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6-2009

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Buddin, R., \& Zamarro, G. (2009). Teacher Qualifications and Middle School Student Achievement. Education Reform Faculty and Graduate Students Publications. Retrieved from https://scholarworks.uark.edu/edrepub/105

# Teacher Qualifications and Middle School Student Achievement 

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WR-671-IES
June 2009
Prepared for the Institute of Education Sciences

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#### Abstract

This research examines whether teacher licensure test scores and other teacher qualifications affect middle school student achievement. The results are based on longitudinal student-level data from Los Angeles. The achievement analysis uses a value-added approach that adjusts for both student and teacher fixed effects. The results show little relationship between traditional measures of teacher quality (e.g., experience and education level) and student achievement in reading or math. Similarly, licensure test scores in general aptitude, subject-matter knowledge, and reading pedagogy had no significant effects on student achievement. Teachers with elementary school credentials had slightly better success in the classroom than did teachers with secondary school credentials.


(JEL: J44, J45, H0, H75, I21)
(Keywords: Teacher quality, teacher licensure, student achievement, middle school, twolevel fixed effects, education production function)

## ACKNOWLEDGMENTS

The authors are grateful to Harold Himmelfarb of the Institute of Education Sciences for his encouragement and support of this research. We are indebted to David Wright and William Wilson of the California State University (CSU), Office of the Chancellor, for providing access to teacher licensure test score data for recent graduates of the CSU system. Cynthia Lim and Glenn Daley of the Los Angeles Unified School District (LAUSD) provided access to student achievement data and answered numerous questions about district policies and procedures. Eva Pongmanopap of LAUSD was helpful in building the student achievement files and in clarifying numerous issues about the data. Ron Zimmer and Jerry Sollinger provided comments on an earlier draft.

This paper is part of a larger research project "Teacher Licensure Tests and Student Achievement" that is sponsored by the Institute of Education Sciences in the United States Department of Education under grant number R305M040186.

## 1. INTRODUCTION

Many states struggle with improving the academic outcomes of middle school students, especially in urban areas serving large groups of low-income students. While proficiency standards vary from state to state, student proficiency in the three largest school districts lags behind that of each respective state. About 58 percent of New York $7^{\text {th }}$ grade students are proficient in English/Language Arts (ELA) as compared with 45 percent of $7^{\text {th }}$ graders in New York City Public Schools. In California, 46 percent of $7^{\text {th }}$ graders meet state proficiency standards for ELA, but only 31 percent of $7^{\text {th }}$ graders in Los Angeles Unified are proficient. The pattern is similar in Illinois, where 79 percent of statewide $7^{\text {th }}$ graders are proficient in ELA, but only 63 percent of $7^{\text {th }}$ graders in Chicago Public Schools meet the state proficiency standard. Math proficiency rates in these districts also lag the state rates as a whole.

Academic problems in middle school are often a precursor of subsequent problems in high school and beyond. Several studies have shown that failing classes in middle school are a strong predictor of dropping out of high school (Balfanz and Herzog, 2006; Zao and Betts, 2008; Zarate, Ruzek, \& Silver, 2008). In addition, participation in post-secondary education has been linked with strong performance in $8^{\text {th }}$ grade reading and math (Horn and Numez, 2000; Zarate, 2008).

This research examines linkages between the qualifications of middle school teachers and student achievement. Murnane and Steele (2007) argue that teachers with low qualifications and weak academic credentials instruct disproportionate shares of low income and at-risk students. These poorly prepared teachers have difficulties in the
classroom and often leave the teaching profession or transfer to less arduous duty in suburban schools.

We focus on identifying which teachers are having success in improving student achievement and identifying what teacher qualifications predict classroom performance. In addition to traditional measures of teacher preparation like experience and educational degrees, we also have information on teacher licensure test scores that measure a teacher's general aptitude, subject-matter knowledge, and pedagogical skill. We will also examine whether teachers with multi-subject elementary school teaching credentials have better or worse classroom results than do comparable teachers with more specialized single-subject, secondary credentials. In particular, the study addresses the following issues:

1. How does teacher quality vary across classrooms and across schools? Using longitudinally linked student-level data we will examine whether students consistently perform better in some teachers' classrooms than in others. We will asses whether "high quality" teachers are concentrated in a portion of schools with well-prepared, motivated students or whether higher performing teachers teach both high- and low-performing students.
2. Do traditional measures of teacher quality like experience and teacher educational preparation explain their classroom results? Teacher pay is typically based on teacher experience and education level (Buddin et al., 2007), so it is important to assess whether these teacher inputs are tied to better classroom outcomes.
3. Do teachers with single-subject credentials have better outcomes than teachers with multiple-subject credentials? The conventional wisdom is that more specialized knowledge in math and ELA would translate into better instruction.
4. Does teacher success on licensure test exams translate into better student achievement outcomes in teacher's classroom?

We structure the rest of the paper in the following way. Section 2 reviews prior literature on teacher quality and licensure test scores emphasizing the research on middle schools. Section 3 describes the data set and econometric methods used in the analysis. Section 4 presents the empirical results. The final section draws conclusion and makes recommendations.

## 2. PRIOR LITERATURE AND EMPIRICAL ISSUES

Research on teacher effectiveness has progressed through three distinct stages that are tied directly to data availability and emerging empirical approaches. Initial studies relied on cross sectional data that were often aggregated at the level of schools or even school districts (Hanushek, 1986). This approach related average school test scores to aggregate measures of teacher proficiency. Hanushek (1986) showed that most explicit measures of teacher qualifications like experience and education had little effect on student achievement. In contrast, implicit measures of teacher quality (i.e., the average performance of individual teachers) differed significantly across teachers. These studies were plagued by concerns about inadequate controls for the prior achievement of students attending different groups of schools. If teachers with stronger credentials were assigned to schools with better prepared students, then the estimated return to teacher credentials would be overstated.

A new round of studies focused on year-to-year improvements in student achievement. These studies implicitly provided better controls for student background and preparation by isolating individual student improvements in achievement. They provided some evidence for differences in teacher qualifications affecting student achievement gains. For example, Ferguson (1991) found that scores on the teacher licensing test in Texas-which measures reading and writing skills as well as a limited body of professional knowledge-accounted for 20-25 percent of the variation across districts in student average test scores, controlling for teachers' experience, studentteacher ratio, and percentage of teachers with master's degrees. Ferguson and Ladd (1996) found smaller effects using ACT scores in Alabama. Ehrenberg and Brewer (1995) found that the teacher test scores on a verbal aptitude test were associated with higher gains in student scores although the results varied by school level and students' racial/ethnic status. Using data from the 1998 National Educational Longitudinal Study (NELS), Rowan et al. (1997) found that teachers' responses to a one-item measure of mathematics knowledge were positively and significantly related to students' performance in mathematics, suggesting that teacher scores on subject matter tests may relate to student achievement as well. A few studies that examined pedagogical knowledge tests found that higher teacher scores were also related to higher student test performance, although many of these were dated (1979 or earlier). Strauss and Sawyer (1986) reported a modest and positive relationship between teachers' performance on the National Teacher Examination (NTE) and district average NTE scores, after controlling for size, wealth, racial/ethnic composition, and number of students interested in postsecondary education in the district.

Most recent studies of teacher effectiveness (see Table 2.1) have relied on estimates from longitudinal student-level data using either the contemporaneous valueadded model with fixed effects or the value-added gains model with fixed effects. In some cases, the models control for student fixed effects but not for teacher fixed effects. The studies rely on administrative data from school districts or states and have limited information on teacher qualifications and preparation. Table 2.1 compares the modeling approaches and results of seven recent studies of teacher quality.

Only two of the previous studies included data from middle school. Harris and Sass (2006a) examined how teacher qualifications and in-service training affected student achievement for grades $3^{\text {rd }}$ to $10^{\text {th }}$ in Florida. They estimated a value added gains model that controlled for student and teacher fixed effects. They found small effects of experience and educational background on teacher performance. In addition, they found that a teacher's college major or scholastic aptitude (SAT or ACT score) is unrelated to their classroom performance. On the other hand, Aaronson et al. (2008) looked at teacher quality and student achievement from $8^{\text {th }}$ grade to $9^{\text {th }}$ grade in Chicago public schools. They used a gain score approach with controls for student and teacher fixed effects. The results showed strong effects of teachers on student achievement, but that traditional measures of teacher qualifications like education, experience, and credential type have little effect on classroom results.

## 3. ECONOMETRIC METHODS AND DATA

## Modeling Issues

We estimate both a contemporaneous value-added and value-added gains specifications that include student and teacher fixed effects in the following reduced forms:

## Contemporaneous

$$
\begin{gather*}
\mathrm{Y}_{\mathrm{it}}=\mathrm{x}_{\mathrm{it}} \beta^{\mathrm{C}}+\mathrm{u}_{\mathrm{i}} \eta^{\mathrm{C}}+\mathrm{q}_{\mathrm{j}} \rho^{\mathrm{C}}+\alpha_{\mathrm{i}}^{\mathrm{C}}+\phi_{\mathrm{j}}^{\mathrm{C}}+\varepsilon^{\mathrm{C}}{ }_{\mathrm{it}}  \tag{1}\\
\text { Value-added } \\
\mathrm{Y}_{\mathrm{it}}-\mathrm{Y}_{\mathrm{it}-1}=\mathrm{x}_{\mathrm{it}} \beta^{\mathrm{C}}+\mathrm{u}_{\mathrm{i}} \eta^{\mathrm{C}}+\mathrm{q}_{\mathrm{j}} \rho^{\mathrm{C}}+\alpha^{\mathrm{C}}{ }_{\mathrm{i}}+\phi_{\mathrm{j}}^{\mathrm{C}}+\varepsilon^{\mathrm{C}}{ }_{\mathrm{it}}
\end{gather*}
$$

where $Y_{i t}$ is the test score (e.g. reading and math scores) of the student i in year t ; $\mathrm{x}_{\mathrm{it}}$ are time-variant individual observable characteristics (classroom characteristics); $u_{i}$ are time-invariant individual observable characteristics (gender, race, parent's education, special attitudes and needs); $q_{j}$ are time-invariant observable characteristics of the jth teacher (gender, licensure test scores, education, experience); $\alpha^{\mathrm{A}} ; \mathrm{A}=\mathrm{C}, \mathrm{G}$ are individual time-invariant unobservables and $\phi^{\mathrm{A}} \mathrm{j} ; \mathrm{A}=\mathrm{C}, \mathrm{G}$ are teacher time-invariant unobservables. Finally, $\varepsilon^{\mathrm{A}} \mathrm{it} ; \mathrm{A}=\mathrm{C}, \mathrm{G}$ contains individual and teacher time variant unobserved characteristics. ${ }^{1}$

An alternative specification to the Value-added Gains model, described above, that we will also estimate introduces the lagged test score as an explanatory variable rather than assuming that its coefficient is one and move it to the left hand side:

[^0]$$
\mathrm{Y}_{\mathrm{it}}=\mathrm{Y}_{\mathrm{it}-1} \beta_{0}^{L}+\mathrm{x}_{\mathrm{it}} \beta_{1}^{L}+\mathrm{u}_{\mathrm{i}} \eta^{L}+\mathrm{q}_{\mathrm{j}} \rho^{L}+\alpha_{\mathrm{i}}^{L}+\phi_{\mathrm{j}}^{L}+\varepsilon_{\mathrm{it}}^{L}
$$

Although estimation of this model may seem more appealing than the one of the model presented in (2), given that it is a more general model, in practice the estimation is more complicated and it requires the availability of at least three waves of data as it will be explained below.

Both teachers and students enter and exit the panel so, we have an unbalanced panel. Students also change teachers (generally from year to year). This is crucial, because fixed effects are identified only by the students who change teachers. It is assumed that $\varepsilon_{i t}$ is strictly exogenous. That is, student's assignments to teachers are independent of $\varepsilon_{i t}$. Note, according to this assumption, assignment of students to teachers may be a function of the observables and the time-invariant unobservables.

It is usual to assume that the unobserved heterogeneity terms $\left(\alpha^{\mathrm{A}} \mathrm{i} ; \mathrm{A}=\mathrm{C}, \mathrm{G}\right.$ and $\phi^{\mathrm{A}}$; $\mathrm{A}=\mathrm{C}, \mathrm{G}$ ) are correlated with the observables (due to student unobserved heterogeneity, teacher unobserved heterogeneity and non-random assignment of students to teachers). Thus, random effect methods are inconsistent and fixed effect methods are needed. In this case, the coefficients of students and teachers' time invariant observed characteristics ( $\rho^{A}$ and $\eta^{A} ; A=C, G$ ) are not identified separately from the unobserved heterogeneity terms. Given that the objective of this paper is to asses the role of such observed teacher characteristics on determining student performance, rather than dropping the variables $u_{i}$ and $q_{j}$, we define:

$$
\begin{gather*}
\psi_{j}^{A}=\phi_{j}^{A}+\mathrm{q}_{\mathrm{j}} \rho^{\mathrm{A}}  \tag{3}\\
\theta_{i}^{A}=\alpha_{i}^{A}+\mathrm{u}_{\mathrm{i}} \eta^{A} \tag{4}
\end{gather*}
$$

Then, we estimate the models in two steps. In a first step we estimate the following equations using fixed effects methods:

## Contemporaneous Value-added

$$
\begin{equation*}
\mathrm{Y}_{\mathrm{it}}=\mathrm{x}_{\mathrm{it}} \beta^{\mathrm{C}}+\theta_{i}^{C}+\psi_{j}^{C}+\varepsilon_{i t}^{C} \tag{5}
\end{equation*}
$$

## Value-added Gains Models

$$
\begin{gather*}
\mathrm{Y}_{i t}-\mathrm{Y}_{\mathrm{it}-1}=\mathrm{x}_{\mathrm{it}} \beta^{G}+\theta_{i}^{G}+\psi_{j}^{G}+\varepsilon_{i t}^{G}  \tag{6}\\
\mathrm{Y}_{\mathrm{it}}=\mathrm{Y}_{\mathrm{it}-1} \beta_{0}^{L}+\mathrm{x}_{\mathrm{it}} \beta_{1}^{L}+\theta_{i}^{L}+\psi_{j}^{L}+\varepsilon^{L}{ }_{\mathrm{it}} \tag{7}
\end{gather*}
$$

Then, in a second-stage regression we evaluate the ability of a rich set of observable teacher qualifications to predict teacher quality ( $\left.\psi^{A}{ }_{j} ; A=C, G\right)$. Many of the observable teacher characteristics considered in this analysis are important determinants of teacher recruitment, retention and salaries decisions. In the same manner, we also analyze the ability of observable student characteristics to predict the student ability term $\left(\theta_{i}^{4}\right)$. Causal interpretation of the coefficients in these second step regressions would need the additional assumptions that $\operatorname{Cov}\left(\mathrm{u}_{\mathrm{i}}, \alpha^{A}{ }_{i}\right)=\operatorname{Cov}\left(\mathrm{q}_{\mathrm{i}}, \phi^{A}{ }_{j}\right)=0$. As explained below, this assumption is unlikely to be satisfied in this context. Thus, our second step estimates should not be interpreted as causal effects but as measures of the correlation between observed characteristics and the teacher quality and student ability terms. Finally, our dependent variables in these second step regressions are statistical estimates of the true measures of teacher quality and student ability $\left(\psi_{j}^{A}\right.$ and $\left.\theta_{i}^{A}\right)$ and as such they are measured with error. Thus, to obtain efficient estimates of the parameters we perform Feasible Generalized Least Squares (FGLS) regressions where the weights are computed following Borjas (1987).

A practical problem in estimating equations ( 5,6 and 7 ) is that there is no straight forward algebraic transformation of the observables that allow us estimate these equations and easily recover the estimates of the students and teachers' fixed effects. ${ }^{2}$ Abowd et al. (1999), in an application for employer- employee data, propose to explicitly including dummy variables for employer heterogeneity and sweeping out the employee heterogeneity algebraically. They proved that this approach gives the same solution as the Least Squares Dummy Variables estimator for fixed effects panel data models. However, this method leads to computational difficulties because the software needs to invert a $(\mathrm{K}+\mathrm{J}) \times(\mathrm{K}+\mathrm{J})$ matrix and store a lot of information. K refers to the total number of explanatory variables while J is the total number of teachers. Thus, we estimate the models in equations (5) and (6) using a preconditioned conjugate gradient method described in Abowd, Creecy \& Kramarz (2002). ${ }^{3}$ Guimaraes and Portugal (2009) proposed an alternative approach to estimation using a simple to implement iterative procedure that can be easily extended to alternative specifications of the model.

In addition to previous computational difficulties, estimation of equation (7) has the additional complication that taking differences to eliminate the student fixed effects will lead to correlation of the differenced lagged score $\left(\mathrm{Y}_{\mathrm{it}-1}-\mathrm{Y}_{\mathrm{it}-2}\right)$ and the differenced error term $\left(\varepsilon^{L}{ }_{\mathrm{it}}-\varepsilon^{L}{ }_{\mathrm{it}-1}\right)$. Anderson and Hsiao (1981) proposed using an instrumental variable estimator with $\mathrm{Y}_{\mathrm{it}-2}$ as an instrument for $\left(\mathrm{Y}_{\mathrm{it}-1}-\mathrm{Y}_{\mathrm{it}-2}\right)$. This is a valid method since $\mathrm{Y}_{\mathrm{it}-2}$ is not correlated with $\left(\varepsilon^{L}{ }_{\mathrm{it}}-\varepsilon_{\mathrm{it}-1}^{L}\right)$, assuming the errors are not serially

[^1]correlated. This is the approach we follow to obtain estimates of equation (7). In particular, we follow Guimaraes and Portugal (2009) proposed routine for estimating models with high dimensional fixed effects and obtain instrumental variable estimates of equation (7) using $\mathrm{Y}_{\mathrm{it}-2}$ as instrument. ${ }^{4}$

Other potential data problems include, sample selection and attrition. Sample selection is due to the fact that we only observe teachers who passed their licensure exams. Although we acknowledge that the results we obtain are not representative for the whole population of potential teachers, they are for those teachers who are deemed eligible to teach. In this sense, we still believe the estimates we obtain in this population are the most relevant ones because these are the teachers who effectively will be participating in the educational system. On the other hand, literature suggests that more qualified teachers are more likely to leave the profession sooner (See e.g. Goldhaber, 2007). This phenomenon constitutes another source of potential bias. As a specification check, we estimated our models for teachers with less than 6 years of teaching experience, and the results did not differ from the ones for the whole sample. As a result, only the results corresponding to the complete sample are presented in the next sections.

## Data Issues

## Student Achievement Data

This study is based on panel data from the Los Angeles Unified School District
(LAUSD) for students in grades 6 through 8 for eight consecutive school years from 2000

[^2]to 2007. In the gains models, we also included $5^{\text {th }}$ grade test scores, so we could compute gains for $6^{\text {th }}, 7^{\text {th }}$, and $8^{\text {th }}$ grades, and $4^{\text {th }}$ grade to use as an additional instrumental variable for the estimates following Anderson and Hsiao (1981). Student and teacher data are linked by an identifying variable. ${ }^{5}$

This matched LAUSD student/teacher data are unusual in student achievement analysis. Districts often maintain separate administrative records for teachers and have difficulty linking students to individual teachers. Rivkin et al. (2005) are not able to match individual teachers with students and rely on the average characteristics of teachers in each grade and year for their study. Similarly, North Carolina data links students with the individual who proctored the test and not necessarily the student's teacher. Clotfelter et al. (2007) rely on an imputation strategy to link students with their classroom teacher. The authors were able to match about 75 percent of elementary math and reading teachers.

LAUSD is a large, diverse urban school district. Annual enrollment is about 730,000 students in over 800 schools. ${ }^{6}$ Our data set includes individual student records for about 400,000 students per year at about 150 middle schools. Table 3.1 shows that 72 percent of students are Hispanic, 11 percent are black, 10 percent are white/non-Hispanic, and 7 percent are Asian/Pacific Islander. 29 percent of the students are classified as Limited English Proficient (LEP). About 75 percent of students are eligible for the free/reduced lunch program. While 18 percent of students have parents who graduated

[^3]from high school, another 17 percent of students have a parent with a college or graduate school degree.

LAUSD middle schools are struggling to meet achievement goals set by the No Child Left Behind (NCLB) Act of 2001. Under NCLB, schools are designated at eligible for special Title I funding if 40 percent of their students are low income. All middle schools in LAUSD are Title I eligible. Title I schools are designated at Program Improvement (PI) schools if they fail to make adequate yearly progress towards meeting state achievement standards for two consecutive years. Under PI, NCLB requires schools to provide various options to parents including transfers to other schools, supplemental educational services for students, and restructuring. In 2007 (see Figure 3.1), 87 percent of LAUSD middle schools were in PI status, and 45 percent of district schools had been in PI status for 5 or more years.

Student achievement is measured on the California Standards Test (CST), in reading and math. The CST is aligned with state curriculum standards and reflects the material covered in the respective middle school courses. CST raw scores are normalized by grade and year, so our models are based on a continuous linear scale.

## Teacher Characteristics and California Licensure Test Data

The middle LAUSD teacher workforce is diverse and experienced. The average teaching tenure is 7 years for English teachers and 6 years for math teachers, but the distributions are skewed with the median being in 3 years of experience. Half of the teachers are women. The race/ethnic distribution of teachers is 46 percent white nonHispanic, 24 percent Hispanic, 16 percent black, and 14 percent Asian. About 19 percent of the teachers have a master's degree, but only 2 percent has a doctorate.

California requires new teachers to pass up to three tests as part of state certification procedures (Le and Buddin, 2005):

- General Aptitude or Basic Skills. The California Basic Educational Skills Test (CBEST) is generally given before admission to a teacher preparation program. The test focuses on proficiency in reading, writing, and mathematics.
- Subject-Matter Knowledge. Each candidate is required to show competence in the material that they will be authorized to teach. The California Subject Examinations for Teachers (CSET) are divided into two groups: a multiple subject exam for elementary school teachers and a single subject exam for middle and secondary school teachers. These skills are acquired in subject-matter departments and outside of teacher preparation programs. ${ }^{7}$
- Reading Pedagogy. The Reading Instruction Competence Assessment (RICA) is required for all elementary school teachers. This is the only licensure test that specifically assesses skills that are learned through professional teacher preparation programs.

Although middle schools are traditionally considered as serving secondary students, in the past decade, they have increasingly hired teachers holding a multiplesubject credential. Multiple subject holders cannot be assigned by schools to teach a full day of classes in a unique subject, but they can be assigned to daily schedules in which a teacher is responsible for up to three consecutive "core classes" that encompass two subjects (e.g. Science and math). As a result, an increasing number of middle school

[^4]students are taught by teachers whose subject-matter competence has been assessed in relation to the typical curriculum in elementary school. In our sample 42 per cent of middle school ELA teachers and 53 per cent of math middle school teachers hold an elementary school credential.

All teacher candidates must take the general aptitude test. The first-time pass rates are 81 percent for white non-Hispanic teaching candidates but only 44 and 53 percent for Black and Hispanic candidates (Jacobson and Suckow, 2006). After retesting, the pass rates increase substantially, and the race/ethnic gap in pass rates narrows considerably. This suggests that many candidates may improve their skills and preparation to meet the pass criterion or test familiarity boosts scores. The cumulative pass rates are 93,69 , and 77 for white non-Hispanics, Blacks, and Hispanics, respectively. Many candidates may be discouraged by failing one of the tests, however, and lose interest in teaching.

The reading pedagogy test is required for the elementary school credential. But still, in our sample, approximately 5 percent of English and Math middle school teachers without elementary school credentials have reading pedagogy licensure scores. The firsttime pass rates on this test are 88,67 , and 72 for white non-Hispanic, Black, and Hispanic candidates, respectively. As before, this gap closes substantially for cumulative rates after some candidates retest.

Subject-matter qualification differs for elementary and secondary credentials. Elementary credentials are based on passing the multi-subject version of CSET. The firsttime pass rates are 81,48 , and 60 percent for white non-Hispanic, Black, and Hispanic candidates.

Secondary credentials are based on single-subject versions of CSET. We focus on ELA and math teachers, since CST measure student achievement in these subjects each year. The pass rates on these exams are much lower than for the multiple-subject exams. In English, the first-time pass rates are 66, 36 and 49 percent for white non-Hispanics, Blacks, and Hispanics. In math, the first-time pass rates are 44, 22, and 29 percent.

As might be expected, higher licensure scores are associated with better academic success in college. Teaching candidates with a B average or better in college have firsttime pass rates on the aptitude test of 78 percent as compared with only 54 percent for others (Jacobson and Suckow, 2006). Similarly, better students consistently have high scores on the subject matter and pedagogy exams.

Licensure test scores are collected by the California Commission on Teacher Credentialing as part of teacher certification procedures. Individuals are informed of their passing status on tests. Districts are not informed of licensure test scores, but they are informed when a teacher completes certification requirements for a multiple-subject credential (elementary school teachers) or single-subject credential (middle- and highschool teacher).

We worked with the California State University (CSU), Chancellor's Office, to obtain teacher licensure scores for seven cohorts of teachers from the CSU system (years 2000 through 2006). The file includes licensure scores for about 62,000 teaching candidates. Separate scores are recorded on a basic skills test, subject area tests, and reading pedagogy. The file contains information on failed exams, so we know whether a teacher needed to retake one or more exams as part of the certification process.

The CSU licensure data are available for around 18 per cent of the LAUSD middle school teachers. This low match rate reflects two key factors. First, most teachers in the district received their certification before 2000 and have been teaching for some time. The match rate rises to around 23 percent for teachers in their first three years of teaching. Second, CSU only has access for licensure scores for candidates from their various campuses and not from the entire state. About 50 percent of California teaching certificate completers are affiliated with a CSU campus. We were unable to obtain additional licensure information from either the California Commission on Teacher Credentialing or other campuses.

Several different methods were used in the empirical analysis to handle the missing information on licensure test scores. In each approach, stage 1 regressions are estimated as described above on the entire sample. The adjustment for missing licensure data occurs in stage 2 using data on estimated teacher effects in reading and math.

- Multiple imputation. This approach imputes licensure scores from other teacher characteristics and estimated teacher effects in reading and math. Multiple datasets are created with different imputed values, and final parameters estimates are blended from regressions on each dataset. The methods rely on assumptions such as Missing at Random or Missing Completely at Random that are made on the conditional distributions of the licensure score variables. ${ }^{8}$ We are concerned that this approach is not well suited to our situations where we have large proportions of missing variables, and we would rather prefer not to make assumptions about their (conditional) distributions.

[^5]- Dropping records with missing teacher data. In this approach, we estimate stage 2 entirely on matched CSU teachers. The results show whether licensure scores for recent CSU teaching graduates are significantly related to student achievement in each teacher's classroom. We are concerned that this approach focuses on the CSU sample of young teachers and ignores the other teachers. The broader group of teachers would provide more information on how other teacher characteristics affect student achievement.
- Missing dummy variables. A common missing value adjustment consists of setting the value of the missing covariate to an arbitrary fixed value (zero) and, adding dummy variables for "missings."

The main analysis results reported below rely on the missing dummy variable approach. We also estimated various models with the missing multiple imputation and "dropped records" approaches, and these results were similar to those reported below.

## Patterns of Student and Teacher Characteristics across Middle Schools

The composition of LAUSD middle schools varies substantially across the district. Table 3.2 shows simple differences in the student and teacher characteristics for low- and high-performing middle schools. Schools in the lowest achievement quartile in 2007 had average reading and math scores nearly a full standard deviation lower than schools in the highest quartile. The low-performing schools were nearly 50 percent larger than the high-performing schools. The low-performing schools have disproportionate shares of Black, Hispanic, LEP, and low-SES students.

The teacher mix also varies substantial across low- and high-performing schools. Teachers in low-performing schools have less experience, fewer advanced degrees, and
slightly lower aptitude on their licensure exams. Black and Hispanic teachers are much more common in low-performing middle schools. Finally, only 28 percent of teachers in the lowest achievement quartile schools have elementary credentials as compared with 48 percent in the highest quartile.

The teacher assignment patterns hint that differences in student achievement might be related to lower quality teachers being assigned to schools with more at-risk students. The patterns show that the schools with the most at-risk students have newer teachers, fewer teachers with advanced degrees, and more teachers with lower teacher licensure test scores. The next section will begin to disentangle how these teacher characteristics translate into student achievement outcomes.

## Classroom scheduling

Middle school students move from teacher to teacher for different subjects in departmentalized classrooms. In contrast, elementary school students are taught multiple subjects by the same teacher in self-contained classrooms. The departmentalized structure of middle schools makes it easier to disentangle individual teacher contributions and classroom composition effects. Middle school teachers teach multiple sections of a course during an academic year. Thus, both the variation in class composition across sections at a point in time and the variation across cohorts of students taught by a given teacher over time serve as sources of identification of teacher and classroom composition variables.

Middle school students have multiple teachers and peers during the day, however, and this creates the additional challenge of identifying who are the relevant teacher and classroom peers. In this respect, previous researchers (e.g., Harris and Sass, 2006b) have sometimes restricted the sample of analysis to get a clearer measure (e.g. restricting the
analysis to math courses, students who are enrolled in only a single mathematics course and who have only one primary instructor).

In our analysis, we analyze both math and ELA courses and exploit information about the courses to asses who is the "relevant" teacher. In math, 89 percent of students take only one class per year with the same teacher, and we restrict our sample to this group of students and teachers. In ELA, about half of the students take multiple classes, and many of those students are enrolled in ELA as a Second Language (ESL) student. If the student only has one ELA teacher, then this teacher is designated as the "principal" ELA teacher. Our next priority is the core course for students with multiple courses or the highest level core course. Finally, for ESL students with no core ELA class, the "principal" ELA teacher is designated as the highest level ESL course.

Peer effect and classroom characteristics are computed as an average of the characteristics in the ELA and math courses taken over the year.

## 4. RESULTS

This section presents the results from the value-added models of student achievement. The results are divided into four subsections. The first examines the distribution of student and teacher quality across schools in the district. The second subsection shows the results of the stage 1 regressions for time-varying variables. Subsections three and four examine factors affecting teacher and student heterogeneity, respectively.

## Distribution of Teacher Quality Across Schools

Are "good" teachers concentrated in a few schools (presumably with few at-risk students), or are high-quality teachers distributed broadly across a variety of schools?

Table 4.1 shows the results of fixed effects regressions for unconditional models in gains that adjust only for grade and test year. The first model shows that student-to-student deviations in achievement are greater than teacher-to-teacher deviations. The second model in Table 4.1 shows a similar model that controls for student and school fixed effects. The magnitude of school deviations in the second model is much smaller than for teachers in the first model. These results show that high-quality teachers are dispersed across schools and not concentrated in a few schools.

These simple models provide a broad description of how student achievement varies across students and teachers. We now turn to models that decompose in more detail what student and teacher's factors are linked with stronger student achievement outcomes.

## Estimates of Value-Added Models

The results for the contemporaneous value-added model (levels) and the valueadded gains models (gains and Anderson-Hsiao) are reported in Table 4.2. The dependent variables are standardized scales scores by year and grade. Each model version controls for test year as well as for time-varying student and classroom characteristics. In addition, each specification includes student and teacher fixed effects. The time-varying factors consist of three types of components: class size, class peer composition, and student/teacher match variables. Peer effects measures are the proportion of different ethnicity groups and female students in the classroom. As explained in previous sections, the central problem with estimating the effect of these peer and match variables is that families may self-select their children into classrooms and schools depending on their children ability. Moreover, schools may assign their teachers to a given classroom
depending on its composition. As a result, these variables are potentially endogenous.
This is taken into account in our estimates including both student and teacher fixed effects allowing for correlation between them and the explanatory variables. ${ }^{9}$

The results in Table 4.2 are slightly different between reading and math but they are somewhat consistent across the different specifications. Class size is inversely related to reading scores and directly related to math score both in the levels and gains models, but both effects are very small. Opposite results are found in the Anderson-Hsiao specification. In the levels and Anderson-Hsiao specifications, the percentage of female students in the classroom has a positive effect on reading. The effect in math is however negative in the levels model and positive in the Anderson-Hsiao specification. These effects are insignificant in the gains model. The race/ethnic composition variables are generally significant with math achievement inversely related to the proportion of Black, Hispanic, and Asian/Pacific Islander students in the class. A surprising finding is that reading gain scores are positively related to the Black and Hispanic composition of classes in the gains model, and positively related to the proportion of Asian/Pacific Islander in the Anderson-Hsiao specification. Math scores are also found positively related to the proportion of Asian/Pacific Islander and Hispanic students in the AndersonHsiao specification.

[^6]The results provide little evidence that students have higher achievement levels if they are matched with a similar teacher. Dee (2005), Clotfelter et al. (2007), and Ouazad (2007) find that students do better academically when they are matched with a teacher of similar race/ethnicity or gender. Virtually most of the race/ethnic match variables are insignificant in Table 4.2. Only in the Anderson-Hsiao specification the match of Hispanic and Pacific/Islander teachers and students has a negative effect on reading scores and a positive effect on math scores. Female students do have higher reading and math scores when matched with a female teacher, but the magnitude of the effect is small.

In order to gain insight on the distribution of our estimates of teacher quality, Table 4.3 describes details of the distribution of empirical Bayes estimates of teacher fixed effects. The interquartile range (the $25^{\text {th }}$ to $75^{\text {th }}$ percentile) is about 0.13 to 0.28 points in levels, 0.2 to 0.39 points in gains, and 0.14 to 0.28 in the Anderson-Hsiao specification. The skewness measures indicate that in math scores the distribution of teacher fixed effects for the levels and gains models has slightly more mass probability in the left of the distribution than a normal distributed variable (skewness=0). On the other hand, the distribution of teacher fixed effects has slightly more mass probability in the right of the distribution than a normal distributed variable in the case of reading scores in these models. The opposite results are found for the Anderson-Hsiao specification. The kurtosis coefficients indicate that the distributions of teacher fixed effects have, in all cases, higher probability than a normally distributed variable of values near the mean.

## Teacher Quality and Observed Teacher Characteristics

Second-stage regressions are used to identify how time-invariant teacher characteristics affect student achievement in the classroom. Teacher characteristics include a set of dummies for teacher experience, gender, race/ethnicity, education level, teacher licensure scores and a dummy variable indicating if the teacher holds an elementary school credential. To avoid problems of multicollinearity and to provide a clearer interpretation of the results, different linear regression models are estimated including, as explanatory variables, each of the licensure test results both jointly and separately.

Tables 4.4 and 4.5 show the results for reading and math student test results obtained for the levels specification. Tables 4.6 and 4.7 and Tables 4.7 and 4.8 show the equivalent results for the gains and Anderson-Hsiao specifications, respectively. The teacher experience has no significant effect on reading scores in either model. Teachers with 4,5 or 6 years of experience have a higher student performance in math than more or less experienced teachers (the effect is only statistically significant in the levels and Anderson Hsiao specifications), but the magnitude of the effect is small. Female teachers have a positive and significant effect both in reading and in math for the specification in gains and in reading for the Anderson-Hsiao specification, but the effects are insignificant in the levels model. Teachers with masters or a doctorate degree do no better or worse in either reading or math than comparable teachers without advanced degrees. Students with Hispanic teachers perform worse in math than with a white non-Hispanic teacher in the levels and gains models. Hispanic teachers perform better in reading in the Anderson-Hsiao specification.

The teacher licensure scores have little if any effect on classroom student achievement. The CBEST, CSET, and RICA variables are all insignificant in the reading models. Only RICA has a positive and significant effect in math for the specification in levels and in reading for the specification in gains. However, teachers with an elementary school credential perform better in reading for all specifications and in math for the Anderson-Hsiao specification.

In Table 4.10, we examine whether teachers with elementary credentials are relatively better suited to handling high concentrations of LEP students than are teachers with secondary credentials. In order to do so, we allow the effect of having an elementary school credential to vary depending if the teacher regularly teaches a high proportion of LEP students or not. LEP students may require extra teacher attention and detract from teacher overall productivity in the classroom, so we also incorporated a control for having a high concentration of LEP students in the classroom. The results show that high concentrations of LEP students reduce reading scores but not math scores. Having an elementary school credential has a positive effect on achievement of groups that have a low proportion of LEP students. On the contrary, it has no effect on reading achievement if the proportion of LEP students is high and it can have a negative effect on math achievement.

## Student Quality and Observed Student Characteristics

Table 4.11 shows how observed student characteristics explain differences in unobserved student heterogeneity. The explanatory variables are gender, race/ethnicity, LEP indicator, whether the student receives free/reduced school lunch, parent's education variables, and indicators for students that are enrolled in a gifted or special education
program. The table includes reading and math specifications for the levels and gains models.

The level results show large differences in achievement scores across different student types. In general, black and Hispanic students have lower scores than nonHispanic white students. Asian/Pacific Islander students have higher performance in math than non-Hispanic white students. Girls do better in reading and worse in math than do boys. LEP students perform worse than non LEP students although the gap is higher in reading than in math.

Socioeconomic status is a strong predictor of student success in the levels model. Students in the free/reduced lunch program have lower scores in both reading and math. Parental education has a positive effect on reading and math scores, but the magnitude of the effect is smaller in math. Greater family wealth may affect students through greater resources in the home to complement schoolhouse learning. Alternatively, these parents may place greater emphasis on student learning or provide more support for their children. Finally, gifted and special education students have much different scores than other students and the effects have the expected sign.

One issue for the gains model is that little student-level heterogeneity remains after computing the gain score and remaining student effects reflect differences in growth rates for particular groups. The results show that black students have higher growth in math than white non-Hispanics. LEP students have higher growth both in reading and math than English proficient students-this may reflect students "catching up" as they become more proficient in English. Girls have higher growth rates than boys in reading but lower growth in math.

Socioeconomic status effects are smaller in gains than in levels. Free/reduced lunch students have higher growth in reading than others, but the growth effect is insignificant in math. Growth rates in reading are negatively related to parental education.

Finally, growth rates seem to be lower for gifted students and higher for special education students. The reasons for these effects are unclear. Perhaps gifted students enter the program after a very strong year and then regress to the mean. Special education students may be improving and learning to adapt to their problems. The gifted and special education programs are not a focus of this study, and further investigation is needed to sort out how and why these students have these achievement patterns.

## 5. Conclusions and Implications

Teacher quality is an important determinant of middle student achievement, but measured teacher qualifications and preparation explain little of the observed differences in student outcomes across teachers. Traditional measures of teacher quality like experience and advanced degrees are drivers of salaries, but these measures are largely unrelated to how well teachers perform in the classroom. Teachers with elementary credentials have slightly better outcomes than teachers with more specialized knowledge of ELA and math represented by secondary credentials. Student achievement is unrelated to how well teachers do on the licensure exams-measured teacher aptitude, subjectmatter knowledge, and pedagogical proficiency have no bearing on classroom success.

The weak effects of measured teacher qualifications have important implications for improving test scores in low-performing middle schools. Efforts to improve the teaching performance in these schools are unlikely to succeed, if they rely entirely on teacher experience, educational attainment, credential type, or licensure scores. A simple
reshuffling of teachers is unlikely to produce substantial achievement improvement in low-performing schools.

A limitation of the data is that licensure tests and teacher performance are available only for teachers who pass the tests. Licensure tests are designed to set minimum teaching proficiency standards. Potential teachers who fall below the cut scores on the licensure tests might indeed have worse classroom outcomes than teachers who ultimately surpass those cut scores.

Different test content might change the measured relationship with student achievement. Perhaps education experts should rethink the knowledge requirements for new teachers and develop tests that more accurately predict classroom performance. Different standards might restrict entry into the teacher profession, however, and have adverse consequences for teacher supply (Angrist and Guryan, 2003).

An alternative explanation for the weak effects of teacher quality measures on student achievement is that teaching effort is inversely related to those quality measures. More experienced or better educated or more skilled teachers (as measured by licensure exams) may inherently be better able to teach, but they may not persistently practice those abilities in the classroom. The current compensation system rewards measured teacher inputs and not performance per se. Perhaps this system provides too little incentive for the "best" teachers to deliver their best performance in the classroom on a consistent basis.

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Table 2.1—Summary of Panel Studies of Teacher Effectiveness

| Study/Data | Model specification | Heterogeneity |  | Observed teacher characteristics | Results |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Student Controls | Teacher Controls |  |  |
| Rivkin, Hanushek and Kain (2005); Texas, $4^{\text {th }}-6^{\text {th }}$ grades | Value Added Gains | Yes | No | Education and experience | Small effects |
| Jacob \& Lefgren (2008); Anonymous district, $2^{\text {nd }}-7^{\text {th }}$ grades | Value Added Gains, Contemporaneous value added | Yes | Yes | Education, experience, and principal assessments | Small effects |
| Harris \& Sass (2006a); Florida, $3^{\text {rd }}$ to 10 th grades | Value added Gains | Yes | Yes | Education, experience, inservice training, and scholastic aptitude | Small effects |
| Clotfelter, Ladd and Vigdor (2007); North Carolina, $3^{\text {rd }}$ to $5^{\text {th }}$ grades | Contemporaneous Value Added, Value Added Gains (with lagged score and model in gain scores). | Yes | No | Education, experience, licensure test results, national board certification, and quality of undergraduate institution | Positive effectsbigger in math than reading |
| Goldhaber (2007); North Carolina, $3^{\text {rd }}$ to $6^{\text {th }}$ grades | Value Added Gains (with lagged score and model in gain scores). | Yes | No | Education, experience, and licensure test results | Small effects |
| Aaronson, Barrow and Sander (2007); Chicago, $8^{\text {th }}-9^{\text {th }}$ grades | Value Added Gains (lagged score) | Yes | Yes | Education, experience, and certification type | No effects |
| Koedel \& Betts (2007); San Diego, $3^{\text {rd }}-5^{\text {th }}$ grades | Value Added Gains (with lagged score and model in gain scores). | Yes | Yes | Education, experience, and credential information | Small effects |

Table 3.1—Characteristics of Students

| Student Characteristic | Proportion |
| :--- | :---: |
| Black | 0.11 |
| Hispanic | 0.72 |
| Asian/Pacific Islander | 0.07 |
| Female | 0.51 |
| Limited English Proficiency | 0.29 |
| Free/reduced lunch | 0.75 |
| Highest Parental Education |  |
| High school diploma | 0.18 |
| Some college | 0.12 |
| College graduate | 0.12 |
| Some graduate school | 0.05 |



Figure 3.1—Program Improvement Status for LAUSD Middle Schools in 2007

| School Characteristic | Lowest <br> Quartile <br> Schools | Highest Quartile Schools |
| :---: | :---: | :---: |
| Enrollment | 2430 | 1641 |
| Student Characteristics |  |  |
| Reading (Standardized) | -0.36 | 0.50 |
| Math (Standardized) | -0.40 | 0.50 |
| Black | 0.19 | 0.13 |
| Hispanic | 0.79 | 0.52 |
| Limited English Proficiency | 0.37 | 0.14 |
| Parents Not High School Graduates | 0.48 | 0.20 |
| ELA \& Math Teacher Characteristics |  |  |
| Elementary Credential | 0.28 | 0.48 |
| Experience | 6.87 | 11.33 |
| Black | 0.21 | 0.05 |
| Hispanic | 0.29 | 0.18 |
| Master's/Doctorate | 0.25 | 0.33 |
| General Aptitude (Standardized) | -0.23 | -0.14 |

Table 4.1-Comparison of Student, Teacher, and School Fixed Effects

| School Fixed Effects |  |  |
| :--- | :---: | :---: |
| \#1. Student \& Teacher Fixed Effects | Math |  |
| Student $\left(\sigma_{\text {Student }}\right)$ | 0.26 | 0.40 |
| Teacher $\left(\sigma_{\text {Teacher }}\right)$ | 0.12 | 0.31 |
| \#2. Student \& School Fixed Effects |  |  |
| Student $\left(\sigma_{\text {Student }}\right)$ | 0.26 | 0.40 |
| School $\left(\sigma_{\text {School }}\right)$ | 0.07 | 0.19 |

# Table 4.2-Estimates of Contemporaneous Value-Added and Value-Added Gains Models 

| Variable | Levels |  | Gains |  | Anderson-Hsiao |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Reading | Math | Reading | Math | Reading | Math |
| Class Size | -0.00005* | 0.00035* | -0.00015* | 0.00029* | 0.00006* | -0.00020* |
|  | (0.00002) | (0.00003) | (0.00004) | (0.00006) | (0.00002) | (0.00003) |
| Percent Female in Class | 0.02223* | -0.03788* | 0.00366 | -0.01564 | 0.02606* | 0.13011* |
|  | (0.00977) | (0.01899) | (0.01852) | (0.0342) | (0.00805) | (0.01361) |
| Percent Black in Class | -0.0084 | -0.16265* | 0.10514* | -0.25815* | 0.01724 | 0.02461 |
|  | (0.01621) | (0.02648) | (0.03111) | (0.04756) | (0.01081) | (0.01716) |
| Percent Hispanic in Class | -0.03835* | -0.13032* | 0.10238* | -0.09826* | 0.00454 | 0.07715* |
|  | (0.01315) | (0.02118) | (0.02504) | (0.03752) | (0.00862) | (0.01364) |
| Percent Asian/Pacific Islander in Class | 0.01189 | -0.51639* | 0.07036 | -0.65772* | 0.05621* | 0.12398* |
|  | (0.02173) | (0.0348) | (0.04128) | (0.0617) | (0.01473) | (0.02342) |
| Hispanic Student \& Teacher | -0.00213 | 0.00711 | 0.00322 | 0.02604* | -0.00846* | 0.01218* |
|  | (0.00281) | (0.00687) | (0.0052) | (0.01205) | (0.00162) | (0.00242) |
| Black Student \& Teacher | 0.00185 | 0.00281 | 0.00887 | 0.00521 | 0.00783 | 0.00108 |
|  | (0.00459) | (0.00799) | (0.00885) | (0.01449) | (0.00422) | (0.00647) |
| Asian/Pacific Islander Student \& Teacher | -0.00121 | -0.0043 | -0.00973 | -0.01556 | -0.01689* | 0.04492* |
|  | (0.00701) | (0.00861) | (0.01302) | (0.01484) | (0.00837) | (0.01016) |
| Female Student \& Teacher | 0.00731* | 0.01178* | 0.00512 | 0.01992* | 0.01229* | 0.02720* |
|  | (0.00211) | (0.00335) | (0.00389) | (0.00585) | (0.00169) | (0.00252) |
| Lagged Test score |  |  |  |  | 0.14953* | 0.38904* |
|  |  |  |  |  | (0.00383) | (0.00576) |
| Number of Observations | 929628 | 797285 | 678989 | 463852 | 641470 | 470366 |
| Number of Students | 362327 | 380505 | 262687 | 183848 | 362659 | 310216 |
| Number of Teachers | 5047 | 3564 | 4538 | 3043 | 5004 | 3412 |

Table 4.3-Distributions of teacher effects

|  | Levels |  | Gains |  | Anderson-Hsiao |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Reading | Math | Reading | Math | Reading | Math |
| Mean | 0.341 | 0.227 | 0.659 | 0.224 | 0.011 | 0.021 |
| S.D | 0.123 | 0.261 | 0.186 | 0.345 | 0.122 | 0.254 |
| Skewness | -0.913 | 0.236 | -0.608 | 0.224 | 0.200 | -0.616 |
| Kurtosis | 8.103 | 6.749 | 5.989 | 6.175 | 4.463 | 8.885 |
|  |  |  |  |  |  |  |
| Percentile |  |  |  |  |  |  |
|  | $5 \%$ | 0.153 | -0.133 | 0.338 | -0.264 | -0.179 |
|  | $25 \%$ | 0.289 | 0.073 | 0.568 | 0.008 | -0.062 |
|  |  | 0.0 .346 |  |  |  |  |
|  | $50 \%$ | 0.356 | 0.203 | 0.672 | 0.201 | 0.008 |
|  | $75 \%$ | 0.420 | 0.361 | 0.769 | 0.401 | 0.082 |
|  | $95 \%$ | 0.542 | 0.684 | 0.928 | 0.832 | 0.215 |
|  | $99 \%$ | 0.700 | 0.985 | 1.091 | 1.215 | 0.353 |

## Table 4.4- Determinants of Teacher Unobserved Reading Heterogeneity in Levels Model

|  | ALL | CBEST | CSET | RICA |
| :--- | :--- | :--- | :--- | :--- |
| 0 or 1 year of teaching experience | 0.0078 | 0.0079 | 0.0074 | 0.0078 |
|  | $(0.0062)$ | $(0.0063)$ | $(0.0061)$ | $(0.0062)$ |
| 2 or 3 years of teaching experience | 0.0054 | 0.0055 | 0.0051 | 0.0053 |
|  | $(0.0069)$ | $(0.0069)$ | $(0.0069)$ | $(0.0069)$ |
| 4,5 or 6 years of teaching experience | -0.0016 | -0.0015 | -0.0020 | -0.0015 |
|  | $(0.0070)$ | $(0.0070)$ | $(0.0069)$ | $(0.0069)$ |
| Female teacher | 0.0067 | 0.0068 | 0.0068 | 0.0064 |
|  | $(0.0043)$ | $(0.0043)$ | $(0.0043)$ | $(0.0043)$ |
| Black/African American teacher | -0.0002 | -0.0004 | -0.0004 | -0.0004 |
|  | $(0.0064)$ | $(0.0064)$ | $(0.0064)$ | $(0.0064)$ |
| Hispanic teacher | $-0.0179^{*}$ | $-0.0186^{*}$ | $-0.0185^{*}$ | $-0.0188^{*}$ |
|  | $(0.0058)$ | $(0.0057)$ | $(0.0056)$ | $(0.0057)$ |
| Asian/Pacific Islander teacher | -0.0006 | -0.0003 | -0.0006 | -0.0004 |
|  | $(0.0075)$ | $(0.0075)$ | $(0.0074)$ | $(0.0075)$ |
| Teacher has MA or Ph.D | -0.0077 | -0.0075 | -0.0075 | -0.0075 |
|  | $(0.0050)$ | $(0.0050)$ | $(0.0050)$ | $(0.0050)$ |
| Teacher has elementary school credential | $0.0274^{*}$ | $0.0289^{*}$ | $0.0282^{*}$ | $0.0277^{*}$ |
|  | $(0.0055)$ | $(0.0050)$ | $(0.0051)$ | $(0.0053)$ |
| CBEST (standardized) | -0.0004 | 0.0031 |  |  |
| CBEST missing | $(0.0055)$ | $(0.0048)$ |  |  |
|  | 0.0092 | -0.0056 |  |  |
| CSET | $(0.0111)$ | $(0.0049)$ |  |  |
|  | 0.0046 |  | 0.0055 |  |
| CSET missing | $(0.0066)$ |  | $(0.0060)$ |  |
| RICA (standardized) | -0.0157 |  | $-0.0123^{*}$ |  |
| RICA missing | $(0.0131)$ |  | $(0.0053)$ |  |
| Constant | 0.0026 |  |  | 0.0049 |
| Adj.R-squared | $(0.0079)$ |  |  | $(0.0072)$ |
| Obs | -0.0078 |  |  | -0.0117 |
|  | $(0.0112)$ |  |  | $(0.0073)$ |
|  | $0.3507^{*}$ | $0.3414^{*}$ | $0.3482^{*}$ | $0.3482^{*}$ |
|  | $(0.0105)$ | $(0.0087)$ | $(0.0088)$ | $(0.0108)$ |
|  | 0.0140 | 0.0140 | 0.0146 | 0.0143 |
|  | 4941 | 4941 | 4941 | 4941 |

Note: Standard errors are in parenthesis. Standard errors are adjusted the fact that teachers are clustered within schools. An asterisk indicates significance at a $95 \%$ level.

Table 4.5- Determinants of Teacher Unobserved Math Heterogeneity in Levels Model

|  | ALL | CBEST | CSET | RICA |
| :--- | :--- | :--- | :--- | :--- |
| 0 or 1 year of teaching experience | -0.0017 | -0.0014 | -0.0021 | -0.0014 |
|  | $(0.0127)$ | $(0.0127)$ | $(0.0128)$ | $(0.0127)$ |
| 2 or 3 years of teaching experience | 0.0128 | 0.0125 | 0.0117 | 0.0129 |
|  | $(0.0154)$ | $(0.0154)$ | $(0.0155)$ | $(0.0154)$ |
| 4,5 or 6 years of teaching experience | $0.0412^{*}$ | $0.0419^{*}$ | $0.0415^{*}$ | $0.0413^{*}$ |
|  | $(0.0143)$ | $(0.0143)$ | $(0.0144)$ | $(0.0143)$ |
| Female teacher | 0.0133 | 0.0145 | 0.0142 | 0.0134 |
|  | $(0.0104)$ | $(0.0104)$ | $(0.0104)$ | $(0.0103)$ |
| Black/African American teacher | -0.0242 | -0.0245 | -0.0242 | -0.0237 |
|  | $(0.0166)$ | $(0.0166)$ | $(0.0168)$ | $(0.0168)$ |
| Hispanic teacher | $-0.0314^{*}$ | $-0.0322^{*}$ | $-0.0323^{*}$ | $-0.0306^{*}$ |
|  | $(0.0136)$ | $(0.0136)$ | $(0.0137)$ | $(0.0135)$ |
| Asian/Pacific Islander teacher | 0.0255 | 0.0246 | 0.025 | 0.0257 |
|  | $(0.0158)$ | $(0.0158)$ | $(0.0159)$ | $(0.0157)$ |
| Teacher has MA or Ph.D | -0.0050 | -0.0050 | -0.0046 | -0.0054 |
|  | $(0.0114)$ | $(0.0114)$ | $(0.0114)$ | $(0.0114)$ |
| Teacher has elementary school credential | -0.0100 | -0.0118 | -0.0117 | -0.0103 |
|  | $(0.0142)$ | $(0.0138)$ | $(0.0139)$ | $(0.0139)$ |
| CBEST (standardized) | -0.0093 | 0.0059 |  |  |
| CBEST missing | $(0.0139)$ | $(0.0115)$ |  |  |
|  | -0.0032 | 0.0043 |  |  |
| CSET | $(0.0250)$ | $(0.0120)$ |  |  |
|  | 0.0058 |  | 0.0143 |  |
| CSET missing | $(0.0143)$ |  | $(0.0116)$ |  |
| RICA (standardized) | -0.0053 |  | 0.0022 |  |
|  | $(0.0239)$ |  | $(0.0141)$ |  |
| RICA missing | $0.0369^{*}$ |  |  | $0.0348^{*}$ |
| Constant | $(0.0181)$ |  |  | $(0.0146)$ |
| Adj.R-squared | 0.0071 |  |  | -0.0006 |
| Obs | $(0.0246)$ |  |  | $(0.0142)$ |
|  | $0.2313^{*}$ | $0.2261^{*}$ | $0.2280^{*}$ | $0.2306^{*}$ |
|  | $(0.0210)$ | $(0.0187)$ | -0.0203 | $(0.0204)$ |
|  | 0.0072 | 0.0064 | 0.0066 | 0.0082 |
|  | 3431 | 3431 | 3431 | 3431 |

Note: Standard errors are in parenthesis. Standard errors are adjusted the fact that teachers are clustered within schools. An asterisk indicates significance at a 95\% level.

Table 4.6- Determinants of Teacher Unobserved Reading Heterogeneity in Gains Model

|  | ALL | CBEST | CSET | RICA |
| :--- | :--- | :--- | :--- | :--- |
| 0 or 1 year of teaching experience | -0.0086 | -0.0075 | -0.0061 | -0.0068 |
|  | $(0.0083)$ | $(0.0083)$ | $(0.0083)$ | $(0.0082)$ |
| 2 or 3 years of teaching experience | -0.0031 | -0.0028 | -0.0010 | -0.0014 |
|  | $(0.0093)$ | $(0.0093)$ | $(0.0094)$ | $(0.0091)$ |
| 4,5 or 6 years of teaching experience | -0.0118 | -0.0119 | -0.0106 | -0.0105 |
|  | $(0.0131)$ | $(0.0131)$ | $(0.0129)$ | $(0.0130)$ |
| Female teacher | $0.0162^{*}$ | $0.0175^{*}$ | $0.0179^{*}$ | $0.0162^{*}$ |
|  | $(0.0067)$ | $(0.0068)$ | $(0.0068)$ | $(0.0066)$ |
| Black/African American teacher | -0.0100 | -0.0105 | -0.0102 | -0.0095 |
|  | $(0.0112)$ | $(0.0112)$ | $(0.0112)$ | $(0.0111)$ |
| Hispanic teacher | 0.0005 | -0.0001 | 0.0028 | 0.0027 |
|  | $(0.0108)$ | $(0.0106)$ | $(0.0105)$ | $(0.0105)$ |
| Asian/Pacific Islander teacher | 0.0130 | 0.0131 | 0.0135 | 0.0136 |
|  | $(0.0130)$ | $(0.0129)$ | $(0.0129)$ | $(0.0129)$ |
| Teacher has MA or Ph.D | -0.0122 | -0.0117 | -0.0123 | -0.0129 |
|  | $(0.0068)$ | $(0.0069)$ | $(0.0070)$ | $(0.0069)$ |
| Teacher has elementary school credential | $0.0186^{*}$ | $0.0196^{*}$ | $0.0185^{*}$ | $0.0167^{*}$ |
|  | $(0.0075)$ | $(0.0070)$ | $(0.0069)$ | $(0.0072)$ |
| CBEST (standardized) | -0.0043 | 0.0062 |  |  |
| CBEST missing | $(0.0111)$ | $(0.0077)$ |  |  |
|  | -0.0255 | $-0.0268^{*}$ |  |  |
| CSET | $(0.0186)$ | $(0.0091)$ |  |  |
|  | 0.0039 |  | 0.0135 |  |
| CSET missing | $(0.0120)$ |  | $(0.0107)$ |  |
| RICA (standardized) | 0.0080 |  | $-0.0247^{*}$ |  |
|  | $(0.0223)$ |  | $(0.0110)$ |  |
| RICA missing | $0.0327^{*}$ |  |  | $0.0315^{*}$ |
| Constant | $(0.0147)$ |  |  | $(0.0134)$ |
| Adj.R-squared | -0.0178 |  |  | $-0.0355^{*}$ |
| Obs | $(0.0194)$ |  | $(0.0136)$ |  |
| N | $0.7165^{*}$ | $0.7064^{*}$ | $0.7046^{*}$ | $0.7176^{*}$ |
|  | $(0.0178)$ | $(0.0137)$ | $(0.0151)$ | $(0.0175)$ |
|  | 0.0067 | 0.0055 | 0.0048 | 0.0069 |
|  | 4446 | 4446 | 4446 | 4446 |

Note: Standard errors are in parenthesis. Standard errors are adjusted the fact that teachers are clustered within schools. An asterisk indicates significance at a $95 \%$ level.

Table 4.7- Determinants of Teacher Unobserved
Math Heterogeneity in Gains Model

|  | ALL | CBEST | CSET | RICA |
| :--- | :--- | :--- | :--- | :--- |
| 0 or 1 year of teaching experience | -0.0238 | -0.0222 | -0.0232 | -0.0224 |
|  | $(0.0190)$ | $(0.0190)$ | $(0.0187)$ | $(0.0190)$ |
| 2 or 3 years of teaching experience | -0.0209 | -0.0220 | -0.0216 | -0.0197 |
|  | $(0.0226)$ | $(0.0226)$ | $(0.0225)$ | $(0.0225)$ |
| 4,5 or 6 years of teaching experience | 0.0410 | 0.0416 | 0.0423 | 0.0417 |
|  | $(0.0215)$ | $(0.0214)$ | $(0.0215)$ | $(0.0213)$ |
| Female teacher | $0.0348^{*}$ | $0.0367^{*}$ | $0.0360^{*}$ | $0.0339^{*}$ |
|  | $(0.0168)$ | $(0.0169)$ | $(0.0168)$ | $(0.0167)$ |
| Black/African American teacher | -0.0286 | -0.0289 | -0.0293 | -0.0296 |
|  | $(0.0309)$ | $(0.0309)$ | $(0.0311)$ | $(0.0310)$ |
| Hispanic teacher | $-0.0494^{*}$ | $-0.0505^{*}$ | $-0.0509^{*}$ | $-0.0508^{*}$ |
|  | $(0.0203)$ | $(0.0201)$ | $(0.0199)$ | $(0.0197)$ |
| Asian/Pacific Islander teacher | 0.0123 | 0.0110 | 0.0116 | 0.0116 |
|  | $(0.0229)$ | $(0.0229)$ | $(0.0230)$ | $(0.0228)$ |
| Teacher has MA or Ph.D | -0.0153 | -0.0150 | -0.0147 | -0.0152 |
|  | $(0.0174)$ | $(0.0173)$ | $(0.0173)$ | $(0.0174)$ |
| Teacher has elementary school credential | 0.0329 | 0.0326 | 0.0311 | 0.0315 |
|  | $(0.0190)$ | $(0.0179)$ | $(0.0178)$ | $(0.0180)$ |
| CBEST (standardized) | 0.0006 | 0.0253 |  |  |
|  | $(0.0176)$ | $(0.0154)$ |  |  |
| CBEST missing | -0.0084 | -0.0091 |  |  |
|  | $(0.0306)$ | $(0.0152)$ |  |  |
| CSET | 0.0209 |  | 0.0383 |  |
|  | $(0.0231)$ |  | $(0.0213)$ |  |
| CSET missing | -0.0073 |  | -0.0113 |  |
| RICA (standardized) | $(0.0312)$ |  | $(0.0184)$ |  |
|  | 0.0528 |  |  | $0.0609^{*}$ |
| RICA missing | $(0.0267)$ |  |  | $(0.0236)$ |
| Constant | -0.0087 |  |  | -0.0240 |
| Adj.R-squared | $(0.0317)$ |  |  | $(0.0197)$ |
| Obs | $0.2423^{*}$ | $0.2261^{*}$ | $0.2295^{*}$ | $0.2439^{*}$ |
| N Stan | $(0.0301)$ | $(0.0253)$ | $(0.0261)$ | $(0.0297)$ |
|  | 0.0109 | 0.0100 | 0.0105 | 0.0119 |
|  | 2918 | 2918 | 2918 | 2918 |

Note: Standard errors are in parenthesis. Standard errors are adjusted the fact that teachers are clustered within schools. An asterisk indicates significance at a $95 \%$ level.

## Table 4.8- Determinants of Teacher Unobserved Reading Heterogeneity in Gains Model (Anderson-Hsiao)

|  | ALL | CBEST | CSET | RICA |
| :--- | :--- | :--- | :--- | :--- |
| 0 or 1 year of teacher experience | -0.0075 | -0.0081 | -0.0083 | -0.0081 |
|  | $(0.0069)$ | $(0.0070)$ | $(0.0069)$ | $(0.0068)$ |
| 2 or 3 years of teacher experience | -0.0084 | -0.0085 | -0.0090 | -0.0086 |
|  | $(0.0084)$ | $(0.0085)$ | $(0.0083)$ | $(0.0083)$ |
| 4,5 or 6 years of teacher experience | 0.0075 | 0.0074 | 0.0072 | 0.0072 |
|  | $(0.0098)$ | $(0.0097)$ | $(0.0095)$ | $(0.0096)$ |
| Female teacher | $0.0122^{*}$ | $0.0124^{*}$ | $0.0125^{*}$ | $0.0126^{*}$ |
|  | $(0.0053)$ | $(0.0053)$ | $(0.0052)$ | $(0.0052)$ |
| Black/African American teacher | -0.0119 | -0.0126 | -0.0120 | -0.0122 |
|  | $(0.0074)$ | $(0.0075)$ | $(0.0075)$ | $(0.0074)$ |
| Hispanic teacher | $0.0294^{*}$ | $0.0292^{*}$ | $0.0294^{*}$ | $0.0300^{*}$ |
|  | $(0.0076)$ | $(0.0077)$ | $(0.0075)$ | $(0.0076)$ |
| Asian/Pacific Islander teacher | 0.0059 | 0.0059 | 0.0060 | 0.0058 |
|  | $(0.0095)$ | $(0.0096)$ | $(0.0096)$ | $(0.0095)$ |
| Teacher has MA or Ph.D | -0.0015 | -0.0017 | -0.0014 | -0.0014 |
|  | $(0.0050)$ | $(0.0050)$ | $(0.0050)$ | $(0.0051)$ |
| Teacher has elementary school credential | $0.0219^{*}$ | $0.0246^{*}$ | $0.0225^{*}$ | $0.0231^{*}$ |
|  | $(0.0061)$ | $(0.0059)$ | $(0.0060)$ | $(0.0061)$ |
| CBEST (standardized) | -0.0026 | -0.0055 |  |  |
| CBEST missing | $(0.0065)$ | $(0.0062)$ |  |  |
|  | 0.0065 | -0.0064 |  |  |
| CSET (standarized) | $(0.0089)$ | $(0.0066)$ |  |  |
| CSET missing | -0.0061 |  | -0.0089 |  |
| RICA (standarized) | $(0.0098)$ |  | $(0.0103)$ |  |
|  | -0.0108 |  | -0.0166 |  |
| RICA missing | $(0.0200)$ |  | $(0.0090)$ |  |
| Constant | -0.0027 |  |  | -0.0059 |
| Adj.R-squared | $(0.0101)$ |  |  | $(0.0099)$ |
| Obs | -0.0129 |  |  | -0.0157 |

Note: Standard errors are in parenthesis. Standard errors are adjusted the fact that teachers are clustered within schools. An asterisk indicates significance at a $95 \%$ level.

Table 4.9- Determinants of Teacher Unobserved Math Heterogeneity in Gains Model (Anderson-Hsiao)

|  | ALL | CBEST | CSET | RICA |
| :--- | :--- | :--- | :--- | :--- |
| 0 or 1 year of teacher experience | $0.0299^{*}$ | $0.0310^{*}$ | $0.0317^{*}$ | $0.0300^{*}$ |
|  | $(0.0138)$ | $(0.0139)$ | $(0.0140)$ | $(0.0138)$ |
| 2 or 3 years of teaching experience | 0.0324 | 0.0327 | $0.0337^{*}$ | 0.0321 |
|  | $(0.0167)$ | $(0.0166)$ | $(0.0166)$ | $(0.0167)$ |
| 4,5 or 6 years of teaching experience | $0.0620^{*}$ | $0.0621^{*}$ | $0.0632^{*}$ | $0.0625^{*}$ |
|  | $(0.0175)$ | $(0.0175)$ | $(0.0178)$ | $(0.0177)$ |
| Female teacher | 0.0157 | 0.0154 | 0.0154 | 0.0167 |
|  | $(0.0140)$ | $(0.0138)$ | $(0.0140)$ | $(0.0139)$ |
| Black/African American teacher | -0.0317 | -0.0327 | -0.0310 | -0.0298 |
|  | $(0.0173)$ | $(0.0172)$ | $(0.0171)$ | $(0.0172)$ |
| Hispanic teacher | -0.0031 | -0.0052 | -0.0018 | 0.0001 |
|  | $(0.0121)$ | $(0.0121)$ | $(0.0118)$ | $(0.0119)$ |
| Asian/Pacific Islander teacher | -0.0294 | $-0.0312^{*}$ | $-0.0299^{*}$ | -0.0292 |
|  | $(0.0149)$ | $(0.0150)$ | $(0.0150)$ | $(0.0150)$ |
| Teacher has MA or Ph.D | 0.0003 | 0.0002 | -0.0014 | -0.0013 |
|  | $(0.0158)$ | $(0.0158)$ | $(0.0159)$ | $(0.0157)$ |
| Teacher has elementary school credential | $0.0837^{*}$ | $0.0817^{*}$ | $0.0813^{*}$ | $0.0820^{*}$ |
|  | $(0.0144)$ | $(0.0139)$ | $(0.0138)$ | $(0.0139)$ |
| CBEST (standardized) | -0.0257 | -0.0088 |  |  |
| CBEST missing | $(0.0156)$ | $(0.0131)$ |  |  |
|  | -0.0185 | -0.0156 |  |  |
| RICA (standardized) | $(0.0262)$ | $(0.0142)$ |  |  |
|  | 0.0122 |  | 0.0116 |  |
| RICA missing | $(0.0190)$ |  | $(0.0159)$ |  |
| CSET (standarized) | 0.0172 |  | -0.0144 |  |
|  | $(0.0236)$ |  | $(0.0150)$ |  |
| CSET missing | $0.0313^{*}$ |  |  | 0.0228 |
| Constant | $(0.0152)$ |  |  | $(0.0137)$ |
| Adj.R-squared | -0.0146 |  |  | -0.0174 |
| Obs | $(0.0261)$ |  |  | $(0.0158)$ |
|  | -0.0355 | -0.0343 | -0.0349 | -0.0335 |
|  | $(0.0229)$ | $(0.0212)$ | $(0.0233)$ | $(0.0216)$ |
|  | 0.0274 | 0.0271 | 0.0267 | 0.0276 |
|  | 2784 | 2784 | 2784 | 2784 |

Note: Standard errors are in parenthesis. Standard errors are adjusted the fact that teachers are clustered within schools. An asterisk indicates significance at a $95 \%$ level.

Table 4.10 - Determinants of Teacher Unobserved
English and Math Heterogeneity in Levels Model

|  | Reading | Math |
| :---: | :---: | :---: |
| 0 or 1 year of teaching experience | 0.0086 | 0.0059 |
|  | (0.0060) | (0.0123) |
| 2 or 3 years of teaching experience | 0.0079 | 0.0192 |
|  | (0.0070) | (0.0146) |
| 4,5 or 6 years of teaching experience | 0.0006 | 0.0410* |
|  | (0.0070) | (0.0136) |
| Female teacher | 0.0049 | 0.0123 |
|  | (0.0043) | (0.0099) |
| Black/African American teacher | -0.0021 | -0.0288 |
|  | (0.0063) | (0.0161) |
| Hispanic teacher | -0.0089 | -0.0084 |
|  | (0.0054) | (0.0135) |
| Asian/Pacific Islander teacher | 0.0023 | 0.0252 |
|  | (0.0075) | (0.0146) |
| Teacher has MA or Ph.D | -0.0065 | -0.0019 |
|  | (0.0047) | (0.0113) |
| CBEST (standarized) | 0.0002 | -0.0126 |
|  | (0.0055) | (0.0142) |
| CBEST missing | 0.0099 | -0.0041 |
|  | (0.0107) | (0.0246) |
| RICA (standarized) | 0.0025 | 0.0296 |
|  | (0.0076) | (0.0175) |
| RICA missing | -0.0091 | 0.0019 |
|  | (0.0112) | (0.0239) |
| CSET (standarized) | 0.0034 | 0.0090 |
|  | (0.0067) | (0.0136) |
| CSET missing | -0.0173 | -0.0053 |
|  | (0.0127) | (0.0235) |
| Low \% of LEP (<20) | 0.0197* | 0.0180 |
|  | (0.0062) | (0.0175) |
| Elementary credential_Low \% of LEP | 0.0445* | 0.0594* |
|  | (0.0060) | (0.0181) |
| Elementary credential_High \% of LEP | 0.0080 | -0.0759* |
|  | (0.0074) | (0.0161) |
| Constant | 0.3436* | 0.2213* |
|  | (0.0110) | (0.0211) |
| Adj.R-squared | 0.0337 | 0.0491 |
| Obs | 4941 | 3431 |

Table 4.11- Determinants of Student Unobserved Reading and Math Heterogeneity in Levels and Gains Model

|  | Levels |  | Gains |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Reading | Math | Reading | Math |
| Student is female | 0.1533* | -0.0298* | 0.0399* | -0.0123* |
|  | (0.0037) | (0.0038) | (0.0012) | (0.0025) |
| Student receives free/reduced lunch | -0.1752* | -0.1067* | 0.0235* | 0.0158 |
|  | (0.0126) | (0.0132) | (0.0041) | (0.0090) |
| Parent is high school graduate | 0.0217* | -0.0189* | -0.0114* | -0.0051 |
|  | (0.0044) | (0.0050) | (0.0024) | (0.0042) |
| Parent has some college | 0.1054* | 0.0112 | -0.0157* | -0.0161* |
|  | (0.0070) | (0.0085) | (0.0032) | (0.0062) |
| Parent is college graduate | 0.1809* | 0.0348* | -0.0164* | -0.0489* |
|  | (0.0091) | (0.0122) | (0.0032) | (0.0085) |
| Parent has some graduate training | 0.3267* | 0.2309* | -0.0029 | -0.0429* |
|  | (0.0200) | (0.0208) | (0.0051) | (0.0156) |
| Parent education is missing | -0.0124 | -0.0511* | 0.0047 | -0.0227* |
|  | (0.0092) | (0.0122) | (0.0039) | (0.0100) |
| Student is gifted | 0.9854* | 1.0972* | -0.0001 | -0.1351* |
|  | (0.0156) | (0.0188) | (0.0054) | (0.0183) |
| Student in special education | -0.4558* | -0.3133* | 0.0061 | 0.0666* |
|  | (0.0121) | (0.0118) | (0.0042) | (0.0076) |
| LEP \& Hispanic | -0.7170* | -0.5028* | 0.0631* | 0.0900* |
|  | (0.0087) | (0.0129) | (0.0037) | (0.0080) |
| LEP \& Asian/Pacific Islander | -0.7453* | -0.3396* | 0.1412* | 0.1167* |
|  | (0.0301) | (0.0388) | (0.0131) | (0.0241) |
| Lep and other | -0.8240* | -0.4576* | 0.1221* | 0.1273* |
|  | (0.0384) | (0.0435) | (0.0090) | (0.0233) |
| Student is black | -0.6201* | -0.6675* | -0.0141 | 0.0498* |
|  | (0.0381) | (0.0395) | (0.0095) | (0.0180) |
| Student is Hispanic | -0.3473* | -0.3277* | -0.0080 | 0.0021 |
|  | (0.0215) | (0.0261) | (0.0080) | (0.0148) |
| student is Asian/Pacific Islander | 0.0174 | 0.2736* | 0.0174 | 0.0301 |
|  | (0.0273) | (0.0328) | (0.0123) | (0.0202) |
| Constant | 0.4598* | 0.4017* | -0.0480* | 0.0009 |
|  | (0.0251) | (0.0278) | (0.0100) | (0.0169) |
| Adj.R-squared | 0.5005 | 0.4195 | 0.0242 | 0.0390 |
| Obs | 362327 | 380505 | 262687 | 183848 |


[^0]:    ${ }^{1}$ We discuss modeling issues in more detail in our earlier paper on student achievement in elementary school (See Buddin and Zamarro, 2008 or Buddin and Zamarro, 2009).

[^1]:    ${ }^{2}$ See Abowd et al (1999) for a description of suitable methods to estimate models with two levels fixed effects in the context of linked employer-employee data.
    ${ }^{3}$ Amine Ouazad developed the STATA routine used for the estimation of equations (5) and (6). The software is available on the web at http://repository.ciser.cornell.edu/viewcvspublic/cg2/branches/stata/.

[^2]:    ${ }^{4}$ An alternative more efficient estimator method uses additional lags of the dependent variable as instruments (see Arellano and Bond (1991)). The model is then overidentified, so estimation should be by 2SLS or GMM methods. Given to computational difficulties derived from combination of these methods with high dimensional fixed effects we are not able to obtain estimates using these alternative methods.

[^3]:    ${ }^{5}$ For privacy reasons, all teacher and student data in our analysis have scrambled identifiers. This allows the tracking of students and teachers overtime without compromising the privacy of individuals in the analysis.
    ${ }^{6}$ By way of comparison, LAUSD enrollment is larger than enrollment in 28 states.

[^4]:    ${ }^{7}$ Prior to NCLB legislation in 2001, teaching candidates could demonstrate subject-matter knowledge by either passing the state mandated licensure test or by completing an approved subject matter preparation program. Under NCLB, candidates are required to pass a subject matter test.

[^5]:    ${ }^{8}$ See, e.g., Rubin (1996) for a description of Missing at Random and Missing Completely at Random assumptions and their application in imputing methods.

[^6]:    ${ }^{9}$ Most of the research on peer effects dealt with selection by controlling for observable variables, comparing siblings that experienced different schools, examining desegregation programs or estimating selection models (Angrist \& Lang, 2002). Other parts of the literature exploit the availability of policy or natural experiments to estimate peer effects (Zimmerman, 1999 and Sacerdote, 2000). Hoxby (2000) exploits the variation in adjacent cohorts' peer composition within a grade within a school that is idiosyncratic to estimate peer effects. Cullen and Jacob (2007) use lottery data to look at open enrollment effects for Chicago elementary school students. They find lottery winners are matched with higher quality peers in their new schools but their subsequent achievement scores are not higher than those of lottery losers.

