

# An Ultra-Broad-Band Reflection-Type Phase-Shifter MMIC With Series and Parallel $LC$ Circuits

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**Abstract**—An ultra-broad-band reflection-type phase shifter is proposed. Theoretically, the proposed phase shifter has frequency-independent characteristics in the case of  $180^\circ$  phase shift. The phase shifter is composed of a 3-dB hybrid coupler and a pair of novel reflective terminating circuits. The reflective terminating circuit switches two states of series and parallel  $LC$  circuits. Using an ideal circuit model without parasitic circuit elements, we have derived the determining condition of frequency independence of circuit elements. Extending the concept, we can also obtain a broad-band phase shifter for other phase difference as well. In this case, for a given phase difference and an operating frequency, we also derive a condition to obtain minimum variation of phase difference around the operating frequency. This enables the broad-band characteristics for arbitrary phase difference. The fabricated  $180^\circ$  reflective terminating circuit monolithic microwave integrated circuit (MMIC) has achieved a phase difference of  $183^\circ \pm 3^\circ$  over 0.5–30 GHz. The  $180^\circ$  phase-shifter MMIC has demonstrated a phase shift of  $187^\circ \pm 7^\circ$  over 0.5–20 GHz. The  $90^\circ$  reflective terminating circuit MMIC has performed a phase difference of  $93^\circ \pm 7^\circ$  over 4–12 GHz.

**Index Terms**—Broad-band, MMIC, monolithic microwave integrated circuit, phase shifter, reflection type.

## I. INTRODUCTION

PHASE shifters have been widely used in active phased-array antennas (APAAs) for electronic beam steering [1]. Recently, broad-band APAAs have been required in wide-band microwave applications. According to the demand of wide-band APAAs, broad-band phase shifters have been developed [2]–[5]. In this paper, we propose an ultra-broad-band reflection-type phase shifter with new reflective terminating circuits. The conventional reflection-type phase shifter, which consists of a 3-dB hybrid coupler and a pair of reflective terminating circuits with impedance transformers, is able to be operated in a relatively wide frequency range. However, it still has a restriction of operating bandwidth because of poor frequency characteristics of the impedance transformers [6].

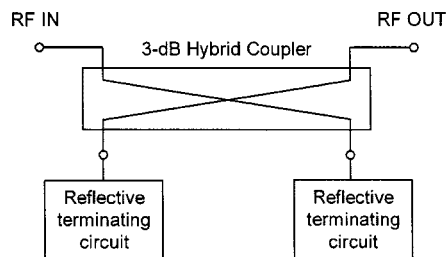


Fig. 1. Schematic diagram of a reflection-type phase shifter.

The proposed phase shifter is composed of a broad-band 3-dB hybrid coupler and a pair of novel reflective terminating circuits. Theoretically, it has frequency-independent characteristics in the case of  $180^\circ$  phase shift. The reflective terminating circuit switches two states of series and parallel  $LC$  circuits. Using an ideal circuit model without parasitic circuit elements, we have derived the determining condition of frequency independence of circuit elements. Extending the concept, we can also obtain a broad-band phase shifter for other phase difference as well. In this case, for a given phase difference and an operating frequency, we also derive a condition to obtain minimum variation of phase difference around the operating frequency. This enables the broad-band characteristics for arbitrary phase difference. The  $180^\circ$  and  $90^\circ$  reflective terminating circuits' monolithic microwave integrated circuit (MMIC) and the  $180^\circ$  reflection-type phase-shifter MMIC have been designed and fabricated by  $0.5\text{-}\mu\text{m}$  pseudomorphic high electron-mobility transistor (pHEMT) MMIC technology. The  $180^\circ$  reflective terminating circuit MMIC has achieved a phase difference of  $183^\circ \pm 3^\circ$  over 0.5–30 GHz. The  $180^\circ$  phase-shifter MMIC has demonstrated a phase shift of  $187^\circ \pm 7^\circ$  over 0.5–20 GHz. The  $90^\circ$  reflective terminating circuit MMIC has performed a phase difference of  $93^\circ \pm 7^\circ$  over 4–12 GHz.

## II. NOVEL REFLECTIVE TERMINATING CIRCUIT

### A. $180^\circ$ Phase-Difference Case

Fig. 1 shows a schematic diagram of a reflection-type phase shifter. It consists of a broad-band 3-dB hybrid coupler and a pair of reflective terminating circuits. Fig. 2 shows a schematic diagram of a novel reflective terminating circuit.  $L_S$  and  $C_S$  correspond to inductor and capacitor of the series  $LC$  circuit, while  $L_P$  and  $C_P$  are the inductance and capacitance of the parallel  $LC$  circuit, respectively. The reflective terminating circuit switches series and parallel  $LC$  circuits by switching the circuit.

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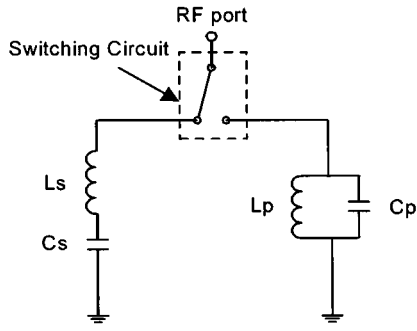


Fig. 2. Schematic diagram of a novel reflective terminating circuit.

Reflection coefficients  $\Gamma_S$  and  $\Gamma_P$  of series and parallel LC circuits are given by

$$\Gamma_S = |\Gamma_S| e^{j\phi_S} = \frac{Z_S - Z_0}{Z_S + Z_0} \quad (1)$$

$$\Gamma_P = |\Gamma_P| e^{j\phi_P} = \frac{Z_P - Z_0}{Z_P + Z_0} \quad (2)$$

where

$$Z_S = j\omega L_S + \frac{1}{j\omega C_S} \quad (3)$$

$$Z_P = \frac{1}{\frac{1}{j\omega L_P} + j\omega C_P} \quad (4)$$

In (1)–(4),  $Z_S$  and  $Z_P$  are the impedance of series and parallel LC circuits and  $\phi_S$  and  $\phi_P$  are the reflection phase of series and parallel LC circuits, respectively.  $Z_0$  is the impedance of a 3-dB hybrid coupler. Using (1) and (2),  $\phi_S$  and  $\phi_P$  can be written as

$$\phi_S = \tan^{-1} \frac{2Z_0 \left( \omega L_S - \frac{1}{\omega C_S} \right)}{\left( \omega L_S - \frac{1}{\omega C_S} \right)^2 - Z_0^2} \quad (5)$$

$$\phi_P = \tan^{-1} \frac{2Z_0 \left( \frac{1}{\omega L_P} - \omega C_P \right)}{1 - Z_0^2 \left( \frac{1}{\omega L_P} - \omega C_P \right)^2} \quad (6)$$

The phase difference  $\phi$  is defined by the following equation:

$$\begin{aligned} \phi &= \phi_S - \phi_P \\ &= \tan^{-1} \frac{2Z_0 \left( \omega L_S - \frac{1}{\omega C_S} \right)}{\left( \omega L_S - \frac{1}{\omega C_S} \right)^2 - Z_0^2} \\ &\quad - \tan^{-1} \frac{2Z_0 \left( \frac{1}{\omega L_P} - \omega C_P \right)}{1 - Z_0^2 \left( \frac{1}{\omega L_P} - \omega C_P \right)^2} \end{aligned} \quad (7)$$

In order to obtain broad-band phase difference characteristics,  $\phi$  has to satisfy the following condition for all frequencies:

$$\frac{d\phi}{d\omega} \equiv 0, \quad \text{for all } \omega. \quad (8)$$

Substituting (7) into (8), we can obtain the following polynomial equation:

$$\begin{aligned} L_P(1 + \omega^2 L_S C_S) \left[ 1 + Z_0^2 \left( \frac{1}{\omega L_P} - \omega C_P \right)^2 \right] \\ - C_S(1 + \omega^2 L_P C_P) \left[ \left( \omega L_S - \frac{1}{\omega C_S} \right)^2 + Z_0^2 \right] = 0. \end{aligned} \quad (9)$$

The coefficients of all terms with respect to  $\omega$  have to be zero to satisfy (9) for all  $\omega$ . We can then derive the determining condition as follows:

$$Z_0 = \sqrt{\frac{L_S}{C_P}} = \sqrt{\frac{L_P}{C_S}}. \quad (10)$$

Substituting (10) into (7) leads to

$$\phi = \pi. \quad (11)$$

As a result, it has been shown that only an 180° phase difference is obtained without frequency dependence by satisfying the determining condition of (10).

### B. Non-180° Phase-Difference Case

Next, we derive the condition in the case of non-180° phase-difference  $\phi_0$  over a broad bandwidth. To yield a broad-band phase difference characteristics, it is required to satisfy conditions as follows :

$$\phi|_{\omega=\omega_1} = \phi|_{\omega=\omega_2} = \phi_0 \quad (12)$$

$$\left. \frac{d\phi}{d\omega} \right|_{\omega=\omega_1} = \left. \frac{d\phi}{d\omega} \right|_{\omega=\omega_2} = 0. \quad (13)$$

Substituting (7) into (12), we obtain the following equations:

$$\begin{aligned} \frac{2Z_0 \left( \omega_1 L_S - \frac{1}{\omega_1 C_S} \right)}{\left( \omega_1 L_S - \frac{1}{\omega_1 C_S} \right)^2 - Z_0^2} - \frac{2Z_0 \left( \frac{1}{\omega_1 L_P} - \omega_1 C_P \right)}{1 - Z_0^2 \left( \frac{1}{\omega_1 L_P} - \omega_1 C_P \right)^2} \\ = \tan \phi_0 \\ \frac{2Z_0 \left( \omega_2 L_S - \frac{1}{\omega_2 C_S} \right)}{\left( \omega_2 L_S - \frac{1}{\omega_2 C_S} \right)^2 - Z_0^2} - \frac{2Z_0 \left( \frac{1}{\omega_2 L_P} - \omega_2 C_P \right)}{1 - Z_0^2 \left( \frac{1}{\omega_2 L_P} - \omega_2 C_P \right)^2} \\ = \tan \phi_0. \end{aligned} \quad (14)$$

From (7) and (13), we obtain the following equations:

$$\begin{aligned} \left( \omega_1 L_S + \frac{1}{\omega_1 C_S} \right) \left[ 1 + Z_0^2 \left( \frac{1}{\omega_1 L_P} - \omega_1 C_P \right)^2 \right] \\ = \left( \frac{1}{\omega_1 L_P} + \omega_1 C_P \right) \left[ \left( \omega_1 L_S - \frac{1}{\omega_1 C_S} \right)^2 + Z_0^2 \right] \\ \left( \omega_2 L_S + \frac{1}{\omega_2 C_S} \right) \left[ 1 + Z_0^2 \left( \frac{1}{\omega_2 L_P} - \omega_2 C_P \right)^2 \right] \\ = \left( \frac{1}{\omega_2 L_P} + \omega_2 C_P \right) \left[ \left( \omega_2 L_S - \frac{1}{\omega_2 C_S} \right)^2 + Z_0^2 \right]. \end{aligned} \quad (16)$$

$$\begin{aligned} \left( \omega_1 L_S + \frac{1}{\omega_1 C_S} \right) \left[ 1 + Z_0^2 \left( \frac{1}{\omega_1 L_P} - \omega_1 C_P \right)^2 \right] \\ = \left( \frac{1}{\omega_1 L_P} + \omega_1 C_P \right) \left[ \left( \omega_1 L_S - \frac{1}{\omega_1 C_S} \right)^2 + Z_0^2 \right] \\ \left( \omega_2 L_S + \frac{1}{\omega_2 C_S} \right) \left[ 1 + Z_0^2 \left( \frac{1}{\omega_2 L_P} - \omega_2 C_P \right)^2 \right] \\ = \left( \frac{1}{\omega_2 L_P} + \omega_2 C_P \right) \left[ \left( \omega_2 L_S - \frac{1}{\omega_2 C_S} \right)^2 + Z_0^2 \right]. \end{aligned} \quad (17)$$

To reduce (14)–(17) to solvable forms, we introduce the conditions as follows:

$$\omega_1 = \frac{1}{\sqrt{L_S C_S}} \quad (18)$$

$$\omega_2 = \frac{1}{\sqrt{L_P C_P}} \quad (19)$$

$$\omega_C = \frac{\omega_1 + \omega_2}{2}. \quad (20)$$

Equation (18) corresponds to the condition that  $\phi$  at  $\omega_1$  is the phase difference between the series circuit  $L_S/C_S$  as a short termination and parallel circuit  $L_P/C_P$ . Equation (19) corresponds to the condition that  $\phi$  at  $\omega_2$  is the phase difference between the series circuit  $L_S/C_S$  and parallel circuit  $L_P/C_P$  as an open termination. The  $\omega_C$  is the center frequency of  $\omega_1$  and  $\omega_2$ .

We can then reduce (14) and (15) to the following equations:

$$\tan \phi_0 = -\frac{2Z_0 \left( \frac{1}{\omega_1 L_P} - \omega_1 C_P \right)}{1 - Z_0^2 \left( \frac{1}{\omega_1 L_P} - \omega_1 C_P \right)^2} \quad (21)$$

$$\tan \phi_0 = \frac{2Z_0 \left( \omega_2 L_S - \frac{1}{\omega_2 C_S} \right)}{\left( \omega_2 L_S - \frac{1}{\omega_2 C_S} \right)^2 - Z_0^2}. \quad (22)$$

Equations (21) and (22) can be rewritten as follows:

$$Z_0^2 \tan \phi_0 \left( \frac{1}{\omega_1 L_P} - \omega_1 C_P \right)^2 - 2Z_0 \left( \frac{1}{\omega_1 L_P} - \omega_1 C_P \right) - \tan \phi_0 = 0 \quad (23)$$

$$\tan \phi_0 \left( \omega_2 L_S - \frac{1}{\omega_2 C_S} \right)^2 - 2Z_0 \left( \omega_2 L_S - \frac{1}{\omega_2 C_S} \right) - Z_0^2 \tan \phi_0 = 0. \quad (24)$$

Finally, we obtain solvable forms of (14) and (15) as follows:

$$\frac{1}{\omega_1 L_P} - \omega_1 C_P = \left( \frac{1 + \cos \phi_0}{\sin \phi_0} \right) \frac{1}{Z_0} \quad (25)$$

$$\omega_2 L_S - \frac{1}{\omega_2 C_S} = \left( \frac{1 + \cos \phi_0}{\sin \phi_0} \right) Z_0. \quad (26)$$

We also reduce (16) and (17) to solvable forms as follows:

$$\omega_2 = \left[ 1 + \left( \frac{1 + \cos \phi_0}{\sin \phi_0} \right)^2 + \left( \frac{1 + \cos \phi_0}{\sin \phi_0} \right) \cdot \sqrt{2 + \left( \frac{1 + \cos \phi_0}{\sin \phi_0} \right)^2} \right] \omega_1 \quad (27)$$

( =  $A(\phi_0)\omega_1$  ).

Let  $A(\phi_0)$  be the coefficient of (27). From (20) and (27),  $\omega_1$  and  $\omega_2$  are expressed as follows:

$$\omega_1(\phi_0) = \frac{2}{A(\phi_0) + 1} \omega_C \quad (28)$$

$$\omega_2(\phi_0) = \frac{2A(\phi_0)}{A(\phi_0) + 1} \omega_C. \quad (29)$$

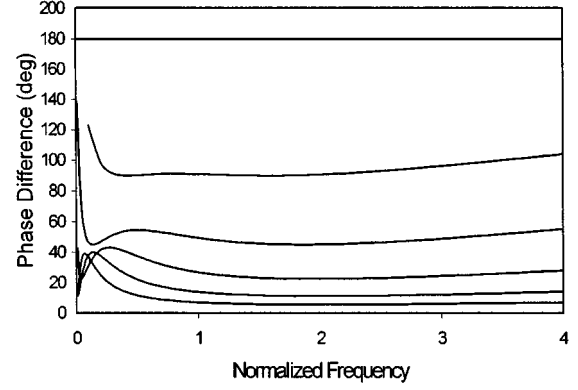


Fig. 3. Ideal phase-difference characteristics of the reflective terminating circuit.

The circuit elements  $L_S$ ,  $C_S$ ,  $L_P$ , and  $C_P$  are then given as follows:

$$L_S(\omega_C, \phi_0) = \frac{A(\phi_0)}{A(\phi_0) - 1} \left( \frac{1 + \cos \phi_0}{\sin \phi_0} \right) \frac{Z_0}{\omega_C} \quad (30)$$

$$C_S(\omega_C, \phi_0) = \frac{(A(\phi_0) - 1)(A(\phi_0) + 1)^2}{4A(\phi_0)} \left( \frac{\sin \phi_0}{1 + \cos \phi_0} \right) \frac{1}{\omega_C Z_0} \quad (31)$$

$$L_P(\omega_C, \phi_0) = \frac{(A(\phi_0) - 1)(A(\phi_0) + 1)^2}{4A(\phi_0)^2} \left( \frac{\sin \phi_0}{1 + \cos \phi_0} \right) \frac{Z_0}{\omega_C} \quad (32)$$

$$C_P(\omega_C, \phi_0) = \frac{1}{A(\phi_0) - 1} \left( \frac{1 + \cos \phi_0}{\sin \phi_0} \right) \frac{1}{\omega_C Z_0}. \quad (33)$$

Therefore, the circuit elements have been expressed as functions of  $\omega_C$  and  $\phi_0$ . Substituting (30)–(33) with (7), it is easily shown that  $\phi$  is a function of  $\omega/\omega_C$ . The ideal phase-difference characteristics versus normalized frequency  $\omega/\omega_C$  are plotted in Fig. 3. In the case of a  $90^\circ$  phase difference, the phase-difference variation is less than  $1.17^\circ$  over  $\omega_1$  to  $\omega_2$ , where  $\omega_1$  and  $\omega_2$  are  $0.42\omega_C$  and  $1.58\omega_C$ , respectively.

### III. DESIGN

#### A. $180^\circ$ Reflective-Terminating-Circuit MMIC

Fig. 4 shows a schematic diagram of the proposed  $180^\circ$  reflective terminating circuit. It consists of only a few circuit elements of built-in inductor  $L_b$ , built-in capacitor  $C_b$ , and a pair of FET1 and FET2. These FETs are used as switching elements.

Fig. 5 shows equivalent circuits of parallel and series  $LC$  states of the  $180^\circ$  reflective terminating circuit, respectively.  $R_{on1}$  and  $R_{on2}$  are the on-state resistances of FET1 and FET2, respectively.  $C_{off1}$  and  $C_{off2}$  are the off-capacitances of FET1 and FET2, respectively. In parallel  $LC$  state operation, FET1 and FET2 are turned on, as shown in Fig. 5(a). By neglecting  $R_{on1}$  and  $R_{on2}$ , the circuit can be simplified to a parallel  $LC$  circuit, which corresponds to the parallel resonant circuit of  $L_P/C_P$  in Fig. 2. In series  $LC$  state operation, FET1 and FET2 are pinched off, as shown in Fig. 5(b). When the admittance of a series capacitance combination consisting of  $C_b$  and  $C_{off2}$  is

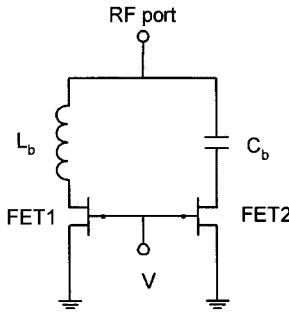


Fig. 4. Schematic diagram of proposed 180° reflective terminating circuit.

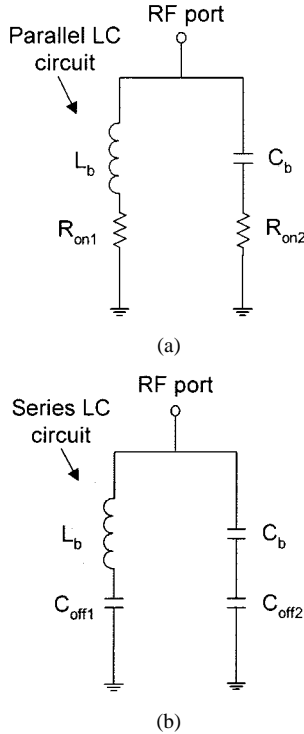


Fig. 5. Equivalent circuits of parallel and series LC states of 180° reflective terminating circuit. (a) Parallel LC state. (b) Series LC state.

small enough to be neglected, the circuit can be simplified to a series LC circuit, which corresponds to the series resonant circuit of  $L_s/C_s$  in Fig. 2. Therefore, Fig. 4 can be identical to Fig. 2 provided that  $L_b$  plays the role of  $L_P$  and  $L_S$  simultaneously. From (10),  $C_P$ ,  $C_S$ , and  $C_{off1}$  must be equal to  $C_b$ . We have the determining condition for the circuit shown in Fig. 4. When the resonant frequency of the parallel and the series LC circuits is set to be  $\omega_0$ , the circuit elements of  $L_b$ ,  $C_b$ , and  $C_{off1}$  are determined uniquely as follows:

$$L_b = \frac{Z_0}{\omega_0} \quad (34)$$

$$C_b = C_{off1} = \frac{1}{\omega_0 Z_0}. \quad (35)$$

However, the parallel LC state has a return loss that is determined by nonzero  $R_{on1}$  and  $R_{on2}$ . The return-loss increase in the parallel LC state particularly appears at  $\omega_0$ . Therefore, the parasitic resistances of FETs place a constraint on the operating bandwidth.  $\omega_0$  has to be optimally determined larger than the operating bandwidth. From (34) and (35), the values of  $L_b$  and

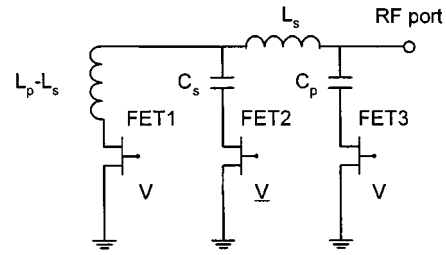


Fig. 6. Schematic diagram of a proposed 90° reflective terminating circuit.

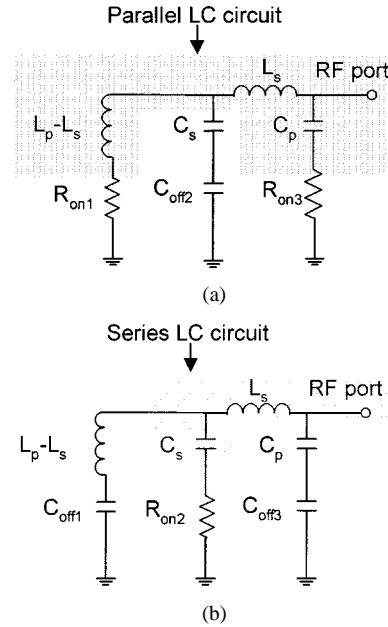


Fig. 7. Equivalent circuits of parallel and series LC states of 90° reflective terminating circuit. (a) Parallel LC state. (b) Series LC state.

$C_b$  are 0.23 nH and 0.09 pF under the assumption of  $Z_0 = 50 \Omega$  and  $\omega_0 = 2\pi \times 35$  GHz.

### B. 90° Reflective Terminating Circuit MMIC

Fig. 6 shows a schematic diagram of a proposed 90° reflective terminating circuit. It consists of two inductors, two capacitors, and their FETs. These FETs are used as switching elements.

Fig. 7 shows equivalent circuits of parallel and series LC states of the 90° reflective terminating circuit, respectively.  $R_{on1}$ ,  $R_{on2}$ , and  $R_{on3}$  are the on-state resistances of FET1, FET2, and FET3, respectively.  $C_{off1}$ ,  $C_{off2}$ , and  $C_{off3}$  are the off-capacitances of FET1, FET2, and FET3, respectively. In parallel LC state operation, FET2 is pinched off and FET1 and FET3 are turned on, as shown in Fig. 7(a). In the condition that  $C_s$ ,  $C_{off2}$ ,  $R_{on1}$ , and  $R_{on3}$  can be neglected, the circuit can be simplified to a parallel LC circuit, which corresponds to the parallel resonant circuit of  $L_P/C_P$  in Fig. 2. In series LC state operation, FET1 and FET3 are pinched off and FET2 is turned on, as shown in Fig. 7(b). In the condition that  $C_P$ ,  $C_{off3}$ ,  $L_p - L_s$ ,  $C_{off1}$ , and  $R_{on2}$  can be neglected, the circuit can be simplified to a series LC circuit, which corresponds to the series resonant circuit of  $L_s/C_s$  in Fig. 2. The FET size was determined so as to equalize the return loss of the series and parallel LC states due to small  $R_{on1}$ ,  $R_{on2}$ , and  $R_{on3}$ . From (30)–(33), the values of  $L_S$ ,  $C_S$ ,  $L_P$ , and  $C_P$

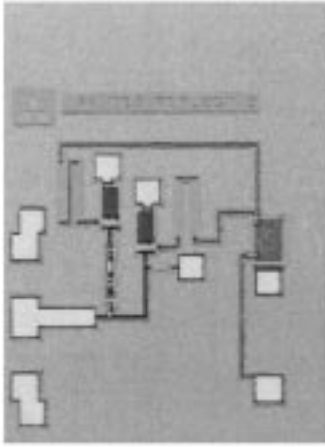


Fig. 8. Fabricated 180° reflective terminating circuit MMIC.

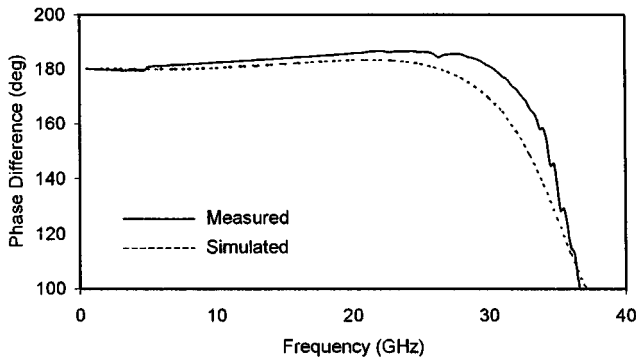


Fig. 9. Phase-difference performance of the 180° reflective terminating circuit MMIC.

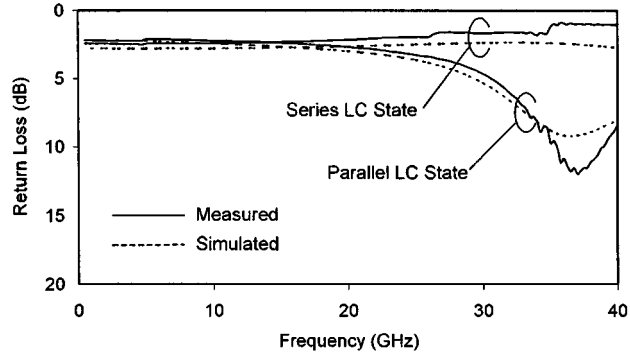


Fig. 10. Return-loss performance of the 180° reflective terminating circuit MMIC.

are 0.68 nH, 3.26 pF, 2.19 nH, and 0.073 pF, respectively, under the assumption of  $Z_0 = 50 \Omega$  and  $\omega_C = 2\pi \times 8$  GHz.  $\omega_S$  and  $\omega_P$  are  $2\pi \times 3.38$  GHz and  $2\pi \times 12.6$  GHz, respectively.

#### IV. MEASURED RESULTS

##### A. 180° Reflective Terminating Circuit and Phase-Shifter MMIC

Fig. 8 depicts a photograph of a fabricated 180° reflective terminating circuit MMIC. The integrated circuit (IC) has been fabricated by using 0.5- $\mu\text{m}$  pHEMT technology. To equalize the return loss between parallel and series LC states, a resistor

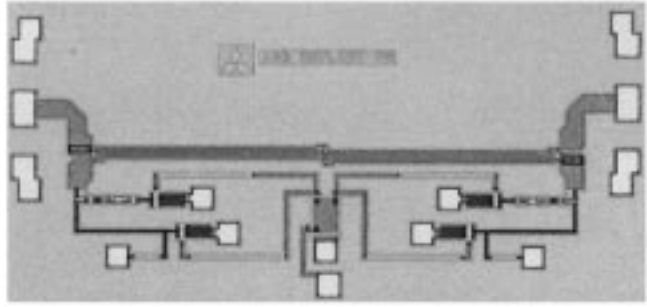


Fig. 11. 180° phase-shifter MMIC.

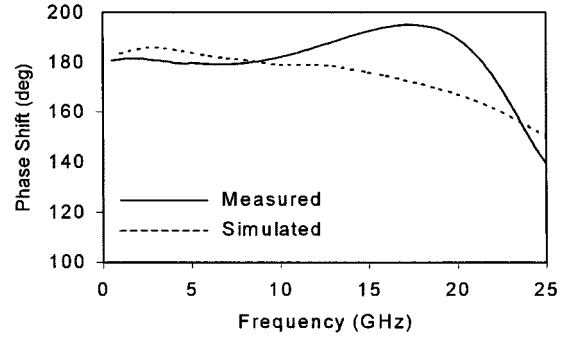
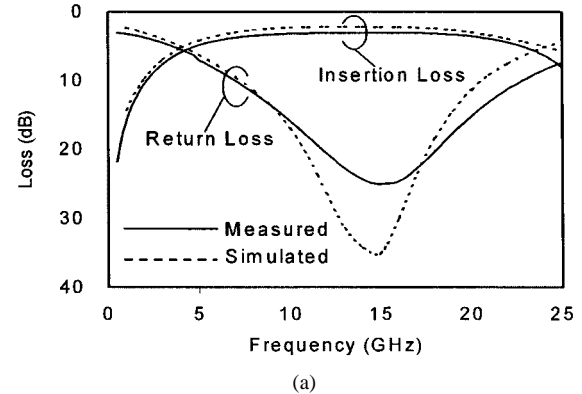
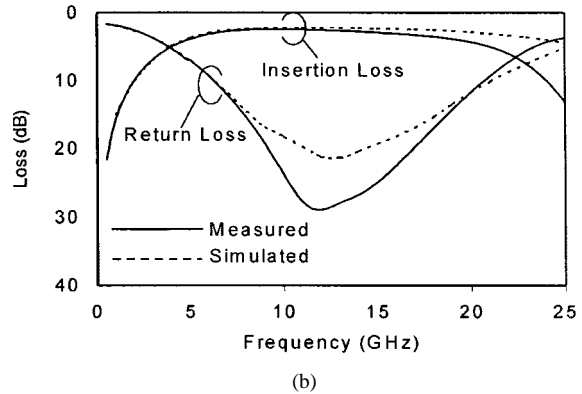


Fig. 12. Phase-shift performance of the 180° phase-shifter MMIC.



(a)



(b)

Fig. 13. Insertion- and return-loss performance of the 180° phase-shifter MMIC (a) Parallel LC state. (b) Series LC state.

is incorporated between source and drain terminals of FET1. That resistor has a negligible effect on phase difference and impedance of the circuit. Fig. 9 shows the simulated and measured phase-difference characteristics of the 180° reflective terminating circuit MMIC. Fig. 10 shows the return-loss

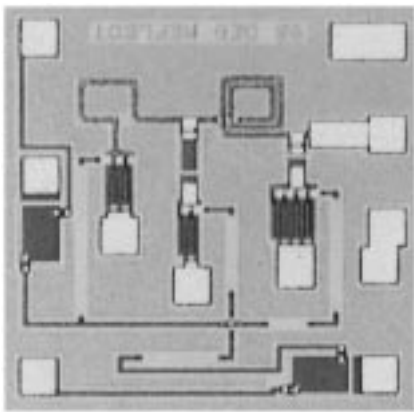


Fig. 14. Fabricated 90° reflective terminating circuit MMIC.

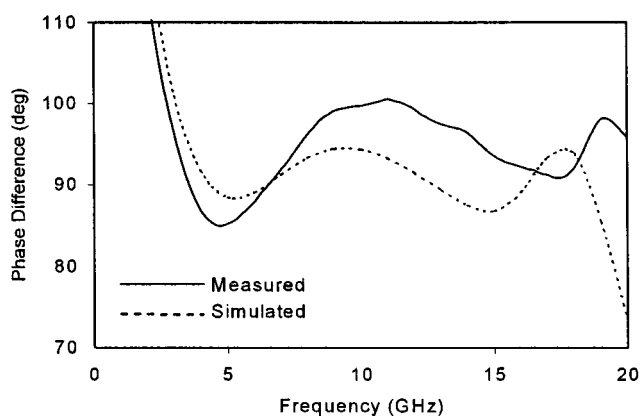


Fig. 15. Phase-difference performance of the 90° reflective terminating circuit MMIC.

characteristics. Both of the measured and simulated results are in good agreement. The measured phase difference is  $183^\circ \pm 3^\circ$  over 0.5–30 GHz, and the measured return loss is  $2.3 \pm 0.4$  dB over 0.5–20 GHz.

Fig. 11 presents an ultra-broad-band 180° reflection-type phase-shifter MMIC fabricated by the same process. It consists of a 3-dB Lange coupler and a pair of 180° reflective terminating circuits. Fig. 12 shows the measured and simulated phase-shift characteristics of the phase-shifter MMIC. Fig. 13 shows the measured and simulated loss characteristics. The measured phase shift is  $187^\circ \pm 7^\circ$  over 0.5–20 GHz. The measured insertion loss is  $3.7 \pm 0.6$  dB over 6–20 GHz and the measured insertion-loss error between parallel and series LC states is less than 1 dB at the same frequency range. The difference between the measured and simulated phase shift is mainly due to differences between the model parameter and measured data of a 3-dB Lange coupler used in it.

### B. 90° Reflective Terminating Circuit MMIC

Fig. 14 depicts a photograph of a 90° reflective terminating circuit MMIC fabricated by the same process. Fig. 15 shows the simulated and measured phase-difference characteristics of the 90° reflective terminating circuit MMIC. Fig. 16 shows the return-loss characteristics. The measured phase difference is  $93^\circ \pm 7^\circ$  over 4–12 GHz, and the measured return loss is

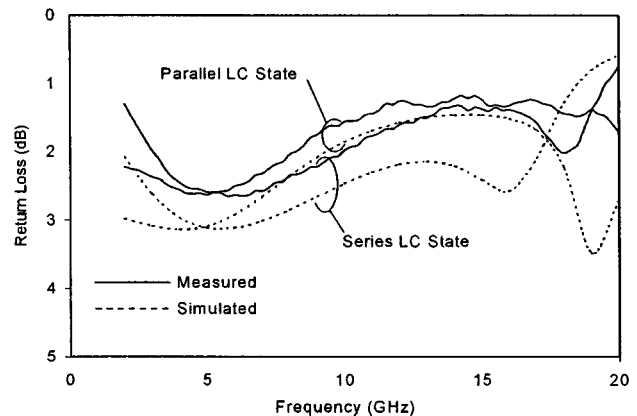


Fig. 16. Return-loss performance of the 90° reflective terminating circuit MMIC.

$1.95 \pm 0.7$  dB at the same frequency range. The difference between the measured and simulated phase difference are mainly caused by differences between the measured and simulated FET characteristics used in it.

## V. CONCLUSIONS

We have presented an ultra-broad-band reflection-type phase shifter, which is composed of a broad-band 3-dB hybrid coupler and a pair of novel reflective terminating circuits. Theoretically, the proposed phase shifter has frequency-independent characteristics in the case of a 180° phase shift. The reflective terminating circuit switches two states of series and parallel LC circuits. Using an ideal circuit model without parasitic circuit elements, we have derived the determining condition of circuit elements for frequency independence. Extending the concept, we can also obtain a broad-band phase shifter for other phase differences as well. For a given phase difference and an operating frequency, we also have derived a condition to obtain minimum variation of phase difference around the operating frequency. The fabricated 180° reflective terminating circuit MMIC has achieved a phase difference of  $183^\circ \pm 3^\circ$  over 0.5–30 GHz. The fabricated 180° phase-shifter MMIC utilizing the reflective terminating circuits has successfully demonstrated a phase shift of  $187^\circ \pm 7^\circ$  over 0.5–20 GHz. The fabricated 90° reflective terminating circuit MMIC has performed a phase difference of  $93^\circ \pm 7^\circ$  over 4–12 GHz.

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