



## Stability, local structure and electronic properties of borane radicals on the Si(1 0 0) $2 \times 1$ :H surface: A first-principles study

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### ABSTRACT

Deposition of a thin B layer via decomposition of  $B_2H_6$  on Si (PureB process) produces B-Si junctions which exhibit unique electronic and optical properties. Here we present the results of our systematic first-principles study of  $BH_n$  ( $n = 0-3$ ) radicals on Si(1 0 0)  $2 \times 1$ :H surfaces, the *initial* stage of the PureB process. The calculations reveal an unexpectedly high stability of  $BH_2$  and  $BH_3$  radicals on the surface and a plausible atomic exchange mechanism of surface Si atoms with B atoms from adsorbed  $BH_n$  radicals. The calculations show strong local structural relaxation and reconstructions, as well as strong chemical bonding between the surface Si and the  $BH_n$  radicals. Electronic structure calculations show various defect states in the energy gap of Si due to the  $BH_n$  absorption. These results shed light on the *initial* stages of the complicated PureB process and also rationalize the unusual electronic, optical and electrical properties of the deposited Si surfaces.

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### 1. Introduction

Our interest in this topic stems from both scientific curiosity and the industrial application potential. In the last decade the manufacture of the best performing silicon-based detectors for low-penetration depth radiation has relied on the so-called PureB process. This process involves depositing nano-scale layers of pure boron on Si surfaces by means of chemical vapor deposition (CVD) through diborane ( $B_2H_6$ ) decomposition [1–7]. Experimental measurements have shown that PureB products have unique electrical and optical properties [2–7]. Interestingly, experiments have also shown that partial coverage (as low as 20%) of  $BH_n$  radicals on Si surfaces modifies the electronic properties of the substrates [4–6]. This suggests the intriguing possibility of controlling the physical properties through the thickness or coverage of the boron layer. It also underlines the crucial importance of utilizing information about the  $BH_n$  deposition on Si surfaces at the *initial* stage to fabricate new Si-B devices for applications, such as photodiodes [1,2,7]. Moreover, the  $BH_n$  ( $n = 0-3$ ) radicals may contain unpaired electrons, that offers potentially new electronic and spintronic properties.

Up to now many experimental efforts have been made to understand the chemical reactions related to the PureB process and the reaction products [1–16]. There were early works on the structure of diborane [8] and its decomposition [9–12]. Later on, various techniques

were employed to study the deposition of boron from diborane [13–16]. Habuka et al. observed the instability of  $B_2H_6$  gas (molecules) on epitaxial Si films [16]. However, it is difficult to obtain reliable information about B/borane clusters/radicals on Si surfaces due to the complex reaction paths and variable conditions during preparation conditions. In this aspect, theoretical approaches, especially parameter-free first-principles methods are helpful. First-principles approaches have been used successfully to study clean Si surfaces, such as Si(1 1 1) reconstructed  $\sqrt{7}a_0 \times \sqrt{7}a_0$  clean surfaces and Si(1 0 0) reconstructed  $2a_0 \times 1a_0$  surfaces ( $a_0$  is the lattice parameter of bulk Si) [17–19], H-terminated Si surfaces [19], and B in Si [20–22] as well as B on Si surfaces [22–25]. Recently, Shayeganfar and Rochefort investigated electronic properties of a boron-doped Si(1 1 1) surfaces by self-assembling trimeric acid [24]. Using first-principles approaches, Hu and co-workers studied gas-reactions between  $SiH_4$  and  $B_2H_6$  and revealed the formation of  $SiH_4-BH_3-BH_3$  as an intermediate product [26]. However, currently there is still a lack of knowledge about boron/borane radicals/clusters on Si surfaces, which play a crucial role in the PureB preparation process at the *initial* stage. Here we present our first-principles study of the  $BH_n$  ( $n = 0-3$ ) radicals on H-terminated reconstructed Si(0 0 1)  $2 \times 1$  surfaces which have high stability at elevated temperature [19]. Furthermore the silicon wafers with the Si(0 0 1)  $2 \times 1$  surface have been employed in our PureB experiments and related applications [2–7]. The study includes energetics, local structures, chemical bonding and charges at the related atomic sites, as well as electronic properties. This information is necessary to gain insight into PureB-related process, the electronic properties of the products, and further development of applications [1,2,7,25].

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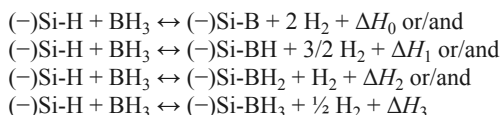
## 2. Computational details

### 2.1. Reactions and formation energy/enthalpy on Si(0 0 1) $2 \times 1$ :H surfaces

The experiments show that on Si surfaces at elevated temperature, the diborane molecules decompose into two boron tri-hydride molecules as [1–6,12–15]:



This reaction is reversible under the deposition conditions. The reactions of deposition of possible  $\text{BH}_n$  radicals on the Si surfaces can be described as follows:



The above reactions can be summarized as:



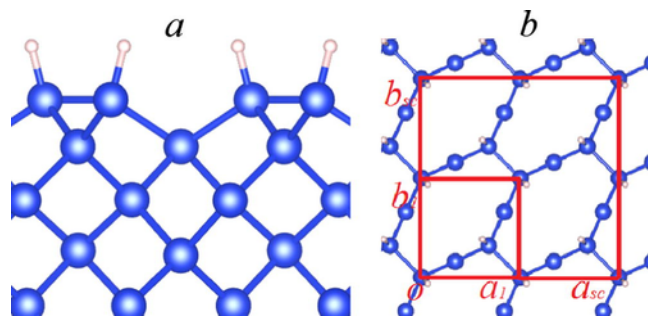
The related formation enthalpy  $-\Delta H_n$  can be presented as:

$$-\Delta H_n = \{ H[(-)\text{Si-BH}_n] + (4-n)/2H[\text{H}_2] - H[(-)\text{Si-H}] + H(\text{BH}_3) \} \quad (3)$$

Here,  $H\{(-)\text{Si-H}\}$ ,  $H[(-)\text{Si-BH}_n]$ ,  $H(\text{BH}_3)$  and  $H(\text{H}_2)$  represent the enthalpies of the H-passivated Si surface, the surface with  $\text{BH}_n$  absorption  $[(-)\text{Si-BH}_n]$  with respect to isolated  $\text{BH}_3$  molecule and  $\text{H}_2$  molecules. At temperature  $T = 0$  K, and pressure  $P = 0$  Pa, the enthalpies of the silicon surface systems as well as other terms, such as that of the  $\text{H}_2$  molecules, are equal to the corresponding total energies which can be obtained from our first-principles calculations. We neglect the contribution from zero-point vibration. A negative value of the formation enthalpy indicates that reaction is exothermic.

### 2.2. Si(0 0 1) $2 \times 1$ surfaces

Bulk Si has a diamond-type structure in which each Si has a tetragonal coordination [27]. A cleavage perpendicular to the  $\{1\ 0\ 0\}$  axis produces two Si(1 0 0) surfaces at which each surface Si atom has only two nearest neighbors from the subsurface layer. This pristine Si(1 0 0) surface is unstable. It is reconstructed into a  $2 \times 1$  domain in which each surface Si has three neighbors [19]. Under a hydrogen atmosphere, H-passivation restores Si to tetragonal coordination with three Si neighbors below and one H on top (Fig. 1a) [19]. The H-passivated Si(0 0 1) surface with  $2 \times 1$  reconstruction (Si(0 0 1)  $2 \times 1$ :H) is highly stable at elevated temperature [1–6,17–19]. The H bonding to the Si(1 0 0) surface is strong and our calculations show that formation of one dangling Si bond at the surface costs about 1.6 eV. The experiments show that under pure  $\text{H}_2$  atmosphere condition, no B layer is formed on the Si surfaces [2–7]. That indicates that creation of 3-fold coordinated Si (without terminating H) at the surface requires a H deficient condition. This is realized by employing atmospheres of various  $\text{H}_2/\text{N}_2$  ratios with low H partial pressure. Furthermore, the PureB processes occurs only at reasonably high temperature (700–1000 K) [2–7].



**Fig. 1.** Schematic structures of one H-passivated Si(1 0 0)  $2 \times 1$  surface along (1 0 0) orientation (a) and along (0 0 1) orientation (b). The red lines in 1b indicate the  $a$ - and  $b$ -axes of a reconstructed Si(1 0 0)  $2 \times 1$  primitive unit cell with the  $a_1$ - and  $b_1$ -axes, and a  $2a_1 \times 2a_1$  supercell. The small white (large blue) spheres represent H (Si). (For interpretation of the references to color in this figure legend, the reader is referred to the web version of this article.)

In our calculations periodic boundary conditions (PBCs) were employed. To simulate  $\text{BH}_n$  ( $n = 0-3$ ) radicals on the surface, as well as interaction between the deposited clusters on the surface, we also employed a  $2a_1 \times 2a_1$  supercell for the H-passivated Si(1 0 0)  $2 \times 1$  surface (Fig. 1b) ( $a_1$  is the lattice parameter of a conventional cell). This supercell has an edge of about 10.9 Å and it contains 8 surface Si atoms or 4 Si-Si pairs. Such a large supercell can provide information about dilute  $\text{BH}_n$  deposition on the surface.

In the supercell there are eight Si atoms/ions at each atomic layer (AL). The slab contains 10 Si AL. Therefore, the supercell used in the present study contains 80 Si atoms. Between the interfaces, there is vacuum of ( $>12$  Å) to minimize the interaction between the surfaces as well as the interaction of atoms/molecules absorbed on one surface with another surface. Simulations with two  $\text{BH}_n$  clusters were performed on the  $2a_1 \times 2a_1$  supercell of the Si(0 0 1)  $2 \times 1$  surface. Interaction between the two  $\text{BH}_n$  clusters on the surface is realized by placing them on two bridging Si atoms nearby or on two separated surface Si atoms. In order to simulate isolated  $\text{BH}_3$  and  $\text{H}_2$  molecules as references a large cube with an axis length of about 20 Å was employed. We analyzed the charges at, and charge transfer between, the atoms using Bader's method [28–30], which defines the boundary of an atom/ion by the zero-flux surfaces between that atoms/ions. This method is very helpful for understanding the nature of chemical bonding and charge transfer in solids [28–31]. This method has been incorporated into the *ab initio* code VASP and applied successfully for various materials [31–33].

### 2.3. Computational settings

VASP (Vienna *ab initio* Simulation Program) [34,35] was employed for all calculations. Density functional theory (DFT) within the Projector Augmented-Wave (PAW) method and the Generalized Gradient Approximation (GGA) [36,37] as formulated by Perdew, Burke and Ernzerhof (PBE) [38] was used. Spin-polarization was included for systems containing unpaired electrons as it was shown to be important earlier [39].

For all calculations, we employed  $E_{\text{cut}} = 550$  eV for the valence electrons and  $E_{\text{cut}} = 700$  eV for the augmented waves. The present settings are significantly higher than the corresponding default energy values of the potentials ( $E_{\text{NMAX}} = 400.00$  eV for H, 322.069 eV for Si and 318.64 eV for B, respectively) in order to describe the strong B-Si, B-H bonding well. When using the same settings for all calculations, one expects the cancellation of systematic errors. The electronic wave functions were sampled on: (1) a  $16 \times 16 \times 1$   $k$ -mesh (73–130  $K$ -points depending on symmetry) for systems with a con-

ventional lattice in-plane (Fig. 1b), and (2) a  $8 \times 8 \times 1$   $k$ -mesh (34  $K$ -points) for systems with a  $2a_1 \times 2a_1$  supercell (Fig. 1b) in the Brillouin zone (BZ) of the Si(1 0 0)  $2 \times 1$  surface using the Monkhorst and Pack method [40]. Tests of the  $k$ -meshes and cut-off energies show a good energy convergence ( $\sim 1$  meV/atom).

### 3. Results of the simulations and discussion

We will first address the calculated results for elemental molecules and solids. The calculations for an isolated  $H_2$  molecule give a H-H bond length of 0.748 Å, which is just slightly larger than the experimental value (0.7414 Å) [41]. The calculations also show that an isolated  $BH_3$  molecule has a planar structure with a B-H bond length of 0.965 Å, which is slightly larger than the corresponding experimental value (0.924 Å) [42]. Furthermore, our structural optimization of the diamond-type Si provides a lattice parameter of 5.494 Å, which is close to, but slightly larger than also the experimental value (5.431 Å) [27]. Such slight overestimations of the bond lengths/lattice parameters are not unusual for the density functional theory within the generalized gradient approximation [43].

We will start with the H-passivated Si(0 0 1)  $2 \times 1$  surfaces. Fig. 1a shows the schematic structure of the optimized H-passivated Si(1 0 0)  $2 \times 1$  surface. Each Si is connected to two Si ( $d_{Si-Si} = 2.41$  Å), one surface Si ( $d_{Si-Si} = 2.48$  Å), and one H ( $d_{Si-H} = 1.49$  Å). In this way the surface Si is also in a tetragonal coordination. The calculated Si-H bond length (1.49 Å) agrees well with the experimental value ( $d_{Si-H} = 1.49$  Å) [19]. The Bader charge analysis shows the charge model for the surface atoms/ions:  $(-)(Si1)^{-0.57}H^{-0.60}$ . This charge transfer from Si to H is in accordance with the Pauling electronegativity difference between Si (1.9) and H (2.2).

To obtain detailed information about the deposited  $BH_n$  radicals at the Si(0 0 1) surface, we performed calculations for several types of configurations: (a) direct deposition to form  $(-)Si-BH_n$ , (b) exchanged Si and B to form  $(-)B-SiH_n$ , and (c)  $BH_n$  at the surface with the formation of  $(-)BH_n$ . The calculated results are listed in Table 1. Next we elaborate on these results.

#### 3.1. Dilute $BH_n$ ( $n = 0-3$ ) on Si(1 0 0) $2 \times 1$ :H surfaces

Total energy calculations show that an isolated B on a Si(0 0 1)  $2 \times 1$ :H surface has a high positive formation energy (see Eqs. (2) and (3)). This indicates that it is unfavorable to form naked B on the Si surfaces directly. H-passivation on the isolated B reduces the formation energy. However, as shown in Table 1, the deposition of  $BH_2$  and  $BH_3$  radicals on the Si surfaces are favorable. Deposition of isolated  $BH_n$  clusters on Si(0 0 1)  $2 \times 1$ :H surfaces also causes local structural relaxations (Fig. 2a and c). The electronic structures of the two relatively stable configurations are shown in Fig. 2b.

The total DOS is shown in Fig. 2b\_a (the top row) for the H-passivated Si(0 0 1)  $2 \times 1$  surface. Clearly it is composed of two well-separated parts. The valence band ranges from about  $-11.0$  eV to the Fermi level (at zero eV). The conduction band starts at about 1.2 eV above the Fermi level. The bands in the lower part of the conduction band (CB) are not easily characterized. Some of them are rather dispersed, dominating the bottom of the CB. These states originate from the Si bulk. Meanwhile there are several almost non-dispersed bands positioned at about 0.3 eV above the bottom of the CB. These localized states come from the surface Si-H atoms/ions. Both the VB top and the CB bottom are at  $\Gamma$ . Therefore this slab is a direct gap semiconductor which differs from bulk Si. The calculations also show that this surface is spin-degenerated.

**Table 1**

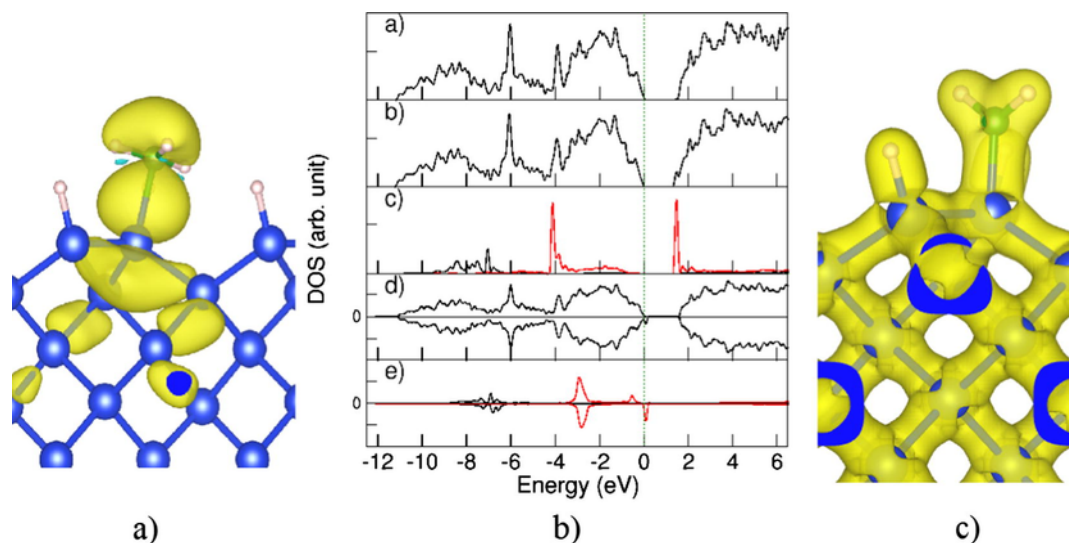
Calculated results (formation energies, chemical bond lengths, and charges at the surface atoms) for  $BH_n$  ( $-Si-BH_n$ ), exchange of the surface Si with the B ( $-B-SiH_n$ ), and B at the surface. The results for the passivated Si(0 0 1)  $2 \times 1$ :H are included for comparison. The position of the defect states  $E_{\text{defect}}$  is set relative to the Fermi level (Fermi level is set at zero eV).

Cluster	$\Delta E$ (eV/)		$d(\text{Si-B})$	$d(\text{B-H})$	Charges (e)	$E_{\text{defect}}$ (eV)
	$BH_n$	CNN(B)				
H	–	–	–	Si-H: 1.49	$-Si^{+0.62}H^{-0.61}$	1.41
<i><math>BH_n</math> radicals on surface Si, <math>(-)Si-BH_n</math></i>						
B	+4.228	1	2.04	–	$-Si^{+0.24}B^{-0.36}$	+1.2
BH	+1.248	2	1.88	1.17	$-Si^{+0.64}B^{-0.02}(H^{-0.62})$	+0.7
$BH_2$	-0.282	3	1.99	1.19	$-Si^{+0.46}B^{-0.74}(H^{-0.60})_2$	+0.2
$BH_3$	-0.348	4	2.25	1.20	$-Si^{+0.12}B^{-1.46}(H^{-0.60})_3$	+0.2
<i>Exchange between the surface Si and B in <math>BH_n</math> radicals on the Si surface, <math>(-)B-SiH_n</math></i>						
B-SiH	+1.383	3	1.97, 2.04, 2.05	–	$-B^{-1.37}Si^{+1.80}(H^{-0.62})_2$	$BH_{\text{ex}}$
B-SiH <sub>2</sub>	-0.295	3	2.01, 2.04 ( $\times 2$ )	–	$-B^{-1.07}Si^{+2.32}(H^{-0.64})_3$	+1.0
B-SiH <sub>3</sub>	-0.115	4	2.02, 2.15 ( $\times 2$ )	–	$-B^{-1.08}$	0.89
<i><math>BH_n</math> radicals in the surface, <math>(-)BH_n</math></i>						
B	+1.778	3	2.07, ( $\times 2$ ), 2.14	–	$-B^{-0.01}(H^{-0.57})$	–
BH	+0.895	4	2.13, ( $\times 2$ ), 2.15	1.20	$-B^{+0.18}(H^{-0.60}H^{-0.55})$	+1.35
$BH_2$	+0.040	4	2.10, 2.13	1.20, 1.38 <sup>a</sup>	$-B^{+0.89}(H^{-0.61})_2H^{-0.55}$	+0.88
$BH_3$	-0.147	4	2.04	1.19, 1.20, 1.40 <sup>b</sup>		

<sup>a</sup> This H is connected to the B and one Si with Si-H 1.63 Å.

<sup>b</sup> This H is also connected to another Si with Si-H bond length of 1.58 Å.

As shown in Fig. 2b\_b and b\_d, the frames of the tDOS (total density of states) curves of the systems with one  $BH_n$  ( $n = 2, 3$ ) deposition are analogous to that of the pure Si(0 0 1)  $2 \times 1$ :H surface. A detailed analysis shows the influence of the deposited  $BH_n$  radicals. The role of the  $BH_n$  ( $n = 2$  and  $n = 3$ ) varies in their electronic properties. For  $BH_2$ , the B-2s states exist in the energy range between  $-9.0$  and  $-6.5$  eV due to the strong interaction with the surface Si, while the B-2p states form two sharp peaks: one sharp peak occurs at about  $-4.2$  eV, and another at the bottom of the conduction band (Fig. 2b\_c). These sharp B-2p peaks originate from the strong covalence between B and H (B 2p/H 1s). The unoccupied B-2p/H-1s states should be regarded as a defect state below the conduction band. The electronic structure calculations show that  $BH_3$  deposited on the surface is spin-polarized with the spin at the  $BH_3$  cluster (Fig. 2c\_d). In the structure, the B-2p/H-1s states form peaks at about  $-3.0$  eV, one peak at about 0.2 eV below the Fermi level for the spin-up (majority) electrons, and another peak at about 0.2 eV above the Si:H VB for the spin-down (minority) electrons. The latter is unoccupied (Fig. 2b\_e). Therefore, the deposition of the  $BH_3$  radical on the Si(0 0 1)  $2 \times 1$ :H surface produces a shallow defect state (i.e. holes). One expects a strong impact of these defect states on the electronic and related optical and electrical properties of the system.



**Fig. 2.** (a) Spin density iso-surface for one  $\text{BH}_3$  on a  $\text{Si}(1\ 0\ 0)$  surface, (b) total and partial density of states (DOS) for the selected systems: (b\_a) total DOS for the  $\text{Si}(0\ 0\ 1) 2 \times 1:\text{H}$  surface; (b\_b) total DOS for the surface with a  $\text{BH}_2$  radical; (b\_c) partial DOS for the B in the radical; (b\_d) total DOS for the surface with a  $\text{BH}_3$  radical; (b\_e) partial DOS for the d B in the radical, and (c) electron density iso-surface for one  $\text{BH}_2$  radical on the  $\text{Si}(1\ 0\ 0)$  surface. In (1b\_c) and (1b\_e), the black curves represent the partial DOS for the B-2s characters, and the red curves represent the B-2p states. (For interpretation of the references to color in this figure legend, the reader is referred to the web version of this article.)

### 3.2. Exchanging deposited B for the related surface Si

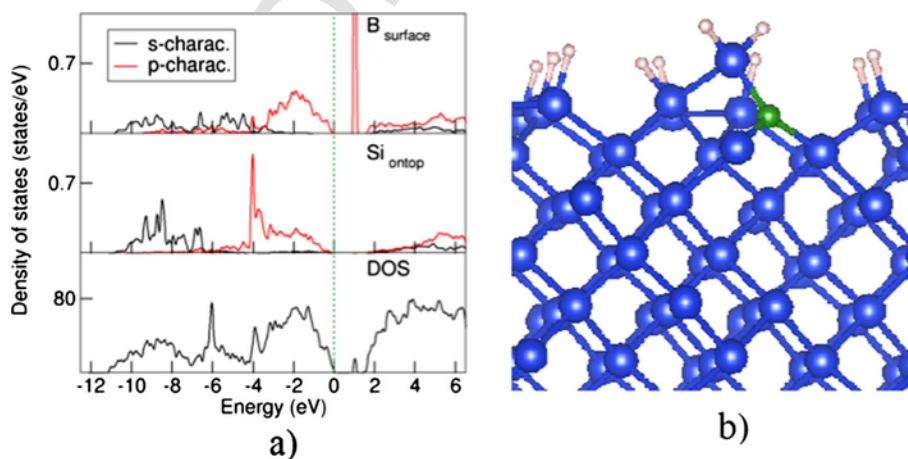
It is also of interest to study the possibility of doping B into the Si surfaces, by e.g. exchanging the B and its nearby Si to form  $(-)\text{B}-\text{SiH}_n$  configurations. The optimized structures, as well as the formation energies are shown in Fig. 3 together with their electronic structure.

The structural optimizations show that there is structural reconstruction for the  $(-)\text{B}-\text{SiH}$  deposition. The surface B has three Si neighbors with bond lengths of 2.04 and 2.05 Å (Si from the subsurface surface layer) and of 1.97 Å to the Si on top. Meanwhile the Si on top of the surface B has three neighbors: one surface Si (Si-Si: 2.37 Å), one B (B-Si: 1.97 Å) and one H (Si-H: 1.50 Å). The optimizations also show this kind of configuration is quite unstable with formation energy of about 1.383 eV, which is higher than that of the BH deposition (1.248 eV). Fig. 3b shows the optimized structure of the  $(-)\text{B}-\text{SiH}_2$  configuration of high stability (Table 1). The surface B has three Si neighbors: two from the subsurface with a bond length of

2.04( $\times 2$ ) Å, and another deposited  $\text{SiH}_2$  with a Si-B bond length of 2.01 Å. The original surface bridging B-Si is broken. Meanwhile, the deposited Si has four neighbors: two H (Si-H: 1.49 Å), the surface B (B-Si: 2.01 Å), and one surface Si (Si-Si: 2.42 Å). This means the deposited Si is connected to another surface Si to form a bridging Si-Si pair instead of the original B-Si pair. In this way the B is tri-coordinated and the deposited Si is 4-fold coordinated. The calculated formation energy is -0.295 eV, which is about 0.013 eV lower than that of the  $\text{BH}_2$  deposition on Si (Table 1).

For  $(-)\text{BSiH}_3$ , the surface B plays the role of the original Si with four Si neighbors: two from the subsurface (B-Si: 2.13 Å ( $\times 2$ )), one from the surface (B-Si: 2.15 Å) and one Si on top (B-Si: 2.02 Å). Meanwhile, the deposited Si also has four neighbors: three H (Si-H: 1.49 Å ( $\times 3$ )) and one surface B (B-Si: 2.02 Å). The total energy calculations provide the formation energy of -0.115 eV with respect to the surface and  $\text{BH}_3$  cluster (Eqs. (2) and (3)).

Fig. 3a shows the total DOS and partial DOS of the important atoms/ions. Clearly the Si in the attached  $\text{SiH}_2$  radical contributes a localized peak at 4.0 eV below the Fermi level. There are some dis-



**Fig. 3.** Total and partial DOS of the highly stable  $(-)\text{B}-\text{SiH}_2$  system (a); and the related schematic structure (b).



persive states over the valence band due to the Si-Si bonding. Meanwhile, the surface B ion/atom has two parts: one part is dispersive over the upper side of the valence band and the lower part of conduction band, with a sharp peak (or isolated defect state) at about 1.0 eV above the Fermi level. Such a defect state should have notable effects on the electronic/electrical as well as optical properties of the system. It should also be noted that the B atoms/ions at the surface are negatively charged as summarized in Table 1, which describes the major characteristics of the configurations.

The present simulations show local structural relaxation in all cases. The surface Si with a  $BH_n$  radical on top moves slightly ( $\sim 0.1$ – $0.2$  Å) inwards. All the terminal H ions are negatively charged by about 0.6 e, with the H near Si being slightly more negatively charged than that near B (Table 1). This agrees with the high Pauling electronegativity (2.20) for hydrogen compared to 1.90 for silicon and 2.04 for boron. Structural analysis showed that more H atoms/ions on B, the Si-B bond lengths and the B-H lengths become longer. Simultaneously, the electron loss at the Si becomes smaller while the B becomes positively charged and the lost electrons are transferred to the terminal H ions. The calculations also show that the Si-B for the BH deposition has a length of 1.88 Å and Si loses 0.64 electrons (Table 1). When B becomes a surface ion/atom, it receives electrons from the Si neighbors and is negatively charged and a dangling B on top of a Si has a rather long Si-B distance. Charge analysis shows that B is negatively charged (Table 1).

Overall, the current calculations show that for  $n = 1$  and 3, the formation energies of the  $(-)\text{B-SiH}_n$  are less-favorable than the corresponding compositions with  $-\text{Si-BH}_n$ . Therefore this type of B-Si exchange is rather unlikely. However, for  $n = 2$ , the configuration with the tri-coordinated B and 4-fold-coordinated Si in the  $(-)\text{B-SiH}_2$  is more stable than that in the corresponding  $(-)\text{Si-BH}_2$ . That means B-Si exchanges may occur at the surface, especially at high temperature. The corresponding defect state in the forbidden gap will have an impact on the electronic and optical properties of the system. Furthermore, the surface B might move into the deep surface of the system. The modelling of the  $BH_n$  depositions and related Si-B exchanges at the surface now allows us to evaluate the possibilities of  $BH_n$  radicals at the surface with the results in Table 1.

Fig. 4 shows the optimized structure of the systems with surface  $BH_n$ . The calculations show that the surface B has three Si neighbors (Fig. 4a) with B-Si bond lengths of 2.07 Å ( $\times 2$ ) and 2.14 Å. For the configuration in Fig. 4b, the surface B has four neighbors: one H (B-H: 1.20 Å) and three Si (B-Si: 2.13 Å ( $\times 2$ ) and 2.15 Å). Structural reconstruction occurs for the case in Fig. 5c, where the surface B also has four neighbors: 2H (B-H: 1.20 Å and 1.38 Å) and 2 Si (B-Si: 2.10 Å and 2.13 Å). The H with a long B-H bond is also connected to one Si with a Si-H bond length of 1.38 Å. Similarly, in the case shown in Fig. 5d, the B is coordinated fourfold with three H and one Si (Table 1).

Note that the presented systems can be regarded as deposition of  $BH_n$  clusters on the  $\text{Si}(001)2 \times 1:\text{H}$  system with one surface Si missing. To estimate the formation energies for the systems containing a surface  $BH_n$ , Eqs. (2) and (3) are applied. The energy of the pure surface system is obtained by extracting the total valence electron energy of one bulk Si from the energy of pure  $\text{Si}_{80}\text{H}_{16}$ . As shown in Fig. 4 and Table 1, the formation energy decreases with the addition of H on B. The formation energies are positive for the B and BH clusters, while remaining only slightly positive for  $n = 2$  and turning negative for  $n = 3$ . Considering their importance on devices, it is of importance to address the electronic properties of the systems as well. The obtained electronic structures are included in the Supplementary materials, while the main characteristics are summarized in Table 1.

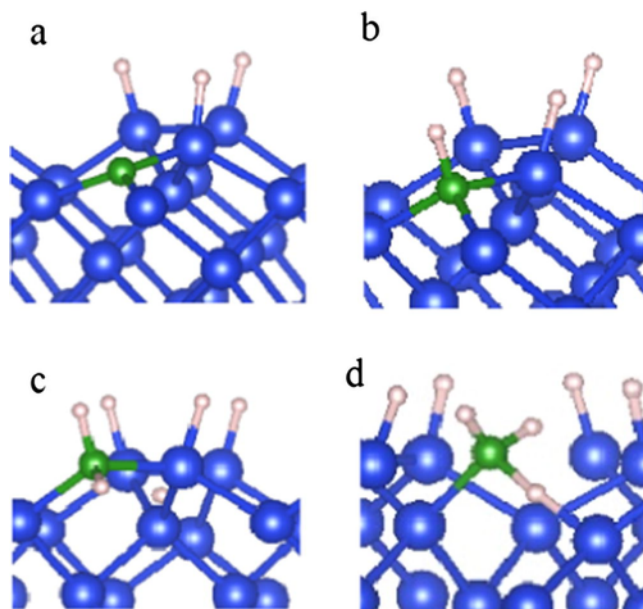
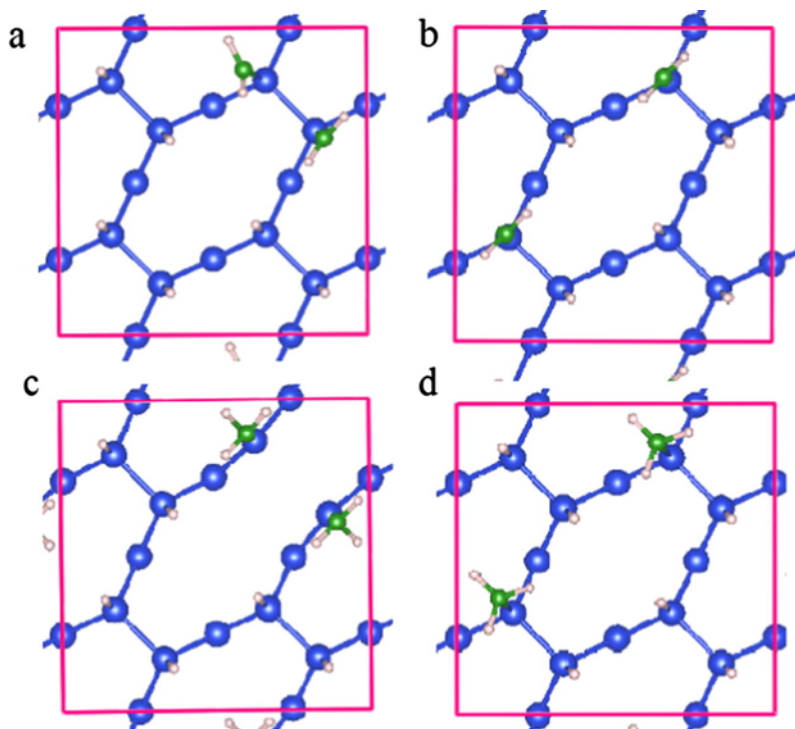


Fig. 4. Schematic structure of the systems containing surface B (a, BH (b,  $BH_2$  (c) and  $BH_3$  (d, at the  $\text{Si}(001)2 \times 1:\text{H}$  surface, respectively.

As shown in Table 1, the electronic structure calculations show that the stable  $(-)\text{BH}_3$  configuration has a defect state of about 0.9 eV above the top of the valence band. Furthermore, the slightly metastable  $(-)\text{BH}_2$  configuration has a defect state dominated by B-2p at the bottom of the conduction band. It is expected that such defect states have an impact on the electronic properties of the prepared system with depositions. The simulations above provide information for dilute deposited  $BH_n$  on/at the  $\text{Si}(001)$  surface. To gain insight into the first step of the deposition process, information about a higher  $BH_n$  concentration is required. Therefore we also performed simulations for two  $BH_n$  radicals deposited simultaneously at the surface. The results are shown in Table 2.

### 3.3. Two $BH_n$ radicals on the $\text{Si}(100)2 \times 1:\text{H}$ surface

When two naked B atoms are deposited on the  $\text{Si}(001)2 \times 1:$  surface, strong structural reconstructions occur. For the B on the two bridging surface Si atoms (Table 2), the two B atoms/ions form a bridge when the Si bridge is broken. The bridging B-B bond has a length of 1.49 Å, which is notably shorter than the bonds in the pure elemental boron solid (between 1.64 and 1.90 Å) and the Si-B bond (1.88 Å), being close to that of a BH cluster deposited on the Si surface (Table 1). In the case of B deposited on two separated surface Si atoms, structural optimizations show local reconstruction. The formation energies range from about 4.2 eV per B to about 2.5 eV per B for the two nearby B atoms (Fig. 5a), and reach about 2.2 eV per B for the two separated B atoms (Fig. 5b). However, overall the formation energies for the naked B on the surface are still positive with large values ( $>2.0$  eV per B). One BH on top of bridging Si atoms also forms a bridging B-B pair. Therefore, each B is threefold coordinated to one Si, one B and one H. As compared with isolated BH deposition on the Si surface with a formation energy of 1.25 eV per BH (Table 1), the formation energy of this configuration is much smaller (0.876 eV per BH) for two BH molecules on two separated Si atoms, where the B is bridging between two surface Si atoms while the original Si-Si bridge is broken. The calculated formation energy is about



**Fig. 5.** Schematic structures and formation energies of two  $\text{BH}_3$  clusters: (a) on top of two bridging Si atoms (close to each other), (b) on two separated surface Si atoms, (c) on two  $\text{BH}_3$  clusters on two bridging Si atoms, and (d) on two separated Si atoms. It is noted the calculations showed that all the configurations are stable with respect to the H-passivated surface and  $\text{BH}_3$  molecules (Eqs. (2) and (3)). The most stable one is two  $\text{BH}_3$  clusters on two bridging Si atoms/ions. Structure optimizations showed that Si-Si bond between the bridging Si atoms/ions is broken due to the  $\text{BH}_3$  deposition (c).

**Table 2**

Calculated results (formation energies, coordination number of nearest neighbors for boron (CNN(B)), chemical bond lengths, and charges at the surface atoms) for two  $-\text{BH}_n$  ( $n=0-3$ ) clusters at the surface. The position of the defect states  $E_{\text{defect}}$  is set above the Fermi level.

Cluster	$\Delta E$ (eV/ $\text{BH}_n$ )	CNN(B)	d(Si- B)	d(B- H)	Charges (e)	$E_{\text{defect}}$ (eV)
2B_cls	+2.450	2	1.88	—	—	0.91
2B_sep	+2.199	3	1.93,	—	$-\text{B}^{-1.35}$	1.10
			2.07 ( $\times 2$ )			
2BH_cls	+0.876	3	2.03	1.19	$-\text{B}^{+0.23}\text{H}^{-0.61}$	0.51
2BH_sep	+1.039	3	1.97,	1.19	$-\text{B}^{-0.37}\text{H}^{-0.60}$	0.52
			2.00			
2BH2_cls	-0.276	3	2.00	1.19	$-\text{B}^{+0.70}(\text{H}^{-0.60})_2$	1.41
2BH2_sep	-0.282	2	1.99	1.19	$-\text{B}^{+0.72}(\text{H}^{-0.60})_2$	1.46
			( $\times 2$ )			
2BH3_cls	-0.785	4	1.93	1.19	$-\text{B}^{+1.0}(\text{H}^{-0.58}\text{H})_2\text{H}^{-0.54}$	1.41
			( $\times 2$ ),	1.37 <sup>a</sup>		
			( $\times 3$ )			
2BH3_sep	-0.325	4	2.30	1.20	$-\text{B}^{+1.48}(\text{H}^{-0.59})_3$	+0.10

<sup>a</sup> This H is also connected to another Si with a longer Si-H distance of 1.71 Å.

1.04 eV per BH, which is in between that of the isolated BH deposition (Table 1) and that of the configuration with a B-B bridge.

All the configurations for the two  $\text{BH}_2$  and  $\text{BH}_3$  clusters on the  $\text{Si}(001) 2 \times 1:\text{H}$  surfaces are stable with respect to the Si:H surface and  $\text{BH}_3$  molecules, according to Eqs. (2) and (3). In fact the formation energies of the two  $\text{BH}_2$  clusters on the  $\text{Si}(001)$  surface are

quite close to that of one  $\text{BH}_2$  deposition. This agrees with similar local structures as shown in Fig. 4a and b. This is also true for the two  $\text{BH}_3$  clusters on two separated Si atoms (Fig. 5d). Meanwhile, structural optimization shows that the deposition of two  $\text{BH}_3$  clusters on two bridging Si atoms is reconstructed (Fig. 5c). The Si-Si bridge is broken and each of the Si atoms/ions now has only three neighbors (two from the subsurface and one B). The B has one Si neighbor and three H atoms on top. This structure is very stable with a formation energy of about -0.79 eV per  $\text{BH}_3$ , which is notably lower than  $\text{BH}_n$  ( $n \neq 3$ ) (Tables 1 and 2).

Table 2 also includes the corresponding electronic properties. Clearly, for the two  $\text{BH}_2$  clusters deposited on the Si surface, the electronic structure is quite similar to that of an isolated case (Table 1). It is understandable since the local structure and chemical bonding in the denser case are quite similar to that of the isolated case. For the  $\text{BH}_3$  cases, when the two clusters are separated, the electronic structure is also similar to that of the single molecule case. There is an unoccupied defect state at about 0.2 eV above the Fermi level. Moreover, when the two clusters are set at two bridging Si-Si pair, structural reconstruction not only strongly stabilizes the system, but also changes the electronic nature. There is an unoccupied state just below the bottom of the conduction band, which is significantly different from those in the case of the two  $\text{BH}_3$  clusters positioned on two separated Si atom/ions. This stabilization of  $\text{BH}_3$  clustering may play an important role in the Si/B structures in the PureB process as well as in the electronic properties of the products.

In short, the calculations show similarity between the structures and electronic properties for the two  $\text{BH}_n$  clusters as compared with all cases except for  $n=3$ . The high stability of the reconstructed 2- $\text{BH}_3$  clustering indicates possibilities for further deposition, deserving further investigation.

#### 4. Discussion

First we summarize the calculated energetics of  $B_mH_n$  ( $m = 1, 2$ ;  $n = 0-3$ ) on the  $Si(001) 2 \times 1:H$  surface. As presented above, the dependences of the formation energies of the  $BH_n$  ( $n = 0-3$ ) clusters deposited on the Si sites are complex for low coverage, as shown in Fig. 6.

Overall, the number  $n$  (of H atoms) in the  $BH_n$  clusters plays a dominant role. Depositions of B and BH clusters on the surface cost energy and are unstable with respect to the H-passivated  $Si(001) 2 \times 1$  surface and  $BH_3$  molecules which are produced in the  $B_2H_6$  decompositions in the PureB deposition process [1–7]. Meanwhile the negative values of the formation energies for the  $BH_n$  ( $n = 2, 3$ ) clusters on the Si surface imply possible depositions. Furthermore, the configuration of  $-B-SiH_2$  shows exceptionally high stability. This indicates the possibility of surface B formation. This is a mechanism for B to incorporate into Si to form strong Si-B bonding, i.e. to form a B-Si interface at the *initial* stage. Considering the high activation energy of B diffusion in Si (3.25–3.80 eV) [45–47], B can only diffuse into Si to form a Si/B mixing layer (electrically ‘dead layer’), and/or to form a P-type region due to B-doping at high temperature, typically about 600–700°, as shown in the experimental observation [1–6]. Overall, the calculations also show that  $BH_n$  clustering may further increase the stability of the depositions.

From the above energetics, we can propose a series of deposition reactions. As shown experimentally, one diborane molecule decomposes into two boron tri-hydride molecules, as shown in Eq. (1). At elevated temperature, the H ions/atoms on the surface are desorbed and leave dangling Si bonds. Then the  $BH_3$  molecules deposit on the surface Si dangling bonds to form  $-Si-BH_3$  clusters of high stability.

The configuration  $(-Si)BH_3$  has the lowest formation energy (Table 1 and Fig. 6). Moreover, the configuration  $-Si-BH_2$  is also quite stable. Therefore, we assume the reaction:  $-Si-BH_3 \leftrightarrow -Si-BH_2 + \frac{1}{2} H_2 + \Delta H_1$ . Note that in this reaction, there are  $H_2$  molecules produced. At elevated temperature, e.g.  $T = 700$  K, the contribution of entropy of half a  $H_2$  molecule is  $(3k_B T)/2 \sim 0.088$  eV (here 2 is di-atomic), which is larger than the formation energy difference between the two configurations  $(-0.348 - (-0.282)) = 0.066$  eV. Then we obtain the free energy difference:  $\Delta G (= \Delta H_1 - \Delta S) = -0.022$  eV. This means that at about 700 K, many  $-Si-BH_3$  configurations may transfer to the  $-Si-BH_2$  structure. Therefore, we investigated the energy barrier for the decomposition of two nearby  $(-Si)BH_3$  to form two  $(-Si)BH_2$  and one  $H_2$  molecule using the step by step approach

which is similar to the well-known Nudged Elastic Band method [47,48]. The calculation details and results are as follows.

As shown in Fig. 5c, the two  $BH_3$  molecules on the Si surface have mirror symmetry. The Si-Si bridging bond is broken. We draw two nearby H atoms, each from the opposite  $BH_3$  molecule gradually closer to each other by fixing their in-plane coordinates and their z-component of coordinates is set free. The calculated energy difference with respect to that of the configuration in Fig. 5c (two  $BH_3$  molecules on two nearby Si atoms) depends on the H-H distance, as shown in Fig. 7. Clearly with the shortened H-H distance, the related  $BH_3$  molecules rotate and the central B atoms also move close to each other, as shown in Fig. 7. Correspondingly, the energy of the system rises and reaches a maximum at  $d(H-H)$  of about 1.0 Å.

Then, with the weakening of the H-B bond, the B atoms with their two remaining H ions return to the original positions and the energy goes down. The energy reaches its minimum when the  $d(H-H)$  is being about 0.74 Å, the interatomic distance of a lone  $H_2$  molecule from our calculations (Fig. 7). Next, the  $H_2$  molecule moves away. The energy barrier in this calculation is about 2.1 eV with respect to that of the original configuration (Fig. 5c).

The present calculations also produced another rather stable configuration with energy close to that of the original configuration (just about 0.1 eV higher in energy). This structure has H bonded to the two B atoms and another H bonding to one of the Si, as shown in the attached.

This work indicates that simple NEB method can provide useful information about the reaction paths and related energy barriers. Knowledge of such barriers is very helpful for investigating the reaction paths and energetics of the reactions proposed in our manuscript. However, the great complexity and number of reaction pathways has made it impossible to generate a more complete picture for these reactions. The  $-Si-BH_2$  thus formed may further transfer to the  $-B-SiH_2$  configuration to form surface B which may diffuse deep into the slab at elevated temperature. Another option is the formation of  $BH_n$  clustering at the *initial* stage. This occurs only if a high concentration of 3-fold coordinated Si (without H passivation) exists.

From the above discussion, we can conclude the following possible stable configurations:  $(-Si)BH_3$ ,  $(-Si)BH_2$ , and  $(-B)SiH_2$ . These configurations have different contributions to the electronic properties of deposited systems. The direct deposition of  $(-Si)BH_3$  produces an electronic hole on the surface. On the other hand, the  $(-B)SiH_2$  and  $(-Si)BH_3$  configurations create unoccupied B-2p states at about 1.0 eV above the valence band. The B-2p states of the relatively stable  $(-Si)BH_2$ , and clustered  $-Si-BH_3$  are just below the con-

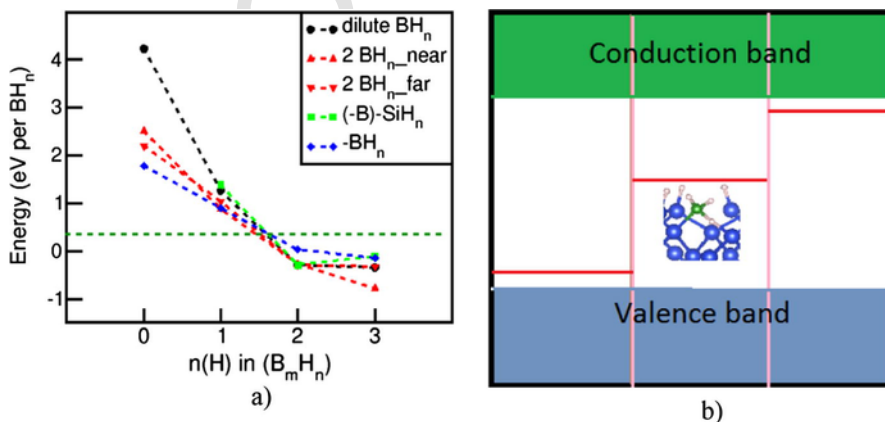
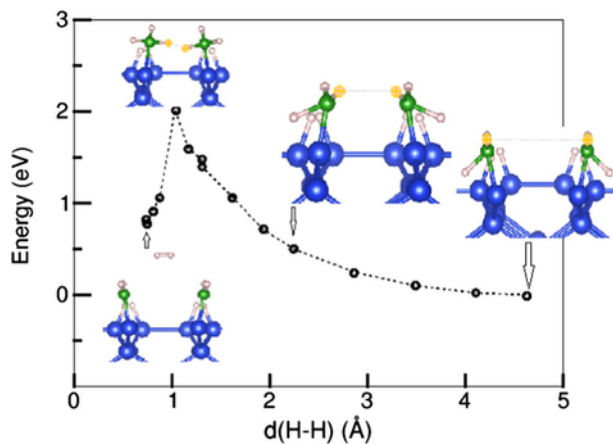


Fig. 6. Dependences of the formation energies on the H concentration of the  $BH_n$  radicals on the Si surfaces with different concentrations (a), and the schematic electronic structure of the defect states in the forbidden energy gap of the deposited  $Si(001) 2 \times 1:H$  surface (b).





**Fig. 7.** The calculated energy difference with respect to the energy of the configuration in Fig. 5c on the H-H interatomic distance. Several schematic configurations are inserted, in which the large spheres represent for Si, middle green spheres for B and small white spheres for H. The dotted line linked small spheres with light-orange color represent the two H ions/atoms in reaction to form a H<sub>2</sub> molecule (a linked white sphere pair) as shown in the last inserted at the left and lower position of the figure. (For interpretation of the references to color in this figure legend, the reader is referred to the web version of this article.)

duction bands as shown in Tables 1 and 2. These defect states from the stable configurations at the *initial* stage, therefore, have a strong impact on the electrical and optical properties.

## 5. Conclusions

First-principles structural optimization and total energy calculations have been performed for BH<sub>n</sub> cluster depositions on Si(0 0 1) 2 × 1:H surfaces in a systematic way. The calculations showed strong chemical bonding between the deposited borane radicals and the silicon surface. The order of stability for BH<sub>n</sub> deposition at *T* = 0 K is: BH<sub>3</sub> > BH<sub>2</sub> ≫ BH ≫ B. The calculations show that (–)Si-BH<sub>2</sub> may convert to (–)B-SiH<sub>2</sub>. This indicates incorporation of B in Si surfaces. Thermodynamic analysis also shows a strong temperature dependence of the chemical reactions with formation of (–)Si-BH<sub>2</sub> or (–)B-SiH<sub>2</sub> becoming more favorable because of the entropy contribution of H<sub>2</sub> gas.

Electronic structure calculations show the impact of the BH<sub>n</sub> deposition on the electronic properties, e.g. local spin-polarization and electronic holes due to the BH<sub>3</sub> deposition on the surface. This influences the charge carriers and electrical transport properties.

From the present study, it is expected that B-Si interfaces can be regulated to be sharp because of the rather low temperature in the PureB process. As shown in earlier experiments [5–7], such sharp/atomic layer-thick B-Si junction layers are expected to have unusual physical properties. Furthermore, the incorporated B can diffuse into Si to form p-type Si with B doping and/or to form a thick Si/B region, depending on the preparation conditions (temperature, time, etc.). This routine can explain the relationship between the obtained B-Si junctions and the PureB conditions, e.g. formation of a Si/B ‘dead layer’ at high temperature [1–7]. The present study also indicates that higher BH<sub>n</sub> coverage increases the stability of the system and produces more defect states in the energy gap, which leads to formation of an amorphous B layer. This agrees with the experimental results that the final PureB products contain a thin layer of B on the Si surfaces.

## 6. Uncited reference

[44].

## Appendix A. Supplementary material

Supplementary data associated with this article can be found, in the online version, at <http://dx.doi.org/10.1016/j.commatsci.2017.08.036>.

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