

Performance of grid-connected solar photovoltaic power plants in the Middle East and North Africa

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ABSTRACT

A conceptual design study of a grid connected solar electric power system using PV array for a 5.3MW as nominal power required is presented. A Bird model has been used to estimate hourly, daily, monthly and yearly solar radiation amounts. ϕ - f -chart is a design method was chosen to simulate the fraction of the solar energy required for the load given the PV array areas and climatic conditions. Four cities in the Middle East and North Africa representing different locations at southern mediterranean region are selected Tripoli, Alexandria, Tunisia and Gaza city. Tripoli City has the best performance for 73% of nominal Power followed by Alexandria about 66% and then Gaza around 63%, Tunisia City has lowest solar fraction about 59% according to the Monthly and annual solar fraction Data.

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1. INTRODUCTION

Photovoltaic systems are the most promising renewable energy source in north Africa and Middle-East due to its abundant solar irradiation [1-3]. PV systems classified in three main types; stand-alone, hybrid and grid connected PV system as shown in Figure 1. Stand-alone pv systems required battery energy storage for DC mode or with inverter for AC mode but others without battery bank and linked directly to a load [4, 5]. hybrid PV system is composed of PV solar panels with other source of energy like wind farm, fuel cell or water turbines[4, 6-8]. Grid connected pv system is the best option that using PV panels directly with grid to supply any reduction in electrical energy from solar panel array with or without battery storage [4, 9, 10].

In grid- connected application, also called On-grid application such as a system the Photovoltaic array feed electrical energy directly into electrical grid (included central -grid and isolated grids) [11-13]. Batteries are not necessary when the system is grid-connected or on-grid. The selected application is installation of PV generators (PV array) by utilities at Power substation after that to central grid. This application can be on the threshold of cost competitiveness for PV depending in location. The benefits of grid can be on the threshold of cost competitiveness for PV depending in location. Also grid-connected PV power generation is generally evaluated based on its potential to reduce costs for energy production and generators (PV) are located at or near the site of electrical consumption. In addition, the utility can avoid or delay upgrades to transmission and distribution network where the average daily output of the PV system corresponds with the utility's peak demand period [14].

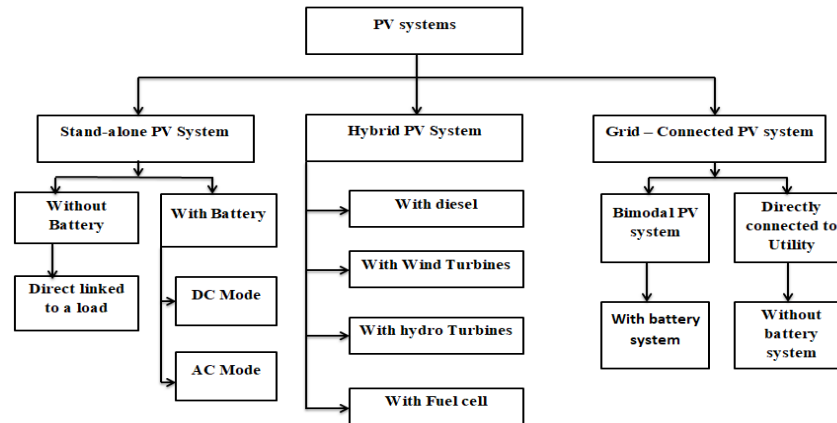


Figure 1. Classification of photovoltaic system

2. CONCEPTUAL DESIGN

The proposed power plant as shown in Figure 2 is composed of solar PV array and electrical inverters which are connected to conventional fossil fuel power plant (CFPP), electrical substation (ESS) and electrical power grid (EPG). Solar PV array is consisted of number of solar panels connected in parallel and series. The selected solar panel in this study has maximum efficiency about 19%, and its area is $1.580 \times 0.812 \text{ m}^2$ with maximum power equal to 245Watt where is available online in international Markets around 100\$. The system has multidimensional areas in different four options according to number of the used solar panel. Overall area of PV array equal to $80 \times 10^3 \text{ m}^2$ for 62500 solar panels, $60 \times 10^3 \text{ m}^2$ of 46875 solar panels, $40 \times 10^3 \text{ m}^2$ of 31250 solar panels and $20 \times 10^3 \text{ m}^2$ for 15625 solar panels.

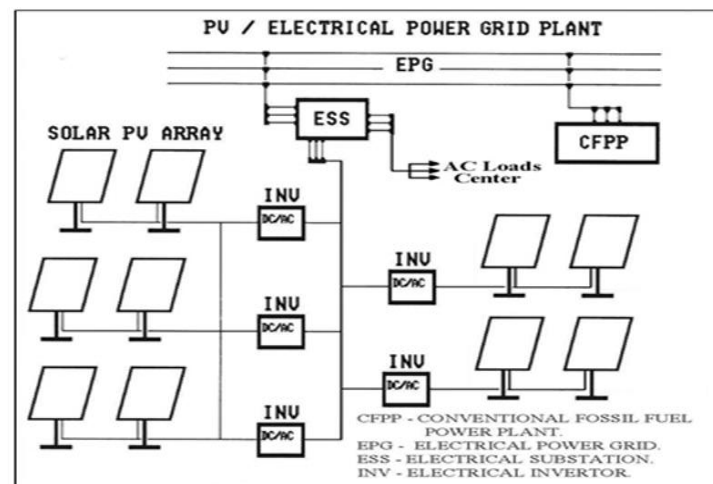


Figure 2. Schematic of proposed solar electrical power plant

3. MATHEMATICAL MODEL

The Bird Clear Sky Model, authored by Richard Bird, is a broadband algorithm which produces estimates of clear sky direct beam, hemispherical diffuse, and total hemispherical solar radiation on a horizontal surface. The equations composed of simple algebraic expressions with 10 user provided inputs. Model results should be expected to agree within $\pm 10\%$ with rigorous irradiative transfer codes. The model computes hourly average solar radiation for every hour of the year, based on the 10 user input parameters; however variable atmospheric parameters such as Aerosol Optical Depth, Ozone, Water vapor are fixed for the entire year.

The total amount of ozone I_o in the atmosphere as a vertical column is given in units of atmosphere given by [15]:

$$I_o = J_1 + [Ya + C \sin(D(n + F))] + G \sin[Z(\alpha + I)] \times \left[\sin^2(Yb * \Phi) \right] \quad (1)$$

For a homogeneous atmosphere was calculated by Kasten which provides an accuracy of 99.6% for zenith angles up to 89° [16]:

$$m = \left[\sin \gamma_s + 0.50572 \times (\gamma_s + 6.079)^{-1.6364} \right]^{-1} \quad (2)$$

A modified relationship for air mass has also been suggested by [17]:

$$m = \left[\sin \gamma_s + 0.00176759 \times (\gamma_s \times (94.37515 - \gamma_s))^{-1.21563} \right]^{-1} \quad (3)$$

The above equations are applicable to a standard pressure P_0 of 1013.25 mbar at sea level, for other pressures the air mass may be corrected as [18, 19]:

$$m' = m \times \left[\frac{P}{1013.25} \right] \quad (4)$$

where P is atmospheric pressure (in bar) at height H (metres above sea level). If P is not known an approximate formula due to may be used [20]:

$$\frac{P}{P_o} = \text{Exp}(-0.0001184 \times h) \quad (5)$$

According to Beer's law, the attenuation of light through a medium is proportional to the distance traversed in the medium and the local flux of radiation [18, 19]:

$$I_b = I_{so} \times \text{Exp}(-km) \quad (6)$$

I_{so} is computed by [19]:

$$I_{so} = 1367 \times [1 + 0.033 \cos(0.0172024n)] \times \sin \gamma_s \quad (7)$$

Defining the transmission coefficient previous equation written as:

$$I_b = I_{so} \times \tau \quad (8)$$

Ozone and water vapor transmittances are considered:

$$I_b = I_{so} \times \tau_r \times \tau_g \times \tau_\alpha \times \tau_0 \times \tau_w \quad (9)$$

The transmittance coefficient due to aerosol scattering written as [16]:

$$\tau_\alpha = \int_{\lambda=0.3\mu m}^{3\mu m} \tau_{\alpha\lambda} d\lambda = \int_{\lambda=0.3\mu m}^{3\mu m} \exp(-\beta\lambda^{-\alpha} m_\alpha) d\lambda \quad (10)$$

An alternate way of estimating τ_α is the relationship is given by:

$$k_\alpha = 0.2758k_{\alpha\tau=0.5\mu m} + 0.35k_{\alpha\tau=0.5\mu m} \quad (11)$$

$$\tau_\alpha = \exp[-k_\alpha^{COF(1)}(1 + k_\alpha - k_\alpha^{COF(2)})m^{COF(3)}] \quad (12)$$

Also according to Lacis and Hansen can calculated τ_o and x_o :

$$\tau_o = 1 - [0.1611 x_o (1 + 139.48x_o)^{-0.3035} - 0.002715 x_o (1 + 0.044x_o + 0.0003x_o^2)^{-1}] \quad (13)$$

$$x_o = I_o \times m \quad (14)$$

For transmittance of water vapour τ_w , transmittance of ozone absorptance τ_o and total amount of perceptible water x_w is calculated by relations:

$$\tau_w = COF(4) - COF(5)m' + COF(6)m'^2 - COF(6)m'^3 + COF(6)m'^4 \quad (15)$$

$$x_w = I_w \times m \quad (16)$$

$$\tau_g = \exp[-COF(13)m^{COF(14)}] \quad (17)$$

The clear-sky diffuse irradiance model is based on [21, 22]:

$$I_d = I_{so} \tau_{\alpha\alpha} \tau_g \tau_o \tau_w \left[\frac{0.5(1 - \tau_r)}{1 - m + m^{1.02}} + \frac{0.84(1 - \tau_{\alpha s})}{1 - m + m^{1.02}} \right] \quad (18)$$

For calculation of $\tau_{\alpha\alpha}$ and $\tau_{\alpha s}$ [22, 23]:

$$I_b = 1 - 0.1(1 - \tau_{\alpha}) (1 - m + m^{1.02}) \quad (19)$$

$$\tau_{\alpha s} = 10^{-0.045m^{0.7}} \quad (20)$$

The global irradiance on horizontal surface I_G is given by [20]:

$$I_G = (I_b + I_d) \left(\frac{1}{1 - r_s r_{\alpha}} \right) \quad (21)$$

r_s is the ground albedo (a standard value of 0.2 is often quoted) , r_{α} is the albedo of the cloudless sky.

3.1. Monthly solar radiation

R is the monthly ratio of radiation on a tilted surface to radiation on a horizontal surface. It is known as the monthly mean total radiation tilted factor and is given by [19]:

$$\overline{Hb} = \int_{Hst}^{Hft} I_b * d\tau \quad (22)$$

$$\overline{Hd} = \int_{Hst}^{Hft} I_d * d\tau \quad (23)$$

$$\overline{H_G} = \overline{H_b} + \overline{H_d} \quad (24)$$

For calculate monthly average beam radiation tilt factor and given by [19]:

$$\overline{R_b} = \frac{\cos(\Phi - B) \cos \delta \sin \omega'_s + \left(\frac{\pi}{180} \right) \omega'_s \sin(\Phi - B) \sin \delta}{\cos \Phi \cos \delta \sin \omega'_s + \left(\frac{\pi}{180} \right) \omega'_s \sin \Phi \sin \delta} \quad (25)$$

For calculate HT by using [20]:

$$\begin{aligned} \overline{H}_T = \overline{H} \left(1 - \frac{\overline{H}_d}{\overline{HG}} \right) \overline{R}_b + \overline{H}_d \left(\frac{1 + \cos \beta}{2} \right) + \\ + \overline{H} \rho_g \left(\frac{1 - \cos \beta}{2} \right) \end{aligned} \quad (26)$$

3.2. Modeling of the electrical power plant

The array is characterized by its overall average efficiency, η_p which is a function of average module and cell temperature T_c [24]:

$$\eta_p = \eta_r \left[1 - \beta_p (T_c - T_r) \right] \quad (27)$$

where η_r is the PV model efficiency at reference temperature T_r ($= 25$ °C), and β_p is the temperature coefficient of module efficiency. T_c is related to the mean monthly ambient temperature T_a through Evans' formula [20]:

$$T_c - T_a = \left(219 + 832 \overline{K}_t \right) \times \frac{T_n - 20}{800} \quad (28)$$

whereas T_n is the nominal operating cell temperature and \overline{K}_t the monthly clearness index, T_n and β_p depend on the type of PV module.

$$Cf = 1 - 0.0000117 \times (\Phi - \delta - \beta)^2 \quad (29)$$

whereas correction factor for the tilted angle of the solar panel array is the monthly energy delivered by the solar panel is \overline{E}_p :

$$\overline{E}_p = \eta_p \times \overline{H}_T \times A_p \quad (30)$$

Overall area A_{system} of solar electric power system:

$$A_{system} = A_p \times N_p \quad (31)$$

The monthly average daily electrical energy of solar electric power system is then given by [19, 25]:

$$\overline{Q} = \frac{\overline{E}_p}{A_p} \times \eta_{inv} \times A_{system} \times (1 - \lambda_p)(1 - \lambda_a) \quad (32)$$

The monthly and annual solar fraction SF is defined as electrical energy of solar electric power system divide by nominal power required to the load:

$$SF = \frac{\overline{Q}}{5.3MW} \quad (33)$$

4. RESULTS AND OBSERVATIONS

Figure 3 to Figure 5 illustrate the climatological data for the selected cities in Middle East and north Africa which are located on Mediterranean basin. Figure 3 shows the monthly average daily insolation on a horizontal surface, \overline{H} ; Figure 4 indicates the average daytime ambient temperature T_a ; and Figure 5 represents the monthly clearness index, K_t . Selected PV panel has maximum efficiency about 19 %, and its area is 1.580×0.812 m², maximum power of solar panel 245W, $T_c = 45$ °C, electrical inverter has efficiency about 99% and slope equal to latitude plus 5 degrees. The latitude & longitude of the cities are

32°52'N & 13°11'E, 31°20'N & 29°91', 33°88'N & 9°53'E and 31°50'N & 34°46'E for Tripoli, Alexandria, Tunisia and Gaza respectively. The solar arrays area A_{system} equal to $80 \times 103 \text{ m}^2$ for 62500 solar panels, $60 \times 103 \text{ m}^2$ of 46875 solar panels, $40 \times 103 \text{ m}^2$ for 31250 solar panels and $20 \times 103 \text{ m}^2$ for 15625 solar panels. The temperature coefficient of module is $0.0043 \text{ 1/}^\circ\text{C}$. The nominal electrical power of system 5.3 MW in daytime to Grid, using equations (1) through (33), the monthly and annual fraction of solar energy delivered by solar array to load has been calculated. For calculate I_b and I_d by Bird model from equation (1) through (21) the Iteration is to be continued from sunrise until sunset hours of a day.

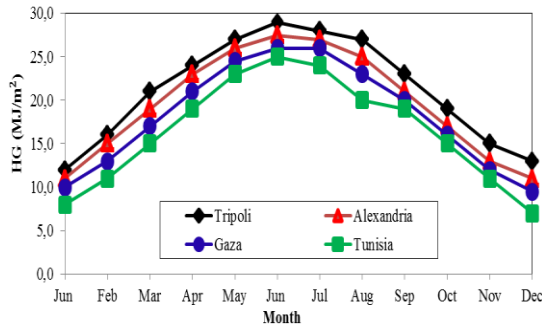


Figure 3. Monthly average daily insolation on a horizontal

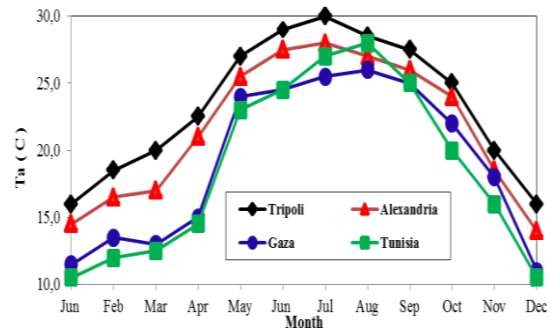


Figure 4. Monthly average daily ambient temperature

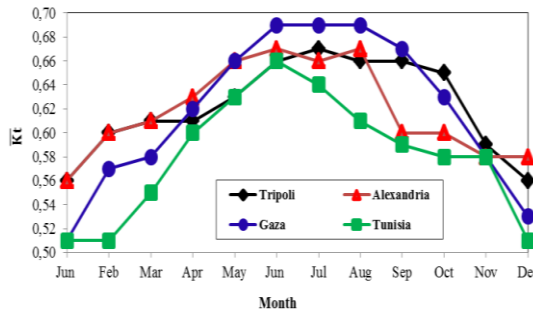


Figure 5. Monthly clear sky index \bar{K}_t

4.1. Monthly solar fraction

Figures 6 through 9 represent the monthly fraction of the solar energy delivered by solar PV array each month for each city. The highest monthly solar fraction was obtained at Tripoli as shown in Figure 6. More than 79% of the energy is provided by the solar energy for the month of March and April with a system area ($A_{system} = 80 \times 10^3 \text{ m}^2$) for 62500 solar panels and minimum solar fraction with the same area in June about 69%. Alexandria City obtained its highest monthly solar fraction in January about 73%, on the other words the solar frication is always above 60% throughout the year as shown in Figure 7.

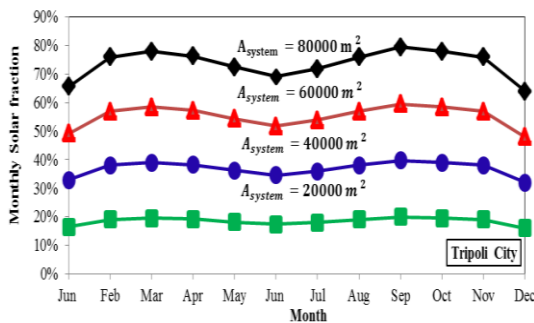


Figure 6. Monthly solar fraction for Tripoli with nominal power plant 5.3MW

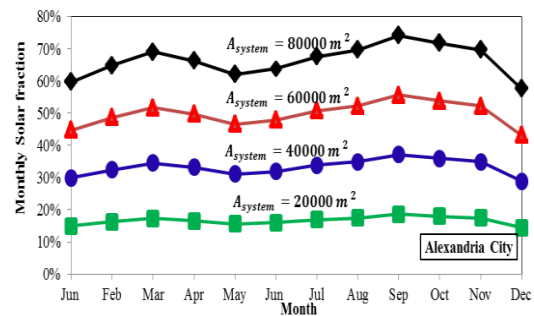


Figure 7. Monthly solar fraction for Alexandria with nominal power plant 5.3MW

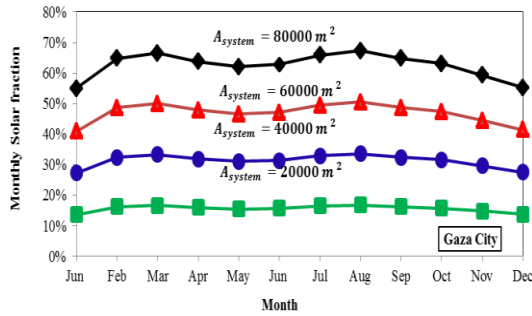


Figure 8. Monthly solar fraction for Gaza with nominal power plant 5.3MW

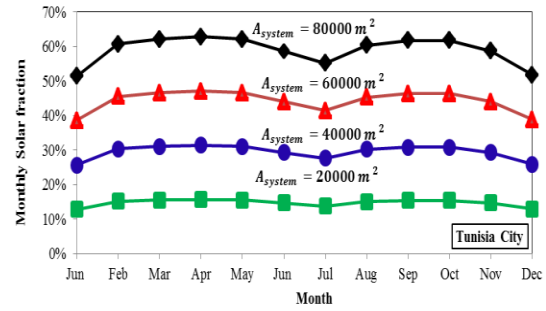


Figure 9. Monthly solar fraction for Tunisia with nominal power plant 5.3MW

Gaza City obtained its highest monthly solar fraction in March and September. In addition, during summer season, a drastic drop in solar fraction is obvious in June because affected by slope angle of PV array is fixed; in other word, incidence angle is large in June and May as well. The solar fraction reaches above 67% for september and october. The solar fraction in Tunisia City has a monthly solar fraction ranging between 51% to 62%. The Highest solar fraction obtained in March and September for PV array area equal to $80 \times 10^3 m^2$.

4.2. Yearly solar fraction

Annual solar fraction of solar energy delivered by PV array or system as a function of system area (overall area of PV array) is shown in Figure 10. The annual solar fraction increases with the system area (A_{system}) that means the larger system area, will give higher energy delivered. Moreover, increases ambient temperature lead to decrease the efficiency and produced energy the factor mentioned- above effected directly on the efficiency and the energy, Tripoli has highest annually solar fraction whereas the maximum its solar fraction about 75% with larger area of the system followed by Alexandria City and then Gaza City. Tunisia City has the lowest yearly solar fraction. whereas the maximum its solar fraction about 60%. Alexandria City and then Gaza City have solar fraction less than 75% and more than 60%.

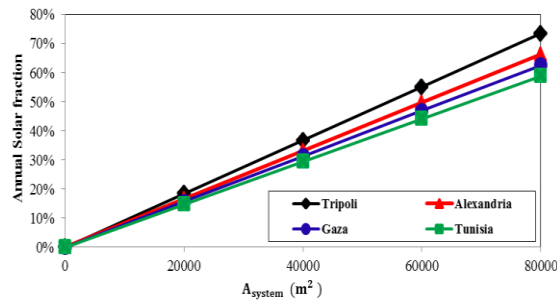


Figure 10. Annual solar fraction of power plant for selected cities

5. CONCLUSION

The theoretical study and evaluation of grid connected with solar electric system using PV arrays was presented. Four cities in Middle East and north Africa are selected namely; Tripoli, Alexandria, Gaza and Tunisia were representing different locations within southern Mediterranean basin. The Bird model was used to estimate solar radiation components. Tripoli City has the best performance on both monthly and yearly solar fraction, followed by Alexandria City and then Gaza City. Tunisia City has the lowest yearly solar fraction. An economic analysis must be carried out to determine the economic feasibility of such system in southern Mediterranean region.

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Nomenclature

P_o	Standard atmospheric pressure.	γ_s	Solar altitude angle
β	Angstrom's turbidity coefficient.	$\tau_{\alpha s}$	Transmittance coefficient.
$k_{\alpha\lambda}$	Angstrom's turbidity.	τ_r	Transmittance of Rayleigh scattering.
r_s	Ground albedo.	τ_o	Transmittance of ozone absorptance.
r'_α	Rayleigh scattering transmittance	τ_w	Transmittance of water vapor.
I_w	Amount of perceptible water	τ_g	Transmittance of uniformly.
I_o	Amount of Ozone	$\tau_{\alpha\alpha}$	Transmittance of aerosol absorptance
x_o	Total amount of ozone in a slanted path	m	Air mass
x_w	Total amount of perceptible water	m'	Pressure - corrected of Mass
τ_α	Transmittance of aerosol absorptance	C, D, Z, I, F, Ya, Yb	Constants for water vapor

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