

Millimeter-wave photoresponse due to excitation of two-dimensional plasmons in InGaAs/InP high-electron-mobility transistors.

N. Nader Esfahani,^{*1,2,3,a)} R. E. Peale,² W. R. Buchwald,^{1,4} C. J. Fredrickson,²

J. R. Hendrickson,³ and J. W. Cleary,³

¹Solid State Scientific Corporation, 12 Simon St., Nashua, New Hampshire 03060, USA

²Department of Physics, University of Central Florida, Orlando, Florida 32816, USA

³Air Force Research Laboratory, Sensors Directorate, 2241 Avionics Circle, Wright Patterson AFB, Ohio 45433, USA

⁴Department of Physics, University of Massachusetts, Boston, Massachusetts 02125, USA

Abstract

A polarized photoresponse to mm-wave radiation over the frequency range of 40 to 108 GHz is demonstrated in a grating-gated high electron mobility transistor (HEMT) formed by an InGaAs/InP heterostructure. The photoresponse is observed within the plasmon resonance absorption band of the HEMT, whose gate consists of a 9- μm -period grating that couples incident radiation to plasmons in the 2D electron gas (2DEG). Gate-bias changes the channel carrier concentration, causing a corresponding change in photoresponse in agreement with theoretical expectations for the shift in the plasmon resonance band. The noise equivalent power is estimated to be 235 pW/Hz^{1/2}.

^{a)}Author to whom correspondence should be addressed. Electronic mail: Nima.Nader.ctr@wpafb.af.mil

I. Introduction

Plasmonic grating-gated HEMTs have potential as fast, chip-scale and frequency-tunable THz detectors. The tunable resonant absorption of plasmons in the 2DEG of grating-gated MOSFETs and HEMTs has been reported for a number of material systems which include Si-inversion layers¹, GaAs field effect transistors²⁻⁷, InGaAs/InP HEMTs⁸, and GaN HEMTs⁹. A coupling structure, such as grating^{1-4,8,9} or antenna^{6,7}, is required to match momentum between free space radiation and 2D-plasmons, whose resonance frequency depends on the 2DEG sheet charge density, which in turn depends linearly on the external gate-voltage⁸. This provides a means to not only excite plasmon modes but also to actively tune the absorption resonance.

For detector applications, the necessary transduction of this absorption to a measurable change in channel conductance has been so far demonstrated only in GaAs-based devices²⁻⁷. In this material system the coupling structure has been evolved from a uniform metallized grating²⁻⁵ to structures which use split-gratings⁵ or which integrate a metallic grating, a bolometric detection method, and a log-periodic antenna^{6,7} to increase responsivity and reduce the noise-equivalent-power (NEP) of the detector.

This paper presents the observation of such transduction for HEMTs fabricated in the InP materials system. Specifically, we report gate-bias-tunable electrical photoresponse in InGaAs/InP HEMTs to mm-wave radiation at 40-60 and 83-108 GHz at 4 K device temperature. Preliminary results and device background characterization were presented in Refs. 10 and 11. This frequency range was chosen due to the availability of table-top mm-range backward wave oscillators (BWOs) with high intensity stability and frequency agility. Though THz tunable plasmon resonances were observed in similar material with 0.5 μm gratings⁸, our attempt to

observe resonant photoresponse in that device using a free electron laser were unsuccessful due to experimental intensity fluctuations and a strong non-linear non-resonant photo-response¹⁶. This motivated the change in our grating period to 9 μm to allow plasmon excitation by ultrastable BWOs at mm-wavelengths, which has enabled us to observe the desired effect. We compare the results for this device with mm-wave/THz detectors discussed in Ref. 6. The long-term objective is to scale the device so that it operates as a tunable resonant detector at THz frequencies by utilizing a grating with a smaller, sub-micron period. Such a device can have applications as a chip-scale, frequency tunable detector in high-speed InP-based electro-optic integrated circuits.

II. Experimental Details

The devices of this work were fabricated from a molecular-beam-epitaxial grown, InGaAs/InP HEMT structure with two δ -doped layers (Figure 1). The δ -doping, instead of a thick uniformly-doped layer, was chosen to avoid anomalous free-carrier effects^{12,13}. Device fabrication consisted of first etching the active layers into mesas for electrical isolation. This was followed by the patterning and deposition of electron-beam evaporated Ti/Au (500nm/2500nm) metal pads, subsequently rapid thermal annealed to form ohmic source and drain contacts. Gates were formed by first removing the doped-InGaAs cap layer that facilitated source and drain ohmic contact formation. A 20 nm layer of Ti was then deposited on the 195 $\mu\text{m} \times 250 \mu\text{m}$ gate region to act as a semitransparent gate metal to allow uniform gate-bias control of the 2DEG sheet charge concentration. The grating, with period $a = 9 \mu\text{m}$ and openings $t = 0.22a$ wide, was patterned by optical lithography over the semi-transparent gate. The grating bars consisted of Ti/Au (15 nm/100 nm). Source, gate, and drain bond pads were fabricated by photolithography

using Ti/Au (50 nm/250 nm). The sample was mounted in a TO-5 transistor package with cap removed. An optical microscope image of the device is presented in Figure 2.

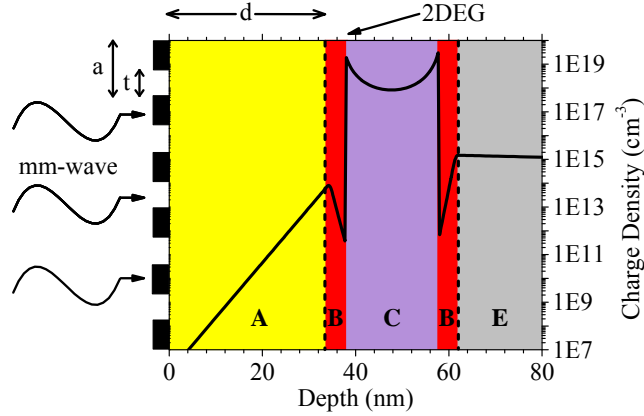


FIG. 1. Schematic of grating-gated InP-based HEMT. The epitaxially-grown materials are indicated as A = $\text{In}_{0.48}\text{Al}_{0.52}\text{As}$ with δ -doping at the interface with B, B = undoped $\text{In}_{0.48}\text{Al}_{0.52}\text{As}$ spacer, C = $\text{In}_{0.32}\text{Ga}_{0.68}\text{As}$ channel and E = $\text{In}_{0.48}\text{Al}_{0.52}\text{As}$ buffer layer. Radiation is incident on the grating-gate from the left. The black curve, calculated by finite element method (Silvaco Atlas), indicates the charge density distribution.

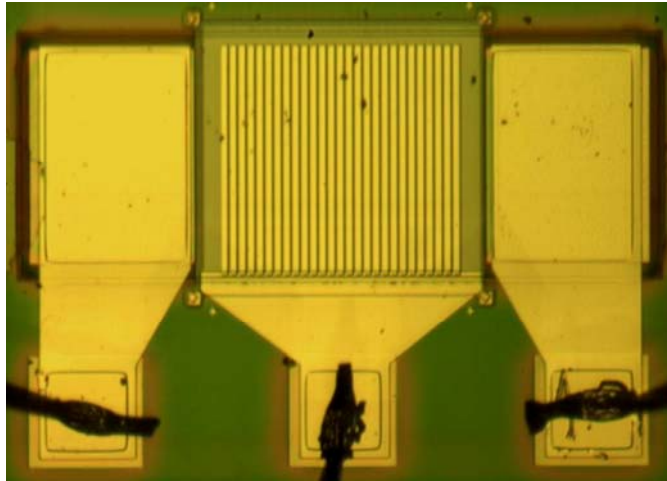


FIG. 2. Optical microscope image of grating gated InP-based HEMT.

The device was fixed to a copper cold finger inside a Janis SHI-4 closed cycle cryostat. A silicon diode temperature sensor, thermally contacted to the cold finger below the device, was connected to a temperature controller as feedback to maintain a 4 K temperature. Sheet charge density n_s and relaxation time τ were determined from 4 K Source-Drain I-V curves according to

Ref. 14. This analysis has been archived in Ref. 11. Relaxation time τ at 4 K was determined to be 0.37 ps and sheet charge densities n_s to be $(1.39, 1.21, \text{ and } 1.04) \times 10^{12} \text{ cm}^{-2}$ at gate biases of (0, -0.1, and -0.2) V, respectively.

Figure 3 presents a schematic of the mm-wave experiment. A 100 Hz sine wave with adjustable DC offset modulated and swept the output frequency of a Siemens BWO. The modulation amplitude was 100 MHz, or $\sim 0.1\%$ of the central frequency. The same control signal was high-pass filtered and amplified for the lock-in reference. A crystal detector connected via a 10 dB directional coupler monitored the mm-wave power, and this signal was used for power leveling the BWO. The power measured with a crystal detector in place of the horn was 2.6 mW (1.7 mW) for the low (high) frequency range.

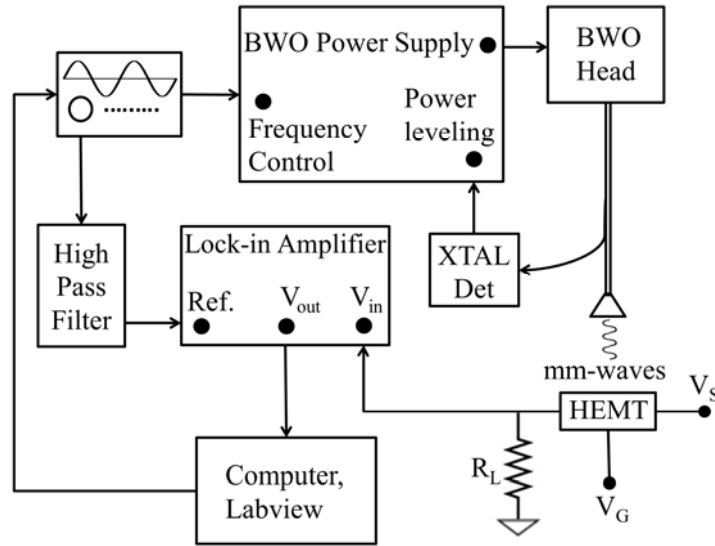


FIG. 3. Schematic of the experimental setup.

The mm-waves from the BWO are conducted to the cryostat with rectangular waveguides and a polarization-preserving horn. The radiation passed through a polyethylene window into the vacuum of the cryostat to irradiate the device. The BWO head could be rotated about the

optical axis to study polarization effects. During measurements, a constant 0.5 V was applied to the source while the gate was biased at 0, -0.1 and -0.2 V, all with respect to ground, with the drain connected to ground via a 100 Ω load.

III. Theoretical considerations

The dispersion relation for 2D-plasmons in a device with a metalized grating is¹

$$\omega_n^2 = \frac{e^2 n_s q_n}{m^* \epsilon_0} [\epsilon_b + \epsilon_t \coth(q_n d)]^{-1}, \quad (1)$$

where ω_n is the frequency of the n^{th} integer-order plasmon, e the electron charge, m^* the effective mass, d the 2DEG depth from the grating (Fig. 1), ϵ_0 is the permittivity of free space, and ϵ_t (ϵ_b) are the relative permittivity of the semiconductor layers above (beneath) the 2DEG. The wavevector of excited plasmons q_n takes discrete values $2\pi n/a$.

Source-Drain current I_{SD} is recorded using a lock-in amplifier synchronized with the mm-wave frequency modulation Δf . The lock-in input is the voltage drop V_L across the load R_L and is given by¹¹

$$V_{out}(V_g, f) = \frac{2}{\pi} \left(\frac{dI_{SD}(V_g, f)}{df} \right) R_L \Delta f. \quad (2)$$

The change dI_{SD} may be written $d(BWA)$, where B is a coupling factor between plasmon absorption and channel conductance, W is the incident radiation power, and A is the plasmon absorptance. Assuming B to be frequency independent, and with power-leveling, we have

$$V_{out}(V_g, f) = \frac{2}{\pi} BW \left(\frac{dA(V_g, f)}{df} \right) R_L \Delta f. \quad (3)$$

Assuming constant front surface reflectance R , we obtain absorptance from $A = I-R-T$, where the transmittance spectra T for different gate biases are calculated as in Refs. 8, 13, and 15.

IV. Results

Calculated plasmon resonance spectra are presented in Figure 4 for three different grating periods (0.5, 2, and 9 μm), while all other parameters apply to our experimental device. In Fig. 4, we see that increasing the grating period from 0.5 to 2 to 9 μm shifts the plasmon fundamental from 2.82 to 0.85 to 0.36 THz, respectively, in agreement with Eq. 1. Fig. 4 also shows that as the grating period is increased, the harmonics move closer together. For the grating period of 9 μm , which puts the fundamental in range of our BWOs, the harmonics have merged with the fundamental. This causes the plasmon absorption band to be quite broad, with a full-width-half-maximum (FWHM) of ~ 700 GHz.

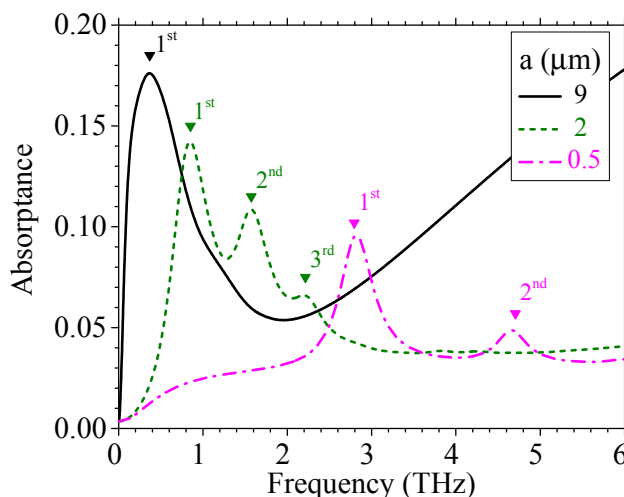


FIG. 4. Calculated absorptance spectra for three different grating periods of 9, 2, and 0.5 μm . Fundamental and harmonics are labeled in each spectrum.

Figure 5 (a) presents calculated absorption spectra for the device of this work at 4 K for frequencies up to 400 GHz for gate-biases of 0, -0.1, and -0.2 V. The figure includes only the

low frequency portion of the broad plasmon resonance bands, whose peaks occur at 365, 340, and 320 GHz as indicated by triangle symbols above the respective curves. The redshift with increasing negative V_g , and thus decreasing n_s , is given by Eq. 1. The absorption is also seen to become shallower as expected due to the reduction of the plasmon-supporting charge carrier concentration. The BWO ranges (Fig. 5b) lie at frequencies where the absorptance curves are 35 and 65% of the maximum value, so that our experimental wavelengths are within the plasmon resonance absorption bandwidth.

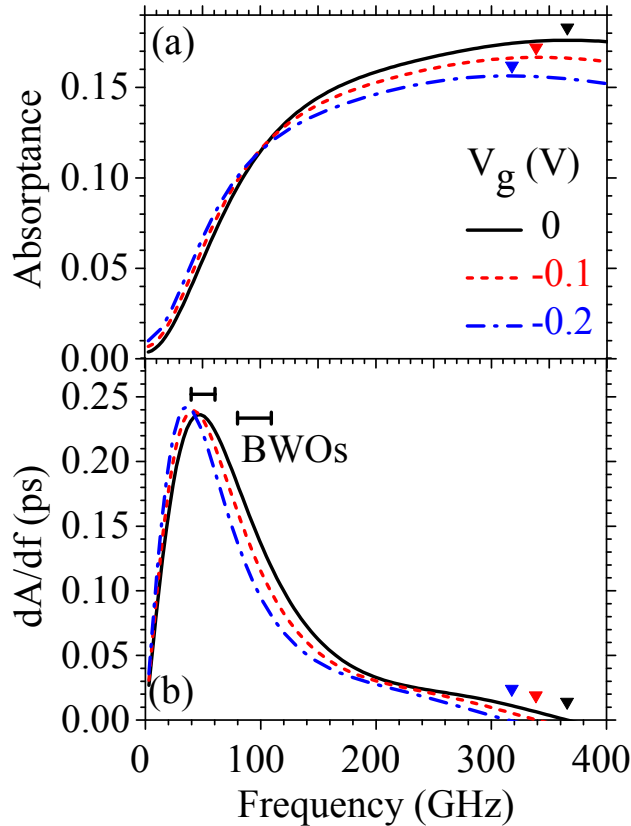


FIG. 5. (a) Calculated absorptance spectra. Absorptance maxima are marked by symbols. (b) Calculated dA/df spectra. The horizontal bars indicate the available BWO ranges.

From Eq. 3, the lock-in output is proportional to dA/df , whose spectrum is presented in figure 5 (b) with the ranges of the available BWOs indicated. Maxima of plasmon absorption

bands are marked by triangle symbols, where the derivatives are zero. From these curves, we expect the response to decrease with increasing frequency.

The measured photoresponse of the device is shown in figure 6 for gate-biases of 0, -0.1, and -0.2 V as black, red, and blue curves, respectively. The effect was measured over the full 40-60 GHz and 83-108 GHz ranges, but only a portion of each measured spectrum, and only the nominal perpendicular polarization data (inset schematic), are presented. The detected photoresponse shows sharp features at discrete frequencies as opposed to the continuous electrical response expected from Fig. 5 and Eq. 3. This is explained by interference and the formation of standing waves, which is a well-known experimental artifact in mm-wave spectroscopy. When standing wave nodes occur at the grating no plasmons can be excited, and hence there can be no electrical response. At frequencies where anti-nodes occur, excitation of plasmons and a corresponding electrical response may occur. Although the known standing wave phenomenon somewhat obscures the results, it is clear each individual peak weakens with increasing negative gate bias suggesting reduced plasmon interactions with the decreasing 2DEG sheet charge as expected. The noise of the system was measured by blocking the radiation and recording the lock-in output, and its root-mean-square (RMS) value was determined to be ~ 45 nV.

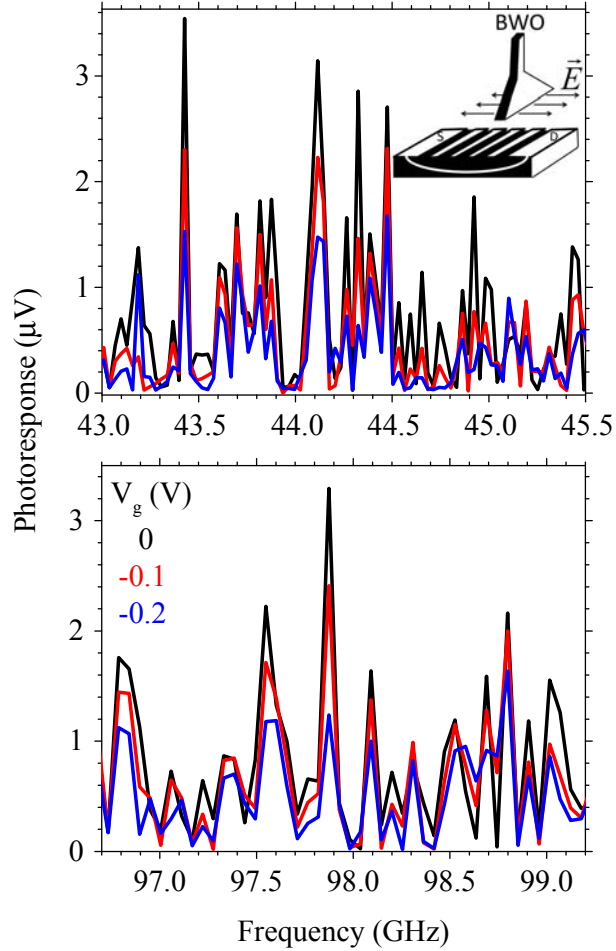


FIG. 6. Photoresponse of the HEMT at $T = 4$ K to mm-wave radiation for three gate biases. Data are for nominal perpendicular polarization as expected from the horn orientation (inset schematic).

Although the response for parallel polarization is expected to be zero since it should fail to polarize the grating and produce plasmon-exciting local fields, a similar but weaker response was in fact observed for this nominal polarization. Using two gain horns and a wire-grid polarizer, the radiation output by the horn was confirmed to be highly polarized. However, when the polyethylene cryostat window was placed between the crossed horns, substantial collected signal appears. This is attributed to rotation of the polarization due to refraction and scattering from imperfections in or on the window. A tangle of wire with random orientations produces an even stronger response, showing that reflections inside the cryostat can also scramble the

polarization. This explains the unexpected photoresponse for nominally parallel polarization. This polarization study is archived in Ref. 11. These studies simply confirm that the well-known possible change of polarization angle on reflection or refraction¹⁷ is likely occurring in our experiment.

Linear fits to the data in each full frequency range represent the average photoresponse and frequency dependence for each V_g . Figure 7 compares such fits to the theoretical dA/df spectra from figure 5 (b). To focus purely on the frequency dependence, each fit is vertically scaled by different values to match the corresponding theoretical dA/df curves. In the low frequency range, experiment is matched to theory at 47 GHz, while in the high frequency range this occurs at 96.4 GHz. The scaling factors increase monotonically with increasing V_g magnitude by less than 50% for the low frequency range. In the high frequency range, these factors differ by less than 2%, which is within the experimental uncertainty. In neither case is the vertical ordering of the fits changed by the scaling. The need for different scaling factors in the low frequency range implies that the coupling coefficient B depends on gate bias. The coupling between mm-waves and plasmons should be completely accounted for by the theory represented by Fig. 5, but the coupling between plasmons and transport lacks a theory, and this latter coupling may depend on n_s , in principle.

Linear fits shift downward with increasingly negative gate bias for all of the high frequency range and for all but the $V_g = 0$ case for the low frequency range, in qualitative agreement with the theory curves. Interestingly, the ordering of the linear fits at 40 GHz is opposite that at 60 GHz, just as occurs with the dA/df curves. Linear fits obviously cannot reflect the curvature in the dA/df spectra in this low frequency range. In the high frequency region, the dA/df spectra are more nearly linear. That the fit slopes differ from theory can be attributed to

several factors, namely, standing waves, monotonic decrease in power with increasing wavelength due to waveguide attenuation, and monotonic decrease in power with decreasing wavelength due to scattering. It is also interesting that the magnitude of the high frequency response is approximately half that of the low frequency range, though this apparent agreement with Fig. 5 (b) is partly coincidental since the high frequency BWO outputs only 65% as much power as the low frequency one. The agreement between experiment and theory in both frequency and gate-bias dependence, though not exact, is sufficient to support the interpretation that the photoresponse is due to absorption by plasmons within their resonance band.

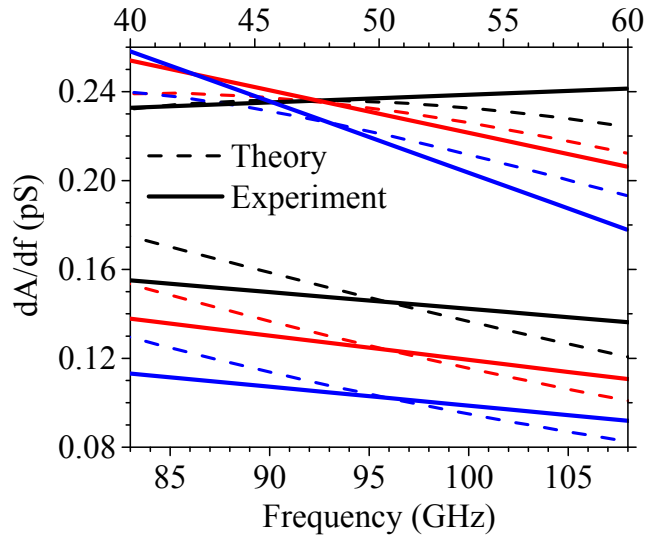


FIG. 7. Comparison of theoretical dA/df curves with linear fits to measured photoresponse data for nominal perpendicular polarization. The upper (lower) group of curves corresponds to the upper (lower) frequency axis.

V. Discussion and Summary

Further calculations, like those in Fig. 4 but for non-zero applied gate bias, show that the shift with gate bias of the fundamental decreases strongly with increasing gate period. While a gate bias of -0.1 V red shifts the 2.82 THz fundamental for the 0.5-micron-period grating by 200 GHz (half the resonance line width), the shift for the 9 μm period is only ~ 20 GHz (only 3% of

the resonance band width). Thus, the detector designed for mm-waves has nearly lost many of the attractive features that make tunable 2D plasmonic HEMT detectors potentially so interesting at THz frequencies. However, the superior qualities of mm-wave BWOs as an excitation source strongly motivated our decision to seek a plasmonic photoresponse first at the longer wavelengths, and this has evidently proven successful.

The peak response in Fig. 6 is 5 μV for 83-108 GHz frequency range, but there were a few points in the low frequency range which had up to 10 μV peak response. These correspond to a mm-wave induced change in the current through the device of 0.1 μA . The channel resistance at 4 K was measured to be 700 Ω . Using the voltage divider formula, we find that the change in the channel resistance due to absorption of mm-waves by plasmons is 0.13 Ω or 0.02%. This value exceeds by an order of magnitude the value we determine (0.01 Ω) from the data presented for AlGaAs/GaAs HEMTs at 763 GHz in Ref. 2.

We may estimate responsivity (for our specific circuit configuration) as follows. Assuming the 2.6 mW mm-wave power at the input to the horn is uniformly distributed over its 300 mm² aperture, the intensity leaving the horn is 9 $\mu\text{W}/\text{mm}^2$. After diverging on its several cm path to the device, with attenuation and scattering by the cryostat window, the intensity may be reduced by at least 10x at the sample. The total power incident on the 195 $\mu\text{m} \times 250 \mu\text{m}$ gate is then about 42 nW. This gives a responsivity estimate of 240 V/W. We may also estimate the NEP of the device as a detector. With maximum signal-to-noise ratio (SNR) of about 220, 42 nW mm-wave power (P) incident on the gate, and lock-in time constant of 3s giving the bandwidth Δf of 0.66 Hz, we estimate $NEP = P/(SNR \times \Delta f^{1/2}) = 235 \text{ pW}/\text{Hz}^{1/2}$.

Next, we compare the performance characteristics with other 2D-plasmonic detectors. According to Ref. 6, responsivity and NEP values for GaAs-based HEMT detectors of 140 GHz

waves are 600 V/W, and 10 nW/Hz^{1/2}, respectively. Evidently, we have achieved a factor of 40 better NEP in the InP/InGaAs device, though it is 2.5 times less responsive.

In conclusion, electrical photoresponse to mm-wave radiation has been observed in InGaAs/InP HEMTs at frequencies well within the plasmon resonance bandwidth. We attribute photoresponse to excitation of plasmons in the 2DEG and transduction of that absorption to a change in channel conductance, because results agree with theoretical predictions in a number of significant ways. Parameters such as responsivity and noise equivalent power were estimated and compared to similar devices fabricated in the GaAs materials system. Such a device may find application as a chip-scale tunable mm-wave and sub-THz detector. However, the narrower bandwidth and broader tuning of the plasmonic response when the device is scaled with smaller grating period to THz frequencies would be more attractive.

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