# THICKNESS ACCURACY OF TEAK BARK BY ARTIFICIAL INTELLIGENCE

Diogo Guido Streck Vendruscolo<sup>1\*</sup>, Clebson Lima Cerqueira<sup>2</sup>, Samuel de Pádua Chaves e Carvalho<sup>3</sup>, Reginaldo Antonio Medeiros<sup>4</sup>, Raiane Scandiane da Silva<sup>5</sup>

<sup>1\*</sup>Forest engineer, Alto Boa Vista, Mato Grosso, Brazil – diogoguido@hotmail.com (\*AUTHOR FOR CORRESPONDENCE)

<sup>2</sup> Federal University of Paraná, Postgraduate Program in Forest Engineering, Curitiba, Paraná, Brazil – clebsonlima10@hotmail.com

<sup>3</sup> Federal University of Mato Grosso, Postgraduate Program of Forestry and Environmental Studies, Cuiabá, MT, Brazil – sam.padua@gmail.com

<sup>4</sup> Federal Institute of Mato Grosso campus Prof. Olegário Baldo, Department of Forest Engineering, Cáceres, MT, Brazil – reginaldo.medeiros@cas.ifmt.edu.br

<sup>5</sup> Forest engineer, Alto Boa Vista, Mato Grosso, Brazil – raiane.scandian@gmail.com

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#### Resumo

*Predição da espessura da casca de teca por inteligência artificial.* Estimativas da espessura de casca de árvores é fundamental para a gestão florestal, contudo, o grau de precisão está condicionado a adoção de técnicas eficientes de modelagem. Objetivou-se neste estudo avaliar e propor um modelo de redes neurais artificiais para estimar a espessura da casca de árvores de *Tectona grandis* (Teca). Os dados foram originados da medição de 68 árvores dominantes, com idade variando de 6 a 33 anos. A espessura de casca foi correlacionada com variáveis inerentes à arvore sendo elas: diâmetro nas diferentes posições do fuste (*di*); diâmetro a 1,3 m de altura (*dap*); altura total (*ht*); altura relativa (*hi\_rel*); e idade (*id*). As redes treinadas foram do tipo *perceptron* de múltiplas camadas, e como suporte comparativo foi ajustado um modelo de regressão linear. A acurácia das estimativas foi avaliada por meio de indicadores estatísticos e análises gráficas. Os resultados demostraram forte correlação entre a espessura de casca e o diâmetro das árvores, bem como a altura relativa, com valores acima de 0,70. A idade também exerceu forte influência sobre a espessura da casca das árvores. A técnica de inteligência artificial demostrou potencial para tal aplicação e o modelo proposto com as variáveis de entrada: diâmetro, altura relativa e idade foi o que apresentou o melhor desempenho estatístico, e assim sendo o mais adequado para predição da casca em árvores de Teca.

Palavras-chave: Tectona grandis, regressão, redes neurais artificiais, manejo florestal.

#### Abstract

Estimates of tree bark thickness are fundamental for forest management, however, the degree of precision is conditioned to the adoption of efficient modeling techniques. The objective of this study was to evaluate and propose a model of artificial neural networks to estimate the thickness of the tree bark of *Tectona grandis* (Teak). The data originated from the measurement of 68 dominant trees, ranging in age from 6 to 33 years. The thickness of the bark was correlated with variables inherent to the tree, being: diameter in the different positions of the stem (*di*); diameter at 1.3 m height (*dbh*); total height (*ht*); relative height (*hi\_rel*); and age (id). The trained networks were of the multilayer perceptron type, and a linear regression model was adjusted as a comparative support. The accuracy of the estimates was evaluated through statistical indicators and graphical analysis. The results showed a strong correlation between bark thickness and tree diameter, as well as relative height, with values above 0.70. Age also exerted a strong influence on the thickness of the bark of the trees. The artificial intelligence technique has demonstrated the potential for such application and the model proposed with the input variables: diameter, relative height and age was the one that presented the best statistical performance, and thus was the most suitable for predicting the bark in Teak trees.

Keywords: Tectona grandis, regression, artificial neural networks, forest management.

#### **INTRODUCTION**

The knowledge of the diameter in different heights of logs is extremely important for silvicuture and forest management. In most cases, it is important to know the bare diameter, either to establish the shape of the stem, determine the volume of solid wood, or differentiate the stem into multiproducts based on diameter constraint. In this way, this knowledge is necessary mainly when the percentage of bark reaches values close to 30% of the total volume of the trees at early ages as in the case of the *Tectonagrandis* (LEITE *et al.*, 2011).

In order to obtain the bare diameter, it is common to use linear equations as a function of shell diameter

(MALONE; LIANG, 2009; TEWARI; MARISWAMY, 2013; NOVAES *et al.*, 2017). However, the adoption of a simple linear model can result in less accurate estimates, while more elaborate models describing the bark with the inclusion of other readily available variables are more requested (STÄNGLE *et al.*, 2017). Therefore, the inclusion of predictor variables allows the validation of a bark model for a species in a given region (LI; WEISKITTEL, 2011).

For many conifer species, for example, it has been found that tree thickness can be described by variables inherent to the tree, such as bark diameter, total height, age, and measurement position (LAASASENAHO *et al.*, 2005; LI; WEISKITTEL, 2011; TEWARI; MARISWAMY, 2013; STÄNGLE *et al.*, 2017). In some cases, there is influence of site index on bark thickness, as reported by Božić *et al.* (2007) for *Abies alba*. Additionally, genetic variability may also influence the phenotypic development of the bark (KOHNLE *et al.*, 2012) as well as the geographical position (STÄNGLE *et al.*, 2017). Thus, the use of modeling techniques that include a larger number of variables are promising for the field of research.

In the last decades, the computational advance has allowed the manipulation and quick, accessible and with low cost processing of data. In this field, the use of artificial intelligence is already considered a consolidated technique to relate dendrometric variables. Promising results with the use of this technique were found in order to estimate the height of trees (ÖZÇELIK *et al.*, 2013), volume (BINOTI *et al.*, 2014; MIGUEL *et al.*, 2016), production prognoses, diameter and height (BINOTI *et al.*, 2015; VIEIRA *et al.*, 2018), and etching (SANQUETTA *et al.*, 2017; MARTINS *et al.*, 2017). Nevertheless, bark estimates using artificial neural networks have limited attention, evidencing the importance of new research on the subject.

This study is based on the hypothesis that artificial intelligence technique is efficient to estimate the bark thickness of Teak trees. Thus, its objective was to evaluate and propose a model to estimate the bark thickness of *Tectona grandis* trees through artificial neural networks.

## MATERIAL AND METHODS

## Study area and data

The data were obtained from commercial and experimental plantations with Teak implanted in the middle north and south central regions of the Mato Grosso State, Brazil. A total of 68 dominant trees were sampled, with seminal genetic material and age ranging from 6 to 33 years. In all trees, the values of the bark thickness were obtained in cm  $(esp_c)$  by discs collected at different heights of the stem (hi), commonly used in log analyzes (DRESCHER *et al.*, 2016; CHAVES *et al.*, 2016). At all times, fractionations occurred from a minimum height of 0.1 m; 1.3 m; up to a diameter (di) with bark of approximately 5 cm; and with intervals of no more than 3 m.

In each disc, the diameter with and without bark (di) was measured in perpendicular positions using graduated ruler with millimeter precision. Subsequently, the average of diameters with and without bark was obtained. The bark thickness at each position of the tree stem was obtained by means of the average arithmetic. In this way, the database was composed of bark thickness  $(esp_c)$ , bark diameter in each section (di), diameter at 1.3 m height (dbh) and total height (ht) of each tree.

## **Data processing**

The data obtained from the measurement of the trees were used to train the artificial neural networks (ANN) in order to estimate the bark thickness of Teak trees. The predictor variables were selected by means of linear correlation analysis between  $esp_c$  and di, dap, ht, and  $hi_rel$  (relative height). In this stage, the variable  $hi_rel$  was used to relativize the heights due to the amplitude of variation of the tree ages and, consequently, the amplitude in the heights in which the discs were collected. Subsequently, the data set was randomly subdivided into 70% for ANN training and 30% used for data validation, as suggested by Binoti *et al.* (2014). In the selection of the input variables, used to train the networks, it was considered only up to the third most correlated with  $esp_c$ . Thus, three groups of architectures were evaluated, the first one (G1) was composed of only one predictor variable, the second (G2) of two and the third (G3) of three variables.

## Artificial Neural Networks

The neural networks used were the Multilayer Perceptron type, commonly known as MLP, which has a universal capability to approximate functions (HORNIK *et al.*, 1989). The training was oriented to minimize the sum of squares of errors through the *backpropagation* algorithm (error backpropagation), with a learning rate of 0.01 and the training stop criterion was the minimization of the mean error (0.01) or the maximum of 3,000 times.

Thus, different network architectures were trained with only one hidden layer, then, a hyperbolic tangent transfer function (Eq. 1) was applied in the hidden layer and linear function (Eq. 2) in the output one, as suggested by Vieira *et al.* (2018). The number of neurons in the input and hidden layers varied from 1 to 3, totaling nine tested architectures (3 groups x 3 architectures), with twenty networks being trained for each one. Training and

validation were performed in R programming language (R CORE TEAM, 2016) through the neuralnet package (FRITSCH; GUENTHER, 2016).

$$f(x) = \frac{2}{1 + e^{-2x}} - 1 \tag{1}$$

$$f(x) = x \tag{2}$$

in which: f(x) the activation function and x is the net input of the artificial neuron.

#### Regression

A simple linear regression model (Eq. 3), commonly used to estimate the bark of Teak trees (TEWARI; MARISWAMY, 2013; NOVAES *et al.*, 2017) was used as the comparative support method.

$$\ln(esp_{c_{ij}}) = \beta_0 + \beta_1 \ln(di_{ij}) + \varepsilon_{ij}$$
(3)

in which: In is the neperian,  $esp_{c_{ij}}$  is the bark thickness of the tree "*i*" at stem position "*j*" (cm), are the coefficients to be obtained,  $di_{ij}$  is the diameter of the tree "*i*" at stem position "*j*", and  $\varepsilon_{ij}$  is a random error of the tree "*i*" at stem position "*j*".

The coefficients of the model were obtained by the least squares method. The assumption of normality of errors was verified by the Kolmogorov-Smirnov test, the White's test was used to the homogeneity of variance, and the independence of the residues was tested by the Durbin-Watson method. A significance level of 5% was adopted for both tests.

#### Statistical evaluation of the proposed methods

In order to evaluate the tree bark estimates obtained by ANN and regression, the Pearson linear correlation coefficient was applied among the observed and estimated values -  $r_{y\hat{y}}$  (Eq. 4), square root of mean error in percentage - SRME% (Eq. 5) and graphic analysis.

$$r_{y\hat{y}} = \frac{cov(y,\hat{y})}{\sqrt{S^2(y)S^2(\hat{y})}}$$
(4)

$$SRME\% = \frac{100}{\overline{y}} \sqrt{\frac{\sum_{i=1}^{n} (y_i - \hat{y}_i)^2}{n}}$$
(5)

in which: *cov* is covariance,  $y_i$  is the observed variable,  $\hat{y}_i$  is the estimated variable, S is the variance,  $\bar{y}$  is the mean of the observed variable and *n* is the number of observations.

## RESULTS

#### Selection of predictor variables

Among the variables measured, the three that presented the highest Pearson correlation (r) were the diameter (di), relative height ( $hi\_rel$ ) and age (id), respectively (Figure 1). Also, it has been found that the variables di and id correlate positively with  $esp\_c$ , while  $hi\_rel$  has a negative correlation. Therefore, the training of neural networks was performed using only these variables.

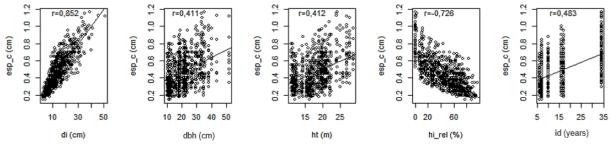


Figura 1. Correlação da espessura de casca (*esp\_c*) de *Tectona grandis* com as variáveis diâmetro (*di*); diâmetro a 1,3 m de altura (*dap*); altura total (*ht*); altura relativa (*hi\_rel*) e idade (*id*).

Figure 1. Correlation of the shell thickness (esp\_c) of Tectona grandis and the variables diameter (di); diameter at

1.3 m height (*dbh*); total height (*ht*); relative height (*hi\_rel*) and age (id).

#### **Regression modeling**

The adjustment of the regression model presented estimates of significant coefficients by the t test  $(p \le 0.05)$  and resulted in the equation:  $\ln(esp_{c_{ij}}) = -2,38397 + 0,62652\ln(di_{ij}) + \varepsilon_{ij}$ . The accuracy in relation to the square root of the mean error (SRME%) was 21.21% for the adjustment with a small alteration of error in validation (21.61%), being considered values potentially high when dealing with regression analysis. Regarding the correlation between the observed and estimated values  $(r_{y\hat{y}})$ , similar results were found in both adjustment and validation, with values of 0.853 for adjustment and 0.868 for validation.

In a complementary way, the graphical analyzes (Figure 2) allow to infer about the tendency of overestimation of the bark in smaller diameters. The lines on the histograms presented a larger tail on the left, in addition to the negative residual mean (dashed line) which corroborates with the graphs of Figures 2.A and 2.V. Nonetheless, the curve indicates that the highest residual density is close to zero in adjustment and less than zero (-5.43) in validation.

The normality test of the residues (Kolmogorov-Smirnov) pointed to a normal distribution (p value = 0.201), indicating that the regression technique is robust and consistent to estimate the bark of Teak trees. However, as expected, problems related to the correlation between errors and heterogeneity of residual variance were detected due to the hierarchical structure of the data, with repeated measures in the same tree.

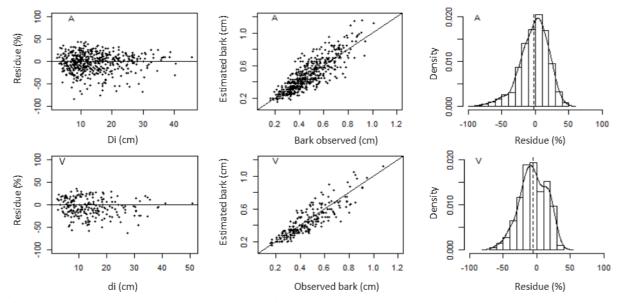


Figura 2. Resíduos, valores observados vs. estimados e histograma residual para a equação de casca de *Tectonagrandis*. Sendo A = ajuste e V = validação.

Figure 2. Residual, observed values vs. and residual histogram for the *Tectonagrandis* bark equation. Being A = adjustmentand V = validation.

#### Artificial neural network modeling

Among the networks trained for bark estimation, the accuracy statistics of only one for each group and architecture were evaluated and presented. Based on the statistics, it was observed that, as in regression modeling, errors were considered potentially high in both situations with values higher than 18% and maximum of 21.23% in validation (Table 1). The statistical indicators ( $r_{y\hat{y}}$  and SRME) did not show large variations between the smaller and higher accuracy network configurations.

Accuracy statistics revealed that the inclusion of predictor variables, relative height  $(hi\_rel)$  and age (id), provided better performance in network estimates. Moreover, the same behavior was verified in applying the networks in 30% of the data used in validation.

When evaluating the stability of the neural networks in relation to the SRME and  $r_{y\hat{y}}$  statistics within each group, there was a low error variation, being less than 1% for training and a maximum of 1.08% in validation (Figure 3). The group most sensitive to variation of number of neurons in the hidden layer was G2, which showed an expressive trend of improvements in statistical indicators as the number of neurons increased. G1 networks also

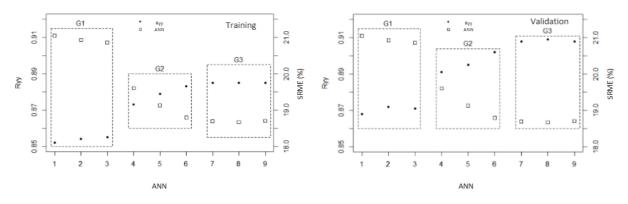
exhibited this trend, but less significantly. Yet, the results for the networks of group 3 show very similar statistics between the different numbers of neurons used in the hidden layer.

Tabela 1. Estatísticas utilizadas de acurácia das redes neurais artificiais para estimar a espessura da casca de *Tectonagrandis*.

ANN	Group	Architecture			Training		Validation	
		IL	HL	OL	$r_{y\hat{y}}$	SRME%	$r_{y\hat{y}}$	SRME%
1	G1	di	1	esp_c	0.852	21.05	0.868	21.23
2		di	2	esp_c	0.854	20.93	0.872	21.08
3		di	3	esp_c	0.855	20.86	0.871	21.11
4	G2	di; h_rel	1	esp_c	0.873	19.60	0.891	19.70
5		di; h_rel	2	esp_c	0.879	19.13	0.895	19.35
6		di; h_rel	3	esp_c	0.883	18.79	0.902	18.62
7	G3	di; h_rel; id	1	esp_c	0.885	18.69	0.908	18.49
8		di; h_rel; id	2	esp_c	0.885	18.67	0.909	18.47
9		di; h_rel; id	3	esp_c	0.885	18.70	0.908	18.49

Table 1. Used artificial neural network accuracy statistics to estimate the thickness of the bark of *Tectonagrandis*.

ANN = artificial neural network; IL = input layer; HL = hidden layer; OL = output layer; di = diameter (cm);  $hi_rel$  = relative height (%); id = age (years);  $esp_c$  = bark thickness (cm);  $r_{yy}$  = correlation coefficient; SRME = square root of the mean error.



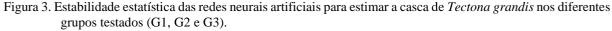


Figure 3. Statistical stability of the artificial neural networks to estimate the thickness of the *Tectona grandis* bark in the different groups tested (G1, G2 and G3).

The best result for group 1 (G1) networks was obtained for ANN 3 with three neurons in the hidden layer. In addition, the same situation was observed in G2. In G3, the three networks presented good performance with little advantage for architecture with two neurons in the middle layer. The architecture and the respective synaptic weights and *bias* of the best network of each group is shown in Figure 4.

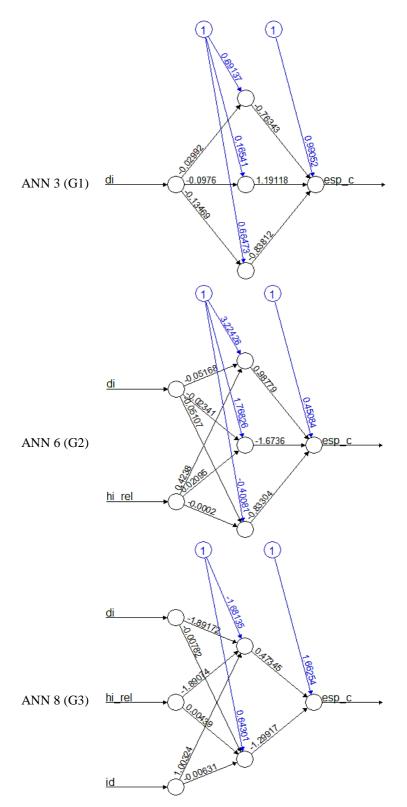


Figura 4. Redes neurais treinadas para predição da espessura de casca de *Tectona grandis*. Figure 4. Neural networks trained to predict the thickness of the bark of *Tectona grandis*.

Based on the graphical analysis of residues, represented by Figure 5, it can be seen that both networks had similar behaviors, with greater dispersion in the smaller diameters. The residual mean (dashed vertical line) indicates a slight tendency to overestimate, since in all cases the values were negative. In validation, the behavior was similar, with relevance for G2 network, which presented the trend of a more symmetrical distribution (Figure

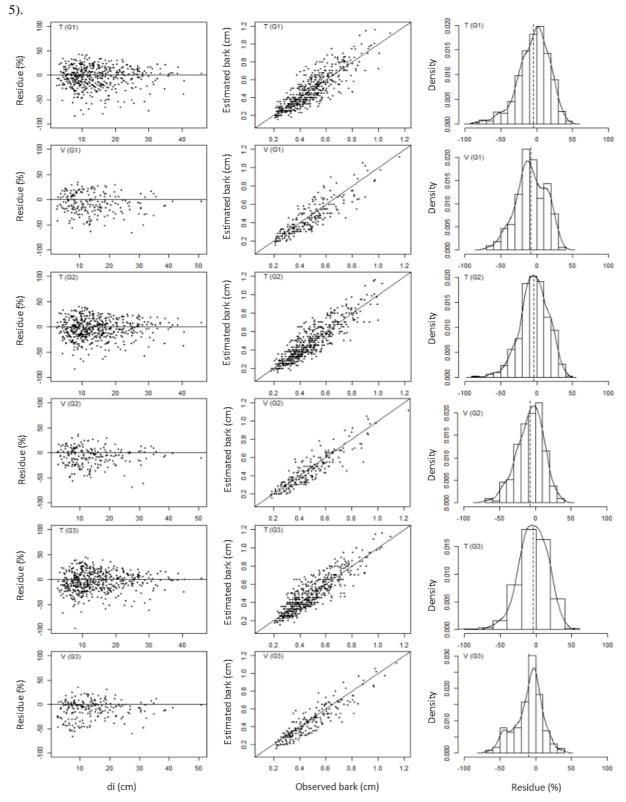


Figura 5. Resíduos, valores observados vs. estimados e histograma residual para as redes neurais artificiais dos três grupos (G1, G2 e G3) treinadas para estimar a casca de *Tectona grandis*. T = treino; V = validação.
Figure 5. Residue, observed values vs. and histogram for the artificial neural networks of the trees groups (G1, G2 and G3) trained to estimate the shell of *Tectona grandis*. T = training; V = validation.

Considering the low differences between statistical indicators verified by the graphical analysis, it is possible to infer that all the suggested network structures can be used to estimate the bark thickness of Teak trees. Comparing group 1 (G1) network with the same input variable (di) used in the regression model, the ANN technique provided a slight reduction of error from 21.21 (regression) to 20.86 (ANN) and an increased correlation from 0.853 (regression) to 0.855 (ANN), and the same behavior was observed in the validation set.

## DISCUSSION

The bark thickness showed an increasing linear pattern and strong correlation with the diameter (*di*) of the Teak trees' log (Figure 1), similar to that observed by Cordero and Kanninen (2003) for the same species in different regions of Costa Rica, Kitikidou *et al.* (2014) for *Pinus halepensis* in northern Greece and Stängle *et al.* (2017) for *Piceaabies* in southwestern Germany. Thus, the variable *di* is widely employed as an independent model for the relationship between the diameter with and without bark at any height of the stem. In this way, the bark thickness can be easily calculated by subtraction once the estimates are obtained (CORDERO; KANNINEN, 2003; LI; WEISKITTEL, 2011; STÄNGLE *et al.*, 2015, 2017).

Additionally, the relative height  $(hi\_rel)$  of the trees were also shown as an important variable to explain the bark thickness (Figure 1). The regressive variable  $(hi\_rel)$  also was employed by Laasasenaho *et al.* (2005) in order to shape the thickness of the *Picea abies* Teak. Yet, the authors corroborate with the tendency of tree Teak tapering from the base to the top of the stem. It was opted for the relativization of variables due to the need to standardize the information, once there is a distinct number of samples in trees of different heights. In contrast, it requires additional effort in the field, since it is necessary to compute the relative positions for each tree. It is important to note that age also had a significant effect on the bark thickness, therefore corroborating the studies of Cordero and Kanninen (2003); Laasasenaho *et al.* (2005) and Stängle *et al.* (2017).

In linear regression modeling, the results indicated moderate accuracy because the errors were potentially high. Tewari and Mariswamy (2013) pointed out that this functional relationship may result in adjustments with a lower degree of explanation between the independent and dependent variable. This may occur in virtue of factors, such as geospatial variation, site productivity, and different individual growth rates, that may influence the bark thickness (STÄNGLE *et al.*, 2017). However, although a linear model is very simplistic to explain bark thickness, it can be suggested in cases where low-complexity techniques are desired and does not imply an increase in the number of variables during the forest inventory.

Moreover, artificial intelligence modeling was shown to be slightly superior to regression, even using only the diameter (di) as a predictor variable. The results were satisfactory with simple configurations, demonstrating that networks of complex structures are not necessary to estimate tree bark thickness. Binoti *et al.* (2014) corroborate these findings, the authors evaluated several different ANN configurations in order to estimate the volume of trees and recommended the use of simple architectures. They also pointed out that networks with only one neuron in the hidden layer provide accurate three volume estimatives.

As expected, the increase in the number of input variables resulted in a greater accuracy of the estimates, both in training and in validation of networks. The networks of groups 1 and 2 had a positive answer in regards to accuracy as the number of neurons in the hidden layer increased (Figure 3). Haykin (2001) explains that the definition of an appropriate architecture is not always a simple task and that there are approximate or heuristic solutions that try to estimate these values in relation to the problem to be treated. However, most of the times the number of intermediate neurons in ANNs is defined by the user experience or by previous tests (BINOTI *et al.*, 2014).

In group 3 (G3), the predictive quality and the statistical stability of the networks were superior to the other groups, pointing out that the sizing of the input layers and numbers of neurons in the hidden and in the output layer was efficient to treat the problem. The gain in accuracy in G3 is related to the inclusion of the variables relative height ( $hi\_rel$ ) and age (id) of the trees in the networks' training. Laasasenaho *et al.* (2005) verified that the bark thickness is more accurately estimated when it is included in the modeling processes the variables age and height of collection of the bark sample in the trees log.

Although limited attention to studies aimed at quantifying the bark of Brazilian Teak trees, the results obtained in this paper are promising. The proposed ANN model can be used for predictions of Teak bark at the regional level, since the effect of geographic features has little influence on the model in regions with similar climate characteristics (JOHNSON; WOOD, 1987; MALONE; LIANG, 2009).

Other researches are prominent and can be developed using neural network models with the inclusion of other numerical variables such as the site index diameter class. In addition, qualitative variables can also be used as the spacing, genetic material, region, among others. Nonetheless, this will lead to ANN models with a greater degree of complexity, but the gain in accuracy will certainly be considerable, which will reduce the sample intensity without losing the degree of accuracy in the estimatives.

## CONCLUSION

- The artificial intelligence technique can be used to estimate the bark thickness of the *Tectona grandis* tree.
- The proposed model with the input variables: diameter, relative height and age can be used to support the administration and forest management of the species on a regional scale.
- Considering the low differences between statistical indicators verified by graphical analysis, it is possible to infer that all suggested network structures can be used to estimate the bark thickness of Teak trees.

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