E-07	1.98783E-11	360-2360		
*FLUORINE	-1.50548E-01	5.13262E-04	-1.85779E-07	2.86895E-11	360-2460		
*FREON-12	-5.80762E-02	3.89855E-04	-1.3072E-07	1.95411E-11	180-2460		
*HELUM	-0.717177	3.91478E-03	-1.79516E-06	3.29118E-10	250-2250		
HYDROGEN	11.5873	8.31522E-03	-2.80508E-06	3.8395E-10	300-3000		
*NEON	-0.142241	7.76439E-04	-3.56043E-07	6.52756E-11	250-2250		
NITROGEN	1.3331	6.55749E-04	-2.36418E-07	3.44189E-11	300-3000		
OXYGEN	1.26596	5.76141E-04	-2.00312E-07	2.85177E-11	300-3000		
WATER	1.96748	1.16367E-03	-4.07186E-07	5.96368E-11	300-3000		
VAPOR							
*XENON	-2.18649E-02	1.19352E-04	-5.47297E-08	1.0034E-11	250-2250		

\* calculated

TABLE VIII

$$\Pr(T) = \mu(T) C_p(T) / k(T) \quad \text{no units} \quad \text{Prandtl number}$$

$$FCTN = B1 + B2T + B3T^2 + B4T^3$$

GAS	B1	B2	B3	B4	Range	Deg.	R
AIR	0.776769	-1.31645E-04	2.80229E-08	2.59569E-12	260-2260		
AMMONIA	1.0796	-7.30896E-04	7.06829E-07	-1.93878E-10	460-1460		
ARGON	0.700487	-5.8009E-05	2.34596E-08	-1.97692E-12	180-1440		
BROMINE	4.27221	-1.83804E-02	3.22558E-05	-1.91866E-08	460-630		
CARBON	1.00224	-6.86227E-04	6.22539E-07	-2.54631E-10	396-1080		
DIOXIDE							
CARBON MONOXIDE	0.863382	-3.60646E-04	2.5387E-07	-3.58356E-11	360-1080		
CHLORINE	0.804124	-1.96901E-04	1.05186E-07	-5.8586E-12	460-1260		
FLUORINE	0.682529	1.60336E-04	-2.36512E-07	4.90444E-11	360-1100		
FREON-12	1.28342	-1.69373E-03	1.91824E-06	-9.08582E-10	450-900		
HELUM	not available						
HYDROGEN	0.704128	1.12073E-04	-2.63566E-07	1.15759E-10	180-1440		
NEON	0.647415	5.77577E-05	-6.10706E-08	2.2094E-11	260-2260		
NITROGEN	0.849496	-3.82263E-04	2.69565E-07	-5.30766E-11	180-2160		
OXYGEN	0.913618	-6.91632E-04	7.00018E-07	-2.2162E-10	180-1080		
WATER	2.09544	-2.42043E-03	1.61261E-06	-3.54911E-10	740-1530		
VAPOR							
XENON	0.562866	2.79847E-04	-2.66293E-07	7.82523E-11	420-1260		

TABLE IX

$$h(T) \quad \text{BTU/lbm} \quad \text{static enthalpy}$$

$$*FCTN = B1T + B2T^2 + B3T^3 + B4T^4$$

$$FCTN = B1 + B2T + B3T^2 + B4T^3$$

GAS	B1	B2	B3	B4	Range	Deg.	R
*AIR	0.239788	-6.71311E-06	9.69339E-09	-1.60794E-12	200-2400		
AMMONIA	740.517	0.427092	6.17597E-05	2.08788E-08	540-1044		
ARGON	80.9133	0.135952	-2.56082E-05	1.94633E-08	162-540		
BROMINE	-19.3333	5.25417E-02	1.86025E-06	-2.94235E-10	360-2460		
*CARBON DIOXIDE	0.137468	6.89219E-05	-9.27995E-09	8.46312E-14	300-3000		
*CARBON MONOXIDE	0.238726	-3.67254E-06	1.34861E-08	-2.8716E-12	300-3000		
CHLORINE	-40.4627	0.107167	9.72128E-06	-1.59492E-09	360-2460		
FLUORINE	-23.8687	2.00613	-5.3029E-04	6.40045E-07	162-540		
FREON-12	-21.6583	8.80787E-02	6.15282E-05	-1.06053E-08	180-2460		
HELUM	5.72024	1.24746	-2.28079E-05	2.23289E-08	20-540		
*HYDROGEN	3.37356	-1.08333E-06	3.01892E-08	-2.85439E-12	300-3000		
NEON	-61.4919	0.245968	-3.58635E-10	9.56427E-14	250-2250		
*NITROGEN	0.250102	-9.69119E-06	1.0385E-08	-1.62097E-12	300-3000		
*OXYGEN	0.215027	-1.50639E-06	1.0399E-08	-2.09808E-12	300-3000		
*WATER	0.439412	-1.04775E-05	2.30972E-08	-3.36771E-12	300-3000		
VAPOR							
XENON	-9.45233	3.78094E-02	-5.4887E-11	1.46371E-14	250-2250		

\* use the polynomial on the left above.

TABLE X

 $u(T)$  BTU/lbm internal energy

$$*FCTN=B1T+B2T^2+B3T^3+B4T^4$$

$$FCTN=B1+B2T+B3T^2+B4T^3$$

<u>GAS</u>	<u>B1</u>	<u>B2</u>	<u>B3</u>	<u>B4</u>	<u>Range</u>	<u>Deg.</u>	<u>R</u>
*AIR	0.171225	-6.68651E-06	9.67706E-09	-1.60477E-12	200-2400		
AMMONIA	-191.39	0.274263	9.43435E-05	1.13717E-08	576-1044		
ARGON	81.6692	8.14908E-02	-1.50656E-05	1.13713E-08	162-540		
BROMINE	-16.6153	4.05935E-02	1.37311E-06	-2.26001E-10	400-2650		
*CARBON DIOXIDE	9.23449E-02	6.89232E-05	-9.28104E-09	8.4872E-14	300-3000		
*CARBON MONOXIDE	0.179066	-9.92801E-06	1.17292E-08	-1.94727E-12	300-3000		
CHLORINE	-19.9704	7.34877E-02	1.3884E-05	-2.7592E-09	250-2178		
FLUORINE	-16.668	1.43717	-4.25909E-04	5.59062E-07	162-540		
FREON-12	not available						
HELlUM	5.92049	0.747731	-1.1543E-05	1.1296E-08	20-540		
*HYDROGEN	2.38843	-9.27131E-07	3.00986E-08	-2.83829E-12	300-3000		
NEON	-36.8951	0.147581	-2.15709E-10	5.75145E-14	250-2250		
*NITROGEN	0.179212	-9.67386E-06	1.03733E-08	-1.6186E-12	300-3000		
*OXYGEN	0.152975	-1.52136E-06	1.0408E-08	-2.09968E-12	300-3000		
*WATER VAPOR	0.329174	-1.04572E-05	2.30857E-08	-3.36573E-12	300-3000		
XENON	-5.6714	2.26857E-02	-3.32254E-11	8.85899E-15	250-2250		

\* use the polynomial on the left above

TABLE XI

 $h(T)/u(T)$  no units ratio of enthalpy to internal energy.

$$FCTN=B1+B2T+B3T^2+B4T^3$$

<u>CAS</u>	<u>B1</u>	<u>B2</u>	<u>B3</u>	<u>B4</u>	<u>Range</u>	<u>Deg.</u>	<u>R</u>
AIR	1.40057	1.51205E-05	-2.27076E-08	4.13655E-12	200-2400		
ARGON	0.99394	6.28267E-04	-5.33195E-07	2.57353E-10	162-540		
CARBON DIOXIDE	1.45987	-2.29764E-04	7.73689E-08	-9.67236E-12	300-3000		
CARBON MONOXIDE	1.3332	5.53634E-05	-1.49804E-08	-8.4451E-13	300-3000		
FLUORINE	1.38966	8.01579E-05	-1.73983E-07	5.20784E-11	162-540		
HELlUM	1.47951	1.68018E-03	-5.14387E-06	4.97088E-09	20-540		
HYDROGEN	1.41248	1.77489E-07	-5.33006E-09	6.23351E-13	300-3000		
NITROGEN	1.39602	2.02843E-05	-2.25596E-08	3.74142E-12	300-3000		
OXYGEN	1.40727	-2.30938E-06	-2.1207E-08	4.65935E-12	300-3000		
WATER VAPOR	1.33606	6.79299E-06	-2.08846E-08	3.6175E-12	300-3000		

Ammonia, bromine, chlorine, freon-12, neon and xenon not calculated due to probable excessive error.

TABLE XII

s(T) BTU/lbm-R entropy @ 1 atmosphere

$$\text{FCTN} = B_1 + B_2 T + B_3 T^2 + B_4 T^3$$

<u>GAS</u>	<u>B1</u>	<u>B2</u>	<u>B3</u>	<u>B4</u>	<u>Range</u>	<u>Deg. R</u>
AIR	1.25715	9.10432E-04	-4.58246E-07	8.97664E-11	180-2340	
AMMONIA	2.61008	6.05613E-04	4.03951E-07	-2.7286E-10	420-1060	
ARGON	0.73114	4.5156E-04	-2.15042E-07	3.88E-11	180-2520	
CARBON DIOXIDE	0.927345	5.05824E-04	-1.55077E-07	2.1604E-11	396-2700	
CARBON MONOXIDE	1.39638	6.41379E-04	-2.32837E-07	3.50049E-11	360-2790	
FLUORINE	0.81659	1.87441E-03	-2.98684E-06	2.02761E-09	162-540	
HELIUM	3.24188	2.60655E-02	-6.41867E-05	5.73241E-08	20-540	
HYDROGEN	8.98152	1.98668E-02	-1.79158E-05	6.66945E-09	108-1080	
NEON	1.05393	3.174E-03	-5.93218E-06	4.43268E-09	90-540	
NITROGEN	1.3027	6.80574E-04	-2.26751E-07	2.86714E-11	180-3780	
OXYGEN	1.19726	7.55907E-04	-3.33615E-07	5.79808E-11	180-2610	
WATER	1.92593	1.3842E-03	-6.70928E-07	1.4644E-10	684-1530	
VAPOR						

Bromine, chlorine, freon-12 and xenon values not available.

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## APPENDIX A

## CONVERSION SUMMARY

TABLE 12  
Systems of units(Re: 11)

Name of unit	Dimension	British ft-lbf-sec	Metric kg·m-sec	Metric Absolute cg-sec
Force	F	lbf	Kg	dyne
Length	L	ft	m	cm
Time	T	sec	sec	sec
Velocity	L/T	ft/sec	m/sec	cm/sec
Acceleration	L/T <sup>2</sup>	ft/sec <sup>2</sup>	m/sec <sup>2</sup>	cm/sec <sup>2</sup>
Pressure	F/L	lbf/ft <sup>2</sup>	Kg/m <sup>2</sup>	dynes/cm <sup>2</sup>
Momentum	FT	lbf-sec	Kg-sec	dyne-sec
Work - Energy	FL	ft-lbf	Kg-m	dyne-cm (=erg)
Power	FL/T	ft-lbf/sec	Kg-m/sec	ergs/sec
Mass	FT <sup>2</sup> /L	lbf-sec <sup>2</sup> /ft (=slug)	Kg-sec <sup>2</sup> /m (metric slug)	dyne-sec <sup>2</sup> /cm (=gram mass)

## A) Temperature conversions:

$$\begin{aligned} ^\circ R &= ^\circ F + 459.67 & ^\circ K &= ^\circ C + 273.15 \\ ^\circ R &= 9/5 ^\circ K & ^\circ K &= 5/9 ^\circ R \end{aligned}$$

## B) Molecular viscosity

$$\begin{aligned} \text{Centipoise} &= 2.0886E-05 \text{ lbf-sec/ft}^2 \text{ (=slugs/ft-sec)} \\ &= 6.71986164E-04 \text{ lbm/ft-sec} \\ &= 2.41915 \text{ lbm/ft-hr} \end{aligned}$$

## C) Thermal conductivity:

$$\begin{aligned} \text{mw/cm-K} &= 5.78176E-02 \text{ BTU/ft-hr-R} \\ &= 1.60604444E-05 \text{ BTU/ft-sec-R} \\ &= 2.39006E-04 \text{ Cal/cm-sec-R} \end{aligned}$$

## D) Specific energy:

$$\begin{aligned} \text{Cal/mole-K} &= (1/MW) \text{BTU/lbm-R} \\ \text{Cal/mole} &= (1.8/MW) \text{BTU/lbm} \\ \text{Joule/mole-K} &= 4.184^{-1} (1/MW) \text{BTU/lbm-R} \\ \text{Joule/mole} &= 1.8/4.184 (1/MW) \text{BTU/lbm} \end{aligned}$$

The following conversion summary is alphabetically organized. Within each group, the summary is designed to be read from left-to-right. To convert from the units on the left to the units on the right, simply multiply by the appropriate conversion factor. Any of the units on the right may be converted to those of the left by either dividing by the conversion factor or multiplying by its reciprocal. A third possible way to use the summary is to equate any two units on the right within a single group. As an example, consider the viscosity conversions provided in B) above.

- a) direct conversion: (X)centipoise = (X)2.0886E-05 slugs/ft-sec
- b) inverse conversion: (X)slugs/ft-sec = (X)/2.0886E-05 centipoise
- c) alternate conversions: 5.78176E-02 BTU/ft-hr-R = 1.60604444E-05 BTU/ft-sec-R

## APPENDIX A

Angstrom units	1E-08	cm	BTU/sec	3600	BTU/hr
	1E-10	m		60	BTU/min
	3.9370079E-09	in		908.4905	kg-cal/hr
	1E-04	microns		15.1414583	kg-cal/min
				1.0558673	ergs/sec
				778.76809	ft-lbf/sec
Atmospheres (pressure)	1.01325	bars		1.4159447	HP
	76.00	cm Hg @0° C		107.6687	Kg m /sec
	1033.25676	cm H <sub>2</sub> O @4° C		1.0558673	kilowatts
	1.01325E+06	dynes/cm <sup>2</sup>			
	33.8995	ft H <sub>2</sub> O @39.2° F			
	29.9213	in Hg @32° F	Calories-gm	4.184	joules
	1.03323	Kg/cm <sup>2</sup>		3.96262E-03	BTU
	14.696	lbf/in <sup>2</sup>		4.184E+07	ergs
	2116.224	lbf/ft <sup>2</sup>		3.08596	ft-lbf
				1.55857E-06	HP-hrs
				0.426649	Kg-m
Bars (pressure)	0.98692327	atmospheres		1.162222E-06	Kw-hrs
	1E+06	dynes/cm <sup>2</sup>		4.184	watt-sec
	33.4883	ft H <sub>2</sub> O @60° F		0.001	Kg-cal
	29.530	in Hg @32° F		4.26649E+04	gram-cm
	1.019716	Kg/cm <sup>2</sup>			
			Calories/hr	11622.222	ergs/sec
				1.1622222E-03	watts
BTU * (work)	3.933172E-04	HP-hr			
* mean value	1055.867	joules			
	778.76809	ft-lbf			
	107.6687	Kg-m	Calories/sec	4.184E+07	ergs/sec
	2.932965E-04	Kw-hr		3.08596	ft-lbf/sec
	252.3584	cal. gm		5.61084E-03	HP
	1.0558673E+10	ergs		4.184	watts
	1.0766872E+07	gram-cm			
	3.4749435E-06	tons of refriger.(US)			
	1055.867	watt-sec (=joules)	Centimeter	1E+08	Angstrom units
	0.2932965	watt-hrs		3.2808399E-02	ft
				1E+05	microns
				0.39370079	in
BTU/hr (power)	0.2523584	Kg-cal/hr		5.399568E-06	nautical miles
	2.9329657E+06	ergs/sec		6.2137119E-06	statute miles
	778.76809	ft-lbf/hr		1.9883878E-03	rods
	3.93317197E-04	HP		1.0936133E-02	yards
	2.93296467E-04	Kilowatts		0.0100	m
				10	mm
BTU/min (power)	0.2523584	Kg-cal/min			
	1.7597794E+08	ergs/sec	cm Hg @0° C	1.3157895E-02	atmospheres
	778.76809	ft-lbf/min	(pressure)	0.0133322	bars
	0.023599	HP		13332.2	dynes/cm <sup>2</sup>
	17.59779	joules/sec		0.44605	ft H <sub>2</sub> O @4° C
	107.6687	Kg-m /min		0.446474	ft H <sub>2</sub> O @60° F
	0.01759779	kilowatts		0.39370079	in Hg @ 0° C
	17.59779	watts		135.951	Kg/m <sup>2</sup>
				27.845	lbf/ft <sup>2</sup>
				0.193368	lbf/in <sup>2</sup>
BTU/lbm	0.5563545	gm cal/gram		10	torrs
	778.76809	ft-lbf/lbm			
	2.32778503	joules/gram	cm H <sub>2</sub> O @4° C	9.67814E-04	atmospheres
	see section D also.		(pressure)	980.638	dynes/cm <sup>2</sup>
				0.0142229	lbf/in <sup>2</sup>

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cm/sec	1.9685039	ft/min	ergs	9.470887109E-11 BTU
	0.032808399	ft/sec		2.39006E-08 cal-gm
	0.036	Km/hr		1 dyne-cm
	0.0006	Km/min		7.37562E-08 ft-lbf
	2.2369363E-02	miles/hr		1E-07 joules
				2.777777E-14 kw-hrs
				1.019716E-08 Kg-m
centipoise (viscosity)	2.41915	lbf/ft-hr		1E-07 watt-sec
	6.7196898E-04	lbf/ft-sec		
	2.0886E-05	lbf-sec/ft <sup>2</sup>		
cm <sup>3</sup>	3.5314667E-05	ft <sup>3</sup>	ergs/sec (power)	1.34102E-10 HP
	0.061023744	in <sup>3</sup>		1 dyne-cm/sec
	1E-06	m <sup>3</sup>		4.42537E-06 ft-lbf/min
	1.3079506E-06	yards <sup>3</sup>		1E-10 kilowatts
ft <sup>3</sup>	H <sub>2</sub> O @39.2° F	62.4262 lbf of H <sub>2</sub> O	ft	12 in
	@60° F	62.3663 lbf of H <sub>2</sub> O		30.48 cm
				0.3048 m
ft <sup>3</sup>	2.8316847E+04	cm <sup>3</sup>		3.048E+05 microns
	0.028316847	m <sup>3</sup>		1.89393E-04 stat. miles
in <sup>3</sup>	16.387064	cm <sup>3</sup>		1.6457883E-04 naut. miles
	5.787037E-04	ft <sup>3</sup>		0.060606 rods
	1.6387064E-05	m <sup>3</sup>		
	2.143347E-05	yards <sup>3</sup>	ft Hg @0° C (pressure)	5.89385 lbf/in <sup>2</sup>
				848.7144 lbf/ft <sup>2</sup>
				13.6085 ft H <sub>2</sub> O @60° F
m <sup>3</sup>	35.314667	ft <sup>3</sup>		
	1E+06	cm <sup>3</sup>	ft H <sub>2</sub> O @4° C	0.029499 atmosphere
	61023.7446	in <sup>3</sup>		2.24192 cm Hg @0° C
	1.3079506	yards <sup>3</sup>		29889.8 dynes/cm <sup>2</sup>
dynes (force)	1.019716E-03	grams		0.882646 in Hg @0° C
	1E-05	Newton's		304.791 Kg/m <sup>2</sup>
	2.248089E-06	lbf		0.433515 lbf/in <sup>2</sup>
	1	ergs/cm <sup>2</sup>		62.42616 lbf/ft <sup>2</sup>
dynes/cm <sup>2</sup> (pressure)	9.86923E-07	atmosphere	ft/min	0.508 cm/sec
	1E-06	bars		0.0166666 ft/sec
	7.50062E-05	cm Hg @0° C		0.018288 Km/hr
	1.019745E-03	cm H <sub>2</sub> O @4° C		0.01136363 miles/hr
	1.019716E-03	grams/cm <sup>2</sup>	ft-lbf	1.28408E-03 BTU
	2.953E-05	in Hg @0° C		0.324048 cal(gm)
	4.01474E-03	in H <sub>2</sub> O @4° C		1.35582E+07 dyne-cm (=ergs)
	0.01019716	Kg/m <sup>2</sup>		13825.5 gram-cm
	1.450377E-05	lbf/in <sup>2</sup>		5.0505E-07 HP-hrs
dyne-cm	1	erg		1.35582 joules
	7.37562E-08	ft-lbf		0.138255 Kg-m
	1.019716E-03	gram-cm		3.76616E-07 Kwatt-hrs
	8.850744E-07	in-lbf		1.355818 Newton-m
	1E-07	Newton-m		3.76616E-04 watt-hrs

## APPENDIX A

ft-lbf/hr (power)	2.14013E-05 5.4008E-03 2.2597E+05 5.050505E-07 3.76616E-07	BTU/min cal(gm)/min ergs/min HP kilowatt	in H <sub>2</sub> O @4° C 2490.82 0.0735539 25.3993 5.20218 0.03612628		atmospheres dynes/cm <sup>2</sup> in Hg @0° C Kg/m <sup>2</sup> 1bf/ft <sup>2</sup> 1bf/in <sup>2</sup>
ft-lbf/min	3.030303E-05 2.2597E-02	HP joules/sec	joules	9.47088E-04 0.239006 1E+07	BTU cal,(gm) ergs
grams (mass)	980.665 6.852177E-05	dynes slugs		0.737562 10197.16 3.72506E-07 0.1019716	ft-lbf gram-cm HP-hr Kg-m
grams/cm <sup>2</sup> (pressure)	9.67841E-04 9.80665E-04 0.0735559 0.028959 10 0.014223343	atmospheres bars cm Hg @0° C in H <sub>2</sub> O @32° F Kg/m <sup>2</sup> 1bf/in <sup>2</sup>		2.7777E-07 1	Kw-hr watt-sec
gram-cm	9.28776E-06 2.34385E-05 980.665 7.2330138E-05 3.65303E-11 9.80665E-05 2.72407E-11	BTU cal,(gm) ergs(=dyne-cm) ft-lbf HP-hr joules(=Newton-m ) kilowatt-hrs	joules/sec (power)	0.0568253 14.3403 1E+07 0.737562 1.34102E-03 1	BTU/min cal,( gm)/min dyne-cm/sec ft-lbf/sec HP watt
gram-cm/sec (power)	1.31509E-07 9.80665E-08	HP kilowatt	kilowatts	3409.52 1E+10 2.65522E+06 737.562 1.019716E+07 1.34102 3.6E+06 1E+03 3.67098E+05	BTU/hr ergs/sec ft-lbf/hr ft-lbf/sec gram-cm/sec HP joules/hr joules/sec Kg-m/hr
gram/cm <sup>2</sup>	3.41717E-04	1bf/in <sup>2</sup>			
horsepower (mechanical)	550.0 2542.48 6.41616E+05 7.457E+09 1.98E+06 33000.0 0.0760181 0.999598 1.01387 745.7 0.7457 0.21204	ft-lbf/sec BTU/hr cal,( gm)/hr ergs/sec ft-lbf/hr ft-lbf/min HP(b boiler) HP(electrical) HP(metric) joules/sec(=watts) kilowatts tons refrig(US)	kilowatt-hr	3409.52 2.65522E+06 1.34102 3.67098E+05 6076.1155 30.8666 1.15077945 1	BTU ft-lbf HP-hr Kg-m
in	2.54E+08 2.54 0.083333 0.0254	Angstrom units cm ft m	knots	6076.1155 30.8666 1.15077945 1	ft/hr m/min stat. mi/hr naut. mi/hr
in Hg @0° C (pressure)	0.0334211 0.0338639 33863.9 1.132957 34.5316 70.7262 0.49115417	atmospheres bars dynes/cm <sup>2</sup> ft H <sub>2</sub> O @39.2° F grams/cm <sup>2</sup> 1bf/ft <sup>2</sup> 1bf/in <sup>2</sup>	m	1E+10 3.2808399 39.370079 6.2137119E-04	Angstrom units ft in stat. mile
			m/sec	196.85039 2.2369363	ft/min mile/hr

## APPENDIX A

$1\text{bf}/\text{ft}^2$	4.72541E-04	atmosphere	radian	57.29577951	degree
(pressure)	4.78803E-04	bars		0.15915494	revolutions
0.0359131		cm Hg @ $0^\circ\text{C}$			
478.803		dynes/cm $^2$			
0.014139		in Hg @ $0^\circ\text{C}$	slugs	1	$\text{lbf}\cdot\text{sec}^2/\text{ft}$
0.192227		in H <sub>2</sub> O @ $39.2^\circ\text{F}$	(mass)	14.5939	Kg
4.8824276		Kg/m $^2$		32.174	lbm

APPENDIX B TABLE XIII

PHYSICAL CONSTANTS FOR THE SELECTED GASES											
SELECTED GAS	MOLECULAR FORMULA	MOLECULAR WEIGHT	R GAS CONST.	ft-lbf/ 1bm-R	Critical TEMP.	Critical PRESS.	ATM VOL. ft <sup>3</sup> /1bm-mol	TRIPLF PT. TEMP.	TRIPLF PT. PRESS.	TRIPLF PT. R	NORMAL BOIL. R
AIR	- - -	28.968	53.349	- - -	239.37	37.21	- - -	- - -	- - -	102.47	141.87
AMMONIA	NH <sub>3</sub>	17.032	90.737	729.9	111.3	1.16	- - -	351.72	0.05996	351.77	431.67
ARGON	A	39.944	38.690	271.17	47.986	- - -	- - -	- - -	- - -	150.97	157.07
BROMINE	Br <sub>2</sub>	159.818	9.67	1051.49	102.0	- - -	- - -	- - -	- - -	442.52	596.97
CARBON DIOXIDE	CO <sub>2</sub>	44.010	35.12	547.56	72.85	1.51	389.81	5.112	350.48†	- - -	- - -
CARBON MONOXIDE	CO	28.010	55.17	239.27	34.529	1.49	-	122.67	1.15	119.07	146.97
CHLORINE	Cl <sub>2</sub>	70.914	21.79	750.6	76.1	1.99	- - -	- - -	- - -	309.91	430.38
FLUORINE	F <sub>2</sub>	38.00	40.67	259.27	55.0	- - -	- - -	- - -	- - -	96.47	153.07
FREON-12	CCl <sub>2</sub> F <sub>2</sub>	120.930	12.78	693.27	40.605	- - -	-	96.47	2.2E-03	207.67	438.05
HELIUM	He	4.003	386.07	9.37	2.26	0.929	-	24.912	0.0695	- - -	7.57
HYDROGEN	H <sub>2</sub>	2.016	766.58	59.9	12.8	1.04	-	25.11	0.0708	25.07	36.67
NEON	Ne	20.183	76.57	79.92	26.85	- - -	-	44.19	0.4275	44.07	48.77
NITROGEN	N <sub>2</sub>	28.016	55.16	227.2	33.5	1.44	-	113.64	0.124	113.97	139.31
OXYGEN	O <sub>2</sub>	32.00	48.29	277.9	49.7	1.19	-	97.78	0.0158	98.57	162.27
WATER VAPOR	H <sub>2</sub> O	18.016	85.78	1165.1	218.2	0.897	-	491.688	0.00603	491.67	671.67
XENON	Xe	131.30	11.77	521.57	58.185	- - -	-	290.43	0.805	239.67	297.07

† normal sublimation temperature

APPENDIX B TABLE XIV

APPENDIX B TABLE XI

TEMPERATURE RANGE OF INCLUDED FUNCTIONS (deg. R)											
SELECTED GAS	C <sup>(T)</sup> BTU/1bm-R	C <sub>v</sub> (T) BTU/1bm-R	γ=C <sub>p</sub> /C <sub>v</sub> no units	μ(T) 1bf-sec/ft <sup>2</sup>	κ(T) BTU/ft-sec-R	φ(T) BTU/1bm-R	Pr(T) no units	h(T) BTU/1bm	u(T) BTU/1bm-P	h(T)/u(T) no units	s(T) @ 1 atm. BTU/1bm-P
AIR	180-4680	300-3000	200-3420	260-2560	180-2520	200-5000	260-2260	200-5000	200-5000	200-5000	180-2340
AMMONIA	400-2460	576-1044	460-1460	450-1620	400-2460	460-1460	540-1044	576-1044	-	-	420-1060
ARGON	180-2340	162-1080	180-1008	260-2860	180-4860	180-2340	180-1440	162-540	162-540	162-540	180-2520
BROMINE	360-2460	400-2570	400-2400	460-920	450-630	360-2460	460-630	360-2460	400-2650	-	-
CARBON DIOXIDE	360-2460	300-3000	396-1620	360-2860	360-2250	300-3000	396-1080	300-3000	300-3000	300-3000	396-2700
CARBON MONOXIDE	360-1440	300-3000	360-2790	270-2700	180-2250	300-3000	360-1080	300-3000	300-3000	300-3000	360-2790
CHLORINE	360-2360	250-2178	250-2250	460-1660	432-1260	360-2360	460-1260	360-2460	250-2178	-	-
FLUORINE	360-2460	162-540	162-540	160-1100	180-1440	360-2460	360-1100	162-540	162-540	162-540	162-540
FREON-12	180-2460	not av.	not av.	440-960	450-900	180-2460	450-900	180-2460	not av.	-	-
HELIUM	C*	C*	C*	not av.	180-4320	250-2250	not av.	20-540	20-540	20-540	20-540
HYDROGEN	180-2460	200-2900	180-1080	560-2560	180-2610	300-3000	180-1440	300-3000	300-3000	300-3000	108-1080
NEON	C*	C*	C*	260-2260	180-4320	250-2250	260-2260	250-2250	-	-	90-540
NITROGEN	270-2610	200-3400	270-2880	260-2860	260-2860	300-3000	180-2160	300-3000	300-3000	300-3000	180-3780
OXYGEN	460-2460	200-3400	216-3060	360-3060	180-2700	300-3000	180-1080	300-3000	300-3000	300-3000	180-2610
WATER VAPOR	684-1530	300-3000	300-3000	740-2660	504-1620	300-3000	740-1530	300-3000	300-3000	300-3000	684-1530
XENON	C*	C*	C*	420-1260	360-1332	250-2250	420-1260	250-2250	-	-	-

$C^*$  - constants calculated from kinetic theory for monatomic gases.

TABLE XV  
GAS FUNCTION - PAGE CROSS REFERENCE

GAS	C <sub>P</sub>	C <sub>V</sub>	$\gamma$	$\mu$	k	$\phi$	P <sub>r</sub>	h	u	h/u	s
AIR	40	40	41	41	41	41	42	42	42	43	43
AMMONIA	44	44	44	44	45	45	45	45	46	- -	46
ARGON	46	46	47	47	47	47	48	48	48	48	49
BROMINE	49	49	49	50	50	50	50	51	51	- -	- -
CARBON DIOXIDE	51	51	52	52	52	52	53	53	53	53	54
CARBON MONOXIDE	54	54	54	55	55	55	55	56	56	56	56
CHLORINE	57	57	57	57	58	58	58	58	59	- -	- -
FLUORINE	59	59	59	60	60	60	60	61	61	61	61
FREON-12	62	N.A.	N.A.	62	63	63	63	63	N.A.	- -	- -
HELIUM	64	64	64	N.A.	64	65	N.A.	65	65	66	66
HYDROGEN	66	66	67	67	67	67	68	68	68	68	69
NEON	69	69	69	69	69	70	70	70	70	- -	71
NITROGEN	71	71	71	72	72	72	72	73	73	73	73
OXYGEN	74	74	74	74	75	75	75	75	76	76	76
WATER VAPOR	76	77	77	77	77	78	78	78	78	79	79
XENON	79	79	79	79	80	80	80	80	81	- -	- -

N.A. indicates that the values were not available. The dashed entries indicate an intentional omission due to excessive error propagation.

## APPENDIX B

$C_p(T)$  AIR  
 BTU/1bm-R RE:9 table 2-11  
 180-2430 R

$$\begin{aligned} 0.232829 & +1.43429E-05T +3.56638E-09T^2 \\ 0.242333 & -2.15256E-05T +3.65E-08T^2 -8.43996E-12T^3 \\ 0.244384 & -3.28793E-05T+5.41829E-08T^2-1.86657E-11T^3+1.96205E-15T^4 \\ 0.240826 & -7.11378E-06T-3.95639E-09T^2+3.65913E-11T^3-2.12492E-14T^4+3.5552E-18T^5 \\ 0.23724 & +2.46993E-05T-9.90133E-08T^2+1.65884E-10T^3-1.0898E-13T^4+3.24768E-17T^5-3.68828E-21T^6 \end{aligned}$$

$$\begin{aligned} C_p(180) & =0.23936 \quad C_p(1260)=0.2566978 \\ C_p(2430) & =0.2853083 \end{aligned}$$

$C_p(T)$  AIR  
 BTU/1bm-R RE:9 table 2-11  
 2430-4680 R

$$\begin{aligned} 0.23985 & +2.40523E-05T-2.1408E-09T^2 \\ 0.215137 & +4.58711E-05T-8.41419E-09T^2+5.88266E-13T^3 \\ 0.196846 & +6.74746E-05T-1.78236E-08T^2+2.38036E-12T^3-1.26026E-16T^4 \\ 0.189883 & +7.77709E-05T-2.38347E-08T^2+4.11279E-12T^3-3.72593E-16T^4+1.38699E-20T^5 \\ 1.4927E-02 & +3.88539E-04T-2.51418E-07T^2+9.20765E-11T^3-1.93016E-14T^4+2.16465E-18T^5-1.00837E-22T^6 \end{aligned}$$

$$\begin{aligned} C_p(2430) & =0.2853083 \quad C_p(3510)=0.297912 \\ C_p(4680) & =0.305787 \end{aligned}$$

$C_v(T)$  AIR  
 BTU/1bm-R RE:6 table 2  
 300-3600 R

$$\begin{aligned} 0.154597 & +3.18817E-05T-2.88038E-09T^2 \\ 0.164435 & +7.69284E-06T+1.21419E-08T^2-2.61289E-12T^3 \\ 0.176395 & -3.44335E-05T+5.58155E-08T^2-1.97034E-11T^3+2.22766E-15T^4 \\ 0.181376 & -5.72472E-05T+8.96817E-08T^2-4.12298E-11T^3+8.31674E-15T^4-6.29696E-19T^5 \\ 0.177941 & -3.78582E-05T+5.15798E-08T^2-6.58662E-12T^3-7.52271E-15T^4+2.9011E-18T^5-3.04847E-22T^6 \end{aligned}$$

$$\begin{aligned} C_v(300) & =0.1707 \quad C_v(1600)=0.1984383 \\ C_v(3600) & =0.2300 \end{aligned}$$

$\gamma = \frac{C_p(T)}{C_v(T)}$  AIR  
 no units RE:9 table 2-6  
 198-3420 R  
 @ 1 atmosphere

$$\begin{aligned} 1.43231 & -6.02053E-05T+4.69735E-09T^2 \\ 1.42616 & -4.21505E-05T-7.93962E-09T^2+2.40318E-12T^3 \\ 1.41663 & -1.33492E-06T-5.57684E-08T^2+2.28633E-11T^3-2.87017E-15T^4 \\ 1.41937 & -1.69334E-05T-2.88906E-08T^2+3.69628E-12T^3+3.08782E-15T^4-6.68384E-19T^5 \\ 1.43632 & -1.36059E-04T+2.44058E-07T^2-2.75289E-10T^3+1.43445E-13T^4-3.46478E-17T^5+3.15976E-21T^6 \end{aligned}$$

$$\begin{aligned} \gamma(198) & =1.4202 \quad \gamma(1260)=1.365829 \\ \gamma(3420) & =1.2820 \end{aligned}$$

## APPENDIX B

 $\mu(T)$  AIR

molecular viscosity  
 $1\text{bf}\cdot\text{sec}/\text{ft}^2$  (=slugs/ $\text{ft}\cdot\text{sec}$ )  
 260-2560 R

RE:1 Vol. 2

$$\begin{aligned} & 9.50322E-08 + 5.74977E-10T - 7.79938E-14T^2 \\ & 2.74877E-08 + 7.85557E-10T - 2.51179E-13T^2 + 4.0851E-17T^3 \\ & - 5.097E-09 + 9.30986E-10T - 4.25481E-13T^2 + 1.47777E-16T^3 - 1.91059E-20T^4 \\ & - 1.294E-08 + 9.77633E-10T - 5.45944E-13T^2 + 2.29055E-16T^3 - 5.0777E-20T^4 + 4.53271E-24T^5 \\ & 5.87538E-09 + 8.40557E-10T - 1.89321E-13T^2 - 2.06504E-16T^3 + 2.19267E-19T^4 - 7.76696E-23T^5 \\ & + 9.74558E-27T^6 \end{aligned}$$

$$\begin{aligned} \mu(260) &= 2.0969544E-07 & \mu(1160) &= 6.6146476E-07 \\ \mu(2560) &= 1.0722872E-06 \end{aligned}$$

 $k(T)$  AIR

thermal conductivity  
 $\text{BTU}/\text{ft}\cdot\text{sec}\cdot\text{R}$   
 180-2520 R

RE:1 Vol. 2

$$\begin{aligned} & 3.32542E-07 + 7.46152E-09T - 9.11245E-13T^2 \\ & 1.48844E-07 + 8.12546E-09T - 1.49776E-12T^2 + 1.4482E-16T^3 \\ & - 8.39925E-08 + 9.36228E-09T - 3.35474E-12T^2 + 1.1804E-15T^3 - 1.91892E-19T^4 \\ & - 3.37101E-07 + 1.1139E-08T - 7.2443E-12T^2 + 4.7633E-15T^3 - 1.64849E-18T^4 + 2.15793E-22T^5 \\ & - 2.06529E-07 + 1.00039E-08T - 3.93252E-12T^2 + 3.8016E-16T^3 + 1.23855E-18T^4 - 7.06587E-22T^5 \\ & + 1.13874E-25T^6 \end{aligned}$$

$$\begin{aligned} k(180) &= 1.4807725E-06 & k(1350) &= 8.70187634E-06 \\ k(2520) &= 1.3410467E-05 \end{aligned}$$

 $\phi(T)$  AIR

"temperature function" \*  
 $\text{BTU}/1\text{bm}\cdot\text{R}$   
 200-2400 R

RF:6

$$\begin{aligned} & 0.3218 + 5.29473E-04T - 1.1003E-07T^2 \\ & 0.232404 + 8.56494E-04T - 4.08016E-07T^2 + 7.64068E-11T^3 \\ & 0.165535 + 1.212E-03T - 9.5452E-07T^2 + 3.91614E-10T^3 - 6.06168E-14T^4 \\ & 0.113728 + 1.57281E-03T - 1.75722E-06T^2 + 1.15176E-09T^3 - 3.80418E-13T^4 + 4.92002E-17T^5 \\ & 0.072739 + 1.92396E-03T - 2.79107E-06T^2 + 2.55088E-09T^3 - 1.33001E-12T^4 + 3.6329E-16T^5 - 4.02679E-20T^6 \end{aligned}$$

$$\phi(200) = 0.36303 \quad \phi(1327) = 0.8225509$$

$$\phi(2400) = 0.98331$$

\* this is the integral function  $\phi = \int C_p dT/T$

 $\phi(T)$  AIR

"temperature function" \*  
 $\text{BTU}/1\text{bm}\cdot\text{R}$   
 2400-5000 R

RF:6

$$\begin{aligned} & 0.661725 + 1.5954E-04T - 1.03741E-08T^2 \\ & 0.58026 + 2.29402E-04T - 2.97705E-08T^2 + 1.74742E-12T^3 \\ & 0.524848 + 2.93032E-04T - 5.66004E-08T^2 + 6.6748E-12T^3 - 3.32931E-16T^4 \\ & 0.483087 + 3.53104E-04T - 9.06054E-08T^2 + 1.6147E-11T^3 - 1.63199E-15T^4 + 7.02192E-20T^5 \\ & 0.468867 + 3.7768E-04T - 1.08069E-07T^2 + 2.26791E-11T^3 - 2.98882E-15T^4 + 2.18675E-19T^5 - 6.68722E-24T^6 \end{aligned}$$

$$\phi(2400) = 0.98331 \quad \phi(3756) = 1.1144112$$

$$\phi(5000) = 1.20129$$

## APPENDIX B

Pr(T) AIR  
 Prandtl number  
 no units  
 260-2260 R

RE: calculated  $\Pr = \mu(T) C_p(T) / \nu(T)$ 

$$\begin{aligned}
 & 0.733616 - 4.69569E-05T \\
 & 0.779809 - 1.423E-04T + 3.78346E-08T^2 \\
 & 0.776769 - 1.31645E-04T + 2.80229E-08T^2 + 2.59569E-12T^3 \\
 & 0.787346 - 1.84159E-04T + 1.07953E-07T^2 - 4.43022E-11T^3 + 9.30514E-15T^4 \\
 & 0.817922 - 3.7973E-04T + 5.31057E-07T^2 - 4.46142E-10T^3 + 1.81869E-13T^4 - 2.73911E-17T^5 \\
 & 0.846748 - 6.04271E-04T + 1.1645E-06T^2 - 1.29451E-09T^3 + 7.6325F-13T^4 - 2.24083E-16T^5 + 2.60174E-20T^6
 \end{aligned}$$

$$\begin{aligned}
 \Pr(260) &= 0.74927 & \Pr(1287) &= 0.65935 \\
 \Pr(2260) &= 0.652431
 \end{aligned}$$

h(T) AIR  
 enthalpy RE:6  
 BTU/lbm  
 200-2400 R

$$\begin{aligned}
 & 0.237906T + 1.68873E-07T^2 + 3.42243E-09T^3 \\
 & 0.239788T - 6.71311E-06T^2 + 9.69339E-09T^3 - 1.60794E-12T^4 \\
 & 0.238709T - 9.76692E-07T^2 + 8.7513E-10T^3 + 3.47818E-12T^4 - 9.78099E-16T^5 \\
 & 0.237213T + 9.43746E-06T^2 - 2.22938E-08T^3 + 2.54187E-11T^4 - 1.02087E-14T^5 + 1.4201E-18T^6 \\
 & 0.236481T + 1.57119E-05T^2 - 4.0767E-08T^3 + 5.04189E-11T^4 - 2.71764E-14T^5 + 7.03238E-18T^6 - 7.19523E-22T^7
 \end{aligned}$$

$$\begin{aligned}
 h(200) &= 47.670 & h(1338) &= 326.766 \\
 h(2400) &= 617.220
 \end{aligned}$$

h(T) AIR  
 enthalpy RE:6  
 BTU/lbm  
 2400-5000 R

$$\begin{aligned}
 & 0.224305T + 1.64159E-05T^2 - 1.11633E-09T^3 \\
 & 0.218268T + 2.15926E-05T^2 - 2.5536E-09T^3 + 1.29484E-13T^4 \\
 & 0.218076T + 2.18135E-05T^2 - 2.64671E-09T^3 + 1.46583E-13T^4 - 1.15536E-18T^5 \\
 & 0.223957T + 1.3353E-05T^2 + 2.14253E-09T^3 - 1.18747E-12T^4 + 1.81803F-16T^5 - 9.88964E-21T^6 \\
 & 0.236055T - 7.55439E-06T^2 + 1.69991E-08T^3 - 6.74446F-12T^4 + 1.33609E-15T^5 - 1.36185E-19T^6 \\
 & \quad \quad \quad \quad \quad \quad + 5.68897F-24T^7
 \end{aligned}$$

$$\begin{aligned}
 h(2400) &= 617.220 & h(3653) &= 984.050 \\
 h(5000) &= 1392.870
 \end{aligned}$$

u(T) AIR  
 internal energy RE:6  
 BTU/lbm  
 200-2400 R

$$\begin{aligned}
 & 0.169348T + 1.81908E-07T^2 + 3.14846E-09T^3 \\
 & 0.171225T - 6.68651E-06T^2 + 9.67706E-09T^3 - 1.60477E-12T^4 \\
 & 0.170148T - 9.5631E-07T^2 + 8.68353E-10T^3 + 3.47584E-12T^4 - 9.77039E-16T^5 \\
 & 0.168672T + 9.32277E-06T^2 - 2.20E-08T^3 + 2.51318E-11T^4 - 1.0088E-14T^5 + 1.40168E-18T^6 \\
 & 0.167971T + 1.53278E-05T^2 - 3.96799E-08T^3 + 4.90583E-11T^4 - 2.63269E-14T^5 + 6.77293E-18T^6 \\
 & \quad \quad \quad \quad \quad \quad - 6.88622E-22T^7
 \end{aligned}$$

$$\begin{aligned}
 u(200) &= 33.960 & u(1237) &= 215.956 \\
 u(2400) &= 452.70
 \end{aligned}$$

## APPENDIX B

$u(T)$  AIR  
internal energy RE:6  
BTU/lbm  
2400-5000 R

$$\begin{aligned}
& 0.155745T + 1.6422E-05T^2 - 1.11714E-09T^3 \\
& 0.149646T + 2.1652E-05T^2 - 2.56918E-09T^3 + 1.30815E-13T^4 \\
& 0.149264T + 2.20911E-05T^2 - 2.75437E-09T^3 + 1.64824E-13T^4 - 2.29795E-18T^5 \\
& 0.156615T + 1.15159E-05T^2 + 3.23197E-09T^3 - 1.50269E-12T^4 + 2.26392E-16T^5 - 1.23616E-20T^6 \\
& 0.172389T - 1.57449E-05T^2 + 2.26032E-08T^3 - 8.74837E-12T^4 + 1.73146E-15T^5 - 1.77036E-19T^6 \\
& \quad + 7.41778E-24T^7
\end{aligned}$$

$u(2400) = 452.70$        $u(3643) = 731.34$   
 $u(5000) = 1050.12$

$h(T)/u(T)$  AIR  
ratio of enthalpy and internal energy  
no units RE:6  
200-2400 R

$$\begin{aligned}
& 1.40541 - 2.58397E-06T - 6.57504E-09T^2 \\
& 1.40057 + 1.51205E-05T - 2.27076E-08T^2 + 4.13655E-12T^3 \\
& 1.40274 + 3.61186E-06T - 5.01604E-09T^2 - 6.06742E-12T^3 + 1.9623E-15T^4 \\
& 1.40626 - 2.08948E-05T + 4.95051E-08T^2 - 5.76979E-11T^3 + 2.36839E-14T^4 - 3.34178E-18T^5 \\
& 1.40789 - 3.49005E-05T + 9.07406E-08T^2 - 1.13503E-10T^3 + 6.15587E-14T^4 - 1.58694E-17T^5 + 1.6061E-21T^6
\end{aligned}$$

$h/u(200) = 1.4037102$        $h/u(1227) = 1.3928832$   
 $h/u(2400) = 1.3634195$

$h(T)/u(T)$  AIR  
ratio of enthalpy and internal energy  
no units RE:6  
2400-5000 R

$$\begin{aligned}
 & 1.42666E-3.24782E-05T+2.49656E-09T^2 \\
 & 1.44584E-4.89293E-05T+7.06402E-09T^2-4.11483E-13T^3 \\
 & 1.45394E-5.82281E-05T+1.09849E-08T^2-1.13156E-13T^3+4.86539E-17T^4 \\
 & 1.43722E-3.41774E-05T-2.62957E-09T^2+2.66079E-12T^3-4.71445E-16T^4+2.81135E-20T^5 \\
 & 1.388E+5.0885E-05T-6.30738E-08T^2+2.52696E-11T^3-5.16772E-15T^4+5.41949E-19T^5-2.31458E-23T^6
 \end{aligned}$$

$h/u(2400) = 1.3634195$        $h/u(3673) = 1.34105152$   
 $h/u(5000) = 1.3263913$

s(T) AIR  
entropy @ 1 atmosphere RE:9 table 2-5  
BTU/lbm-R  
180-2340 R

$$\begin{aligned}
& 1.34921+5.56529E-04T-1.21309E-07T^2 \\
& 1.25715+9.10432E-04T-4.58246E-07T^2+8.97664E-11T^3 \\
& 1.18896+1.28846E-03T-1.06862E-06T^2+4.57613E-10T^3-7.35759E-14T^4 \\
& 1.1347+1.68313E-03T-1.98959E-06T^2+1.36832E-09T^3-4.71999E-13T^4+6.35458E-17T^5 \\
& 1.08977+2.08536E-03T-3.2289E-06T^2+3.11943E-09T^3-1.70914E-12T^4+4.88375E-16T^5-5.64267E-20T^6
\end{aligned}$$

$$\begin{aligned}s(180) &= 1.3745394 & s(1080) &= 1.80812816 \\ s(2340) &= 2.015566\end{aligned}$$

APPENDIX F

C<sub>P</sub>(T) AMMONIA  
BTU/lbm-R  
400-2460 R

RF:2

$$3.4093+3.14431\text{F-}04\text{T-}3.60471\text{E-}08\text{T}^2 \\ 0.358467+2.64143\text{E-}04\text{T+}4.06609\text{E-}09\text{T}^2-9.4211\text{F-}12\text{T}^3 \\ 0.481225-2.14589\text{F-}04\text{T+}6.17498\text{E-}07\text{T}^2-3.22911\text{E-}10\text{T}^3+5.51751\text{F-}14\text{T}^4 \\ 0.67797-1.19371\text{F-}03\text{T+}2.37173\text{G-}06\text{T}^2-1.75244\text{E-}09\text{T}^3+5.93061\text{F-}13\text{T}^4-7.57935\text{F-}17\text{T}^5 \\ 0.410177+4.20634\text{F-}04\text{T-}1.34029\text{E-}06\text{T}^2+2.4419\text{F-}09\text{T}^3-1.88787\text{E-}12\text{T}^4+6.59903\text{E-}16\text{T}^5-8.62136\text{F-}20\text{T}^6 \quad *$$

$$C_P(400) = 0.4764 \quad C_P(1160) = 0.663889669$$

$$C_F^P(2460) = 0.8969$$

\* poor fits between 1050-1550 R approximateelt 1.5% error.

C<sub>v</sub>(T) AMMONIA  
 BTU/lbm-R  
 @ 1 atmosphere  
 576-1044 R

RF:1€ Vol. 1

$$\begin{aligned}
& 0.285288E+1.64944E-04T^4+4.63612E-08T^2 \\
& 0.400144E-2.77713E-04T^6+0.03509E-07T^2-2.29279E-10T^3 \\
& 0.583368E-1.22168E-03T^2+2.40087E-06T^2-1.72887E-09T^3+4.62835E-13T^4 \\
& 1.09343E-4.50983E-03T+1.07854E-05T^2-1.23018E-08T^3+7.05771E-12T^4-1.62836E-15T^5 \\
& 5.3823E-3.76953E-02T+1.16817E-04T^2-1.91386E-07T^3+1.75712E-10T^4-8.56144E-14T^5+1.72811E-17T^6
\end{aligned}$$

$$C_V(576) = 0.39689995 \quad C_V(792) = 0.444983254$$

$$C_V(1044) = 0.5072804$$

$$\gamma = C_p(T) / C_v(T) \quad \text{AMMONIA}$$

no units

576-1044 R

PE: calculated

$$1.40196 - 3.06499E-04T + 1.4895E-07T^2$$

$$1.39459 - 2.78203E-04T + 1.13379E-07T^2 + 1.46383E-11T^3$$

$$0.829723 + 2.62469E-03T - 5.40489E-06T^2 + 4.61508E-09T^3 - 1.41989E-12T^4$$

$$-1.18031 + 1.5548E-02T - 3.83242E-05T^2 + 4.60841E-08T^3 - 2.72736E-11T^4 + 6.38362E-15T^5$$

$$-14.1832 + 0.116007T - 3.58889E-04T^2 + 5.87022E-07T^3 - 5.36407E-10T^4 + 2.59848E-13T^5 - 5.21532E-17T^6$$

$$\gamma(576) = 1.273264 \quad \gamma(801) = 1.2516778$$

$$\gamma(1044) = 1.2436879$$

$\mu(T)$  AMMONIA  
molecular viscosity  
1bf-sec/ft.<sup>2</sup>  
460-1460 R

RE:1

$$\begin{aligned}
 & 3.31575E-09 + 3.65684E-10T + 3.91824E-14T^2 \\
 & 4.59333E-09 + 3.61045E-10T + 4.43819E-14T^2 - 1.82028E-18T^3 \\
 & 4.25521E-09 + 3.62695E-10T + 4.15214E-14T^2 + 2.75613E-19T^3 - 5.50667E-22T^4 \\
 & 6.31989E-10 + 3.92429E-10T - 2.78852E-14T^2 + 7.81132E-17T^3 - 4.26145E-20T^4 + 8.79306E-24T^5 \\
 & -6.02329E-08 + 8.28766E-10T - 1.31524E-12T^2 + 2.03893E-15T^3 - 1.67114E-18T^4 + 7.09393E-22T^5 \\
 & -1.2223E-25T^6
 \end{aligned}$$

$$\begin{aligned} \mu(460) &= 1.7982846E-07 & \mu(800) &= 3.208715471E-07 \\ \mu(1460) &= 6.2052306E-07 \end{aligned}$$

## APPENDIX E

k(T) AMMONIA  
thermal conductivity RE:1  
BTU/ft-sec-R  
450-1620 R

$$\begin{aligned}
& -1.08718E-06 + 7.95707E-09T + 2.55465E-12T^2 \\
& + 4.29762E-07 + 2.7288E-09T + 7.99878E-12T^2 - 1.75037E-15T^3 \\
& + 2.10079E-06 - 4.98751E-09T + 2.04628E-11T^2 - 1.01777E-14T^3 + 2.03079E-18T^4 \\
& + 5.22243E-06 - 2.30996E-08T + 6.03141E-11T^2 - 5.19048E-14T^3 + 2.29281E-17T^4 - 4.02528E-21T^5 \\
& - 4.4701E-06 + 4.47694E-08T - 1.293E-10T^2 + 2.19149E-13T^3 - 1.86776E-16T^4 + 7.95013E-20T^5 - 1.34258E-23T^6
\end{aligned}$$

$$k(450) = 3.1639075 \times 10^{-6} \quad k(1080) = 1.0531706 \times 10^{-5}$$

$$k(1620) = 1.8405269 \times 10^{-5}$$

$\phi(T)$  AMMONIA  
"temperature function" \* RE: calculated, ref 400 R  
BTU/lbm-R  
400-2460 R

$\Phi(473.6) = 8.15186E-02$        $\Phi(1430) = 0.72429979$   
 $\Phi(2460) = 1.1608313$   
 \* this is the integral function  $\Phi = \int C_p dT/T$

Pr(T) AMMONIA  
 Prandtl number RE: calculated  $\text{Pr} = \mu(T) C_p(T) / k(T)$   
 no units  
 460-1460 R

$$0.938004 - 2.26044E-04T + 1.4846E-07T^2$$

$$1.0796 - 7.30896E-04T + 7.06829E-07T^2 - 1.93878E-10T^3$$

$$0.780509 + 7.07761E-04T - 1.75386E-06T^2 + 1.58882E-09T^3 - 4.64244E-13T^4$$

$$0.33421 + 3.40696E-03T - 8.01773E-06T^2 + 8.57762E-09T^3 - 4.22506E-12T^4 + 7.83503E-16T^5$$

$$0.413107 + 2.83246E-03T - 6.333E-06T^2 + 6.02736E-09T^3 - 2.1195E-12T^4 - 1.17391E-16T^5 + 1.56405E-19T^6$$

$$\Pr(460) = 0.86699 \quad \Pr(941) = 0.85305$$

**h(T) AMMONIA  
enthalpy  
@ 1 atmosphere  
BTU/lbm  
540-1044 R**

$$\begin{aligned}
 & 7.50173E+02 + 0.388706T + 1.11368E-04T^2 \\
 & 740.517 + 0.427092T + 6.17597E-05T^2 + 2.08788E-08T^3 \\
 & 846.46 - 1.36253E-01T + 1.16523E-03T^2 - 9.23343E-07T^3 + 2.9805E-10T^4 \\
 & 1.704E+03 - 5.84385T + 1.61535E-02T^2 - 2.034E-05T^3 + 1.27113E-08T^4 - 3.13467E-12T^5 \\
 & 2.4435E+03 - 11.7525T + 3.56087E-02T^2 - 5.41337E-05T^3 + 4.53782E-08T^4 - 1.98011E-11T^5 + 3.50724E-15T^6
 \end{aligned}$$

$$h(540)=992.78973 \quad h(792)=1128.01145$$
$$h(1044)=1277.501$$

## APPENDIX B

u(T) AMMONIA  
 internal energy  
 BTU/lbm  
 576-1044 R

RF: calculated , ref.576 R

$$\begin{aligned} & -185.462 + 0.251789T + 1.22262E-04T^2 \\ & -191.39 + 0.274263T + 9.43435E-05T^2 + 1.13717E-08T^3 \\ & -210.856 + 0.372914T - 9.08293E-05T^2 + 1.63994E-07T^3 - 4.66247E-11T^4 \\ & -213.167 + 0.387575T - 1.27671F-04T^2 + 2.09846E-07T^3 - 7.48942F-11T^4 + 6.90888E-15T^5 \\ & -230.011 + 0.515874T - 5.31676E-04T^2 + 8.83099F-07T^3 - 7.01167F-10T^4 + 3.15284F-13T^5 - 6.28038F-17T^6 \end{aligned}$$

$$\begin{aligned} u(592.7) &= 6.65645 & u(793.3) &= 91.219216 \\ u(1044) &= 210.6891 \end{aligned}$$

## s(T) AMMONIA

entropy @ 1 atmosphere

RE:20 table 14-2

 BTU/lbm-R  
 420-1060 R

$$\begin{aligned} & 2.51416 + 1.03161E-03T - 1.98353E-07T^2 \\ & 2.61008 + 6.05613E-04T + 4.03951E-07T^2 - 2.7286E-10T^3 \\ & 1.78685 + 5.50612E-03T - 1.01771E-05T^2 + 9.56658E-09T^3 - 3.33308E-12T^4 \\ & 0.800326 + 1.28833E-02T - 3.16735E-05T^2 + 4.00994F-08T^3 - 2.44993F-11T^4 + 5.73751E-15T^5 \\ & 1.38235 + 7.65085E-03T - 1.24826E-05T^2 + 3.32828F-09T^3 + 1.43486E-11T^4 - 1.57369E-14T^5 + 4.85702F-18T^6 \end{aligned}$$

$$\begin{aligned} s(420) &= 2.9080 & s(720) &= 3.149968809 \\ s(1060) &= 3.376 \end{aligned}$$

C<sub>p</sub>(T) ARGON
 @ 1 atmosphere  
 BTU/lbm-R  
 180-2340 R

RE:9 table 3-3

$$\begin{aligned} & 0.127313 - 4.78028E-06T + 1.6229E-09T^2 \\ & 0.129518 - 1.36274E-05T + 1.05456E-08T^2 - 2.46576E-12T^3 \\ & 0.132327 - 2.97271E-05T + 3.75659E-08T^2 - 1.92942E-11T^3 + 3.44762E-15T^4 \\ & 0.136206 - 5.84558E-05T + 1.06075E-07T^2 - 8.85851E-11T^3 + 3.43482E-14T^4 - 5.00166E-18T^5 \\ & 0.140741 - 9.97927E-05T + 2.36658E-07T^2 - 2.7837E-10T^3 + 1.72099E-13T^4 - 5.34348E-17T^5 + 6.56031E-21T^6 \end{aligned}$$

$$\begin{aligned} C_p(180) &= 0.12964598 & C_p(720) &= 0.1244971039 \\ C_p(2340) &= 0.12430144 \end{aligned}$$

C<sub>p</sub><sup>0</sup>(T)=0.1242915 a constant for the ideal gas (kinetic theory)C<sub>v</sub>(T) ARGON
 @ 1 atmosphere  
 BTU/lbm-R  
 162-1080 R

RF:16 Vol. 2

$$\begin{aligned} & 7.75918E-02 - 8.93725E-06T + 6.1255F-09T^2 \\ & 8.02449E-02 - 2.69774E-05T + 4.07132E-08T^2 - 1.92432E-11T^3 \\ & 8.3578E-02 - 5.81328E-05T + 1.35861E-07T^2 - 1.34428E-10T^3 + 4.76211E-14T^4 \\ & 8.74206E-02 - 1.03485E-04T + 3.26999E-07T^2 - 4.99661E-10T^3 + 3.68667E-13T^4 - 1.05234E-16T^5 \\ & 9.09271E-02 - 1.54125E-04T + 6.04428E-07T^2 - 1.24405E-09T^3 + 1.41019E-12T^4 - 8.32511E-16T^5 \\ & \quad + 1.99746E-19T^6 \end{aligned}$$

$$\begin{aligned} C_v(162) &= 7.7426753E-02 & C_v(432) &= 7.47358593E-02 \\ C_v(1080) &= 7.4614499E-02 \end{aligned}$$

APPENDIX E  
 $\gamma = C_p(T)/C_v(T)$  ARGON  
no units  
180-1008 R  
@ 1 atmosphere

RE: 9 table 3-6

$$1.71437 - 1.30688E-04T + 8.74888E-08T^2 \\ 1.75022 - 3.67538E-04T + 5.33183E-07T^2 - 2.50109E-10T^3 \\ 1.79612 - 7.8515E-04T + 1.79184E-06T^2 - 1.77727E-09T^3 + 6.42746E-13T^4 \\ 1.86777 - 1.61288E-03T + 5.25476E-06T^2 - 8.42677E-09T^3 + 6.58494E-12T^4 - 2.00074E-15T^5 \\ 1.93095 - 2.49571E-03T + 9.99156E-06T^2 - 2.10178E-08T^3 + 2.42319E-11T^4 - 1.44732E-14T^5 + 3.49956E-18T^6$$

$$\gamma(180) = 1.706 \quad \gamma(576) = 1.669306053 \\ \gamma(1008) = 1.667$$

$\mu(T)$  ARGON  
molecular viscosity RE: 1  
1bf-sec/ft.<sup>2</sup>  
260-2860 R

$$9.44203E-08 + 7.37888E-10T - 9.36047E-14T^2 \\ 2.42105E-08 + 9.4593E-10T - 2.5037E-13T^2 + 3.34968E-17T^3 \\ 1.39941E-08 + 9.89509E-10T - 3.05362E-13T^2 + 5.97944E-17T^3 - 4.21435E-21T^4 \\ -1.20041E-08 + 1.134E-09T - 5.67635E-13T^2 + 2.6473F-16T^3 - 7.5798E-20T^4 + 9.1774E-24T^5 \\ -6.16608E-08 + 1.47275E-09T - 1.37785E-12T^2 + 1.16579E-15T^3 - 5.8181E-19T^4 + 1.48259E-22T^5 \\ -1.48591E-26T^6$$

$$\mu(260) = 2.4603708E-07 \quad \mu(1460) = 9.75653978E-07 \\ \mu(2860) = 1.4641086E-06$$

$k(T)$  ARGON  
thermal conductivity RE: 1  
BTU/ft-sec-R  
180-4860 R

$$9.64623E-07 + 3.55503E-09T - 1.94818E-13T^2 \\ 4.26251E-07 + 4.73128E-09T - 7.67798E-13T^2 + 7.5791E-17T^3 \\ 8.53917E-08 + 5.89472E-09T - 1.76319E-12T^2 + 3.79184E-16T^3 - 3.00985E-20T^4 \\ -6.92271E-08 + 6.62832E-09T - 2.70956E-12T^2 + 8.65627E-16T^3 - 1.37617E-19T^4 + 8.53319E-24T^5 \\ -3.569E-08 + 6.42369E-09T - 2.34644E-12T^2 + 5.91373E-16T^3 - 3.78551E-20T^4 - 8.74155E-24T^5 \\ +1.14251E-27T^6$$

$$k(180) = 1.047141E-06 \quad k(2340) = 8.164077964E-06 \\ k(4860) = 1.3876224E-05$$

$\phi(T)$  ARGON  
"temperature function" \* RE: calculated, ref 180 R  
BTU/lbm-R  
180-2340 R

$$6.0024E-03 + 2.60364E-04T - 5.56856E-08T^2 \\ -4.03556E-02 + 4.17858E-04T - 1.96373E-07T^2 + 3.61134E-11T^3 \\ -7.43033E-02 + 5.8141E-04T - 4.37945E-07T^2 + 1.73648E-10T^3 - 2.64781E-14T^4 \\ -0.101024 + 7.47588E-04T - 7.87225E-07T^2 + 4.95732E-10T^3 - 1.60718E-13T^4 + 2.0675E-17T^5 \\ -0.123694 + 9.1975E-04T - 1.25999E-06T^2 + 1.1113E-09T^3 - 5.70461E-13T^4 + 1.55239E-16T^5 - 1.72708E-20T^6$$

$$\phi(257) = 4.55875E-02 \quad \phi(1260) = 0.243915$$

$$\phi(2340) = 0.320817$$

\* this is the integral function  $\phi = \int C_p dT/T$

## APPENDIX E

Pr(T) ARGON  
 Prandtl number  
 @ 1 atmosphere  
 180-1440 R

RE:9 table 3-10

$$\begin{aligned} & 0.699882 - 5.47321T - 0.5T + 1.87237E-08T^2 \\ & 0.700487 - 5.8009E-05T + 2.34596E-08T^2 - 1.97692T - 12T^3 \\ & 0.709863 - 1.29349E-04T + 1.94253E-07T^2 - 1.61099E-10T^3 + 5.0079E-14T^4 \\ & 0.739664 - 4.18291E-04T + 1.16612E-06T^2 - 1.61593E-09T^3 + 1.04167T - 12T^4 - 2.50259E-16T^5 \\ & 0.81218 - 1.27116E-03T + 4.87781E-06T^2 - 9.38694E-09T^3 + 9.4317E-12T^4 - 4.74111E-15T^5 + 9.41472E-19T^6 \end{aligned}$$

$$\begin{aligned} \text{Pr}(180) &= 0.700 \\ \text{Pr}(1440) &= 0.660 \end{aligned}$$

h(T) ARGON  
 enthalpy @ 1 atmosphere RF: 21  
 BTU/lbm  
 162-540 R

$$\begin{aligned} & 81.5786 + 0.129335T - 5.28791E-06T^2 \\ & 80.9133 + 0.135952T - 2.56082E-05T^2 + 1.94633E-08T^3 \\ & 80.2605 + 0.14477T - 6.77939E-05T^2 + 1.04464E-07T^3 - 6.12454E-11T^4 \\ & 79.6456 + 0.155132T - 1.3452E-04T^2 + 3.10207E-07T^3 - 3.6608E-10T^4 + 1.74318E-13T^5 \\ & 79.0955 + 0.166232T - 2.24472E-04T^2 + 6.8543E-07T^3 - 1.21747E-09T^4 + 1.17298E-12T^5 - 4.74279E-16T^6 \end{aligned}$$

$$\begin{aligned} h(162) &= 102.3322 \\ h(540) &= 149.91232 \end{aligned}$$

u(T) ARGON  
 internal energy RE: 21  
 @ 1 atmosphere  
 BTU/lbm  
 162-540 R

$$\begin{aligned} & 82.0579 + 7.76247E-02T - 3.19368E-06T^2 \\ & 81.6692 + 8.14908E-02T - 1.50656E-05T^2 + 1.13713E-08T^3 \\ & 81.3222 + 8.6179E-02T - 3.74935E-05T^2 + 5.65617E-08T^3 - 3.25609E-11T^4 \\ & 81.0848 + 9.01784E-02T - 6.32492E-05T^2 + 1.35977E-07T^3 - 1.50225E-10T^4 + 6.72856E-14T^5 \\ & 81.1656 + 8.85489E-02T - 5.00438E-05T^2 + 8.08929E-08T^3 - 2.52384E-11T^4 - 7.93208E-14T^5 + 6.96258E-17T^6 \end{aligned}$$

$$\begin{aligned} u(162) &= 94.516166 \\ u(540) &= 123.0651 \end{aligned}$$

h(T)/u(T) ARGON  
 ratio of enthalpy and internal energy  
 @ 1 atmosphere RE:21  
 no units  
 162-540 R

$$\begin{aligned} & 1.00274 + 5.4077E-04T - 2.6451E-07T^2 \\ & 0.99394 + 6.28267E-04T - 5.33195E-07T^2 + 2.57353E-10T^3 \\ & 0.989175 + 6.92631E-04T - 8.41105E-07T^2 + 8.77768E-10T^3 - 4.47025E-13T^4 \\ & 0.984342 + 7.74072E-04T - 1.36557E-06T^2 + 2.49492E-09T^3 - 2.84304E-12T^4 + 1.37015E-15T^5 \\ & 0.976958 + 9.23071E-04T - 2.57301E-06T^2 + 7.53153E-09T^3 - 1.42712E-11T^4 + 1.47751E-14T^5 - 6.36624E-18T^6 \end{aligned}$$

$$\begin{aligned} h/u(162) &= 1.0826952 \\ h/u(540) &= 1.2181546 \end{aligned}$$

## APPENDIX B

**s(T) ARCON**  
**entropy @ 1 atmosphere RE:9**  
**BTU/1bm-R**  
**180-2520 R**

$$\begin{aligned}
 &0.77765 + 2.77329E-04T - 5.89988E-08T^2 \\
 &0.73114 + 4.5156E-04T - 2.15042E-07T^2 + 3.88E-11T^3 \\
 &0.696079 + 6.39797E-04T - 4.99001E-07T^2 + 1.9766E-10T^3 - 2.94653E-14T^4 \\
 &0.667317 + 8.40147E-04T - 9.37036E-07T^2 + 6.01176E-10T^3 - 1.93632E-13T^4 + 2.43355E-17T^5 \\
 &0.643374 + 1.04589E-03T - 1.53718E-06T^2 + 1.3972E-09T^3 - 7.19255E-13T^4 + 1.92645E-16T^5 - 2.08193E-20T^6
 \end{aligned}$$

$$\begin{aligned}
 s(180) &= 0.78763524 & s(1260) &= 1.0313233 \\
 s(2520) &= 1.1175297
 \end{aligned}$$

**C<sub>p</sub>(T) BROMINE**  
**BTU/1bm-F** RE: 1  
**360-2460 R**

$$\begin{aligned}
 &5.08065E-02 + 6.08059E-06T - 1.5858E-09T^2 \\
 &4.8013E-02 + 1.45148E-05T - 8.54282E-09T^2 + 1.67065E-12T^3 \\
 &4.48162E-02 + 2.77141E-05T - 2.61973E-08T^2 + 1.09708E-11T^3 - 1.67296E-15T^4 \\
 &4.41834E-02 + 4.519E-05T - 5.87703E-08T^2 + 3.8297E-11T^3 - 1.21796E-14T^4 + 1.50507E-18T^5 \\
 &3.88714E-02 + 6.17306E-05T - 9.83453E-08T^2 + 8.4461E-11T^3 - 4.01906E-14T^4 + 9.98403E-18T^5 \\
 &\quad - 1.0104E-21T^6
 \end{aligned}$$

$$\begin{aligned}
 C_p(360) &= 5.169E-02 & C_p(1060) &= 5.55873656E-02 \\
 C_p(2460) &= 5.663E-02
 \end{aligned}$$

**C<sub>v</sub>(T) BROMINE**  
**BTU/1bm-R** RE: calculated from kinetic theory  
**400-2570 R** θ<sub>vib</sub> = 837 R

$$\begin{aligned}
 &3.91637E-02 + 4.50662E-06T - 1.16768E-09T^2 \\
 &3.66763E-02 + 1.12846E-05T - 6.32263E-09T^2 + 1.15725E-12T^3 \\
 &3.38996E-02 + 2.17758E-05T - 1.92097E-08T^2 + 7.45717E-12T^3 - 1.06072E-15T^4 \\
 &3.09541E-02 + 3.59605E-05T - 4.35502E-08T^2 + 2.64077E-11T^3 - 7.87275E-15T^4 + 9.17556E-19T^5 \\
 &2.79622E-02 + 5.34325E-05T - 8.2185E-08T^2 + 6.82696E-11T^3 - 3.15936E-14T^4 + 7.65474E-18T^5 \\
 &\quad - 7.56229E-22T^6
 \end{aligned}$$

$$\begin{aligned}
 C_v(400) &= 3.9797E-02 & C_v(1525) &= 4.3188E-02 \\
 C_v(2570) &= 4.33785E-02
 \end{aligned}$$

**γ=C<sub>p</sub>(T)/C<sub>v</sub>(T)** BROMINE  
**no units** RF: calculated from kinetic theory  
**400-2400 R** θ<sub>vib</sub> = 837 R

$$\begin{aligned}
 &1.31784 - 3.55382E-05T + 9.79826E-09T^2 \\
 &1.3372 - 9.0523E-05T + 5.38983E-08T^2 - 1.05E-11T^3 \\
 &1.35962 - 1.78512E-04T + 1.67356E-07T^2 - 6.90949E-11T^3 + 1.04634E-14T^4 \\
 &1.38443 - 3.02418E-04T + 3.89792E-07T^2 - 2.51429E-10T^3 + 7.97705E-14T^4 - 9.90101E-18T^5 \\
 &1.41092 - 4.62592E-04T + 7.59447E-07T^2 - 6.71967E-10T^3 + 3.3108E-13T^4 - 8.54213E-17T^5 + 8.99051E-21T^6
 \end{aligned}$$

$$\begin{aligned}
 \gamma(400) &= 1.312212 & \gamma(1437) &= 1.287942 \\
 \gamma(2400) &= 1.28654
 \end{aligned}$$

## APPENDIX B

$\mu(T)$  BROMINE  
 molecular viscosity RE: 1  
 $1\text{bf}\cdot\text{sec}/\text{ft}^2$   
 460-920 R

$$1.21667E-07 + 2.65699E-10T + 2.03927E-13T^2 \\ 6.99652E-08 + 5.02169E-10T - 1.47247E-13T^2 + 1.69649E-16T^3 \\ - 2.60088E-07 + 2.5225E-09T - 4.69813E-12T^2 + 4.64337E-15T^3 - 1.62091E-18T^4 \\ - 1.63527E-06 + 1.30645E-08T - 3.65538E-11T^2 + 5.2088E-14T^3 - 3.64638E-17T^4 + 1.00994E-20T^5 \\ - 9.36429E-06 + 8.42354E-08T - 3.06387T - 10T^2 + 5.91326E-13T^3 - 6.35678E-16T^4 + 3.61263E-19T^5 \\ - 8.48221E-23T^6$$

$$\mu(460) = 2.840496E-07 \quad \mu(660) = 3.8579595E-07 \\ \mu(920) = 5.388588E-07$$

k(T) BROMINE  
 thermal conductivity RE: 1  
 $\text{BTU}/\text{ft}\cdot\text{sec}\cdot\text{R}$   
 450-630 R

$$-2.17621E-07 + 1.9748E-09T - 2.88865E-13T^2 \\ - 3.10747E-06 + 1.82455E-08T - 3.06197E-11T^2 + 1.87227E-14T^3 \\ 7.94913E-06 - 6.48177E-08T + 2.02278E-10T^2 - 2.70142E-13T^3 + 1.33734E-16T^4 \\ 2.49378E-04 - 2.33244E-06T + 8.69102E-09T^2 - 1.61018E-11T^3 + 1.48445E-14T^4 - 5.44842E-18T^5$$

$$k(450) = 6.1029689E-07 \quad k(540) = 7.71755E-07 \\ k(630) = 9.1544533E-07$$

$\phi(T)$  BROMINE  
 "temperature function" \* RE: calculated, ref. 360 R  
 $\text{BTU}/1\text{bm}\cdot\text{R}$   
 360-2460 R

$$-2.27147E-02 + 9.30398E-05T - 1.70164E-08T^2 \\ - 4.11293E-02 + 1.42893E-04T - 5.54945E-08T^2 + 8.8608E-12T^3 \\ - 5.41213E-02 + 1.91336E-04T - 1.1537F-07T^2 + 3.86655E-11T^3 - 5.14761E-15T^4 \\ - 6.3759E-02 + 2.36982E-04T - 1.93692E-07T^2 + 1.00364E-10T^3 - 2.77705E-14T^4 + 3.12579E-18T^5 \\ - 7.09827E-02 + 2.78391E-04T - 2.84852E-07T^2 + 1.99793E-10T^3 - 8.49542E-14T^4 + 1.97107E-17T^5 \\ - 1.90961E-21T^6$$

$$\phi(435) = 9.885097E-03 \quad \phi(1485) = 7.726905E-02 \\ \phi(2460) = 1.057099E-01$$

\* this is the integral function  $\phi = \int C_p dT/T$

Pr(T) BROMINE  
 Prandtl number RE: calculated  $Pr = \mu(T)C_p(T)/k(T)$   
 no units  
 460-630 R

$$1.2149 - 1.37277E-03T + 8.8564E-07T^2 \\ 4.27221E-1.83804E-02T + 3.22558E-05T^2 - 1.91866E-08T^3 \\ 1.42754 + 2.73471E-03T - 2.62957E-05T^2 + 5.27028E-08T^3 - 3.29767E-11T^4 \\ - 2.50964E+02 + 2.34541T - 8.69856E-03T^2 + 1.60575E-05T^3 - 1.47587E-08T^4 + 5.40391E-12T^5 \\ - 6.19029E+02 + 6.4459T - 2.76873E-02T^2 + 6.28438E-05T^3 - 7.94476E-08T^4 + 5.29935E-11T^5 - 1.45533E-14T^6$$

$$Pr(460) = 0.77242 \quad Pr(542) = 0.7303975 \\ Pr(630) = 0.69891$$

## APPENDIX B

$h(T)$  BROMINE  
enthalpy  
BTU/lbm  
360-2460 R

RE: calculated, ref 360 R

$$\begin{aligned} -19.9448 &+ 5.41972E-02T + 5.82535E-07T^2 \\ -19.3333 &+ 5.25417E-02T + 1.86025E-06T^2 - 2.94235E-10T^3 \\ -18.7936 &+ 5.05292E-02T + 4.34775E-06T^2 - 1.53245E-09T^3 + 2.13854E-13T^4 \\ -18.2085 &+ 4.77583E-02T + 9.10219E-06T^2 - 5.27776E-09T^3 + 1.58715E-12T^4 - 1.89747E-16T^5 \\ -17.4465 &+ 4.33899E-02T + 1.87189E-05T^2 - 1.57668E-08T^3 + 7.61965E-12T^4 - 1.93935E-15T^5 + 2.01451E-19T^6 \end{aligned}$$

$$\begin{aligned} h(435) &= 3.918947 \quad h(1485) = 61.844103 \\ h(2460) &= 116.82572 \end{aligned}$$

$u(T)$  BROMINE  
internal energy  
BTU/lbm  
400-2650 R

RE: calculated from kinetic theory  
 $\theta_{vib} = 837$  R ref. 400 R

$$\begin{aligned} -17.214 &+ 4.20834E-02T + 3.11917E-07T^2 \\ -16.6153 &+ 4.05935E-02T + 1.37311E-06T^2 - 2.26001E-10T^3 \\ -16.0645 &+ 3.87081E-02T + 3.5201E-06T^2 - 1.21292E-09T^3 + 1.57636E-13T^4 \\ -15.5445 &+ 3.64488E-02T + 7.08774E-06T^2 - 3.80502E-09T^3 + 1.03564E-12T^4 - 1.12192E-16T^5 \\ -14.9759 &+ 3.34594E-02T + 1.3139E-05T^2 - 9.88656E-09T^3 + 4.26352E-12T^4 - 9.77206E-16T^5 + 9.21101E-20T^6 \end{aligned}$$

$$\begin{aligned} u(480.4) &= 3.238665 \quad u(1525) = 47.70057244 \\ u(2650) &= 96.42215 \end{aligned}$$

$c_p(T)$  CARBON DIOXIDE CO<sub>2</sub>  
BTU/lbm-R  
360-2460 R

RE: 1

$$\begin{aligned} 0.137625 &+ 1.38997E-04T - 2.8023E-08T^2 \\ 0.122652 &+ 1.82976E-04T - 6.35135E-08T^2 + 8.39019E-12T^3 \\ 0.121766 &+ 1.86604E-04T - 6.82691E-08T^2 + 1.08507E-11T^3 - 4.36263E-16T^4 \\ 0.134141 &+ 1.21953E-04T + 5.06023E-08T^2 - 8.75009E-11T^3 + 3.69306E-14T^4 - 5.30026E-18T^5 \\ 0.156622 &- 2.04527E-05T + 3.88747E-07T^2 - 4.78E-10T^3 + 2.715E-13T^4 - 7.56542E-17T^5 + 8.31607E-21T^6 \end{aligned}$$

$$\begin{aligned} c_p(360) &= 0.18140 \quad c_p(1360) = 0.2748840956 \\ c_p(2460) &= 0.3130 \end{aligned}$$

$c_v(T)$  CARBON DIOXIDE CO<sub>2</sub>  
BTU/lbm-R  
300-3000 R

RE: 6 table 18

$$\begin{aligned} 9.29839E-02 &+ 1.32088E-04T - 2.42769E-08T^2 \\ 7.06064E-02 &+ 1.93292E-04T - 6.75883E-08T^2 + 8.74976E-12T^3 \\ 6.38403E-02 &+ 2.19722E-04T - 9.87056E-08T^2 + 2.27548E-11T^3 - 2.12198E-15T^4 \\ 6.4385E-02 &+ 2.16963E-04T - 9.40596E-08T^2 + 1.93534E-11T^3 - 1.00248E-15T^4 - 1.35697E-19T^5 \\ 6.96152E-02 &+ 1.84539E-04T - 2.24187E-08T^2 - 5.49986E-11T^3 + 3.82085E-14T^4 - 1.02977E-17T^5 \\ &\quad + 1.02646E-21T^6 \end{aligned}$$

$$\begin{aligned} c_v(300) &= 0.122267666 \quad c_v(1600) = 0.24185662 \\ c_v(3000) &= 0.277209725 \end{aligned}$$

APPROXIMATELY B  
 $\gamma = C_p(T) / C_v(T)$  CARBON DIOXIDE CO<sub>2</sub>  
 no units RE:9 table 4-6  
 @ 1 atmosphere  
 396-1620 R

$$1.45898 - 3.67007E-04T + 1.26417E-07T^2 \\ 1.56184 - 7.39734E-04T + 5.32245E-07T^2 - 1.35797E-10T^3 \\ 1.6654 - 1.24676E-03T + 1.39223E-06T^2 - 7.40917E-10T^3 + 1.50659E-13T^4 \\ 1.76282 - 1.85064E-03T + 2.79818E-06T^2 - 2.28514E-09T^3 + 9.55817E-13T^4 - 1.60437E-16T^5 \\ 1.79894 - 2.12045E-03T + 3.59579E-06T^2 - 3.48297E-09T^3 + 1.92333E-12T^4 - 5.60628E-16T^5 + 6.64928E-20T^6$$

$$\gamma(396) = 1.3490 \quad \gamma(864) = 1.23421682 \\ \gamma(1620) = 1.1860$$

$\mu(T)$  CARBON DIOXIDE CO<sub>2</sub>  
 molecular viscosity RE:1  
 1bf-sec/ft.<sup>2</sup>  
 360-2860 R

$$4.36204E-08 + 5.3752E-10T - 5.64005E-14T^2 \\ - 1.97493E-08 + 7.05895E-10T - 1.76601E-13T^2 + 2.48862E-17T^3 \\ - 2.66007E-08 + 7.31478E-10T - 2.06544E-13T^2 + 3.85492E-17T^3 - 2.12159E-21T^4 \\ - 3.7168E-08 + 7.82134E-10T - 2.90312E-13T^2 + 1.00084E-16T^3 - 2.27075E-20T^4 + 2.55726E-24T^5 \\ - 5.13521E-08 + 8.64878E-10T - 4.68079E-13T^2 + 2.83455E-16T^3 - 1.20217E-19T^4 + 2.82847E-23T^5 \\ - 2.66329E-27T^6$$

$$\mu(360) = 2.1073974E-07 \quad \mu(1660) = 7.790659435E-07 \\ \mu(2860) = 1.1361984E-06$$

$k(T)$  CARBON DIOXIDE CO<sub>2</sub>  
 thermal conductivity RE:2  
 BTU/ft-sec-R  
 360-2250 R

$$-1.79156E-06 + 8.84415E-09T - 1.00926E-12T^2 \\ - 7.85007E-07 + 5.72261E-09T + 1.69217E-12T^2 - 6.90018E-16T^3 \\ 2.19969E-07 + 1.404E-09T + 7.72668E-12T^2 - 4.04625E-15T^3 + 6.42956E-19T^4 \\ - 2.10115E-07 + 3.7572E-09T + 3.13658E-12T^2 + 1.77524E-17T^3 - 1.01886E-18T^4 + 2.54684E-22T^5 \\ - 1.88832E-06 + 1.48759E-08T - 2.47804E-11T^2 + 3.43895E-14T^3 - 2.31627E-17T^4 + 7.40836E-21T^5 \\ - 9.13624E-25T^6$$

$$k(360) = 1.5305604E-06 \quad k(1350) = 8.3966408E-06 \\ k(2250) = 1.2880476E-05$$

$\phi(T)$  CARBON DIOXIDE CO<sub>2</sub>  
 "temperature function" RE:6 table 17  
 BTU/lbm-R  
 300-3000 R

$$0.974611 + 3.67098E-04T - 5.22294E-08T^2 \\ 0.923566 + 5.0671E-04T - 1.51025E-07T^3 + 1.99587E-11T^3 \\ 0.892653 + 6.27464E-04T - 2.93197E-07T^4 + 8.39466E-11T^3 - 9.69513E-15T^4 \\ 0.870304 + 7.40647E-04T - 4.8382E-07T^2 + 2.23509E-10T^3 - 5.56282E-14T^4 + 5.56764E-18T^5 \\ 0.85229 + 8.52323E-04T - 7.30568E-07T^2 + 4.79594E-10T^3 - 1.9068E-13T^4 + 4.05679E-17T^5 - 3.53538E-21T^6$$

$$\phi(300) = 1.0532379 \quad \phi(1600) = 1.426600712 \\ \phi(3000) = 1.6190638 \\ * \text{ this is the integral function } \phi = \int_{\text{P}} C_p dT/T$$

## APPENDIX B

Pr(T) CARBON DIOXIDE CO<sub>2</sub>  
 Prandtl number  
 no units  
 @ 1 atmosphere  
 396-1080 R

$$\begin{aligned}
 & 0.912036 - 2.82494E-04T + 5.38475E-08T^2 \\
 & 1.00224 - 6.86227E-04T + 6.22539E-07T^2 - 2.54631E-10T^3 \\
 & 1.32638 - 2.63597F-03T + 4.84168E-06T^2 - 4.1608E-09T^3 + 1.3112F-12T^4 \\
 & 1.98594 - 7.63528E-03T + 1.95269E-05T^2 - 2.50859E-08T^3 + 1.58036E-11T^4 - 3.91183F-15T^5 \\
 & 3.03249 - 1.71883E-02T + 5.49312E-05T^2 - 9.33241F-08T^3 + 8.80263F-11T^4 - 4.37666E-14T^5 + 8.97216F-18T^6
 \end{aligned}$$

$$\begin{aligned}
 \text{Pr}(396) &= 0.818 & \text{Pr}(810) &= 0.7200435 \\
 \text{Pr}(1080) &= 0.6680
 \end{aligned}$$

h(T) CARBON DIOXIDE CO<sub>2</sub>  
 enthalpy RE:6 table 17  
 BTU/1bm  
 300-3000 R

$$\begin{aligned}
 & 0.137685T + 6.83299E-05T^2 - 8.86103E-09T^3 \\
 & 0.137468T + 6.89219E-05T^2 - 9.27995E-09T^3 + 8.46312F-14T^4 \\
 & 0.143284T + 4.62042E-05T^2 + 1.74671E-08T^3 - 1.19535E-11T^4 + 1.82396F-15T^5 \\
 & 0.150706T + 8.61816E-06T^2 + 8.07695E-08T^3 - 5.82998E-11T^4 + 1.70775E-14T^5 - 1.84892E-18T^6 \\
 & 0.158339T - 3.87039E-05T^2 + 1.85327E-07T^3 - 1.66814E-10T^4 + 7.43046E-14T^5 - 1.668E-17T^6 + 1.49809E-21T^7
 \end{aligned}$$

$$\begin{aligned}
 h(300) &= 47.903 & h(1600) &= 359.638 \\
 h(3000) &= 790.880
 \end{aligned}$$

u(T) CARBON DIOXIDE CO<sub>2</sub>  
 internal energy RE:6 table 17  
 BTU/1bm  
 300-3000 R

$$\begin{aligned}
 & 9.2562E-02T + 6.83295F-05T^2 - 8.86092E-09T^3 \\
 & 9.23449E-02T + 6.89232F-05T^2 - 9.28104F-09T^3 + 8.4872E-14T^4 \\
 & 9.81588E-02T + 4.62131E-05T^2 + 1.74571E-08T^3 - 1.19492E-11T^4 + 1.82335E-15T^5 \\
 & 0.105574T + 8.65859E-06T^2 + 8.07063E-08T^3 - 5.82566E-11T^4 + 1.70641E-14T^5 - 1.84737F-18T^6 \\
 & 0.11319T - 3.85546F-05T^2 + 1.85023E-07T^3 - 1.66521E-10T^4 + 7.41595E-14T^5 - 1.66443E-17T^6 \\
 & \quad + 1.49464E-21T^7
 \end{aligned}$$

$$\begin{aligned}
 u(300) &= 34.3650 & u(1600) &= 287.4420 \\
 u(3000) &= 655.510
 \end{aligned}$$

h(T)/u(T) CARBON DIOXIDE CO<sub>2</sub>  
 ratio of enthalpy and internal energy  
 no units RE:6 table 17  
 300-3000 R

$$\begin{aligned}
 & 1.43513 - 1.62106E-04T + 2.94907E-08T^2 \\
 & 1.45987 - 2.29764E-04T + 7.73689E-08T^2 - 9.67236E-12T^3 \\
 & 1.45962 - 2.28803E-04T + 7.62378E-08T^2 - 9.16326E-12T^3 - 7.71361E-17T^4 \\
 & 1.44335 - 1.46404E-04T - 6.25398E-08T^2 + 9.24415E-11T^3 - 3.35175E-14T^4 + 4.05338E-18T^5 \\
 & 1.41771 + 1.25463E-05T - 4.13738E-07T^2 + 4.5693E-10T^3 - 2.25737E-13T^4 + 5.38695E-17T^5 - 5.03193F-21T^6
 \end{aligned}$$

$$\begin{aligned}
 h/u(300) &= 1.3939434 & h/u(1600) &= 1.251250939 \\
 h/u(3000) &= 1.2065098
 \end{aligned}$$

## APPENDIX B

s(T) CARBON DIOXIDE CO<sub>2</sub> entropy @ 1 atmosphere RE:9 table 4-5  
BTU/1bm-R  
396-2700 R

$C_p(T)$  CARBON MONOXIDE CO  
 BTU/lbm-R RE:9 table 5-3  
 @ 1 atmosphere  
 360-1440 R

$$\begin{aligned}
& 0.252636 - 1.90827E-05T + 2.32498E-08T^2 \\
& 0.261766 - 5.5907E-05T + 6.79431E-08T^2 - 1.66981E-11T^3 \\
& 0.254941 - 1.87983E-05T - 2.13166E-09T^2 + 3.83263E-11T^3 - 1.53213E-14T^4 \\
& 0.246685 + 3.79707E-05T - 1.49004E-07T^2 + 2.17863E-10T^3 - 1.19653F-13T^4 + 2.32026E-17T^5 \\
& 0.249061 + 1.83577E-05T - 8.48321E-08T^2 + 1.11031E-10T^3 - 2.38445E-14T^4 - 2.08615E-17T^5 + 8.15189E-21T^6
\end{aligned}$$

$C_{(360)} = 0.24935143 \quad C_p(864) = 0.2532666$   
 $C_p(1440) = 0.27210998$

**C<sub>v</sub>(T) CARBON MONOXIDE CO**  
 BTU/1bm-R RE:f table 22  
 300-3000 R

$\gamma = C_p(T) / C_v(T)$  CARBON MONOXIDE CO  
 no units RE:9 table 5-6  
 @ 1 atmosphere  
 360-2790 R

$$\begin{aligned}
& 1.43847 \cdot 10^{-7} \cdot 0.05T + 8.18809E-09T^2 \\
& 1.41418 \cdot 10^{-5} \cdot 4.3095E-06T - 3.94182E-08T^2 + 1.00754E-11T^3 \\
& 1.38619 \cdot 10^1 + 1.00264E-04T - 1.65251E-07T^2 + 6.86653E-11T^3 - 9.29998E-15T^4 \\
& 1.38641 \cdot 10^9 + 9.92105E-05T - 1.63481E-07T^2 + 6.73407E-11T^3 - 8.84759E-15T^4 - 5.74459E-20T^5 \\
& 1.41627 \cdot 10^{-7} - 7.67671E-05T + 2.2007E-07T^2 - 3.35268E-10T^3 + 2.09467E-13T^4 - 5.88797E-17T^5 + 6.22457E-21T^6
\end{aligned}$$

$$\gamma(360)=1.4050 \quad \gamma(1440)=1.3525587$$

$$\gamma(2790)=1.3080$$

APPENDIX B  
 $\mu(T)$  CARBON MONOXIDE CO  
 molecular viscosity RE:9 table 5-8  
 @ 1 atmosphere  
 1bf-sec/ft.<sup>2</sup>  
 270-2700 R

$$8.5619E-08+5.54328E-10T-6.28832F-14T^2 \\ 3.39232E-08+7.11432F-10T-1.8641E-13T^2+2.77278E-17T^3 \\ 9.02129E-10+8.5475E-10T-3.73897E-13T^2+1.21487E-16T^3-1.57843E-20T^4 \\ -1.48125E-08+9.43178E-10T-5.39375E-13T^2+2.56101E-16T^3-6.50115E-20T^4+6.62993E-24T^5 \\ -2.59727E-08+1.02005E-09T-7.28099E-13T^2+4.7373E-16T^3-1.92535E-19T^4+4.33513E-23T^5 \\ -4.12137E-27T^6$$

$$\mu(270)=2.0453702E-07 \quad \mu(1530)=7.825361152E-07 \\ \mu(2700)=1.1367013E-06$$

- - - - -  
 $k(T)$  CARBON MONOXIDE CO  
 thermal conductivity RE: 1  
 BTU/ft-sec-R  
 180-2250 R

$$3.23925E-07+7.23122E-09T-8.95353E-13T^2 \\ -1.27634E-07+9.01106E-09T-2.63386E-12T^2+4.76956E-16T^3 \\ -1.89778E-07+9.36811E-09T-3.22341E-12T^2+8.41253E-16T^3-7.49582E-20T^4 \\ -1.13616E-07+8.79358E-09T-1.8477E-12T^2-5.56476E-16T^3+5.54859E-19T^4-1.03674E-22T^5 \\ -1.32015E-07+8.96461E-09T-2.3907E-12T^2+2.33762E-16T^3-1.9776E-20T^4+9.98644E-23T^5 \\ -2.79202E-26T^6$$

$$k(180)=1.4052889E-06 \quad k(1170)=7.568615E-06 \\ k(2250)=1.2221998E-05$$

- - - - -  
 $\phi(T)$  CARBON MONOXIDE CO  
 "temperature function" \* RE:6 table 21  
 BTU/lbm-R  
 300-3000 R

$$1.47482+4.17327E-04T-6.61354E-08T^2 \\ 1.38796+6.54878E-04T-2.34238E-07T^2+3.39601E-11T^3 \\ 1.32053+9.18265E-04T-5.44342E-07T^2+1.7353E-10T^3-2.11469E-14T^4 \\ 1.26536+1.19768E-03T-1.01494E-06T^2+5.18071E-10T^3-1.34543E-13T^4+1.3745E-17T^5 \\ 1.22042+1.47632E-03T-1.63058E-06T^2+1.15701E-09T^3-4.71502E-13T^4+1.01072E-16T^5 \\ -8.82091E-21T^6$$

$$\phi(300)=1.5431275 \quad \phi(1600)=1.969151045 \\ \phi(3000)=2.1524456$$

\* this is the integral function  $\phi = \int C_p dT/T$

- - - - -  
 $P_r(T)$  CARBON MONOXIDE CO  
 @ 1 atmosphere RE:9  
 no units  
 360-1080 R

$$0.852207-3.0797E-04T+1.76465E-07T^2 \\ 0.863382-3.60646E-04T+2.5387E-07T^2-3.58356E-11T^3 \\ 0.817254-6.76897E-05T-4.10349E-07T^2+6.04134E-10T^3-2.22212E-13T^4 \\ 0.790691+1.44239E-04T-1.06124E-06T^2+1.56806E-09T^3-9.12408E-13T^4+1.91721E-16T^5 \\ 0.414096+3.75837E-03T-1.507E-05T^2+2.96702E-08T^3-3.17316E-11T^4+1.7743E-14T^5-4.06279E-18T^6$$

$$P_r(360)=0.7640 \quad P_r(684)=0.723811494 \\ P_r(1080)=0.7240$$

APPENDIX B  
 $h(T)$  CARBON MONOXIDE CO  
 enthalpy  
 BTU/lbm  
 300-3000 R

RE:6 table 21

$$0.231382T + 1.64143E-05T^2 - 7.28358E-10T^3 \\ 0.238726T - 3.67254E-06T^2 + 1.34861E-08T^3 - 2.8716E-12T^4 \\ 0.264017T - 1.02465E-04T^2 + 1.29801E-07T^3 - 5.52217E-11T^4 + 7.93183E-15T^5 \\ 0.322358T - 3.97922E-04T^2 + 6.2741E-07T^3 - 4.19541E-10T^4 + 1.27838E-13T^5 - 1.4534E-17T^6 \\ 0.407508T - 9.25803E-04T^2 + 1.79376E-06T^3 - 1.63002E-09T^4 + 7.66209E-13T^5 - 1.79976E-16T^6 \\ + 1.67113E-20T^7$$

$$h(300) = 74.327 \\ h(3000) = 820.1860$$

$u(T)$  CARBON MONOXIDE CO  
 internal energy  
 BTU/lbm  
 300-3000 R

RE:6 table 21

$$0.174086T + 3.69314E-06T^2 + 2.09025E-09T^3 \\ 0.179066T - 9.92801E-06T^2 + 1.17292E-08T^3 - 1.94727E-12T^4 \\ 0.17958T - 1.19356E-05T^2 + 1.40929E-08T^3 - 3.01107E-12T^4 + 1.61182E-16T^5 \\ 0.177309T - 4.35643E-07T^2 - 5.27528E-09T^3 + 1.11691E-11T^4 - 4.50584E-15T^5 + 5.65699E-19T^6 \\ 0.174952T + 1.41768E-05T^2 - 3.75614E-08T^3 + 4.4677E-11T^4 - 2.21768E-14T^5 + 5.14536E-18T^6 \\ - 4.62592E-22T^7$$

$$u(300) = 53.056 \\ u(3000) = 607.490$$

$h(T)/u(T)$  CARBON MONOXIDE CO  
 no units  
 300-3000 R

RE:6 table 21

$$1.33104 + 6.12707E-05T - 1.91607E-08T^2 \\ 1.3332 + 5.53634E-05T - 1.49804E-08T^2 - 8.4451E-13T^3 \\ 1.47091 - 4.82545E-04T + 6.18335E-07T^2 - 2.85883E-10T^3 + 4.31876E-14T^4 \\ 1.81802 - 2.2405E-03T + 3.57904E-06T^2 - 2.45353E-09T^3 + 7.5661E-13T^4 - 8.64754E-17T^5 * \\ 2.31788 - 5.33931E-03T + 1.04259E-05T^2 - 9.55948E-09T^3 + 4.50407E-12T^4 - 1.05768E-15T^5 + 9.8101E-20T^6$$

$$h/u(300) = 1.4009151 \\ h/u(3000) = 1.3501217$$

\* generally poor fit, particularly between 400-1700 R

$s(T)$  CARBON MONOXIDE CO  
 entropy @ 1 atmosphere  
 BTU/lbm-R  
 360-2790 R

RE:9 table 5-5

$$1.48078 + 4.14122E-04T - 6.74386E-08T^2 \\ 1.39638 + 6.41379E-04T - 2.32837E-07T^2 + 3.50049E-11T^3 \\ 1.32974 + 8.93035E-04T - 5.3244E-07T^2 + 1.74505E-10T^3 - 2.21429E-14T^4 \\ 1.27429 + 1.16154E-03T - 9.83369E-07T^2 + 5.11984E-10T^3 - 1.37402E-13T^4 + 1.46361E-17T^5 \\ 1.22801 + 1.43423E-03T - 1.5777E-06T^2 + 1.13584E-09T^3 - 4.75688E-13T^4 + 1.05783E-16T^5 - 9.6452E-21T^6$$

$$s(360) = 1.584945 \\ s(2790) = 2.1273215$$

## APPROXIMATE

$C_p(T)$  CHLORINE  
 $BTU/1bm\cdot R$   
 360-2360 R

RE: 2 Vol. 6

$$0.101559 + 2.73156E-05T - 7.23931E-09T^2 \\ 9.1047E-02 + 5.83198E-05T - 3.3183E-08T^2 + 6.40593E-12T^3 \\ 8.15054E-02 + 9.76205E-05T - 8.60992E-08T^2 + 3.48329E-11T^3 - 5.25848E-15T^4 \\ 7.56481E-02 + 1.2865E-04T - 1.44632E-07T^2 + 8.49218E-11T^3 - 2.50294E-14T^4 + 2.92026E-18T^5 \\ 7.56035E-02 + 1.28938E-04T - 1.45333E-07T^2 + 8.57597E-11T^3 - 2.55523E-14T^4 + 3.0837E-18T^5 \\ - 2.01688E-23T^6$$

$$C_p(360) = 0.10680 \quad C_p(1200) = 0.12386889 \\ C_p(2360) = 0.12730$$

$C_v(T)$  CHLORINE  
 $BTU/1bm\cdot R$   
 250-2178 R

RE: calculated from kinetic theory

$$6.82163E-02 + 3.51247E-05T - 1.05127E-08T^2 \\ 5.85948E-02 + 6.97138E-05T - 4.34525E-08T^2 + 9.0423E-12T^3 \\ 5.2922E-02 + 9.85438E-05T - 8.87189E-08T^2 + 3.65443E-11T^3 - 5.66218E-15T^4 \\ 5.18611E-02 + 1.05491E-04T - 1.04204E-07T^2 + 5.17514E-11T^3 - 1.24293E-14T^4 + 1.11459E-18T^5 \\ 5.52583E-02 + 7.83557E-05T - 2.53281E-08T^2 - 5.74249E-11T^3 + 6.50407E-14T^4 - 2.60582E-17T^5 \\ + 3.7296E-21T^6$$

$$C_v(250) = 7.2777687E-02 \quad C_v(1250) = 9.4964512E-02 \\ C_v(2178.6) = 9.697878E-02$$

$\gamma = C_p(T) / C_v(T)$  CHLORINE  
 no units  
 250-2250 R

RE: calculated from kinetic theory

$$1.39509 - 1.31921E-04T + 3.94646E-08T^2 \\ 1.43937 - 2.87793E-04T + 1.83999E-07T^2 - 3.85425E-11T^3 \\ 1.47353 - 4.58142E-04T + 4.44991E-07T^2 - 1.92824E-10T^3 + 3.08563E-14T^4 \\ 1.49246 - 5.79943E-04T + 7.10378E-07T^2 - 4.46788E-10T^3 + 1.40773E-13T^4 - 1.75867E-17T^5 \\ 1.49312 - 5.85168E-04T + 7.25243E-07T^2 - 4.66866E-10T^3 + 1.54645E-13T^4 - 2.23179E-17T^5 + 6.30832E-22T^6$$

$$\gamma(250) = 1.384764 \quad \gamma(1213) = 1.29535963 \\ \gamma(2250) = 1.2885586$$

$\mu(T)$  CHLORINE  
 molecular viscosity  
 $lbf\cdot sec/ft.^2$   
 460-1660 R

RE: 1

$$-1.70062E-08 + 5.91081E-10T - 7.03485E-14T^2 \\ - 3.39665E-09 + 5.4603E-10T - 2.49582E-14T^2 - 1.41739E-17T^3 \\ - 4.07752E-09 + 5.49089E-10T - 2.9773E-14T^2 - 1.09994E-17T^3 - 7.46022E-22T^4 \\ - 7.97069E-09 + 5.71127E-10T - 7.71279E-14T^2 + 3.74829E-17T^3 - 2.45097E-20T^4 + 4.48239E-24T^5 \\ - 2.51778E-08 + 6.8842E-10T - 3.96233E-13T^2 + 4.81967E-16T^3 - 3.59815E-19T^4 + 1.34788E-22T^5 \\ - 2.04462E-26T^6$$

$$\mu(460) = 2.4102444E-07 \quad \mu(1060) = 5.30485686E-07 \\ \mu(1660) = 7.6944024E-07$$

## APPENDIX L

k(T) CHLORINE  
thermal conductivity RE: 1  
BTU/ft-sec-R  
432-1260 R

$$\begin{aligned}
 & -4.6521E-07 + 3.79585E-09T - 5.29511E-13T^2 \\
 & -6.20427E-08 + 2.20449E-09T + 1.43919E-12T^2 - 7.70715E-16T^3 \\
 & -8.66777E-07 + 6.49938E-09T - 6.76681E-12T^2 + 5.91189E-15T^3 - 1.96642E-18T^4 \\
 & + 7.07859E-07 - 4.12575E-09T + 2.08802E-11T^2 - 2.88355E-14T^3 + 1.9182E-17T^4 - 5.00041E-21T^5 \\
 & + 9.64102E-06 - 7.66438E-08T + 2.58833E-10T^2 - 4.33296E-13T^3 + 3.95398E-16T^4 - 1.86907E-19T^5 \\
 & + 3.57863E-23T^6
 \end{aligned}$$

$$k(432)=1.0921102E-06 \quad k(864)=2.4092926E-06$$

$$k(1260)=3.4529955E-06$$

$\phi(T)$  CHLORINE  
"temperature function" \* RE: calculated, ref 360 R  
BTU/lbm-R  
360-2360 R

$$\phi(431.4) = 1.9639335E-02 \quad \phi(1360) = 0.1560574$$

$$\phi(2360) = 2.256562 \times 10^{-1}$$

\* this is the integral function  $\phi = \int C_p dT/T$

Pr(T) CHLORINE  
Prandtl number RE: Calculated  $\Pr = \mu(T) C_p(T) / k(T)$   
no units  
460-1260 R

$$\begin{aligned}
& 0.800916 - 1.84505E-04T + 9.00709E-08T^2 \\
& 0.804124 - 1.96901E-04T + 1.05186E-07T^2 - 5.8586E-12T^3 \\
& 1.23517 - 2.43694E-03T + 4.29893E-06T^2 - 3.36795E-09T^3 + 9.77352E-13T^4 \\
& 1.21899 - 2.33137E-03T + 4.03192E-06T^2 - 3.04024E-09T^3 + 7.81813E-13T^4 + 4.54742E-17T^5 \\
& - 2.04828 + 2.33081E-02T - 7.76921E-05T^2 + 1.32486E-07T^3 - 1.22673E-10T^4 + 5.86903E-14T^5 - 1.13653E-17T^6
\end{aligned}$$

$$\Pr(460) = 0.737413 \quad \Pr(845.2) = 0.712850157$$

$$\Pr(1260) = 0.71443$$

**h(T) CHLORINE**  
enthalpy RE: calculated, ref 360 R  
BTU/lbm  
360-2460 R

$$\begin{aligned}
& -43.7772 \times 10^0 + 0.11614T + 2.79532E-06T^2 \\
& -40.4627 \times 10^0 + 0.107167T + 9.72128E-06T^2 - 1.59492E-09T^3 \\
& -37.8904 \times 10^0 + 9.75755E-02T + 2.15759E-05T^2 - 7.49585E-09T^3 + 1.01916E-12T^4 \\
& -35.4897 \times 10^0 + 8.62054E-02T + 4.10855E-05T^2 - 2.28646E-08T^3 + 6.65441E-12T^4 - 7.78618E-16T^5 \\
& -33.6567 \times 10^0 + 7.56937E-02T + 6.42265E-05T^2 - 4.81047E-08T^3 + 2.11705E-11T^4 - 4.98872E-15T^5 + 4.84756E-19T^6
\end{aligned}$$

$$h(435) = 8.1480843 \quad h(1335) = 116.241509$$

$$h(2460) = 258.39595$$

## APPENDIX B

$u(T)$  CHLORINE  
internal energy  
BTU/lbm  
250-2178 R

RE: calculated, ref 250 R

$$\begin{aligned} &-23.4242+8.485511 \cdot 10^{-2} T + 3.55001 \cdot 10^{-6} T^2 \\ &-19.9704+7.34877 \cdot 10^{-2} T + 1.3884 \cdot 10^{-5} T^2 - 2.7592 \cdot 10^{-9} T^3 \\ &-17.4546+6.19666 \cdot 10^{-2} T + 3.08709 \cdot 10^{-5} T^2 - 1.26698 \cdot 10^{-8} T^3 + 1.98461 \cdot 10^{-12} T^4 \\ &-15.7743+5.21395 \cdot 10^{-2} T + 5.11747 \cdot 10^{-5} T^2 - 3.15928 \cdot 10^{-8} T^3 + 1.00959 \cdot 10^{-11} T^4 - 1.29944 \cdot 10^{-15} T^5 \\ &-15.3592+4.91929 \cdot 10^{-2} T + 5.90373 \cdot 10^{-5} T^2 - 4.18168 \cdot 10^{-8} T^3 + 1.70207 \cdot 10^{-11} T^4 - 3.64354 \cdot 10^{-15} T^5 + 3.1294 \cdot 10^{-19} T^6 \end{aligned}$$

$$\begin{aligned} u(318.9) &= 5.132236 & u(1214) &= 84.91615 \\ u(2178) &= 177.6437 \end{aligned}$$

$c_p(T)$  FLUORINE  
BTU/lbm-R  
360-2460 R

RE:2 Vol.6

$$\begin{aligned} &0.167293+6.53909 \cdot 10^{-5} T - 1.54295 \cdot 10^{-8} T^2 \\ &0.15346+1.05287 \cdot 10^{-4} T - 4.78364 \cdot 10^{-8} T^2 + 7.735 \cdot 10^{-12} T^3 \\ &0.152654+1.08544 \cdot 10^{-4} T - 5.21389 \cdot 10^{-8} T^2 + 9.98416 \cdot 10^{-12} T^3 - 4.02536 \cdot 10^{-16} T^4 \\ &0.160238+6.93741 \cdot 10^{-5} T + 1.99052 \cdot 10^{-8} T^2 - 4.99258 \cdot 10^{-11} T^3 + 2.25052 \cdot 10^{-14} T^4 - 3.27008 \cdot 10^{-18} T^5 \\ &0.163759+4.7153 \cdot 10^{-5} T + 7.28798 \cdot 10^{-8} T^2 - 1.11602 \cdot 10^{-10} T^3 + 5.9903 \cdot 10^{-14} T^4 - 1.45905 \cdot 10^{-17} T^5 + 1.34947 \cdot 10^{-21} T^6 \end{aligned}$$

$$\begin{aligned} c_p(360) &= 0.18580 & c_p(1160) &= 0.2234299619 \\ c_p(2460) &= 0.23780 \end{aligned}$$

$c_v(T)$  FLUORINE  
BTU/lbm-R  
@ 1 atmosphere  
162-540 R

RF:22 table 16

$$\begin{aligned} &0.139964-6.70824 \cdot 10^{-5} T + 1.44289 \cdot 10^{-7} T^2 \\ &0.150486-1.72961 \cdot 10^{-4} T + 4.70883 \cdot 10^{-7} T^2 - 3.13487 \cdot 10^{-10} T^3 \\ &0.152244-1.96598 \cdot 10^{-4} T + 5.83427 \cdot 10^{-7} T^2 - 5.3932 \cdot 10^{-10} T^3 + 1.62131 \cdot 10^{-13} T^4 \\ &0.161098-3.46119 \cdot 10^{-4} T + 1.54969 \cdot 10^{-6} T^2 - 3.52996 \cdot 10^{-9} T^3 + 4.60893 \cdot 10^{-12} T^4 - 2.55074 \cdot 10^{-15} T^5 \\ &0.191888-9.70956 \cdot 10^{-4} T + 6.64465 \cdot 10^{-6} T^2 - 2.49124 \cdot 10^{-8} T^3 + 5.3405 \cdot 10^{-11} T^4 - 6.00926 \cdot 10^{-14} T^5 + 2.74613 \cdot 10^{-17} T^6 \end{aligned}$$

$$\begin{aligned} c_v(162) &= 0.13366578 & c_v(306) &= 0.1327090758 \\ c_v(540) &= 0.14505096 \end{aligned}$$

$\gamma(T)$  FLUORINE  
no units  
162-540 R  
@ 1 atm.

RE:22 table 16

$$\begin{aligned} &1.46266-2.2861 \cdot 10^{-4} T + 8.35905 \cdot 10^{-8} T^2 \\ &1.51089-7.13918 \cdot 10^{-4} T + 1.58057 \cdot 10^{-6} T^2 - 1.4369 \cdot 10^{-9} T^3 \\ &1.64523-2.51993 \cdot 10^{-3} T + 1.01797 \cdot 10^{-5} T^2 - 1.86921 \cdot 10^{-8} T^3 + 1.23879 \cdot 10^{-11} T^4 \\ &1.82007-5.47269 \cdot 10^{-3} T + 2.92617 \cdot 10^{-5} T^2 - 7.77517 \cdot 10^{-8} T^3 + 1.00204 \cdot 10^{-10} T^4 - 5.03725 \cdot 10^{-14} T^5 \\ &1.99644-9.05181 \cdot 10^{-3} T + 5.84461 \cdot 10^{-5} T^2 - 2.00232 \cdot 10^{-7} T^3 + 3.79713 \cdot 10^{-10} T^4 - 3.79977 \cdot 10^{-13} T^5 + 1.57301 \cdot 10^{-16} T^6 \end{aligned}$$

$$\begin{aligned} \gamma(162) &= 1.4348235 & \gamma(288) &= 1.40336105 \\ \gamma(540) &= 1.3620989 \end{aligned}$$

## APPLN-14 B

$\mu(T)$  FLUORINE  
 molecular viscosity  
 $1\text{lb}\cdot\text{sec}/\text{ft}^2$  RE: 1  
 160-1100 R

$$\begin{aligned} -3.22002E-08 &+ 1.23334E-09T - 4.58614E-13T^2 \\ -1.86865E-08 &+ 1.14685E-09T - 3.06333E-13T^2 - 7.89963F-17T^3 \\ -1.63313E-08 &+ 1.12546E-09T - 2.44078E-13T^2 - 1.50582L-16T^3 + 2.82228E-20T^4 \\ -2.04308E-08 &+ 1.17336E-09T - 4.40921E-13T^2 + 2.1361E-16T^3 - 2.8152E-19T^4 + 9.84221E-23T^5 \\ -7.44709E-09 &+ 9.89692E-10T + 5.31365E-13T^2 - 2.28924F-15T^3 + 3.07205E-18T^4 - 2.14747E-21T^5 \\ &+ 5.93355E-25T^6 \end{aligned}$$

$$\begin{aligned} \mu(160) &= 1.5685386L-07 & \mu(660) &= 5.82086720E-07 \\ \mu(1100) &= 7.6818708L-07 \end{aligned}$$

$k(T)$  FLUORINE  
 thermal conductivity RE: 1  
 $\text{BTU}/\text{ft}\cdot\text{sec}\cdot\text{R}$   
 180-1440 R

$$\begin{aligned} -6.40261E-07 &+ 1.10029E-08T - 2.471E-12T^2 \\ 3.92382E-08 &+ 7.42551E-09T + 2.56397F-12T^2 - 2.04974E-15T^3 \\ 4.2303E-08 &+ 7.40273E-09T + 2.61683E-12T^2 - 2.09747E-15T^3 + 1.46388E-20T^4 \\ 5.62132E-08 &+ 7.26964E-09T + 3.05482E-12T^2 - 2.7366E-15T^3 + 4.38863E-19T^4 - 1.04462E-22T^5 \\ 1.01705E-07 &+ 6.73937E-09T + 5.3267E-12T^2 - 7.40344F-15T^3 + 5.37591E-18T^4 - 2.69409E-21T^5 \\ &+ 5.32649E-25T^6 \end{aligned}$$

$$\begin{aligned} k(180) &= 1.44544E-06 & k(774) &= 6.37173468E-06 \\ k(1440) &= 9.9253546E-06 \end{aligned}$$

$\phi(T)$  FLUORINE  
 "temperature function" \* RE: calculated, ref 360 R  
 $\text{BTU}/1\text{bm}\cdot\text{R}$   
 360-2460 R

$$\begin{aligned} -9.09251E-02 &+ 3.51847E-04T - 6.11946E-08T^2 \\ -1.50548E-01 &+ 5.13262E-04T - 1.85779E-07T^2 + 2.86895E-11T^3 \\ -1.90003E-01 &+ 6.60378E-04T - 3.67613E-07T^2 + 1.19202E-10T^3 - 1.56325E-14T^4 \\ -2.20691E-01 &+ 8.05721E-04T - 6.17003E-07T^2 + 3.15659E-10T^3 - 8.76674E-14T^4 + 9.953E-18T^5 \\ -0.247589 &+ 9.59909E-04T - 9.56441E-07T^2 + 6.85888E-10T^3 - 3.00594E-13T^4 + 7.17079E-17T^5 - 7.11052E-21T^6 \end{aligned}$$

$$\begin{aligned} \phi(435) &= 3.563074E-02 & \phi(1410) &= 0.282727 \\ \phi(2460) &= 0.41262379 \end{aligned}$$

\* this is the integral function  $\phi = \int C_p dT/T$

$Pr(T)$  FLUORINE  
 Prandtl number RE: Calculated  $Pr = \mu(T) C_p(T) / k(T)$   
 no units  
 360-1100 R

$$\begin{aligned} 0.698455 &+ 8.6248E-05T - 1.29105E-07T^2 \\ 0.682529 &+ 1.60336E-04T - 2.36512E-07T^2 + 4.90444E-11T^3 \\ 0.693635 &+ 9.06972E-05T - 8.06869E-08T^2 - 9.90752F-11T^3 + 5.07259E-14T^4 \\ 0.613779 &+ 7.20007E-04T - 1.989E-06T^2 + 2.69009E-09T^3 - 1.91961E-12T^4 + 5.39818E-16T^5 \\ 0.608475 &+ 7.70311E-04T - 2.18162E-06T^2 + 3.07163E-09T^3 - 2.33259E-12T^4 + 7.71858E-16T^5 - 5.29772E-20T^6 \end{aligned}$$

$$\begin{aligned} Pr(360) &= 0.7117252 & Pr(716.3) &= 0.69411 \\ Pr(1100) &= 0.63849 \end{aligned}$$

## APPENDIX B

**h(T) FLUORINE**  
**enthalpy @ 1 atmosphere** RE:22 table 16  
**BTU/1bm**  
**162-540 R**

$$\begin{aligned} & -2.38713 + 1.78996T + 1.36515E-04T^2 \\ & -23.8687 + 2.00613T - 5.3029E-04T^2 + 6.40045E-07T^3 \\ & -39.2667 + 2.21313T - 1.51588E-03T^2 + 2.61775E-06T^3 - 1.41984E-09T^4 \\ & -49.3479 + 2.38338T - 2.61613F-03T^2 + 6.02308E-06T^3 - 6.48324E-09T^4 + 2.90443F-12T^5 \\ & -64.8434 + 2.69784T - 5.18023E-03T^2 + 1.67841E-05T^3 - 3.10405E-08T^4 + 3.18631E-11T^5 - 1.38202E-14T^6 \end{aligned}$$

$$\begin{aligned} h(162) &= 289.52197 & h(306) &= 558.5342179 \\ h(540) &= 1005.3050 \end{aligned}$$

**u(T) FLUORINE**  
**internal energy @ 1 atmosphere** RE:22 table 16  
**BTU/1bm**  
**162-540 R**

$$\begin{aligned} & 2.09559 + 1.24835T + 1.56528E-04T^2 \\ & -16.668 + 1.43717T - 4.25909E-04T^2 + 5.59062E-07T^3 \\ & -28.4153 + 1.59509T - 1.17783E-03T^2 + 2.06787E-06T^3 - 1.08321F-09T^4 \\ & -33.7076 + 1.68446T - 1.75543E-03T^2 + 3.85557E-06T^3 - 3.74134E-09T^4 + 1.52474E-12T^5 \\ & -43.7502 + 1.88826T - 3.4172E-03T^2 + 1.08297E-05T^3 - 1.96568E-08T^4 + 2.02927F-11T^5 - 8.9568F-15T^6 \end{aligned}$$

$$\begin{aligned} u(162) &= 207.06182 & u(306) &= 399.1290523 \\ u(540) &= 723.00669 \end{aligned}$$

**h(T)/u(T) FLUORINE**  
**ratio of enthalpy and internal energy**  
**@ 1 atmosphere** RE:22 table 16  
**no units**  
**162-540 R**

$$\begin{aligned} & 1.39141 + 6.25686E-05T - 1.19727E-07T^2 \\ & 1.38966 + 8.01579E-05T - 1.73983E-07T^2 + 5.20784E-11T^3 \\ & 1.39035 + 7.08104E-05T - 1.29476E-07T^2 - 3.72305E-11T^3 + 6.4117E-14T^4 \\ & 1.38397 + 1.78692E-04T - 8.26649E-07T^2 + 2.12056E-09T^3 - 3.14431E-12T^4 + 1.8404E-15T^5 \\ & 1.37219 + 4.17724E-04T - 2.77574E-06T^2 + 1.03005E-08T^3 - 2.18114E-11T^4 + 2.38531E-14T^5 - 1.05054E-17T^6 \end{aligned}$$

$$\begin{aligned} h/u(162) &= 1.398239 & h/u(306) &= 1.39937603 \\ h/u(540) &= 1.3904505 \end{aligned}$$

**s(T) FLUORINE**  
**entropy @ 1 atmosphere** RE:22 table 16  
**BTU/1bm-R**  
**162-540 R**

$$\begin{aligned} & 0.884642 + 1.1896E-03T - 8.74462E-07T^2 \\ & 0.81659 + 1.87441E-03T - 2.98684E-06T^2 + 2.02761E-09T^3 \\ & 0.759781 + 2.6381E-03T - 6.62307E-06T^2 + 9.3241E-09T^3 - 5.23832E-12T^4 \\ & 0.71025 + 3.4746E-03T - 1.20289E-05T^2 + 2.60553E-08T^3 - 3.01161E-11T^4 + 1.42702E-14T^5 \\ & 0.658418 + 4.52644E-03T - 2.06057E-05T^2 + 6.20504E-08T^3 - 1.12259E-10T^4 + 1.11136E-13T^5 - 4.62282E-17T^6 \end{aligned}$$

$$\begin{aligned} s(162) &= 1.048946 & s(306) &= 1.167083245 \\ s(540) &= 1.2760836 \end{aligned}$$

## APPENDIX B

$C_p(T)$  FRLON-12  $CCl_2F_2$   
 BTU/lbm-R  
 180-2460 R

RE: 2

$$\begin{aligned} & 6.74937E-02 + 1.49132E-04T - 3.8839E-08T^2 \\ & 3.98143E-02 + 2.53247E-04T - 1.33539E-07T^2 + 2.3993E-11T^3 \\ & 2.76723E-02 + 3.20058E-04T - 2.3667E-07T^2 + 8.30036E-11T^3 - 1.11924E-14T^4 \\ & 2.47123E-02 + 3.41409E-04T - 2.84558E-07T^2 + 1.28145E-10T^3 - 2.99719E-14T^4 + 2.84588E-18T^5 \\ & 2.7201E-02 + 3.19347E-04T - 2.18854E-07T^2 + 3.93244E-11T^3 + 2.98112E-14T^4 - 1.66774E-17T^5 \\ & \quad \quad \quad + 2.46415E-21T^6 \end{aligned}$$

$$\begin{aligned} C_p(180) &= 0.07790 \\ C_p(2460) &= 0.20910 \end{aligned}$$

$C_v(T)$  FREON-12  $CCl_2F_2$   
 BTU/lbm-R

RE:

not available

$\gamma = C_p(T) / C_v(T)$  FREON-12  $CCl_2F_2$   
 no units

RE:

$\mu(T)$  FREON-12  $CCl_2F_2$   
 molecular viscosity  
 1bf-sec/ft.<sup>2</sup>  
 440-960 R

$$\begin{aligned} & 1.61277E-09 + 5.76524E-10T - 1.6785E-13T^2 \\ & - 1.34814E-08 + 6.45425E-10T - 2.6929E-13T^2 + 4.83045E-17T^3 \\ & - 3.40305E-08 + 7.71103E-10T - 5.50748E-13T^2 + 3.22145E-16T^3 - 9.78002E-20T^4 \\ & - 5.55078E-07 + 4.76427E-09T - 1.25674E-11T^2 + 1.808E-14T^3 - 1.29931E-17T^4 + 3.68437E-21T^5 \\ & - 3.45761E-06 + 3.14938E-08T - 1.13597E-10T^2 + 2.18742E-13T^3 - 2.3396E-16T^4 + 1.31658E-19T^5 \\ & \quad \quad \quad - 3.04698E-23T^6 \end{aligned}$$

$$\begin{aligned} \mu(440) &= 2.213916E-07 \\ \mu(960) &= 4.010112E-07 \end{aligned}$$

## APPENDIX B

$k(T)$  FRFON-12  $CCl_2F_2$   
 thermal conductivity RE: 1  
 BTU/ft-sec-R  
 450-900 R

$$\begin{aligned} & -5.37378E-07 + 3.20829E-09T + 1.24377E-12T^2 \\ & -5.19247E-07 + 3.12354E-09T + 1.3724E-12T^2 - 6.35186E-17T^3 \\ & -8.79247E-07 + 5.37544E-09T - 3.81175E-12T^2 + 5.14549E-15T^3 - 1.92926E-18T^4 \\ & -4.14753E-06 + 3.09791E-08T - 8.28833E-11T^2 + 1.25512E-13T^3 - 9.22839E-17T^4 + 2.67717E-20T^5 \\ & -3.209E-06 + 2.21529E-08T - 4.86831E-11T^2 + 5.56573E-14T^3 - 1.29415E-17T^4 - 2.07573E-20T^5 \\ & \quad + 1.17356E-23T^6 \end{aligned}$$

$$\begin{aligned} k(450) &= 1.156352E-06 \quad k(666) = 2.15029085E-06 \\ k(900) &= 3.3566329E-06 \end{aligned}$$

$\phi(T)$  FREON-12  $CCl_2F_2$   
 "temperature function" \* RE: calculated, ref. 180 R  
 BTU/lbm-R  
 180-2460 R

$$\begin{aligned} & -2.95159E-02 + 2.96503E-04T - 5.09507E-08T^2 \\ & -5.80762E-02 + 3.89855E-04T - 1.3072E-07T^2 + 1.95411E-11T^3 \\ & -7.01402E-02 + 4.45911E-04T - 2.10099E-07T^2 + 6.27392E-11T^3 - 7.93667E-15T^4 \\ & -7.5886E-02 + 4.80427E-04T - 2.79779E-07T^2 + 1.24254E-10T^3 - 3.24339E-14T^4 + 3.60064E-18T^5 \\ & -7.98584E-02 + 5.0959E-04T - 3.56809E-07T^2 + 2.20408E-10T^3 - 9.3661E-14T^4 + 2.28087E-17T^5 \\ & \quad - 2.35269E-21T^6 \end{aligned}$$

$$\begin{aligned} \phi(261.4) &= 3.24036E-02 \quad \phi(1320) = 0.272636572 \\ \phi(2460) &= 0.399095 \end{aligned}$$

\* this is the integral function  $\phi = \int C_p dT / T$

$Pr(T)$  FREON-12  $CCl_2F_2$   
 Prandtl number RE: calculated  $Pr = \mu(T)C_p(T)/k(T)$   
 no units  
 450-900 R

$$\begin{aligned} & 1.02396 - 4.81404E-04T + 7.8355E-08T^2 \\ & 1.28342 - 1.69373E-03T + 1.91824E-06T^2 - 9.08582E-10T^3 \\ & 1.95871 - 5.9167E-03T + 1.16383E-05T^2 - 1.06744E-08T^3 + 3.61697E-12T^4 \\ & -2.33195 + 2.76877E-02T - 9.21223E-05T^2 + 1.47256E-07T^3 - 1.14928E-10T^4 + 3.51245E-14T^5 \\ & -6.33022 + 6.53056E-02T - 2.37862E-04T^2 + 4.44896E-07T^3 - 4.52965E-10T^4 + 2.37612E-13T^5 - 4.99969E-17T^6 \end{aligned}$$

$$\begin{aligned} Pr(450) &= 0.82697 \quad Pr(683) = 0.73275 \\ Pr(900) &= 0.65280 \end{aligned}$$

$h(T)$  FREON-12  $CCl_2F_2$   
 enthalpy RE: calculated, ref 180 R  
 BTU/lbm  
 180-2460 R

$$\begin{aligned} & -37.1585 + 0.138742T + 1.82356E-05T^2 \quad ** \\ & -21.6583 + 8.80787E-02T + 6.15282E-05T^2 - 1.06053E-08T^3 \\ & -13.690 + 5.10534E-02T + 1.13958E-04T^2 - 3.91378E-08T^3 + 5.24219E-12T^4 \\ & -9.99165 + 2.8837E-02T + 1.58808E-04T^2 - 7.87318E-08T^3 + 2.10098E-11T^4 - 2.31755E-15T^5 \\ & -9.02658 + 2.17519E-02T + 1.77522E-04T^2 - 1.02092E-07T^3 + 3.58847E-11T^4 - 6.98406E-15T^5 + 5.71576E-19T^6 \end{aligned}$$

$$\begin{aligned} h(261.4) &= 7.117384 \quad h(1320) = 178.171543 \\ h(2460) &= 410.5950 \end{aligned}$$

\*\* errors up to 2.6% between 505 and 1075 R.

APPENDIX B  
u(T) FREON-12  $CCl_2F_2$   
internal energy RF:  
BTU/lbm

not available

The following values are for Helium calculated from kinetic theory:

$C_p = 1.24016379$  BTU/lbm-R constant

$C_v = 0.744098275$  BTU/lbm-R constant

$\gamma = C_p/C_v = 1.666667$  constant

$\mu(T)$  HELIUM  
molecular viscosity PE:  
 $1bf \cdot sec/ft.^2$

not available

k(T) HELIUM  
thermal conductivity PE: 1  
BTU/ft $\cdot$ sec-R  
180-4320 R

$7.86042E-06 + 3.00849E-08T - 1.26065E-12T^2$   
 $6.22626E-06 + 3.40444E-08T - 3.41609E-12T^2 + 3.19323E-16T^3$   
 $5.64863E-06 + 3.62157E-08T - 5.48586E-12T^2 + 1.02477E-15T^3 - 7.83829E-20T^4$   
 $5.71194E-06 + 3.58874E-08T - 5.01582E-12T^2 + 7.55182E-16T^3 - 1.17325E-20T^4 - 5.92449E-24T^5$   
 $5.45425E-06 + 3.75928E-08T - 8.35897E-12T^2 + 3.56472E-15T^3 - 1.15286E-18T^4 + 2.15131E-22T^5 - 1.63745E-26T^6$

$k(180) = 1.1724124E-05$     $k(1980) = 6.26294754E-05$   
 $k(4320) = 1.1499278E-04$

## APPENDIX B

$\phi(T)$  HELIUM  
 "temperature function" \* RE: calculated from kinetic theory,  
 BTU/lbm-R ref. 250 R  
 250-2250 R

$$\begin{aligned} &-0.270816+2.47951E-03T-5.25702E-07T^2 \\ &-0.717177+3.91478E-03T-1.79516E-06T^2+3.29118E-10T^3 \\ &-1.04409+5.3796E-03T-3.89989E-06T^2+1.52307E-09T^3-2.32158E-13T^4 \\ &-1.30113+6.85148E-03T-6.86724E-06T^2+4.21529E-09T^3-1.35385E-12T^4+1.74486E-16T^5 \\ &-1.51223+8.31944E-03T-1.06929E-05T^2+9.06299E-09T^3-4.54829E-12T^4+1.22534E-15T^5-1.36222E-19T^6 \end{aligned}$$

$$\begin{aligned} \phi(321.4) &= 3.11671E-01 & \phi(1250) &= 1.996137688 \\ \phi(2250) &= 2.724918 \\ * \text{ this is the integral function } \phi &= \int c_p dT/T \end{aligned}$$

Pr(T) HELIUM  
 Prandtl number RE:  
 no units

not available

h(T) HELIUM  
 enthalpy @ 1 atmosphere RE:19  
 BTU/lbm  
 20-540 R

$$\begin{aligned} &5.91183+1.24336T-4.30687E-06T^2 \\ &5.72024+1.24746T-2.28079E-05T^2+2.23289E-08T^3 \\ &5.5472+1.25316T-6.76428E-05T^2+1.4668E-07T^3-1.11736E-10T^4 \\ &5.37372+1.26081T-1.57574E-04T^2+5.64919E-07T^3-9.46206E-10T^4+5.97167E-13T^5 \\ &5.19672+1.27052T-3.1251E-04T^2+1.61786E-06T^3-4.39295E-09T^4+5.96837E-12T^5-3.19701E-15T^6 \end{aligned}$$

$$\begin{aligned} h(20) &= 30.430 & h(240) &= 304.0496 \\ h(540) &= 676.160 \end{aligned}$$

u(T) HELIUM  
 internal energy @ 1 atmosphere RE:19  
 BTU/lbm  
 20-540 R

$$\begin{aligned} &6.01742+0.745656T-2.18348E-06T^2 \\ &5.92049+0.747731T-1.1543E-05T^2+1.1296E-08T^3 \\ &5.83058+0.750689T-3.48404E-05T^2+7.59121E-08T^3-5.8061E-11T^4 \\ &5.73556+0.754883T-8.40959E-05T^2+3.04983E-07T^3-5.15104E-10T^4+3.27071E-13T^5 \\ &5.64525+0.759836T-1.63152E-04T^2+8.42243E-07T^3-2.2738E-09T^4+3.06772E-12T^5-1.63127E-15T^6 \end{aligned}$$

$$\begin{aligned} u(20) &= 20.750 & u(260) &= 199.727026 \\ u(540) &= 408.080 \end{aligned}$$

## APPENDIX B

h(T) /u(T) HELIUM

@ 1 atmosphere

RE:19

no units

20-540 R

$$1.52216+7.66757E-04T-1.02514E-06T^2$$

$$1.47951+1.68018E-03T-5.14387E-06T^2+4.97088E-09T^3$$

$$1.44211+2.9102E-03T-1.48344E-05T^2+3.18478E-08T^3-2.41504E-11T^4$$

$$1.40741+4.44207E-03T-3.28216E-05T^2+1.155E-07T^3-1.91054E-10T^4+1.1944E-13T^5$$

$$1.37396+6.27647E-03T-6.21047E-05T^2+3.14507E-07T^3-8.42494E-10T^4+1.13461E-12T^5-6.04242E-16T^6$$

$$h/u(20)=1.466506 \quad h/u(280)=1.649508$$

$$h/u(540)=1.65693$$

s(T) HELIUM

entropy @ 1 atmosphere

RE:19

BTU/1bm-R

20-540 R

$$3.73375+1.55319E-02T-1.66896E-05T^2 \quad *$$

$$3.24188+2.60655E-02T-6.41867E-05T^2+5.73241E-08T^3 \quad *$$

$$2.89802+3.73753E-02T-1.53286E-04T^2+3.04444E-07T^3-2.22051E-10T^4$$

$$2.62714+4.93339E-02T-2.93707E-04T^2+9.57498E-07T^3-1.52502E-09T^4+9.32439E-13T^5$$

$$2.3974+6.19313E-02T-4.94804E-04T^2+2.32414E-06T^3-5.99867E-09T^4+7.90391E-12T^5-4.14952E-15T^6$$

$$s(20)=3.3940 \quad s(280)=6.69717313$$

$$s(540)=7.5030$$

\* errors of approximately 1.2%

C<sub>p</sub>(T) HYDROGEN

BTU/1bm-R

RE: 2

180-2460 R

$$2.90363+7.03301E-04T-1.61919E-07T^2$$

$$2.50963+2.18533E-03T-1.50994E-06T^2+3.41529E-10T^3$$

$$2.07374+4.58383E-03T-5.2123E-06T^2+2.45999E-09T^3-4.01804E-13T^4$$

$$1.68808+7.36567E-03T-1.14515E-05T^2+8.34148E-09T^3-2.84857E-12T^4+3.70787E-16T^5$$

$$1.41455+9.79051E-03T-1.86729E-05T^2+1.81036E-08T^3-9.41918E-12T^4+2.51655E-15T^5-2.70829E-19T^6$$

$$C_p(180)=2.6640$$

$$C_p(1360)=3.50264559$$

$$C_p(2460)=3.7550$$

$$C_p(\text{atomic hydrogen})=2.46265 \text{ constant}$$

C<sub>v</sub>(T) HYDROGEN

BTU/1bm-R

RE:6 table 19

200-2900 R

$$2.0636+4.27767E-04T-5.65301E-08T^2$$

$$1.75698+1.39838E-03T-8.0439E-07T^2+1.6083E-10T^3$$

$$1.33437+3.36948E-03T-3.38977E-06T^2+1.4186E-09T^3-2.02866E-13T^4$$

$$0.927366+5.88316E-03T-8.20492E-06T^2+5.28924E-09T^3-1.5747E-12T^4+1.77011E-16T^5$$

$$0.602708+8.37017E-03T-1.45643E-05T^2+1.26441E-08T^3-5.801E-12T^4+1.35379E-15T^5-1.26536E-19T^6$$

$$C_v(200)=1.7748016$$

$$C_v(1500)=2.53358178$$

$$C_v(2900)=2.8953373$$

## APPENDIX L

$\gamma(T)$  HYDROGEN  
 @ 1 atmosphere  
 no units  
 180-1080 R

RE:9 table 6-6

$$\begin{aligned} 1.64901 &- 6.797E-04T + 4.32044E-07T^2 \\ 1.80808 &- 1.68434E-03T + 2.23199E-06T^2 - 9.56775E-10T^3 \\ 1.95103 &- 2.93759E-03T + 5.8358E-06T^2 - 5.09643E-09T^3 + 1.64164E-12T^4 \\ 2.0519 &- 4.05641E-03T + 1.02975E-05T^2 - 1.3228E-08T^3 + 8.51698E-12T^4 - 2.18499E-15T^5 \\ 2.10225 &- 4.73584E-03T + 1.37948E-05T^2 - 2.20974E-08T^3 + 2.03215E-11T^4 - 1.00783E-14T^5 + 2.08942E-18T^6 \end{aligned}$$

$$\begin{aligned} \gamma(180) &= 1.587 \\ \gamma(1080) &= 1.396 \end{aligned}$$

$\mu(T)$  HYDROGEN  
 molecular viscosity RE: 1  
 1bf-sec/ft.<sup>2</sup>  
 560-2560 R

$$\begin{aligned} 1.17463E-07 &+ 1.4365E-10T + 1.55953E-14T^2 \\ -5.03306E-08 &+ 5.53477E-10T - 2.7895E-13T^2 + 6.39674E-17T^3 \\ 2.16838E-07 &- 3.22534E-10T + 7.01616E-13T^2 - 3.86481E-16T^3 + 7.26344E-20T^4 \\ 3.3477E-09 &+ 5.58732E-10T - 6.51559E-13T^2 + 5.86043E-16T^3 - 2.57035E-19T^4 + 4.24914E-23T^5 \\ 1.06653E-08 &+ 5.22339E-10T - 5.80482E-13T^2 + 5.16022E-16T^3 - 2.20162E-19T^4 + 3.25992E-23T^5 \\ &\quad + 1.06153E-27T^6 \end{aligned}$$

$$\begin{aligned} \mu(560) &= 1.9194234E-07 \\ \mu(2560) &= 6.2825088E-07 \end{aligned}$$

$k(T)$  HYDROGEN  
 thermal conductivity RE: 1  
 BTU/ft-sec-R  
 180-2610 R

$$\begin{aligned} 6.7893E-06 &+ 3.97869E-08T - 2.76201E-12T^2 \\ 2.82639E-06 &+ 5.37253E-08T - 1.46949E-11T^2 + 2.85135E-15T^3 \\ -7.3202E-07 &+ 7.21662E-08T - 4.15703E-11T^2 + 1.73788E-14T^3 - 2.60348E-18T^4 \\ -3.18232E-06 &+ 8.89808E-08T - 7.7359E-11T^2 + 4.93439E-14T^3 - 1.51914E-17T^4 + 1.80472E-21T^5 \\ -2.7223E-06 &+ 8.50653E-08T - 6.62343E-11T^2 + 3.50484E-14T^3 - 6.06408E-18T^4 - 1.0191E-21T^5 \\ &\quad + 3.37373E-25T^6 \end{aligned}$$

$$\begin{aligned} k(180) &= 1.085686E-05 \\ k(2610) &= 9.2989973E-05 \end{aligned}$$

$\phi(T)$  HYDROGEN  
 "temperature function" \* RE:6 table 19  
 BTU/lbm-R  
 300-3000 R

$$\begin{aligned} 12.5693 &+ 5.62949E-03T - 9.04531E-07T^2 \\ 11.5873 &+ 8.31522E-03T - 2.80508E-06T^2 + 3.8395E-10T^3 \\ 11.0072 &+ 1.05813E-02T - 5.47315E-06T^2 + 1.58477E-09T^3 - 1.81943E-13T^4 \\ 10.0303 &+ 1.55286E-02T - 1.38053E-05T^2 + 7.68507E-09T^3 - 2.18969E-12T^4 + 2.43363E-16T^5 \\ 8.0079 &+ 2.80663E-02T - 4.15073E-05T^2 + 3.64353E-08T^3 - 1.73517E-11T^4 + 4.17278E-15T^5 - 3.96911E-19T^6 \end{aligned}$$

$$\begin{aligned} \phi(300) &= 13.56002 \\ \phi(3000) &= 21.584325 \end{aligned}$$

\* this is the integral function  $\phi = C_p dT/T$

## APPENDIX B

Pr(T) HYDROGEN

Prandtl number

@ 1 atmosphere

180-1440 R

RE:9 table 6-10

$$\begin{aligned}
 & 0.739633 - 8.19845E-05T + 1.55766E-08T^2 \\
 & 0.704128E+1.12073E-04T - 2.63566E-07T^2 + 1.15759E-10T^3 \\
 & 0.674482E+3.32604E-04T - 7.77455E-07T^2 + 5.83299E-10T^3 - 1.44938E-13T^4 \\
 & 0.668676E+3.88074E-04T - 9.60744E-07T^2 + 8.51462E-10T^3 - 3.23139E-13T^4 + 4.39094E-17T^5 \\
 & 0.648422E+6.24924E-04T - 1.98282E-06T^2 + 2.96393E-09T^3 - 2.56832E-12T^4 + 1.22547E-15T^5 - 2.4358E-19T^6
 \end{aligned}$$

Pr(180)=0.7120

Pr(720)=0.6897319553

Pr(1440)=0.660

h(T) HYDROGEN

enthalpy

BTU/lbm

300-3000 R

RE:6 table 19

$$\begin{aligned}
 & 3.36626T + 1.88831E-05T^2 + 1.606E-08T^3 \\
 & 3.37356T - 1.08333E-06T^2 + 3.01892E-08T^3 - 2.85439E-12T^4 \\
 & 3.41843T - 1.76331E-04T^2 + 2.3652E-07T^3 - 9.57182E-11T^4 + 1.40703E-14T^5 \\
 & 3.53147T - 7.48817E-04T^2 + 1.2007E-06T^3 - 8.01634E-10T^4 + 2.46403E-13T^5 - 2.81615E-17T^6 \\
 & 3.70994T - 1.85524E-03T^2 + 3.64532E-06T^3 - 3.33876E-09T^4 + 1.58441E-12T^5 - 3.74921E-16T^6 \\
 & \quad + 3.50263E-20T^7
 \end{aligned}$$

h(300)=1023.562

h(1600)=5500.6650

h(3000)=10702.8270

u(T) HYDROGEN

internal energy

BTU/lbm

300-3000 R

RE:6 table 19

$$\begin{aligned}
 & 2.38117T + 1.89267E-05T^2 + 1.60491E-08T^3 \\
 & 2.38843T - 9.27131E-07T^2 + 3.00986E-08T^3 - 2.83829E-12T^4 \\
 & 2.43323T - 1.75922E-04T^2 + 2.36131E-07T^3 - 9.55681E-11T^4 + 1.405E-14T^5 \\
 & 2.54613T - 7.47713E-04T^2 + 1.19914E-06T^3 - 8.00628E-10T^4 + 2.46101E-13T^5 - 2.81274E-17T^6 \\
 & 2.72438T - 1.85274E-03T^2 + 3.64068E-06T^3 - 3.33456E-09T^4 + 1.58242E-12T^5 - 3.74451E-16T^6 \\
 & \quad + 3.49822E-20T^7
 \end{aligned}$$

u(300)=728.026

u(1600)=3924.5240

u(3000)=7747.6690

h(T) / u(T) HYDROGEN

no units

300-3000 R

RE:6 table 19

$$\begin{aligned}
 & 1.41407 - 4.18285E-06T - 2.24447E-09T^2 \\
 & 1.41248E+1.77489E-07T - 5.33006E-09T^2 + 6.23351E-13T^3 \\
 & 1.40493 + 2.96427E-05T - 4.00215E-08T^2 + 1.6237E-11T^3 - 2.36571E-15T^4 \\
 & 1.38578 + 1.26655E-04T - 2.0341E-07T^2 + 1.3586E-10T^3 - 4.17364E-14T^4 + 4.7722E-18T^5 \\
 & 1.35525 + 3.15885E-04T - 6.21511E-07T^2 + 5.69783E-10T^3 - 2.70574E-13T^4 + 6.40783E-17T^5 - 5.99052E-21T^6
 \end{aligned}$$

h/u(300)=1.4059413

h/u(1600)=1.401600656

h/u(3000)=1.3814255

## APPENDIX B

s(T) HYDROGEN  
 entropy @ 1 atmosphere RE:9 table 6-5  
 BTU/lbm-R  
 108-1080 R

$$\begin{aligned} & 9.78691 + 1.37459E-02T - 5.94556E-06T^2 \\ & 8.98152 + 1.98668E-02T - 1.79158E-05T^2 + 6.66945E-09T^3 \\ & 8.50386 + 2.50712E-02T - 3.48772E-05T^2 + 2.77618E-08T^3 - 8.82471E-12T^4 \\ & 8.12452 + 3.04004E-02T - 5.96732E-05T^2 + 7.79111E-08T^3 - 5.44421E-11T^4 + 1.52889E-14T^5 \\ & 7.76167 + 3.66376E-02T - 9.78617E-05T^2 + 1.87787E-07T^3 - 2.15151E-10T^4 + 1.30837E-13T^5 - 3.23856E-17T^6 \end{aligned}$$

$$\begin{aligned} s(108) &= 10.774586 & s(594) &= 15.8203916 \\ s(1080) &= 17.886719 \end{aligned}$$

the following values are for Neon calculated from kinetic theory:

$$\begin{aligned} C_p &= 0.245968174 \text{ BTU/lbm-R constant} \\ C_v &= 0.1475809045 \text{ BTU/lbm-R constant} \\ \gamma C_p/C_v &= 1.666667 \text{ constant} \end{aligned}$$

$\mu(T)$  NEON  
 molecular viscosity RE: 1  
 $1 \text{bf-sec/ft.}^2$   
 260-2260 R

$$\begin{aligned} & 2.42187E-07 + 7.76368E-10T - 5.06542E-14T^2 \\ & 9.34812E-08 + 1.29751E-09T - 5.30558E-13T^2 + 1.26959E-16T^3 \\ & 6.10042E-08 + 1.45874E-09T - 7.75969E-13T^2 + 2.7095E-16T^3 - 2.85697E-20T^4 \\ & 6.06465E-08 + 1.46103E-09T - 7.80919E-13T^2 + 2.75651E-16T^3 - 3.05884E-20T^4 + 3.20429E-25T^5 \\ & 6.09549E-08 + 1.45863E-09T - 7.74141E-13T^2 + 2.66574E-16T^3 - 2.43681E-20T^4 - 1.78401E-24T^5 \\ & \quad \quad \quad \quad \quad \quad + 2.78365E-28T^6 \end{aligned}$$

$$\begin{aligned} \mu(260) &= 3.9244794E-07 & \mu(1160) &= 1.080185375E-06 \\ \mu(2260) &= 1.776772E-06 \end{aligned}$$

k(T) NEON  
 thermal conductivity RE: 1  
 $\text{BTU/ft-sec-R}$   
 180-4320 R

$$\begin{aligned} & 3.12298E-06 + 8.76038E-09T - 6.44589E-13T^2 \\ & 2.12319E-06 + 1.11828E-08T - 1.96329E-12T^2 + 1.95363E-16T^3 \\ & 1.50969E-06 + 1.3489E-08T - 4.16161E-12T^2 + 9.44621E-16T^3 - 8.3251E-20T^4 \\ & 9.26782E-07 + 1.6512E-08T - 8.4897E-12T^2 + 3.42693E-15T^3 - 6.96956E-19T^4 + 5.45515E-23T^5 \\ & 6.32091E-07 + 1.84622E-08T - 1.2313E-11T^2 + 6.63997E-15T^3 - 2.00197E-18T^4 + 3.07355E-22T^5 \\ & \quad \quad \quad \quad \quad \quad - 1.87262E-26T^6 \end{aligned}$$

$$\begin{aligned} k(180) &= 3.5654187E-06 & k(2160) &= 1.894951868E-05 \\ k(4320) &= 2.9390613E-05 \end{aligned}$$

## APPENDIX B

$\phi(T)$  NEON  
 "temperature function" \* RE: calculated from kinetic theory  
 BTU/lbm-R ref. 250 R  
 250-2250 R

$$\begin{aligned} & -5.37123E-02 + 4.91774E-04T - 1.04265E-07T^2 \\ & -0.142241 + 7.76439E-04T - 3.56043E-07T^2 + 6.52756E-11T^3 \\ & -0.207081 + 1.06696E-03T - 7.73486E-07T^2 + 3.02079E-10T^3 - 4.6045E-14T^4 \\ & -0.258059 + 1.35889E-03T - 1.36202E-06T^2 + 8.36041E-10T^3 - 2.68517E-13T^4 + 3.46067E-17T^5 \\ & -0.299928 + 1.65004E-03T - 2.12079E-06T^2 + 1.79751E-09T^3 - 9.02087E-13T^4 + 2.43028E-16T^5 - 2.70176E-20T^6 \end{aligned}$$

$$\phi(321.4) = 6.18154E-02 \quad \phi(1250) = 0.39588714$$

$$\phi(2250) = 0.540447$$

$$* \text{ this is the integral function } \phi = \int C_p dT / T$$

$Pr(T)$  NEON  
 Prandtl number RE: calculated  $Pr = \mu(T)C_p(T)/k(T)$   
 no units  
 260-2260 R

$$\begin{aligned} & 0.673702 - 3.32576E-05T + 2.24447E-08T^2 \\ & 0.647415 + 5.77577E-05T - 6.10706E-08T^2 + 2.2094E-11T^3 \\ & 0.647743 + 5.61562E-05T - 5.86481E-08T^2 + 2.06757E-11T^3 + 2.81396E-16T^4 \\ & 0.656487 + 1.02533E-06T + 5.97197E-08T^2 - 9.13227E-11T^3 + 4.83077E-14T^4 - 7.62321E-18T^5 \\ & 0.662265 - 4.341E-05T + 1.84122E-07T^2 - 2.57209E-10T^3 + 1.61726E-13T^4 - 4.59588E-17T^5 + 5.07085E-21T^6 \end{aligned}$$

$$Pr(260) = 0.6596765 \quad Pr(1223) = 0.667099$$

$$Pr(2260) = 0.7206085$$

$h(T)$  NEON  
 enthalpy RE: calculated from kinetic theory  
 BTU/lbm ref. 250 R  
 250-2250 R

$$\begin{aligned} & -61.4918 + 2.45968E-01T + 2.51269E-14T^2 \\ & -61.4919 + 0.245968T - 3.58635E-10T^2 + 9.56427E-14T^3 \\ & -61.4919 + 0.245968T - 3.59448E-10T^2 + 9.61233E-14T^3 - 9.61163E-20T^4 \\ & -61.4896 + 0.245953T + 3.2213E-08T^2 - 3.10744E-11T^3 + 1.34906E-14T^4 - 2.15851E-18T^5 \\ & -61.4896 + 0.245953T + 3.21806E-08T^2 - 3.10306E-11T^3 + 1.34604E-14T^4 - 2.14819E-18T^5 - 1.37619E-24T^6 \end{aligned}$$

$$h(250) = 0.00 \quad h(1287) = 255.07824$$

$$h(2250) = 491.93503$$

$u(T)$  NEON  
 internal energy RE: calculated from kinetic theory  
 BTU/lbm ref. 250 R  
 250-2250 R

$$\begin{aligned} & -36.8951 + 0.147581T - 2.97362E-14T^2 \\ & -36.8951 + 0.147581T - 2.15709E-10T^2 + 5.75145E-14T^3 \\ & -36.8951 + 0.147581T - 2.17293E-10T^2 + 5.84508E-14T^3 - 1.87245E-19T^4 \\ & -36.8937 + 0.147572T + 1.93257E-08T^2 - 1.86434E-11T^3 + 8.09405E-15T^4 - 1.29508E-18T^5 \\ & -36.8937 + 0.147572T + 1.93536E-08T^2 - 1.8681E-11T^3 + 8.12004E-15T^4 - 1.30394E-18T^5 + 1.182E-24T^6 \end{aligned}$$

$$u(250) = 0.00 \quad u(1287) = 153.04728$$

$$u(2250) = 295.16181$$

## APPENDIX E

**s(T) NEON**  
**entropy @ 1 atmosphere RE:23 table XXXIV**  
**BTU/lbm-R**  
**90-540 R**

$$\begin{aligned}
 & 1.14215+2.01428E-03T-1.74329E-06T^2 \\
 & 1.05393+3.174E-03T-5.93218E-06T^2+4.43268E-09T^3 \\
 & 0.989522+4.34615E-03T-1.27882E-05T^2+2.02912E-08T^3-1.25862E-11T^4 \\
 & 0.93929+5.50238E-03T-2.22097E-05T^2+5.49963E-08T^3-7.14797E-11T^4+3.73927E-14T^5 \\
 & 0.898904+6.61645E-03T-3.38207E-05T^2+1.14266E-07T^3-2.29723E-10T^4+2.49209E-13T^5-1.12072E-16T^6
 \end{aligned}$$

$$\begin{aligned}
 s(90) &= 1.2900461 & s(315) &= 1.600351095 \\
 s(540) &= 1.7330427
 \end{aligned}$$

**C<sub>p</sub>(T) NITROGEN**  
**BTU/lbm-R RE:9 table 7-12**  
**270-2610 R**

$$\begin{aligned}
 & 0.239227+1.58837E-05T+2.70324E-09T^2 \\
 & 0.252428-2.52138E-05T+3.59637E-08T^2-7.69919E-12T^3 \\
 & 0.257707-4.86323E-05T+6.74375E-08T^2-2.39092E-11T^3+2.81423E-15T^4 \\
 & 0.253927-2.69217E-05T+2.5769E-08T^2+1.09541E-11T^3-1.032E-14T^4+1.8242E-18T^5 \\
 & 0.242235+5.51799E-05T-1.80654E-07T^2+2.5546E-10T^3-1.57763E-13T^4+4.55719E-17T^5-5.06339E-21T^6
 \end{aligned}$$

$$\begin{aligned}
 C_p(270) &= 0.24815158 & C_p(1440) &= 0.2685608726 \\
 C_p(2610) &= 0.29574599
 \end{aligned}$$

**C<sub>v</sub>(T) NITROGEN**  
**BTU/lbm-R RE:6 table 12**  
**200-3400 R**

$$\begin{aligned}
 & 0.165195+2.39076E-05T-6.71453E-10T^2 \\
 & 0.177257-1.05204E-05T+2.28181E-08T^2-4.41429E-12T^3 \\
 & 0.1843-4.03609E-05T+5.77024E-08T^2-1.93991E-11T^3+2.11527E-15T^4 \\
 & 0.182575-3.06706E-05T+4.12025E-08T^2-7.7369E-12T^3-1.49522E-15T^4+4.0489E-19T^5 \\
 & 0.17657+1.14808E-05T-5.53382E-08T^2+9.10174E-11T^3-5.12853E-14T^4+1.24977E-17T^5-1.12899E-21T^6
 \end{aligned}$$

$$\begin{aligned}
 C_v(200) &= 0.17711308 & C_v(1500) &= 0.1988766515 \\
 C_v(3400) &= 0.23425899
 \end{aligned}$$

**$\gamma(T)=C_p(T)/C_v(T)$  NITROGEN**  
**@ 1 atmosphere RE:9 table 7-6**  
**no units**  
**270-2880 R**

$$\begin{aligned}
 & 1.42476-4.46581E-05T+8.38108E-10T^2 \\
 & 1.4059+1.52556E-05T-4.72063E-08T^2+1.0644E-11T^3 \\
 & 1.39574+5.94336E-05T-1.03879E-07T^2+3.80823E-11T^3-4.42884E-15T^4 \\
 & 1.40797-8.0401E-06T+1.92386E-08T^2-5.91684E-11T^3+2.98711E-14T^4-4.42577E-18T^5 \\
 & 1.44151-2.30489E-04T+5.45059E-07T^2-6.41983E-10T^3+3.57142E-13T^4-9.44253E-17T^5+9.61398E-21T^6
 \end{aligned}$$

$$\begin{aligned}
 \gamma(270) &= 1.4090 & \gamma(1152) &= 1.3777486 \\
 \gamma(2880) &= 1.310
 \end{aligned}$$

## APPENDIX E

$\mu(T)$  NITROGEN  
molecular viscosity RE: 1  
1bf-sec/ft.<sup>2</sup>  
260-2860 R

$$\mu(260) = 2.055182 \times 10^{-7} \quad \mu(1360) = 7.008934143 \times 10^{-7}$$

$$\mu(2860) = 1.0973504 \times 10^{-6}$$

k(T) NITROGEN  
thermal conductivity RE: 1  
BTU/ft-sec-R  
260-2860 R

$$k(260) = 2.14444E-06 \quad k(1460) = 8.7671883E-06$$

$$k(2860) = 1.419444E-05$$

$\phi(T)$  NITROGEN  
"temperature function" \* RE:6 table 11  
BTU/1bm-R  
300-3000 R

$$\begin{aligned}
& 1.42113 + 4.14989E-04T - 6.60441E-08T^2 \\
& 1.3331 + 6.55749E-04T - 2.36418E-07T^2 + 3.44189E-11T^3 \\
& 1.26484 + 9.22547E-04T - 5.50536E-07T^2 + 1.75795E-10T^3 - 2.14207E-14T^4 \\
& 1.20979 + 1.20117E-03T - 1.01979E-06T^2 + 5.19351E-10T^3 - 1.34493E-13T^4 + 1.37057E-17T^5 \\
& 1.16563 + 1.47489E-03T - 1.62459E-06T^2 + 1.4704E-09T^3 - 4.65516E-13T^4 + 9.94944E-17T^5 - 8.66552E-21T^6
\end{aligned}$$

$$\phi(300)=1.4882567 \quad \phi(1600)=1.911864852$$

$$\phi(3000)=2.092804$$

\* this is the integral function  $\Phi = \int C_p dT/T$

Pr(T) NITROGEN  
Prandtl number RE:9 table 7-10  
no units  
@ 1 atmosphere  
180-2160 R

$$0.811377-2.15777E-04T+9.0258E-08T^2$$

$$0.849496-3.82263E-04T+2.69565E-07T^2-5.30766E-11T^3$$

$$0.850917-3.9092E-04T+2.84998E-07T^2-6.33615E-11T^3+2.2647E-15T^4$$

$$0.834121-2.60244E-04T-4.55389E-08T^2+2.93216E-10T^3-1.6808F-13T^4+2.9625E-17T^5$$

$$0.81136-4.54502E-05T-7.56812E-07T^2+1.38473E-09T^3-1.00965E-12T^4+3.45407E-16T^5-4.5805E-20T^6$$

$$\Pr(180)=0.7860 \quad \Pr(756)=0.689711288 \\ \Pr(2160)=0.7480$$

## APPENDIX B

$h(T)$  NITROGFN  
enthalpy  
BTU/lbm  
300-3000 R

RE:6 table 11

$$\begin{aligned} 0.245957T + 1.64751E-06T^2 + 2.36118E-09T^3 \\ 0.250102T - 9.69119E-06T^2 + 1.0385E-08T^3 - 1.62097E-12T^4 \\ 0.249684T - 8.05577E-06T^2 + 8.4595E-09T^3 - 7.5436E-13T^4 - 1.31305F-16T^5 \\ 0.247289T + 4.07277E-06T^2 - 1.19674E-08T^3 + 1.4201E-11T^4 - 5.05344E-15T^5 + 5.96623E-19T^6 \\ 0.245643T + 1.42773E-05T^2 - 3.45141E-08T^3 + 3.76009E-11T^4 - 1.73938F-14T^5 + 3.79479E-18T^6 \\ &\quad - 3.23047E-22T^7 \end{aligned}$$

$$\begin{aligned} h(300) = 74.3150 \\ h(3000) = 812.429 \end{aligned}$$

$u(T)$  NITROGEN  
internal energy  
BTU/lbm  
300-3000 R

RE:6 table 11

$$\begin{aligned} 0.175072T + 1.64827E-06T^2 + 2.3612E-09T^3 \\ 0.179212T - 9.67386E-06T^2 + 1.03733E-08T^3 - 1.6186E-12T^4 \\ 0.178792T - 8.03628E-06T^2 + 8.44525E-09T^3 - 7.50844E-13T^4 - 1.31479E-16T^5 \\ 0.17638T + 4.17952E-06T^2 - 1.21286E-08T^3 + 1.43121E-11T^4 - 5.08903E-15T^5 + 6.00915E-19T^6 \\ 0.174738T + 1.43612E-05T^2 - 3.46249E-08T^3 + 3.76597E-11T^4 - 1.74018E-14T^5 + 3.79193E-18T^6 \\ &\quad - 3.22325E-22T^7 \end{aligned}$$

$$\begin{aligned} u(300) = 53.048 \\ u(3000) = 599.7960 \end{aligned}$$

$h(T)/u(T)$  NITROGEN  
no units  
300-3000 R

RE:6 table 11

$$\begin{aligned} 1.40559 - 5.88692E-06T - 4.03957E-09T^2 \\ 1.39602 + 2.02843E-05T - 2.25596E-08T^2 + 3.74142E-12T^3 \\ 1.39612 + 1.99079E-05T - 2.21164E-08T^2 + 3.54196E-12T^3 + 3.02214E-17T^4 \\ 1.40167 - 8.17865E-06T + 2.51869E-08T^2 - 3.10907E-11T^3 + 1.14286E-14T^4 - 1.38162E-18T^5 \\ 1.40583 - 3.39798E-05T + 8.21943E-08T^2 - 9.02554E-11T^3 + 4.26302E-14T^4 - 9.46791E-18T^5 + 8.16796E-22T^6 \end{aligned}$$

$$\begin{aligned} h/u(300) = 1.4008882 \\ h/u(3000) = 1.354507 \end{aligned}$$

$s(T)$  NITROGEN  
entropy @ 1 atmosphere  
BTU/1bm-R  
180-3780 R

RE:9 table 7-5

$$\begin{aligned} 1.3977 + 4.20629E-04T - 6.08049E-08T^2 \\ 1.3027 + 6.80574E-04T - 2.26751E-07T^2 + 2.86714E-11T^3 \\ 1.2318 + 9.73115E-04T - 5.49792E-07T^2 + 1.56307E-10T^3 - 1.63811E-14T^4 \\ 1.17265 + 1.29743E-03T - 1.07183E-06T^2 + 4.98532E-10T^3 - 1.13484E-13T^4 + 9.91102E-18T^5 \\ 1.1266 + 1.61546E-03T - 1.76646E-06T^2 + 1.16421E-09T^3 - 4.23891E-13T^4 + 7.90431E-17T^5 - 5.88578E-21T^6 \end{aligned}$$

$$\begin{aligned} s(180) = 1.358964 \\ s(3780) = 2.1630076 \end{aligned}$$

APPENDIX B

$C_p(T)$  OXYGEN  
BTU/1bm-R  
460-2460 R

RE: 2

$$\begin{aligned}
& 1.92368E-01 + 5.3464F-05T - 8.84478E-09T^2 \\
& + 0.198806 + 3.58425E-05T + 4.80518F-09T^2 - 3.14427E-12T^3 \\
& + 0.219637 - 4.05339E-05T + 9.82925E-08T^2 - 4.93672E-11T^3 + 7.94021E-15T^4 \\
& + 0.236469 - 1.18643E-04T + 2.3093E-07T^2 - 1.53216E-10T^3 + 4.58578E-14T^4 - 5.22125E-18T^5 \\
& + 0.229854 - 8.13461E-05T + 1.49538E-07T^2 - 6.48996E-11T^3 - 4.757E-15T^4 + 9.41833E-18T^5 - 1.68156E-21T^6
\end{aligned}$$

$$C_p(460) = 0.21764 \quad C_p(1160) = 0.242480884$$

$$C_p(2460) = 0.27021$$

Cv(T) OXYGEN  
BTU/lbm-R  
200-3400 R

RE:6 table 14

$$0.139919 + 4.13501E-05T - 5.45661E-09T^2 \\ 0.143786 + 3.03129E-05T + 2.0739E-09T^2 - 1.41517E-12T^3 \\ 0.15521 - 1.80831E-05T + 5.86498E-08T^2 - 2.57179E-11T^3 + 3.43058E-15T^4 \\ 0.16456 - 7.0584E-05T + 1.48044E-07T^2 - 8.89022E-11T^3 + 2.29917E-14T^4 - 2.19364E-18T^5 \\ 0.166725 - 8.57805E-05T + 1.82849E-07T^2 - 1.24505E-10T^3 + 4.09421E-14T^4 - 6.55334E-18T^5 + 4.07024E-22T^6$$

$$C_v(200) = 0.15525 \quad C_v(1500) = 0.1914013373 \\ C_v(3400) = 0.2178125$$

$\gamma(T)$  OXYGEN  
@ 1 atmosphere  
no units  
216-3060 R

RF:9 table 8-6

$$\begin{aligned}
 & 1.44218 - 1.0274E-04T + 1.75184E-08T^2 \\
 & 1.4406 - 9.78523E-05T + 1.37403E-08T^2 + 8.0034E-13T^3 \\
 & 1.42218 - 1.57991E-05T - 9.11422E-08T^2 + 5.02769E-11T^3 - 7.68485E-15T^4 \\
 & 1.41836 - 4.58405E-06T - 7.71997E-08T^2 - 7.65048E-12T^3 + 4.51461E-14T^4 - 1.89799E-17T^5 + 2.38893E-21T^6 \\
 & \text{fifth degree fit not available}
 \end{aligned}$$

$$\gamma(216)=1.4170 \quad \gamma(1008)=1.356826657$$

$$\gamma(3060)=1.2890$$

$\mu(T)$  OXYGEN  
molecular viscosity RE: 1  
1bf-sec/ft.<sup>2</sup>  
360-3060 R

## APPENDIX B

k(T) OXYGEN  
thermal conductivity RE: 1  
BTU/ft-sec-R  
180-2700 R

$$k(180) = 1.4534702 \times 10^{-6} \quad k(1260) = 8.72301766 \times 10^{-5}$$

$\phi(T)$  OXYGEN  
"temperature function" \* RF:6 table 13  
BTU/1bm-R  
300-3000 R

$$\begin{aligned}
 & 1.3389 + 3.7666E-04T - 5.91498E-08T^2 \\
 & 1.26596 + 5.76141E-04T - 2.00312E-07T^2 + 2.85177E-11T^3 \\
 & 1.21152 + 7.88803E-04T - 4.50693E-07T^2 + 1.41207E-10T^3 - 1.70742E-14T^4 \\
 & 1.16535 + 1.02265E-03T - 8.44535E-07T^2 + 4.29555E-10T^3 - 1.11976F-13T^4 + 1.15032E-17T^5 \\
 & 1.12471 + 1.2746E-03T - 1.40122E-06T^2 + 1.00731E-09T^3 - 4.16665F-13T^4 + 9.04671E-17T^5 - 7.97615E-21T^6
 \end{aligned}$$

$$\phi(300) = 1.4039688 \quad \phi(1600) = 1.787031497$$

$$\phi(3000) = 1.954375$$

\* this is the integral function  $\phi = \int C_p dT/T$

$\Pr(T)$  OXYGEN  
Prandtl number @ 1 atmosphere  
no units RE:9 table 8-10  
180-1080 R

$$\begin{aligned}
& 0.876487 \cdot 10^{-4} \cdot 5.6772 \cdot 10^{-4} T + 2.81155 \cdot 10^{-7} T^2 \\
& 0.913618 \cdot 10^{-6} \cdot 9.1632 \cdot 10^{-4} T + 7.00018 \cdot 10^{-7} T^2 - 2.2162 \cdot 10^{-10} T^3 \\
& 0.920503 \cdot 10^{-7} \cdot 5.1805 \cdot 10^{-4} T + 8.72625 \cdot 10^{-7} T^2 - 4.19796 \cdot 10^{-10} T^3 + 7.86413 \cdot 10^{-14} T^4 \\
& 0.963641 \cdot 10^{-1} \cdot 2.3142 \cdot 10^{-3} T + 2.78836 \cdot 10^{-6} T^2 - 3.91182 \cdot 10^{-9} T^3 + 3.02912 \cdot 10^{-12} T^4 - 9.36661 \cdot 10^{-16} T^5 \\
& 1.05359 \cdot 10^{-2} \cdot 4.4253 \cdot 10^{-3} T + 9.00728 \cdot 10^{-6} T^2 - 1.96461 \cdot 10^{-8} T^3 + 2.39331 \cdot 10^{-11} T^4 - 1.48988 \cdot 10^{-14} T^5 + 3.69368 \cdot 10^{-18} T^6
\end{aligned}$$

$$\Pr(180) = 0.8150 \quad \Pr(612) = 0.701461794$$

$$\Pr(1080) = 0.704$$

**h(T) OXYGEN  
enthalpy RE:6 table 13  
BTU/lbm  
300-3000 R**

$$\begin{aligned}
& 0.209661T + 1.31696E-05T^2 + 1.35377E-11T^3 \\
& 0.215027T - 1.50639E-06T^2 + 1.0399E-08T^3 - 2.09808E-12T^4 \\
& 0.218931T - 1.67567E-05T^2 + 2.83542E-08T^3 - 1.01792E-11T^4 + 1.22442E-15T^5 \\
& 0.219134T - 1.77839E-05T^2 + 3.00842E-08T^3 - 1.14458E-11T^4 + 1.64128E-15T^5 - 5.05291E-20T^6 \\
& 0.216509T - 1.51441E-06T^2 - 5.86299E-09T^3 + 2.58617E-11T^4 - 1.80335E-14T^5 + 5.04844E-18T^6
\end{aligned}$$

$$h(300) = 64.7970 \quad h(1600) = 369.7880$$

APPENDIX B

u(T) OXYGEN  
internal energy RE:6 table 13  
BTU/lbm  
300-3000 R

$$\begin{array}{ll} u(300)=46.180 & u(1600)=270.490 \\ u(3000)=558.1280 & \end{array}$$

$h(T)/u(T)$  OXYGEN  
no units RE:6 table 13  
300-3000 R

$$\begin{aligned}
& 1.41919 - 3.49015 \times 10^{-5} T + 1.85682 \times 10^{-9} T^2 \\
& 1.40727 - 2.30938 \times 10^{-6} T - 2.1207E-08 T^2 + 4.65935 \times 10^{-12} T^3 \\
& 1.39644 + 4.01498 \times 10^{-5} T - 7.1197E-08 T^2 + 2.71585 \times 10^{-11} T^3 - 3.40897 \times 10^{-15} T^4 \\
& 1.39431 + 5.07595 \times 10^{-5} T - 8.90659E-08 T^2 + 4.0241E-11 T^3 - 7.71471E-15 T^4 + 5.21908E-19 T^5 \\
& 1.40037 + 1.31763 \times 10^{-5} T - 6.02615E-09 T^2 - 4.5941E-11 T^3 + 3.77351E-14 T^4 - 1.1257E-17 T^5 + 1.18978E-21 T^6
\end{aligned}$$

$$\begin{aligned} h/u(300) &= 1.4030992 & h/u(1600) &= 1.367074547 \\ h/u(3000) &= 1.3335704 \end{aligned}$$

s(T) OXYGEN  
entropy @ 1 atmosphere RE:9 table 8-5  
BTU/lbm-R  
180-2610 R

$$\begin{aligned}
& 1.27784 + 4.72477 \cdot 10^{-4} T - 9.09656 \cdot 10^{-8} T^2 \\
& 1.19726 + 7.55907 \cdot 10^{-4} T - 3.33615 \cdot 10^{-7} T^2 + 5.79808 \cdot 10^{-11} T^3 \\
& 1.13591 + 1.07392 \cdot 10^{-3} T - 7.97084 \cdot 10^{-7} T^2 + 3.08508 \cdot 10^{-10} T^3 - 4.48973 \cdot 10^{-14} T^4 \\
& 1.08557 + 1.41926 \cdot 10^{-3} T - 1.53211 \cdot 10^{-6} T^2 + 9.65003 \cdot 10^{-10} T^3 - 3.03426 \cdot 10^{-13} T^4 + 3.7065 \cdot 10^{-17} T^5 \\
& 1.04391 + 1.77396 \cdot 10^{-3} T - 2.53987 \cdot 10^{-6} T^2 + 2.26002 \cdot 10^{-9} T^3 - 1.13026 \cdot 10^{-12} T^4 + 2.92871 \cdot 10^{-16} T^5 - 3.05623 \cdot 10^{-20} T^6
\end{aligned}$$

$$s(180)=1.2904507 \quad s(1440)=1.7610839$$

$C_p(T)$  WATER VAPOR  $H_2O$   
@ 1 atmosphere RE:9 table 9-3  
BTU/lbm-R  
684-1530 R

$$\begin{aligned}
 & 0.55703 - 1.87291E-04T + 1.09692E-07T^2 \\
 & 0.872541 - 1.10895E-03T + 9.75232E-07T^2 - 2.62136E-10T^3 \\
 & 1.59757 - 3.94404E-03T + 5.02805E-06T^2 - 2.77429E-09T^3 + 5.70519E-13T^4 \\
 & 3.06929 - 1.11451E-02T + 1.88444E-05T^2 - 1.57721E-08T^3 + 6.57019E-12T^4 - 1.08807E-15T^5 \\
 & 5.66428 - 2.63498E-02T + 5.53724E-05T^2 - 6.18393E-08T^3 + 3.87487E-11T^4 - 1.2898E-14T^5 + 1.7803E-18T^6
 \end{aligned}$$

$$C_p(684) = 0.4918418 \quad C_p(1062) = 0.482763319 \\ C_p(1530) = 0.52237523$$

## APPENDIX B

$C_v(T)$  WATER VAPOR  $H_2O$   
 BTU/lbm-R  
 300-3000 R

RE:6 table 16

$$\begin{aligned} &0.297781+6.77198E-05T+4.6351E-09T^2 \\ &0.326063-9.63657E-06T+5.93762E-08T^2-1.10588E-11T^3 \\ &0.338317-5.75013E-05T+1.15731E-07T^2-3.64224E-11T^3+3.84297E-15T^4 \\ &0.345914-9.59731E-05T+1.80525E-07T^2-8.38608E-11T^3+1.9456E-14T^4-1.89249E-18T^5 \\ &0.352403-1.36203E-04T+2.69413E-07T^2-1.76112E-10T^3+6.81067E-14T^4-1.45009E-17T^5+1.27358E-21T^6 \end{aligned}$$

$$\begin{aligned} C_v(300) &= 0.3312611 & C_v(1600) &= 0.4184789667 \\ C_v(3000) &= 0.5348024 \end{aligned}$$

$\gamma(T)$  WATER VAPOR  $H_2O$   
 no units  
 300-3000 R

RE:6 table 16

$$\begin{aligned} &1.36422-7.1497E-05T+5.82923E-09T^2 \\ &1.3463-2.24709E-05T-2.8864E-08T^2+7.00874E-12T^3 \\ &1.33029+4.00832E-05T-1.02513E-07T^2+4.01562E-11T^3-5.02235E-15T^4 \\ &1.31761+1.04283E-04T-2.10638E-07T^2+1.19319E-10T^3-3.10765E-14T^4+3.15808E-18T^5 \\ &1.30918+1.56539E-04T-3.26096E-07T^2+2.39146E-10T^3-9.42699E-14T^4+1.95354E-17T^5-1.65428E-21T^6 \end{aligned}$$

$$\begin{aligned} \gamma(300) &= 1.333 \\ \gamma(3000) &= 1.206 \end{aligned}$$

$\mu(T)$  WATER VAPOR  $H_2O$   
 molecular viscosity  
 $lbf\cdot sec/ft.^2$   
 740-2660 R

RE: 1

$$\begin{aligned} &-3.57088E-08+4.57525E-10T-1.57129E-14T^2 \\ &2.01511E-08+3.40295E-10T+5.94828E-14T^2-1.49343E-17T^3 \\ &2.20693E-08+3.34887E-10T+6.48499E-14T^2-1.71686E-17T^3+3.31522E-22T^4 \\ &2.09711E-08+3.38782E-10T+5.95937E-14T^2-1.3787E-17T^3-7.09738E-22T^4+1.23295E-25T^5 \\ &5.98705E-09+4.02699E-10T-4.94589E-14T^2+8.16057E-17T^3-4.5933E-20T^4+1.11699E-23T^5 \\ &\quad -1.08927E-27T^6 \end{aligned}$$

$$\begin{aligned} \mu(740) &= 2.9846094E-07 & \mu(1520) &= 6.224105282E-07 \\ \mu(2660) &= 1.065186E-06 \end{aligned}$$

$k(T)$  WATER VAPOR  $H_2O$   
 thermal conductivity  
 $BTU/ft\cdot sec\cdot R$   
 504-1620 R

RE: 2 table 24

$$\begin{aligned} &-1.06777E-06+6.61102E-09T+1.15939E-12T^2 \\ &1.13512E-06-6.23951E-10T+8.51026E-12T^2-2.33593E-15T^3 \\ &2.1359E-07+3.41078E-09T+2.23718E-12T^2+1.78984E-15T^3-9.74207E-19T^4 \\ &-4.52883E-06+2.94473E-08T-5.26121E-11T^2+5.73285E-14T^3-2.80822E-17T^4+5.1188E-21T^5 \\ &-1.7502E-05+1.15411E-07T-2.82023E-10T^2+3.7323E-13T^3-2.6519E-16T^4+9.72768E-20T^5 \\ &\quad -1.45225E-23T^6 \end{aligned}$$

$$\begin{aligned} k(504) &= 2.6339129E-06 & k(954) &= 6.24488026E-06 \\ k(1620) &= 1.2527147E-05 \end{aligned}$$

## APPENDIX B

$\phi(T)$  WATER VAPOR  $H_2O$   
 "temperature function"  
 BTU/lbm-R  
 300-3000 R

RE:6 table 15

$$2.12+7.46511E-04T-1.11983E-07T^2 \\ 1.96748+1.16367E-03T-4.07186E-07T^2+5.96368E-11T^3 \\ 1.84959+1.62417E-03T-9.49367E-07T^2+3.03658E-10T^3-3.69729E-14T^4 \\ 1.75499+2.10327E-03T-1.75627E-06T^2+8.94423E-10T^3-2.31407E-13T^4+2.35677E-17T^5 \\ 1.67628+2.59122E-03T-2.83437E-06T^2+2.01332E-09T^3-8.21481E-13T^4+1.76493E-16T^5-1.5447E-20T^6$$

$$\phi(300)=2.2446159 \quad \phi(1600)=3.020651222$$

$$\phi(300)=3.388266$$

\* this is the integral function  $\phi = \int C_p dT/T$

$\Pr(T)$  WATER VAPOR  $H_2O$   
 no units  
 740-1530 R

RE: calculated  $\Pr=\mu(T)C_p(T)/k(T)$ 

$$1.61695-1.08444E-03T+4.04135E-07T^2 \\ 2.09544-2.42043E-03T+1.61261E-06T^2-3.54911E-10T^3 \\ 2.64564-4.47723E-03T+4.43736E-06T^2-2.04537E-09T^3+3.72349E-13T^4 \\ 4.25073-1.19935E-02T+1.82935E-05T^2-1.46193E-08T^3+5.99215E-12T^4-9.90273E-16T^5 \\ 12.5762-5.88331E-02T+1.26676E-04T^2-1.4667E-07T^3+9.53638E-11T^4-3.28593E-14T^5+4.67974E-18T^6$$

$$\Pr(740)=1.04678 \quad \Pr(1091)=0.91385138$$

$$\Pr(1530)=0.89745$$

$h(T)$  WATER VAPOR  $H_2O$   
 enthalpy  
 BTU/lbm  
 300-3000 R

RE:6 table 15

$$0.430799T+1.30796E-05T^2+6.42701E-09T^3 \\ 0.439412T-1.04775E-05T^2+2.30972E-08T^3-3.36771E-12T^4 \\ 0.440586T-1.50638E-05T^2+2.48969E-08T^3-5.79798E-12T^4+3.68222E-16T^5 \\ 0.439124T-7.66062E-06T^2+1.60285E-08T^3+3.33063E-12T^4-2.63621E-15T^5+3.64173E-19T^6 \\ 0.435898T+1.23435E-05T^2-2.81703E-08T^3+4.9202F-11T^4-2.68274E-14T^5+6.63361E-18T^6 \\ -6.33276E-22T^7$$

$$h(300)=131.417 \quad h(1600)=749.089$$

$$h(300)=1575.616$$

$u(T)$  WATER VAPOR  $H_2O$   
 BTU/lbm  
 300-3000 R

RE:6 table 15

$$0.320566T+1.30861E-05T^2+6.42531E-09T^3 \\ 0.329174T-1.04572E-05T^2+2.30857E-08T^3-3.36573E-12T^4 \\ 0.330344T-1.50269E-05T^2+2.84659E-08T^3-5.78722E-12T^4+3.66893E-16T^5 \\ 0.328869T-7.55761E-06T^2+1.58861E-08T^3+3.42298E-12T^4-2.66439E-15T^5+3.67428E-19T^6 \\ 0.325608T+1.26609E-05T^2-2.87865E-08T^3+4.9786E-11T^4-2.71148E-14T^5+6.70406E-18T^6 \\ -6.40064E-22T^7$$

$$u(300)=98.346 \quad u(1600)=572.727$$

$$u(300)=1244.93$$

## APPENDIX B

$h(T)/u(T)$  WATER VAPOR  $H_2O$  RE:6 table 15  
 no units  
 300-3000 R

$$\begin{aligned} & 1.34532 - 1.85114E-05T - 2.97801E-09T^2 \\ & 1.33606 + 6.79299E-06T - 2.08846E-08T^2 + 3.6175E-12T^3 \\ & 1.33346 + 1.69526E-05T - 3.28463E-08T^2 + 9.00111E-12T^3 - 8.15698E-16T^4 \\ & 1.33487 + 9.81369E-06T - 2.08229E-08T^2 + 1.98303E-13T^3 + 2.0815E-15T^4 - 3.51176E-19T^5 \\ & 1.33852 - 1.2802E-05T + 2.91461E-08T^2 - 5.16616E-11T^3 + 2.94308E-14T^4 - 7.43909E-18T^5 + 7.15951E-22T^6 \end{aligned}$$

$$\begin{aligned} h/u(300) &= 1.3362682 \quad h/u(1600) = 1.307929746 \\ h/u(3000) &= 1.265624 \end{aligned}$$

- - - - -  
 $s(T)$  WATER VAPOR  $H_2O$  RE:9 table 9-5  
 entropy @ 1 atmosphere  
 BTU/lbm-R  
 684-1530 R

$$\begin{aligned} & 2.10193 + 8.69448E-04T - 1.87363E-07T^2 \\ & 1.92593 + 1.3842E-03T - 6.70928E-07T^2 + 1.4644E-10T^3 \\ & 1.72474 + 2.16905E-03T - 1.79029E-06T^2 + 8.38781E-10T^3 - 1.56926E-13T^4 \\ & 1.44486 + 3.53813E-03T - 4.41689E-06T^2 + 3.30993E-09T^3 - 1.29778E-12T^4 + 2.06946E-16T^5 \\ & 0.914388 + 6.65398E-03T - 1.19204E-05T^2 + 1.27943E-08T^3 - 7.93663E-12T^4 + 2.64821E-15T^5 - 3.6866E-19T^6 \end{aligned}$$

$$\begin{aligned} s(684) &= 2.6044908 \quad s(1026) = 2.7974969 \\ s(1530) &= 2.9969061 \end{aligned}$$

- - - - -  
 the following values are for Xenon calculated from kinetic theory:

$C_p = 0.0378094109$	BTU/lbm-R	constant
$C_v = 0.0226856465$	BTU/lbm-R	constant
$\gamma = C_p/C_v = 1.666667$	no units	constant

- - - - -  
 $\mu(T)$  XENON  
 molecular viscosity RE:1  
 1bf-sec/ft.<sup>2</sup>  
 420-1260 R

$$\begin{aligned} & -4.18445E-08 + 1.08219E-09T - 2.08318E-13T^2 \\ & -4.21081E-08 + 1.08327E-09T - 2.09688E-13T^2 + 5.49662E-19T^3 \\ & -4.2E-08 + 1.08267E-09T - 2.08528E-13T^2 - 4.15906E-19T^3 + 2.89759E-22T^4 \\ & -5.24189E-08 + 1.15374E-09T - 3.95123E-13T^2 + 2.35873E-16T^3 - 1.4442E-19T^4 + 3.43938E-23T^5 \\ & -3.36433E-08 + 1.0001E-09T + 1.12883E-13T^2 - 6.33919E-16T^3 + 6.70089E-19T^4 - 3.61823E-22T^5 \\ & \quad \quad \quad \quad \quad \quad + 7.8365E-26T^6 \end{aligned}$$

$$\begin{aligned} \mu(420) &= 3.75948E-07 \quad \mu(800) = 6.9056447E-07 \\ \mu(1260) &= 9.910407E-07 \end{aligned}$$

#### APPENDIX I

$k(T)$  XENON  
thermal conductivity RE: 1  
BTU/ft-sec-R  
360-1332 R

$$k(360) = 6.1993315E-07 \quad k(828) = 1.319093075E-06$$

$$k(1332) = 1.9368896E-06$$

$\phi(T)$  XENON  
"temperature function" \* RF: calculated from kinetic theory  
BTU/lbm-R ref. 250 R  
250-2250 R

$$\begin{aligned}
 & -8.25648E-03 + 7.55938E-05T - 1.60273E-08T^2 \\
 & -2.18649E-02 + 1.19352E-04T - 5.47297E-08T^2 + 1.0034E-11T^3 \\
 & -3.18317E-02 + 1.6401E-04T - 1.18898E-07T^2 + 4.64346E-11T^3 - 7.07789E-15T^4 \\
 & -3.9668E-02 + 2.08884E-04T - 2.09365E-07T^2 + 1.28513E-10T^3 - 4.12755E-14T^4 + 5.31962E-18T^5 \\
 & -4.6104E-02 + 2.53638E-04T - 3.26E-07T^2 + 2.76307E-10T^3 - 1.38666E-13T^4 + 3.73575E-17T^5 - 4.15306E-21T^6
 \end{aligned}$$

$\Phi(321.4) = 9.502051 \times 10^{-3}$      $\Phi(1250) = 6.0853946 \times 10^{-2}$   
 $\Phi(2250) = 8.307577 \times 10^{-2}$

\* this is the integral function  $\phi = \int C_p dT/T$

Pr(T) XENON  
 Prandtl number RE: Calculated  $\Pr = \mu(T) C_p(T) / k(T)$   
 no units  
 420-1260 R

$$\begin{aligned}
& 0.601787+1.23083E-04T-6.90974E-08T^2 \\
& 0.562866+2.79847E-04T-2.66293E-07T^2+7.82523E-11T^3 \\
& 0.51556+5.36568E-04T-7.64277E-07T^2+4.89174E-10T^3-1.22298E-13T^4 \\
& 0.458004+9.29034E-04T-1.79541E-06T^2+1.79649E-09T^3-9.24203E-13T^4+1.9093E-16T^5 \\
& 0.47278+8.07778E-04T-1.39328E-06T^2+1.10589E-09T^3-2.75535E-13T^4-1.25594E-16T^5+6.28024E-20T^6
\end{aligned}$$

$$\Pr(420)=0.63834 \quad \Pr(855.6)=0.656021$$

h(T) XENON  
enthalpy  
BTU/lbm  
250-2250 R  
RE: calculated from kinetic theory  
ref 250 R

$$\begin{aligned}
 & -9.45231 \times 10^3 + 7.8094 \times 10^{-2} T + 2.1482 \times 10^{-15} T^2 \\
 & -9.45233 \times 10^3 + 7.8094 \times 10^{-2} T - 5.4887 \times 10^{-11} T^2 + 1.46371 \times 10^{-14} T^3 \\
 & -9.45233 \times 10^3 + 7.8094 \times 10^{-2} T - 5.49402 \times 10^{-11} T^2 + 1.46685 \times 10^{-14} T^3 - 6.28427 \times 10^{-21} T^4 \\
 & -9.45197 \times 10^3 + 7.8071 \times 10^{-2} T + 4.94738 \times 10^{-9} T^2 - 4.77235 \times 10^{-12} T^3 + 2.07183 \times 10^{-15} T^4 - 3.31494 \times 10^{-19} T^5 \\
 & -9.45197 \times 10^3 + 7.8071 \times 10^{-2} T + 4.94639 \times 10^{-9} T^2 - 4.77101 \times 10^{-12} T^3 + 2.07091 \times 10^{-15} T^4 - 3.31179 \times 10^{-19} T^5 - 4.19956 \times 10^{-26} T^6
 \end{aligned}$$

$$h(250)=0.00 \quad h(1287)=39.2098146$$

$$h(2250)=75.618822$$

## APPENDIX L

u(T) XENON  
internal energy  
BTU/lbm  
250-2250 R

RE: calculated from kinetic theory  
ref 250 R

$$\begin{aligned} & -5.67139 + 2.26856E-02T - 4.22076E-15T^2 \\ & -5.6714 + 2.26857E-02T - 3.32254E-11T^2 + 8.85899E-15T^3 \\ & -5.6714 + 2.26857E-02T - 3.34403E-11T^2 + 8.98599E-15T^3 - 2.54009E-20T^4 \\ & -5.67118 + 2.26843E-02T + 2.97121E-09T^2 - 2.86634E-12T^3 + 1.24443E-15T^4 - 1.99112E-19T^5 \\ & -5.67118 + 2.26843E-02T + 2.97188E-09T^2 - 2.86724E-12T^3 + 1.24505E-15T^4 - 1.99324E-19T^5 + 2.82383E-26T^6 \end{aligned}$$

$$\begin{aligned} u(250) &= 0.00 & u(1287) &= 23.525944 \\ u(2250) &= 45.37129 \end{aligned}$$

-----

LIST OF SYMBOLS/UNITS

a	Thermal Diffusivity	$\text{ft}^2/\text{sec}$
$C_p(T)$	Specific Heat @ Const Pressure	$\text{BTU}/\text{lb}_m - {}^\circ\text{R}$
$C_v(T)$	Specific Heat @ Const Volume	$\text{BTU}/\text{lb}_m - {}^\circ\text{R}$
$\gamma(T)$	Gamma, $C_p(T)/C_v(T)$	No Units
h	Total Enthalpy	$\text{BTU}/\text{lb}_m$
h	Static Enthalpy	$\text{BTU}/\text{lb}_m$
k(T)	Thermal Conductivity	$\text{BTU}/\text{ft}\cdot\text{sec} - {}^\circ\text{R}$
$\phi(T)$	"Temperature Function"	$\text{BTU}/\text{lb}_m - {}^\circ\text{R}$
$\mu(T)$	Molecular Viscosity	$\text{lb}_f\cdot\text{sec}/\text{ft}^2$
Pr	Prandtl Number	No Units
$P_t$	Total Pressure	$\text{lb}_f/\text{in}^2$
p	Static Pressure	$\text{lb}_f/\text{in}^2$
$T_t$	Total Temp	Deg. R.
T	(Static) Temperature	Deg. R.
U	Internal Energy	$\text{BTU}/\text{lb}_m$
$\rho$	Density	Mass/ $\text{in}^3$
$\nu$	Kinematic Viscosity	$\text{ft}^2/\text{sec}$

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