Evaluation of anchor bolts on the thermal performance of building insulation

materials

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**Abstracts** 

For Near-zero-energy buildings, the application of building insulation materials is

widely used. Anchor bolts, as a fixing element of insulators, were applied to increase

the safety of insulators, however, due to their high thermal conductivity they would

cause point thermal bridge and lead to an obviously negative effect on the insulation

function of building envelopes. However, very few studies have systematically

explored this issuer. This study, therefore, proposed a prediction approach with a 3D

model developed by MATLAB to investigate the effect of anchors on thermal

performance of building envelopes with insulation layers fixed by anchors. It also

provides a new indicator, namely, equivalent effective thermal conductivity of the

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insulators, which can be used in many popular building energy prediction packages. Simulation results revealed that it is a complicated thermal impact of anchor bolts on an external building envelope, which would be affected by many parameters of different envelope contents. For example, glass fiber insulation materials with aluminum alloy anchor bolts, the effective thermal conductivity would rise up to 0.6946 W/(m·K), with an 18 times rise; and the corresponding envelope thermal transmittance would increase by 33%. This novel model would provide an accurate and easy method to evaluate the thermal effect of anchor bolts, and it is applicable to anchors made of any materials. The proposed method could be a reference in energy performance prediction for high-performance buildings.

**Keywords:** Near-zero-energy buildings; thermal conductivity; anchor bolts; thermal insulation materials.

#### 1. Introduction

The energy demand for cooling and heating buildings is increasing greatly, especially in developing countries [1]. According to existing literatures, buildings can contribute to up to 40% of the whole energy consumption of our society [1-2]. Many studies have shown that promoting thermal performance of building envelopes, especially external walls, can significantly decrease buildings' energy demand [3-5]. Near-zero-energy buildings (NZEBs) refer to those buildings with high energy performance. In China, the government is currently very supportive on developing such

buildings, which have high requirement on average thermal transmittance of external walls [6-7]. Therefore, when estimating the performance of NZEBs, an accurate calculation of thermal transmittance of external walls becomes extremely important.

When calculating thermal transmittance, thermal bridge is one major influential factor resulting in higher heat transfer coefficient. Due to existence of thermal bridge, the amount of undesirable heat loss or gain could rise significantly because of large heat flux at the edges of different materials, due to changed thermal conductivity from one material to another, especially when there are metal materials, such as window frames [8-9]. One previous study has revealed that the overall effect from thermal bridge on energy use of buildings could go up to 35% [10].

Due to the above reason, in recent years, thermal bridge has captured great attentions from researchers, and many studies have carried out to evaluate the impact of different thermal bridges caused by building components, such as doors, windows, balcony, pillars and beams [11-19]. For example, Asdrubali [11] has proposed an easy method of indicating factors causing linear thermal bridges in buildings and has given specific effective percentage on unwanted thermal transmittance of building walls. Baba [15] suggested the importance of focusing on building connection points to avoid generation of thermal bridges. Most existing literatures, however, only concerned the effect from linear thermal bridges caused by components like balcony connections and floor supports, neglecting the impact from point thermal bridges. This neglection may

lead to an underestimated building energy consumption. It is important to note, therefore, that besides linear thermal bridges, point thermal bridges caused by components like anchor bolts crossing thermal insulation layers should also be considered when estimating the performance of NZEBs.

Normal wall construction with insulation systems generally consists of a bearing layer (foundation wall), an insulation layer (insulation product) plus supporting elements. Anchor bolts, as one major supporting element, are used for keeping insulation layers onto bearing layers [20], to enhance safety of insulation layers. However, due to its higher heat conductivity comparing to insulation materials, it often brings undesirable heat transfer, working as point thermal bridges [21]. Therefore, it is highly required to evaluate the impact of anchor bolts on thermal performance of building external envelopes.

Many studies have explored the impact of thermal bridges in building applications. However, very few has systematically explored thermal bridges caused by anchors used in insulation layers of external building envelopes, especially for building performance simulation. For example, ISO 6946 introduces a method calculating the total thermal resistance of a building component consisting of both homogeneous and inhomogeneous layers. However, it has indicated that this method is not applicable for cases where insulation is bridged by metal materials, such as metal fasteners (anchors). It means that when the thermal conductivity between materials is very different, the

calculation results of the simple method in the standard ISO 6946 will not be accurate enough.

To fill this gap of research, this study has proposed a new model considering the effect of anchors on thermal performance of building envelopes with insulation layers fixed by anchors. The model is applicable to anchors made of any materials. It also provides a new indicator, namely, equivalent effective thermal conductivity of insulators, which can be used in many popular building energy prediction packages. Using the new model, influential factors on point thermal bridges, such as thermal and dimension properties of different envelope contents, have been systematically investigated in the study. This novel model introduced here provides an accurate and easy method to evaluate the effect of anchor bolts in energy performance prediction for high-performance buildings.

### 2. Simulation Approach

In this study, three models have been proposed in MATLAB: Model 1 showed one benchmark envelope with one bearing layer and one insulation layer only, i.e. without anchor bolts, as shown in Figure 1a; Model 2 reflected actual conditions with anchor bolts to fix insulation layers onto bearing layers, as shown in Figure 1b, and Model 3 was an equivalent model, without any anchor bolt but the same thermal transmittance as Model 2, as shown in Figure 1c.

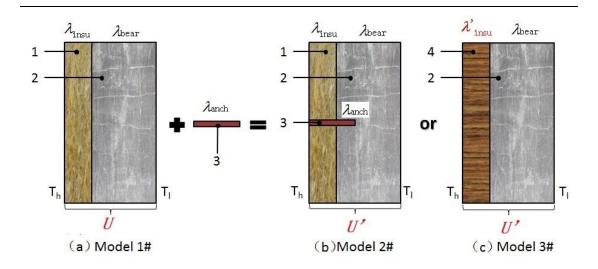


Figure 1: Three models proposed for the study: (a) benchmark envelope without anchor bolts; (b) actual envelope with anchor bolts; (c) equivalent envelope with the same thermal transmittance as Model 2.

1- insulation layer; 2- bearing layer; 3- anchor bolt; 4- imaginary insulation layer.

# 2.1 Simulation method and process

According to previously published work by the authors [22-24], a 3D model developed in MATLAB was applied to predict the heat performances of all three scenarios defined in Figure 1, with only heat conduction through building envelopes was considered.

Firstly, the building envelope was assumed as being rectangle, as shown in Figure 1. Then, a grid of  $X\times Y\times Z$  was used for this model, with increments of dx, dy, and dz. Here, Xdx=Ydy, i.e. the spacing of anchor bolts of 100mm, which meet the standard requirement of anchor bolts installation [25], while Zdz equaled to the overall thickness including both bearing layers and insulation layers. The final model had a grid of

50×50×40~190 and a unit size of 2 mm, balancing both prediction accuracy and calculation time.

Secondly, according to the location and size of each part (bearing layer, insulation layer, anchor bolt) in the building envelope, as shown in Figure 1a and 1b, the value of each thermal phase unit was endowed, i.e. *Condt*=ones (X, Y, Z). Besides, a temperature matrix, *Temp*=ones (X, Y, Z), was used for the equation solution.

Thirdly, as defined in Equation (1), a steady-state energy equation for 3D heat transfer was established as control equations, where T was temperature,  $\lambda_x$ ,  $\lambda_y$ , and  $\lambda_z$  were material conductivities in each direction, respectively.

$$\frac{\partial}{\partial x} (\lambda_x \frac{\partial \mathbf{T}}{\partial x}) + \frac{\partial}{\partial y} (\lambda_y \frac{\partial \mathbf{T}}{\partial y}) + \frac{\partial}{\partial z} (\lambda_z \frac{\partial \mathbf{T}}{\partial z}) = 0 \tag{1}$$

Because the sum of heat flow through each unit equaled to zero, for each calculation unit (i, j, k), the model control equation was written as Equation (2), where each q represented heat flows going in and going out of the unit (i, j, k) in different directions, in W. Specifically, Figure 2 shows the heat flow  $q_{(i-1,j,k)}$  on the contact surfaces of unit (i-1, j, k) and unit (i, j, k), which can be determined by Equation (3), where, T was the temperatures of these two units, in K;  $\lambda_{(i-1/2,j,k)}$  was the effective thermal conductivity between these two units, in  $W/(m \cdot K)$ , which can be calculated by Equation (4).

$$q_{(i-1,j,k)} - q_{(i+1,j,k)} + q_{(i,j-1,k)} - q_{(i,j+1,k)} + q_{(i,j,k-1)} - q_{(i,j,k+1)} = 0$$
 (2)

$$q_{(i-1,j,k)} = \lambda_{(i-1/2,j,k)} \times (dy \times dz) \times (T_{(i-1,j,k)} - T_{(i,j,k)}) / dx$$
(3)

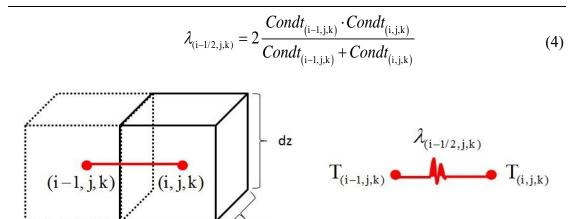


Figure 2: Computational units (i-1, j, k) and (i, j, k).

dy

dx

Fourthly, the boundary conditions were defined as followings. For the two surfaces in the envelope thickness direction (z-direction), the temperatures were set as known functions due to inside and outside air temperature, i.e.  $T_o$ =36°C and  $T_i$ =26°C, respectively. The other four sides were insulated, which is attributed to the spacing between anchor bolts is sufficient and there is no thermal effect between each two anchor bolts.

Finally, the convergence standard was defined as Equation (5), where P represented the number of iterations.

$$\left(\frac{\sum_{i,j,k} (T_{(i,j,k)}^{P+1} - T_{(i,j,k)}^{P})^{2}}{X \times Y \times Z}\right)^{\frac{1}{2}} < 2 \times 10^{-4}$$
(5)

Moreover, in order to verify the model's accuracy, two calculation results were compared as follows. Specifically, in Figure 1a, no anchor bolt was inserted in the envelope, and it only consisted of one insulation layer and one bearing layer, hence

equal to a simple series model. Therefore, here the accuracy of the new proposed model could be got by comparing two group values of thermal conductivities  $\lambda_e$  of the whole envelope. Firstly, for the series model,  $\lambda_e$  could be calculated by Equation 9. Secondly, the calculated  $\lambda_e$  the proposed model could be got by our model. Figure 3 has depicted a good agreement between the two sets of  $\lambda_e$  curves (R-square=0.92) to confirm the accuracy of the model. Besides this, in our previous studies [22-24], the model's accuracy has been experimentally validated as well.

$$\lambda_{e} = \frac{L_{insu} + L_{bear}}{L_{insu} / \lambda_{insu} + L_{bear} / \lambda_{bear}}$$
(9)

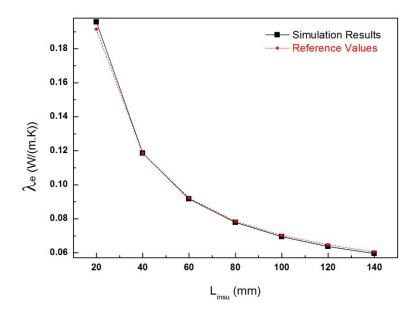


Figure 3: Effective thermal conductivities calculated by this simulation model and a series model.

However, there are also some limitations in this model. As we knew, the anchor bolt is assumed to be a rectangular strip but is actually cylindrical. But, in this envelope

system, the thermal effect caused by anchors was the point heat bridge, so the specific shape of the anchor bolt can be ignored.

# 2.2 Indicators used to evaluate the impact from anchor bolts

In this study, to identify anchor bolts' effect, two indicators, i.e. point thermal transmittance X (W/K) and a new thermal conductivity of the equivalent insulation layer  $\lambda'_{insu}$  (W/(m·K)), were applied.

In practice, anchor bolts are penetrated in local areas of insulation layers, like point thermal bridges. Therefore, it can be evaluated by point thermal transmittance [26]. Here, X was defined as the difference between two specific heat losses, as determined by Equation 6, where, H and H' were the specific heat losses caused by identical envelope surface areas without and with anchor bolts, respectively, in W/K; Q and Q' were heat losses caused by identical envelope surface areas without and with anchor bolts, respectively, in W, and  $T_h$  and  $T_l$  were high and low temperatures of envelope surfaces, respectively, in K.

$$X = H' - H = Q - Q'/(T_b - T_l)$$
(6)

As shown in Figures 1a and 1b, the major difference between Model 1 and Model 2 was whether anchor bolts were embedded into building envelopes, resulting in overall thermal transmittances of U and U, respectively. According to ISO 6946 [27], U can be calculated by Equation 7, where,  $\Delta U$  is the transmittance correction factor, in  $W/(m^2\cdot K)$ .

$$U' = U + \Delta U \tag{7}$$

In Equation 7, if more than one anchor bolt was repetitively embedded into building envelopes,  $\Delta U$  could be determined by Equation 8, where, X was point thermal transmittance, in W/K, and N was anchor bolt density, i.e. the number of anchor bolts per square meter of the envelope, in m<sup>-2</sup>.

$$\Delta U = X \cdot N \tag{8}$$

When calculating building energy consumption using traditional simulation packages, such as TArch and EnergyPlus, the effect from anchor bolts is often neglected so there is no available model inputs given to this problem. In this study, Model 3 (Figure 1c) with an imaginary insulation layer was developed to solve this problem, and Model 3 had the same overall thermal transmittance, i.e. U', as Model 2 (Figure 1b). In Model 3, the equivalent thermal conductivity of the imaginary insulation layer was defined as  $\lambda'_{insu}$ , and it could be obtained by Equation 9, where,  $\lambda_{bear}$  was the bearing layer' conductivity, in W/(m·K), and  $L_{insu}$  and  $L_{bear}$  were the thicknesses of both insulation and bearing layers, respectively, in m.

$$\lambda'_{insu} = \frac{U'\lambda_{bear} L_{insu}}{\lambda_{bear} - U'L_{bear}} \tag{9}$$

# 2.3 Simulation parameters

X and  $\lambda'_{insu}$  will be affected by both thermal conductivity and structural parameters of three items in the envelope, namely, anchor bolts, insulation layers and bearing layers. The thermal conductivities of different items are listed in Table 1.

Table 1: Thermal conductivities of anchor bolt, insulation layer and bearing layer used for the simulation  $(W/(m\cdot K))$ .

Anchor bolt	Plastic	Stainless steel	Steel	Aluminum alloy
$\lambda_{anch}$	0.27	27.6	40.2	160
Insulation	Polyurethane foam	Glass fiber	Wool fiber	Foam ceramic
layer $\lambda_{insu}$	0.023	0.036	0.06	0.11
Bearing	Autoclaved aerated	Hollow	Solid	Ordinary reinforced
layer	concrete	block	masonry	concrete
$\lambda_{bear}$	0.23	0.58	1.16	1.4

For anchor bolts, materials commonly used in engineering applications were selected, such as plastic, stainless steel, steel and aluminum alloy. For the insulation layer, polyurethane foam, glass fiber, wool fiber and foam ceramic were used, and for the bearing layer, autoclaved aerated concrete, hollow block, solid masonry, and ordinary reinforced concrete were chosen, according to literatures [28-31].

According to the requirements and installation of anchor bolts for thermal insulation of external walls [25], structural parameters were set as followings:

## **Anchor bolts:**

The cross-sectional area (A) was defined as  $100 \text{mm}^2$ ,  $196 \text{mm}^2$ ,  $324 \text{mm}^2$  and  $484 \text{mm}^2$ , i.e the anchors with the diameters of 10 mm, 16 mm, 18 mm, 22 mm, respectively. Insert depth (D) into the bearing layer was considered due to its big impact on the stability and heat properties of building envelopes. In this study, D was set between 20 mm and 70 mm, incrementing every 10 mm. In addition, density of anchor bolts (N) was defined as the number of anchor bolts per  $1 \text{m}^2$ , including 1, 3, 4, 5, 7, 9,

11, 25, 30, 40, 60, 80 and 100 /m<sup>2</sup>, respectively. According to industry-standard [32], in engineering applications, commonly used densities of anchors were 4, 5, 9, and 11 /m<sup>2</sup>.

# Insulation layer and bearing layer:

 $L_{insu}$  and  $L_{bear}$  were used to represent the thickness of the insulation and bearing layers, respectively.  $L_{insu}$  was changing from 20mm to 140mm, with an increment of 20mm.  $L_{bear}$  was chosen according to common wall thickness, including 60mm, 100mm, 120mm, 180mm and 240mm.

For the base case model, important parameters were defined as  $\lambda_{anch}=160 \text{W}/(\text{m}\cdot\text{K})$ ,  $\lambda_{insu}=0.036 \text{W}/(\text{m}\cdot\text{K})$ ,  $\lambda_{bear}=1.4 \text{W}/(\text{m}\cdot\text{K})$ ,  $\lambda=100 \text{mm}^2$ ,  $\lambda=30 \text{mm}$ ,  $\lambda=100 \text{m}^{-2}$ ,  $\lambda=40 \text{mm}$  and  $\lambda=100 \text{mm}$ .

#### 3. Simulation Results

Before carrying out the simulation, the results calculated by the methods presented in ISO6946 and our numerical simulation were compared. Here, the base case model was used except  $N=4\text{m}^{-2}$ , and different anchor materials were applied for comparing. The final comparison was showed in Figure 4.

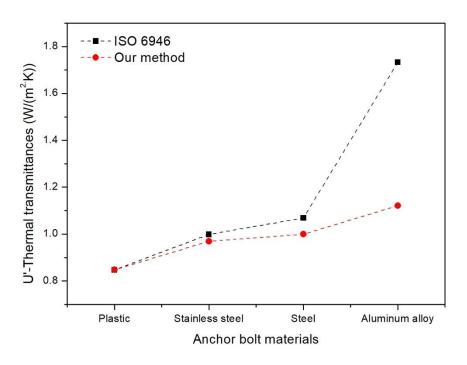


Figure 4: Comparison between the methods presented in ISO6946 and our model.

It can be found that there are small differences between these two methods, but when the thermal conductivity of anchor bolt increases high up to 160 W/(m·K) there is an big difference (for aluminum alloy). This is consistent with the notes proposed in the standard ISO 6946, that is, when the thermal conductivity between materials is very different, the calculation results of the simple method in the standard will not be accurate enough. This is because as the thermal conductivity of the anchor bolt increases, the thermal bridge effect produced by it will become more obvious, and it will cause the heat transfer between different material components. Therefore, final heat transfer results cannot be accurately obtained only through the simple series-parallel method and the correction of the empirical formula.

### 3.1 Effect from thermal properties of different envelope contents

### 3.1.1 The effect of anchor bolts

Figure 5 depicts the changes of both the point thermal transmittance X and the imaginary insulation layer thermal conductivity  $\lambda'_{insu}$  to the change of anchor bolt thermal conductivity  $\lambda_{anch}$ . It indicates that both X and  $\lambda'_{insu}$  increase with the increase of  $\lambda_{anch}$ . Particularly, when  $\lambda_{anch}$  increased from 0.27 to 160 W/(m·K), with a rise of X from 0.0005 to 0.0689 W/K. The blue curve shows that with a rise of  $\lambda_{anch}$ ,  $\lambda'_{insu}$  increased from 0.039 to 0.695 W/(m·K), by about 18 times.

In summary, the thermal property of anchor bolts has a huge effect on the whole envelope's thermal performance, reflecting the high importance of selecting suitable anchor bolts.

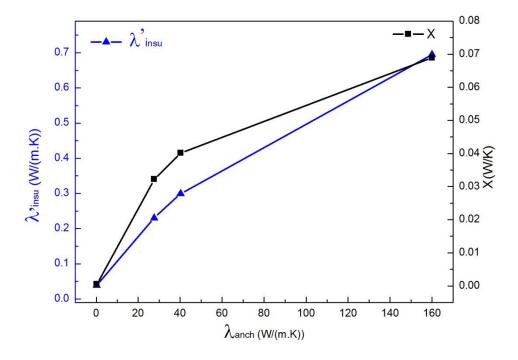


Figure 5: Change of both point thermal transmittance X and imaginary insulation layer thermal conductivity  $\lambda'_{insu}$  to the change of anchor bolt thermal conductivity  $\lambda_{anch}$ .

# 3.1.2 The effect of the insulation layer

Figure 6 shows the variation of X and  $\lambda'_{insu}$  caused by  $\lambda_{insu}$  of the insulation layer. These curves indicate that with the increase of  $\lambda_{insu}$ ,  $\lambda'_{insu}$  increases, while X decreases. Specifically, when  $\lambda_{insu}$  is increased from 0.023 to 0.110 W/(m·K),  $\lambda'_{insu}$  will change from 0.674 to 0.824 W/(m·K), but with a drop of X from 0.072 to 0.06 W/K. So the corresponding effect rate of the anchor bolt on the whole envelope U will decrease from 14 to 2.8 times. It can be included that, with the increase of  $\lambda_{insu}$ , the anchor bolt's influence becomes unapparent. This phenomenon illustrates that the anchor bolt's thermal impact on the whole envelope is more pronounced for the insulation layer with a small thermal conductivity than that with large thermal conductivity.

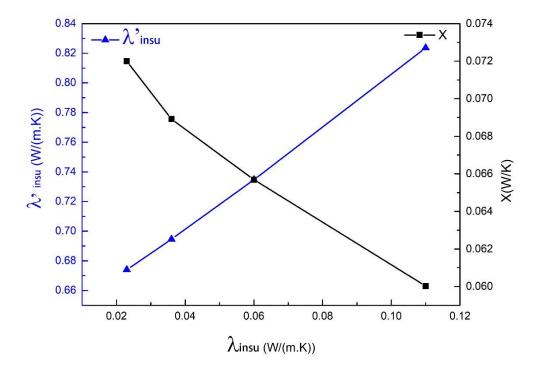


Figure 6: The variation of point thermal transmittance X and the imaginary insulation

layer equivalent thermal conductivity  $\lambda'_{insu}$  with the change of the insulation layer thermal conductivity  $\lambda_{insu}$ .

# 3.1.3 The effect of the bearing layer

Figure 7 illustrates that both X and  $\lambda'_{insu}$  increase with the increase of  $\lambda_{bear}$ . To be specific, the chart shows that when  $\lambda_{bear}$  changes from 0.23 to 1.40 W/(m·K),  $\lambda'_{insu}$  grows from 0.350 to 0.655 W/(m·K), with the increase of 9 to 18 times. Moreover, X of 0.012 W/K rises to 0.069 W/K, and the impact rate on thermal transmittance will rise up to 8 times. Therefore, when estimating the effect of anchor bolts, the choice of bearing layer material also needs to be considered.

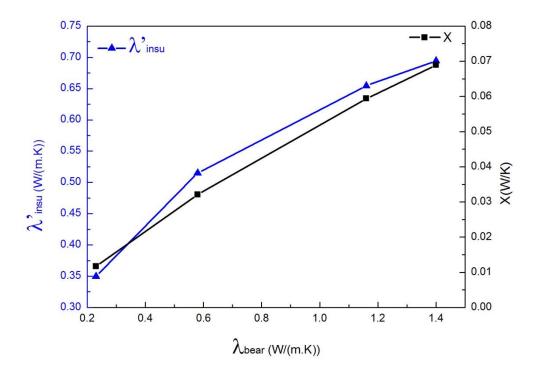


Figure 7: The variation of point thermal transmittance X and the imaginary insulation layer thermal conductivity  $\lambda'_{insu}$  with the change of the bearing layer thermal

#### conductivity $\lambda_{bear}$ .

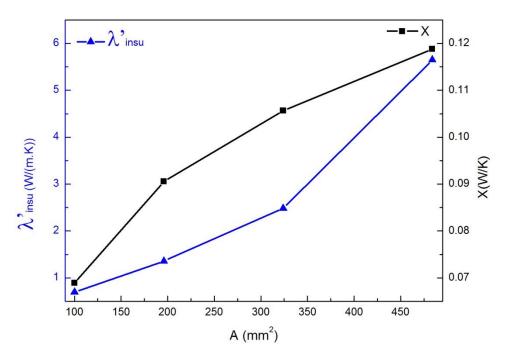
In conclusion, for  $\lambda'_{insu}$ , thermal conductivities of all envelope contents (anchor bolts, the insulation layer, and the bearing layer) have a positive effect, i.e. they will cause the rise of  $\lambda'_{insu}$ . While, for X, both anchor bolts and the bearing layer have positive effects, while the insulation layer has a negative effect. That is to say, that point thermal bridge caused by anchor bolts is more remarkable especially for the application of insulation layer with a smaller thermal conductivity.

### 3.2 Effect form structure parameters of different envelope contents

### 3.2.1 The effect of anchor bolts

Figure 8a and 8b show that the influences of cross-sectional area A and insert depth D of anchor bolts on X and  $\lambda'_{insu}$ , and it can be seen that these two influence trends are similar. Both X and  $\lambda'_{insu}$  increase with the increase of A and D.

Firstly, Figure 8a indicates that when A increases from 100 to 484 mm<sup>2</sup> (the diameter from 10mm to 22mm), X and  $\lambda'_{insu}$  increase from 0.069 to 0.119 W/K and from 0.695 to 5.649 W/(m·K), respectively. Secondly, Figure 8b indicates the impact of D on X and  $\lambda'_{insu}$ . And it can be seen that with the increase of D from 20 to 70 mm, X and  $\lambda'_{insu}$  rise from 0.060 to 0.102 W/K and from 0.695 to 2.108 W/(m·K), respectively. It can be concluded that although the larger size of the anchor bolts will make the stronger of its fixation, it causes the greater impact of the heat bridge.



(a) The effect of the cross-sectional area (A).

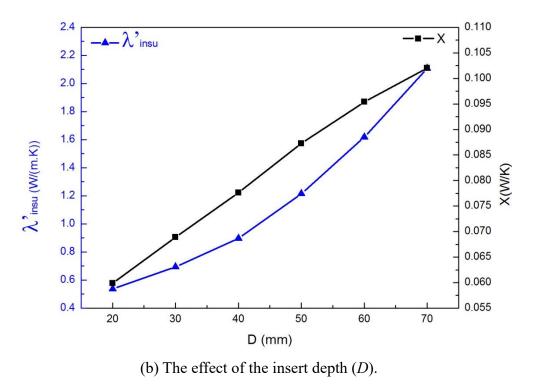


Figure 8: The variation of point thermal transmittance X and the imaginary insulation layer thermal conductivity  $\lambda'_{insu}$  with the changes of the cross-sectional area (A) and insert depth (D) of anchor bolts.

Figure 9 illustrates that the effect of the anchor bolt density N. Firstly,  $\lambda'_{insu}$  grows with an N rise. For example, when N increases from 1 to 100 m<sup>-2</sup>,  $\lambda'_{insu}$  grows from 0.039 to 0.688 W/(m·K), with a corresponding rise of 7 to 1811 times. While in our model, the effect of each anchor bolt is not interacting, so X remains the same with the increase of N, equaling to 0.069 W/K.

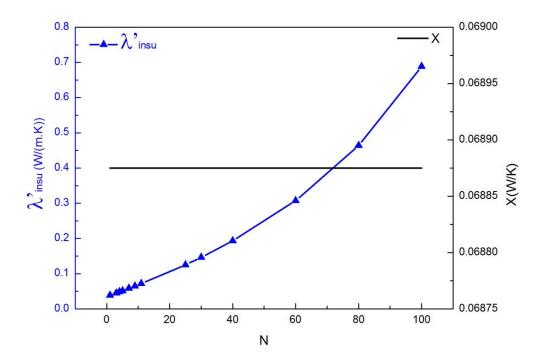


Figure 9: The variation of point thermal transmittance X and the imaginary insulation layer thermal conductivity  $\lambda'_{insu}$  with the change of anchor bolt density (N).

In conclusion, both of the cross-sectional area A and insert depth D of anchor bolts have a side influence on X and  $\lambda'_{insu}$ , while the density of anchors N would only increase the side effect of anchors on  $\lambda'_{insu}$ . Therefore, in practical applications, under the premise of fully considering the anchoring effect, the size and amount of the anchor

should be reduced as much as possible, thereby reducing the negative impact on the heat insulation of the insulator.

### 3.2.2 The effect of insulation layer's thickness

From Figure 10, two curves of X and  $\lambda'_{insu}$  show opposite trends. Firstly, the blue curve indicates that the increasing insulation layer's thickness  $L_{insu}$  causes the increase of  $\lambda'_{insu}$ , which is attributed to the effect of anchor bolts. As we know, when  $L_{insu}$  is increased, the corresponding length of the adopted anchor bolt increases, resulting in an increase of  $\lambda'_{insu}$ . Specifically, when  $L_{insu}$  is increased from 20 to 140 mm,  $\lambda'_{insu}$  will be increased from 0.465 to 1.303 W/(m·K), with a corresponding increasing rate from 1192 to 3518 times. It is interesting to note that for the insulator with  $L_{insu}$  of 80mm, the effect rate by anchors on both  $\lambda'_{insu}$  and X turn to slow, which is because that the increase in  $L_{insu}$  will bring two changes, one is that the insulation effect of the insulator is increased, and the other is that the heat bridge effect caused by the increase of the corresponding length of the anchor is increased. And these two changes will lead to totally different results in the heat transfer through the whole envelopes. When the  $L_{insu}$ is short, the effect by anchors leads roles, while with the increase of  $L_{insu}$  >80mm), the effect by the insulator increases and will more counteract some of the side effects of the anchor. Therefore, Figure 10 also shows that with the rise of  $L_{insu}$ , X drops from 0.071 to 0.053 W/K, and the drop rate becomes more obvious when  $L_{insu}$  is higher than 80mm, which illustrates that the  $L_{insu}$  rise can weaken the effect of anchor bolt on the heat transfer of the whole envelope.

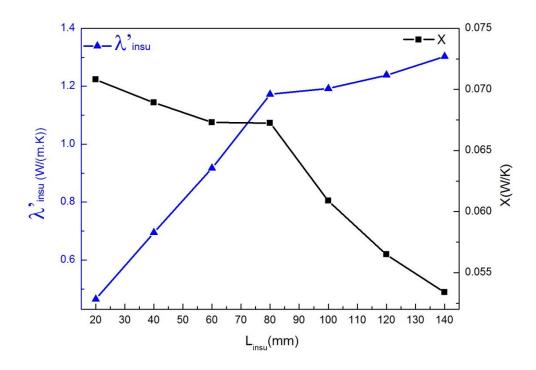


Figure 10: The variation of point thermal transmittance X and the imaginary insulation layer thermal conductivity  $\lambda'_{insu}$  with the change of insulation layer thickness  $L_{insu}$ .

3.2.3 The effect of bearing layer's thickness

From Figure 11, two curves show similar trends, i.e., both of X and  $\lambda'_{insu}$  decline with the increase of bearing layer's thickness  $L_{bear}$ . Specifically, when  $L_{bear}$  is increased from 60 to 240 mm, X and  $\lambda'_{insu}$  will be decreased from 0.096 to 0.044 W/K and from 0.767 to 0.588 W/(m·K), respectively.

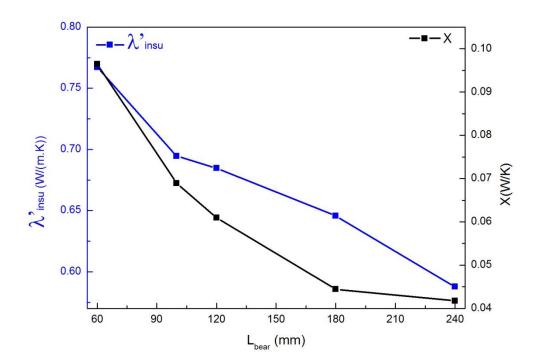


Figure 11: The variation of point thermal transmittance and the imaginary insulation layer thermal conductivity with the change of bearing layer thickness.

In conclusion, for anchor bolts, the large size and more application density will cause the increase of  $\lambda'_{insu}$  and X. While, for the bearing layer, a thicker bearing layer results in both decreases of  $\lambda'_{insu}$  and X. For the insulation layer, the thicker insulation layer leads to an increase of  $\lambda'_{insu}$ , but a decrease of X.

# 4 Discussion: the visual interface application

The above simulation results indicate that the thermal performance of external building envelope with anchor bolts is a complex question, which is affected by many parameters of different envelope contents, including bearing layer, insulation layer, and anchor bolts. Therefore, for the convenience of the processing, this paper further gave

a visual interface (Figure 12), which can be regarded as a reference for practitioners to evaluating the thermal effect of anchor bolts on building energy calculation. Using this visual interface, practitioners only need input relevant parameters of envelopes, then the output  $(X, U', \text{ and } \lambda'_{insu})$  will be calculated by our model.

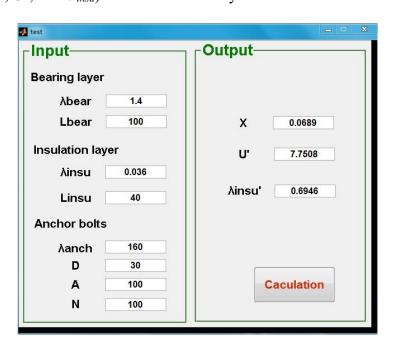


Figure 12: The calculation interface for evaluating the effect of anchor bolts.

Finally, take an envelope with anchor bolts as an example. As showed in Figure 12, inputs relevant parameters of envelope (Bearing layer:  $\lambda_{bear} = 1.4$  W/(m·K),  $L_{bear} = 100$  mm; Insulation layer:  $\lambda_{insu} = 0.036$  W/(m·K),  $L_{insu} = 40$  mm; Anchor bolts:  $\lambda_{anch} = 160$  W/(m·K), D = 30 mm, A = 100 mm², N = 4 m-².), then the output results (X = 0.0689 W/K, U' = 7.7508 W/(m²-K), and  $\lambda'_{insu} = 0.6946$  W/(m·K)) can be calculated. It can be found that compared to the original insulation layer ( $\lambda_{insu} = 0.036$  W/(m·K)), the corresponding  $\lambda'_{insu}$  rises up to 0.6946 W/(m·K), with an 18 times rise. While comparing to an envelope without anchor bolts, the application of anchor bolts increases its thermal

transmittance by 33%. It can be seen that the application of anchor bolts has a big side impact on the thermal insulation system. The existence of anchor bolts will increase the effective thermal conductivity of thermal insulation systems and increase the unwanted heat transfer of buildings.

#### 5. Conclusions

In this paper, a simple prediction approach for evaluating the thermal performance of external building envelopes with anchor bolts has been introduced. Simulation results revealed that it is a complicated thermal impact of anchor bolts on an external building envelope, affected by many parameters of different envelope contents.

- For anchor bolts, increasing  $\lambda_{anch}$ , A, D and N would all result in increases of  $\lambda'_{insu}$  and X. For example, in the base case model, replacing plastic anchors by aluminum anchors would further increase the  $\lambda'_{insu}$  by 18 times.
- For the insulation layer, both increases of  $\lambda_{insu}$  and  $L_{insu}$  would lead to an increase of  $\lambda'_{insu}$ , but a decrease of X. For insulators with high  $\lambda_{insu}$  anchor influences would become unapparent, for example, replacing the polyurethane foam by the foam ceramic, the growth multiple of  $\lambda'_{insu}$  will reduce from 29 to 7.5 times.
- For the bearing layer, an increase of  $\lambda_{bear}$  would cause increases of both  $\lambda'_{insu}$  and X, but a thicker  $L_{bear}$  resulted in decreases of  $\lambda'_{insu}$  and X. For example, in the base case model ordinary reinforced concrete would lead to  $\lambda'_{insu}$  growth by high up to 18 times.

Besides, a practical visual interface was developed, which could be used by

practitioners for evaluating the thermal effect  $(X, U', \text{ and } \lambda'_{insu})$  of anchor bolts on building energy predictions.

In conclusion, for the design of high-energy performance buildings, the impact of anchor bolts on building's thermal performance is not negligible, and the approach introduced in this paper provides a simple and quick way to evaluate this effect.

### Acknowledgment

The National Key R&D Program of China (2017YFC0702600), the National Natural Science Foundation of China (51708022), the Fundamental Research Funds for the Central Universities (FRF-TP-18-024A2), and the Program of China Scholarships Council (201806465006) support this paper.

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## **Table and Figure Captions**

Table 1: Thermal conductivities of anchor bolt, insulation layer and bearing layer used for the simulation (W/(m·K)).

Figure 1: Three models proposed for the study: (a) benchmark envelope without anchor bolts; (b) actual envelope with anchor bolts; (c) equivalent envelope with the same thermal transmittance as Model 2. 1- insulation layer; 2- bearing layer; 3- anchor bolt; 4- imaginary insulation layer.

Figure 2: Computational units (i-1, j, k) and (i, j, k).

Figure 3: Effective thermal conductivity calcualted by this simulation model and a series model.

Figure 4: Comparison between the methods presented in ISO6946 and our model.

Figure 5: Change of both point thermal transmittance X and imaginary insulation layer thermal conductivity  $\lambda'_{insu}$  to the change of anchor bolt thermal conductivity  $\lambda_{anch}$ .

Figure 6: The variation of point thermal transmittance X and the imaginary insulation layer equivalent thermal conductivity  $\lambda'_{insu}$  with the change of the insulation layer thermal conductivity  $\lambda_{insu}$ .

Figure 7: The variation of point thermal transmittance X and the imaginary insulation layer thermal conductivity  $\lambda'_{insu}$  with the change of the bearing layer thermal conductivity  $\lambda_{bear}$ .

Figure 8: The variation of point thermal transmittance X and the imaginary insulation

layer thermal conductivity  $\lambda'_{insu}$  with the changes of the cross-sectional area (A) and insert depth (D) of anchor bolts.

Figure 9: The variation of point thermal transmittance X and the imaginary insulation layer thermal conductivity  $\lambda'_{insu}$  with the change of anchor bolt density (N).

Figure 10: The variation of point thermal transmittance X and the imaginary insulation layer thermal conductivity  $\lambda'_{insu}$  with the change of insulation layer thickness  $L_{insu}$ .

Figure 11: The variation of point thermal transmittance X and the effective insulation layer thermal conductivity  $\lambda'_{insu}$  with the change of bearing layer thickness  $L_{bear}$ .

Figure 12: The calculation interface for evaluating the effect of anchor bolts.