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### NAVAL POSTGRADUATE SCHOOL Monterey, California



## THESIS

THE THERMAL BEHAVIOR OF FILM COOLED TURBULENT BOUNDARY LAYERS AS AFFECTED BY LONGITUDINAL VORTICES

by

Alfredo Ortiz September 1987

Thesis Advisor:

P. M. Ligrani

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#### 19 ABSTRACT (CONT.)

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The Thermal Behavior of Film Cooled Turbulent Boundary Layers as Affected by Longitudinal Vortices

by

Alfredo Ortiz Lieutenant, Colómbian Navy B.S., Escuela Naval "ALMIRANTE PADILLA", 1983

Submitted in partial fulfillment of the requirements for the degree of

MASTER OF SCIENCE IN MECHANICAL ENGINEERING and MECHANICAL ENGINEER

form the

NAVAL POSTGRADUATE SCHOOL September 1987

#### ABSTRACT

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Heat transfer effects of longitudinal vortices embedded within film cooled turbulent boundary layers on a flat plate were examined for freestream velocities of 10 m/s and 15 m/s, and for blowing ratios ranging from 0.47 to 1.26. Moderate strength vortices were employed having circulation to freestream velocity ratios of about 1.6 cm. Spatially resolved heat transfer measurements from a constant heat flux surface and mean temperature distributions in spanwise planes show that local heat transfer is significantly affected by spanwise vortex position, and blowing ratio. Of particular significance are boundary layer and vortex structural changes which occur at high blowing ratios.

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#### TABLE OF SYMBOLS

- A area,  $m^2$
- C<sub>d</sub> discharge coefficient
- $C_p$  specific heat at constant pressure, J/Kg  $^{\circ}$ K
- d injection hole diameter, m
- $E_{bi}$  emissive power,  $W/m^2$
- Fij radiation view factor
- h heat transfer coefficient (spanwise averaged) as define by,  $q''/(T_{r^{\infty}} - T_{w}), W/m^2 \circ K$
- $h_f$  heat transfer coefficient with film cooling (spanwise averaged) as define by,  $q''/(T_{aw} - T_w)$
- $J_i$  radiosity,  $W/m^2$
- K thermal conductivity, W/m <sup>Q</sup>C
- M blowing rate
- P static pressure, Pa
- R gas constant
- Red Reynolds number based on the diameter of injection holes
- Rex Reynolds number based on the downstream distance from the boundary layer trip.
- St Stanton number
- St<sub>0</sub> baseline Stanton number, no film cooling, no vortex
- St<sub>f</sub> Stanton number with film cooling only
- T static temperature, <sup>Q</sup>K, <sup>Q</sup>C

- U mean velocity, m/s
- X downstream distance as measured from the boundary layer trip, m
- Y vertical distance from the test surface upward, cm
- Z spanwise distance from the test section center line, cm
- $\xi$  unheated starting length (1.10 m)
- ε radiation emissitivity
- $\eta$  effectiveness of film cooling
- $\rho$  density, Kg/m<sup>3</sup>
- $\theta$  non-dimensional coolant temperature,  $(T_{rc} T_{r\infty})/(T_w T_{r\infty})$
- $\delta$  boundary layer displacement thickness, m
- $\sigma$  Stefan-Bolzman constant

#### SUBSCRIPTS

aw	-	adiabatic wall
с	-	coolant at exit of injection holes
i	-	isentropic
0	-	stagnation condition
р	-	in plenum chamber
r	-	recovery condition
w	-	wall

∞ - free stream

#### I. INTRODUCTION

The increasing need for greater efficiency in gas turbine engines has resulted in higher turbine inlet temperatures. Consequently, combustors and turbine blading are subject to greater amounts of thermal stress, thermal fatigue, and creep. At present, gas turbines such as those associated with military applications, have inlet temperatures as high as 1800-2000 °C, [Ref. 1]. While the development of improved alloys with higher melting points is part of the solution, the development of efficient cooling systems is just as important [Ref. 2]. In order to design an efficient cooling configuration, the heat transfer distributions for the gas turbine components are needed. Because of the complex geometries and flows involved near blades and endwalls, accurate convective heat transfer rates are difficult to obtain. [Ref. 3]

Ongoren, [Ref. 4], described the flow in a turbine cascade. As the inlet boundary layer approaches the blade, just in front of the blade, a horseshoe vortex forms. At the saddle point, it splits into a vortex on the suction side, and a vortex on the pressure side. The pressure side vortex becomes the passage vortex, moving from the leading edge of the blade towards the low pressure side of the adjacent blade. As the suction side vortex convects along the blade, it is eventually pushed away by the passage vortex from the adjacent blade. A smaller, corner vortex rotates in opposite direction to the passage vortex as was verified by Sieverding, [Ref. 5].

The passage vortex is an example of a longitudinal vortex embedded in a film cooled turbulent boundary layer. In most cases, an embedded vortex

has a cross-stream length scale approximately equal to the boundary layer thickness. Therefore, the vortex is capable of strongly perturbing the boundary layer structure and modifying the heat transfer characteristics. In addition, longitudinal vortices usually maintain their coherence over a long streamwise distance, meaning that the heat transfer effects behind an effective vortex generator are likely to be very persistent. [Ref. 6]

Film cooling is used to provide a layer of cool fluid between a surface and high temperature free stream gases to which it is exposed. The film cooling not only acts as a thermal insulator but also as heat sink for the hot freestream gases. The overall effect of the film cooling is to reduce the temperature of the developing boundary layer, which in turn reduces the heat transfer to the surface. In the present study, the heat flux is calculated from :

$$\mathbf{q}''=\mathbf{h}(\mathbf{T}_{\mathbf{W}}-\mathbf{T}_{\mathbf{r}^{\infty}}) \tag{eqn. 1.1}$$

where h, includes the effect of the film cooling for constant wall heat flux, q", and constant free stream temperature,  $T_{r\infty}$ . In the present experiment variations of h correspond to variations of the wall temperature,  $T_w$ . When  $T_w = T_{r\infty}$ , equation 1.1 indicates that q" = 0, which may not be the case when film cooling is present.

Goldstein and Chen, [Ref. 2], defined an adiabatic wall effectiveness for film cooling using:

$$\eta = \frac{T_{aw} - T_r}{T_{oc} - T_r}$$
(eqn. 1.2)

The heat transfer is then calculated from :

$$q'' = h_f(T_w - T_{aw})$$
 (eqn. 1.3)

Here, q''=0 when  $T_w = T_{aw}$  with film cooling. Without film cooling  $T_{r\infty} = T_{aw}$ , and equations 1.1 and 1.3 are the same.

Numerous studies have been conducted on the effects of film cooling on heat transfer, effects of secondary flows on heat transfer, and more recently, on effects of film cooling and secondary flows on heat transfer in a turbulent boundary layer. Summarizing the results of experimental research on the effects of secondary flows in turbine blades passages over the past decade, Sieverding (1984) concluded that it is absolutely essential to establish the significance of secondary flows at off design conditions, in particular in regard to leading edge vortices.

Studying the effects of film cooling and secondary flows on heat transfer, Golstein and Chen (1985) performed an experimental study on the influence of the end wall on film cooling of gas turbine blades using a single row of injection holes. Two years later, the same authors performed a similar study but this time employed two rows of injection holes for the film cooling, [Ref 7]. From these two studies, the authors concluded that, in the convex side of the blade there is a triangular region where coolant is swept away from the surface by the passage vortex, while the concave side was not significantly affected by secondary flows originating near the endwall. Other study on film cooling effects is given in [Ref. 8].

Eibeck and Eaton (1987), conducted a study of a longitudinal vortex embedded in a turbulent boundary layer over a constant heat flux plate. The authors found significant increases and decreases in local Stanton numbers, due to the thinning of the boundary layer on the downwash side of the vortex and thickening on the upwash side of the vortex. Spanwise heat transfer variations became larger as the circulation of embedded vortices increased. [Ref. 6]

Investigating the interaction between a single weak streamwise vortex and a two-dimensional turbulent boundary layer, Russel, Pauley and Eaton (1987), observed a rapid growth of the vortex core, and a flattening of the core shape when the dimension of the core radius became comparable to the distance of the vortex center to the surface. Adverse pressure gradient caused an increase in the rate of core growth, and a stronger distortion of the core shape. These authors also provide an extensive review of work on vortices in boundary layers. [Ref 9]

In [Ref. 10], a study was conducted on heat transfer distributions and film cooling effectiveness on the endwall of an airfoil, using a full annular low aspect ratio vane cascade. The authors demonstrated the importance of the horseshoe vortices and secondary flows on the heat transfer and film cooling distributions.

Recently, Joseph (1986), conducted a study of the effects of embedded vortices on heat transfer in film cooled turbulent boundary layers. The author showed that the effects of the vortex on heat transfer are significant and important : on the downwash side of the vortex, heat transfer is augmented, effects of the film cooling are negated and local hot spots will exist.

Near the upwash side of the vorte::, coolant is pushed to the side, appearing to augment the protection provided by the film cooling, [Ref. 3]. Evans (1987), studied the fluid mechanics of vortices in boundary layers with film cooling, and showed that the vortices completely dominate the flow field, especially near the downwash side [Ref. 1].

The objective of this thesis is to increase the understanding of the effects on heat transfer, of a longitudinal vortex embedded in a film cooled turbulent boundary layer as affected by : 1) spanwise vortex position relative to the location of film cooling injection holes and, 2) blowing ratio. These effects are important regarding turbine blade and endwall heat transfer. The study was carried out under a series of steps. The first, was the design and construction of the heat transfer test surface, followed by qualification test to verify uniform wall heat flux, and an energy balance to identify and quantify the heat losses. After completion of the experimental apparatus, four types of heat transfer test were conducted : (1) heat transfer data with developing boundary layer only, (2) boundary layer and embedded vortex, (3) boundary layer with film cooling only, and (4) boundary layer with film cooling and embedded vortex.

#### II. EXPERIMENTAL APPARATUS

#### A. WIND TUNNEL

The wind tunnel pictured in Figure 3., built by Aerolab, was designed to provide a flow field from the nozzle with uniform velocity and low turbulence intensity. It is designated the NPS Shear Layer Research Facility (SLRF).

#### 1. Description.

The SLRF is a wind tunnel of the open circuit blower type with fan upstream and air entering the blower inlet from the surrounding room. The air speed through the test section can be adjusted from 5 to 40 m/s. The tunnel frame has leveling screws to adjust the center line of the tunnel to a horizontal position. The discharge of the fan slips into the inlet of the diffuser with a 1.6 mm clearance to isolate vibrations from the fan to the wind tunnel body. The diffuser section contains a filter pack and a nozzle leading to test section. The test section is a rectangular duct, 3.048 m long and 0.6090 m wide. It is designed with numerous pressure tabs and four 38 x 20.3 cm access ports along each of the side walls to provide easy access. The top wall is a continuous panel fabricated from 4.76 mm thick Lexan sheet. continuously sealed with neoprene along the edges. The ceiling height is adjustable to permit changes in the pressure gradient along the length of the test section. Additionally, the top wall contains numerous instrument ports for the measurements of various flow characteristics. The floor of the test section consists of three 0.6096 m and one 1.2192 m long sections which are

removable and replaceable. These sections are all 0.6090 m wide and are sealed with "O" rings around the sides. Further discussions of the wind tunnel are contained in [Ref. 11] and [Ref. 3: pp. 38].

A schematic of the test section components with the coordinate system employed in the present study are shown in Figure 1. An unheated starting length of 1.10 m exists upstream of the heated test surface. The injection nozzles are located 1.08 m downstream of the boundary layer trip and 0.02 m upstream of the test surface. The leading edges of the vortex generators are placed 0.479 m downstream of the boundary layer trip as shown in Figure 2.

#### 2. Qualification and Performance.

Prior to its relocation, extensive qualification tests of the Shear Layer Research Facility were conducted by Ligrani, [Ref. 12]. Results show that the variation of total pressure at the exit plane of the nozzle is less than 0.4% at 26 m/s and 34 m/s. Mean velocity varies less than 0.7% for the same mean freestream speeds. From five-hole pressure probe measurements, the velocity angle deviation is nowhere greater than 0.6 degrees at the nozzle exit plane.

Profile measurements of the mean velocity and longitudinal turbulence intensity in the turbulent boundary layer developing at 20 m/s indicate normal, spanwise uniform behavior. For this qualification test, and all results which follow, the boundary layer was tripped near the exit of the nozzle with a 1.5 mm high strip of tape. For the present study, total pressure measurements along the test section were made after relocation of the SLRF, in order to adjust the top wall for zero pressure gradient. The

maximum pressure difference along the test section was 0.007 in of H<sub>2</sub>O. Free stream turbulence intensity was measured to be 0.00085 ( 85 one hundredths of one percent or 0.085%) at 20 m/s, increasing to 0.00095 at 30 m/s.

#### **B.** INJECTION SYSTEM.

The injection system provides film coolant at temperatures above ambient. The coolant is ejected from a single row of injection holes into the boundary layer developing along the bottom wall of the test section. The diameters of the injection holes were scaled relative to boundary layer thickness to be similar to a turbine blade, with  $\delta/d$  ratio ranging from 0.37 to 0.40. The free stream air is at ambient temperature, thus the direction of heat transfer is opposite that of a gas turbine. The temperature difference  $T_w - T_{r\infty}$  range for this study has been kept less than 20 °C. to minimize the effects of variable fluid properties.

The injection parameters M and  $\theta$  were scaled to resemble parameters near gas turbine blades where M ranges from 0.47 to 1.26 and  $\theta$  varied from 1.39 to 1.69. Since the average temperatures of the coolant, plate and freestream were approximately the same for different runs,  $T_{rc} = 51 \ \text{QC}$ , and  $T_w = 40 \ \text{QC}$  and  $T_{r\infty} \approx 20 \ \text{QC}$ , variation of  $\theta$  was not a parameter considered in this study. Due to the reverse direction of heat transfer for the present experimental apparatus  $T_{rc}: T_{r\infty}: T_w$  ratio is 1.27 : 0.5- 0.55 :1.0 as compared to 0.67- 0.83 : 1.5 : 1.0 for actual gas turbines.

#### 1. Description

Air for the injection system originates in a two stage, 150 psig Ingersol-Rand air compressor, 10 HP, model # 71TD. From the compressor air flows through an adjustable pressure regulator, a cut-off valve, a reinforce flexible tubing (2.54 cm inside diameter), a moisture separator, a flow regulator, a Fisher and Portor rotometer (full scale  $9.345E-3 \text{ m}^3/\text{s}$ , 19.8 SCFM, model # 10A3565A), a diffuser, and finally into the injection heat exchanger and plenum chamber. The rotometer monitors the flow rate for film cooling.

A photograph of the chamber, the row of film cooling holes and vortex generator is shown in Figure 3.b. The chamber is constructed of 1.27 cm plexiglass, with outside dimensions of  $0.305 \ge 0.508 \ge 0.457 \le 0.508 \le 0.508 \le 0.457 \le 0.508 \le 0.508 \le 0.457 \le 0.508 \le$ 

Three pressure taps, positioned at the center of the front and two side faces of the injection plenum chamber, are used to measure  $P_{oc} - P_{\infty}$ . Three 0.254 mm diameter copper-constantan wire thermocouples with

welded joints are placed at different locations inside the plenum chamber to measure  $T_{op}$ .

#### 2. Qualification and Performance.

Extensive qualification of the injection system was conducted by Joseph, [Ref. 3: pp. 23-26]. Results show that the uniformity of the plenum chamber pressure,  $P_{oc}$ , was satisfactory over the range of the injection conditions with differences of about 1% in the spanwise direction and a maximum of 4% occurring for only one case at low flow rate of 0.327E-4 m<sup>3</sup>/s. This is equivalent of a blowing ratio M of 0.004 at U<sub>∞</sub> = 10 m/s

The plenum produces a reservoir of air at an elevated temperature and pressure, which is near stagnation conditions. The temperature at the exits of the injection tubes,  $T_{rc}$ , is different from the temperature of the plenum of the injection chamber,  $T_{op}$ , due to conduction through the tubes surface to the surrounding air. It is more convenient to measure  $T_{op}$ , whereas  $T_{rc}$  is needed to calculate the injection parameters. Thus a relation between  $T_{rc}$  and  $T_{op}$  was needed and found from experiment to be.  $T_{oc} = 1.455 T_{op}^{0.868}$ . Because of the low velocities employed, (and negligible viscous dissipation),  $T_{oc} \approx T_{rc}$  within a fraction of a degree.

In order to determine injection parameters, the following quantities must be measured,  $P_{\infty}$ ,  $T_{\infty}$  V<sub>c</sub>,  $P_{oc}$ ,  $T_{oc}$ , and A, the area normal to the flow of the injection holes, designed to be 9.2633E-4 m<sup>2</sup>. The coolant velocity is then given by:

$$U_c = \frac{V_c}{A}$$
 (eqn. 2.1)

The static density is estimated using :

$$\rho_{c} = \frac{P_{\infty}}{RT_{c}} \qquad (eqn. 2.2)$$

The mass flux,  $m_c$ , is the product of  $U_c$  and  $\rho_c$ . To calculate the isentropic mass flow,  $\rho_{ci}$  and  $U_{ci}$  are found using

$$p_{ci} = \frac{p_{\infty}}{RT_{op}}$$
 (eqn. 2.3)

and

$$U_{ci} = \sqrt{\frac{2(P_{oc} - P_{\infty})}{\rho_{ci}}} \qquad (eqn. 2.4)$$

The product of  $p_{ci}$  and  $U_{ci}$  for compressible flows may be given as :

$$(\Gamma_{c}U_{c})_{i} = P_{c}\left(\frac{P_{c}}{P_{c}}\right)^{\frac{2}{7}}\left[\frac{7}{RT_{c}}\left[1-\left(\frac{P_{c}}{P_{c}}\right)^{\frac{2}{7}}\right]\right]$$
(eqn. 2.5)

Discharge coefficients, Cd, are then estimated using :

$$C_{d} = \frac{\rho_{c}U_{c}}{(\rho_{c}U_{c})_{i}}$$
(eqn. 2.6)

In order to check the injection system, discharge coefficients were measured as volumetric flow rate was changed. Results are given in Figure 4 as a function of Reynolds number for 13 injection hole locations and 7 injection hole locations. Discharge coefficients range between 0.5 and 0.730, and increase with Reynolds number. For  $\text{Re} > 3 \ge 10^3$ , discharge coefficients collapse closely around a value of approximately 0.72. Because these results are consistent with those of [Ref. 8], satisfactory injection system performance is indicated.

#### C. HEAT TRANSFER SURFACE.

The heat transfer surface was designed and developed to provide a constant heat flux over its area. The average surface temperature may be adjusted and maintained from ambient up to about 60 °C. The plate was constructed so that its upward facing part is adjacent to the wind tunnel air stream, with minimal heat loss by conduction from the sides and beneath the test surface. The plate itself has been instrumented to measure temperatures with thermocouples placed just beneath the foil surface. A film of liquid crystals is sprayed over a layer of black paint painted on the foil.

#### 1. Description.

A photograph of the heat transfer surface is shown in Figure 5.a. The design is based on ones used at the University of Minnesota [Ref. 13] and [Ref. 14], and provides more uniform heat flux and better spatial resolution of temperature than the surface used by Joseph, [Ref. 3: pp. 27-36]. It consists of a thin stainless steel foil, AISI 302 full hard, 0.2032 mm x 1.3 m x 0.467 m, painted flat black with 7 layers of liquid crystals. Attached to the under side of the surface are 126 copper-constantan thermocouples. 120 of these have flattened tips and were manufactured by Marchi associates (type MA 396T-30-96-FEP-FJ), the remaining six have round junctions and were manufactured by Omega Engineering, Inc. Thermocouple lead wires are

located in grooves cut into a triple sheet of 0.254 mm (10 mil) thick double sided tape, manufactured by the 3M Company), as shown in Figure 5.b. The grooves are then filled with RTV. A thin foil constant heat flux heater, 1.0 mm x 1.143 m x 0.457 m, 120 V/1500 W, manufactured by Marchi Associates, is attached to the tape with Electrobond epoxy. Beneath the heater is a 12.7 mm (1/2 in) thick lexan sheet, followed by a 25.4 mm of foam insulation, 82.55 mm thick styrofoam, three sheets of .254 mm each lexan and one sheet of 9.53 mm thick balsa wood, as shown in Figure 7.

Around the edges of the foil, grease was inserted between it and the plexiglass frame to fill any small gaps resulting from thermal expansion. In addition, both the upstream edge and the trailing edge were taped to the bottom wall of the test section. Since additional vertical movement of the foil above the bottom wall of the test section occurs due to thermal expansion during heating, the level of the surface is adjustable and maintained level with the test surface by adjusting screws in the plexiglass frame supporting the heat transfer surface from below. During heat transfer tests, the top surface of the foil remained remarkably flat and smooth with minimal surface irregularities. The surface temperature is controlled by adjusting input voltage to the heater using a Standard Electrical Product Co. variac, type 3000B. With this type of heat transfer surface, good resolution of temperature was achieved without hot spots.

Thermocouples are placed on the surface as shown in Figure 6. In each of the six rows, 21 thermocouples are located 1.27 cm apart from each other. The first row of thermocouples is located at 5 cm from the leading edge of the test surface, the second is 10 cm further downstream with

respect to the first, the third is 15 cm apart downstream from the second row, and the rest of the thermocouple rows are 20 cm apart from each other

#### 2. Qualification and Performance

The present test surface was the second one constructed for this experiment. The first one could not be used since it had hot spots located under the thermocouple lead wires where the surrounding liner was not properly attach to the heater. In the second surface, this problem was remedied by increasing the thickness of the liner.

To test the second heat transfer surface, a Huges Probeye Thermal Series 4000 Video System, consisting of a infrared and video camera with display screen, was used. Surface temperatures were measured as the test surface was heated outside the wind tunnel, since the system could not see through wind tunnel walls. With this system temperature variations as small as 1 °C, can be measured. The surface was observed under three operating conditions : natural convection with a surface temperature of approximately 35 °C, forced convection from the leading edge with a surface temperature of about 40 °C, and force convection from the trailing edge, with a surface temperature of about 40 °C. Results showed that most of the heat transfer surface temperatures were spanwise uniform within a fraction of a degree for all three tests. The only exceptions were several small cool spots with temperatures about 1 °C lower than the rest of the plate, located between rows of thermocouple lead wires near the edges of the plate.

A second test using the liquid crystals was performed to further qualify the test surface. The liquid crystals, manufactured by Davis Liquid Crystals, Inc., are rated from 30 to 35 °C. Temperature variations as small as
1.2  $^{\circ}$ C can be measured with an uncertainty of  $\pm$  .2  $^{\circ}$ C. The test was conducted with natural convection with a surface temperature of approximately 32  $^{\circ}$ C. Results were consistent with the infrared test with temperatures variations not greater than 1.2  $^{\circ}$ C across most of the surface. As for the early test, small hot spots were evident near some thermocouple lead wire locations.

### 3. Energy Balance.

An energy balance was performed to determine the heat loss by conduction from the heat transfer test surface used to obtain final results. During the energy balance, heat loss by radiation and convection were prevented since the metal foil surface, ordinarily exposed to convection in the wind tunnel, was covered with three layers of 25.4 mm thick foam insulation. For the energy balance, and for all wind tunnel testing, foam insulation was also placed around the sides of the test surface located below the wind tunnel convection surface. To estimate heat loss through the insulation placed on top of the foil surface, program ENERGB was employed with an algorithm involving the one dimensional, linear form of Fourier's conduction equation:

$$q_{W} = KA \frac{\Delta X}{\Delta T}$$
 (eqn. 2.7)

For the insulation, K is 0.4 W/m  $^{\circ}$ C, A is 0.4897 m<sup>2</sup>,  $\Delta$ X is 0.0254 m, and  $\Delta$ T is the temperature drop in the X direction in  $^{\circ}$ C. Heat conduction through the bottom and sides of the heat transfer device is then given by:

$$q_c = VI - q_w \qquad (eqn. 2.8)$$

Here. VI is the power into the test plate, and  $q_w$  is the conduction loss through the top insulation. Tests were made at five power levels 11.02. 13.0, 15.25, 16.52 and 18.2 Watts, chosen to give conduction losses at the same levels as experienced under normal operating conditions. Figure 8 shows  $q_c$  vs.  $T_w - T_{amb}$  results, where  $T_w$  is the average plate surface temperature. A second order polynomial was fitted to this data in order to predict conduction losses during heat transfer measurements:

$$q_c = 0.683 + 0.954Tdiff - 0.016Tdiff^2$$
 (eqn. 2.9)

where  $Tdiff = T_w - T_{amb}$ . This equation is valid over a range of  $T_w - T_{amb}$ from 10 to 30 °C. When exposed to convection in the wind tunnel, conduction losses are only 1.5 to 2.5% of the total power, and thus, a 25% error in the estimate of conduction losses will cause less than a 0.5% error in the estimate of the heat transfer by convection.

Radiation losses were estimated using two different approaches. For the first:

$$q_{ij} = \frac{\sigma(T_w^4 - T_{amb}^4)}{\frac{1 - e_j}{e_j A_j} + \frac{1}{A_j F_{ij}} + \frac{1 - e_j}{e_j A_j}}$$
(eqn. 2.10)

and

$$q_{rad} = \sum_{j=1}^{n} q_{ij}$$

(eqn. 2.11)

[Ref. 15]. For the second approach,

$$q_{rad} = \frac{E_{bi} - J_i}{(1 - \epsilon_i)/\epsilon_i A_i} = \sum_{j=1}^{n} \frac{J_i - J_j}{(A_i F_{ij})^{-1}}$$
 (eqn. 2.12)

[Ref. 16]. The view factors,  $F_{ij}$ , for the top and each of the side walls were estimated to be 0.54 and 0.23, respectively [Ref. 16], where

$$\sum_{i=1}^{n} F_{ij} = 1$$
 (eqn. 2.15)

From these two methods, the radiation losses for an average plate temperature of 40  $^{\circ}$ C were estimated to be 55 Watts, approximately 8.5% of the total power into the heat transfer surface.

## 4. <u>Contact Resistance Temperature Drop</u>

Local surface temperatures were measured using thermocouples placed in contact with the underside of the metal foil surface. The junctions of these thermocouples were held in place next to the foil with three layers of 0.254 mm thick double-sided lining tape and RTV silicon rubber epoxy. During the heat transfer tests, temperatures measured by the thermocouples were greater than those of the surface of the plate, due to thermal contact resistance between the thermocouples and the foil and conduction through the foil. The resulting temperature difference  $\Delta T$  is given by:

$$\Delta T = q \left( \frac{1}{h_c A} + \frac{\Delta X}{KA} \right)$$
 (eqn 2.14)

where  $\Delta X/KA$  accounts for conduction across the foil thickness and  $1/h_cA$  accounts for the thermal contact resistance. q is the heat flux through the foil. The contact resistance is highly dependent on the contact pressure as well as the area of the surfaces in contact.

The value of contact resistance used in the present study was the same as used by joseph [Ref. 3]. In his study liquid crystals were applied to the surface to measure its temperature distribution during convection tests, so that  $\Delta T$  in eqn. 2.13 could be determined. Stanton numbers from baseline tests matched expected correlations after accounting for contact resistance. The empirical relationship for turbulent boundary layers at constant free stream velocity, along a flat plate with constant wall heat flux and unheated starting length of  $\xi = 1.10$  m. [Ref. 14] is given by

$$St_{x}Pr^{0.4} = 0.030Re_{x}^{-0.2} \left(1 - \left(\frac{\xi}{X}\right)^{0.9}\right)^{-.111}$$
 (eqn. 2.15)

Data in Figures 10 and 13 show that this equation matches the data well for  $5 \ge 10^{5}$  Re<sub>x</sub> < 2.0  $\ge 10^{6}$ . From these measurements, the two terms in brackets in equation 2. 13 were estimated to be  $0.014 \ ^{\circ}$ K/Watt. The same value was used for all thermocouples. However, on the present test plate. contact pressure and the area of the thermocouples in contact with the surface varied slightly from one thermocouple to another. Because contact resistance for each individual thermocouple may vary from this value, small deviations in the spanwise heat transfer coefficients and Stanton numbers result, which were independent of flow conditions. In the present study, the effects of these small variations were minimized by presenting results for local conditions in terms of Stanton number ratios.

## D. TEMPERATURE MEASUREMENT.

All thermocouples employed in the present study are type-T, copperconstantan thermocouples. 120 of these were manufactured by Marchi Associates, Inc and attached beneath of the heat transfer surface. These thermocouples, have a flattened junctions, so that they may be placed in good contact with the surface. One of these thermocouples was calibrated using a temperature regulated bath consisting of liquid nitrogen and electric heaters and a platinum resistance temperature reference ( $\pm$  0.01 °C). The calibration was performed over the temperature range of 0 - 45.32 °C. A second order was used to convert microvolts to temperature :

$$T = 0.018205 + 0.025846E - 0.000000581E^2 \qquad (eqn. 2.16)$$

where:

$$E = microvolts \ge 10^6$$
 Volts (eqn. 2.17)

This calibration was used for all Marchi Associates thermocouples attached to the plate, since all thermocouples indicated very similar behavior as temperatures were changed.

Thermocouples manufactured by Omega Engineering Co. were used to measure six plate temperatures, as well as temperatures of the plenum air, freestream air, and the boundary layer as traverses were made. The calibration of Joseph, [Ref. 3.: pp. 37], was first verified, and then used for all of these measurements except the traverses:

Here,

$$E = millivolts x 1000 \qquad (eqn. 2.19)$$

Temperatures surveys of T -  $T_{\infty}$ , were performed using the automated traversing device. For this, two thermocouples manufactured by Omega Engineering were used, after calibration using the technique mentioned above. Simultaneous measurement of free stream temperature was made for every boundary layer location to minimize scatter due to wind tunnel temperature drift. For the thermocouple mounted in the probe that travels the flow field, the following equation was used to convert voltage to temperature:

$$\Gamma = 0.1836 + 0.025667E - 0.0000004882E^2 \qquad (eqn. 2.20)$$

For the thermocouple used to measure the free stream, the equation employed was:

$$T_{\infty} = 0.07832 + 0.0231054E - 0.0000006786E^2 \qquad (eqn. 2.21)$$

As before,  $E = microvolts \times 10^6$ . The automated traversing mechanism has two degrees of freedom which allowed measurement of a plane the flow field. Each survey consisted of 800 probe locations, covering an area of 12 cm x 22 cm. Both, spanwise and vertical traversing blocks are mounted on a 20-thread per inch drive screw and two ground steel case hardened steel guide/support shafts. Each drive shaft is directly coupled to a SLO-SYN type MO92-FD310 steeping motor. Motors are controlled by a MITAS two-axis Motion Controller. Both the motors and the controller are manufactured by The Superior Electric Co. The MITAS controller comes equipped with 2K bytes of memory and a MC68000, 16-bit microprocessor which allows the user to program the start, stop, duration, speed, acceleration and deceleration of the steeping motors.

## E. DATA ACQUISITION SYSTEM

The data acquisition system was designed to rapidly measure thermocouple voltages and convert them to temperature in degrees C. Using these temperatures along with user supplied information on ambient conditions, freestream conditions, power input, and flow rates into the injection chamber, the system calculates free stream velocity, density, local heat transfer coefficients, Stanton numbers, spanwise averaged Stanton numbers, and injection parameters such as blowing ratio and discharge coefficient.

### 1. <u>Hardware</u>

A Hewlett-Packard Series 300, Model 9836S computer, equipped with a MC68000, 8 MHz 16/32-bit processor, dual 5-1/4 inch floppy disk drives, and 1M bytes of memory RAM, was used in the study. The computer was used to process signals from the data acquisition system as well as the information supplied by the user in order to process, store, display and print results. An HP Think Jet printer was used to print data, and an HP 7470 two pen plotter was employed for graphics. Voltages from the thermocouples are read by an HP-3497A Data Acquisition/Control Unit with an HP-3498A

Extender. The unit communicates with the computer through a HP-829737A Interface.

## 2. Software.

Programs STANFC1, STANFC2 and ACQTPRO were developed to process temperature and Stanton number data, program ENERGB was developed to estimate the conduction losses, and programs PTSLC, PTSTAV, PLSTRVOR, PLSTRTIO, PLSTRFC, PLSTVV, SURFCONT and PLOTRUN were developed for plotting data. All these programs are listed in Appendix C. The data files created by the heat transfer programs are listed in Appendix D.

Programs STANFC1 and STANFC2 are modified versions of STDAT1, which was developed by Ligrani, Ortiz and Joseph, [Ref. 3.: pp. 41]. Program STANFC1 prompts the user if film cooling is being used. If the answer is affirmative, the program prompts the user to enter the percentage of flow to the injection chamber from the rotometer and the pressure difference between the injection chamber and the static pressure in the wind tunnel. These inputs are transformed to SI units and stored in a data file named "FILDT". The program continues by prompting the user for the stagnation pressure of the free stream (in inches of H<sub>2</sub>O), the ambient pressure (in Hg), the current (Amps) and voltage supplied to the heater. The program then reads the thermocouple voltages and converts them into temperatures. These are then stored in a data file named "TDAFC". After all temperatures have been calculated, the free stream density and velocity are calculated. Parameters previously calculated such as the free stream density, free

stream velocity, ambient pressure, and the power in are stored in a data file named "IDAFC".

Program STANFC2, processes the data files TDAFC, IDAFC and FILDT. The program begins by prompting the user whether a vortex generator is being used or not, then it accounts for conduction, radiation losses and contact resistance. It continues by calculating local heat transfer coefficients and Stanton numbers, average spanwise Stanton numbers and Reynolds number based on downstream distance. These data are printed out and two data files, "STRFCV" and "STAV", are created. In "STRFC" the local heat transfer coefficients and Stanton numbers are stored, along with their spanwise position and downstream positions along the test plate. Spanwise averaged Stanton numbers with their corresponding down stream Reynolds numbers, are located in "STAV". The last section of the program includes a subroutine to calculate film cooling parameters, such as discharge coefficients, density ratios, mass flux ratios, momentum flux ratios and blowing rate.

Program ACQTPRO, developed by Ortiz, acquires temperatures from a thermocouple probe mounted on the automatic traversing device and from another thermocouple that senses the freestream temperature. This program was used to create the data to plot the temperature surveys of  $T - T_{\infty}$ . The program begins by prompting the user for the downstream distance from the boundary layer trip, the number of points in the spanwise direction where temperatures are going to be measured, the number of points in the vertical resolution in inches, the vertical resolution in inches and the initial position of the probe with respect to the plate, in both Z

and Y coordinates, in inches. A matrix of data points is then computed. Freestream temperature is calculated and ambient conditions are input. The program then enters a loop which samples each temperature 25 times per probe position and 5 times the free stream temperature. Upon acquiring these temperatures and obtaining their respective average, T - T<sub> $\infty$ </sub> is calculated for each probe location. The temperature difference along with their respective coordinates are stored in a matrix. At the end of the data collection run, these values are read into a data file named "TPRO", on a floppy disk. These data are plotted using program "TPROPUN".

## III. EXPERIMENTAL RESULTS

## A. BASE LINE MEASUREMENTS

Heat transfer measurements were made at free stream velocities of 10 m/s and 15 m/s, without vortex and without film cooling. These were done in order to determine how heat transfer from the plate compares with existing correlations. These measurements validated and qualified the performance of the heat transfer plate and measurements procedures used. Results are given in Figures 9-11 for 10 m/s, and in Figures 12-13 for 15 m/s.

Figure 9 shows the spanwise uniformity of the local heat transfer coefficient of the test surface at 10 m/s. Except for row 1, the spanwise uniformity is very good with maximum variation of 10% (based on the average for a given row). These small variations are probably due to slight differences in the spatial uniformity of the heat transfer test surface, especially differences in the conduction contact resistance between different thermocouples and the metal foil, which comprises the top of the heat transfer plate. Larger spanwise variations for row 1 are believed to be due to multi-dimensional heat transfer by conduction through the leading edge and through the front corners of the test plate in addition to the contact resistance. These variations are not as large as those observed by Joseph [Ref. 3: pp. 45, 77-78].

The spanwise-averaged Stanton Numbers for 10 m/s are shown in Figure 10. Six data points are shown, where each corresponds to a different thermocouple row. The data shows excellent agreement with the empirical

equation for turbulent boundary layers on a flat plate at constant free stream velocity, with constant heat flux and unheated starting length of  $\times = 1.10$  m [Ref. 15].

St.Pr<sup>0.4</sup> = 0.030Re<sub>x</sub><sup>-0.2</sup>
$$\left(1 - \left(\frac{\xi}{x}\right)^{0.9}\right)^{-0.111}$$
 (eqn. 3.1)

A survey of T - T<sub>oo</sub> in degrees Centigrade was obtained at X = 1.48 m, using a calibrated copper-constantan thermocouple, positioned using the automated traversing device. Results are shown in Figure 11, for U<sub>∞</sub>=10 m/s with no vortex and no film cooling. In this figure, results for an area normal to the flow of 11 cm x 20 cm. are given, as measured using 800 probe positions. The survey evidences good spanwise uniformity of the temperature boundary layer.

Figure 12 and 13 show the spanwise variations of the heat transfer coefficient and averaged Stanton numbers as function of Reynolds number for 15 m/s free stream velocity. Results are consistent with those obtained for 10 m/s. In Figure 12, the data show good spanwise uniformity, except for the first row, where variations are slightly larger than for the 10 m/s case. In Figure 13, the data again show excellent agreement with equation (3.1).

## **B. BOUNDARY LAYER WITH SINGLE VORTEX**

Heat transfer measurements were made at free stream velocities of 10 m/s and 15 m/s with an embedded longitudinal vortex and no film cooling. These were done to further qualify the heat transfer surface for spatially re-

solved heat transfer measurements. To produce the vortex, vortex generator  $\neq$ 2,(see Joseph [Ref. 3: pp 76]), was positioned 0.479 m downstream from the boundary layer trip, and 4.79 cm in the positive Z-direction, as shown in Figure 2.

The spanwise variation of local St/Sto for 10 m/s and 15 m/s are presented in Figures 14 and 15, respectively. Here, Sto is the local Stanton number without an embedded vortex. In both of these, the effect of the vortex on wall heat transfer is evident. The Stanton number ratios approach 1 away from the vortex. As Z decreases from +15cm, the ratios increase until maximum values of 1.2 and 1.25 are reached for 10 and 15 m/s, respectively. These maxima correspond to locations on downwash sides of vortices, where secondary flows result in boundary layers which are locally thinner than at other locations. For -5.0 < 2 < 0.0 cm a large gradient of heat transfer exists at each downstream location. The location of this gradient moves to smaller Z as the vortex develops downstream. For smaller Z, Stanton number ratios for 10 and 15 m/s, reach minima of 0.92 and 0.90 at locations which correspond to the upwash sides of vortices. Here, the boundary layer is locally thicker than at other locations.

The results in Figures 14 and 15 are in excellent quantitative agreement with those of Joseph [Ref. 3: pp. 87-88], for the same experimental conditions, (The sign of the Z coordinate in this experiment is opposite to the one employed by Joseph). The results in 14 and 15 also show qualitative agreement with the measurements of Eibeck and Eaton [Ref. 6], where small quantitative differences are a result of different vortex generator geometries.

## C. BOUNDARY LAYER WITH FILM CCOLING

In order to further qualify the heat transfer surface and the film cooling injection system, measurements were made with film cooling without embedded vortex. Results were obtained at 10 m/s, at  $\theta = 1.614$ , 1.699 and 1.50 with blowing ratios of 0.68, 0.98 and 1.26 respectively, and at 15 m/s. at  $\theta = 1.393$  and 1.586 with blowing ratios of 0.47 and 0.86 respectively. Results are presented in Figures 16-30.

Figures 16-18 show the spanwise variations of St/Sto at 10 m/s, for blowing ratios of 0.68, 0.98 and 1.26, respectively. The first data set was obtained using 13 injection holes, which produce a film wide enough (25.4 cm) to cover the entire span of the measuring heat transfer surface. Because of the limitations on the secondary air supply, 9 and 7 injection holes were required to produce blowing ratios of 0.98 and 1.26, respectively. In these cases the coolant was injected such that it covered a portion of the center span of the heat transfer test surface. Consequently, Stanton number ratios are higher near the edges of the plate, as shown in Figures 17 and 18. The latter Figure for only 7 injection holes, shows this effect to be particularly significant, however, in spite of this a large spanwise uniform area exists in the center portion of the plate where adequate spanwise averages may be obtained. Apart from this, the spanwise uniformity of Stanton number ratios in Figures 16-18 is excellent with a maximum deviation of about 10 percent.

Figures 19 and 20 show the spanwise variations of the Stanton number ratios at 15 m/s. Results for blowing ratios of 0.47 and 0.86 were obtained using 13 and 7 injection holes respectively. Spanwise variations in Figures

19 and 20 are larger than in Figures 16-18, though qualitative trends are very similar.

A summary of spanwise averaged St/Sto as dependent upon Reynolds number is given in Figure 21. Graphs showing individual curves are presented in Figures 22- 26, where averaged St/Sto are given for blowing ratios of 0.68, 0.98 and 1.26 at 10 m/s, and 0.47 and 0.86 at 15 m/s, respectively. Reterring to Figure 21, the lowest St/Sto are observed for M = 0.68 at 10 m/s and for M = 0.47 at 15 m/s. For each individual data set, the lowest ratio is present for the two rows of thermocouples nearest the film cooling holes, where X/d is 7.35 and 17.48. Here, X is distance from the down stream edge of the injection holes, and d the injection hole diameter. The data in figures 21-26 are plotted as function of the blowing ratio in figures 27 and 28. Results in 21-28 are qualitatively consistent with the fully turbulent measurements of Goldstein and Yoshida, [Ref. 15], also for a single row of injection holes.

Two surveys of  $T - T_{\infty}$  in degrees C were obtained in the film cooled turbulent boundary layer at X = 1.48 m, X/d = 41.94. Both surveys were made at a free stream velocity of 10 m/s, with M = 0.98 and a coolant injection temperature of 51 °C. In one case, the plate was heated to 40 °C (Figure 30.), and in the other, the plate was maintained at the free stream temperature (Figure 29.). The latter experimental arrangement with unheated plate allowed the determination of the presence and distribution of heated film coolant as indicated by higher temperatures. In Figure 30 with a heated plate, the locations of coolant jets are evident as local hot spots near the wall.

Comparing these results to ones in Figure 11. without film cooling shows that the thermal boundary layer is about twice as thick.

## D. BOUNDARY LAYER WITH SINGLE VORTEX AND FILM COOLING

In this part of the study the effect of an embedded vortex on a film cooled turbulent boundary layer was studied. This section of the experiment was conducted in four different parts. For all the parts of the experiment the same vortex generator was employed. The first consisted in repeating loseph data, [Ref. 3. : pp. 97-104]:  $U_{\infty}$ = 10 m/s, vortex generator #2 at Z = 4.79 cm and blowing ratio, M = 0.68, in order to provide additional check on measurements, equipment and procedures. In the second step, a blowing ratio of M = 0.98 was employed, at  $U_{\infty} = 10$  m/s. The position of the vortex was changed to three different locations with respect to test section center line. Vortex position A corresponds to vortex generator at Z = 3.52 cm, vortex position B to Z = 4.79 cm, and vortex position C to Z = 6.06 cm. In the third step, a freestream velocity of 15 m/s, with M = 0.47 were employed, in order to study the effect of blowing ratio. In the fourth part, a blowing ratio of M = 1.26, at  $U_{\infty}$  = 10 m/s was employed, in order to study the effect of high blowing ratio. Here, information was also obtained on changes in boundary layer structure which occurred for higher blowing ratios.

## 1. <u>Freestream 10 m/s. Blowing ratio. M = 0.68. Repeat of</u> Joseph data.

These heat transfer measurements were obtained to compare with those of Joseph, [Ref. 3]. He first showed that embedded vortices cause significant changes in heat transfer in film cooled turbulent boundary layers. This finding is also evident from the present study. To obtain the present data set, vortex generator #2 was placed at position B, and all 13 injection holes were used for film cooling. Results are presented in Figures 31a.-31.f, and in Figure 32. Overall effects are now discussed. The embedded vortex produces a thicker boundary layer in the upwash side thus augmenting the film cooling protection. Near the downwash side, the boundary laver is locally thinner, and the protection provided by the film cooling is minimized. The undercooled region produced on the upwash side vortex is very persistent not only in the down stream direction, but also in the spanwise direction. Here, Stanton numbers are .5 to 5.5 percent lower than those in boundary layers with film cooling only.

Figures 31.a-f., show the spanwise variation of the Stanton number ratios, St/Sto with film cooling and embedded vortex. Here, St is the local Stanton number and Sto is the Stanton number for the same location and free stream velocity but without film cooling and without embedded vortex. A St/Sto = 1 thus indicates an undisturbed thermal boundary layer. As shown in the set of Figures 31.a - 31f, the lowest St/Sto is 0.55 at X = 1.15 m, X/d = 7.35, and the maximum is 1.025 at X = 2.00 m, X/d = 96.59. If these results are compared with those of Joseph [Ref. 3. : pp. 97-103], a general qualitative agreement can be observed. Differences are due to improvements in the present heat transfer test plate, especially better spanwise temperature resolution and more uniform heat flux.

Figure 32. shows surface contours of St/Stf. Here, St is the local Stanton number, and Stf is the local Stanton number at the same location with film cooling but without embedded vortex. A very steep heat transfer gradient is present which is near the same location as the axis of the vortex.

At the upstream end of the plate this gradient is located near Z = -2 cm. A hot spot is present at larger Z, and a region of high heat transfer is present at smaller Z on the upwash side of the vortex. These results are in qualitative agreement with those of Joseph [Ref. 3.: pp. 104], except the most significant hot spots are located further downstream in the present study.

## 2. Free stream 10 m/s, Blowing ratio, M = 0.98

In order to achieve the blowing ratio used for this data, 9 injection holes were employed for film cooling. Here, injection covers the midspan of the test plate from -12 cm < Z < 12 cm. Vortex generator #2, was placed 60 cm upstream of the row of injection holes, at vortex position A, B and C, to investigate the effect of the vortex position with respect to film cooling injection holes. Results are presented in Figures 33 - 42.

## a. Data overview.

Spanwise variations of St/Sto for the vortex position B are shown in Figures 33a-33f. These data show the same overall qualitative trends as measurements at 10 m/s and M = 0.68 (Figure 31). With embedded vortex, the normalized Stanton numbers in 33a-33f are increased on the downwash side and decreased on the upwash side relative to the boundary layer with film cooling only. The only significant quantitative difference between these results and those in 31 are higher St/Sto at X/d = 17.48 and at X/d = 33.59 resulting from a less effective film cooling at M = 0.98.

#### b. Effect of downstream development.

In Figures 33a - 33f, a double peak of St/Sto is present at X/d = 17.48, and at X/d = 33.59. As the boundary layer develops further downstream, one peak becomes smaller ( $Z \approx -2.0$  cm), and one increases in magnitude ( $Z \approx 3.0$  cm), until at X/d = 54.59 the St/Sto distribution shows one large peak. This St/Sto peak increases in magnitude to become equal to 1.05, or about 34 percent greater than the St/Sto with film cooling only. St/Stf data in Figure 34, indicate that this hot spot covers an area along the center and spanwise downstream half of the plate. Such behavior evidences highly three-dimensional interactions within the boundary layer.

Figure 34 shows the St/Stf distribution for vortex position B and M = 0.98. A steep heat transfer gradient is evident along the the length of the test surface, which corresponds to the path of the vortex center. This path is at an angle to the streamwise direction, moving to smaller Z as the vortex convects downstream. Compared to results for M = 0.68 in Figure 32, the heat transfer gradient is steeper, and a larger region where St/Stf is less than 1 is present over the top third of the test plate. This follows since a larger amount of coolant is swept by the vortex at higher blowing ratio.

For Z values smaller than those along the location of the vortex center, Figure 33 shows values of Stanton ratios which are about 5 per cent lower than those with film cooling only. The same trend is evident in Figure 34, where almost 1/3 of the plate shows 0.90 < St/Stf < 0.98. These locations are on the upwash side of the vortex, where film coolant seems to be pushed and spread over a very large portion of the plate. Similar phenomena were observed by Goldstein and Chen, [Refs. 2 and 7], in a study of film cooling of

a turbine blade with injection through one and two rows of holes in the near-endwall region.

Figures 35a- 35d show the T -  $T_{\infty}$  temperature field as it develops downstream at X/d = 41.9, 82.9, 109.2 and 147.0. For these tests, film cooling jets were heated to 51 °C without providing any heat to the test plate. Thus, the temperature field shows how fluid from the film cooling holes is convected and distorted by the vortex, where higher temperatures indicate greater amounts of coolant. The most dramatic effect evident from Figures 35a-d occurs on the upwash side of the vortex, where coolant is lifted away from the thermal boundary layer which is ordinarily about 4 cm thick with film cooling. At X/d = 41.9 fluid affected by the film cooling is 6.5 cm from the surface, and at X/d = 147.0, the temperature field is more than 10 cm from the surface. Also, evident are cooler temperatures with downstream development resulting as coolant is convected and diffused. The areas indicated by low St/Sto and St/Stf values correspond to 0. < Z < -5. cm. where coolant seems lifted from the surface to accumulate in one small area. Figures 35a-d clearly show how the coolant is pushed and spread over an area by the vortex, and how this area increases in size, as the flow convects downstream.

On the downwash side of the vortex, secondary flows cause freestream fluid to be located very near the wall. Here, the thermal boundary layer is greatly thinned and very little effect of the film cooling remains. From Figure 35c for X/d = 82.94, the local hot spot is located at to 0 < Z < -5cm, which seems to indicate that film coolant is moved to other locations in the boundary layer by the vortex.

In Figure 36, the temperature field is presented for an experiment in which the heat transfer plate is heated to 40  $^{\circ}$ C and film coolant to 51  $^{\circ}$ C. The temperature difference contours show the same qualitative trends as in Figure 35. In particular, the positions of many temperature gradients and the dimensions of the area affected by the vortex are about the same. Results in Figure 36 are different from those in 35 since : (1) it is not as easy to discern which part of the temperature field is due to film cooling only, (2) overall temperature differences are larger, and (3) local hot spots corresponding to film cooling locations are more easily discernable every 3 cm starting at Z = -12 cm.

The temperature gradient at Z = -14 cm, corresponds to the spanwise edge of the film cooling for blowing rate of M = 0.98.

c. Effect of spanwise vortex position.

To study the effect of the vortex position relative to the film cooling injection, the vortex position was changed from A to B to C locations. Distributions of St/Sto are shown in Figures 33, 37 and 40, distributions of St/Stf in Figures 34, 38, 41 and distributions of T - T $_{\infty}$  are given in Figures 35, 39 and 42. Regardless of the vortex position, the following phenomena were observed :(1) on the upwash side of the vortex a low heat transfer region exists, where St/Sto is less than for a film cooled turbulent boundary layer only, (2) on the downwash side of the vortex a wide region of high St/Sto exists, because of thinning of the boundary layer by the vortex, and (3) at X/d = 7.4, the film cooling dominates the flow and the vortex seems to have very little effect on the heat transfer.

Comparisons of Figures 33, 37 and 40, show that for low X/d values up to 17.5, a double peak in the St/Sto distributions is present for vortex positions A and B. At X/d = 33.6 and further downstream for vortex positions A and C, the double peak in St/Sto distributions starts to grow spanwise enlarging the portion of the plate covered by the hot spot. In these cases, St/Sto peaks are not as high as for the vortex position B case (Figure 33). A maximum St/Sto of 1.05 was observed for the vortex position b at X/d = 96.6, or about 30 percent greater than the St/Sto with film cooling only. Low St/Sto and St/Stf regions on the upwash side of the vortex were observed for all three vortex positions.

St/Stf distributions from Figures 34, 38 and 40 show that the location, shape and size of the hot spot vary depending on the vortex spanwise position. In Figure 34, for vortex position B, this hot spot is located from the middle length of the plate, growing in size as the vortex develops downstream. For vortex position A, the hot spot is shifted upstream and is not as wide, nor as long as for position B. For vortex position C, the hot spot begins early upstream but persists further downstream, but it does not reach the end of the test section, and it is very narrow. A region of high heat transfer is observed in all three cases, but this area is larger for vortex position A, covering about 2/3 of the test plate. A heat transfer gradient is aligned along the vortex center for all three vortex positions, but it is steeper and more persistent for vortex position B. The region of low heat

transfer, where St/Stf is less than 1, is largest for position B and smallest for position C.

Figures 35, 39 and 42 show the T -  $T_{\infty}$  temperature field in degrees C for X/d = 41.9. For these results the heat transfer plate was maintained at the freestream temperature and the coolant was heated to 51<sup>Q</sup>C, (unheated plate). Overall qualitative trends for all three vortex positions are similar: coolant is lifted away the wall by the upwash side of the vortex, on the downwash side of the vortex, secondary flows cause the freestream fluid to be located very near the wall, making the boundary layer very thin and minimizing the effect of the film cooling. A significant spanwise gradient in temperature exists which is located near the vortex core, and extends about 5 cm from the wall. As expected, the spanwise location of this gradient changes with vortex position. The effect of the downwash side of the vortex is most significant for vortex position B. For this case Figure 35a shows that the boundary layer is thinned such that it only extends 2 cm from the wall. Significant changes also occur near the upwash side of the vortex where secondary flows from the vortex convect film coolant away from the wall. The most significant changes in this part of the flow occur for vortex position C.

## 3. Free stream 15 m/s, blowing ratio, M = 0.47. Effect of low blowing ratio.

Measurements were made at  $U_{\infty} = 15$  m/s, with a blowing ratio M of 0.47, in order to determine the effect of low blowing ratio on heat transfer. These tests were also conducted to obtain additional verification of general conclusions from results obtained at 10 m/s and M = 0.98 blowing ratio. For these tests, vortex generator #2, was used at positions A, B and C.

Results are shown in Figures 43 - 48. Distributions of St/Sto are shown in Figures 43, 45, and 47, and distributions of St/Stf are given in Figures 44, 46 and 48.

From a general qualitative point of view, the results at 15 m/s and M = 0.47 are similar to those of 10 m/s and M = 0.98. The most significant quantitative difference is that St/Sto maxima are higher, and St/Sto minima are lower for M = 0.47. In addition, the peaks of local heat transfer seem to increase more rapidly with downstream distance. At the downstream end of the plate where X/d = 96.6, local St/Sto for M = 0.47 may be as high as 1.12 compared to about 1.05 for M = 0.98. The rapid downstream growth of these maxima becomes more apparent when one considers the film cooled boundary layer alone, since St/Sto ratios at M = 0.47 are lower than those at M = 0.98.

At M = 0.47, the effect of changes in the spanwise position of the vortex are much less significant than at M = 0.98. At higher blowing ratio, many quantitative changes in the local heat transfer result as the vortex position is changed. In particular, primary and secondary peaks of St/Sto were observed at X/d = 17.5 and 33.6 for vortex position B, and X/d = 54.6 and 75.6 for vortex position C. At the M = 0.47 blowing ratio, the shapes of St/Sto distributions for different vortex positions are very similar, especially for X/d = 54.6, 75.6 and 96.6. Generally, quantitative changes for M = 0.47 occur only in the spanwise locations of the St/Sto maxima and minima. At X/d = 7.4, the effect of the vortex position changes is minimal and the spanwise heat transfer rates are mostly affected by the film cooling. At X/d = 17.5 both primary and secondary St/Sto peaks are present for all three

vortex positions. The only significant St/Sto changes with vortex position occur at X/d = 33.6 where a small secondary St/Sto peak is observed when the vortex is located at position A only. Such behavior indicates that the effects of film cooling at M = 0.47 do not persist as far downstream as at higher blowing ratios. In addition, the vortex seems to more completely dominate the flow field as the blowing ratio decreases.

## 4. Free stream 10 m/s, blowing ratio, M = 1.26. Effect of high blowing ratio.

In order to study the effect of high blowing ratio on the film cooled turbulent boundary layer with embedded vortex, measurements were made at  $U_{\infty} = 10$  m/s. with M = 1.26 and the vortex at position B. Results are shown in Figures 49-52.

The St/Sto and St/Stf data in 49 and 50 show the same overall qualitative trends shown by measurements at M = 0.98, 0.47, and 0.68 : augmented heat transfer near the downwash side of the vortex and reduced heat transfer near the upwash side. Also, at X/d = 7.4, film cooling rather than the vortex dominates the spanwise variation of heat transfer. The most important quantitative differences between these results and those at other blowing ratios are the magnitudes of St/Sto with film cooling only. Figure 26 shows M = 1.26 St/Sto data at 10 m/s which is, on the whole, greater than data at M = 0.68, but just lower than results for M = 0.98. Results presented in Figure 49 reflect the same overall trends.

Details of the spatial variations of normalized Stanton numbers in Figures 49 and 50 are now discussed. At X/d = 17.5, 33.6 and 54.6 double peaks in St/Sto distributions are present. These seem to result from inter-

action between cooling jets and the vortex, occurring at Z = -2 - -3 cm and at Z = 2 - 3 cm.

Contours of T - T<sub>∞</sub> ( $^{\circ}$ C), at X/d = 41.9 in Figure 51. show that the peak near +2-3 cm results from the downwash of free stream fluid to near wall regions by the vortex. The corresponding St/Sto peak increases in magnitude as the the boundary layer convects downstream reaching magnitudes as high as 1.05 at X/d 75.6 and 96.6. At these downstream locations, augmented St/Sto cover a large spanwise portion of the film cooled test surface extending from -5 cm to +5 cm (Figures 49 and 50). Magnitudes of St/Sto maxima in these hot spots at M = 1.26 are about the same as those at M = 0.98.

Figure 50 shows the heat transfer rate over the test plate in terms of St/Stf. Here, the hot spot is located from X/d = 54.6 to X/d = 96.6. This region is very large, confined to the downwash side of the vortex. The temperature gradient on the upwash side of the vortex is not very steep in some streamwise locations. A comparison between Figure 50 and Figure 32 where M = 0.68, show that, the hot spot is present at the same spanwise and streamwise location in both cases, but in 50 the hot spot is thinner, and the area of low St/Sto on the upwash side of the vortex is larger.

Temperature contours at X/d = 41.9 in Figure 51, show that the St/Sto peak at Z = -2--3 cm. lies beneath a region of large temperature gradients very near the vortex center. Figure 52d, shows strong secondary flows at this location which apparently sweep coolant further from the vortex center (to smaller Z), such that it collects near -5 < Z = -8 cm. Contours of vorticity magnitude, calculated from these secondary flow vectors for M =

1.26 vortex position B, are shown in Figure 52e. These show that (1) the core of the primary vortex is located at Z = -2 cm., Y = 3.5 cm., and (2) that the secondary peak in heat transfer is not a result of any form of secondary vortex. Augmented mixing is initially created by the secondary flows beneath the vortex center, resulting in locally higher heat transfer. This secondary peak shown in Figure 49 at X/d = 17.5, 33.6 and 54.6 eventually becomes indistinguishable at larger X/d equal to 75.6 and 96.6. The secondary peak is bigger and more persistent than at M = 0.98, indicating that the shear layer interaction causing higher heat transfer is dependent upon the mass flux of film cooling.

Another important feature of the results in Figure 51 is the gradient of heat transfer present at Z = -10 - -12 cm. for 0 < Y < 5.0 cm. This gradient is present at the edge of the film cooled region : coolant was injected from only 7 holes extending across a span from -9 cm. to +9 cm.

Additional flow field information at X = 1.48 m, X/d = 41.9 is given in Figures 52a.-c for 10 m/s, M = 1.26 and vortex position B. Data was taken using a five-hole pressure probe, [Ref. 1.: pp. 14-15], to measure pressure at 800 points in a spanwise plane in order to further investigate the effect of the high blowing ratio in the turbulent boundary layer with embedded vortex. These results are consistent with those of Evans, [Ref.1]. They show : (1) that high velocity, high total pressure fluid is swept near the wall on the downwash side of the vortex, (2) a velocity and total pressure deficits exist at the center of the vortex, and (3) low velocity fluid is swept away from the wall near the upwash side of the vortex. Vorticity contours in 52e. show a

large region of negative vorticity in the upwash region, (-8 < Z < -4 cm). In addition, two other regions of negative vorticity result from the secondary flows present.

## IV. SUMMARY AND CONCLUSIONS.

Heat transfer measurements were made of turbulent boundary layers with film cooling and embedded vortices for freestream velocities of 10 and 15 m/s. To obtain the data, a heat transfer test surface was designed and developed to provide constant heat flux over its area, with 126 embedded thermocouples for detailed spanwise resolution of temperature. Extensive qualification tests show that the surface gives excellent spatially resolved heat transfer coefficients over an area of 43.815 cm x 1111.76 cm.

Baseline measurements show excellent agreement with Stanton number correlations for a flat plate with constant wall heat flux and unheated starting length. Results of turbulent boundary layer with embedded vortex show excellent agreement with Joseph, [Ref. 3.], and with the literature. Results of turbulent boundary layer with film cooling at different blowing ratios show expected trends, consistent with the data of Goldstein and Yoshida, [Ref. 18].

Longitudinal vortices cause significant changes in heat transfer and structural characteristics of film cooled turbulent boundary layers. Heat transfer augmentations as large as 30 percent, and reductions as high as 10 percent were observed to persist as many as 23 boundary layer thicknesses or 96 film cooling hole diameters downstream of film cooling injection locations. The effects of the embedded vortex on heat transfer in film cooled boundary layers are significant and important :

1.) Near the downwash side of the vortex the heat transfer is augmented, vortex effects totally dominate the flow behavior, and the effects of

the film cooling are negated. "Hot spots" will exist for blowing ratios ranging from 0.47 to 1.26, and vortex circulation to freestream velocity ratios of about 1.6 cm.

- 2.) Near the upwash side of the vortex, the coolant is lifted off the wall and pushed to the side of the vortex, increasing the surface area protected by the film cooling.
- 3.) Changing the position of the vortex with respect to the film cooling jets results in significant local quantitative changes in heat transfer occur, even though the overall qualitative trends remain unchanged.
- 4.) Near film cooling injections locations for X/d up to 7.4, the film cooling dominates the flow behavior and the vortex seems to have very little effect on spanwise variations of heat transfer.

Results (1) and (2) are mostly a consequence of the intense secondary

flows produced in the plane perpendicular to the axis of mean vorticity.

These results are consistent with those obtained by Joseph, [Ref. 3.: pp. 54],

and Evans, [Ref. 1.: pp. 28].

At high blowing ratios:

- 1.) A double peak in the St/Sto distributions was observed to occur between X/d = 7.4 and 54.6.
- 2.) The change in spanwise position of the vortex in relation with the film cooling jets affects the magnitude, shape and spanwise position of St/Sto peaks, and
- 3.) Secondary St/Sto peaks become higher in magnitude and more persistent with respect to downstream development as the blowing ratio increases. The double peaks observed at M = 1.26 were not due to a secondary vortex, but to an interaction between the vortex and film cooling which depends on blowing ratio.

At low blowing ratios:

- 1.) The change in spanwise position of the vortex has very little effect on local heat transfer distributions except to change the locations of Stanton number minima and maxima, and
- 2.) St/Sto distributions exhibit only one peak which increases in magnitude with downstream development.

It is recommended that flow visualization study of the interaction of the vortex and film cooling be conducted in order to enhance the understanding of some of the complex phenomena observed during the course of this study.



# VORTEX GENERATOR #2 POSITION



All Dimensions in cm.

Fig. 2. Vortex Generator Position.



Fig. 3a. Experimental Set-up



Fig. 3b. Detail of the Injection Plenum and Vortex Generator

CD VS. REYNOLDS NUMBER



REYNOLDS NUMBER \*E+3 Discharge Coefficient vs. Reynolds Number

4.

Fig. 4

DISCHARGE COEFFICIENT


Fig. 5a. Heat Transfer Test Plate



Fig. 5b. Detail Of Heat Transfer Plate



All dimensions in cm.

Fig. 6. Thermocouple Placement on Plate



Fig. 7. Cross Section of Test Surface





Temp. Plate - Temp. Amb (°C) Fig. 8. Conduction Losses









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St/Sto VS. BLOWING RATIO



Fig. 27. Free Stream Velocity 15 m/s

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FREE STREAM 10 M/S, WITH FILM COOLING, VORTEX GEN. #2 AT 4.79 cm Fig. 3.jc. Spanwise Variations of Stanton Number Ratios.









Fig. 34. Surface Contours.





























Fig.37f. Spanwise Variations of Stanton Number Ratios.



















FREE STREAM 10 M/S, WITH FILM COOLING, VORTEX GEN.+2 AT 6.06 cm Fig. 40e. Spanwise Variations of Stanton Number Ratios.





















Fig. 43e. Spanwise Variations of Stanton Number Ratios.




























































STREAMWISE VELOCITY

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Fig. 52b. Total Velocity Contour.

EMBEDDED VORTEX 10 M/S WITH FILM CUOLING,M#1.25 VORTEX GEN. AT 4.79 cm

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EMBEDDED VORTEX 10 M/S WITH FILM COOLING,M-1.26 VORTEX GEN. AT 4.79 cm

Fig. 52c.

F) A SECONDARY FLOW VECTORS



Fig. 52d. Secondary Flow Vectors

EMBEDDED VORTEX 10 M/S WITH FILM COOLING, M-1.26, VORTEX GEN.

E U

4.79

НT

STREAMWISE VORTICITY



FILM COOLING, M=1.26

## APPENDIX B

## UNCERTAINTY ANALYSIS

Uncertainty analysis was performed using the method proposed by Kline and McClintock [Ref. 19]. This is the root sum square method, where the uncertainty,  $\delta_F$ , of some function F, is a function of the independent variables  $X_n$ , according to the following expression:

$$\delta_{F} = \left(\sum_{i=1}^{n} \left(\frac{\partial F}{\partial X_{1}} \delta_{i}\right)^{2}\right)^{1/2}$$
 (eqn. C.1)

All uncertainties are based on 95% confidence levels. To calculate the uncertainty of the Stanton number, it is necessary to calculate first the uncertainty in the heat transfer coefficient, h. The following independent variable uncertainties were determined :  $\delta_q = \pm 16 \text{ W/m}^2$ ,  $\delta_{Tw} = \pm 0.5 \text{ °C}$ ,  $\delta_{Tw} = \pm 0.1 \text{ °C}$ . Here, the uncertainty of heat loss by convection was based on a 5% error in radiation losses and 2.5% error in conduction losses. The uncertainty of Tw is higher than T<sub>∞</sub> due to higher uncertainty in the calculation of the contact resistance. From these parameters the uncertainty of h was determined to be 4.8% or approximately ± 1.7 W/m<sup>2</sup> °C, based on an h value of 35 W/m<sup>2</sup> °C.

To calculate the uncertainty of the Stanton number, besides the uncertainty of the heat transfer coefficient, the following independent variable uncertainties were determine :  $\delta_{p\infty} = \pm 0.01 \text{ Kg/m}^3$ ,  $\delta_{U\infty} = \pm 0.5 \text{ m/s}$  and  $C_p =$   $\pm$  10 J/Kg <sup>c</sup>K. The uncertainty of C<sub>p</sub> was based on the assumption of constant properties. From these parameters the uncertainty of the Stanton number was calculated to be  $\pm$  6.04%, or approximately 1.87 x 10<sup>-4</sup> based on a typical Stanton number of 0.0035. The uncertainty of St/Sto is derived from the parameters already mentioned and was estimated to be  $\pm$  7.2% or  $\pm$  0.05 based on a St/Sto of 0.75.

To calculate the uncertainty of the blowing ratio. M. along the uncertainty values determined for  $U_{\infty}$  and  $\rho_{\infty}$ , the following independent variable uncertainties were:  $\delta U_{inj} = \pm 1.0 \text{ m/s}$ , and  $\delta \rho_{inj} = \pm .02 \text{ Mg/m}^2$ . The uncertainty of  $U_{inj}$  is higher than  $U_{\infty}$  due to higher uncertainty of the rotometer and the area of the injection holes, and the uncertainty of  $\rho_{inj}$  is also higher than  $\rho_{\infty}$  due to higher uncertainty in the estimation of  $T_{inj}$  from  $T_p$ . From these parameters the uncertainty of M was calculated to be  $\pm -8.9\%$ or about  $\pm 0.0876$  for a M value of 0.98.

## APPENDIX C

## SOFTWARE

The following programs are listed :

- SNERB ... energy balance estimation for conduction losses
- STANFC1 : heat transfer proors in to acquire thermocouple readings from DAS., and store information in data files in floppy disk
- STANFC2 : heat transfer program to calculate Stanton numbers for all flow conditions
- ACQTPRO: heat transfer program to acquire temperatures from automatic traversing device for temperature surveys
- PLOTRUN : program to read a data file to plot temperature contours
- PTSTAV : programs read a data file to plot spanwise averaged Stanton numbers vs. Reynolds number
- PTSTLC : reads a data file to plot spanwise local heat transfer coefficients
- PLSTRTIO: plots spanwise St/Sto for film cooling only.
- PLSTRVOR: plots spanwise variations of St/Sto for embedded vortex data only
- PLSTRVV. plots spanwise variations of St/Sto for film cooling only and St/Sto for film cooling and embedded vortex by rows.

SURFCONT: plots surface contours of St/Stf

PLSTRFC : plots spanwise variations of local St/Sto for film cooling data only.

Name of variables used are intended to be self explanatory

```
10
    I PROGRAM ENERGE
20
    t
30
     ITHIS PROGRAM ACQUIRES MULTIPLE CHANEL THERMOCOUPLE DATA
40
     AND PERFORMS ENERGY BALANCE TO ESTIMATE CONDUCTION LOSSES
ΞØ
     ILIGRANI/ORTIZ VERSION, JUNE 1988
60
    1
70
     DIM E(200), T(200)
80
     1
90
    ICHANNELS 0-79,100-146
     ICOPPER CONSTANTAN THERMOCOUPLES
100
110
     ţ,
120
     PRINTER 13 701
     PRINT
130
140
    PRINT "ENERGY BALANCE RESULTS"
150
    | ENTER POWER IN (WATTS)
160
161
     DISP "(HIT(CONTINUE>)"
162
    PAUSE
    DISP "ENTER SUPPLY CURRENT IN AMPS, AND VOLTAGE IN VOLTS"
170
180
    INPUT Amps, Volts
190
   PRINT
200 PRINT "CURRENT =" ; Amps, " VOLTS = "; Volts
210
    PRINT
220 PRINT "TEMPERATURE RESULTS"
230
     PRINT
240
    Tave=0.
    PRINT
250
250 FOR I=1 TO 19
    OUTPUT 708; "AI"; I; "VT!"
270
260 ENTER 709;X
290 E(I)=X+1000000.
300
    T(I)=.018205+.025848+E(I)-.000000581+E(I)+E(I)
310 Tave=Tave+T(I)
320 PRINT USING 330;1,E(1),T(1)
330
    IMAGE 000.3X.00000.0.3X.0000.00
340
    NEXT I
350
    PRINT
360
370 PRINT
380 FOR I=40 TO 66
330 OUTPUT 709; "AI"; I; "VT1"
   ENTER 709;X
400
410 E(I)=X*1000000.
420
     T(I)=.018205+.025846+E(I)~.000000561+E(I)+E(I)
430
    Tave=Tave+T(I)
    PRINT USING 450; I.E(I), T(I)
440
450
    IMAGE DDD, 3X, DDDDD.D, 3X, DDDD.DD
460 NEXT I
470
    480
    PRINT
490
    Tave=Tave/45.
500 PRINT "AVERAGE PLATE TEMP. MEASURED (DEG C) =";Tave
```

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(¦...;

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```
540
    PRINT
550
     IGET T AMBIENT
     OUTPUT 705; "AI";0: "VT;"
560
    ENTER 709;X
570
    E(0)=X+1000
530
    T(0)=26.573*E(0)-1.936879*E(0)*E(0)+.99785*E(0)*E(0)*E(0)-.251277*E(0)*E(0)
530
)*E(0)+E(0)
     Tamb=T(2)
610
     PRINT "AMBIENT TEMP. ="; Tamb
620
630
    PRINT
640
     Tdiff=Tave-Tamb
550
     PRINT "TPLATE-TAMB =" ; Tdiff
660
    PFINT
$70
     IGET AVERAGE TEMP IN INSULATION
680
     Tins!=0.
690
   FOR [=147 TO 149
     OUTPUT 709: "AI"; I: "VT1"
700
710
   ENTER 799:X
720
     E(I)=X+1000.
     T(I)=26.573*E(I)-1.938879*E(I)*E(I)~.99785*E(I)*E(I)*E(I)-.381277*E(I)*E(I)
730
)+E(I)+E(I)
750 Tinsl=Tinsl+T(I)
760
     PRINT USING 460; I.E(I).T(I)
770
     MEXT I
730
     Tinsl=Tins1/3.
790
     Tins2=0.
800
    FOR I=150 TO 152
610
     OUTFUT 709; "AI"; I; "VT1"
820
     ENTER 705;X
830
    E(I)=X+1000.
840
    T(I)=26.573*E(I)-1.936879*E(I)*E(I)-,99785*E(I)*E(I)*E(I)-.261277*E(I)*E(I)
)*E(I)*E(I)
     PRINT USING 450; I,E(I),T(I)
850
870
     Tins2=Tins2+T(I)
880
    NEXT I
890
     Tins2=Tins2/3.
900
     PRINT
$10
     PRINT "TINS1 =";Tins1," TINS2 =";Tins2
920
     PRINT
930
     IENTER VALUES OF THERMALCONDUCT., AREA, AND THICKNESS OF INSULATION
940
     K=.04 !W/M DEG C
950
     Dx=.0254
                  IM
960
                  11112
     A=.4397
970
     ICALCULATE HEAT FLUX THROUGH INSULATION
350
     Qins=K+A+(Tins1-Tins2)/Dx
930
     IGET Q IN (WATTS)
1000 Qin=Volts+Amps
1010 Qcond=Qin-Qins
1020 PRINT "Q IN ="; Qin, " QINSULATION ="; Quns, " QCONDUCTION ="; Qcond
1040 STOP
1050 END
```

```
10 | PROGRAM STANFC1
20
     STHIS PROGRAM ACQUIRES MULTIPLE CHANEL THERMOCOUPLE DATA
30
40
     (CREATES AND CREATES A FILE TO BE READ BY OTHER PROGRAM.
     IUPDATED BY ORTIZ, JULY 1987.
50
50
70
80
    MASS STORAGE IS ": INTERNAL, 4, 1"
     CREATE BOAT "TOAFC26",252,8 IOPEN FILE TO RETRIEVE BASELINE TEMPERATURES
90
100 ASSIGN @Path | TO "TEAFC26"
     CREATE BDAT "IDAFC26",11,3
110
     ASSIGN @Path_2 TO "IDAFC26" | CPEN FILE TO RETRIEVE INPUT CATA
120
     DIM E(200),T(200)
130
     PRINTER IS 1
140
150
     1
150 PRINT "ARE YOU WORKING WITH(1), OR WITHDUT(2) FILMCOOLING?"
170 INPUT Ans
190
     IF ARS=1 THEN GOTO 1060 (SUBROUTINE FOR FILMCCOLING DATA
190
     1
200
     CHANELS 0-79, 100-150
210 | COPPER CONSTANTAN THERMOCOUPLES
220
     1
230 PRINT "ENTER RUN # (MONTH,DAY,YEAR,HOUR,MINUTES=MMODYY.HHMM)"
240
     INPUT Runno
250
     PRINT "RUN # (MONTH DAY YEAR HOUR MINUTES) =" ;Runno
260
     FRINT
279
     1
280
     VENTER AMPS AND VOLTS FROM VARIAC
290
     PRINT "ENTER CURRENT(AMPS.)"
300-
     INPUT Amps
310 PRINT "ENTER VOLTAGE(VOLTS)"
320
     INPUT Volts
330 PRINT "AMPS =";Amps."VOLTS =";Volts
340 PRINT
     JENTER AMBIENT CONDITIONS
350
360 PRINT "ENTER AMBIENT PRESSURE(IN HG)"
370
     INFUT Famb
     PRINT "ENTER AMBIENT TEMPERATURE(DEG C)"
380
390 -
     INPUT Tamb
400
     PRINT "ENTER PRESSURE DIFFERENCE(IN H20)"
410
     INPUT Deltap
420
      PRINT "PAMB(IN HG)=";Pamb, "DELTAP(IN H20)=";Deltap, "TAMB(DEG C)=";Tamb
430
     PRINT
440
     1
450
      DISP "(HIT(CONTINUE>)"
460
     PAUSE
470
     PRINTER IS 1
480
     PRINT "TEMPERATURES DEG C"
490
    PRINT "--*++++***************
500
      PRINT
510
      PRINT "RUN # (MONTH, DAY, YEAR, HOUR, MIN)=";Runno
520
     PRINT
```

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(m):-

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```

```
530
     PRINT "No T DEG C"
     I ACOUIRE THERMOCOUPLE READINGS
540
550
     PRINT
    FOR I=1 TO 79
550
    OUTFUT 709; "AI"; I; "VT1" "
570
580
    ENTER 709;X
590
    E(I)=X*1000000
600
     T(I)=.016205+.025246*E(I)~.000000581*E(I)*E(I)
610
    PRINT USING 620; I, T(I)
620
     IMAGE DDD.4X,DD.00
630
     OUTFUT @Fath_1;T(I)
540
    NEXT I
650
     1
660
    FOR I=100 TO 146
670
     OUTFUT 709: "AI";I; "VT1"
     ENTER 709;X
680
     E(I)=X-1000000
690
700
    T(I)=.01825+.005846+E(I)-.000000981+E(I)+E(I)
     I1=I-20
710
720
    PRINT USING 820:11.T(I)
730
    OUTPUT @Path_1:T(I)
740
    NEXT I
     IGET AMBIENT TEMPERATURE
750
760
     OUTPUT 709: "AI":0: "VT1"
770
     ENTER 70S:X
750
    E(0)=X+1000.
730
     T(0)=25.573+E(0)+1.936879+E(0)+E(0)+.38783+E(0)+E(0)+E(0)+E(0)-.261277+E(0)^4
800
     Tchamb=T(0)
    FRINT "THERMOCOUPLE AMBIENT TEMP.(DEG C) =" (Tchamb
310
820
    PRINT
     IGET THE REST OF THERMOCOUPLES
830
    FOR I=147 TO 150
840
850
     OUTPUT 709; "A1"; 1: "VT1"
850
    ENTER 708;X
870
     E(I)=X+1000.
     T(I)=25.573*E(I)-1.936879*E(I)*E(I)+.997875*E(I)*E(I)*E(I)-.251277*E(I)^4
880
990
     PRINT USING 620; I, T(I)
    OUTPUT @Path_1:T(I)
500
910
     NEXT I
920
     ASSIGN @Path_1 TO +
930
     ITRANSFORM TO SI UNITS
340
950
     Pamb=Famb+3385.82
                                IPASCALS(N/M^2)
560
     Deltap=Deltap+248.7
                                (PASCALS(N/M"2)
970
     Fstemp=T(147)+273.15
                                IDEG KELVIN
980-
     Ro=Pamb/(287+Fstemp)
                                HAIR DENSITY (KG/M3)
990
     Uinf=(2+Deltap/Ro)".5
                               FREE STREAM VELOCITY (M/S)
1000 1
10:0 PRINT
1020 OUTPUT @Path_2;Runne,Amps,Volts,Pamb,Deltap,Tamb,Tchamb,Uinf,Ro,Fstemp,Ans
1030 ASSIGN @Path_2 TO +
1040 11
1050 GDTO 1190
1080 ISUBROUTINE TO CALCULATE FILM COOLING DATA
```

1070 1080	PRINTER IS 1 PRINT "ENTER FLOW % FROM ROTOMETER"
1090	INPUT Flw
11.00	PRINT "ENTER PLENUM PRESSURE DIFFERENCE (IN H20)"
1110	INPUT Delpi
1120	Delpi=Delpi*248.7
1130	Flw=Flw+.000093456
11.49	CREATE BOAT "FILDT26",2,8
1150	ASSIGN @Path3 TO "FILDT25" IOPEN FILE TO RETRIEVE FILMCOOLING DATA
1150	CUTPUT @Path3:Flw,Dølpi
1170	ASSIGN @Path3 TQ *
1180	GOTO 190 J
1190	MASS STORAGE IS ":INTERNAL,4"
1200	END

- :

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```
I PROGRAM STANFC2
10
20
     1
     110 M/S FREE STREAM VELOCITY, 13 INJECTION HOLES OPEN
30
     THIS PROGRAM ACQUIRES MULTIPLE CHANEL THERMOCOUPLE DATA
40
     ICALCULATES HEAT TRANSFER COEFFICIENTS AND STANTON NUMBERS RATIOS
50
     IAND FILMCGOLING PARAMETERS.
60
    ILIGRANI/ORTIZ/JOSEPH VERSION, NOVEMBER 1986
70
80
     IUPDATED BY ORTIZ, JULY 1987.
90
     1
100
     1
    MASS STORAGE IS ":INTERNAL,4,1"
110
120
    CREATE BDAT "STRFCV10", 504,8 IOPEN FILE TO RETRIEVE STANTON Nos RATICS
    ASSIGN @Path_4 TO "STRFCV10"
130
    DIM T(200),H(200),St(200),X1(6),H1(6),St1(6),X2(200),Z(200),Stf(200)
140
150
     DIM Ho(200),Sto(200),Xla(S),X2o(200),Zo(200),Str(200),Stfr(200)
160
     1
170
    PRINTER IS 1
180
    1
190
    PRINT "ARE YOU USING VGRTEX GENERATOR? (3,Y OR 4,N) "
200 INPUT Y
210
    IF Y=3 THEN
220
      PRINT "ENTER TYPE OF VORTEX GENERATOR"
230
       INFUT Vort
      PRINT "ENTER LOCATION FROM CENTER LINE IN cm"
240
     INFUT Loc
250
250 ELSE
270 GOTO 290
280 END IF
290
    PRINTER IS 701
300 PRINT CHR#(27);CHR#(38);CHR#(108);CHR#(53);CHR#(52);CHR#(70)
310 PRINT CHR$(27);CHR$(38);CHR$(108);CHR$(49);CHR$(76)
320
    1
330
    ASSIGN @Path1 TO "TDAFC10"
340
    FOR I=1 TO 130
350
    ENTER @Path1;T(I)
360 NEXT I
    ASSIGN @Path2 TO "IDAFC10"
370
360 ENTER @Path2;Runno_Amps.Volts.Pamb.Deltap.Tamb.Tohamb.Uinf.Ro.Fstemp.Ans
390
     PRIMT
430
     3
410
    DISP "(HIT<CONTINUE>)"
420
     PAUSE
430
    IF Ans=1. THEN.
443
     PRINT "STANTON NUMBER RESULTS WITH FILM COOLING"
450
     ELSE
460
     PRINT "STANTON NUMBER RESULTS"
470
     END IF ....
480
     490
     PRINT
500
     PRINT "RUN # (MONTH, DAY, YEAR, HOUR, MIN)=";Runna
510
    PRINT
520
    IF Y=3 THEN
```
530 PRINT "VORTEX GENERATOR IS No -" (Vort," LOCATED AT (cm) =";Loc 540 PRINT 550 ELSE 560 GOTO 550 570 END IF IF Ans=1 THEN GOTO 2240 580 PRINT OUT DATA 530 600 PRINT "AMPS ="; Amps," VOLTS ="; Volts 610 PRINT PRINT "AMBIENT PRESSURE (N/M^2) = ";Pamb," DELTA P (N/M^2) = ";Deltap 620 630 PRINT 640 Ł PRINT "AIR DENSITY (KG/M3) =";Ro," VELOCITY (M/S) =";Uinf 850 660 PRINT 370 PRINT "FREE STREAM TEMP, (DEG K)=":Fstemp PRINT 880 PRINT "THERMOMETER AMBIENT TEMPERATURE (DEG C) = ":Tamb 630 700 PRINT 710 ICALCULATE THE AVERAGE PLATE TEMPERATURE 720 1 730 Tave=0. 740 FOR I=1 TO 125 750 Tave=Tave+T(I) 750 NEXT I 770 Tave=Tave/128 780 PRINT "AVERAGE PLATE TEMPERATURE, MEASURED (DEG C) =":Tave 780 PRINT HENERGY BALANCE 800 810 Tdiff=Tave-Tohamb 820 830 — Qcond=.653+.954+Tdiff-.016+Tdiff^2 840 Tavabs=Tave+273.15 850 Tchabs=Tchamb+273.15 Orad=.00000002189\*(Tavabs^4-Tchabs^4) \* 4 860 -270 Gin=Amps≁Volts 880 Qconv=Qin-Qcond-Qrad 390 Delt=Tavaba-Fstemp 500 310 PRINT "T PLATE - T FSTREAM (DEG C)=";Delt,"POWER IN (WATTS)=";Qin 920 PRINT 930 PRINT "CONDUCTION LOSS (WATTS)=";Qcand,"CONVECTION LOSS (WATTS)=";Qcanv 940 PRINT 950 PRINT "RADIATION LOSS (WATTS) ="; Grad 960 PRINT 970 IWALL TEMPERATURES CORRECTIONS 980 1 990 Cp=1005. ISPECIFIC HEAT FOR AIR 1000 Cr=.014 CONTACT RESISTANCE CORRECTION FACTOR ICELTA TEMP. DUE-TO CONTACT RESISTANCE 1010 Dt=Cr\*Qconv 1020 Q=Qconv/.4897 CONVECTION LOSS CORRECTION 1030 ! 1040 Tcavbs=Tavabs-Dt 1050 Delto=Tcavbs-Fatemp 1050 Theta=(Tijabs-Fstemp)/Deltc 3.5

174

1.4

1510 Z(M) = Z(T)1620 X2(M)=X3 1630 FOR I=M+1 TQ J+21 X2(I)=X3 1640 1650 Z(I) = Z(I-1) + 1.271660 NEXT I X3=X3+.2 1670 NEXT J 1680 1630 FOR I=1 TO 128 1700 OUTPUT @Path\_4;Str(I),Stfr(I),X2(I),Z(I) FRINT USING 1720(1.X2(1),Z(1),H(1),Str(1),Stfr(1) 1710 1720 IMAGE DDD,2X,00.00,3X,30.00,X2,00.002,5X,S0.000,5X,0.30E 1730 NEXT I 1740 ASSIGN @Path\_4 TO · ICLOSE FILE WITH STANTON NUMBERS RATIOS 1750 1 1760 ICALCULATE LOCAL REYNOLDS NUMBER 1770 1 1730 PRINT 1750 1 1800 ICINEMATIC VISCOSITY FOR AIR (M2/S) Nu=.0000155 1810 Fac=Uinf/Nu 1920 X1(1)=1.15 1830 X1(2)=1.25 1840 X1(3)=1.40 1850 X1(4)=1.60 X1(5)=1.80 1860 1870 X1(6)=2.00 1880 ļ 1890 FOR I=1 TO 6 1900 Rev(I)=X1(I)\*Fac 1910 NEXT I 1920 ŧ 1930 ICALCULATE AVERAGE STANTON NUMBER 1940 FOR I=1 TO 6 1950 H(I)=0. M=I+21-20 1960 1970 FOR J=M TO I+21 1980 H1(I)=H1(I)+H(J) 1550 NEXT J 2000 H1(I)=H1(I)/21 2010 St1(I)=H1(I)/(Ro\*Uinf\*Co) NEXT I 2020 2030 PRINT 1 2040 2050 ASSIGN @Fath7 TO "STAV2" 2060 FOR I=1 TO E 2070 ENTER @Path7;X1o(I),Reo(I),Stio(I) 2090 Strav(I)=St1(I)/Stio(I) 2090 NEXT I 2100-CREATE BDAT "STAVFOV", 18,8 2110 ASSIGN @Path\_5 TO "STAVFOV" 2120 PRINT AVERAGE STANTON NUMBERS 2130 1 PRINT "ROW# X(M) REYNOLDS No 2140 St/Sto Ave

.

```
1070
      1
 1080 PRINT "TPLATE - T FREESTREAM CORRECTED (DEG C)=";Deltc
 1090 PRINT
 1100 PRINT "AVERAGE PLATE TEMP. CORRECTED (DEG C)=";Tave-Dt
 1110 PRINT
 1120 PRINT "NONDIMESIONAL TEMP. THETA ="; Theta
 1130 PRINT
 1140 PRINT "No X(M) Z(CM) H(W/M^2 C) St/Sto St/Stf"
1160 PRINT
 1170 ASSIGN @Pathe TO "HDAT2"
 1180 ASSIGN @Path7 TO "STAFC8"
 1150 1
 1200 FOR I=1 TO 125
 1210 ENTER @Path5;Ho(I),Sto(I),X2o(I),Zo(I)
 1220 ENTER @Path7;Stf(I)
 1230 NEXT I
      ICALCULATE THE HEAT TRANSFER CCEFFICIENTS AND SATANTON NUMBERS
 1240
 1250 1
 1250
             FOR I=1 TO 126
 1270
                T(I)=T(I)-Ot
 1280
                //(I =0/(T(I)-T(127)))
 1290
                St(I)=H(I)/(Ro+UinP+Cp)
 1300
                Str(I)=St(I)/Sto(I)
                Stfr(I)=St(I)/Stf(I)
 1310
 1320
            NEXT I
      IGENERATE X AND Z POSITION FOR EACH INDIVIDUAL THERMOCOUPLE
 1330
 1340 Z(1)=-12.7
                       I (CM)
 1350
       X2(1)=1.15
 1380
      FOR 1=2 TO 21
 1370
       X2(I)=1.15
 1380
      Z(I)=Z(I-1)+1.27
 1350
      NEXT I
 1400
      Z(22)=Z(1)
 1410
      X2(22)=1.25
 1420 FOR I=23 TO 42
 1430
      X2(I)=1.25
 1440 Z(I)=Z(I-1)+1.27
 1450 NEXT I
 1460 = Z(43) = Z(1)
 1470 X2(43)=1.40
 1480
       FOR I=44 TO 63
 1450
      X2(I)=1.40
 1500
       Z(I)=Z(I-1)+1.27
 1510
      NEXT I
 1510
       Z(64)=Z(1)
 :530
      X2(64)=1.6
      FOR I=65 TO 84
 1540
 1550
      X2(I)=1.6
 1560
       Z(I)=Z(I-1)+1.27
 1570
      NEXT I
 1560 X3=1.8
 1590 FOR J=5 TO 6
 1600
      M=J+21-20
```

2150 2150 FOR I=1 TO 6 2170 PRINT USING 2180; I, X1(I), Rey(I), Strav(I) IMAGE DD,4X,00.00,4X,0.40E,7X,0.40E 2150 OUTPUT @Path\_5;Xi(I),Rey(I),Strav(I) 2190 2200 NEXT I ASSIGN @Path\_5 TO + 2210 2220 1 2230 GOTO 2680 ISUBROUTINE TO CALCULATE DISCHARGE COEFFICIENTS 2240 2250 1 2260 ASSIGN @Path3 TO "FILDT10" 2270 ENTER @Path3;Flw,Delpi IGET AVERAGE PLENUM TEMPERATURE 2280 2290 Tpl=0 2300 FOR I=128 TO 130 2310 Tpl=Tpl+T(I) 2320 NEXT I 2330 Tpl=Tpl/3 2340 ICONVERT PLENUM TEMP. TO INJECTION TEMP. 2350 Tinj=1.45463\*Tp1\*.868182 2360 Tijaba=Tinj+273.19 2370 Uinj=Flw/.000921458 IFOR 13 INJ. HOLES 2380 [Uini=F1w/.000436] IFOR 7 INJ. HOLES Tor=Tijabs-(Uinj"2/(2+1005)) 2390 2400 Roc=Pamb/(Ton\*287) 2410 Imflx=Roc+Uini INJECTION MASS FLUX 2420 Ropl=Pamb/(Tijabs\*287) !TOTAL DENSITY BASED ON To 2430 U3=(Delp1+2/Rop1)".5 Pmfls=Rog1+UE 2440 2450 Cd=Imflx/Pmflx 2460 Red=Uinj+.009525/.0000156 2470M=Imflx/(Ro\*Uinf)IBLOWING RATIO2480Vrat=Uinj/Uinf!VELOCITY RATIO BLOWING RATIO 2490 Mfr=Roc+Uinj^2/(Ro+Uinf^2) IMOMENTUM FLUX RATIO 2500 1 2510 IPRINT RESULTS 2520 PRINT "INJECTION TEMPERATURE ( D)="(Tinj,"PLENUM TEMP (C)="(Tpl 2530 PRINT 2540 1 2550 PRINT "PLENUM PRESSURE DIFF, (N/M"2)=";Delpi 2560 PRINT 2570 PRINT "COOLANT DENSITY KG/M^3) =";Roc," DENSITY RATIO =";Roc/Ro 2580 PRINT 2590 PRINT "INJECTION VELOCITY (M/S)=";Uinj,"MASS FLUX (KG/M^2 S)=":Imflx 2600 PRINT 2610 PRINT "REYNOLDS No (DIA)=";Red,"DISCHARGE COEFF, Cd =";Cd 2520 PRINT 2630 PRINT "BLOWING RATIO =";M," VELOCITY RATIG =":Vrat 2640 FRINT 2650 PRINT "MOMENTUM FLUX RATIO = "; Mfr 2660 PRINT 2670 6010 590 2680 MASS STORAGE IS ":INTERNAL,4" 2690 END

REM PROGRAM ACOTPRO 10 REM THIS PROGRAM ACQUIRES TEMPERATURES FROM A THERMOCCOUPLE 20 REM MONTED ON A AUTOMATIC TRAVERSE MECHANISIM AND FROM A FREE 30 40 1 STREAM VELOCITY THERMCOPLE TO PLOT THE TEMPERATURES PROFILES 50 1 USING PROGRAM PLOTDE 60 1 70 1 BY ALFREDO ORTIZ, AUGUST, 1987 80 REM 90 REM VARIABLE NAMES 100 REM 110 REM E(I) IS THE VOLTAGE READ FROM THE DATA ACQUISTION SYSTEM 120 REM T(I) IS THE CONVERSION FROM VOLTAGE TO TEMPERATURES 130 REM REM PAMB=AMBIENT PRESSURE 143 150 REM TESSEREE STREAM TEMP(KELVIN) 150 REM RO=DENSITY (KG/M^3) 170 REM UINF=VELOCITY OF THE FREESTREAM 182 REM DIM Y(1000),Z(1000),T(1000),T)(1000),D(1000) 1 90 200 REM 210 REM 220 INPUT "ENTER DATE, (MMODYY)", NS 230 INPUT "ENTER TIME (HHMM)" NS 2:0 REM 250 INPUT "ENTER DISTANCE FROM THE B.L. TRIP., X(M)",X1 260 INPUT "ENTER POINTS SPANWIGE",M3 INPUT "ENTER POINTS VERTICAL (MUST BE AN INTEGER)",NJ 270 280 REM NJ MUST BE AN EVEN INTEGER 290 INPUT "ENTER SPANWIGE RESOLUTION(IN)",24 300 INPUT "ENTER VERTICAL RESOLUTION(IN)", Y4 310 INPUT "INITIAL Z(IN)",Z3 320 INPUT "INITIAL Y(IN)",YJ 330 REM 340 Z(1)=Z3 -350 -Y(1)=Y∃ 360 N7=N3/2 370 FOR 17=1 TO N7 IS=17-1 380 390 J1=2+I6+M3+2 400 J2=2+15+M3+M3 410 FOR K=J1 TO J2 420 Z(K) = Z(K-1) + Z4430 Y(K) = Y(K-F)440 NEXT K 450 J3-2\*I6\*M3+M3+i 460 Z(J3)=Z(J3-1)470 Y(J3)=Y(J3-1)+Y4 480 J4=J3+1 490 J5=2\*I6\*M3+2\*M3 500 FOR K=J4 TO J5 510 Z(K)=Z(K-1)-Z4 520 Y(K) = Y(K-1)530 MEXT K

540 IF IT=N7 THEN 590 550 J6=J5+1 560 Z(JE) = Z(JE - 1)570 Y(J6)=Y(J6-1)+Y4 580 NEXT 17 REM 590 600 I ENTER FREE STREAM TEMPERATURE FROM DAS. 610 OUTPUT 709: "AI"; 151, "VT1" ENTER 709;X 620 630 E=X\*1000000 640 Tfs=-.0783171+.026105454\*E~.000000678\*E\*E 650 Tfs=Tfs+273.15 REM ENTER AMBIENT CONDITIONS 660 670 INPUT "ENTER PAME (IN.OF HG)", Pamb 680 INFUT "ENTER PRESSURE DIFFERENCE (IN OF H20)" ,Deltao 530 REM 700 REM CONVERSION TO SI UNITS 710 Pamb=Pamb\*3385.82 720 Ro=Pamb/(2S7+Tfs) 730 Deltap=Deltap\*248.7 740 REM FREESTREAM VELOCITY 750 Uinf=(2+Deltap/Ro)).5 760 REM 770 REM ENTER THE LOOP FOR ACQUIRING EACH TEMPERATURE COMPUTING COEFFICENTS 780 REM AND COMPUTING TWO TEMPERATURE COEFFICIENTS AND TWG TEMPERATURES 730 PRINTER IS 701 800 PRINT CHR\$(27);CHR\$(38);CHR\$(108);CHR\$(53);CHR\$(52);CHR\$(70) 810 PRINT CHRs(27); CHRs(38); CHRs(108); CHRs(49); CHRs(76) 320 830 PRINT "TEMPERATURE PROFILE COMPUTATION " 840 850 PRINT 850 PRINT "DATE OF RUN IS",N8," TIME =";N9 870 PRINT 830 PRINT "DISTANCE FROM THE BOUNDARY LAYER TRIP, X (M)=";X) 890 PRINT 900 PRINT "DENSITY(KG/M\*3)" Ro 510 PRINT 920 PRINT "FREESTREAM VELOCITY (M/S)" Uinf 930 PRINT 940 PRINT "PAMBIENT(N/M^2)", Pamb 950 PRINT 560 PRINT "FREE STREAM TEMPERATURE (DEG C) =":Tfs-273.15 970 PRINT 980 PRINT "POINTS SPANWISE", M3 990 PRINT 1000 PRINT "POINTS VERTICAL",N3 1010 PRINT 1020 PRINT "SPANWISE RESOLUTION (IN)", Z4 1030 PRINT 1040 PRINT "VERTICAL RESOLUTION (IN)", Y4 1050 PRINT 1050 PRINT "INITIAL Z(IN)" Z3 -1070 PRINT

1080 PRINT "INITIAL Y(IN)",Y3 1090 FRINT 1110 PRINT 1120 PRINT " Y - Z T TFS DT" 1140 PRINT 1150 DISP "HIT <(CONTINUE FOR DAS)>" 1150 FAUSE 1170 KS=0 1180 K2=M3+N3 1190 FOR K=1 TO K2 1200 KB=K 1210 REM 1220 WAIT 10 1230 REM ACQUIRE THE TEMPERATURE FOR EACH POSITION 1240 Gi=0 1250 REM 1260 FOR J=1 TO 25 LENTER THE DAS AND SAMPLE OF TEMPERATURE 25 TIMES 1270 DUTFUT 709; "AI"; 152: "VT1" 1280 ENTER 709;X 1290 G1=G1+X 1300 NEXT J 1310 REM 1320 X=G1/25 IAVERAGE THE VALUES 1330 E=X + 1000000 1340 T(K)=.1836709+.02566713\*E-.000000488\*E\*E | ICONVERSION FROM VOLTAGE TO TEM PERATURE 1350 REM 1360 P GET FREE STREAM TEMP 5 TIMES AND AVERAGE IT 1370 64=0 1380 FOR I=1 TO 5 1390 OUTPUT 709; "AI"; 151; "VT1" 1400 ENTER 709:X 1410 G4=G4+X 1420 NEXT I 1430 X=64/5 1440 E=X+1000000 1450 T1(K)=-.0783171+.026105454+E-.000000678+E+E 1460 D(K)=T(K)-T1(K) 1470 PRINT USING 1480; Y(K), Z(K), T(K), T(K), D(K) 1430 IMAGE MDD.DD,2X,MDD.DD,2X,MDD.DD,3X,MDD.DD,3X,SD.DDE 1490 REM 1500 NEXT K 1510 REM 1520 MASS STORAGE IS ":INTERNAL,4,1" 1530 CREATE BOAT "TPR014",2400,3 1540 ASSIGN @Path2 TO "TPR014" 1550 FOR I=1 TO K9 1560 OUTPUT @Path2;Y(I),Z(I),D(I) 1570 NEXT I 1580 ASSIGN @Path2 TO + 1590 MASS STORAGE IS ":INTERNAL.4" 1600 END

```
12
      IPROGRAM PLOTPRUN
      1 THIS PROGRAM READS THE FILE TPRO AND PLOT TEMPERATURES
20
30
      | PROFILES
40
      DIM Y1(500),Z0(500),X$(800)[1],V1(800),Z1(40),Z2(40),C$(13)[1]
50
      ! V(I)=D(I) :TEMPERATURE DIFFERENCE.
62
70
      INPUT "ENTER RUN NUMBER ", Runno
SØ
      FS="DATE="
30
      MASS STORAGE IS ":INTERNAL,4,1"
100
     ASSIGN @Path: TO "TPRO7"
110
     FOR I=1 TO 900
     ENTER @Path1; Y1(I), Z0(I), V1(I)
120
130
     Y1(I)=Y1(I)*2.54
140
     IQ(I)=ZQ(I)+2.54
150
     NEXT I
     FOR I=1 TO 800
160
170
     IF V1(I)<=.2 THEN X$(I)="0"
     IF V1(I)<=.5 AND V1(I)>.2 THEN X$(I)="!"
180
190
     IF V1(I)(=1.0 AND V1(I)).5 THEN X8(I)="2"
     IF V1(1)<=1.5 AND V1(1)>1.0 THEN X#(1)="3"
200
210
     IF V1(I)<=2.0 AND V1(I)>1.5 THEN X3(I)="4"
     IF V1(I)(=2.5 AND V1(I))2.0 THEM X$(I)="5"
220
     IF VI(I)<=3.0 AND VI(I)>2.5 THEN X#(I)="8"
230
240
     IF V1(I)<=3.5 AND V1(I)>3.0 THEN X5(I)="7"
250
     IF V1(I)<=4.0 AND V1(I)>3.5 THEN X$(I)="3"
260
     IF V1(I)<=4.5 AND V1(I)>4.0 THEN X$(I)="5"
270
     IF VI(I)<=5.0 AND VI(I)>4.5 THEN X$(I)="a"
280
     IF V1(I)(=5.5 AND V)(I)>5.0 THEN X#(I)="E"
230
     IF VI(1)>5.5 THEN X$(1)="c"
300
     NEXT I
310
     GINIT
320
     PLOTTER IS 705, "HPGL"
330
     PLOTTER IS CRT, "INTERNAL"
340
     GRAPHICS ON
350
     CSIZE 2.5,.65
360
     MOVE 35,14
370
     LABEL "EMBEDDED VORTEX 10 M/S WITH FILM COOLING, M=0.98"
380
     MOVE 35.11
330
     LABEL "X=1.480 M, UNHEATED PLATE, VORTEX GEN. AT 4.79 cm"
400
     MOVE 75.83
410
     LABEL USING "6A, #,6D.4D";F$,Runno
420
     CSIZE 4.5,.65
430
     MOVE 40,65
440
     LABEL "TEMPERATURE PROFILES"
450
     CSIZE 3.5,.65
460
     MOVE 57.17
     LABEL "Z (CM) "
470
430
     DEG
490
     LDIR SØ
500
     MOVE 21,45
510
     LABEL "Y (CM) "
520
     LDIR 0
```

530 VIEWPORT 30,116,25,83 540 WINDOW -16,6,0,12 550 FRAME AXES .5..5.0.0.2.2 560 AXES .5,.5,-16,12,2,2 570 AXES .5,.5,6,12,2,2 580 530 CSIZE 2.0,.85 600 MOVE -15.2,11.10 LABEL "TEMP. DIFF. RANGES" 610 620 A=10.85 530 FOR K=0 TO 12 640 B=A-K+.35 550 MOVE -14.3,8 660 IF K<2 THEN 670 ZZ(0)=-12 630 21(0)=.2 530 · 22(1)=.1 700 Z1(1)=.5 710 ELSE 720 Z2(K)=Z1(K-1) 730 Z1(K)=Z2(K)+.5 740 END 1F 750 IF KO9 THEN GOTS 780 760 LABEL USING "D,2X,DD.D,X,DD,D":K,Z2(K),Z1(K) 770 GOTO 820 780 -C\$(10)="a" 730 С\$(іі)="Ь" 300 C\$(12)="c" 810 LABEL USING "A,2X,00.0,X,00.0";0\$(K),22(K),21(K) 320 NEXT K 830 OSIZE 1.3,.72 340 FOR I=1 TO 800 850 MOVE ZO(I), Y1(I) 360 IF Y1(I)>6.0 AND ZQ(I)<-10. THEN GOTO 380 870 LABEL USING "A"; X\$(I) 330 NEXT I CLIF OFF 890 900 CSIZE 2.0,.65 FOR I=-.2 TO 11.8 STEP 2 910 920 MOVE -17.5,I 930 I1=I+.2 940 LABEL USING "#,DD.D";I1 950 NEXT I FOR J=-17.0 TO 5.0 STEP 2 960 970 MOVE J,-.7 980 J1=J+1.0 990 LABEL USING "#,MOD.D"; J1 1000 NEXT J 1010 MASS STORAGE IS ":INTERNAL:4" 1020 END

10 IPROGRAM PTSTAV THIS PROGRAM READS A DATA FILE AND PLOTS AVERAGE STANTON NUMBERS 20 IVERSUS REYNOLDS NUMBERS. 30 40 1 50 DIM Rey(6),X1(6),St1(6),C\$(61,St(6) MASS STORAGE IS ":INTERNAL,4,1" 60 70 ASSIGN @Path2 TO "STAV1" 80 FOR I=1 TO 5 90 ENTER @Path2;X1(I),Rey(I),St1(I) 100 NEXT I 110 PRINTER IS 1 PRINT "ENTER RUN NUMBER TO WHICH THIS DATA CORRESPOND (MMDDYY, HHMM)" 120 130 INPUT Runno 140 F\$="DATE =" 150 GINIT 160 PLOTTER IS 705, "HPGL" 170 PLOTTER IS CRT, "INTERNAL" GRAPHICS ON 180 190 CSIZE 2.5..65 200 MOVE 42,14 LABEL "FREESTREAM 15 M/S, NO FILM COOLING" 210 CSIZE 4.5..65 220 230 MOVE 40.85 240 LABEL "AVERAGED STANTON NUMBERS" 250 CSIZE 2.5..65 260 MOVE 75,83 270 LABEL USING "GA, #, 60.40"; F\$, Runno CSIZE 3.4..65 280 290 MOVE 62,17 300 LABEL "REx \* 10^6" 310 DEG 320 LDIR 90 330 MOVE 22,33 340 LABEL "STANTON No +10"-3" 350 LDIR 0 360 VIEWPORT 30,115,25,83 370 WINDOW 0,5,0,5 380 FRAME 390 AXES .5,.5,0,0,2,1 400 AXES .5,.5,5,6,2,1 410 CLIP OFF 420 CSIZE 2.0,.65 430 LORG 2 440 FOR I=0 TO 6 STEP .5 450 MOVE -.32,I 460 LABEL USING "#,D.DD";I 470 NEXT I 480 LORG 4 490 FOR J=0. TO 5.0 STEP .5 500 MOVE J, -. 22 510 LABEL USING "#,DD.D";J 520 NEXT J

```
530
     LENTER VALUES FOR ANALYTICAL FORMULA
540
      21=1.1
                      IMETERS
550
      Pr=.71
                      IPRANOTL No FOR AIR
550
      FOR I=1 TO 5
570
      St(I)=((.030*(Rey(I))^(-.2))*(1.-(Zi/X1(I))^.9)^(-.111))/Pr^.4
580
      St(I)=St(I)+1.0E+3
      Rey(I)=Rey(I)*1.0E-6
590
500
      FLOT Rey(I), St(I)
610
      NEXT I
     CSIZE 1.3..72
620
     FOR I=1 TO E
630
540
     C$[I]="x"
650
     St!(I)=St1(I)*1.0E+3
660
     MOVE Rey(I),StH(I)
670
     LASEL USING "A";C$[]
     PENUP
630
     NEXT I
690
700
     MASS STORAGE IS ":INTERNAL,4"
710
      END
```

```
10
      IPROGRAM PTSTLC
     ITHIS PROGRAM READS A DATA FILE AND PLOTS SPANWISE VARIATIONS
20
30
      OF HEAT TRANS FER COEFFICIENTS
40
      1
50
     DIM H(200),St(200),Rey(S),Z(200),X1(6),X2(200),B(126),Cs(6)[6]
60
     MASS STORAGE IS ":INTERNAL,4,1"
70
     ASSIGN @Path1 TO "HDAT2"
80
     FOR I=1 TO 125
90
     ENTER @Path1;H(I),St(I),X2(I),Z(I)
100
     NEXT I
110 F$="DATE ="
120 INPUT "ENTER RUN NUMBER (MMDDYY.HHMM)", Runno
130 GINIT
140 PLOTTER IS 705, "HPGL"
150 PLOTTER IS CRT, "INTERNAL"
160 GRAPHICS ON
170 CSIZE 2.5,.65
180 MOVE 42,14
190 LABEL "FREE STREAM 10 M/S, NO FILM COOLING"
200 CSIZE 4.5,.65
210 MOVE 20,85
220 LABEL "SPANWISE HEAT TRANSFER COEFFICIENT"
230 CSIZE 2.5,.55
240 MOVE 75,83
250 LABEL USING "6A,#,6D.4D";F$,Runno
260 CSIZE 3.5,.65
270 MOVE 55,17
     LABEL "Z (CM) "
280
290 MOVE 22,35
300
     DEG
310
     LDIR 90
320
     LABEL "H W/M12 DEG C"
330
     LDIR Ø
     VIEWPORT 30,116,25,83
340
     WINDOW -15.24,15.24,0,100
350
360
    FRAME
370 AXES 1.27,10,-15.24,0,2,2
380 AXES 1.27,10,15.24,100,2,2
390 CSIZE 2.0,.65
400 MOVE -13,23
410 LABEL "X (M)"
420
     A=22
430
     FOR K=1 TO 6
440 D=A-K+3
450
     C$(1)="=X=1.15"
460 C$(2)="=X=1.25"
470
     C \in (3) = " = X = 1.40"
480 C$(4)="=X=1.50"
490
    C$(5)="=X=1.80"
500 C$(5)=^=X=2.00"
510
    MOVE -14,D
520
    LABEL USING "D,8A";K,C$(K)[1;8]
530
     PENUP
540
     NEXT K
```

	550	CSIZE 1.3,.72
	560	FOR J=1 TO 6
	570	M=J*21-20
	580	FOR I=M.TO J+21
	590	B(I)=J
	500	MOVE Z(I),H(I)
	610	LABEL_USING "D";B(I)
	620	PENUP
~	630	NEXT I
	540	NEXT J
	650	CLIP OFF
	660	CSIZE 2.0,.65
	670	LORG 2
	580	FOR I=0 TO 100 STEP 10
	690	MOVE -17.75,I
	700	LABEL USING "#,DDD.D";I
	-710	NEXT I
•	720	LORG 6
	730	FOR J=-15.24 TO 15.24 CTEP 5.08
	740	MOVE J2.0
	750	LABEL USING "#,ODD.DD";J
	760	NEXT J
	770	MASŞ STORAGE IS ":INTERNAL,4"
	780	END

ł

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10 PROGRAM PLSTRTIO 20 ITHIS PROGRAM READS A DATA FILE AND PLOTS THE RATIO OF STANTON NUMBERS IDVER BASE LINE STANTON NUMBERS VERSUB REYNOLDS NUMBERS. 30 40 1 50 DIM Rey(S),X1(6),St1(6),St2(5),Re1(6),C\$(6)[11,P\$(E)[11,G\$(6)[1] 60 DIM St3(6), Re3(6), St4(6), Re4(6), Str1(6), Str2(6), Str3(6) 70 ASSIGN @Path1 TO "STAV" 80 FOR I=1 TO 6 ENTER @Path1;X1(I),Rey(I),St1(I) 90 100 NEXT I ASSIGN @Path2 TO "STAVEC" 110 120 FOR I=1 TO 6 :30 ENTER @Path2;Rei(I),St2(I) 140 Str1(I)=St2(I)/St1(I) 190 NEXT I 160 ASSIGN @Path3 TO "STAVF1" 170 FOR I=1 TO 6 ENTER @Patn3:Re3(I),St3(I) 130 152 Str2(I)=5t3(I)/St1(I) 220 NEXT I 210 ABSIGN @Path4 TO "STAVF2" FOR I=1 TO 6 220 230 ENTER @Path4;Re4(1),St4(1) Str3(I)=St4(I)/St1(I) 240 252 NEXT I 260 PRINTER 19 1 270 PRINT "ENTER TODAY'S DATE (MMDBYY.HHMM)" 282 INPUT Runno 290 Fa="DATE =" 300 PRINT "ENTER IN ORDER CORRESPONDING BLOWING RATIOS, M1,M2, AND M3" 310 FOR I=1 TO 3 320 INPUT M(I) 330 IECHO PRINT M 340 PRINT "M=";M(I) 350 GINIT 360 IPLOTTER IS 705,"HPGL" 370 PLOTTER IS CRT, "INTERNAL" 380 GRAPHICS ON-390 X\_gdu\_max=100\*MAX(1,RATIO) 400 Y\_gdu\_max=100+MAX(1,1/RATIO) 410 CSIZE 4.5,.65 4ZQ LORG S 430 MOVE X\_gdu\_max/2,.9+Y\_gdu\_max LABEL "FILM COOLING" -440 450 DEG 460 LDIR 30 . 470 **CGIZE 3.5** 430 MOVE .1+X\_gdu\_max,Y\_gdu\_max/2 490 LABEL "St/Sto" 500 LOIR Ø 510 LORG 4 520 MOVE X\_gdu\_max/2,.20+Y\_gdu\_max 530 LABEL "REYNOLDS No+10"5" . 12 12 2 4 3 1.84 187

.

```
CSIZE 2.5
540
550
      LORG G
560
      MOVE .8*X_gdu_max,.65+Y_gdu_max
      LABEL USING "6A, #, 6D, 4D"; F&, Runno
570
580
      VIEWPORT .2*X_gdu_max,.9*X_gdu_max,.30*Y_gdu_max,.30*Y_gdu_max
590
      FRAME
600
      WINDOW .5,1.6,.3,1.0
510
      AXES .1,.1..6,.3,1,1
620
      AXES 11.1.1.5.1.0.1.1
      CSIIE 2.5
630
340
      MOVE 1.3,.5
      LABEL "BLOWING RATIOS"
630
666
      A=,55
      FOR K=1 TO 3
570
      0=A-H+.2
650
      8$(1)="+=#="
530
700
      8$(2)="o=M="
7:3
      8$(3)="+=M="
720
     MOVE 1.25.0
730
      LABEL USING "4A, #, D. DD" (B$(I), M(I)
7:2
      NEXT R
750
      CLIP OFF
760
      CSIEE 2.0,.55
770
     LORG 2
780
      FOR I=.3 TO 1.0 STEP .1
730
        MOVE .54.I
800
       LABEL USING "#,D.D"+I
310
     NEXT I
820
      LORG S
830
      FOR J=.6 TO 117 STEP .1
240
         MOVE J .. 27
         LABEL USING "#,D.D";J
550
      NEXT J
860
870
      CBIZE 1.3..72
      FOR I=1 TO 6
680
290
     C$(1) = " * "
900
     MOVE Rey(I),Str1(I)
910
     LABEL USING "A"; C$(I)
BID
      G$(1)="o"
930
      MOVE Rey(I),Str2(I)
340
     LABEL USING "A";GS(I)
      ₽$(I)="+"
950
360
     MOVE Rey(I),Str3(I)
270
      PENUP
333
      NEXT I
330
      END
```

```
10
      IPROGRAM PLSTRVOR
20
      ITHIS PROGRAM READS A DATA FILE AND PLOTS SPANWISE VARIATIONS
      IOF STANTON NUMBERS RATIOS BY ROWS
30
40
50
      DIM Str(200), Rey(6), Z(200), X1(6), X2(200), C$(6)[8], B(126)
      MASS STORAGE IS ": INTERNAL, 4,1"
60
70
      ASSIGN @Path1 TO "STRDT2"
80
      FOR I=1 TO 126
90
      ENTER @Path1;Str(I),X2(I),Z(I)
100
      NEXT I
110
    F3="DATE ="
120
     PRINTER IS 1
130
      PRINT "ENTER RUN NUMBER TO WHICH THIS PLOT CORRESPOND (MMDDYY.HHMM)"
140
     INFUT Runno
150
     GINIT
160 PLOTTER IS 705, "HPGL"
170
     PLOTTER IS CRT, "INTERNAL"
130
     GRAPHICS ON
190
     CSIZE 2.5,.55
200
      MOVE 42,14
     LABEL "FREE STREAM 10 M/S, NO FILM COOLING "
210
220
      CSIZE 4.5,.65
     MOVE 20,85
230
240
      LABEL "STANTON NUMBER RATIOS, VORTEX GEN #2"
250
      CSIZE 2.5,.65
260
     MOVE 70,83
270
      LABEL USING "SA,#,80.40";F#,Runno
280
     CSIZE 3.5,.65
290
     MOVE 65,17
300 LABEL "Z (CM) "
     MOVE 22,45
310
320 DEG
      LDIR 90
330
340 LABEL "St/Sto"
350
     LOIR 0
350
     VIEWPORT 30,116,25,83
370
     WINDOW 20,-20,.4,1.4
380 FRAME
     AXES 5,.1,20,.40,1,1
390
400 AXES 5..1.-20.1.4.1.1
410 CSIZE 2.0..65
420
      MOVE 13.5,.85
430
      LABEL "X (M)"
440
     A=.80
450
     FOR K=1 TO 6
460
      D=A-K+.04
470
      CS(1) = "=X=1.15"
480
      C$(2)="=X=1.25"
490
     Cs(3) = " = X = 1.40"
500
     C = (4) = " = X = 1.60"
510
     C$(5)="=X=1.80"
520
     C$(6)="=X=2.00"
530
      MOVE 14.0
```

```
54Ø
      LABEL USING "D, BA"; K, C$(K)
      PENUP
550
560
     NEXT K
570
      CSIZE 1.3,.72
580
      FOR J=1 TO 5
590
      M=J+21-20
      FOR I=M TO J+21
600
510
      B(I)=J
620
      MOVE Z(I),Str(I)
      LABEL USING "D"; B(I)
630
      PENUP
640
650
      NEXT I
660
      NEXT J
670
      CLIP OFF
680
      CSIZE 2.0,.65
690
      LORG 2
700
      FOR I=.4 TO 1.4 STEP .1
710
        MOVE 21.7,I
720
        LABEL USING "#,D.D":I
730
      NEXT I
740
      LORG 6
750
      FOR J=-20 TO 20 STEP 5
760
         MOVE J,.37
         LABEL USING "#,DDD.DD";J
770
780
      NEXT J
790
      MASS STORAGE IS ":INTERNAL,4"
800
      END
```

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. 10 PROGRAM PLSTRUVE 20 THIS PROGRAM READS A DATA FILE AND PLOTS SPANWISE VARIATIONS OF STANTON NUMBERS RATIOS BY ROWS FOR FILM COOLING DATA AND 30 40 FOR VORTEX DATA 50 t 60 DIM Str1(126),Str2(125),Z(126),X2(126),X3(126),C\$(126)[11,B\$(126)[1] 70 DIM Stf(126),21(126) 80 Ł MASS STORAGE IS ": INTERNAL ,4,1" 90 ASSIGN @Path1 TO "STRFC3" 100 110 ASSIGN @Path2 TO "STRECVII" 120 ! 130 FOE 1=1 TO 125 140 ENTER @Path);Str1(I),X2(I),Z(I) 150 ENTEP @Path2:Str2(I),Stf(I),X3(I),Z1(I) 150 NEXT I 170 FS="DATE =" 130 PRINTER IS T 130 PRINT "ENTER FUN NUMBER TO WHICH THIS PLOT CORRESPOND (MMDCYY.HHMM)" 200 INPUT Runno 210 GINIT 220 PLOTTER IS 705 ."HPGL" PLOTTER IS CRT. "INTERNAL" 230 GRAPHICS ON 240 CGIZE 2.5,.65 250 260 MOVE 20.14 270 LABEL "FREE STREAM 15 M/S, WITH FILM COOLING, VORTEX GEN. AT 4.75 cm" 280 CSIZE 4.5,.65 290 MOVE 40,85 LABEL "STANTON NUMBER RATIOS" 300 310 CSIZE 2.5..65 320 MOVE 75.83 LABEL USING "SA, #, 60.40"; F\$, Runna 330 340 CEIZE 3.5.165 350 MOVE 55,17 LABEL "Z (CM) " 350 370 MOVE 25,45 380 DEG 390 LDIR 90 400 LABEL 'St/Sto" 410 LDIR Ø 420 VIEWPORT 30,118,25,83 430 WINDOW -20,20,.3,1.2 440 FRAME 450 AXES 5,.1,-20,.30,1,1 460 AXES 5..1,20,1.2.1,1 470 CSIZE 3.0,.65 480 MOVE -17.5,1.0 490 LABEL "X = 2.00 M" 500 OSIZE 2.5..65 510 MOVE 0. . . 4 520 LAEEL "M=0.47" 530 MOVE -17.5,.41

540	LABEL "0 = WITHOUT VORTEX"
550	MOVE -17,5,.37
560	LABEL "+ = WITH VORTEX"
570	CSIZE 1.2,.72
580	FOR I=106 TO 126
550	B\$(I)="o"
600	C\$(I)="+"
510	MOVE Z(I),Str1(I)
520	LABEL USING "A";B\$(I)
630	MOVE ZI(I),Sth2(I)
E40	LABEL USING "A";C\$(I)
550	PENUP
650	NEXT I
870	OLIP OFF
ESO	CSIIE 1.0,.65
880	LORG 2
700	FOR I=.3 (0 1.2 STEP .1
710	MGVE -21.9,I
720	LABEL USING "#,D.D";1
730	NEXT I
740	LORG 6
750	FOF J=-20 TO 20 STEP 5
750	MOVE J, 27
770	LABEL USING "#,DDD.DD";J
780	NEXT J
790	MASS STORAGE IS ":INTERNAL,4"
590	END

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10
      IFROGRAM SURFCONTI
20
      THIS PROGRAM READS A DATA FILE AND PLOTS SURFACE CONTOURS OF
30
      ICF STANTON NUMBERS RATIOS ALONG THE PLATE SPAN.
42
      1
50
      FORTIZ VERSION JULY/87
60
      DIM Str(125), Strf(126), Z(126), X2(12E), B(125), Z1(5), Z2(5)
70
      MASS STORAGE IS ": INTERNAL ,4 ,1"
80
      ASSIGN @Path: TO "STRFCV12"
30
      PRINTER IS 701
      FOR I=1 TO 126
103
      ENTER @Path(:Str(I),Strf(I),X2(I),Z(I)
110
120
     NEXT I
130
     F$="DATE ="
     PRINTER IS 1
140
150
     PRINT "ENTER RUN NUMBER TO WHICH THIS FLOT CORRESPOND (MMDDYY, HHMM)"
150
     INFUT Runne
170
      3
193
     Stmin=.90
190
     Ll:m=.38
     FOR I=1 TO 126
202
     IF Stof(I) KL11m THEN B(I)=0
210
222
     IF Stof(I)(=1.02 AND Stof(I))Llim THEN E(1)=1
     IF Stof(I)x=).10 AND Stof(I)x1.02 THEN B(I)=2
410
411
     IF Stof(I),=1.20 AND Stof(I)>1.10 THEN B(I)=3
     IF Strf(I)>1.20 THEN 5(I)=4
412
436
     NEXT I
440
      ł
450
     SINIT
450
     PLOTTER IS 705, "HPGL"
470
     PROTTER IS ORT ."INTERNAL"
     GRAPHICS ON
430
490
     CSIZE 1.5..65
500
     MOVE 14,13
510
     LABEL "FREE STREAM 10 M/S, WITH FILM COOLING, VORTEK GEN. AT 4.79 cm "
320
     CEIZE 4.8..65
530
     MOVE 40,82
540
      LABEL "SURFACE CONTOURS"
530
     CSIZE 2.5,.65
560
     HOWE 70,80
     LABEL USING "6A.#,60.40":F$,Runno
570
580
      CEIZE 3.5..65
530
     MOVE 58,32
      LAEEL "X (M) "
500
610
      MOVE 15.55
620
      DEG
630
      LDIR 90
640
      LABEL "Z (CM)"
650
     LDIR 0
620
      CGIZE 2.5..65
670
     MOVE 54.27
580
     LABEL "St/Stf RANGES"
```

```
690
      A=24
700
      FOR K=0 TO 2
710
      G=A-K+2.5
720
      MOVE 34.6
730
      Z2(0)=Stmin+K*Inc
740
      Z1(0)=Stmin+(k+1)+Inc
750
     Z2(1)=.98
760
      21(1)=1.02
      12(2)=1.02
770
780
      Z1(2)=1.10
790
     LABEL USING 300:K,Z2(K),Z1(K)
300
     IMAGE D,2X, D.ID,2X, D.3D
810
      NEXT R
520
     FOR N=3 TO 4
830
     G=N-1X-3 H2.5
     MOVE 54,6
940
850
      22(3)=1.10
350
     Z1(3)=1.20
870
      12(4)=1.13
380
     21(4)=1.00
     LABEL USING 200:F,Z2(K),Z1(K)
332
300
     NEXT K
910
     DIEWPORT 15,114,40,73
320
      WINDOW 1.10,2.20,20.,-20.
SE6
     FRAME
     AXES .09,5.,1.10,20.,4,1
340
02E
     AXE3 .05,5.,2.20,-20.,4,1
963
     MOVE 1.90,17
970
      LABEL "M =0.86"
      CSIZE 1.3,.72
380
     FOR I=1 TO 126
230
1000 MOVE X2(1),Z(1)
     LABEL USING "D"; B(I)
1010
1020
     PENUP
1030
     NERT I
1040 CLIP OFF
1350
     CSIZE 2.0,.65
1080
     LORG 2
1070
     FOR I=-20 TO 20 STEP S
1030
       MCVE 1.01,I
1090
       LABEL USING "*,DDD.D";I
1100
     NEXT I
1110
     LOPG S
1120
     FOF J=1.10 TC 2.30 STEP .1
         MOVE J,22
1130
1140
         LASEL USING "#,D.DD";J
1150
      NEXT J
1160
      MASS STORAGE IS ":INTERNAL,4"
1170
      END
```

(

```
10
      IPROGRAM FLSTRFC
      ITHIS FROGRAM READS A DATA FILE AND PLOTS SPANWISE VARIATIONS
20
      OF STANTON NUMBERS RATIOS BY ROWS FOR FILM COOLING DATA
30
40
      1
50
      DIM Str(200), Rey(6), Z(200), X1(6), X2(200), C$(6)[8], B(126)
60
     MASS STORAGE IS ": INTERNAL, 4, 1"
70
     ASSIGN @Path1 TO "STRFC"
90
     FOR I=1 TO 126
90
     ENTER @Path1;Str(I),X2(I),Z(I)
100
     NEXT I
110
    FS="DATE ="
120
    PRINTER IS 1
130 FRINT "ENTER RUN NUMBER TO WHICH THIS FLOT CORRESPOND (MMODYY.HHMM)"
140
     INPUT Runne
150
     GINIT
150
    FLOTTER IS 705, "HPGL"
170
     FLOTTER IS CRT. "INTERNAL"
150 GRAPHICS ON
190 CGIZE 2.9..95
222
    MOVE 48,14
210 LABEL "FREE STREAM 15 M/S, WITH FILM COOLING "
220
     C3IIE 4.5..55
230 MOVE 40,85
240
     LABEL "STANTON NUMBER RATIOS"
250
     CSIZE 2.5,.65
280
     MOVE 75,83
270 LABEL USING "64,#,60.40";F$,Runno
280
     GSIZE 3.5,.65
230
    MOVE 65,17
300 LAEEL "Z (CM) "
310 MOVE 25,45
320
     DEG
330
    LDIR 90
340
    LABEL "St/Sto"
353 LDIR 0
350
     VIEWPORT 30,115,25,53
370 WINDOW -20,20,.3,1.2
380
     FRAME
390 AXES 5,.1,-20,.30,1,1
400 AXES 5,.1,20,1.2,1,1
410 CSIZE 2.0,.65
420 MOVE -17.5..65
    LABEL "X (M)"
430
440
     4=.62
450
    FOR F=1 TO S
460 D=A-K+.04
470 Cs(1)="=X=1.15"
480 Cs(2)="=X=1.25"
430
     CS(3)="=X=1.40"
500
     Cs(4)="=X=1.60"
510
     Cs(5)="=X=1.80"
520
     C$(6)="=X=2.00"
530
     MOVE -19. D
540
    LAEEL USING "D,8A";K,C$(K)
```

S. 19



PENUP 550 560 NEXT K 570 CSIZE 1.3,.72 580 FOR J=! TO 5 590 M=J+21-20 600 FOR I=M TO J\*21 610 E(I)=J620 MOVE Z(I),Str(I) 530 LABEL USING "D": 6(I) 540 PENUP 650 NEXT I MEXT J 650 CLIP OFF 672 680 OSIZE 2.0,.65 690 LORG 2 700 FOR I=.2 TO 1.2 STEP .1 710 MCVE -21.9,I 720 - LAUEL USING "#,0.0":I 730 NEXT I 720 LORG S 750 FOR J=-20 TO 20 STEP S 750 MOVE J,.27 770 LAGEL USING '#,DDD.00";J 780 NEXT J 750 MASE STORAGE IS ":INTERNAL,4" 600 END

#### APPENDIX D.

## DATA FILES CATALOG

I. HEAT TRANSFER DATA DISK No. 1

No.	File Name	Date	Injec.	Vortex	Description
001	TDAT1	71787.1702		N	15 m/s, baseline
002	IDAT1	4.0	N	N	
003	STAV1		N	Ν	baseline Stay
004	HDATI		N	Ν	baseline local h
005	TDAT2	72087.1315	N	N	10 m/s base line
006	IDAT2	0	N	N	11
007	STAV2	0	N	N	baseline Stav
008	HDAT2		N	Ν	baseline local h
009	STRDT2	72187.1524	N	Y	10 m/s St/Sto
010	STRV2		Ν	Y	10 m/s (St/Sto) <sub>av</sub>
011	TDAT3	0	Ν	Y	$\mathbf{L}(\mathbf{I})$
012	IDAT3	14	Ν	Y	input data
013	TDAT4	72187.1748	N	Y	15 m/s T(I)
014	IDAT4	**	Ν	Y	input data
015	STRDT 1		N	Y	St/Sto
016	STARV1	**	Ν	Y	(St/Sto) <sub>av</sub>
017	TDAFC2	72387.1318	Y	N	10  m/s, M = 0.68  T(I)
018	IDAFC2	14	Y	Ν	input data
019	FILDT2	11	Y	Ν	film cooling data
020	STRFC2	14	Y	N	St/Sto
021	STAVEC2	0	Y	N	(St/Sto)arr

022	TDAFC1	72387.1622	Y	Ν	15 m/s, T(I)
023	IDAFC1	**	Y	N	, input data
024	FILDT 1	н. 	Y	N	,Inj. data
025	STRFC1	0	Y	N	. St/Sto
026	STAVFC1	**	Y	N	, (St/Sto) <sub>av</sub>
027	TDAFC4	72487.1401	Y	N	10 m/s, repeat
028	IDAFC4	5 8	V.	N	
029	FILDT4		17	 - 1	
030	STRFC 1	64	<b>* *</b>	5. F 2. 1	
031	STAVFC4	<i>P</i>	Ţ	N	
032	TDAFC3	72487.1621	Y	N	15 m/s. repeat
033	IDAFC3		Ŷ	1	
034	FILDT3	r).	Y	N	
035	STRFC3	5 B	Υ Ι	N	
036	STAVFC3	11	Y	Ν	
037	TDAFC6	72587.1401	Y	N	10 m/s. M = 1.26
038	IDAFC6	a 1	Y	N	
039	FILDT6		Y	N	
040	STRFC6		Y	N	. St/Sto
041	STAVFC6	11	Y	N	. (St/Sto) <sub>av</sub>
042	TDAFC5	72587.1808	Y	N	15 m/s, M = 0.86
043	IDAFC5	8.4	Y	N	
044	FILDT5	+ k	Y	N	
045	STRFC5		$\sum_{k}$	N	.St/Sto
046	STAVFC5	-1	Y	N	, (St/Stolav
047	TDAFC7	72887.1206	Y	N	15  m/s, M = 0.86
048	IDAFC7	2.6	Y	N	, Repeat
049	FILDT7		Y	Ν	
050	STRFC7		Y	N	
051	STAVFC7		Y	Ν	
052	TDAFC8	72887.1353	Y	N	10 m/s, M = 0.68
053	IDAFC8		Ŷ	N	Repeat
054	FILDT8	13	Y	N	
055	STRFCS	13	Y	N	, St/Sto
056	STAVFC8		Y	Ν	. (St/Sto)av

057	STAFC8		Y	Ν	St <sub>f</sub> numbers.
058	TDAFC10	72887.1742	Y	Y	10 m/s. M = 0.68
059	IDAFC10		Y	Y	Vortex gen. @ 4.79 cm
060	FH DT 10		Ŷ	Ŷ	, or the goal of the order
061	STRECVIO	11	v	v	St/Sto
062	STFCV10	0	Ŷ	Ŷ	(St/Sto) <sub>av</sub>
			<u> </u>		
063	TD.AFC11	72987.1308	Y	1 1	15 m/s. M = 0.47
064	IDAFC11	1	Y	Y	Vortex gen. @ 4.79 cm
065	FILDT 11		Y	Y	
066	STRFCV11		Y	Y	St/Sto
067	STAFCV11	0	Y	Y	ISt/Stolav
068	TDAFC13	72987 1345	Y	V	15  m/s M = 0.47
069	IDAFC13	لاۍ کې کې کې د د درې د ست د. ۱۹	Ŷ	Ŷ	Vortex ven @ 3.52 cm
070	FU DT13		Ŷ	Ŷ	" " " " " " " " " " " " " " " " " " "
070	STRECV12	• 1	v	v V	
071	STARCY13	14	v		
072	STARCYTS		I	I	
073	TDAFC15	72987.1415	Y	Y	15  m/s, M = 0.47
074	IDAFC15	a.	Y	Y	Vortex gen. @ 6.06 cm
075	FILDT15	8 ð	Y	Y	
076	STRFCV15	14	Y	Y	
077	STAFCV15	31	Y	Y	
078	STAFC6	72587.1451	Y	N	10 m/s, M-1.26, Stf No
079	STAFC7	72887.1206	Y	N	15 m/s. M=0.86, Str No
080	STAFC3	72487.1621	Y	Ν	15 m/s, M=0.47. Str No
0.8.1		801871254	v	v	15 m/c M = 0.86
082	IDAFC21	00107.1004	v	I V	$\frac{15 \text{ m/s}}{100000000000000000000000000000000000$
0.02	ELL DT 21		I V	I V	voitex @ 0.00 cm
003	CTDDOV21	11	I	I	0.4.104
084	STRFUV21		Y	Y	St/Sto
085	STFCV21		Y	Ŷ	averaged St/Sto
086	TDAFC17	80187.1507	Y	Y	15 m/s, M= 0.86
087	IDAFC17		Y	Y	Vortex @ 4.79 cm
088	FILDT17		Y	Y	0
089	STRFCV17	11	Y	Ŷ	
090	STFC17		Ŷ	Ŷ	
~ / ~	01101/		T	1	

091	TDAFC19	80187.1440	Y	Y	15 m/s, M= 0.86
092	IDAFC19	**	Y	Y	Vortex @ 3.52 cm
093	FILDT19		Y	Y	
094	STRFCV19		Y	Y	
095	STFCV19	а	Y	Y	
096	TDAFC12	80187.1541	Y	Y	10 m/s. M = 1.26
097	IDAFC12	14	Y	Y	Vortex @ 4.79 cm
098	FILDT12		Y	7	
000	STRFCV12	4.B.	1	5.7 1	St/Sto
100	STFCV12		Y	Y	averaged St/Stc
101	TDAFC14	80487.1321	Y	Y	10 m/s, M=1.26
102	IDAFC14	••	Y	Y	Vortex @ 4.79 cm
103	FILDT14		Y	Y	
104	STRFCV14		Y	Υ	
105	STFCV14	11	Y	Y	u.

11. HEAT TRANSFER DATA DISK #2

No.	FILE NAME	DATE	INJ.	VORTEX	DESCRIPTION
007	STAV2		 N	 N	10 m/s, St <sub>av</sub> baseline
008	HDAT2		Ν	Ν	local h baseline.
106	TDAFC16	80487.1412	Y	N	10 m/s, M = 0.98
107	IDAFC16	**	Ϋ́	N	no vortex, baseline
108	FILDT16	1.1	Y	N	for 9 inj. holes F.C.
109	STRFC16	*1	Y	Ν	St/Sto
110	STAFC16		Y	N	$St_{f}(I)$
111	STAVFC16	11	Y	Ν	averaged St/Sto
112	TDAFC18	80487.1452	Y	Y	10 m/s, M= 0.98
113	IDAFC18		Y	Y	Vortex @ 4.79 cm
114	FILDT18	11	Y	Y	
115	STRFCV18		Y	Ϋ́.	St/Sto
116	STFCV18	* 8	Y	Y	averaged St/Sto

117	TDAFC20	80487.1529	Y	Y	10 m/s, M=0.98
118	IDAFC20	0	Y	Y	Vortex @3.52 cm
119	FILDT20	• 3	Y	V 1	
120	STRFC20		Y	Y	14
121	STFCV 20		Y	Y	
122	TDAFC22	80487.1553	Y	Y	10 m/s. M=0.98
123	IDAFC22	1.6	Y	Y	Vortex @ 6.06 cm
124	FILDT22		T		
125	STRFCV22	.,	Υ.	Y	•
126	STFCV22		Y	Y	
127	TDAFC24	80987.1943	Y	Y	10 m/s, M=0.98
128	IDAFC24	**	Y	Y	Vortex @ 4.79 cm
129	FILDT24	4.6	Y	Y	Run for temp, profiles
130	STRFC24		Y	Y	St/Sto

III. TEMPERATURE PROFILES DATA DISK #1

No.	FILE NAME	DESCRIPTION
131 132 133	TPRO1 TPRO2 TPRO3	10 m/s, M =0.98, heated plate, X= 1.867 m Vortex @ 4.79 cm , X = 2.172 m , X = 2.48 m
134 135 136	TPRO4 TPRO5 TPRO6	10 m/s, M = 0.98, unheated plate, X = $1.867 \text{ m}$ Vortex @ 479 cm, $X = 2.172 \text{ m}$ X = 2.48  m
130	TPRO7	, $X = 2.48$ m , $X = 1.48$ m
138	TPRO8	10 m/s, M=0.98, heated plate, X=1.48 m, Vt. @ 4.79 cm
139 140	TPRO9 TPRO10	10m/s, M=.98, unheated plate, X=1.48 m, V @ 3.52 cm , V @ 6.06 cm
141	TPRO11	10 m/s, M=1.26, unheated plt., X=1.48 m, V @ 4.79 cm
142	TPR012	10 m/s, M= 0.98, unheated plate, No vortex, X=1.48 m

### IV. TEMPERATURE PROFILES DATA DISK #2

143	TPRO13	10 m/s, boundary layer with film cooling. M= 0.98
144	TPRO14	10 m/s, boundary layer heated plate only.
145	PPROF	10 m/s, M=1.26, V @ 4.79 cm. Pressure probe profile
146	CAL	data, at X= 1.48m
147	VELPRO	velocity profiles
148	PLOTVOR	vorticity profiles

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