

Aquatic modelling in Finland – experiences and visions

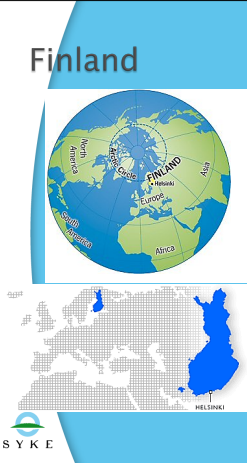
Special lecture at Okayama University
13.5.2014
Timo Huttula and Janne Ropponen



SYKE

Finland

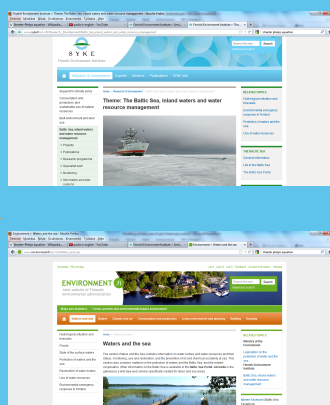
- ▶ Total area: 338,144 km² square km's, of which 10% is water and 69% forest; Europe's largest archipelago, including the semi-autonomous province of Åland.
- ▶ Distances: 1,160 km north to south, 540 km west to east
Finland's land border with Russia (1,269 km) is the eastern border of the European Union.
- ▶ Climate: marked by cold winters and fairly warm summers. Temperatures of -20 Celsius are not uncommon in many areas. Finnish Lapland invariably has the lowest winter temperatures
- ▶ Population: 5.4 million, 71% live in towns or urban areas, 29% in rural areas
- ▶ GNP: In 2007, Finland's GNP per capita was 34,003 euros



SYKE

SYKE?

- ▶ One of 18 state research institutes
http://www.research.fi/en/research_environments/state_research_institutes
- ▶ Web page
www.syke.fi and www.environment.fi
- ▶ University of Jyväskylä www.jyu.fi



Calculate here

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Why water quality models

- ▶ New legislation in late 1960's forced point loaders (like industry and municipalities) to apply permission to lead purified waste waters to recipient waters (lakes, rivers, coastal areas etc..) from the Water Courts and
- ▶ During the Assessment Procedure ("Katselmustoimitus") the effects on the water quality was assessed and also the compensations were ordered
- ▶ Models were applied for
 - Determining the optimal loads
 - Determining the effected geographical areas
 - Dtermining the optimal locations for water water outlets
- ▶ Model applications from 1970's by Virtanen, Koponen and Sarkkula

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Later needs for modelling

- ▶ Problems with eutrophication and related diffuse loads increased the need of WQ assessment and modelling
- ▶ Effects of global change need to be assessed
- ▶ European wide approach: Water Framework Directive
- ▶ Fate and transport of harmful substances (heavy metals, organic compounds etc..) is to be predicted since many recipient waters are also used for water supply
- ▶ Hydrological (water resources) modelling was fist needed for optimal regulation of our large lakes. Modelling started in early 1980's by Vehviläinen

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Presently many new needs

- ▶ Oil spill models
 - Operative models for oil combatting
- ▶ Habitat modelling for river restoration
- ▶ Socio-economical modelling
 - See CONPAT-project

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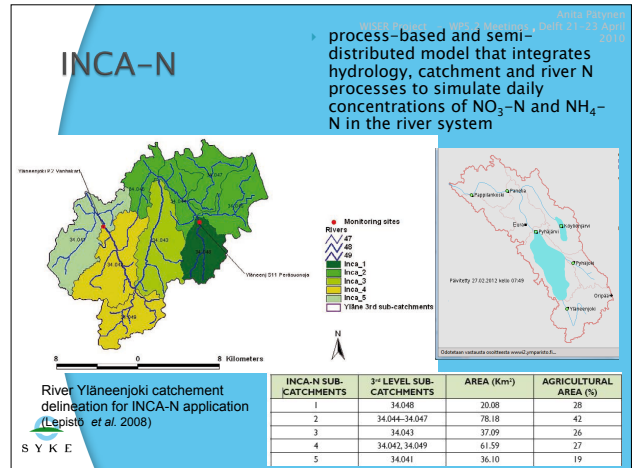
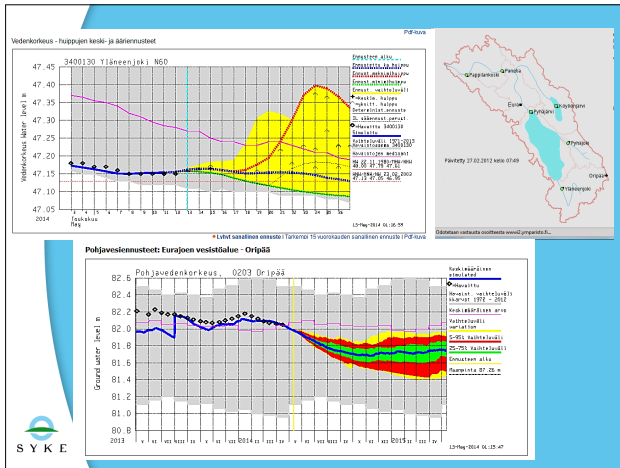
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1. Catchment models



Hydrological simulation and forecast

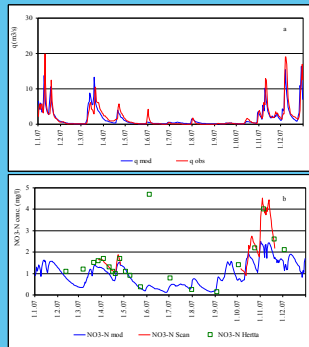
- A country wide system (WSFS):
 - <http://www.vmparisto.fi/en-US/Waters-and-sea/Hydrological-situation-and-forecasts/Hydrological-forecasts-and-maps/86826174839>
 - Used for operational forecasts
 - Used also for research
 - Based on water balance computation on watersheds (3rd division level)
- Dynamic links
 - Meteorological data forecasts (FMI)
 - Hydrological observations (water levels, river discharges, water temperature, ground water level)
 - Links to satellite automated imaging products (snow coverage, snow water equivalent)
- Automatic and tailored products



INCA-N

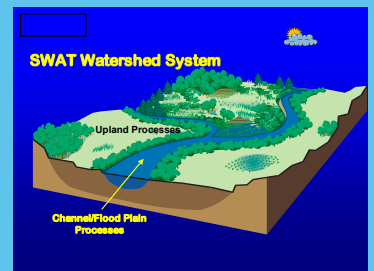
- Calibration was successful
- The model was able to simulate annual dynamics of discharge and flow
- The $\text{NO}_3\text{-N}$ concentration peaks were sometimes slightly under- or overestimated
- No bigger problems were reported in CatchLake project report

INCA-N results for year 2007 in Vanhakartano: (a) modelled vs. observed discharge, (b) modelled vs. observed $\text{NO}_3\text{-N}$ concentration.



SWAT

- Continuous time model, operates on a daily time step at catchment scale
- Simulates suspended sediment & nutrient loading on catchment scale
- In European wide use
- Collaboration with Okayama University (Lake Kojima catchment)
- Has potential to include agricultural management actions



(See more in the the project report: <http://www.vmparisto.fi/download.asp?contentid=85389&lan=fi>)



SWAT

- According to CatchLake project report, the parameterization was again found challenging
- Sensitivity analysis and auto calibration tool were helpful
- Continuous turbidity data showed that model was not able to catch all the relevant erosion processes

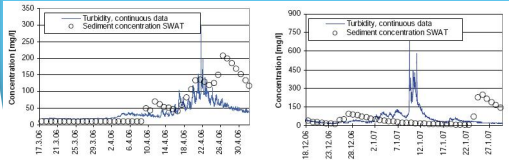


Fig. 27 Simulated sediment concentration and continuously measured turbidity at Vanhakartano during spring 2006 and winter 2007.

2. Simple mass balance models for lakes

Lake mass balance

$$\frac{dm}{dt} = I - O - S$$

- Where, m= total amount of phosphorus in a lake, I=total load of phosphorus entering to the lake, O=amount of phosphorus leaving the lake, S=retention (the amount of phosphorus (P) sediment to the lake)
- First applications by Piontelli and Tonolli (1969)
- In Vollenweiders (1969) solution the lake was considered as a continuously stirred tank (CSTR) and sedimentation of P was taken as following the first order kinetics with settling coefficient σ and phosphorus concentration (c) at the outlet was taken as mean concentration in the lake

Vollenweiders equation

$$\frac{dm}{dt} = I - Qc - \sigma m$$

$$\rho = \frac{Q}{V} \Rightarrow \frac{dc}{dt} = \frac{I}{V} - \rho c - \alpha$$

- Where, Q= water discharge at the outlet and ρ = exchange coefficient, σ =settling coefficient
- It is expected here that the lake volume is constant (eq. an annual mean) and introduce
- In steady state we mark phosphorus concentration as c_{ss} it can be solved for time t

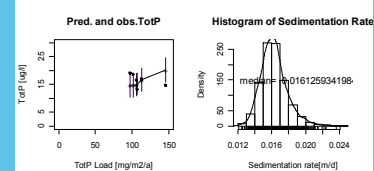
Solution for Vollenweider-equation

$$c = c_{ss} - (c_{ss} - c_0)e^{-(\rho+\sigma)(t-t_0)}$$

- Where c_0 is phosphorus concentration at time t_0
- Comments
 - Setting description with first order kinetics is too simple
 - Model can be used for studying the effects of loading options

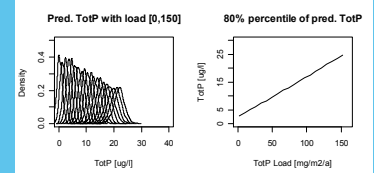
ToTP forecasts

Järven ravinnepitoisuus vs. ravinnekuormitus - lasketut ja havaitut arvot



Estimoitu sedimentaationopeuden jakauma

ToTP-jakauman ennusteet kuormituksilla [0,10,20, ..., 150] kg/d



ToTP-ennusteiden 80% fraktiili (20% ylitystodennäköisyys) kuormituksen funktiona

3. River models

First models for flowing waters

$$\frac{dC}{dt} = K_2(C_s - C) = K_2D$$

$$-\frac{dL}{dt} = K_1L$$

$$C = C_s - \frac{K_1L_0}{K_2 - K_1} ((e^{-K_1t} - e^{-K_2t}) + (C_s - C_0)e^{-K_2t})$$

- ▶ Oxygen model by Streeter-Phelps (1925)
- ▶ Oxygen = f(advection by river waters, aeration and decomposition by bacteria), steady state
- ▶ In equation:
 - C = oxygen concentration (mg/l), C₀ = initial oxygen concentration in waters, C_s = saturation concentration of oxygen, D = oxygen deficit, K₂ = aeration coefficient (like 0,15 1/d), L = BOD value (mg/l), L₀ = BOD - initial value, K₁ = decay coefficient of BOD (like 0,25 1/d), T = time (days)

Using Streeter-Phelps

- ▶ Water temperature and oxygen saturation concentration in that temperature have to be known.
- ▶ K₁ is temperature dependent. K₂ only slightly
- ▶ Several temperature correction equations available. Frisk and Nyholm (1980) mostly used in Finland
- ▶ Flow time has to be calculated for each river reach. In this way advection is taken into account

Dynamic flow models for rivers

$$Q = \frac{WY^{3/5}}{n} \left(S_0 - \frac{\partial Y}{\partial x} - \frac{V}{g} \frac{\partial V}{\partial x} - \frac{1}{g} \frac{\partial V}{\partial t} \right)$$

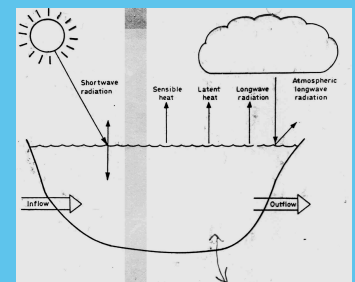
1
2
3
4
5

- ▶ St. Venant (1848) for river dynamics
- ▶ In equation
 - 1 = discharge, 2 = pressure gradient = bottom sloping term, 3 = pressure gradient due to the surface slope, 4 = advection due to the river flow, 5 = local acceleration term
- ▶ For WQ -simulations
 - Streeter-Phelps type equation
 - Suspended solids like we look later in 3D models
 - Nutrients also similarly
- ▶ Presently we use SOBEK model from Deltares and HEC-RAS from US/EPA

4. Water temperature models

Heat balance components

- Components can be solved by quite well known equations
 - Snow and ice form special challenges in Northern conditions
- Sometimes also heat from precipitation and sediment should be calculated



Equations in PROBE-model, F_s

$$F_s = (1 - a) S_0 \cos z (T_r - A_w) \prod_{i=1}^3 (1 - N_i (-T_r))$$

$$A_w = 0.077 (u \sec z)^{0.3}$$

$$T_r = 1.041 - 0.16 (\sec z)^{0.5}$$

$$T_{low} = 0.35 - 0.015 \sec z$$

$$T_{mid\&c} = 0.45 - 0.01 \sec z$$

$$T_{high} = 0.9 - 0.04 \sec z$$

$$\sec z = (\cos z)^{-1}$$

a =albedo
 A_w = absorption by the water vapor
 N_i = N_i is the amount of clouds of the different categories (low, middle, high).
 S_0 =solar constant, 1395 Wm⁻²
 T_r = scattering-transmission function= $f(z)$
 T_i = cloud function
 u = amount water in the air mass
 z =solar zenith angle



Equations in PROBE-model, Long wave radiation F_l

$$F_l = F_l \uparrow - F_l \downarrow$$

$$F_l \uparrow = \epsilon' \sigma T_s^4$$

$$F_l \downarrow = \sigma T_a^4 (c + b \sqrt{e_a}) (1 + dN)$$

ϵ' = emissivity of the lake water =0.97
 σ =Stefan-Bolzmann constant=5.67*10⁻⁸ Wm⁻² K⁻⁴
 T_s =lake water surface temperature (°K)
 T_a = air temperature (°K)
 e_a = water vapour pressure in air (mb)
 N = cloudiness
 c, b, d = constant



Equations in PROBE-model Sensitive heat flux, F_c

$$F_c \downarrow \uparrow = \rho_a C_p \bar{U} (C_{cl} - C_{c2} (T_s - T_a))$$

$$S_t = \bar{U} (T_s - T_a)$$

ρ =air temperature, kg m⁻³ C_p =specific heat of water =4200 J kg⁻¹ U = wind velocity m s⁻¹ S_t = air stability, C_{cl} , C_{c2} are sensible heat transfer, which depend on air stability

In stable conditions ($S_t < 0$) $C_{cl} = 0.0026$ and $C_{c2} = 0.86E^{-3}$

In unstable conditions ($0 < S_t < 25$), $C_{cl} = 0.002$ and $C_{c2} = 0.97E^{-3}$

Very unstable conditions ($25 < S_t$), $C_{cl} = 0.0$ and $C_{c2} = 1.46E^{-3}$



Equations in PROBE-model...

Latent heat flux, F_e

$$F_l \downarrow = LC_e \bar{U} (Q_w - Q_a)$$

L = L is the latent heat of evaporation, C_e is the moisture transfer coefficient and Q_w and Q_a are the water vapour densities close to the water surface and in the atmosphere respectively.

Total heat flux

$$F_N = F_l + F_c + F_e$$



PROBE: Heat equation and vertical mixing

$$\frac{\partial T}{\partial t} = \frac{\partial}{\partial z} \left(\frac{v_T}{\sigma_T} \frac{\partial T}{\partial z} \right) + S_T$$

$$v_T = \frac{C_v \rho k^2}{\epsilon}$$

Boundary condition at the upper boundary

$$\frac{v_T \partial T}{\sigma_T \partial z} = \frac{F_N}{\rho C_p}$$

v_T = eddy diffusivity
 σ_T =turbulent Prandtl number= v/γ
 v =kinematic viscosity
 γ =heat conductivity
 k =kinetic turbulent energy
 ϵ =dissipation of turbulent energy
 C_v =empirical constant



Experiences about PROBE-model

- Case study: Huttula ym. 1994 [Effects of Climate Change....pdf](#) (see reference list below)
- Good results in scales from days...to years
- Water balance well calculated
- Ice formation and decay well calculated
- Heat exchange coefficients need to be calibrated for some lakes
- Hypolimnetic temperatures too low sometimes
 - vertical mixing too small in model
- Sheltering effects, effects of sediment quality and penetration of short wave radiation (extinction coefficients) need special attention



MyLake

- One dimensional vertical lake model
- Andersson and Saloranta 2000
- Ice model by Leppäranta (1991) and Saloranta (2000)
- The vertical diffusion coefficient from the stability frequency N^2 (Hondzo and Stefan, 1993)
- Utilises the MATLAB *Air-Sea Toolbox* (http://sea-mar.whoi.edu/air_sea.html) for calculation of radiative and turbulent heat fluxes, surface wind stress and astronomical variables
- Vertical mixing is based on the energy calculation between kinetic energy from wind and potential energy of layer(s) to be mixed
- Model package with documentation available from TH**



FINESSI-project

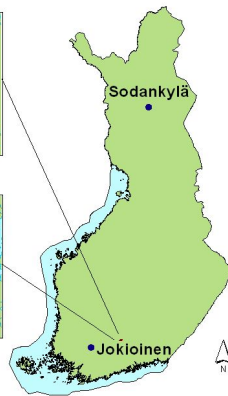
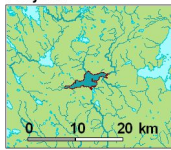
- Web tool for assessing the effects of global change in Finland www.finessi.info/finessi
- Lake Pääjärvi (area= 13.5 km², max depth= 87 m) and Halsjärvi (area= 0.5 km², max depth= 6 m)
- Meteorological data from Jokioinen
- Calibration for Pääjärvi [Link](#)
- FINESSI uses 6 GCM-models [Link](#)
 - We Ecam and Hadley Center



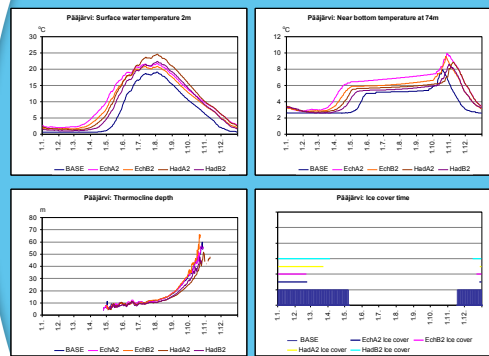
Halsjärvi



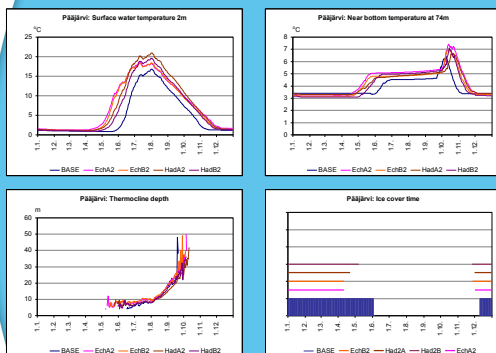
Pääjärvi



Jokioinen



Sodankylä



5. Modelling currents in lakes and seas



Basic laws

- Conservation of momentum with Boussinesq approximation* and the assumption of vertical hydrostatic equilibrium**
- Continuity equation
- Conservation energy
- Equation of state



$$\frac{\partial u}{\partial t} + (u \cdot \nabla)u + 2\Omega \times u = -g + \rho^{-1} \nabla p + \nu \nabla^2 u + A_H \nabla_H^2 u + A_V \partial^2 u / \partial z^2$$

adv. rotation gravity press. int. frict. turbulence terms

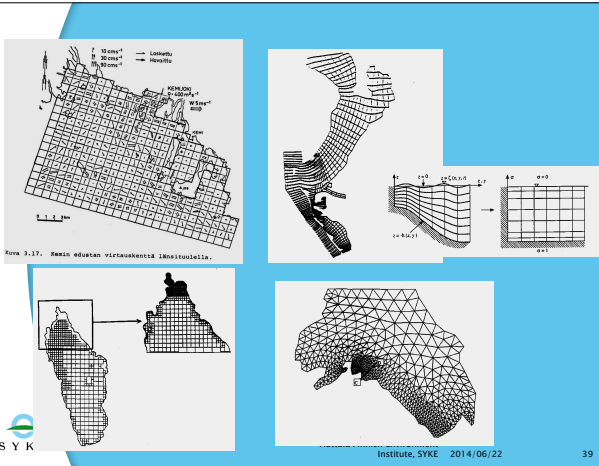
$$\nabla \cdot \bar{u} = 0 \Leftrightarrow \frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} + \frac{\partial w}{\partial z} = 0 \quad \rho = \rho_0 + \alpha(T - T_0) + \beta(S - S_0)$$

* It states that density differences are sufficiently small to be neglected, except where they appear in terms multiplied by g , the acceleration due to gravity
 ** The principle of hydrostatic equilibrium is that the pressure at any point in a fluid at rest is just due to the weight of the overlying fluid

Boundary conditions

Boundary conditions

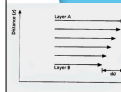
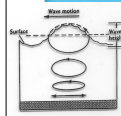
- Surface: wind, solar radiation, net longwave heat balance ← meteorological data (IL)
- Sides: river discharges, concentrations of hydrological and water quality data (SYKE) ←
- Bottom: friction ... ← calibrated using bathymetric and vegetation maps
- Can be given
 - As fixed values, velocity=0 at bottom
 - As fluxes, sediment heat flux, about 1-3 W/m²
 - As sliding conditions (frictionless boundary), velocity on the side same as in the lake



Sedimentation of particulate matter

$$v_f = \frac{2(\rho_s - \rho)gr^2}{9\mu} = \frac{(\rho_s - \rho)gd^2}{18\mu}$$

- Settling velocity is solved from Stokes equation with some correction factor
- Material flux at both due to the erosive forces are calculated by using critical shear approach
- Total shear (τ) on the lake bottom =
 - shear by orbital movements of waves = f (wind fetch over lake, lake mean depth, wind velocity and duration)
 - shear by currents
- $\tau >$ critical shear (τ_{cr}), erosion happens with a rate $\propto a^*$ (excess shear)^b
- τ_{cr} , a and b are experimental values, which we calibrate during model application
- values for τ_{cr} : 0.008...1 Nm⁻², $b=1..3$, $a =$ depends on sediment



6. Modelling water quality or hydrochemical and hydrobiological modelling

Application of WQ-models

- We include :
 - Advection
 - Dispersion
 - Settling on the bottom
- Bio- chemical processes
 - Decomposition, respiration, aeration, anaerobic release of P from the bottom
 - Select the most important variables concerning the problem
 - Oxygen, nutrients (like P,N), chlorophyll-a and some conservative substance (like Na)
 - Limiting factors (light, nutrients, ...) must be included. Check!
 - Temperature corrections must be included. Check!

Concentration equation

$$\frac{\partial c}{\partial t} = \frac{\partial qL}{\partial n} - u \frac{\partial c}{\partial x} - v \frac{\partial c}{\partial y} - w \frac{\partial c}{\partial z} + \frac{\partial c}{\partial x} (D_x \frac{\partial c}{\partial x}) + \frac{\partial c}{\partial y} (D_y \frac{\partial c}{\partial y}) + \frac{\partial c}{\partial z} (D_z \frac{\partial c}{\partial z}) + R(T, c, \dots)$$

where,

c = concentration of substance (nutrient, oxygen, metals, algae.),
 qL = amount of loading release, n = length measure against
 release, u, v, w = advective velocities in x-, y- ja z- directions, D_x,
 D_y, D_z = dispersion coefficients, R(T, c) = biogeochemical changes
 affecting to the concentration of the substance
 Selection of the substance depends on the problem to be solved
 and available data

Oxygen model (Malve, Huttula and Lehtinen 1992)

Computation of dissolved oxygen Both abiotic and biotic factors affect the concentration of oxygen. The change of dissolved oxygen concentration as a function of time is described by the following equation:

$$\frac{dO_2}{dt} = K' \times \sqrt{W} \times (O_{2sat} - O_2) - K_2 \times BOD_1 \times BRAT + \mu \times \alpha_1 \times CH - r \times \alpha_2 \times CH - \frac{SOD \times AREA}{V} \quad (7)$$

K' = aeration constant = $2.0 \cdot 10^{-4}$ cm/d, W = wind speed, z = layer thickness
 O_{2sat} = dissolved oxygen saturation concentration at the surface layer temperature
 O₂ = dissolved oxygen concentration at the surface layer temperature
 K₂ = BOD decay rate = 0.1 1/d (function of temperature, f(T))
 BOD₁ = BOD₅ concentration
 BRAT = BOD/BOD₅ = 1.5
 α₁, α₂ = stoichiometric coefficients for growth and respiration = 0.1903
 μ = growth rate of algae
 r = algal respiration coefficient = 0.065 1/d, f(T)
 CH = chlorophyll concentration
 SOD = bottom sediment oxygen demand, f(T)
 AREA = area of the bottom sediment
 V = volume of the water body

The first term on the right hand side describes aeration in the surface layer, the second one biological oxygen demand, the third and fourth ones phytoplankton growth and respiration, and the last one bottom sediment oxygen demand.

Phytoplankton biomass and ToTP

Computation of phytoplankton biomass Chlorophyll-a concentration is used as a relative measure of phytoplankton biomass. The rate of change of phytoplankton biomass is expressed as [8]

$$\frac{dCH}{dt} = \mu \times CH - r \times CH - \frac{SED}{h} \times CH \quad (8)$$

Phosphorus cycle Description of the phosphorus cycle is quite simple. Total phosphorus concentration in the lake is affected by external loading, phosphorus sedimentation and release of phosphorus under anaerobic conditions.

The change of total phosphorus concentration as a function of time is described by the following equation [8]

$$\frac{dTOTP}{dt} = - \frac{SEDP}{h} \times (TOTP)^2 + \frac{LOAD}{AREA \times h} + \frac{RELEASE}{AREA \times h} \quad (11)$$

SEDP = net phosphorus sedimentation coefficient = 0.002 (m/d)/(μg/l)
 LOAD = external loading
 RELEASE = rate of phosphorus release from the sediment under anaerobic conditions

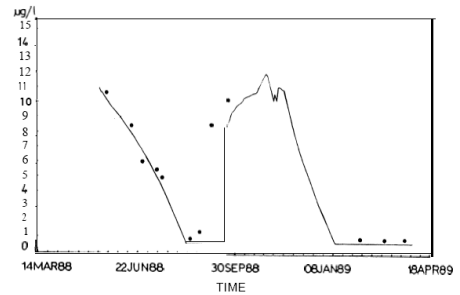


Figure 7. Observed (•) and calculated (—) oxygen concentrations in bottom layer (height 1 m). Calibration, summer 1988.

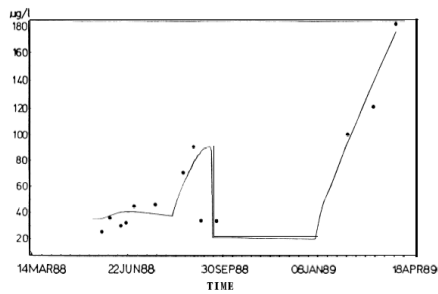


Figure 8. Observed (•) and calculated (—) total phosphorus concentrations in bottom layer (height 1 m). Calibration, summer 1988.

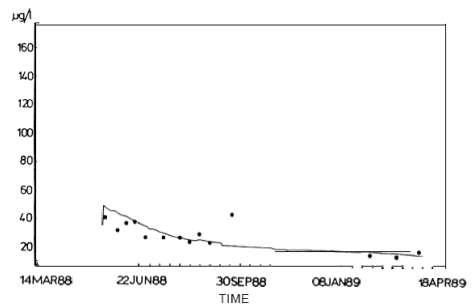


Figure 9. Observed (•) and calculated (—) total phosphorus concentrations in surface (0-1 m) layer. Calibration, summer 1988.

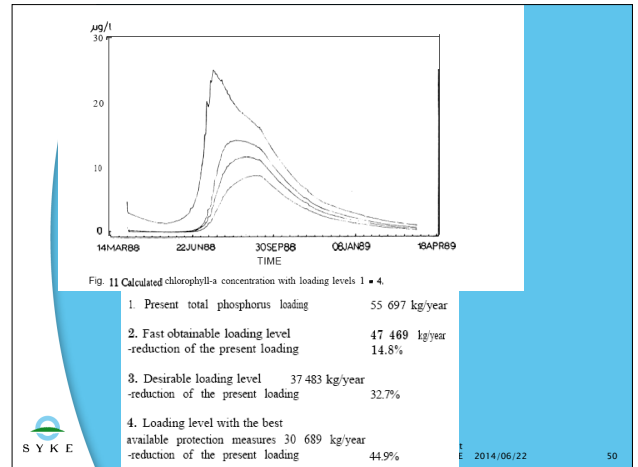
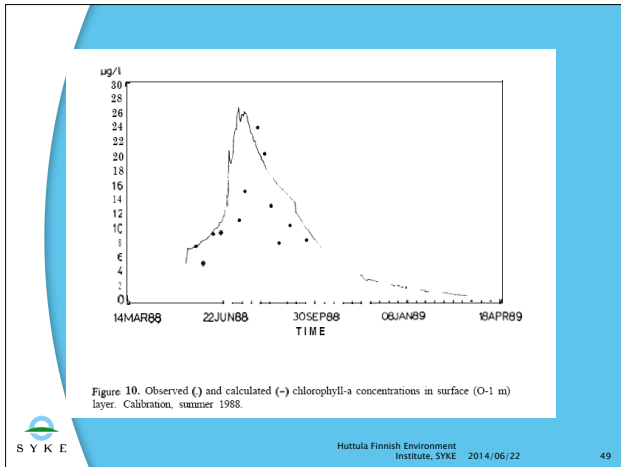


Fig. 11 Calculated chlorophyll-a concentration with loading levels 1-4.

1. Present total phosphorus loading 55 697 kg/year
2. Fast obtainable loading level 47 469 kg/year
-reduction of the present loading 14.8%
3. Desirable loading level 37 483 kg/year
-reduction of the present loading 32.7%
4. Loading level with the best available protection measures 30 689 kg/year
-reduction of the present loading 44.9%

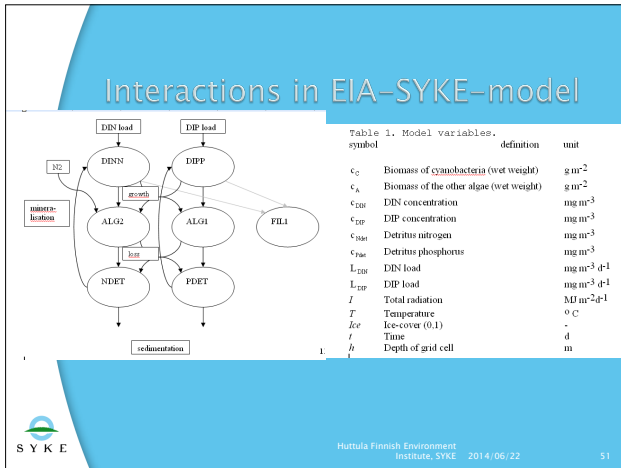


Table 2. Model parameters

Symbol	definition	reference	value	unit
N_{BAC}	Nitrogen in cyanobacteria	Redfield, 1938	0.0193	-
P_{BAC}	Phosphorus in cyanobacteria	Redfield, 1938	0.00268	-
N_{OALG}	Nitrogen in the other algae	Redfield, 1938	0.0193	-
P_{OALG}	Phosphorus in the other algae	Redfield, 1938	0.00268	-
μ_{cmax}	Maximal growth rate of cyanobacteria	calibration	0.5	d^{-1}
μ_{Amax}	Maximal growth rate of the other algae	Olli <i>et al.</i> , 1996	0.7	d^{-1}
R_{cmax}	Maximum loss rate of cyanobacteria	calibration	0.1	d^{-1}
R_{Amax}	Maximum loss rate of the other algae	calibration	0.15	d^{-1}
K_{Nc}	Half-saturation coefficient of DIN for cyanobacteria	Tyrell, 1999	0	$mg\ m^{-3}$
K_{Pc}	Half-saturation coefficient of DIP for cyanobacteria	Kononen & Leppänen, 1997	2	$mg\ m^{-3}$
K_{NA}	Half-saturation coefficient of DIN for the other algae	calibration	7	$mg\ m^{-3}$
K_{PA}	Half-saturation coefficient of DIP for the other algae	calibration	1	$mg\ m^{-3}$
K_{Ic}	Half-saturation coefficient of radiation for cyanobacteria	calibration	20	$MJ\ m^{-2}\ d^{-1}$
K_{IA}	Half-saturation coefficient of radiation for the other algae	calibration	15	$MJ\ m^{-2}\ d^{-1}$
C_{min}	Minimum biomass of cyanobacteria	calibration	0.5	$g\ m^{-2}$
A_{min}	Minimum biomass of the other algae	calibration	0.01	$g\ m^{-2}$
A_{max}	Maximum total biomass of algae	calibration	300	$g\ m^{-2}$
β_0	Maximal detritus nitrogen mineralisation rate	Garber, 1984	0.018	d^{-1}
γ_0	Maximal detritus phosphorus mineralisation rate	Garber, 1984	0.043	d^{-1}
V_{Ndet}	Settling rate of detritus nitrogen	Heiskanen & Tallberg, 1999	1	$m\ d^{-1}$

V_{Ndet}	Settling rate of detritus nitrogen	Heiskanen & Tallberg, 1999	1	$m\ d^{-1}$
V_{Pdet}	Settling rate of detritus phosphorus	Heiskanen & Tallberg, 1999	1	$m\ d^{-1}$
S_{Ndet}	Sedimentation rate of detritus nitrogen	calibration	0.16	$m\ d^{-1}$
S_{Pdet}	Sedimentation rate of detritus phosphorus	Lehtoranta, 1993	0.00	$m\ d^{-1}$
T_{opt}	Optimal temperature for the growth of cyanobacteria	Kononen & Leppänen, 1997	25	$^{\circ}C$
	for the growth of the other algae	calibration	15	$^{\circ}C$
	for losses	calibration	25	$^{\circ}C$
	for detritus nitrogen mineralisation	Garber, 1984	18	$^{\circ}C$
	for detritus phosphorus mineralisation	Garber, 1984	18	$^{\circ}C$
a_T	Coefficient for temperature limiting factor for the growth of cyanobacteria	calibration	1.14	-
	for the growth of the other algae	calibration	1.001	-
	for losses	calibration	1.05	-
	for detritus nitrogen mineralisation	Garber, 1984	1.31	-
	for detritus phosphorus mineralisation	Garber, 1984	1.60	-
I_{ice}	Radiation attenuation by ice	calibration	0.5	-
h_{mix}	Depth of mixing layer	calibration	20	m

Table 3. Model equations, rates and limiting factors.

Equations

$$\frac{\partial c_c}{\partial t} = (\mu_c - R_c)c_c \quad (1)$$

$$\frac{\partial c_A}{\partial t} = (\mu_A - R_A)c_A \quad (2)$$

$$\frac{\partial c_{NH4}}{\partial t} = \beta_0 c_{Ndet} - \mu_A N_{OALG} A^{h_{mix}^{-1}} - \mu_c N_{BAC} c^{h_{mix}^{-1}} + L_{DIN} \quad (3)$$

$$\frac{\partial c_{PDE}}{\partial t} = \gamma_0 c_{Pdet} - \mu_A P_{OALG} A^{h_{mix}^{-1}} - \mu_c P_{BAC} c^{h_{mix}^{-1}} + L_{DIP} \quad (4)$$

$$\frac{\partial N_{det}}{\partial t} = N_{det} R_A c_A^{h_{mix}^{-1}} + N_{BAC} R_c c_c^{h_{mix}^{-1}} - \beta_0 N_{det} - V_{Ndet} c_{Ndet} h^{-1} - S_{Ndet} c_{Ndet} h^{-1} \quad (5)$$

$$\frac{\partial P_{det}}{\partial t} = P_{det} R_A c_A^{h_{mix}^{-1}} + P_{BAC} R_c c_c^{h_{mix}^{-1}} - \gamma_0 P_{det} - V_{Pdet} c_{Pdet} h^{-1} - S_{Pdet} c_{Pdet} h^{-1} \quad (6)$$

Rates

$$\mu_c = \mu_{cmax} f_{GR}(c_{DIN}, c_{DIP}) f_{GR}(I) f(T) f_{AC}(c_A, c_C) \quad (7)$$

$$\mu_A = \mu_{Amax} f_{GR}(c_{DIN}, c_{DIP}) f_{GR}(I) f(T) f_{AC}(c_A, c_C) \quad (8)$$

$$R_c = R_{cmax} f(T)(c_c - C_{min})/c_c \quad (9)$$

$$R_A = R_{Amax} f(T)(c_A - A_{min})/c_A \quad (10)$$

$$\beta_0 = \beta_0 f(T) \quad (11)$$

$$\gamma_0 = \gamma_0 f(T) \quad (12)$$

Limiting factors

$$f_{CN}(c_{DBI}, c_{DDP}) = \frac{c_{DBI}}{c_{DBI} + K_{NC}} \frac{c_{DDP}}{c_{DDP} + K_{PC}} \quad (13)$$

$$f_{AN}(c_{DBI}, c_{DDP}) = \frac{c_{DBI}}{c_{DBI} + K_{NA}} \frac{c_{DDP}}{c_{DDP} + K_{PA}} \quad (14)$$

$$f(T) = \exp \left[\int_{T_{ref}}^T \ln \theta dT \right], \text{ where } \theta = a_T + (1 - a_T) T / T_{ref} \quad (15)$$

$$f_{CI}(I) = \frac{I(1 - I c e l_{y0})}{I(1 - I c e l_{y0}) + K_{CI}} \quad (16)$$

$$f_{AI}(I) = \frac{I(1 - I c e l_{y0})}{I(1 - I c e l_{y0}) + K_{AI}} \quad (17)$$

$$f_{AC}(c_A, c_C) = 1 - \frac{c_A + c_C}{A_{max}} \quad (18)$$

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7. Some visions and lessons

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Modelling philosophy: the chain of models approach

- Water flows through the different models and tracers flow along with the water. Process models can act on the tracers, or calculate small scale flow, and e.g. habitat models depend on the other models
- Catchment model:** WSFS-Vemala, INCA, SWAT, SOBEK
- River model:** SOBEK, River2D, COHERENS
- Habitat model:** Delft HABITAT, River2D
- Lake model:** COHERENS, MyLake
- Process models:** biological models, sediment models, Elmer
- Coastal zone model:** COHERENS
- Baltic sea model:** COHERENS

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COHERENS modelling tool

- COupled Hydrodynamical Ecological model for REgional Shelf seas, RBINS-MUMM, Belgium**
- 3D finite difference, s-layer, multi-purpose numerical model designed for application in coastal and shelf seas, estuaries, lakes and reservoirs
- Open source, available to the public since 2000
- Multi-platform, extremely good documentation (1500+ pages)
- Modular design
 - Physical core
 - selectable simulation modes, dimensions, numerical schemes
 - Flexible and expandable
 - Biological/ecological module
 - Sedimentation module
 - Wave modules
 - Tracers
 - Processes
- Actively developed, constantly evolving (latest version V2.5.1 available since August/2013)

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COHERENS around the world

- North Sea, operational currents and speeds for navigational assistance, www.mummm.ac.be
- Oil Spill Evaluation and Response Integrated Tool (OSERIT), oserit.mummm.ac.be
- Persian Gulf, seasonal circulation, Kämpf and Sadrienasab, JGR, 2006
- Arabian Sea, tidal and surge model, P. Saheed, NIO, Goa, India, December 2010
- Brazil coast - South Brazil Bight - Santos Estuary, Carlos França, Univ. Sao Paulo
- Halong Bay and Red River delta, Vietnam, physical-biological model, Katrijn Baets

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COHERENS at SYKE

- COHERENS was selected as SYKE's marine and lake modelling tool of choice
 - Performance as multi-purpose modelling tool - adaptability to both lake and marine environment
 - Open source code & excellent documentation
 - Modularity
 - Active development
- COHERENS performed well in model inter-comparison study in the Gulf of Finland (Myrberg et al, 2010)
- Development resources can be concentrated to improving a single modelling tool
 - The goal of module development work at SYKE is to improve the applicability of the COHERENS model in low-salinity Baltic region applications for multi-year (incl. winter) simulations
 - Modules have been developed for eg. tracers, sediments and ice formation/melting
- V1 code used since 2006, from 2012 all new projects use V2

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Basic lessons

- ▶ **Solution orientation** →
 - Model to be applied has to solve the problem at hand
 - As simple model as possible
 - We should have good understanding what happens in nature
- ▶ **Model (=Tool) known and at hand**
 - Well documented
 - Open source code
 - Possibility to modify the model
 - Collective experience and team work
- ▶ **Data collection**
 - Calibration
 - Validation



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Related literature

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4. Huttula T., Pulkkanen M., Arkhipov B., Leppäranta M., Solbakov V., Shirasawa K., and Salonen K., 2010: Circulation in an ice covered lake. Estonian Journal of Earth Sciences, 2010, 59, 4, 298-309.
5. Rankinen, K., Valpasvuo-Jaatinen, P., Karhunen, A., Kenttämies, K., Nenonen, S. and Bärlund, I. 2009. Simulated nitrogen leaching patterns and adaptation to climate change in two Finnish river basins with contrasting land use and climatic conditions. Hydrology Research 40(2-3):177-186.
6. Veijalainen, N., Lotsari E., Alho, P., Vehviläinen, B., Käyhkö, J. 2010. National scale assessment of climate change impacts on flooding in Finland. Journal of Hydrology 391: 333-350.
7. Bärlund, I., Rankinen, K., Järvinen, M., Huitu, E., Veijalainen, N. and Arvola, L. 2009. Three approaches to estimate inorganic nitrogen loading under varying climatic conditions from a headwater catchment in Finland. Hydrology Research 40(2-3): 167-176.



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