

# 3-element super-directive endfire array with decoupling network

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**Abstract** - This paper presents a 3-element super-directive array antenna as a small and high gain antenna. Super-directive array is closely spaced array antenna and its directivity of an end-fire linear array of  $N$  isotropic radiators is  $N^2$ . However, antenna characteristics are degraded by strong mutual coupling. The proposed antenna can achieve antenna gain of 8.14dB by using decoupling network to suppress mutual coupling effect.

**Index Terms** —Antennas, Super-directive array, Mutual coupling, Decoupling network.

## I. INTRODUCTION

Super-directive array is an array antenna consisted in  $N$ -element radiators, which provides the maximum directivity of  $N^2$  for end-fire direction by properly feeding condition [1]. Closely spaced array has strong mutual coupling and degrades input characteristics. 2-element super-directive array by using decoupling network to reduce mutual coupling is already reported [2]. In this paper, we consider design method of 3-element super-directive array and decoupling network. In [3], basic decoupling method is introduced and, decoupling network is realized by microstrip line only [4]. In this paper we apply it for closely spaced 3-element monopole array to obtain sufficient input characteristics and isolation at target frequency. Then, we demonstrate super-directive effect by properly feeding condition.

## II. 3-ELEMENT DECOUPLING METHOD

In this paper, we consider 3-element monopole and decoupling network. To design decoupling network, we express mutual coupling as an admittance matrix.

$$\begin{bmatrix} I_1 \\ I_2 \\ I_3 \end{bmatrix} = \begin{bmatrix} Y_{11} & Y_{12} & Y_{13} \\ Y_{21} & Y_{22} & Y_{23} \\ Y_{31} & Y_{32} & Y_{33} \end{bmatrix} \begin{bmatrix} V_1 \\ V_2 \\ V_3 \end{bmatrix} \quad (1)$$

To eliminate mutual coupling between adjacent antenna element,  $Y_{21}$  and  $Y_{23}$  is adjusted to be pure imaginary at reference plane 2 by changing phase shifter  $\theta_1$  as shown in Fig. 1 (b).

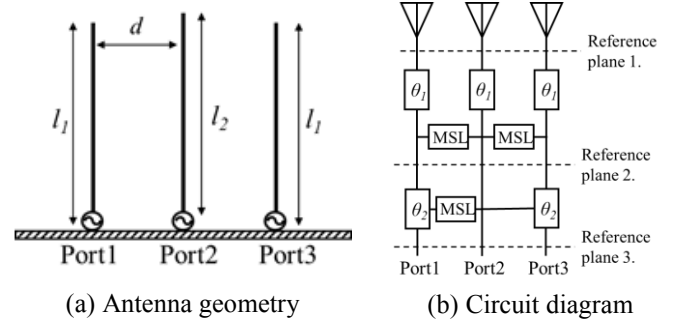


Fig. 1 Antenna and decoupling network,  
 $l_1=0.224\lambda, l_2=0.235\lambda, d=0.1\lambda$ .

Self and coupling admittance of microstrip line added between port  $i$  and  $j$  become pure imaginary as shown in (2) and self admittance  $Y_{ii}$  and coupling admittance  $Y_{ij}$  are rewritten as (3).

$$Y_{M,ii} = \frac{1}{Z_0} \frac{\cos \theta}{j \sin \theta}, Y_{M,ij} = \frac{1}{Z_0} \frac{1}{j \sin \theta} \quad (2)$$

$$Y'_{ii} = Y_{ii} + Y_{M,ii}, Y'_{ij} = Y_{ij} + Y_{M,ij} \quad (3)$$

where  $Z_0$  is characteristic impedance and  $\theta$  is electrical length of microstrip line. By adding this microstrip line between port 1 and 2, we can suppress mutual coupling  $Y_{21}$  and  $Y_{23}$ . Next we suppress  $Y_{31}$  by the same procedure at reference plane 3. Finally we obtain good input impedance and diagonal components of admittance matrix are matched to the 20mS(=1/50  $\Omega$ ) at reference plane 3.

## III. DECOUPLING NETWORK DESIGN

Admittance matrix components of monopole array shown in Fig.1 (a) are expressed as

$$\begin{aligned} Y_{11} = Y_{33} &= 19.8 + j24.3 & Y_{22} &= 20.8 + j2.49 \\ Y_{21} = Y_{23} &= -0.15 - j21.4 & Y_{13} &= -19.6 - j7.83 \end{aligned} \quad [\text{mS}]$$

In this matrix, effect of shunt matching inductor to eliminate imaginary part of input admittance  $Y_{11}$ ,  $Y_{22}$  and  $Y_{33}$  are included, where 2.7nH is loaded to antenna 1 and 3 and 3.3nH to antenna 2. Because of coupling admittance  $Y_{21}$  is almost pure imaginary, phase shifter  $\theta_1$  is omitted. To

reduce  $Y_{21}$ , we calculate decoupling line characteristic impedance and phase by (2), assuming self-admittance of decoupling line as 0, because  $Y_{22}$  is already matched to  $20\text{mS}(=1/50\Omega)$ . Apply this decoupling line to this antenna,  $S_{21}$  is improved as shown in Fig. 2.  $Y_{31}$  is also suppressed by the same procedure to take an impedance matching by adding another inductors to port 1' and 3'. Its antenna structure and S parameters are shown in Figs. 3 and 4. By using this structure, all S parameters become less than -10 dB at target frequency.

To apply this antenna to super-directive array, antenna current amplitude ratio of 1:1.8:1 and phase difference of  $0^\circ:187^\circ:14^\circ$  theoretically [1]. To realize this condition, we need to consider relationship between current on antenna element and voltage at each feeding port. This relationship is given by the impedance matrix.

$$\begin{bmatrix} V_1' \\ V_2' \\ V_3' \end{bmatrix} = \begin{bmatrix} Y_{11} & Y_{12} & Y_{13} \\ Y_{21} & Y_{22} & Y_{23} \\ Y_{31} & Y_{32} & Y_{33} \end{bmatrix} \begin{bmatrix} I_1 \\ I_2 \\ I_3 \end{bmatrix} \quad (4)$$

By substituting super-directive current condition to this equation, we can obtain feeding voltage ratio of 1:0.7:0.78 and phase difference of  $0^\circ:197^\circ:-39^\circ$ . Radiation pattern under this feeding condition is shown in Fig.5. Radiation pattern has good agreement to the pattern neglecting the mutual coupling. The ideal maximum directivity of 3-element endfire array is 9.54dB and antenna gain of proposed antenna compared with single monopole antenna is 8.14dB.

#### IV. CONCLUSION

This paper presented a design method of 3-element super-directive array antenna. By using decoupling network, S parameters could be improved to less than -10dB at target frequency. Theoretical maximum directivity of 3-element endfire array is 9.54dB and proposed antenna achieved 8.14dB compared with single monopole antenna by properly feeding condition.

#### REFERENCES

- [1] E. Altshuler, et al., "A Monopole Superdirective Array," IEEE Trans. On antennas and propag. on, Vol. 53, No. 8, Aug. 2005.
- [2] A. Noguchi, H. Arai, "A Super-directive array and Beam switched antenna Using A Decoupling Network," 2014 Asian Workshop on Antennas and Propag.
- [3] E. Altshuler, et al., "A Monopole Superdirective Array," IEEE Trans. On antennas and propag. on, Vol. 53, No. 8, Aug. 2005.
- [4] S. Chen, et al., "A Decoupling Technique for Increasing the Port Isolation Between Two Strongly Coupled Antennas," IEEE Trans. on antennas and propag., Vol. 56, No. 12, Dec. 2008.
- [5] Y. Naoya, H. Naoki, "Evaluation of Simple Decoupling Network Considering Mutual Admittance in Array Antenna," IEICE Technical Report AP-2011-62, Aug. 2011.(in Japanese)

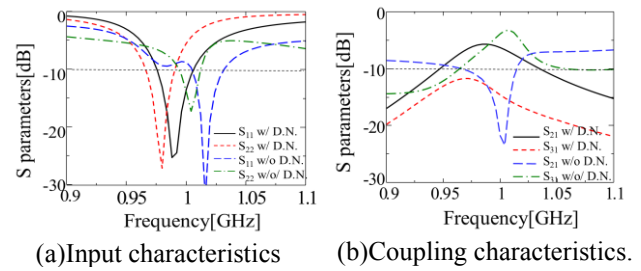


Fig.2 S parameters changing by decoupling line.

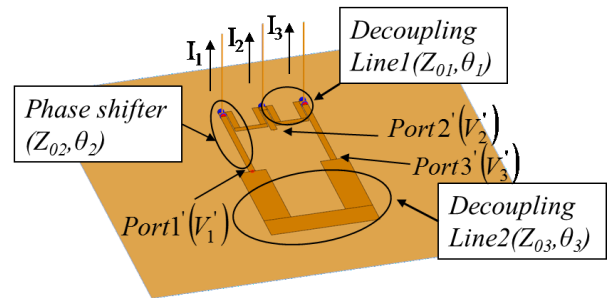


Fig.3 Antenna structure with decoupling circuit,  $Z_{01}=50\Omega, \theta_1=0.25\lambda, Z_{02}=35\Omega, \theta_2=0.3\lambda, Z_{03}=10\Omega, \theta_3=0.85\lambda$ .

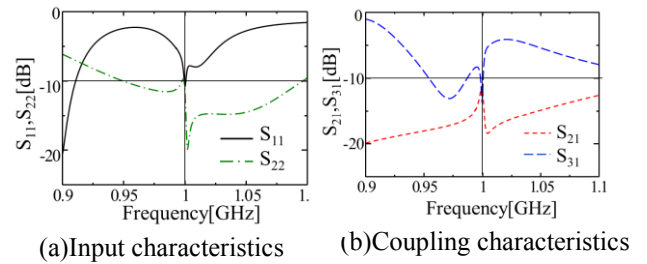


Fig.4 S parameters with all port decoupling.

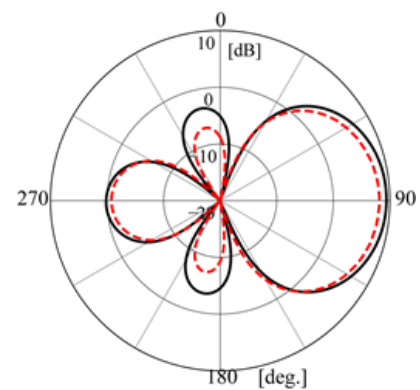


Fig.5 3-element super-directive radiation pattern, solid line is array pattern, dotted line is proposed antenna.