# Investigations on the Number of Trials Required for Statistical Comparison of Fishing Gears 

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The number of fishing trials required for comparing the efficiency of fishing gears was investigated. A unique solution to this problem did not appear to exist because of the heterogeneity of the experimental material. Sequential experimentation and analysis have been found to be a practical approach to this problem. By this, the experiment can be terminated utmost after 35 days' fishing for catches with standard error per unit as per cent of the mean about $30 \%$ or less (after logarithmic transformation). For data with mean catches less than 1.5 kg analysis of variance approach does not appear to be meaningful.

To compare the efficiency of fishing gears, one of the statistical designs used is the randomised block design where a block is constituted by consecutive hauls made in the same area on the same day. The fishing gears tested for their relative efficiencies form the treatments. For economy and to get quick results, the optimum number of trials are useful. Solution on the number of trials require information on the estimate of variance ( $\sigma$ ) in the population and a specification of the largest confidence interval to be tolerated or the smallest mean difference. Simple estimate of the sample size as well as estimates specifying the probability of success are given by Panse \& Sukhatme (1957), Snedecor (1961), Cochran \& Cox (1963) and Kempthorne (1967). Information on the variance is normally obtained from a previous experiment or from a knowledge of the range. Panse \& Sukhatme (1957) have stated that in the absence of information on the variability, the number of replications should be sufficient to ensure at least about 12 degrees of freedom (d.f) for error. Tables on the number of replications required for a given probability of obtaining a significant result have been given by Cochran \& Cox (1963). These numbers correspond to a range of 2 to 20 in the standard error per unit expressed as per cent of the mean. For large values of standard error as per cent of the mean, the number of replicates are to be worked out. Formula to work out the number of blocks relevant
to randomised block experiments has been given in Snedecor (1961). Results of an investigation conducted to estimate the optimum number of trials are reported in this communication.

## Materials and Methods

The present investigation on the number of replicates is an empirical study using three sets of data. The data were arranged sequentially for $10,15,20,25,30$ and 35 days. At each stage the number of blocks were estimated using the formula.

$$
\mathrm{b}=\frac{(\mathrm{Qa}, \mathrm{f})^{2}\left(\mathrm{~s}^{2}{ }_{\mathrm{o}}\right) \mathrm{Ff}, \mathrm{f}_{\mathrm{o}}}{\delta^{2}} \ldots
$$

given by Snedecor (1961). Here, ' $a$ ' is the number of treatments tested, $\mathrm{f}=(\mathrm{a}-1)$ (b-1) corresponding to a large value of $\mathrm{b}, \mathrm{S}_{\mathrm{o}}$, the standard error per unit (an estimate of $\sigma$ ), $\mathrm{f}_{\mathrm{o}}$, d.f. corresponding to the mean square $\mathrm{S}_{\circ}{ }^{2}$ and $\delta$, the least population difference in the means, the proposed experiment is expected to detect with $\mathrm{p}=0.75$. The values of $\mathrm{Qa}, \mathrm{f}$ and Ff , f orginally tabulated by May (1952) and Merrington \& Thompson (1943) respectively were taken from Snedecor (1961). For a given number of blocks $b$, the lowest differences in the means which the experiment would detect, were worked out from,

$$
\delta=\frac{\mathrm{Qa}, \mathrm{f}\left(\mathrm{~s}_{\mathrm{o}}\right) \sqrt{\mathrm{Ff}, \mathrm{f}_{\mathrm{o}}}}{\sqrt{\mathrm{~b}}} \ldots \ldots \ldots . .2
$$

The variation in the estimates of parameters when based on increasing number of blocks and also the relationship between some estimated parameters were studied graphically.

## Results and Discussion

The mean (m), $\mathrm{S}_{0}{ }^{2}$, standard error per unit as percent of the mean $\left(\frac{S_{o}}{m} \times 100\right)$ and b, estimated from consecutive trials of 10,15 ,

20, 25, 30 and 35 days (using MICRO 2200 of Hindustan Computers) after logarithmic transformation for the three sets are given in Table 1. The b's were estimated for detecting $20 \%$ or more difference in the means ( $\delta=20 \%$ of the mean) with $\mathrm{p}=0.75$. The standard error per unit as per cent of the mean ranged between 17 to $40 \%$ for the first set, 14 to $24 \%$ for the second and 53 to $74 \%$ for the third. Thus the experimental material appeared to be heterogeneous. From its relationship with the number of blocks used to estimate, the estimated number of blocks were found to be more stable and realistic for sets 1

Table 1. Showng the mean, standara error per unit, standard error per anit as percent of the mean and $b$, computed from $10,15,20,25,30$ and 35 days of fishing trials.
A. Set 1

| No. of <br> days | Mean <br> $(\mathrm{m})$ | Standard <br> error <br> per unit <br> (So) | Standard <br> error per <br> unit as <br> per cent of <br> the mean <br> (So/m x i00) | b | Significance of <br> difference <br> between <br> treatments |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 10 | 0.2756 | 0.10984 | 29.8 | 62 | NS |
| 15 | 0.4063 | 0.09561 | 23.5 | 21 | $*$ |
| 20 | 0.5435 | 0.99103 | 16.7 | 10 | $*$ |
| 25 | 0.6293 | 0.18425 | 29.3 | 30 | NS |
| 30 | 0.6699 | 0.20201 | 30.1 | 32 | NS |
| 35 | 0.7475 | 0.20059 | 26.8 | 25 | NS |

B. Set 2

| 10 | 0.4084 | 0.09767 | 23.9 | 23 | $*$ |
| ---: | ---: | ---: | ---: | ---: | ---: |
| 15 | 0.5401 | 0.09735 | 18.0 | 12 | $*$ |
| 20 | 0.6505 | 0.08962 | 13.8 | 7 | $* *$ |
| 25 | 0.6889 | 0.11922 | 17.3 | 11 | $* *$ |
| 30 | 0.7845 | 0.12506 | 15.9 | 9 | $*$ |
| 35 | 0.8471 | 0.14996 | 17.7 | 11 | $* *$ |

C. Set 3

| 10 | 0.3008 | 0.17570 | 58.4 | 133 | $*$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 15 | 0.2880 | 0.15193 | 52.7 | 103 | $* *$ |
| 20 | 0.2578 | 0.14743 | 57.2 | 116 | $* * *(\mathrm{P}<0.1)$ |
| 25 | 0.2375 | 0.13764 | 57.9 | 117 | $* * *(\mathrm{P}<0.1)$ |
| 30 | 0.2285 | 0.16174 | 70.8 | 173 | $* * *(\mathrm{P}<0.1)$ |
| 35 | 0.2391 | 0.17717 | 74.1 | 188 | $* * *(\mathrm{P}<0.1)$ |

$\mathrm{NS}=$ Not significant, $*=$ Significant at $5 \%$ level,
** $=$ Significant at $1 \%$ level, $* * *=$ Significant at $0.1 \%$ level
and 2 (Fig. 1). Set 3, for which the estimated numbers of blocks are larger, the estimates do not stabilize but increase


Fig. 1. Relation between estimated number of blocks and number of blocks used for estimation
with increasing number of blocks from which the estimates were made. Thus the large sample property of estimates was not found to be satisfied for this set within the available range of values. This is because


Fig. 2. Relation between standard error per unit as percentage of the mean and number of days
the estimated number of blocks increases with increase in the standard error per unit and as found from Fig. 2, the estimated standard error as per cent of the mean increases when the number of blocks (days),


Fig. 3. Kelation between estimated number of blocks and standard error per unit as percentage of the mean
from which this is estimated, increases. The standard error per unit as per cent of the mean are also relatively larger (above $50 \%$ for this set. To know how much larger the estimated number of blocks should be for larger increase in standard error per unit as per cent of the mean, figure 3 is employed. A common curve appears to adequately represent the three sets of data. The figure shows that for standard error larger than about $30 \%$ of the mean large number of blocks are required. For such sets of data (as in set 3), the estimation of number of blocks do not secm to be useful, because experiments requiring very large number of replications are not desirable from practical and economic points of view. Such data calls for other method of handling. As found from Fig. 4, larger standard errors per unit as per cent


Fig. 4. Relationship between mean catch and $S_{\circ}$ as per cent of the mean
of the mean are associated with smaller mean catches, the rate of increase in the former being rapid for decrease in the latter below a certain level. For instance, for the mean catch less than 0.4 ( 1.5 kg in original scale), the standard error as per cent goes above 40 . Thus, when the catch is very poor, standard error as per cent of the mean and consequently the number of blocks required becomes very large making the analysis of variance less meaningful. The fact that when the availability of fish in the exploited area is very poor, catches will not reflect the efficiency of gears supports this conclusion.

With variations in the number of blocks, changes in the level of significance of the difference in treatment effects could be observed (Table 1). For set 3, though the significance level was very high ( $\mathrm{P}<0.1$ ), the $\delta$-value computed from equation (2) for 35 blocks was $4.6 .1 \%$ of the mean showing that the experiment would detect only treatment effects as large as $46.1 \%$. But the corresponding $\delta$ - values for sets 1 and 2 were 16.7 and $11.0 \%$ of the mean respectively, which agree with the originally set $\delta$-value
of $20 \%$ or less. These results also support the observations made in the preceding paragraph.

In conclusion, as a practical procedure, the accumulated dara can be analysed sequentially at the ends of $10,15,20 \ldots \ldots$ days and depending on the standard error as per cent of the mean, a decision on the number of trials can be made with 35 days' trial. If the standard error per unit as per cent of the mean stabilizes at about $30 \%$ or below, the experiment can be stopped and the decision at this stage can be taken as conclusive. The population which gives rise to such sets of data is probably less affected by fluctuations in the availability of fish because the replenishment and removal balance the sub-populations in the exploited area. For such data, analysis of variance as applied to randomised block design can be reasonably attempted after logarithmic transformation. But when the catches are poor, say, with a mean catch less than 1.5 kg , standard error per unit will increase necessitating experimentation in very large number of blocks which would be impractical as well as uneconomical and analysis of variance approach would not be useful for such data.

Cochran \& Cox (1963) and Tippet (1952) have discussed the usefulness of sequential experimentation when the treatments can be applied to a unit in definite time sequence and when the process of measurement is very rapid so that the yield or response on any unit is known before the experimenter treats the next unit in the time sequence. It can be seen that these conditions are fully satisfied for fishing experiments. The sequential experimentation has also the advantage that the experimenter can stop the experiment and examine the accumulated results before deciding whether to continue the experiment or not.

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